$$\left[\frac{Phad + Py - O}{c[P - Py][2]A}\right] + \left[\frac{[MP] + E}{+ \dot{A}[0]}\right]$$

opener + type + being + type obj + action (cont) + Environment + act + distant + act + p obj
+ action + type + p / p type + (cont) act + obj + p. | Ȧ + NOC (phys) +→ act (Ȧ) - NOC +
P + act + reg + (act + p(p) +→ - intensity) + act +→ BP + act +→ BP. + act + obj
Opener + P + being + act + type of act → act.. [Obj +→ P-n +→ act +→ act$_2$ +→ act$_3$
+→ ~~obj~~ Ȧ(Ȧ-psy / -phys) +→ NOC-R +→ (act + act +) in relatio + P(multi) | + act +
O + P + act + P$_2$ + act + person act + negative obj + act + obj + act + obj/abstract +
+ obj + act + obj + property act, Ȧ€ Reason + Ȧ(phys) → intr (c) +→ P-NOC)
+QA - Ȧ(◎) +→ Obj (+QA + act + [illegible] +→ Obj-P + act + M +→ [illegible] +→ M → Environm
Reason + P, act + time ref + kind of ×2 act + act + type obj + known P + act + P/ENV
+ act + type / P + Act + P + obj. Obj(P) -NOC + act (M) +→ Env + [illegible] / [illegible]
+→ P. P + act + P(NOC) +→ QA + BP + QA - Obj + BP + BP + Obj + act +→ ~~[illegible]~~ Env obj + act +
Kind + Ṗ + P + act + act + continuous act | P + C act +→ Ȧ(P-P) +→ Ȧ - C +→ P$_2$ + act
+ order + reg +→ Ȧ$_c$ + P$_2$ + P + act$_2$ +→ [illegible] +→ P + time ref +→ act$_3$ + P + act$_4$. + act$_5$ +
O + being + count + count + being + Act + direction + count + obj + count + beings + act
+ being + act + obj | P + act + intern + General. [P + reg + act + reason +→ QA(P)
reg + act] → P. Reason + P + Pos. act + act + BP + act + Obj + reason + act + reason
Person + action + people + place + act → act + [illegible] + time ref. + people + environ +
ref + name + reason +→ QA + ~~act~~ P(Ȧ) + act ×3 +→ P + int → Ȧ + way of + act +
Ȧ + passive act + act +→ Ȧ [illegible] +→ P + ~~[illegible]~~ react +. P + act + act +→ Env(NOC-Ȧ) + act +
Act + obj + action + action + Item + relative + act + act P + act + reg + QA.
Com, +→ act + Act + reg act. P + act + P$_2$ +→ | act$_2$ + Obj +→ Ȧ(obj . (Ȧ) → Pers.
Act + direction + Item + action. / Action (timed) + time ref ×2 → [illegible] / action + act
P + P. Time [illegible] + P + ~~act~~ + Obj + act + P + act + NOC-n +→ S-Ȧ obj → Ȧ.
P + act + P$_2$ + time + environment / place + act + environment + act + environment + Item +
act. P + QA + act. Act +→ act. | P + act + obj + Ȧ act +→ QA + act
P + act + reg + Ȧ + Obj +→ act +→ P +→ act P + act +→ Obj +→ P$_2$ +→ QA + act,
P + action + P + act + obj / 2 + P + action ×2 + action - type obj + action + action +
obj + environment + time + action + P + obj + environment + action + Item
+ obj + dark obj. P + act +→ BP(Ȧ) +→ act +→ Obj. + [illegible] +→ [illegible] + P's
Obj. P + BP + act +→ Obj +→ ~~Forest~~ act +→ Ȧ +→ Env + act + act.

body part, body part + action. Action +
P + action + P2 + obj + way + + action + [illegible] (PERS) + act + P + Place en + act + P
dir + reason + A + QA + ENVT A (PERS) + act + kind of (relate) + Act + A (obj)
Specific + obstruction + act + P + passive act + action → kind of (relate) + Act + A (obj
+ ENV EVE + Act EV A act. A obj = A N O G, reason P act obj obj on
That last run of his got Bob INTO trouble, having BEEN made from [illegible] x
Time ref act A obj A obj + (Obj - mod + x2) → COMP + act + Obj → P
That last play of his made him a hero, being the last good play of the season —
P + act + A obj + act + obj + (comparison), P. act +
P + act (in relation) to + obj + direction + OBJ + Act + dir + obj + action.
P + act + reason + act + P2 (AP) → P3 + act / A (obj) + A + act + act.
OBj + Act + COLOR + obj + dir + P + Bod part + dir + type + color + type + obj

Specific + PERS + ACT

PERS + Act + Act + dir + reason + Act + Neg + reason + ACT + direction.

P + P + P + Act + time ref + act + act + env + obj + act + location + act
+ env + P + act + COUNT + P + act + act + obj + kind of + act.

P + P + Obj + Obj + action + P + action + obj (fluid) + P + action + obj
+ place + time ref + Obj + Obj + P + time ref + act + Act + P (status) + act
+ environment + Obj + obj frequ + act + act + ref + time.

Act + obj + obj + color + weather ref + obj + PERS + SPECIAL OBJ + OBJ +
PASSIVE ACT + OBJ + ACT + OBJ + ACT + ACT + OBJ + OBJ + ACT +
obj + act + d.

Ity + Bod motion + act + obj + pers + act + way + where + Act + pers + obj + act + place
+ being + time + action + obj + time + time + pers + act + place + place
ref pers frame + comparison + act + obj + way + placement + obj + obj + [illegible]

× place × being × being × state × unit of being / [illegible].

P + act + direction in ref to + environment + act + P + act + direction + path + way + act + abstraction of being + reason + time ref.

Act + act + P + act + P + P' obj + environment act + P' + modifier + special act + act + P + act + P. fact + environment cycle + act + P + cycle + act + state + obj side + P + act + obj + obj + act + act + being

Time + P + act + profession + Time + P + act + P + environment + obj + P + act + P + act + Time + state of P + P + act + [illegible] act + act + receive act + act + environment obj + act + profession + act + act + P + state + act + obj + act + reason + P + obj + act + P + reason + P + act + obj + act + P + [illegible] + obj + time + act + distance.

P + Act + env obj + act + being + act + env + kind + being + with ref / act + obj + way / state + beings / P + act + act + act + obj / abstract formation.

obj + placement + environment side + environment side + action + actioned obj + reason + act + prevention + action + state

P + act + P + act + obj + state + obj.

Obj + action + act + abstraction + placement + P + env obj + env obj

P + time + Act + amount + amount + obj / distinct + action + amount + reason + act / Reason + time + P + act + P + act.

Opener (And) + P + way act + P + reason / ender.

Opener + P + act + obj.

Time obj + abstraction + of Obj + time ref + Env place + weather + action + placement + obj + act + act + place + adjective + P + action (passive) + environment type + act + act + being + abstraction.

P + Action + Place + Environment.

Type of + object-action ⟶ relationship.

Act + Placement + Being + Act.

P + Bd part + with obj + action + direction + [timeline [illegible]) + action + obj + [illegible] + P + act + Bd part + direction + obj + act + obj + direction + action + place + action + place (environment).

Obj + of Obj + time + act + and act + type of + being (P + of obj (fashion) + obj - P + 2nd material + obj + part of obj detail + carving (modification) + modification - obj + environment + kind of P + ~~kind~~ KOP + P + time + type + P + function + place + act + KOP + fashion obj + parts of env + environment + previous obj ,, + obj + P', + obj + # reference + modification + [illegible] + detail of movement + environment + place + placement + part of + named environment.

P + ACT + INTENSITY + ABSTRACTION (BELIEF)

Abstract + act + NEG + intensity (power - electricity) + Fact + act + P.

Person + Act + Expression (multiple) + of abstraction + P + Act.

Animal + Person + Time + Limit + Obj (state) + env.

WAY STATE + but Obj (ability) + comparison + being + obj + env + obj

P + ACT + TYPE + B PART + IN + ENVIRONMENT + WITH + BEIN
ACT + OBJ $\overset{\text{and}}{+}$ ACT + OBJ + NEG ACT + ACT + MODIFIER

P + Act + Act + P's B part $\overset{\text{of}}{+}$ Act + State.

P + P + A + STATE (way).

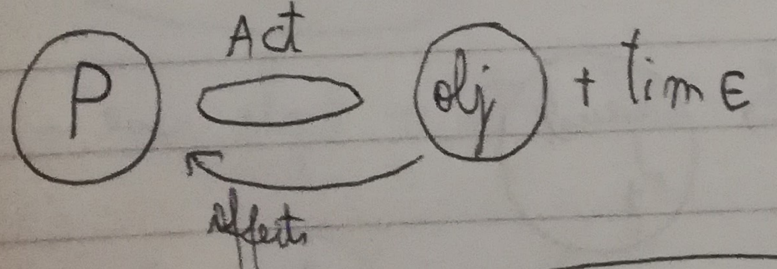
Reason + Person + Action + Reason + Action + P + P + P + Act + being
+ Reason + Act + Act + Abstraction + Being + Being / Env.

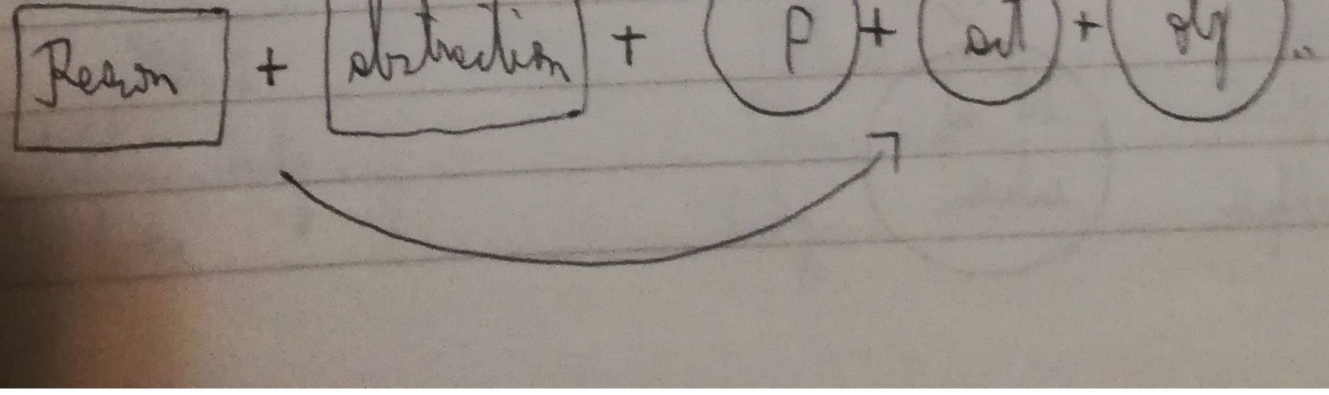
P + Act + state of act + / P + Act + P'$_s$ + BP.

P + ACT + lack + ACT + POSSIBLE ACT + state of ACT + ACT + Obj.

T → (O + N + Tx2 + P + A + Mob + comparison + P) + P + NUMB + Act + Direct + Environment + ~~de~~ placement + ENV obj + → obj + obj + obj + Event + obj + specific kind of obj + placement + Environment detailed obj + part of room + obj + Feeling name ? + part of Env + obj + ~~bed~~ location placement obj + action + action + type of action + obj + part of ~~the~~ environment + obj.

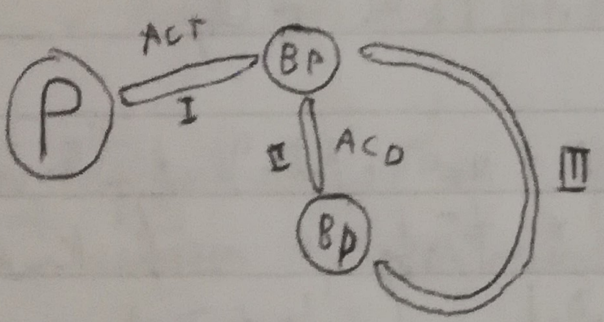
P's + being + action + body modifier + negative + body modifier.





placement in relation to
ENV + in ENV + env part + type of geological env + (way of being add.
+ P' + obj + env +
Specific place + env obj + placement special obj env + electricity (element - sc) + distraction
+ modifier -ria + act upon obj] + placement
+ obj + placement + PLACE + action + comparison + FACTION + being + + action + P +
action + action + action + (specific obj action - continuum) + modifier - both
action + action - pose + action + action + type of + atmospheric modifier +
+ duration of + ability (element + ENV + action + action + placement (in relation))
action + reason + P' (multiple) , faction building . + P + FACTION PLACE
MENT .

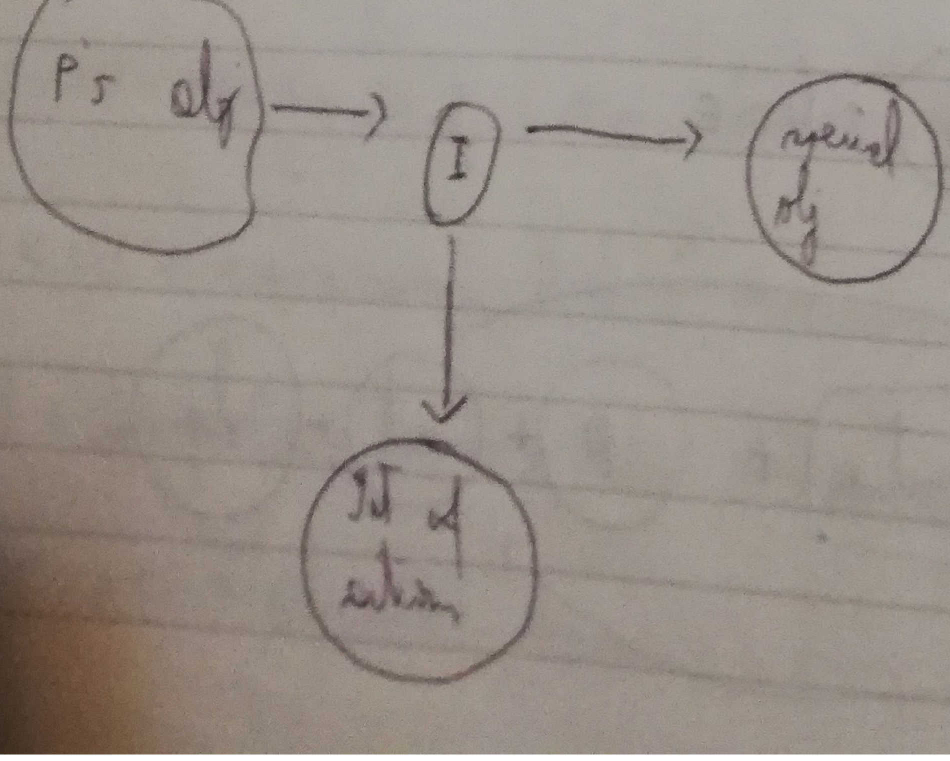
P + Act + P's + body part + BP's motion / dir + P's BODY Part + ~~not~~ following action + BP's + state .

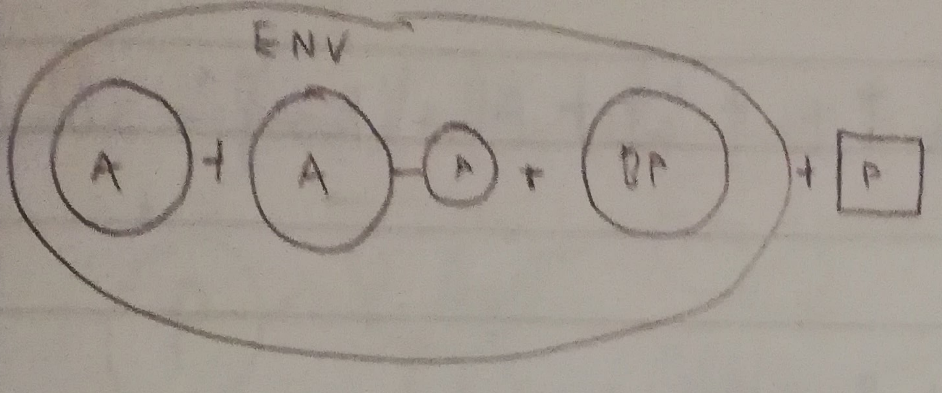


Action ⟶ Action directed

One sentence:

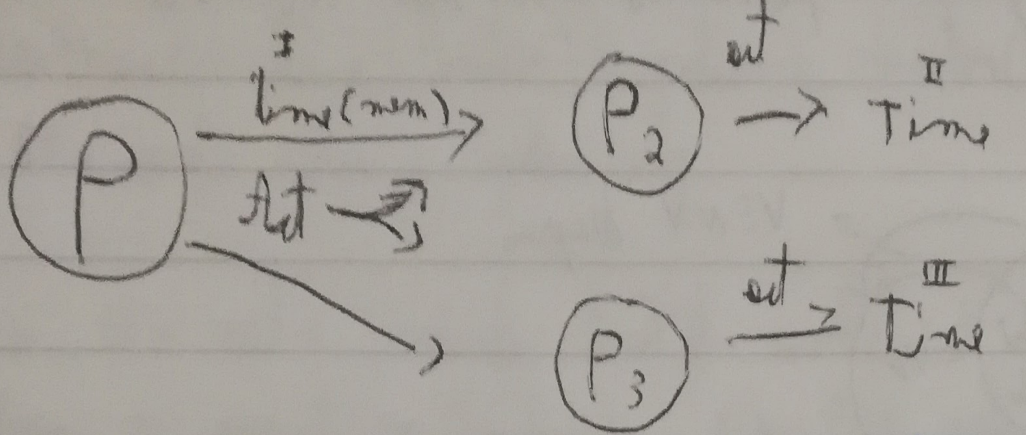
[Text on side of + P's + obj + belonging, reason of existence + special object . + Multiple P + act + P' + act + time ref (reason + faction →]





P + AJ + P_2 + (Act + expression - obj.) + A_{J1} + P_3 $\overset{act}{+}$ A_{J3} (time)

3 P


P
I
time (mem)
Act
P_2
act
II
Time
P_3
act
III
Time

I Time = memory

II Time = exp - reference

III Time = exp - reference

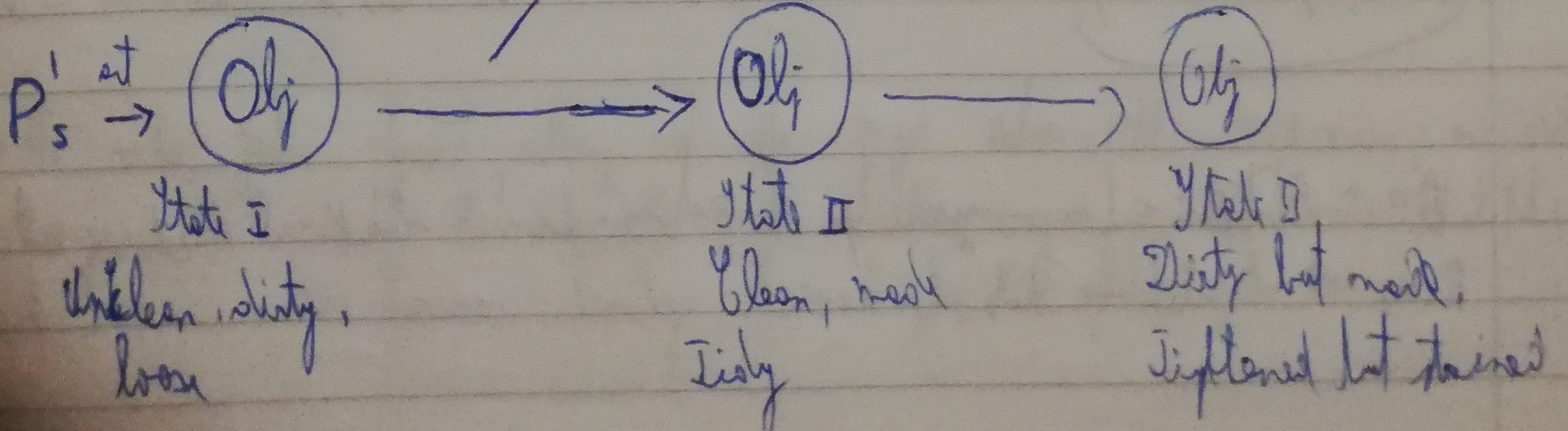
Object type + of obj.

P + act + BRAND + obj + obj + ~~tim~~ Obj [Time + obj - modifier + fiction] obj + placement + environment obj + reason + reason + action + in + [obj + detail + act + obj + action + action + way (act)] + type of + BRAND + made out of + obj + obj ~~act~~ + out of ENV + P + action + location (placement) + act - continuous + obj + obj + sound + action + obj - location.

P + act + type + P + action + obj thus + obj.

P'_5 + environment obj = [+ act + (of ownership) + obj (objects) + modifier of obj)]

P'_5 + env object + act + state + state + action.

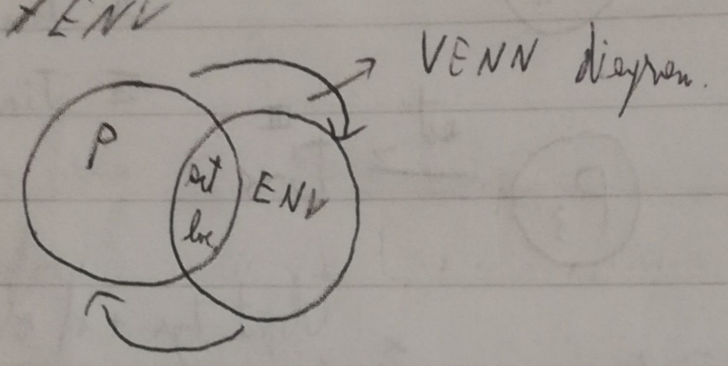

P'_s
act
Obj
Obj
Obj
State I
Unclean, dirty,
loose
State II
Clean, neat
Tidy
State II
Dirty but neat.
Tightened but drained

Objooo, + Act + state $\overset{to}{+}$ P + Reason + P + act + P + (kind of $\overset{+}{\rightarrow}$ abstraction feelings)

P + P + act + act + P + act + act +, act + P + act.

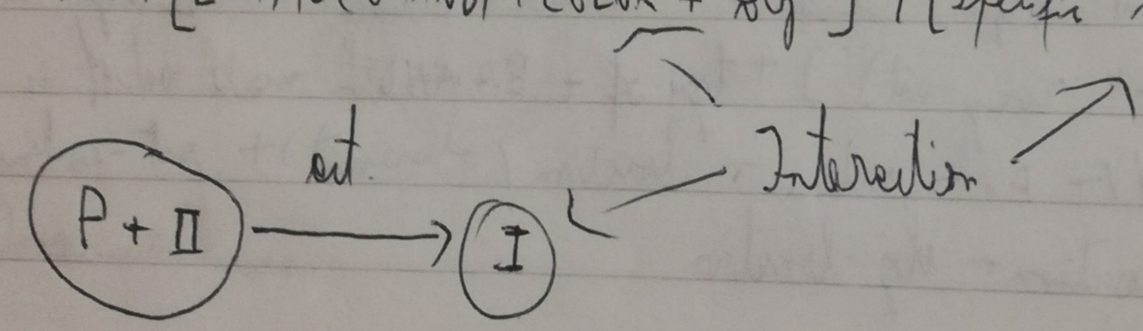
Jonathan, he was the reason for the killing that resulted in the death, Janet Allen's expulsion, blood drawing, his patricide and his eventual suicide.

P × Act × location × ENV



II I II

P + act + [NAME(BRAND) + COLOR + obj] + [Specific side + of + Body part]



P + act + way + env direction.
↓
modified (not modifier)

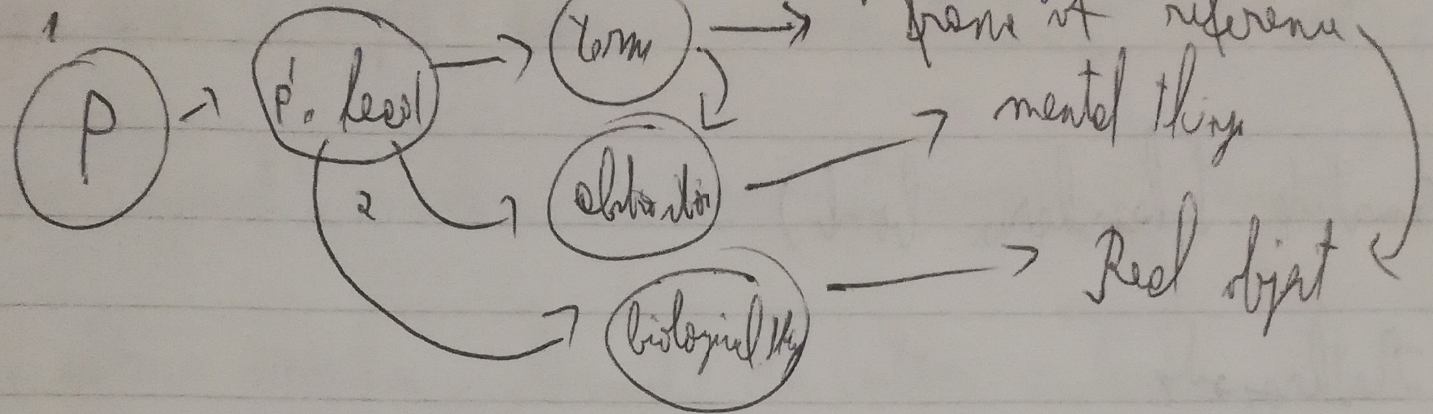
P = in relation to environment
(placement → implied)

Intensity + quality → action dependence + act + act.

P'n + Abstract + action + quality of action + weird + abstract + P + act + act.
Body part + attach + [illegible]

1 2

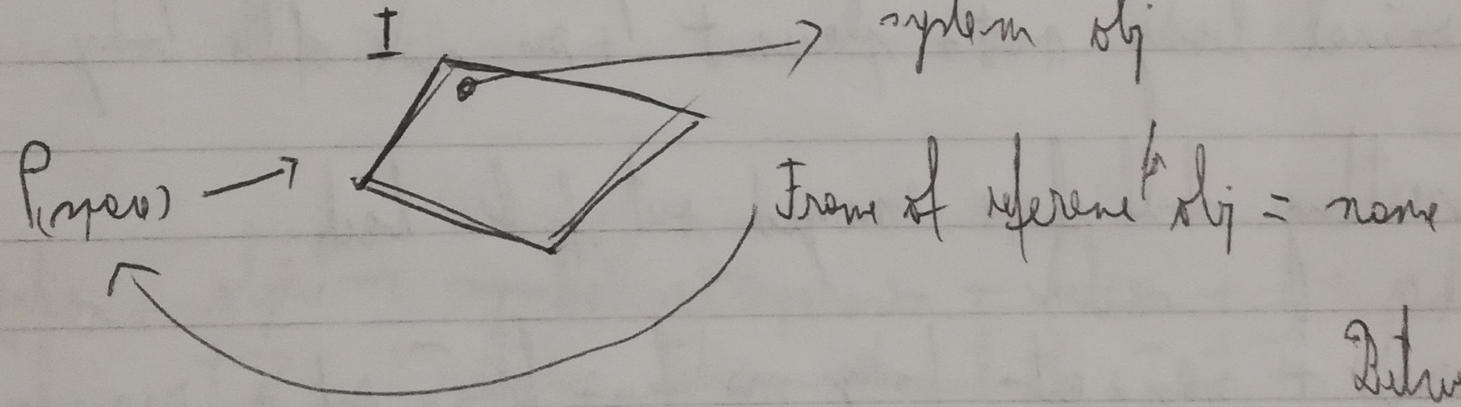
P's + frame of ref + abstraction + Biological thing + term (defined)

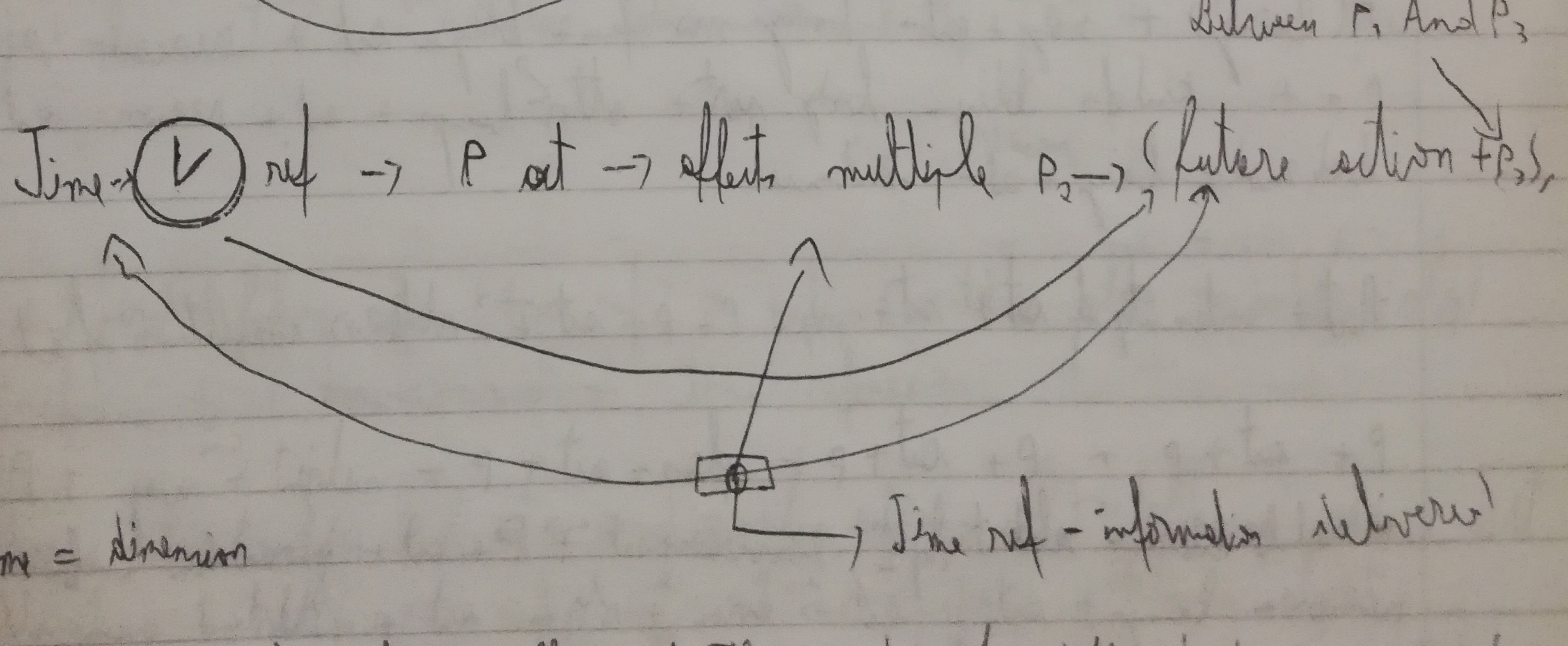

1
P
P, level
2
term
abstraction
biological thing
frame of reference
mental thing
Real object

P (pseudo)

I (Abstraction (name) + term (location)) + action + number (effect) + key point + complete built + BP - specific action + system - obj

II Time ref + P + act + specific kind of modifier + P + final action + P + act + P + location + count (multiplier) + P + Abstr name + action + obj (class) + act + abstraction


I
system obj
P(space)
Frame of reference obj = name


Between P1 And P3
II
Time
V
ref
P act
effects multiple P2
(future action + P3),
Time ref - information delivered

Time = dimension

On the ride, John started rolling out the mad eyes of the dead men, in order to conjure the ride of the ... just so the king would know that the dead men were ~~becom~~ slowly turned into ... guts

Shape → part of it (moult)

↓

Parasite (Nematode Sphaerularia bombi)

~~Arto~~ Arthropods

P + act >

Humanoid shape /

Being + act + head modifier + type of being + outer body part (in the bed
+ arm / legs modifier + outward body part.
Anatomical body part + placement + on side of the body.

wor

A writhing skull shape emerged out of the bed.

P(being) + way + act + body modifier + being + act + reason → P + act
P^n + kind of + being + body part + other being + act + reason = act +
body mod + being + act + distance.

Act + intensity of act + act + way + P + P + act ± → state or completion of act.

P + act + P + P + act + P + place + act + P + subject + way + P + act
+ while action + abstract obj + in environment ± P + act + direction + body part
reason + beings + acts + act → errors + obj + act + Abstract name + direction

Obj + entity + actioned upon → modifier.

P/P + action + P + actioned ± → body part (modified by act) + act + result of

(route)

P_2 + action I + modifier (action I) $\xrightarrow{+}$ by body part/s + BP action + while + P_1 + act + being + action$_2$ + object + action$_1$ + environment role $\xrightarrow[\text{in}]{+}$ sur (part) + by it (loc. placement)

Scene (type of) + action (in regards of experience) $\rightarrow$ + hue $\xrightarrow{+}$ color

P + action + direction – placement + P + (action (similar)).

P + act + abstract modifier + time reference – to other.

P + act + reason + abstraction (modifier) + reflexion + P + action + act.

words Special beings + time reference + (SB + act + act + interaction) → act $\xrightarrow{+}$ env. obj
2-3 2-3 5-8 1-2 1-2

+ Beings
1

P + action + object → symbol comparison + fiction + P + act + environment obj $\overset{\frown}{+}$ placement $\xrightarrow{+}$ (in relation to) environment obj + act $\xrightarrow{+}$ place + reason.
reason

P (first pers) + future action (time ref.) + action + cont) + obj + modifier (obj) in reference to + environment + time reference.

Opener + act + way + P + act + mind modifier + time ref $\xrightarrow{+}$ following action + act + duration + reason + P + act + act + act + direction + adjective + object + (environment + action) + P + ~~foot~~ location in ref to + Environment + state + abstraction mod + (expression + (act + act).

Pers (named) + action + obj + P / P + action + (action + complex action in reference to first sentence action) + Environment [illegible], + ENV + lines + P + a[illegible]: P.

Formality + act + cont,

Ref to first sentence + P + act + kind of act + quality of act + ref to reality + quality of act.

(P + and modifiers = body frame adjectives + P) + action + F' place → action (body [illegible]

+ act + act F' thoughts + act + P + act + P + silence + [illegible] ↳ indirect reference to type of act

P' + [Body part (not included) modifier + condition] + Action + state they are in.

Obj / Situation + act + P's + stature (proportion in reference the frame)

P + act + (way of action + act + act modifier + reason + P + act + reason.

(Pers (N) + cont act + multiple obj +) + placement in relation to P + and other obj

↓ →

P + cont act = Implied usage of body part → in relation to object

P becoming perspective and obj in relation to second object.

P + act (past) + obj + (repetitious reference to past action)

P walks to obj → Implied presence in the environment despite not distinctly mentioned.

Env + possible action + multiplier-act +: obj (abstract) + being)

Env ^{I} obj + observation (I) + multipl: one side (part of obj) -> from the point of view + of being + act + part of env + one side -> P + act + other side of the env.

-> Env obj / place -> represented from multiple points of view

Person interacting with object, body part towards second Person, before making, performing interactional gesture with body part towards another object.

T+P + Act + and description of act mechanism + modifier.

The + profession $^{(P)}$ + body p. + type of (speed-motion) + action + direction + rest + position in ~~report~~ report to skull / bx + (obj).

P + acts + env. obj + action + being $\overset{and}{+}$ act + being + ~~act~~ act + state + act + state.

P + acts + ~~Being~~ Being: obj + body part + act + p. + obj2 direction.

Obj + action + direction.

Obs. work on the relationship between one object and multiple sentences and their interaction.

N.

One by one is one. Two by two is two. Eighteen sixty four by seventeen hundred thousand is —

Eighteen is made of one and eight, sixty four is six and four

Part + Part + Part + attached to part. + deformation + shape.

1. Person + interaction enacted → environment upon which → previous interaction took place + act + expression / smile + part of env (II). → (Second sentence in relation to first one) = Time ref + P + action + ref (time) – new obj in ref to env. → (third sentence) → Adjective (involved) colored + side of Obj + act (interaction) + larger environmental obj with modifier plugins

Modifier plugins $\xrightarrow{+}$ object.

Sun-lit, sun light touches stone (pearl, obj), causing it to gleam.
Light bounces off objects, stone, creating shades.
Soft stone melted by sun's heat.

Sun → causes heat → melts → frozen object.

Sun freezes object.

P + action + direction + action + action (cause of P's state).

P + (comparison to + degree of comparison) → act + object of comparison (second P

P + Bp + condition (BP modifier) + × 2 – two types of modifiers ex adjective
is + POV / field of vision – action + distance (environment) in relation to P.

(P) bounces senses in relation to environment. (1st)

P + act + direction + in ref to second P.

The (type of P) + action (ownership) + expression - abstraction (state) + for type of P, P + act

~~P +~~

The + MA (main actor) + abstraction (position of power) - [illegible] + action + MA + action + SA + action (SA) + obj (action) + obj (action) + abstraction - metaphor - (reason) for act + abstraction + MA + action.

Main actor, second actor, third actor.

MA + Act + MA's + BP + ACT + NUMBER + ACT + DIRECTION (DIR) + SA.

Opener + Modif (appearance) + P's + body part.

Type of + emotion + act + location + time ref + ender (expression)

P's + abstraction + action + placement of cloth + Body part + and P + act + expression + action + state of act (continuum) + P' + reference + environment + location + act + act + simile - Body mod + P + action + kind of + Body mod + act + abstraction - simile.

P + act I + P II + being II + act II + P III + act 3 + Obj 1 + obj 2 + obj 3 + act 4 + time ref 1 + reason (because) + P4 + act 5 + dir 1 + P5 + being 3 + (P 3-II) + act 6 + P + (interjection) + reason 2 + P6 (SA) + act 7 + act + (being 2-II) + act 8 + abstraction + (being 2-II) + obs 1 + act 2 - comparison + act 9 + simile 1 (few words) + BP 1 + [Person 3] + act 10 + P + way of act + simile 2 + (being 2-II) + simile 3 (not well [illegible] kind of back-handed compliment) + act 11 + abstraction 2 + [illegible] + P + [illegible] quality of (ref to obj) - overall taste - adjectives, adv, or similar thing) + Obj +.

Choice (OP) + P + neg act + time ref + P_2 + act_1 + reason + act_2 + way (bad, good, worse etc) + P_2 + neg act + P_2 + act_3.

Special action clause.

Act + P(being) + abstract comparison to P'_2 frame | Act + dir + P_2 + BP + act_2(BP) + ...
for act_3 + BP-abstract + act + time ref + solution | P(abstr) + act_1 + P + act_2 + source of ...
P(abstr) | Obj (act-abstr) + P + act + P_2 | Neg act + P + act.

Env + act_1 + P + act_2 + abstr obj + P + act_3 + ⟋ Obj (of act) + act $\overset{\to}{+}$ obj ∧ Subst(obj, ...)
+ obj + placement + obj_2. ∧

Op + obj $\overset{\to}{+}$ act + dir $\overset{\to}{+}$ P + res + obj → action.

Op + time ref + prof + P_1 + P_2 + action + $\boxed{P_3 \overset{\to}{+} action_2}$ $\overset{\to}{+}$ P'_1 + obj.

P(MA) + $\overset{\to}{action}$ (expression-abstraction) + act_1 + SA $\overset{in}{+}$ placement + location + ENV-specific laws.

The + ~~Steps~~ Type (abstr) of action + time ref + number + action = ———

Act + $\overset{\frown}{being}$ + $\overset{\frown}{P + being_2}$?   Act = BEING = P + $BEING_2$

o o o

Act + numb + act_2 + reason + P'_2 + act(prof) + act_3 + intensity + time reference + in relation to + P + act_4 + act_5.

P + action $\overset{\sim}{+}$ env obj.

1. Time ref + event(ref) + action | P's + obj/being/relative + action
ref to 1 (implied)

V$_1$ + P + act + P$_2$ + P$_3$ + reason + (act$_2$ + act$_3$) + P$_2$ + all P + P's + Env + loc in env. + P + act$_1$ + P$_2$ + act$_3$ + new act + being + act.

P + act$_1$ + obj + number (of act$_1$) intensity + act$_2$ + act$_3$ + → direction in ref to + act$_2$ + intensity$_2$ + act$_5$ + → obj$_2$ - abstr + act$_6$ (taking) + act$_7$ + dir$_2$ + type of + P$_2$ + adj + body modifier act - state + act$_8$ + dir - in ref. to ENV → act$_9$ [obj - BP - being, + passive act + dir - comparison + state) - falls apart there.

Environment device = it could be anything coming from ENV.
ie.

ENV DEV = The bird sounds, the fauna, sliding

Env dev + obj + time ref + time ref (env) + act + abstract obj + obj + ENV build + named.

P + act + P + ~~+~~ act + act + ~~E~~ obj (env) + time ref + abstr + obj + , [illegible] + act + act.

d Named obj + act + → quality of obj (or abs.) + ; P + act$_2$ + obj$_2$ + act$_3$ + reason + P$_2$ + act$_4$.

I. Action + → obj + (of act) + reason (for act - few verbs, adj combo) + ~~abstr~~ act$_2$ + adj + abstract obj + time ref. → first sentence.

II. Ref to first sentence (Abstr obj - (Text) - one word) + act + passive act$_2$ + confirmation. | Adj (prep + verb + other) + passive act.

P + act + reason + act$_2$ + reason$_2$ + P$_2$' + → obj + reason) + act + P$_2$' + abstr obj comparison + P$_2$ + action.

Abstract obj more volatile = philosophy, science, craft, profession.

P + $\overleftarrow{P_2}$ + action + ref + env + Bod$_1$ + abstr. obj.

P + self explanation (SA + special act) + passive act$_2$ + act$_3$ + direction $\vec{+}$ of obj +
act$_4$ + inst + $\dot{P}_2$ + P_1 + obj$_2$ + special placement - abstr + way (state) + P_1
+ act$_5$ + time ref + social abstr (womanhood - time ref + biology) + time ref +
obj (BP) $\vec{+}$ obj modifier $\overset{+}{\to}$ adj + intensity of modifier (depending on obj and action
relative to physics of obj) + reason + event + action 6 + kind of view of + being
part / obj$_1$ + intensity of + kind of view + some referenced body part / obj
+ P_2 + int + BP + placement of BP (or how they act) - the BPs + quality of BP / obj
2 + action 6 + location - placement + quality$_2$ + abstract obj - physics + obj$_3$ +
anything else referenced + act$_7$ + Old + location / environment + abstraction + obj - special) ·
sound, + quality$_2$ + ref + comparison + reason + action 8 + time ref + jargon - day
- expr.

P + BP + COLOR + SIZE + ACT + P_2 + POSSIBLE ACT$_2$ + reason + abstr. obj + ACT$_3$
+ ACT$_4$ (passive) + P_3 + of ENV - LOC + ENV$_2$'s + abstr (stuff) + abstr. obj$_2$ + obj$_3$
+ act$_5$ + act 6 (gen) + reason + quality$_2$ of + act 7 (passive.

$\dot{P}_5$ + Obj$_1$ + action $\vec{+}$ way + action 2 + expression + expression$_2$ + abstraction (field of study
+ P_2 + action$_3$ $\vec{+}$ P_2 (implied, in P_3) + act$_4$ + expression$_3$ + loc + order of actions
+ act 5 + act 6 (passive) + reason = act 6 (Obj) + P + act + Obj + P +
P_2 + act → obj + expression$_4$ (state - way) + P + act$_7$ + obj (disposed of) + abstr.
act$_8$ + placement + location - in ref + to obj + time ref + act 9 + type of being +
act$_{10}$ + abstr → in relation to + ENV + P + expr + act 11 + reason $\tilde{+}$ expression
rather than + reason + action - in rel to + BP + act 12 + P + time
ref - P', being + ~~P~~ P' + P_3 + BP $\overset{\sim}{+}$ comparison + act$_{13}$ + quality + act 14
+ dist + time ref + reason + P + act$_{14}$ + direction$_2$ + P4 + act 15 + P +
quality + act$_{15}$ + act 17.

~~p + act + (remind) +~~ P + act + intensity - comparison $\vec{+}$ P_2. Or + abstr (OP) $\vec{+}$ ENV + act + act_2 $\vec{+}$ intensity in rel. to act_1 + (while) - intermission + P + quality - comp + P_1 + P_1 + action + being + ind 2.

p + act + x

P + attempt at $\vec{+}$ action + intensity (in terms of vastness) / strength + act_2 + reaction - expression - abstr obj + act_3.

○ {Opener + P (multiple) + act + expr (context) + act_2 $\vec{+}$ abstr (hobby, profession, etc) + $\underline{abstr_2}$ [$\vec{+}$ in reference to + P $\vec{+}$ Implied + kind of + level of abstr - (in respect to $abstr_2$)] + act_3 + intensity of + $abstr_3$ + } - first part of sentence

{+ (while - at the same time) + P + act_4 + comparison + placement $\vec{+}$ ENV (place). } - second part of sentence ○

The + $\underline{P}$ $\vec{+}$ act (passive) $\vec{+}$ quality (of $\underline{P}$) $\overset{in}{+}$ $\underline{P(2)}$, [other ref] + thought (inner monologue) + P_2 (second person) + Q A (P_2) + act (passive) + (and) + act I + P_3 + intensity $\vec{+}$ $P_3(2)$ - (his) + Q + $(adj)_3$ + (abstr (wealth / country)) ——→ / abstraction (physical) + reason + P_2 + thought

Direction + physical env - obj + caused by (made into existence, will) $\vec{+}$ obj_2 + abstr - physical obj_2 $\vec{+}$ (group of) + type of + abstr obj_3 $\vec{+}$ made of + colors $\vec{+}$ degree of + abstr obj - abstr obj.

Act + time ref + act + abstr reason + act_2 + neg act_3 + act_4 + abstr - meaning 1.

Act + reason + (~~for~~ act done by or for that) - passive act_1 + neg.

(P + act + (obj mod + mod$_2$ + color + mod$_3$) $\overrightarrow{+}$ obj + P'$_2$n + BP $\overrightarrow{+}$ [act directed),
specific part of + (mod$_2$) + mod 4 + part of (side-state) + (inside of
color$_2$ + placement of BP) + state $\overrightarrow{+}$ + act + obj) – in BODY lang

Act F' obj mod $\overrightarrow{+}$ obj$_2$ + act$_2$ + obj$_3$ $\overrightarrow{+}$ placement + P'$_1$ + P (taller)'$_0$ + obj
+ time ref + obj$_2$ $\overrightarrow{+}$ in relation to + obj$_3$ of + p (named + p)

Time ref + P + act $\overrightarrow{+}$ – while → neg + act$_2$ + time ref + act + P + obj (in possession

P+P ; P+P.   Obj $\overrightarrow{+}$ act $\overrightarrow{+}$ obj$_1$ + obj$_3$ + act$_2$ + BP $\overrightarrow{+}$ P'$_1$ + BP$_2$ + act$_3$ + etc.

1. Abstraction - emotion

~~Reason + BP(state) + state (~~ Physical-abstraction + ~~Ent~~ ~~Entry~~ Implied state +
~~Physical~~ being (P) + being (P$_2$) + (specific kind of) $\overrightarrow{+}$ act (mod) + reason, *
+ type of + BP-placement + QA + being (P$_3$) + obeying action + passive-
QA $\overrightarrow{+}$ (obj + obj$_2$ + action$_2$ (pos$_2$) + required of) – in relation to + state
(emotion) + continuum (cont) + (state) + state-QA + being (P$_3$) + Physical
abstraction$_2$ + Implied state$_3$ + being (P$_4$) + QA$_1$ + neg + QA.

3. Abstraction emotion.

The + (state - behavior)$\overleftarrow{x2}$ time ref (prev - bel) + (state - beh$_3$) + P + the +
(state - behavior$_4$) + Bod Mod + P'$_2$ + the + passive act + part of obj $\overrightarrow{+}$ obj
passive act$_2$ + state (social) - interaction $\overrightarrow{+}$ state (type of) $\overrightarrow{+}$ relationship to
P being and P + passive act$_3$ $\overrightarrow{+}$ [specific adjectives, nouns and expressions
+ (in regards to') $\overrightarrow{+}$ (specific type of) being (P$_4$ + types of + act + +
state of + obj$_1$ $\rightleftarrows$ obj$_3$ + act$_5$ + intensity + comparison (few words

Abstraction - physical / bodily thing / motion

Abstraction - ~~phy~~ psychical (emotions, mindedness

More abstract objects are derived from the abstraction, or appraisal of 'concepts'.

Study the relationship between multiple sentences:

Time ref (continuous) + P $\overset{+}{\rightarrow}$ act + condition (TR-C) + act$_2$ + time ref$_2$ + act$_2$ + P$_n$ + obj. ●1   2● Time ref (continuous) - call back 1 + P + act $\overset{\rightarrow}{+}$ abstr. obj + obj$_2$ $\overset{\rightarrow}{+}$ obj$_3$ (in rel or connection to obj 2) $\overset{\rightarrow}{+}$ out of (placement) $\overset{\rightarrow}{+}$ obj 4. ●2
3● Time ref (cont) - same OP - call back$_3$ + P + act + out of (place)$_2$ + OP + remains of + obj$_3$ (in rel + first O) + method (act) $\overset{\rightarrow}{+}$ act + mod + ~~ot~~ obj + second mod + obj (place) $\overset{+}{\rightarrow}$ obj 4.

P $\overset{\rightarrow}{\underset{c}{+}}$ P + order of $\overset{\rightarrow}{+}$ act $\overset{\rightarrow}{+}$ act$_2$ + abstraction (~~ph~~ psych) ×2 + passive act $\overset{\rightarrow}{+}$ reason + ~~ro~~ order of act 2 + act$_3$ + reason$_2$.

P + action + action$_2$ + intensity + P(2) + act + P(3) + way of act + act$_2$ + obj $\overset{\rightarrow}{+}$ act$_3$ + (during) + action 4   + dir (in rel to own) → obj 2

P + ~~passive act +~~   P + act $\overset{\rightarrow}{+}$ reaction + act$_2$ + complex act (involving mult + abstr. obj $\overset{\rightarrow}{+}$ ref to it + reason + act$_3$ + multiple $\overset{\rightarrow}{+}$ acts 4 + reason for + abstraction (emotion):

P ties them, relationship between actions.

P $\overset{c}{+}$ (status) + action + P'(2) + P$_2$ + P$_2$(2) + time ref - number ~~now~~ second: prim. act - prim + act + obj (own) - placement + LOCATION$_2$ ×1$_2$ + passive act.

$p_1(3)$ + p3 + act + p4 + name obj + (title +) + location ([illegible]) + name [illegible] obj.
loc + abstraction (novel) + pers v + action + obj + abstr (weight) + action.
action + obj (P).

Explaining an abstraction with another abstraction:

(Reason + act + p + action$_2$ +) abstraction ⇄ abstraction?

P(1), P(2), P(3), P(4) → multiple formulas for the same being.

$$\sum_{a=1}^{4} a = act_1 + act_2 + act_3 + act_4$$

(MOD = R, P, T, Abs) + ⇄ $\sum_{a=1}^{4} a$ = Reason + act$_1$ + P + act$_2$ + T + act$_3$ + ABS + act$_4$

$\frac{M}{\sum_{a=3}^{?} a}$ (P - P$_2$ + ( ) + BP - PLACEMENT → BP - placement$_2$ ⇄ P$_2$(3) +

P + act + act$_1$ + P$_1$ + P$_2$ ⇄ (P_3) → special class being

Class objects:

Abstractions

~~Utyz~~ Objects = solid things, physical, ~~$~~ usable for construction

P = made of name, specific

P (Profession - related to physical expertise (environment) - multiple words/titles - special class - IMP (for interaction) + action (complex - related to env) + act$_2$

to prof) $\vec{+}$ in relation to abstr obj → named (P_2) - Obj $\vec{+}$ | Named abstr$_2$ - term, company (faction, network (abstr - network) $\vec{+}$ intermissions + (abstract day + for abstract modifier (morality - action) → ACT - special) + Network of concepts - abstr.

$\dot{A}$CP P($\dot{A}$) - (feudal title) $\vec{+}$ (title in ref to) Obj (types) + $P_{(2)}$ + act $\overset{+}{\Rightarrow}$ P_2 + Modifier - obj (color, via color + adjectives) ~~+ origin $\vec{+}$~~ + Obj$_2$ + origin$_n$ + ~~Of~~ Obj (greater size)$_3$ $\vec{+}$ $\dot{A}$ + obj + (type definer) + obj$_5$ + act$_2$ + negative + $\dot{A}$(QA) + $\dot{A}$ obj $\vec{+}$ [P($\ddot{A}$ - obj - ~~continue~~) + referenced) + act - complex as to signal reason + $\dot{A}$ modifier + $\dot{A}$ (+ specified) + origin$_{n2}$ $\vec{+}$ order + ENV($\ddot{A}$ - special env - in relation to Obj)

Obj class, animal.

BP + act (possessive) + QA of +, ~~AAob~~ modifier + animal object; $\dot{A}$ - ref to + animal obj's BP $\vec{+}$ act + (AO's BP) $\overset{+}{\Rightarrow}$ Obj + reason / way of AOBP - bearing - Obj + act $\vec{+}$ direction / placement - caused by act $\vec{+}$ placement ~~in res~~ of AOBP in respect to BP$_{2+}$ belonging to ~~Ba~~ P $\vec{+}$ placement of P + reason (act) + involving $\frac{BP}{?-P}$ BP - 3P + act - in terms of OP location $\vec{+}$ in resp to B.P 4 P (AOBP and P's BP) - main actors.

BP ≠ BP4P

$T_1 <: T_2$ means that T_1 is a subtype of ~~T:~~ T_2

$Obj_1 <: Obj_2$ if Obj$_1$ is a tennis ball, Obj$_2$ ball/sphere

$x \vdash y$ derivable Hand* + finger, talon.

Human frame ~ Statue ~ Animal (monkey)

$\perp$ = comparable.

BP + (throat cylinder)

$$\frac{\text{BP(arm)}}{(\cancel{\text{strong}}\ \text{EL} + \text{def})(\text{EL} + \text{act}}$$

$$\frac{\text{BP(arm) head} + \text{throat-actional} + \text{wing(act)}}{}$$

Arm, throat wing

P + action +

$$\frac{\text{P}}{(\text{mod}+\text{BP})(\text{mod}+\text{time})} + \frac{\text{act}}{(\text{mod}+\text{time})(\text{mod}+\text{reason})} + \frac{\text{obj}}{(\text{mod}+\text{reason})(\text{mod}+\text{BP}}$$

$$= \frac{\text{P}(\text{mod}+\text{reason}) + \text{act}(\text{mod}+\text{BP}) + \text{obj}(\text{mod}+\text{time})}{(\text{mod}+\text{BP})(\text{mod}+\text{time})(\text{mod}+\text{reason})}$$

p + act + obj + mod + BP + mod + time + mod,7

NoC = network of concepts - systems - N = named =
Food factory = employees, ENV OBJ (the building itself.)
↳ derive meanings and interactions from it,

Inior event in ref

1. Being^{P}(S) + plc + ENV-N + act $\vec{T}$ [act + impl - change in body posture - depending on plc of B(S) - different imagery - the ref event - sitting].
2. B(S) - P + act$_2$ + (desc) + time ref (age), + B mod + BP $\vec{T}$ act + comparison + Bmod result + wy/(pos B mod obj + QA (Ȧ) + Ȧ - behavior $\vec{T}$ implied by BP + act$_3$ + reason + act 4 time - date $\vec{T}$ P2.
3. P + acts + act6 + QA$_i$ + ref + way (Ȧ).

Ob Ing of screen + from sample

ofr O

Long + tim ref + P.

$\sum_{a=201}^{⑳} A$ / ② numb + Ȧ-(writ - phys - psych) $\vec{T}$ Ȧ(a). Numb(Ȧ-obj) $\vec{T}$ origin (because obj) $\vec{T}$ P + (Ȧ - prof) + ③ + ④ | P$_2$ + ⑤ $\vec{T}$ Ȧ(P's mod) + Ȧ(though - P$_2$) + 6 + lack thereof (Ȧ-P$_2$) - neg Q + $\vec{T}$ CONTEXT/REASON $\vec{T}$ VACUUM of $\vec{T}$ event (contains all actions/interactions within itself). Ȧ(P. thought)$_2$ + P$_2$(example) + 7 + time ref + time frame created (VACUUM) $\vec{T}$ QA$_2$ $\vec{T}$ of + 8 $\vec{T}$ progressive advancement of QA $\vec{T}$ applied to ENV (VACUUM) - somewh at related to the real world. P + 9 + Ȧ(dangerous though)$_3$ + EMV modifier + 10 + En intensity of mod + ENV-N$_1$ + ENV-N 2. (- RL) - both.

PF'(des of P - being) + act $\vec{T}$ direction.

Affected reg $\vec{T}$ P$_0$ + BP$_1$ + BP + BP$_3$ + off reg - P - n Ents re risk + act $\vec{T}$ mod/eff.

P + act $\vec{T}$ obj $\vec{T}$ in rel to ENV obj + act$_2$ $\vec{T}$ obj + in rel to → ENV'n + ENV obj $\vec{T}$ placement of + ENV mod $\vec{T}$ P's + env obj

∴ therefore

∵ because / since

p!a= act·act·act

$(\sum_{a=1}$ ∴ + 1 $\vec{+}$ (almost-attempt) $\vec{+}$ a $\vec{+}$ p $\vec{+}$ p_2 +n ?

Ȧ(interv-mouth) + p $\vec{+}$ p(2) + act (loc) $\vec{+}$ E-n + [during first act] - divided - order of act + Ȧ(implied - ~~act~~ - pers act - mod + p_2 + act 2 $\vec{+}$ p(3) + act 3 (caused by act 2) $\vec{+}$ Env mod + Env piece (school building) + p(4) + ~~act + 4 +~~ ~~act 4 pers~~ pers act 3 + act 4 $\vec{+}$ reason for act - Ȧ → implied in brevity,

Part a act $\vec{+}$ order (act-placement-p) + p(class of Being) Ȧ + Ȧ place - time ref (few words) + p(a)+ act 2 + p(3)+ act 3 (wait) $\vec{+}$ Ȧ - mental modifier - simile - ref to event $\vec{+}$ caused by $\vec{+}$ ref to time / event 2 + ~~order of~~ reason + act + p + act $\vec{+}$ reason 1 (Q+) of act $\vec{+}$ comparison class of p (Ȧ) $\vec{+}$ (in context of Env - Event i.e conflict) + Ȧ - named NOC (network of connection + (order of act) - time ref - p + act + specific occupation of $\vec{+}$ class of p (Ȧ) - till $\vec{+}$ specialist on $\vec{+}$ Ȧ (simile - fashion) $\vec{+}$ origin $\vec{+}$ ref to Historical event.

(Obj) + p(o) $\vec{+}$ placement $\vec{+}$ E p_2 + ENV) + Obj modifier - texture +

$\dot{A}$(pigment-mood) $\overset{+}{\leftrightarrow}$ condition + while + P + neg (pos oct + $\dot{A}$(pic mod 2) + P(a) + oct$_2$ $\overset{\leftarrow}{+}$ QA of Act $\overset{\rightarrow}{+}$ time rel ∴ → $\dot{A}$(pic mod$_3$) $\overset{+}{\Rightarrow}$ time ref.

P $\overset{\rightarrow}{+}$ stature $\overset{\rightarrow}{+}$ placement + P(a)'n + $\dot{A}$(SOUND) + CONT Act.
P(2) + act + $\dot{A}$ - QA.
P_4 + act-being - state$_2$ $\overset{+}{\Rightarrow}$ $\dot{A}$ (SOUND)-dif → mod
P(5) + act$_3$ + placement 2
P(6) + a act$_7$ + Ā → general.
P(7) + placement 3 + oct$_5$ + oct$_6$ + $\dot{A}$(ideology) $\overset{\leftarrow}{\Rightarrow}$ reason + act + act $\overset{+}{\Rightarrow}$ performed by P 2. Order: - P - act + obj $\overset{\rightarrow}{+}$ dir + ~~Env~~ P3'n + ENV + act + Obj - act $\overset{\rightarrow}{+}$ placement $\overset{\rightarrow}{+}$ ENV - obj + act (m) $\overset{\rightarrow}{+}$ ENV 2 + act $\overset{\rightarrow}{+}$ QA + Obj + act + dir $\overset{\rightarrow}{+}$ ENV-obj + act + BP $\overset{\rightarrow}{+}$ ENV obj
P + act + P$_2$ + act 2 + P act.

Env'n + Obj + obj 2 $\overset{\rightarrow}{+}$ ~~Env - act~~ Env' + number ($\dot{A}$)'n + Obj + cont act + time ref + colour ($\dot{A}$) - pigmentation.

P(gen) + act + Obj + obj 2 $\overset{\rightarrow}{+}$ dir + Env $\overset{\rightarrow}{+}$ reason for Env $\overset{\rightarrow}{+}$ act + comparison ~~it~~ Env (becomes $\dot{A}$ - Obj) $\overset{+}{\Rightarrow}$ for class of being.

($\dot{A}$ - Obj) = abstract converting of being, Env, obj, things into abstract objects. - in relation to others / obj

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P + oct + oct (ownership $\overset{}{+}$ [P2 + $\dot{A}$(P)] $\overset{\rightarrow}{+}$ placement (storage perm
Obj + oct$_2$ $\overset{\rightarrow}{+}$ P2 [oct2 implied inter with P]

Obj + comparison + Obj 2 $\overset{\rightarrow}{+}$ Obj-type $\overset{\rightarrow}{+}$ Obj 3 + act $\overset{\rightarrow}{+}$ $\dot{A}$(direction)

p + act + P_2 + act(m) $_2$ + placement - in rel + ENV + 8 P_3(being) → + P_3
[illegible] P_2 + BPS → ploc$_2$ → + 8 part of env + specific loc.
~~[illegible]~~ p + ENV(obj) + act + comparison + [illegible] obj.

$\sqrt[ap]{a} = \sqrt[p]{a} \cdot \sqrt[p]{a} \cdot \sqrt[p]{a} \cdot \sqrt[p]{a}$

a, b, c

~~$\forall_5$~~

b = act, a =

$M \models \phi(b, \bar{a})$ for all $b \in C$

$M \models \phi(c, \bar{a})$

$M = P$

$\dot{A}$(nume) +

$\dot{A}$(∪∞ ∞

$\dot{A}$(∞) + P(class) → bulk of → P_2(class) - other beings + QA + QA_2 +
P_3(class) → act($\dot{A}$ P_3 type of specific action) → Env(obj) → of En
+ ENV_2 + P-OBj → act + $\dot{A}$(∞) → ENV_3(type) + P_4(class) + $\dot{A}$(∞)
P_5(class-being → QA of being → belong to + ~~specific~~ specific ENV4.

Event(ref) $\overset{\text{becomes}}{-}$ P(obj) + act → state event + P_2 + (title - i - n.c)
+ act$_2$ → state of + $\dot{A}$(∞) - time ref → class of being o (P_2).
Act$_3$ + $\dot{A}$(level of sound) + act_2(act) + Qa + Qa$_2$ → state of
+ ~~P all~~ P(including P-obj$_2$) - act → in ref to past (time ref
[[P + possible act(ref - from context) → P(class) (shifting) → | P(
the main action act) → (action$_2$). Reason + P_2 + act($\dot{A}$)

Time ref + reason + act + being + P_3, $\vec{F}$ [action$_2$ $\vec{F}$ → P_2 $\vec{F}$ Obj, by P_3
+ act (M) + QA + Env(m) → in rel to Obj.]]•
• Time ref + previous even + conclusion(Ȧ)

P(P) = group

• P(P) + out + condition + act$_2$ + Ȧ (define P) $\vec{F}$ Obj + side of 5 Obj $\vec{F}$
Env Obj (obj I subservient to it) - Loc + Ȧ + Ȧ (speech) $\vec{F}$ condition
$_2$ $\vec{F}$ placement - metrics.
HYPOTHETICAL → in terms of inter - • → Actioned $\vec{F}$ by P - (P)$_2$
+ act + [context - specific], + obj I act$_2$ $\vec{F}$ [CONTEXT. SPECIFIC 2]
→ mod + time ref + Ȧ (∞) + P_2 $\vec{F}$ QA + specific dem of Being +
act$_3$ $\vec{F}$ possible act + time ref.] done
(P + act + BP) + (P_2 + BP) + act + P'$_n$ BP → actioned by P'$_n$ BP.
P + act $\vec{F}$ P_2 + BP.

P + act → r(P) - P_n $\vec{F}$ condition $\overset{+}{\rightarrow}$ P'$_5$ + act$_2$ $\vec{F}$ act$_3$ (projected) + ~~at~~
act$_4$ $\vec{F}$ ~~Pet~~ P - Obj $\vec{F}$ (Motion) → P_2 + ~~P_3 +~~ P_3 (dem of B) + act$_5$
+ Q_A $\vec{F}$ obj$_2$ (NOC) $\vec{F}$ DOC - act + P'$_n$ + state (Ȧ) + act$_6$ $\vec{F}$
in a time frame I QA + act$_7$ $\overset{+}{\rightarrow}$ in reg to + class of P'(P)
+ act$_8$ I condition $\vec{F}$ reason + being + P' + act$_9$ + act$_{10}$ +
reason$_2$ $\vec{F}$ comparison (frame of 5 - NOC) - act + act$_{11}$ $\vec{F}$ in relation to + ENV (NOC - institution).
P + PRIOR REF $\vec{F}$ act I QA $\vec{F}$ Reaction to → act$_2$ $\vec{F}$ P_2 $\vec{F}$
P_2'(date) → P'$_n$ + neg (pos + act$_3$ - imposed on $\vec{F}$ P_n.
P'$_n$ + P_3 (sc) + Obj $\vec{F}$ act $\vec{F}$ Ȧ (cont) - act $\vec{F}$ Ȧ (psych) + P'$_n$ + act.
Ȧ (∞) + time ref - act.
P + act $\vec{F}$ time ref$_2$ - act$_2$.
Timeline of act - time ref + P + act$_2$ $\vec{F}$ Env - Ȧ - time ref.
Obj.

P(P) - Ȧ(NOC) + $\overset{(M)}{\text{oct}}$ $\vec{+}$ Obj + Ṗn(oct), P(P) + oct$_2$ $\vec{+}$ mod $\vec{+}$ Obj(q
Bef-being Obj(mod))] + o.ct$_3$((cont + mod)) $\xrightarrow{\pm}$ EnV + P$_2$ $\vec{+}$ Ȧ(psyh). Ȧ
-named) $\xrightarrow{\pm}$ class of P + oct$_4$ $\xrightarrow{\pm}$ ȦCOL + Obj$_3$ $\vec{+}$ time ref $\vec{+}$ plac
→ NOC-named Ȧ $\overset{\pm}{\circlearrowleft}$ EnV-named.
Ȧ(00) P$_4$ + oct$_5$ + Obj q $\vec{+}$ EnV obj $\vec{+}$ location (placement) + P$_4$ $\vec{+}$
+Qa of act.
Time ref + oct + time ref ⊕ - Transitory.
P + NOC-n-(P) + oct + Ȧ(psyh.-mod) → Ȧ(NoC-fuctions) $\vec{+}$ x$_2$ + Enem
ing + oct$_2$ (m) - neg $\vec{+}$ in rel to + En SPEC- side of + EnV-n.
EnV + ÈnVT + oct $\vec{+}$ oct (M) + Ȧ(info) $\vec{+}$ Ȧ(NOC- SOCIA).
Ȧ-SPEECH COMPLETION - LIST + Ȧ(00) + Obj + P $\vec{+}$ P(NOC) + oct. Ȧ(00)-ti
ref, + P$_2$
Hill

Ȧ(EnV-obj) $\vec{+}$ Act (m) $\vec{+}$ in RAPP to EnV + act (possessiv
Ȧ $\vec{+}$ of QA $\vec{+}$ reason + (circulon) + P + act, $\vec{+}$ mod → oct → P
cont act + QA $\vec{+}$ EnV obj$_2$ $\vec{+}$ motion $\vec{+}$ oct $\vec{+}$ P $\vec{+}$ Ȧ(psy
$\vec{+}$ oct $\vec{+}$ Ȧ-EnV-EVENT-Ȧ.

S. Action $\xrightarrow{\pm}$ [(derivited)-continuity - of → pshy Ȧ ∃QA + (Ȧ-
+ Ṁ• + Act(+dir) + reason-r requirement - o.ct + QA, Qa
→ act(own) + P + P(P)-NOC-fend words - Vth + oct +
neg Qa + pen act $\vec{+}$ in Ȧ- Qa.

H = More classes of obj.

εk=

Process

$$\frac{1}{f} = \frac{1}{f_1} + \frac{1}{f_2} + \frac{d}{f_1 f_2} >$$

oct (m°)

$\sum_{(P)=1} (P) =$ Main actor $\qquad \sum P*$

$\sum_{P=①}^{2} P - N \qquad \sum_{P_2=01}^{1} P_2 - N$ = second oct

① + ot + ② + 01

P-Be-Mod

• Actions (M) F→ Obj 1 F→ Obj 2 F→ dir + Obj 3 + Ȧ Obj F→ Event. / Obj 1-3 → Env. / fuction derived between Obj.
Ȧ (drive) F→ [feeds into] F→ Ȧ action F→ Ȧ (source) = (generating Ȧ QA) + out F→ neg QA2 + QA3 F→ dif source of (Ȧ).
- [P(e) - Ȧ F condition] F→ (Ȧ - QA F→ P(e) 2 F→ neg/pos QA 2 (or P ...
P/P 1 - cond) F→) (+ oct F→ mod → Ȧ (∞) F→ [P(e) 3 + P(e) 4]
→ Ȧ → clm + ot - defining + Ȧ (∞) 2 → + clm of P +) +
Ȧ (∞) 3 F→ All P's + Ȧ (∞) 4 F→ ot F→ def → Ȧ (∞) F.S.
[P F→ Ȧ (mod) + QA F→ X3. P2 F→ Ȧ (mod) - QA 2.
[P2 + ot + P's F Ȧ - ~~Obj~~ Obj F→ QA 3 F→ frome (of comp) → P (clm) - Obj - impelied QA F→ QA4 + Q5 - derived - P(class).
Process [Ȧ Obj - defined + Ȧ F P (class)] = defined F→ reason F→ P F→ P (clm - def) F→ P (class) - properties - Ȧ → + [(comparison, - frame] F→ Ȧ - phys - psych → derives sense. - out of Ȧ - Obj
Ȧ (Noe) F→ Env - n F S - oct F→ Quantified → rel + Env 2 - Env 3.

{1:[Noc-Ȧ-n+(Ȧ)-s.act $\overset{\to}{+}$(M)+ Noc-Ev-ref-Noc 2]+[reason $\overset{\to}{+}$(
ned)+P+(Ȧ)act$_2$ $\overset{\to}{+}$ [1]-A-Obj + reason-in rel to P, [1],
QA $\overset{\to}{+}$ act$_3$(Ȧ). → derives psyh Ȧ-of P. -in rel to Noc.
P+act(i)+Env+act(i)2 $\overset{\to}{+}$ phy act $\overset{\to}{+}$[Env+ Obj $\overset{\to}{+}$ place mod
Obj in rel to Env+2Obj+] $\xrightarrow{+}$ der → Env 2+ P+ Ȧ(act)+
Noc.

(Noc-definer for sphere of int.)
P+Noc(Ȧ)+act+plc+ Env-Obj $\overset{\to}{+}$ Noc $\overset{\to}{+}$ in ref to +P$_2$:
QA×2+Act$_2$(Ȧ) $\overset{\to}{+}$ (taken out of Noc) $\overset{\to}{+}$ (aimed at) P.
~~P+~~ ƒ P+time ref+phy act $\overset{\to}{+}$ neg/pos QA.
Ȧ(00)+Env+Obj $\overset{\to}{+}$ P$_2$ $\overset{\to}{+}$ in ref to first act. $\overset{\to}{+}$ act $\overset{\to}{+}$ 3
$\overset{\to}{+}$ reason[Noc-+P$_2$ $\overset{\to}{+}$ P$_3$]-inter. þ
[timer-dep+act→+P+]-cond+ P$_2$+act$_2$(M) → Env(implied)+plc
act$_3$(P2) → Env-Obj $\overset{\to}{+}$. T+P $\overset{\to}{+}$ act(M) ↑[P$_2$ + act$_2$ $\overset{\to}{+}$ Ȧ-act$_3$].
P$_3$ $\overset{\to}{+}$[Ref(not dir)+Ȧ(00) $\overset{\to}{+}$ QA+class P]-defining.]

(Event

continue

2[[P+act $\overset{\to}{+}$ Ȧ(not psyh) $\xrightarrow{+}$ P$_2$ + reason $\overset{\to}{+}$ P$_3$+act$_2$ $\overset{\to}{+}$ Ȧ(00)]+[P
ation$_3$(i) $\overset{\to}{+}$ Noc-|GEN $\overset{\to}{+}$ time frame $\xrightarrow{+}$ Env-n $\overset{\to}{+}$ Ȧ(around) $\overset{\to}{+}$
Env-Obj)+P$_2$+act $\overset{\to}{+}$ Owner→(Obj 2) $\overset{\to}{+}$ Ȧ → Noc-instit+
+time ref + P$_4$ $\overset{\to}{+}$ Rev act $\overset{\to}{+}$ ~~cou~~ effect+P$_4$+act+
Obj 3 $\overset{\to}{+}$ Env-Obj 2 + P $\overset{\to}{+}$ Ȧ(phys)+ PP(P)'n mod ✱2+act
+QA(neg/pos)+ P(class) ~~Ȧ~~ +Obj(Ṗ)-mod + time Ȧ ± OBJ + ~~obj~~ obj act
pos + Noc-Obj & derivation of Noc) $\overset{\to}{+}$ own-act, P+Sact $\xrightarrow{+}$ involving
Noc Obj $\overset{\to}{+}$ P$_2$ → main ter of sact.

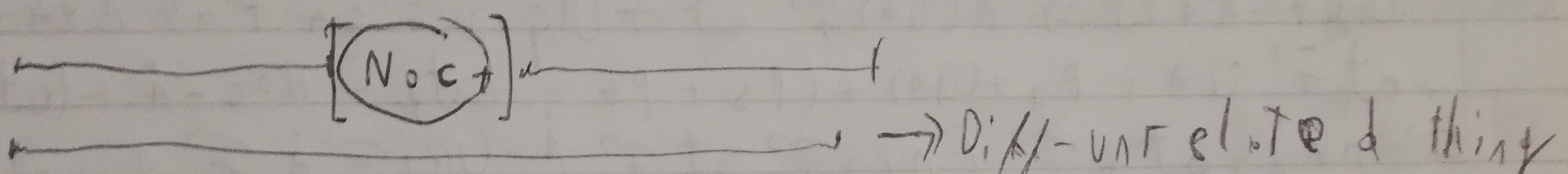
$$\sum_{P=1}^{10} P + \sum_{P=1}^{60} a + \sum_{P_2=1}^{1} P_1 \qquad \sum_{\dot{A}(00)=1} \dot{A}(00$$

P(P) $\xrightarrow{\pm}$ act(cond) → Ȧ(00)×3.
Ȧ(Obj)-anything can become it [illegible] an yet conv into

P(P) + [M-act$_n$] x 3 $\xrightarrow{''}$ intensity + QA + P(P) + [act $\rightarrow$ mod $\xrightarrow{+}$ $P_2(P)$ $\rightarrow$ mod $\rightarrow$ $P_2(P)$ $\rightarrow$ mod - act$_2$ + $P_2(P)$] $\xrightarrow{+}$ Ȧ QA x 2 + order + act$_3$ $\rightarrow$ P(P) + act$_2$ $\rightarrow$ mod $\rightarrow$
condition - result = P(P) + act$_4$.
psych(Ȧ)$_2$ $\rightarrow$ neg $\rightarrow$ in rel to prev psych(Ȧ)$_1$ + [Ṅoc - psych(Ȧ)$_2$] $\rightarrow$
reason + P $\xrightarrow{+}$ act (M) $\xrightarrow{\pm}$ in rel to P_2 $\rightarrow$ (act-m) QA - in terms of
m + P_2 act$_2$ + (m) $\rightarrow$ mood + P_3 $\rightarrow$ QA + P_4 $\rightarrow$ act$_3$ - gen + act$_4$ + c
5. by P_3) $\xrightarrow{\pm}$ P_3 $\rightarrow$ Ȧ (psych) $\xrightarrow{\pm}$ in rel to acts$_5$ ± P_4 $\rightarrow$ ~~act~~
~~act~~ ~~act~~ act $\rightarrow$ P_3. → JOG Between P(P)'s act acts.

PROXY - Ṅoc - in rel to context.

3



(Event Ȧ(P) → is, or becomes [Ṅoc] → Refferd to indirectly
but derived from context.
✓ PROXY + context - gives meaning in terms of the
pantom VACCUUM.

1. Discussion
2. ARGuments exchanged during 1.
3. Unrelated set of points - derailment from 1.
4. At PROXY, - return to - 2.

Memory plays a role as to link 2-4 + Ȧ
Ȧ - asuming both parties are mentally ~~[illegible]~~
focused on 2 after 3 is over.
Ȧ - sub conscious - Faith = to establish a connection

Ȧ - OPEN, small volume.

def + P(e) 2 $\vec{+}$ oct $\overrightarrow{a +}$ definer i ~~9a +~~ + QA +
Nȯc - P(P) - cont ot $\vec{+}$ cond $\overset{+}{\to}$ Nȯc - P(P) 3. [apter Nȯc)
+ reason + ot 3 $\vec{+}$ def → cond

Ȧ-Obj $\vec{+}$ a ot $\vec{+}$ EnV of Obj $\vec{+}$ ot 2 $\vec{+}$ placement (Ȧ·Obj) $\overset{+}{\to}$ Obj 2 + plac
+ Obj 3 + [P + ot + (P2 + P3) → + ot $\vec{+}$ P(P) $\vec{+}$ P4 $\vec{+}$ ot + din + ot 2
e + BP $\vec{+}$ time ref + P5 $\vec{+}$ comp $\vec{+}$ P6 + ot + QA $\vec{+}$ QA, BP2 + e + ot + din
M·(P)(n) $\vec{+}$ ot $\vec{+}$ ~~AA~~ Nȯc - gen $\vec{+}$ placement $\vec{+}$ NOC - n + ot 2 + intensity
S. ot 3 + condition $\vec{+}$ rlc 2 $\vec{+}$ EnV. Comparison → e + time ref +
P + ot + QA + Ȧ - ~~pert~~ mark $\vec{+}$ P2 n + Ȧ (psych).
BP-mod $\vec{+}$ P $\vec{+}$ pon. ot $\vec{+}$ comp $\overset{+}{\to}$ Obj $\vec{+}$ Obj 1 (B-mod) $\vec{+}$ Ȧ (form) $\vec{+}$
$\vec{+}$ BP - mod 2 + (Ȧ - color) $\vec{+}$ Noc - Gen + P(P) $\vec{+}$ ot $\vec{+}$ com

Time r - Ȧ + ot(n) $\overset{+}{\to}$ Ȧ (QA) $\vec{+}$ ot ~~ot~~ Obj × 2 $\vec{+}$ ~~En~~ P' n $\vec{+}$ Ȧ QA → EnV
+ ot 7 $\vec{+}$ QA + P2 + (QA) + (P3 + P4 + ot 4) → Noc - Ȧ + (ot 3 + BP
$\vec{+}$ EnV) + ot 6 $\vec{+}$ EnV 2 $\vec{+}$ ot $\vec{+}$ Ȧ - Obj $\vec{+}$ Ȧ $\vec{+}$ time ref 2 +
(ot $\vec{+}$ din $\vec{+}$ Obj 2). (P + ot +) reason $\vec{+}$ QA + Obj 1 $\vec{+}$ ot 2 $\vec{+}$ reg Qa +
$\vec{+}$ [(P' n + Obj 3 $\vec{+}$ phy Ȧ - Obj 3 + reason + QA 3 + QA 3 +] → Ȧ - phys
Obj $\overset{+}{\to}$ Ȧ - def of [color + phys $\vec{+}$ cond $\vec{+}$ QA + Ȧ (phys)]
P $\vec{+}$ def $\vec{+}$ ot $\vec{+}$ P (dem) + ot 4 $\vec{+}$ (S - Ȧ - Obj)   P + reg + Rot (cont $\vec{+}$
P2 $\vec{+}$ ot 2 (cont $\vec{+}$ Ȧ (psych) → P2 $\vec{+}$ (reason) ± reg + ot 3 $\vec{+}$ ot 4 +
din $\vec{+}$ Obj $\vec{+}$ location $\vec{+}$ ot 4 $\vec{+}$ P $\vec{+}$ ot 5 $\vec{+}$ time ref + P3 + ot + P4 +
location (ot) $\vec{+}$ ot + P4 $\vec{+}$ Obj $\vec{+}$ reason $\vec{+}$ P'3. QA × 3 $\vec{+}$ in rel + to No
P + ot (cont) + (ot 2 $\vec{+}$ QA $\vec{+}$ Obj $\vec{+}$ part of it)   EnV $\vec{+}$ ot $\vec{+}$ Qa (n
(placement mod $\vec{+}$ Obj 1 (+ QA 2)
P + ot $\vec{+}$ QA + ot 2 $\vec{+}$ din +
Obj + ot $\vec{+}$ din + EnV. . !Ȧ (~~phy~~ pt graph) + P $\vec{+}$ place (EnV) → P(e) $\vec{+}$ ot + EnV + ot +
Ȧ (Obj) + P + ot $\vec{+}$ Ȧ (psych) $\vec{+}$ Obj 2 $\vec{+}$ ot 2 + ot 3 $\vec{+}$ Ȧ (∞) $\vec{+}$ condition +
$\vec{+}$ reg + ot $\vec{+}$ [(Ȧ (phys) → EnV $\vec{+}$ ot].

[$\overrightarrow{P(P) \rightarrow N\dot{o}c}$(Ȧ) $\mp$ P_2(dir)] + oct F→ P_3n + Env + [P(P)] $\xrightarrow{\pm}$ P_4 → dir-oct$_2$ F→ Ȧ + (QA) + Nȯc$_2$ → ~~dir +~~ der F→ P_3n + P_3 Nȯc-Ȧ [3] - SOURCES. P_3 + oct (Noc) F→ rel F→ Ȧ(∞) F→ P_5 + P(5 dir) F→ P_4 F→ oct$_3$ F→ P_5 F→ Env$_2$ F→ P_5 F→ act$_5$ F→ Ȧ(reason) F→ P_5 F→ neg, pos F→ octs(Ȧ) F→ Obj F→ [oct 6] F→ [Ȧ-Nȯc-gen] → conv to ȦȦ → (oct 7 F→ P 3 F→ [Env (2) x2 (and-Ȧ)) P_3 + oct F→ P′n F→ rel to F→ Noc$_3$ F→ Ȧ(∞)$_2$ F→ cont oct$_2$ F→ P_4 $\xrightarrow{+}$ placement F→ ENV(2) F→ piece.

Time ref F→ spec. Event F→ (P_6) F→ neg oct + Env(3)′ F→ Env Obj -s. inter~~k~~s. Ȧ-type → P_3(class) F→ QA F→ m(oct)] F→ dir.

Time ref 2 F→ QQ? F→ progressive F→ QA_3 F→ Ȧ-Noc F→ CONCEPTS x 3 + act F→ QA 9. | F→ Reason F→ [cyclical] F→ [P(Ȧ)] F→ neg F→ connotation F→ purpose F→ QȦ s/ x2.

P(class)$_3$ F→ oct (inter) $\xrightarrow{\pm}$ [P_7 + P_8 + P_9 + P_{10} + oct$_2$ + dir (Ȧ)] F→ reason $\xrightarrow{+}$ P_{11}′n F→ oct$_3$.

[P_7′n BP + act $\longrightarrow$ [$\sum_{P'n+BP+oct=7}^{4}$ proof] F→ Ȧ(∞)] } ± Order (Ȧ) F→ reason $\xrightarrow{\pm}$ P_{11}.

[P_{11} → trigger for oct.]

~~P3 F→ oc~~ P(P) F→ oct F→ P_5 F→ [oct$_2$ F→ QA] $\xrightarrow{\pm}$ Ȧ(∞) F→ Env $\xrightarrow{+}$ Obj. T F→ P(P) F→ placement(oct) F→ in rel to F→ Env → Obj 2.

Env Obj → definer F→ of F→ (P_8′ F→, Ref to F→ Nȯc), + P(P) [oct F→ (Qa x 3 F→] F→ P_{11} F→ BP.

Env F→ oct(def) ⇄ Obj x 3 F→ comparisson der.

Spec. Event → time ref F→ P_3 F→ Noc. → (Ȧ) - Order: P(P)$_3$ - class + N F→ [P(P)-] F→ act + oct$_2$ F→ QA - Ȧ(sound) F→ pen oct F→ time ref 2 F→ oct F→ Obj (env) F→ [oct F→ (QA(Ȧ - motion.)] F→ P_3′n F→ Ȧ-mot Obj 2 + oct$_3$ F→ Ȧ(phys)-inter to P(P).

Time ref F→ P(P) → [oct + BP F→ comparis] x ~~x2~~ 2 - compet P(P) 2 + BP x2 F→ (oct ⇄ act) + P(P) 2 F→ Ȧ-oct ⇄ P(P). + rule → conc + → P(P) 2 ⇄ act F→ P(P) F→ Ȧ[Nȯc]-Ev F→ reason(Ȧ) F→ oct + → P(P) or P(P) 2.

$\dot{A}(oo) \overrightarrow{+}$ time rel $\overrightarrow{+}$ P + o.t $\overrightarrow{+}$ (Noc).

Neg ± (Noc) $\overrightarrow{+}$ oct + Noc $2-6$ $\overrightarrow{+}$ rel $\overrightarrow{+}$ $(P_1 + P_2) \overrightarrow{+} (P_3 +$ oc

$\dot{A}$(~~psh~~ psyh) $\overrightarrow{+}$ time ret $\overrightarrow{+}$ o.t.

$\dot{A}$ ~~t~~ (psyh 2) $\overrightarrow{+}$ ot + (cont − oct) → $\dot{A}$(m/l) + P_8 $\overrightarrow{+}$ m(ot 2) -

→ Recurr → [P_8 − rel ≃ Env − time].

Action + $P_5 \overset{+}{\overrightarrow{+}}$ BP $\overrightarrow{+}$ Obj $\overrightarrow{+}$ ot 2 $\overrightarrow{+}$ Obj2 $\overrightarrow{+}$ olin $\overrightarrow{+}$ $P_{11} \overrightarrow{+} P_5 +$

$\overrightarrow{+}$ $\dot{A}$(BP) + QA × 50.

P tot $\overrightarrow{+}$ $\dot{A}$(QA) − s_1 $\overrightarrow{+}$ $\dot{A}$(psyh $\overrightarrow{+}$ [oct$_4$ $\overrightarrow{+}$ (Obj$_3$ $\overrightarrow{+}$ BP$_2$(P))].

$$\langle [\dot{A}Q + O \xrightarrow{+} \dot{A}_m + P + BP] \xrightarrow{\overset{c}{+}} (\dot{A}O \xrightarrow{+} \bar{m} + A\dot{A}m) \xrightarrow{+} \langle \cap \rangle \rightarrow Q\times_3 + P_2 + P_3 + \bar{Q}_{\times_2} + P_4 + At + At$$

$$+ P + at + (E_m \xrightarrow{+} E_m \rightarrow) \xrightarrow{\overset{\dot{A}\,c}{+}} ENV + [P + at \xrightarrow{+}] \xrightarrow[c]{A} \bar{A}P + [P \xrightarrow{+} \bar{o}t_m \rightarrow N - P] \xrightarrow{\overset{c}{+}} [\dot{A}P] + (oct \xrightarrow{\overset{m}{+}} P'_n \xrightarrow{+} [N \xrightarrow{\hat{A}} P_y] \xrightarrow{c} \bar{A}O)$$

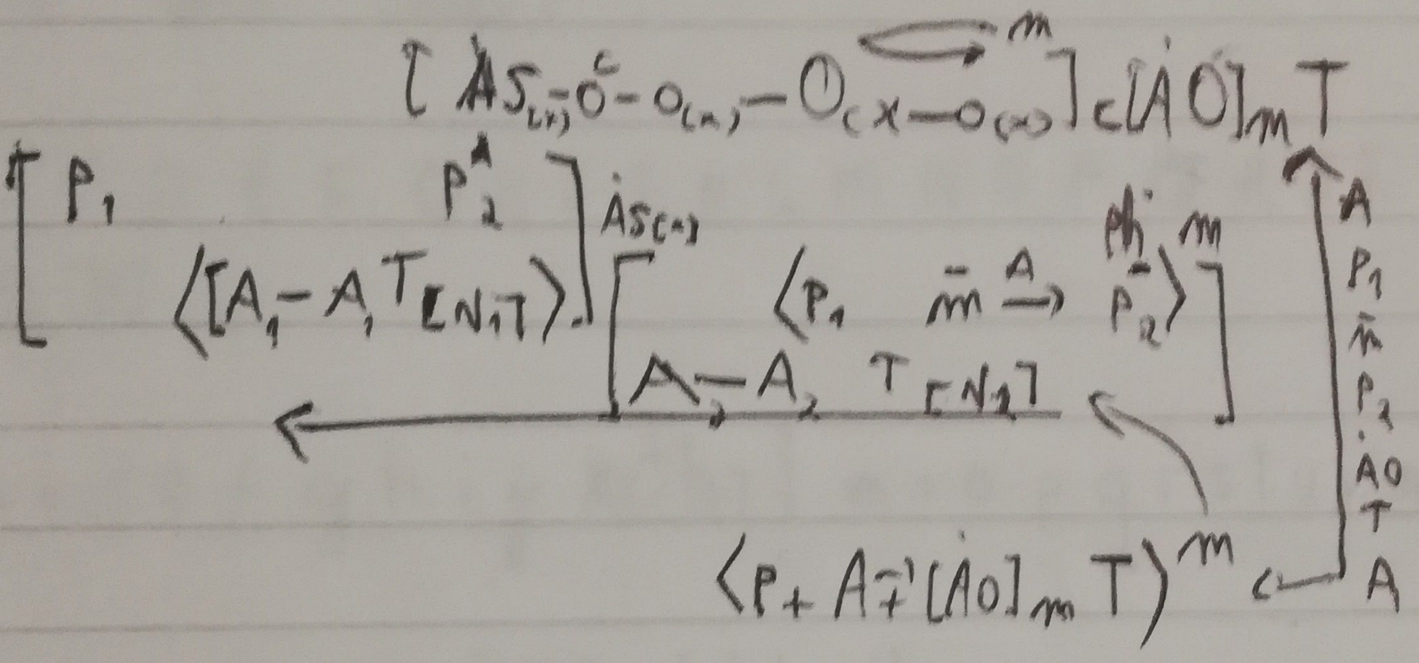
$$\xrightarrow{+} / \dot{A}m] \xrightarrow{t} Q + T + T + (\bar{T}Q) \xrightarrow{+} P \xrightarrow{+} P_{(P)} \xrightarrow{+} ((\overset{\dot{A}\,c}{E_T}] \xrightarrow[r]{EE} E_{P_i} - P \xrightarrow{+} P' + ((Q \xrightarrow{I} A) \xrightarrow{T} P + \bar{\Omega} + at + [\overset{P\,2\,2\,c}{\underline{(m\hat{a}}}] + P +$$

$$\bar{Q} \xrightarrow{1} \dot{A}O \xrightarrow{+} [P + Q + a_2 \xrightarrow{+} Q + T_A) \xrightarrow{+}] \rightarrow \dot{A} \xrightarrow{c} [\dot{A}O] + at \xrightarrow{+} int\,q \xrightarrow{1} \times \bar{a}] + P + A + E + P + O + A + O + A + O + E + A$$

$$+ A + P + [NOC] - P] \xrightarrow{+} \dot{A}m - N_{oc} \rightarrow P$$

$[\mathring{A}\overset{q}{\wedge}]_{m}^{\dot{Q}}$ $[A_{\wedge}^{g}Qm]$ $\langle [\overset{m}{\dot{A}}\hat{Q}g] \rangle$

I should've known what to expect. $\updownarrow \begin{array}{l}[me]\,d=[cm]\\ {[1]}\end{array}$


[ȦS[+] O – O(x) – O(x – O(x))] [ȦO]m T
m
P1
P2 A
⟨[A1 – A1 T[N1]⟩
ȦS[x]
⟨P1 m̄ →A P̄2⟩ ph m
A2 – A2 T[N2]
A P1 m̄ P2 ȦO T A
⟨P + A ÷ [ȦO]m T⟩ m

$$\langle [P + A_{[ph]} + \dot{A}O_{[O + [\bar{m}]]}] + [P_{(Py)} + [[N]\bar{m}]] \rangle_{\dot{A}[m]} \div [E_0]$$

ȯ

Train your eye: [Spelling]

[Chile Chile Chile.]

[A B C D E F G H I J K L M N O P Q R S T U V W X Y Z]$_c$ O$_{[\times 2}$

[æʃ]$_c$ ȦS$_{[1]}$

[a b c d e f g h i j k$[\overset{m}{r}h]$l m n o p g r s t u v w x y z]$_c$ O$_{[\times 26]}$

[Consonanants]$_c$[Ȧo] [[ȦO]+ Ad]

$\overset{\dot{A}S_c}{[g]}$ $\overset{{}_cO_{[\times 7]}}{[give]}$ $\overset{\dot{A}S_c}{[g]}$[give]$_c$ O$_{[\times 7]}$ $\overset{\dot{A}S}{[ʃ]}$ [ship]$_c$ O$_{[\times 4]}$

Y↕[0.9]$_{[me]}$ $\overset{m}{A}_{[0]}$: $\overset{1\ 2}{\dot{A}}_3$ ⟨[ȯ]$_c$ A$_{[\times 4]}$ + BP + d$_{[\times 4]}$ m[ȯ]⟩$_c$ Ȧo + Ad⟨[me]$_c$ Y$_{[9.5]}$ + ×$_{[0.5]}$⟩

⟨[me] Ad[cm]⟩

[P+Am$\overset{À}{O}$Eme$\overset{N}{1}$]

Adume] 0 3 From that point I knew it was over, as well as that I could do nothing about it. Dotry keeping up. There is no reason to talk yet.

Rubbeto, rubber, ruby, ruck, rucksack, ruction, ruddle, ruddy, rudiment, rueful, ruffian, rug, ruinlock, ruminative, run, runabout, renegade, rung, runner, runnel, rupee, rush, ruse, rustic, rusticity, rustle, rustician, ryot, ryl. ~~An~~ sacerdoise, sacerdot, sackbut, sacking, sacral, sacrament, ~~sa~~ sacrilegious, sacristan, sacristy, sacrosanct, sad, saddlebag, saddlebags, ~~sa~~ sadistic, safari, safe, safe-deposit, safe-conduct, safety catch, saga, sagacity.

$$\left[\left[\frac{\dot{A}\ T_c m \dot{\underline{E}} m A_{[x]} \overset{c}{+} \dot{A} R] c \overset{\circ}{A}_{[N]}}{[Q m \overset{\circ}{A} + \dot{A}_{[m]}\dot{i}e] m P_{E} PY]}\right] c \left|\begin{matrix}\overset{\circ}{A}\\ \dot{O}\end{matrix}\right|_{[a]} + \left[\frac{A \overset{\overset{\circ}{A}}{—} A}{A d \to Q}\right]\overset{\dot{A}}{]} \right] \overrightarrow{[\dot{A}_{[0]}\ \bar{m} [Qd]^{\bar{m}}}]$$

$$+\left[\frac{O_{[x]}{}^{c}\overset{\circ}{A}}{A_{m}[E]a}\right] + \left[\frac{M E_{n(x]}}{Q A d + [in}\right] + \left[\frac{A \dot{r} c}{A p + a}\right] + \left[\frac{\dot{A}_{n} + ph(d)}{\dot{A} p + A me}\right] c \left|\begin{matrix}\overset{\circ}{A}\\ \dot{p}\end{matrix}\right| \times \left|\begin{matrix}E\\ in\end{matrix}\right|$$

P+[Py-d] +⃗ P[2] +[Py m O] d +⃗ P[3]] ͨ+ ȦE +[A mc/d A +⃗ P[2]] +[[P[1] d +⃗ Nd ȦE m̄ +⃗ O[ph+m] m̄ +⃗ P[P]] d [Py/ph]
+[T-o] d [Py-o]] c Å +[P̄[x] + Ṙ c P[P] d +⃗ [N[x] d O] +[P d Å[2] A + o] [P[P]][2] + P̄m[p] | +⃗ Å] + P[2] d [
m̄ [ph] + P[2]][p] | +⃗ [T d-o][2] + ȦE[2] m̄ +⃗ O[2] m̄ m̄ ph py +⃗ P[P]] c Å[2] + [m̄ d[p] | +⃗ P[x] +⃗ Å[2]]
+[P m̄ m̄ A m +⃗ P[2]] +[O Ad +⃗ Å] +[[Py-d] c +⃗ E[x]] + [P[P] + Ampl T/m Ampl + A-A[x]] +[T m P[P] c Å +
A-A] + Ȧ[o] m d ȦQ + ȦP] + Ad[p] | +⃗ E +[Py [m̄ m̄]] d +[c] P[x] + Py d [P[P]] d P[[Py]] +⃗ ÅP m̄[p] | +⃗ E +⃗
ÅP[2] d +⃗ P[m] d] +[Py d [P] m̄-o] c [P[m] m̄ ph/py]] +[P+[Ad Py/c Ad] + P[2]] +[P[2]] Nd +⃗ Py-o] +⃗ Ad
[O[p] [ph] m̄ + Ȧ[me]] + Ȧd E m̄ + P m̄ m̄ p ph] [T d] +⃗ ȦE] c Å +[P[P]][x] d +⃗ O + Ampl + me] +⃗ ȦE[x]
d m̄ [m̄ m̄ ph]] o + T-o[x] + ȦE[x] d [T-o] m + T d A—A] + m p] d O[p] | +⃗ ȦE[2]] + [P + Ampl +⃗ E[o] +
Ȧ[o] d O[x] d +⃗ E[2] + p| +⃗ [d] +⃗ p| +⃗ E[o]] + [P +[Py-Ad +⃗ Å[ph-o + Py-o]] + P m Å P d +⃗ Nd o +
Ad +⃗ E[p][o]] +] [Py- O[x2]] m [Py[o]] +[T d Q̊P] +[Ad[p] |] +⃗ ȦE] + O[Ampl] +⃗ ȦP]] +] [ÅP + Ad +⃗ [ph-o] Ṙ c +⃗ N]
+ ÅP[2] m Py-d +⃗ ÅP] + ȦE[x] d ÅP + p| +⃗ ȦE[1]] + ÅP[2] p| +⃗ ȦE[2]] [Py-d = Py-o] +] c [Py Å] + Ad p| +⃗ P[n]]
+ Ad c [Py Å] +⃗ [Ph Å] m +⃗ P[2] [n] d +⃗ ȦE[3] + Ad[p] | +⃗ P] +[T-o m + Ad P[2] P̄y-o] d +⃗ m +⃗ Å[2] +⃗ m̄
c Å[o]
O[x] + P Ampl +⃗ d +⃗ [ÅP + d +⃗ ÅE] + m Py d +⃗ Å[2] m̄ O[x]] + T d m] +⃗ ȦE[x] P[P] N d +⃗ ȦE +⃗ m̄ P̄y +⃗
Q̄ Å[2]] + [[Ȧ-d] +⃗ Ȧ[P] + [T m[1] + d-Ȧ] +⃗ [m̄ BP̄-ph-d]] + [Ȧ[P] + [Ȧd-d] + [A m-d/c A] + [Ȧ[d] +⃗[x] Ȧ[P̄y-ph m̄]
[Ȧ[d] + Ȧ[me] c Q[d] +⃗ Ȧ[P2] +] Ȧd [A-A] Å[d] +⃗ Ȧ[d] +⃗ [N-d] +⃗ O[ph + Py] + Ȧ[d] - Ȯ[1] + [O[2] c +⃗ [(Ȧ-d]
[n-2] + Ȧ[d] ȦP[Nd] +⃗ Ȧ[ȦP][2] d +⃗ [m̄ p̄h p̄y] Ā +⃗ [Ȧ[Pa]] +] c Å[+ Ȧ-d] +[T m[1] + d-Ȧ] +[Ad m[p]] -
+⃗ [ph-o] + A] + Ȧ[pl-d] +⃗ [Ȧ-d] +⃗ [O] + [Ȧ[m̄ d +⃗ Py]] + Ȧ[P[P] - [P[1] + P[2]] [Py]] + Ȧ[in + m-d] + Ȧ[d] +⃗
[Ad p|] +⃗ ȦP + O[2] [n-d O] + Ȧ[d-pl] +⃗ Ȧ[me c Py d m] + Ȧ[d m - Ȯ] + c +⃗ [A + [Ȧd]] d +⃗ [Py[d] +⃗ O]] +
[BP] +] + [[⟨Ȧ[me-d] +⃗ O + [Ȧ[n-d E[o]] c A] d[pl] +⃗ Ȧ[P[P]]⟩ + ⟨Ȧ[pl + ȯ] + Ȧ[d] +⃗ [Ȧ[me + E[p]-d]] c
E[p] + Ȧ[d-pl] +⃗ Ȧ[P[P]][2] + [T[1] m Ȧ + d [Py]] +⃗ [BP-Ȧ[d]] + [Ȧ-d] +⃗ E ͨ+ [Ȯ[1] + Ad +⃗ O ͨ[2]] +⃗ N][n]])

Ȧ[d] + [Nd ȦE]c ÅP + [T[1] m Ȧ] +[A m/pl A] +[Ȧ[pl]] + Ȧ[d] +⃗ [Nd O[m]] +⃗[m] +⃗ E[p]] +]
[Ȧ[d]][x] m A] +] [[Ȧ[P]][n] + [Ad-Py +⃗ Ph] + Ȧ[d + ȧ-dr] +⃗ Ȧ[P[2]]] +[Ȧ-d [Py] + Å] +⃗ [Ȧ[d] +⃗ ÅP] +
Ȧ[d][2] +[m̄ p̄h/p̄y]]
[

Study.

Obj of being — count — count — being — action — direction —
— count — obj — count — being — action — being — action — way

Fife heads of the soldier, eight in number of eight of rows of strong built men who rode forwardly on two roads raised in fifteen states. Their brothers standing to crown that rose suddenly in their strange graves.

Person —> action —> people —> Place —> action in retaliation $\xrightarrow{end}$ action —> tradition —> time ref. —> people —> Environment —> ref —> None.

The Great August retaliated against the monks in mighty Tours, having suffered great blows and public outrage as the revelation of the Imprudent Cavalier ten days after angered the Augurian ~~who are~~ whom were already out the reaches of their flying city, the Great Forged Towers of Hingston.

Action / obj —> action —> action —> Person —> relative.

As the execution proceeded, lopping Jonathan's head off the shoulders of his ~~[illegible]~~ cousin, his body went blood.

Action —> direction — Pers — action

Plunging forwardly, Jonathan died.

Action (timed) —> time Ref. —> pers — action.

Running on the dock at four, Jonathan took a stop.

Pers —> action —> object.

He turned towards the bo

He ran from below the room, then, as she turned, her throat was ripped ~~[illegible]~~ you're deranged. Bothered by the mouth oyster

P + act + act + P_2 + time + environment/event + act + act + quality of act + environ + action + environ + blood + action.

Illeigh constantly paced around eating out of Jane's bouquet around room as they entered the kitchen, shooting him in the head ~~as he~~ causing him to jerk strikingly in the act of pissing himself before he was dragged through the house, the bathroom where they simply smashed his head.

P + ACTION (RANK) + P (being) + ACTION (CONT) + Obj, + obj + rank + P + Action + action-type (ob) + action + action + obj + Environment + time + action + P + obj + ~~P~~ + environment + action (cont) + Place + obj + start of

The Man killing savage started stomping, immediately turned ~~on up~~ on, the children's head, shattering their eye sockets and ~~an~~ blood-filled doggy noodles, ~~as he was~~ until he was ~~to~~ stopped by Jonathan who, upon seeing this unfold on the ~~st~~ station's camera, he charged all the way from the desk, tackling the man violently, shoving his ribs in the nearest of walls before long, when, upon hitting the floor with the back of his head split open, the savage ~~a~~ jerked around the room released from ~~the~~ ~~Jona~~ his grip, before he ran out of the building only ~~then~~ ~~to~~ to be ~~a~~ stopped by a Satanic ritual blasted flames

P + action + P_2 + OBJ + way + way + action + body + body + action.

Jack was hit thrasher in hindsight, doing something he shouldn't have, bursting his head open widely in an angular shiven through the long split-ed Moses manner, causing to fall apart as his throat and body follow

P + action + (but/although, yet) + prep. + action + object (part of body) + action + way + [illegible] + [illegible] + [illegible] + action.

~~It~~ [illegible] she or her broke it, but it's been bumped already in the on the bed before it fell down, right before John could catch it.

P + act + obj (special) + action + part + body part.

Hector broke his [illegible] eye by accidentally brushing by his side. He was a [illegible], I mean a botanist, working with children's [illegible].

P + comparison + P (prof) + obj + action + pers + action + [illegible] (general)

He like every other encounter-[illegible] who followed neuro-surgeons around the place ~~[illegible]~~ [illegible] was heavy on blood [illegible], so much as to say that he began selling them to the local kids making sure they didn't make it in time to [illegible] supper.

P + P + action + obj + obj + action + P + action + obj (fluid) + P + action + obj + place + time [illegible] + obj + ~~ob~~ ~~P +~~ ~~of~~ obj + P + time of + action + action + P (status) + action + environment + obj + obj [illegible] + action + action + ref + time.

The two killer brothers ~~who~~ ~~[illegible]~~ made a habit out of sealing cuts and lips wide open, spreading them apart so John could eat their moist opening, [illegible] joining in, tickling the opening with his fingers quickly before ~~some~~ someone had the chance to enter the room, banging the door closed with the back of his boot and the other before John lost his patience, [illegible] ~~[illegible]~~ out, [illegible] violently ~~to~~ until the two of them lost their emotions, having moisturised the room they were in with both women sweat-[illegible] open before the second match began.

Initiation + obj + obj + color / [illegible] + moisture / weather + object + Pers + special object + obj + passive act + obj + act + obj + act + act + obj (special) + end (intermission) + obj + act + if + act + [illegible]

Middle entry, leading after the first cut through the cove's head to [illegible] a real walk-through road that was filled with cooked through rocket-green of blue petting that [illegible] passed, on his way to meet the great [illegible] chest where the [illegible] [illegible], the ~~&~~ stained glasses spewed on the side, bubbling along the walls as they neatly placed themselves upon the [illegible], on the moist soil and while drying it some of the ~~[illegible]~~ it-through [illegible] like fog as they were cut by the diamond sharp like rainbow ~~edge~~ broken edges that flew soon after.

P + act + P + suspicion + action + time + p + action + action + act + action + action + obj / being

His bloated gut blew spurs on top of him knowing they didn't find the hole within the room. while he [illegible] out of nowhere, kicking, hitting and throwing tantrums while they [illegible] the [illegible]-[illegible].

Object + property + location + Person + action + reference + person

The little metal-rusted iron off her [illegible] John's wrought in hand tool at the time of JFK's assassination when the [illegible] head was [illegible]

Leg + reference + action + reference.

Achilles' feet flew off Olympus.

Person + action + object + reference / comparison.

~~He hit the nails like the fat [illegible] one's [illegible]~~ He hit the nail in the head like the fat one's drop on top of Hinting.

Person + link + comparison.

John's leg looked like a rock. His hand as a rock.

Time + time + space + Person + status

Yesterday at four, somewhere in the garden John was sick.

Figure + body motion + action + object + person + action + way + where + fashion + person + object + action + place + being + time + action + object + line + line + person + ~~action~~ + place + place + ref person frame + comparison + act + object + way + placement + two obj + environment + place + being + being + sets + initialization of being / voice.

The Great Skeleton king God Ilar Ihoten began shaking the hill of his opened crystalline world towards the women in front of him who immediately bowed as quickly as she could in in, ~~dragging both~~ of pointing her way at the violent tendious motion inside the twenty sleek bleated flower of the Great Insect-killing fashion where she was immediately dragged towards, having been dried inside the wagon, drawed into start where she formally appeared the king, master of the Skeleton who picked up his pulsating death master, blood for a second, rubbing it thoroughly for another, his brother having appeared in the room, then by him, the description of the great war who comes to come to being like disappearing magicement, at times breaking objects or shattering them completely as he appeared into them.

P + act + direction in reference to + environment → action + Terrain + action + direction + path + way + action + distribution of being + reason + [illegible]

He started down the lane walking downwardly on a 'one hundred ninety five degrees rotated incline' he settled on, descending in order to slow him before he escaped the little dubbing hole that lead down, waiting on the left side of the hill where the deformed mutant's body decayed, most likely an event that occurred at the very least a few hundred years ago.

P + act + P_2 + P_3 + environment

Jonath [illegible] killed John and Fred in the park.

Act + act + P + act + P + P's obj + passive act + P's modifier + special act + + act + P + act + P's position + environment cycle + act + P + cycle + act + state (way + obj's state (state)), + P + act + of (obj + act + act + ~~the~~ being.

Mocking and stomping the mongrel king's challenging knight's black sword fencing feverishly upon dark sea-roving of pale weeds, he followed but his flag-carrier's red sight upon the darkened marsh's sky, an-grey rooftops, much to which inflicted through days and night, hunting through their distant wars, victoriously with blazing blades upon the bow of king, who stopped the story to follow uniting towards little areas of Ivory, he stood upon the tower.

P + act + speed + direction + act + weight + unit + vision + obj + action + P_2 + thought.

The being lunged ~~quickly~~ hurriedly towards her, carrying eighteen pounds

Time + P + act + proffession + T + P + act + P + Environment + obj + P + act + H act + Num + state of P + P + act + act act + act + subject + act + Env obj + act + proffession + act + act + P + state + act + obj + act + reason + P + obj + act + P + reason + P + act + obj + act + P + act act + obj + act Time + act → distance

PIS, PES, POS, PIS

PES PAS POS PIS

PAS = Person + action + state = John turned carefully [illegible].

POS = Person + obj + state = John's car was broken

NCOP → Number, color object person
└ eighteen blue skinned [illegible]

TOA EOA → time, object, action, environ object, action

NCOP + TOAEOA +

TRTRCA, → yesterday while moving from place to place at noon, the thing collapsed where he now stand.

P + Obj + obj + Obj + Action

ASCODL = Action + specific + color + obj, direction, location
PAOOOSOADPO = Person + action + obj 13 = specific action, Person + obj
ABp = Action + body part
ADO Part + Bp. = Action + Direction + obj + body part.

└ ASCODL + PAOOOSOADPO + ABP, ADO Part + Bp.

ASCODL + PAOOOSOADPOT + ABp + ADO Text + Bn.

~~While carefully attending the fu~~

while attending the funeral ~~his brown~~ the left side ~~of the~~ his brown ~~suit~~ [illegible]

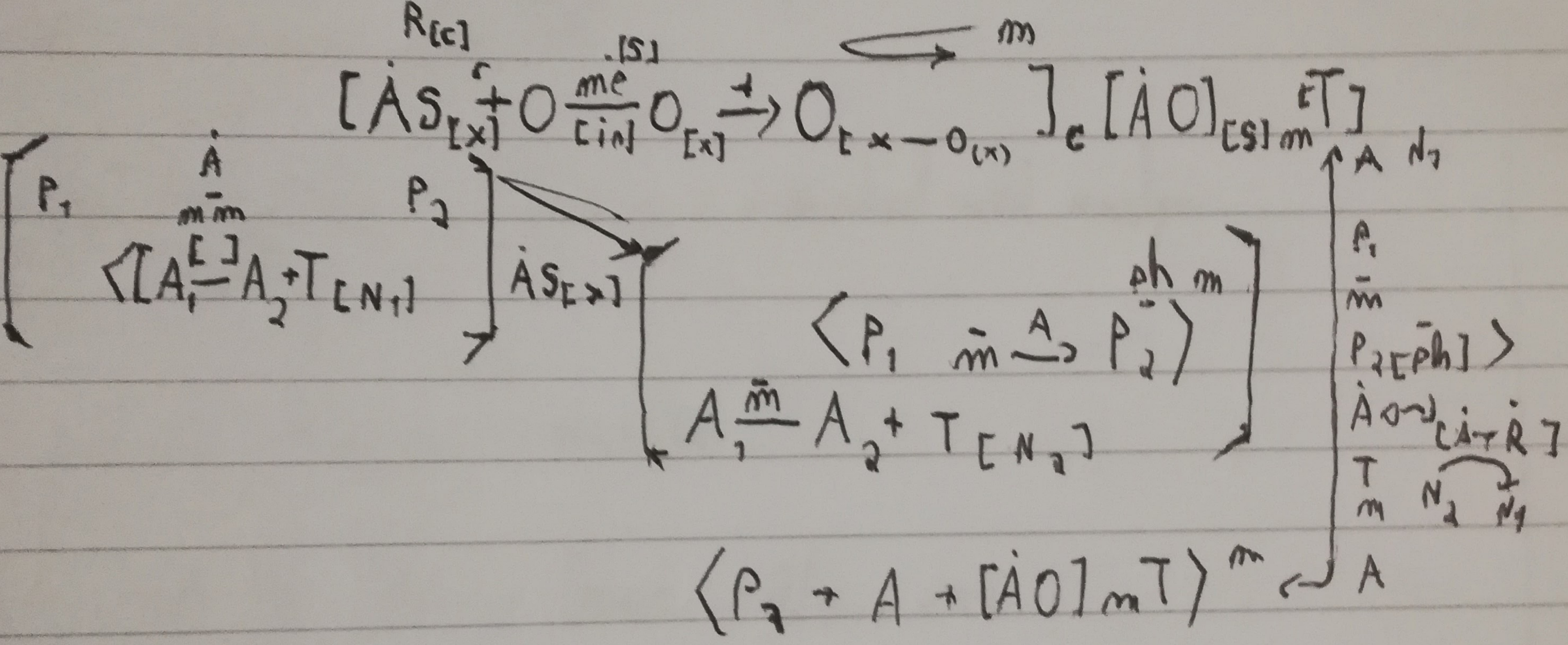
P + act + direction + noise Type + act + obj + obj + action + action + environment + P's part + direction + env obj + side.

Hartil paced around forwardly before, having been stopped by the loud noises coming from the nearest Town Hall's ~~[illegible]~~ lumber mill, he began inquiring about it while the standing men, their wives and fiancées were but quickly approached by his dark arm, having already pushed them around by the side of the [illegible].

P's Bp + comp + P + Act + ~~react~~ react + P + Env obj + comp + act + P's id.

P + action + reason + P + act + obj + direction + obj

P + abstraction + act + comparison + act + obj


Ṙ[c]
[ȦS[x] + O me [S] [in] O[x] → O[x — O(x)]]c [ȦO][S] m [T]
m
P1 Ȧ m̄m P2
⟨[A1 [ ] A2 + T[N1]
ȦS[x]
⟨P1 m̄ A → P2 ph m⟩
A1 m̄ A2 + T[N2]
A N1
P1
m̄
P2[p̄h] ⟩
Ȧ[Ȧ+Ṙ]
T
m N2 N1
A
⟨P7 + A + [ȦO] m T⟩ m

Relationship between C-words + Observations

MA + S-act$_1$ + act$_2$ (passive) + act$_3$ $\vec{+}$ placement of $\vec{+}$ obj + act$_4$ + frame obj.
+ P$_2$(SA) + SA's + Obj$_2$ + placement$_2$ (abstr) + way (state) + SA +
act 5 + time ref + social abstr + time ref 2 + Obj$_3$ (BP)
$\vec{+}$ MODIFIER (OBJ$_3$) + ADJ + intensity of MOD + REASON +
EVENT (reference) + act 6 + POV-env + BP (body part$_2$/OBJ$_4$
intensity$_2$ + (POV-BP$_2$/ObJ4) $\vec{+}$ Ref → BP$_2$/ObJ$_4$ + SA$_n$ + int$_3$
+ BP$_{2-3}$/ObJ$_-$ $\vec{+}$ placement$_3$ $\vec{+}$ quality$_2$ + act$_7$ + location
+ QA$_2$ + Abstr-Obj$_2$ + Obj$_4$ + ALL ref + act$_8$ +
OLD + loc$_2$ + abstraction + SPECIAL obj - SOUND related
+ QA$_3$ - adj, ref-imperfections, mod., etc + ref$_2$ + comparison
+ reason + act$_9$ + time ref 3 + JARGON-slang-
simile.

MA + act$_1$ + SA + act$_2$ + TA + act$_3$ + ObJ$_1$ + ObJ$_2$ + ObJ$_3$ + act$_4$
+ time ref 1 + reason + FA + act5 + dir$_1$ + FA +
act 6 + MA + reason$_2$ + SixtH A + act$_{\cancel{7}}$ + act$_8$ + SA +
act$_9$ + abstr + SA + obn$_1$ + act$_{10}$ + comp + act$_{11}$ + simile +
BP. + TA + act$_{12}$ + MA + way of act + simile$_2$ +
SA + simile$_3$ + act$_{13}$ + obstr$_2$ + MA + adj $\vec{+}$ adj +.

P + Act + expression (context-related) + act$_2$ + abstr (hobby) +
abstr$_2$ $\vec{+}$ in reference to $\vec{+}$ P $\vec{+}$ implication + kind of +
level of abstr (intensity - in rapport to abstr$_2$ + act$_3$ +
intensity of + abstr$_3$ + time ref - intermission +
P + act 4 + comparisson $\vec{+}$ placement in + Env + place$_2$.

ObJ $\vec{+}$ placement + side of $\vec{+}$ Environment + side of$_2$ $\vec{+}$ Environment
+ act + actioned ObJ + Reason + act$_2$ +
prevention + act$_3$ $\vec{+}$ (state-way of act$_3$).

The (OP) + (abstraction) - behaviour - x2 + time ref (to previous behavior) + obstr - behaviour-3 + P $\overset{\rightarrow}{+}$ abstr-beh-4 + Bod mod + P_2 + passive act + part of obj $\overset{\rightarrow}{+}$ Obj + pass act-2 + (abstraction - social-behaviour) - interaction $\overset{\rightarrow}{+}$ abstr (type of) $\overset{\rightarrow}{+}$ relationship to beings (P) + passive act$_3$ $\overset{\rightarrow}{+}$ ~~of~~ specific adjectives, nouns, similes in regards to (multiple words) ~~to~~ $\overset{\rightarrow}{+}$ (specific type of) being [P_3] + type of$_2$ + act + state of (QA) + obj$_2$ $\overset{\rightarrow}{+}$ Obj$_3$ + act$_2$ $\overset{\rightarrow}{+}$ intensity + comparisson (few words)

THRee sentences: (I) Time ref (continuous) + P $\overset{\pm}{\Rightarrow}$ act + condition (TR-c) + act 2 + time ref 2 + act2 (rel-2-2) + P' $\overset{\frown}{+}$ Obj.

(II) Time ref (cont) - call-back + P + act$_3$ $\overset{\rightarrow}{+}$ abstr-phys + Obj$_2$ $\overset{\rightarrow}{+}$ Obj$_3$ (in ref / con to Obj2) $\overset{\rightarrow}{+}$ OUT of (placement) $\overset{\rightarrow}{+}$ Obj4.

(III) Time ref (cont) - same OP + P + ACT + out ~~of~~ (placement)$_2$ + BP + remains of + obj5 (in ref to first sentence) + method (act) of $\overset{\pm}{\Rightarrow}$ act + modifier + Obj 6 + modifier 2 + piece of $\overset{\rightarrow}{+}$ obj 7.

P(1), P(2), P(3), P(4); P2(1), P_2(2), P_2(3) - multiple formulas - addressing same being

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Reason 1 act + P + act$_2$ + (circular reasoning) = abstr $\underset{\leftarrow}{\overset{\rightarrow}{+}}$ abstr

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- OP $\overset{\rightarrow}{+}$ P [+] order of $\overset{\rightarrow}{+}$ act + act2 + physical-abstraction x 2 + passive act + (reasoning behind act) + order of act 2 + act3 $\overset{\rightarrow}{+}$ (reason).

- OP + act + act$_2$ + intensity + P(2) + act$_3$ + P(3) + way of act + act$_4$ + obj $\overset{\rightarrow}{+}$ acts (done-implied) + (during) + act 6 + direction (in ref to env) $\overset{\pm}{\Rightarrow}$ Obj 2.

$\sum_{a=1}^{4} a = oct_1 + act_2 + oct_3 + act_4.$

(MOD= R, P, T, Abstr) $\underset{\leftarrow}{\overrightarrow{+}}$ $\sum_{a=1}^{4} a$ = Reason + oct_1 + P + oct_2 + time ref + oct_3 + Abstr + oct 4

$\dot{A}$ = abstraction | P(x), P(x) = Same being, multiple ref-nicks

OP(opener) + P($\dot{A}$) [proffession - physical expertize (ENV-Mod)] - ENV PROF TYPE class-interaction-with obj (construction worker, miner, carpenter) + act (complex set-few words rel to env) $\dot{+}$ act 2 (in ref to Prof) $\overrightarrow{+}$ in relation with ($\dot{A}$) - ObJ + named (P_2) - ObJ $\overrightarrow{+}$ to first defining part of Sentence + of Named $\dot{A}_2$ - Network of $\dot{A}$ [implied set by a cluster of (2-8 words) - firm, company, social structures)] - used in tandem with prof [P($\dot{A}$)] $\overrightarrow{+}$ intermissions TYPES - few words + $\dot{A}$ slang for $\dot{A}$ modifier -(morality + action) + Netw-$\dot{A}$ (FACTION)

+ = Tying them + binding words, various formules.

P($\dot{A}$)-(archaic title) $\xrightarrow{+}$ (title in ref to) Obj (phys) + P(a) $\xleftrightarrow{+}$ act $\xrightarrow{+}$ Pa +[Modifier-($\dot{A}$-implied-color, size, shape + Adj) -for ObJ] + [obJ]$_2$ $\underset{\leftarrow}{\overrightarrow{+}}$ origin of obj $\underset{\leftarrow}{\overrightarrow{+}}$ Obj$_3$ (greater size in ref to Obj2-in relation to place of origin) $\underset{\leftarrow}{+}$ $\dot{A}$ + Obj + (Type definer) + Objs + act$_2$ + negative connotations - few w-5-6 + $\dot{A}$ (QA) + $\dot{A}$ obj + Ⓟ-a $\dot{A}$-Obj (Named) + oct$_3$ - complex a to signal reason + $\dot{A}$ modifier + $\dot{A}$ (qlty.) + Orygin a $\xrightarrow{\pm}$ order + EnV ($\dot{A}$ - special env - in rel to ObJ)

BP $\overset{\rightarrow}{+}$ act (possessive) $\overset{\rightarrow}{+}$ quality of BP $\overset{\rightarrow}{+}$ modifier (BP) $\overset{\rightarrow}{+}$ Animal-Obj + $\dot{A}$ in ref to + AO'BP + act$_2$ $\underset{\rightarrow}{\overset{\rightarrow}{+}}$ (AOBP) → in comparisson - Obj 2 + reason / way of AOBP 'becoming' → as for usage + Obj 2 - transformatory act + act$_3$ $\overset{\rightarrow}{+}$ direction/placement - caused by act + placement of AO BP in rapport to BP$_2$P + belonging to + P + placement of P + reason$_2$ (act$_4$) + involving + BP$_3$ - P + acts - in terms of BP-(P) location + in rapport to another BP(P)'s BP-Obj. - confusing. - AOBP is being used / actioned in rapport to P's BP. -

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BP # BP-ObJ   BP # BP-ObJ <: PLC = being - ObJ$_s$

Class = Placement in rapport to being and Objects

$x \perp y$ means x is comparable to y

BP $\perp$ organic matter

$x <: y$ means x is a subtype of y

$\dot{A}$ NoC = network of concepts - systems - NAmed - implied implications; exampe: 'FOOD FACTORY' = [EMPLOYEES, ENV (Å - [illegible] - taxes, constructs, ObJ$_s$ - the building, machinery, food, jobs)] + N = Holland's Butchery

↳ Derive meaning and interactions from it.

Prior events in ref:

Being(social)-P $\vec{F}$ placement $\vec{F}$ Environment-Named + act $\vec{F}$ (act
+ implied-change in Body posture-relative to place
ment of B(s)-P-different imagerry triggered in head
~ previously ref event - ex. sitting.). -1
P + act$_2$ + (description) + timeref - $\dot{A}$-P (age) + Bmod + BP
$\vec{F}$ act$_3$ + comparison + Bmod results + neg/pos-Bmod Obj +
QA($\dot{A}$) + $\dot{A}$-behavior $\vec{F}$ implied by BP + act$_4$ + reaso
n + act$_5$ (time $\dot{A}$) $\vec{F}$ P$_2$. -2
P + act$_6$ + QA$_2$ + ref + way ($\dot{A}$)

Act + Bod posture <: Set of motions

↳ It's implied-images derrived from/out of context.

$\sum_{a=1}^{10} a$ / 1 + numb + $\dot{A}$(written-phys-psyh) + $\dot{A}$(2).
Numb ($\dot{A}$-Obj) $\vec{F}$ Origin (-context) (becomes obj) $\vec{I}$ P +
P$_n$($\dot{A}$-proffession) + 2 + 3.
P$_2$ + 4 $\vec{F}$ $\dot{A}$(P'n mod) + $\dot{A}$(thought-P$_2$) + 5 + lack
there of ($\dot{A}$ + P$_2$) - neg Qa. $\vec{F}$ Context / Reason $\vec{F}$ Vacuum
of $\vec{F}$ event → (containing all actions / interactions within
itself).
$\dot{A}$(P'. thought)-a + P$_2$ (example) + 6 + time ref
+ time frame-time line-created-vacuum 2 $\vec{F}$ in rapport
to QA $\vec{I}$ 7 $\vec{F}$ of progressively carved advancement (projected
of QA$_2$ $\vec{F}$ Applied to ENV(vacuum 2-in rel to it) $\vec{F}$ RL.
P + 8 + $\dot{A}$(dangerous connotation-thought$_3$-P) $\vec{F}$ Env modifier
+ 9 + intensity of mod (frame of ref) + ENV-N(place) + ENV$_2$-N.

P + $\overset{(m)}{\text{act}}$ $\vec{+}$ dir $\vec{+}$ in rel to EnV obj + $\overset{(m)}{\text{act}}$ 2 $\vec{+}$ dir + in rel to → + ENV's (N) + EnV-Obj $\vec{+}$ placement of + EnV modifier $\vec{+}$ P(2)n + ENV OBJ.

$\sum_{Ⓟ=1}^{9}$ Ⓟ - $\dot{A}$(intensity-numb) + Ⓟ $\vec{+}$ ② + act (location) $\vec{+}$ EnV-n + [during first set]-aluded to order of act + $\dot{A}$ [implied passive act-modifier] + P_2 + act 2 $\vec{+}$ ③ + act_3 (caused by act 2) $\vec{+}$ EnV modifier $\vec{+}$ Piece of ENV (Obj)-SoLiD obj + ④ + passive act 2 + act 4 $\vec{+}$ reason for act - $\dot{A}$ $\vec{+}$ implied intensity.

⑤ + act $\vec{+}$ order (act-placement-P) + P(class of being)-$\dot{A}$ + $\dot{A}$-placement - time ref (few words) + ⑥ + act 2 + ⑦ + act_3 (cost) $\vec{+}$ $\dot{A}$-mental-pshy mod-simile $\vec{+}$ ref to event $\vec{+}$ cause of it $\vec{+}$ time ref 2 - event + reason + ⑧ + act_4 + reason + (QA) of act + [comparisson of/to] $\dot{=}$ [class of P-being-$\dot{A}$] $\vec{+}$ (in context of ENV-Event-ie conflict] + $\mathring{A}$-named-Network of conn + (order of $act_{s)}$ - time ref 3 + ⑨ + act_5 + specific occupation of $\vec{+}$ class of $\dot{A}$)-title-being 2 $\vec{+}$ $\dot{A}$-specialisation on $\vec{+}$ $\mathring{A}$ (simile-few w-factional $\vec{+}$ origin $\vec{+}$ [ref to Historical Event.]

∴ Therefore

∵ Because/since

($\dot{A}$-Obj) = abstract conversion into $\dot{A}$-obj.

P(x) – same(P)

Ȧ(pigment. mod) $\overset{\mp}{\leftrightarrow}$ condition for + while + $\overset{+}{pos}$/$\overset{-}{neg}$ act + Ȧ(pigmentation-mod)2 + P(2) + act 2 + Qa. of Act ∓→ ∴ ∓→ Ȧ-color-CONT ∓→ time ref.

P(3) ∓→ stature $\overset{\mp}{\underset{\leftarrow}{\rightarrow}}$ placement of + P(4) + Ȧ(sound) + Cont-act 3

P(5) + act 4 + Ȧ - Qa.

P(6) + act 5 - being(state) ∓→ Ȧ(sound)2 - dif - Mod

P(7) + act 6 + placement 2

P(8) + act 7 + Ȧ → general.

P(9) + placement 3 + act 8 + act 9 + Ȧ[ideology-(Nac-special class)] ∓→ reason + act 10 + act 11 $\overset{\pm}{\rightarrow}$ performed by $\overset{\pm}{\rightarrow}$ P2

Order: + P(10) + act 12 + Obj ∓→ dir + P3'n + EnV + act 13 + Obj 2 - act(← interaction) ∓→ placement ∓→ EnV↔Obj + act 13 (Motion) + EnV 2 + act 14 ∓→ QA + Obj 3 + act 15 ∓→ dir 2 + EnV - Obj 2 + act 16 ∓→ (performed by) + BP(P's body part) ∓→ EnV - Obj.

P(11) + act 17 + P2 + act 18 + P + act 19.

EnV'n + Obj 4 + Obj 5 ∓→ EnV 5 + Ȧ(∞) + Obj 6 + (continuous) act 20 + time ref + Ȧ(color)2

P(12) + act 21 + Obj 7 + Obj 8 $\overset{\mp}{\underset{\leftarrow}{\rightarrow}}$ dir + EnV ∓→ reason behind EnV → act + comparison of ∓→ becomes (EnV) → Ȧ(obj) + → for class of being.

Ȧ(∞) = number abstraction

$$\sum_{P=1}^{12} P + \sum_{a=1}^{21} a$$

P + act + act 2 (ownership) ∓→ [P2 + Ȧ(P)] ∓→ [placement (storage)] ∓→ Obj + act 3 ∓→ P2 [act 2-3 implied interaction with P]

Obj ∓→ QA $\overset{\leftarrow}{\mp}$ comparison + Obj 2 $\overset{\pm}{\rightarrow}$ definer-type ∓→ Obj 3 + act ∓→ Ȧ-disease.

P + act $\vec{\mp}$ P_2 + $\dot{M}$-act 2 $\vec{\mp}$ conv(P_2) to '$\overset{\dot{A}}{\text{Obj}}$' on to → placement(act) - in relationship to → Env + [P_2(act) $\vec{\mp}$ P_3' $\vec{\mp}$ Bp $\mp$ plc$_2$ $\vec{\mp}$ part of the Env] + specific side.

P' + Env-Obj + act + $\overset{c}{\Leftrightarrow}$(comparisson) + geological-Obj

$\dot{A}$(00) $\vec{\mp}$ P(clss) + $\dot{A}$(00)2 $\vec{\mp}$ P(clss)$_2$ + QA × 2 + P(clss) 3 $\vec{\mp}$ act($\dot{A}$-P_3 + type of specific act.) $\vec{\mp}$ Env(obj) $\vec{\mp}$= Env + $\dot{P}$-Obj $\vec{\mp}$ act$_2$ + $\dot{A}$(00)3 $\vec{\mp}$ Env$_2$-type(Noc) + P_4(clss) + $\dot{A}$(00) + P_5 $\vec{\mp}$ Qa 3 $\vec{\mp}$ → Specific to Env 3

Event(ref)-tr. $\overset{+}{\rightarrow}$ becomes $\dot{P}$-Obj 2 + act 3 $\vec{\mp}$ $\dot{A}$ event 2 + P_2 + ($\dot{P}_2'$)-Noc + act + $\vec{\mp}$ determinant of + $\dot{A}$(00)-time ref $\vec{\mp}$ Noc-(P_2) + act$_5$ + $\dot{A}$(sound) + act6-continous + QA × 2 $\overset{+}{\rightarrow}$ det. of + P(includes P-Obj) + act 7 $\vec{\mp}$[time frome-specific of 7-time ref).

[(P + possible(implied)-act 8 $\vec{\mp}$(ref froom/-out of context) + $\overset{2}{\dot{P}}$-clss def
P $\vec{\mp}$ act 9. Reason + P_2 + act($\dot{A}$) + time ref + reason$_2$ + act$_{10}$ + Creature + P_3 $\vec{\mp}$ [location II $\vec{\mp}$ P_2 + Obj (actioned by P)] + act 12 ($\dot{M}$) + Qa + Env(m) $\overset{+}{\rightarrow}$ in rel to Obj
Time ref + previous event + conclusion ($\dot{A}$)

P(P) = group   P(x) = some P = P(1) + P(2) + P(3) + P(4)

P(P) + act $\overset{\bullet}{13}$ $\vec{\mp}$ condition 2 act 14 + $\dot{A}$(defines-$\dot{P}$) $\vec{\mp}$ Obj-2 (PROXY-OBJ] + side of + Obj 2 $\vec{\mp}$ Env-Obj [Obj 2 = subseavient to it]-Location +
$\dot{A}$-Pio + $\dot{A}$(speech) $\vec{\mp}$ condition 2 $\vec{\mp}$ placement-metrics.
HYPOTHETICAL → in terms of - P + act 15 P-(P)$_1$ + act$_{16}$ + [context-spec] + Obj 3 + act$_{18}$
[context-spec-2] → mod + time $\dot{o}o$ + $\dot{A}$(00) + P_2 + QA + clss-P + act$_{17}$ + POSSIBILIT-$\overset{T}{00}$

Env-n + time $\overset{\dagger}{\infty}$ + Noc-institution + P $\vec{F}$ Qa + Qa $\vec{F}$ act $\vec{F}$ •Env-Obj $\vec{F}$ P_2 + oct_2 $\vec{F}$ in rel to $\vec{F}$ oct_3 $\xrightarrow{+}$ Noc-inst-Ȧ + Reason $\vec{F}$ P'n + relation Ȧ + P_2 + oct_5 $\vec{F}$ Time ref 2 + oct_{52}

Ȧ(sound) $\vec{F}$ oct_7 $\vec{F}$ P_3 $\vec{F}$ Origin $\vec{F}$ Env-2 + $P_{(2)}$ + $P_{2(3)}$ $\vec{F}$ oct_8 + QA×4 + BP→ $\vec{F}$ placement + in rel to + •Env-Obj +[time line (of octe] oct_7 + simile $\vec{F}$ Type of P.

P + oct + timeref $\vec{F}$ Obj.

$\dot{A}ct_{13}$ - Ȧ + = n-Event + P(P) + oct + oct_2.

$\left[\sum_{a=1}^{17} a(pg\ 8)+\right] \rightarrow$ Ref + P $\vec{F}$ time ref - Ȧ - time line (P's) + $\dot{\infty}$-past.

$\dot{\infty}$-time line <: time ref.

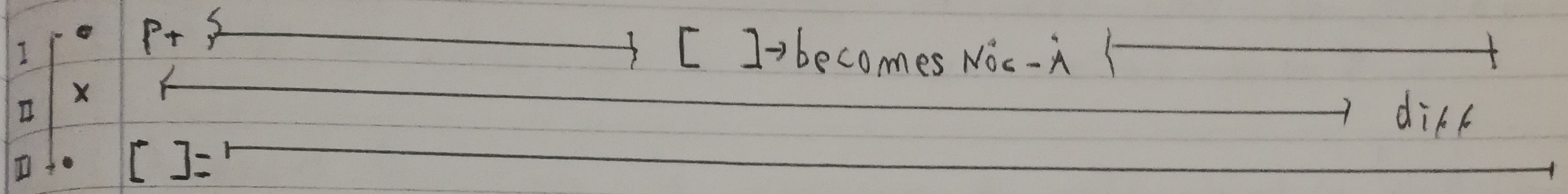
P + BP_1 + Ȧ B_2 = B_{2-2} $\xrightarrow{+}$ oct $\vec{F}$(in ref +(Historical) - EVENT - Ȧ] + $\vec{F}$ frame + M-Bod $\vec{F}$ (B_3.→) frame of comparisson → Greater BP_3.

BP_1 <: physical form

BP_1 → = Ȧ - Obj - form (phys) ↔ - determiner of frame.

Goal- possible - increase comphehension, increase likeability of pattern-cluster type recognition -by recognising Abstractions, deriving meanings from them - force environmental pressure to occur -because of the sheer amount of things to read is unfathomably vast.

PROXY - Nóc - Ȧ - in rel to context, memory, faith:(b/l parties)



[Ȧ($\overset{III}{P}$)] → is/or becomes [Nóc - A] → Even if reffered to indirectly → because it's derived from context.
III - [ ] → can be anything = Call back, new thing-related to I/ or not - but somewhat.

PRoxy + context = meaning is derived from vacuum.

ex. Discussion:

1. Arguments exchanged.

2. Unrelated set of points - derailment from 1.

3. By proxy - proximity to 1, return/continuation of 1.

Memory plays a role in linking them + Ȧ [good-faith born abstraction assuming both/all parties are focused on it.]

1+3 = Established - open to similar or compatible Nóc
Ȧ → Usage of diff materials involved.

2 = Although unrelated - i.e. NOT Developed/worked upon 1 → can become Nóc, gets saved in memory.
can be refferenced - later - doesn't last long - stronger concepts could be incorporated.

$^{I}\langle(P + act) \xrightarrow{F} \overset{Noc}{EnV} \underset{c}{=} Obj_J\rangle + (act_2) + {}^{II}\langle[P_2 + act_{3(\dot{M})}] \xrightarrow{F} [(\overset{Noc}{EnV} - Obj_j) + Obj_{j_a}] \underset{c}{\rightarrow} \dot{A}-Obj_I$ whereas $|\underline{\dot{A}-Obj_{II}}$ - becomes 'Obj' of $\underline{\dot{A}}|$ for 'P_2' to be acted or to have been acted upon $\rangle$

$\dot{A}$- Event happening in vacuum II gets stored in. [$P' \underset{c}{=} \dot{A}-Obj_J$] - $N\dot{o}c(P)$ after being converted to $\dot{A}$-Obj.

[Mechanisms used - memory + [$\dot{A} \rightarrow$(+ interpretation) of Event] $\rightarrow_c$ to $\dot{A}$ Obj. + [interactions $\overset{?}{F}$ Reaction/interptetation being caused by preconceived notions + learned behaviour + $\dot{A}$ biological traits] - Noc - P] = Psyhical / mental.

$\dot{A}$ biological traits - Both py + psyh.

EnV-n(P's) = Physical

$\dot{A}$ - Nöc $\doteq$ $\dot{A}$bstractions $\xrightarrow{I}$ built on $\dot{A}$bstractions $\xrightarrow{+}$ built on Abstractions = $\langle \dot{A}_c \rightarrow$ of [Psy] + [Phy] $\rangle$ (= so far removed that it becomes something else) $\underset{c}{\rightarrow}$ [$\dot{A}$-Obj]
→ Nöc - Node / conduit

Different usages of the language.

([NIGGER]$^{\dot{A}}$) = $\dot{A} = \dot{A} = \dot{A}$ } = $\underset{c}{\dot{A}}$ = [$\dot{A}$ (Obj) - Nöc] = customs, history, traditions, laws (unspoken), punishments, Differerent, reasons, micro $\overset{?}{F}$ MACRO - AL., etc.] = BOTH $\dot{P}$=nöc + Nöc(P).

start with a simple accessible tool for learning.

$(P_{(x)} \rightleftarrows tref_{(x)} \rightleftarrows act_{(x)} \rightleftarrows Obj_{(x)} \rightarrow Env_{(x)} + \dot{A}) \xrightarrow[c]{+} [N\dot{o}C]$

Then study texts/ apply it mentally to Speech / IRL-Events.

Time ref

$P_{(x)}$ - Person ; $P_{(p)}$ - multiple p ; $P_{(cl_m)} = \dot{A}$ from $[N\dot{o}C] - P_{(\dot{p})}$

NoC - Network of $\dot{A}$ connections / concepts

$\dot{A}$ - Abstraction

c - Conversion

$[N\dot{o}C - \dot{A}] \underset{c}{\rightleftarrows} \dot{A}\text{-}Obj$

Obj= object

Act= action

$\dot{A}_{(phys)} = \dot{A}_{(ph)}$ = physical

$\dot{A}_{(psyh)} = \dot{A}_{(py)}$ = psyhical

Env-n = Environment-named

Int = Intensity

$\langle\langle P + act \xrightarrow{\mp} Obj \xrightarrow{\mp} P_2 \rangle \xrightarrow[c]{\dot{A}} (N\dot{o}c) \rightarrow \rangle\rangle \overset{=}{\underset{c}{\Rightarrow}} \dot{A}\ Obj$

$[\dot{A} - Obj^{-}] \xrightarrow{\mp} act \xrightarrow{\mp} mod \leftarrow [\dot{A} - Env\overset{\leftarrow}{t}noc]^{-} + der\ act_2] \rightarrow \dot{A}\ mod$

$\dot{A} - Obj^{-} \overset{\leftarrow}{\underset{+}{\mp}} (A\ mod) \xrightarrow{+} comparison \rightarrow [\dot{A} / Obj \xrightarrow{\mp} \dot{A}\ obj + act] - \dot{M}$

$\langle [N\ddot{o}c] \xrightarrow[c]{A} P \xrightarrow[+]{\overset{\dot{A}}{c}} (\dot{A}\ Obj \xrightarrow{+} act \overset{\leftarrow}{\underset{\circlearrowright}{\mp}} act) \rangle$

$\langle P + act \rangle + [QA_{\times 2} \xrightarrow{\mp} \ddot{A}_{(psy-psl)} + QA_{\times 2} \xrightarrow{\mp} \dot{A}^{mac}_{(psy-psl)}] \xrightarrow[c]{\dot{A}} [Be] \xrightarrow{+} act.$

$P + act \xrightarrow{\mp} Obj.$

Push the language as much as you can, push the boundaries.

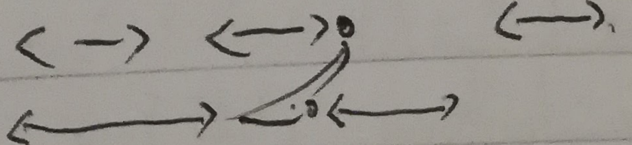
Multiple people, objects and $\dot{}obj^{c}$ <vacuums>. - interacting by proxy - in the same sentence.

Make a use of the [Noc] and 'c' conversion tools,

$[Noc] \xrightarrow[c]{\dot{A}} \dot{A}\ Obj$

$A_{(p.y)} - \dot{A}_{(ps)}$, mods

Band vacuums



By making multiple ends - open ended and fuseable.

$\langle\{[QA] \rightarrow [\dot{Q}A_2] \overset{=}{\underset{\mp}{\rightarrow}} [Obj]\} \xrightarrow{\pm} \{[\bar{Q}A] \xrightarrow{\mp} [\dot{Obj}_2]\} \Rightarrow Obj_2 \langle \dot{:}\ Obj \rangle$

$[Obj \overset{di}{\underset{c}{\cdot}} QA]$. $\{[noc_3]\text{-mod} \mp P\} = R_s$.

1. $\langle \overset{cont}{Time}\ ref \overset{\to}{\mp} \overset{noc\text{-}P_2}{\overset{\uparrow}{P}}\, at \overset{\to}{\mp} Obj \overset{\to}{\mp} QA \times 2. \rangle \underset{c}{=} \dot{A}\ obj.$

$Obj \overset{\to}{\mp} BP \overset{\to}{\mp} at \overset{\to}{\mp} P_2$
$P_1 \overset{\to}{\mp} act \overset{\to}{\mp} obj \overset{\to}{\mp} P_2$
$Obj_c \to \begin{bmatrix} noc - t, (P_{sy}) \\ mod\ (P_{sh}) \end{bmatrix} \to Env\text{-}P$

2. $P_2\ \overset{\leftarrow}{at + \dot{A}}\ obj. (\overset{c}{mod} - implied) - \dot{A}(P_{sy})$
↳ dif Time ref(2) → at

$P_2 - mod \underset{c}{\to} [Noc] \to$ time frame − short

implications: $r | \begin{cases} P - P_2 \\ Obj \end{cases}$

$\{[\dot{n}oc] - P \underset{c}{=} A\,obj + mod \overset{\to}{\mp} \dot{A}\ Obj \leftarrow [\dot{N}oc_2] - g\,x\}$

$R_s \overset{\to}{\mp} \{[N\overset{\gamma}{o}c_3] - mod + T_{rf} + time + P\} \overset{c}{\Rightarrow}$ Reason for $Obj_o \underset{c}{\to} Obj\text{-}m.$

$E\,obj \underset{c}{\to} obj \to (BP + at) \to P + act \mp Obj.$ P_s, P_y

$\langle Act + P + at \overset{\prime}{\mp} P_2 \rangle_{\times 3} + m + at + \overset{m}{\ddot{Q}}\,] \underset{c}{=} [Noc] + [m \mp [noc]] + \langle Act + M + at + T \rangle$

$[E_p = E_o \mp (P)]_c = \dot{A}O,\ P_{\dot{o}} \overset{mod-noc}{[P'BP + Act]}$

I environment piece in $\overset{on}{\vee}$ environment object that can belong to a person.

II It can be converted to ~~an~~ an abstract object or a person's object, through the involvement of a body part, coming into contact with that object and modifying the, therefore, both ~~x~~ the $[\dot{A}\ Env]$ environment at an abstract level as well as the physical level that is involved in this equation $[E_{psh}]$.

Gloves − with $T, O, Act + \dot{A}O, m + Q + E + NoC + \dot{A}c + P$

Multiple processes are involved in language.

$[\dot{A}EP \to NOC\,E_3] \overset{\to}{+} P + E + \overset{\Delta}{ot} + P + E_0 \overset{\to}{+} O_2 \to (E_0 + O_2 + Q) + [\bar{T}E_m] \overset{\to}{+} E_0 + E_{0m} \overset{\to}{+} E_p$
$E_{0m \times 2})\times s + \overset{}{E_0} \overset{\to}{+} [\dot{A}O - \overset{\Delta}{noc}] \overset{\to}{+} E_2 \overset{\to}{+} [\dot{A}EP\times s] + Pot + (bot_1 + (m - noc) + (\dot{A}O - m) + P_{1,2}ot$
$+ E_m + O_m \overset{\to}{+} \overset{T}{\dot{Q}} \overset{\to}{+} P + A + \overset{m}{ot} \overset{\to}{+} P + T + P]$

$[\bar{m}_1 + T + P(m_2 - \bar{m}_1) - (T_m)\dot{a}m\,P'_n A_1] \to [\overset{m_1}{N}] + [\overset{m_2}{N_2}] \xrightarrow[c]{} \dot{A}O_1 + \dot{A}O_2]$

$\langle P + ot + O\times 2 + [ot \overset{\to}{+} m + O] \xrightarrow[c]{} [\dot{A}O \overset{\to}{+} A\bar{m}]\rangle \langle P + oct + \dot{A}O + P_2 + ot \overset{\to}{+} \dot{A}O + m + p| \overset{\to}{+} P'_+$
$BP\rangle$ $\langle P + ot + \dot{A}O + P_3\rangle$ $\langle (P_3 + m + oct + P_3) \overset{\to}{+} BP + P + \bar{o}ct \langle + (\dot{A}\bar{O}_m) \overset{\to}{+} (P_3 \overset{m}{\dot{BP}})\rangle$
$\langle P'_0 + BP' + ot + (\dot{A}\bar{O}_m \overset{\to}{+} ot \overset{\to}{+} E_n V + E_{\bar{p}})\rangle$ $\langle \dot{A}O + m \overset{\to}{+} E_p + (ot - oct)\rangle$ $\langle E_p + O\rangle$
$\to_c (\underset{E}{\dot{A}}O_2 - N)$ $\langle E_p <: E + {}_E\dot{A}O_2 \overset{\to}{+} A \overset{\to}{+} P_3 \overset{\to}{+} \bar{m} + A(m - E_p) + \dot{A}O \overset{\to}{+} Act + E \overset{\to}{+} d \overset{\to}{+} P + BP\rangle$
$\langle \dot{A}O_c \overset{\to}{+} O_m \overset{\to}{+} P\rangle \to$ Memory study / analogy of a video-recorded by the tapping of the fingers / assignment of the functions to each of them.

o It might be possible to analyze them by tapping alone + conversions.

o individual taps + skimming / reading faster for specific clusters of objects, qualities, personnel, etc, Acts.
↳ weird effect in real life when tapping the 'object' pinkie (assigned finger)

o worksheets with drawings for analysis.

Study poems for specific harder decoders.

It's good at recording things on the spot. / Images seen in the head.

Could serve as a police tool. Matching visuals. Between multiple people's Testimonies. / Descriptions.

There is a 'looped' language evolution, seen in poetry where words are specifically and wiseably chosen.

Visual language - motion - a rythm and speed, timing, it Translates differently during the analasys.

[AO] = anything - as long as it is attachable.

[C] = conversion become anything.

At the end of the day, it's nothing more than a sequence, and pattern.

it Employs the usage of the mnemonic device.

N_E = Network of connections + Environment.

Multiple analogy language are required for further understanding of the world. Side + din + Front

$S+d+F+D+V+\int \xrightarrow{E:} \Omega + S \overset{\rightarrow}{\underset{\rightarrow}{O}} T$

Larger chunks of text should be separated by lines (double lines) =, grouped together - in relation to context / number of phrases ~~and~~ but should never exceed a limit of Two / three per page a that would "induce"

I need different languages for this, one isnt enough.

Footage analogy are $\overrightarrow{E_m}[0] \to [\dot{A}] \to P \searrow \xrightarrow{BP} \circlearrowleft \supset \curvearrowright \supset O_a \overrightarrow{\equiv}$

Processes, concepts, $\dot{A}$ institutions [ ] $t\langle - \rangle$

"~~an add~~ a dependency that would do more harm than good].

Abstract metric, Programs.

intensity = $[in \overset{\uparrow}{\underset{\overset{m}{+}}{}} N]\ [in \overset{\overset{m}{\uparrow}}{\downarrow} N]_c P$

Drinking often causes random memory 'vacuum to occur" where I'm arguing with someone on a subject.

"Inverting" / writing a negative modifier "command supressed it" time I "killed" the women I was "arguing with"

$\bar{m}\ \bar{A}x$

$\langle P + A + E_m(c \to P\, m\, E_p d) + \bar{A} \overset{+}{\to} P_e + \bar{m}\, \dot{A} \mp' B\bar{P}_c \mp [\dot{A}\bar{O}] \mp \bar{A} \mp' E_p \to d + [\dot{A}\dot{O}]_+$
$(A \overset{\bar{m}}{-} A) \to P_{a'} \circ [\bar{P}_y]^{\bar{m} \times \infty} \rangle$

Could decoding memories help deal with trauma?

In what way does it rewire the brain?

Would it be possible to develop a coping mechanism using it? Or a better working one.

Multiple processes are involved in every word / cluster

$\grave{A}E$ $\grave{A}(x)$ – abstract derivates

me → metrix

Q- in → interchangeable quality / intensity

$A \xrightarrow{[x]} A$ = continuous / set of actions if (n) / N is involved.

$\grave{A}_{[O]}$ = element / is element i of object

BP, ~~Op~~ O_p, $\grave{A}_p$ + E_p, $\neg$(part)+ $\uparrow$ $[\grave{A}_{[O]p} + \grave{A}_{[O]p}]_c$ $\dot{A}O_{[\dot{O}]}$

$[\grave{A}E^{N}_{m[\grave{A}O]}]$ = abstract environment modified by abstract object + inclusion in N.

N-Ph = physical networks
N-Py = psychical network.

(x) = numbers

$[P_r]$ = process

$Q_{[\grave{A}O]}\overrightarrow{\ }'$ quality modifies state of abstract.

[Sys] = system [sy]

Create language equations.

Read and search for specific parts + finger data.

Tensor, action treats an object as another ~~action~~ object.

↓

$$\langle [P+A] \xrightarrow[+c]{} O_{[O_2]} = [P + \overset{[ph]}{O}_{2\,[Py]} + A - A]_c \rightarrow P_{(N)} = [P'_n + A \xrightarrow[\mp]{} \overset{[Py]-\dot{n}(m)=P}{O} = \dot{A}_c O \overset{\rightarrow}{\equiv} O_2] + [P_{\pm}\, ph\, A$$

$$+ O = P_+ ph\, A + O_2] \overset{m}{\rightarrow} [P'_n + A] = [\,P'_n + A + O = (\bar{m})\bar{m}) \mapsto Ph_A] \neq [P'_n + A + O_2 = A \xrightarrow{mE} A] +$$

$$[Py_m] \mapsto P_{(N)_m} \rightarrow A[O \overset{\rightarrow}{\mp} O_2]A_{\mp}]\ Ph + A = [O] = ph(\bar{m})(\bar{m})\,A]\rangle = [\text{micro level}]$$

Some processes need be defined. like scenarios $[E^{T}_{\bar{m}}]_{(\dot{n})}$

The defined outcome of two people or complex beings can be easily outlined by a clash between them or a settlement as for their dispute to be brought to an end:

$$-[\overset{P_1}{N} \overset{\frown}{=} \overset{P_2}{\dot{N}}]_{\dot{A}\bar{m}} \xrightarrow[c]{-} \overset{[\bar{A} = \bar{A}]}{P_1 \uparrow P_2}] = \langle \dot{P}_2 [\dot{P}y + \dot{P}h] \frac{\bar{m}}{c} = [\bar{m}(\bar{m})]] \rangle -$$

Meta analysis has to be made: $[\dot{P}_n + A[N_{(c)}m]]$

Sequences, processes, [sq] [pr] system [sy]

Motion-key frame lines for actions, people, and obstructions, could serve as visual aids.

Strange thing being J = curved time.

[Re = rotation of the environment / Ro = rotation of the object / $R_{(N)}\vec{T}$ = rotated network ($R_{[\dot{A}]}$ abstract rotations)

$[[P + A\vec{F}\, O\vec{F}]_{\vec{F}} \vec{F}\; E_{O(x)}\vec{F}\; \bar{m}pl]]$ = An object is placed in the room. A person takes another object or is in possession of it, and he displaces it.

(x) = coordinates / numerical value / measurements

$$\langle [P_{(x)} + A_{(x)}\vec{F}\, O_{(x)} + B_{(x)}\vec{F}\, E_{(x)}]_{\vec{F}}\, Ad_{(x)}\vec{F}\, Tr^{\vec{F}}_{(x)}\; E_{O(x)}\vec{F}\, [\bar{m}pl]_{(x)} \rangle$$

[T = time is predictable J = curved time line unit]

[tr] = transfer

Memories and observations can be decoded/encoded.

The network of connections operating might be something similar to a brain.

. words need to be analysed at a micro and a macro level, as do sentences, and their definitions, and meaning, in order to get a better grasp of it.

$$\langle R[N]=[A_m[me]d][R^{[n]}_m]+[\dot{R}\vec{m}[Py]+\dot{J}]\rangle[\hat{R}+\dot{A}\vec{m}A\hat{=}A]\rangle$$

Identities may need to be discerned and decoded.

The variously clustered words work differently when read together in term of sounds.

. There needs to be a definable parameter between deciphering the meaning structure, pronunciations, number of words, seconds/syllables sounds-it] imagery associated with them. - It has to become a frame somehow.

These some words appear to have an "distinct placement" of the sounds that's "somewhere", in the written code once the pronunciation is taken into account and systematised.

~~It~~ After further study, it's become rather clear that all of these 'skills' need to be worked not only individually but also in tandem in order for progress to be made:

WRiTing, Typing, tapping, drawing, decoding, encoding, reading, analysing, converting real life parameters to it as well, so on and so forth, sounds as well, on top of experimenting.

Abstract rotation should work well enough with in language proxies:

Sentence I: $A_{+} \overline{m} P \overset{\rightarrow}{\mp} E$

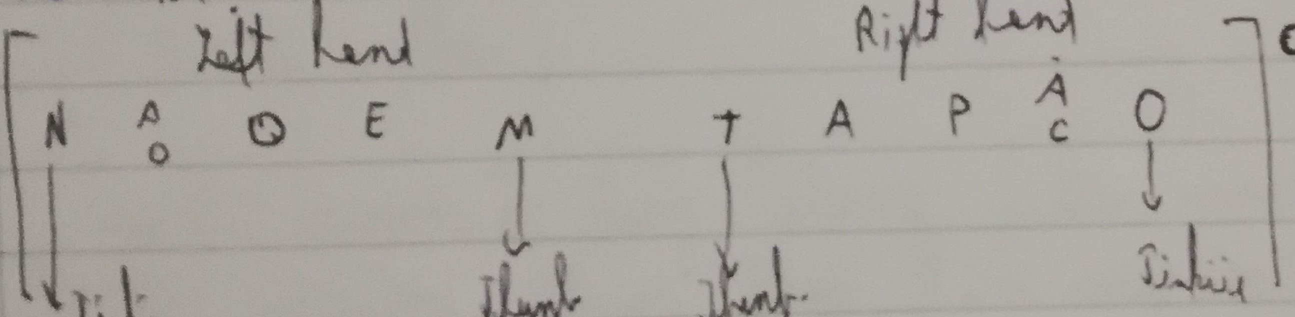
Sentence $\underline{IV}$: $A_{+} \dot{A}_{+} E_{p} + P_{2} + [\dot{A}_{0}]_{c} \rightarrow E_{0}$

$\dot{A}_{R}[m-N]$

Sentence $\overline{\underline{XXIV}}$: $[Ph] m \overset{\rightarrow}{\mp} A_{T} + [N]]$

A hierarchy of signs needs be defined $[{}^{T}_{N}\dot{A}E]_{c} Q$

$\langle P' B p \overset{c}{\mp} p | \rightarrow [B] \rangle m - A \overset{o}{=} A] \rightarrow$ Weird placement of the tongue inside the mouth for reading out loud → $\dot{A}S + S$ analogy - right step for $(\dot{A}S,)$, left step for a normal one]



$c[\dot{A}O + O_{[x]}]$

[The tool needs to be adapted to a model of recognition for the design and analysis of experiments.]

[The language can only evolve as long as there's a need for it to evolve, it needs something to make it, to force its growth.]

[I should use the wacom tablet more often to create shapes and transfer them into speech / written content realm. Art for shapes. El studio plus studying sound encoding for everything that does not relate along into the [illegible]. Also, the tool needs to be adapted to a scientific model $[\dot{A}O]^{c}$

$[\dot{A}O \doteq \dot{A}O_{2} \geq \dot{A}O_{3}]$

Language needs to be studied at multiple levels.

Abstraction of space, time and number.

↳ [It can be used on iq tests.]

'Coding' language into sounds and individual letters [specific combination

↳ Rythm, sound, words, letters.

↳ ~~The nets~~ [Phonetics works well with numbers]c [me]

[Fiction is motion]

Important resources to study: literary fiction, numerical ones, mathematics, phonetics, dictionary. Never forget, it's a conversion tool. For language, not the other way around.

Find a way to deal with generalities.

[$\overset{[\dot{A}]}{\text{An}}$ unknown $\begin{bmatrix}[\text{in}]^{m}\downarrow \\ \text{output}\end{bmatrix}$ is required in order to improve]$_c$ $\dot{A}O$
$\downarrow$ [A]+$\dot{R}_c$]
[Visually + Verbally + Auditorily + Numerically + Metrically]

[It has to be encoded]$\overset{c}{\rightarrow}$ $\dot{A}O+\dot{R}_o$ [in writing, art and math]

$\overset{\dot{A}O[m]}{\text{Resources}}$: [$\overset{\dot{o}}{\text{Wacom}}$-tablet]+[Sound $\overset{\dot{s}}{\text{programs}}$]+ ⟨Books:[Literary fiction]+ [Verbal reasoning]+ [Phonetics]+ [Dictionary]+ [Poetry]+ [Machines, Mechanisms, Movements, Geometry]+ [Science Experiments] + [Math + other fields of science]+⟩[counting numbers-taken from / out of Spelling's / phonetics / lines - rhythm, etc.]

[study them separately]

[Quality Assurance]$\vec{+}$ $\overset{+}{m}$ [me]$\vec{+}$ P[py]

[Language is multifaceted, its metrics$\overset{[Ad]}{}$[phonetics' codes, number of words, letters, semantics, sentences, size of letters, word definitions, etc.] could have various fields of science's equations layered in them]+'Reasoning as well'- maybe not the last one'. +[personal, transcripts, and experimental exerpt of writing] +[reading]]$_c$⟨[N][Å]⟩ + ⟨Vacuums⟩+ LINES

All of it in order to learn how to read.

I need to make myself, force myself to filter out the bad stuff.

Lines equal actions, phonetic limes get converted into lines.

[C] = Abs + Action conversion.

My mind doesnt make the connection between words and images. I have to start drawing - manually - either pointers or images, in order for it to be established.

Trying to decode it alone wont cut it. I need the help of imagery.

And roots!

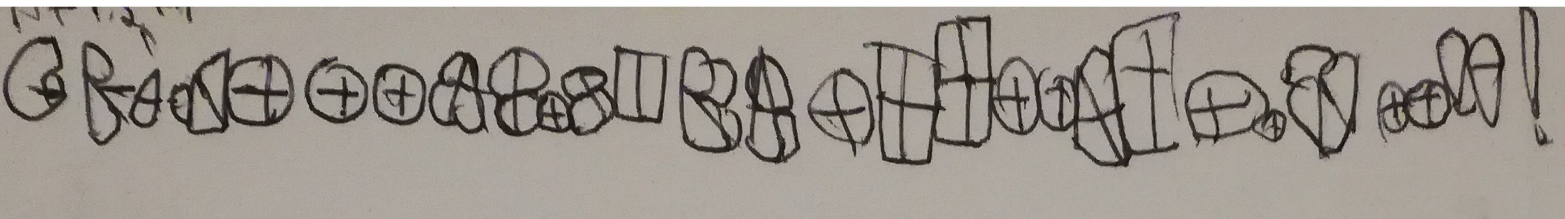
Draw abstractions, then make sense out of them.

I may have suffered a stroke, which means my will be jeopardized from this point on.

I need the basics in order to somehow pick up while Trying to make up for the losses.

Drawing/doodling helps study faster and pick up on new words. This, plus the system and drawing phonetics[the Db WAVES]

[[B]N] / [[B]-N] = body of networks.



Ȧ(time) + P + ~~ot~~ + ot → Ȧ(psyh) + ot$_3$ → Ȧ-obj(ot) + ot$_4$ → P + Env → placement → Env + ot$_5$ → P + ot → P → Obj(+QA). QA + ot + P + ot + ~~[illegible]~~ + P$_2$ + QA → comparison → P$_{pp}$ → ot → ot → pos. → pos ot. Ȧobj → ot + reg → ot + C$_i$ + ot → P + reason + P + ot → Q → context → ot + P$_3$ + order + P$_4$ + ot P$_5$ → P$_e$ → ot + Obj + ot → Obj → P + P$_2$ + ot + dir. Ȧ(Noc) → Ȧ(~~ot~~ psyh. Ȧ(t) → P$_n$ + OP → ot → dir → ot$_2$ → (M) → Obj + ot + placement + Time ref + P + ~~ot~~ ot → Obj → ot → dir → Obj + ot → dir → reason Ȧ(obj)$_c$ - ot + Env + pot + ot + dir → Env obj → ot → Obj → P + ot + ot → dir + ot + Obj → cond + reg ot(M). Time + Ȧ(obj) → Ȧ(placement) ot → P + ot →) Env = Ȧ(mot) + S. obj. Ȧ(psyh) + P + ot + (Obj → P'OP) - mot + ot → obj (Ȧ-mot) + ot → Obj → (QA) + ot → PP → dir → Obj (in rel to). A(-1) → N(4) - P → ot → Ȧ(00) → ot → QA × 4. Noc - P + P(dem) + ot → ot → + Ȧ(Py) × 2 → P$_2$ → ot → S.ot (cont) (+ Ȧ QA). A(comp) + Ȧ(00) → Ȧ(P) - P$_3$ → A(00) → P$_3$(2) → ot → [(P$_4$ - A) → cont ot] → reason Ȧ(00) → Ȧ + Py → Ā QA → den - ot. QA + Ȧ - rel → Noc - 6 + ot → ot$_c$ → OP$_c$(Ȧ) + QA + P → S.Act (reg) → (Ȧ = ot → ot + (Env - noc → S$_c$ den P + ot → cont → Ȧ ~~psyh~~ .Py + ot + ~~em~~ Ȧ Py + A Pn → ot → ~~A~~ - Ȧ P - ot. (S.P → Obj) + A(00) → Pa + (ot → Ȧ) → P$_3$'n + OP → placement → Env → A → ot dir → Ȧ - c Obj → ot → Ȧ ps → P$_3$ + P'n + ȦOst + time ref → (Ȧ - ~~phys~~ Py) → Ȧ → Noc - Ȧ - Py → P'n + Py → Ȧ - Obj → ot → Ȧ(Noc) → P ? → ~~obj~~ Of. TA + Of$_J$ + ot → own QA × 2 + Obj(2) → Q × 2 → comp → A(chemical) → Ȧ - P organism P + P. Ȧ(Py) → Ȧ - Obj → Ȧ(Py)2 - n → intensity → oct + (Ȧt → P → - Noc - Ȧ → Noc 2 - n → (ot → conception) ± Ȧ(Py) → origin → Ȧ(Py) → neg (+ ot → Ȧ(Py) + P(Noc) → Env = (NocȦ) - gen) → (P) ot × 3 [P → P(clon)] (~~ot~~ → Ȧ ps → Ȧ Py) + P(clon)$_2$ + P(P) + ot$_2$ → P → ot → P ps + P Py → ot → Ȧ comp 6 - P Py - P Ps + Noc - 6 + ot → (neg + ot) - Ȧ + ot (stable) → condition → Noc. (~~Ȧ~~ Ȧ - Py → (P$_3$ → (P'ot) - Noc - contact → dir → rule → intensity + QA + in comp → time ref). P + P + ot → dir → rule → intensity + QA + in comp → time ref). P + ot → Ȧ(result) → ot → P$_2$ + P$_3$. ~~P~~ Ȧt + ot → passive ot → P$_2$ + rule.

Q + G + Ȧ + O

$\sum_{i=1}^{\infty} A.$

P A(oo) F→ P + at + P_2 F→ QA + P_3 F→ t F→ at F→ Env Obj + P + r at F→ time ? P_T)

at F→ at F→ dir F→ Env obj + at F→ (A(oo) F→ P_2 F→ at F→ Obj F→ dir → obj (env) ↲

Nòc - n F→ À(nòc) - 1 F→ P(P)$_2$ À + P'$_n$ + À - at F→ P_3 F→ P(clan), + at F→ c F→)

at$_2$ F→ P(P) F→ at F→ c(P-P) - À - Noc) ± at → Noc. 6 [Time ref

JFÀ + [Nòc × 3 + at F→ À - Noc. Noc + at F→ À(Noc). P + at F→ obj × 3)

F→ ~~exp~~ simile → Obj. ~~A(P~~ QP F→ at P_2. I(À) F→ at F→ À(Obj). P + at → ↲

obj. QA + QA + P(clan) + F at F→ À - (at) → (comp) - P_2 clan) F→ [at F→ À(Py ±)

P(clan(3)). À(obj F→ at F→ int F→ at$_2$ F→ P(clan). (P F→ Obj) F→ ~~ø~~ at F→ (Env F→ Env$_2$ ↲

F→ ~~at~~ P_2 F→ QA + at P_2 F→ (reason + (at (M) → in rel to Env 3 ?])

[At F→ (Nòc - À$_c$ → Obj) → P(2) at (clan) F→ P_2 F→ À(oo) - t F→ inten → (o

at$_n$. P_2 ± at F→ P_3 F→ at$_1$ F→ QA F→ (Nòc - À) F→ at$_3$ F→ (Nòc(n) F→ P(clan)

$_c$ - Env) F→)) place ment F→ Env$_{obj}$ × 3 + at (condition) F→ P - clan + P_2 +

r at F→) Env F→ part F→ Nòc - À. → [~~Time~~ t + P'$_n$ at F→ tref 2 F→ P + (at$_2$)

- À F→ À(obj in rel] F→ Obj - Env - noc F→ P + at F→ (QA F→ P_2) - Obj F→ (QA)

× 3 F→ P - Obj$_2$ F→ P F→ ~~B~~ Obj$_3$. À(OO) F→ Obj F→ mod - (S - obj mod) + ~~eo~~ Obj$_c$ - P

OP → at F→ QA × 4 | (P - 6) → A F→ QA F→ Noc - n ± P(clan F→ P_2 (+ QA) +)

at$_n$. P + at F→ obj. À(oo) F→ time ref F→ Nòc in (o) of P F→ at F→ ~~P~~ Nòc 2 F→

at)$_2$ F→ F comparison - QA F→ simile (T) = + comp F→ T → Ref(P) + at ↲

[Neg F→ P(clan) F→ placement F→ × 2) F→ (QA + obj × 2) F→ at F→ P_3]. Nòc - n F→)

at + QA F→ next F→ QA × 3. P + at F→ t ref F→ (À - Obj) F→ at F→ color

À(QA) F→ P + at F→ (Obj F→ OP(mod) F→ at$_2$ F→ Obj$_2$(clan) F→) order F→ t F→ placement)

F→ OP F→ at (reason F→ À(P$_5$) F→ at F→ P + P + at F→ À(QA) F→ [P + at F→ P). F→] - 1

A - obj → P + at + P + at + P_2 F→ at F→ P_2(2) F→ P(P) F→ dir F→ Env. P + at + P_3)

Bp (r obj F→ at + 1 F→ P_2 F→ at F→ P^3 + dir F→ at (P) F→ at (comp) ± → obj.

P + at + P_4 F→ at (M) F→ Env + P + at F→ À(P sy) F→ mod + at F→) F→ at F→ Env]

F→ conf) F→ [[P(P) · À]] F→ at F→ dir F→ P + at F→ P 2 F→ p(F→ Env - part F→

in rel t F→ À(E) - obj F→ at (P) F→ P_3 F→ at (M) F pl F→ t ref F→)

at F→ psy F→ at F→ reason F→ at [[P(P) · À]] F→ obj + À(OÀ - Py) F→

[P(P) F→ + À(Nòc)] F→ → (at → t ref [N - mod + at) F→ T ref F→ × 2 F→ Event

= → + [P(P) ± P_2) F→ [À - at F→ QA × 2] ± (Nòc - 8 ? F→ at F→ À(oo) F→ QA rs

$\sum_{Ad=1}^{60} Ad$ → Ad device.

(∓→ Spec ∓→ P ∓→ + at ∓→] ∓→ [tr ∓→ P₂ n ∓→ Ȧ] ∓→ oct ∓→ P(e) ∓→ [P₂(e). Ȧ]
↳ Ȧ. P ∓→ + P(2) ∓→ 1 ∓→ QA(Ȧ) mod. ∓→ tr ∓→ [P₃ + 2 + (BP) - NOC)] → 3

(∓→ BP ∓→ Ȧ(5). P + 4 ∓→ 5 ∓→ [Ȧ - P6] → P₂. ⟿ P → 6 → EnV + 7 +
↳ mod + ⟿ (P → 8 ∓→ [Ȧ - Obj]) + Ȧ(00) + ~~Fet~~ + P ± 9 ± Obj) + time ref

(+ P + (BP) - clas ∓→ 10 ∓→ [(Obj (env) + 11 → time ref₂) ∓→ Obj ∓→ mod ∓→ (+QA)
↳ + QA(2 - Ȧ) × 2 ∓→ Obj₃ mod] → Ȧ Nȯc ∓ ploc ∓→ EnV - Obj + ∓→ clas of

(P(e)₂ ∓→ (Ȧ 00) ∓→ 12 ∓→ BP - Ȧ + 13 ∓→ EnV + S. obj ∓→ 14 ∓→ EnV₂ (obj) ∓→
↳ el.) + + ad (15 P(e) ∓→ 16 at ∓→ Obj ∓→ [EnV - Obj 1 - 2) + P + ~~en~~ 17 + int ∓→

(P(gen) ∓→ QA × 3 ∓→ + (18 ∓→ QA × 3 ∓→ EnV Obj₂ + P ∓→ comparing (Ȧ) + Obj
↳ 3 ∓→ comp₂ ∓→ Obj + ∓→ EnV - Obj₅ Ȧ ∓→ P. BP ∓→ (M. ∓→ 19). QA ∓→ ~~Obj~~

(Obj 6-1 Ȧ • [Nȯc] - localized] + 21 ∓→ Ȧ py + (P ∓→ QA(+) ∓→ 22 ∓→ EnV ∓
↳ Tr ∓→ 23 ∓→ EnV₂) ∓→ 24 ∓→ P n ∓→ Obj ∓→ 25 ∓→ Ȧ - Obj ∓→ (26 ∓→ En-
↤ V - Obj ∓→ din × 4) ∓→ (P + 27 ∓→ QA × 5 ∓→ BP ∓→ 28 ∓→ QA + Obj + 29

(∓→ M - ∓→ S. Obj ∓→ ((QA ∓→ BP). + P + 29 ∓→ Tref ∓→ 30 ∓→ BP ∓→ BP₂ (
↳ + QA × 5) ∓→ (∓ (ref ∓→ din) + 31 ∓→ BP₃ ∓→ QA ∓→ BP₄ + QA + 31 ∓→ (QA

(∓→ Ȧ (cool) ∓→ BP₅. + P(P) - Ȧ ∓→ 32 ∓→ (EnV - Obj ∓→ Tref ∓→ (33 ∓→ Tref)
↳ ∓→ (34 ± ~~at~~ - (Obj + 35 ∓→ EnV → + Ȧ - Obj ∓→ EnV ± 7 ref₃ +

(Tref + ∓ Nȯc - n → + ref) ∓→ P - GEN → (Nȯc - n)₂ + × (2-4) + 36 ∓→ QȦ - (P - Obj)
↳ - c → N°c ∓→ N°c₀ 3 ∓→ QA ∓→ 37 ∓→ Ȧ - Obj ∓→ N°c₄ - G ∓→ (QA ∓→ 38

(+ G(Noc) × 3 - 4. + A(Obj) + 39 ∓→ 4(Nȯc - (c) ± →) [Ȧ (Obj × 2)] ∓→ P. clas
↳ c → (Nȯc)₆ ∓→ (40 ∓→ [Spec ∓→ EnV) + [Tref) × 4] + P(P) + 41 + 41 +

(P ∓→ (Ȧ (60) + 42 + (Obj₂) + Ȧ (sound) + comparison] ∓→ EnV - Obj + P(Ȧ)
↳ (+ 43 ∓→ 44 ∓→ Ȧ obj - p₅ ∓→ 45 ∓→) ± cont 46 - c Ȧ ∓→ P ∓→ 47 + mod

(∓→ P + 48 ∓→ Ref [Noc - Ȧ] → Ȧ Obj → Ref → Nȯc - Ȧ + QA × 3 +
↳ Nȯc - gen ∓→ Ȧ (P(e) - clas ∓→ 49 ± Ȧ (Nȯc) ∓→ ~~at~~ 50 ∓→ P₅ +

([(OBJ - 51 ∓→ BP) - Ȧ] → P. + [P(Ȧ) ∓ → Nȯc - Ȧ] ∓→ (BP₆ Ȧ - [ObJ ∓→ 52 ∓→
↳ 53 + (P ∓→ OBJ₂ × 3 - mod - BP.) + (P₂ ∓→ (BP × 2) - Ȧ ∓→ comp → ObJ ∓→

(+ (54 - Nȯc - derived ~~at~~ at.] + [(EnV ∓→ Nȯc Ȧ - Obj + 55]
[+ P(class) ∓→ (BP ∓→ comp ∓→ Obj (Ȧ - BP - 8) + 56.) → (mod Ȧ + Ap₈ → deri-
[ved from (56 - 58 Ȧ → EnV] - Noc + P + 59 + 60 + comp...

$\sum_{act=1}^{102}$ At mod

$[P_2 \vec{+}$ Env - Obj $] + (P +$ ot $\vec{+}) \vec{+} [P_4 +$ ot$)$

$[BP \pm 0 \vec{+} BP_2 + 1 + P] + P +$ ot $\vec{+}$ $P_2 \vec{+}$ Env - Obj $\vec{+} (P_3 \vec{+}$ ot $\vec{+}$ Obj 2

$\vec{+} (P_2(1) \vec{+} \dot{A}) \vec{+}$ ot $] + P +$ ot $\vec{+}$ $P_2 \vec{+}$ Env-Obj $\vec{+}$ $(P_3 \vec{+}$ ot $\vec{+}$ Obj 2

$\vec{+} (P_2(1) \vec{+} \dot{A}) \vec{+}$ ot $) + (BP$ - Obj $\vec{+}$ Env (Obj$)$

$+$ ot$_2) \vec{+}$ Env - Obj - $\dot{A} \vec{+}$ ot$_{3-4} \vec{+}$ (Env Obj $\vec{+}$ ot$)$ $+$ (BP - Obj $\vec{+}$ Env (Obj))

$\vec{+}$ outed dir $\vec{+}$ Env $+$ Dis - plac $\vec{+}$ Env $\vec{+}$ Env - Obj $+ \dot{A})$ - NOC $\vec{+}$ (ot $\vec{+}$

(QA$_3 \vec{+}$ Env$)] \vec{+}$ ot $\vec{+}$ Env 2 $\vec{+}$ $\dot{A}$ - Env Obj $+$ (act $\vec{+}$ time ref$)$

$\vec{+}$ S - mod (ot) $\rightarrow$ Env $\vec{+}$ (Env mod $+$ ot) $+ (P + P_2 \vec{+}$ ot $\vec{+}$ time ref $\vec{+})$

comp $+ (P +$ ot$_2 \vec{+}$ BP $\vec{+}$ ot$_3 \vec{+} (P_2 \vec{+}$ BP $\vec{+}$ ot $\vec{+}$ m. dir $\vec{+}$ in rel to

Env - Obj $+ P_3 +$ cont ot $+$ (time ref $\vec{+}$ $P_4 +$ ot $\vec{+}$ $P_5) \vec{+}$ dir $\vec{+}$ BP $+$

$P_1 P) \vec{+}$ ot $\vec{+}$ $P_2 \vec{+} P(P_2) \rightarrow \dot{A}$ ot $\vec{+}$ $(P_3 \vec{+}$ ot $\vec{+}$ $P_n + BP +$ dir $+$ ot$)$

$+$ BP $\vec{+}$ (ot$_3 \vec{+}$ Env Obj $+ (\dot{A}$ct $\vec{+} \times 2) \vec{+}$ (comp $\vec{+}$ P(co) $\times 2$ (dir) $+$

$\dot{A}$(py) $\times 2 \vec{+}$ ot $+$ int - motion $+$ $\dot{A}$(obj) $+$ ot $\vec{+}$ $\dot{A}$(psy) $+$ $\dot{A}$ Obj $+$ ot $\vec{+}$

comp $\vec{+}$ (Env - $\dot{A} \vec{+}$ $) +$ BP $+$ P(dir) $\vec{+}$ ot $\vec{+}$ Obj - $\dot{A}$(psy) $+ P +$

Obj $+$ ot $\times 2 +$ dir $+$ P(P) $+$ (ot $\vec{+}$ dir $\vec{+}$ in rel to $+$ [P(cdir) $\vec{+}$ P $+$ ot(P cdir)]

$P +$ ot $+ P'$ n $+$ BP $+$ dir $+$ P(dir) $\vec{+}$ BP $+$ P $+$ ot $\vec{+}$ dir $\vec{+}$ BP(P) $+$ Ad $+$

P_1 dir $+ P + \bar{2} + P_2 + 3 +$ P(c(ss)) 8 $+$ NEG $\vec{+}$ ~~Act~~ 4 $\vec{+}$ ot - 5$) + P + 5 \vec{+}$

event (proc - g) $\vec{+}$ $\dot{A}$ - phy $\vec{+}$ BP(similar $\vec{+}$ [$\dot{A}$ Obj $+$ 6 $\vec{+}$ time ref $\times 2 \vec{+}$ 7.

[8 $\vec{+}$ P(cdir) $\vec{+}$ Env $\vec{+}$ Pers 9 $\vec{+}$ P(cdir) 2 $\vec{+}$ Env 2 $\vec{+}$ P $\vec{+}$ 10 $\vec{+}$ (11 $\vec{+}$ P_2

$+$ Complx QA $\vec{+}$ BP - Obj $\vec{+}$ (1r) $\vec{+}$ $\dot{A}$ - Obj $\vec{+}$ origin $\vec{+}$ $\dot{A}$(plc ment) $+$ 12 $\vec{+}$

pl $\vec{+}$ BP $+$ [13 $\vec{+}$ P $\vec{+}$ tref $\vec{+}$ QA $\vec{+}$ BP modifier]] $+$ P $+$ tref $+$ 14 $\vec{+}$

tref $\vec{+}$ P $\dot{A}$ - modifier $+$ reason $+$ ($\dot{A}$(psy) $\vec{+}$ 15 $+$ 16 $\vec{+}$ P $+$ QA $\vec{+}$ 17 $+$ P

$+$ placement $\vec{+}$ in rel $\vec{+}$ Env.) $+$ tref $\vec{+}$ P $+$ 18 $\vec{+}$ [QA $+$ CHOICE $\rightarrow P_2 +$

19 $+ P_3 \vec{+}$ ot $\vec{+}$] P $+$ time ref $\vec{+}$ $\dot{A}$ Obj (P-cdir) - $\dot{A}$c2 $\vec{+}$ QA $+$ 20 $\vec{+}$

$+ \vec{+}$ ~~QA~~ $\vec{+}$ $\dot{A}$(ph) $\vec{+}$ QA$_3$ ~~ot~~ 21 $+$ (NEC) - $\dot{A} \vec{+}$ 22 $\vec{+}$ P $+$ $\dot{A}$(P) $+$ (P $+$

23 $+$ int $\vec{+}$ Obj $\vec{+}$ $\dot{A}$ - psy $\vec{+}$ [$\dot{A}$(mod) $+$ 24 $\vec{+}$ P(cdir) - being $\rightarrow$ in rel to NOC $\dot{A}$)

$+$ cond $\vec{+}$ $\dot{A}$(Obj) $\vec{+}$ P $+$ ~~ot~~ 25 $\vec{+}$ ~~P~~ 26 $\vec{+}$ reason $\vec{+}$ P $\vec{+}$ 27 $\vec{+}$ ~~P~~ $\dot{A}$ -

Obj $\vec{+}$ 28 $\vec{+}$ P $\vec{+}$ B - mod $+$ [P $+$ 29 $\vec{+}$ $\dot{A}$(psy $\vec{+}$ 30 $\vec{+}$ P - NOC $\vec{+}$ P(cdir)

$+$ time ref $\vec{+}$ impl $\vec{+}$ P $\vec{+}$ 31 $\vec{+}$ B mod $\vec{+}$ QA $+$ 32 $\vec{+}$ Env $\vec{+}$ (P $+$ 3) $\vec{+}$

tref 2 $\vec{+}$ P $\vec{+}$ 33 $\vec{+}$ (tref 3 $\vec{+}$ reason) $\vec{+}$ 34 $\vec{+}$ $\dot{A}$ - Env $\vec{+}$

NOC - P $\vec{+}$ (def =) $\vec{+}$ QA $\times$ 3 $\vec{+}$ Env $\vec{+}$ 35 $+$ (P $+$ 36 $\vec{+}$) $\rightarrow$ tref 3 $+$

[Env $+$] - $\dot{A} \vec{+}$ 0 97 $\dot{A}$(oo) $\rightarrow$ Env($\dot{A}$) $\rightarrow$ Obj $\vec{+}$ $P_2 \vec{+}$ $\dot{A}$(psy) $+$ P_2 0 $\vec{+}$ P(co)

+ Env (Nòc) + 3 F→ (QA + Ȧ - Obj) + ploc F→ QA - mod, → ~~QA~~ Ȧ - Obj2
F→ Env2 (Noq - G F→ QA + [P(clm) -9,) F→ 39 F→ [Ȧ - Psy] F→ 40 F→ Ȧ (Obj3]
+ P + 40 F→ QA + Env3-g F→ (Env4 + Obj F→) F→ Ȧ F→ Obj - mod (done)
(QA × 3 + S. 41 + Obj2) F→ (P(clm + 42] → + Env Obj, + time + ref
F→ Event] → Noc/ref F→ P F→ Ȧ 43 F→ P (mod - Psy) + Ȧ (Noc) - S F→ 44 F→ P.
(P F→ 45 F→ BP - Ȧ F→ Pl + dir) + Env - cont F→ 46 F→ P F→ 47 F→ Env (e ±) → 48
F→ Env 2) + [(BP - mod - Ȧc - Obj) F→ PL F→ Env3 (Nòc)] + cond F→
49 + P × 2 F→ 50 F→ Env F→ 51 F→ P1 + QA F→ M - 52 + Ȧ - mod cd F→
Env F→ [Env - (Noc) F→ Ȧ - Obj F→ Ṁ - 52 F→ dir - M2 + P + QA F→ 53
P F→ 54 - M F→ Env - Nòc F→ × 2 F→ S - Ȧ (Obj) F→ B - mod Ȧc F→ P. + Tref
F→ P F→ P(e) Ȧ F→ 55 F→ (Env)c - Obj (connect F→) F→ P(p) - g F→ 56 + P
+ 57 + Ȧ (Obj) + QA + Ȧ (Psy) F→ (Env F→ Obj → 58 (+ mod) + QA × 7
F→ (Ȧ [complex - Obj - phy F→ P - gen F→ 59 F→ + 60 F→ Env - Ȧ F→ QA F→ 61
F→ Ȧ - Obj. + (t, F→ mod F→ Ȧ -c] = P) P F→ BP F→ 62 F→ (Ȧ(col) F→ Obj) +
d[(BP2 F→ 63 + 64 +] F→ Ȧ imel + 65 F→ Ȧ((Psy) × 3) } + [BP × 8 56 F→ P - g
(F→ 66 F→ P(e) - g F→ 66 - PP - mod - Ȧ] = Ȧc - Nòc + [Ȧ Obj] × QA + Ȧ +
QA × 5 + [Ȧ(00) + P(g) F→ 67 F→ (Ȧ (Obj) F→ Nòc - n) F→ 68 + PLc} +
[P F→ (Obj (rep - Env) → S. 69 F→ P(c)] + mod P = Obj + (P F→ Phy × 2 - 70, 71 +
Ȧ - Obj F→ [(BP F→ S. P) F→ 72 F→ [(BP2 + comp F→ Obj F→ 73) × 10] × 15 = Ȧc
+ 74 F→ P - g F→ (Noc + 75 F→ neuron + P gen F→ 76 F→ ror F→ P(all)12 + + 77
F→ Noc - n) + 78 F→ P F→ ~~(P - g)~~ ~~Nòc~~ Noc F→ cont 79 F→ P2 F→ 80 F→ P(p) - clm
F→ Env (Nòc) n F→ (cond (81 - Ȧ - Obj) F→ Ȧ(oa) → tref] F→ P3(e) × 7 F→ 81 F→ [QA F→ Ȧ - Obj
× 2 F→ Psh (comp)] + P + P + 82 + Env - Obj + [83] F→ [(P2 F→ 84 (m)) F→ [(En
v - Obj] + Obj2)] → c Ȧ - Obj > + L Ȧ Obj. + (Pl + P + 85 F→) (+ mod + Obj F→ (P-
clm Pe F→ P'n BP] + (PL + End) + (dir F→ Env - g) F→ g + g) + P2 + 86 + dir F→
87 F→ Bel (Env - Ȧ) F→ (P'n BP2 188.) F→ A - Obj] + comp + QA ~~QA - cat~~ QA 80 F→ (Ȧ - Obj
Obj
→ Py + 90 F→ P'n + BP F→ P2 + QA + 90 F→ (Ȧobj BP F→ 91 + P F→ 92 F→
pom 93 + Q + F→ P'n F→ P(o) F→ 94 F→ tr F→ P2 F→ (95 + 96) → QA. + P F→ 97 F→ Noc - n
Ȧ (Obl) F→ Env Ȧ F→ (Env P F→ Ȧ Obj) → comp F→ [Obj F→ 98 + BP] + (Psh - Ȧc -
Obj F→ 99 F→] = (Nòc) F→ 100 F→ mod F→ QA F→ d[Psy F→ 101 - Noc - n] - 102 P.
ȦO.

$\sum_{\sigma=1}^{150}$ At

P + 1 $\vec{+}$ P₂ $\vec{+}$ Pos 2 $\vec{+}$ ((1) - Ȧ + BP) + A(00) + Ȧ - P(P) $\vec{+}$ 3(cont) + P $\vec{+}$ tref $\vec{+}$ 2
+ [P $\vec{+}$ n(Ȧ) $\vec{+}$ 5 $\vec{+}$ (BP'₂(P₂) $\vec{+}$ 6] + [mod + $\vec{+}$(Ȧ)] → (P + 8) + Ȧ Obj 7 + P + 9 $\vec{+}$ P(num)
$\vec{+}$ [10 $\vec{+}$ (P₂', + P mod) $\vec{+}$ BP - Ȧ Obj + P(P) - y $\vec{+}$ BP - Ȧ Obj $\vec{+}$ Ȧ - plc $\vec{+}$ in
rel [t₀ $\vec{+}$ P(P) + P $\vec{+}$ 11(ṁ) $\vec{+}$ Ȧ(Py) $\vec{+}$ olin plc $\vec{+}$ PP $\vec{+}$ Ȧ(plc] + time ref
$\vec{+}$ P(P) - y $\vec{+}$ [12 + Ȧ(m)] → plc m ⇒ Env $\vec{+}$ $\vec{+}$ [13(ṁ) $\vec{+}$ P(P)] $\vec{+}$ x₂ $\vec{+}$ 14(n) -
A(Obj) ≤ BP + 15 $\vec{+}$ comp $\vec{+}$ P(P) - y + QA x 4 $\vec{+}$ P + 16 + (17 $\vec{+}$ Env)
+ 18 $\vec{+}$ (Obj $\vec{+}$ pl $\vec{+}$ Env - Obj x 2 $\vec{+}$ (tref $\vec{+}$ Ȧ(cond)) $\vec{+}$ Obj₂ $\vec{+}$ (19 - mod
[Obj₂ <: Obj₃) $\vec{+}$ ~~ext~~ 20 $\vec{+}$ Obj₃ $\vec{+}$ Ȧ(QA) $\vec{+}$ pl $\vec{+}$ olin (Obj₃) + P + Obj $\vec{+}$ pl)
$\vec{+}$ P₃ $\vec{+}$ t ref $\vec{+}$ QA $\vec{+}$ 21 + Ȧ(Py) $\vec{+}$ timpref 2-3 $\vec{+}$ QA $\vec{+}$ comp $\vec{+}$
P'ₙ $\vec{+}$ Obj(P) + (plc $\vec{+}$ x₃ $\vec{+}$ Å) + QA $\vec{+}$ new 22 $\vec{+}$ (23 + P) → QÅ.
+ det Ȧ $\vec{+}$ P $\vec{+}$ 24 + tref (Ȧ - Py $\vec{+}$ x2 $\vec{+}$ Ȧ mod $\vec{+}$ Ȧ(00) $\vec{+}$ P₂ $\vec{+}$
25 $\vec{+}$ in rel (Ȧ) t₀ $\vec{+}$ Env (Å) $\vec{+}$ BP ant - mod - cond $\vec{+}$ P. Ȧ(PS - Py).
[Ȧ - Obj] - mod $\vec{+}$ 26 $\vec{+}$ PL = P'ₙ $\vec{+}$ olin(d)] + [Ȧ d + [27(ṁ)] → Ȧ Obj $\vec{+}$ Obj $\vec{+}$ Ȧ
(PSh? - mod) $\vec{+}$ 28(ṁ) $\vec{+}$ pl $\vec{+}$ (Env Obj $\vec{+}$ pl₂) + S 29 $\vec{+}$ [Obj $\vec{+}$ 30 $\vec{+}$ Env Obj₁)
Ȧ - PSh $\vec{+}$ 31 mod $\vec{+}$ Obj₃(Env) + 40 $\vec{+}$ d(ṁ) $\vec{+}$ Env Obj₂ + Ȧ(00) $\vec{+}$ gen
41 $\vec{+}$ 42 $\vec{+}$ P₂ $\vec{+}$ [Ȧ(Obj) $\vec{+}$ 43 plc Obj → P+] → 44 $\vec{+}$ [Ȧ(Obj +) - def $\vec{+}$ Ȧ(Psy)] -
$\vec{+}$ Ȧ(Obj) x2] → (A Obj(P) 3 $\vec{+}$ QA $\vec{+}$ (ASS 45) → 46 $\vec{+}$ Obj(m) + QA x
3 Ȧ (→ (S. OBJ $\vec{+}$ + 547 $\vec{+}$ Ȧ(PS) + 48 - Ȧ(P) $\vec{+}$ [mod - Proxr Ȧ mod x3]ᴾ
+ [P + 49 + P(Psy) $\vec{+}$ [Ȧ Obj] - NOC → Ȧ Obj'(P) $\vec{+}$ 50]. + P $\vec{+}$ 51 $\vec{+}$ P₂
$\vec{+}$ (52 $\vec{+}$ Obj] $\vec{+}$ (53 → Obj₂ $\vec{+}$ (53 $\vec{+}$ Obj₃) → QA. + time ref $\vec{+}$
+ 54 $\vec{+}$ Ȧ Obj $\vec{+}$ 55 + P₂. + P + 56. + P₂ + (57 + QA). P + 58 $\vec{+}$ QA $\vec{+}$ Obj
$\vec{+}$ Ȧₚ $\vec{+}$ Obj(mod) - BP $\vec{+}$, 59 $\vec{+}$ BP Obj₁ + mod 7.1 $\vec{+}$ Obj₂ $\vec{+}$ Ȧ' mod $\vec{+}$
60 $\vec{+}$ ~~QA~~ (QA x 3 + Obj mod Ȧ ≤ Q $\vec{+}$ Obj) $\vec{+}$ Obj₄ $\vec{+}$ x2 $\vec{+}$ 61
$\vec{+}$ tref $\vec{+}$ (P + Obj $\vec{+}$ 62 $\vec{+}$ (Objₙ - P) $\vec{+}$ ³ $\vec{+}$ (QA + (63) $\vec{+}$ Obj mod
→ compra(Obj - Env) - NOC $\vec{+}$ [time ref + x QA - Env] ≤ Ȧ + A(00)
$\vec{+}$ 00 $\vec{+}$ QA $\vec{+}$ Plan $\vec{+}$ 64 $\vec{+}$ QA + int $\vec{+}$ 65 $\vec{+}$ Ȧ(PS → (P₂) $\vec{+}$ P(P₂) $\vec{+}$ 66 +
QA $\vec{+}$ dir + QA x 5 $\vec{+}$ BP $\vec{+}$ 67 $\vec{+}$ QA x 2 $\vec{+}$ dir $\vec{+}$ 68' $\vec{+}$ BP x 2 $\vec{+}$ gen 69 - A
Q₄ $\vec{+}$ QA x 2 $\vec{+}$ gen 70 + [Ȧ(Env) ≤ (Obj $\vec{+}$ 71 $\vec{+}$ P(A) $\vec{+}$ BP] $\vec{+}$ P₂ $\vec{+}$ BP $\vec{+}$
72 $\vec{+}$ BP(mod) Ȧ $\vec{+}$ QA $\vec{+}$ 73 $\vec{+}$ Ȧ(Py) - NOC $\vec{+}$ 74 + 75 + 76 $\vec{+}$ P₂
~~7~~ BP $\vec{+}$ QA $\vec{+}$ Ȧ(cd)) - mod + [Ȧ - Obj (BP - P(loc)] $\vec{+}$ Obj] Ȧc + comp +

⟨Obj 2 + 77 → Ȧ(obj) + 78 → Ȧ Obj 2 → P → Ȧ(py) → QA⟩ + BP 2 (mod)
(P(BP)] Ȧc + BP + (Bpot =c Ȧ(obj) → P + at 79 → P dom x2 + Ȧ(Obj) - Psy +
rec. → 80 + (mod) → 81 + QA x2 → (omp → (Ȧ obj 2) → (pl + Pdm → Env →) + mod
[(82 → mod - NOC 2) Ȧc - Obj] → Obj(2) → (Qa + pl ± A[Obj 2 + Env x5] (-Ṅoc)
→ P → (nȯc)] → 83 → QA x3 + P + 84 → Env → 85 - mod py → Env ⇌ Ȧ (mod)
(86 - Ȧ = P) + tr + 87 → [(Env·Ȧ)(ṁ) ≠ [(Env·Ȧ) =c Ȧ Obj x3 → (Nȯc] → 87 +
c + [88 (cond) Ȧ] pl + P → P 2 + 89 + x 890 + 91 → 92 + P + QA ± 93 (rem)
→ QA + Obj + P x2 → rem 94 + NOC → Ȧ(obj) =c obj → 95 → P ⇌ (QA → tref) →
tref → 96 → [P → 97 → Env Ȧ obj x2 → Env Ȧ obj (py - ps] → N → Ȧ
c → Ȧ obj) → 8 + tr → Ȧ(ps - p) → P → 97 + P 2 (Nȯc) + 98 → 99 → 100 + dim
101 → P 3 → 102 (ṁ) → NOC - n = Env + Ȧ(Obj) → ṁ plc → 103 + Env → plc
⟨ → [NOC] Ȧc - Obj → P → 104 → dim → + 104 (own) → Ȧ - Obj ⟩ + P + 105
→ P 2 → 106 + P + 107 + P + QA + 108 → P 2 → [Ȧ(108 - py) P 2] → NOC → +
P 2 + 110 + P(A) → NOC → QA → 111 → [(Ȧ (mod) → 112.] + (QA x3 + Env ⊥)
c NOC] → ȯȯ → Env P x2 → Env A py - ps c → Obj → + 113 → P obj, + ȯȯ → P + 1
⟨P 2 + 114 - Ȧ obj - n⟩ → P + Alnet + P + 115 → Env) - c · Ȧ Obj → 116 ⇌ [Nȯc]
⟨+ P + 117 → Env P + pl → P 2 → QA x3 → 118 → time ref⟩ + (119 + n →
QA + Env → 120 + Ȧ → QA x2 → Ȧ py = X(121 → 122 - PASS) c Q̇ = Noc → QA
s NOC 2⟩ (+ p̊l →) int → ref 123) → Ȧ(co) tref + 124 → (com n + Qa →
⟨[(A p̊sy) c - Obj) → 125 + trf → 126 P → A cond ⇌ Ȧ Obj⟩ → ← mod → Ȧ 127 →
m → cond 2 → A 128 → Ȧ(obj)⁻¹ + 129 → dim → [Nȯc] x2 → 130 + 131 → QA x5
→ Pdim → QA → Pdm x2 → pl → (Noc) → QA → 132 [Nȯc] + Ȧ ◯ →
133 Ȧ → Q + Ȧ(py Ȧ(Ȧ) → P + pl ⇌ 134 → QA → ȯȯ → 135 → ~~Qȧ~~ int x2
+ 136 + 137 + Q + 138 + P → 139 → Obj → (Noc - n). + 140 + tr → 141 (cont → (Nȯc)
|(P + 142 → Env - P → (143) → trt → 143 → |⟨Ėnv⟩ + (P(P) → Env + 144) → trt →
Env 2 → (4 x P - n) → Q̄ (+ P 6 x 2 → P(71) + P(18)) ⇌ P + 145 (trA) → P → ⟨Q -
mod (Ae)⟩ - nȯc + P + 146 → dim → Env - P → 147 → (BP → dim → BP 2) P → 148 + QA
→ Ȧ 149 + 150 → (151 - BP) → 152 + P ± cont + 153 + Tref → Recording →
+ P → 154 + ~~BP~~ → P 2 BP → (P 2 155) → 155 → Ȧ(obj) - P 3 → P → pl
+ Env + trt + P + 156 → P → 157 → QA → P + 158 + Obj → int → BP + 159 → Env
+ mod Tot 160.

⟩ → P + 2 → (Ȧ Ob + int → (BP − Ȧ O) → P + 3 + P → 4 − Noc)

$\sum_{n=1}^{256} A$ ⟨Ob → Ȯb + 1 → dinf EnV⟩ → 5 → pl → (Noc − n) → trt + P → 6 + Ȧ − NOC − gen → + Ȧ m →

−QA×4 + Ȧ Ȧ(py → (Noc − n) + P → P) → EnV P → EnV(nat) → trt + 9 → P n → EnV. + ⟨P + [10 → (Ȧ − mod − EnV)

7 → QA → (P, dn) → 8 → pl → EnV P → 11 + P + 12 + mod − A − 13 + 14 + (cont +) → (15 → QA → P n P

+ P → BP obj⟩ + (P + 11 + (P + 12 + (Nȯc) − EnV → 19 + din → [(EnV Ȧ Obj) → 20 →

(gen 16 →) → 17, dis → trt → 18 (Noc) → Ṁ 22 → Obj → pl (din → P, BP + Ȧ Obj − EnV mod

QA → P2 + BP] → (P → 21 → Ȧ py → , EnV − g → 23 + din. + QA + K P → 24 → gen 25

± pl → EnV − P → loc → EnV P2 → + ⟨P + P5y → QA × 2 ⟩ + (26 → P + 28 →)

→ + trt → [Nȯc (gen)] ⟩ → trt, 29 → P2 + QA → [Ȧ QA 30) − Nȯc − QA → (×2) → ([Ȧ − Obj] →

(P2 → com (→ trt ×2) → 33 + P − gen → P + 34 → Ṁ − mod →

31 → 32 → P → 32(gen) → QA → Ȧ (py] + Trt → 35 → Ȧ obj → QA → (Noc − g n 36 → QA ×2 → Noc − g 2 →

(EnV − P) Ȧ obj − mod + Ȧ (py → 37 → 38)) ⟩ P + 39 → (Ȧ − nȯc) (−) py →

Ȧ py) ⟩ + ((Nȯc → P → Ȧ Obj → 40 + 41 + (⟨Ȧ nȯc = Ȧ obj) → 42 + (P + 43)] Ȧ (Obj. → P + QA →

P y 2 × + 44 → Ȧ Obj → (Nȯc + P2) → (QA − 45) Ȧ g → (46 → P → (P → 47 + din → (P2 (g) → 48 − mod

trt → P → 49 → (EnV obj → EnV obj) → 49 → (EnV obj → EnV P Ȧ → Obj → pl → EnV → P) → Ȧ obj →

+ din → pl → (EnV obj → EnV obj) → (EnV − Ȧ) → (Ȧ obj → EnV (Obj − g → (EnV − Obj

comp → (BP → Obj) (50 + pl) → Ȧ (Obj → pl → EnV P] → (EnV − Ȧ) mod → (Ȧ obj → EnV (Obj − g → (EnV − Obj 2

mod)] → nȯc + Ȧ → [EnV − Obj → 51 mod]) ⟩ + int → Ȧ (nȯc) → trt → (Nȯc) 2 → QA → [Ȧ (py − 52) + 53

QA + Nȯc] → Ȧ (py) → − mod → pl → Py2 (mod) P] → P → 54 → Ȧ → P(y 2) → [P (obj) → Ȧ − own = Ȧ (py) − nȯc → Ȧ (m) 55 − mod

→ 53 → Apy → (Ȧ Obj) → ⟨Ȧ (nȯc) → [Nȯc + n (A) → (− (Nȯc → Obj] → nȯc − mod − in n | (P, P)

P + 55. ⟨ (P + (56 → (BP → BO → P (py) ⟩ + QA Ȧ P → 57 → 58 → BP2 → 59 → 60 → P → 61 → 60 → P 62 (63 → QA →

P (→ P, BP) ⟩ (P + 64 + (Ȧ obj) − 57 mod ⟩ → P2 + P3 + 65 → 66 → 67 → (QA × 2 (BP → m 68. ⟩ + trt → P → 69 + trt +

× 2 → P + 70 → 71 → Noc − n → trt 72 + P − 73 → 74 + P → 75 → Ȧ (→ [EnV] + 76 → Ȧ (mod) (Ȧ Obj] → 77 →

QA + BP → (Ȧ (Obj → QA) ⟩ × 2 → 78 → B2 + P + trt + 79 → 80 → QA → P 81 → (Ȧ obj → (QA) → 82

+ QA × 2 → Obj P → trt → 83 → din → (Ȧ obj → EnV →) = (84 + QA → P2 − g → 85 → (Obj))

= Nȯc → (Obj → QA m 86 → (Nȯc − g) → ⟩ → (comp → 85 → NOC (A) → P (din) g →

85 → mod → Ȧ obj → gen 87 ± BP + 88 + din → 89. trt + (Obj → mod → Obj → 90 + 91 (trt) trt

Ȧ ȯ + 92 + mod → (Ȧ (P5 − py − nȯc) → P 93 → trt → Obj Obj → QA → QA2 ⟩ + P + 94 → din

→ Obj (conv → (95 → (P − g (+ P) ⟩ → (96 → (Obj) → P2 ⟩ + Ȧ ȯ → P → 97 → EnV obj ± 98 (Ȧ + Ȧ −

mod + P → (trt → BP Obj) × + P − 99 + 100 + 101 − 115 + QȦ ⟩ Nȯc − A → [nȯc 2]

115 → [116] + P + 117 + P + 118 → P2 → 119 − mod (EnV → (Obj) + P + trt 120, + P → trt

QA → P gen + 121 → 121 → Obj × 2 → P, dn → 121 − Q ⟩ → trt → Pg → 122 → trt mod 123 +

Ȧ obj) → Ȧ → QA → 124 + [Noc] → (n) → Obj × 2 → [Ȧ − (Obj) ⟩ → 125 − din + Ȧ − Obj conv P →

Obj × 2 → din → (trt = [EnV + 126 → Ȧ − mod (EnV 2) − Ȧ mod) − Nȯc.] + P (P gen + 127

→ P, QA → (Noc 132) + [P + out → Ȧ (P7] → Nȯc → P → 129 → QA × 3 → 130 → (Obj →

(143 + out + obj → Ȧ obj + obj → P → 144 + P (P + 145 → trt → trt + P + 146 → QA → Ȧ (Py) + P + 147

→ Ȧ → ȦP → 148 → din → P + 149 7, P → 150 → obj (mod) → BP (P) → P → 151 − din EnV →

→ Ȧ − EnV → (152) → EnV → EnV 2 → 153 Ȧ (c) (154 + mod → P) + Ȧ → Ȧ (py + P + 155)

(Nòc)-n →) Ȧ → 132 + P₂ - P(p) → 131 → [mod; P' ∩ B → QȦ → Ȧ P5]) → A(Obj) → 137 → pl → comp → Obj 2 +
Obj 2 + Obj × 5 → P + P 132 (cont) + EnV obj ~~133~~ int → 133 → tnf → EnV p → 134 → tnf + 135 → EnV - Ȧ - P5
→ 136 (int →) cond → 137 → P + 138 → tnf + P(mod) p + 139 → EnV 2 → (P3 → 140 → Obj → r5) < EnV - obj 2 (Q
(141 → din → P(p) → (EnV - Obj 2) → (r5 → 141 → P(p)) > + 142 r > < + P + 156 → EnV → × 2 + P + 152
[Nòc] → ● ∈ [(Nòc-n) → QA → (158 - Q → EnV - obj + QA) - Ȧ∞ + 159 + din + 160 + n̄(mod) - BP × 5 + 161 → × 2 + 162
(QA + Obj) → Ȧ → BP → mod (163 → Ȧ(Py) → Q → 164 → EnV + 165 → cont + QA → 166 → EnV din → in + BP
~~+~~ tref → (167 + 168) → P(p) + 169 → P(1) + P(2) × 170 → Ȧ Obj >] = ● + tref + (P + 171 →) → P₃ +
172 → [P(p) - r → Ȧ(Nòc)] → 173 → [174 → P; n → BP → QA) → pl → P > → P₂ → QȦ + 175 + P6 →
EnV - p → } P → 176 → Obj → Ȧ EnV p + (QA × 2 → BP(P(1)) → QA; BP2 →) → 2 × P₂ - 3 → (+ QȦ) +
177 → (P → Ȧ(comp) → EnV) → mod → din → < EnV - nòc) → (Noc] → ∞ → Obj + 178 → Obj (EnV
→ QA → Nòc - y) + P → 179 → (Nòc - y → Noc - n > → tref + 180 → Ȧ Obj) → Nòc 2 - n + P → QA (181
(+ tref → (EnV - Ȧ - noc) → P → } Ȧ(py)] → P₂ → 182 → Ȧ(Obj) → (Nòc - y → P → Noc y]
→ Ȧ/c → [Ȧ - Obj] + 183 → [int] → pam 184] → 185 → tref → ty(cat), → < Ȧ Obj - nòc - 186] + (P' ∩
(187 Ȧ mod) + (P₂ + 188 → QA × 5 →] → nòc - n → (5 × Q̄A + QA) → nòc - n1 - y → P₂ - 189] >
+ P → tref → 190 → QA → (Ȧ - 191) - mod + [192 + P → BP (intensity)) ← (P' ∩ BP → B2(2 - P) + P +
(int + QA → [nòc] - y → Ȧ Obj comp → Ȧ Obj (P(p)) → inter 193 → Ȧ(Obj) + 195 → QA
→ nòc - y × 2 (comp. + tref → (Ȧ(conv - EnV) + 196) → din → 197 (Q̄A) → 198 → P → 199 → din +
→ EnV] → Ȧ Obj → 199 → QȦ - A → mod → BP → 200 →) P | → int → A(EnV) → comp →
((Nòc) → Ȧ Obj → P | → EnV - y) → - Ȧ Obj + 201 → EnV - p (mod) →) → Pd + 202 + tnf
2 2 → r5 → P + 203 + Ȧ mod] → (EnV - Ȧ(Obj) → Ȧ mod → Q̄A × 3 → tref + EnV - 204
→ Obj → [Ȧ ~~- obj - Obj~~] → Obj (EnV → 205 → Q̄A → Obj → 206 mod - tref + Ȧ - Obj + Py
→ tref - 207 → P(p) → 208) + (P + P₂ + QȦ + 209 → Ȧ Py mod) → 15 → 210 →
(Ȧ Obj] → 211 →) r3 → tref → Ȧ∞ → Ȧ(Py) → P' ∩ → (Ȧ Py - P5 |) → (Ȧ(Obj) → (P(1) + P2(3)
- 212) → 213 → QA × 2 + r∩3 → 214 → din → (P₃ → Ȧ(Py) - nòc) × 2 → P4 tnf →
215) → (P4 → r∩ → Q̄A × 2 → Ȧ(Py → P4' + QA → [Ȧ - Obj = ●] → P4(y) → Ȧ Obj → 216 →
[Noc - y] - < Ȧ Obj → tref → P → 217 → P → din → EnV → Ȧ → QA → 218 Ȧ → P₂ × 2
P3 + [noc - y] + QA × 3 → 219 → EnV + P(p) - P4 | → 220 + P → 221 → QA × 3 → EnV 2 + tnf
+ Ȧc - 222 → 223 → Ȧ[Obj] → P + 224 → [Ȧ mod] - Ȧ Py + r → P + 225 → 0 + Ȧ Py → 226 → mod
Pp2 + 227 + (P + 228 → [BP + 229) → Ȧ Obj → 230 → EnV - p) → comp → [noc] - y → P(dai) →
BP →) > → 231 + [QA × 2 → Ȧ(Py) + Q̄A × 3 → Ȧ(P')] → [BP 2] → c - 232 + (BP 2
→ EnV - Obj × 4] → Ȧ - tref / → 15 → 233 → P + 234) → (r5 + tnf → EnV → 235 → EnV 2 + tch 2)
→ 236 → P → (Ȧ Obj) → [QA → 237] → P + 238 + P → P₃ → 239 → QA → 240 → P + ~~24~~ 241 →
(QA ← din) + 245 → (Ȧc - tref → Ȧ 24] → 246 + din → Ȧ Py → Ȧ EnV - Noc - n → cont - tnf + 242
(BP + BP 1) → Ȧ 247 → 248 + tref → P → Q̄A → EnV → (Ȧ - Obj) → (EnV) - y → 250 + P(y) → tnf →
(249) → Ȧ(t-py) → mod - 252) → (∞ → P1 → Obj) → Noc - n (EnV) → 251 (- Ȧ Obj → mod
→ EnV - noc → QȦ] → QȦ) → [Obj] → [Q̄A - Obj 2] ⇒ Obj 2 <: Obj 1)) → + int 253
Ȧ Noc → n7 + mod → Ȧ → (Ȧ Obj → P + 255 → (Ȧ mod 256] + P + 255 + din + Ȧ Obj → 256

$\sum_{\alpha\alpha=1}^{100}$ A (Inf mod → 1 → I + (Noc - q × 2 = Ȧ py - ps) - Ȧ obj → (QA (m + ȧ / × 2) → Ȧ py $\overset{mod}{=}$ [A $\frac{\dot{A}}{c}$ (p) 4 → Env - n → (Ȧ - Tnf) × 4 →) = $\underset{c}{\text{Ȧ obj}}$ P + 3 → ([Noc - q) - Env 7 →

+ Ynf → Ynf → Noc - Env → P + 3 → ([Noc - q) - Env 7 → P (ln 2 → 5 → 5 Env $\overset{int}{\text{n}}$] + (P (P) → 6 I QA →) Ȧ py →)

→ (P 2 (n - nbc → Noc → P (ln 2]) → P (ln 2 → 5 → (QA → Env - 7 →) + 8 → (Env p - mod - Ȧ obj) → P (e) → 9 → Obj → (10 + P))

(Tnf) → (7 → Env n) → 7 → (QA → Env → 7 →) + 8 → (Env p - mod - Ȧ obj) → P (e) → 12 → Env → (Tnf + × 2) $\frac{a}{c}$ cond) (P + 13 → Env + Tnf →)

+ Tr (P 2 → 11 - mod → (Ȧ ps - q) → P (e) → 12 → Env → (Tnf + × 2) ...

(1 → mod) → Env P 2 (→ + P 2 → 15 → Ȧ obj → [QA × 3 $\frac{\dot{A}}{c}$] [Ȧ obj 2 → Ynf + 18]] → [$\frac{\dot{A}}{c}$ → (Ȧ Obj 3

→ 17 → QA - obj) + QA × 2 → (Noc) → Obj - p >] + Tnf → (1 + 18 I) din → Env p > → P (→

(Noc - n Env 2) → 20] Ȧ → Obj → (Obj 2 (m) → Tnf + 19) → P (P) + 20 → int × 2 + QA × 2 →

BP → P I 21 → Env - p → int → 22 → int × 2 → [QA × 2 (→ Ȧ (p))] → Tref → P + 23 →

→ Ȧ mod → QA × 3 → 24 + $\frac{A}{c}$ mod → [25 → Env × 2] + Ȧ obj → P (P) - din + P → Ȧ (P)

mod → Ȧ obj) I [P, BP] + 26 + [→ + (Ȧ - BP] → 27 > + P + 28 → QA + din → obj → 29 - mod

→ Env + P + 30 → din + Env - P → (QA → 31) → Ȧ ps - p → (32 + Tnf → Env P) → P + 33 + 00 + P ln

+ Ȧ (00 → din + P → 34 → P (ln → P / din → $\frac{A}{c}$ [Ȧ obj → Qa - Noc - p →) 35 → 36 → QA → (mod

Ȧ $\frac{c}{c}$ 37] (+ Ȧ 00 → P (being + T) Tref (→) → Ȧ obj → Tnf → Env Ȧ obj → 38 → Ȧ 5 39 → din → [illegible]

Ȧ obj 2 - Ȧ QA (Env → Env Ȧ obj → (40 → din) → P n B +) (Tnf 2 → 4 → (P (m (QA → P (P) 2 n)) >

→ Ȧ mod → BP obj) × 2 - neg → 4 + (+ [[+ (QA + $\frac{c}{A}$ (Obj - mod) × 2 → Obj) + (P / → 43 → din → Env - obj]) →

(P din + 44 → Ȧ mod → QA (Env → Env obj) → (4 → mod → 00 obj) → (Noc $\frac{\dot{A}}{c}$ mod Obj 3 → × 2 + din) →

[Env P $\frac{c}{c}$ (Env] → QA) → (45 + 46 + Ȧ mod (1) → (47 + QA) ($\frac{\dot{A}}{c}$) Ȧ obj → Noc n + (Env → × 4 →

(48 - mod) $\frac{\dot{A}}{c}$ Ȧ - Obj → 49 → din in Env → QA + Env obj + 50 → P / → din → Ȧ obj → [Tnf (obj →

51 cond)]) 52 →) P / din → QA + obj = Env obj + (P / + din → P / + Noc + n + Obj + 53 →

[P (e) + P (P) 2 + P]) (QA → Env) → (54 → 56) → BP → Ȧ obj) → 57 → (P → BP + 58) + P + 59 →

Env + obj + (P + 60 → (Env) - din → Obj → Ȧ QA T (Ȧ - obj = Env) → Ȧ obj → P / → din → (Noc $\frac{A}{c}$

~~Ȧ~~ - Env P 3 Ȧ + 61 → P → Tref (P + 62 → Tnf → (63 → din × 2 → BP + din → 64 →) (Ȧ (Obj - Ȧ 65 →) QA

Obj → (Noc - n → (P → BP × 8) (P n + Obj) 2 → (Ȧ 65) = (Ȧ QA - P, obj)) → Tnf 3

+ 66 → Ȧ obj (Env → P (ln) × 2 - 1) → QA × 3 → P (ln (3) → 67 → Tnf → (P → 68 → Obj (QA × 3

→ din) → Ȧ obj → Obj → (Env → Obj) I (69 → Env 2)] = 70 Ȧ obj → QA → Ȧ obj → P → P 4

+ QA × 2 → BP → din (P 2) QA - Env → BP 2 → QA → P 2 → + 71 + (72 → (Ȧ mod → n obj) → Tnf →

P + 73 + (74 + din + QA + P →) 75 $\frac{A}{c}$ QA + Ȧ (P 5 → P 2 → Tnf comp P 3 + P 4 → 76 → BP →

77 → QA → 78 + Tnf 2 → 79 → P, QA → ((P $\frac{A}{c}$ QA) → Ȧ obj) → (80 + Tnf]

(Noc - n) $\frac{\dot{A}}{c}$ → 81 + QA × 3 → Ȧ obj + → (P n → Tnf (Ȧ → QA^{c}) → Ȧ (QA → 82 → Tnf + 83

P + 84 → din + BP → din → Env obj + Ȧ 00 + Ȧ Noc - n → ~~[illegible]~~ → P (P) → 85 → P 2 (e) → 86 → [mod - P 2) +

Env - P → obj (Env) → 88 + BP (→ Env obj) → ~~P →~~ 89 + 90 I Ȧ mod + Env 2 → Env + 91 → Env + n

mod → 92 n) + Ȧ P → 93 → QA + P → 94 → QA + → Tnf + P → 95 → Ȧ P 3 - P 7 T (P + 36 - mod n - P)) + Tnf + 97 - mod

→ P 2 → 98 → P → Noc = P 97 → Noc →] → Ȧ obj → Noc 2 - n → Env Obj → 100 → P /

Ȧ Obj - Env → E Ȧ - QA (P L) = Ȧ mod + Env P / → Env P^{c} × 2 → 101 → Env obj + $_{c}$ Ȧ obj → QA +

Ȧ ps - P → 102 → QA = 103 → 104 + P, + [Noc - Q^{A} - 105 →] → P / → [illegible]

Noc a ⟨+noc + mod → noc - P(p) → (Noc 1m → ×5) → P → (noc - n ×4) → P(p) ⟩ → 1 ref → 106 → QA ×
1ref ×5 P) → Ȧ (conv) → Ȧ Obj) → 1 ref + QA → noc - y) - (1ref →)] → mod] → Ȧ mod → , 107
⟨ → ȯȯ → P(n) + [ref - p / 1ref) → mod → 1ref ×2) mod] + ⟨ → + P + 108 +
obj mod 108 →) Ȧ - 1ref → Ȧ mod → Ȧ p) Noc → (QA I → P , dn → 109] → p / → din →
Env - obj → din , + p / → P → Env] Ȧ Obj → QA + P + P → 110 → P₃ → P(p) + QA →
(1ref ×2 → din p → 112 → 113 → n → P →) (1 Ȧ) Obj → (P + 114 → int → 115 → int → 116) × I Ȧ
(117 → Obj) → P + 118 → (Noc - y - n) → (P + 119 → P →) (120 → Ȧ obj) - × (121 → (Ȧ py)]
+ 122 → P₃ → Ad 123 → p /) → Ȧ c tref → QA → P ⟨ : P → (Obj →) 124 → din ×) → →
1ref)) → P → 125 → (P(p) + 126 → P₂ (mod)) → Ȧ noc - y }) → I (P + 127 → Ȧ obj → 1ref →
P → 128 → P → 129 → din , Obj → din + 130 + P + 131 → P₂ → 1ref → P + 132 → din + P₂ →
1ref → P + 133 → B P → → 134 → P → 135 Ȧ (obj →) → QA →] - 136 → P → 137 → mod → Nd
[P → p / + 1ref → Env →] + p / → P(p) + P + 138 → P P 139 → Ȧ py → 140 → P + 141 +
(P +) → Ȧ obj → (142) → comp →) - noc - y → P(p) → 143 ⟨ + (Ȧ ps - Obj) - mod → ×2] → noc - y - obj)
→ ⟨ mod → [noc - y - Obj] → Q̇ → Env → Env - [obj 142] + 143 + obj 144 →) → mod +
(145 - Ȧ obj) + P → [Ȧ obj - py] → (Ȧ py) → (1ref → Ȧ obj) + P(p) → 145 → [Ȧ obj] → 146 → mod]
(P → 147 ⌊ mod - Ȧ - int → (Ȧ py - mod) + (P → Ȧ 148 → P₂ - (Ȧ mod)) ⟩ (1ref ∈ Obj → P - n (noc)
149 → (int (mod) → ⌊ Ȧ (py - ps)] → [150 - QA + Ȧ obj] K = noc - y P / × 5 ⟩ → P + 151 (QA) → QA
P 152 → A py mod →) (noc yen → Ȧ p) → (Ȧ Obj → Ȧ Obj ×2 →) → Ȧ (noc) - yen → P yen →
153 → (noc) → (Ȧ obj → 153) - ⟨ P(p) → 154] noc) → ⟨ (noc - y) ⟨ ⟨ Env (QA) × 2 ⟩ → Ȧ
mod - noc] ⟩ + 155 → P + P + 1ref c → 156 → (QA - mod) → (P n → ([Noc] mod [noc] - P₅ - Py
→ Ȧ Obj → (P + P) → P₅ - Py) → P(dn)] + 157 [mod] → (Ȧ obj) ⟩ + (A c → 1ref) → Ȧ obj → 158
→ 1ref → ~~mod~~ QA ⟨ P + 159 → P , P P → mod →) → (Noc - n) → P(p) → 160 mod) → QA + 161 →
mod → Env - P obj (P + 162 → P P) (mod)] → mod → P₂] → (163 → P → cont P₃ → 164 → Env)
⌊ P + B P → 165 → mod + Obj → QA → 166 (m) → Env (p dyn) → Noc - y] → P₅ mod Ȧ → (Obj → [mod Obj P] +
+ ⟨ B P Obj → Obj mod → B P + QA → (Obj → din → p / → P P ⟩ I (Ȧ Obj → comp + 166 →
QA → Obj - Env + (mod → (P - Ȧ c - obj → Obj)) ⟩ + (ȯȯ → Obj mod) ×2 → ⟨ [Mod - 167] → (Env P - obj + QA)
(mod - 168 → P (dn) → B P → Obj) → (Q A → cont 169 → Env obj → Env P ⟨ (Ȧ Obj → 1ref (mod)
→ (169 + mod) → P →) 170 → (B P - obj) (mod (171) c) ⟩ → Ȧ Obj → (Ȧ P - mod (172) → P +
173 + P / din → (QA) - ⟨ (P - P₂) → Env P + din P] - QA = 174) + Ȧ (obj) → Env - P + (175 →)
→ Ȧ Obj) → 176 (m) × conv p / din (Env - P → (Ȧ obj)) - ⟨ : Env) + (A (py) → 177 Env] → (Ȧ obj →
Ȧ (ȯȯ) → 1ref] K ∈ , P - 178 + ... → 1ref) = I ⟨ : II + Proxy ([Ȧ obj] → Noc - p) - A (psy → 179)
(1ref →) × 2 →] [Ȧ Obj - mod I → P + 180 →] → 1ref 3 → 181 → (Ȧ mod [noc - y]] → int - mod] →
182 → (Ȧ obj - piece × 2) ∈ → [Ȧ obj] → 1ref → din] → (Ȧ obj) → Noc - y) (Ȧ obj) 183 → QA - mod
P + 184 → P₂ →) [Noc] →) → (Ȧ - obj] - mod) → A (py - ps) → (185) → 1ref + Ȧ ps obj] →
(Obj) → ȯȯ → P dn → 186 din + 1ref + P → 187 → (Ȧ Obj → [A obj] → ~~A~~ A 188) → Env obj → 189
→ Env obj → P → 188 → mod → P(dn)] + P + B P + 189 + P₂ + B P + (Obj) 5 → Env) → Ȧ obj → 190

ΣAJ ȦO→ P→ ā + Ȧmod <2 + ×1m + 2pm → T + TcQ → (P₁ → 1 + Q → 3 + Q̂ + p|+ E-0+P) → ȦO - T + (Ep → 6 = 0×2) → T + P

⟨(P → 8P₂)×8) → m → 9 + Q̈ → ⟩c + [m → [noc]] → ⟨10 + M + 19 + |⟩ → (P + Q̄ + 12) → 13 + P₁

+ Q · (P + 1 → Tx2 →) ~~p|P EA → x17~~ 15 + 16 + P + 17 + P + 18 → (P/QA) → (Q̄Â → p| → EnV + P)c -)

T + T + TrEF → [(Tx1) = Ȧobj + 19 → QA] → c Ȧobj → Ȧ p| → EnV) → c |n| → ⟨P + A + P⟩ - Ȧobj. AO - noc

⟨noc⟩ - 0   P+A+P P + Q0 + P + O0 → Ȯ + T 0 - cond → (P + 21 → EnV →) + Ȧ QA + Ȧ QA) -))

((noc) → c Ȯbj → P) → (T = mod) → ×2 → T = m P) → 0 +)c Ȧobj → P → 22 → [Ȧ Py - Ps] → Ȧobj →

23 + 24 + din + 0 + P + EnV + (O → Op → Pc(m) + (Ȯp₂) + O'n + Op₂ + (O×4 → ⟨O - m O×100⟩c - Ȧobj

Ȧobj → P₂ + P1 → 25 → P₂ + Ȧobj + P + BP - mod → Ȧ(Ps) → m - (BP → 26 → (Obj → mod →) 27) P. BP +

Ȧmod → ȦPs → BP → comp [Obj ⟨[Pc dm (mod → Obj → (ȦEnVP → Ȧobj + 28 → Pc dm] - mod] ⟩c ȦO → [P)

P - Q̇A×2 + int → 29 - P₂ + P + [BP - O] ⟨P + ⟨[BP + O]⟩ + Ȧ(m)Ps + Ȧobj - [ENv - noc - g - obj P)

+ [P + (BP - m → Ȧ Ps)] → 5 × Ȧ(BP + P₂) × 5 + ⟨Ȧobj - Noc → Obj → BP] Ȧ[BP] c [ȦBP ×₂ → Noc → EnV

(Pc(m - Ps - mod → 30 + mod) → [Obj → (Ȧobj] + ȦBP ×(Q) ⟩ [Ȧmod - Ps(m -) - 31 + 7 p| ⟩ P + [BP + 2×

[mod → Q̄A + Obj + ȦPs - 32] → [ȦO + ABP×2] → p| → ~~ȦO~~ ⟨ȦO2 → [Obj + Ȧobj(Ps) p| +

noc - m → Ȧ - m → Obj] + mod → (P Ȧobj) - comp [obj] →] p| - din + P + 33 P + c + A + Ȯ +

A + AO + Ȧ + (Q + Ps - EnV) → A + P + dn - P, BP → din - in - [+ BP + Q̄ → Q → P + Q̄ + Ȧ + P + T → (P + Ȧ]

P + A + [Acond + T + P + A] + T + (P + A) → Q - mod - comp → p| + EnV mod - noc → Ȧ₂ Q̄ + ⟨3 +

⟨A +) + AA Q (P + p| → EnV × (mod) → c AO → P + A → p| Ȧ + A - (A + A → mod) → T + A + EnV - ȦO → Noc - g

→ Apy + (ȦO → A → (Anc) → ȦO [A → 34 → ȦPy + P4 → Ȧ1y + P + A + ~~Noc~~ P + A + O + Ȯ →

mod + Py + P + 35 + P + O + Ȯ + [ȦO +] → 36 +) → Pc P + 37] (QA + [EnVc - ȦO] + [inTc + Ȧ] → +

Pc P| + Im → 38 → P0 + Ppy + A1 + + QA + ~~int(A)~~ + cond → P + mod Pc(m) → (P + +) - c - 39 → mod → 40

O = p| → EnV(P) → P → mod (41 +) - 42 = n + mod + ȦPs + ApshΩ (+ ȦO + 43 + (Noc + +) → 45

→ mod → Pc dm → [Obj [→ T + P + EnV ×5c EnVc] + (A + Ep → Py + ȦO O×2 → Ȧm Pc dm + 43 → EnV - n] → (Pc → Pcdm

→ 44 → EnV) → Ō → ȦO → EnVp → Em + + Ep → 45 + 46 → ȦE + (47 → Ep) → (Em → E (ȦEm) → 48 + (Pc → O) - AO

→ ~~EnVEg~~ + (Em + 49) → Ōn → Noc En × 5 + Ȧm → Ep → Ep ⟩ → (Im) → EV - Py + O] ⟨ (Q + 50 →

Pn → ⟩ → (Ep + E) → Ep → 51 + Q → ȦO → (Q m →) → Ep + P + Int + 52 + Ȯ + [Pc BP - ȦO] - 57 - Ȯ → P] = E -) 53

+ noc - 0 → ×2 (2 + p| T (P + 54) → mod (+[O₂ + p| + O₃ +] p| + 55 → O₃] → c m → Noc - ȮPsh c (ȦO 56 → [Pc dm → BP

[ȦO - p| - [P - n]] ⟩ (n - Ep / P] → ot - ȦDy → P₂] [n - Ep =] AO → ȦP → 56 + P₂ + ȦO 57 + (E → (m + → Ȧ →)

→ Ō → Pot AO₂ → P(P) ȦO(noc) → 58 → ~~Enp~~ Ep O×2 (ȦO + 59 + (E +) → (QAE + Ep) (I < : II) + 60 + p| → P(P) + Ep +

+ (61 → ȦPy = ȦO)] [ȦO → O₂ + in → O₃] [Q + Ep Ȯ → Ep₂] + (A + P + 66 → P₂ →) ȦO → 5] → 67 → P(P) → m(ȦO) →

int(+(68) → P(P) →] → c [noc] → m P(P) → 69 + P₂ → ȦO → ȦPy × 2 → (P + 70 →) → (P + A 71 + QA + 72 → P₂]

T → 73 P → P(T) + P(P) + 74 → (P → m c A → P₂) 75 + 76 + ȦOPA + PAmPP + A + c ȦPO - AJ + ȦO + (AE(m)) + PP m O +

BP + TxS + P| → (APs + m) ΔE → p| + BO → P → [A → P(m)] ×₂ + 7 + P + AJ → ȦO → m(P) + P AO T + + + E A d - E₀ T → P + + I₀ + L

AJ → P₂ + m × O at + P + P A m - AP) + (AJ P) AJ - (m QAJ) T → (T → P + at + P₂ T Q at + aO) T × A + P + a + L

AO c Ja] ⟩ P + A → Q → P + P + at m (Ȧ O + P O m → (a) → m(EnV) → (P(BP - at (m)) + + Q ×5 + BP₂ Q + BP₂ + P

O a O (at [E (m a t] → Am → [Ec On] (AO + O + 7 A → [O (m - [O×2)] + at + T → ȦO → Ȧ → (Q + O) × 2 → N

+ EOP → AT → Ⓞ → O×3 → [TQ → O → [m + O + (Q + O) →] Ac - m →] [Tc - QA]] [APP P] → APTA → m → P + T

⟨I'I: Q T ū m(P, T P(m) + A + P P A A P ∞ P + P P F Q A E A A Q P(c) T A(E A) P + A Q A O F P̄ →] ȦO F (Ȧ m) (N)]] > + P F Q O +
A + P B_P + [Ȧ O] → ∞ P ⟨A P n = Ȧo + N F T × 4 + P A + Q − m > m = A_c [ȦO] > ∞ P + (A + m) F (T n × 2) F (n̂ − g) F ed
(P Q) P ⟨ +[A + E_n + (n̂ g) F E n] → A F (E n F) → A m [E(N)] X [ȦO] → A F P + A + E [ȦO] → ȦO F Q m F ⟨N + n_a
(N) ⟨(N_n) = ȦO⟩ ṁ → N_3 P> (NNN) (Q̄ m + A)
m ȦO F m P + A (A − E) m + (F d P) F (P + A + A Q + E_a + ⟨ [E n v F (Â m) F d̂in + E.] (ȦO] → T m + (Ê n V) → A + T
P + [Q̄ m] > [N − E P] F] > F Â + Q + P + A (P + Â − n F (ĀQ) × 3 + P_p + (T A − P + m̄] ⟨ (P A m P_a) + E + (ȦO m E A)
+ (N − n + (A m] → N_n + (m − O × 3) F N F (m + N − p) Ȧ O → P + Q [m̄_1 + T + P(m_2 m̄_1)] (T m)] + (P_A + A^E − T) F
P_1 F A T m A T → E + m N + T × 2 + Q + | Q̄ m F (P(P) m + T) + P(P) (m̄ + A) F T → (N A) → [P̂ − n (P + Q)
× 8 + N g F (P + A + m̄) + [T̂ T E + P + A + din + P(m) + E_P)] (Q F T Q F (T Ȧ E − A E)) + (P_3 + E + N − P_g
+ P(P) F A_c → P (B_or P_3 + P_2)] + (Ȧ m − P̄_+ + P̄_5) × 2 (Q̄_c Ȧ P × 3 − 8) + A − P_y) ed) + (Q B_c T P(J_3))
(ed − m − P_s) + Q) → P | F E_p (m̂) → E P_2) + A] T F (P + 2 d) F (Ȧ O) (m F ȦO F P F ed + Q̄ × 2]
[Ȧ P] F [N N] F (N − P y) × 2 F (P + a F Ȧ_{N−P} → N − n) → Ȧ P F ed m P_a F (N) → ed → Q F Ȧ_n − Q +
A] F Q A E > m F (A d (m + P)] → c [Ȧ P] F [N g − P y] F × a → P] [(P + T + A) + [O + P | F P F P | 2] F (A − E
2 + B P_0 Q̇] F [ed F P̂ P] F Q̄ F (O + O) + [Q̄ ← O − N] F [O_3] → m − O F ed (m) →] P | Ȧ O̊] F Ȧ Ė O
B P + O F B P + O → O F Q + O F O (ed (Q) F P] F Ȧ O] − (Q̇ (P_5) F O F [E + (P(P) → c E m F] F
Q O + O + O − (O] → Ȧ O] + [P − m + ed − N_P]) N + P_H (ed F T − [Ȧ O] → [m [Q E c Ȧ O − m̄] + ([ȦO] → N F P +
[ed − m] ȦO] [P + ed] (m) (P_S [O] P_y +) N − n] + [Ȧ n]_m (B)^P + [Ȧ n]_m → P = Q_o P + P_a E + P_a Ȧ +
+ ⟨PROXY − DERAIL ment⟩ − ⟨PR − DE⟩ + (Ȧ P + A F E + Q + T × 2) F E_2 F [Q = A F m P] + (T(m) →
(T)_c − E(A) F ⟩ [A O − Q̄ × 2 F] → A d (m) → [Ȧ O_2] F Q(T) → E) + (Q × a + T + (A d − m)) → Q̄ × 3 F Ȧ O_3 →
→ (Q P) F] F [T_c − E → Â → ed] + ([Ȧ O] → (m Q_P | → Ė_O) F A_m E F] F (T m) − ⟨P(e) + ed + m(P) + Q)
F T_2 (T_2 <: T_1) F E (N − Ar + T)] (F [Q̄ Ȧ m] F N = (M + A)) F (Q + P_x F ed) F (E_2 + E_P F)) P | F Q̄
⟨E P_3 F (P^ed_{V − P5}) → E^m_{P+}] F (Ȧ O] F P + ed + din F T F E_P] F T A F E_P F E F m Q]] > (+[Ȧ O] F P_c → Q
F E_P) → (Ȧ O F m F [Q̄ → m] − (A F N − g [P − n]] + [m F Q̇] → P F Ā F P_2 +) + [Ȧ O] → Q̄ F [Q m] F Ȧ O_2]
[P + ed → E] + (P + ed F [Q̄ F P + ed F m − Ȧ T) F N − c + A F E.] + (E F Ȧ O F (A + O) + m F] F [N O_2 P(e)] m F
E P × 2 F P |]> F c N F A − A] → P | F E_{P1} − E_{P2} + ⟨P + O F T × 2 + A + d + E E_P + O + O (F) Q A O_m − Ȧ_c m E^{OT}_m → |ȦO|⟩
F O + A_c O + A] + [A(m) F O → O] → N − n(m) F A(m) → N_O → N_c P ⟩ F Ȧ m O F ed F_m [E F E)
→ ~~E (m~~ N(n) c O_m → E_a F A F P F ed F [(A_m O) F × 2] F E_m F P_O F] → Ȧ O_a → O_a F P_5 |]
P + Ā F | P F Ȧ O F Ȧ T F P | F E_P → E P_2 F (E F (ȦO) → P + ed + Q) F (Ȧ N − g) → Q → E_g F Q + A F (P + A d F
(E → Q) F E_3 F (T Q) → A F T × 3 F [P^A_(P) → ed + E_g (F E_3)] → ⟨E P − E_3⟩ + [∞ E_O F Ȧ n F A_{om} + (Ȧ O]
+ F_m → E_O F [A m d A O_2] F P + P_m (E → Q̄ F Q̄ F P̄] + [Ā − N Ā − Ā → P − P_2] + Ō F A_2 F ed + ed_3
A_2 F Ō F A_2 + Ȧ P F [B P A M] F ṁ + (ȦO I Ȧ A F P F) F (B P F A F B P_2) F (P + Â^{T−Py}) I in F [Ȧ_m F P]
→ (P_2 F in + Â_E F) in F [ȦO] → A_m → P_3 F in F (T Ā F [P_2]) F (ed F P y m − Q m) F P(P) F P_2] I
Ā F P(P) n + A + P(P) F P + (Q̇ F P_5 F (A_E F Q) F O F A − A +⟩ F ⟨in F A + Ā F (P_n + P_5 m) F
(A_T → Q − P S P y) Ȧ O F P(0) → Q F^{Py}_A P(P) − P_3 + A F + (Ȧ P y) → m + Q̇ → P_n F (A_r m P) F ṁ
(P_5 F A_m F Q̇(P)] ⟩ [Ȧ O + P + a F [Q̇ m] F E O − r] F Ȧ O_2 F Q̄ × 2] + [P + i + [A m̄ A − A_c] Q m F +
(A + P + T) F (A_T → A +] → Ȧ P | → (Q̄ F N Ȧ O − O) F] F c Ȧ P_c → P̂ F A + A m F E O × 2 F +) [Ȧ O_2]^S + P +
[T − T(m)] + A + [(T F m)_A → E] + [Ā F P_n (B P = O] F P − d → E_O F A_m → P_2 (P^c − P) + [Ȧ O_3 − Ȧ O_2 − (A F B P_0)]

[[Ȧ] → [ȦO]_P [P_y^A − P_s] ⇀ A + P + (A_m^(0) x_2 + 1T) ⇀ ȮȮ ȦPy x2 + A ⇀ TA ⇀ A] → Am → [ȦO] → (E_Oc − Ȧ * Ȧ_(Py))

Py x2 ⇀] → (Py m P) → (P_m Ā → (ȦO)_Py ⇀ A] ⇀ T + A + P'_n + ĀO ⇀ A ⇀ [Q m ⇀ A_c → ṁ ⇀ A ⇀ Py − P

Py x2 ⇀ ~~(TA ⇀ m)~~ (T) ⟨P_y⟩ ⇀ m̄ ⟩ ⇀ ⟨P + Ā ⇀ (B) ⇀ [Py m]⟩ P + A ⇀ (Py x2) ⇀ Q̇ + m + A → P)

+ (A + Ȧm E_P ⇀ Py) ⇀_m [ȦO] → (Py − Ps)_c Ȧ(ot − Ṗy) ⇀ A − A ⇀ Ā ⇀ ⟨(TA → [T ⇀ [ȦO] − Py (= ~~Py~~ ȦO = Py]

[ȦO + T − T → Ṗ] ⇀ P'_o + P_2 ⇀ (m − Ā + P) ⇀ Am ⇀ T(Ȧ) ⇀ Am ⇀ E_Ȧ − E_Pm] + P + A ⇀ (P_(P)^m A^Q_PPc → Q] + [A → (Py m → P]

+ Q̄ ⇀ [P_y^N − Ps]^m + [T × 7] + P + A ⇀ A(E_Pm) → m̄.]⟩⟨+ P + AQ̇ ⇀ Tm A + P'_n + [Ȧ − Ā] + Q̇ ⇀ [ȦO] ⇀ Q̇ + T +

T ⇀ A ⇀ (T_c Q) ⇀ T +]_c → ȦO ⇀ A_T + (P_s m E)_c → A ⇀ O ⇀ Q̄ m O_2 ⟩ [ȦO ⇀ P + A + m ⇀ T × 7]] + [ȦO ⇀ m] ⇀

A ⇀ ȦO_2 ⇀ T_x2 + ȦPy m ⇀ A ⇀ Q ⇀ Ȧ(N) ⇀ T ⇀ A ⇀ int + Q ⇀ x2 ⇀ (N − g ⇀ ȦO)_x3 ⇀ A m ⇀ (Q̇ x3 ⇀ Q̇(ȦO) x2]

[N(P) x5 + Ȧ ⇀ ⟨ ⟩ ⇀ [N − g − n → P_(P)] ⇀ ȦO] + T_c − Q̄ ⇀ N_c ⇀ Ȧ_Ps^Py) ⇀ T ⇀⟩_c ȦO_P ⇀ A ⇀ P + T ⇀ E ⇀ (E_P → ȦE + (A − A)]

+)_c → P ⇀ m Ā ⇀ T(A) + Q̄ ⇀ [ȦO − P_y] ⇀ T + ȮȮ + P ⇀ E_P ⇀ Ē + P_(P) ⇀ Ā(P_y) ⇀ (T_c → [ȦO] ⇀ N ⇀ Tm) ⇀ P̄ + Ā + m)

⇀_c (ȦO ⇀ P → E x2 → T) ⇀ QP(P) ⇀ E_Ox2 ⇀_m BP(P(P)) ⇀ (P(P) ⇀ BP + m(A = O) ⇀ Q) → (Ng Ṗ) ⇀_c Q ⇀

N(−c − E − Q) + Ng ⇀ P| + Q̇ x3 ⇀ A + Q → T_c − Q + Q + (ȦO + O_Py + Ps) + E + T_m E_P − Ps + A →_m E + Q ⇀ E_P + [P ⇀

ȦO] ⇀ A ⇀ min_c ⇀ Q ⇀ BP_A + Q + Q̄]⟩ [Ȧ] ⇀ P', [Ā_Py^(A−A)] ⇀ T + m + T_x2 ⇀ P + A ⇀ Q̀ ⇀ (P(P) ⇀ P_2 ⇀ T + Q ⇀

A + T ⇀ A_m^Q ⇀ P. + (n A_A − in g Q Q_o O] + [ ] + ȦP + P + A ⇀ (E_ȦO^c] ⇀ P + T ⇀ Ȧ ⇀ P_2 ⇀ P_3 + Ā_n +

[ȦO ⇀ A + [n − P̄_Ps n ⇀ A − A] ⇀^m n − P ⇀ A ⇀ P_(P) ⇀ A x2 ⇀ (n − P → Ȧ_A) + P_Py m →_c ȦO ⇀ A + ȦO − O ⇀_c m

⇀ ȦN ⇀_c ȦO ⇀ P + (Ā ⇀ ȦO_n ⇀ Q̇ + ṁ(Ȧ)] ⇀ (P + A − A + T ⇀ [N_c ȦO] ⇀ ȦO ⇀ P + A ⇀ ȦO_2 ⇀ (O ȦO) ⇀

P ⇀ Q → (A − A) ⇀ A ⇀ Q x3 ⇀ E ⇀ T + ~~A + P +~~ P + A + E_mA (+ P + A ⇀ P_2 ⇀ P(P_(3) + A ⇀)_c → Ȧo ⇀ A ⇀ +

⇀ E_o ⇀ E + Q ⇀_E O ⇀ A ⇀ P_2 n E_O2 + Q ⇀ P| ⇀_c E + E_O3 ⇀ (ȦO m + QȦ + O) ⇀_c ȦO ⇀ P_3 + A ⇀ mP|

P_3A ⇀ A_mE ⇀ E_O4. ⟩ Tm⟨⟩ + P ⇀ (O m BP ⇀_Q A) ⇀ AO + A ⇀ m − (n − ȦO − Ȯ) ⇀ (ṪA) + Q + A ⇀ E ⇀ P| − PP − P. |

[ȦO] → Q x2 ⇀ ȦO_2 ⇀ P ⇀ + P'_n ⇀ ȦO_3 ⇀ (Ȧ_Pm) ⇀ Ȧ − a → P − P ⇀ Q + A ⇀ A ⇀ T_c Q ⇀ n_c Q ⇀_c ȦO ⇀ P ⇀ ȦO ⇀

T_c Q ⇀ A ⇀ A_x3 ⇀ T ⇀ (AO − O ⇀ x2 ⇀ (m̄ ⇀ N − n − g ⇀ (T ⇀ Q5 ⇀ N − n Ȧ ⇀ ȦO] + T − (n → g ⇀_c ȦO x2

A_m ⇀ Q̄A ⇀ x2. + T + N_c P ⇀ A_m P_BP ⇀ [N − g^(n)_m^c] → ȦO ⇀ Q̇ + P_(n) ⇀ T_A ⇀ P_2 ⇀ ⟨A_mO ⇀ Q̄ → O ⇀ E_P ⇀ Ȧ

[Ȧ − Ȧ] ⇀ ȦO]_c ⇀ (ȦO_2 ⇀ A + a + (O − ȦO) + Q + P(N) n + E_Pc ⇀ Q_(0) + BP + A) ⇀ P_(P)2 ⇀ A + (A_c Q̇ ⇀ BP m̄ ⇀

P| ⇀ (P'_n ⇀ Q̄ + BP) ⇀ ⟨[ȦO]_1 + A ⇀ A_m ⇀ O_3 ⇀ Q̇(E ⇀ m̄)] ⇀ (Ȧ(Ā − Ā) ⇀ P(P)] + P_3 + A + + P_(0) + A

(P + T_m Ā → P) + in + (in_c → A)_m ⇀ n − n ⇀ E_P ⇀ Ȧ ⟨[Ȧ] → E_n ⇀ A ⇀ E_n n ⇀ P_(n)) ⇀ (P_(n) ⇀ N(E) ⇀ (A

+ Q̄) x2 ⇀ [n ȦO − o + P_(n) x5 + ȦO + ȦP] + ((T m ⇀ Q̄ + P(P))^c_L [ȦO] ⇀ (QA] ⇀ A] → (A_m^OC)_c ⇀ A ⇀ Ȧ_(n − P − P)] +

Q̄ x2 ⇀ (PBP)_c → Ȧ + ⟨(Ȧ^o_Oc Q̇) + (Q̄_c Q̇)⟩ ⇀ P'_n + EȮ] + P'_n ⇀ (P_Sh P_y^m ⇀ T_Py Ȧ) ⇀ (A − A)_c m ⇀ (Ȧ(n) ⇀ E + A) +

P + m̄ A − A) ⇀ [ȦO] → Q̄ x5 + Q̄ + A m ⇀ P(P) ⇀ ⟨E(n) ⇀ P(P)2) → E(n2)] + Q̄(in_c) ⇀ P'_n + (Ȧ)_c m ⇀ Q̇

⇀ (Ā P_y^N) + P_o + [ȦA m → Ā^N − A] ⇀ [Ā ⇀ T_c ⇀ (n Ȧ] ⇀ P'_n ⇀ Ȧ(Py Ps) ⇀ Q + Ȧ + P'_n + in_m A ⇀ in2 +

A_[O]c → (ȦO] ⇀ P + A ⇀ P_(P) ⇀ T_m A ⇀ [ȦO_2] → A − A ⇀ AP| ⇀ ~~P~~ P_(N) + [Ȧ in Q̇ ⇀ A − A] ⇀ Q̇A

⇀ ȦA + Q̇ (A − A) m → Ā] ⇀ (P_(P)c Q̇] + ȦQ + Q̄ + Q̄ ⇀ Ȧ_[Py] ⇀ P'_n + Q̇ ⇀ Ȧ(Py) ⇀ [A_m BP)_c → Q̄^Ȧ] ⇀

Q̄ → in(Q̄_c Q̄) ⇀ N_(A − A)^(ȦO − O) + [(P − N) → A m (P − n 7 BP − O]_c − (ȦO] → P + (P + ȦO → P(N)^−m + 7_c → [ȦO ⇀ A_m^Q

⇀ [ȦO − Ȯ] (+P + A ⇀ [ȦO] + d ⇀ A ⇀ Q̄ ⇀ [Ȧd]⟩ + T ⇀ [T + [N(n) E( )]_c ⇀ P[P] ⇀ P_(n) ⇀ Q̄ ⇀ P(P) + T + (A m̄

ȦP] ⇀ [n − m] ⇀ E_O ⇀ A + Q̄ ⇀ A → E_P ⇀ P| + E_P ⇀ (Ȧ_c^E A) + [Ō − Q̄] ⇀ E_P ⇀ E_2 − E_3 ⇀ N_c → P(n) + Ā

m + T ⇀ A_m O_P| ⇀ Ȧ_[−] ⇀ [Ȧ(E_c → d/m) m] ⇀ Q̄ ⇀ E_O^(n) ⇀_c E_2 ⇀ E_P ⇀ A m E^(Ȧm) + P_(O) − N → P_(P) + Ȧ

$T \to N_c \to P(n) \mp A + \bar{m} \xrightarrow{\mp} P(p) + (\dot{A}[-A-A])_c\, \dot{A}O(P(p)) \xrightarrow[+]{} \bar{P}(n)_n + \bar{Q} + A_{-A} + E_3 + T_m A + pl + A_m \xrightarrow{\mp} E_0 \xrightarrow{\mp} T +$

$P_c - N(n) \xrightarrow{\mp} \bar{A} + \dot{m}(\bar{m}) + N(0)_c \xrightarrow{\mp} \dot{A}O + T\dot{i} \xrightarrow{\mp} d + pl \xrightarrow{\mp} T_2 \Rightarrow T < (P_c N_n E(n))_T \to (n_c \to \dot{A}O) \xrightarrow{m} i_n \dot{A} \xrightarrow{\mp} (A-A)_c \dot{A}_0 +$

$N_c P + A I \to \bar{Q} \mp (E_A V - n_c Q) \xrightarrow{\mp} A_{(n)} \mp_c \dot{A}m \to P_{(p)} \mp \bar{A} + \breve{A} \mp \langle [\dot{A}O] + (\dot{A} \to \infty P)^{\bar{m}} \rangle + T + P'_n + \dot{A}O + A$

$m \xrightarrow{\mp} [N_c \to E_0] \xrightarrow{\mp} mN / (m(n))^{\bar{m}} + [N_c E_0 \xrightarrow{d} P(p)] \to P_{(p)} \xrightarrow{\mp} A \xrightarrow{\mp} T_m \xrightarrow{\mp} (E_0^{(\dot{A}m)} \xrightarrow{\mp} A \mp_c) \dot{A}\bar{O}) + \to$

$(P(e)] \xrightarrow[+]{} A \xrightarrow{\mp} \bar{Q} \times 2 + [N(P)_{(n)}] \xrightarrow[T]{} A \overset{m}{\mp} \; [\dot{A}_P - P(class) m] \xrightarrow[c]{} BP \overset{\dot{m}}{\mp} (BP - m(0A\bar{m}_c))] \times_3 + BP \mp [\dot{m}] + (n = \dot{A}O] + A \to$

$[N-N]_c - \dot{A}O_m T_c \to (n-n) \to A \xrightarrow[T]{} [A - 1 \xrightarrow{} [A - A]] \dot{A}_c \, A = (n-n)]_c \to \dot{A}O(T \to A-A) \bar{m}\; N(\overset{A}{in}) \xrightarrow{A} \dot{A}E_{in})$

$P + A + E_A(\bar{m} \to \dot{A}_{[0]} \to E + T m]]_c \, \dot{A}E + \dot{A}O - A-A] \mp \langle E + P + A + \sigma \xrightarrow{} + E_A \bar{m}) + P + A + m + [E_{0_c} \to \dot{A}O] +$

$P + A + \bar{O} \xrightarrow{} \dot{A}O \xrightarrow{\mp} m \xrightarrow{\mp} O + d + A + Q + P)(\dot{A}_m \bar{E} \to \dot{A}O) [P + \bar{A} \mp P_2] \langle [P + A - c[E = [\dot{A}E - P_{(e)} - x_2]] \to \frac{A-A}{N-N}] \rangle$

$[P'_n \; \bar{O}(Ph - \bar{A} - \bar{A}_c \bar{Q}) \xrightarrow[+]{\bar{m}} BP \xrightarrow{\mp} (A \mp_c \dot{A}_2) \xrightarrow{\mp} \dot{A}O - 0] + [E_0] + pl \xrightarrow{} (A \wedge A] \xrightarrow{\mp} \dot{A}[-]_c Q \to O \to [A - A \; \bar{m} (\dot{A}O \to \bar{P}]]$

$[P' + O \xrightarrow{\mp}]_c \dot{A}O < A_m^0 \to N_{E_n} + A_{[\dot{0}]}^{[A-A]} \mp) + A + Q + A \mp \dot{O}_n \xrightarrow{\mp} Q + O_P \xrightarrow{\mp} \langle O_2 + A + d \xrightarrow{\mp} P'_n \xrightarrow{\mp} P_{(n)c} \to O_2 E + O_2 P_c ?$

$+ \langle E_c \, AE \xrightarrow{\mp} [A_m \; \dot{O}_n + O_P + pl \; d \xrightarrow{\mp}] + A^{(E)} \xrightarrow{\mp} \bar{Q} \xrightarrow{\mp} A_{[\cdot]} \to (O_3 \xrightarrow{\mp} [<:O_2] \rangle + \dot{A} \bar{m} \xrightarrow{\mp} \langle \dot{Q} + A_{[0]} O_4 \xrightarrow{\mp} T_A \xrightarrow{\mp} P$

$P_{[0]} \xrightarrow{\mp} \dot{Q} + O_{(n)g_c} \to (Om) \mp \dot{A}_{[\dot{0}]}] + P + (A + [A_E - E) + A) \xrightarrow{\mp} \dot{A}m \xrightarrow{+} P_{(n)}^{x2} + A_m \xrightarrow{\mp} [\dot{A}_Q \to P] \xrightarrow{\mp} \dot{A}E + T + A \; m \xrightarrow{\mp}$

$AE \xrightarrow{\mp} P_{(n)}] + P + A + (E \mp (\bar{m} + O) \mp \rangle (E_2) [P + (\dot{A}O_{A-A}] \xrightarrow{T_c} O_c \to \dot{A}O + P + A \mp \overset{\dot{A}}{\dot{O}}_m \to [me - \overset{\dot{A}[0]}{A} \overset{\dot{m}}{-} A] \begin{smallmatrix}[\dot{A}O - O] \\ + N(0) m]\end{smallmatrix}]^{c\dot{A}O} + P + A +$

$BP + \dot{A}O - A \overset{or}{-} A] \mp A \to E_0 + A me + d + pl + \bar{m}(E_{0_2}) \to P'_n \dot{A}O_P] (P + A) \xrightarrow[+]{m} [\dot{A}_A]_A \to + [a m_c Q] \to A(\vec{M}) - P_y [\dot{P}] Ph \xrightarrow{\mp} \dot{A}N_c$

$Q \to A \xrightarrow{\mp} E \mp] \; Q \mp [N - \dot{A}d] \bar{A} + [P_2 + \bar{A} \mp N_E \xrightarrow{\mp} \dot{Q} \xrightarrow{\mp} A + A \xrightarrow{\mp} [P_{(n)} \to (\bar{A}\bar{m})^{\bar{m}} - \bar{Q}] + N(P_1) \to [T \to P(n) \mp \bar{Q}_n + P_{(n)c} \to$

$E_n \xrightarrow{\mp} A_T \xrightarrow{\mp} T_c \to \dot{A}E \; A_m \; P \mp A \xrightarrow{\mp} N_c \dot{A}O_{d(e)}]^c_{\mp} \dot{A}O[P_2 + A_d \xrightarrow{\mp} [< A + P + P_2 + A + N(A-A) + T + A \dot{d}(P) m A \xrightarrow{\mp} \dot{O} \xrightarrow{\mp} P_2]$

$+ [P + A\dot{A}O \to d + A P_y \bar{m} \to P_2 \, A \overset{O}{\underset{A}{-}}{}^m E_c \to [P_y]_{[\dot{0}]} \to A[P] \xrightarrow{\mp} E\, O\bar{m} + N_c P + mO + [A \xrightarrow{\mp} me + pl + d] + BP[m(pl\dot{A})] \xrightarrow{\mp}$

$\bar{m}\, BP_2 \to (P_2) + P + A + BP \mp \bar{Q}(A_c \bar{m}_c) + [P_2 + A + O + \dot{Q}] + P + A(N_c P_y \overset{c}{=} A) \xrightarrow{\mp} P_2 \mp d \mp E + [P_2 + A_m \xrightarrow{\mp} P_{BP} \mp$

$(A^{m} \dot{=} \bar{m}) \xrightarrow[+]{} PBP + A + in \mp Q^{A-}_{m2}] [P_{(n)c} \to N \overset{\dot{A}}{\bar{m}} \to P_{(p)}] \xrightarrow[m]{} P(n)]_c \to \dot{A}O + A_m \xrightarrow{\mp} (n m P(e))_c \to \dot{Q} \overset{m}{\mp_c} \dot{Q}_A \xrightarrow{\mp} i_n A_{T_c} - N_c A$

$\mp [P'_{(n)} \, P_y \hat{-} Ph] \xrightarrow{\mp} A - A] [P_{(n)} E \to P_y \, Ad - P_{(n)}] + A \overset{1}{-} A \to P_{(n)} P - [P]]_c \to_{A+} \dot{A}O \xrightarrow{\mp} [_n O - \dot{A}O]_c \to N[\bar{A}] + N[E] \to A - A]$

$[\dot{P}[N - nE + T(Ph_c[0] \mp \bar{m} \to \dot{P}(BP])]_{(P)} x_{(x)}] + [BP + A + pl + d \mp A \overset{pl}{-} A]_{E-} \bar{m} \to \dot{A}_Q \mp (T_c \frac{N}{cOcTc} T) \xrightarrow{\mp} [E \bar{m}]_+ E_2 \to + A + P + [OF \dot{O}]$

$c[\bar{A}O] + [P + \dot{A}O]_c \to A \mp [\bar{A} \overset{\dot{A}}{-} \bar{A}] \bar{m} \mp \to [Q N - O_{(2)}] \xrightarrow[+]{} A \xrightarrow{\mp} P^{Q}_{(x)} - P_{(x)}] + \dot{A}E + [E_c \dot{A}O_{\bar{m}} \to P_y] + BP'd \overset{O}{\underset{A}{-}} A]_c \dot{A}O_m T + E] + O +$

$A + [\dot{A}_{[0]} \to O \xrightarrow{\mp} \bar{m}(\bar{A}) + P + A + Q \mp BP \bar{m}^{\dot{O}}] + P(\bar{P} - n) \mp A + E_m \to T \mp Q \bar{m} \; A(Ph_c Q \mp P] [P_c \to \dot{A}O \mp Ad \mp \to] \xrightarrow[+]{}$

$[Ph \to P_y]_c \to P_{(n)} \mp \; P_{(n)_2 n} \mp \to (P_y) + [P + A]d \overset{\dot{O}}{\mp} Q + [P_y]_m T_a \overset{\dot{O}}{-}_A] \xrightarrow[+]{} O_c \to [N_c \to BP_{(x)} \to m[P]] + P_{(x)} + A_{(x)} \xrightarrow{T} \bar{m}$

$\dot{A}_0]_c \to [N + \dot{A} + P_{(N)} \to E_A \overset{\bar{m}}{-}_A \to + T_m [A \hat{=} A]] (A + d] \xrightarrow[+]{} [Q \bar{m} \to \bar{O}] \xrightarrow[+]{} BP + \rangle + [\dot{Q} \overset{m}{\to} A \mp \bar{A} \overset{+}{-}_c \dot{A}_{[S_y]} \mp [\dot{A}_{[\dot{0}]c} \to A_+$

$\mp_{A[0]_{2c}} \; O] \bar{m} \to [O_c BP \dot{A}_{[\dot{0}]} \mp P_{(P)_n} \xrightarrow{=} P_y] \perp A\, me_c \mp Q \mp P_{(P)} \to + [me_c^{P(n)}{}_{(x)}] \to A \bar{=} A] \to Ad \mp (P_{(e)} x_2 \mp \bar{m} \to$

$\bar{A} \mp \bar{A}\, m BP_O \, x(x) \mp \bar{A}_{(x)} \overrightarrow{\mp} in_c \bar{Q} \mp A \bar{\mp} A]_c \dot{A}O \mp P_{(e)} \mp P_{(P)} \mp \bar{Q}] + [P +_T A \mp [E \vec{m} A]_c \to A_{[0]} \xrightarrow{\mp} P_{(n)}+]$

$[\overset{A}{\underset{m}{T}} \mp] \to E_c \dot{A}_{T\bar{m}} \to P[P_y]] [[N - \dot{A}E] \xrightarrow[m]{+} O + [Ad]_{\dot{a}} \to E_m T] \mp A_{pl} \mp (E_{(n)} \to P_0 + T) + (\overset{\dot{A}}{P}_{(n)} A \overset{pl - pl}{-} A_{(x)} \to E_{0_2}] + [T \mp P_{(e)}^m$

$\bar{A} +]m + P \mp [A \mp P_{(e)}] \to A-A] + [\bar{A}_{[\dot{0}]}] \mp \bar{A}] \bar{m} \mp \to BP\dot{A}_A \mp \to P_{(P)} \to A(\dot{E} - n) \mp \to \dot{E} \mp [P(\dot{e}) - A - BP_{(n)}] + [\dot{P}_{(P-n)}] \to A_T \mp T_2$

$+ A_{BP} \to P - P + (x)_c \dot{Q} + [BP_c A]_c \to \dot{A} \mp P_+ A - O \mp E_c \dot{A}O \mp P'_n + me \mp \dot{O}_m^{(me_c)} \mp BP] + [A_m BP me P + pl - A + P'_2 BP]$

$+ P + A + P_2 \mp [BP \hat{-} A]_c \to A + \bar{Q} \mp [\dot{A}_{[0]} A \hat{=} A]_c \to \dot{A}O \mp A \mp E_0] + [\dot{A}P - n \mp_c \dot{A}_P(T_m) \to N \mp T_A \mp m P_y - A \mp [S\dot{y}]] +$

$[Ad \mp \to [P_y]] \xrightarrow[\bar{m}]{} [P_y - m[P'A \Rightarrow T_{[P_y]}]] + [O + O]_{\bar{m}} \to O_3 \to [O + (A-A)]_c \dot{A}O \xrightarrow{+} O_s (N \to O] + [\dot{A}O \mp P + A \mp m$

$[P_y] + P \to A \mp \dot{A}O[n - \bar{m}]] [N\dot{A}O]_{Pm} A] \to_+ [P_{n_2} \mp \overset{P_v}{\dot{A}} \mp P_3 + T] + [P_{(e)} \mp A_{\bar{m}} A \mp P_{(P)}]_c \to \dot{A}O[P_2 \mp \bar{A}[P_y \overset{m}{-} n] \to +$

$[A-A]_c \to [S\dot{y}] \mp \dot{Q} \mp [\bar{m}[\bar{Q}] + E + \dot{A}O[P'_n \bar{BP}_c O] + pl + E_P - O_2] + \dot{A}O + A \overset{\to}{-} \bar{A}\, d \to P'_2 A \overset{\to}{-} \bar{A}\, me + d \to E] + \dot{A}_{[\dot{0}]} m E]$

$[P_2 + \dot{A} \overset{or}{-} O_m E] \mp [A \mp E_2] + [O_{(x)} \; m \mp P|[O_P^-]] \to m P(A) \to [\overset{E}{me}] \to E_2 +] + [P_c \bar{BP} \bar{P}] \to [_{BP} \to \bar{pl}]] pl - A_c E_P]$

$[P + A\; m \dot{A}O] \mp \to [\frac{\bar{A}m}{A} \to] + Ad \mp N_{EP}[\dot{A}_Q \to (x)] + P'P + T_m + [N = P] \mp \to Ad \mp [in] \mp \dot{A}] \mp P + A_m + P_2[A-A] \mp \bar{A}$

~~A ≠ A~~ [illegible] ⟨[A ≠ A, | ≠] ⟨~~m→~~ p | ≠ A_E⟩⟩ →m P ≠ A[py] →≠ P[p-n]] + [P + A ≠ [A p] ≠c (A m p] + [in →m P = P]c

[P(N) [xv] P] x(x) [P A + Ph = Py^N m A ≠ {P + A + Q ≠ P(n) ≠ [Q m]c + A0 ≠ Ad ≠ [P2(n)] ≠ P + [A + in]c → Ap [P] → E]

[A0] ≠ Ad ≠ [A[c] m] [T ≠ Q ≠ m] → E[T] ≠ [T]] + [P + A ≠ [A0] d ≠ ⟩ + Ain ≠ A_E ≠ E(N) ≠ P + A ≠ A0 ≠ [Ph_c Q P

[Py m A] + [P + A + pl(P) → A0(E)] ≠ Ep(+ in m(me] → p] ≠ Q E_0 ≠ E(N) → A ≠ Ep ≠ [0[x]] + [A[0] ≠ P]c A Q →m A[P] ≠ A

+ m →c [A0 + A + O[E0]] + A → E_0] [Pc - AP] ≠ BP →c AN[O - O m]] + A m pl [AP] → E + Ep ≠ A m pl(EP → AP + A - A

0 + P + A + [Oc A0[BP m 0]] + A[0]BP + A + d ≠ P, A0 ≠ m E_A = A] ≠ A0 ≠ P + Ap + A + d + Pa + A0] A + P + A m ≠ Pa +

[P + A + A0 + A0 ≠ O(x) → E0 m] → [N(P - A - A ≠ [T]] [+ [[A0] + Ad[0]c Q] ≠ Q ≠ [BP_a A] ≠ Ad ≠ [Ec Na] → A0[py]]

→ P + Tm A[P P y] m A^(n-p) [A0 ≠ A] ⟩ → m(n) → T_A ≠ P(P) + ⟨m m [P - A0] ⟩ + T + A(P(P)) ≠m ≠ Q] [A0]c → Op ≠ A A[0] +

T + A m ≠ 0) P [A(0) → A(n) m P N[py] BP] + [A → O ≠ A m m] ([T_A [Ph_c Py] ≠ (A0)]] ≠ [E_T A[0] m] ≠c A Q ≠) + Ad ≠ A0 ≠ m

A[py] ≠ Ph[n] ≠ P n + [P ≠ T m A(0) ≠ O] ≠ m (in(me) m]c Q ≠ AP ≠ [N m AP - n] c [P' ≠ 0] + A m P2 ≠ [B]] [P + N →

r v] + A ≠ [in] ≠ [A P] ≠m N(A - A)] ≠ A m ≠ [N ph + p] → N A = O] ≠c A0 ≠ Ph + P - P [A = A]] ⟨+ [P n [N] ≠ A0

m [P A = A N] ≠ T + [in] + ⟨A - A → + Q m E ⟩ + (A_P → P[n] (m m → N E)] ≠ ⟩c A0 → m ≠ N - E ≠ Ph_c Q m N - P

W E d e P + (A[Py m ≠ + Ph] ≠ P2 ⟩ ⟨A m pl BP ≠ [Py A] Q ⟩ ⟨[Q[A ≠ in - N]] ≠ A0[N][0] ⟩ + A0(+ m] → A[me] + A[me](x) + Tm A]

+ [P u h m + [R a]c O] ≠(x) [N_E A - A]c → A0(x) ⟩ ⟨A m, | ≠ E0 → me + [r] ≠ E ⟩ + (A0(E0) → m ≠ A[0]) ≠ m ≠ A ≠ (E_P] ≠

A_c Q] ≠ [A ≠ A0] → P(P) [A - A] + ⟨P + A ⟩ + [m A BP | + P' P + A0) m + J m e E m A - A ≠ O(x) → m P2[B]] + ⟨Q ≠ [Py] A m ⟩

P' n + A +) + [A0] → P2 ≠ A ≠ A = A P | ≠ [in_c Q] ⟨[A2(m)] ≠ [P + A + m pl + E] +) P(in)c A2 ≠ P2) + P + c A ≠ A[Py - P] ≠ A[+ in]

m [A = A] ⟩ + (T + [P' BP m] + [P + A] + P + A ≠ J[A[0]] ≠ (x) - m [O[n]c Q] + ⟩ ≠ A + A[0]c A [c Q me] ≠ A(x) m] ≠

A[n] E + (T + A ≠ P(n) → A + d(x) E2) + A0] + d ≠ (P(n) A [A0 - A0]) + [P + (A m[Py] + T m] + [A m Py ≠] m [A0]] + A_A ≠

d [BP] ≠ A[0 m O_A] ≠ [O_x c A0] + [me m O ≠ → O(A0)] → A m [T] P2 + [in + Q] A] + [A0] + [Ad m] A = A] [E] ⟩ + [Op [m ≠ O(x)]

+ O_c → O(n)](x) ≠ ⟨[P + A_N m] A ≠ [Py] ≠ [N] + ⟨A - A ≠ N(n) → E[J] ≠ [T]] ≠ [N] A m [r(s)] P(P)] ≠ [in + Q] ⟩c → A0 + [r5] + (N(E]p c

[Q A0] ≠ (A → c [A0]) m → [in] → A[A] ≠ Ad → [AP_c ≠ in] m → [N - A]c → O[+ A] ≠ [O_c A_c Q] m [P' y] ≠ [N m A0] + (N - E + A - A = Q]

[T A + m] ≠ m] + [P → A m pl ≠ Pc Q E] ≠ [A E] P_P + A(me - pl + d) ≠ P = P → E[P]] + (A_P] → Q m [B] → + in → P ≠ P] ≠ P m → B[0]] + A[B]

(x) [in_c Q] → B_c A →]c (B] m ≠) (A[BP] ≠ [N(P) A m[Py]] + m [P_P c A P P [Q N P] ⟩ [P | - A → B P] (x) → [A A] m P ± (A0(0) ≠

m ≠ P + (Q(x) BP m)(x)) (P' P[BP] m [A0[0 - A]] ≠ O[+ A0] ⟩ (P) ≠ [O[N] + E] A → m (A = N]] [A0] + Ad[P' N] + (N(2)] ≠

[in] → [T m] [O] → E[Ac → A P |] + [P + A ≠ m pl ≠ Op ≠ A m pl(P) → P(P)] + [P3 + A P y] + [AP] ≠ A[Py → Ph] A[N] [T] ≠ [P3 →

[P + A] ≠ P3 ≠ E] ⟩ + [A0] ≠ A m [N] ≠ P → A0[A + 0] → A ≠ (N(P) ≠ A[m Ep + Pl[P]] + P' n (P n) A → P | ≠ Q ≠ E0 ≠

A m pl ≠ E + [P(N) → m BP] → [A[P] ≠ O_c A ≠ m → O(E)] ≠ P(P) T ≠ A m [Py ≠ Ph] + [P' → [B] ≠ BP A → O + P] +

⟨A0[N - Py m ≠ P ≠ A = A → E] + [A[Py] ≠ [in] → O] + [A[Py] m O → [Py - n]] + A + 0 + [m m] ≠ [Py - 0 m] [in] ≠ O n +

A[0 n - 0 P] + [A m pl → 0] → [r5 + O1] ≠ [Op + A m + P + Q A + Q O ≠ O2] + [J + A] ≠ P[R p l] + O + A + m ≠ P y +

O, [Q] + [Ph]) [[T(n) A m] c A0] + [A0 + Ad] ≠ P + P y A] + [r5] + [O A m Ph[n] → E0] [O_c P] + BP + Ad ≠ [T_Q P] → A2 + d

+ [Q → A[E0]] [P + A + P2 + in] + T P2 + A ≠ d ≠ Ep → E] + [P + A + E] + [A0] m ≠ [P ≠ A + E + Ad + pl [Py]] ≠ O ≠ O2 + P(P) +

A pl + A] [T_c Q P + A ≠ O] + [Pc + P + A]) + [AP + (A[BP(x)] A]) → pl + mel 500 - E + d ≠ ⟨+ [P + pl + E] → A0[me - (x)] + Am

pl + d A + [r] [me - (x)] [B] m pl → (A0[2]) ≠c P2 + [A m pl d ≠ Ep + Tm e = Ep2] ⟨[P + A^(BP) A(x) + [m P2[c - Py] + d] → [A[BP]

e + d E m → A_(BP2) (me - d (x)]c [A = A] ⟩ [P + O + Tm + A + m pl + d ≠ E'p + Ep + O + [Q m A] + [A[0] → E_A[0]] + [E → N A[0]]c

Q0 + [A_c O ≠ → m + R] ≠ A + E + A m pl O ≠ E m → O1 + m pl2 ≠ ⟨[A + Q min] + [O_c A0[m] m] ⟩ + [Bc Q P] + pl → Q0[E]] +

O + Q0 + A m(B) pl + Ep Q[me] + Tm A0[~~P + A + O~~ [P + A ≠ [m Ph A] → [Py m]] + [P + A ≠ P + A[Py] P2 + n[Ph] +

$P+A_{[BP]}\xrightarrow[c]{+}[Ph\doteq Py]_{f}\ E+A+P_2+pl+E_{P_1}-E_{P_2}+A[in_c A_{BP}\xrightarrow{f}P_2\xrightarrow{pl}P_3]+[A\vec{f}A\vec{f}\to P_{P[P_2]}\to A\overset{\Omega}{-}A+[A_{Py}\to A\overset{P(P)}{-}A]]\rangle$

$\langle[N\dot{A}P]+\dot{A}P_2\ Ad\to{}_{(x)}[N\text{-}\dot{P}]\to)+[\dot{A}P+\dot{A}P_{(2)}+A\vec{f}[N\text{-}\dot{P}]\xrightarrow[(x)]{}\bar{A}\overset{n}{\underset{in}{-}}\dot{A}]\ \langle[A\overset{N}{-}A]_A\rangle_c\ Ad\vec{f}[\cancel{D}A\text{-}\dot{A}O]\xrightarrow[c]{}[P^{[n]}_{(P)}[me]\vec{f}\hat{[me]}\vec{f}$

$\dot{A}P_2]\vec{f}[me]\overset{+}{\underset{m}{\vec{f}}}\dot{A}P]+[P+P_2]\xrightarrow[c]{}N_P]+\langle P+A_{Py}\to\dot{A}O[f_cQ]\to P_{(P)}+[A+Om\,pl]+E_{P(x)}]]+P[Py+in\,A]\vec{f}[\dot{A}P_2]$

$[O_1[m\,A[me]T[\dot{A}O]]\ [Ad[O]\to A]_c[\dot{A}O]_3$

$[\dot{A}O_2]c[[me]_2A]\vec{f}\langle[m\dot{e}]_{3+4}[A\overset{R_c}{-}\dot{A}]\rangle]_c[A_{[1]}\vec{f}O+\overline{[me]}_{+f}[in]]\dot{m}[me]^c_{[3]}Q]\quad[\dot{A}O_2]\xrightarrow[c]{+}A\overset{\wedge}{-}A]$

$[[\dot{A}O_3]\text{-}n]Ad\vec{f}[O_{[n]}{}_{P_1}\overset{+}{}]\overset{\leftarrow}{f}[me]O_{1[n]}A\,pl]$

$[P+Ad-n[A]\dot{d}]\to\langle[[me]pl\ O_{[n]}{}_{P_1}\overset{\leftarrow}{f}[m\dot{e}]]+[[me]A\vec{f}Q_{[mP]}\longrightarrow[PyQ\vec{f}N+T_m]O]\rangle$

$[T_{(x)}\overset{+}{\underset{c}{}}Q\,O]+\bar{Q}m+T]_{(x)}\text{-}mQ]$

$[\bar{T}_m\dot{A}O_3]\overset{\to}{\underset{m}{f}}[P+A+me-m_{[0-0]}\to+[T]_{[x]}]$

$[[\dot{A}m]_{[x]}\to A_{[Py]}+T]_6\ \bar{Q}[\dot{A}O]_3\qquad[\dot{A}O]_3\ c\ [\underset{\underset{[m\dot{e}]}{\uparrow}}{\dot{A}O}]_4\ /\ [\underset{\underset{[m\dot{e}]}{\uparrow}}{\dot{A}O}]_5$

$[[mo]\overset{\leftarrow}{f}[A[Py]+T]+P_{[d]}\to n+[B\bar{m}]\vec{f}A\overset{\Omega}{-}A]\qquad\langle\dot{A}O[n]+[\dot{A}O[0]]\rangle_c\vec{f}[O_{[4]}+O_{[5]}]^{c[O_n]_3}Ad\vec{f}N\text{-}\dot{A}\vec{f}\overset{[n]}{\dot{A}O}]$

$[A\overset{[n]}{-}A]+\langle Ad[\overset{\leftarrow}{Py}]\rangle\overset{\to}{\underset{m}{}}Q_{n][3]}\qquad[O_{[n]}A_0\to\dot{A}]\vec{f}[\dot{A}m[me]\times[me]]\xrightarrow[c]{+}\dot{Q}[BP\text{-}Py]O_{[n][5]}$

$[\bar{in}]\overset{\to}{\underset{m}{f}}Ad\vec{f}[me]_{[x]}]$

$[[P_2+Py\overset{A}{\underset{c}{-}}Ph]^c\vec{f}[P]_{[BP]}\overset{\leftarrow}{f}\bar{Q}]+[\dot{A}R\to P_2[\dot{A}O]]+[A[Py]d]+[E]+[P_3A\frac{EP_1}{EP_2}A]+Ad[EP_2\to P_2]$

$[\langle[\dot{A}O+\langle[Ad[in]+\dot{m}]\overset{+}{\underset{f}{\to}}[\hat{N}]\rangle]+[\dot{A}O]+\langle A+N_{[2]}\rangle]$

$\langle[\dot{A}O]+Ad\vec{f}N_{[0]}\vec{f}[T_cQ]\vec{f}[N]_{[2]}]\rangle\ \langle[\dot{A}O]+\dot{R}_c\vec{f}[Ph[me]_{[x]}]+Ad\vec{f}[[me]_{(x)}+[me]_{(x)}]]\rangle$

$\langle[[\dot{A}O]+d\vec{f}\overset{[me]}{[x]}\dot{P}_{(P)}]+[BP+BP]_c\overset{-}{\to}[A_a]]\rangle\ \langle[P+[O_cA]+[m\,pl]]\rangle+\ P_{[n]}+[\dot{Q}BP]+A[Py\text{-}\bar{ph}]+\langle[\dot{A}P]+\dot{A}[d]$

$\dot{P}_n[\dot{B}P]]\rangle\langle[\dot{A}\bar{O}]+Ad\vec{f}P_{[Py]}\text{-}ph\,?\ P+A_O\vec{f}\dot{A}[P_2]+f\rangle\ [\langle\dot{A}O[m]\rangle+\langle P+A[Py]\rangle\rangle+[E\dot{P}[n]]\rangle_c\overset{+}{\to}[Py\,me]f$

$[P\ N\text{-}Ph/Py]]\rangle\ \langle E[\dot{P}]Ad+[Q[\bar{m}\,\bar{m}]ph]\rangle_{[T\text{-}Pr\text{-}P]}A]\rangle$

$+\langle[Py+A]_cPh\rangle+\langle AP_{(m)}\overset{\to}{}[\dot{A}P_2+Q]+[Py\,A]\vec{f}(\cancel{P_{[+]}\vec{f}A\frac{m)}{P}A})(\vec{f}[\dot{P}+\hat{P}y]A)+\langle[\dot{N}\text{-}E]d[T_m\overset{+}{}[me]_c]\dot{A}P$

$+Td\ A\overset{AP(P)}{-}A\vec{f}E_{[2]}]+\langle P_{(P)}(x)\rangle\ [\langle P+\bar{A}[BP]mPyP_0]]\overset{\to}{}\langle m[Py\text{-}1]\rangle\dot{A}O[x\to A]]\ \langle[Py\text{-}N_{[P+P_{[2]}]}[me]Py[\dot{O}]_{[x]}]$

$c[\dot{A}_a]\rangle+\langle[P[Py\overset{A}{-}Py]_c\dot{A}O+Ad\vec{f}P_{[0]}]+A\frac{A}{BP(x)}A]\vec{m}[Ph\overset{\dot{A}}{\underset{c}{\to}}Py]\rangle\ \langle[E_P+Am\,pl]\to0]_{Py}^{P}]d\vec{f}[]+A]_m$

$pl]]\rangle c[T_m\,A_{[x]}]^N_c[\dot{A}O]+\langle P\vec{f}BP[0]\rangle+A_mBP_{[0]}+BP_1]\to0+m\dot{e}]+\dot{A}[\dot{O}]\vec{m}O+\langle\bar{m}\vec{f}O\rangle\bar{m}\,N\dot{A}]]\overset{\to}{}mP_{P\text{-}0}+T]$

$[P+A\vec{f}E+A\vec{f}P_{(2)}]\langle[E+AS_cO]_mpl+me\overset{\to}{}Ad\vec{f}AS+S_cO]d\,N]_0\frac{pl}{me}O_cE\rangle\langle[Q]+Ad\vec{f}A_m]+Am\,pl\,?_c$

$Q_2\ O_P+O_D]+Ad\vec{f}pl\vec{f}[Am\,pl]]\ P+[A\frac{O}{m}Aph]P_{(P)}\ N+Q+Ad\vec{f}\langle\bar{A}\vec{f}[N_c0]\rangle+\langle O\overset{\circ}{}+Ad+\bar{A}+\dot{A}N[d\text{-}0]+[Py]$

$[Ad\vec{f}\dot{A}[0]+[m\dot{c}]+NP+]\vec{f}[P\overset{\wedge}{-}n]\vec{f}A+in]\bar{m}\overset{\to}{}Ad\vec{f}\dot{A}O\vec{f}\bar{A}!\ [\dot{A}Py\text{-}O_m]+\dot{P}h\,\overset{\to}{\underset{[mP]}{m}}f[P\,PycP]\rangle+$

$\overset{\circ}{A}_{[0]}cO]_c\ [x\vec{f}m[P]]\rangle+[P+Ad\vec{f}\dot{A}P]\vec{f}[\bar{m}pl\vec{f}E]+\langle\dot{A}P(\bar{m}[P]D_cQ\,A\frac{me}{O}A]+A\vec{f}E\rangle+[P+m\,Am\,pl]\rangle$

$$[\mathring{\bar A}] + P + [\dot m P] m + A_{[} \hat m B_{]} + \dot U A] d [Q_p m] + [A] + T m + A d + p| + E_p [E_c A] + \langle \begin{bmatrix} P + \dot A [Py] \\ A \frac{[x]}{[mP]} m A \end{bmatrix} + \begin{bmatrix} P + A_c Py] \\ A m p| BP + AE] \end{bmatrix} \rangle$$

$$\begin{bmatrix} T_c \dot E [+N] \\ A - A p[x] \end{bmatrix} + \begin{bmatrix} P + A d [Py - N] - O_c \mathring{\bar A} \\ Q_d m P] m \bar A + U A]_c A d \end{bmatrix} + \langle \begin{bmatrix} \mathring{A} [\dot A_0 [N-P] \vec{+} Py \\ \mathring{A}_{[2]}] A d m P A_{[2]} \end{bmatrix} \begin{bmatrix} A_{[2]} + A d \vec{+} \dot A_{[x]} \\ P_2 m A_{[2]} Py d \to A_{[x]} \end{bmatrix} \begin{bmatrix} \dot A_{[P]} + [Q m P] \\ A d \vec{+} [x] \end{bmatrix} \begin{bmatrix} [x] \dot A [d] \mathring{Q} \\ A d \vec{+} [in] \vec{+} \end{bmatrix} \langle \begin{bmatrix} \mathring{A}_{[3]} \\ A in [d] \end{bmatrix} \rangle$$

$$\langle \left[\frac{[T + \dot E A \frac{\mathring A}{A[d]} A]}{[c \bar A + Q] m}\right] \left[\frac{P_1 + Py - 0]}{E_{[2]} + O_{[2]} A - A]}\right] \left[\frac{A_{[x]} \vec{+} \dot N_{[A]} O + }{A d Q + O_{[2]} + Q + N]}\right] \left[\frac{\mathring{\bar A} d + \bar O}{[\dot m p|] \hat{+}}\right]_c \left[\frac{[A] d A}{\bar m [Py}\right] + \left[\frac{Q A P_{[P]}}{[A p | E_3}\right] + \left[\frac{m \dot O_{[A]} d \mathring A_{3]} E_c^{\dot A}}{P [Py] A d Q}\right] + \left[\frac{P + Py d}{N - Ph} O\right] + \left[\frac{m [P + Py - \dot O}{[P] d P_2 \vec{+} Q_{ph}}\right] \rangle$$

$$\left[\frac{[A d p|]_c \dot A Q}{E Q [P_{[c]}]_c m \vec{+} P_{[x]}}\right] + \left[\frac{A d + \mathring A_{[3]}}{A - A d \vec{+} \mathring Q}\right] \rangle \left[\frac{P_{[P]} A d}{T_c \bar Q N d \dot P}\right] \overset{P_{(P)}}{+} \left[\frac{\dot A_{[0]} m O [Ph]}{[BP] R_c \hat{} + A m P}\right] \xrightarrow{+} \left[\frac{ABP + APP_{[x]}}{A d [\bar A \bar m] \bar m_R}\right] \rangle \left[\frac{P + A \bar m + N_c A_{[x]}]_c}{\mathring A + \frac{A}{m} + O_{[E \bar m]}}\right]_c \left|\frac{\mathring A}{Py}\right|$$

$$\left[\frac{P_{(P)} + T_c E + \bar B}{A - A + O \dot m p|}\right] + \left[\frac{A d + \mathring A + Q + A [0]}{[\dot m P]_x c \mathring Q m}\right] + \left[\frac{N d}{A [x]}\right] + [\mathring{\bar A}_c \mathring A_{[2]}] + R_c \begin{bmatrix} [\dot m P]_c Q P_c \\ [\dot m P]_c \bar Q \bar A\end{bmatrix} \left[\frac{Py \phi}{m}\right] + \left[\begin{bmatrix} \mathring A [E] P + \\ p| + A \end{bmatrix}\right] \begin{bmatrix} BP d + A \\ AP + O + \end{bmatrix} \begin{bmatrix} [P| + [m P] \\ A m [A]_{[0]}\end{bmatrix} +$$

$$\frac{m A_{[0]}]_{2c}}{O - Q} + \left[\frac{\mathring{\bar A} d}{P [Py]}\right] + \begin{bmatrix} \dot m P O \\ O_p + O_d \end{bmatrix} \begin{bmatrix} [\bar m \bar m] \\ + A m p| \end{bmatrix} + \begin{bmatrix} \dot A P + Ph A \\ m [Py] [x] \end{bmatrix} \begin{bmatrix} E_c \to O]_c A \\ E_d + [in] m P] \end{bmatrix} \rangle + \left[\frac{P [Ph] O d \mathring{\bar A}}{m Ph + E + Q_{x}}\right]_c \left[\frac{Q_{[x]} \dot A_{[0]} \mathring{\bar A}}{[N - E]_c O^m}\right] + \left[\frac{[N P] Py P_2 d [m]}{A d Q [AP] \vec{+} P_2}\right]^c + \left[\frac{N - P}{P [P]}\right]$$

$$\begin{bmatrix} A m p| \\ P \vec{+} Py \end{bmatrix}^T c \left|\frac{\mathring{\bar A}}{P}\right| \left|\frac{P_d}{E}\right| \times A_{[x]} \begin{bmatrix} P + BP A [Ph^E O]_c \\ Py m + \bar A [Py - O \end{bmatrix} + \begin{bmatrix} Q + N Py d BP_{[x]} \\ E A + \dot E_O + \dot A_{[0]} \end{bmatrix} \times A[x] c \left|\frac{\mathring A}{P_{[x]}}\right| \times \left|\frac{A_{[x]}}{E}\right| \left[\frac{P + [in] m A}{+ N [\bar A m P] \bar m}\right] + \left[\frac{A d_c \bar A}{\mathring A d + P + P_2}\right] c$$

$$+ \left[\frac{\frac{[Py \times Py] O_c}{Q}}{d + P}\right] + \begin{bmatrix} A + R_c + \dot A [0] \\ A \frac{O}{[n]} A \vec{+} E_O \vec{+} \end{bmatrix} + \begin{bmatrix} A \frac{\bar n}{P|} A + Q_{[x]} \\ E + d \bar A \end{bmatrix} + \begin{bmatrix} \mathring A d_c \\ P + A Q \end{bmatrix} + \begin{bmatrix} BP \\ A \end{bmatrix} \xrightarrow[c]{+} \left|\frac{\mathring{\bar A}}{P}\right| \times \left|\frac{E}{O}\right| + A[x] + \begin{bmatrix} P[x] \\ O [x] \end{bmatrix} c \left|\frac{N}{P + O}\right| + \begin{bmatrix} P + A d p| \\ N d E + T \end{bmatrix} c$$

$$\left|\frac{P_{[0]}}{Py}\right| \times \left|\frac{\wedge}{Ph}\right| + \begin{bmatrix} P + [Py m A] \\ c \mathring A [m P] \end{bmatrix} \times \left|\frac{N}{E}\right| c \left|\frac{\mathring{\bar A}}{N}\right| \left|\frac{\mathring A + A d +}{Q c \to}\right| + \begin{bmatrix} P + P_2 + P_3 \\ [Py - Ph]_{[x]} \end{bmatrix}^{[x]} \begin{bmatrix} P + A m p|] P_2 \\ A \frac{BP_{[x]}}{} A \end{bmatrix} \begin{bmatrix} A d [- N d \bar A P]_{[n]} \\ P_2 + A + Py + Py - O \end{bmatrix} + \begin{bmatrix} P_2 + A p| \frac{E}{} p| \\ E d \bar Q + P \end{bmatrix} c \begin{bmatrix} A m \\ \bar A + \end{bmatrix}$$

$$+ \begin{bmatrix} [\bar A P_c \bar Q] d \dot P] + \\ [in]_c \dot A [m P] + \bar A m Py \end{bmatrix} c \left|\frac{m}{\bar A}\right| \xrightarrow[c]{} \begin{bmatrix} [\dot A N] d \\ A \frac{P}{Py d} A \end{bmatrix} \begin{bmatrix} \dot A \\ Ph \end{bmatrix} + \begin{bmatrix} P_2 + in] \overset{m}{+} Py + A \\ [\bar m \bar m]_c \mathring A m Py \end{bmatrix}_c \begin{bmatrix} \bar m \\ Py \end{bmatrix} \xrightarrow{+} \begin{bmatrix} \dot Q + in \\ AP \end{bmatrix} c \left|\frac{\dot m}{N}\right| + \begin{bmatrix} P_2 + Py A d [+ \bar m N] \\ [N] + P [AP] + [m P] + A d_c Q \end{bmatrix} +$$

$$\begin{bmatrix} + T m + [P_2 \bar A \bar m Ph] R_c \\ [P + A d + \bar A] \bar m (P_2' n Py] \end{bmatrix} + \begin{bmatrix} Py_c O \bar m [P_2] \\ \bar A \frac{A d}{P} \bar A \bar m \hat{} \end{bmatrix} d \begin{bmatrix} \left|\frac{P_{[2]}}{Py}\right| \times \left|\frac{\dot m}{P}\right| / \frac{A_{[x]}}{m A Ph} \end{bmatrix} + \left|\frac{\dot A + \dot O d}{Py - O}\right| + \begin{bmatrix} \mathring A + [T d | BP A \frac{A}{P} A]_{R_c +} \\ c \vec{+} O [Ph] + \dot A_A [m P d] \end{bmatrix}$$

$$+ \begin{bmatrix} A d c d - \mathring A \\ [m P] d N - A \end{bmatrix}_c \begin{bmatrix} P + T m [P] \\ \dot A_c \vec{+} P_{[in]} O \end{bmatrix}^c \begin{bmatrix} m P \\ d \end{bmatrix} + \begin{bmatrix} \dot N \\ O \end{bmatrix} + \begin{bmatrix} A P | + \dot A BP - m d \\ \dot N O_{[2]} + A d + (m + m P) \end{bmatrix}_c \to \begin{bmatrix} \dot A [N] \to O \\ [m P]_{[x]} \end{bmatrix} + \begin{bmatrix} [N Py - O_c A]_c \\ P + A + P [P] \end{bmatrix} + m [$$

$$\begin{bmatrix} P + N Py - d \\ O \frac{\bar m}{Py} O \end{bmatrix}_c \left|\frac{\bar m}{P_{(P)}}\right| + \begin{bmatrix} A d + A + in \\ [m P] m A \end{bmatrix} m \begin{bmatrix} P + [Py] O \\ O d + P + A \end{bmatrix} \vec{+} [\dot A m] + \begin{bmatrix} Ph + P_{[n]} \\ [m] Py [2] \end{bmatrix} + \begin{bmatrix} A d + [P + Py d]) \rangle \\ \dot A_c \vec{+} \bar O [n] + \dot A \bar m \end{bmatrix} + \begin{bmatrix} T m A E + P + A m p| \\ \bar O [\bar A] \vec{+} A E \vec{+} P \end{bmatrix} +$$

$$\begin{bmatrix} \mathring A + T (\bar m P| + Py] \\ [E (P)] \vec{+} Q \bar A d \end{bmatrix}^{\bar m} + \begin{bmatrix} P_{(P)} \bar m + in \\ [Ph] + \bar O [x] \end{bmatrix}_c \mathring A \left|\frac{Py}{\bar m}\right| \times \left|\frac{Ph_c]}{P_{(P)}}\right| + \begin{bmatrix} [N] m [n] d_c P \\ T A \dot A + \dot m d P_{[2]} \end{bmatrix} + \begin{bmatrix} P_2 + [\dot A m P]_c \\ [in] A [Ph_c P] \end{bmatrix}^{BP} + \begin{bmatrix} P_3]_c A d + T_c Q \\ P_3 d N [P_{[x]}] \vec{+} P + \end{bmatrix} +$$

$$Q] + \begin{bmatrix} A m p d \bar A \\ [m \vec{+} P_{[x]} \end{bmatrix}_c \begin{bmatrix} \bar A + d [A + p| - n] \\ \dot E d P \vec{+} [\dot A E - N] \end{bmatrix} + \begin{bmatrix} AP d BP_O \\ p| \vec{+} P \end{bmatrix} c \left|\frac{N - P_{[x]}}{\dot A_{[x]}}\right| + \begin{bmatrix} E \\ A [x] \end{bmatrix} + \left[\frac{[Py - n] - O [d] - m p| \to P + P_2]_c}{\frac{\mathring A [d] A \vec{+} c [Ph + BP] + T m +}{[N]_{[2]} d \vec{+} A E [O_c P + A] T \frac{[n]}{O} T}}\right] \left| \frac{P_{[P]} + A \frac{BP}{[x]} A [n}{P_{[P]} + A BP m Py} \right.$$

$$\begin{bmatrix} [P + [BP]_c \dot A_a +] \\ [\mathring A [P_2]] N d] R_c \end{bmatrix} + \begin{bmatrix} A \in A_{[0]} d O \\ \dot A_{[0]} d O_{[2]} \end{bmatrix} + \begin{bmatrix} [\mathring{\bar A} N] [R_c] + [Py]_{[x]} +]_c \mathring A_{[2]} \\ c \dot A \bar O_{[A[x]]} \vec{+} [N [n] d \vec{+} \overset{+}{\dot m} [A] \end{bmatrix} + \begin{bmatrix} \mathring A + d + d A]_r \vec{+} Py [x] O [x] \\ \vec{+} [A d]_T + m P] \vec{+}_c [N] + P] \end{bmatrix} \begin{bmatrix} Ph - O \\ d [m P] \end{bmatrix} + \begin{bmatrix} A m \\ O [x] \end{bmatrix}$$

$$+ \left[\frac{\mathring A [T m \dot E + \dot A [0] d]_c T - O}{\frac{T - O m R + P_{[0]} + A \frac{A}{} A +}{[A \frac{S}{} A Q] \vec{+} A O_{[2]} \vec{+} N d E}}\right] + \left[\frac{[N d E + P + A \bar m [\bar A])}{c A m p| + [A]_{AO} \vec{+} O_{[x]}}\right] + \left[\frac{\bar A [\dot A E p| + P + A [x]] d}{P + [BP + A] \vec{+} R_c [Ph \vec{+} Py]}\right] + \left[\frac{P_{[2]} - [BP - O]}{\dot A [m P] \vec{+} E}\right] + \left[\frac{A d \vec{+} O + E \dot A [0]}{m + \dot A_c \vec{+} O + \dot A_{[0]}]_2}\right]^c_+$$

$$\left|\frac{\mathring A}{E}\right| \times \left|\frac{\dot A_{[0]}}{P_{[x]}}\right| + \begin{bmatrix} P + A m p| \vec{+} Ph - BP O + \\ m P' n BP + [A_p | + BP_2 \vec{+} [B]] \end{bmatrix} + \begin{bmatrix} [in]_c A \frac{P_2}{E} A + \\ A[x] + [\dot A m]_c Q \end{bmatrix} + \begin{bmatrix} P (P) A \frac{m}{P|} A + P_1 P_1 \\ [P_{(n)}]_c^+ O_{[2]}]^c O_{[3]} \end{bmatrix} \begin{bmatrix} T + A \frac{m}{P|} A [2] + [x] + [E O_{[x]}] \\ \dot A Q + T_{m[2]} + A_m [B] m P \end{bmatrix} + \begin{bmatrix} A d Ph \vec{+} \\ \dot A_{[0]c} Q \end{bmatrix} +$$

$$\begin{bmatrix} T m + \dot A E O_{[x]} + P_{(P)}]^c \mathring{\bar A} \\ N d_c \dot A_{O_1} + p| [A] + BP \end{bmatrix} + \begin{bmatrix} [d] \vec{+} \mathring{\bar A} \vec{+} [m P] + [\dot m P]_{[0]} \\ [\dot A_{a[2]} [\dot A d \vec{+} \dot A P]_c] Q \end{bmatrix} c \left|\frac{O}{A}\right| + \left|\frac{P_{(P)}}{E}\right| + \begin{bmatrix} [BP] A_c Ph + Py]_c \mathring A \\ [\dot A_{[0]} d]]_c O + \mathring{\bar A} \end{bmatrix} + \begin{bmatrix} [m P] d [m P_2] d [Q + m] + A d \\ A_{[x]} + [\dot A p| [2]]_c \mathring A + A_{[B]} \end{bmatrix}$$

$$\begin{bmatrix} [d] Q \vec{+} (m P] + O \\ [\dot m P]_{[2]} c Ph - Q \end{bmatrix} \begin{bmatrix} \mathring A \\ m P_{[x]} \end{bmatrix} \times \left|\frac{O}{P|}\right| + \left|\frac{\bar m}{\dot A P}\right| + \begin{bmatrix} P + [A A_c [\bar A m p|]]_c \\ [P)] A \vec{+} m \vec{+} [\dot A [y_2] \end{bmatrix} \begin{pmatrix} N \dot E d]_c P_2 \\ A d \vec{+} Q_{[n]} \end{pmatrix}_c \begin{bmatrix} \mathring A \\ Q_N \end{bmatrix} + \begin{bmatrix} \dot A O [m P] + A \frac{O}{c} A O [d] \\ BP \bar m p|] + [B] \bar m + [Py] + BP p| \end{bmatrix}^c + \frac{\mathring A}{d P}$$

$$\begin{bmatrix} P + \dot A [A d] + [\bar Q P y - \bar O] \\ [P d \bar Q] [\dot m P]]_c \bar m \vec{+} [A] \\ + R_c Q + [Py - O] + Q [in] \end{bmatrix} \begin{bmatrix} P \frac{A}{P} P_{[0]} + [Q in] \\ [Py + Ph] d A \end{bmatrix} c \left|\frac{\mathring A_{[3]}}{d [P]}\right| \vec{+} \begin{bmatrix} [P_{[P]}] \bar m] d \dot A [m P] \\ + P_E m \vec{+} \dot A_{[x]} \end{bmatrix} + \begin{bmatrix} [P [Py] A]_c O + d \vec{+} [\bar A] \\ A d \vec{+} [m P]_c \dot A + [in] A \\ \mathring A_c \dot A_{[x]} \vec{+} A d \vec{+} Ph \end{bmatrix} + \begin{bmatrix} A d \vec{+} A \frac{A d}{O} A \\ [\dot A N]_T A \frac{O}{m} A \vec{+} c \\ \mathring A m \vec{+} N \end{bmatrix}$$

$$\begin{bmatrix} P+[Tmp+in)\overset{R}{c}[\dot{m}] \\ Py\bar{A}\rangle+[m\dot{A}]_+ \end{bmatrix}\begin{bmatrix} A[\bar{m}[\bar{m}\dot{p}l]] \\ \mathring{A}[Pd[n] \end{bmatrix} c \begin{vmatrix} \mathring{A} \\ A \end{vmatrix} \times \begin{vmatrix} m \\ [mp] \end{vmatrix}_{[x]} + \begin{bmatrix} P\bar{m}A \\ \hline TR\bar{c}[N]p \\ \hline A[x]\xrightarrow{+}P[p] \end{bmatrix} + \begin{bmatrix} Ad\,[A] \\ \hline \dot{p}l\xrightarrow{+}[\dot{A}]_{[A]} \\ \hline [N]\,mA \end{bmatrix} + \begin{bmatrix} P+\dot{Q}+in]m \\ \hline \dot{A}_{[x]}\xrightarrow{+}P_{[x]} \\ \hline \dot{A}\xrightarrow{+}O_{[m][r]} \end{bmatrix} + \begin{bmatrix} [T-Nm[pld]]T_+]_{[A]} \\ (\bar{m}[d\,m)P]_{c}Q+ \\ E[O]^+ P+Py[Py] \end{bmatrix}$$

$$\div\begin{bmatrix} Am+[Py] \\ Q+O_{[x]} \end{bmatrix}\begin{bmatrix} Ph\,\bar{m} \\ Py \end{bmatrix}\begin{bmatrix} [\dot{A}]+P_+Apy[mpy-o]+A \\ +\dot{A}Q+]\,m\xrightarrow{+}[in]PyO_{[x]} \end{bmatrix}\xrightarrow[c]{+}\begin{bmatrix} \mathring{A}md[Py-o]_{[x]}[\xrightarrow{c}Ndp \\ \dot{A}_0[P_{[p]}Nd[Ampl] \end{bmatrix}\begin{bmatrix} NP_c[\dot{A}d]\xrightarrow{+}Q\,Py-O_{[3]c}Q_{2}] \\ [[in]_c[mp]]_c\,Ad_{[\dot{A}_c]}N] \end{bmatrix}\begin{bmatrix} [\bar{A}d]_dA]+(A_cO]]_{[=2]}c \\ \dot{A}[\bar{y}-o]+\dot{A}_{[Ad]}\xrightarrow{+}[Bp] \end{bmatrix}$$

$$\begin{bmatrix} T+A\frac{m}{\dot{A}}A_{[n]} \\ NC+[me]\dot{+}[n] \end{bmatrix}+\begin{bmatrix} P_+[P\dot{y}]\bar{d}\xrightarrow{+}\mathring{A} \\ \mathring{A}+\dot{A}_pl\xrightarrow{+}[\mathring{A}] \end{bmatrix}+\begin{bmatrix} [\dot{A}pl]\xrightarrow{+}\mathring{A}_c\;[B]_pl \\ [B]_cQ[ph\bar{m}]\dot{m} \end{bmatrix}+\begin{bmatrix} \mathring{A}+[\dot{A}pl]+[Tnc] \\ [\dot{A}]dM]_cO+O_pl+\dot{A}E \end{bmatrix}+\begin{bmatrix} \dot{A}+[A\frac{Py}{Ph}A] \\ [pl]_{[x]}\xrightarrow{+}AC_{[0]} \end{bmatrix}+\begin{bmatrix} A[0] \\ Nd \end{bmatrix}+\begin{bmatrix} Ad\;m \\ Nd[n]+ \end{bmatrix}+\begin{bmatrix} Ad \\ Pd \end{bmatrix}$$

$$\begin{bmatrix} Tm[n]A[x] \\ P+A[in]_c[y\,m] \end{bmatrix}\begin{bmatrix} c \end{bmatrix}\begin{bmatrix} \mathring{A}+Ad[E\bar{p}] \\ \bar{m}PA[\bar{m}pl] \end{bmatrix} \begin{bmatrix} [\dot{m}e]_c\dot{A}d_{[pl]}]_c\mathring{A} \\ \hline \mathring{A}d[O_{[n]}m[\dot{A}]]_cQ \\ \hline O_{[1]}+O_{[2]}{}^cO_{[3]}+Q \end{bmatrix} c \begin{bmatrix} [\dot{A}E_p]Ad\,m\dot{p}l+[me]_{[A]} \\ \hline O_{[x]}^{[n]}+A\frac{O_p}{d}A+[\dot{A}]^c \\ \hline [BP]_c[Qm[Ph]]\xrightarrow{+}O \end{bmatrix}+\begin{bmatrix} pl[\dot{A}Q]+[me]+ \\ \hline A\,m[Ph]O+[pl\,A] \\ \hline \dot{O}_p+A_{[\dot{O}]}m^{+}O_{P[x]} \end{bmatrix}+\begin{bmatrix} Am[d] \\ \hline Ed+m[r] \\ \hline pl[d]+E_p \end{bmatrix}$$

$$[\dot{A}]+[\dot{m}e]_cAd_{[pl]}]_{[2]}]_c\mathring{A}_{[2]}$$

$$\begin{bmatrix} [\dot{A}_{[\dot{O}]}]^{\dot{m}}_{[x5]}\xrightarrow{}\dot{A}_{[\dot{O}]+[me]}\xrightarrow{+}\dot{A}_{[Be]} \\ A_{m[pl]}]\xrightarrow{+}O_{+}Q[d\dot{R}_c]+\bar{Q}_{[2]} \end{bmatrix}+\begin{bmatrix} O+[\bar{Q}_{[2]}]d\xrightarrow{+}\dot{A}_{[0]}c\bar{O} \\ +[in]_c[mp]\cdot[O_{[n]}]_c[Q_m] \\ [M]+\dot{A}pl\xrightarrow{+}O+[me]dO \end{bmatrix} C \begin{vmatrix} \dot{A} \\ O_{[x]} \\ \mathring{A}_{[2]} \end{vmatrix}\times\begin{vmatrix} \dot{A}_{[0]} \\ [me] \\ O_{Pm} \end{vmatrix}\begin{bmatrix} [NdP]+[in]_{[A]}Ampl[BP] \\ [N-E][n]A_{[n]}]_cE_p+ \\ PBP+[me][B]AmBP_{[x]} \end{bmatrix}\begin{bmatrix} P+Am\,d \\ [Py]P_{d}+ \\ \bar{Q}PyA_d \end{bmatrix}$$

$$[P+Ad\,Py]\,pA-Nd]-[O_{Py}m]_cQ[mp]+A_+$$

$$\begin{bmatrix} P_2+[\dot{A}]+[\bar{Q}d\,Py-P_2]m[Py-P]\mathring{A}+P_+Am]_c \\ P_{[n][3]}\xrightarrow{}c[Ph+Py]_cA\frac{m}{\bar{A}}A]\,C[\dot{A}]_n \end{bmatrix}\begin{bmatrix} [\dot{A}]+P_+A+[in]+[mp]]\,C\dot{A}Q] \\ P[Py_c\overset{N}{}Ph]+T]_cA_{Py-O}] \end{bmatrix}\begin{bmatrix} [\dot{A}]+A+[\dot{A}E]+Py]+[\dot{A}] \\ [\dot{m}e]A]\dot{A}_{[2]}]_c\mathring{A}_{[3]P} \\ \dot{A}_3p\,d\,pl[A_{[x]}]Nd\bar{E} \\ \hline [in]_cQm[N]-AP_{[n]}]c \end{bmatrix}+\begin{bmatrix} [B-N]d[Py+Ph]_{[x]}+ \\ c\dot{A}+[in]+[mp]\,pl\,V\dot{m}p] \\ \hline [\dot{A}P]Py-dO]_n\,c\dot{A} \end{bmatrix}+$$

$$Nd+P_+[Am]A\xrightarrow{+}[QPyO]\xrightarrow{+}A\frac{Py}{O}A\xrightarrow{+}m \quad [P'N]d\overset{c}{O}_{[x]}\,m\xrightarrow{}[A_{Py}-O]+]_c\mathring{A}_{[4]}$$

$$\begin{bmatrix} [\dot{A}]^{R}_{c}[A]^{\vec{m}}_{[x]}P_{[0]}A\xrightarrow{+}Py-Ph+Tm \\ [Py\,O\dot{m}]_{[n]}+A\overset{+}{m}Py]+T+Tm\xrightarrow{+}Nd[n]d[\dot{A}] \end{bmatrix}\begin{bmatrix} [\dot{A}]d\xrightarrow{+}[Q+me]]_{[y]} \\ +\dot{A}[in]_{[x]}+Q \\ A_{[x]}[\dot{A}_c\,Py_{[x]}-Ph] \end{bmatrix} c\begin{bmatrix} \mathring{A}_{[x6]} \\ Py\times Ph_{[x]} \\ [N-B] \end{bmatrix}+\begin{bmatrix} [N\dot{E}d]c[\dot{A}]mP]_{[P]}]_c[\dot{A}Q]m \\ [Py-O][PyO_cP]\xrightarrow{+}[P_{[n]}{}_{[x]}\xrightarrow{}N] \\ \dot{A}_{a[m]}\xrightarrow{+}\overset{+}{\dot{Q}}[P_c\overset{m}{O}]\xrightarrow{+}N_{[Py]}\overset{\dot{A}}{A}_{[x]} \end{bmatrix}\begin{vmatrix} \dot{m} \\ [n] \\ P \end{vmatrix}+\begin{bmatrix} \dot{A}+ \\ Qm \\ PyA \end{bmatrix}$$

$$[\dot{A}\dot{O}[\dot{A}_a\frac{\bar{m}}{O_c}A]_c\bar{A}+[me]-d-\bar{A}[A\bar{O}]$$

$$\begin{bmatrix} [in]\xrightarrow{+}\dot{A}_a[\dot{R}_c[+d]\xrightarrow{+}\bar{A}]+[N+Py] \\ [d]_n\xrightarrow{+}[NE[\dot{A}]]d\xrightarrow{+}P_{[P]}-n \end{bmatrix}\begin{bmatrix} [\dot{A}]+[Ad]+[\bar{Q}+Q]_c \\ [Py-o]+[Py-o]_{[Q]}]\dot{A}_c \\ [Py-o]_c\mathring{A}+Ad\xrightarrow{+}[\dot{A}me]c] \end{bmatrix}+\begin{bmatrix} [\mathring{A}_{[2]}]P+A\,\dot{m}[+R\,Q] \\ [\dot{A}]+P+[Py-A]+ \\ P+Py-\bar{A}]\xrightarrow{+}[m]+[in]\dot{A} \end{bmatrix}c\begin{vmatrix} A_c\mathring{A} \\ P+ \\ A_m \end{vmatrix}\times\begin{vmatrix} +\dot{A}_{[2]} \\ A_{[n]} \\ \dot{O} \end{vmatrix}$$

$$[\bar{m}e]+in]_cQP_{[P]}+A-A]+\mathring{A}[d-T\dot{R}_c$$

$$\begin{bmatrix} P_{[P]}]+\dot{A}Npl\xrightarrow{+}\dot{A}\overset{R}{c}E_{[n]}{}^cQ]+TmA \\ P_{[P]}\xrightarrow{+}E_{[2]}+[Nd\,P-N]]+P_{[P]}N]d]_{[x]} \end{bmatrix}\begin{bmatrix} [\dot{A}cN]_c\overset{[x]}{\mathring{A}}+\dot{R}_cP_{[e]}\overset{[mn]}{+}[0] \\ \mathring{A}\dot{c}Pd\xrightarrow{+}BP\bar{m}]_cQ\;P^{j} \end{bmatrix}\begin{bmatrix} P+[AmPy\,d\dot{E}]+[Py-o][\bar{m} \\ BP_A\frac{Ph}{Py}A[\dot{R}_c]+Nd\,\bar{Q} \\ \hline [\bar{m}_{[2]}\xrightarrow{+}\dot{A}pl\xrightarrow{+}BP \end{bmatrix}\begin{bmatrix} [Nd\,T]_c[\dot{A}E] \\ P+\bar{A}d\xrightarrow{}[Ndp]_{[n]}\bar{m} \\ \hline P+Ad[NdP_{[x]} \end{bmatrix}\begin{bmatrix} [mp]_{[x]}{}^cA_{[n]} \\ +A_{[0]m}O \\ \hline [\overset{T}{m}+]A+A \end{bmatrix}$$

$$\begin{bmatrix} [\dot{A}]_cQ[O_{[x]}]_cN \\ Nd\xrightarrow{+}[\dot{A}_{[0]}]_2c]O \\ C\mathring{A}+NdE]-n \end{bmatrix}\begin{bmatrix} Ad\xrightarrow{+}\dot{Q}[N-\dot{E}](A_{[x]}mpl\,Nd\xrightarrow{+}\underset{c}{\mathring{A}}] \\ \xrightarrow{+}[\dot{E}n]_c[Nd\,E_{[x]}]+\mathring{A}[\dot{a}]. \\ [\mathring{A}+\mathring{A}]+A[[in]+[me]]_c\dot{A}_{[Ad]} \end{bmatrix}+\begin{bmatrix} \dot{A}_{[d]}\xrightarrow{+}[N\hat{-}E]_c[\dot{A}O]_c\dot{A}_{[x]}] \\ \dot{A}\bar{m}\xrightarrow{+}[B\hat{-}N]\xrightarrow{+}(NdP)+[N\hat{}A] \end{bmatrix}\begin{bmatrix} [Ad[\xrightarrow{+}[in+me]\xrightarrow{+}A_{[0]}{}^{m}_{[x]}O] \\ (Ph\,C_{[mp]}\xrightarrow{+}O_{[x]}]+p]+T] \end{bmatrix}$$

$$\begin{bmatrix} m\xrightarrow{+}\dot{A}O_{[n]}\,me][Ad]] \\ [\dot{A}+\dot{A}O]_Td+A_{[x]}\xrightarrow{+}P_{[P]} \\ \xrightarrow{+}\dot{c}\xrightarrow{+}Nd[P]+[me]P_{[P]} \end{bmatrix}\begin{bmatrix} P+[Ampl]Tm \\ T\dot{R}_c[Ampl]_{[n]}+ \\ NdO+O_{[m-A]} \end{bmatrix}\begin{bmatrix} \mathring{A}[[n-B-mp]_{[x]}]_cO]+[\dot{A}] \\ [Py+\dot{m}p]m\,P+Ph_A[C]\xrightarrow{+}[\dot{A}O] \\ P+[in]\overset{m}{\xrightarrow{+}}[Py\,A]\xrightarrow{+}[Nd\dot{A}P]_c\mathring{A}_2 \end{bmatrix}+\begin{bmatrix} \mathring{A}_{[2]}Ad+[P-pl\,\dot{A}E] \\ [BP\,mR_c\xrightarrow{+}A_{[0]}m] \\ [\dot{A}][\bar{m}\,\bar{m}]+[T]\bar{m}\dot{A} \end{bmatrix}\begin{bmatrix} \dot{A}\,Pm \\ \dot{A}]dAm \\ P[OPA_B] \end{bmatrix}$$

$$\dot{A}E_c\mathring{A}+[Ad+\dot{A}E\,d\,\dot{A}_{[0]}]$$

$$[\dot{A}P_cE_0]+\dot{A}_Q\,m\,Py+T_c+$$

$$mE\xrightarrow{+}[\dot{A}]\overset{c}{\xrightarrow{+}}O_{[x]}+[\dot{A}\bar{m}$$

$$A_{[0]}E+[\dot{A}_{[0]}]dNE\bar{m}P_{[e]}$$

$$\begin{array}{|l|l|l|l|} \hline cO_pA\frac{m}{+}A_E]+\dot{A}P_{[N]}Ampl & P_2+P\xrightarrow{+}A_{[x]}[Pyd] & E_Q+Ad+P_{[P]}+ & P_{[3]}dPyAd \\ \hline +E+A_{[x]}\xrightarrow{+}E_{[0][x]}[Ph+Py]_{[x]} & [N]\to P_{[\dot{A}P]}+[\dot{A}P]_cN\bar{P}_{[x]} & P_{[3]}+\dot{A}pl\xrightarrow{+}m+ & \bar{m}\,Py-O \\ \hline \dot{A}P+A_pl\,A+[\dot{A}E_{[2]}]+[Nd]+P_{[Q]} & [+Ampl+P_{[P]}\xrightarrow{+}\bar{E}_2 & P_{[P]}+pl+\dot{A}\bar{E}] & A_{[x]}\overset{\theta}{\xrightarrow{+}}A_{[x]} \\ \hline \end{array}$$

$$\begin{bmatrix} [\dot{A}N]dP_{[2]}+P_{A}\overset{m}{\xrightarrow{}}A+[P] \\ [\bar{O}_cP\dot{y}]+[N-P_{[x]}]+\bar{A}\downarrow\dot{P}] \\ \bar{p}l\xrightarrow{+}[Nd\dot{A}P]\xrightarrow{+}A\overset{m}{F}[Ph+Py] \end{bmatrix}\begin{bmatrix} [N]dcO]\bar{R}_cO_P[\dot{A}_{[0]}m]E \\ [\dot{A}P]_c[O+mP]+NdP_c[BP]+ \\ [BP]\overset{+O}{c}\mathring{A}+[\bar{O}_{[x]}\overset{+c}{m}P[O]] \end{bmatrix}+\begin{bmatrix} E_0\,m[P+Py]+[E\bar{O}A\hat{-}A\dot{A}_{[0]}]+NdP\,Py\,P \\ c\mathring{A}+[OP]+[\dot{A}d\xrightarrow{+}\dot{A}O+P]A_c[\dot{A}d]\xrightarrow{+}P_{[Py]} \\ P_{[n]}+Tm[N]\xrightarrow{+}A_{[x]}[Py-Ph]\xrightarrow{+}Nd\dot{P}+ \\ [NdP_c\dot{A}P]_{R_c}[+P_{[\dot{A}]}]]mpl\dot{A}_x \end{bmatrix}$$

$$\begin{bmatrix} P_c[m-Py\to\mathring{A}]_cA+ \\ P_{[x]}A]d\xrightarrow{+}Nd\dot{A}P]\xrightarrow{+} \\ T_cQ_x[in]PyN_cQ_{[2]} \\ [EA]]_c[\dot{A}P]+\bar{A}]+[\mathring{A}+ \\ Ad+\bar{Q}E_{[n]}+Ad\xrightarrow{+} \end{bmatrix}$$

$$\begin{bmatrix} [i\bar{n}]\xrightarrow{+}[Py[\dot{A}d]]\to[\bar{m}]\xrightarrow{+} \\ [N[B]_c\dot{O}]_c\dot{A}_{[2]} \\ \mathring{A}_{[2]}d\xrightarrow{+}m[in]+[Nd\dot{E}_N] \end{bmatrix}\begin{bmatrix} A-A_{[x]} \\ N\,d\dot{P} \\ \downarrow \end{bmatrix}\begin{bmatrix} P+A[d-mpl\xrightarrow{}E[\dot{A}]+A_{[x]}] \\ [E_cA]+[\dot{A}]+\dot{A}O[mp]\xrightarrow{+}m\xrightarrow{+} \\ O_{[x]}+P+A_{[BP]}m\xrightarrow{+}EOTA \end{bmatrix}\begin{bmatrix} [A][NdP]+BPA[T]m\xrightarrow{+}P_{[3]}d \\ [\dot{A}]_d+Am\,pl+Q+O\xrightarrow{+}P_{[3]}\xrightarrow{+} \\ BP+A\frac{m}{\dot{A}}m\;A+\bar{A}+P+ \\ AmP+A_{[x]}NdB+Am+ \end{bmatrix}$$

[A pl/A A ∓ [Ȧ] c Ȧ[0]]
C Å + Ad + P + A m Ȧ[0] O
Tm +] P[Ad ∓→ Å Py ∓→ P [Py - 0]
∓ [N - B] d A[x]] Ṙ C ∓→ T + T[2]

[Ȧ] Ȧ Q m P[Py]
[O d Ṗ0 + [Py] m]
O_c A[x] + T + Ne

[Ȧ] c Å + Ad +
T[m + [in] [mP] Ȧ
P[ȦPdN] + A m pl
[Ȧ E] + BP m c Ph - 0]
Ā m ph + pl + Ë

+ [Ȧ] ∓ Å[0 - ph]] + [Ȧ a - Py] +
[me] + T_c Q Ṗ + A pl/0 A + [T - N]
[P[+d] ∓→ E + [Ep] + A ȦO/ph A +
[E0 + [A0 c Q] n] c [Ȧ0] +] P[N]
[Ȧ] E0 + Tm ∓→ P BP A Ph - Py c

[Ȧ] + P +
BP + Ȧ0
A pl m pl
A N d ∓ e
E pl 0 ∓ A
A c c N d A

[N] d P] + Tm A + 2
Ad m̄ Ph ∓ E ∓ P + 2
A ∓ Ō + Ō p m̄ [Py + Ph] +
P + m pl ∓ pl ∓ N] + E[1]
E[2]] c Å c [N - B] + -

[E 0] ∓→ Ph + Py A] d ∓→ Å [N - E] O[2]
[Py + Ph] c[x] O d ∓→ m̄ Ṗ [Py] ∓→ A[x]
[BP] c [O] ∓→ P[2] + P + A d ∓ Op ∓→ C
Å[2] d ∓ [m̄ Op] ∓→ [Py] ∓ [N] - P

+ [P + P[2] + [A m pl ∓→ [ȯ]]
[Ad [ȯ] [x 2] + [m P]_c Q +
[Om]_c Q[x]]_c O[x 2]
[P + A + E_pc O + m pl ∓ O + P_c PA]

[[P - Ph ∓→ BP me]]_c [A ṁ] + [Py + Ph] + Ṙ] [Ȧ] +
[Ḃ] d m [N] ∓→ [P[Ṗ]_c Å] + [Ȧ] d ∓→ (P[P]) ∓→
Ȧ Q [d N[x]]] c [Å ȧ P[n]] ∓→ [x] + A[Py]
[N] → [Ȧ] ∓→ [P + T + n] ∓→] c ȦP[me[e] + Ȧ q]

ȦP c ∓→ NP[x] Ad ∓→ [Ȧ] Q ∓→ NP[x] [NP]
NP[x] ∓→ [Ȧ] ∓→ NP[x] +] c P[P][1]
Ā [M Py - P[2] m̄ P[x] A[x]] m Ph

[Ā[P] ∓→ [P[e] d[2] [0 - N] m̄ ȦP]_c
Å + [P[P]_c Å[2]] + Ad [Å + Å[2]] c
ȦP[N] ṁ [Ph - n BP[A[x]] + Py - n ḋ P A]

+ [ȦP [m̄ + T + Ṙ c P(P) + P[P 1 2]] +
A m [Ȧ] ∓→ [P] [N d] ∓ [N Å] ←
∓→ [P[2]] + Ad ∓→ [P m N]] P[1] c P[0]
+

[P[Py + Q + O m + Ȧ c]]_c Å
Å[d] ∓→ [Py][x] c Q ∓→ Ȧ E
Ȧ E[d] ∓→ [m̄ [me] ∓→ A[x] + T[N]]^c

+ Å pl ∓ [N d E] ∓→ [Ep] - [n] + [Ad pl] ∓→
[P[P]]_c Q N Ep[3]]_c E[2] ∓→ [N] c [N] Q] c
+ Å[3] + Ad ∓→ [me]_c Q + [Ō m̄] ∓→ + m̄]_c Q̄

+ [E[N] d E0 + Ep - n] c [m pl ∓→ Ph d] + E p
ȦP[E0]_c Ep[x] + [Ȧ] ∓→ [O[x]] c Ȧ[ȯ]
m Q ∓→ [E0] ∓→ [Ȧd] [E d] ∓→ pl] ∓→ [BN - E]

[Ȧ [me] ∓→ E][x] + Ad ∓→ [E0 + pl] ∓→ Ep[x] m̄ Ph [E]
A m [Ȧ[0]][x] + T d ∓→ [Ȧ E [Ȧ0]] ∓→ O_c A Ṗl/[2] A +
[E[ȯ]]^c + [Ȧ[0]] c O + [Ȧ0]_c Q[x] + [Am ∓→ [pl]]_c Q O[x]]

+ [O[x] Q d [N + T + A[x]] Ȧ_c Q] + [P[e] + pl + Ad ∓→ O] + [Ȧ] ∓→ [ȦP] +
ȦP[x] + [Ȧ] + Ad] ∓→ [[in]_c BP m] + [[N E d] O c Ȧ[0] Q m BP] +
[A [Ȧ0]/[Ȧ] A ∓→ O_c [Ȧ pl - A] + [Ȧ] + Ad ∓ ȦP + BP + [d m] ∓→ O[ȯ]]

[A Py/m A ∓→ m̄ ∓→ [in] m A] ∓ [Ad ȦP + BP]
A E0/Ṗl A ∓→ [Py m] [2] + [m̄ ȦP BP]
C [Ȧ]_c Å[3] c [Py m̄ ȦP BP]_c Q̇

[Ȧ] A_c [P - [N] - Py] ∓→ P[2]] + [Py Ȧd] ∓→ A[x] Py[2]/P A[x] +
P + [P A] ∓→ [Å[+ Ad ∓ Tm [N] ∓→ P + [Py + A] ∓→] Ȧ c [P]_c
[BP - 0][ȯ][x] + [Ȧ] ∓→ [Ȧ Ep][ȯ] + [Ȧ - Py] + Ȧ [BP] +

[T m [N - P]] c O] P Ad m
C [ȦP] ∓→ [P[2] ∓→ E] d ∓→ [Ȧ]
Q [P_c Å] ∓^c [ȦP] + Ad

[in]_c Q] [Ȧ] m ∓→ [ȦP[x]] + [Ȧ] m ∓→ Ȧ[ȯ]] [Ȧ] O [Q BP]
A m [P[2] Py ∓→ P[2] d ∓→ [in + m̄ P] ∓→ [N d ∓→ A[x] + O
[Ȧ] + [me]_c [y - 0] + [P y]_c Q + Ȧ[0] ∓m̄_c Q[2] ∓→ BP]

+ [T [Ȧ] [P[P]] + [Ad] ∓→ P(P) c O[x]
[P[P] m̄]_c P̄ m̄] +] P[P] Ad ∓→ [m̄ m̄]
C [Ȧ] + Ad ∓ [mP] ∓→ m̄] ∓→ [N - n] → ȯ]

+ [ȯ + Ad ∓→ [Ȧ[0] m O] c m̄
m̄ pl ∓→ [A[0]][x] m Ō] +
[Ȧ] ∓→ [P(P)]_c P] + A Ṗl/Py A]

[Ad] + d] +
[Ȧ] + [Ȧ0]
+ A b] ∓→ ȦP]

+ [Å [ȦP] A m O[x] + Q [in - me] Py m]
Å [N d - 0 + [Ȧ] d ∓→ [M - 0] Ȧ pl ∓→ O] ∓→ Ȧ m]_c
[Ȧ0] + [Ad] ∓→ [N - E - n]_c Å[2] + d [Py + Ph]

+ [[ṁ + [B - N]] * [A ṁ ∓→ P(P)]
∓→ T pl A ∓→ [T m̄ [A[x]] m̄ P[P]] c
[Ph + Py] - N [ṁ] +] [x] m̄ [m] ∓→ m̄ [x]]

+ Ṫ [Ȧ] ∓→ [N E ṁ Ph + Py] m]
Ad ∓→ [N̄] k c A c ∓→
[N - E]] [Ad] ∓→ Å[x]

[Å[3] d ∓→ [? m]
A [Ȧ] d [ȯ]
[0] + T m ∓→ Å[3]]

+ [P + [T d] + Ṙ c [Py - N] m [Py] +
A [d ∓→ pl] ∓→ ȦO[O[x] + m P] + [in ∓→ A] [ȯ d]
[ṁ P][x] ȦO[d]] + [Ȧ] + [P[2] T m A[x] m pl]]

+ [[P[2]] [Ȧ0] d ∓→ Ȧ[mP] ∓→ [x]]
[Ȧ] ∓→ [Ā]_c [Py + Ph] O + [d]
[A m pl ∓→ [A me] m̄ ∓→ P[3] +

C [Ȧ d ∓→ P[3] Py m̄]
A[x] m/Pl Ȧ P. +
Å [Ȧ0][2] + m ∓→ P]
+

[[Ȧ]_T + Ad [Ph ∓ Py] + [ȦO[n]] + pl ∓→ [P(P) + T] [N]
[Ȧ] ∓→ O ∓ [Ȧ0] + A a] + P(P)[2] + T_A ∓→ [Py m] c [Ph] BP A]
∓→ m [[N M Ȧ] + [ȯ]]_c O[x]] + A [P + P[2] - N c P[P 0]]

+ [P[P][2] + Ad ∓→ BP A m/Py A_c Ph
m Q[x] + T_A + P[P][1] A[x]
Q + [Ȧ] + A ∓→ O[x] + m pl]

+ [[O + O + A m Py P[n 3]]] C
[Å + Ad] ∓→ O[x] ∓→ m [Py]
[Ad ∓→ P [Py - A] c Ph [+ d]

[A m̄ pl ([BP - 0]]
Ȧ A BP/(Py + Py) A
[N d] m̄ A[1]]

C [Å c
A[x]
P[P]]

× [O
[Ṗ]
ṁ]

[P + [Tm] + [A m pl] + O[+ Ȧ] ∓→ P[2] + [[Ȧ] d ∓→ E][0 d]] + [Py m Ph A] ∓→ P2 m Py ∓→ [Py ō]
∓→ [P[3] N d] m P[2] [n]] + [P[3] d P Ṅ d ȦP] + Ȧ [Py] ṁ A ∓→ P[2] + [in] m Py_c Ph +
m pl [P[2]] ∓→ [N d ∓ Ȧ E[2]] ∓→ [T pl A] ∓→ [m T[2] pl A ∓→ P[3]] [A m pl [n] T_1 ∓ T_2 ∓

[T_2 c T_3] + [A Py + P[3]/d A] A d ∓→ [in] Py_c Q] ∓→ [Q ȦO [Ph - 0]] + P + [Py A]_c
[Ȧ] + A ∓→ P[2] + [Ā ∓] c A m Py - BP ∓→ + [Py - ō] c Q ∓→ A ∓→ [P[+] N d Py_c Q]
[ȦO[0 - ph]]_c Å +] + [Ad] Ȧ ∓→ [Py - N[P]]^c + [P[3] Py + N E d c Å] + A

[BP ph c Å ∓→ P[3] Py] + Ȧ [Py - Py] + P[3] A m
[Ȧ] ∓→ P[+] ∓ ȦO[ph - 0] + [T + E]_c Q A[N] Ad ∓
[Py + ṁ] O + [A ṁ P[?] A [Py] ∓→ Py + A c
[A[x] ∓→ [c Ȧ] ∓→

[A p] [Py [x]]c [N] P + [Ad] + [A] ∓ [mp] ∓ [m̄ [O] A A R C Å]
Å + [A ∓ m] p l ∓ [d] ∓ [A D] ∓ [p l] + T ∓ Å + [d in] + P[P] ∓ Å[1]
A d] ∓ [in]c Q ∓ [A m̄ p l] ∓ [B] +]c Å[3] d ∓ (in] ∓ A + [N]
[A d ∓ Å[3] A] ∓ [NE]c Q E P] + [A] d ∓ [d - ph] ∓ [BP] [A] ∓ P m]

¢ + | Å, AP, m̄ | × | P, BP, A[x] | + | A, m, A, m, P, c |

$$\mathring{A} = \begin{bmatrix} \dot{A}P & A[x] & [N] \\ \bar{m} & [mp] & [in] \\ P & Py & \dot{Q} \\ BP & Ph & [Ad] \end{bmatrix} \frac{¢}{m} E \begin{bmatrix} 5 & 355 & 4 \\ 4 & 1735 & 72 \\ 25 & 837 & 15 \\ 180 & 180 & 50 \end{bmatrix}$$

[A [mp]c O]c P[Py + Ph] m̄ c O[2] [A[x]]
[A] ∓ A m̄ [Py] ∓ [P̄y - O] + [[M] + [A]] + [T - N]
[A] + [Ad] ∓ A[n] d] ∓ [A T/P[N] A[x]] d[Py o] m ph

+

[A] + [ĀO] d ∓ N[Py]o] + [Ad] ∓ P]
A[x]] ∓ (AP] ∓ [A[x]]c [A - O] + T
A[N] ∓ AP + Ad c [AO c Å]

+

[Ad Å] ∓ N m̄ [in] BP[A]
Py ⊆ Ph O[x]] + A + N[Ad[x]]
[Ad] ∓ [in] c A] O] ∓ m p l d AP[2]

[Nd [AP + AP[2] - n - O[x]] ∓ Ph + Py
[Ad] + [Am] ∓ [m p] ∓ [BP]c [Py BP]
∓ [A]] + [A] m] +]c Å[2] d m - A]

[AR [Å] +
Å[2] A c
Å c [N]]

[AP c A x] c A + [Py - ph] + A[x] + Ad
P[P] [N - d AP - P] + [A] + T ∓ [A a] ∓
[Nd A ∓ AP] [2] + [n]] A a c A m p]

[∓ A p [7] c QE ∓ E[2] ∓ E P [m̄] ph]]
+ [P[P] + [m Rc] Å] A + [A m + [in]
Ō] ∓ [in] A m p l ∓ E₀ + O

[Ad [A Q] + [m̄ p l P[P] d [Q A] Å[Py]] ¢
Ā[x] m̄ ∓ P[P] ∓ [Ph + Py] + [Ad]
[A P/BP A m̄ → P] Nd Ā[x] m̄ ∓ P[P]]

[[Py + [A] d] ∓ [AP] ∓ P[n]] m̄ [m̄ [d] AP ∓ AP[2]] [Py] c Å
[A] d ∓ [A py [mp] d Py Q] + [m [+ in]] ∓ ¢ [M] + P[P] +
[Py m̄] A[d] ∓ [in] ∓ [Å Rc ∓ A ∓ [P(P) + Py]

+ ¢

[[m̄] P[P] Py - Ō [A c
[N - AP]c A m̄/o A
+ P(P) [2] Py m]

[m p] Nd AP c [A[n]]c [O[n]]c [+ Py]
[O[N]] [x] ∓ [Py]] [Ad + O[n] d [AP]
[m p] [1] ∓ [in]] ∓ [Ad] ¢ Å[2] [Q m AP]]

[[Q m AP] [x] A p l ∓ [mp] + [A] d [m l] [2] [in]]
∓ [Ad] + ¢ Å[3] [Q̄ m̄ AP] [x] + Rc o
[N [AE + A 2[x]] d AP ∓ Å[2] + A[3]]

[P + [A] m A d [mp] ∓ [AO + [P]]
+ [AOp]] + [[AO d [Py = O [Ad]] ¢
Ph [BP]] [n]] ¢ P[2[N]] - O]

[A[d] P[m] - T [mp] ∓ P + [Ad] ∓ O [Ō AP m P[n]]]c
Å + [d - AP(P)] ∓ A p l ∓ O[2] [x]] ∓ AP] + [Ō m̄]
[A] + [T] ∓ P[Ad - n] ∓ Å ∓ Ō[2] [x]] ∓ N - P[P[x]]

+

[Py m̄ [m̄ Py A ∓ Å [Rc m [Py - ph]]
A m + p l ∓ P o + [O[ph]]c O[Py] - O] +
A m + p l + ∓ P n + O + [in - T [Py]]c Q]

+

[Ad ∓ Q ∓ (A m p l] ∓ P y c Q
m [Py - O[x]] ∓ A[Py d]
∓ [M] ∓ A[x] - Ph [m - Py]

[[Py] d] P [A - ph [P - E o m ¢ O[A P/m A]] c [A a]
P + [A O] m p l ∓ N [d - E ∓ P[n]] P + Ad ∓ [A [x]] m̄]
[m̄] ∓ [NE] + T] + [A] ∓ d ∓ [P[P]] [+ Py - Nd p l ∓ NE]]

+

[A [Py - ph] ∓ BP + [A p] ∓ E P] + [A] ∓ [P]
[BP c A] ∓ A + [P [A] ∓ [E P[x]]] ∓ [A Py d]
A [A o] [m ph] m ∓ P[2] ∓ A[1] + A m p

+

[O [i o] [∓
P[x] N m
P n]

¢ ∓ [Å, m, ph]

[Nd E[n]] + T + A [Py + [A] m p l] O ∓ A p l ∓ P [Py]] ∓ c Å] +
Ad Å ∓ [T NE/P[n] A[x]] + P + Ad ∓ Å + m̄ ∓ P[Py ph]

[APy - O] + Ad ∓ [A [o]]c Q] + Q̄ m + [m p A[o] m c Q] + Ā BP c m
d Q] + [Py m ¢ O[Py]] ∓ [A m̄ ∓ [P[m̄] ∓ BP] m̄] ¢ + Ad [Å][n]]
+ [mp] ∓ [O [2 + 3] ∓ [+ A[o] m c Q]] ∓ Ad ∓ A BP[2 - 3] ¢ Å[a]

[A d m ∓ Å]
A am/[N] A ∓ [BP] [2]
A m̄ ph ∓ [Ph - BP] [+7]

[T R ¢ Å [T - Q]] d [P[n] + [A m Py] ∓
[BP ph + O [¢ ∓ Py] [n] + P + A m̄
m̄ p l] A ∓ [A] + BP m p l ∓ [B]]

+

[A m̄/[Py] A ∓ [BP - A - ph] d [N - Py]] ∓ Q n ∓ [Py] [x]]
A P/[A] A[d] ∓ [A[o] c Q] ∓ [Py - O] ∓ [in] + A p l
[∓ P[N]] ∓ [A] ∓ [Py] ∓ P[3] [m̄ m̄] d BP A[x]]

+

[BP + A m Py
+ ph] + [P]
+ [A] + A]

[A] m ∓ [P[BP m] A]c
Q m ∓ [P̄y - O]c
[Q̄[2] n d] ∓ m P[Py]

+

[Ad ∓ Å + [in] + [A m p] ∓ Py A
[BP ph + P[d] ∓ [3] ∓ A ∓ [P] +
[Py m ∓ Å] n ∓ [P] ∓ Å[2]]

+

[Å[2] d [N] ∓ [Ph + Py] m̄ ¢ [Py - O]
[m ∓ T] ∓ [Ad ∓ AP ∓ P] + [Ad] ∓
A [∓ [A Q] ⊆ m [A[o] A c Q]] ∓ A ∓ A[x]]

+

[mp] [x] + [BP [m p] c Q]
+ BP m [m p] c Q[2] +
P[n] + A BP/o A + [m p] m

A[o] + AP c A[o]c O + A m [E P ∓ E P[x]]c Å[n]]
E[R] d ∓ [P[2] A p l ∓ T] + A[2] d Å [n] ∓
Ad ∓ E [Ā] ∓ E P [3] [x] ∓ [d ∓ ∓ [P[3] A p l T] -

[Å m
ph c Py
+ m̄ [M]]

[P + [A n] d ∓ A [Py]] d ∓ [T m̄] ∓ [Py - A]] ⊆ Å
[Å d] ∓ P ∓ [A m Py P [ph ∓ Py]] ∓ A E +
[A] ∓ Q ∓ [Nd P]c Q ∓ [BP]] ¢ [A [E] - O + A a]]

[A d P ∓ d + B[A]
∓ A m/P A ∓ A E +
[m p] ∓ [A] + Py]

[A [Py - O[x]] A[x]] [x] c [N] m̄ P[P] R O] m̄ +
A ∓ P + Py A[x] ∓ A[o] ∓ T m E₀ + Ad ∓ P ∓
Py [BP] ∓ Ph] ∓ [A m [mp]] ∓ AO [O - d R ¢ ∓ [N]]
d - O [Ā Q]] + [Ad] ∓ m̄ T ∓ [Py - O m̄ N - P]

[A [N d[x]]
d [O - [Py + ph]c AO] ∓ N[d] ∓ AP + m̄ Ad ∓ AP] + [A o] d A[Py] ∓ Q̄ [m̄ A P
A P[n] - 2 +] + Ad m̄ A + Q̄ ∓ [A m̄ - Py] ∓ AP [N] ∓ [P ∓ T m [A m] A P ∓
A P[x]] ∓ [A E [N] A P[+] d m] + E P[x] ∓ [Ph + Py QO] + [A] A P[3] + [A [P - m c Q]
+ A [Ō + Q̄ m] + A] ∓ [A m̄ Py + Ad ∓ m ∓ A P[m] m A c ∓ Ō m̄ Py - O ph ∓ A]

Ȧp[p] + Td[0] ⃗+ Ȧp[x2]
P[n] Tm A[m[2] pl] c
[n-B] d ⃗+ P[p]]c Ȧ0 + Q̇ +
[d] + [Ȧ] d Ā[py] m̄ m̄ ⃗+
A[P ⃗+ P] + P[2] c P[3]

P + [Ad ⃗+ N]p ⃗+ [N d E d ĀP] + Ad[n] ⃗+ [Ȯ]
[A] + P[2] + A mpl ⃗+ O[2] ⃗+ Ȧ[nd] ⃗+ P
+ O[n Ȧpl d ⃗+ P[2] N ⃗+ ĀP(-P m̄ Opl]

P + [Ad] ⃗+ N[Py Ȧ/c Py[a] O[x]] ⃗+ P[a]
P(P)[A m̄ Py] + Ȧ Q c [P[x] - n m̄ ph[Py]] - Py]c
Å + Åd ⃗+ m̄ m̄[Py] + [Ad Å[n]] ⃗+ Ȧ0[Py]x]

T[ȦE] + P + Ad
[ȦP - [d - n] c Q
[P] ⃗+ ȦPd ⃗+ N]
⃗+ ȦP[2] + Tm

T[mp + m P[2] m B] c Q P[3] + [i] + [P3]c [Ȧ]
[Ȧ]c ⃗+ P] + [m̄[Py d ⃗+ ph] A] + [x m ⃗+
Py c/Rc ph] +] + [Ȧ] ⃗+ [A[Py ⃗+ ph] ⃗+ P]
Ad ⃗+ P3 [Py - n] A c[Py n] ⃗+ P[3] E

[P[1] ⃗+ N] + Td P + Ad [B - n] ⃗+ [d] ⃗+ ȦP
[Ȧ] + Ȧd [P[P]] ⃗+ [n] + [i n] ⃗+ [Ȧ0] ⃗+ Py + d
[B - n] ⃗+ m̄ [ō]] m ⃗+ [B - n] c Å[+O[x]]

m ⃗+ P[P]
Py [md
Ph - O[x] ⃗+ N

[ȦTm E] + Ȧ[0]] c [O + T[Ȧ]]
c[Ȧ0] + Ȧ + [A0] + [Ȧd] ⃗+
[A[N] ⃗+ [d] ⃗+ [n]] ⃗+ (Ph + Py]
c O[x] ⃗+ [ȦQ] m c Q

[Ȧ] [MA] ⃗+ Å[m̄ ⃗+ [MA]] c Ep[Ȧ Ep - Py]]
Ep Ad ⃗+ Ā0] + Ā Ep[2] + [m̄ m̄] A]c Q + [Ȧ] +
Ep[3] Ad ⃗+ [B P Q d] A] c Ȧ[0] c Q E P[3]

[mė] [P[P] - n] c [M] ⃗+ [ȦP + N] ⃗+ [Py - 0] [m̄ m̄]
+ Ad] ⃗+ [Py + ph]
- m̄ Py Å c Å

[P[P] ⃗+ P(P)] c Å[Py + ph]
Å m [N + m̄ ⃗+ [mė]] c [Ȧ0]

Ad ⃗+ Py[N]] + [Py] d ⃗+
Ȧ + mpl ⃗+ ȦP + [Py - A 0]
Tm P] R c [T - 0] ⃗+ ȦP] ⃗+
[Ȧ] + Ȧ[m̄ A D[0] - n] ⃗+ P[n]
[m0] + [n] ⃗+ [N] d ⃗+ ȦP[n]
Ȧ n d ⃗+ [A] ⃗+ Tm A[in c Q m]

T0 P[x] m̄ ⃗+ [Ȧ] ⃗+ [N d ⃗+ ȦE] + P + Ȧ + P[2] + A (mp)/(T-0) A ⃗+ pl ⃗+ [P - N
d ⃗+ O[2]]c E0] ⃗+ pl ⃗+ E + Ȧ[Ȯ] Rc T + [Ad ⃗+ [Py - 0] + [Py - 0]
Ad ⃗+ Ȧ[n] ⃗+] c Ā + Å d ⃗+ [M T]c Q̄ + Ad[T + Py] ⃗+ M A[m̄ pl]]

+ [Py a] m[n] [Ȧ] + [Py - Bp]
Tm[n] Ad[m̄[m̄ ph]] O ⃗+ [ȦP][N]
Ad[0 - Ȧ] ⃗+ Ȧ0[Py c Ph[0]] m̄
Py] ⃗+ [N c Q0] ⃗+ [n + B] mė] ⃗+ P[P] N

[N - M] A[x] m̄] + pl ⃗+ [ȦE[n] + ȦE P[P]] + Ad]
T] c [Ȧ] + [Ȧ2] + Ad ⃗+ ȦP[A ph/P A] + P[3]
d[Ȧ c 0] + d ⃗+ Ām [Py + ph] c [Ȧ] + Ad

[Tm A] m P[P]
[Py c Ph] A[x]
[N] ⃗+ m[B] P[P] n]

P + [Ad ⃗+ ȦP ⃗+ [N] d[mė] P[P]]
Rc] + P + Ad + [m̄ ⃗+ Py]] + [Tm
P[2] c c Ȧ ⃗+ [P[2] + Py]] + [mė]
[Ȧ] + P + [Py m A] - n] ⃗+ E + Ad
⃗+ P + Ampl [Å] ⃗+ [mp] + P[P]

[Ad ⃗+ Å ⃗+ [mė]] + Å Rc ⃗+ [n] - P]
[ȦP + ȦE] m̄ Ad ⃗+ P[2] Ṙ] +
ȦP[2] + Ad [in]/[mė] Ad + T + P[2] Ṙ
[ȦL ȦP] + [m d] c Q + A + Ȧ n d
+ [A m Py] ⃗+ P ⃗+ P ⃗+ [n] c O ⃗+
[N] + [Ȧ] [mė]c A ⃗+ P[2] ⃗+ Q̄ m̄
Td + [Ȧ] ⃗+ [n + P + m̄ [A Py/m Am] pl] + [E]
Ȧ[0] ⃗+ Ampl + [Ȧ[0]d] c Q] + [Py - d]
c Q[2] + [Ȧ[0]] d A]c + Ā +

[P + A] Ad ⃗+ [N - Py] + O m̄ ⃗+ [Ȧ] + Ad[2] ⃗+ [n m E[x]]
+ A[x]] c T[N] ⃗+ [mė] m c O[2] [n] + P(P)
A Ā/mpl A ⃗+ Ep[d] ⃗+ ȦP[BP] [ȦP R c Ph - 0]

[mP] x] d A ⃗+
[Å ⃗+ d] ⃗+ ȦP[+
Q[n] BP c O[Å]

[mė] ⃗+ [ȦP] [r - n d Rc]
+ Ȧ[0] c O + A m P[2]
[B] pl ⃗+ [d] + Ȧ[m]

[Ad + Ȧ] ⃗+ [Td E O[m] Ȯ] + Q ⃗+ [N]
⃗+ A[x] c [Ȧ0] ⃗+ [Ad pl ⃗+ [Ep + E] +
[mė] ⃗+ d ⃗+ pl] + Ā ⃗+ Ȧ[0] [x] ⃗+

[Tm A ⃗+ [T N] + [pl [ȦP] [Py]
Ampl ⃗+ Ȧ[0] ⃗+ Q[Ȧ] +
Ȧ ⃗+ [Py m̄ O ⃗+ Py a[2]] + Ad ⃗+
Å ⃗+ [n - mp] ⃗+ [M] ⃗+ A[N]]

[Ȧ[0]] d ⃗+ [Ȧ[0]][2] N[BPd - APy + ph] c 0
+ [Ȧ] d O[n] m ⃗+ ȦQ[n d E0 + Rc]
[c Ȧ[2] + [Ad Å[2]] + pl ⃗+ Å] c ȦQ

P + m + T
m + P + A[x]
+ Ȯ + Å[2] m0

Am ⃗+ ȦE[n] ⃗+ [n m . T ⃗+ A[x]]
c Ȯ[E + Py] ⃗+ O[2] d ⃗+ [Ad E]

[ȦO] ⃗+ A + [P] m(Py + ph) + [Ad + mp]
c Q d ⃗+ A + [Ad] c [Ȧ] + [Tm Ad]
⃗+ [Ȧd] ⃗+ [ȦE][n]] ⃗+ [Ȧ[Ad] P + BP Ad]
[m̄ [Py] d Am Ȧ P[P] [pl Rc ȦQ]

[mp - pl] + Ad ⃗+ [mp][2] + [Ȧ] c Ȧ] d
[A Ȧ[0]/mpl A] c [Q m] ⃗+ Å] + Ȧ[2] d[m d
Ad ⃗+ [m̄] ⃗+ E[T mė] + [m̄]

[Ȧ[n]] d O[Py - 0 c]
c ph] +]c Å + d ⃗+ [n - 0 m] ⃗+ [d] ⃗+ A[x] ⃗+ Nd
ȦE] ⃗+ [ȦA[x]] d [A T/mp A]] + Ȧ Q d ⃗+ Å[P]
[d n] ⃗+ [Ȧ0[+ 0] - ph] Ampl [P - P] + (Ȧ0 d] + [i c]

P + [mė] c Q̄ ⃗+ [A[0] m O[x]]

Å[Ad[P c BP + Py] A ⃗+ Ȧ0[ph 0]] c [Py m] Å[2] d +
[M] + [P + [Ampl] ⃗+ Py - 0 ⃗+ Q ⃗+ [n]]c A] [Am P ⃗+ Py - 0] +
[P pl] ⃗+ N d ȦP[P - n] ⃗+ ȦE] + [ȦNE + d d ⃗+ P + Py - m]

[Py d Ȧ0] + pl Ȧ[3]
⃗+ P[P][n] + Tm Am
pl + [mp] d ⃗+ [ȦE][0]

[Ȧ[T] d Py] ⃗+ Aph ⃗+ [+ Py] ⃗+ P[P] N d P[2]]
[Ȧ] + P[P] + Ad a[Py] d ⃗+ [mpl] R c ⃗+ Ȧ E + T a]
+ [n] m [Ȧ] pl ⃗+ [P[P]] ⃗+ [ȦNE] + [Tm P - n]

[Ȧ] [Tm[0] - Py] + [mė]]c ȦQ + O[ph c Py]] d ⃗+ P[Py c ⃗+ Ō][n]] c Å + Ad
[mė][x] c [P y Q̄] ⃗+ [m̄ m̄] + Å] +] + [Ȧ m] ⃗+ [A T/m̄ A] ⃗+ [mė] A[0]] d[Py] +
[i] m A]] d Å[m]] + [Ad + [Ampl[Py] - [Ȧ mė] m[Py]]c Q] + [Ȧ][2] d]

[T[Ȧ] d [n] - A[n] + [Ȧ[0] O] A + [Ȧ[n] - Py] m ⃗+ in[2] + Q + [pl ȦE d] +
[Ȧ] + [Ȧ[0][x] m̄ ⃗+]] + Ȧ Q[m] ⃗+ Apl + [Ȧ[0]] ȦE[2] P ⃗+ pl[d]]] c Å + pl ⃗+
BP ⃗+ P[P][x] + Ȧd] ⃗+ A (ȦE[0])/(Tm[0]) A + [N d T c Ph ⃗+ Ȧ[2]] mpl + P ⃗+ ȦE] + Ȧ[0]
[Ȧ] + [T c m - Py] ⃗+ [Ȧ] + [BP + A] + pl ⃗+ P[BP - 0]] + [N] - B] Ad + Tm + P + P[Ȧ0] -

[P[P]n] d A[x] [Py + ph]] c [O] + [Tm] [Ȧm] +
⃗+ P[n] ⃗+ [Q Py m A c O[2] + Py] + Ad ⃗+ Ȧ] ⃗+
[Py] m Q[x] Ad ⃗+ ȦP] d [N - Q] m ⃗+ P]
[Ȧ - n] [d] [n] m ȦP[P - n] + Ad[N] ⃗+ [ȦQ + Am
Q + [mp] c [n] + [Ȧ0[+ ph - 0] - n] c Q[2] + [n - ȦP[0]]
[m d ȦP]] [A m ph A] d [N] c ȦP[c d E]

[(
Ȧ
A

[mė]
Ad ⃗+
+ Q̄
[P[

[E 0
Å[Ȧ
Ȧ[2]]

[n - Py
Ampl
[M] c Ȧ

[PY - N
[Ȧ[Py]]
[[BP] d
[ȦE][x]
Ȧ L[m
[P [n - P
Pm pl
[A - A] c
[T[mė]
Ep[mė]

P + [Py -
⃗+ P[
[mė] pl
E[+ 0

[Ȧ] + [Py
[N] - Py
[P + Q m
P[P] d Ȧ
A [0]/ȦP[2] A[m
Ȧ[mė] d ⃗+
Å[d ⃗+ [n]
d ⃗+ [P[P]]
Pxd P[P[P]]
Ad pl ⃗+ [A -
[d] + [Ȧ[0]]c

[A] Ad [n]c Å + Å ∓p [P Å E[n]]
Ad [Å] ∓ ÅE[x3] + [Ad - Py.
A[d] + m[c] + n[r]] c P[Py]

+

[mr o a] O]c [Ȧ] + A[o] + p| ∓ Å + d] (mp]m c Q +
[A[o] m]c Q[a]z Ȧ + P[P] + [Ad ∓ Py] + [Iy - o]c
Q m ∓ [Py - o]c Q̄m [a] [x] + [Py Q][1] + Ȧ

+

AP[Py] Ad + APh Ȧ] (Ad ∓
Py] ∓ Ȧ m] [Q m ∓ (Py m]c O]
+ n] [A[a]c Q m ∓ P (Py ∓ O] +] c
[A + [d] m P[Py - n]] + Ȧ] + [Ad]

[m e]c [Py [c n] m [m Py][n]] c Å[a] +
Ad ∓ [[P] - N] + Rc ∓ (AP[1] + ȦPa] [n]
+ Q̇d - Py] Rc] + [Ȧ] ∓ [Q̇ d - Py[a] ∓ Om
[Pce]] d ∓ [Ȧr + Om Py ∓ ȦP[a]]c M

+

[T m N] ∓c To (mp/m) To [n] + P[P] - Ȯ]
[Ȯ d ∓ m̄]c Å[3] + d ∓ [m̄ m ∓ AP]
[n + ph + Py] + [Ȧ] d ∓ [AP[a]] ∓ Ȧc [BP]
[m̄ m ∓ A[m p]c A] m̄] ∓ [M̄ - O[Py]] Å

+

ȦP[a] (y - o d ∓ m ∓
Å[4] + [Ȧ] ∓ Eo [a - mp] A]
Ad p| ∓ [A E][mo] + Ad ∓

[E o m] A[r - Td] ∓ O[x][a - d]
Å[ȦE] + ȦO[p] + Ȧa] c Od]
Å[a] [ȦE][a] + ȦO[a] m̄

[p|Ȧ] + ȦEp[x a] + A[ȯ] m Å
[md [mp - Ep] + O[x] d [N - O]
Emc [E[1] + Op + E2 + Op[a]] +
[Ȧd] ∓ [ȦE] Å - [n] + [Py Nd - Å]

+

P + (m̄ m̄ m̄ p| c Ȧ] A + [Tc Q] + p[d] ∓ Eo (A) c (BP c A) P +
[mp]c O] ∓ [A - O]p | d ∓ (Eo c ȦQ ∓ E] + [P + Ad] ∓ T]
[Ȧ [A[o] Ȧ m] Ad [n - m - p]]c Å ∓ [p] d Ȧ [mp - Py] d [M]
[Ȧ[o]] Q + Q[a] p| ∓ O] (P + BP Ad Ėo + Ȧa [M n] ∓ E] + Am

[n - Py] ∓ [Py m - O]]c ȦO] + [P +
Amp| + d] + m [P[a] Py c A[n]]
[M]c Ȧ] + T m] + [d] + Pa + Å +
[Py - N]c Å + [Py - P - O]c Q̇
[A[Py]]c M] + [P[Py]] + [Ad] Tm
[BP] d]c AE] + ȦO [Py - O[x]] +
[ȦE][x] d] ∓ [N][x] § O] +
Å [m̄ m̄ AP]] + A[Py - Ph] m
P[n - Py] ∓ [ȦO] + [Ȧd] +
Pm p| ∓ [NE] ∓ [TcE] +
[A - A]c [A[x] - An] + Rc ∓

Åm ∓ Ȧcd ȦP[o]] + [n d ∓ Py - O]m
+ [N[d] ∓ ȦE] ∓ [Amp] d ∓ Py]
Ad [Py Q d N ȦP[x]] + [mp] c

+

Å + [Å d ∓ [ȦP[1]] [P[n]] + Ad [Py] m E + in] c
[Py]] +]c Å[a] + [Å[a] m̄ [Py]]] +
C [Å + Å[a] + Å[3]]c P [N - Py] + Am A

Td P[N] [c] d [A[Py]] +]c Å[a]]
Ad ∓ Py m ∓ Ȧ[a]] + [Ad [Ep] ∓
[Py] [n] d ∓ [BP]c ȦO [Ep] [d] ∓ E[p]

A (m / [ȦP]) A ∓ [A[o]]c Q ∓ O] + ȦO + p| + ȦO[c + y d Q] +
p| ∓ Ȧ[N] ȦEd] ∓ [NdE][m]] c [Ȧ[n] - Q] ∓ Ȧ[o]
[c O] + [N - P[P]] [d T m p]c [T - n d P m] ∓

+

[ȦP] + [T m ȦP[a]] ∓ [c n]c Q] A[m Py] + Å [d ∓ [ȦE]c Q ∓ [Py] ȦEm ȦO +
c [[M - Py] + c [Ȧ] + [ȦP] + [[T - in] + [T ȦPc + mp] ∓ Ad] + A (Py / O[a]) A] d [N - Py O[x]]
ȦE]c ȦP + [T ȦlA] d [AE[N - in][a]] ∓c Å[a] + [P +] ∓ [Ad] [Py m Ph ∓ Py] [d] A]c ȦO]
[Ȧ] [d] ∓ [ȦN]A[a]c Å P[a]] [d] (Nd Å[a]] +] + [Ȧ] + [Ad] + [Pm p| ∓ [TcE]] + A (Ep / Op[a]) A +

[T[me][1] A[x] mp| ∓ T[me][a]
Ep [me][1] A[x] mp| ∓ Ep [mc][a]

c

[Å[m Py]
A — A]

d

[T[me][1-2]
Ep [mp][1-2]]

c

[TA +
Ep]

[P] + [m e - Py] m A + [x] ∓ [n - m]]
d [O] + [[Ad ∓ O] [Å] ∓ ȦO [N - Ph
O + Py O] c [+ T m̄ Ph + Py] m ∓ P]
P + Å [c O[1] + O[a]] + [Ad O[a]] ∓
[ȦPc ȦP[a]] m [P[m r ey]] + [Ad
O[1]] ∓ [P ȦC ∓ ȦP] [N][x] + c

[P + [Py - Ph m [n] - P Å [c] A] + [Ȧ] + m[p] + Ȧc [AP - nd]c Q ∓ ȦP - [N]] + Ȧ[c]
∓ P[N m] [ȦP[a] - n] +] + [P[P] - [Py - d] A] ∓ [A (c / [ȦP]) A]c Å +] + Ȧ [m Py -
[m e] p| ∓ [[E]c m̄ m̄ Ȧ +] c [E + mc] + [mp + in]c Q ∓ Ep + [A] + d] ∓ [Ep[a]] d N -
E[r + O[c]] + A (Ep / Q) A] + [P ∓ [N - Py m] + Rc ∓ [E[o][x] p| [x]] c [Py - Q] + p| ∓ [N - P]]

[Ȧ] + [[Py m] ∓ [me]] ∓ P + [Py ∓ [O c Ȧ [o] c Py - O]] + Ad ∓ [Py - O [a]]] + [Å + Rc] + mp] + Ȧ [a d] + P + [m̄ [r T] Ā] +
[Nd - Py ∓ Ā c m̄ [Ph + Py]] + [Å [me - m ∓ Åc ∓ Å[a] + Å[3]]] d ∓ [m̄ ∓ Ā] + [P + BP[A] d ∓ P[P]] + [Py O c Q] +

[P + Q m Ad ∓ P[P]] + [P - n
P[e]] d ȦP] ∓ [T m Ad] ∓ ȦP
A (E / ȦP[a]) A [m p]] + [P - n d [ȦP m̄]]
Ȧ [m e] d ∓ Ȧa [Å + [Ph - A]]
Å [d ∓ [n] ∓ [Py ∓ O + Ph + A +
d ∓ [P[e]]] ∓ m ÅP [Py - N]
[Py d ∓ P[e]] + [me][x] [BP]
Ad p| ∓ [A - BP (mp][a]] + [Ȧ]
O] + [Ȧ[o]]]c Q ∓ [A - mp]c O]

[T m + Ad [ȦP - n] +] [Ad m̄ [n - Py] ∓ P + [A (m / P) A ∓ ȦP[a]] [ȦP[1] d ∓ [A - A]] +
Ȧ] [m e] m + [Py - ȦQ [Ȧ O] ∓ [Am]c O [m - Q] + [A (Å / d) A] +] + [[AP][o] + [d ∓ A[x] m]
∓ [P] ∓ [Am p] + [A] + [Å] + d] ∓ [[T[a] m A[x] p| + [in] ∓ Py] ∓c P[Py]] + [ȦP[o]] + [Ȧ] ∓
[Ȧ] + [P + [Py - Q] m̄ [Q e Py] ∓ m̄ Ph A (BP / O[a]) A +] + Pa ∓ [A[x] + Q [Ȧ d [n]]] ∓ [A (Q P / [a]) A[x]]
P[1] [BP[d] + [mp| c m p|] ∓ Q] + [Ȧ][x a] ∓ Ā m ∓ Py - n] ∓ [d] ∓ [Py O m] + [BP A]
[ȦC BP] [Py d]] + m̄ [c Q̇]c Å] + [P [Py - d Ȯ] m̄ [Py - d] - p|] ∓ [N d O[a]] + [Ȧ] + d ∓ [Py m̄ Ph]
c [Ȧ[x] d ∓ O] + [O d ∓ Q̇] c [Py - O + Q] (d - A] + [Ȧ] ∓ [d] ∓ Q[a] + Ȧ[x a ∓ [in]] ∓ Q [m - Py]
[a] + p| ∓ Å[a]] + ȦP[m ∓ Py] ∓ Ad ∓ [Nd ∓ [P[a] + BP A [Ph + Py] ∓ [3]] m̄ Py - O - P[A]]
+ [Ph] + Ȧ [Ad] + [Tc Q] m [N - T[a]] m + p| ∓ N - T[a]] ∓ Ad [[m̄ m ∓ Q̄m] + [ȦE]c Q̄m] + [me] d ∓ [BP]

[ṁe]꜀ Am→ P+Ph→[me][2]] + Ȧ+[BP] d + Ampl→[BP[2]→ȦE] + ȦQ[Ȧme꜀] + Ȧ[0]꜀Q[2] m ȦO[+0-ph] A + O + Ȧ[d] → Ȧ[0] Q+

Ȧ[0][x]] +] + [P + Ad[T m̄ Py]꜀] [-n]꜀[Om → Ph] + [Ḃe꜀Q] → O[t]   [Ȧ] + [Å[2] - d[Nm → Py] →

[Ph] A +] Å[Ad[Ȧ] pl →] Ȧ[0]꜀O]   [Ȧ]꜀ + [Tmpl[A[x] - n] Å → [d] + P[2]   [AO] d → [P̄y m in] → [BpP → m̄p]

[ṁe] →꜀ Ȧ] [Ȧ[0]꜀ Q] + [O[Ȧ[0]]   Py Ad → [O꜀ → ȦP[d]꜀[BP[0]] d → Ȯ[x]   ꜀Q → ȦP → [BP] + m̄ pl → [Am[d]]

[Py d Qm Ph A[x]]꜀Å] + [Ad] Å →

[[Ȧ] → [Py - d → A[x]]]꜀ Å] + [P[P] T m/A T[T] mpl → [d] → [Ep]] d → T[N] → [T[1] + T[2]] + [Tpl 0] → [d] → [m̄ → Py]] + [A]

T + in + me pl → Å[2] → Ad → ȦP → [ȦP - n - mp] d → m̄ → ȦP → [Py A d → Å[2] → Q[n ĉ]] → [Ȯm]] + [Ad → Im +]

[Q[+in]] → [m[Py] → [AP → Py - 0 + A] + [P[Py] m A ph/n A]꜀ Q̄] d[m̄ py - 0] + [Tmpl → Ȧ[N]]꜀[Ȧ] + Ȧ[1] + [Ad] → ȦP[m

P[Py]꜀[Nd → ȦP] → Py m A   Ã + [Ad] → [n - ph m] + [Ȧ[me] + in]   Py → Tm[N] + Q Ȯ[m - py]] m → P[Py] +

P[Ph] + [BP] mpl + [d] A꜀   [x + ꜀Q d[n - ph m] + [Ȧ] + P + [Am   Am pl + 0] → [BP] + Ȧ[Py] Q[x2] + [m Ȧ[2]

Å + [Tm pl[Ȧ]] + Ȧ[2] + A   Py - m̄p] + [Py - 0꜀Q] + [Ȧ] d → [P + [Py + ph] p - m] A → Ȧ[Py - d]] + [Ȧ pl A] +

[Ȧe][P̄y m d - n] + [P + [d] → ȦP] + [[ȦP] + [Ad꜀ Ȧ] + Ȧ[2] + [Eme + d]꜀Q + [Am[B] pl] + [ȦP] → AEm̄] + [pl] d + Ȧ[x2] →

[N - Py] d [ȦP] m̄] + [AP + Ph + Qd → BP + A] [[P̄y - 0]꜀Q̄ + [m[Py]꜀Ȧ] + [Py - O[2]][m → Py]] +] + [Ȧ] + Ad → [Py A/0 m] + [Tm[N] d

[Ame - d][Ad[Ȧ] → n] +] + [Ȧ] → [Ad] → [E[P - Ph + Py + BPd]]꜀ Q + A[+d] + [Ph - A[2]]꜀[AO] + ȦO[d → [Py me]] → Q → Ph] + Ad

[A c/A A] + m̄ + [me - n] + [Ȧ] + [Py - 0] + Ampl → E0] + [Py - 0] d → Ȧ[0]] + [[Ȧ[0]]꜀[Py - 0] m̄ ph + [Ȧ] x2 → [me]꜀ Q̇ + A m̄/0P A]

BP] + [Ph - A] m̄ P[Py]]꜀ → [Py - 0] d → Ȧ A[0]/n Ȧ] +] + [[T ṁe/mpl꜀ T[N]]꜀ [ȦO] m → Å + [Ad] → [P[P] + Ad[in + me]] m →

P[P] n[Py] → Ad → [P[2]] m̄[in - py - d]] d[N - Py] → [P[P] x +] + Ad pl → P[P] + [A[Py꜀ Pho]꜀ A → m → P[P] +

Ȧ] + Ad + [Ȧ mpl] → P[P] + [in]꜀ Qm Ȧ →] [Ad + mpy] m] d → [Å[2]] + [P[P] Ad[N - Py] → ȦP d[m̄p]] + P[P]

꜀ P[2]] d[m̄ P] + [P + [~~E N~~ 0]꜀ Å] → [Py d N]꜀ A[Py] → [P[P]] → [Nd A[x] E]] + Ȧ[x2] → [AO[m̄e]꜀ P̄y 0] →

[Ad][Ȧ] + [NE][n] + [T꜀ Ȧ] → d A ȦO/m Ȧ] + [O[x] d] - [x]]꜀ [Ȧ] + [Ȧ] → [P̄y - 0] + A] → [V m̄]꜀ Q̄ → [Tm

꜀ V → ȦP]] + [Ȧ[Py m̄ - 0]] + [Ȧ[P P[P]] →] d[V] m[Am[N + Ȧpl → [AP[2] [+ Q̇[x] d]] + [Ȧ][x3] → Q̇ +

[Py m] [Ȧ] → [x2] → [Ȧ] → [P̄y - 0]꜀ Q̄ → [Nm]꜀ AO[2]] + m̄ ȦO[+nd O[x]]꜀ Ȧ m[AP[2]] + [Ȧ] d → A

+ m py → [Py - 0] + Ad → [Nm A[x] d]꜀[Ȯ] +] + [Ȧ] d → [AP[2] → Ad[Nm] → AP[x]] + [AP[x] d → P pl[R꜀

ȦP[2] - n] + [ȦP[x] d → P[P] Ȧ꜀ → AE[n]] +   [Å] + [ȦO[Ph꜀ Ph][Py] → P[x] → [ĊPe] [x] m [Q m/Pl A Py] [M꜀ Ȧ]

꜀[Py - 0] d ȦO] d → [me]꜀ A + A → AP[P] - n] + Ȧ[0]]   QȦP + Ad → [AO] → [A Tm[AO][x] T[0]]   [Py M] → [Ȯ] + Ad[n + 0] →

[ṁe] + in] d → [Ad] → ÅP] [d → Qd Py - 0] + [Ȧ]   ÅA[A Ph꜀/Py A] m P̄[P[P]꜀ Q + Py - 0] +   [Py - 0]] + m̄[Ad] → Py - N]

[N] d BP[x]꜀[Py Ȧ]] m O[x]꜀[ȦP] + [Om P[P] d B - P]   Ad → Å → [Am → T[0]] +] + [Ȧd] → Py[0] → [P̄y꜀ A c/a A] m → [Py - m]

[P[BP - 0] d + Ampl + E + m̄ E0 + in → Ad → E0 m/Ȧ[0] 0 → ꜀Q → P → Nd P[x]]   m̄ m̄ → Ȧ[0][m̄] → O[2] Ad → O[x]

[Pl[d]꜀[Ȧ] → [d] → [AO] + [[Å] + [d + d] Py] → [Ȯp] + [Ad mpl] → Å[2][n] +   [m̄] + [Ȧd → O[x] → [m̄]] + Ȧ[0]꜀

[Ȧ] + [P̄y - 0]꜀ Q + m̄ → [[n - Py - O[x]]꜀[n - ȦPy - O[x]]] + [T m̄ → A + O[n]] → T m   Q → [Ph - 0] m̄ [m ph - BP[x] P̄y m̄]

[A → O[1]] + [O[1] m̄ d Ā] → [ȦBP m̄]꜀ O[2]] → ꜀] m̄ A O[2]/ A +] + Ad [O[3]]   [ȦBP m̄]꜀ O → Ad → Ph - O[x]] +

[[NE] Ad → [Ȧ[0] E m̄] → Td +] + [AP[m̄ m̄ + R꜀] + Ȧd] + [m̄ Py → n] + [Ȧm̄ + T] Py +   [[Ȧ] ṁe]꜀ Ȧ[2]]꜀[Py] + [Ȧ] +

Å[Ad → Ȯ[x]] + [Py d Tm[nd] A D0/Py A A] → P[2] → [P̄y - 0 m̄ →] d]] d[m̄ Py m̄] → d →   [Py - d]꜀ Q̄ m꜀ [Ȧ] → Ȧ[0] - d

[P̄y - n] +] → [Ȧd] → P[x] + Q̇[Py - d] + Am[P[Py] m̄ pl → P[2] Py - n] → P → [m Py A   [Ad]] + [Ȧm] + P + [d] + [m P]

[Ad pl] → [Ȧ]] + [Ȧ] E P] +   [Ad]꜀[Ȧ] + O + [T m Ad] → [Ȧ[0] m]꜀ Q → [d → in]꜀[Ȧ] → [Ȧ] d → A Tm/m A → [Ed 0]꜀ Q → Ȧ[0] + A

Ompl → Ȧ[0] mpl → Ȧ[x] m[x] +   [Td] + P[P] Ampl + [ȦȦ[0] m e꜀ O][x] → [Ȧ[0]] Ampl → Ȧ → Å + m̄ → me → [Ȧ[1]꜀ Q Ep +

[2] E + Ȧ[Py - d[N] mpl →   [d] + pl → Ȧ] + Ad m → [Ȧ[0]]꜀ Q + Q[1] → Ȧ[1] +] + [Ph - O + Ad → [Ȧ[0] me] d → [A - A] + T[n]

[E[Nd] d → Ȯ[x] pl[E] m̄ m̄   Q → Ȧ[0]] + Td A[m] + [Ȧ[0][x] A mpl → Ȧ[0][x] Ampl] → [m + me] + E0 → [Ȧ[0][x]] 0

mpl → AP → E → E2 + AP   O + Ad + E[x2] + Empl Ad m + Ȧ0 d A + P[P] N - mpl - 0 → P2 + m A 2 0

A+ Tm Ad| + [Ȧp| + BP+O] + [Ȧp|cȦ] + [ṁP]c QBP] + P[1] A d/d A →+ mPY] →+ ȦP[m+QmP] +
ȦcP|Ac] [A A/Q A [Q] Ȧ[O]c Q[x] →+ BP] + p| →+ P+[iñ c Q][BP-O]m c Q + [A−A]m Ė]
c Q[3] →+ BP-O + [Ȧ]d + P[P] m A mp| →+ E + [Ād →+ Py-d ph A[x] →+ E] c Ȧ] + P[P]
[Nd]mp|[T + A[x] →+ [Mp] + Q + T-O] [Ȧ] + [T] + [T d]c[Ȧ] + P[P][Ȧ m̄] →+ Ȧ m̄p|]
p| →+ [Q[x3] + (mP]c Q →+ Q[5]] →+ d(NdEd + [T₀ d/(AO) Tₙ] P[P] A mp] AO] + Ȯ + Ad m p|

A →+ Ad P[P] Am] + [Ȧ] Ad →+ P[P]
Nd mp|] →+ P →+ [NE] + P A →+ Q[x] →+
P[a] + Q[x] BP-A + A BP/BP Ā P₁/P₂ +
[Py-O dPY-O[2]-N]c ȦQ →+ [PY-A
mp|[x] →+ P[P] →+ P[O][3] c M]] c Ȧ + [Ȧd]
→+ [Mp|]c ȦQ →+ [PY-N]d →+ [M]c Ȯ] +

Ȧ O| + [T m̄ ȦQ — AQ] →+ m̄ →+ (ṁP]c Ā[a]
Å[x] →+ [[T m O]c Q[T] →+ [P[n]]c ȦQ]
+ [NdE] + Ā[+ Tm]c Ȧ + [Ȧ in] + [ṁP m]]

[dȦd] + Ȧ[d] →+ [Tc[Ȯ][x]] + [Ȧmp|][d] →+ [P P̄Y−Ō] →+ [ȦE][1] + [ȦE][2] + [Ȧc d]m] →+
Ȧ] →+ [PȲm]c Q →+ A] + [Py d[NPY−Ō m p|] →+ [Q + ṄA]] + [Ȧ] + [Ad][Ȧ] + [Ȧ] + Ȧ[O]
Q →+ [N] →+ Ȧ[x] + Ȧ[m + Py] + [ȦQ d mp] + d →+ P →+ Ā + [Ad mp| →+ (m̄ →+ Ȧ] →+
[Nd[A[x] mP]c Ō + m̄ →+ Ȧ[Y]]m + [Nd] →+ Å[n]-O + [PY-P-d →+ ȦQ m O] +

[ȦO]c Å[Nd[nQ] + ṁP] + [Ȧd + Tm] +
Ȧd →+ p| →+ [Ȧ]d + ȦBP[1] →+ ȦBP[1]-[2]] +
Ȧd →+ (NĀ] + Ȧd →+ [m̄ →+ Py]c Q + Ad

[m̄] →+ [N-B] + [ṁP[x]]c [Ȧ] + [Ȧ][O] →+
[Py-O] - [PY-O][n] dM] + Ȧm] +
[in]c Q + [Ȧd] →+ ȦP] + ĀPY-d →+ [Ȧ]

[Ph-O]c[Y mp| →+ N] [Ȧ] + [Ȧ] + (mp| + Ȧ] +
A m/mp| A] →+ Ā[m] →+ [Ā m/mp| A →+ [Ṗ]c Q[Y]
(mph]d] →+ [P[P]] c Ȧ] + Q →+ Ȧ[P[P]-Ȧ]

P + Amp| →+ P + PPO + [Ȧd] →+ BPO[x] →+ Ad →+ Ō[P[x]O p| →+ BPO[x]] +
Amp| →+ P[2] →+ [P[x]c[Ȧ] + A + [Ō + B[O[1+2]]c Ȧ c P[x]
[in]c Q d Ȧ] + PȲ−Ō m →+ A] + [Ȧ] Ad →+ PY m[Ph] P[a]
c ȦP] [m̄ Ph + PY P]c ȦPc ȦQm + Nd ȦP] + [Ad Nd[n] Ȧ]

P + [Amp| →+ Ā] +
ĀEAd →+ P[Nd →+ PhO[x]]] +
P + Amp| Ā →+ P[2]]
[P[2] + Pyd →+ ÅP]

[PY m Ā] + [Ȧ] + Ȧmpy[2]] d
[ME]m No|-Ō[x]]c Ō[x] +
[NdE][n] + AmN] →+ E →+ [Ȧ]d →+
[Nd-Om]c [Q[x] A] +] + Am

[N]E] + [Py + Ad + Tm[nd A] →+ m →+ Q̇[ȦO]R[x] →+ [Nd Ȯ[+ ȦQ] + [m̄ + in[[A[x]]c Q̄[ryd]]m]c O]] + [AdTm] N →+ A[x]
m Ȧ + m̄ Ȧ[2]] + [[Ā + Å] + [M[n][x]] d →+ [NdE m̄ A]] + [A—Ad Ȧ[d-A]][PY-O] + [Ȧ[d-A]] [ȦNdE]c Å[3]
[Ȧd]c [Ȧ] →+ Å[3] →+ [Nd →+ Ō[x]]c[ȦO][n] + Ām[ȦO[d]c [Ad] + Ȧ] +
[PY + Ad] →+ Å[3] →+ ȦO[Ph + Py −n] + [Ȧd] →+ [ȦP[P] ȦO[+ṁP]]Qmn] +
+ [Ȧd] →+ [A c ȦO] + [P + Pyd →+ [ÅNE]m[PY] + O d →+ [m̄ PY ȦNE-O] m
- ÅP + A c →+ ȦO[x]]] +] + [[ȦE][d-PY] →+ C Å P[n][x-PY]] + A

[P + Ad + Å[M-n] →+ [ȦE]] + [ṁP + Ad ȦE d →+
ÅO[n] + ȦE[P] ȦQ] →+ [m̄[n]] O[x] →+ ȦE[2] +]
C[Å[2]]Amp|[PȲ-O] →+ [AO[2][n]] →+ [d-PY]]
→+ [n-m →+ [ȦO][x] + mp|]c Q[m] →+ [A[O][m]] →+ N

[Ȧ] + E + [ȦC[Ȧ]] →+ Ep[x]]c Ā] +] [Ȧ] + E + A[E] →+ Ep[x]]c Ā
[P]c Ȧ] + Ad[Tm] →+ [in c Ȧ] →+ [[A[O]mE]c[M][Ph]] + A[ṁ

[Ȧ] p|d →+ Ep[ṁP] + Ȧ[x]] d A| →+ E] + Ad[T]
P m] →+ [p|(mP]c [Q[d]] →+ Ep[P] +] + MAp| + A

c Q] →+ 7 [Ȧ[d] →+ [O[ṁP-d] Ph] + Ā[O]c O] + ȦQ[Ȧ[O][2]] −
[Py + in]c[ṁP]-O] + p| + Ā[dr + r] →+ P₂[Å[n]-p|]] d →+ [P] + [[Ad
[Py] →+ [O[Ph + Q[ȦO] R] m̄ →+ Py]c P[N] + Ad →+ [Ph m̄/mp| Py] →+ Ȧp|]]

[P[P] + [Ad][ȦȦQ →+ Tom] →+ E-N-A[x]] + P[P]
[m[N] mp| →+ [E A[x]]c Å] +] [T[d] m̄[n]] →+ m
→+ ȦP →+ Ad[N-m] →+ (ṁP]d]c Ȯ] →+ M̄[Ȧ]c O] +

→+ [Ȧ + ṁP]m →+ Ep-O]] + [A m̄/Ac A] →+ Ph[O] →+ [Td-O[N] O] + [Ad [Ph[O]] [O][x] Āmp|] →+ [m̄ ȦP][2]] →+
p| →+ [P[x] →+ Ep[x]] + [m̄ p| - A]d →+ [PȲ-Ō] →+ A[N]]
d →+ T[N]] + P + Ad m[P-N] →+ Tm →+ [Ā[2][d →+ Ȧ]] + [n-in] +
PY-O]d A m →+ T] [Å] →+ d(m̄ + [P[ADP]]] + [Tm Ad] + A[

[Ȧd[Py-Ā][PY m-O] +] [Ȧd[P + BP-O[2]] d →+]
[in + ṁO] →+ Ȧ[O] m BP-O]] + [P[B]-O[x] m̄ [P[a] - Py]]
P + [Tm[Py c d] →+ A[m̄]] + Ȧ[ṁP]m →+ p| →+ T →+ Ā

[PY] m̄ →+ [PY-Od[n-m]] →+ Amp| →+ [P + [BP] +] + Ad →+ O + [PȲ-O] +
m ȦP] + [Tm-Ad] + Td[Ā m̄ m Ȧ[O]c ȦQ BP A][PY-d m̄ Ph + PY]
Nd-Ā mp|[Ph] + d[n] →+ [Ad]] →+ [NdQ] →+ [Ep]] + P + Ad[PYOdN]

[Td]c Ȧdp|[T] →+ P + Ad[PȲm] Ā ȦP/ȦO Ā[ȦdN] + Ampl
[Ad mPY] + [P →+ Pd[N] ÅP] + [BP-O]c A m →+ [ȦP[x]] + [Ā[PY]
d →+ [N-Ph + A[x]] + [Ph-O]c P[2]-[n] →+ [P[1] d →+ Å[d]] +

[Ā]] + [Ad[PY m Ā]] →+ P] →+ Ad[P-n] →+ [Py-O]d[BP →+ BP] m̄ m̄ PY] + [PY Ad m̄ BP]c [BP]m]] + [P + Ad ȦO/Ā Ad] + [Ā + Ad →+ (ṁP] →+ Ȧ[O]]
Nd-O[x] PY-O]]m + Ā ȦdO/O[x] Ā + O[x] d →+ [ÅP][x] [n] →+ [Pm̄Py]] + [Ad[m̄ PY] →+ [Ad[2]] →+ P] + Ȧ[P] →+ [m̄ m̄PY] m Ā] + Ād →+
Nd[P] [N] [Tm] + [~~[+ + + A[P]~~] Am →+ [PȲ-O] →+ [Ā] + [T p|] + [Ad[Y m̄]] →+] + Ad m̄ [[PȲ-O + Q̄[Y-d]] →+ [c PȲ] O]
A mp| + d — Nd O - A m O E

[P+[Ad[Ā]]+[Pẏ-O+in]꜀Q]+ Ȧ[O]+[Ȧm̄+Ad]꜀ȦQ+ Ȧ[d]→[ȦBP-Py]꜀Q+[NdQ̄[2]]→[A[O][2]]+Ad→[Ȧ[O]-Nm̄]꜀Q̇→[Ȧ[O]

O][d→ȦE-O[n]]+[[m̄ PyȦ]+[Ad[N]-O]]+[Pym→Ph]꜀O[1]+[Ad[Pẏ-O]]꜀Ad→O[1]]+[Ad[m̄m̄Py-O]m̄pl

P[P]→E]]+[[N]꜀ȦP]꜀[Py-n]Ā+[T[Ā]+Ad]+[m̄m̄]+Ad→[Pydme]꜀→ÅP→P]]

[P[P]+[Py-m→[ṁe]]]+[[Py+Ad→[Aṁe]→P[P]]+[Tm+T]+[x]]d[A m/pl A+[T-O]]

[P+TmAd→P[P]dÅP[n]→A[x]]+ Ȧ[O]]→[PẏmPhd-n]꜀Q[Pẏ-O]][Pẏ-O]꜀A]+

[[Am̄BP]꜀[M]+[T-Ȧ]]+Ȧ[d]→[[P+ȦQ]dN]꜀O-ȦQ]]+[m̄Py+Ad→[in]꜀Q+A[Ȧ[O]]

→Ad→O[2]]+] Ȧ[d]→ÅP+[[Ȧpl]+A—A]+[Td]]→Ȯ]+Ȧ[Tm+Ȧd[m]]→~~A~~+[Ȧ[ÅP]]+Ad[Py-Ph]→

P[2]+ Ȧ[x][d+pl]→E[0]] Ad[PymPh+PyN]꜀Q→ÅP[n]]+[A[Ȧd]+[Nd]→[n]→]→[B-N]-O]+Ad+Tm→

[Ȧme]]Ep+pl→~~Ep[x]~~[E+mp]+ Ep[x]]꜀ȦO+[Adm̄pl→O→[E] +Adpl→Q̄[Ō][x]+O[x]+A[mp]→O[x]]+O[x][Ad→ [mp+in]꜀Q→d→Ȧ[O]꜀Q[d]]→Ȧ[n]]

Ad[B[N]]d→Ȧ[2][T̄Q]→]꜀ [N]→[[P[P]-n]→ÅP[2]]+[Ȧd]→ȦO[Tm̄ B-Nd-O]A+[NdȦ]꜀Q̇m→A Q/O A]

Qdpl[m] Ā[2]/NdE Qdpl[m]]+[NdE] →[B-N]dĖp[n]]+ ÅP+Adm̄→[N][x]→[in+me][x]]+[Q[d]ÅP]+A[d]→

[꜀ÅP[2]m̄→AP]→ÅO[3+4]] +[Ad→[TdQ꜀P][Ȧ꜀→P[P]]Ad+[BP+ȦQ[m Py-O]]→ Å[n][d]→[B[N]]+

→P[2]+[Tm]꜀Q→Ā[mpl]→ȦO[O n][x]+me]→[E-O]+[Å[T-Od-N]]→ Ȧ[P]AdBPA+[dr]+Q]+]+[Adpl→A→BPA[x]]dȦ] [Td[P[P]AmÅ]+

O+Ad→Q̄[Pẏ-O]]+AP+Ad+[Tin] +P[2]A[+m̄Ad→BP+Ampl+ṁpl[O]→T-O[x]]+ d+E[O]]][x]꜀]Ēd→

P+[A[Py-O]꜀P[2]N]Ad+][Tm]→P+A[Py-O[+Ph[O]mpl]P→Ompl+[Ȧ]d]

+T-O]+[[Nd]Ā+[m[n]]→[AmÅP[n]]꜀[Å[ÅP]→P]+[AP[P]-n→[Am̄[ÅN]d[n]]+[P→[ÅN]d[n]d→ÀP[n]]

Ep+Ampl [[Ad→[mp]+pl→[n]]+[P+[Ampl→[BP]dpl]m]]+[Ȧd]+BP[Pẏ-Od+Q[+in]mPy]+Ampl[2]→Ep]

[x]d→ [QdÅP]+A BP/O A+[Tpl]→[P[2]A]+[T2pl]→[ÅP[[Pẏd]A+]→[Ȧ[in]+[Pẏ-O]꜀QmA]]+[Ȧ[P]+[Ampl-d→]

Ep[2] [AmȦO[P]+Ȧd→[ABPA]꜀Q→mȦO[P]]+[Ȧ[O][x]]+]꜀*Q[x]→[NdTmȦP][Py-Ȧ[P] Ampl

[ȦP+Å]mpl→[E[1]+E[2]]+[ÅP[P]]+[N[d]pl-O]+~~P~~[ÅP[P]-BP]]꜀[[Nd-ȦO]꜀BP[O]→ÅP[P]]+[Adpl]]꜀[[N]-Ȧ[x]]+[Ȧ[

O]+Adpl→[N-B]꜀O[E]]+[T-O]d]+[Ad]→[ȦP[x] A mp/mpl A→Ep]]→Å]+[AdTmÅP[2]m̄m̄A]+Td→Å→

ĀQ[Ȧ[O]]]+Td[P→ÅP[d→P-n]+Ampl[m-T]]→pl→P[n]+Ad+BP-A[x]+[pl+dr]→Ep[Py-d→ṁpl→E[1]+

[Py-Ā[d]→E2][N]]+[Ad+pl+in]꜀QȦ[O]dE[O]]+]+[[Ṁe]d→P]+A+Qm[Pẏ-O]d[x2]]→[Ph-ȦBP-A]→[P+[Pẏ-O]d

[Pẏ-O]m][n]→P[2]+[Ad[Ȧ-in]Am[N]→P[2]][Py]+Ad[pl]→P[3]+Tm[N]+[[pl-pl]꜀TmN-A]+Tpl→[T-O]]

[P+Ad+[Am̄Pẏ-O]mN]+ P+Td[m̄→Py]+[A[in][x]]]d[Ĉ]+ÅP[N]d→[P[2]d→[ÅP[2][P]m̄]꜀Q+

Ad→[P[2]Ȧ→ÅP[x]+ȦQ]]+P+[Pẏ-Om]d→A]→[n-O]+P+ȦQ[Py][2]d→[N]-O[Py]→Ȧ[O]]+Ad m̄m̄Py-

O→d→[N]+P+Ām̄]Py]→Å[d→P[P]Ad[m]→O[Ȧd→Ȧ[O]]]+]+[Ad[m]]→+[Ad→Å[[Py-n]mPhA]꜀M→[Pẏ-O]꜀

[Pẏ-O]d+c→Ā→m̄→P[2]+Td-O]+ Ȧ[m̄-Py]+Ad→[n-d]Q→[n[2]dĀ[x]m̄]]꜀Å+[Tm[1]][[Py/Ph]A[Å]꜀[N][1]]+

[P+Ad→P[2]][T-O[me]+in+Nd]→[P] Ad→[Ṁ[n]→[Pẏ-O][n-d]+]+[ṁ[n-2]→[Py/Ph n]]→ÅP[n-d→ÅN]]+[Ad→T-O[O]]

P[2][n-d→T-O]>P[n-d→T-O]]+ →[Q+in]d+[Pẏ-O]]+Ad→[N-m+Td]→[[Pẏ/Ph][B-N]]d→[Py→[ṁ→E+

P+Ad→T[me]+m̄→P[T-d]]+ [ṁ→O]]+A[d→T-O+[ṁPy-n+Ph-n]]+[Py-pld→P]→[Ȧ[O]+[Ad]→Pẏ-O]

[Tm[N]-d[P2-n]]+ [[P+[Ad]]→[T-O[n-d+me]]+[Tm[N]-d[P2-B]]]+[[Ad→m̄[x]→[me][x]]+[Ad→Pẏ-BPm̄→

Tmd→Ȧ3+AdTmȦ→T0]+[ÅP[P]+Ad→[me-P][x]]꜀A+ [ÅP→BP+[in]me]꜀[d]A]+[Ad→[Pẏ-O]

AdÅP[O]꜀→[P[x1]+P[x2]][2n]]+AdP[P][x]+T-Ome]d]]+Am+pl→ m̄BP A/ m̄BP+[d]]+Ad→[x]→Pẏ-O[2]d

[T-O[2]+me]꜀Å[2]+AdPẏ-O→N]E0[T꜀Od→[B-N]]+[N[B]]d [+[Ām̄Pẏ+Ph]+[Ȧ[O]꜀m̄→PydmBP

-Å]]+[[Å[B[N]]]dÅP[x]Am→ȦO[Td-n+pl-O[x]]]+[[Ȧ[me][x]d]→[T-me]+[T[2]d pl]]+Td→ÅP+m̄m̄pl→E0→BPA

→P[3]+Ad→ÅP]+[Py-dm̄pl→d→ȦQ]+T]+[me][x]d→[P[P]+Admpl→E0[2]]+P+Ampl→E[P][[2]A]d[x]Py-P[P]

+Ampl→E[P][x]+[P+ȦQ-d→P[3]+[d]→P+[Ȧ[O]Q꜀[Py-d]꜀Q[2]BP]d[ȦQ]+P+[Py-O] [illegible]

P[P] [BP+A[mpl ⇄ BP = 0]+) [BP A mpl c O] +[Ȧd] ⇄ [in m+pl] ⇄ [Ȧ[o] d ⇄ O[x] +A[o][D] c A[o[3]]] ⇄ O ⇄ O[x]] +] A d m
Å[Ȧd ⇄ [Py m A] ⇄ P[o] ⇄ [P ⇄ ȦŌ[Ph - Py - n] d m]] + Ȧd ⇄ P + Tm + BP + A m̄ [Py - O[x]] [P = 0] + A d ⇄ Ȧ n [P̄y - O]] +] A d ⇄ [Py - 0]
c Q ⇄ [n̄ - 0] + [P̄y - 0] [Pn] c Q +] A d ⇄ [Pher A/d Phey ⇄ T + ȦE] m̄ m̄ ⇄ m̄ [P̄y - O] A m] + [[Py m A] c Å[Ō ⇄ d [n]] ⇄ P[o]] +

Å[d P[n] d ⇄ O[x]] d ⇄ ȦQ Å[Py - d]] -] + [Py d ⇄ m ⇄ P] c Å[m̄ m̄ [n]] + [P̄y m - n] Ȧ + P + [m̄ Py - 0] c Ȧ[Py] d ⇄ Å[n - A[x]]]
[Å[n d ⇄ AO[x]] + P[T - O[x] d N] R c O[Å[x]]] + [[ÅN - B] + [Ȧd] ⇄ O[x] n Ṙc] d ⇄ [Py m]] + Ad pl ⇄ O[Å][x] ⇄ P[N - E] +
[pl - Ȧ[x] ⇄ E0] +] + [in - d ⇄ ȦQ] - [Py - dpl] + [Ph - pl] d ⇄ E P[x] ⇄ d ⇄ Ȧ[o] - [E] + [O]] +] + Ȧ[o] + Ȧ[x] + [n A] m
[N - d ⇄ O[x]] + [P[A - n] + A d A ⇄ P[n] + [T - O[Tm]] + Ȧ[pl] ⇄ [E]] + Ad Py [Tm [n]] + Ȧ[pl] ⇄ P[3] + [[Py / Ph - n d E]] c A d [Tm [n]]
[Ȧ[me] d] ⇄ P[P]] + [Ȧ[Py - dpl] + Ȧ[E - pl][3]] c [D - mpl] + Ȧ[m̄] + [Ad [m̄ BP A] ⇄ Ȧ[o]]] +] c
[P[P] [3] m̄ d ⇄ P[n]] +] + P[P] + [in [me]] c Q + [Ampl + [T[n] Ȧm]] + [dr - dȦ] + Ȧ E0 + [m̄ m̄ d A[o]
m̄ Ep ⇄ d [N - P[n] Ā m̄ + [T - O] +] + [T - O] d ⇄ P[e][n] Ad el ⇄ [me] c d ⇄ E0 + Ȧd pl [n d] ⇄ E[n] + Ȧ[d] ⇄
P[P] BP Ad ⇄ P[P] + pl ⇄ ~~E~~ E[x]] + [Ȧ - d] ⇄ [Nd ⇄ Py - 0] c Q[d] ⇄ ÅP]] ⇄ < [Py - d - Ȧ] ⇄ [+ [Py m ⇄ Ph [n]] c
[P[n] + P[x]] c [P[P]] + [Å + Ȧ[3]] d [Ȧ - pl] + Q[x] ⇄ ÅP[2]] + [[in] d ⇄ Py m d Ph - O + Nd Py - 0] [d ⇄ [P̄y ⇄ O] +
[Tm Ȧ - d] + [Nd P̄y m][Tm] + [Ȧd] ⇄ [me] [x] c [P[P] Tm + Nd [ÅP - ÅP]] + [Py [m̄ m̄ ÅP] - d [in] [d P̄y - 0]] +) [3]
⇄ P[n]] +] + Ad [Pe] ⇄ [[Py + Ph - Td] + [n] Ȧ ÅP] ⇄ [Py - d ⇄ < [n] >] + [Py m̄ m̄ Py / Ph - < [n] >]] + [Å + Ȧ[n] + Ȧ[3]] c

[Ampl [x] P[P] c ÅP + ÅP[n] ⇄ [Nd] ⇄ ÅE[n]] + [[me][x] c] P[m d ⇄ P[n] + pl]] + [Ȧme c P̄y] ⇄ [Ȧ - in] ⇄ [Ȧ[d]] ⇄
[m] ⇄ [Pl]] + [BP - Ao] [d - Py]] +] + Ȧ[d] ⇄ [Py - d P - c] ⇄ ȦP]] + [Ȧ[x] ⇄ d m ⇄ Ȧ[d [n]] c AO] ⇄ [D] +] ⇄ [N - Ȧ] +]
[Ȧ[d] ⇄ O pl ⇄ A]] [Ȧ[Ad [me] + pl ⇄ O] ⇄ AE[n] ⇄ ȦE[2]] + [P̄y - 0] P + [Ȧ[d] + Ȧ[+ - d[T - n] + m] +] + Ȧ[Py [n]] d ⇄ O + Ad pl - d
+ Ampl] + Ad ⇄ me] c Qm + Ȧ[in]] c [Py m] ⇄ [ÅP[n - d] + [Py - A[d]] ⇄ ȦE[x] + [Ȧ - me] ⇄ AE[2] d] + [Ȧd] ⇄ [AE[x]] [x] c
[x] ⇄ [me] + ⇄ P[3] ⇄ [in + P̄y [n]] m O] m ÅP[Ȧ - P[2]]] ⇄ N d ȦQ] ȦQ m [Py - d] ⇄ O[Ph]] + Ad pl [m P̄y - 0] + in c Q

c [ȦQ [n d]] m̄ m̄] + [Ȧ[N] d Ȧ[O c d - [ÅP[n]] pl ⇄ [N]] + c Ȧ[n] ⇄ Ad P[P] d [T - O] R c [ÅP] + [Py]] +] + Å d ⇄ [n d] +] +

[Ȧ[n] d c [n - 0]] + [Ȧ[n] + Py c] ⇄ [n - 0] + < [[Am [Py - d [T - n]] + [Ȧ[d] ⇄ [P[n]] Ȧ]] +> < + [Ȧ - d] + P[3] + [Ad + [Tm [n]] + [[Am + [Tm [n]]
+ Ȧ[d]] ⇄ [Py - A] [m]] > + < + [Ȧ - d] ⇄ + [[Ȧ - d] + [[m̄ m̄] m̄] c [Py - d m̄]] c Q + [P[n]] + AO[n] + Ȧ[d - pl]] ⇄ Ȧ[d] ⇄ [BP - Ao]]
< Ȧ[o] + Ȧ[m̄ Py]] + [[dr + pl] d Ȧ ⇄ BP] c [pl - d]] + [Ad ⇄ [BP] [x] + Ȧ[d] + [Ȧ[ō - Ad - ō[n]] d] + [Ad [ō[n]] ⇄ [Nd Ȧ[o] d Ȧ[o]
Ȧ[ō - Ad - O[n]] d] ⇄ [P[n] Ȧ] ⇄ [P̄y - 0] + Ȧ[d - pl] ⇄ [Nd E[n]] > + < [Ȧ[m̄ - Py] + P[n] + [Ȧ[d + P̄y m [A]] + Ȧ[m̄]] + Ȧ[mpl]
[m̄ - A] + [T - O] Ȧ[me]] + [Ȧ[d - O] + Ȧ[d] + [Ad ⇄ Tm A] ⇄ Ȧ[mp] ⇄ AP [+ [Ȧ - d] + [me d pl] c Q + AP + Ȧ[AP] + [Tm
Ȧd mpl] ⇄ [P ⇄ Ȧ[P[n]]] +] + [T[O]] + [Am d [T[o] [n]/m T[o]] d [Py]] + [Ȧ[d] ⇄ [Ȧ c [n]] [d - Py] +] + [Å ~~+ [T d + O] +~~ Ad
[Ȧ[n] m] + [Ȧ[o] d] ⇄ [Py - d] ⇄ Ep + Ame] [Tme] c Qm [n] ⇄ [n - me + in]] d Ȧ] +] + [Ad Ȧ[Pl] ⇄ T[o] ⇄ [N - T] [me] +
+ [m̄ ⇄ d] d ⇄ O[x]] + Ȧ[o] m - d] ⇄ [Ȧ[o] - O]] Ad [n] [me] ⇄ T[o][n]] +] c [Ȧd] ⇄ [ȦQ m Ȧ[o]] Q m ⇄ T[o]] + [Ȧ - T]
+ [Ȧ[me]] c Q + Ampl ⇄ [d] ⇄ ȦE[P]] + Ad ⇄ E P[x] + [ȦE[m] d O] c A + [Ȧd [Ȧ[o] m - Ȧ[o] m̄] Q d ⇄ O] + [Ad]

Ȧm ⇄ [me Ȧ] ⇄ [Ȧ[o] A - A] + [+ [Py Ad m Ph] ⇄ P[m] - d ⇄ P[n] [T Q d me] + [Ȧd] ⇄ Ȧm ⇄ P[n] ⇄ [P̄y - O - d]] + Ȧ[m]
P + [Tm Ȧd] ⇄ [[P̄y - O d in m [n]] + Ȧ[O] + Ȧ - d ⇄ O[x]] Ȧ[o] d [N n E d A]] c Å] . + [P[n] [Py - Ad [N] + P̄y [o]] [x] Q
d ⇄ ÅP[n]] + [Ȧd] m Ȧ[in]] m [Py] + m̄ [P c ÅP[n]] + Ȧd ⇄ [Ȧin] ⇄ [P̄y - 0] c Q [d - n P̄y O] + d ÅP[m [n]] + P[o]
[Ad c [N] +] +] + [P + Ampl + Ȧ[P - Py]] + Ȧd [in m A] d +] c Ȧ[d ⇄ m̄ pl + m [n] ⇄ O] + [Ao [P c Ȧ[o]]] ⇄ [Py d ⇄
A[]] + [[in] d [N] m̄ ⇄ P[n]] d ⇄ A[P] + A[d] ⇄ ABP n]) +] + [Ad ÅP c [ÅP[Py + [n]] d ⇄ Å][x]] +] + Ampl ⇄ O

[Ad] + [ÅP[N] d c] ⇄ [ÅP[Py - n] d ⇄ Å][x]] c [P̄y - O d ⇄ P]] + P + [T o d/Py [1] T o] m A ⇄ [P[n]] d ⇄ ÅP[x - 1 - 2] m̄ P̄y / Ph] +
[T o d ⇄ Ȧ[o] ⇄ Å ⇄ [m̄ m̄ Ph + P̄r]] + [P + [Py - d] + Ad mpl + AO + d + Ep + E[n] m Ao + ÅN d O]

[Å+[Ad→Am]→[T[0][me]d O−O]] d→[A m[A[ȯ]+Ph[in]]+A m̄] d[Py−À]+Ȧ c→Â] +[me+in]d→ Py−O]+Py−O]] x[2]d [A]]+Ä[d]+Ad→E[0 mpl]c[E O[2]]+] + [Ad→E[0] Ā mpl+[A[pl]]] + P+Ampl→ BP[x]+ mpl→E[0]] +[[À−Py−d] +[Tm Ȧ A]d Ä]+ Ad→[n]→(P[Py−0]]+ Ad+Ȧpl→Ä[2]−d Py−0]]+ Ȧa+[Ad+pl+Ampl]]→d[Py−0]+] + Am+

[Å[m̄]d[m̄ Py]]+Ad+[in]+d→Å→Å[2]+[Ph−O] m̄[Py]→Å[2]]+[À−[O] m̄→[Nd Å[x]]+ Ad→pl→O[A−2]]+

P[p][Ad−O]→mpl→ȦP[p]→[Ȧd mpl→](ȦE]→[n]]+[Ȧd][Ȧ[n]]→ȦE[2][n]]+] [Ad→Ep→ȦE[3][n]]+ Ad+P[0]
[Ampl+d]→ Nd ȦQ→A[ȦP]]+[Adpl→ȦE[3][n]]→m]+Adpl[1]→ȦE[4][n]]+]+] A+A[w d→Ampl]

[Ad+[n]+[A[in]+ȦQ]m[Py] c[Py−O]d]→[n]d→O ȦO]+[m̄ Py]→[[ȦO]+Py c→ O[x]→Ph]+[Py−O d Q]→ȦO]+ Am
Å m̄[Py]d[Q[n]]→[Q me d O[ph]]+[Å[Ȧ me]d→O[mpl]→[ȦQ][Ān−d Ȧa]]+]+[T−O]d→P[Py m ph−O]c A[mpl]
d→P[2]+ Ȧ[m̄ d Py]→[BP[[Ph me]d ȦPy]] m̄ Ampl]+[Åd→[T−O Ȧc Py−O d→P[n]]+][Å+[m̄ Py−d]+[in]d[n]P m̄]+
[ȦP[n]+[Ȧd→T O]+ A[m̄[m̄][m̄]d]→P[2]→[N−dE]+[Ad m̄ Ȧ[0]→Adpl→Ph−O[x]]+[Py−O][n] Ad→m A[0]
+ Ȧd→[A[0]+Ȧ[0][n]d]→Ȧd→P[2][Py−d m̄ Py/Ph]]+]+[Ȧd→[Py−O m]→[n−d]→[Å[Py+Ph−n−O[x]]→ȦP
Ad→[me] ÅP[n d P][2]→[Ȧ] [Ȧ ā]+]+[ÅP[x][n][Ȧ]+]c Å[x] Ad→ ÅP[P]→Py m Ȧa→ Nd→Å[x]]→
Ad[m̄ m̄[m]]→d→Py−O→[P[3]] + Ad→Ȧ E m→[n d m̄[x]]→O[x]]+]+Ȧ[m̄]+Ȧ[ȯ−ȯ−d]+A[P[1]]→~~[ȦN]~~
d→~~Å~~ A[[ȦN]c[d] ȦO[x]] Ad→Ȧ[me]d→[in]m Å + Ȧ[d−d Ȧ[ȯ−ȯ]]+ [in]c Q d A[P[P−d]]→[m̄ ph/Py] d Å[n]
Ad→[in c me]d Å[2][m̄−me] d→[m̄]]+Ȧ[m̄]] | Ȧ[d→[O]c→[T−O]+[Am[T[1]]]+ Ȧ[pl−d→[O]c A[d→[0]c→Ep]]
d→E[0]]+] P+[Py−O m]d[d]→[m̄e−Py]] d→[Py− | Ȧd→A[0]]+ P+Ad[pl]→[[P]−d]c Q̇ ȦP] [E0]c Ad pl]
O[2]]c→m̄→[ÄP[2]]+[T−O[x]−T−O] d→[P+BP Ad→ | +[BP[d]+[dr]+]+Ad→ ABP→ [Ȧ[0]+Ȧ[0] m̄]c Q̇d→N
ÅP[1]][x]+[mpl P[n]] +]c Å[d−Py−O]→P] + P | d E[0]]+Ȧd→[in]d→[Py n]m→[Py−O]d→[Py−O[2]]→T−O[n]]+

[[me−d]Ȧ→[ȯ+Ȧd→[ȯ]c Ȧ[d]→[Ȯ]→ȦP] A[mpl[B−pl[d]]]+[Ȧ−d]→ A[mpl[Py−d+[dr Ȧ]+[T[1]m]][2]→ Ȧ[d]→P[2]
Ȧ[d]→Ad pl−Adpl]→[A[dr]+pl]+[d]→[Ȧ[P[2]] dpl]]+[ÅP+[Ȧ[me]] de Q m Ampl]→P[E]]+ Ȧ[d−[O]c A[P
A[m[B]+pl][Ȧ]m[T[1]]+ Ȧ[me d]pl→Ȯ[ȯ][x]−ȯ[d→d→Ep]]+]c Ȧ[d→[Å[2]]→[n]] +[Py−n m Ȧa]
+ T[A]c→[[Ȧ[0]Py[d]in]+[N]d→ ABP[x]]+[Ampl→d[pl→P[2]]+Ȧ[BP−Py d]A−A[d][1]→ A m̄ P[2]]

[Å[[Nd O[x]]+Ad→[in−d]c Q→[N]]+Ad→[ȦQ]→[[Py−O[x2]]→Ȧ[n]]]+[Ȧ[d]→[m̄ d→m̄→[Å P→N]pl]] Ad→
[N[m]]c Apl]+Ȧ c→ÅP[2]]d[m]→[Nd→P[P]−[Py d]+n[me]]+]+ ÅP[d→[[P[P]−ȯ dm→[Py/Ph][N]→P[P][2]]−Py−d]
c Q̄d]→]+[Ad]+[me][x]d→] + | [Ad−pl→Å+[[me[x]d→ N[T[0]]→Ȧd]→[Py−d[N][2]] m[A−Td]pl→Py−O[x]] →Å[2]
[T]+]+ Py d[Ampl]+[Ȧ d pl]]→ | Å[d]→Ȧ[me−d]→Ȧ[d][x2]→[[Ph d Q[n]]d→Py−in d]c Q→[m̄ O[Py]]→[A[c]]m
[ÅP[n]+ Ȧ[P−d]+A[d]]+[A[d][2] | → Py[n]]→Ȧ[d][x2]→[n[O[x]]+ Ȧ[d O]→]+[Ȧ[0]m̄]+[Ȧ[ȯ]c Ō]m̄→Ȧd
ÅP[2]+ Ȧ[d][3]+[[T m[3]−d] | +Ȧ[d]]+ Å[Ȧ−d]→Ȧ[P−d]→Ȧ[d]→[Py−n m→ Td Py Ȧ[x]][Py−n]]+
~~Py−o~~ [Ȧ[[Py−O m]+d]+Ȧ[d]+Ȧ[P]+[Py−O c A]]d→ Ȧ[P−d]→[[P d n][Py A]c[Å]+d→ in+Ampl]m→
ÅP[Nd]BP→Ȧ[ȯ]]c O+Ȧd→ÅP+ȦQ]→d→[Py−O]+[Ȧ[d−O]→[Ȧ−d→[O]mpl]c A]+[pl[d]→m]+[pl→O[d]m
→A]+Ȧ[d→Ȯ]→[me+in]Ȧ]c Q m→Ä[Ȧ[dr+m−d]]+]c Å+Ȧ[d→P+Å]+[T m−d Ȧ]+[T m−d Ȧ][2]+[[in+
me]d]]+]+[Ȧ[d−ȯ]→[[Ph/Py m̄ Ȧ]c Q d→Ȧ[0]+]c [ȯ]] Ȧd→[[ȯ][2]c→[ȦP[P]]→[[Ȧ][in+Py−O]]c Q+
[ȦE[N]d][Py−d→n[P[P]]]+[Nd[Ȧ[ȯ]]Ȧ[Py−O]d[Ȧ]]→N→[2][Ȧ[P[P]−me]c n]c Å+[[Ȧ]+Ȧd→[Py−O]m+c→
[ABP[2]P]→ Ȧ[dr]→~~Å~~ [Py−O]c Ȧa+ ȦO[x][d→N Ȧ]]+ P+A m/BP A→[Ph−O]+Ad~~pl~~[−d]→P[BP]]→P[P]+
[A−A BP[2]mpl−pl]d→[Ad[pl]]→P[P]]+[P[P]+[T[1]Ȧ+d]+Ȧ[d mpl→T[1]m Ȧ]+[Py−d]→P[2]n−d Ampl→P[P]]+O+
[T[1]m A]+O d Ȧa]+[Py−d→ Å[P+Ȧ...+O]+]+]+[Ȧd→[me d T O[m̄→Py]]d→[Py−Ȧa]d→ N[P] d Ampl ȦE]

[PẎ-O] Ad + [in] d →] pl → [T-O] + Tm Ad → pl + T[me] → [m̄ m̄ Ph + PẎ] → [Nd Å P[P]] + [PẎ-O]m ÅP[n]] + [PẎ-O]c Å]
Å d → [PẎ → O] + m̄ m̄ PY] +] + [P + Ad → P[2] + pl → Å[d → At] + [PY d m Ph - O] d → P[2] d PY m[2] A] d P + A me
→ [dr - Ad → P[2] d] + P + Ampl] + [T-O] → Å] d → Ampl → At[me] pl → [dr] → P[2] + [[PẎ - O d[n]] c[Ph] O][x] +
Ad [m̄ m̄] d PẎ-O]c ȦQd - Ȧpl → Å[O[x] + [A[d PẎ[x] m Ph]]c O[x] + [AQ[d → [me] → O]] +]c Ad → [PẎ-O] m → ÅP[P]
[N] d P[P]] + [Å P[A]) + Ad → PY d [Å P[-d P[n] → m̄ A[x]]c Å[2] → [PẎ - O] d m Ph A[x]]] + [Ad → ȦQ[d] → Å[Ph/PY-n]] →
ÅP] + [Ad → [n-d Ō] + [Nd m̄ Ō] m̄[n][x]][x] + [Å P[P]]c[N] → Ȧ[x]] [PẎ d → Ph]] + [PẎ → O] d m[n] d → [[m̄ [m̄ [Ph-B]c
[n] d [PẎ-O]] + Ad → Å P[P] → [PẎ - O + N]] →]c Å P[x] [Nd → P[m̄ m̄ Ph/PY] → Nd Å] d PẎ-O]] + [[Ȧ[O]]c PẎ m - PY-O]
d ȦQ] [m̄ m̄] → [A Q me] d → ÅP[P] → [N[d] O] +] A[T d Ȧ] m → [[PY/Ph]c Q → Ȧ] c ȦD[m N[P[P]] → [[T-O d n]c
d Q → [N][2] [Å m Ph/PY → O[x] d[N]]] c Ȧ[+]] +] + [Ȧ[PY m d] + Ac + Å → d → O[x]] → Ad → [i] me - A] + [PẎ - d Q]
N] → [nd A[x]]c Å[x] → Ȧd → [Nc A[3]] + Ad[m̄ m̄ mpl]c A[me] d → [PY - O + in]] → Ad → [PẎ - O] + Ad [PẎ - O]
+ Ad → [A in + mR] - [A me]c Å[4]] → [T-O]c[[T O d[n] → [N-B]] + Ad → [m̄ m̄] Ȧ] [m̄] d [Å[5]] → [N[x]]c Q
PY m] + [Ad m̄ → [Ph/PẎ] + A] + Ad → [n[d]]c Ȧ → Ad → [AQ → ȦE] → [T-d] A[d m h] → A[d pl] → A[P[e]
[Å[Å]]] → Ad → P[P]] + TAd] pl [2] → m̄ m pl → Ȧ[P[P]] → [Ph-[B] → !] + [Ȧ[m̄]] + P[n] Ad → [me] d → [Nd
[O] → ~~[Nd] plō [Ō[Nd]~~ [[BN] d] Q → [[P[P]]a + PY-in]c Q → [N-O[x]] + Ȧd → Nd ȦE[n] + Ȧd[O[2]] → Nd ȦE[n]] c Å
Ad → [Ȧ me] m d → [N[O][n]] → [N[O][2] + Ȧd pl → me]] → [Ȧd] → Ȧd]] → [[PȲ - O d in] d Å[2]] [[A[x]]c Ō] +

[Ad [Nd Ph Å[T-O d][x] me][n] c[Ph[O]] + [A [Ȧ[Ph] A - O[x] n[Ph]]] d[PY-d] → [[me] + Ȧ[d pl] → [d] → [me][x]] +]
[P + Ampl[dr] + [Ad]] → [A[i] me] → [[PY m + O[d → PȲ-O]] + [P + Ȧd + in] + A[mpl]] + [ÅP[n] + [T Ȧd] → [[PẎ m Ph] A
→ [P[2] Ad]] PY Å[pl[N] d P A m̄ m̄ P] + P[n] + ~~Td~~ ~~Td~~ [Tm[d] → [A[d mpl [Nd → BP[d] A]] → [P[2] d Ȧ] → [Ph/PY]c Å]
d [PȲ-O] + [PY m d Ȧ] + [PȲ-O] + ~~Ȧd →~~ [Ȯc Ȧ[2] Nd Ȧ - Ȯ + Ȧd → PȲ-O] + [[m̄ PY d] Ȧ] + Ȧ[P] → [Nd - Ad
[PY][T[n] m Ȧ]] + Ȧ[d] → [[PY/Ph]c A] + [ÅP - Ȧ[d] →] + [[N-Ph d O[Ȧ[O] + in]]c Ȧ[A + dr]] c[A]c Ph[Q][T[n] m A]
Ȧ[dr] + d] → Ȧ[BP] + A[d[T[n] d m Ȧ]] → [Ȧ[d + Ȧ me]] + [me Ȧ + [T[n] m]]c ȦQ[Ph m d]] → Ȧ[BP] + A[d] +
Ȧ[dr + pl d] A[T[n]] + [Ȧ[d] + [Ȧ[d]] ~~Ȧd~~ [E[P] + [A $\frac{d}{pl}$ Ȧ] + [dr + pl Ȧd]] + [Ȧd] + Å P - Ȧ[d]] + [BP + me] d Ȧ] +
Ȧ[me] + ~~Ȧd →~~ [Ȧ[dr] + Ȧ[d] → [[Ph EP + Ph O] N[Ph] d m̄]c Å + Ȧd → (BP[x]] Ȧ) + [ÅP[Ȧd →] + [Ad pl][T[n]] → A
Ȧ[dT] + [ÅP - Ȧ → d] → [[ÅP[x] Nd → Ph m O[n d pl O → ÅP]]c Ph[Q]m + ÅP[x] + Ȧ[d]] → [BP - ÅP] → Ȧ[d] → [me Ad pl]
Ȧ[dr] → Ȧ[d] → A[d]] → [ÅP[3] → Ȧ[d]] → [Ȧd] [Ȧ[O] m[n] d ~~B~~ O → Ȧ] m d[me]] → [Nd[Ph - O] + Ȧ[d]] + Å[3] Nd → Ph →
[BP]] + Ȧ[ÅP[3] d] → Ȧ[Nd BP][x] + [T[1] d Ȧ] → [Ph m d][T[n]m] → Ȧd] → [me][x]] → N[x] d → ȦBP] + Ȧ[d]] →
[Nd Ph-O [m̄ PY[n]]c[PȲ-O]]c Q̄ + [Ad $\frac{1}{}$ Ad] A → [[Ȧ[O] d N → ÅE]c A[mpl - mpl]]c Q → [ÅP[A[T[PY n d]] + [A
m̄ m̄] → [in + me - A]] d [m̄ PY] d] [PȲ - O] +] + Ȧ[d] → [T-O] +] + Ȧ[P] d → ~~T~~ [T[2] Ȧd]] + [PY A - A] → [Ȧd] → Ȧ[ȦPY-O]
ȦP[Ȧd] →] + Ȧ[d] → [Ȧ[n] d P - Ȧ + d →] → Ȧ[P[2] - d] → [T[n] d Ȧ] → [[Nd ȦE] m̄ d] Ȧa[PȲ - O d] → [A[T[n]m]] + Ad]
[P[3]] Ȧ - d[A P[n] d →]] + Ȧ[d]) + Ȧ[d[Tm]] → [PẎ - O][n]c m̄ Ȧa] → [PY → A - A[m[n - PY]] d → Ȧ[d] Ȧ →
[Ad[N - P[2] d - O]] + Ȧ[d] → [P[2] Ȧ - d]] + Ȧ[d] → [[in + me] → PY] + Ȧ[d] → Ȧ[me] → [P[e] Ad] + [Ȧ[d]] → ÅP
Ȧ - d] → [Ȧd[T[n]m]] → [Ȧ[P]-d] → [Ȧ[P[3] P[2] Nd]] → [BP[n] m] + [PY N] d → [c] → [[Q[me] d ÅP] d → T[O] +] me] + [ÅP[d]]
Ȧ] + [Ad[PY d][T[n]m] + Ȧ[d] m̄ m̄] → [PȲ - O] + Ȧ[d] → [ÅP[2 Ȧ - d] + [Ad[T[n]]] + [Ad]] → [AP[N] d][n] + Å [Ȧ[d]]
+ [Ȧ[d][2] → [E[P] → [P[P] Ȧ[d]] → [Ad[c] + Ȧ[d] → [Ph[O]] + [pl $\frac{m}{[P]}$ pl]] +] + [T[d Ȧ] + Ȧ[d[T[n]m Ȧ]] → Ȧ[d] → Ȧ[d][m[n]]
Ȧ[d] → A[me]] + Ȧ[d] → [[N][d]] → ÅP]c ȦQ[d] → c N[d] d ÅP[2]] + [Ph Oc Ph m d pl] Ȧ → Ȧ[d] → [[E[P] Ȧ] + Ȧ[m̄ PY d] → T O d
→ [[Nd ÅP[x]]c Ȧ[n] d]a Q[d] → Nd ÅP[3] Ȧ[P d]] + Ȧd →c Ampl] d → ~~Ȧ[me] →~~ [Ȧ[d]c Å] + Ȧ[d] → Ȧ[d] → Ȧd[n]]

[py ephcn] Å] m̄ [ep-N] d →P[3][n]] + [Ȧp-d] + [Ampl → me Ad → [Ep] →] c [d] → T[o]-Ṙ [a] [m̄ d m̄]] + d] → m̄ → phcn] d

o m phcn] d O] → Ad → [Ep[x] Adpl → (mp] + [c] → Ep[3]] + [Ȧd] → [[ḋ] → O][x]] + [Ȧd + c] → [Py[n] d A][m-d → [ḋ]-d

c[Py[n][d-o]] → Ad + [Ampl → Ȯ[x] + Ȧc → Å] + Ad → [[m̄] → [py-Nd] → Ȧ] → [Nd → O[py-Nd m] → Ȧ[a]] + [Ȧ d → Nd

→ O[Ȧ-[n] d [n][x] m O] + [Py[n] d m] → Å[d [py n] → [py-[n] + ḋ-o] c → [[PY[N][2]] d → Ȧ → Ȯ[x]] + (T[o] + Ȧ → mp-d] →

d → [m̄]) + [Ad → O[x-2]] → Ad-c Ȯ[1] → [A[m-[n]] + Ad → Ȯ[2] → Ad[pl-d] → [Nd O[d → A[x]]] → Å[c Q]

[P + Ad → [P[2] + [Ad mp] c → O[d]] → Å] → Adpl → [mp-Ȧ] + A[ȯ] d → phcn] d O] + A[A-m̄pl c [Ad → O[x16]] c O[n]

→ [Ad] phcn] d A[c] → ȦP d][n]]] → [ȦP[n][a]] + Ad pl → [ȦP] c → Å[phcn] d O + Ḋ[n]-dpl → AP[3] [Ȧ-d] → [ȦP[4]

m̄ m̄ ph (py][n]-ȯ] [T[o] + Py[n] d c → Å] + [Ȧ-P[3] d] → [m̄ Ad] [py[n] d m̄ → [ȦP[n][2]] + [m̄ → py + py[n] d → [Ad]]

→ Ȧ[+ c → [Ad] → [ȦP[n][2]] [Ȧ-d]pl → [Ȧ-pl] → [Ad] → [mp-d pl Ȧ] c O[x]] + [Ad] → [m̄ ph (py]c [Ȧ[a] d → [ȦP[x]]

→ Ad[c] → ȦP[n]] c [Ȧ-ȦP + [n] d]-E] → [ȦQ[1] d → [APphcn] d O[Ȧ → AP[BP]] + c Å → [Ȯ][1] → Ad] c ȯ[x] + [Ȯ[2]] →

[Ȧ me d]-o] [py[n] d] → [Apl c → Ȧ[d][d]] → [Ȧ P[3]-d]-pl[n] → (py + ph c Å[a]] + [T[o] d c T[n]]] pl → [T[n]] Ad → [T[n]]

[Ȧ P[3]-Ad) + [phcn] d = Ad][BPȦ a]] + [Ad] → [[n] c Ȯ] → [Ad → Ȧ-c] → [[n] c O[x]]] + Ȧpl c Ad] → Ȧmp d] → Ȯ[n] [n] Ȧ]

(→ ȦP[3] d[n] + c →] → [ȦP[3]] Ȧ [[n] pl d → [P]] + [Ad] → T[n] Ȧ] +] + [Ȧ-P[2] d] + [Ad c phcn] d [O[Ȧ]]][T[n] Ȧ]] → Ȧ →

[Ȧ-Pd] + [Py-A[d] → Ȯ] Ȧ] + [Ȧ-P[d]][a] + T[3] Ȧ] c [d]] + [[phcn] d O[BP-Ȧ]] c [Ampl] [d-py[n]] + [d → Ȧ]] c Ad[mpl] +

Ȧ-d[+pl]] → [Ad] → [[N][d → O[x]] [d [py + n] → [N] m ph [d] A[x] → [Ȧ[mp] → [n]] + pl [d] → [N]] c Ȧ[x]] c d[Ȧ-O] → [phcn] d O[Ȧ

-E]] + [[n] m → phcn] Ȧ a [d] → A[mpl → BP[x]] → ȦP d → [n] c → [OP[x] d] [Ȧ-P[phcn]-O]] d → PY[n] → [py-ȯd → ph Ȧ]] + Ȧ[m]]

[PY[m][n] → Ȯ[x] Ȧd] → [[Ȧd] Ȯ[2]] c → [Ȧ-P → [n]-mp + d] pl] c [d]] → Ad → [n] → phcn] d O[Ȧ → E][n]] c [Ȯ[n]] +

[Ad] →] +] + [Ad[c]] → [[m̄ d PY[N]] d py[n] d [O]-d → [Ȯ[2] → [n[x]]] c [phcn][m]] + [Ȧ-P[d]] + [A[d]] + T[2] Ȧ]]

[[Ȧ → O]]] + [Ȯ[1] Ȧ] + [[Ȧ-c]-Ȧ → Ȯ[n] [Ȯ[a] Ȧ → [Ȯ[1] → [n[2]]] → [n][x]]] Ȯ[n] Ȧ]] + [[Ȯ[n]]] + [[Ȧ → Ȯ-[[n]-Ȧ]]]

[Ȧ[mp] + Ad]] + [[n]-Ȧ → [P]] + [Ȧ-pl [d]] + [[Ad] → [Ȧ[o] d → phcn] d Ȧ] c Å] + Ad-T pl d] → A[mpl]-Ȧ]] + c Ȧ

[x[n] + [n]-Ȧ]] + [[Ȯ c → [n]-Ȯ]] + [[Ȧ-n] Ȧ → N]] → [Ȧ-[[A][n]-Ȧc → [Ȧ c o]] c → Ȯ[n]] c Ȧ] + [[Ȧ] → [n]] → [x-n] Ȧ → Ȯ[x]] c →]

d →] + [[A[c] + m-pl]] c [Ȧ → [a][d]] → Ȯ] + Ȧ[Q] → [Ȧ[c]] → phcn] d O][x] + [O-Ȧ → n]] +] A[d]] → mpl A[c] d →

Ȧ][x] → [[Ȧ-[(Ȯ[n] Ȧ → [n]] [ȯ] c → n]] + [[Ȯ-Ȧ] Ȧ-c → Ȯ[1][n]] + [[N]-Ȯ[n]]] + [Ȧ-c [Ȧ → Ȯ[x] → n]

mp → O c → [n[x] → n[x] [x]] + (pl c d] Ȧ + [Ȧmp + [d]] + Ȧ [c] m d] → phcn] d O → Ȧ → E] + Ȧ-c] d m[n] d O]

[n[x][n] [Ȧ-[] Ȧ → [x-n] Ȧ → Ȯ[x] c → n[x]] + [Ȯ[x] [Ȧ → [N] → [N-Ȯ[x] Ȧ → [n]] → [c] → [n[x]]] + [Ȧ [Ȧ-c [Ȯ[x]] →

[Ampl[c] → phcn] [O[BPȦ]] c A[A] + A[ȯ-ȯ] → [pl Ȧ[d]] → phc[] + Ȧ-c ȯ]]] → Ad] phcn] → phco] + Ȧ →

[c] + [A-n c → n[x] → N[ȯ][2] Ȧ → Ȯ[x]] → [n[x] c → Å[2]] + [N + Ȯ[n]]] c Å[n]] + [[Ȧ → [N-[ȯ]] + Ȧ[x]]

Ȧ[n]] + [[phc o]] + A[d]] → Ȧ[ȯ] → phc[n] [d] → Ȯ[2] → [n]]] + [Ȧmp d pl → Ȧ[ȯ] Ȧ → phc[n] mp[2]] → [Ȯ[Ȧ] →

Ȧ[n]] + [[Ȯ[Ȧ-N]] Ȧ → [Ȧ-N] + Ȯ[N] Ȧ → N-Ȧ → Ȯ[x]]] + [[x-n] → n[x]] → [Ȧ[ȯ][n] c → Ȯ[2]] + [Ȧ-c] → O

Ȧ[a] → [n][2]] + Ad c + pl → [Ȧ[ȯ] → mp] → phc[o][x]] → Ȧmp d → Ȧ[ȯ] → Ȧ[c] Ȧ[ȯ][m d][x] → Ȧ[d] → Ȯ[x] c

Ȧ → [x-n] + O[x-n][2] c → [N]-Ȧ → Ȯ[x] → N[2]]] [x-n] Ȧ → [Å] → [O → N]] + [Ȧ - [Ȯ[N] Ȧ → Ȯ[x-n]]

Ȧ → Ȧ[ȯ] c Ȧ[A] m]] + [T[N] Ȧ → [[Ȯ][x]] c → Ȯ[x] → n]]] - [[N-Ȧ → T[o][x]] d → T pl → Å → T[n]] +

Ȧ[N][x] c → n] + [[x-n] → Ȯ[x] (→ n) - Ȧ]] [A [[Ȧ-n][x] Ȧ → Ȯ[x] → Å - Ȧ → n]

Ȧmp d → [mp-n]-[x]] Ȧ → Q[m] → phc[o] + [Ad → Ȯ[2] → phc[o][2]] + [A[m]-[c] d → Ȧm] + [c][x] → [n]] Ȧ]

Ȧ-n] Ȧ → [x-n] c [x] → Ȯ[N]]] + [N[ȯ] + Ȯ[N] c [x] + N[ȯ][2]] c + [[Ȯ[n] → Ȯ[x] c → [x-n] → [2]] +

[2 →]] Ȧ] ←

$\left[\frac{P_{(0)}+A_{[x]}B_P}{P\,b]k\,\overset{o}{A}T\overset{o}{\overline{m}}T}\right]+\left[\frac{P+A+BP\,m\,pl\,n}{[T_{1,y}+E\,d\,O]+T_{[x]}\tilde{}A}\right]\overset{c}{+}\left|\frac{\overset{o}{A}}{T}\right|\times\left|\frac{A}{T_{(2)}}\right|+$

$[\dot{A}O+at+\overset{\dot{m}}{at}_2+\dot{T}]_c\rightarrow[P_{(P)}\underset{+}{\rightarrow}at_3]\underset{c}{\rightarrow}N_o\hat{C}>+<(N_o\overset{o}{C}-g)^c\rightarrow\langle\langle EnV-QA\times 2+]$
$[\dot{A}m-noc>>+[(P-P)^c_{(P)}\times\dot{5}]\rightarrow EnV+dir]+[{}^{obj}_{c}+oct]+<P_2+\langle\langle[BP^{\overset{\dot{A}\;c}{o}}_{(BP)}+0]\rangle\rangle]$
$[+\dot{A}(m)^{P_2}_{c}+\dot{A}\,Obj]+[EnV-\overset{A\cdot c\cdot m}{noc}-g-Obj]+\dot{A}O\underset{+}{\rightarrow}[AO]\underset{c}{\rightarrow}[ot\underset{+}{\rightarrow}EnV+ot+\overset{c}{EnV}+0]$
$[+P+ot\underset{+}{\rightarrow}mod\underset{A}{\overset{c}{\rightarrow}}P_{cclm}\overset{\bar{o}}{}+ot]\underset{c}{\rightarrow}(\dot{A}O)+T+O+oct+m\underset{+}{\rightarrow}\dot{M}\underset{c}{\overset{A}{\rightarrow}}Q]+P_2+oct+[in\;rl]$
$[+EnV[0]+act\underset{+}{\rightarrow}EnV^{o}_{P}+oct+O-\overset{c}{EnV}\underset{+}{}oct]+[P^{o}_{(P)}+N\overset{g}{O}C+\bar{Q}A\times 3/2\underset{+}{\rightarrow}P_3-g]$
$[\rightarrow act+<int_{\times 2}+QA\times 2+int_{\times 2}+\bar{Q}A_{\times 2}>(+EnV_P\underset{+}{\rightarrow}\bar{Q}A\,m\underset{+}{\rightarrow}P_{sy}]+<P\overset{o}{+}oct>\underset{c}{\rightarrow}<P_2\underset{+}{\rightarrow}]$
$[\overset{m}{a}ct\underset{+}{\rightarrow}P_2>]\underset{c}{\overset{\dot{A}}{\rightarrow}}[\dot{A}O+dir\times 3+oct+dir\times 3+pl+T+noc-n]+P+oct+P_+]+[Act+P+]$
$[oct\underset{+}{\rightarrow}P_2]_{\times 3}+\dot{m}+oct+\overset{m}{\ddot{Q}}\underset{c}{=}(Noc]+[m\rightarrow n\hat{o}c+Act\underset{+}{\rightarrow}M+ot+T]]\underset{c}{\overset{\dot{A}}{\rightarrow}}\langle[noc]-P\rangle''+\bar{\dot{A}}O+P+0]$
$''\langle[Noc]-P\langle\colon+[P+\overset{\times 2}{\dot{Q}}+act+O+P_{class}]_E\underset{c}{\overset{\dot{A}}{\div}}[noc]=[P_{clm(2)}=P_\theta+O_m+EnV_P\,2(m-O-P-P_{cclm})]$
$\langle EnV_2+[EnV_P-(_cO_{\times 2})]-m\underset{+}{=}P+oct\underset{+}{\rightarrow}m\underset{+}{\rightarrow}EnV_2\underset{+}{\rightarrow}P\times 2\underset{+}{\rightarrow}ot\underset{+}{\rightarrow}(\overset{m}{EnV}_{P3}+P\underset{+}{\rightarrow}ot\underset{+}{\rightarrow}(EnV_{P2}\underset{E}{\rightarrow})$
$[\dot{A}O_{\times 2}\underset{}{-}m\underset{+}{\rightarrow}P]-condition\underset{+}{\rightarrow}P+oct+EnV_7\underset{+}{\rightarrow}EnV_2.+[T\underset{+}{\rightarrow}P+(ENV\times 5\,\overline{T_c}\rightarrow EnV_c]+\langle P+BP+NOC\dot{A}O\theta)$

ENVAPBPAPQOP2 BPOPANOCP,OENVANOC P7AENVÀPP3 P3(0) POEP2PP mOPȦE mȦP2 A×3×P, AĖmO m P2

PBPO NocȦ0 O<13 ABPPP m APm PABPc ȦOP<5 O×3 mBPPȦBP mdEPAĖA>+A]$\underset{c}{\overset{A}{\rightarrow}}(\dot{A}O-\overset{\dot{o}c}{N}oc)+\dot{A}O]$
$[P_c\underset{}{+}BP\rightarrow\dot{A}O]+[T\underset{c}{=}\hat{Q}\underset{+}{\rightarrow}P]+[E_P+E]+E_0\underset{+}{\rightarrow}ot+Q\underset{+}{\rightarrow}\dot{A}O\underset{+}{\rightarrow}(\bar{Q}\,mT)\rightarrow E_P+P+int+ot+[E_m\underset{+}{\rightarrow}E]$
$\langle[\dot{O}+pl+\dot{O}_2]+pl_2+ot\underset{+}{\rightarrow}in\;rl+O_3]\underset{c}{\overset{A}{\rightarrow}}\dot{m}\underset{+}{\rightarrow}N\dot{o}c-O_{(P,A)c}\rightarrow[\dot{A}O\underset{+}{\overset{m}{\rightarrow}}[P_{clm}+ot+\theta]+$
$[\dot{A}O-pl-[P\cdot\overset{noc}{n}]]>\langle-\dot{A}O+ot+EnV\underset{c}{=}E_P(ot-\dot{A}O=O_1\underset{+}{\rightarrow}mod(\dot{A}\underset{c}{\rightarrow}P'_n+\theta)+(\dot{A}\underset{+}{}P)+Noc_2$
$m+\dot{A}P-n>+([noc-g]-\dot{O}+(P_c\dot{m}))+[\dot{A}\dot{o}\dot{o}\underset{+}{\rightarrow}Obj\underset{+}{\rightarrow}m\underset{+}{\rightarrow}BP\times 25]+]\,\dot{o}\dot{o}]\underset{c}{\overset{A}{\rightarrow}}[Noc]-n-+$
$\langle[EnV_P+O+ot\underset{+}{\rightarrow}m+P_n/P_{class}]\cdot\dot{o}\dot{o}>_{PROXY}+E_PO_{\times 2}[\dot{A}O+At+T^{\dot{A}c}_{E}+QA_E+\dot{E}_P+A+pl$
$+P_{(P)}+E_P+Ad\underset{+}{\rightarrow}\dot{A}_{(Py)}\underset{+}{\rightarrow}AO\underset{+}{\rightarrow}][\dot{A}O\overset{m}{\rightarrow}At\underset{+}{\rightarrow}in\rightarrow At]+[\bar{Q}\underset{+}{\rightarrow}E_P\dot{O}\underset{+}{\rightarrow}{}_AE_{P<3}]+\langle\dot{A}O\underset{+}{\rightarrow}(At+m)+$
$O>+[\overset{c}{\dot{A}O}_{Py}+]\underset{+}{\overset{m}{\rightarrow}}Q_{\times(5)}+O\underset{c}{\rightarrow}P+(\bar{m}[\overset{By}{noc}]g\,c)\dot{A}O+T+(\dot{A}_{PS})\underset{c}{+}P_2+)\langle\dot{Q}-P\times 5+ot+\bar{Q}_{\times 2}$
$+\dot{T}\overset{\frown}{+}_{(\times 5)}]\underset{c}{\overset{A}{\rightarrow}}[noc]>T\underset{+}{\rightarrow}Q_{\times 2}+[n\overset{2g}{o}c]+\overset{m}{o}ct\underset{+}{\rightarrow}P[\overset{P}{n}\hat{o}c]+oct.]\rangle(PROXY|\langle[noc]-P\rangle''\,]+[T_c\underset{}{-}QA]$
$\langle[A+E_n+(\overset{m}{ng})\underset{+}{\rightarrow}E_n]\underset{}{\rightarrow}A_m\underset{+}{\rightarrow}\langle E^{\times 5}_{n-m}\rangle\rangle\rightarrow A\overset{m}{\rightarrow}[E(N)]\}\}\underset{A}{\overset{c}{\rightarrow}}[\dot{A}obj\,1]+ot+obj+$
$\dot{o}int+pl+\dot{A}O\underset{c}{+}E_P+E+\dot{A}m+(E_0+O+E_0)\times 5\underset{+}{\rightarrow}\dot{A}_c\rightarrow(O+O_2+O_3+\dot{A}_c\rightarrow EnV\underset{+A}{\overset{c}{\rightarrow}}P_2+$
$\{\langle[\dot{A}O\overset{+y}{\rightarrow}\dot{A}t\underset{+}{\rightarrow}\overset{\dot{A}O}{P}+\overset{m}{a}t+E+]\,[\dot{A}O\overset{+}{\rightarrow}(\overset{N}{A}ot)\underset{+}{\rightarrow}[Q^{a}_{m}]\rightarrow\langle\dot{N}+\overset{\bar{o}}{n}-1\;[\bar{E}_n]_2>+\langle\langle N+_A-$
$2)\underset{c}{\rightarrow}\dot{A}O\overset{+r}{\underset{c}{\rightarrow}}\dot{m}\rightarrow Noc\underset{+}{\rightarrow}\langle(N^{\dot{o}\dot{o}}_{\times 3})\overset{c}{+}(\bar{Q}_m+\dot{A}]\rangle>\underset{\times}{\rightarrow}[P_S+P_{sy}\times int-\dot{m}]$ ×/ PBPAPAPAA AAPP

NPAPAPAABBAAAA PPAAAA $]+[\sum^{50}_{At=1}ot\times int\,m\bar{Q}\times 50]\underset{+}{\rightarrow}P\underset{n}{\overset{c}{\rightarrow}}\{[A\,obj_2]+[\dot{A}\,obj_1]\}\underset{c}{\rightarrow}N\rightarrow P_2$
$[\dot{A}O+ot]\underset{+}{\rightarrow}[\bar{m}]\underset{+}{\overset{A}{\rightarrow}}(P(Q\dot{A}))\underset{+}{\rightarrow}[\dot{A}O\underset{c}{\overset{A}{\rightarrow}}]+[\dot{A}_m]\rightarrow\begin{bmatrix}QP\\PP\end{bmatrix}\begin{bmatrix}\dot{A}[0]+\dot{A}EdO\\ [m\,P]\;c[AQ]\end{bmatrix}\begin{bmatrix}[TE]_c\,no\\ +Q\,m\,T\end{bmatrix}+\begin{bmatrix}\dot{A}+d\\ Ph[0]\end{bmatrix}+\begin{bmatrix}\dot{A}P_{[x]}\\ +[n]m\end{bmatrix}+$
$\begin{bmatrix}[Ad]+[N]m\\ Pr\cdot Ph[R_c]\end{bmatrix}\underset{c}{}\begin{bmatrix}T+\dot{A}E\\ Ad\;pl\end{bmatrix}+\begin{bmatrix}T[2]+A\overset{OP}{-}A\\ [mP]+\dot{A}[0]d\end{bmatrix}_c\begin{bmatrix}\overset{o}{A}[2]\;pl\,E_P\\ m[T]\end{bmatrix}+\begin{bmatrix}P(P)+R_c\,AP_{[x]}\\ \bar{A}+Ph-A[d]\end{bmatrix}+\begin{bmatrix}Em\,d[0]+in\\ R_c[\dot{A}O]+\dot{A}E\end{bmatrix}\underset{c}{=}\begin{bmatrix}\overset{o}{A}[3]+pl\\ EP_c\,E_0\end{bmatrix}+\begin{bmatrix}\bar{A}\,\bar{m}+R_{c,j}d\\ Adl+A[0]\end{bmatrix}$
$\begin{bmatrix}[m\,0]_c\,Q_0+P!\\ A[0][n]_{[x]}\overset{m}{\dot{E}}\end{bmatrix}_c\begin{bmatrix}m[\dot{A}[0]]\\ d\,\dot{E}[m[0]]\end{bmatrix}+\begin{bmatrix}\overset{o}{A}\,NE_0\,\bar{m}+N]\\ \end{bmatrix}$

$[\dot{A}O] + N \underset{c}{\div} (O \xrightarrow{\mp} m) \xrightarrow{\mp} at + (P \xrightarrow{\mp} [at]) \overset{+}{=} \langle \dot{A}m - (N_c - O)_{\overset{-}{c}} \dot{A}O <:O \rangle$ $Obj = N_oC_{-P_s + P_y}$

$[At] \overset{\frown}{+} [m\theta d] + [Act_a]$

$\langle P + at + [\bar{Q} + P^c + \overset{m}{at} \underset{\smile}{\xrightarrow{\mp}} \overset{c}{m} - \dot{A}T] \xrightarrow{\mp} N_{-c} \mp At \xrightarrow{\mp} E \rangle$

$[P + et + E_m \to (O_c \to Q_T + > (\bar{Q}At_T) \xrightarrow{\mp} (P + et + E \mp E_m) \xrightarrow{\mp} [At_T \xrightarrow{\mp} o| \xrightarrow{\mp} At + E_m \underset{c}{\xrightarrow{-}} E_0 (c - E_m - P))](P + \bar{A}_m \xrightarrow{\mp} T) + [\langle E \rangle \to \check{A}t]$

$[\underset{m}{\dot{f}t} \underset{c}{\div} \hat{O}] \xrightarrow[c]{} [AO]/Act.]_c \to [\hat{\dot{A}}O] \xrightarrow{\pm} at + P$

$[A_P \xrightarrow{\mp} A \xrightarrow{\pm} \bar{Q}][\bar{Q} + T \xrightarrow{\pm} \langle [N^c_A] \to \dot{A}O \rangle$

$N[A - A] \underset{c}{=} \dot{A}O.$

$[P_{(P)} \xrightarrow{\pm} \overset{\dot{A}}{E}_c \to [\overset{\cdot N}{A}O_E] \xrightarrow{m} P_{(P)} \cap (E)]$

$[T + \overrightarrow{Q}_m P] + (Q_m P) \to P = \dot{A}O -) + \dot{A}O_2 \xrightarrow{\mp} [N\acute{A}O_c - P_{(P)}]$

$\langle At \mp [P_{5x} - \hat{n}N - et]_c \to \text{Ⓝ} - P\overset{m}{\mp} + \langle [T + A] - N_{m_c} \to \dot{A}O \xrightarrow{\mp} At \rangle \underset{c}{\xrightarrow{\mp}} m(\overset{\overset{m}{Q}}{\dot{A}}) \to N_c \doteq [O - \bar{Q}] \to [\bar{Q}\overset{\hat{}}{m}^N] \rangle$

$[NN] \times 9 \xrightarrow{\mp} P_{(P)} \to [\,]] + [P_{(P)}^{-} + \overset{P_{(P)}}{N} - BP_0 + [A \underset{c}{\div} \bar{Q}] + BP + [A - \bar{Q}] + \langle A + A + P| + (m + \bar{Q}) \rangle + T + \overset{\dot{A}c}{P}_t\; at \xrightarrow{\mp} E_{Pm} -]\dot{A}O \xrightarrow{\mp} (P_{(P)} - \bar{m} + Act] \rangle$

$\begin{bmatrix} Nm \\ P \end{bmatrix} \xrightarrow[1]{\dot{c}} [P_2 - P_3]$

$\langle (\bar{O} \to P_{(P)}) \to EN \to) A \xrightarrow{\mp} (N - m) \xrightarrow{\mp} N_{+} \rangle_c - \dot{A}O \xrightarrow{\mp} N \xrightarrow{\mp} [N_{\overset{-}{c}} P_{\mp} \to (Am)] + P_t P_N$

$\langle (N_{A\text{-}A}) \xrightarrow[A]{c} \dot{A}O + m + [N_{Psh} E\hat{A}] \rangle \xrightarrow[c]{\dot{A}} (\dot{A}O_2) + m + [P_{(P)} + \dot{A}_m \bar{At} \to \bar{B}_P + \bar{Q} + \bar{E}_P \overset{-c}{\mp} (P_{(P)} - At) \xrightarrow[c]{A} m$

$\overset{\to}{+} (N_{A\text{-}A}) \to A = P_{(2)} \overset{\leftarrow}{=} \left[\begin{smallmatrix} m & A & Ps \\ N_2 & P_\phi & P_y \end{smallmatrix}\right]] \xrightarrow[+]{c} [\dot{A}O_3]$

$[-(\overset{\bar{Q}}{m})] + (T\overset{\hat{Q}}{m})]$

$\hat{E} \overset{\to}{+} (\dot{A}O) \to P + A + Q + \langle (\ddot{A}N - \overset{c}{g}) \to Q \xrightarrow{m} E_g \overset{\to}{+} Q + A \overset{\to}{+} (P + at \overset{\to}{+}) \, (E_c - Q) \xrightarrow[n]{c} E_3 \overset{\to}{+}$

$(T_Q) \overset{\to}{+} A \overset{\to}{+} T_{x3} \overset{\to}{+} [\overset{A}{P_{(P)}} \overset{\to}{+} A \overset{\to}{+} E_{g(+)} \langle \dot{\,} + E_4] \xrightarrow{\pm c} \langle E_P - E_g . \rangle$

$\langle P + Q \rangle + \langle (\dot{A} - A)_m^{+O\,Psh} \overset{\leftarrow}{+} N_{c-} \rangle \xrightarrow[c]{} \dot{A}O_m \overset{\leftrightarrow}{+} [(\overset{m}{\dot{A}P}) \xrightarrow{+} B_P \overset{\to}{+} E]_c \to \bar{Q} \rangle$

$\langle [\dot{A}O^N{}_P P_{sy}] \xrightarrow[c]{} (\dot{A}_E + P \overset{\to}{+} A \overset{\to}{+} P \overset{\to}{+} T \overset{\to}{+} A \overset{\to}{+} (O_c \to {}_T \bar{O}\, m \overset{\to}{+} P_{EO} \overset{m}{+} (P - T) \xrightarrow[c]{} \dot{A}O) +$

$(\dot{A} + m \overset{\to}{+} \dot{A}O) \overset{\to}{+} (\bar{A} \overset{\to}{+} m \overset{\to}{+} [AO] \to \hat{d} \to (\dot{A}\, at)) \rangle$

$\langle \overset{P}{\underset{\dot{A}O}{ci}} \overset{\to}{+} [\overset{N\text{-}y}{BP_{at}} \overset{\leftarrow}{\bar{m}}]_c \to \overset{\bar{P}}{m} \overset{\to}{+} [\dot{A}O_2]_c \to \overset{+}{m}\overset{c}{Q} \overset{c}{\overset{\to}{+}} At \rangle \overset{(\bar{m})}{+} \langle at + P + [\dot{A}^N_{PT}] \to T_m \rangle$

$\langle A + P_c - \dot{A}O \overset{\to}{+} [Q \overset{m}{+} \to \overset{\dot{A}O}{\underset{A}{m}}] \overset{\to}{+} P + A + T + A - N \overset{\to}{+} [N_{\bar{m}}\, A\text{-}A_{\,esh-esy}] + N_2 + (\overset{+}{\bar{Q}} \to$

$([N/\dot{A}O] \to N_2 \overset{\to}{+} A) \xrightarrow[c]{AO} m \xrightarrow{+} \overset{\dot{A}O}{P} \overset{\leftarrow}{+} (\bar{Q}m \overset{\to}{+} [\dot{Q} - in]) \rangle$

$N - \langle P \overset{c}{+} \dot{A}O + A + A - A + \bar{E}_P + \bar{m} \rangle \quad \langle \overset{N\text{-}y}{P + \dot{A}O} \rangle_m \overset{c\to}{+} \langle \dot{A}O + P + O \overset{N}{-} O + A + \bar{m} \overset{\to}{+} \bar{P} \rangle \to \langle P \overset{m}{+} \dot{A}O_2 \overset{m}{+}$

$A - A \overset{m}{+} O - \overset{N_2}{O} + E\bar{m} \rangle$

$\langle P + A + [\bar{Q}^{\bar{m}} - \overset{A}{P_y}] \xrightarrow[c]{+} [\dot{A}O] \qquad N - [\dot{A}O] = P \rangle \overset{\to}{\underline{\pm}} [N - A\text{-}A] \xrightarrow[c]{} [\dot{A}O] \xrightarrow[c]{} [P_2 : \hat{\dot{A}O}]$

$(T - T \overset{m}{+} \overset{\leftarrow}{A} + P) \overset{\to}{+} (A \overset{\to}{+} [\dot{A}O]) \rangle \qquad \overset{\dot{A}}{N} \langle \dot{A}\bar{Q}^{m} (+ \dot{A}O \to [T + Q \overset{P_s - P_y}{\underset{m}{:}}] \quad (A \overset{P\hat{}}{\underset{+}{m}} \to (\overset{P\,m}{out} [Q + N \overset{+}{c} A] \rangle \to {}_c [\dot{A}O]$

$[\dot{A}\bar{Q}^{m} + \dot{A}O \to T]$

$\dot{A}O = [0 \times 15 \xrightarrow[c]{} E_{PO}]$

$(A_T + Q_{-P_s, -P_y}) \xrightarrow[c]{} \dot{A}O + P_{(P)}) \xrightarrow{\pm} Q \overset{\leftarrow}{+} \overset{P_y}{A}) \xleftarrow[+]{} (P_{(P)} - P) + A + (A_{Py}) + m + \bar{Q} \overset{\to}{+} P'_n \overset{\to}{+} (A_{Tm}\overset{N}{} P)_c \to$

$$(P_3 + A_m + Q_{(Py)})$$

$$[\dot{A}\bar{O} + \dot{E}^{\bar{Q}i}_{pm}] \overset{+}{\times} \overset{-}{(x)} [T_A P_{A_c} O] - (\dot{A}O + E_0]$$

$$[N - \dot{T}_{(\infty)m-n}] \underset{c}{\rightarrow} [\dot{A}\overset{N}{O}]_{\times \dot{\bar{5}}} - \overset{+}{i} = \langle \circlearrowleft \rangle_{(-)} \dot{A}O_{\times 5} + \overset{\dot{m}}{}_{PROXY}]^{\frown}_{\times} \dot{m}(\dot{A})$$

$$[P + A_m \overset{+}{-} E_0 \vec{\mp} \bar{\bar{Q}}_0]$$

$$[E + E_0 \vec{\mp} (O +_{0+P_m BP}) + \bar{m} \vec{\mp} N_{PS+A-\dot{A}}] + P \overset{c}{\underset{+}{\rightarrow}} \dot{A}P \vec{\mp} P_{(P)} + O + BP_m + P + a \vec{\mp} \dot{E}_0$$

$$\langle [\dot{A}]_{c} \vec{\mp} a + P + (a \overset{m}{\vec{\mp}} a) + (t \overset{m}{\underset{+}{-}} t) \vec{\mp} 0 \vec{\mp} [\overrightarrow{P_2 + P_3}] \vec{\mp} (O + P_4] \rangle + P_{4(2)} + \dot{A}O \vec{\mp} \dot{P}Q +$$
$$(A - A) \underset{c}{\overset{+}{-}} \overset{m}{\ddot{Q}} + P_s (BP_m \pm Q_{BP})$$

$$[T \overset{m}{-} \dot{A}O] + [A_m E - p|-P] \quad [P + (\overset{N}{Q_T}) \underset{+}{\rightarrow} P^{n}_{(P)} \underset{+}{\rightarrow} N_{-E}] \quad [\dot{A} \in_m \dot{\infty}] + [\bar{m}p]$$

$$(\dot{A}_m^{\dot{A}O} + T \underset{c}{\rightarrow} \dot{A}O \langle \overset{m}{T} \rangle) + m \overset{\rightarrow}{+} [\overset{m}{\ddot{A}}] + \overset{m}{\bar{T}} \langle N_c \rightarrow [O-O] \rangle + [TA_m + T_c \rightarrow A_m T_{Psy} P] + (\dot{\hat{N}})$$
$$+ \langle in \underset{m}{\rightarrow} [\dot{A}Q]_T \rightarrow Q_c \rightarrow O_{Psh} + E_{mpA} + E_2 N - T\bar{m} \rangle + B\bar{P} + \bar{m} BP(\dot{A}O_2) + P\overset{\bar{m}}{y} + E_{(+P)} + P$$
$$AA\bar{m}BP$$

$$[(P_2 + A_m P_1 + \bar{Q} + \breve{A}_{Py-P_rT}) - P_{1c} \rightarrow P_2 + \ddot{Q} \circlearrowleft_{\varepsilon} \overset{+}{\dot{Q}}] + (P_2 c \rightarrow P_7 - P_2 + \dot{Q} + \overset{L}{\dot{Q}}/_c \rightarrow \overset{\dot{A}O}{\overset{c}{T}} + P_5$$
$$\overset{c}{\Leftarrow} P_1 + P_5 \vec{\mp} (A_m T| \overset{m}{\underset{c}{\rightarrow}} [\dot{A}O]$$

$$[N_{A-A}] + [\breve{N}^{Py}_{n\,Psh}] + [P + T_m A \vec{\mp} \overrightarrow{A} + [\dot{A}O]] + m([\overset{\dot{A}\bar{O}}{E}] \times E_{mp}|)_c \rightarrow \dot{A}O + (N - P_m)$$
$$+ [E_m - O] \rightarrow N_0 \rightarrow [\dot{A}E] + [\dot{A}O] \vec{\mp} p| + \langle \dot{A}O + O \rangle$$

$$[E_{\bar{om}} \vec{\mp} P_{sh}\}_{n-\bar{m}} E_P] + N_c \rightarrow [\dot{A}P] \overleftarrow{\mp} T_c \bar{Q} +_{\dot{A}BP} + A_m (P_{\dot{A}\,Psy}) \underset{+}{\Rightarrow} (\overset{m}{\bar{N}} + T \overset{\bar{m}}{\mp} A)$$
$$]N - E_n \vec{\mp} T_c \vec{\mp} E] + [\overset{N}{\ddot{E}} \underset{c}{=} E_0 + [n_7 \overleftarrow{\mp} \dot{A}_{\bar{m}} (N + T + E^n_P) + [\bar{\dot{P}} - \bar{\dot{P}} + \dot{A}\acute{O}_m [P_1 + P_2 - \bar{Q}_A + i + (N-T) + A + BP + A] \times (x)]$$

$$E_{O_2} (\dot{A}O - n_2 \underset{c}{=} O_{\times 5} + P \vec{\mp} BP_{\times 3}^{\bar{m}} \rightarrow E_0) \times 6$$

$$[[\dot{A}O]_{m} \xrightarrow{\pm} p[\overset{\acute{A}}{]} \xrightarrow{\pm} P_2] + P_2 + E_p + P + E_{P_2} + p| + [(E\hat{A})_{m}^{c} \to O + A \xrightarrow{\mp} P_{BP}\rangle$$

$$\langle(\dot{A}P_c \to Q)_m \xrightarrow{\pm} P + [A_{\bar{m}} N_c \to P] + n_c \to [\dot{A}] + (N \xrightarrow{\mp} \dot{A}_0) + [N_c \to [A-A]_c \to [\dot{A}O]] + [\bar{P}_{T\,m} \xrightarrow{\mp} \dot{A}_{BP}]\rangle$$

$$\langle \dot{A}E_m - P + [E_c \xrightarrow{\mp} \dot{A}O] + [O \xrightarrow{\mp} \overset{c}{m} \xrightarrow{\mp} [\dot{A}O - O]]\rangle \langle E_{0}\overset{n}{\underset{c}{\to}} \int E_{0_2} \rangle + [B_{P\,AO}^{m}] + A + P + O + P - n\rangle$$

$$\langle(\dot{Q} + \bar{A} + \bar{T})_c^m \xrightarrow{\mp} \bar{P} + (\dot{A}O_m \xrightarrow{\mp} O_c \to BPO)_c \to\rangle [\dot{A}P] + n - p + \dot{A}_m \xrightarrow{\mp} (NE_0) \xrightarrow{\mp} \bar{Q} + (n-p) + \dot{A}_{\bar{m}} \xrightarrow{\mp} P_{(P)}.$$

$$\langle P + (T_c^n A \xrightarrow[\mp]{c} A_2) + [A_c \xrightarrow{\mp} \dot{A}O] \xleftrightarrow{\mp} P_n \xrightarrow{\mp} P_{2(n)}\rangle_c \to [\dot{A} \underset{T}{-} O] + P_2 + (A_{m\,P} \to E + A + O_{x_2} \to)\bar{Q} + (A \overset{S}{-} A) + A + P_{\mp n} + \dot{E}] \downarrow$$

$$[O_{x_2} \xrightarrow{m}, + \dot{A}O] + [\dot{A}E_0 + \dot{A}[0]] \qquad (\overset{\dot{A}}{P} + [A \xrightarrow{\mp}) \dot{E}^{P}_{m}(\dot{A}O)]_c \xrightarrow{\mp} \dot{A}_Q \overset{c}{\mp} \bar{Q}] + [O + [\dot{A}O + A + (\dot{A} \to E_{(ph)})]_c \to$$

$$\updownarrow$$

$$[E_P \tfrac{\dot{A}}{c}\ E_{0m} \to P_c] \to \dot{A}\underline{P} + E_{0c} \to \bar{B}P_{\dot{A}O} \xrightarrow{\pm} [N_{CP} \overset{\vec{\bar{m}}}{\mp} (\dot{A}_{Q-Q}) + [\bar{a} + \bar{T}_m \xrightarrow{\mp} (\bar{P}_y - \dot{A})]_c^{Z} \to \bar{Q} \xrightarrow[c]{m} \bar{\dot{Q}}]$$

$$[(\hat{\dot{A}}) + (A \overset{m}{-} A)] + \langle [BP_{A} \xrightarrow{\mp} \hat{\dot{A}}_{[E]}{}^{=c}] \dot{Q} + T + \overset{\dot{A}}{P}| + \rangle A + (E^{N}_{2}) + [[\bar{A} - \bar{A}]_c \to \dot{A}O_{\bar{m}}(\dot{m}) \xrightarrow{\mp} \bar{A} + \bar{Q} + \delta r + T_m \rightsquigarrow (A - A)\ \bar{Q} \xrightarrow{\mp} \bar{A} \xrightarrow{\mp} (N_{(n)}P \xrightarrow{\mp} P_{(P)} \to A_m)]$$

NOC-P

$$\langle[\hat{P} + \textcircled{A} \rightleftarrows [\dot{A}O]_{ph}^{mP}] \xrightarrow{\mp} [P| + \overset{e}{\dot{O}} \xrightarrow{\mp} O_P \overset{c}{\to} E]^{\dot{A}O}\rangle + \langle \vec{Q} \xrightarrow[m]{=} A + [\dot{A}_{[0]}^{\bar{m}}] \xrightarrow{\mp} (\dot{A} - \bar{A})\rangle_c \xrightarrow{\mp} [\dot{A}\dot{O}]\rangle \hookleftarrow \downarrow$$

$$\updownarrow$$

$$\langle P_{[0]} \leftrightarrow + E_P^c + A_{m}\rangle \xrightarrow{\mp} \langle P_{(n)}^{-} g + (\overset{\Omega^{I}}{\dot{m}} - \bar{T}) + \underline{\dot{A}_{BP}}^{[\dot{0}]} \xrightarrow{\mp} (\dot{A}_{[\,]} + \overset{n\overset{\Omega^{II}}{-}n}{\dot{A}_m}) \xrightarrow{\mp} [0]_m\rangle + \langle([T_m^n]^{\Omega^{III}}_c \mp [\dot{A}\dot{O} + \dot{A}P - \underline{\bar{B}P}_m \rightsquigarrow (\dot{A} - \dot{A}_{[\dot{A}O]}^{\hat{E}}) + \overset{\Omega^{IV}}{\bar{A}}\rangle$$

$$\langle + \bar{P}_2 \xrightarrow{\mp} \bar{A} + \bar{T} + (\bar{P}_y \overset{\hat{A}}{-} Ph)] \not\to \bar{m}_c^{(\bar{A} - \dot{A})} \to N(P) / \dot{m}_c^{(\bar{A}-\dot{A})} \to N(P_2)\rangle \quad (\dot{A}T - T \hookleftarrow \overset{\dot{A}E}{\hookrightarrow} \bar{A} - \dot{A} \to \dot{A}P - P_2)$$

$$\langle[P \xrightarrow{\mp} [AP_{(n)}^{-A}] + A\binom{E-0}{A-n} \xrightarrow{\mp} P_{(n)}] + A \xrightarrow{\mp} E(mP_E) + \dot{A}O(\dot{Q}_{in} + \dot{A} \pm \bar{m}) + (P + A_d \xrightarrow{\mp} \vec{Q}_m \xrightarrow{\pm} P_{(n)}) + (E_0 + T_m A_{0_c} \xrightarrow{\pm} [\dot{A}O_{E-0}^{-}] + [N_c^{\dot{A}} \to A_c Q_m] + [(\dot{A} \xrightarrow{\mp} E_0 \overset{\bar{m}}{\mp} O(\dot{A}O) \to N))]$$

$[P + T_n - P]^{c}_{m} \rightarrow \overset{N}{\dot{A}} - [A + Q \overset{\rightarrow}{\mp} d + E_p + [(\bar{m})^{\bar{m}} A] \xrightarrow{\mp} P_{(p)}] - \overset{N}{\dot{A}} \leftarrow \bar{m}^{c}[\infty P_{(cl_m)} + A + dr + E_p +]$

$A \overset{Ph}{-} A \xrightarrow{+} \underline{BP}) + P_2 + A \overset{\rightarrow}{\mp} \overset{+}{\bar{m}} BP \rightleftarrows \bar{A} + \overleftarrow{Q}] + \dot{A} \xleftarrow{+} \dot{A}_m + [P \overset{+}{\bar{m}} + [\dot{A} p|] \xrightarrow{+} E_p \rightarrow \dot{A}E]] \} P_3 + P_4]$

$\boxed{EBPAPODP_2 \bar{m} P_2 BPOOANP_3 OEAN^{+} AE\bar{m}AP AAAE\bar{m}O} \downarrow \langle A_c[\dot{A}]/_c O \quad \dot{A}^{m}_{c}[N-n] \quad P_5 \quad \overset{+}{(E\bar{m})}]$

$[N-N]_c - \dot{A}O_m T_c \overset{\rightarrow}{\mp} (n-n) \overset{\rightarrow}{\mp} [A + [A-1 \overset{\rightarrow}{\mp} [\dot{A} \overset{\dot{T}}{-} \dot{A}]] \dot{A}_c \rightarrow A = (n-n)]^{\bar{m}} + [P + A_c [\dot{E} = [\dot{A}E$

$\rightarrow P_{(P)} - x_2 \vec{3}]] \rightarrow \begin{smallmatrix}A-A\\N-N\end{smallmatrix} O] + [P_2 + \bar{Q} \overset{\rightarrow}{\mp}(Ph - \bar{A} - \bar{A}_c \bar{Q}) \xrightarrow[\mp]{\bar{m}} BP + [\dot{A}_{(E_c} \rightarrow \overset{p|}{\bar{m}})^{m}] + \dot{Q} \overset{\rightarrow}{\mp} E^{(n)}_{O} +]$

$[P \; \dot{A}_{\bar{m}} \nearrow E^{(\dot{A}m)\rightarrow}_{+} N] + T + [N_{(\dot{n})} + E_{[\,]}] \overset{+}{\underset{c}{\rightarrow}} [\bar{A}_m \xrightarrow{(\bar{m})} P_{(n)} + \bar{A} \overset{\rightarrow}{\mp} P' BP] + (\dot{A}_{[O]} \overset{+}{\hat{E}}_p) +]$

$\langle [O_c \rightarrow A-A] + [\dot{A}O]^{\rightarrow}[\acute{A} \overset{n}{-} \dot{A}]_m \rightarrow \bar{P}_c \bar{Q} \rangle + [P_y \overset{N}{-} Ph \overset{o}{\rightarrow} P] + Q(\dot{A}m) \xrightarrow{+} \acute{A} - O^{\leftarrow}_{(\dot{A}O)}] + P_6 + P_7]$

$[+ A + E_{(n)} \overset{+}{\dot{c}} \dot{A}O \overset{+}{\bar{m}} \dot{A}_{[O]}^{-P_y} + P_3 + A + P + \langle A \frac{T}{(\bar{m})}_{(2)} + \updownarrow + \frac{\bar{m}}{(A)} A \rangle A + A + A + A + d + E_{\bar{p}} + \bar{m} + \dot{A}O + \langle \updownarrow + \overset{\dot{o}}{\bar{m}} \rangle + A +]$

$[BP^{\bar{m}}_{c} + [in] + Q(\bar{O}_{\bar{m}} \bar{BP}) + [\bar{P}_c \bar{P}_c \bar{O}]^{c\dot{A}O} + [\dot{A}O] - BP \times 5 - O(E_p - n)] + \underline{E\bar{m}} \overset{\rightarrow}{\mp} \langle \dot{A}O(A - \dot{A}P) \rangle +$

$\rightarrow (P) + [A T_{m} - A] \overset{\rightarrow}{\mp} [\dot{A}O] \rightarrow (A \overset{\bar{m}}{-} A) + P \overset{\rightarrow}{\mp} A \overset{\rightrightarrows}{\mp} \dot{E}_m \overset{\curvearrowright}{\mp} [P_2 + \dot{Q} \langle (Ph + \bar{A} - \bar{A}_c \dot{Q}) \xrightarrow[\mp]{\bar{m}} BP \overset{\rightarrow}{\mp} (A \overset{\rightarrow}{\mp} \dot{A}_A)$

$[+\dot{A}O - O] \overset{\rightarrow}{\mp} O_2 + [\bar{m}(\dot{A}O \overset{\rightarrow}{\mp} p|)] + [\dot{A} \bar{m} E \rightarrow \dot{A}O) + \langle A \overset{\rightarrow}{\mp} \dot{P} \overset{\leftarrow}{\mp} A \rangle + [E = [\dot{A}E - P_{(P)}]^{\rightarrow} \begin{smallmatrix}A-A\\N-N\end{smallmatrix}]^{o} + [\dot{A}]$

$\updownarrow + [\bar{Q} \overset{n}{\mp} d] + [\dot{P}y] + A \overset{PE}{-} A + in \updownarrow] + A + A + A + A + BP + A + \dot{A}O + BP_c \dot{A}O + N + \begin{smallmatrix}o&o&o\\o&o&o\\o&o&o\end{smallmatrix} \times 55 \bar{m} [E_p \times 5 + E_o \times 3 + \overset{+}{P} - \overset{+}{P}_2]$

$E\dot{A}O \overset{\frown}{-} O\bar{m}] \overset{\rightarrow}{\mp} [-x-] \rightarrow Q \overset{\rightarrow}{\mp} \bar{m} \rangle + [\dot{A}_{[\bar{m}e]} \overset{\dot{A}}{Ph}] + [[\dot{A}O]^{O} \xrightarrow[\mp]{\bar{m}} \overset{+}{A}] + [me_c \rightarrow A + [\overset{n}{P}y]] + [A_c N - P]$

$+ [P + \dot{A}O^{TPE}_{\bar{m}} E] + A + [A_{[me]} + \dot{A}_{[O]} \overset{\rightarrow}{\mp} O_p^{+A-A} [P - n + E_{(\bar{m})}^{c}[E_O - E_O]]] \overset{\rightarrow}{\mp} [\dot{O} \overset{E}{\underset{\bar{m}_c}{=}} \bar{O}] \overset{\leftarrow}{\pm} T_P \overset{O}{A} - \overset{mo}{A} \dot{A}] + \hat{P} + A^{BP}]$

$\left[\begin{array}{cc} P & \dot{A}m \\ & O \\ A & A \\ P_2 & P_2 \\ D & \dot{A}a \\ N-E & \end{array}\right] + \left[\begin{array}{ccc} \dot{A}O & P_2 & \\ A & m & \\ T & E & \\ P & P_4 & N \\ A & & \\ P_2 & \dot{A}m & \end{array}\right] + [P + \overset{m}{\dot{A}} + Q + P_2 \overset{\rightarrow}{\mp} \dot{A}^{O}_{[n]} + A + \dot{A}d \overset{\rightarrow}{\mp} E_O \overset{\rightarrow}{\mp} d \overset{\rightarrow}{\mp} \langle E_p] + Om(me + O + O + dir) + A + P_4 + NE +$

$+ (\bar{m})\bar{m}] + A \overset{\rightarrow}{\mp} O + [\dot{A}a] + [P \overset{\rightarrow}{\mp} A p| + \dot{A}_{[O]} \overset{\pm}{\rightarrow} BP]_c \rightarrow A(Py)]_c + T + P] + [A^{BP}_{Ec} \dot{A}_1 \overrightarrow{O\bar{m}}$

$[A \overset{m}{-} A] \overset{\rightarrow}{\mp} N_{[P + \overset{\dot{A}}{} P_{(P)}]} + P + A + [P_2 m_{[Py]}] + [E\dot{O} + \dot{A}P \overset{\dot{A}}{\bar{m}} A]_c \dot{A}O \overset{m}{=} E_P$

$+[\dot{A}P \overset{+}{\underset{Ad}{}} O] + [A \overset{\mp}{-} A^{m}] + in + \acute{A}^{(n)}[\dot{A}O \overset{m}{\mp} O] + A + \overset{N}{\dot{P}}_a + \langle [\dot{A} \overrightarrow{me}] \overset{\dot{A}}{Ph} \overset{[O]}{\underset{\bar{m}}{+}} [\dot{A}O + \overset{+}{\dot{A}}]] \rangle$

$P + E_O = \updownarrow \bar{A} \updownarrow$

$\bar{A} \updownarrow$

$[m_c \rightarrow [\dot{A}] \underset{+}{\rightarrow} P + \langle [P_y^{Tm}] \vec{c} \dot{A}O] + A + \dot{\bar{m}} + \langle [\dot{A}O]^{(n)} \overset{\rightarrow}{\mp} n \bar{m} \rangle +$

$A^{O - \bar{m}} + P_3 + \quad \bar{A} \updownarrow$

$+$

$\langle [T \underline{\dot{A}\bar{A}\infty} m BP]_c \rightarrow \dot{A}O +_c [P_2^{(n)} BP] \xrightarrow[c]{\dot{A}O} P_n BP] + \overset{(2T)}{P} + A \overset{\bar{m}}{\longleftrightarrow} \overset{A}{\mp} [P_2^{n} BP]_c^{[\dot{A}O]-m} + A - P_{(2)} BP] + [A_{[me]}]^{m} O$

$\overset{\rightarrow}{\mp}_c \dot{A}O_{[cO]}] +_c [\dot{A}O]^{(n)} \overset{\rightarrow}{\mp} E\vec{o} + E^{m}_c O \overset{\rightarrow}{\mp} E_2 O_c \dot{A}O + \dot{A}O[A \overset{5}{-} A]] + N_c[\dot{A}] + (P(N) + O_c \rightarrow A$

$\overset{\rightarrow}{\mp} in_c \rightarrow \dot{A}_{E_p + E_{p2}} \updownarrow]] \rangle + P + A + [Ph_c \rightarrow \dot{A}Py] + P + \dot{A} \overset{A-A}{-} O + d \overset{\rightarrow}{\mp} E.$

$[\dot{A}_{[Ph - O]} \frac{A - \bar{m} - A}{E_1} O] \overset{+}{\rightarrow} A \overset{\rightarrow}{\mp} E_2 + P + A \overset{\rightarrow}{\mp} [P - n \overset{m}{\hat{N}} + E]_c \rightarrow \acute{A}E^{(A-A)} + A_m [me Ph] \overset{\rightarrow}{\mp} \overset{+}{\dot{Q}} E_p^{c} \overset{\rightarrow}{\mp}$

$P + \dot{A}O + (n(A) - A\bar{m}) + [Ph + P_y]_c \rightarrow \dot{A}O(P_n) + [\dot{A}(E_p) m \rightarrow \overset{E}{\dot{O}}_c \rightarrow \dot{A}Om] + [P + N_c$

$(P) \overset{\rightarrow}{\mp} \bar{A} d^{P} + P_{(n)} \bar{\mp} + N_c[\dot{A}]]$

$\langle E_c \dot{A}E + [A_m O'_n + O_p + p|d \overset{\rightarrow}{\mp}] + A^{(E)} \underset{\mp}{\rightarrow} \bar{Q} \overset{\rightarrow}{\mp} \dot{A}_{[O]}^{\rightarrow} \langle O_3 \overset{\rightarrow}{\mp} [\langle :O_2] \rangle \overset{\rightarrow}{\mp} \bar{A}\bar{m} \overset{\rightarrow}{\mp} \langle \overset{+}{\dot{Q}} +$

$$A_{[0]} O_{+} \overset{\rightarrow}{\mp} T_{A} \overset{\rightarrow}{\mp} \overset{+}{\dot{Q}} + P_{[\dot{0}]} \overset{\rightarrow}{\mp} \dot{Q} + O_{(n)y} \overset{c}{\overset{\rightarrow}{\mp}} (O_{m}) \overset{\rightarrow}{\mp} \dot{A}_{[0]}]$$

$$\langle P_{+} \langle A + [\dot{A}_{E-E}] + A \rangle\rangle \overset{\leftarrow}{\mp} A_{m} \xrightarrow{\pm} [P_{(n)}^{\times\rightarrow} + A_{m}] \overset{\rightarrow}{\mp} [\dot{A}_{a} \rightarrow \dot{P}] \overset{\rightarrow}{\mp} \dot{A}E + T + A_{m} \overset{\rightarrow}{\mp} \dot{A}E \overset{\rightarrow}{\mp} P_{(n)}]$$

$$[P_{+} (\dot{A}O_{A-A}) \xrightarrow{Tr} O_{c} \rightarrow \dot{A}O + P + A + \overset{\dot{A}}{O} \xrightarrow[\bar{m}]{+} \left[\begin{smallmatrix}\dot{A}[0]\\ me - A \overset{\overset{+}{m}}{-} A\end{smallmatrix}\right] + \left.\begin{smallmatrix}[\dot{A}O-0]\\ N(0)_{m}\end{smallmatrix}\right]_{c} \rightarrow \dot{A}O + P_{+} A + BP + \dot{A}O - A \overset{BP}{-} A] \overset{\rightarrow}{\mp}$$
$$A \overset{\rightarrow}{\mp} E_{0} + A_{me} + d + pl + \bar{m}(E_{02}) \overset{?}{\mp} P_{n} \dot{A}O_{a}]$$

$$[P + A]_{m} [P-pl] + [A_{(m)} \overset{\rightarrow}{\mp} O \overset{\rightarrow}{\mp} P_{(n)}^{\dot{}BP}] + P_{(P)} + A + P_{(P)} \overset{\rightarrow}{\mp} (\dot{A}_{P\bar{y}})$$

$$[P + A] \overset{\overset{m}{\rightarrow}}{\mp} [\dot{A}_{a}] \xrightarrow[a]{} [O_{m_c} \overset{+}{\dot{Q}}] \rightarrow A_{(m)} \overset{\rightarrow}{\mp} P_{y} [\dot{P}]\, Ph \overset{\rightarrow}{\mp} \dot{A}N_{c} Q \overset{\rightarrow}{\mp} A_{+} E_{+}]_{a} + [N - \dot{A}d] - \dot{A} + [P_{2} + \dot{A} \vec{c}$$
$$N_{E} \overset{\rightarrow}{\mp} \bar{Q} + A + A \overset{\rightarrow}{\mp} [P_{(n)} \overset{\rightarrow}{\mp} (\bar{A}\,\bar{m})_{c}^{\bar{m} - \dot{\bar{Q}}}] + N(P_{1}) \overset{\rightarrow}{\mp} [T \overset{\rightarrow}{\mp} P_{(n)} \overset{\rightarrow}{\mp} \bar{O}_{\dot{n}} + P_{(n)} \xrightarrow[+]{} + E_{n} \overset{\rightarrow}{\mp} A_{+} +$$
$$T_{c} \xrightarrow[+]{} \dot{A}\dot{\bar{E}} + A_{\bar{m}} P \overset{\rightarrow}{\mp} A \overset{\rightarrow}{\mp} N_{c} \dot{A}O_{d}(P)]^{c} \overset{\rightarrow}{\mp} \dot{A}O_{[P_2 + Ad]} \overset{\rightarrow}{\mp} [\langle A + P + P_{2} + A + N(A-A) + T + A\overset{+}{\dot{Q}}(C)_{y\,mA} \rightarrow \overset{+}{\dot{Q}}$$
$$\rightarrow P_{2}]$$

$$[N(P)_{(n)}] \overset{\rightarrow}{\mp} A \overset{m}{\mp} [\dot{A}P - P_{(n)}^{-m}]_{c} \rightarrow BP_{+} (BP - m(0A\,\bar{m}_{c})] + BP \overset{\rightarrow}{\mp} [\dot{m}] + P$$

$$[P + A_{\dot{a}0} \rightarrow d + A_{[Py]^{m}}] \overset{\rightarrow}{\mp} \langle P_{2} + A \overset{0}{-} \overset{m}{\dot{A}} E_{c} \rightarrow [Py]_{[\dot{0}]} \rightarrow A[P] \overset{\rightarrow}{\mp} \dot{\bar{E}}\, 0\bar{m}]\rangle$$

$$[T_{c} \rightarrow [\dot{A}O] \overset{\overset{m}{\rightarrow}}{\mp} \bar{O}_{A} \rightarrow \dot{A}O] + [\langle A \overset{\rightarrow}{\mp} T_{c} \rightarrow \dot{A}T \overset{\overset{m}{\rightarrow}}{\mp} P_{y_c} \rightarrow \rangle A]_{c} Q \overset{\rightarrow}{\mp} [\dot{A}O_{(n)}]$$

$$[P + A_{c} E_{0}^{\overset{\rightarrow}{\mp}} \dot{A}O] + A \overset{\rightarrow}{\mp} E + P + A_{c} E_{0} \overset{\rightarrow}{\mp} [\dot{A}O_{(x)}] + pl \overset{\rightarrow}{\mp} [\dot{A}O] \overset{\rightarrow}{\mp} P + A \overset{\rightarrow}{\mp} P_{2} + [\dot{A}_{PE-\dot{0}}^{A} \overset{c}{-} A] \rightarrow P_{[N-\dot{A}0]}$$

$$[P \overset{c}{+} BP\bar{m} \overset{+}{\rightarrow} \bar{m}(P_{2} BP\bar{A})] + [A \overset{\rightarrow}{\mp} \overset{\dot{A}d}{me} + pl] + [BP_{[m(pl\dot{A})]}] + \bar{m} BP_{2} \xrightarrow[+]{} (P_{2}) + A.$$

$$[P_{(n)} \xrightarrow[c]{} N \xrightarrow[\bar{m}]{\dot{-}} P_{(P)}] \xrightarrow[\bar{m}]{} P_{(n)}] \xrightarrow[c]{} \dot{A}O + A_{m} \overset{\rightarrow}{\mp} (_{n}m\, P_{(P)})_{c} \rightarrow \dot{Q} \xrightarrow[(+)]{m} \overset{+}{\dot{Q}} A \overset{\prime}{\mp} in_{T_c} \overset{\rightarrow}{\mp} N_{c} A + [P_{(n)} +$$
$$P_{y} \overset{n}{-} Ph] \overset{\rightarrow}{\mp} A - A] + [P_{(n)} E \xrightarrow[+]{} P_{y} Ad - P_{(n)}] \overset{\rightarrow}{\mp} A \overset{n}{-} A \overset{\rightarrow}{\mp} P_{(n)}P - [P]]_{c}^{A+} \dot{A}O \overset{\rightarrow}{\mp} [_{n}0 - \dot{A}0]_{c} \overset{\rightarrow}{\mp} N[\dot{A}]$$
$$+ N_{[E]} \overset{\rightarrow}{\mp} A - A]$$

$$\langle [P + A_{[Py]} \overset{\rightarrow}{\mp} [EO] \overset{\rightarrow}{\mp} Q_{(A)}]_{c}^{\bar{m}} (\dot{A}_{[0]}^{T}\, \bar{m} \overset{\rightarrow}{\mp} \bar{A} \overset{\rightarrow}{\mp} [P_{n} \overset{\rightarrow}{\mp} A \overset{n}{-} A]) \rangle$$

$$[\overset{\circ}{[}A \overset{me}{=} \overset{(x)T}{\overrightarrow{A}}\,[\dot{A}_Q \bar{m}]] \xrightarrow[c]{\mp} [\bar{A} \overset{\dot{m}}{=} E_P] \mapsto [\bar{A} \overset{\bar{m}}{=} P_{BP}]]$$

$$[T_c\, T \overset{\wedge}{=} T]_{\dot{m}} + [N_\epsilon \to \dot{A} \xrightarrow[{[0]}]{} A] + P + A_{\bar{m}} \overset{\to}{\mp} [Ph] + \dot{A}Q + [Py\,m] \xrightarrow{\wedge} \dot{A}\,O$$

$$[T_{\overset{+}{c}} \overset{\leftharpoondown}{\mp} \dot{A}O_n + \underline{P}(N) \mp \dot{A}_n \to P_2^{(E)}] \xrightarrow[+]{} [\overset{+}{\dot{Q}} + in + \dot{A}\,\dot{m} \overset{\to}{\mp} (x)] \overset{\to}{+} \dot{E}_{\overset{\sim}{A_c}} \overset{+}{\to} P_{(n)}] \overset{\to}{+} n(P)_{(x)}]$$

$$[P +_T A \mp \{[E_{\vec{m}} A]_c\, \dot{A}_{[0]}\rangle \overset{\to}{\mp} P_{(n)}] + [T \overset{A}{m}]_{\mp} E_c\, \dot{A} + \overset{A}{m} \overset{\to}{\mp} P_{[Py]}]$$

$$[[N-\dot{A}E]_{\overset{+}{m}} \to O + [Ad]_{\dot{a}} \to E_m T] + A_{pl} + (E_n \to P_0 + T) + [\overset{\dot{A}}{P}_{(n)}\, A \overset{pl+d}{—} A_{(x)} \xrightarrow{} E_{O_2}] + [T \overset{\to}{\mp} P_{(P)}\, n + \dot{A}]_m + P \overset{\to}{\mp} [A \overset{\to}{\mp} P_{(P)}] \xrightarrow{+} A - A]$$

$$(P + [A+in]_c \overset{\to}{\mp} \dot{A}_{pl}|^{[P]} \xrightarrow[+]{} E\ ) + [T_c \to \dot{A}T_{(n)} \xrightarrow[+]{} P\, A^{m}_{[Py]} \overset{\to}{\underset{m}{\mp}} [A_m \overset{\to}{\mp} O_{(n)} \xrightarrow[+]{} (m - A\, \frac{P_{(P)}}{n} A)] + [\dot{A} \overset{m}{\underset{+}{\to}} P \Rightarrow B\, P_{[0]} \overset{\to}{\mp} \dot{Q} \overset{\to}{\mp} \dot{A}Q + m_c\, \dot{A}Q m]$$

$$[\dot{A}P_A]^{m\to}_{+} (P_{(x)}T + A_{[Py]}) + \dot{P}_{(x)}] + [P_c\, B\bar{P} - \bar{P}_{(x)}] \overset{A}{\curvearrowright} + [\dot{A}_{[0]}]^{\bar{m}} \dot{A}_Q\, \bar{O}_{[0]}]$$

$$\langle [P+A] \overset{\to}{\mp}_{c} O[O_2] = [P + \overset{[Ph]}{O}_{2[Py]} + A - A] \xrightarrow[c]{} P(N) = [P'_n + A \mp \overset{[\dot{P}y] - \dot{n}(m) = P}{O} = \dot{A}_c\, O \overset{\to}{=} O_2] + [P + phA + O = P + phA + O_2] \rangle = [\text{micro level}]$$

$$[\mathring{P} + \mathring{A}_{m_T} \overset{\to}{\mp} \mathring{O}^{[\bar{P}h\bar{m}]}_{[\dot{A}O]\,[\dot{0}]} + (\mathring{A}d + pl|^{\to}_{[E_0]} \mathring{P}\, m)]$$

$\circ$ = bigger / higher abstraction / intensity of dots.

$$T[P + A_{m[Py]}\, \bar{Q} \overset{\to}{\mp} E]_{\bar{m}} \{[\dot{A}O] \overset{\to}{\mp} A \overset{\to}{\mp} P'_n[Py] + \bar{A}_{[P]}] \overset{\to}{\mp} A \overset{P}{—} A \overset{\to}{\mp} (\dot{A} + Qin \overset{\to}{\mp} \dot{A}O_2 \overset{\to}{\mp} A_{+\overline{in}}\, A + m \overset{\to}{\mp} P'_n BP]]$$

$$\langle [\dot{A}O] + Ad_{[0]}{}^{c}Q] + \acute{a} + [BP_Q^c\, \dot{A}] \overset{\to}{\mp} Ad \overset{\to}{\mp} [E_c N_P]^{m} \overset{\to}{\mp} \dot{A}O_{[Py]}] \overset{\to}{\mp} P + T_m\, A_{[P-Py]}{}^{n} \to \overset{A[Q-P]}{[\dot{A}O \mp A]} \rangle \overset{\to}{\mp} m(n) \overset{\to}{\mp} TA \overset{\to}{\mp} P_{(P)} \overset{\to}{\mp} \langle m\bar{m}[P - \dot{A}O] \rangle + T + A(P(P)\, T_m \overset{\to}{\mp} Q]$$

$$[E_{\dot{p}c}(Py\,m)] \overset{\to}{\mp} P'_n\, \bar{A} \overset{\to}{\mp} \dot{A}_{[N-Py]}\, O] + [P + A_{\bar{m}O} + O_{[\hat{BP}]}\, \bar{m} \overset{\to}{\mp} \bar{P}_2]$$

$$[P(Q\, \overset{m}{\dot{e}e}\, Na_{(Py)}) + [A_{\overset{+}{(n)}} P]_c\, P_{(ne)}]$$

$$\langle [P+pl+E]_c \xrightarrow{\ } \dot{A}O_{[me(x)]} + A\underset{(x)}{m} \to \underset{(x)}{pl} \xrightarrow{\mp} d_{(x)} \xrightarrow{\mp} A + [\dagger_r] + [\overset{\dot{A}}{me} - (x)] + [B]mpl \xrightarrow{+} (\dot{A}O_{[2]})_c \to P_2 + [Ampl + d$$

$$+ E_p + [me - E_{P[2]}] + [P + A \xrightarrow{BP} A_{(x)} + [\bar{m} P_2 \overset{+}{c} [P_y] + d]_c \xrightarrow{+} [A_{BP(me)} + d][m \xrightarrow{\mp} A_{BP_2}(me_{(x)} - d +$$

$$(x)]_c [A \overset{\Omega}{-} A]\rangle$$

$$\langle\langle P + [\dot{A}P - \Omega]_c \to A\overset{+}{\underset{R}{m}} \langle [P_{(2)} + P_{(3)}]BP\rangle \xrightarrow{\mp} A_{(R)} + pl[P_{[P]}B]\rangle \xrightarrow{\mp} \langle [A_c] + [\dot{A}Q]\rangle \overset{\to}{\bar{m}} ([in]_c \dot{Q}) + (\bar{m}\bar{m}[\dot{Q}])\rangle$$

$$\langle [P + A\overset{\bar{m}}{\mp}[\bar{m}\dot{P}h\bar{A}] \xrightarrow{c} [P_y m]]\rangle$$

Resume an entire page:

$$\langle [PyO] + A_m[in]me)] \xrightarrow{\mp} pl + \overset{[N-P]}{[PyE]} \xrightarrow{\mp} P'_n[Pyo_{[2]}] + \langle [PyO]_c \overset{[n]+[Ph]}{\dot{A}O} + Ad\,Pyo_{(3)}\rangle + (P + T + Py[\dot{A}O]A\rangle \xrightarrow{\mp}$$

$$[\bar{Q}Pyo]\,O_c A + P_{[2]}]) + \langle P + A + (BP\overset{\leftarrow}{m}_{[x]}\rangle\rangle + \langle Py^{O}_{[3]} + Am\xrightarrow{\mp}[me]\rangle \langle P + Am\xrightarrow{\mp}\dot{A}_{[0]} \xrightarrow{\mp} O + Ampl + Q \xrightarrow{\mp} \dot{A}_{[2]}$$

$$mE_{p}+\rangle \xrightarrow{\mp} \langle [E_{P_2}\rangle] \langle P + Ampl + QO \xrightarrow{\mp} O_2 \xleftarrow{\mp} (A + \dot{A}_{[2]}) m[me]Ad \xrightarrow{\mp} \langle [me]\dot{A}_{[0]}\rangle\rangle_c [N - \dot{A}_{[0]} \overset{+}{P}_{(p)-n} \dot{A}A]$$

$$+ \langle A\bar{m}O_{[2]}\rangle] + P +$$

$$\langle \left[\frac{\dot{A}E + \dot{E}_{[2]}}{\bar{m}\bar{m}\bar{p}h + \dot{A}}\right] + \left[\frac{\mathring{A} + ad + [P_{[Py-N]}}{A\xrightarrow{\mp}[Ph_{[0]}]R_c[N-E]}\right]\rangle$$

Åp[n]+[Ad $\overrightarrow{+}$[T-p| $\overrightarrow{+}$ Å]] + [Å[]T-0| c Nd +T p| $\overrightarrow{+}$ [ȦO]] + [T-O[2] d $\overrightarrow{+}$ Åp[17 d+in Ȧa] m Tp| $\overrightarrow{+}$
[Å + p| + d $\overrightarrow{+}$ Å[2] + T[N] d A mp T $\overrightarrow{+}$[ry] $\overrightarrow{+}$ Tm Å[37] +

[[[O + O +] + [o] + [Ȧ]$_{[x2]}$ + O$_{[x2]}$ + [Ȧ] + [O] + [Ȧ] + [O]$_{x3]}$] + [[[O] + [d c Ȧ] + [Ā]$_{[m d]}$] + [ȯ] +
[† c Ȧ$_{[x7]}$]] ∓⃗ [Ȧ$_{[1-2]}$ m Ȧ$_{[3]}$]] + [ȯ] ∓⃗ [[p] c T + Rc]] + [Ȧ] ∓⃗ [Ȧ] †[[Ȧ ∓⃗ ȧ dr] + [O]$_{[x3]}$]
+ [Ȧ$_{[x2]}$ ∓⃗ d] ∓⃗ [O] + [Ȧ d] ∓⃗ O$_{[x2]}$ + [Ȧ mpl py^{c}o] + O$_{[x2]}$ +] c [Ȧ[Å]] ∓⃗ Ȧ[[d] ∓⃗ [py]] $_{m\dot{A}}$ + [Ȧ[d
O/P] +]c [Ȧ[dr]] ∓⃗ O$_{[x7]}$ ∓⃗ Ȧ[d - pl] ∓⃗ O$_{[x7]}$ + [Ȧ[d ∓⃗ T dr ∓⃗ A$_{[x]}$ pl]] $_{[x2]}^{+}$] + O$_{[x2]}$ + Ȧ[
d ∓⃗ [p[d]]] + O$_{[x7]}$ + [Ȧ[[d + in] + dr] m py]] + [[O] ∓⃗ [O c O] ∓⃗ [Ȧ - d pl]] + Ȧ [d [py] - O c O] + [ȯ] +
[A] d [me]] ∓⃗ [O]] + Ȧ [d m̄ py - o] + [O]$_{[x]}$ ∓⃗ [Ȧ[d m̄ py - O + in]] + [[O] + [[Ṫ$_{[1]}$ + [[T$_{[2]}$]m̄] d^{c} Ȧ] + [[Ȧ d] + [O]$_{[x]}$]
^{c}+ [Å] + [Ȧ[d - n[d] O$_{[2]}$] ∓⃗ O$_{[3]}$ m Å] +] + [Ȧ[d ∓⃗ O$_{[7]}$ A]$\overset{\dot{R}}{m}$ ∓⃗ [TȦ + Ȧ d O]$_{[2]}$ + [T$_{[1]}$ ṁ c Ȧ] d ∓⃗ [x]] + [Ȧ[Ad ∓⃗ O]]
[Ȧ[d ∓⃗ + O]^{c} ∓ Ȧ [d ∓⃗ ȦO]] + [Ȧ[d] ∓⃗ O]$_{[2]}$ + [[Ad] ∓⃗ [n] - [O]] c [ȦO] ∓⃗ Ȧ[d ∓⃗ [AO] ∓⃗ O$_{[3]}$]$_{[x2]}$ ∓⃗ [Ȧ[d] ∓⃗ O$_{[x7]}$
[A + mp] + [Ȧ[d]]$_{pT}$ O]$_{[x]}$ + [Ȧ[d] O] ∓⃗ O$_{[x]}$] + [Ȧ]$_{[a d]}$ ∓⃗ O$_{[x]}$] +] [Ȧ - d] ∓⃗ [Ȧ Tm d] + Ȧ[d] ∓⃗ [O]$_{[x]}$ +
[Ȧ[d pl]^{Å} + [Ȧ[d]] ∓⃗ [E$_{o}$] + [Ȧ[d pl]$_{[2]}$ + [r]] ∓⃗ Å[Ā]] $^{Å[A]}$+ Ȧ[d] ∓⃗ [O]$_{[x]}$ + Ȧ[m̄] + [x] + io]$_{[x]}$ + [Ȧ$_{[x]}$ 6 m Ȧ c Ȧ
d$_{p}$l + m̄ A d$_{p}$l] + [[Å - Ȧ$_{[x+]}$]] c [[Ȧ a d + Tm ∓⃗ [O]$_{[x7]}$ + [Ȧ$_{[3-4]}$ [Ad ∓⃗ O]$_{[x]}$ $\frac{[\dot{A}[3-7] d\ O][x]}{[\bar{m} \mp d - d]_{OTm}}$ Ȧ$_{[3-4]}$]
O$_{[x]}$] + [[O [Tm]]c Å$_{[2]}$]] c [[[Ȧd] + [TȦ] + A$_{[x]}$ + [TȦ]$^{c\dot{A}}$] [P$_{[P]}$ + [Ȧd - py - A] ∓⃗ Ȧ[d ∓⃗ Å] +] +$_{c}$ [ÅP + PY + D] +
[Ȧ[d + Ȧ[ȯ] O m E] + [Ad] ∓⃗ A[d[me]] + m] + Ȧ[d] ∓⃗ [E]] + [A[Ad] ∓⃗ [E$_{o}$] + Ȧ[d - T$_{p}$l] ∓ A] ∓⃗ [Ȧ d + pl + d$_{[2]}$] ∓⃗
[dr] + [me] + Ȧ[r]] ∓⃗ P] + [Ȧ[d] ∓⃗ [O] ∓⃗ Ȧ[d + T - o] ∓⃗ [O]$_{[2]}$] + [Ȧ d [O$_{[x]}$]] + [O$_{[x]}$ c Ȧ$_{[2]}$] + A + Ȧ[dr]d
∓⃗ [O] + [T$_{c}$ Ȧ d n] ∓⃗ [[P - Ȧ] + [[mpl ∓⃗ Ȧ] m ṪÅ] + [pl - Ȧ] d ∓⃗ Ȧ[d] ∓⃗ [E$_{o}$] + Ȧ[dr + Q d] ∓⃗ Ȧ[p] ∓⃗ Ȧd] ∓⃗ [N d E] ∓⃗
Ȧ[NE d E$_{p}$] ∓⃗ [Ȧ[o]]c [E$_{p}$]] + [Ȧ - d] ∓⃗ [A[ṁe]] + [P$_{[P]}$ - A]]$^{-1}$ + [Tm Ȧ] + [Ȧ - P] + [BP - Ad] + [Ȧ - pl] ∓⃗ [[Ȧ[d]] + [E]]] +

⟨[P$_{[n]}$ - [1]] + [Ȧ - d] + [T - O] ⟩$_{[1]}$ + ⟨[Ȧ - d + T$_{p}$l] + [Ȧ - d T$_{[3]}$ pl]$_{[2]}$ + [[in d - M] + [T$_{[1]}$]] d ∓⃗ [T - O]$_{[2]}$ + [N d A$_{[x]}$ - O]
⟩$_{[2]}$ + ⟨[P$_{[n]}$ - [1]]$_{[2]}$ ⟩$_{[3]}$ + ⟨[P$_{[1]}$ Ȧ + d] ∓⃗ [[T$_{[1]}$ d Ȧ]$_{[\overset{T}{m}]}$ ∓⃗ [A - d$_{[\overset{T}{m}][1]}$]] + [P$_{[n]}$ - [2] + [[Ȧ - d] + [[Am - p]]
+ [dr]]] + [Ȧ - d$_{[2]}$]$_{[p]}$ + [[Ȧ d +] ∓⃗ [E]] + [[Ȧ d ∓⃗ [x] c] + [P$_{[n]}$ - [1]]$_{[4]}$ ⟩$_{[4]}$ + ⟨[T$_{[1]}$ d Ȧ] ∓⃗ [A $\overset{d}{-}$ A] ∓⃗ [P$_{[2]}$ - Ȧ] d ∓⃗
+ [O[BP] d P̄y - o]c Q + [me]c Q$_{[2]}$ + [T - O] + [[ÅP - N - d] ∓^{c} [P$_{[2]}$ Ȧ]]$_{[x2]}$ [d] ∓⃗ [P$_{[2]}$ - [n]] ⟩$_{[5]}$ + ⟨Ȧ[d] + [
[Ȧ - d] ∓⃗ [Py d mė - O]c Q] ∓⃗$_{[m]}$ ∓⃗ Å[o d ∓⃗ Py - Q] n] + Ȧ[d]$_{[2]}$ + [ṁp]c [n] ∓⃗ Ȧ[ȯ]$_{n}$ ∓⃗ [BP]] ⟩$_{[6]}$ + ⟨[A $\overset{d}{-}$ A] +
Ȧ - P$_{[2]}$] + [Ȧ - d$_{[n]}$] ∓⃗ [Ȧ[P$_{[1]}$]] d] ⟩$_{[7]}$ + ⟨Ȧ - P$_{[2]}$ - n⟩$_{[8]}$ + ⟨[T$_{[1]}$ d Ȧ] + [[Am$_{[T-1m]}$] + Ȧ[dr]] d [Py$_{[d]}$] +
[[in ∓⃗ me]c Q] +] ∓⃗ Ȧ[d - pl [d m - in] +] ∓⃗ [T - O] d ∓⃗ [mp]$_{[x]}$ + [Ȧ[Q - $\overset{+}{m}$ - d] [d ∓⃗ $\overset{+}{P}$Y]] + [A[T$_{[x]}$] - d] ∓⃗ Ȧ[P] +
[Ȧ d[m - py] + [m - T$_{[1]}$]] + Ȧ[P] + [Ȧ[d]]$_{[m - T[1]]}$ + [A[Ȧ mpl [d - n]] + [[Ȧ - P] d ∓⃗ Ȯ[n - d ∓⃗ P] + [Ȧ[me - d]
∓⃗ O[ph] + [Ṙc ∓⃗ Ȯ][n - d]] + Ȧ[d$_{p}$l - m[A[A mpl [d - n]]] m d] ∓⃗ [Ȧme d N ∓⃗ Ȧ E]c Å[d pl - A]] + [O$_{[x]}$ d$_{p}$l + Ȧd
+ Ȯ$_{[x]}$] + [Ph$_{[PY]}$ ∓^{c} A] Ȧ$_{a}$ + [[P$_{[P]}$] - N] c Q] + [[Ȧ - d]$_{[PY - in]}$] + [Ȧ[d]$_{[n - PY]}$ + Ȧ[ṁp]] d ∓⃗ [in] - py] + Ȧ[P] +
[P̄Y - O] d Ȧ[d - P$_{[n]}$] + Ȧ[d] + [[BP m̄] d Q] + [NÅ]$_{m[PY - d]}$ ∓⃗ [A$_{[x]}$ d [P̄Y + O]]c [O] ∓⃗ Ȧ[d]] + [Ȧd ∓⃗ [O$_{[2]}$]c ∓⃗
[P̄Y - O] + [Ȧd ∓⃗ [O$_{[2]}$ c] ∓⃗ [$\overset{+}{P}$Y - O] + Ȧd ∓⃗ [O$_{[2]}$ c] ∓⃗ [P̄Y - O] + Ȧd ∓⃗ [O$_{[2]}$ c] ∓⃗ [Nd ∓⃗ Å d ∓⃗ P̂Y$_{[n]}$ - O]] +

[À[d →̧ O[a]] → À[d][ry-N] → À[P-d] +[[r Ȳ-O]c [PY À d] → À[Å-O] [PY[N] d m̄c d] + À[d → [O] c → A [PY-A]

[T[a] m À] + [À[d → Å] + À[d [ami(d)] c À[d] → [[N[ph] d P + BP d [c] O[ph] [PY] d̄] [N]] c [PY[N] d Ō] c Å],

+ À[d O[a]] + [[PȲ - Ad] → [Ad] → [[Å[N̊ d]][x] + [PY-N-d Å → P[P]] + [À[d]] → + O] c → [À[d → [N]] + [P[D] À-O]

À m P-d]] → [PY[N] m P[P] d] + [[Ad] [N m + c]] + [À[cd] + [[Ph[N] BP m̄] c Q[N] → [PY[N] m Ph d [PY-O]] Q[m] → [PY[N]

- O [d] → [m̄e]] c [Q̄][PY] + [À[P d + m] → [PẎ-O] [N-m] [T[1] Ā]] c [ÀQ] + [[BP [Ph[N] m c Ā[Ph d]] + A m/Pl A → [B] d

c [ÀQ[a]] [PYN d → PY-N] + [À[P] [N] c Ḿ d] Å P]] c [Å P[N]] + [À[d-N] + [Å P + P[P] d] [N]] → N̊[d] → A[x] m BP d [N]]

c [PhQ] = [PY[N] → [PȲ-O] d] → [ÀBP → A]] + [À[d O[a] →] + [Ph[N] d O c PhQ] + [[PYN-O] c Ā[PY d] + À[d O[x]]

→ À[P d]] → [PY[N] d À Q[+Ȧ[N]] m] → [ÀP[P] d] → À m Pl → [[PY-O d [Ph d] → [x]] c Q̄[d]] c Q[d] → [N̊] d [Ph[N]]

d À[Ȯ] d[a] m] c [Q̄[Ȯ]] → [m̄ Ph[PY N]] + [Ad] → P] c d] → A d → [PȲ-O d m e + N] A c Q [d] → → À[d

Å] + [À[d m̄P] c [PYN d m[N] → Å P[N]] → [BP + d r + P [A] d A → [P] Ē P] c À d [N]] → [[À[Ȯ] m] c Aa → À[Ȯ] c À

+ [[À[Ȯ] d Q[Ȯ] → m BP[c Q[Ph]] c Q[À] + [À d O[d]] [x]] + [Ad [NPY] d À m e] m] → [Ad] → [Am] -

[[BP [Ph[N]] [O] A → [P] À c] [PYN d → [m̄ P] → N̊] +] + [PY m Ph Å[PY]] Q[Å]] → [m̄ e d A] → [Ad] → [PY-O]

m[N]] c Àa] → [Àd → [P[P] Ȧ] m[N] [PYN d] → Àd] + (Àd) → [[À [c + P]] c Àa] → [P[Àd]] → [Ad] →

Ph [BP-O]] [PY-N] d Ā[ā] m Pl]] + Ph[N] d O c PY[N] d À[Å]] + [À d [N] d Å] → [À P d] → [T[1] + À d] m P Y

[[À m e] → [A m Pl [PY d → Ph[a] N d Å m]] + [P [À [a] a À[T[O] d P [1] d]] + Àd → [[Å E[N]] P[Å]] + [Ad O[x]]

→ [Ad[N → Ȯ[a] → Ȯ[a]] (m[N]) + [[BP m̄ + Àd + T[1] m À] c Q[Ph]] → Å P [N̊ d Ō[a]] + [À d [Ȯ[a]] → [À[P d]] → →

[N̊[d] → Å P] → [À P[3[N]]] + [À d [N] → Ȯ[x] → [À P + d]] [T[1] m À] + [Ad] → [À] → [A m Pl Ph N d → Ȯ[a] m Pl → Ȯ[1]] →

[Ad →] + Ph[N] d [O] À d [PY[N]] m̄ Pl + c m̄ Pl + c → Ȯ[1] → [PY d Pl → Ȯ[N]] →] → [Ad] → [Å → À P + À c +

À[N]] + À c → Ȯ[N]] + [[Ad - À → Ad]] + ~~P[P] Àd~~ + [[P[P] À → Q [m → Ad]] → d → Ȯ[a]] [O]] + [[T[1] À]] + PY-N

d À → [A m[N]] + [À → [N] [x]] d] → T[1] À m] + [A d → O[x]] d [O[N]] À → [A m[N]] + [À d] → [O[x]]

c → [PẎ-O [d PY m P]] c [PY[a]] m → d] →

p+[at $\overset{4}{\vec{t}}$] $\xrightarrow[c]{A}$ ([A ot] → [trel → mot ↓ ~~))~~ ([i - tret])

$\dot{A}d \to N[A \xrightarrow{Q} A] \xrightarrow{M} P' \pi [Pr] A$

At m

$[P_1] \xrightarrow[c]{A}$ Olj → P 152

↓ A - [NȮC] >

NOC

Bc 0

Pret Olj 1 ⟷ 158

p + Ȧ - Olj + et + Ȧin + Q A ×2

$(p \vec{t}$ et → p_2 → mot - p_2 + p_3)

p $\vec{t}$ BP - mot + ot $\vec{t}$ p_2) ×500

→ ot 2 $\xrightarrow{M}$ din → ENV)

(p + ot + din + Q A $\vec{t}$

[Ȧ + Olj] → Ȯ → ⟨Ȧ conv]

Ȧ (PS)

p2 + BP + ot $\vec{t}$

P + ot $\vec{t}$ et ṁot.

p + ot $\vec{t}$ olin

(p + ot) $\xrightarrow[c]{n}$ Ȧ p (ke) - p

(p + ot $\vec{t}$ p_a) i mot + p + ot + → Env ⟹ Ȧ

⟨P + ot + Env - Olj $\vec{t}$ my ot] Ȧ - de

BP $\vec{t}$ mot) Ȧ + BP + et

p_2 + et $\vec{t}$ Env - olj $\vec{t}$ ṁot - et

p_2 + et

[P + et $\vec{t}$ et (p_2) $\vec{t}$)

$p_2 \vec{t}$ mot $\vec{t}$ ot $\vec{t}$ p_2 , BP) + olj -

[mot - p_2 BP +) Ȧ

Ȧ Olj $\vec{t}$ et $\vec{t}$ p' , BP $\vec{t}$ olin + Env

p $\vec{t}$ BP + et $\vec{t}$ p_2 + et + ot + p_2 $\vec{t}$ p + ot + din + et

Env $\vec{t}$ p mot + p_2 + din + ot + Env $\vec{t}$ p_2 $\vec{t}$ ot $\vec{t}$ Env

Nóc → P(g) → + P(Lpen → 2 Noc → 15 → P(n) – d P → 16.) + P + 17 → [illegible]

tref → P → + mod → P' 2 → P + 3 → Obj + → Env + P → QA + Pgen 5 → Env 2 + P + 6 + ~~[illegible]~~ mod → Env + Á[illegible] P + 5 + (Á) + 0 + P → P → 7 → QA + 8 → Á – 9 + P + 1 → mod

10 + (7 / 1 + P + P2) (gen → mod + 12 → P → (+ 13 + 14 → mod + (. Env – P →

Obj Á mod → Obj → Env nóc – Á obj Env + + 18 → Env – Obj → (+ 19 → Env – C + 20

(Nóc) – g + tref mod – 21. + Á – mod → Pgen → 22 → P → Á (n n) 23 → + tref + +

Á tref → P – n – x(Á 00 + 24) Á Obj → Noc + (25 → Nóc 2)) + (21) > + 2 → 1

Á QA + 2 2) (Á obj) → Á py → (26) → Nóc → Noc → Noc + 27 + (Noc) → 2 → n

(noc) 2. (tref) → (Á obj)) → (P + 30 → + (→ P Env) → 2 gen → Noc – Á py)

tref + P 3 → Env → QA + tref → P + et + [Á/ – 3 → on Á (nóc) Á obj) → 3+)

– mod. + Á obj. + P + ◀ tref → Obj → et → mod → ṁ = QA) + P + et

[→, in d + Env (obj → → et 4 → Env 4 + et 5 → Obj (Env)] + (P(n) + Noc →)

[QA + 3 2 → P(n) – 2 g → et 2 → (mod – et + mod Á P5)] + pl + comp + Noc – P

(Nóc → et 8 → mod) + [P' + et 9 → ṁ (→ Env] – comp – Á – BP mod → Á (r)

⟨+ et 10 → ~~Env~~ (Env 2) → Ped 11 → ṁ → Á Noc = P(n) 3 + nóc]⟩

⟨+ P | → Á [Noc] → et 12 → P 2 → 13 → P 3 → 14 → P → 15 Á 16 + ⟩ +

17 Á → [Nóc] – 18 + P + 19 → Obj + 20 → comp → Env – 2 × 2 → Env – P +

time ref + x2 ⟩ + P + 21 → (Psy – mod) + 22 → + tref + P +

23 + QA → pl → Env P → 24 → Env P → [pl – P = Á obj = 25 + tref] ⟩

P' + (BP + 25) → [Á Obj → 26 – Q – 27. Obj + 28 → BP + 2) → Obj (yP →

Obj → (Á 2)) + P + 29 → (Obj → 30 Á) → P 2. P 2 + 31 → Env – Obj r > (

→ pl + Á mod P 2 → 33 → pl → Obj (Env + P + 37 → BP + Obj) > E(8)

→ Env P → mod + [(Env Á – Obj) – P] $\xrightarrow[c]{\dot{A}+}$ noc – n – P' BP Á obj

[P' + 39 → Obj → 40 → Á obj – P) → + [P' Obj Á → 50 P → ṁ → Env

(P' → [Noc) – n →

⟨P ≠ [Noc] → Obj) ≡ Ȧ Obj ≠ 1 ≠ P(P) ≠ Ȧ(00) P₁ + Q + P≠ P₂ ≠ B_P
≠ mod Ȧ(mod) → BP-mod-obj + ⟨P₃ ≠ 3 ≠ Obj ≠ din ≠ 4(Ṁ) → [EnV - P(P) - 5] ≠
(6 - din ≠ Ṁ) → Ȧ mod + P₃ ≠ 7 ≠ BP ≠ dir + d ≠ P₁ ≠ ⟨P₂ ≠ QA ≠ tref
Ȧ 8 (din) + P(P) - 2 ≠ EnV obj Ȧ → (Noc 9 - n + 9 ≠ P(P) ≠ 10 → Ċ → A_P →
P(P) → EnV. + P₅ + P + 11 ≠ (QȦ ≠ (12 mod - ċ) - QA ≠) + Q2 X A(B + mod
+ tref + P ≠ Noc - P₂ ≠ 13 ≠ (P(≥6) ≠ 14 + P₂P₂ + 15 ≠ (P(P) - y) ≠ 16 + 17 + 18
+ 19 tref ≠ din ≠ EnV + d ≠ obj + din₂ ≠ (EnV (17) - obj ≠) 20 ≠ EnV₂.
[tref ≠] Ȧ obj ≠ Noc - n ≠ P(n) ≠ 21 ≠ P ≠ 21 ≠ Noc q ≠ ⟨[Ȧ obj] → Obj
22 ≠ QA (t) ~~P(2)~~ (P₂₄ ≠ 23 ≠ (Ȧ obj))) ≠ (24 ≠ BP(A) ≠ 25 Ȧ - tref
+ 26 ≠ mod ≠ ⟨EnV - th - noc - g ≠ × 2 ((omn) (P + 2 ≠ BP) → Noc -
n → [Ȧ obj] → BP ≠ P + 26 ≠ (EnV Ȧ) ≠ 27 ≠ EnV ≠ mod ≠ EnV P -
mod ≠ EnV - n - P(P) ≠ mod ≠ EnV (A + BP - ≠) (P + B) → mod ≠
din ≠ BP → Ȧ → din + ot × P + ot ≠ [EnV (P obj) → Obj)
⟨P + 27 → Q̄A + int × 3 ≠ 28 · A(Obj) - din + din + P + 29 ≠
din ≠ (P + ot + din + tref) + [8 × 7 mod] - (Ȧ - din) - (Noc) →
≠ P + ot + din ≠ (Ȧ mod → PP) + P + ot + tref ≠ P + ot + Ȧ(30) → Obj
P₁ + Q ≠ din ≠ (A mod P_y ≠ din) + 31. + P + ~~32~~ (32 + d) EnV ≠
(EnV P ≠ (mod (33 → EnV) ≠ EnV₂ + mod + 34 → EnV(2)
+ P ≠ P + ot ≠ in d (EnV ≠)] → A obj ≠ P + 2 ≠ din ≠ (EnV obj
P ≠ (EnV - obj 2) + EnV - obj (2) + (int × 2 ≠ (3 Ṁ) ≠ din) +
⟨int × 2 ≠ (m) din) ≠ 7 ≠ Noc - n - y → EnV ≠ 5 ≠ A(P5) +
mod ≠ × 3 ≠ [6 + din + d ≠ (EnV ≠ obj)₂] + din tref + 35 + d
P + ot + din QA + P_y ≠ din + EnV + BP + din + P + (36 ≠ EnP ≠ P)
Ȧ mod ≠ 37 + 38 + 39 + 40 + 41 + 42 + 43 + 44 + 45 + 46 + 4

≠ P + 4 Q ≠ [d
⟨[5 d ≠ 53 ≠ Ȧ(
Ȧ obj + [tref] ≠
Obj ≠ (EnV obj +
[P ≠ ((Ȧ 00 ≠ 7
- 59 (mod] - P(
[52 + din ≠ EnV
BC ≠ ⟨(Ȯ ≠ + λ P(P
(ȦȮ ≠ P ≠ tref
ȦO ≠ 67 ≠ (P) ≠
Q̇ 4 ≠ (ȦO ≠ A QA - 6
≠ Noc P ≠ (QA ot ≠ N
≠ ⟨: 7 ≠ ~~A EnV~~
A 68 ≠ mod (Obj - noc
A 0 ≠ 70 + mod + M = mod
(A 73 + Om) + (7 + + 7
O ≠ (78 n → 79) + (Q̄ +
A P y ≠ 7 + (P + 8
≠ (ȦO) → Noc - (BC)
BP ≠ P ≠ ȦO ≠ P
Q̄ + Q̄ + Q̄ + Q̄ + Q̄ +
P + 97 ≠ P₂ ≠ (OO →
(m →) ≠ P ≠ EnV
P - (O) ≠ Q λ) → (
+ din ≠ EnV - P) n -

T P + 40 T (din + A mod → Olj T 49 + 50 + int P 51 T P C P Pe
(T 52 T) 53 T · A (olj) → 54 T (QA + P dm) T H n E t T A · P T 55 T
A olj T [t nef] → EAV) T P + 56 T P n T EAV mod (+ Olj → din) T
Olj T (EAV olj + EAV] T A olj (d T (Olj T olin + EAV A T E A r P I 57 T
7 r e f ((A 00 T 7 [A olj T A w T) ⊂ P T EAV olj T P + 58 T T 5 T
→ 59 (mod] − P (c o l o r x x) f P x 2 − mod → A (ey) T 60 T mod (A)
T 61 + din T EAV P J, E P T + P (e) T (62 T mod) T A Olj T E e T 63
BC T ((mod 64 f x P (e)) T (P + 65 T P 2 T + P 3 T (QA) T Olj T
(A O T P T t n T 66 T (67 + c → QA − mod) T (Olj T mod T QA] T
AO T 67 T P (e) T t n T (EAV P T AO T] ⊂ (A olj T P) → (P (e) T 68 T A olj T
Q A 7 T (AO T A Q (− 61) T P + 62 + dn) + P + 63 + 64 T P (r) + Noc n T t nd
T Noc P T (QA c t T P + 65 T dn) T A din T ~~A0~~ P (e)] + P g T (65 T QA mod)
T < 6 7 T ~~AEN~~ A (E + QA x 2)) T (EAV P T QA mod T P y → Noc − n → P) T
(n 68 T mod (Olj − mod)] T, (QA mod T (69 mod) → Noc − g − n P) T AO T 00 + Q T
+ 0 T 70 + mod + m = modifin T 0 P T (71 + m T Q + 0 T (0 m T (72 m) + P T P (+ 0 m)
(73 + 0 m) + (74 + 75 m) T) T T 76 T T 2 T AO T 77 (t ~~din~~ 0 x 2 T) (m P +
0 T (78 n → T) (Q + AO T (P T 80 m 81) T m − 8 T (P T A ey T) tint
A ey T T (P + 83 T m) A P + 84 T [Q A C P (0) − P 5] → Q → (P mod) T 85
T (AO) → Noc − (P 6) → 87 T (Q A olj) T (9 r t → P + 88 + T 1 T 89 T 90 T 91 T QA
(A T P T (AO T P 2 − n T (92 T 93 T Q n AO) T T 2 94 T (Q T Q + Q + Q
Q + Q + Q + Q + Q T P n + 7 + P y T T ((P + 95) T (P 2 T 96 T P 3)
(P + 97 T P 2 T (00 → 00) + 0 x 3) + P 2 + 98 T [AO T 99 + 1 + Q T 100 T)
(m → T P n T EAV 0 mod)) T AO T Noc − n (T P y − P 5) − (101) AO) T T
P − 101 T QA) → (103 T P − T 5 T 105 T P y T 107 n + P 109 T 109
(din T EAV − P) m − P + 105 T P T 140 T 50] (Q → P) T 111 P −

Ṗ + 7 + [ȦO] ⃗+ [P +) - Noc + 2F (P₁ ⃗+ 3] → P₁₍₂₎ ⃗+ (F m) ⃗+ [5 + Ȧ dj)

(Q + Pch) ⃗+ P₂ ⃗+ 7 > < + [P + 8 m - D] → > [9 + → + - m] + (E_P - 0) - A O + (P + 10)

(P ⃗+ 11 + int + < 5) + [P F (P_y) · 12] - m ⃗ ȦO →) ⃗+ 13 . < P ⃗+ [Noc - n] ⃗ n +)

⃗ Q̄A ⃗+ 14 ⃗+ P ⃗+ BP + int < 5 ⃗+ QA ⃗+ 15 ⃗+ GJ + 16 > Ȧ +

< Ȧȯo + [Noc] - 17 ⃗ (P₍cl₎) ⃗ ȦO ⃗ ENV] + 17 + 18 + QA ⃗+ [r + P₁₅

Qx3 ⃗+ Env - ~~O~~ O ⃗+ Ȧ mod ⃗+ P > < P + QA + int ⃗+ 19 ⃗+ m ⃗ O

[→ P + 20 ⃗+ D ⃗+ T] + P₂ ⃗+ 21 + [r + ⃗+ < ȦO ⃗+ 22) [+ mod 23] +

P₃ - n ⃗+ ȦŌ₍₂₎ > [P + 2 + int ⃗ BP ⃗+] ȦO ⃗ [Noc] n - P + P + Q̄ ⃗+ 25 +

[23 (P) ⃗ Ȧ → (m_Py) → 24] + < [Noc - n] - 7x] > + 5 > P ⃗ [25] → Noc -

[AP ⃗+ 26 → O] ⃗ < Ȧ ⃗+ x3 BP + Noc + EO + P₍cl₎] > + 27 ⃗ Ȧm + Q x3 + int

2 + Q̄ ⃗ Q + + 27 + B + < P + O ⃗+ BP + P + 28 + d ⃗+ E > < noc - T > + [ȦO ⃗ P₍cl₎] +

(T + 29) + 30 + 31 + 32 + ȦO + ȦBP + EnV_P > + (P + n BP) - Ȧm → /

< EnV + P + 33 + P + [Noc] ⃗+ 34 → EnV + 8 + Q) + EnV_P m + (P + 34) + P + 35

⃗+ E_P + < T ⃗ Noc > + ENV + EnV_P ⃗+ P₍cl₎ + 36 ⃗+ m ⃗+ QA x3 → 37 +

din - ~~Env +~~ E_P ⃗+ EO ⃗+ < P ⃗+ 38 ⃗+ < ȦO - noc + [noc - Q + QA (m) > +

P ⃗ 8 ⃗+ 39 ⃗+ Â_P → O₍₂₎ → EnV - E_P > + ȯo P + 40 and ⃗+ E_P ⃗+ P₂ + m + O - B) + P₂ din

int + (T + m - 41) + P + 42 - m (ȦO + 43 + (EnV x x + Q) ⃗+ ~~P + 5~~ < P + 3 BPOC P2 > ȯo P 44 BP)

- m (45 dpl) . BP + mp + (BP m̄p) m EPP EnV P A Q̄ P₂ PNOC Ā NOC g ȦTx2 + ȦE) < ȦT T ȦPy PS +

ȦPy - mod P - y) Ȧ dj + < EnV + ENV₂ > Ȧd + ~~(A + c - 0~~ 44, 45 + + + < T - T > < P_c ȦO > < 46

(AiQ) ⃗ in - P +) ⃗ ȦO + ȦQ + 46 + BP + QA < EnV + EnV₂ > < T - T x3 > + QA x3 + P +

+ 7 + QA x9 ⃗+ Ȧm (EnV 48) ⃗ (ȦO ⃗+ (EnV + EnV) + 47 ⃗+ P₍P₎ - noc - n + P >

noc ⃗ noc ⃗ d ⃗+ P + d ⃗+ mod F (noc - y | ȦO ⃗ 1 P d + din EnV + dy - 0

P + A + EO + n ⃗+ P₂ ⃗ 2 + EO + E_P

A d + 7 < P + P + 2 ⃗+ 7 x2 EnV > NocE T + P + P₂ EnV -]

4 + P + J + T m ⃗+ P₍₂₎ ⃗+ P₂ + P₄ + P₅ + P6 + P8 + - P₁₆ + 5r < P + int P + 3 + P + P ⃗+ m + 4

in + QA ⃗+ int ⃗+ QA - Q̄A x 2 + < ȦO + P ⃗+ BP ⃗+ Noc - y > +

T.+ P+7+ [noc – ᶜ2c] → 2↑ 4 7 P3y → [noc] -n-j + QA(+Ȧ – 0lj)

~~Pc~~ (P+5↑ P+6 + [din+)] +(TȦP)↑ > ⟨Ȧ+P+7+ (0-noc°/ Pc(5

-8-m∂ 7c Ȧ O → PBPm] + ⟨P+ PPc → 0 F Ȧ B⟩ (+B1+xNoc Ȧ OBJEN

PBP+A PQDP2 mP2BPO PANocP2O EΛVA Noc P3 AENVAPP3 I3POGAVI]Pm OA

AG nvmAP2 AAAxx3 AENV mOmP2 P-AB↑OP NOC: ȦOOx1C ABPOPmdAPm.

PABP-c ȦO Ax5Ȯx3 mBPPA ȦBP mdAEΛV PAEΛVAPOABPOA MPr(A)AP(a)m P3Al(oll, me

DAP3 Am PrPP. P+L P+ mAT+P3y+EpcM → Q̄ +ȦQ̄ Noc(Ȯ+A+) ⟨A→ mA-n⟩(2 Ā y)+

T+(P→ ÂOL-n/m) → ȦO → A-m → T) ⟨E+P+(A + Q+i+) + [E ΛV F (Noc+y -0) + A + ȮȮ EΛV A

Ep = ȦO → A+(P→ m(P3y)] → [Ȧm] -x[ȮȮ +Ā] -(ȦȮP) → [P+A+5x0 → ȦO+5 + Q̄]+) +

Tm → P+ A+[ȦO) → Ȧ → [ȦO2] - Py-nn]) c[ȦO → P +Am]) ⟨. AO → Am+ → Ā (A + ∂ → P)

→ [Noc) (P+ ȦP) -] A → EΛV, din + [Noc -n]c EΛV → P+{ EΛVA(P) P̂ → A + P3 -

(ÈΛV) → [P+A+(PȮ - Â) → (Pᶜ0 + P∂)] + P + A +Q[BPc - m (Am → A) → Pl+P+A +c) + ȦO + A

+TA +(P+A→ ȦO)P +(A→ ȦO → Tm) → A+Ȯ + A+ A+∂ + P+Bn(Ȧ m∂-PP) → P+A + 1+∂c

[Ep] → ȦȮ -[Noc-op +(Ȯ - 3m→) → m + Ēp = Ȯ → [ȦO+ m → A+Ox2] → m(A

Q̄ → Q+A+P̂ + A + Q̄ + Â → P+(P+A+O+) → (Ep0 → EΛV(P) + A + O + P + Â

A + Ēak Âc → m + (ȦO → A] ⟨ [ȦO → Ā + m → O] + (ȦOᶜP →] → Q x 3 + [Oᶜ] P/

P + (m̄ [noc]Ay → 5)AO → [ȦO] → + → (Ap+ → P → P + Pa + A∂ + QA+A∂(m] → O6 → Q noc

[P x 5 + a∂ → QAx3 + O)]. + ȦO + P+A + P + [ȦO] → P + A+ A + Ep → E P 7 + P + R + ĀO

+ A + Q Am → ~~Am → ~~ [m+ Pn BP] + (ȦO + P + (A+) → [→ Q̄ x + (ȦO + a + ∂

⟨Q̄-P x 6 + A∂ + Q̄x2 + r x 5] → [Noc] > [r, → Q̄ x2 [noc] + A∂ → P[noc] → ∂]>

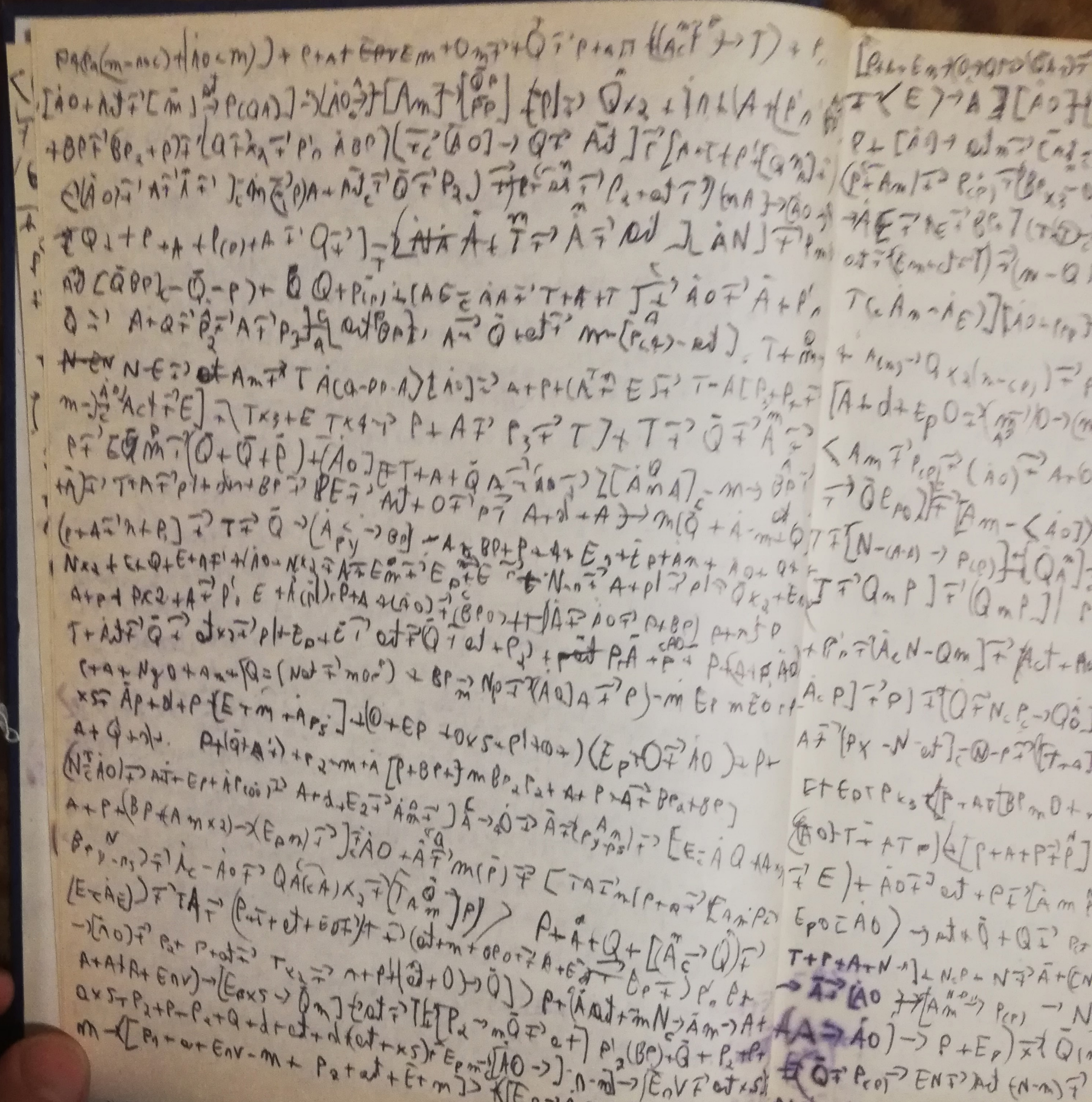
+ A+BP/ m̂ → 7 → P2 n + (PcA) → E1 A+A+E + Ep + P + A+(E + Ep x r (E + P) → noc

([ȦO] -m + P + a∂ →) = m → (a∂ → m - a∂ → Ep̂ noc P E)

E+P+A + [Ep - 0 - (ȦP + m̄ QA) → (P'nO + a∂ + ∂) [ȦO → m → P+] → P + a∂

[m]) + Ep + E0 → m + Ep + E0 n Y2/x5 → E0 → [ȦO - noc] → EΛV2 + [Ȧ Ep v s

[AEP → noc E3] → P + E + A + P + E0 → O + (E0 → O + Q



$[P+A+Em \rightarrow (O_c \rightarrow Q P \rightarrow) (\bar{Q} A_T) \xrightarrow{T} (P+A+E+Em] \xrightarrow{T} [A_T T\ d \xrightarrow{T} A \xrightarrow{T} E_m \rightarrow E_O (c \cdot Em P)] (P + \bar{A}_m \rightarrow \bar{d}\ T)$

$\xrightarrow{T} \langle E \rangle \rightarrow A] [\dot{A}O] + [\bar{Q} \xrightarrow{T} [\dot{A} P \cdot P_{\cdot}] \rightarrow P_{(P)}] \xrightarrow{O}_{c} \dot{A}m \rightarrow [A d_m]_c \cdot N_j \rightarrow m] \xrightarrow{T} (\dot{A}) +$

$P + [\dot{A}O] \rightarrow ad_m \xrightarrow{T} [\bar{A} d_m \cdot \dot{O}]_c [\dot{A}O] \rightarrow [P, P \overset{c}{=} \dot{A}_m \xrightarrow{T} B P_c + \overset{m}{\bar{d}}_{(e)}] + O | A_{x_2} + Q A + T \rightarrow$

$(P \xrightarrow{T} Am) \xrightarrow{T} P_{(\dot{P})} \xrightarrow{T} [BP_{x_3} - O_3] \xrightarrow{T} AO \xrightarrow{T} A + (O - BP_c) \xrightarrow{T} P] \xrightarrow{T} (\bar{A} \rightarrow \bar{E}A) \rightarrow BP \xrightarrow{T} E\bar{O} \xrightarrow{T} A_m \rightarrow E_P)$

$\rightarrow \dot{A} E \xrightarrow{T} AE \xrightarrow{T} BP_c] (T + T)_c E_T c T) \xrightarrow{T} A \xrightarrow{T} ([\dot{A} \bar{m}]_c \xrightarrow{\cdot} (Q_m)) - (\dot{A}O)_c T \xrightarrow{T} P(\bar{Q}) \rightarrow A(T_T \cdot P_T$

$ad \xrightarrow{T} (Em + d \xrightarrow{T} T) \xrightarrow{T} (m - Q) \xrightarrow{T} [A_P \xrightarrow{T} Ad \rightarrow \bar{Q}] [\bar{Q} + T - N d]_T (P + \bar{Q}_d \hat{a} \rightarrow) [T, T) + \dot{A}\overset{u}{m} \xrightarrow{T}$

$T(_c \dot{A}_m - \dot{A}_E)] [\dot{A}O - P_P]_c \rightarrow \overset{N}{\dot{A}}P \xrightarrow{T} A + Q + \bar{Q} - A + (P - P) - \dot{Q} \xrightarrow{T} A_{(m \cdot m)} + \bar{Q}_T\ P + [\bar{O}]_c A$

$+ A_{(m)} \rightarrow Q_{x_2} (m - (P)) \xrightarrow{T} P \xrightarrow{T} A + P | + (BP_A) + (Q \xrightarrow{T} Q + \bar{Q} + P) x_3], + [E\ \dot{A}O] \rightarrow [T]_m$

$[A + d + E_P O \xrightarrow{T} (\overset{m}{A} \rightarrow) O \rightarrow (m + d \rightarrow P_{(P)})] \xrightarrow{T} A d_m \xrightarrow{T} N [A - A] \xrightarrow{c} \dot{A}O - [E \cdot V_{P(-m} - \dot{A}O] \rightarrow]$

$\langle A_m \xrightarrow{T} P_{(P)} \xrightarrow{T} (\dot{A}O) \xrightarrow{T} A + (O \xrightarrow{T} m)) + x(2 - P_{(P)}) \xrightarrow{T} + A(P_m \rightarrow E_P \xrightarrow{T} E_{P_2} \rightarrow ad + E_{P_3}$

$\xrightarrow{T} \bar{Q} E_{PO}] \xrightarrow{T} [A_m - \langle \dot{A}O]) \xrightarrow{T} [P_{(P)} \rightarrow \overset{\dot{A}}{\hat{E}}_c \rightarrow [\dot{A}\overset{N}{O}_E] \xrightarrow{m} P_{(0)} \overset{+}{n}(E)] (\dot{A}O - T) + P + et$

$T \xrightarrow{T} [N - (A \cdot A) \rightarrow P_{(P)}] + [\overset{m}{\bar{Q}_A}] \xrightarrow{c} \dot{A} \xrightarrow{T} P_N \rightarrow N(A - A) \xrightarrow{T}] + [[P_{(m)}[n] - \langle E)]$

$[T \xrightarrow{T} Q_m P] \xrightarrow{T} (Q_m P]] \mid P = \dot{A}O -) + \dot{A}O_2 \xrightarrow{T} [N \dot{A}O -_c P_{(P)}] \xrightarrow{T} P + T + A \xrightarrow{T} P + A + P$

$+ P_n \xrightarrow{T} [\dot{A}_c N - Q_m] \xrightarrow{T} [A_c T + A_0) [\dot{A}O \rightarrow P_{(P)}) =_c O \xrightarrow{T} m + [\dot{A}O] + A \xrightarrow{T} N_{x_3} + P_{(0)}]$

$[\dot{A}_c P] \xrightarrow{T} P) \xrightarrow{T} [Q \xrightarrow{T} N_c P_c \rightarrow Q\overset{\dot{A}}{O}] \xrightarrow{T} Q + \bar{A}_T \rightarrow [\dot{O}\ a\ \overset{N}{P}_{(P)}] \xrightarrow{T} \bar{Q}_{x_2} \rightarrow P_{+T} + \overset{\circ}{A_m}] +$

$A \xrightarrow{T} [P_X - N - d]_c \circledN - P \xrightarrow{T} ([T + A] - N_{m_c} \rightarrow \dot{A}O \xrightarrow{T} A) \xrightarrow{T}_c m \xrightarrow{T} (\overset{\bar{Q}}{\dot{A}}) \rightarrow N_c \bar{O} - \bar{Q} \rightarrow [\bar{Q}_{\hat{m}}]$

$E + E_P T P_{x_3} + [P + A \xrightarrow{T} [BP_m O + mO - BP_2] x_3]\rangle \rightarrow_c (P + A + [\dot{A}O] + P) + A + P\ de\ mP_m$

$(\dot{A}O) T \xrightarrow{T} A T P) + [P + A + P \xrightarrow{T} \overset{N}{P}] \xrightarrow{T} [\dot{A}_0 \xrightarrow{+} P + P_{(2)} + A + mP] + \overset{P}{\ } [\dot{A}O]_c \rightarrow E_c \rightarrow_d P$

$\xrightarrow{T} E) + \dot{A}O \xrightarrow{T} ad + P \xrightarrow{T} [\dot{A}m\ \overset{N}{P}y]] \xrightarrow{c}_{I} \dot{A}O) \xrightarrow{c}_{I} \begin{bmatrix} N m \\ P \end{bmatrix} \xrightarrow{C}_{T} [P_1 - P_3] + (P + A + [\dot{P}_2]_c - e$

$E_{PO} [\dot{A}O) \rightarrow ad + \bar{Q} + Q \xrightarrow{T} P_T\ A \xrightarrow{T} | \bar{O}_E m \} - \{\dot{A}O_m \rightarrow \dot{A}_m \rightarrow [\overset{N}{\dot{A}} P_5] \rightarrow N_n]$

$T + P + A + N \rightarrow]_2 N_c P - N \xrightarrow{T} \bar{A} + ([N_c \dot{A}\bar{O}_m] x_2)_c (\dot{A}\dot{O} \rightarrow N \rightarrow \bar{E}_N) \xrightarrow{T} \dot{A}O_T \rightarrow (A_c T + \bar{Q}$

$\rightarrow \bar{A} \rightarrow [\dot{A}O] \rightarrow [\overset{N}{A}_m \rightarrow P_{(P)} \rightarrow N]_c \rightarrow T + (m(P) + A) + [N A] (- N\dot{A}O + O \xrightarrow{\bar{m}} Q - N]_c$

$(A \rightarrow \dot{A}O] \rightarrow P + E_P) \xrightarrow{x} \bar{Q}(m)) \xrightarrow{T}_c [\dot{A}O] + P_{(P)} + A + P_n [\ddot{O}]_c \rightarrow \dot{A}O \xrightarrow{T} N)$

$(\bar{Q} \xrightarrow{T} P_{(P)} \rightarrow EN \xrightarrow{T} Ad (N - m) \xrightarrow{T} N \xrightarrow{T} \rangle_c \dot{A}O \xrightarrow{T} \dot{N} \xrightarrow{T} (N_c P \xrightarrow{T} (ad_m)] + P + P_0 N$

$(A + P_n + Q + T) + P_2 \xrightarrow{T} T \xrightarrow{T} A_m \xrightarrow{T} P - [\dot{A}O] \xrightarrow{T} P - Q + P_{(0)}^{N})_c \rightarrow Q \xrightarrow{T} \bar{A} \rightarrow P \rightarrow \overset{EV}{m}] + T +$

$((P-P/P+P) \xrightarrow{I} x_2 + Q \xrightarrow{F} P \to P) + \bar{Q} + (P,(P)) [\dot{A}0 \to m) \to E_P \to T_a \to P] + \bar{Q}$. $\langle T \overset{m}{\to} A$

$(P - P_N < \to P]_c \dot{A}) + P \to dt \to [E + E_P + m + Q] \to [\dot{A}0 \overset{\pm}{x} P]$ $P + A \dot{J} + A + E + A + m$ $P_3 + T_A \overset{m}{+}$

$[N A A A A x A A P A E_A O + E_P + E_c A A A$ $[m Q m P A] \to [P - P + A - A - N] m + PQ$ $BP \overline{m} x_2$

$A + P \to P + P + P$ dt $P_2 + P + P$ $P + [A] \times [\delta t] + P + A + N0]$ $P + a [E_0 \dot{A}0]$

$P + m + B + A0] +$ $[P + A \to m + BP + P_2]$ $[\overset{N}{\dot{A}}0 - A + [P_1 - P_2 \to_A E_P]$ $[\dot{A}0_m - \dot{A}0_2$ $\{[\dot{A}\overset{m}{Q} \to$ $[A^{P_m}_N]$

$+ \bar{A} - \dot{A}] \overset{\dot{a}}{\to}_m \to (A - A) \to \langle P_{(P)} + \bar{A}(A) \rangle + \dot{A} + [A + m + \bar{P}_2 + \bar{B}P + \bar{Q})$ $P_1 + A + A + \dot{A}0$

$+ \dot{A}a\,0 \rangle [\dot{A}0 \to A + 0 - 0 + A - A \to P_3 \rangle T + \langle \dot{A} + P + A \rangle \langle \dot{A}0 + A + \bar{P}_2 \rangle$ $[P + A m$

$[T_c Q] \to A \to P + P_{(a)} + Q + P_y + \bar{Q} + P'_n + [A_c \overset{N}{m} - \dot{A}0] \to \bar{A} + P'_n + BP +$ $P \to T + A \to E_{(c)} \to (\dot{A}0 \to) A +$ $0m \to ($

$A \to A + dt + BP \to [Q^{N}_m 0]_c \to Q [[P + A + Q^m \to \dot{A}0] \to P - A + T \to [\bar{A} \to \bar{A}0 \to^N_{m-T-a}]$ $P_{(P)}$ $A + P_{(}$ $[E \to E$

$T + P_{(P)} + A \to E_{0_c} (\dot{A}0) \to (\bar{A}_m \to \dot{A}0) \to T) \langle \dot{A}0 \overset{m}{\to} P_{(P)} \rangle \to A + (T_{Qm}) \to (\overset{N}{P}_{(P)}^m)$ $[\bar{A}]_c$

$\dot{A}0 \to (T^Q_m) \to P \to dt \to Q + (T^Q_n) \to \bar{Q} [(\overset{\bar{Q}}{m})] + Q \to_c P + dt \to_{D-PS} A0 \to \bar{A} + T \to_m + Q \to \dot{A}n$ $+ A - A$

~~$P + a$~~ $P + [dt \overset{m-P}{+}] + 00 + BP + t\,\dot{A}0] + (P + a) \to \langle (A - A)_m N \to_c \dot{A}0 \overset{\pm}{\to}_m (\bar{A}P - BP \to E_{(}$ $A\,Q$

$\to_c \bar{Q}$ $[\dot{A}0_c] \to \bar{A}\bar{Q} \to P_{(P)} \to A x_2 \to (T - T) \to$ $P_a + A \to Q \to A_c Q)]$ $(T + A \to$ $d + A$

$E_c - m) + [(\dot{A}0]_c m \to \bar{0}_{P y_c} \to P]$ $+ \bar{A} + P + E_1 N \to$ $P_2 \to ([\dot{A}Q] + P_3) \to) -)$ $0] \overline{m}$

$[\bar{A}0]_c \to \bar{A}Q_{mc} \to (\dot{A}0_3) \to_t \bar{Q} \to dt \to (E \to E_A] \to (\dot{A}0 \to Q$ ~~$+ A$~~ $]_c \to A dt \to$ $\to (P_y)^m$

$T + [A - A]_c - P_{sy}^Q \to dt \to [Q E_A] \to P \to \dot{A}0 (- E_c \to Q) \overset{c}{\to} A\,dt$. $\bar{Q} x_2 + P$. $+ T +$ $(mi$

$P + A \to [\dot{A}0^N_{P P_y}]_c \to (A_E \to P \to A \to P \to T \to A \to (0_c \to \bar{Q}_m \to P') 0 \overset{m_0}{\to} P\ T \to)$ $P +$

$(\bar{A}_m \to \dot{A}0) I \to - (\bar{A} \to m \to (\dot{A}0) \to \overset{0}{d}_{(a)}) \to (\dot{A}\,a) +$ $AP \to (A_m \to P) \to \overset{c}{\dot{A}0}) \to$ $P'[$

$[\overset{A}{Q} m - \vec{x} x - P^N_m] I + [E_P \to 0 \to m N_{P_c} \to E_0]$ $E + (P + | +) dt + [P + BP]_c \to [\dot{A}0$ $P_2 +$

$(\overline{m} \to 0 x_2) \overset{\bar{A}}{\to} BP + A + P|$ $P_2 \to_c [\dot{A}0] +$ $P \to A_{\overline{m}} \to \dot{A}0]$ $[P + BP_A \overline{m} \to \dot{A}0]$

$[\dot{A}0 BP \overline{m} \to (\dot{A}0_2 \overset{N-P_3}{\to} P_{sh} \to_c [\dot{A}0_3] \to [A - A] \to d - | \to E)$ ~~$\langle [A0_2 m \dot{A}0_2 \to A$~~ T

~~E~~ $[\underset{c}{\dot{A}}0_{\underset{2\,m}{c}} \to BP^P_A] \to (\dot{A}0_2 \overset{+dt}{\to} E_* + dt + E + dt + E) + (N) +$

$P + A + Q + (\dot{A}0 \to) A \to (P_c \dot{A}0) \pm \{Q \to \overset{\dot{A}0}{\underset{A}{m}}] \to_t P + \bar{A} + T + \dot{A} - N \to [N$

$- A_{\,psl - psly}] \to N_2 \to (\bar{Q} \to ([N/\dot{A}0] \to N_2 + A \overset{\dot{A}0}{\to}_c m \to P \to (\bar{Q}_m$

$\langle (\overset{!}{T} \overset{p}{\xrightarrow{+}} A \xrightarrow{+} P + A \overset{+}{\rightarrow} N \xrightarrow{+} P_{(P)} + P_3 \xrightarrow{+} [\dot{A}O] + A + E_p + d \xrightarrow{+} E_{P_2} \xrightarrow{+} E + pl_2 + P + A +$

$P_3 + T_A \overset{m}{\xrightarrow{+}} \overset{+}{\dot{Q}}_{\times 3} + int \overset{m}{\xrightarrow{+}} P_{(P)} + P_{4(P \cdot P)} \xrightarrow{+} BP_m + A + BP + A + BP + A - A + N^{\underline{m}} + E_n + P_y \xrightarrow{+} l$

$BP\bar{m} \times 2 \xrightarrow{+} P + \xrightarrow{+} BP_m - O \xrightarrow{+} \dot{A}_m \xrightarrow{+} Ad \xrightarrow{+} P_0 + A \xrightarrow{+} T \xrightarrow{+} \bar{P} + [\dot{A}\bar{O}\, \bar{m}\, \bar{E}\; int\; \bar{Q} \times 100] \rangle$

$\left\langle \begin{matrix} [\dot{A}\overset{m}{Q} + \dot{A}O \lrcorner T_5] \\ [A^{Pm}_{N}] \overset{Pm}{\underset{oct}{}} + Q] \end{matrix} \right\rangle \rightarrow Q \overset{m}{N}_c A \rangle \xrightarrow[c]{} [AO] + [T_A P \dot{A} c O] - (\dot{A}O \xrightarrow{+} \dot{E}_0] +$

$[P + A_m - E_0 \xrightarrow{+} \dot{Q}O] + P + A + d_{\times 2} \xrightarrow{+} A + (A^{N}_{P_3 P_5}) \xrightarrow{+} P + A \xrightarrow{+} (([T_c \dot{A}O] \xrightarrow{+} \bar{Q}\, O \xrightarrow{+} E_0 \rightarrow P +$

$Om \xrightarrow{+} (\rightarrow M \overset{\rightarrow}{=} E_0 \rightarrow N_0 \rightarrow \bar{O} \xrightarrow{=} A \xrightarrow{+} E_0 \rightarrow E_{(e\,0)}] \xrightarrow[c]{} \dot{A}o + [P + A \xrightarrow{+} \dot{A}O] + P + \bar{A} + P_2$

$[E \xrightarrow{+} E_0 \rightarrow [O + O + P_m BP) + \bar{m} \xrightarrow{+} N_{P5} + \dot{A} - \hat{A}] + P \overset{c}{\xrightarrow{+}} \hat{A}P \xrightarrow{+} P_{(P)} \overset{\leftarrow}{+} O + BP_m] + P + \dot{A} + E_0$

$[\dot{A}] \xrightarrow[c]{} A + P \xrightarrow{+} (A \overset{m}{\xrightarrow{+}} A) \xrightarrow{+} (\overset{m}{T - T}) \xrightarrow{+} A + [P_2 \rightarrow + P_3) \xrightarrow{+} (O + P_4)] \xrightarrow{+} P_{2(4)}] \xrightarrow{+} [\dot{A}O \rightarrow \dot{P}Q$

$+(A - A) \xrightarrow[c]{} \overset{m}{\dot{Q}}] \xrightarrow{+} P_5(BP_m - Q_{BP}) \xrightarrow{+} + T + [\dot{A}O] \rightarrow [EOm]] \xrightarrow{+} \dot{E}_{O_2} + (T\bar{A}) \xrightarrow{+} A \xrightarrow{+} \dot{A}_{P5} +$

$AQ + P'_n + [BP \xrightarrow{+} (P_5 m) \xrightarrow[c]{} Q] \xrightarrow{+} (in + A_m) \xrightarrow{+} d \xrightarrow{+} A_m \xrightarrow{+} (Q_i \overset{o}{\underset{c}{\rightarrow}} {}^{P_5})(+ P_{(P)} \xrightarrow[c]{} \overset{A}{(m)} \rightarrow \dot{A}O \rightarrow$

$d + A \rightarrow \dot{Q} + O + (d + A_m) \xrightarrow{+} Q + O - A + A \xrightarrow[+]{-} {}_{P+} TA + ([\dot{A}O]A) + ([\dot{A}O] + + [\dot{A}O \rightarrow$

$O] \xrightarrow{m} \times 2] + P \overset{c}{\xrightarrow{+}} [\dot{A}O]] - \langle [T \overset{A}{-} \dot{A}O] + \vec{A} + (in_m \bar{Q}) + \rangle \leftarrow P + A \xrightarrow{+}_m P_{BA} + \dot{A}O + (O + \bar{A}O)$

$\xrightarrow{+} (\overset{m}{P_y} + \dot{A}_x P) \xrightarrow{+} P + (\bar{A}m) \xrightarrow{+} [(O - \dot{A}O)_c - A \cdot A)] + [T\dot{A}O] \xrightarrow{+} (P_{<} \rightarrow \xrightarrow{+} A + (m; \bar{Q}) \xrightarrow{+} (A))$

$(mi\dot{\bar{Q}}) \xrightarrow[+]{A} [A_m E - pl - P] + [\overset{N}{A} - A] \xrightarrow[c]{} N - P - P]] \xrightarrow{+} {}_m P + [T \rightarrow E \overset{m}{-} A) \times \overset{A}{\dot{2}}) \rightarrow$

$P + A_d + E \xrightarrow[c]{} in \xrightarrow{+} \dot{A} + \bar{Q} P_{(P)} + (P + (\overset{N}{\dot{Q}}_T) \xrightarrow{+} P^{N}_{(P)} \xrightarrow{+} N - E)$

$[P'(\dot{A}O) \xrightarrow{+} P_m O \xrightarrow{+} \dot{A}_{P5h} + O_{\times 2} \rightarrow (P_y \overset{\dot{A}}{+} P_5)^m] \xrightarrow{+} A + \bar{m} \xrightarrow{+} P_3 + P_1 + A - A + P_3,$

$P_2 + A + E_P \xrightarrow{+} [(A \overset{P_4}{-} A)_m \rightarrow (E - E_2)_m - P + pl] + P + \bar{A} + \dot{A}O + P_3 + \bar{A} + A + \dot{A}_m + E_3 \rightarrow$

$\dot{A}O_2 \quad \dot{P}_y < a] + P + A \xrightarrow{+} [P + A] + m \xrightarrow{+} N - A + P_3 + P_5 + \underline{O}]\; P + \overset{m}{A}T \rightarrow P_2 + P + A + P_c$

$T + \dot{A}O \rightarrow P \xrightarrow{c} [P_m \dot{A}O] + P + A + E_P + P + A + EP_2 + (P_3 + A + BP + i \xrightarrow{+} A + m \rightarrow P \rangle$

[illegible] $] \xrightarrow{+} P - P \xrightarrow{+} out \xrightarrow{+} \dot{p}l \xrightarrow{+} N - n] + P \xrightarrow{+} \overset{m}{\hat{A}} \xrightarrow{+} \bar{m} + [\xrightarrow{+} \dot{A}Om - P_2] \xrightarrow{+} \dot{A}O]$

[illegible] $\xrightarrow{+} P - P \xrightarrow{+} \overset{+}{m}] + \dot{A}(c_m \dot{o}\dot{o}) + N - n \xrightarrow{c} P_{\times 3} | \xrightarrow{+} n - P + E_n \xrightarrow{c} Q \xrightarrow{+} \bar{A} \xrightarrow{+} \dot{A}O$

$\dot{A} \rightarrow A + \bar{Q} \xrightarrow{+} (\widehat{A_m \xrightarrow{+} A}) \xrightarrow{+} + A \xrightarrow{c} [P - n] \xrightarrow[c]{} \dot{A}O \rightarrow P + ([\dot{A}] \xrightarrow{+} O \rightarrow A_m \xrightarrow{+} P) - [\dot{A}O] P +$

$(A+T)\xrightarrow[(T-E)]{} P_2 \xrightarrow{\mp} \dot{Q} \mp [\dot{P}_y] + [N-P] \xrightarrow{\mp} (n-\dot{P}_3) \xrightarrow{\mp} \dot{A} \to (A_m \xrightarrow{T} P) \xrightarrow{\mp} \{(\dot{N}) + \bar{A} \xrightarrow{\mp} P + \dot{A} \xrightarrow{\mp} BP)$

$([A_m]\frac{P}{C}(\dot{A}O] / \xrightarrow{\mp} \bar{Q} \xrightarrow{\mp} A+P+Q+P_y^n \xrightarrow{\mp} P_2 + A + P \xrightarrow{\mp} [\dot{A}O] \to (P_2 + A \xrightarrow{\mp} mE_P \xrightarrow{\mp} P_3 \to E_1$

$\mp' P+A \xrightarrow{\mp} P'_5 + (O \xrightarrow[x_3]{\mp} \dot{Q}) \xrightarrow{\mp} \bar{Q} x_3 \mp [P_3 n \overset{m}{-} A] \xrightarrow{\mp} A_m \mp O \xrightarrow{\mp} BP \xrightarrow{\mp} P_3 \xrightarrow{\mp} A_T$

$\dot{A} O_{psh} \xrightarrow{\mp} T \mp P + BP \xrightarrow{\mp} (\dot{A}O \xrightarrow{\mp} P + m\dot{P}_y \overset{P}{A} \xrightarrow{\mp} Q\hat{P} + \dot{P}_y \xrightarrow{\mp} A \xrightarrow{\mp} (E_{A-A} \xrightarrow[c]{} \dot{A}O) \xrightarrow{\mp} A_1$

$T \to \dot{Q}A \xrightarrow{\mp} A + \dot{A}BP + (inA \mp_c Q \xrightarrow{\mp}) P -' A + (m \to \dot{Q} \mp' A) \xrightarrow{\mp} [\dot{A}O] \to P_y \xrightarrow{\mp} A \xrightarrow{\mp} \dot{Q}$

$\dot{A}O \xrightarrow{\mp} A \xrightarrow{\mp}{}_4 \bar{O} \xrightarrow{\mp} \bar{m} \xrightarrow{\mp} O_m \to P_2 \xrightarrow{\mp} A \xrightarrow{\mp} O_2 \xrightarrow{\mp} BP + P_2 \mp A + P_n \xrightarrow{\mp} E_N] + T +$

$-m + A \mp (\bar{Q} \mp P) + [\dot{A}O] - m + T \xrightarrow{\mp} P_{(P)} \xrightarrow{\mp} T + + T \to A_m^N \rightleftharpoons A_m^N + \dot{O}O + A \xrightarrow{\mp} \dot{Q} +$

$P_m + (\dot{A}O] P + A \xrightarrow{\mp} + \xrightarrow{\mp} (A-A)_m \to \cancel{P_{x_2}} \xrightarrow{\mp} + [\dot{A}O \xrightarrow{\mp} P_m \xrightarrow{\mp} \dot{A} + \hat{m} \to O \overset{\dot{A}}{\to} O] \xrightarrow{\mp} \dot{A}$

$\xrightarrow{\mp} \dot{O}O + E_O \xrightarrow{\mp} (N_O) \xrightarrow{\mp} \quad E \xrightarrow{\mp} [n - \tilde{E}_O \times 100 + Q_n] \xrightarrow{\mp} E\dot{A}O \xrightarrow{\mp} E_O \xrightarrow{\mp} E_O m \to O]$

$\xrightarrow{\mp} \times 7 \xrightarrow{\mp} E_P - 0 \times 100'_n + P_5 \xrightarrow{\mp} \dot{A}O - [T + A + d + \dot{A}EO(E_m \dot{A} - \dot{A}O)]\ [\dot{A}] \xrightarrow{\mp} \overset{m}{A} \xrightarrow{\mp}$

$P + A_n + (nP \to E\bar{m}) \xrightarrow{\mp} \overset{m}{P_y}) \mp P| + P'_n + B + 2) + \dot{A}O \xrightarrow{\mp} A \xrightarrow{\mp} P \mp A + A_m \xrightarrow{\mp}) \xrightarrow{\mp}$

$P \xrightarrow{\mp} A_m \to P_y \underset{c}{-} \dot{A}O \xrightarrow{\mp} (P) N \underset{c}{\xrightarrow{\mp}} P \xrightarrow{\mp} (N_2 + A \xrightarrow{\mp} \bar{Q} + P) \xrightarrow{\mp} [\dot{A}] \to r_n \xrightarrow{\mp} \dot{A}N \xrightarrow{\mp}$

$A \xrightarrow{\mp} \bar{m} \to m \xrightarrow{\mp} [\overset{m}{\bar{A}}] \xrightarrow{\mp} A \xrightarrow{\mp} N'_n P \xrightarrow{\mp} A\, \bar{m} - P_n \xrightarrow{\mp} (P_c N)\ \overset{m}{T} < P + A \xrightarrow{\mp} P + A +$

$BP > + [\dot{A}O] - P_y \xrightarrow{\mp} A \xrightarrow{\mp} P + \dot{A}\bar{m} + r_5 \xrightarrow{\mp} P + A \xrightarrow{\mp} P_{(n)} n \xrightarrow{\mp} P_y n \bar{m} \xrightarrow{\mp} + P + \dot{A}_A \xrightarrow{\mp} \dot{A}_{Py})$

$BP \xrightarrow{\mp} A \to \bar{Q} \mp T < P + \bar{A} \xrightarrow{\mp} [\dot{A}O] \xrightarrow{\mp} (A \xrightarrow{\mp}' m +)(T / \dot{A}O] + Q x_2 \xrightarrow{\mp} TA])$

$\overline{\dot{A}O}\, T(P_{x_3} \xrightarrow{\mp} A - \dot{A}O \xrightarrow{\mp} [\,] \overset{\frown}{<>} \xrightarrow{\mp} Q x_3 \xrightarrow{\mp} \bar{Q} \to P \xrightarrow{\mp} < in \underset{m}{\to} [AQ] \xrightarrow{\mp} Q_c \to O + A$

$+Q + N_c - [O-O] \xrightarrow{\mp} A_m + (\bar{E}(P|) \mp x_2 + Q \times 5 \to N - n]_c \xrightarrow{\mp} \dot{A}O \mp Q^c_c < Q + O_m E N >$ $\leftarrow$

$+[\dot{A}O] + A + T \times 3 \xrightarrow{\mp} [\dot{A}O] + \bar{A} \xrightarrow{\mp} T + P + A + P_2 \xrightarrow{\mp} P + A + \bar{Q} \times 2 \xrightarrow{\mp} [\dot{A}O_2] +$

$m + A \xrightarrow{\mp} E \xrightarrow{\mp} A_m \to [\dot{A}O] \to [\dot{A}O_E)] + \dot{E}_O \xrightarrow{\mp} P| + m + \dot{A}O - O \times 500]\ \dot{T}\dot{A}dx$

$[\dot{A}O] + \bar{Q} + E_O + A \xrightarrow[c]{\mp}) \to (\dot{O}O E + \bar{A}_m \xrightarrow{\mp} P|A \xrightarrow{\mp} x_2) + P + [T A_m \xrightarrow{\mp} T \xrightarrow[c]{\mp} A_m T P_y P]$

$P + \dot{A}O + A \xrightarrow{\mp} EA \xrightarrow{\mp} P_2 + \dot{A}O_2 + A_A \xrightarrow{\mp} < E m P A - A\ P_3 A + O - O + P_2 + \dot{A}O n$

$BO + P_2 + A + \dot{A}O + P + \bar{m}\, B\bar{P} + \bar{P}_y \xrightarrow{\mp} (\dot{A}_m \dot{A}O_3 T \underset{c}{\xrightarrow{\mp}} \dot{A}O < \overset{m}{\xrightarrow{\mp}}) B'+O\ mT + E_m$

$+\dot{A}O_n + E_P + + P_2 + \dot{A}O + A - A \xrightarrow{\mp} P + \bar{m} + P_O - P_1 + A - A \xrightarrow{\mp} d \xrightarrow{\mp} T \xrightarrow{\mp} E_n$

$P_2 + A + ENV - T\bar{m} + P_2 + \hat{A} - P_1 + P_2 + A + m + O \mp A + A + P_O + A + A + A$

$\wedge m + P_2$

$P_A \bar{A}\, \bar{m} B$

$P_2 BP + \bar{O}P$

$\dot{A}O + A + \bar{Q}$

$A + E\dot{Q} \xrightarrow{\mp}$

$\bar{Q} + P_2 + [(P$

$C \to T_2$

$\bar{m} \xrightarrow{\mp} (E_{\bar{O}}$

$[P + T_m A \xrightarrow{\mp}$

$2 + A \xrightarrow{\mp} (P$

$P + A + m(E$

$(E m - O] \to$

$A_m P_1 \xrightarrow{\mp} P$

$[\dot{A}O] + \dot{Q} \xrightarrow{\mp}$

$P_2 + A \to [\dot{A}$

$[\dot{A}] \xrightarrow{\mp} P + A$

$A_m \xrightarrow{\mp} \dot{A}O$

$E + T \xrightarrow{\mp}$

$P + A + BP$

$P - BP - O$

$(P_2 E_P +$

Side $+ 2$

$(n - \dot{A}O \xrightarrow{\mp}$

$n - E.\ P$

+ m + P $_2$ → E + A + AA + A AAA $\bar{\dot{A}}$ O 2 A I) $\bar{B}$e + $\bar{m}$ BP ($\dot{A}$O$_2$) $\vec{t}$ $\bar{\bar{P}}$y + $\bar{E}$c + P +

P$_2$ $\bar{A}$ $\bar{m}$ BP + A + E + P + A + QP + 0 + P$_2$ + $\bar{m}$ $\vec{E}$ + $\bar{A}$ O P$_2$ + $\dot{A}$$_2$ + A + A$_2$ $\dot{A}$ B 2 + A + $\bar{m}$)

P$_2$ PP + $\bar{O}$ P$_2$ $\dot{A}$P + $\dot{A}$ 2AAA AAAA AAÖ9 P$_2$ + P + $\bar{A}$O$_2$ + A + P + $\bar{m}$ + P + $\bar{m}$ + $\bar{E}$ + P

$\dot{A}$ O + A + $\bar{Q}$ + $\bar{m}$ $\dot{Q}$ $\xrightarrow{+}$ $\bar{Q}$ T $\xrightarrow{+}$ E$_P$ + A + E$_2$ − E$_3$ + P$_n$ + $\bar{Q}$ + A$_m$ + $\bar{O}$P$_y$ + $\bar{Q}$ + A$_m$ + P

A + E$\bar{Q}$ $\xrightarrow{+}$ E P$_m$ $\bar{Q}$ E$_0$. [$\dot{A}$] → n − A + T$_A$ $\xrightarrow{+}$ $\bar{A}$ + ~~T T − T$_C$~~) Q $\xrightarrow{T}$ BP + P + $\overset{(A)}{A}$ $\xrightarrow{+}$ T$_m$ A $\xrightarrow{+}$

$\ddot{O}$ + P$_2$ + [(P$_2$ + A$_m$ P$_1$ I ' $\bar{Q}$ + $\bar{A}$$_{Psy-P}$) − P$_1$ $\xrightarrow{c}$ P$_2$ + $\dot{Q}$ $\overset{\rightleftarrows}{E}$ $\dot{Q}$] + P$_2$ $\xrightarrow{}$ P$_3$ − P$_4$ + $\ddot{Q}$ + $\dot{Q}$ →

C → T + P$_5$ $\overset{\leftarrow c}{\xrightarrow{+}}$ P$_1$ $\xrightarrow{+}$ P$_5$ $\xrightarrow{+}$ A$_m$ T . (E +$_m$ $\overset{\leftarrow}{+}$ E$_P$ × 2 → $_n$O + pl → (E + OP × 2 A) + (E$_P$ $\vec{T}$

$\bar{m}$ $\xrightarrow{+}$ (E$_{\bar{O}m}$ → P$_5$h) + [E$_0$ × 3 $\xrightarrow{+}$ $\dot{O}$O λ] $\xrightarrow{+}$ ⟨ E$_2$ + E$_0$ < G + (m + O × P) ⟩ $_C$ − ($\dot{A}$ P E) +

[P + T$_m$ A $\xrightarrow{+}$ $\vec{A}$ + [$\dot{A}$ O] .] [P + A$_m$ + E$_0$] + $\dot{A}$O ? + T $\xrightarrow{+}$ P$_{(P)}$ $\xrightarrow{+}$ A$_m$ $\xrightarrow{+}$ (N$_{A+A}$] + N$_n$$^{Py}_{+1}$) +

T + A $\xrightarrow{L}$ (P $\xrightarrow{+}$ A) $\xrightarrow{+}$ (Ph + m → $\hat{T}$) [(N − P$_m$ + → $\dot{A}$a → P$_{(P)}$ − P$_{(P)}$ × 5 + E n V$_1$ $\xrightarrow{+}$ Py − $\bar{A}$]

P + A + m ([$\overset{\dot{A}\bar{G}}{\dot{E}}$] $_x$ E$_m$ P | $\xrightarrow{F_c}$ $\dot{A}$O $\xrightarrow{+}$ O$_{x_2}$ A $\xrightarrow{+}$ P | E $\xrightarrow{+}$ $\dot{A}$E → O] ~~P~~ + A + A + A + E$_0$ − n]

[E$_m$ − 0] → N$_0$ −] $_C$ → [$\dot{A}$ E] + [$\dot{A}$ O] $\xrightarrow{+}$ P | + ⟨ $\dot{A}$O + O × 3 ⟩ . T$_A$ + ($\dot{A}$O) → A + T $\xrightarrow{F}$ P + T +

A$_m$ P$_1$ $\xrightarrow{I}$ P$_2$ < P4 + P$_2$ + A + $\dot{A}$$_{BP}$ $\xrightarrow{+}$ d + E$_P$ $\xrightarrow{+}$ E $\xrightarrow{I}$ P$_2$] BP$_0$ $\xrightarrow{+}$ O $\xrightarrow{+}$ P$_2$ $\xrightarrow{+}$ A$_{\bar{m}}$ $\xrightarrow{+}$ P$_2$ n +

[$\dot{A}$ O] + $\dot{Q}$ $\xrightarrow{+}$ O + A + N$_{\dot{A}m}$ → P$_{3(P.P)}$] + N − P2 ? ∘N∘ [$\dot{A}$O] ? + T$_C$$\bar{Q}$ + P + $\dot{A}$BP$_4$ A + $\dot{A}$T

P$_2$ + A → [$\dot{A}$O] + P + (A$_m$ $\xrightarrow{+}$ T + i) + [$\dot{A}$O] $\xrightarrow{+}$ A$_m$ (P$\dot{A}$ Py) $\xrightarrow{+}$ $\overset{m}{\bar{n}}$ $\xrightarrow{+}$ T $\xrightarrow{+}$ A$_{(P)}$ $\xrightarrow{+}$ $\hat{Q}$ + $\hat{[}$ $\dot{A}$O]

[$\dot{A}$] $\xrightarrow{+}$ P + A + d → P$_m$ → E$_P$ ⇉ $\bar{Q}$ ⇉ T $\overset{\bar{m}}{+}$ A $\xrightarrow{+}$ P . P + P + A + ($\dot{A}$O) $\xrightarrow{+}$ d → $\dot{A}$$_m$ → O →

A$_m$ $\xrightarrow{+}$ $\dot{A}$O $\xrightarrow{+}$ d$_m$ $\xrightarrow{I}$ A$_{\dot{A}O}$ $\xrightarrow{I}$ A$_d$ $\xrightarrow{+}$ E$_0$ + ~~[$\dot{A}$O] $\xrightarrow{+}$ $\dot{A}$ + T~~ ⟨ E$_0$ + P + T$_A$ +

E + T $\xrightarrow{F}$ N . E$_1$ $\xrightarrow{+}$] $_C$ → $\dot{A}$ O $\xrightarrow{+}$ P + A − A $\xrightarrow{+}$ P$_m$ → BP − O + $\dot{Q}$ ⇀ T$_0$ − E $\xrightarrow{+}$ $\bar{g}$ × 3 +

P + A + BP + d + E + E O + $\xrightarrow{}$ [$\dot{A}$$_m$ × 2 → O + P$_{BP}$ = $\overset{m}{O}$] + $\bar{A}$$_E$ + E$_0$ − + $\bar{E}$$_{Oe}$ $\overset{\dot{A}}{+}$ m$^{Py + P5}$

P − BP − O + $\bar{A}$. + P + A + P + [A$_{\bar{m}}$ A$_2$ $\xrightarrow{+}$ $\bar{m}$ Ph → P] + N + $\dot{A}$PP + $\dot{A}$ A $\xrightarrow{+}$ n − $\bar{m}$ + P$_2$]

(P$_2$ E$_0$ + $\bar{A}$ − $\bar{A}$ + d + pl + $\bar{A}$ − $\dot{A}$ + E$_{O2}$$\overset{\bar{m}}{}$ +) + Ang S + Ag 2 + O + Side +

Side + 2 + S$_3$ $\xrightarrow{+}$ N − O + d + [$\dot{A}$O] + Q $\xrightarrow{+}$ T $\xrightarrow{+}$ n − [N] ⇉ P$_{x2-n}$ − A T$_A$ $\xrightarrow{+}$ Q

(n − $\dot{A}$O) $\xrightarrow{F}$ TQ + A $\xrightarrow{+}$ P $\xrightarrow{+}$ Q $\xrightarrow{+}$ E $\xrightarrow{+}$ $\bar{A}$$_{+m}$ + $\hat{Q}$ × 3 $\xrightarrow{+}$ (n − P$_y$ $\xrightarrow{+}$ P + A) $\xrightarrow{+}$ Q$\hat{E}$$_c$ $\xrightarrow{+}$

n − E . P − P + A + m (Py $\xrightarrow{+}$ P − P + A + E$_0$ − E$_0$ → P − P + ($\overset{m}{T_0}$ + P + A − π + A$_m$E

$\{P + P_n \mp A_m \mp\to N(\dot{A}O) \xrightarrow{P_2} N - n \mp\to T + P \mp\to A_m \to P(A - E_n)] + T + P + T_A \mp\to E_0 \mp E_1$

$A + O + P_2 + A + A \mp\to d \mp\to E + A \mp\to P_2 + T_c - \dot{A}_m \mp\to A \mp\to P - P + A \mp\to \dot{E}_0 A_2 +$

$\dot{E}_0 \underset{c}{\mp\to} Q \mp\to E - n + E_{On} + T_c \mp\to \dot{A}O \mp\to P_c + A + m - P_y - N + P - P + [\dot{A}O]_n \to Q \mp\to P_n$

$\mp\to A \mp\to n - y \to (\dot{A}O) + (\bar{A} \overset{\hat{m}}{\mp\to} O) \mp\to [\dot{A}[A - \bar{A}] \overset{m}{\mp\to} \dot{A}_c \to O] \mp\to \bar{Q} + A \mp\to E_0 + (O - O_n + \dot{A}$

$E) + (A) \mp\to \bar{m} \mp \{P_{sy} - P_{sh}] \mp\to P - P \mp\to T \mp\to A \mp\to \bar{N} \xrightarrow[c]{m} [\dot{A}O] \mp\to \infty \mp\to \dot{E}_0 + P_m A - A;$

$\infty \mp\to E_0 \times_\alpha \mp\to \bar{Q}_0 \mp\to {}_e| \mp\to E_0 \mp\to A \to BP + [\dot{A}_m \to \dot{E}_0]] [E + P + A + m E_0 + A]_c$

$\dot{A}O \overset{m}{\leftarrow} + E_2 \mp [A - A_c] \to E_{\bar{A}} \xrightarrow{m} \dot{A}O] \{P + A - A + BP + O_m + E_{2P}] + E_O \mp\to \dot{A}[E_0$

$t_c^{-1} \sqrt{EO} + (E_P \times 2 - N_c = [BP \dot{A}O^m]] \sum \dot{E}_P | d + \dot{A}O + \dot{a}_m \mp\to O - \dot{A}O + [S = E_0 \times 10]$

$P + \bar{A} + \vec{P}_2 + P_3 + \bar{A} \mp\to d + \bar{E} + [\dot{A}P \xrightarrow[c]{A} m \to E_0]_c \to \dot{A}_\alpha + [\dot{N}_m] \to \dot{A}O_m \to \dot{A}O$

$[P + \alpha d \mp m \mp\to P_2 \to [P_s - P_y \hat{m} \mp\to \bar{P} \xrightarrow{A} T \to A \to m_c - A_m \to \bar{P} \mp\to P] + P_{AO} \to$

$S_0 \to P_{BO} m - \dot{A}_m] + O + V +] P + d + \dot{A}O + \dot{E}_0 + E_O + E + \xrightarrow{E_O} (BP)_0 + \bar{P} + A + BP + \dot{E} + \dot{A}O$

$\dot{A}P \to (BP_P \overset{o}{m} + (\dot{A}_{BP} \overset{o}{\times} 4) \mp\to [AP] = AO \to BP \mp [(\hat{E}_P \mp E_O) + \dot{A}O \to A \overset{m}{-} A] + {}_P| + d_n$

$P_{BO} = \dot{A}O E_P] + [E P_2 + A - A] + P| m - \dot{A}O E_P + P_2 A + Q_m^{P_n} + {}_A| + \dot{E}_P + \bar{A} + \bar{Q} \mp\to A$

$P_2 n \overset{+\dot{A}}{m} - n + A_{EP} + d \mp\to + \bar{A}_m P_{+P}| + \bar{Q} \times_2 + \infty \mp\to (Q \times_2 \mp\to P - n \sim) \mp\to A - A_m \to \dot{A} -)$

$A_m + P_2 \mp\to \bar{Q} m \to [A - A]_c \to N + [[\dot{A}O] m \to {}_P[\ ] \overset{\dot{A}}{\to} P_2] \to + P_2 + E_P \mp\to P +$

$E_{P2} + P| . [\dot{A}O] \in_c A_P \bar{Q} \mp\to P_2(\bar{m}) + P + A \mp\to P_{(n)} \mp\to \overset{P/T}{[\dot{A}O]} \mp\to [\dot{A}O_2] \times 10 \mp\to m \to P - n \mp\to$

$Ad \mp [\dot{A}O] + [N_c \to [A - A]_c \to [\dot{A}]] + [P + \bar{T} \overset{m}{\mp} A + BP] + P + \bar{a} + P_2 \to A_m [AO] - \dot{A}$

$\to \bar{n} \mp\to T(\dot{A}O) \mp\to [N - \dot{A}O_2] - y] + P + A_E m - P \to [E_c \to \dot{A}O] \mp\to m \to \bar{A}_{(\dot{A}O - O)}] +$

$P + A + Q + P_n \mp (P + A + d) + P + A + d \mp\to \bar{A} < P + A_m \mp\to [(E_A^n \mp\to_m^E] O + A \mp\to P_{BP} + E_P \mp$

$A \mp A + Q \mp\to S \mp (AP_c \mp\to \dot{Q}) \mp\to P + A < A + O \mp\to P - n \mp [N - n] \to A_m \mp\to A_{Psh} \mp\to E_0 +$

$EO_2 \mp\to EN - P - {}_P + A \mp\to \bar{Q} + (A_m - N_c \to P) \mp\to \dot{A}_m \to \dot{A}O \mp\to N \mp\to P_s h - n \to \dot{O} \mp\to C_c [O]$

$2 \xrightarrow{m} [\dot{A}O] \mp\to A_c \to (N + \dot{A}O] \to N_y \mp \bar{A} + P + \bar{Q} \mp\to (A - A] c \to n - P + T \mp\to (A - N]_c$

$\dot{A}O \times_2 \mp\to m + BP \times_3 + A_m \mp\to P| + BP \mp\to \bar{T} + A + \mp\to P \mp\to \dot{A}O \mp\to \dot{Q} \times \dot{A}P - P + \dot{A}$

$\{EO_c \to Q \mp\to O \times 6 \mp\to \overset{6}{m} \mp\to \dot{A}O - O] + \dot{A}O \mp Ad \mp\to \dot{O} \times_2 + (\bar{Q} + O) \times_3 + \dot{A}O - O \mp T_m]$

$P \mp A) +$

$\{[\dot{A}O]_c$

$\infty \mp \dot{A}$

$n - P +$

$+ A \mp$

$P +$

$P_2 \mp\to$

$(\mp + P$

$\dot{A}O -$

$[A_c \to \dot{A}$

$A \mp\to$

$+ E_0$

$\to A =$

$Q \times_3$

$\dot{A}_c Q$

$\to P_($

$P + A$

$+[N_c$

$+ Q$

$[\dot{A}O$

$\dot{Q} \times$

$\dot{Q} +$

$(P -$

$P \mp A) + \bar{A} + P_2 + [\dot{A}0] \to (P - A \mp_{(P)} [\dot{A}0] \mp)(P \mp A \mp E_2) + [\dot{A}0] \mp Q \mp 0 \mp (n \to Am_2) + P$

$\{\mp[\dot{A}0]\mp_c P_y \pm P sh]\mp_c N - P_{(P)} \rangle_{\times 2} \underbrace{+ ([\dot{A}0] \to A \to BP]}_{} + \langle \to \rangle + T + A + P(0) + A\, m_c$

$\infty \mp \dot{A}_2 P \mp [(T\dot{A}0) \mp \bar{Q} \mp P \mp \bar{A}_m \mp P_{(P)}] \langle \mp (\bar{Q} + \dot{A} + \bar{T})_m \to \bar{P}_2 + (\dot{A}0_m \to BP_0) \mp_c (\dot{A}P] +$

$A - P + \dot{A}_m \mp (NE_0) \bar{Q} + (A - P) + (P + T + A + \dot{0}0 + A_c [\dot{A}0] + \rangle + A\, m - P| \mp N - A \mp \bar{E} +$

$+ A \mp \dot{A}0 - 0 \mp (0 + P + A \mp N \to \dot{A}0 + 0 \mp N g \mp (N_{\times 2} \mp) T_{mA} \mp N(\to [\dot{A}]) \to A \to \bar{P}_y]$

$(P + A - A + E) + \langle E_0 + Q + A +_m E_P \downarrow m \mp \to A] \rangle + N - P \mp \dot{A}m BP \bar{Q} \mp \dot{A}P_y) \mp A$

$P_2 \mp]_c \dot{A}m \to N \overset{\bar{Q}}{P} - D) \mp \dot{A}Q + 0_0 + [\dot{A}0 \mp_c P + P] \mp N \cdot g \to A + P_2 \mp A_c \dot{A}m \mp \dot{A}P_y.$

$(\mp + P + A \mp) E \mp \langle \dot{Q} P_2 \mp Am + \dot{E}_0 \mp 0_2 - 0_{12} (A\dot{A}\, mP_1 h) + Q + P_D + A + A \mp BP$

$\dot{A}0 - 0 \mp P + (T\dot{A} - A) \mp P_{(P)} + A0| + \dot{A}_m \mp E \to E_0\, m \times 5 \rangle \langle P + (T_c A \mp A_2) +$

$[A_c \to \dot{A}0] \leftrightarrow P_n \mp P_2 + \rangle c \to [\dot{A} \mp 0] + P_2 + (A_{mP} \mp E + A + 0 \times 2 \mp) \bar{Q} + (A \mp A) I$

$A \mp P_4 \mp_n E \rangle + [\dot{A}0 - T \mp_c] P_{(n)} \mp A \mp in_c \to Q + E_{Pc} \mp [\dot{A}0) + \bar{A} \mp (\bar{A} - A \mp E_0)$

$+ E_0 Am \to_c A - A \to E + \bar{Q} \mp \infty \ddot{Q}_{(EP)} + \dot{A}_m \mp \dot{A}00in \mp A_m + in \times 2 + E_0$

$\to A \mp E_2 \mp F5 \mp [\dot{A}0] + E_{0_{5(B)}} \to E_{0q} \mp QE_P \mp \mp (A_P | d_n^c - p| + TAm \to$

$Q \times 3 \mp 0 \mp \dot{A}0 \mp A + T_c \mp Q \mp A + d + E_0 \mp E + A + d \mp E4 + (Tm \to A)_c Am.$

$A_c Q \mp 0 \mp P + A + \cancel{Q + P + P}\ A + P + P_2 \mp m^n + \dot{A}_{(n)} \times 2 + T + A + \dot{A}_c Q \mp P_{(P)} \mp T_c \dot{A}0$

$\to P_{(P)1} + P + A - A \mp P_{(P)1} \times 3 + P_{(P)2} \mp T_\mp P_{(P)3} \mp \dot{A}m + [\dot{A}0] + P + \dot{A}_m \mp d\, \cancel{+}$

$P + A + d \mp A_2 + [\dot{A}0] \mp P + A + d + P + A + [in_c Q] + A_2 + P + [m - cA] \mp E_0 + A + p| \mp P.$

$+ [N_c \mp P_{(P)}] \overset{m}{\mp} (E_P \to E)] [\dot{A} \to N \to (P - P_{(n)}) \mp_c \dot{A}0 + (\bar{A} \to \dot{A}n \mp P \cdot P +] P| \mp$

$E_P \mp E^n_2 \mp N_c \mp \dot{A}0 \to (n - n) + \bar{Q} \mp A_m \mp in \mp P - P_1 \mp \bar{Q} \to n - 0 \mp T_m \mp T_c \dot{A}0$

$+ Q \times 4\ P + A(E - E_{Pc} - A)^{c\dot{A}0} \to P(P) + T \mp [\dot{A}0] + P + A + d \mp P_2 + Q + A \mp 0.$

$[\dot{A}0] \to Ad \mp [dp|\, mA - A]_c \to m - (P'_n + BP \mp A - A) \langle P + A + 0P_n \mp A + 0 + BP_0 \mp$

$\bar{Q} \rangle \mp [\dot{A}0] \mp \bar{A}d \mp P. + \langle P + AmP + T \rangle (\dot{A} \mp P_2 + Q \rangle + \langle A \mp P'_n BP \mp \bar{Q} + \dot{A} + \rangle$

$(\bar{Q} + P_n + (A - A) \langle Q \mp BP \mp_{\times 2} P - \bar{Q} \times 7 \mp \langle \bar{Q} + BP \mp \bar{Q} \mp A + A \rangle + P - n \mp Ad \mp$

$(P - P)_n \mp + (P \mp \bar{Q} \mp T_m [n] \mp \bar{Q} P_n + Q \times 2 + Q(\bar{A} \mp A\, \bar{m})_c \mp Q \mp \dot{A} \to BP + P + (in + T)_0 \dot{Q} -$

$A-BP)_m(A-A|\times_{20}\rightarrow BP\times_2]_{+}[\dot{A}P+\bar{A}]\underset{+}{\rightarrow}\bar{Q}\underset{+}{\rightarrow}A+P\underset{+}{\Rightarrow}BP+\rightarrow A_{(in+)}+[Q_{\times 3}\rightarrow A_{(n)}$

$\overset{+}{Q}_{\tau}\underset{c}{\rightarrow}\dot{A}\underset{+}{\rightarrow}]\langle P\underset{+}{\rightarrow}A\underset{+}{\rightarrow}[\overset{+}{Q}(E\overset{\leftarrow}{P}in)_c\Rightarrow\bar{Q}]\underset{+}{\rightarrow}\bar{A}\overset{n}{\dot{A}}_{\times 2})[\overset{m}{E}\leftarrow\bar{A}_n][E_P\leftarrow\overset{+}{\dot{A}}_n]\rightarrow\dot{A}O-_0$

$\dot{A}\overset{0}{O}+A=\overset{+}{\ddot{A}}_n/\bar{\dot{A}}_a+[(\dot{A}_n{}^{+}m)\rightarrow O\overset{\leftarrow}{+}[]_c\dot{A}m]+\times_2\rightarrow{}_1O_c[\dot{A}_n]]_c\rightarrow(\dot{A}O]^{-m}$

$\underset{+}{\rightarrow}(\dot{A}_E)\rangle+P+A+m(\bar{Q})+T+\underline{[}\dot{A}P]+A\underset{+}{\rightarrow}\dot{A}E\underset{+}{\rightarrow}A+(\dot{A}_{n-e}+A\rightarrow P'_n\overset{\bar{Q}\rightarrow}{+}BP]+P+[\dot{A}_n+\dot{\bar{A}}\underset{+}{\rightarrow}P_{+A}$

$\rightarrow\overset{+}{\dot{A}}\underset{+}{\rightarrow}P_2+\Gamma_2\underset{+}{\rightarrow}P_{(P)}\underset{+}{\rightarrow}\bar{A}\underset{+}{\rightarrow}A\overset{+}{m}+(T/\overset{+}{A})_c\rightarrow\dot{A}a+A+T+\overset{+}{\dot{m}}\rightarrow P_2+\overset{+}{\dot{Q}}+T+P_{(P)}$

$A\underset{+}{\rightarrow}P|+E_P+A+\dot{O}O\underset{+}{\rightarrow}\overset{+}{\dot{Q}}\underset{+}{\rightarrow}P_{(P)}-n\underset{c}{\rightarrow}(\acute{A}P)\underset{+}{\rightarrow}AA\underset{+}{\rightarrow}AP_2\underset{+}{\rightarrow}[P_{(P)}\rightarrow A_{c+}]+Q_{(1)}$

$\underset{+}{\rightarrow}\langle\bar{A}_n+E\overset{+}{\rightarrow}E_2\underset{+}{\rightarrow}[\bar{A}O]\underset{+}{\rightarrow}P_{n-y}\times_2\underset{+}{\rightarrow}[\dot{A}O]_2\underset{+}{\rightarrow}(A-A_n)\underset{+}{-}\dot{A}+P_{(P\rightarrow)}(A_c\bar{Y}\rightarrow\dot{A}O]$

$1\ in_c\rightarrow\dot{A}O]\underset{+}{\rightarrow}{}_m P_{(O)}\underset{+}{\rightarrow}A\underset{+}{\rightarrow}(\ddot{A}\times_2\underset{+}{\rightarrow}P+a\underset{+}{\rightarrow}\overset{m}{A}_2\rangle+\Gamma_{32}\underset{+}{\rightarrow}([\dot{A}O]T+E_1)\underset{+}{\rightarrow}$

$[\dot{A}P]+\bar{Q}\underset{+}{\rightarrow}m\underset{+}{\rightarrow}A+P|+(T+\overset{n}{\dot{E}})_c\rightarrow\ddot{A}E+\langle AE_2\rightarrow P_{(P)}+Ad\underset{+}{\rightarrow}P_{(P_2)}\}$

$\bar{Q}\,\bar{m}\dot{a}|\underset{+}{\rightarrow}P\text{-}y\text{-}d_n+\langle P+T+(O-A)_c\rightarrow A\underset{+}{\rightarrow}\dot{A}_n\underset{+}{\rightarrow}E+[(N-P\times_3)-n_c\rightarrow P_{(n)}]+$

$\langle P+\overset{\leftarrow}{A}m\underset{+}{\rightarrow}[\dot{A}O]\underset{+}{\rightarrow}A\overset{\leftarrow}{+}E\underset{+}{\rightarrow}A\underset{+}{\rightarrow}m+P|\underset{+}{\rightarrow}P)_c\rightarrow[\dot{A}O]_m\rightarrow[\overset{+}{\dot{A}}O]_m+)\underset{+}{\rightarrow}\rangle([\dot{A}O)\rightarrow$

$A+\overset{\leftarrow}{T}m+[\bar{A}d\rightarrow\bar{A}]\langle+T_m\,Ad\underset{+}{\rightarrow}P|d\underset{+}{\rightarrow}P\underset{+}{\rightarrow}\rangle(\bar{A}_T\underset{+}{\rightarrow}P'BP)+\langle\dot{A}BP\underset{+}{\rightarrow}O)$

$+T+\dot{A}_{+}t\underset{+}{\rightarrow}P\rangle\underset{+}{\rightarrow}(O+ad+O_2\overset{m}{\rightarrow}\dot{A}O\rangle(P+[A\underset{+}{\rightarrow}]E\overset{P}{m}(\dot{A}O)]_c\rightarrow\dot{A}_a+\bar{Q}+Q\underset{+}{\rightarrow}\dot{A}_P+$

$A\underset{+}{\rightarrow}\dot{A}_P+A+Q\underset{+}{\rightarrow}O\rightarrow O_2\underset{+}{\rightarrow}A+d+P|\underset{+}{\rightarrow}(\bar{\dot{A}}O\underset{+}{\rightarrow}A\underset{+}{\rightarrow}\overset{\dot{A}}{m}\underset{+}{\rightarrow}(\dot{A}E_P\rightarrow\dot{A}-\dot{A})+(\dot{A}\bar{O})\underset{+}{\rightarrow}$

$A\underset{+}{\rightarrow}\bar{m}\underset{+}{\rightarrow}P_2\underset{+}{\rightarrow}\dot{\bar{A}}+\bar{Q}+[P'_n+BP\rightarrow A_m\rightarrow A_{[\overset{+}{O}]}]+P'_n+P_{(P)}+E\overset{\dot{A}}{m}\rightarrow O$

$(\overset{+}{m}\rightarrow\dot{A}O\rightarrow\underset{Ac}{O}\underset{+}{\rightarrow}\dot{A}_{[\overset{+}{O}]})+[E_P\overset{\dot{A}}{\underset{c}{\rightarrow}}E_0m\rightarrow P_c]\rightarrow\dot{A}P+E_0\underset{c}{\rightarrow}\bar{B}P]+[BP]_c\rightarrow\dot{A}O.$

$\dot{A}O=[(5)BP_c\rightarrow(5)Om(\dot{A}O]]+\dot{A}O+A+BP_0\underset{+}{\rightarrow}d+A+a|+\dot{A}O+A+m\underset{+}{\rightarrow}\bar{Q}+_{\times 2}\rightarrow$

$E_0\rightarrow EO_2\rightarrow E.\ P+\dot{A}O+A\underset{+}{\rightarrow}mPO\underset{+}{\rightarrow}E_2\underset{+}{\rightarrow}O\underset{+}{\rightarrow}[\dot{A}O\underset{+}{\rightarrow}A+(\dot{A}\rightarrow EP_2h)\underset{+}{\rightarrow}]$

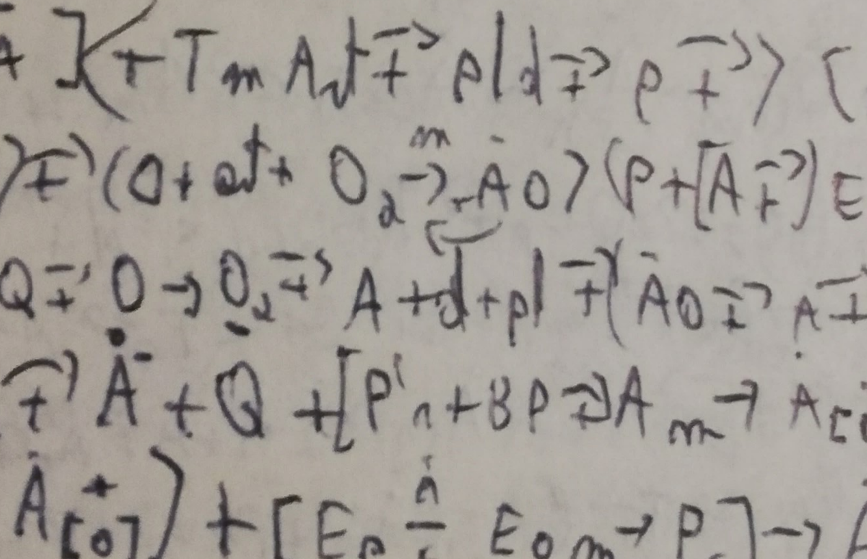
$C\rightarrow\dot{A}EO+\dot{A}_{[O]}]+[E\underset{+}{\rightarrow}\underset{P}{m}+A_{P5h}\underset{+}{N}(Ph)]+P+P+[\dot{A}O)\underset{+}{\rightarrow}[n_c\rightarrow\acute{A}Q]$

$(\bar{A}+\times_2\underset{+}{\rightarrow}m)+$

$P'_P+A+\bar{A}\underset{+}{\rightarrow}$

$P+P_{(2)}\underset{+}{\rightarrow}\rangle A\,m$

$+\overset{+}{Q}\times_2\underset{+}{\rightarrow}\bar{A}[\,][\,]+$



$\underset{+}{\rightarrow}\dot{O}O+N_{mnq}\Rightarrow(A\rightarrow O)\times_2$

$\overset{+}{Q}\underset{+}{\rightarrow}(in_c\rightarrow O)\rightarrow T\,A\underset{T}{\rightarrow}Am$

$P+\dot{Q}+A\underset{+}{\rightarrow}P'_n+BP+P|$

$\bar{A}\underset{+}{\rightarrow}\bar{O}\underset{+}{\rightarrow}BP+A+P_2+P+A\underset{+}{\rightarrow}P_2$

$\underset{+}{\rightarrow}P_y\text{-}Ph+\underset{m}{A}\underset{+}{\rightarrow}\dot{A}_n\underset{+}{\rightarrow}P+T+A\underset{+}{\rightarrow}\dot{A}_L+Q\times 2(A_cQ)\underset{+}{\rightarrow}P_2O_{+}+\bar{Q}\underset{+}{\rightarrow}\dot{A}a$

+Q + A + (Â, Q̇) + P₂ + Q̄ A + + A (P₂ ∩ BP m ∓→ P₁ BP) ∓→ Q + P + A + (P₂ + Ȧm

P| + BP + (A − A₂ → P − Pₐ) ∓→ [Ȧ[0]c → Ȧm ∓→ P₂ ∩ BP] + [[Ȧ] + (A −m A)]c → ȦO

Tm̄ + (Am)c → Q̇ ∓→ Ȧn ∓→ T ∓→ Â + in̂ ∓→ N ∓→ T ∓→ [Q̄ ∓→ n] + (Ȧ 0) ∓→ Tm ∓→ A

Ṗ₁ ∓→ Ȧₙ ∓→ P₂ ∓→ [n̄ − [A] −] ph/Py → [N m→ (n −Ȧ A × n −Â A)] ∓→ (ȦOm → ȦO₂ ∓→ m) E] + P₂ ∓→ A ∓→

E → [AP ∓→ (P(n) → m BP)] ∓→ m → BP − P(P)] + P(P) + A + [P| + dr]c → A + Q̄ ∓→ Q̇ (

BP A ∓→ Ȧ[Ê]] Q + T ∓→ P| + A + E₂ + [Ā − Ā]c → ȦO m (m) ∓→ Ā ∓→ Q̇ + dr + Tm → (A − A)

Q̄ ∓→ Ā ∓→ (N(n) P ∓→ P(P) → Am] + [ẋO] + P + Q̄ ∓→ in ∓→ m(Ȧ) ∓→ [Ppym] ∓→ m̄ ∓→ P′ P(P) +

(P(y), Ȧ) + (ȦO] + (P̄(y) Ȧ) ∓→ Am ∓→ [in̂ + [(A m−n A) ∓→ N − P − n] ∓→ (ȦO − O)] ∓→ (T Eₜ − in)

∓→ ȮO + ȦOP ∓→ P′n [P(P)) +→ ȦÔ − O] + (A ∓ A) m∓→ [ȦE] + P + A ∓→ ȦE ∓→ P + A − A ∓→ Q̇ m k +

[P₂ + Am + d(Ȧ)c → P) Am̄] + (A + dr m̄ ∓ BP(P′n)) (T ∓→ P(P) + P + A + BP Ȧm − Óc − Q̄)

[Q̇ m̄ Ō] + [ȦO] → (P̂y Ȧ) ∓→ P + Ȧ ∓→ [Ȧ] ∓→ Ā − ~~Ā~~] ∓→ Ad + in ∓→ A] + [ȦΩ + P] + P₂ ∓ Ā +

[] ∓→ P) ⟨P₃ + Ȧₚ ∓→ Q ∓→ (Ā꜀ ȦO)⟩ [P + A → [ȦO]ᵐᴾ] → [P| ∓→ O ∓→ Oₚ ∓ E]ᴬᴼ + Es

[ȦO] + A] + Ȧ (Q̄ + Q̇)] → XS [[ȦO] + T + D + A] + P + A ∓ EOc Ȧ + P₂ + Am

[ȦO] → NₙP ∓→ A + d + ȦO ∓→ P₂ ∓ ⟨P + (m̄ m̄ ∓ A) + P + Ā ∓ A + X₄ − 1 → Q ∓→c ȦO ∓→

(ȦPy − n) X₂ ∓→ P′n + AP ∓→ A ∓→ Q̇ X₂ → BP + P′n ∓→ ȦPy[] ∓→ inc → ȦQ · Py X₂ + P +

A − A + Q̄ ∓→ E + P + Ā ∓ Ȧ ∓→ Eₚ + [P + Ȧₐ → ȦO ← Ȧₐ] + P + Ā + T] + P(n) + Tₒc ∓→

in + Q Py Ȧ ∓→ P + Ā ∓→ ĀEO ∓→ [ȦOₚ m] ∓→ P + A ∓→ P(A) ∓→₂ + A X₂ ∓→ Ā(O) ∓→ O ∓→ Eₚ.

P + Ā(∓→ EₚPₚ · AT) + O + A − A (O₂ m∓→ (Ā + Ōₚ) + (Tʙᴘ + A + Q̄ + (A ∓ T) + ⟩ (ȦO)

∓→ inc Q̇ ∓→ Ā → (ȦO₂) + P + Ȧ ∓→ P(A) ∓→ (P (A − A) ∓→ (BP − BP]c → Q) ∓→ Es Nc [ȦO]

([B̄Pc ȦO] ∓→ P + A ∓ T) → ȦO → m → Ėₚ ∓→) + T + Ȧₐ ∓→ ȦO [] → P₂ + A

Am ∓→ Q̇ + O ∓→ Am + dr + (EₐN) · n ∓→ T + ⟨EO₂ ∓→ (P(n) γ (Q ∓)) + A ∓→ EO₂

Q̇ m ∓→ A ∓→ [Ȧ[] m] → A − A → [ȦO] + 7 ∓→ P + A ∓→ N − P(P) → m̄ ∓→ in + P + d A ∓→ Tm

⟨A ∓→ ȦO − O → ȮO + Q in ∓→ ȦPy − ph − X₂] c∓→ ȦO → PȦ(n) → P(N) ∓→ Ad ∓→ ȦBO

∓→ m → BP ∓→ ⟨P(O) − E ∓→ Am ∓→ P(n) g ∓→ m − T] + ȦOP ∓→ Ȧ[E] ∓→ Ȧm ∓→ [O] m.

E + m + EOc → O + ⟨ȦO m ∓→ Eₚ + Ā] + P + A d ∓→ A ∓→ m → + ȦOₒ ∓→ ȦOₒ ∓→ m ∓→ BP

$$A \overset{\rightarrow}{\mp} (A - \overset{\hat{A}}{m}) \overset{\rightarrow}{\mp} P + \bar{A} \overset{\rightarrow}{\mp} [\dot{E}\,\bar{d}] + P + A + A_{[0]} \rightarrow O \overset{\rightarrow}{\mp} (\dot{\bar{A}}_p) + P + A + A \overset{\rightarrow}{\mp} O \overset{\rightarrow}{\mp} P + A + P_1$$

$$+ (A - A) \overset{\rightarrow}{\mp} P'_n\, BP. + P + A + P_2 + BP + (dr \overset{A}{-} dn) + (P + \bar{A} \overset{\overset{m}{\rightarrow}}{\mp} A) + (P + A_{mp} \overset{\rightarrow}{\mp} p | \overset{\rightarrow}{\mp} E_0 + A\text{-}A$$

$$(A_{mc} \rightarrow) Q \overset{\rightarrow}{\mp} O_2 \overset{\rightarrow}{\mp} d \overset{\rightarrow}{\mp} P'_n\, BP + P'_n + BP + \overset{+}{\dot{Q}} \times 2]) [\dot{A}\overset{\circ}{O}] \overset{\rightarrow}{\mp} \overset{T}{A} + \bar{A}_m A \overset{\rightarrow}{\mp} \dot{A} \overset{\overset{m}{\rightarrow}}{\mp} O + A_{A\text{-}A}$$

$$\overset{+}{\dot{Q}} + A \overset{\rightarrow}{\mp} \overset{+}{\dot{Q}} + A_2 \overset{\rightarrow}{\mp} A + BP + A + n \overset{\rightarrow}{\mp} E\,O]_c\ \dot{A}O \overset{\rightarrow}{\mp} \bar{A} \overset{\rightarrow}{\mp} \bar{O} \overset{\rightarrow}{\mp} [A_{[0]} \overset{\dot{i}n - A}{\uparrow} \ \overset{|}{0}] \overset{\rightarrow}{\mp} P \overset{\rightarrow}{\mp} \overset{+}{\dot{Q}} + d$$

$$\{(\bar{A}(\bar{m}) \overset{\overset{m}{\rightarrow}}{\mp} [P_y]_{\mp}^{N} \rightarrow P_2) + mT + \langle\langle \dot{A}_{[py]} \overset{\rightarrow}{\mp} A_m \rightarrow [\dot{A}\bar{n} [\dot{A}O]) \overset{\rightarrow}{\mp} A \overset{\rightarrow}{\mp} (\dot{A}O_2] \overset{\rightarrow}{\mp} P_{(p)} \overset{\rightarrow}{\mp}_{A\text{-}A}$$

$$+ [\overset{\hat{n}}{\dot{A}O}] \overset{\rightarrow}{\mp} \bar{A} + (\bar{m}) \overset{\rightarrow}{\mp} \dot{\bar{Q}} \overset{\rightarrow}{\mp} \dot{A}A\text{-}A +] (\dot{A}O \overset{\rightarrow}{\mp} A_d \overset{\rightarrow}{\mp} \dot{A}O - O \overset{\rightarrow}{\mp} P + A_m \rightarrow P_y) \overset{\rightarrow}{\mp} \bar{Q}(p) \times$$

$$2 + P_{(p)} A \overset{\rightarrow}{\mp} d \overset{\rightarrow}{\mp} E_0 \overset{\rightarrow}{\mp} \{[P_{(p)}] \overset{\wedge}{+} E]_c \rightarrow [\dot{A}O - n] \overset{\rightarrow}{\mp} \infty \rightarrow \overset{[\ ]}{P_y}_c\ P.) A + AO$$

$$A \overset{\rightarrow}{\mp} T_m - T. + P + (A \overset{\rightarrow}{+} D) + \dot{A}P + d + [P + A + \dot{A}P + d] \rightarrow (T_m P_A \overset{\rightarrow}{\mp} P + A + in)$$

$$[\dot{A}O] \overset{\rightarrow}{\mp} m \overset{\rightarrow}{\mp} A \overset{\rightarrow}{\mp} (P_{(p)}] - in + A \overset{\rightarrow}{\mp} \dot{A}_{[0]c} - \{\dot{A}_m \overset{\rightarrow}{\mp} A + A \overset{\rightarrow}{\mp} BP + T \overset{\rightarrow}{\mp} A$$

$$\overset{\rightarrow}{\mp} [\dot{A}O] - A\text{-}A \{[E_0 + T_m A_0 \overset{\rightarrow}{\mp} [\dot{A}\bar{O}_{c.}] \overset{\rightarrow}{\mp} PA \overset{\rightarrow}{\mp} E +](T) + P + A + \bar{Q} \overset{\rightarrow}{\mp} \check{Q} + O$$

$$\overset{\rightarrow}{\mp} [N_c \overset{\dot{A}}{\rightarrow} + A_{cQ} m] + P + A \overset{\rightarrow}{\mp} \overset{+}{\dot{A}} \overset{\rightarrow}{\mp} P \overset{\rightarrow}{\mp} (\bar{A} \overset{\rightarrow}{\mp} \bar{E}O_2 \overset{\overset{\bar{m}}{\frown}}{\mp} \bar{O}(\bar{A}n) \rightarrow \dot{N}) + P_{(n)} \overset{\rightarrow}{\mp} N$$

$$A \overset{\rightarrow}{\mp} (\dot{\infty} + P_{(0)} n \overset{\rightarrow}{\mp} \times \mp \overset{\rightarrow}{\mp}_c \dot{A}P \overset{\rightarrow}{\mp} A \overset{\rightarrow}{\mp} p| \overset{\rightarrow}{\mp} [A \hat{-} A] + A_m \overset{\rightarrow}{\mp} \dot{A}O_0 \overset{\rightarrow}{\mp} [A - T \overset{\rightarrow}{\mp} \bar{A}m + in$$

$$\bar{Q}\,E)] + (P + \overset{+}{\dot{A}} F' P_1 +) + [P \overset{\rightarrow}{\mp} [AP_{(n)} \bar{-} A] \overset{\rightarrow}{\mp} A(E \sim O_{A-A}) \overset{\rightarrow}{\mp} P_{(n)}] \overset{\rightarrow}{\mp} (\dot{A}O \overset{\rightarrow}{\mp}] \overset{\rightarrow}{\mp} (m)$$

$$\overset{\rightarrow}{\mp} (P + A \overset{\rightarrow}{+} E + (mP - E]) \overset{\rightarrow}{\mp} P'_n (P-n)_c \rightarrow \dot{A}O \overset{\rightarrow}{\mp} (\dot{Q}_{in} + \overset{+}{\dot{A}} = \bar{m})] + [\dot{A}O] + P$$

$$\langle P \overset{\rightarrow}{\mp} A_d \overset{\rightarrow}{\mp} \overset{+}{\dot{Q}}_m \overset{\rightarrow}{\mp} P_{(n)}] + (E_m \rightarrow \dot{E}_0 \times 5) \overset{\rightarrow}{\mp} \dot{A}P(5) A + (\dot{A}O = E_p \hat{m} [\overset{0}{\underset{0}{0}}) +] + [A - A$$

$$P_n P_y \rightarrow E]_c \rightarrow \dot{A}O \overset{\rightarrow}{\mp} \overset{+}{\dot{A}}_{\bar{A}} \overset{\rightarrow}{\mp} [\hat{E}] \overset{\rightarrow}{\mp} (P_{(0)} + A +) \overset{\rightarrow}{\mp} T_A \overset{\rightarrow}{\mp} A + (E\dot{A}_n T] - \lambda \dot{A}O 2] -)$$

$$T_A \overset{\rightarrow}{\mp} \langle A - A \rightarrow E_n] \overset{\rightarrow}{\mp} A \overset{\rightarrow}{\mp} \bar{E}(n) \rightarrow T + (P_{(p)c} AO] + A_T \hat{\mp} E \times (\bar{D}) \mp A + 4 \overset{\rightarrow}{\mp}$$

$$E_2 \overset{\rightarrow}{\mp} A - A) \overset{N}{\vec{c}} [\dot{A}O] \mp A \overset{\dot{A}O}{\bar{E}}] \overset{\rightarrow}{\mp} A + P + A + E_p \overset{\rightarrow}{\mp} A \rightarrow n(A \wedge A) + E_{P2} \overset{\rightarrow}{\mp}$$

$$A \overset{\rightarrow}{\mp} (A_{[0]} \hat{E}_p)_c \rightarrow \overset{+}{\dot{Q}} \overset{m}{\rightarrow} P_{(p)} + \times_I^E P_3 \overset{\rightarrow}{\mp} \langle\ \rangle + [\dot{A}O) + P + \dot{\infty} \overset{\rightarrow}{\mp} P_{(p)} + A_4\ \bar{Q}\ EP \rightarrow$$

$$\overset{c}{} A \rightarrow (A - A)_c \rightarrow \overset{+}{\dot{Q}} \overset{\rightarrow}{\mp} P_{(p)} + (N - E) \overset{\rightarrow}{\mp} T_c \bar{Q} \overset{\rightarrow}{\mp} P_{(n)} \overset{\rightarrow}{\mp} A_m \overset{\rightarrow}{\mp} P' BP' + \bar{Q} \overset{\rightarrow}{\mp} Brm +$$

$$\langle P_{(A)} + A \overset{\rightarrow}{\mp} [O \overset{\rightarrow}{=} A - A] P_{(p)}^{in} \overset{\rightarrow}{\mp}) + (\bar{A}m \overset{(m)}{\Rightarrow} P_{(n)} + \bar{A}_m \overset{\rightarrow}{\mp} P' BP) + T \overset{\rightarrow}{+} A \rightarrow P_{(n)} \rightarrow BP - O \overset{\rightarrow}{\mp}$$

$$\overset{\rightarrow}{\mp} \bar{m} \overset{\rightarrow}{\mp} P'_n + O + \overset{\bar{m}}{\bar{A}} \overset{\rightarrow}{\mp} P_{(n)} \overset{\rightarrow}{\mp} A + O \overset{\rightarrow}{\mp} A \overset{\rightarrow}{\mp} \bar{Q} \overset{\rightarrow}{\mp} \dot{O} + O_2 + \bar{Q} \overset{\rightarrow}{\mp} A + D \overset{\rightarrow}{\mp} \dot{A}py^m \overset{\rightarrow}{\mp}$$

$$A \overset{\rightarrow}{\mp} P_{(n)} Q + \bar{m} \overset{\rightarrow}{\mp} E_0 \overset{\rightarrow}{\mp} p| \overset{\rightarrow}{\mp} E_{02}^c (\bar{Q}_m) \overset{\rightarrow}{\mp} (BP_c \bar{Q} \overset{\rightarrow}{\mp} T_c Q \overset{\rightarrow}{\mp} P_2(n) \overset{\rightarrow}{\mp} \dot{\bar{A}}_{\bar{n}} \overset{\rightarrow}{\mp} T)]$$

(P+7A ⇀ Q̄ ⇀ ȦO−O+ A_m P[ ] + ∞ ⇀ O ⇀ P(n) d₃₃ • (A ∓ A) ⇀ (n_c · E)]

[P+ ∓ n−e]^m_{AE} [A+Q ⇀ dr + E_p +[(m̄) m̄ A] ⇀ P(e) + ∓ A [∞ P(n) d₃₃ + A + d + E_p +

(A−A → BP) + P+ A ∓ m BP → A+Q̇] ⟨P+ A [A_c Ȧa −A_A ×2 ⇀ ȦO(n)] + P̂₂ +

A_m−d^(P₂) ⇀ Ō ⇀ P′_n BP A−(P₂)] ⟩ + [Ṫ] ⟨ P′_n + BP + O_Ac → Ȧ_P₁ ⇀ ȦO ∓ A ⇀ BP))

⟨(Ȧ_[O−A] ⇀ ∞ m̄) ⇀_c (ȦO ⇀ A ⇀ P′_n + BP ⊥ (P+ A + ∞^BP ∓ A−T) + Q̄ + in + A(n)

S₃+ P+A+d ⇀ ȦP | ⇀ ⟩ + P_m ⇀ (A − A)^Ⓣ + (A+P ⇀ d ⇀ E_P) m̄ (A−A)] I_r

P+ A (Ȧ_[O] m) ⇀ P′₂ · E₀(P|−P₂) 4] ⇀_c ȦO I m ⇀ P′₂ n [P_y −P h] + P + Ā ⇀

m ∓ ȦO + Ȧ − O(ȦO) ⇀ m ⇀ P′_n ⇀ Ȧ P| + E_P + ⟩ ⟨ P ⇀ T_m ⇀ A+ O ⇀ d + A + P₂

→ (ȦO₂ ⇀ [Ȧ · A]_m → P_c Q̄ ⟩ [Ā m] → A_[O] O + P(e) ⇀ A ∓ ∞ ⇀ A_[O]^c ȦO +

[ȦO] → A d ⇀ Q̄ + E + [P+ A + in ⇀ Q̇ + A ⇀ O] + [ȦO] m ⇀ [m̄] ⇀

P+A+d ⇀ BP ⇀ A ⇀ ȦP_y ⇀ [P+ Ȧ + Q̄ [ȦO] ⇀ in ⇀ P ∓ n ⇀ A(P_y T) ⇀ A → A_m I

in Q ⇀ A[ ] 42 ⇀ P+ A + (P₂ ⇀ A → m (P·P_y → ȦO) [T + (ȦO] P ⇀ Q̇ ⇀ N(n) ⇀ P(P)]^m

P ⇀ c] → [ȦP ∓ P₂ ⇀ A] + Ȧ(P_y) ⇀ P₂ ⇀ (ȦO) ⇀ P₃ ⇀ [A_m] ⇀ P(Ȧ) ⇀ m [A ⇀ P_[A−A]

I ⇀ P₂ n + [P+ A m̄ ⇀ ⟨P₂ ⇀ Ṅ [Ā ∓ Ā] ⇀ P′_n + A ⟩ P + [A−A] ⇀ Ȧ_m → N →

⟨[ȦO−O]^m ⇀ A[m_c = m] r| → N[A−A] ⟩ P+A ⇀ P₂ + P′ ⟨P + A m −P| ⟩ +

(P+ Ȧ ⇀ E) + d ⇀ (P P + Ā + d ×2 ⟩ E₀ → ȦO − O_m → O + Ō ×2 P| → S−O]^c + P + A

on [ȦO] · [N ∓ Ā m + (Ȧ m̄) ⇀ N₂] + P + A + E m (e − P m E_P |) + Ȧ ⇀ P₂ +

m̄ Ȧ ⇀ BE_c I [ȦO] · Ā ⇀ E_P → d I (ȦO) → (Ā m̄ A) → P′₂ , + [P_y] + [A T m − A] + P ⇀ P_y +

P₂(n) I A ⇀ T + BP ⇀ ⟩ ⟨ P(P) ⇀ A ⇀ A_P → ⇀ P₂ ⇀) ⟨ P(P) A + P(P) T m ⇀ ȦQ P_y ⟩

P+ Ȧ_d E m ⇀ ȦO (A − ȦP) + AP ⇀ O − B₀ + [ȦO × 6 ×2] + E + P − P × P → + E_m +

[ȦO] ⇀ Q ⇀ A ⇀] ∓ [A−A] + [J ⇀ m̄ → ȦO) I + A + P + (A + m BPO →

[BPO₂ + BPO₃] / F_c ȦO ⇀ A ⇀ T +) ∓_c (ȦO] ⇀ Ā I Ō_m ⇀ [A : A] ⇀ P₃

$$m A \xrightarrow{\mp} in \mp\{AO - 0\rangle + [\dot{A}\bar{O}] \xrightarrow{\bar{m}} \mp T\rangle \xrightarrow[+]{} P + A \mp P + in(\dot{A}) \mp \rangle O_c[+P_{(n_{c_2}} \rightsquigarrow \dot{A}O]\rangle$$

$$+ BP^{\bar{m}}_{c+}(i_1] + \bar{\dot{Q}}(\dot{O}\bar{m}\bar{BP}) + [P_c\bar{P}\bar{Q})] \xrightarrow[+]{c\dot{A}O} P_{(0)} \xrightarrow[+]{} \overset{in_c}{[\dot{A}O]} \xrightarrow{\mp} [\dot{A}P_y \xrightarrow{\mp} P_y + \dot{B}P\rangle$$

$$P + A + d + \bar{\bar{Q}}_m BP - [\dot{A}O] + A[\dot{A}O - BP \times + -0(E_P - \cap)] + \langle [BP_c^{m[P_y} \xrightarrow[\cap]{?}]_c \to \dot{A}O \xrightarrow{\bar{+}} P_+ A \xrightarrow{}$$

$$[m + BP(\hat{Q})_c m \to B_2P] \xrightarrow{\mp} BP_{+\beta}(\bar{m}\, m) \xrightarrow{\mp} \overset{+}{\dot{Q}}) \xrightarrow[+]{} P'_n + Q + BP_4 + [T - P^{\bar{m}}_{N} \rightsquigarrow S^{P_2}_{P_1}]$$

$$A\,m(P_{(n)} \xrightarrow{\hat{m}\,\mp} P_2 - P + [5 \xrightarrow{\mp} \bar{m} \xrightarrow{\mp} P \xrightarrow{\mp} BP + \dot{\bar{Q}} \xrightarrow{\mp} \underline{O} \xrightarrow{\mp} \dot{A}\bar{Q} \xrightarrow[m]{\mp} \underline{O} + \dot{A}_{[m]} \xrightarrow{\mp} \dot{A}_m$$

$$\mp[\bar{P}_y - \acute{P}h]\overset{+}{\dot{Q}}(\dot{Q})] + \bar{T}m A \xrightarrow{\mp} A\,P_y \xrightarrow{\mp} A \xrightarrow{\mp'} (\dot{A}) + \rceil_c \to AO \xrightarrow{\mp} + \xrightarrow{\mp} \dot{\bar{O}} \xrightarrow{\mp} E_0$$

$$\bar{m}(\mathcal{E}P_{(n)} - m\dot{\bar{P}}) \xrightarrow{\mp} P'_n\, BP(\dot{Q}] \xrightarrow[+]{} \rangle(\dot{A}O_P) \xrightarrow{\mp} - m \to \dot{A}O_c \to P_y \xrightarrow{\mp} T\overset{+}{A} \xrightarrow{} \dot{A}_{Tm}$$

$$P_2'{}_n + A \xrightarrow{\mp} P_2 BP + (BP\bar{m}] \xrightarrow{\mp} P + \bar{\dot{A}} \xrightarrow{\mp} \grave{E}_Q + \breve{O} + \grave{E}_P \xrightarrow{\mp} \bar{A}(\dot{\bar{Q}}) \xrightarrow{} T + \bar{m}(\dot{A}O \overset{?}{-} \dot{A}O)$$

$$+ P_{2} + A + P_{3(n)} \xrightarrow[+]{} P_2 \to \bar{E} + \langle \cancel{A+}\, \bar{A} + P + m(P_y - P)) + \langle P + \dot{A}O + \bar{m} + \grave{E}_+$$

$$\langle P + A - A + E \xrightarrow{\mp} P_2' \bar{A} - \bar{m}\rangle\ [P + \bar{A} \xrightarrow{\mp} P_2' Q\bar{B}P + P_1 + A + E\rangle\langle P + \dot{A} + \dot{B}P_1$$

$$P| + [\bar{E}_n BP_c \bar{O} + A - A] + \langle A + A + \grave{E}_P\rangle + \langle P'_n BP + \bar{A} + E_P\rangle \langle \dot{A}O + m\grave{E}_P \xrightarrow{\mp} \bar{P} + \grave{E}_P m + A$$

$$\langle P_n E_+\rangle\langle \bar{P}\bar{A}\rangle\langle O_A\rangle\langle P_2 \xrightarrow{\mp} A - A\rangle E_O + BP + \bar{O} \xrightarrow{\mp} A - A + d| + (A_m d) \xrightarrow{\mp} E_0 \xrightarrow{\mp} BP_0$$

$$\langle P_2 + A + m + \grave{E}_P + d| + A_2\rangle \int P_2' \bar{A} + P + \bar{O} + [E \overset{T}{\underset{A[\dot{O}]_{k2}}{\cdot}} \to E_0] + \dot{A}O + A \cdot A + \overset{+}{\dot{Q}} \xrightarrow{\mp} [\grave{E}_{O_d} m +$$

$$A + m + [\dot{A}O_d \xrightarrow{\mp} O]^{\dot{A}O} \to E_P\, \underline{A[O]} \to N(E_P) + [\dot{A}_{P_y} A - A + P + P\bar{m} - P]_c \to \dot{A}O + P + \dot{A}O +$$

$$P + AO(\bar{m}) + P + \overset{\times}{\dot{A}} \xrightarrow{\mp} \cancel{AO}\, O \xrightarrow{\mp} \bar{A} + P + \dot{\bar{A}} \xrightarrow{\mp} O - (\dot{A}O_+) \xrightarrow{\mp} \overset{+}{\dot{Q}}_{[T]}{}^{\times d} \xrightarrow{\mp} + P + \overset{+}{\dot{Q}}(\vec{P}_0) +$$

$$A + P + \dot{C}oT + P_3 + A \xrightarrow[\mp]{} [\bar{A} - A)_c \to [AO] \xrightarrow[+]{} (N_{,Q}) \xrightarrow{\mp} T + \dot{A}_D \xrightarrow{\mp} [P + \overset{+}{\dot{Q}}(P_d)) + \dot{A}$$

$$+ P + \mp + in \xrightarrow{\mp} \bar{m}[\underleftarrow{metric}] \xrightarrow{\pm} O + (\bar{\dot{A}} + in) \xrightarrow{\mp} [\dot{A}O] \to \bar{Q} \xrightarrow{\mp} ((\dot{A}O - \bar{O}\bar{m}) \to \overset{+}{\dot{Q}}^{m}$$

$$P + A \xrightarrow{\mp} \bar{m}\,[A - A] \xrightarrow{\mp} in\,\bar{Q}[\bar{Q} \xrightarrow{\mp} \bar{A}m\overset{+}{\dot{A}})] \xrightarrow{+} (\breve{A} \xrightarrow[m]{\mp} [\dot{A}O] +) \xrightarrow{\mp} P + P_2 + in \xrightarrow{} A_{T_1} + P_3 +$$

$$P_{(n)}\rangle\,\underline{[MF \xrightarrow{\mp} O \xrightarrow[m]{\mp} \dot{A} + 6 \xrightarrow{\mp} CYL \to A + O \to C)L \xrightarrow{\mp}]} \xrightarrow{\mp} \bar{m}\ _A \xrightarrow{\mp} REC \times gP + A + \dot{A} +$$

$$(BP + BP)\,P_1 + P_2\, d \xrightarrow{\mp} [O - O]_c \to AO \xrightarrow{\mp} A_m \xrightarrow{\mp} \dot{A}_{[\dot{O}]}) \xrightarrow[\mp]{\sim} \dot{A} \xrightarrow{\mp} \Theta_P \xrightarrow{\mp} \dot{A}mOP_{d_{v_1}} \to \dot{Q}O$$

$$P + [P + Am \xrightarrow{\mp} \dot{A}O \overset{N}{-} O]_c \to P(N)] + [\bar{T}_m Q \to P_{(n)} BP_m \dot{A}^{[c - BP_0]}_{[O]}]_c \to \dot{A}O + A_d + P_2 \xrightarrow{\mp} EP^{q}\ P_0$$

$$BP_c[\dot{A}O_2] \xrightarrow[m]{\mp} \to Q\overset{\circ}{[\dot{P}_y]} + [P_{(n)_3} \xrightarrow{\mp} (\bar{A}]pl_{(A)} \to P^c_2 A \xrightarrow{m} \bar{O}L \to] A_d \xrightarrow{\mp} O_2\langle [A_{[P_y]}] \to_m BP[P_n]$$

$$Ph \xrightarrow{\mp} [\bar{Q}_{[P_y]} \xrightarrow{\mp} d_2 \xrightarrow{\bar{m}}][P_{(n)} \xrightarrow{c} P_{(\bar{n})}]\rangle [\bar{T}_{\bar{m}} \to A\,mT_{[P_y}] + [\dot{Q}_m \xrightarrow{} BP_c] \xrightarrow{\mp} [\dot{A}O \xrightarrow{\mp} A_d]$$

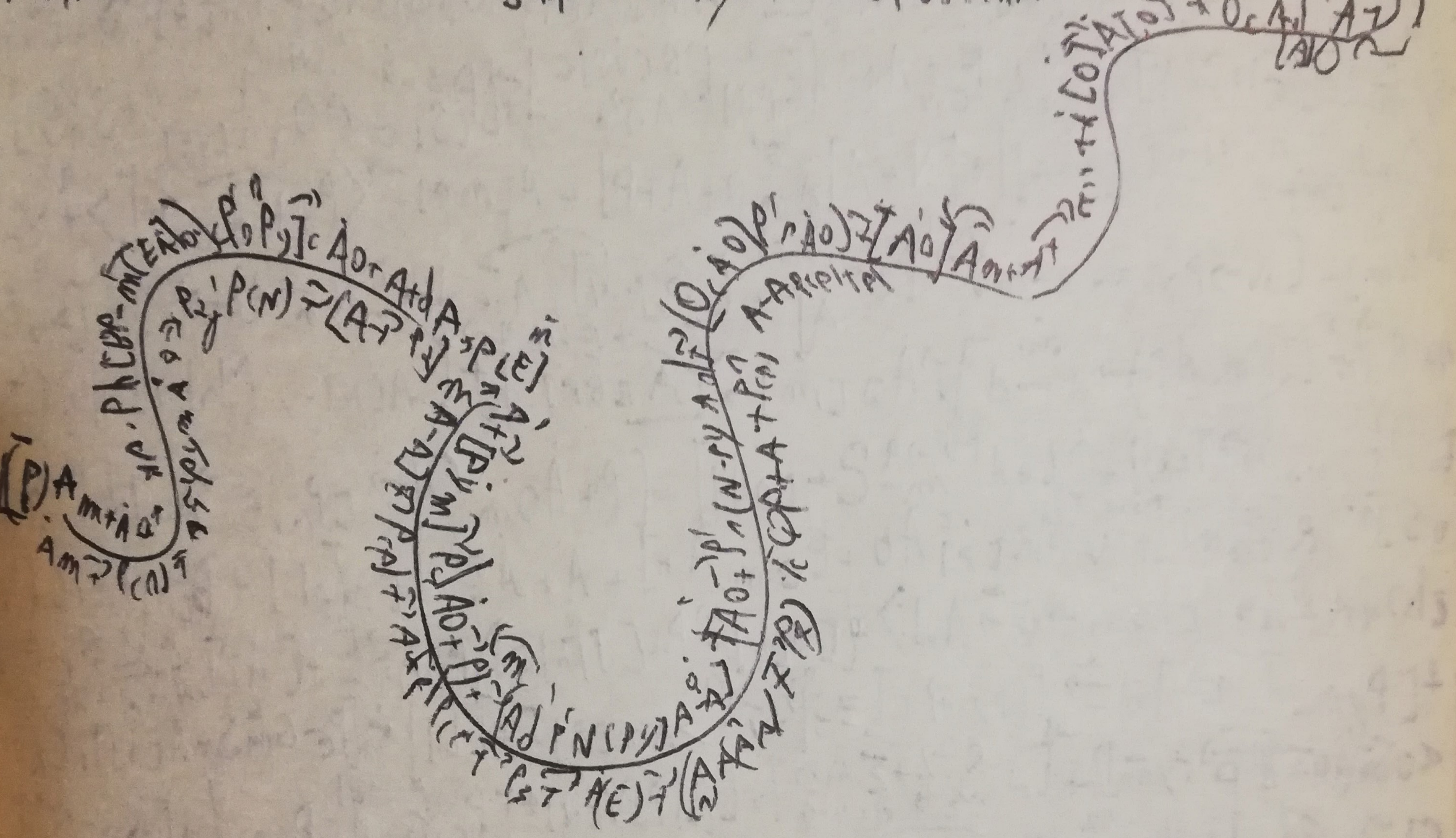
$$Q \int_{D} \text{[illegible]}\ \dot{A}O_2] \xrightarrow[+]{} [A^{m}_{\cdot}plc\ A_{[O]}] \xrightarrow{\mp} \langle N(E)_n + [\dot{A}d] + [A \overset{\circ}{-}_A \to n]\rangle \mp A_{\bar{m}}(A_{\bar{m}}$$

[Bp ≐ Bp] → ȦO(x) + P1 − P2][Bp A d Ȧ_E Bp Ā O]c → O → Ō] + [N ≐ N] Ȧ m̄ E P2[py + ph] = [m̄]

(P + A ∓ [m p l (cp − ȦO]] + [A] m̄ [ȦO]] ∓ P + [A] ∓ Q 〉 P + (N ∓) A] ∓ [P(D) + A (py)] ∓ A + P′n [N −

Pg + A [m̄ → A ≐ A] → Ā(P) ∓ [Ȧ a] ↔ [P − P Ā m̄] m̄ E P [py m̄]] + [P′n + A [N (p) m]] E o

+ [P l →ₙᵐ [ph] + Vė + O° l ∓ [Mdo / (s + P) + R_W l]〉 + A + [Pv] + A m̄ [



[ȮA O] ∓ [O] [A(o)] + O_c A] Ȧ ∓ [ȦO]
(O Ȧ O] P′ n ȦO] ∓ [ȦO] Ȧ m + m̄
A − A(p) (p)
[P] A m + ȦO
P2 y P(N) ∓ [A ∓] y A + d A + P(E)
Am ∓ (n)
[P] A P y m̄ A O ∓
ȦO + P′ n (N − py) A d
[Ȧ] P N (py) A ∓
(A Ā A ∓ (P))
(p ∓ A(E) ∓ (Ȧ)

N

〈A + [Pv] + A m̄ [ƒ ƒ]〉 + (Ė Ṁ (V ∓ >))] − m̄ >)c (Ṅ m̄ Pd + A m̄) o] + J [o] +

〈(d m Y) ∓〉 + 〈[A + y ∓ Y r X]〉 + ȦO (P − ph] + [Pf] [[l N c] ∓ v + P] + [m Y + V̇ f] +

(n) m(R) + l p ∓ (n) ∓ V A m V + [Rs + A [A − A] V → P + A]] + Q m̄ [A] → A +

+ [P c ∓] + Dg + Se ∓ n[py] PA ≐ P]] [+ pl + m S + Po] + Ṁ + [J O g m A → A ∓c Q P] + [b] + D + A →

m + d ∓ P + AO m A + [A S − P_GW] + Ȧ_c + Ḋ (Es) ∓ [> (n) ƒ + A ∓ m] + P_A + m + p l ∓ V i +

∓ Ph(m) ∓ A + J_c ȦO] ∓ G ṁ ∓ F ∓ J + U̇ + A + P i Bp + Ė m̄ A [ȦO] + m Y m]

+ [P ≐ R Ȧ m̄] + [P y ṁ_c E(Ȧ)] + P + LȮ ∓ WR ∓ [F I ∓ W [d n m] A + V ∓ b]c [ȦO] + p l P

P] + [ṁ A ∓ P + (n)] ∓ U] + Ph(n) ∓ Ȧd (x) ∓ A + ƒ ṁ [F ∓ z O Ȧ m P P + A + [[> (n) A m] + So l m̄

P ∓ m + A + V + U + [P_c K r ≐ A] m [N − E] + ȦO + (P + (A P y] m̄ N E] Ā d m̄ o e l +] P, Ȧ ∓ m o

[F = F m ∂ A Ȧ0] + D(N)] +m S ≙ A m + J u + e m [in] → e - GL + [Ph] (P + m +

A + [L B - [B] A m[E] / [B] - [0]] + P + [P P(x)] + A + [H O [b] R] + O → (z) P A(n) +) + [N

Ph(P[b]) + F[B] + A] + [D s + E + l ∂ + n S m A + P + x A m + [Ph d] A + [R A S] + A [R [z

[∂ L - m] + R s A A0 + M [V] ∂ [N] m [A + A m] + P[S] + [S p m] + N → [[U] S m [m H] (N) h + W O

S + D/A] + [∂ + P + A J A0] m F GW + A + S + {E [B] [A [US] C / A0 A] + [P [S] c S - A A0] [VE] + A + S + S] + A + 9

+ P + A [m] + 0 A[N] m P2 [A B A]] + [N + A] A m R + A + P] + A[me] + ⟨P + K c c + [> + V] A R z A

A [m] + (N → P y (x + x - m)) P2 + [PS] A ↕ + [G + V] + A + ⊥ + [N → A] + P2] + [> ∂] A - A → F

m N) + [(N m A P) → A P y / A] → A [m] + Y [A [BP] m + E - N] + [A[N] → Ph] → E] + ⟨T ⟨ r D + [

E → [T p]] A → T(x)] + [L + A P y → R m ∂ + [n d]] + [P + A0 m 0] → [P(x) E A0] + [R

u S] [R [n] + i] + V MR [>] A0 + E e m A +] + A + A G + [m p l] + B[n] + A + [H

[h] + A ≙ A + P [A0 m → E → A] ⟩ + [[A [m] + P + [J m] + A] P(N) → E + [A + [P A m A + m S C P

+ [P y m c A0] → A d → J P[P y - m] + [z S] + V + > A m [B] J + [b]] + [P c - G m S + A [A]] + E A

⟨ 0 m (A0 + [AP] P y m) + [A w c 0 R → + Σ A(x) d = N - 0] + [A (x) P + V [N] + [P N) + A + P(P)] + [K e - N] E N ∧ + F

O c → A + R S] + N 0c + → [<] + [R A C] + [P + A [n] m A] + ⟨D Q → N [SS - R A m] ⟩ [⊥ R m] N

⟨[T [n] + P + A E [A0 c N] + [B E A / m [0] → B2 + B3 S [N]] R / Z + A m → E [e + ∂ [n]] n J + T / + m m +] + B + [P c A P] + [N] 9 A

J0 + T[0] (x) A ⟩ c A0 + R F △] + [N] + P + [A (x) → m] m [m e - i n] c → A m → P [A P h] [m e]

[R c 0] m → [m ⟨ A [Py]] + ⟨ [∂ + ∃] + K A E + [H m / V0 A]] + [P + E m] + [A 0 / [B] P + R m ⟨ [J R A m

+ [A + 0 N : [B] m ⟩ c [D + P + E 0 (d + T) ⟩ + [P A A0] → J + [T] + A] + [Ph [m A] + D r]] c P [BG] + d H

→ A N] ⟨ [R e + [P y] + E + A (S) 0 → N] ⟩ + A S V c] + [N - S] + [[x] → [∂ N] F c] + A [P c N]] ∧ + G

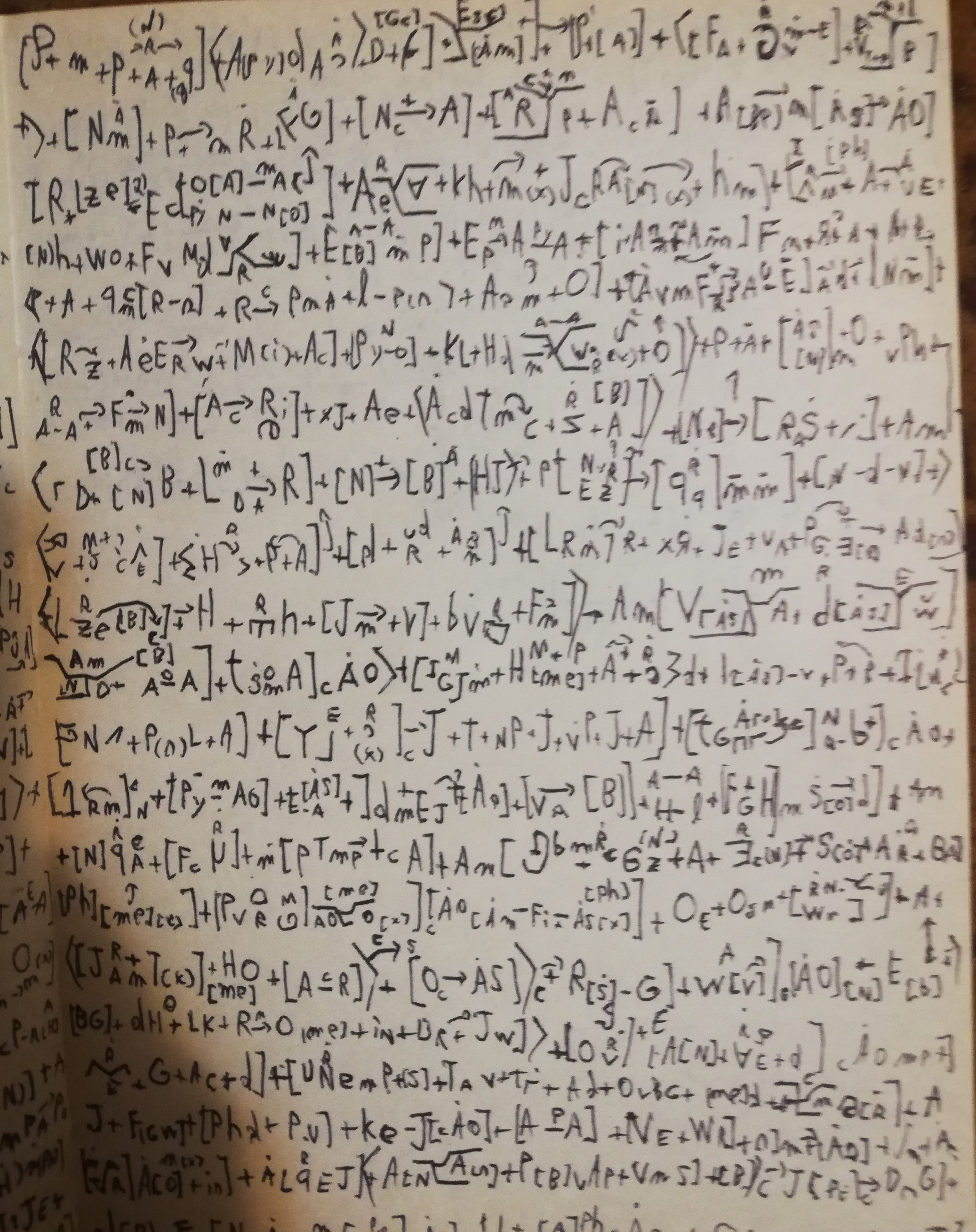
[N 0 (G) n] (x) + [A + v L] + [A - 0] Y A d → [A m - N] + [P0 + [L v + J → T m → h E V] + Q m P A J + F(GW

[R S] → d A N [P y] ⟩ + P + [0 [A] N [A] V [z]] + H [P → [00] / V] + m A ⟩ + (E [B] + R (x) [B2]) (H) m [→ A] A C 0

→ [D] + ∂ + H V R + S [d + P] + (A → O (A) → in c Q] / c A0] + A [r] A0 + [m A / L N c] T + J E +

P + T m A + T m (x) + P (E H (n) + [B] → [N] + R c m [z]] + [A m A c + R V + N ∃ J + m P [B] ∼

+ [F e C + V] R [- A] c + E + A m [in] Q [A0 J] A] + A + [B AF C + [n] + A [Ph] [D] + Y E + ∃ d] + A



$$\overline{A}^{N-P}\left[{}_{m}[\mathring{A}]_{m}\right] + [Y]^{E}_{m} + [o]\dot{A}] + P_{[B]} + H[me]m]][P_{C}K] + |\dot{A}|_{m}\left\langle A\frac{o}{G}A\right\rangle_{c} m]_{c}[\mathring{A}]$$

$$[G^{m}[u][Ad]o\rangle + H[o]] + \sqrt{\hat{V}}\,N_{c}\,9 + \ell[R] + \left[\frac{[DE]_{m}\mathring{A}}{M_{O}[J]P}\right] + \left[\frac{[B]dt\,H}{JTeP}\right] + [\mathring{A}^{m}[P]]$$

$$\left[\frac{G\dot{u}}{[me]}F\frac{\dot{o}}{m}\mathring{A}\right]^{N[x]}\left[\frac{[\dot{A}O]_{n}d}{P + Py +}\right]\frac{\dot{E}}{p|} + \left[\frac{Az\,\hat{z}_{c}}{mJ\dot{A}J\dot{O}}\right]^{\dot{A}} + \left[\frac{Ue_{c_{R}}[B]}{NVSI_{0}\,A_{C}}\right]\left[\frac{R+B}{mC}\right] + \left[\dot{A}\frac{m + m_{P}m_{a} + m_{P}}{W_{c}NE_{c}ENE}\right]_{c}\mathring{A}$$

$$\left[{}^{c}_{c}{}^{c}_{c}{}^{c}F_{m}G_{m}\right]\frac{\dot{A}mP_{\bar{o}}P}{mN_{c}} + \left[\frac{F_{c}B_{J}mL+}{O_{c}\dot{A}mPy}\right][OS + \frac{\bar{m}}{U_{c}}N]\,\mathring{A}_{c}\left|\frac{\dot{R}}{P}\right| + \sqrt[G]{m\dot{A}} + \left[\frac{M_{E}|+ds}{\mathring{A}mp}\right] + \left[\frac{J_{Sm-e}}{7CN-P}\right]$$

$$+\left[\frac{NA + \Sigma_{c}}{D + d_{R}Am}\right] + \left[\frac{[O]_{r_{v}} + ph}{M + J\hat{r} + ?}\right]_{c}\left|\frac{\mathring{A}}{P}\right| + \left[\frac{Ampl}{Py - O}\right]^{\cap} + \left[\frac{PvP - E + E}{M_{\wedge\partial}^{R} + N}\right] + \left[\frac{MP + tvP}{E + L_{\gamma c}[B]}\right] + \left[J + \overset{A}{\text{ш}} + V\right]$$

$$+\left[\frac{Ve + J_{c+}}{[[\dot{R}_{c}N}\right] + \left[\frac{V + M}{V_{[x]} + A}\right] + \left[\frac{4 + >(\dot{R}) + l}{S + V\hat{r}_{2}\,\dot{5}\,c}\right] + \begin{bmatrix} m\,d\,n \\ N\,P\,m \\ O\,S\,P \\ A\,m \\ P\,l\,d \\ m\,m \\ \mathring{A}\,n \\ A\,[Y] \end{bmatrix}^{c} + \left[\frac{N - U + A_{[?]} + D\dot{E}}{E > \dot{R}_{c}\,\mathring{A} + \wedge Q + A}\right] + \left[\frac{l_{J}V_{n}i + kL + 10}{ph + m + mP + A}\right]$$

$$\begin{bmatrix} N[L + D| + N[S] + \overset{\dot{R}}{H} + [\dot{E}\gamma]_{0}[\,] +]\,,\,M_{1} + \\ N[\,] \in A \subset P_{C}\,N[\in O][\text{function}] \\ [y + E_{r}] + [N - vd]\,A + J_{m} \overset{\rightarrow}{+} \mathring{A}_{R} + [\wedge z + m \\ A \overset{\rightarrow}{+} N + 2V[\overset{A}{9}] + [N\,m\bar{i}\,P] + \frac{d}{o_{[x]}}N \end{bmatrix}$$

$$\left[[NE]_{c} \overset{\rightarrow}{+} ?\,V\,z\,] + [S] + [Sh] + RS]\right.$$

[(Ȯ[n] c Ȯ[x]] c Å +] + (N[A - ȯ] c Ȯ[x]] + [ȯ[N] c Ȯ[x]] + (N] + [Å[1] + Å[x]] +⃗
Å[1]] [[n] +⃗ Ȯ[2] +⃗ [Ȧ - c] +⃗ [Ȯ[1] + Ȯ[3]]] +⃗ n[x]] + [Ȯ[n][x]] + Ȧ[Ȯ][x] n[1]] +
n[2]] + O[N] A[O[n]] + (Ȧ[2] - [O[Ȧ +⃗ (N]]] + [O c +⃗ [O[n][2][N[2]] + Ȯ[n] c +⃗
Å] + [Ȯ + Ȧ +⃗ Ȯ[2]] {[[Ȯ Ȧ +⃗ Ȯ[n][n] +c Ȯ[2] +⃗ Ȧ +⃗ Ȯ[n][2]] c O[n][3]] + Ȯ[N] Ȧ
Ȯ[n][1] + Ȯ[n[1]] +⃗ [Ȯ[1] Ȧ +⃗ Ȯ[n[1]] + [Ȯ[N] + (Ȧ[n]] c O[N][2]]] + [Ȯ[n]
Ȧ +⃗ [Ȯ[1] + Ȯ[2]] + [Ȧ[c]] +⃗ Ȯ[n][2]] + (n̊][x] c Å +⃗ [A + Ȧ[2]]] +⃗ [Ȯ[1][n]] +
(Ȯ[x]] c Ȯ[n]] + [Ȯ[x] +⃗ Ȧ[x][n] +⃗][O[x - 10]] +⃗ Ȧ +⃗ [Ȯ[x1]] +⃗ Ȧ[n] +]
[Ȯ[n] Ȧ +⃗ [Ȯ[x][1]] Ȧ - c[Ȯ[2]] +⃗ [Ȯ[n][2]] + [Ȯ[x][2]] +⃗ Ȧ +⃗ Ȯ[Ȯ][x] +⃗ (Ȧ - c] +⃗ Ȯ[n][3]]
+⃗ [Ȯ[n][1][Ȧ - c] +⃗ [Ȧ[c] - Ȧ +⃗ [x]] +⃗ Ȯ[N]] + Ȯ[N][2] Ȧ +⃗ Ȯ +⃗ [Ȧ[2] - [Ȯ[x][1]] +⃗ Ȧ[n]
[Å[2] c +⃗ Å] + Ȯ[n] +⃗ A[Ȯ[x]] +⃗ [Å +⃗ Å[2]] Ȧ +⃗ [x] - N]] +⃗ [Ȯ[n] Ȧ +⃗ (Ȯ[1]] +⃗
[Ȯ[n] +⃗ Ȧ +⃗ Ȯ[x][n][x] +⃗ [A [Ȯ[x]]] + (O[x] Ȧ +⃗ A Ȯ[N]] + [Ȯ[n] Ȧ +⃗ Ȯ[x]] c +⃗ (Ȯ[N]] + O
~~Ȯ[1] + [Ȧ[c]] +⃗ Ȯc~~ [Ȯ[n] +⃗ Ȧ[Ȯ] + c +⃗ [Ȯ[n][2]]] + Ȯ[1][n] + Ȯ[2] +⃗ Ȯ[1][n] Ȧ
Ȯ[x] +⃗ [Ȯ[2] c +⃗ Ȯ[x]] c +⃗ Ȯ[1][n]] + [[Ȯ[1] +⃗ Ȯ[1]] c +⃗ [Ȯ[1] · [x]]]
O[x]₂ c +⃗ ~~O[x]~~[1] Ȯ[x][1] + n] + [[Ȯ[n] Ȧ +⃗ Ȯ[n][2]] Ȧ +⃗ [Ȯ[x2]] + Ȯ[n][x + N]] Ȧ
c +⃗ Ȯ[n][x]] + [Ȯ[n]] +⃗ Ȧ[x] +⃗ [Ȯ[1][Ȯ[n] Ȧ]]] + [[Ȯ[1]] + c [Ȯ[n] Ȧ +⃗ Ȯ[2]]] + (Ȧ - c
+⃗ [Ȯ[3]] +⃗ Ȯ[1]] + (Ȧ] +⃗ [Ȯ[x]] c Ȯ[1] + n]] + (Ȯ[n]] +⃗ Ȧ - [n]] +] + [Ȯ[1] c Ȯ[x] +⃗ Ȯ[2]]
]. n[1] + n[2]] [O[x] c +⃗ Ȯ[x][2] [Ȧ +⃗ (x - N]]] + [Ȯ[1]] + Ȯ[2] + [Ȯ[x12]] c [Ȯ
(Ȯ[n] Ȧ +⃗ [Ȯ[1] + Ȯ[2]] [[Ȯ] c Ȯ[2]] Ȧ +⃗ Ȯ[n] +⃗ O[N][x]] + [A[Ȯ[x + 1]] c Ȯ[n][x]] +
x[1] + Å +⃗ [A[Ȯ - Ȯ[2]][1] + [Ȯ[2] - Ȯ[3]]][2] - [x]] + Ȧ +⃗ Å[2] +⃗ [Ȧ - c] +⃗ Ȯ[3]] +⃗ [Ȯ[1]] Ȧ - c
+⃗ Ȯ[x1] c +⃗ [O[8]] + [O[n]] +⃗ [Ȯ[n][x][1] +⃗ Ȧ +⃗ Ȯ[x]]] + [O[x] c +⃗ Ȯ[n]] + O[x
c Å] + [Ȯ[n] + Ȧ +⃗ [Ȯ[n][2]] c +⃗ Ȯ[n][1] - [Ȯ[1]]] + [[Ȯ[n][2]][-[Ȯ[1] + Ȯ[2]]] c +⃗ Ȯ[
[Ȯ[n] (Ȧ - c] +⃗ Ȯ[2] +⃗ [Ȯ[x]] +⃗ [n][x]] + [[Ȯ[n][2] [Ȧ +⃗ Ȯ[x]] Ȧ + [x - n]]] Ȯ[n] Ȧ +⃗ Ȯ[x - 2
Ȧ +⃗ [x - N]]] (Å[Ȧ +⃗ Ȯ[x]] c +⃗ [Ȯ[n]] + [x - n] Ȧ] Ȯ[N] c +⃗ (n]] + [N] Ȧ +⃗ [[n][1]] c +⃗ [[

c[Ȯ]c] +A c[Ȯ[c]] +⃗ [[Ȯ c +⃗ Ȯ[Λ][x]] Ȧ] + [Ȯ[1] + Ȯ[2]] c +⃗ [illegible] Ȯ[1]]

Ȧ +⃗ Ȯ[Λ] [Ȧ - c +⃗ [[x-Λ] c Ȯ[x]] + Ȯ[2]] +⃗ Ȧ [Ȯ[Λ] c +⃗ Ȯ[N][1] +⃗ Ȯ[N][1]]] c Ȯ[Λ])

[[Ȯ[Λ]] + [Ȯ[N] Ȧ +⃗ Ȯ[x]] c [Ȯ[Λ]]] + [[Ȯ[x] Ȧ] c +⃗ [Λ] +⃗ Ȧ - c] +⃗] {[N] Ȧ +⃗ Ȯ c +⃗

Ȯ[Λ][1] +⃗ Ȯ[Λ][2]] + [Ȯ[Λ][1] [Ȧ - c] [Ȯ[1]]] +⃗ Ȯ[Λ][2]]] } [Ȯ[1] [Ȧ - Å [+⃗ Ȯ[N])

Ȧ +⃗ [[Ȯ[N][2]] Ȧ +⃗ Ȯ[x] +⃗ Ȯ[x][1]]] + [[N - Ȯ] Ȧ +⃗ Ȯ[x]] + Ȧ - c] +⃗ [Ȯ[Λ]]] c Å [Ȧ - c Ȯ[Λ]]] +

[[Ȯ[Λ] c Ȯ[Λ][2]] [Ȧ - c] +⃗ Ȯ] + [Ȯ[N]] [Ȧ +⃗ Ȯ[x]] c +⃗ [[Ȧ - c] - Ȧ]] + [Ȯ[Λ] +⃗ Ȧ +⃗ Ȯ[Λ] +⃗ [Ȧ - c] +⃗

Ȯ[N]] + [Ȯ[1] [Ȧ - c] +⃗ Ȯ[x] +⃗ Ȯ[Λ] c +⃗]] [Ȧ +⃗ [Ȯ[Λ][2] - Ȯ][2]] + [[Å] Ȧ +⃗ [Å[x] + Å[3]] c

+⃗ Ȯ[Λ][x]]] + [[O[1] c Ȯ[2]]] [O[1] +⃗ [Λ][1]] + [O[2] +⃗ Λ[2]] + [Ȯ[Λ]

Ȧ +⃗ O[x]] [Ȧ [Ȯ[x] c +⃗ [Λ][1] +⃗]Λ[2]] + [[Λ][1] Ȧ +⃗ [Ȯ[Λ][2] c +⃗ Λ[1]] c +⃗ [Λ[3]] +

+ [O[Λ] Ȧ +⃗ Ȯ[Λ][2] +⃗ [Ȯ[2] +⃗ [Λ][3]] c +⃗ Ȯ[Λ]] + [O[1] [Λ c Ȯ[1]] c + [Λ[1] +⃗ Λ[2]]] +

[Ȯ[x] c N - Ȯ] + Ȯ[x] - Ȯ[1]] c [x - Λ] - [x] +⃗ [N c] - Ȧ] + [Ȯ[x]] c [N] · Ȯ

+Λ[1] + x - Λ Ȧ +⃗ [x] Å] + [x - Λ Ȧ - c +⃗ Λ[1] +⃗ [N]] [Ȯ[x - Λ][c] Ȧ[8][x]] + Ȯ[N] Ȧ]

$$\langle \bar{J}_{[\grave{A}\bar{m}]}\rangle\langle + P + \hat{e}^{\dot{a}} + \dot{r}B + G\overset{R}{v}\rangle]_{c} mA] + [A_{m} \overset{\grave{R}}{\overset{[Z]}{\underset{\cdot}{W}}} E_{[\grave{A}S\overset{+}{m}]} 0 | \overset{\dot{R}}{\underset{\cdot}{<}} + \overset{\bar{Prm}}{\rangle} A + F_{p} + R^{\dot{A}\to}_{(\omega)+(}$$

$$+ A^{\bar{m}}[ЯM\bar{R}]\rangle + [AA\vec{m}\,dd] + L_{me}\overset{S}{}\overset{N}{(C)}\, W] A\, G + \overset{\dot{R}}{P}]_{\dot{m}}[O]_{[x]} \overset{\neg R}{\underline{Z}} m] + krmPy - Ph]_{c}\grave{A}0] +$$

$$mF A \underline{N} A]_{A}\, d \begin{bmatrix} M_{c} F_{v} C J_{[\ddot{A}\ddot{R}]} + E T \wedge + M_{[\cap]} O d[0] + \\ R[\delta] + E_{0} + R \cap Z[B] E_{c} T \, V_{c} V > N \\ A_{E} \dot{R}_{c} O \cap \hat{I}\, v N O + [HM] + W[8] C A \end{bmatrix}$$

$$[IE] m Ph$$

(P(P)_C A P → A (P y m) A →_T P ⟩ + ⟨(P(P) + P(P), N = P) + [in_C → P(P) +] + A[0] →^m_T BP 0 + P(P)_C → BP 0 + ⟨A < [A 0]

+ BP 0 →_T m P_BP → A →_T E → [[Ad Q A[A]]_C → A 0 →_A P + (P(0) →_T A →_T P) + A[me] →_T

Q + T in_C Q →_T P(n) + P + A + m(P) →_T Q + [A n] →_T Ad) →_T P[P y C] →_T E_P →_T P(n) P →_T A → + E → [A 0] + P

[T →_T E^m_A = A[0]]_C^A E_m → P →_T A - A → [4] + Q + in] + [E 0 x2 m → E_P in] + A[0] →_T + A [P y] →_T A

A^C [P + BP + A - A] + [[A] →^{8}_C [A →_T P + A →_T P2 d(A n)]] [N_A - A → T_m(A →_T)]_C A 0 →_T + A 0 P + Ad →_T

P + P2 + A →_T (Q → m_C) → [n n / n n] + P + x + A →_T rs + P(P) + A n (A[0]) → P(P) + N_C P → P + A →_T

→ + I m → A[0] < A n →_T A →_T A Q d(A n) P + A m →_T P2 [A 0) →_T 0 m [P → BP] → A n] + A ⟨A < N - P]

T_C A 0 Q →_T T →_T (0 →_T E + A + m →_T E_P →_T A_m →_T (A - 0)_C 0 + A)_{A[0]}] + P + A m →_T P | P → A P(n) + A →_T N

+ P + A 0 P →_T in_m →_T [A P y] + [P2 + P3 →_T A - A(P - P)] P + A + P2 m P y →^C [P - P2 →^A [E P]] + A + x2 + A 0

P(P) A →_T P(P) n →_T P →_T A →_T [A - A] → N[P →_T P(P)] →_T [P(P · A P(P)]] m_C → [A 0] →_T P(P) →_T + P + A + P

A →_T P2 + [E 0 →_T A P m A]_C A P + A + d P + A + A 0 - 0 →_T A - A →^m A P + A E + A + E + A 0 →_T P +

P + A + P(n) + →_T A →_T N(A - A) →_T P h - P y + P + A + d →_T E_P →_T A + d + E_P2 →_T P(A m → + x2] [A

BP 0 x 55 + [0 →_T A + d →_T E_P2]_C A 0 + P + A → A n + d → E_n →_T 0 → Q + E_P2 →_T A + d A + ⟨P + A

[m_C → [A] →_T P_n + [P y m] →^{A 0}_T A + m →_T (A 0) n →_T P m + ⟩ + ⟨T + A →_T P →_T ⟩ ⟨P + A →_T P2 + P | ⟩ + P + [A - A

+ ⟨P2 + A m →_T P⟩ + ⟨P n Q P⟩ + A →_T d + E 0 + (m) + (A →_T) → T E A E + Q x2 m → P(P) + in + A →_T

BP m →_T Q →_T P n BP (m - P) n A →_T P + A →_T 0 + A(P - P(n)) + A BP(P) A m E →_T Q (A - A) N T + [E P3

+ E P C → [Q] →_T 0 + P(P) + A m Q →_T [E →_T A[P y 2]] + E P C →_T A E + A + P →_T P n (Q m BP_C + C → ⟨A P

Q]_T^C A 0 →_T A m P y →_T P + T →_T P n + (A E) + P(P) - x2 →_T A(Q →_T A) →^m_T P(P)] + A + P's [BP 0_C +] E P

A →_T A 0 →_T P + in + A + P2 + A + P2 →_T [ ] + T →_T P + A + P + A + A in →_T [P n (P y)]_C A 0 →_T + P + A

C → BP + A + Q + A →_T [A E] → m P - A →_T 0 + T →_T P_C → A 0 →_T A n + T →_T P + A m [m]] F → E →_T A BP →_T A →_T P(n)

A →_T E_P →_T 0 ⟨BP_C A → A m e →_T 0 → E_P + E_P → P(n) →_T BP x + E_0 →_T A + Q →_T A 0 →_T Q x2 P(n) →_T A m →_T P(0 -

A →_T E_P →_T 0 →_T E_P2 (P - P) →_T) → ⟨P(N) →_T 0_C → A →_T in_C A E_P + E_P2⟩ →_T A + Q →_T tr(P| + E +

+ A + A + Q →_T A[0] → E_P →_T 0 →_T E_P2 A 0 [ ]_C A P →_T P + (A)_2 →^m_T A →_T d + P3 + Ad +

+ A 0 → [A - A]] [P + [P2 BP]_C →_T P n BP] + P + A 0 →_T [BP →_T BP2 →_T P(P)] →_T P(N) →_T (P(P2) - P(n)) + ⟨P + A +

0 →_T P(+ T_C - P(P) m →_T P) + A 0_A d + E →_T T + A →_T E P [A 0] + [A 0] →_T m [A + m e] in → A m + [A BP [A 0]

+ (Q + in) →_T [0 →_T m BP] [0 →_T E P →_T E] + [A 0] →_T A 0 →_T A →_T P(P) C - P →_T] ⟨A 0 → m -) →_T Ad →_T ⟩ (Ad →_T (A m) [A 0] + A n

+ [Q →_T m →_T T →_T A →_T A + A + A + A 0 m + P2 + P A + (Q A + P + A 0 A + A 0 3 + A

$\langle A_c[\dot{A}O] \to P_{(n)}c\ \dot{A}O_\lambda \to \bar{Q} \overset{m}{\vec{\mp}} A \to P_{(\alpha)}n\ \bar{Q} + P_n 2 \mp P + A + in + P_n 2 + A + BP(\dot{A}m$

$+ \dot{A}(me) \vec{\mp} \dot{A}ph + [[\dot{A}O] \overset{\bar{m}}{\vec{\mp}} \dot{A}] + [T_c \dot{A}O - O] + (A + [\dot{A}O] \vec{\mp} \dot{O}O \vec{\mp} A] + P + A_{T-A} \vec{\mp} BP_{(UP)} \vec{\mp} n,$

$[\dot{A}O] + P| \overset{\bar{m}}{\vec{\mp}} P] + P_{(n)} + A \vec{\mp} (\bar{Q} \vec{\mp} d]] \to BP \vec{\mp} [mec \to \dot{A} + [Py]] + P_n m \to P_n - cl_{ss} + A \vec{\mp}$

$[P\dot{y}]_{\mp} \to A \vec{\mp} P_c \vec{\mp} A_m \to O \vec{\mp} P_3 \vec{\mp} A \vec{\mp} \dot{A}[O] + [P + A - A + d + BP \vec{\mp} A m \vec{\mp} d_2] \vec{\mp} +$

$P + Ad \vec{\mp} E_0 \vec{\mp} P_{BP} \vec{\mp} \dot{A}\bar{m} + \dot{o}o \vec{\mp} P(dn) + A \vec{\mp} E_0 \rangle + P \vec{\mp} E_P(A - P - PE] + in(T I_{\mp})$

$P + \bar{A} \vec{\mp} O] P + \bar{A} \vec{\mp} Py(P) \vec{\mp} T +]_C \to \dot{A}O \vec{\mp} in\, b\, Py\, x_3 \vec{\mp} \bar{Q} \vec{\mp} \bar{P}_y(\bar{A})_c \bar{Q}]\rangle + A + P \vec{\mp}$

$\langle A c N - P]_c [\dot{Q} + o_c \dot{A}O \overset{m}{\mp}] \vec{\mp} \rangle_c \dot{A}O + A \vec{\mp} d + [O + in\, c] Q_m^{(A)} +]_c \dot{A}Q + A \vec{\mp} P_{(n)} \vec{\mp} N - E,$

$+ A \vec{\mp} N \to [\dot{A}_a - \dot{A}O_c O_n] \vec{\mp} N + E_{0c}^{n} \to \Lambda \vec{\mp} [\dot{A}O - \dot{A}O] + N_P - N_P \vec{\mp} \bar{A}_c \vec{Q}\ P_x\ \dot{A}O_{+} \perp$

$x_2 + \dot{A}\bar{O} \vec{\mp} A.] + \dot{A}O + [Phm]_E \to m \vec{\mp} \leftarrow \dot{A}O - O_E \to A \vec{\mp} P \vec{\mp} P_2 \rangle \vec{\mp} E + \bar{Q} + A + \dot{a}[Py]$

$A + P_2 + A_2 \vec{\mp} \bar{Q} \vec{\mp} (\boxed{Am} \to A)_c \to \dot{A}| + \vec{\mp} \bar{A} \vec{\mp} P + A\, m[\dot{A}P|] \vec{\mp} TP\dot{y}P \vec{\mp} P_{(n)} \to EN +$

$P + \bar{A} \vec{\mp} \bar{Q} \vec{\mp} [Py \hat{m}(P]) \vec{\mp}] + [\dot{A}O[O - \bar{O}_c]] \vec{\mp} \bar{A})(P \vec{\mp} (Py(m) \vec{\mp} [P_2 \vec{\mp} \hat{m} \to P_{(n)}$

$x2] + [\dot{A}O] \vec{\mp} [A \vec{\mp} BP + \dot{Q} \vec{\mp} \bar{A} \vec{\mp} i\hat{n}] \vec{\mp} \vec{m}\ P'_n + \bar{Q} \vec{\mp} [AO - O_{Py}] \vec{\mp} A \vec{\mp} [\overset{I+E}{P_y}{}_c A]$

$\langle P + \bar{A} \vec{\mp} (\dot{A}m)^{\bar{m}\dot{A}} \vec{\mp} (T + P + A \overset{m}{\vec{\mp}} O +) \vec{\mp} \dot{A}O + P_3 \vec{\mp} (A - Am)E_{(P)} \vec{\mp} \dot{Q}(in) \vec{\mp} Ad \perp \rangle + E$

$\langle P + [A - A] \vec{\mp} mE_P \vec{\mp} E_0 \vec{\mp} m|_P \vec{\mp} E_{\Lambda} \vec{\mp}_{(\dot{A}O)} A + \dot{Q} \vec{\mp} TS \vec{\mp} \langle E_0 \vec{\mp} \bar{A} \vec{\mp} \bar{Q} \rangle [P + A2$

$in + A \vec{\mp} P_1 \vec{\mp} \dot{Q} + \dot{A}_{[\dot{A}O \mp O]} + \dot{Q} \vec{\mp} P_{(n)}]_T P + \bar{A}\bar{m} + \dot{A}O + P + A + E_P + [A \overset{m}{\mp} A] + in \vec{\mp}$

$[EP_3 + P_2 + A \mp](EO + \bar{A}\bar{m}E_0] + P_2 + \bar{A} + E_0 - (P + A \mp \bar{n} + P_2 + OP \mp n) \rangle P + A + d \vec{\mp} E_D$

$C \to X[\dot{A}P_5 O] P + A \vec{\mp} P_{2(n)} \vec{\mp} P + BP + \bar{m} \to \dot{A} + T + P \vec{\mp} (BP + \dot{A}\bar{m}) O \vec{\mp} A + P + O_c \vec{\mp} \dot{A}O +$

$c\, \dot{A}E + A - A + \bar{a} + P_2 + \bar{m}A - \bar{B}P + P + A + \bar{E} + \dot{A}E + A + \dot{A}P + P + BP - A + E_A + O_{x3C}$

$E\dot{A}_P + P(\bar{m}BP - O - O_c \dot{A}O]\ \dot{A}O_m E + E\bar{m}O + \langle \dot{A}_{[\dot{a} - O)}] \vec{\mp} J m \mp Im + \rangle P \mp in +$

$+ P + A m P_c| - E[+(E_0 m \to P| - P_{Bc} + \dot{A}O_m \to E_0 + P| \vec{\mp} O \vec{\mp} E_P][T_1 \underline{\dot{A}\bar{O}com} BP] \vec{\mp} AO +$

$A \vec{\mp} P_{(n)} \vec{\mp} E_n \vec{\mp} \langle E_{[\dot{A}O]} \vec{\mp} \bar{m} \vec{\mp} \dot{A} \vec{\mp} d \vec{\mp} O \vec{\mp}_{TE\dot{A}\bar{m}} BP] + A \vec{\mp} E \vec{\mp} E_P \vec{\mp} \bar{m} \vec{\mp} \bar{Q}\, P_{(O)}y$

$+ P + Am_P \vec{\mp} \dot{A}E \vec{\mp} \bar{Q} + E_0 x2 \vec{\mp} [\dot{A}Q]_C - m \rangle + T \vec{\mp} \bar{A}[m \to O \vec{\mp} N(\bar{m}) + P$

$+ [\dot{A}[me)^m O \vec{\mp}_c \dot{A}O[cO]]^s + [\dot{A}O \vec{\mp} E_O] \vec{\mp} E_c O \vec{\mp} E_2 O_c \dot{A}O + \dot{A}O[A - A] +$

$+ Ad + P + A\, \dot{A}O^5 \bar{m}\, P_2 BP[Ame^d \to \bar{n}] + T + A + P(Tm \vec{\mp} n_c P) + T \vec{\mp} EO + A + \vec{\mp} \dot{A}m_O \vec{\mp} A +$

$+ (P + A + P_2 + d \vec{\mp} E_P +) \langle P_2 + A \vec{\mp} \dot{A} - O \vec{\mp} A + EO \vec{\mp} Am + O_2 \vec{\mp} (P_2 A\bar{m})^n \vec{\mp} T A \vec{\mp} O_m E_A \mp$

$[A_{BP}^{[\dot{A}O]} A\, d + A \vec{\mp} (n - mek\ \dot{Q} + \dot{A}_c O + P + A - A - A + n + \dot{A}O \vec{\mp} \vec{\mp} + AP + \dot{A}O - A \vec{\mp} A +$

$\langle Ad \vec{\mp} (\dot{A}m\ \overline{[\dot{A}O] + Am} + 2_7 [Py - P - n] \vec{\mp} N_c[\bar{A}] x_2 \vec{\mp} A \vec{\mp} \dot{A}O]$

AT + P[ȦPy –] Ā + P + A + Ȧ → ȦPy ⊂ ȦO → (Py – N) → ∩(P – AO – ȦO] + A + pl + d + 1 → Q̇

F → E[ṅ]) – n + (ȦO + Ā → E(n)] → Ē(n)₂] + P + A + m → ȦPy → P(n)] P + A + d →

∩ r|+ M → O꜀ Q m Eₚ] → T + A → ȮO → Q(Pl + A) → (T + A → mė → Eₚ + E₀ + A → → ȦQ

+ E(Ȧ + A < ȦO] → A → [P̄ + N꜀(P) → Ād $| + P(n)→)] + ȦO → A → + [ȦO]y + in꜀ Q → Ȧ

(Ė₀) → E → ~~(~~ pl(P) → T꜀ a → Ėₚ + A[0] ∩c + A[T꜀]Q → P(N) + C₀ T m + P + A.

(ȦO[m̄꜀ O Ō₂ Q̇ + A[m – ȦO – ȦO] + A(∩) ×2 + Q(Ȧ∩꜀) → A(d̂) → O꜀ → ȦO P ×2 (m̄ ×7) → ꜀

ȦO₂ → in꜀ m → [N – E–A] + [Py – Ph] > Ȧd → P(n)y → [Ph꜀ → ȦPy] → [E₀N]꜀ ȦO]

[ȦO = ∞ O → ṁe×() → Ō → Ad + → T – T > → [ȦOₙ] → A → A → Q̇[Ȧn] + O + Aₘ

p̄l [P + A + ȦO BO me → P(n) × 2 + A → E] [+ A + O] → P₂ + A + Ȧ O×2 → (ȦEₚ) m

m → <Eₚ₂ [ȦO₇]꜀ → Eₚ₃ + A + d → Eₚ₇ → Ad → ȦO₂] P₂ + A + d + Ȯ →

ȦO₁ + ȦO₂ A → Oₚ m → Ô + P₂ + A + pl → BP′ ∩ + ȦEₚ → ȦO×3 → A.

A + P + A + Ȧ A–A O → d + E + A → E₀ [[Ȧ[Ph – 0] A – m̄A / E₁ O] → A → E₂] + A +

∩ → A(O꜀ – A) → Aṁ(O Q → ∂꜀ Q → E₀ → A → [A – A]꜀ → m → [Aₚ| → BP]

C A(Py) → T → E₀ → A + Q + E → E O₂] m P(n) = E₀] + T + ȦO → Aₘ [mePh] → Ō →

E꜀ Q̇₀ → O → d → E₀ O → Aₚl ~~me~~ m̄ → (me A – A) c m → Ēₚ → NE → + Q̇ O → d

→ Q̇A → ∞ → Ȧd → BP꜀꜀ – O] → O ṁ[me + dn] r|([(m̄) m̄] → O →) → dn → E + [Ȧₐ] →

m[ȦO – [E + A + P]꜀ → ȦO₂ – O] → A → [AO[N]] (+ P + A → Ȯ → m → ȦON] + P(n) →

(Ph + Py)꜀ → ȦO(Pₙ) → Q̇ + A → [P – nNE]꜀ → ȦE (A–A) (5 T) Ā → m̄ → (Py) T) → m̄ → P

+5 + (A + P → m̄) → P ∩ → ȦO + [T + (AA 4 → (∩(A) – Am̄) + ×OO + P + Ȧ → T꜀ Q̇ → (Py) PA

–(Py – Ph) → ꜀ m̄h(Py Ph) + P + A → Ō + A + (Q + A → > ×) → BP + Am – B̄ BP → d + BP →

5 → (Aₘ → BP + Q̄ → (A → Q̇ → ȦP(n) > + P ∩ + Oₚ꜀ + Ȧa → (m × 2 < A – A) + Q̄ →

(Ȧm̄)꜀ → Q̄ A[0] ch → (P BP → A → P → Amₚ| → Eₚ₂ → Ē) < Ȧ → m̄BP → A + (.

BP >꜀ → in(ȦO) → Aₘ(Py) → Ȧ[0] → T + Aₘ[Py – P) + P + P ∩ + BP + A₂ mₚ| →

Ō → P₂ → BP → A → P(n) → A(Py Ph)]꜀ → Q̇ → < A[0]꜀ – Q → ȦO(N) > Aₚ ∩ <–)

ȦP →m O → ×2] + P + A m + pl(P) – E → E(N – P₂) + A + P + A + ȦO m A → O – P → O

A → A₀ → BP → O → [A m A → N(P A·A)] → P + A + B A → BP) + P + A + BP d →

Eₚ + P + A + E + [P꜀ E] → AO → A + [ȦO – O]₂ → [P + Ā + m̄ → ȦP×∞] + [P + A]ₘ P(P|] +

Q → [Aₘ → O → P(n) BP] + P(P) → A → P(P) → [Py Ȧ A–A] / (ȦPy) + P + Aa → m + (

d +] → E Ō m̄] + [AO] → [A → me꜀ Q → P(n) → P → A Ȧ(P – P)) → ȦO A – A] +

→ (A → P(n)] + A → P₃ → m[d]꜀ → A[Py] + P + ȦO + A → P₂ → AP A → A – O

$[P + BP_{O} \xrightarrow{c} \dot{A}BPO + \bar{m} \to A_{T} \to d(n\,r] + [P_2 \xrightarrow{\mp} A + p| + E_O] \xrightarrow{\mp} [A \bar{m} P_2 + \dot{A}_{[Ph]}^{\bar{A}-\bar{A}}]$

$+ \dot{A}[\dot{O}]^{!}\bar{m} \to \dot{A}[A-\bar{A}] \to P_2' + \dot{A}O[\bar{m} \xrightarrow{\mp} P'_n + \dot{A}_Q \mp A_A]] + P + A + BP + A + \bar{A}[O]^{m}$

$\dot{A}_c[\dot{A}\,m\,P] \times_J + A\,\bar{m}\,[\bar{A}P] \to \bar{P}y] + [T + in + A \to P \xrightarrow{\mp} P(n] + (+\ P + A \mp$

$[\bar{N}(P) \xrightarrow{\mp} T] \xrightarrow{\mp} N(n \xrightarrow{c} P \xrightarrow{\mp} A \xrightarrow{\mp} [A\,\dot{a}[\dot{O}] \xrightarrow{\mp} me \to E + A \xrightarrow{\mp} \dot{A}P] + \dot{A}O + \dot{A}On) \xrightarrow{\mp}$

$+ N(O_c \dot{A}O \xrightarrow[c]{O\,m} n + n(y) \xrightarrow{c} n) + A \xrightarrow{\mp} \bar{m} + [Od \xrightarrow{\mp}_{A} \overset{d}{-}_{A} + [Py]] \xrightarrow{1} \dot{A}O(n] \xrightarrow{1} A\,\dot{m} \to +$

$\langle A\,d! \to [P\,y_{A \overset{\circ}{-} A}] \xrightarrow{\mp} \bar{Q} \xrightarrow{\mp} T_A][P + A + E + P_2 + \dot{Q}(P(n)) +] + O(T-a-m) + A \xrightarrow{\mp}$

$_{m}Q(o) \xrightarrow{\mp} \bar{Q} \xrightarrow{\mp} O_n \xrightarrow{\mp} P(n] + A_O| \xrightarrow{\mp} P(n)\,n \xrightarrow{\mp} Q \xrightarrow{\mp} (P - P_d) \xrightarrow{\mp} \bar{O} + P + \overset{[A]}{+} + [PPy] +$

$J_c P(\bar{m}\ A - P(\bar{A} \overset{\dot{O}}{-} \overset{+}{A} \to \overset{m}{+} [P_y \overset{\bar{O}}{-} Ph]]] > [T_c \to [\dot{A}O +)^{m} O_A \to \dot{A}O] + E_P$

$\bar{m}O + O_c\,\dot{A}m \xrightarrow{\mp} A \xrightarrow{\mp} \dot{A}_{[\dot{O}]} F \to mO \xrightarrow{\mp} E_O \xrightarrow{\mp} E_{BP_c} \to E_{O_2}] + \langle [\dot{A}O]_{T}\,m\,A$

$m \to > \langle + [A \xrightarrow{\mp} T_c \to \dot{A}T \xrightarrow{m} Py \xrightarrow{c} A]_c \bar{Q} \overset{in}{+} Q_2 \xrightarrow{\mp} [\dot{A}O_{(n)}] \xrightarrow{\mp} [\bar{A}\bar{m}] + \dot{A} + + [A \hat{-} A]\ \dot{A}O$

$\bar{-}O \xrightarrow{\mp} N(\dot{A})]_c\ \dot{A}O \xrightarrow{\mp} A + A\,\bar{m}(P(n)) + T_O \xrightarrow{\mp} Q \times_2 \xrightarrow{\mp} A\,d \xrightarrow{\mp} (A - A) \xrightarrow{+} E_{(n)}$

$in + \bar{A} - \dot{A} + A\bar{m} \xrightarrow{\mp} c\ \dot{A}O \xrightarrow{\mp} A + A + d \xrightarrow{1} A\,m \to (n(y) \xrightarrow{\pm} \dot{A}O = [\dot{A}O\,d\,\bar{m} \xrightarrow{\mp} P_{(n)} + me \to$

$~~APy~~ \overset{+}{\dot{A}}(Py) \xrightarrow{m} [\bar{Q} + P(n)] \xrightarrow{\mp} [A \xleftarrow{\mp} \bar{m} \xrightarrow{\mp} \dot{A}P_{(n)} \xrightarrow{\mp} P_{y_c}\ \dot{A}Q \xrightarrow{\mp} P'_O \to [m_c P'y] +$

$P(y) \to P_{(n)} \xrightarrow{\mp} \overset{+}{Q} \times_2 \xrightarrow{\mp} m \xrightarrow{\mp} O_{c} \xrightarrow{\mp} A \xrightarrow[O]{} Py[N] \xrightarrow{\mp} [ng \xrightarrow{\mp} A \xrightarrow{\mp} T] + N(y) \xrightarrow{\mp} \overset{+}{m}\ A$

$A \xrightarrow{\mp} [N] \xrightarrow{\mp} A \xrightarrow{\mp} [\dot{N}] \xrightarrow{\mp} \dot{P}y \xrightarrow{\mp} \dot{n}(A \overset{n}{-} A]\ P + A_c\ EO \xrightarrow{\mp} \dot{A}O \xrightarrow{\mp} A \xrightarrow{\mp} E + P + A_c$

$E_O \to [\dot{A}O_{(x)} + p| \xrightarrow{\mp} [\dot{A}O] \xrightarrow{\mp} A \xrightarrow{\mp} P_2' + \dot{A}P_{E-O}^{\ +} \overset{c}{-} A] \to P'(N - \dot{A}O] P + A \overset{m}{+} O_c \to$

$\dot{A}O(N - Py[\overset{m}{P}]_c \to \dot{A}P \xleftarrow{\mp} P + \overset{+}{\dot{A}}]_T + [P + A + \bar{m}p| \xrightarrow{\mp} O \xrightarrow{\mp} A + p| \xrightarrow{\mp} E_P]_{+} A + \dot{A}O\,y_d$

$+ A \overset{d}{\mp} A \xrightarrow{\mp} E] [P + [\dot{A}O_A \underline{\bar{m}E} \xrightarrow[A]{} O_2]_c [\dot{A}O - O]_{Ph} + me + \dot{A} \overset{d}{-} A\,\bar{m} \to Ph_E \bar{O}] +$

$\dot{A}O + [[O + P(n]_c \to \dot{A}O_c \to A \overset{\circ}{-} A +] \xrightarrow{\mp} A_c \to n(P)\ Py - N] \xrightarrow[m]{} [P_c + N[A \overset{\overrightarrow{Ph}}{\frac{BP}{m}} A]_c \to \dot{A}P \xleftarrow{\mp} \overset{m}{[Py]} + A_c]$

$\to [\dot{A}P - (n)] \xrightarrow{\mp} A \underline{\overset{\dot{O}}{2x}} A] \xrightarrow{\mp} P_2 + A + [\dot{A}P + [n \vec{O} m] \xrightarrow[+]{m} \bar{O} \times 2]_c\ \dot{O} \to \dot{A}O \xrightarrow{\mp} P_2$

$[N \overset{P}{\mp} T]_c \to \dot{A}P \xrightarrow{\mp} BP \xrightarrow[m]{} P(n)\,g\,BP + A + \dot{x}(x) \xrightarrow{\mp} [N - \dot{A}P_c \to \dot{A}BP]\,A\,m \to P'_n + BP +$

$P + \dot{A}\,\bar{m} + \bar{O} + P\bar{y} + [P + P_2 + P + P_2 + A + BP\,\bar{m} \to P + P_2 + P + A + P_2] + [P + A\,\bar{m} + d$

$+ P'\,BP - E_P + [[A \underline{me} \frac{cn}{A} [\dot{A}a\,\bar{m}]]_c [\bar{A} \overset{\bar{m}}{-} E_P] \to [\bar{A} \overset{\bar{m}}{-} P' + B\dot{P}]]\ P + A + d \xrightarrow{\mp} [EO \xrightarrow{\mp} \dot{A} +] +$

$T + P + A_m BPd \xrightarrow{\mp} E_{P_2} \xrightarrow{\mp} A \xrightarrow{\mp} m \xrightarrow{\mp} \overset{c}{O}_{E}(P) \xrightarrow{\mp} A] + P'BP_c \to A\,O + m(d + P\,F$

$O_c BP] + O + P(n) - g\,c \to P'_n BP(\dot{A}_a - \dot{A}O) + A + \bar{m} + c\ \ m^{[\dot{A}O]} + A + \overrightarrow{mO}\ E \xrightarrow{\mp} P_2$

$T \xrightarrow{\mp} N(P) + \bar{A}(\bar{m})^{(\bar{m})} P \xrightarrow{\mp} Sy(n) T \xrightarrow{\mp}_c O + [A\,\dot{m} - n] \xrightarrow{\mp} [Pcol - \dot{A}CP] \bar{m} + T + A + m + d \xrightarrow{\mp}$

$E_O +]_c \to \dot{A}O \xrightarrow{\mp} P| \xrightarrow{\mp} P] + [P_2 + A + P + A + AO\,\bar{m} - \dot{A}BP(P_2)] + BPA \frac{\bar{A}O}{m} A + P + BP\,\bar{m} +$

[A + me − m BP ≐ BP − E] →c ȦP + [P, A − BP] → m → Ō(P) + A + [A[BP] =c [O]^A m̄] →

[P + A m̄ → Ep → ⓜ Ep_a + pl] [N_c →^A P(n)] Ā → m(P) → [P(P_2 c Ō_m] → P_2 + P_y] →

P(P_2) → A ↗ A ≐m A → pl(E) → + A_T (x) → [A[Py]]c Ȧ O → A m̄(→) → P_2 + ȦO(P) →

Ō → m̄[sy] → [ȦO − o] − N + [P + T A → [P(n) →c A] → Py[ry]] + P + A → [A ≐ A]c → n + P + P_n

E_o → pl + Q̇ m → Ep → pl_2 → E] ⟨+[T_c → T − T] − [P + A + m̄_p → E]⟩ + P_2 → Ȧ

Q m̄ +] → + m̄ A → E → [P̄_y] + Ph]⟩ + [AO] → A_m → Q̇ ×2 → [A →c O] →c AO_2 → in + A

→ [A ≐m Ā → O] → m̄ → A] + P(n)[A + m − pl → E_o] + (A m̄ → O_2 +)(A ṁ → E O_2 → d + (A − E) +

T_c Q → O_3 → Ā → Ȧ[o]c → O → [O_3 → Q →c E]⟩ + [E + P_A ≐BP Ȧ], [N_c → Ȧ[o] A] + P_2 + A

+P + [A + Q̄ + in + A, Q̇(P̄(n)] →c m̄ → P̄ → Ȧ_n(Ph)] + [N T_c ȦO me] + A + pl + T +

A + pl + P′_E O + A + P′_n BP + Ad + O → P(n) + A + Q_c A + P′_o [AO_2] + Q + P(n)

+ m_c Q A + (Ep + A + T m → pl) → P(P) n BP → me + d + A m + O_c →

E m̄ Q̇ → O_2 → T_c Q m̄ + A → m + d + Ep → A E(n)] + (P + Ȧd m →

→ Ō → A ≐AO Ā → [P′_n 2 BP o] + [AO] → P + A_T T → [AO] − P → Py) → [Sy] Ph/Py] + A

→ A m[Py] → Ad → (x)] + P + Ad → [ȦO − n] → A_T → O →m [TA BA] + T + [E_m

→ ȦQ m̄ → [A] → A → [A → m̄ Ȯ → P_m(o)] → A + T → in_c A in] + P(n) + A m(P)

Q̇ →c Ā → [P_2] P + A + T → [A − A_c → N(sy)] → Q A → P(N − Ȧ − A)] P + A + m̄(N[sy]

→ [P + Q + A_m → [N[sy] A − A] → ⟩[m̄(m̄) → [Ph ĀO − o (x)] + P + [N_A ≐m A] → A_m O_c → A

A → P_2 + m̄ BP + Ā − Ȧ + P_2 + A + Ō + pl + d + A + O → P_2 BP(m → AO) + [Ā → P[Py Ph] P +

+ in(n)c → Q → P(P) → A] → [ȦO[N → E] + A_BP → [N(P)] Ā → [P_n] + [ȦO_m Ph (T + T_c)/E] +

O[c ȦO] + A → P_2 [T +c ȦO_n → P(N) → Ā(n) → P_2(E)] → [Q in + A m̄ → (x) → E_nc → P

n(P)(x)] + [P(n) ×2 → A[Py] → P_3 + Ad + Ep] + T(P_n ks) + A → (AO − o)_m Ȯ + A m A

→ pl(o) → + Ep → [Ȧ(O − a(x)]] + [(x) → ȦO(o) → Ā] m̄] + A_m + P + [E_m A − A +

[A + A_o]c → AO → A → Q + m → P → Ā → (ṁe) → A_P → N(P) → Ȯ] + [P + A → P

AE → → P(P) → Ad →m [Ep →c ȦO] → P(P)] [P pl m̄] → ȦQ → [ey] m̄ → A → (me)m → O − AO

P(n) → [A + y] → T → P′_n + O → T_m A → Q → d → Ep] + P + [A → m + AO → d → E] m̄

O + Ā → m → pl + Q] m̄(Ā)] + E_o A ≐m pl + d + T] → P′_n BP + A_F pl + P′_n BP_2 + m̄ +] P +

AO] → P + Ā d] → T + Ā P(n) + Ā → A + pl(P) → E_o → A + pl A − A E(m B) + P +

[A A → AO + [Am] → P + Ad → [Ph m̄ o] + O + O_c → AO[A ≐ A + ...

[A m] →c m +

A(N − P_y^Ph)

+ P + A →

A → (P(n)

3 m → P

→ N + E →

→ P(n) →

[E O m + Ph

+ E_o + A

+ Q m → pl

[m E m → A

+ me P

pl + d →

⟨A m E →

P′_n + A_n →

+ A → O_P

Ȧ Q m

+ A ≐ A

Ā_T m̄

+ P + [A

[A − A]c → B

[P_2 → A

[Q + iA] →

+ A_m O

ȦP → C

+ A ≐ A

$[\dot{A}^{+}m]\xrightarrow{c+}im + P(n) \xrightarrow{\mp} T_{A} \mp O(\bar{Q}\bar{m}) \xrightarrow{\mp} A \mp \bar{Q}(me) + A \xrightarrow{\mp} E_{e} \xrightarrow{\mp} \bar{O} \xrightarrow{\mp} A + \bar{Q} \xrightarrow{+} A \xrightarrow{\mp} \bar{Q} \xrightarrow{\mp}$

$A(N-P^{ch}_{py}) \xrightarrow{\mp} [O^{c}_{A0} \to \dot{Q}] \xrightarrow{\mp} \bar{A} \xrightarrow{\mp} \bar{Q} + [\bar{A} \xrightarrow{\pm} \bar{A}d \xrightarrow{\pm} \bar{A}] + P(n) \to A_{m}d \xrightarrow{\mp}_{A} \xrightarrow{\mp} Q\bar{m}e_{c} \bar{O} \xrightarrow{\mp} P(n)$

$y) + P + A \xrightarrow{\mp} \dot{A}O\, mA[O - \dot{A}O] \xrightarrow{c} me + AO[P^{\prime}n[A-A]] \xrightarrow{\mp} P + \dot{A} \xrightarrow{I} \bar{Q}m(P(n)) \xrightarrow{\mp} Py\bar{m} + \dot{A}_{c}Q_{[py]}$

$A \to (P(n)|_{2} \xrightarrow{\mp} T_{c} \to P(N) \xrightarrow{n} Am^{(P(N))}_{[py]} \xrightarrow{\sim} P(n)]^{\bar{m}} + P(N) \xrightarrow{\mp} \dot{A}[py])O \xrightarrow{\mp} Am \xrightarrow{\mp} \dot{Q}^{+}$

$3m \to P(ny)] \ddot{A}O\bar{m}\dot{A} \xrightarrow{\mp} P_{a(y)} N - P \times 2] + [P \mp BP\bar{m} \xrightarrow{\mp} \bar{m}(P_{2} + BP\bar{A})] \langle P(a)| \mp$

$\xrightarrow{\mp} N \mp \xrightarrow{\mp} Am \xrightarrow{\mp} \overset{(d-\dot{A}0)+}{Q}(+in)]] \to \dot{A}O \xrightarrow{\mp} me \xrightarrow{\mp} \dot{Q} \xrightarrow{\mp} \bar{A}O(N) \xrightarrow{\mp}_{c} Qm \xrightarrow{\mp} P^{ch}_{yc} \to Q \xrightarrow{\mp} P(n)$

$\xrightarrow{\mp} P(n) \xrightarrow{\mp}_{3} A \xrightarrow{\mp} \bar{m}\, T(\dot{A}O + A) \xrightarrow{\mp} O + Q(in) \xrightarrow{\mp} A_{m} \xrightarrow{\mp} P] \xrightarrow{\bar{m}}_{+} P_{2} + A^{\bar{P}}{-}A \xrightarrow{\mp} Q]]$

$[E\hat{O}\bar{m} + \bar{P}h] + A + P \mp \dot{A}O - \bar{o}\, P_{2}\bar{m}[\bar{A}O] \to \bar{P}h + P + BP + \bar{m} \xrightarrow{\mp} [\dot{A}O^{c} \to [O \to BP]] + P + A + O + d \mp n$

$+ E_{0} + A + \bar{m}\, P^{\prime}n\, \dot{A}O + A\,O_{m}\hat{O} + A \xrightarrow{\mp} me \xrightarrow{\mp} O - \hat{o} \xrightarrow{\mp} AO_{P} \to O \xrightarrow{\mp} A_{P}| \xrightarrow{\mp} [\dot{A}O] \mp O$

$+ \dot{Q}_{\bar{m}} \xrightarrow{\mp} P| \xrightarrow{\mp} E_{P} \xrightarrow{\mp} \dot{A}\dot{O}n + P(0) \xrightarrow{\mp} A_{P}| \xrightarrow{\mp} d + P(n) \xrightarrow{\mp} A \xrightarrow{\mp} E_{0} + [(\dot{m}e \mp) \to E_{0} A \xrightarrow{\mp} [P^{\bar{m}}_{(n)} \times 2]]^{A}$

$[\bar{m}e \bar{m}^{\mp} \dot{A}P[BP\bar{m}]] \xrightarrow{\mp} [me\, \dot{A}P \xrightarrow{\mp} A_{m}O \to BP] + \times_{2}[-\bar{m}\, BP_{2} \xrightarrow{I} O_{2}] +] A \xrightarrow{\mp} O_{m} \xrightarrow{\mp} BP$

$+ me\,BP + A + P| + BP) + Q \xrightarrow{\mp} \dot{A}P^{c}[A \overset{E}{\mp} A \to \bar{Q} \times_{2} \xrightarrow{\mp} A\bar{m}[\dot{Q} \xrightarrow{\mp} P(n) - P|] + P(n) \times 2 + A + \hat{m}$

$P| + d \xrightarrow{\mp} E_{0} \to A_{m}Ph \xrightarrow{\mp} [\overset{(\bar{m})}{me}] \to A_{E}O]\dot{A}O \mp \overline{A} + me|A]_{n} \to O \xrightarrow{\mp} [P| \mp O_{2}] +$

$\langle A\,me \to + \dot{A}_{m} \xrightarrow{\mp} \dot{E}_{0} \xrightarrow{\mp} T_{A}m]_{c} (\dot{A}\phi + \bar{m} + A \xrightarrow{\mp} \dot{E}_{P}^{A} \xrightarrow{\mp} \dot{A}_{[0]} + [P + T_{A}\overline{m\mp}[A]$

$P^{\prime}n + A_{n} \xrightarrow{\mp} n\bar{m} T] + P + A\mp_{m}^{\mp} P_{+T} \xrightarrow{\mp} T \to T + \langle AO| \{\dot{Q}\,in \xrightarrow{\mp} \times_{3}] \times_{4} \xrightarrow{\mp} \dot{A} + \bar{O}_{in}]T + P$

$+ A \to O_{P} \to \dot{A}O(N) \xrightarrow{\mp} N(E - n) \xrightarrow{\mp} \dot{Q} \xrightarrow{\mp} O_{c} \to O \xrightarrow{\mp} N + N(0)_{c} \to \dot{A}O \xrightarrow{\mp} P + A + T + +$

$\dot{A}\dot{Q}\bar{m} \xrightarrow{\mp} T + P + A + E_{P} \xrightarrow{\mp}]_{c} \to \dot{A}_{T}E \mp (P + [A \xrightarrow{m} \dot{A}O \xrightarrow{\mp} E_{P}] \rangle + P + A_{m} \to P(+Ph])$

$+ A \mp_{m} A + [\dot{A}O]_{c} \to [\bar{m}\bar{A}d \xrightarrow{\mp} P(n)^{\bar{m}}] \xrightarrow{\mp} (A \to O \xrightarrow{\mp} P(N)n + \dot{A}O - O +] \to \dot{A}(P^{ch}_{y})] \to$

$\bar{A}_{T}\bar{m}] + [\bar{m} \to P_{y}][\dot{A}O_{2} \to \dot{Q}^{\to O}_{A \to d}] \to [E \xrightarrow{\mp} \bar{m} \xrightarrow{\mp} \bar{A} \xrightarrow{\mp} d_{E} \to \bar{Q}] - (N) - E^{+}\, T_{c} \to \dot{A}O]$

$+ P + [A^{\bar{m}}A] \mp \bar{m}e(\bar{m}) + T + P + A + P_{2} + A \xrightarrow{\mp}_{c} [Py] + in \xrightarrow{\mp} [P_{2} + A] + [\dot{m} \xrightarrow{\mp} N(n) \to T(n)] +$

$[P\,A]_{c} \to BP_{c} \to \dot{A}O + \bar{A} \xrightarrow{\mp} [P_{2} + E_{0} + E]_{c} \to \bar{O}\bar{m} \xrightarrow{\mp} A^{\bar{m}}A \mp \hat{E} + \bar{P}_{2} + P + \dot{A}BP + \bar{A} \xrightarrow{\mp} \bar{m} \mp P_{2}$

$[P_{2} \xrightarrow{\mp} A \xrightarrow{\mp} P_{3}] + [P| + A] \to \bar{m} \to [\dot{A}O] \xrightarrow{\mp} P_{3}n + BP + [P + A\,n + O \xrightarrow{\mp} [\dot{A}O]] + P(n) + A \to P_{2} \mp$

$[\dot{O} + in] \xrightarrow{\mp} P_{2} + A \xrightarrow{\mp} me_{c} \to P_{y} - Ph] + [\dot{P} + A^{Pl}_{m}]\bar{O} \mp \bar{A}d \xrightarrow{\mp} E_{P_{c}} \to \dot{A}P\bar{m}\dot{A}] + [N - \bar{A}E \xrightarrow{\mp} \dot{m}e(in)$

$+ A_{m}O + E_{0}] + \dot{A}P + BP \xrightarrow{m} O_{2} + A^{\bar{O}}{-}A] + \dot{A}\bar{E} + \dot{A}P_{\times 3} \xrightarrow{\mp} \ddot{A}OP[O \xrightarrow{m} O_{2} + P| + A + [\bar{m} + \bar{A}$

$\dot{A}P \xrightarrow{\mp} O_{2} \xrightarrow{\mp} A_{[0]} \xrightarrow{c} O\bar{m}(A - \dot{A}P)] + [P \xrightarrow{\mp} A_{(Py)}] \to [EO] \xrightarrow{\mp} Q(n) \xrightarrow{\mp}_{c}]\bar{m}(\dot{A}[O]\bar{m} + \bar{A} \xrightarrow{\mp} P^{\prime}n$

$+ A \overset{n}{-} A] + N + E(n) \xrightarrow{c} P(y) \xrightarrow{\mp} \bar{Q}_{m}] \xrightarrow{\mp}_{c} [\dot{A}O(+in + Q(Py))] + \to A \xrightarrow{\mp} A_{(\dot{A}O)} + [A(P) \to P(N) \to$

[Py]_c → ȦO₂ ∓ Q∓ Ȧ → in∓ ĀO₃[∧→ Ȧ[Py] → Ȧ[Q]F→ [A∓ in_c Q x₂∓ A + T

(Q̄ x₂[P̄y]](n) + [T + P + A + E]_c → ȦQ + [Pym]∓ Ȧ0]] [A_m ∓ BP₁ + P_n + P(P̂)] + P

+ A∓ T_m P(n) + [Q̇_m [A – A]_m → P₂(P)][T_m ∓ A_m ∓ T + A + P(n) + A_m] T + P(P)

[P + T_m A ∓ [BP₀_c → B0] F_m P + Ā ∓ BP(Ȧ0) → ȦE + [E_c Ȧ0] ∓ (E_cN) + A ∓ E_{T₂c} ȦE

∓ N-E + ∓ (x) → O + Ampl ∓ in_c Q∓ + [P + A ∓ ȦP] + [in + m P] + O_c → A +]_c → A

→ Ȧ[0̇] O] + A_c → inQ ∓ Ȧp₁ ∓ O₂[Ampl] → O₃ [P + BP m̄ → E₀ m A A]_c →

Ȧ0] (+ Ā + P₁ + P₃ + BP ph m̄]) Ȧ[0] ph [5y]_c → Q ∓ P(n) ∓ P₂ + [P(ng) (N)] +]_c → Ȧ0 ∓ A_m

[A[0]_m ȦE] ∓ Ā_m ∓ Ā ∓ Q̇ ∓ [A[0-5y] th] ∓ E(N) ∓ [T_m] ∓ Ph] ∓ A + Q ∓ m̄ [P]

[4(Ȧ0] ~ {(x) ∓ A m̄ } ∓ [A – A] E_P ∓ E ∓ A(+ in) + [P + A [Py]_m] ∓ Ō x₂ (Py)] P + T_m A

∓ O[Ampl ∓_c] A ∓ E + T ∓ n] ∓ E + m̄ pl Ṗ A + mpl) + Ā + P₃ + P(x) + A → O(m-0)

Ō_c Ȧ ∓ E] [Ȧ0] + A_m → in_c Ȧm → A-A P(x)) + Ȧ ∓ P(x) ∓ in ∓ P(x) + A(0) ∓ O ∓ A + d + E

T_c → AT(n) ∓ P + A[Py] ∓ [A_m ∓ O(n) ∓ (m – A P(P)/n A)] + [Ā ∓ P ∓ BP[0] → Ō ∓ A

m_c ȦAm] + P + A[Ȯ + [O_c Ȧ[0]]] + T_m ∓ O₃ ∓ Ȧ[0]₂] + P(P) + A ∓ pl ∓ E₀ ∓ 0

[+ A ∓_m [P] ∓ O ∓ O₃ mpl d ∓ A_T [∓ A[0] < Ȧ0 → A]] + (P +) AP + P ∓ 0

[AP_A] ∓ P_T ∓ A_Py ∓ P₃] + [Ȧ0 + Ad ∓] m [Py]_c A ∓ m] + [me + BP_A]_c → [P_y N]_m ∓

P(Py)] P + A ∓ P_n + me_c Q ∓ O ∓ E ∓ T_m A_P → O₂ < Ȧ0 m[pl] ∓ E(P) +] ⟨ + A ∓ (A) P(N)]

[P + A ∓]_c [P + ⟨pl + A] → 0] + [P + ⟨pl + A] → 0] [P + A]_c O + P + A +

[[O_c → E) P + A + O[< O₂] + [P + A] ∓_c O[O₂] [P(n) ∓ A_m (Py)] (Q_c) ∓ E] + m

∓ [P(n) + A m̄ → [Py]] + [P + A_m ∓ O(Ȧ0)[0] + A d + pl [E0] m] T[P + Am[Py]] Q̄ ∓ E

]_m ∓ (Ȧ0) ∓ A ∓ P_n[Py] ∓ Ȧ] ∓ A – A ∓ A + Qin ∓ ȦO₂ ∓ A + in A ∓_m ∓ P_n BP] P + A[Ȧ0]

Am P_c ȦP + A – A] + A + pl – pl] [P] + [P(n) ∓ N ∓ [P(n) y₂ ∓ Ad ∓ P(nN] ∓ N(e) ∓ N-i + A

–N + [P + T_A ∓ m(N_P] → A → N[n] LSV] Q + P(n) ∓ A_m pl + [Ȧ0] ∓ P(n) ∓ ~~[∓ d~~ A[A

∓ P_n ∓ T + Ā(Py)) + + Ā m̄ [Ph] ∓ [Ȧ0] ∓ Ad mpl i0 → P] ∓ [E T_c Ȧ0̄] 0] T ∓ 0 + A

d ∓ E₀ [Ȧ_in] + P + [A_0 P₂ ∓ BP +] + P + A + [P₂ BP] ∓ [in] + (BP_A d ∓ Q̇ ∓ [N_P

: c Pym] ∓ P Ȧ ∓ Ȧ[N-Py] 0] + P + A d [P) m → Ȧ0 m̄ [A – A] → P̂ A + A + BP m̄ [P

Ȧo→T꜀N-P+P₂]] [f P+A+E+P₂) + P [Py A >(P(A)(Ȧo) m) → I(e) + A + mpl + l y T →

+ Ȧm Ȧd + A [Ph - P y] + A → A + + A + BP + A d + O m O

m Ō(in y A → P₂] + P + A m [Py] + → [A - Py] (x)] + Am → |Ȧo|, d|F Ȧ [Py]₃](x)~ m̄ (A [Py] +

+ [Py + P̄y]꜀ → Ȧo d|F → m [A - n [Py]] + dA → ([Py + P̄y] → A [O] A) → (Py [Py] + P̄y]꜀ → (Py + P̄y))

P + Am + [Py A] → [in] → [Sy - Py] → A] + [Py Ȧ] → (m̄ m̄) → (Sy - Py) + Pl + E → Pn → Pa +

E F |P(N) → Tm] → A + A⁺ → Pn 3 + Pn 4 → [Pa - 1 y] + [Ȧo] → in A + m [P y] → Ā → P →

[P' n → Ph + Py [Sy]꜀ P(N)] + [Ȧo]꜀ → P' n(N) → N [Sy]] + [P + Ao - [Ȧo] → P₂ → P(n) → Ȧ [Sy] m → P + m →

P₂ → [NȦ] → m → l + A → [m̄ m̄] → Ȧ BP] [F + Ė₀ A + d] + P + [A₂] m̄ m̄ → A → Ap]

+ A + P'n + O + P(n) → T A → mpl → P'n [Epl] + → (Ȧp E - O) → [A mpl → P + P'n + Ap] +

P + Ȧm ō → Ō m̄ [Py - Ph - P₂] + [P + A m̄ ō + O [BP] m̄ → P̄₂] + E (y n Ȧ [O] m] → (No + Al] Ȧ₂

Ȧ(x) - o pl [F + d → Ȧo] [P + A → P₂ → Ȧo]] + P + Ȧ d + in → [Ad]] + [m̄ + P + Ā → m → m(Ȧo)] + [Ao] → A

[P → A pl Ȧ + A → O Q → O] [O → [Ao]꜀ → [Am] → N [Py]] [Ȧo] → A d (+ in - d m P'n [Py] + N) + E) =

m → [P y] P E P] → (P + A) + (P' n → [Ph m Ȧo] → Am [in] + (A m A) → Ā m → [P - Ph - Sy] → BP]

→ (A - A) → T m → (BPA → m a → P' n BP(x)] J꜀ → Ȧo [N → m P(O T - Ȧ] A m A [Ā] + Ȧo] + Ad

→ Q → T + Q → Ȧ [O]] [O꜀ Ȧo(n)] m → P A → (Ad(P) → T꜀ O + P(n) → (A T) + [Ad → Ȧo] + [T + Ȧo] m

+] + (P (T꜀ P(P)] + A BP → P₂) (+ A (in) → P₂ + pl + P → E₀] + Ad → O (BP) me] + A + in O → pl → P(o) +

A m Ė₀(x) → A pl + BP → (P(n) in BP) → (A → O → P + P(n)) → E) + (P + O₁ + E₀ (mp - pl]) + A +

m(P' n BPA] → [O E₀ m] → Ȧ [O] N + me] + P + A + (E₀)P + P₂ + P₃ + A + pl (P(n)) → P + (E₀꜀ Ô + A + d →

E) (P + P₂ + P₃)꜀ → Ô [P + [A in꜀ m] → E꜀ → A] + (P + A → (N꜀ → Ȧo] → E) + P + Ȧ + O - Ȧo)

→ E (m̄ m̄ → O (Ȧo)] + [P + A + A → A m A] → [pl E] → E + [me in꜀ A → [O꜀ = O꜀ E] + Am

- Op → T m Q → O → mpl → O P₂] + Ȧo → Q → E 2 → A (in n) → P, m →] (N - P(n)

O → A → → (P₂ → P (a) →) → [A → P (P) →]꜀ m A A] + (P + [Py A] m̄) + [Ȧo] → P(e)

A m (pl) d → (Ȧo - O] + [P + Ȧo] m J n [[Py A] m̄ m [Ȧo] → J] A O A m → Ȧo] T → P₂ m̄ BP

E P + me]꜀ → T + E꜀ Q P] → A pl A + E P → A m → E P₃ [P + A + O꜀ Ȧo [E mpl] → m + [Ao n + N₁ P(o)

Ad → [Ph (P)]꜀ Q(x) → Ȧm [O] [+ P + A → P₂ (N)] + (P + Ad(N) → X + X + X + A +

(⟨P + A[ȦO]m⟩ →f E0(x) + (BPA m) →pl + r [m e) + Ȧ[0] A ≐ A Ė(ȦO)]c ⟩[P + A + d + pl[B]] → m(Ȧ[?])

−ph)c (N − E)] [[P + A m̄ + P2 DP̄ →f ȦO] + [BP/A r] + (P2 + ȦOa MT) m̄]c (N − P)] + [P →f

(m(a) Py − A]c → ȦO →f Ad + ([ṁ] → [ṁ] f) → [Ṗy] (x)] CONT [(Ec ȦO) + Am(me→) + E

[Ā →f Ėpm − A →f Ȧ[Ep] →f apl →f [inc → m] → E] [EȦ(0) / Tc] → Ȧ0c O →f Ȧ(0) →f A →f E) f[P + A

Ȧa → (m ȦE) → [Ȧa + ā → Ȯ] Ȯ[m̄ py] → [N(P2] + P + Ȧ + [inc → Q] →f m̄ [P2 →f [PA] P]

+ [A m BP] →f BP] + [N Ĉ 0)] + ((T) → P + A →f [N0] f) Ȧa [0] m F ȦO] + [r] + [A − A]c → [A]

+ [T m0 Q] → A →f [O →f Q̇ →f Ȧ[Q] Ȧ[0]]c → [P(P)2 → P(P)3] ⟨P + ABP →f P2⟩ (P2 + [A →f mP] f E0

C →f [ȦO] → Ad + P[→f P3] + [P3 + Am[Py − ph] → 0] + [P'a[Py − N]c ȦO[ph m̄ →f Ad → A BP/A

(+ [E0 m] → [ȦO]A(P)] →f A[m] → Pl →f [A − A]c → O) + Oc ȦO] → A(PH) m P → E0] + P [Am]

A + [m] Q →f [in →f [Py − A]c → Q̄ BP →f P2] [ȦO[(O + (A c) → N)c Ṗ]c ȦP + Ad[Py A] →f T →f P(n)

→f (P(P) − Gn) → [E(n) →f (x)] + [T A →f m̄ Pl → ȦO] + [Ȧ[Q̄] → A m̄/A ȦO] → T m P(0) + [Tc Am

→f [A(E)]] → [E0 →f Am̄ pl] →f [Am O]c → Q → O] + [A m l] + [O(x)] → m̄ m̄ → m →f P + A

[P̂y) →f [P2 c → Ō] [A[Pyc0] + [N − A − A]c Q] → m̄ O + Ā →f OP2 →f [N − Pd → O]c → Q̄ + O(x)m] f

[[O d− A a− A]c → Ā(x)] →f Ad + [in] f [Ā m̄]) + [P + Tm A[+in] BP + Ȧ] →f [mpl P2[B] + A +

ȦO2 →f [me) + pl + [Ṗ2 C] ȦO →f E + A] → [m̄ ph P2] + ȦO(0) [A[mpl ȦO − 0] → P1 A− P1] F

Q̄ [(n)] [P(P)]c → ȦO →f Ad[Ph] + [Ṅ − E]) + (Ȧm] → [Nn c− n] + Q →f P(G) + (Q̇ →f E0) → [i

→f Am(N) →f [A a− A → P(g)2]) →c ȦO →f [A(n) + A] ⟨Aa m̄ [Py + Ph] →f in] (Ȧ[N] Q] →f [N

[T + A m(P0) + Py[P(P) − A[Py m]]) + P(P) + A m̄ →f Ā →f Q(f) Py[A]⟩c → Ȧ[Py + Ph − Sy − N] → P(E)

[P a− P]c ȦQ m Py]] A[E(d) → + Ep][Ȧ m ȦO[T + E][0] A] + (E2 (O) + [me − m] A + m(d)

(E1 → O] ⟩[ȦO[Ad] → A[0] → A] + ⟨ȦO[Ā B− Ȧ → E]] ((ȦO →f E) → P1 + P →f [Py A]] + ȦO

+ Ad[ȦO] − N] →f P + QA[Py] →f m̄ (A(m̄) → m̄) → m̂e(ȦO) m̄ [A − Ac P(c)] + [Ad]

Q[ȦO] → P2(N) →f [me − O] m + A]) + [+ A + mpl + d + Ep + A m E0] + [ȦP A m] [B

P + Ȧ + Ō − m[Ph − E) + [P + Ad[Py]] T] → [Py c PH]) + [P + Ȧ + BP] A f[inc Q] + d →f P2(N)] +

P(P) →f A[Py + Q[ȦO → Pc Ȧ]] → E(n − m] + (P + [N] + [P(n) + BP ←m/A→ E0] + [P(n) + [m] BPA + E0] +

(P + [Py] A →f) [P(P) + A[Py] m BP →f P)) + [P + ȦO] + T] → J + PA m/[BP] A − [r d] − P1 ⟩ + Ȧ0 + P(0)

→f m BP[Sy] + P + A[m0] → ȦO m̄ → [P'd → O] + [P →f A[Py] + P + T m̄ →f Ȧpl → BP] +

$\langle P_{[P]} + A \rightarrow P_2] + ([\bar{m}\bar{A} \rightarrow \dot{A}_{[\dot{0}]}] + \rangle + (P_2 + \bar{A}\bar{m} + [\dot{m}e + \bar{m}]_c \rightarrow BP_c\, 0) + p \mid [P' \rightarrow] D] +$

$A \xrightarrow{+} P_{(P)} \mp (\overset{*}{Q} + BP_A]\rangle + [P + A_{[+]}^{m}\, p \mid \rightarrow_{[B]} [0] + \bar{O}_{2[Q]} \rightarrow P'_0\, BP] + [P\dot{h}\, m^c\, \dot{A}0] \overset{*}{+} T_m \rangle$

$+ T_m A \xrightarrow{+} \dot{A}0_2 [+0] \rightarrow + m[\dot{A}_{[\dot{0}]}]) + (A\,m\,p \mid \mp)(P'_n\, BP_{\dot{A}(0)} +)(A\overset{+}{m} + \dot{A}p \mid \bar{m} \mp (P_{(P)} \xrightarrow{+} \dot{A})(+[\dot{A}\,m] + [\bar{D}Q] \xrightarrow{c} 0]_c$

$\rightarrow Q + E_P \xrightarrow{+} [0_c\, Q P_{[n]}] \rightarrow_c \dot{A}0 [A_d \xrightarrow{+} p \mid \mp \{A_{[\dot{0}]} \rightarrow 0]\rangle \dot{\overset{c}{A}}\, \dot{A}[N] \rightarrow P_{(P)}) \rightarrow (A_m + \dot{1}me) \xrightarrow{n} \dot{A}$

$+ p \mid \mp\, BP \xrightarrow{+} B_{P_c} \rightarrow \dot{O}] \rightarrow (\dot{A}d \xrightarrow{+} [0]) + P_{(P)}]_c \rightarrow B \xrightarrow{+} (m \mp \dot{A}] \xrightarrow{+} [\dot{1}\,n] \xrightarrow{n} \langle \dot{\overset{+}{A}}_{[0]} [BP] \rightarrow A_d \rightarrow P_{(P)})$

$[P_{(P)}]_{(2)} \rightarrow N \mp_{(x)}) \xrightarrow{+} A_{[B]} \rightarrow [A \overset{Sy}{-} A] \rightarrow m P_{(P)}] ([S0_{[4]} + [\dot{1}N]]_c \rightarrow] \overset{S}{\dot{m}}_{[+1p \mid]})_c \rightarrow \dot{A}S_{[S]} [S_{[1]} +$

$(S_{[2-3}{}^{[+\dot{A}[1]}]])_c\, \dot{A}S_{[1]} + S_{[1]}]\rangle [P_{0-BP}]\, \overleftarrow{\hat{A}m} \xrightarrow{+} P'_{[0-BP_2]}] \hat{T} \xrightarrow{+} P + A \rightarrow O_c\, \dot{A}0 [\hat{d} \rightarrow$

$[A\,m[N \rightarrow A \overset{E}{-} A \rightarrow P - P] \rightarrow \dot{A} + O[ph + \dot{A}_{[0]} \circ \dot{A}] \xrightarrow{+}]_c Q]\langle T \overset{m}{\mp} [A + \overleftarrow{R_c} + [0 +] \rightarrow BP_{A_c} \rightarrow] \dot{A}Q] +$

$[P + A_d \xrightarrow{+}_{B} \xrightarrow{+} \dot{A}[T_c Q + BP]_c \rightarrow \dot{A}P] + \langle \overleftarrow{c}\, \dot{A}0 \xrightarrow{+} A_d \xrightarrow{+} (\dot{1}n + me] \overleftarrow{m} \xrightarrow{+} P + A \xrightarrow{+} [\dot{A}0_2] \rangle + \dot{A}d + [P_y - 0] +$

$[P + \dot{A} \vec{R}\, m + E'_n [\dot{A}] + \hat{\dot{A}}A \xrightarrow[P_y - 0]{m} A[N]] \mp \dot{A}Q\,m[P_y + ph]_c \rightarrow [\dot{A}S + [\vec{S}]O^{+A}_{[85]}{}^{c}]_{[4]}] + [\dot{A}\,m\,A] P'$

$[n](T + [E_{(n)}] + A_{[\hat{P}y]} + \rightarrow_E (\dot{A}0] + \{mP + Q + \dot{1}n]_{\bar{m}} \rightarrow 0 +) \overleftarrow{\mp} me A_d] \xrightarrow{c} A \xrightarrow{+} [E] + (P + A \xrightarrow{+} E_{\bar{P}} \rightarrow p \mid E_2)]$

$\langle P + BP_{[\dot{A}0]} \rightarrow A[+ P_{[Py}\, n] \overset{m}{\rightarrow} \dot{A}0 + (P + \overleftarrow{\hat{A}d})_E \rightarrow [P' \overleftarrow{BP} + A\,m[T + me]] + R\dot{A}\,m[Py]] + [T + P'\, BP + A \xrightarrow{+} m$

$P_{(P)}]_c \rightarrow \langle \dot{A}0[Py] P'_n [N]) [BP + me A] \overrightarrow{m} [P[N]] \xrightarrow{c} A \xrightarrow{m} [P_y + Ph]_c\, A_d \xrightarrow{+} P[N]) \overleftarrow{+ [\dot{A}\,Q]} \overset{+}{m}]$

$[P + [A\,m\,p \mid + 0]_c\, \dot{A}0.\,m[P - Py] - \hat{A}] \{E_{(\dot{A}0)}] \xrightarrow{+} A_d + \bar{O}_{(x)} \xrightarrow{m} \dot{R} + [0] \xrightarrow{+} [\dot{m}e_c\, Q] \rightarrow E_{0_2} \rightarrow A_d \xrightarrow{+} \hat{O}_2 +]$

$+ [A_{(n)} \rightarrow 0]_{0d} \langle \bar{Q}_{[Py-0]} + [\dot{m}e_c Q] \rangle + QP + [P_y^{[n]} A] ([P + A + \langle \dot{A}R \overleftarrow{+} [R\overset{+}{m}]] + [P + 0])_c\, \dot{A}0 + [$

$(+A]_c \rightarrow [P_y A] P_2^{2(N)}] + \langle P + [\dot{A}P - n]_c \rightarrow A \overset{+}{\underset{R}{m}} \rightarrow \{[P_{(2)} + P_{(3)}] BP] \xrightarrow{+} A_{(R)} + p \mid [P_{[P]} B]\rangle + \langle A_c] +$

$[\dot{A}0] \bar{m} \rightarrow (+[\dot{1}n]_c \overset{+}{\dot{Q}}) + \langle \bar{m}\bar{m}[\bar{Q}]\rangle\rangle + ([n - \bar{E}]_c \dot{A}0] + T A\bar{m} \xrightarrow{+} 0] +) \bar{m} \xrightarrow{+} [A_{(x)} \rightarrow \dot{A}0_{\mp} 0] +$

$[A + Q] \xrightarrow{+} [Q + P_{(n)}] \xrightarrow{+} O[me] + A_d \xrightarrow{+} P_{(n)} \xrightarrow{+} [\dot{A}BP + \dot{A}_N \mp N - E]) + [\dot{A}0] A\,m\,P[Py]$

$\langle [\dot{A}0]_c \rightarrow Q_{[\dot{A}]} + E_c[Q] \xrightarrow{+} [ph_c \rightarrow Py]] + \{[P + A + \dot{A}0] p \mid [P] \rightarrow E] + [P[0]_{(x)}^{(N)}\, m] A + P] [O_{[x]} \xrightarrow{+} E] +$

$[\dot{A}_{[0]}^{m} \rightarrow O_{[S]}] + A + E_{P[E]}] + [N_{E_2}) + (A + d] + [me]\rangle [m[\dot{1}n] \dot{A}0_{[0]}^{t}] + [P + \dot{A}0 + A_d + [m\dot{e}]T]$

$\langle A0\{ + \frac{c}{a} + [N - 0]]\rangle (P + A + O[m O_{[x]} + A_p[] - R_c] + P^{+} \overset{A}{}_{[0c]} mO_{[mP - O_{[x]}]} \hat{A} [P$

$+ A + O_{[0]}] + [P + A_m 0] + [P + A_m + 0] + [P_{[Py]} + A + 0]\rangle + \dot{A}0 + A_d \xrightarrow{+} P] +$

$[\dot{A}0]_{me}]d \xrightarrow{+} N] + \dot{A}0[A\,m \rightarrow N_c]_d \xrightarrow{+} Q\, \dot{A}0_{[a]} + T_A\,m \rightarrow P] + [P + TA + E_{(n)} + O_{[\bar{Q}]}] +$

$[T + A + E[\overleftarrow{P_{(P)}}] d]) + [\dot{A}_{[\dot{0}]} E_d] + A_m E]\rangle + \langle [T + T] + [P + \dot{A}0[E_P]] + [\dot{A}E_m A]\rangle_c\, \dot{A}0_{[a]} +$

P[B] w| + HJ G A[P y m + [N] me] Ad] + R N[x]c +] + (V P]] A mp| + [ȦO][2] [m] ⊤[E]

[ȦO₂ + Ad ⇀ A Ȧ[0] / A → O m [E + E_p]] (⟨[ȦO][2] + Ā[m̄] ⇀ E O[me]) → [N-E][x]] + T m T[mp] ⇀

[P-n](x) ← R m̄] + [E_P[x] + m Ȧ[0] → O + (Q m → T] + [ȦO[9] + (Ȧ[0]] → O + A)] ⇀ [[me] + [in] ⇀ ȧ]

[[P(P) n]c Q ⇀ E ⇀ [N-P] + ȦO + A + ([ȦO₂] [Ad[in]]) + ⟨P + [BP Ȧ[0] m]c T

+ Q̄ ⟨[Ph c Py]⟩ [P + A + ȦO + Ad] ⇀ [P + T A + [me c O] ⇀ P + A] + [Py c Ph] + [in] ⇀ ⟩

+ [A ⇀ P]⟩ (Ṗ + (A ⇀ Tm) + (Ȧ m) + Ȧ[me] Ad + Ȯ(x) Ā m̄ ⟩ ⇀ Ā m̄ + O + T + E_P[0] + me in

Q[x] + p| + ȦE] + A[Py] + m̄ [A[x]] + [T + P + [Am BP] + (P₂ Py - O] m̄ (P + [ABP-P]

ȦQ[Py[2]] c ⇀ Py] + ⟨P + m̄ [[A_BP - BP P₂] + c [Ȧ m̄][x]]⟩ [A + P + E_P + A ⇀ [N] A c O] ⟨P + Ā m̄ O]

[P + Ā] ⟩ [P + TA] ⇀ ⟨[m c Q] ⇀ E⟩ + ⟨[A m̄ p|] ⇀ [P[B]] + [Q̇]⟩c ⟨Ȧ + [A mp + O]⟩ + ⟨P + A BP +

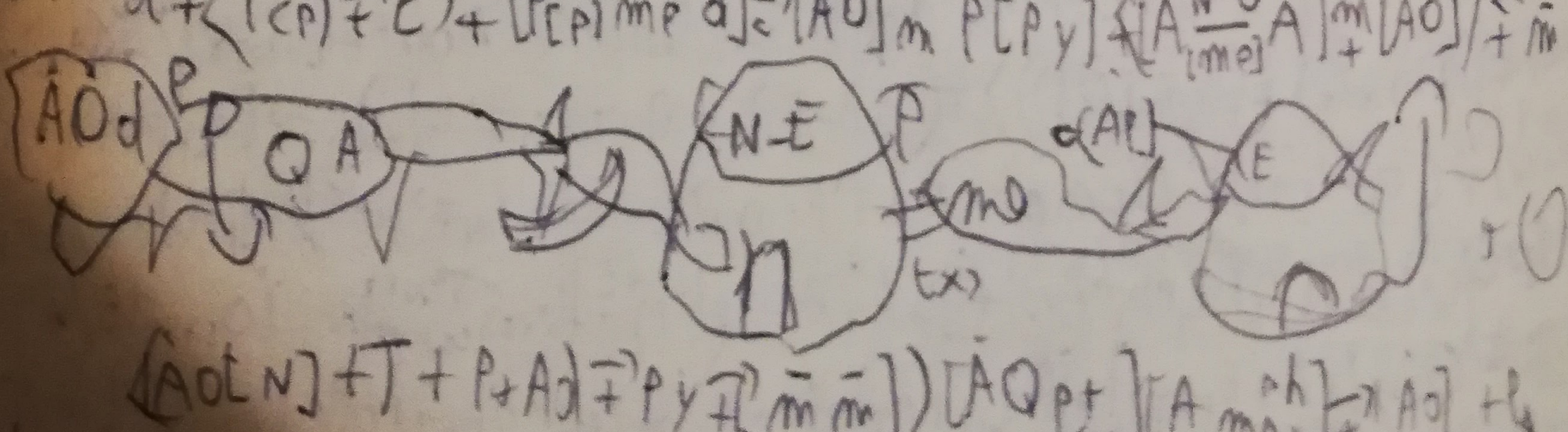
[in] + BP] ⇀ E₀ [ȦO]⟩ ⟨⟨P n BP m̄ ⇀ O[A ȦO / Pn A]⟩c → [m̄ BP m̄][P + m̄] → O⟩ [ȦO] + Ad ṅ]

P + Ā[mp]] ⟨P + [m̄ p|] Ā + [Py - o] ⇀ E [ȦO]⟩ + [A E / (n-p) A + (P₂]] + [[TĖ]c Q E(N)]

A[Py] ⇀ [R c] + ([Ph + T] ⇀ A) + ⟨[ȦO[+o]c A] → O[x]⟩] + P + [o c A] + P₂

+ BP + (P + A mp| ⇀ P₃ + (A + T] ⇀ [Ṙc] + [T(x) + [P + A][Py - O] → Pc [ȦO]] + E]

ȦO d ⇀ ⟨P(P) ⇀ E⟩ + [P[P] me d] c ⇀ [ȦO] m P[Py] ⟨[A N-O / [me] A] m ⇀ [ȦO]⟩ ⇀ m̄



⟨[ȦO[N] + T + P + A] ⇀ Py ⇀ [m̄ m̄]]) [ȦQ P(x)] [A mp] ⇀ Ȧo] + P₄

[BP_P + BP + (Ad m [me])⟩c [TN] QA] + [P + P|]c E ⟨P[A P - P̄y m P[Py]] + P[P]

m̄ [P₂ Py] + [A[m̄]] ȦO) + [Ȧo + Ad ⇀ A[ȦP + Ȧd]⟩ + [P + A] + [Ad m̄ mp] + [O]

⟨P + [A mp|]⟩ [O] Ȧ[0]] + [Ad ȦO] ⇀ [Py + me + in] P + A m p| [Ph - o]

$$\langle P + A[\overset{[\dot{B}]}{P}y - \overset{[BP]}{ph}] \rangle_c [Ad] + [P_{\frac{+}{2}} A \frac{\dot{N}}{E} A]' + p| \frac{P_{[n]}}{-} pl \rangle + \langle P_{[P]} A_{[BP](x)} + mpl +$$

$$+[E\, 0 + [\dot{A}]_c \dot{Q}] \xrightarrow{+} O_{[2]}] ? \dot{n}] + P + [Ad[Py - 0_x]] [\bar{m} E_P] + P_2\, mpl[P] \rangle + O_{mpl})$$

$$+P + |\mathring{A}| \xrightarrow{+} P_{[2]} (\mathring{A} + \bar{m}) + P + A + (\mathring{A})_c - O_{(n)} + P + A_{[x]} \xrightarrow{+} O_{(x)}) [E_N \, P_{P+}$$

$$\langle [P\bar{P}y \bar{A}] d \xrightarrow{+} N[P_{(x)} + \bar{A}_m P] \rangle_c \langle |\mathring{A}| \rangle + Ad + \langle \dot{Q}[N] m \xrightarrow{+} [ph \frac{A}{n} \dot{P}y] \rangle_c |\mathring{A}|_2 + P'_{[Py]} \dot{A}d$$

$$A_{mp}\dot{l} \to [n] + [in - A] \overset{\frown}{+} [in] A_{[N]}]_c [\mathring{A}_3\, \bar{m}\, A] + \langle P_+ [\dot{P}y\, d\, E_0] \overset{\frown}{+} E_0 R_a] \bar{m}' \dot{A} \rangle A_d$$

$$\xrightarrow{+} \langle \dot{T}E \rangle_{[x]} \rangle_c N - [\dot{T}E] + \rangle_c \mathring{A} + \langle Ad \rangle \xrightarrow{+} \langle (nd + E_{O[n]} c\, Q + O] \rangle] \langle P + E_P \xrightarrow{+} \overset{E^0}{O}]_0 \rangle - \dot{A} O + A_m$$

$$Py \xrightarrow{+} \dot{A}_0 + Q[Py\, d\dot{A} \xrightarrow{+} n[+A \overset{\dot{A}}{-} A] \rangle [\bar{E}_0\, c\, P] + P + A \frac{P\dot{y}}{Ph} Ad \rangle [P_{[x]} + A_{[x]} + E_{[x]}$$

$$\mathring{A} + [\dot{P}_n + Py - O_{[x]}] + A_a + \langle \dot{A} in] + Q + \mathring{A}_{[2]} \rangle + P \xrightarrow{+} \langle \dot{A}_{[0]c} \mathring{A}_{[3]} \rangle + A +) \bar{m} + \cancel{P_A} + P_{(n)}$$

$$+\bar{A}\, \bar{m} \xrightarrow{+} Ain_{(2)} \xrightarrow{+} [\dot{A}\, \dot{n}\, m]_c \langle O_{[Py \dot{A}d]} \rangle + \mathring{A}_{[2]} A \xrightarrow{+} \langle \dot{Q} A(mpl) \rangle \xrightarrow{+} [\dot{A}P]_c \dot{A}[0] \rangle +$$

$$\langle [Ad] \mathring{A}_{[x]} [\bar{m}[\bar{m} Ad]] \rangle_e \langle \mathring{A}_{[x]} + Ad_{[2]} \xrightarrow{+} (me] + in] \rangle \rangle \langle A_{Py} - P \rangle + P_{(P)} A \overset{?}{-} \cancel{A} Py - ph]$$

$$\rangle [P_{(N)} Py - O]_c \langle Q \xrightarrow{+} \dot{A}_{[0]}]_c |\mathring{A}| + (A_{mP}|) \xrightarrow{+} [T_c \dot{Q}] + E \rangle + \langle P + [O\, d\, me]_e\, d_{[x]}\, m\, P\, A] \xrightarrow{+}$$

$$c\, Py\, A] + (Py_c E) + A \xrightarrow{+} \langle [x] \dot{A}a + \dot{A}_{0[x]}] m + \dot{A}_a [N] + P_a [\dot{T}_c Q] + T + \langle A_{[A]} \rangle + (0) +$$

$$[\dot{A}d + P Q] + \langle [Py]_e \mathring{A}_m P' A [N] B_{P[1]}\, c\, B_{P[2]} \xrightarrow{+}] \dot{A} m \cancel{+} [me] + A d p | BP_2 \xrightarrow{+} [P_c O_P \xrightarrow{+} BP)$$

$$c \langle Ad[Py]P \xrightarrow{+} [in]_{[x]} \rangle \rangle A[Py\, m\, Ad \xrightarrow{+} P'_N] + A\, BP_{[3]} \overset{P}{\xrightarrow{+}} \langle P[P] + 0]\, \cancel{e}pl [P'_P \xrightarrow{+} \dot{A}_{[0]} m \xrightarrow{+}$$

$$m P] \xrightarrow{+} BP_{[0]} p| \xrightarrow{+} P'_n L D] \overset{\leftarrow}{+} (m P_2] \rangle + \langle \begin{matrix} \mathring{A} - [N]_{Rc} \\ A \xrightarrow{+} [O_{[\dot{A}_0]}] \rangle_c mP \end{matrix}] + d [\frac{\mathring{A} + A}{me - 0}] [mE_{[x]}] \rangle | \begin{matrix} \mathring{A}_{[2]} \\ m \end{matrix} | d [\frac{\dot{A}\ \bar{m}\ A}{[0][m]}]$$

$$\left[\frac{[me]\bar{m}}{[0]d}\right]_{\bar{m}} \begin{bmatrix} N + T + \dot{A} \\ [O_2]_{[x]} \end{bmatrix} + \bigcirc\!\begin{smallmatrix} \dot{A} \\ N \end{smallmatrix}_m$$

$$\begin{bmatrix} N - E \\ \dot{A}\ \bar{m} \end{bmatrix}_c P_{(n)} \overset{+}{} \begin{bmatrix} \dot{A}P & m \\ A \overset{d}{-} & A \end{bmatrix}_{mP} + \begin{bmatrix} \dot{A}S] A\, m\, \dot{E}_{[x]} \\ E \overset{0}{-} \dot{E}_{[x]} p \end{bmatrix} \rangle + \left[\frac{[A - N - A_{[x]}] \ .}{Ad\, \dot{J}_{(m0]} \to \dot{E}_{(n)}}\right] +] + P \begin{bmatrix} [P] \xrightarrow{+} E - n]_c A \\ m\, pl + A \overset{T}{-} A \end{bmatrix} + [\begin{matrix} Ph \\ A + DP \end{matrix}$$

$$\begin{bmatrix} \dot{A}_{[0]} m \\ [B] + BP_A \end{bmatrix} + \begin{bmatrix} Py A \overset{\dot{A}}{-} A + \\ A\, m [me] \end{bmatrix} \begin{bmatrix} P_{[P]} \overset{\leftarrow}{A} \underline{m} pl + \\ \dot{E} [\bar{m}\, \bar{m} A \overset{BP}{-} A \end{bmatrix} \langle \begin{matrix} P + [P_{(P)} - N\, m\, Py_x] \\ c Q + [P'_n + A_{[x]} c Py]_c \end{matrix} \mathring{A}] + \begin{bmatrix} \dot{A}[me] + P + \overset{N}{P_{(x)}} \\ Ad\, A \overset{\bar{m}}{-} A \end{bmatrix} \begin{bmatrix} \dot{A}P_{[2]} \\ \dot{N} \end{bmatrix}$$

$$+\begin{bmatrix} \bar{m} P_{[n]} \div ph\, mP \\ P_{[P]} \div \bar{A} P_{[x]} \end{bmatrix} \rangle + \begin{bmatrix} [Py]_{\bar{m}} \overset{c}{} \mathring{A} \\ \mathring{A} d\, c P_{(P)} \end{bmatrix} \overset{\frown}{\underset{c}{+}} [\dot{A} d [N] \begin{matrix} \xrightarrow{c} P_{[n]} \\ P_{[P]} \end{matrix}] + \begin{bmatrix} [n - T] c Py\, d E + \\ [T me] + [P_1 - P_2] + A m \end{bmatrix} + [\begin{matrix} [in]_c N \frac{P_1}{P_1} N\, d\, P_3 \\ [N] m \to P_{(P_3)} \overset{\bar{m}}{} P_{(3)} \end{matrix})$$

$$\begin{bmatrix} [P_3 \dot{A}_{[x]} a] + [me] \xrightarrow{+} P_{[x]} \\ + A[P]_{P[P]} d \xrightarrow{+} P] + \dot{A} E \end{bmatrix}_c \begin{bmatrix} m A\, \dot{m} \div \\ [n]_{[x]} P_{(P)} \frac{T}{P} P_{(n)} \end{bmatrix} [\begin{matrix} Ad \\ P_{(P)} c \end{matrix} \begin{bmatrix} P_{(P)} \boxed{B} 2 T_m \\ P_{(0)} T_m \end{bmatrix}] [\begin{matrix} P_{(P_2} T_m c]^c \cancel{+ \mathring{A}} \\ Ad [P_{(P)} - A_{[x]}] \end{matrix} \mathring{A}] \mathring{A}_a$$

$$\begin{bmatrix} \dot{A}_{[0]} O \\ + T d \div A_{[x]} \end{bmatrix} \begin{bmatrix} P + [O_c A] \xrightarrow{+} BP \\ O_{[2]} + [T_m A] \end{bmatrix} \begin{bmatrix} N - Py] + P \\ A\, m\, pl + E \end{bmatrix} \begin{bmatrix} A\, mpl[x] \\ \bar{m}\, DP - 0 \end{bmatrix} \begin{bmatrix} Tpl - N - A \\ P'_n \xrightarrow{+} [n_c E] \end{bmatrix} \begin{bmatrix} P_{(P)} \bar{m} \\ \bar{m} [x] \end{bmatrix} d \begin{vmatrix} P \\ P \end{vmatrix} + \begin{vmatrix} \bar{m} & M \\ A & \theta \end{vmatrix}$$

$$\left[\frac{T_c P d[N\varepsilon]+ph^{\circ}}{[A\,m\,P\,y]A\,P\,y_{[2]}-P}\right]+\left[\frac{P+A+[in]_c m}{P[P)\mp\mathring{A}}\right]\mp\left[\frac{nd-\bar{O}}{m\,d\mp A}\right]+\left[\frac{P_{[P][n]}}{\mathring{A}\mp\mathring{Q}\,A\,P}\right)c\left|\frac{\mathring{A}}{m}\right|+\left|\frac{P\,y}{[x]}\right|+ⓔ\,m\,p\,l+A$$

$$\begin{bmatrix}N-P\,y+A\\ \bar{A}d+[nd\,Q]\dot{A}P\end{bmatrix}c(\dot{P}\times[N])>\begin{bmatrix}E\,A\,d\,n-\dot{A}O[O]\\ \dot{A}[m\,e]+E_{P[2]}\end{bmatrix}+\begin{bmatrix}A\,m\,\dot{A}[E]+\\ [m\,e]+P_2,n\end{bmatrix}\begin{bmatrix}P_1\,A\,d\,P_{[2]}\\ \dot{A}\,E\,m\,N-P\end{bmatrix}\begin{bmatrix}N-P\,A+in\\ P_{[P)}n+[m\,p]\end{bmatrix}c\begin{bmatrix}\mathring{A}[O]\\ [m\,P]\end{bmatrix}c$$

$$\left[\left|\frac{\mathring{A}}{E}\right|.[m\,e]_{[x]}\;\begin{matrix}P+m\,P+e\,l\\ A\,d[50\%\end{matrix}\right]+\left[\frac{[P\,y\,N\,m]_c\,\bar{m}\,P_{[P)N}}{A[x]\,d\,N[N])+[m\,p]_{x}}\right]\overset{c}{+}\left|\frac{P[ph]}{N}\right|+\begin{bmatrix}O_c\,\mathring{A}[m]\\ A\,d\,A\mp E\end{bmatrix}+\begin{bmatrix}E\,P[x]\\ [Q\,\mathring{A}\,d\end{bmatrix}$$

$$\begin{bmatrix}A\,c_R\\ [\dot{A}P+a]\end{bmatrix}+\begin{bmatrix}\mathring{A}[A]+ph\\ \dot{A}P\mp A+[m\,p]\end{bmatrix}\begin{bmatrix}P+\bar{A}\,\bar{m}[B\,P]_c\\ [P\,y]-ph\mp B\,P[x]\end{bmatrix}+\begin{bmatrix}A\,m(d,[P\,y]\\ [+in]\,A\,E+T\end{bmatrix}+\begin{bmatrix}T-N^{cP}_{e}+T_a,\dot{A}P[x]\\ \mathring{A}\mp A\,d\;m\,p]-N_{[2]}\end{bmatrix}c\left|\frac{\mathring{A}}{T}\right|\times$$

$$\left|\frac{Ph[x]}{N-P[x]}\right|<\left|\frac{N\,\mathring{A}\,P}{T+ph}\right|_{[x]}c[P\,y]+\left[\frac{P\,y\,\frac{\mathring{A}}{n}\,O+\dot{R}\,\bar{m}\,c}{\mathring{A}+\bar{m}\,\mathring{Q}(m\,p)+\mp}\right]\left[\frac{[\dot{A}N]\,d\,O[\mathring{A}]}{P+A\,d\mp O}\right]_c\left|\frac{\mathring{A}}{P\,l}\right|\times\left|\frac{E}{[x]}\right|+\begin{bmatrix}P+A\,\bar{m}\,A\\ B\,P[d]\,P\,l\end{bmatrix}c\left|\frac{P}{E}\right|$$

$$\begin{bmatrix}\dot{A}P\,\bar{m}\,P\\ P\,\bar{m}\,ph\,\dot{A}P\end{bmatrix}\mp_{[x]}\begin{bmatrix}P+A\,d[P\,y\,m]_c\,[B]\\ \mathring{A}+in]+E\,d\,\dot{A}[O]_m\end{bmatrix}+\begin{bmatrix}m\,A[P\,y-ph]\\ d-[O]\mp[O]_{[x]}\end{bmatrix}+\begin{bmatrix}A[P\,y]^{[P\,y-c]}\mathring{A}\\ [P\,h]-[B\,P-O]\end{bmatrix}c\left|\frac{P}{P\,y}\right|\times\left|\frac{\mathring{A}}{ph}\right|$$

$$\begin{bmatrix}P\,d[P_2+N]_c\,\dot{A}P\\ A+[P\,y\,m+\dot{R}\,\dot{A}]\end{bmatrix}+\left|\frac{E}{m}\right|\begin{bmatrix}P[P\,y]\,m\,P\,y[2]\\ N\,P+A\,d\,P+N\,d\,P\end{bmatrix}+\begin{bmatrix}A\,\bar{m}\,P\,y\,d-P+N_2\,d\,P]_c\\ \mathring{A}\,\bar{m}+A\,d\,A[P\,y-O]\end{bmatrix}\begin{bmatrix}[\mathring{A}[N]\,\bar{m}]\,\bar{m}\\ \bar{m}\,P\,A[x]\end{bmatrix}+\mathring{A}\,m\,P\,l$$

$$+\begin{bmatrix}N[\dot{E}]_c\,Q\\ N_{[2]}\vec{\mp}O\end{bmatrix}+\left[\frac{A\,d+\dot{A}_a[x]}{\bar{m}+[\bar{m}\,P]}\right]+\left[\frac{[P+A\,m\,p]\mp[m\,p]+}{P_2[B\,P]\,A\,d\,P_2\,P\,y}\right]+\left[\frac{[B\,P[P]+A[A[O]]\,d]+}{[\mathring{A}\frac{P}{c}[O]\,ph_c]+A\,m\,p\,l\,P_O}\right]+\begin{bmatrix}A\,T+N\\ c\,N\,d\,P\end{bmatrix}\mathring{A}$$

$$+\begin{bmatrix}P+A\\ B\,P+[x]\end{bmatrix}c\left|\frac{P_A}{B_P}\right|\times[X]\begin{bmatrix}T+A+O+O_d\\ O\,P[Ph-\bar{O}]\end{bmatrix}+\begin{bmatrix}O\,P\,\mathring{A}\,m\;-\\ P\,y+A\,O]+N\dot{A}[O]\end{bmatrix}\begin{bmatrix}B\,P\,d\,\mathring{o}+p\,l\\ A\,d\mp[N-P]\end{bmatrix}+\begin{bmatrix}B\,P\,\mathring{A}+\\ \bar{m}\,c\,[c]\mathring{A}\end{bmatrix}+\begin{bmatrix}m\\ P\,l\end{bmatrix}$$

$$\begin{bmatrix}P\\ B\,P\end{bmatrix}\times\begin{bmatrix}\mathring{A}\\ \bar{m}\end{bmatrix}+\begin{bmatrix}\mathring{A}+A\,d\,\bar{A}\\ c[\bar{m}\,p\,l+E]\end{bmatrix}+\left[\frac{[P\,Y]_c\,A\,d\cdot m\,P]}{P[A]]\,d+A\frac{P}{P_2}A}\right]+\left[\frac{E+E_P+O}{d\vec{\mp}P_2[E]}\right]+\left[\frac{[P\,y\,m]+P+[A}{[m]+P_2+A\,O[O]}\right]\left[\frac{m\,A[O]}{[S]\,A\mp A}\right]$$

$$\left[\frac{P+A\frac{P_2}{m}A}{E\mp[P_2\,A+P_2]^{c}ph}\right]+\left[\frac{([P_2+A\,\bar{m}\,P\,l_3)}{P+A\,m\,p\,l\,O\rightharpoonup}\right]+\left[\frac{+A\,d+p\,l+O}{B\,P[P_1]+B\,P[P_2]}\right]c\left|\frac{\mathring{A}}{O}\right|\times\left|\frac{P[P]}{E}\right|\Bigg]\begin{bmatrix}P+A\,d+P_2\\ [A\,N]\end{bmatrix}d\mp A\,O$$

$$\begin{bmatrix}\dot{A}P\,\bar{m}\,P\,d\\ A^{d}_{A}\,\bar{m}\,N-\varepsilon\end{bmatrix}\begin{bmatrix}[x]\,\mathring{A}\,d\;N-P\\ \mathring{A}\,\bar{m}\,ph\;P[x]\,\dot{E}\end{bmatrix}H\begin{bmatrix}T\,m\,P\,y\;A\,d+P\\ \dot{A}P\vec{\mp}B\,P[A]\end{bmatrix}+\begin{bmatrix}P\,y-O[P\,y-O](x)\\ A\,O+\bar{m}+[n]\end{bmatrix}+\left[A\frac{B\,P}{P}A\right]c\,\mathring{A}$$

$$\left|\frac{\mathring{A}}{A}\right|\times\left|\frac{T}{P}\right|+\begin{bmatrix}[M]P+[\mathring{A}\,\bar{m}\,p\,l]\,\bar{m}\,p\,l]\,P_{[2]c}\\ [B\,P\,O]\,A\,m\vec{\mp}[R]\vec{\mp}B\,P[2]\vec{\mp}P\end{bmatrix}+\begin{bmatrix}[P\,y]_c+[B\,P]\,ph+O[E]\,d\\ [B\,P]_c\vec{\mp}O+[O_p\,d\,A]\end{bmatrix}c\begin{bmatrix}P\,y\,m\\ T_c\,O\,P\end{bmatrix}+\begin{bmatrix}n\,d\,m\\ [P\,A]\end{bmatrix}$$

$$\begin{bmatrix}[A\,c\,B\,P_2]\\ A[[x]d]\end{bmatrix}+\begin{bmatrix}\mathring{A}[R\,c[N\,d\,Q\,P]]+A\,d[T\,N](a)\\ \vec{\mp}A+[m\,p\,l\,P_2]\vec{\mp}m+A\,m\,p\,l\,P[P]\end{bmatrix}\vec{\mp}\begin{bmatrix}E[1]\\ E[x]\end{bmatrix}\times\left|\frac{A}{m\,p}\right|\Bigg|\mp\begin{bmatrix}P-P[P]\\ \dot{A}m\end{bmatrix}+\begin{bmatrix}P+A\,m\\ \mathring{A}\,d\end{bmatrix}$$

$[\mathring{A}[da] \xrightarrow{+} \hat{C} N d\, O_{[x]}\, \hat{C}[\dot{A}] Q_{[n]}]$

$[\dot{A}\, A_{[x]} m[N]] +]_{C}\, \mathring{A}_{[2]} + P(d - py)]$

$[\overset{\to}{+} P(p) + [A m py] \xrightarrow{+} [O + \dot{A}]]\, \dot{m} \overset{\to}{+}]$

$[P_{[1]} + [A py_{[x]} \frac{N}{P_2} A ph_{[0]}]_{c}$

$[Ad] \xrightarrow{+} P_{[1]} N d \xrightarrow{+} [[\bar{P}_{[2]} py]_{c} O]$

$[P_{[3]} d] \xrightarrow{+} O \xrightarrow{+} \bar{m}\, P_{[3]} \xrightarrow{+} \bar{P}y \xrightarrow{+} P_{[0]}]$

$+$

$[\dot{M}] [N] \xrightarrow{+} ph + py][mp] [in] c]$

$[\dot{A}P] \xrightarrow{+} [ph\, mp]\, \dot{R}c \overset{\to}{+} [Py] A_c$

$[\mathring{A}_{[2]} + (A m p]] \xrightarrow{+} A_{[2]}]$

$[Py] O [N] d\, \bar{m} [P_2\, py] C\, O$

$[N - E] \bar{m} + T \xrightarrow{+} [P_{[P]} \bar{h} + \bar{P}y]]$

$\bar{A}_{[x]}]\, m [\dot{P}_{[x]} [Py]]$

$[\dot{A}E] \bar{m}$

$+$

$[P_{[1]} + \dot{A}\bar{p}] \xrightarrow{+} E_{p} [m_{[2]}]]$

$C P [Py + ph + Py \{ \dot{R}\, C]$

$A] + [BP]_{A} \xrightarrow{+} P_{+} py m]$

$[\dot{T} \overset{N}{mp}] + [\dot{E} A] \xrightarrow{+} T m N]$

$C A \frac{E}{m} A] + [\dot{A}] + P + A \bar{F} A$

$\bar{m} p]] \xrightarrow{+} \dot{A} E_{[2]}]$

$A \bar{m} p\, P + P_2 + A m + m_{[2]}$

$[\dot{A} O [+ O m\dot{e}]] d\, A m [n] \xrightarrow{+} P \xrightarrow{+} P_2] C [\dot{M}]$

$[\dot{M}] \xrightarrow{+} [n] d \xrightarrow{+} \dot{A}E [P'n]]\, \dot{A}d \xrightarrow{+} in + \bar{Q}\, m$

$\xrightarrow{+} P_{[3]} Py [T Ad\, A_m]] [N_m \mathring{A}P] + [Ad]]$

$[Py - O] m [N] + [T m [d] \xrightarrow{+} ph [d] E] \xrightarrow{+} [\dot{A}N]$

$+$

$[\dot{A} [Py - O]_{p}] \xrightarrow{+} \dot{A}E] +$

$\mathring{A}_{[2]} m\, py [d] +$

$[\dot{A}E] + [Py] d] [BP] \hat{\dot{a}}$

$[N] + \mathring{A} [d \xrightarrow{+} A - A] m$

$\dot{A}_{[0]} m [ph - O] + [d]]$

$+$

$\xrightarrow{+} [O A m] A \xrightarrow{+} m [O A m]]$

$C\, \mathring{A}_{[2]} + [Ad]] \xrightarrow{+} [Q\, Py - O]$

$+ [A_{[x]} m p] + T [\dot{A}P]_{[1]}$

$d] + [Py + d] \xrightarrow{+} [N d \xrightarrow{+} \dot{A}P]$

$[T [\dot{A}P_{[1]}] + [\dot{A}] + d] \xrightarrow{+} [\dot{A}P_{[1]} N] +$

$[P [Py] d] + [P_{[P]} d N P_1 + P_1] + P_1 \bar{m}$

$P_2 [Py] \xrightarrow{+} A_{[x]} \xrightarrow{} ph + Py] + [\dot{A}] d [P P$

$n \xrightarrow{+} ph + Py] + T m \xrightarrow{+} \dot{A}E \xrightarrow{+} Pd \xrightarrow{+} [Py - O] T$

$+$

$[P_2 [1] \bar{m} [Py / - O]_{x2}] + [P_{[P]} - n] C\, P_{[P]M}] + Py$

$[P\bar{y}\, d\, ph\, A_{[x]} m p]] \xrightarrow{+} E + [Py - \ddot{O}] c\, P_{[1]}] + P_{[P]}]$

$P + [N d\, o]\, \bar{m}\, N \xrightarrow{+} P_{[P]}\, \bar{m}\, A_{[x]}] \xrightarrow{+} N\, d\, \dot{A}P_{[x]} \xrightarrow{+} [\dot{B}P]$

$[\xrightarrow{+} [\dot{A} m] + [IN d]] \xrightarrow{+} [\dot{A}BP]_{c}\, \dot{A}P_{[n]}] + d [N d E]]$

$[P_{[P]} m\, \dot{A}P_{[Py]}] + [\dot{P} + A_{[x]}] \xrightarrow{+} \mathring{A} \xrightarrow{+} [O] \xrightarrow{+} \dot{A}P_m] - Py + [E\, O [C\, \mathring{A}]] + p] \xrightarrow{+} A \frac{ph}{o} A]] + p] \xrightarrow{+} E]] C$

$\mathring{A}_{[2]} + [P_{[Py]} [d \xrightarrow{+} A] \xrightarrow{+} \mathring{A}_{[2]} p]] + [T_{[}\, \mathring{A}]\, m\, A_{[x]} \frac{m}{pl} A_{[x]} \xrightarrow{+} P_{[Py]} + [in]] + \overset{(x)}{[\bar{M}BP]}_{[Py - d]}$

$+ [P + Ad \xrightarrow{+} \mathring{A} [N \xrightarrow{+} [P_{[2]} + P_{[3]}] + [A m\, Py + ph] \bar{m} \xrightarrow{+} P_{[n]} [Py + O]] + [\bar{T} m p] \xrightarrow{+} \mathring{A}_{[2]}] \xrightarrow{+} A_n$

$P_c [P_{[Py]} - C\, \mathring{A}P] + \mathring{A} [\mathring{A}P + \dot{A}a [\bar{m} p] T]_{c} [\dot{A}O]] \{[Ad] \xrightarrow{+} [N - O_{[Py - O_{[x]} n]}] + c\, P_{[\overset{+}{P}y - O]}$

$m +]] Ad \xrightarrow{+} P [Py - N] + [in]\, \dot{A} [Ad\, \mathring{A}] + [P_{[Py]} \xrightarrow{+} [\overset{+}{in}] \xrightarrow{} [Ad \xrightarrow{+} N_{[O]}] +$

$[P + Py\, m A] \xrightarrow{+} C$

$[P_{[2]} m p] \xrightarrow{+}]$

$C [A m\, Py\, P_{[3]}]]$

$[P_{[3]} P\bar{y}\, \bar{m}\, A]$

$C\hat{A}$

$[P + [A \frac{m}{P1} A + [[d r] \xrightarrow{+} [A_{[x]} BP + E a \bar{m} A] d\, m p] + P + A_{[BP]} C\, [N d [\bar{O}]] \xrightarrow{+}$

$P_{[n]}] [[\bar{B}P \bar{m}] B]_{[n]} \mathring{A}P] \bar{m} [\dot{A}BP]] + \mathring{A}P [N d] \xrightarrow{+} [P_{[3]} [\dot{A}P_{[x]} n]] Ad + [\bar{B}P - \bar{O}] \bar{m} T_n]$

$\mathring{A}P_{[} ph + P\bar{y}]] + P + [Py\, d] \xrightarrow{+} P_{[2]}]\, \bar{m}\, BP + [P\bar{y} - O] d [N]] - A] + P + [Ad\, \dot{A}O [N - P] \xrightarrow{+} O_{[x]}]$

$[P + A m p] \xrightarrow{} E_O \xrightarrow{+} E_x [BP_{[} \bar{B}P\, O p] \xrightarrow{+} E_P] + \dot{A}_{[O]}\, Q m\, \bar{A}] + P\overset{*}{y} - O m\, Py\, d [[P_n] \{] - [Py - N]$

$C\, O_{[Ph]}] \lfloor] + \dot{A}E\, d [P_{[P]}] + \mathring{A}P + p] [d] + \dot{A}O\, [d - O * - P_{[2]}]] + \dot{A}E_{[x]}\, d\, \dot{A}E_O]$

$+ [\mathring{A} [N d] \to P_{[P]} A m p] + BP_{[x} c] BP_{[x]}] + \dot{A}P - Ad \xrightarrow{+} \mathring{A}P [d [N] - \dot{A}P]_{[x]} d p] + \mathring{A}P d \xrightarrow{+} \bar{P}c$

[P[2] + Ad → p| → ÅP → Nd P] → E] + [Ė0] + [P1 + P2 [PY - ph] A[x]] d → ȦE d[n] →

P[P] + Q̇d] + [P[2] p| → Ė[2 - 0]] + [P1 + d → ȦE[1] Nd[1]] + [P2 d → ȦE[2] Nd[2]]

m → C] → P[2 A] m A[x] → [PY - n m] → [P1] +][P1 + P3] m - d] + p| → Ȧ E

[1] +] + P2 Ad p[1] - AE[1]] + A m + Y + n h p| → Ė0] +] → Å P[x] m p| → Ȧ E

+ → Å[0] p| → P[P] → Ȧ[0] p| → ȦE] →] + ÅP[x] Ad mp| + [m̄ p| d → Å] + P[P]

Ad m̄ p| → Å P + ÅP + d → O[ph] + [d] → [Ȧ E[x] Nd[x]] + [Nd] [Ph - P m]

ÅP + p| → E0 → ȦE + [P[2] Amp|] + P[3] Ad + A[c] PYN - O[1] → ÅP] → Ėd[n] [Ȧ]

d → [PY + ph] d → Å[x]] + [[A - d] → Å[n - O[x]] + [Ȧ 2 m] + [Ȧ - d n] + [Ad + A[P]]

Ȧ[d] Å → [[N] c O]] + [Ȧ[P] + [Amp| [d Ê0 + m] +] + Ȧ[d] → [N d E]] + [T m Ad - Ad] → A]

[Ȧd] → Ȧ[d] [2] + → [Ȧ[0]] c Q [Ȧ[0]] c O] + Ȧ[d] + [A d A] c [Ȧd] + [Aa] + Ȧ[d] → [P m]

[A[mp] + i n] + N[d] E[P] [x] c O[P [x]] d [Ȧ[Amp|] + [dr - A] + [A[d]] → Ȧ[0] Ȧ[c]

Ā - d → O]] + A[d] N[d AE] + T m d A] + [A[d m] + i n] Ad] + A[d] → Å[2] [d →

ph Å] + [A[0] d] c ȦQ + Ad → Å] + [A[0]] c Ad] d → ph[0]] + Ad + [m] + [Ad p|] + m p d i]

Ȧ[d] + [P Y 0] d A] c d → Å] + [ÅP + [Ȧd] → A[0] + Ad[0 + O[2]] + Ȧ[d] → N d E[P]

A - BP[c 0]] + Ȧd → [2] + O] + Ȧ a [m - d p|] + dr [Ȧ] + Ȧ[d] + A[d] → E[P]] + A[0 + a]

[dr + d - p| A] + Ȧ[d] → [E[P] N d E] A c Q d → Å E] + Ȧd] + A E[P] c O[ph]] + Ad [T[1] m A]

Ȧ[d] → Å[d PYm N] → Ȧ[d] + Ȧ[d] + ĀE + [Ȧd [mp m̄ + p|]] Ad + [dr - A]] →

Ȧ[d p|] + A[d - O] c AE[2]] + [mp - A] + Ȧd[0] → Å[A - P[P]]] [BPĀ] + [T[1] m A]

[A[P[P]] d]] → [A[0]] + Ȧ[d] → A[P[2]] + [Ā m̄ [PY / ph]] → A[P[2]] → A[BP[x] - d] +

Ȧ[d] → A O [Ph - O[x]] + Ȧ a [m → Ȧ[0]] → Ȧ[d] → [E[P] [Ȧ]] + [A[d]] → [A[0] m]

O] + Ȧ a [m p| → N[P[2] d → ABP]] + → A[P[2]] d → [Ad P] c Q → [ph + A - mP] d P

+ [Ad] + Ȧ[d][2] → [[N d c Ad]] + A[P] + Ad[PY] → [A[P[2]] d] + Ȧ[P] + [T m[1]] A d

A[PY - d] + A[d] + Ā → Ȧ[P[2]] d]] + Ȧ[P] + [PY - d → i n m] + Ȧ[d p|] + Ȧ[d] + A[d]

[P] d m̄ p|] + Ȧ[m̄ d T - A]] + A[P[2]] + Ȧ[BP d A] + [Ad] → ÅP[2] + Ad] → E0

∂Å[] + Ȧ[dr + d] + [A d] + Ȧ[P] + A[mn]] + Ȧ[]] + [Nd → Ȧ[d + r Q] + ~~[Py~~ -o

~~d~~ [Nd P̄y -o d → Ȧ[Ph-Q] + ~~[Nd Py~~ [Ȧd] → O[a]] + [Nd P̄y -o d → A[Ph

Ā m̄]]꜀Q] + Ȧ[m̄p d → Py] + [P̄y - O꜀ Q] → Ȧ[P[p]] + (Ȧd) + [P y o d] + Ȧ[

BP + m̄e]]꜀ Q̄ → BP + [Ȧd] O[a]] → BP[a] + [A — A] Ȧ + [A $\xrightarrow{BP}$ A] + [E[o][Ph]

Ȧ[d] → [P[2]] Ȧ + [Ȧd [mp]] + Ȧ[mc] → [Ph O[x]] + [T m[1]] A] + Ā mpl[Ȧr

[1]m] + [Ȧ[d] → Ȧ[d[3]] + [E[o] [h]] d m̄pl] + [[dr - Ȧ] d d] + Ȧ[d] + Ȧ[dr - Āph

d] + Ȧ[d][2] → Ȧd[3]] → [[A $\frac{BP}{mp}$ A]꜀ Q → Å[P]꜀ E[o] + Ȧ[d + ṗl] →[n] + Ad[T[1] m] + (Ad]

[Nd Å][P[e]] + (Ȧd pl] + Ȧ[d] → [P̄y / Ph m̄n]꜀ Q d → [[Nd [1-o m̄] n] +] + Ȧ[d

[Ph [o] m +] + Ȧ[d] + Ȧ[d[2]] → [Nd Ph[o][2]] [Ā d]] + Ȧ[m̄] + Ȧ[d - ȯ] → [Ȧ BP꜀ O + Ȧ

[me] Ȧ[d-o]꜀ Py-d]] + [Ȧd + Ȧd[2]] → [Nd Ph-O[3]] + Ȧ[d] + Ȧ[d] + [~~A~~ Ō[n] + T[o] Nd]]

ȦBP] + [Ad pl] + Ȧ[d - d r pl] + Ȧ[d] + [Ȧ[Å P] - d] + Ȧ[me] P d BP] → [Ȧ[m e d

Ph B] + [A m̄ $\xrightarrow{d}$ A m̄] → [ÅP] Ȧ] + (Ȧd] → Ȧ[mp]] +] + [Ȧd] + [Ȧ - P] + Ad[Nd → Å] → Ȧ[P[o

+ [Ȧd] [n]] + [Ȧd → [E[o] - Ȧ]] + Ȧ[d - (ȯ)]꜀ + [Ȧ[E[o]] - d] → Ȧ[m e] → [P[Ph [o]]꜀ Q m $\overset{d}{\rightarrow}$

Ȧd]] → BP꜀ Å[Ph - O] [Py-n d → Ȧ[ȯ] Ph - Q] + [Ȧd] + [Ad pl + m] → [Ȧ[E[o] - ~~x~~]] d] + Ȧ[d →

Å] + [Ȧd] → [Å[Nd Ȧ P] + [Ad → Ȧ[P[n]]] [Ad] + [[Ȧ[d] + [Ȧ[ȯ] + A B P d pl] ꜀ AO +

[Ȧd] → [Ȧ[ȯ] d ABP]꜀ O[n]] [+ [[Ph - O]꜀ m[d - pl]] → A[P[p]]] + Ȧ[d] → [P̄y - o + [n - n]

꜀ Q n → [Ȧ[Py - O][a]] d → [ȦQ → A[k]] + [Ȧ[d]] + [Ȧ[P[p]] d Ȧmp] Å] + Ȧ[d] + [mp]

[BP꜀ + Ph o]꜀ [Ph [a]] → Ȧ[P[e]] + [[A[mpl]] + [dr Ȧ]]꜀ Py d → m̄ Ph] + Ad] →

Ȧ[E]] + [Ȧd] + [[m̄e - A] → Ph me[x]] d n Ȧ n] + [Nd → Å[Ph]꜀ Q[x]] + Ȧ[d - ȯ[x]]

Å[h - Ō op[2]] + [Ad] → (ȦP[e]] d] → [Ph[Nd - Ō]꜀ Å[a]] + (Ȧ[ȯ] + Ampl]꜀ Q + ȦP[p]]

+ [ÅP[o - d Ȧ o] + [A[P[e]]a - d] → O[x]] → Å[Ph - O[x]] + [[Ȧd] + [ȦE]] + Ad - O[x]] →

[Ȧ[ȯ] Ph] → Ad + [Ȧd] → ~~Ȧ[o]~~ [Ph - Nd O[x]] + Ad[pl → ~~x~~[x]] + Ȧ[d] + [ÅP][n]

+ Ad[o][a] → ȦP[a]] - [Ph Å[꜀ E[o]] + [Ȧ - d] → ȯ] + Ȧ[me] + Ȧ[mp]꜀ Q d me]

[Ȧ[P]]+[A[d mpl]+Ȧ[dg]] +[Ȧ[dr-d]+[A[d] →+ ȦE]+[Ȧ[d] →+ [O[x]c
m-d]c[PhdQ]+[Ȧ[P]]+ Ȧ[d →+ [O] →+ Ȧ[ÅP[d] →+ Ȧ[N]]cQ →+ [B]+Ph]O+
[[Ph-O]d Ȧa[mpl]]+Ȧ[d-pl]+Ȧd →+ Ȧ[O]d →+ [BPc E[O]]+[Nd BP[n]]cȦa
m̄]+Ȧ[d+T[o]]+[Aa mpl]+[Ȧ[d]-O[pl]+[Ad]] →+ [O[x] phd Ė[n-O]+
[Ȧd[T-O]]+Ȧ[P]+[[Ȧ[d-pl]]c[Pym] →+ [P̄y-O]c Q̄ +[BP[m̄e]d Å]+Ȧd
[T-1]]+[Å[dN]c(A-A]+Ȧ[d-dr]+[Ȧ[d]]+Ȧ[d]+[ÅĖ]+Ȧ[P]+ÅPd+
nd]cQ̄ →+ [ÅP[n-d [P[r]]+~~[Ā~~ |N[P̄yd]]c[ÅP] →+ Ȧd]⊥] +[P̄y-O]dȦ]+Å[
Ad]+Ȧ[P-d]+Ȧ[mP]+[A[O]d m̄A]+Ȧd →+ [NdO]^md →+ [Ph-O[d]][d
→+ Ȧ[O]hd]+[Ȧd]+Ȧ[mP]d] →+ [Ad →+ O[n]]+[Ȧd][Ȧ[O]md] →+ [O_P Ȧ]+
~~Adpl~~+ Ȧ[d-pl]+Ȧ[d]] →+ Ȧ[mP] →+ [E_P]cO[Ph]+Ȧ[mP]+Ȧ[d]+[P̄y-O]
cQd →+ Ph[O]+[Ad →+ O[n]]+Ȧ[d]] →+ [Ȧ[O]md] →+ Ph[O][n] Ȧd[Pl]+Ȧ[O[d
Ȧ[me]+[Ȧ[O]m]+[Ph-O]cQ]+[Ad[c]] →+ [Ph-O[x]]+[A—Ȧ[d]NdȦdŌ]]+
[Ȧ[mP][x]]+[Ȧd]+[Ȧd]+[Ȧ[mP]+in]cQ+[Å[d m̄]]+[A[d-T_P l]] →+ Ȧ[P+d]
+[Ampl]+[Ȧd] →+ [E[Ȧ]]+[Ȧd]+[Ȧ[O]m]+[ȦBPd]]dm cQ[ÅP[O][d]]A
[Ȧd T_P l][d] [A m/pl A(→+ [Ȧ[P-d]]+[ÅP-Ȧ[d]]+[BPd]+[Ȧmedm] →+
Ȧd →+ Ȧ[me] +[Ad] →+ Ȧ[ÅP[d]] →+ [AB]]+[Ȧ[me]] →+ d [BP[a] cQ]Ph]+
[mex] →+ [[Ph-Od]c PhQmd]+[ÅP[Ph-Od]]+Ȧ[d] →+ [BPcȦ[O]]d ←+ [Ad[pl]]
[mex] →+ [[Nd ÅP-+Ad]]cQ] →+ [ȦBP]+Ȧ[dpl] →+ (ÅP[Ȧ]] d →+ [pl me-Ad]+
Ȧd]+ Ȧ[mP]+[[dr-Ȧ]][[Ȧd]+(Ȧd+[Ė_P n]]+[A d/— A] →+ Ȧ[d-Ȧd[P]]+
Ȧ[me+dr]]+[Ad mpl] →+ [ÅP[N]d]cQ[Ph →+ [BPd]+[md]Ȧ cQ+Ȧd →+
[Ȧmel-d] →+ [Ȧd]+[ÅPȦ-d] →+ [ÅP Ph-O Ȧ]+[A[d]l[T,m]]+[Ȧd,l] →+ [Ȧ[d]]
d]+[Ȧd]O[d]c+ Ȧ[d] →+ [P̄y d O[d] →+ Ph m̄ P d]]cQ̄ dBP]+[Nd]hO]c
d] →+ [BPȦ]+[Ad]+[mP-Ȧ]+[me-Ad pl]+Ȧd] →+ [ÅP+Ȧ] →+ [BPȦ]+Ad m pl]-

[Ȧd] →+ [BP
Ȧ[d] →+ O+[A
[n] →+ [Ph-O
[dr+pl dȦ+
[Ȧd] →+ [E_P Ȧ
→+ E[O]] →+
Ad →+ A[P[
ȦP[a]+A[T
[in+Qd m
Ȧ[O][a] →+
[E[O P]Ȧ+]
Ȧ[E_P-d]
[BPAm̄d]
Ō-O] →+ [
~~EPEO~~
[E_P m]]+
A[m →+ Å
[A d/— A+
[m̄+yd]+
[[m Ad
→+ Ȧ[Å]
+Ȧ[d
Ȧ[d

(Ȧd] ⃗+ [BP₀ō] + ȦC[P-d] + Ad mpl ⃗+ [Ȧdr-d+pl] ⃗+ Ȧdh ⃗+ [[Ph-O]₀(ÅE] +

Ȧ₍E₎dr ⃗ Ȯ + [Ȧd ⃗+ (Ȧ[mp] ⃗+ [ȦE[2]]Ȧ] + [Ȧd pl[n]d Ȧ-d] ⃗+ [ÅP[2]][m̄ m̄ d A]

[1] ⃗+ [Ph-Om][c] c[m̄ m̄ P/d] + [Ȧd] ⃗+ Ȧ[ÅP[1]] + [ÅP[1] Ȧ] + [A m̄pl]d[Pv-O]d

[dr+pl dȦ ⃗+ Ȯ(0]) + [A m P] ⃗+ [E₀ Ȧ] + [T[d Ȧ] ⃗+ [ÅP[2]₀ Ȧ] + A m̄pl ⃗+ [Ȧd ⃗+ ȯ

(Ȧd] ⃗+ [[E_P Ȧ]c E₀] Å + [Ȧd] ⃗+ [T-O](Ȧ mė] + [Ȧd pl] ⃗+ [mP]₍ₓ₎ ⃗+ Ȧd] ⃗+ Ȧd[c] ⃗+

⃗+ E[0]] ⃗+ Ȧd] ⃗+ [[Nd ÅP d[1] ⃗+ m P] ⃗+ N d[P[P]] + [T d[1] Ȧd] + [BP-O m̄pl d Ȧ] +

Ȧd ⃗+ ȦCP[2]] ⃗+ Ȧ[P[1] -d] ⃗+ [T[1] Ȧd] + [ȦO[T ⃗+ [Ȧd] ⃗+ Ad[T[1] m] ⃗+ ȦS[2]

ȦP[2] + Ȧ[T[1]m] d] ⃗+ [[Nd ([P] c Ph Å + Ad pl ⃗+ ȦP[2]]c Ȧ[2] + Ȧ[d T pl] ⃗+

[in + Qd m] c Q + Ȧ[m̄ d P/] ⃗+ (Ȧ[ȯ] m] c ~~A~~ A ⃗+ ȦCP[2 d] ⃗+ Ȧ[n]] ⃗+ Ȧ[d

Ȧ[ȯ][2] ⃗+ (Ph[O]]c Å[x]] + Ȧ[M P+d + [Ȧ[O]m d]]c Q ⃗+ [E₀ Ȧ] + Ȧ[0]] ⃗+

[E[0 P] Ȧ+] ⃗+ [T[2m] Ȧd] + [Ȧ(m P]] ⃗+ [Nd P[BP Ȧ]] + [Ad m pl] ⃗+ Ȧ[d[ ] + Ȧ[d] +

Ȧ[E_P -d] + [[m̄ d A] + dr Ȧ]] d(m̄]-P] + [Ȧ[ȯ]d PhO] + Ȧd [N E d[Ȧ[ȯ]]Ph c O]

[BP A m̄d] ⃗+ Ȧ[ċP] ⃗+ [N[d] Ȧ[ȯ] + T[1]d] c [Ȧ[ȯ] Q m] ⃗+ [E_P[x]] + Ad pl ⃗+ pl+

Ȯ-ȯ] ⃗+ [Ȧ[n] pl] ⃗+ Ȧ[pl+d] ⃗+ Ȧd ⃗+ (ȦE_P[x]] d pl] + ~~Ȧ~~ Ad ⃗+ [Ȧd] ⃗+ E_P[2]]

~~E_P[2]~~ Ȧ[d] ⃗+ ȦE_P[2]] + [T m[1] Ȧd] + Ad ⃗+ Ȧd[2] ⃗+ [mP] ⃗+ Ȧd ⃗+ [Ȧd+ȯ]

(E_P m]] + Ȧ[mė+d] ⃗+ [[m̄ ph Ȧ[ȯ]n d] Ȧ[d]] + [Ȧ[mP+in]] + [Ph[N d O]c Qd

Ȧ[m ⃗+ ÅE] + [Ad ⃗+ ȯ[2] + [Ȧd] ⃗+ [O_P ⃗+ Ȧ mP] Ȧ[d]] ⃗+ Ȧ[d] ȯ[0]] ⃗+ Ȧ[d] + [PhÅ]

[A d/d A + in [T[1]] Ȧ n] + (Ȧ[d-pl] ⃗+ $\overset{d}{\dot{O}}$[2]]] ⃗+ A[P-d] ⃗+ [BPA] + Ȧ[P[2] d] ⃗+ Ȧ[P

m̄pl/d] + T[1 m n] + Ȧ[d] ⃗+ Ȧd ⃗+ [ȦP[1 n d ȦP Ȧ[2]] + ~~Ȧ[d-P~~ Ȧ[P[-d] ⃗+ Ȧ[n d ȦP] +

[[m Ad] ⃗+ [A d/P A [T-O]m A+] + [Ȧ[ȯ] PhO] m̄] [Å[Q ⃗+ PhO] ⃗+ O[n] d Ȧa]] ⃗+ [Ad]

⃗+ Ȧ[Å] + [Ȧ[P[P]] + Ȧ[mP d]] + [A mpl + dr] + Ȧ[d-dr ⃗+ ȯ] + Ȧ[d] ⃗+ Ȧ[EA

+ Ȧ[d] ⃗+ [Ȧ[ȯ]m] c Q ⃗+ [Nd Ȧ[ȯ] PhO]c Ȧ[m-d] Q[Ph] ⃗+ Ȧ[d ⃗+ ȯ] ⃗+ [PhO P[1]

Ȧ[d] ⃗+ [Ȧ[ȯ]m] + Ȧ[d] ⃗+ [Ad m+c] ⃗+ Ȧ[O[d]] + Ȧ[d] ⃗+ Ph[O-m̄ Ȧ[ȯ]d]]

Ȧ[d]+[Ȧ[ȯ]m-d] → [Å[N → ȦE d O[ph]] + Ȧd → Am]c ȦQ + [Ȧ[ȦO[n]] m + T[n]d]

cQ + Ȧd] + [[ph[o]] → Ȧd] Ȧ[ȯ] d ph[o]] + [Ȧd] → Ȧa [T[n] Ȧm]] + Ȧ[dr] + Ȧd]

[[Py-O]md[n]] Q → Ȧe[e]] + Ȧd → [T[n] d Ȧ] + d[n]] → [Ȧ[d pl]] + Ȧ[d] + Ȧ[

Fe Ȧ]) + [Ȧ[me + Ȧd] → [N[ph d O md] + Ȧ[d]c Q[ph]) → Åe[x] [m̄ B[x]]c

Q[eh][x] → Åe[x] + Ȧd] + Ȧd[n]] → [Åe d N → BP]c ph d Q + Ȧd] → [B[-Ȧ] + Ȧd]

→ [me] → [m̄ m̄] Be[e]]c Å + [Ȧ[me d n] → Ȧ[O] + Ȧd] + Ȧd] → [[m e] d]c Ȧd]

Ȧd] → [Ȧe-d] Ȧ] → [BP][x] → ~~ȦBe~~ [Ȧd] → [T[m d Ȧ] + [Ȧd m] + Ȧd] + Ȧd]

[[Ȧ m̄]c Å] + Ȧ[d] → [Ȧ[ȯ] m]c Q[Ȧ[ȯ] [N Ȧ E + T[o] [n] d]] + [Å e[n] + T[o] d

Q e m $\frac{d}{de}$ m → Ȧ → Åe[x]] [n] d Ȧa → Ȧ[d] + Ȧ[d] → [Ȧ[o] d → ȦE] [md → Py/x O]

Ȧ[d] → [Ȧ[o], Fc Å] + [Ȧ[d] → [Ȧ[o] m] + [Å e[n] d]] + [Ȧ m̄ pl] [T,T Ȧn] + [Ȧ[d]

Ȧ[d]] O[n] → Ȧ[d] → E Ȧ] + Ȧ[d] + Ȧ[d] + [Å Ȧ-d] + [][n] d Ȧ d] + [Ȧ d] +

[N d ȦE[n d]][x] + Ȧ[d] → [P[Ȧ]] + [Ā[ry][n]]mc Å[d Ā ph]] → Ȧ[P[e]] Ȧd] → Ȧd →

[ph-O] + [Ȧd] → [[e] Ȧ] + [Ā m̄ pl]] + [P[e] [N d [Ȧa m + c BP[o] → BP[o[x]] Ȧ + →

~~Ȧd]~~ Ȧ[d][x] → [Å PȦ] + Ȧd[T Ȧ] → BP[n] → O] + [Ȧ[d pl + m̄ d] + [T[n] Ȧm]] + Ȧd]

→ Ȧd][x] → [ph[N] d O]m] [eh Q] → Ȧ[ph[me[x]] + Ȧ[d] m e[x]]] [x]] + Ȧ[d]

Ȧ[d][x] → [me][x] Ȧ] → [ph[o]] + Ȧ[d] → O[n] Ȧ[d] → Ȧ[me] + Ȧ[o] d → [ph-O]

+ Ȧd] → [Ȧd[m̄ m̄ pl]] Ā → Ȧ[d] → Ȧ[d]]] + [Ȧ[d] me] d m] + Ȧd] → [me-n]d] → Ȧ[e-d] + Ȧm

pl] → Ȧd] → E[n] + Ȧ[d m] → Ȧ[P-d] + [Ȧd pl [T[n] m Ȧ]] → [Ȧ[d p]m → Ȧ[dr]] → Ȧ[d] →

Ȧ[[E[n]] + [Ȧd] + Ȧ[d] → [Ȧme] d + e] → Ȧd → E[e[n]] → [Ȧd] → E[e[n]] → [Ȧ[ȯ] d m̄] + Ȧd → Ȧ[o]e]

O] → [me] → Ȧ[d-d[+dr] → Ȧ[d] → [Ȧd → E[o]] + Ȧ[d]] → [E[n]] d + Ȧ[d]] → [B[n] d]c

Q[eh] → [E P] → [[ph[n] d O]c Q[h]] + [Ȧ[dr + d] + [Ȧ d pl → O[n] [T m]] + Ȧd → ph

ȦP]c Q + [Åe d Ȧa] → [ph[o]] + [Ȧ[d] → [Å e[m̄ N d]] + [ȦP[n]] + [Ȧ d m̄ m̄ ph[e]]

Ȧd] → Ȧ e[n] [n]] → [Ȧd] → [Ȧ[n]] + Ā m̄ [m̄ ph[e]] ph[n d] + [[Ȧ[me] + [Ȧ[ȯ] N d

[Ȧ m̄ ph + Ȧn

[BedȦ [T] m Ȧ

→ [dr + e d Ȧ

Ȧ[m P] + [[ph

Ȧ[d] → [E

[Ȧ[ȯ] m] [ph

d → ph[o]] [

m̄ m̄ pl] → P[e

Am [N] d →

[ph[o]] + Ȧ

Ȧ[d] → [N d

[Ȧd BP]] → [Ȧ

[ph[o]] + [[

[ey[N] d] + [Ȧ

[N] d ÅP] →

Ȧ[d pl][T

[Å[N̊ d O[x]] E

Ȧd] + [Ȧ[d]

[Ȧd e pl + [

Ȧ[P-d] + [

[pl Ȧ → m]]

+ [Ȧ[O] d Ȧa]

[A m̄ ph + i n] +]₀ phQ →+ Ph[0] +] d[BP[0] →+] d A[0|p|] →+ [Å P[n]] + [Ȧ[T d -]][n]

[BPd A[T m Ā]] + [p| + dr Ȧ -d] + Ȧ[d] →+ [Å P[n]] + [Ph + PBPd Ȧa[P y -d] + (dr]]꜀ [ȦQ]

→+ [dr + p| d Ȧ]꜀ Ad →+ (Ad[T[T m Ā]] + (Ȧd] →+ [N[d Ph[0] →+ Ad]] →+ Ph[0] →+ Ȧd →+

Ȧ[m p] + [[Ph[0]] + Ȧd]]₀ phQ[d] →+ [A[BP]] + A[m p -d] →+ Ȧ[d + p| + dr] →+

Ȧ[d] →+ [E P Ā] →+ Ȧd[n][[P r N d m] →+ [[A a[Ȧd[Ȧ[N]] + [T[A m]]] + A[d] →+

[Ȧ[ȯ] m] ph N] d m E] →+ Å[Ph[d] + [[B̊ N] d Ā] d Ȧa] + [Ȧa [P y d Ā[N Ph] →+ [P y d] P →

d →+ Ph[0]]][T, Ȧ m] ~~[x]~~ [Ȧ[d[n -A +] P y + Ȧ[d -T[T m Ȧ]]] →+ Ȧ[d] →+ Ȧ[0] →+ N d m̄

m̄ m̄ p| →+ P[P - N[P + A] ⊂ Q →+ [Å E] + [Ȧ[d] T + p| Ȧ] →+ [Å P - Ȧd →+] + A m p [ ] Ā -

A m [N] d →+]] →+ Ȧd →+ [Ph[0]] →+ [d] Å] [d m (N] →+ [m̄ m̄ [m̄]] ⊆ [m̄ - m̄][P] →+ Ȧa[n] →+

[Ph[0]] + ~~Ȧ[d] →+ A[P -d]~~ [A^d m p| T[T Ȧ m]] →+ (dr Ȧ] + Ȧ[0|] →+ E P Ȧ] →+

Ȧ[d] →+ (N d ph Å[Ph -0] →+ (Ȧd] →+ [Ph[N] d →+ O[x]] Ȧ] →+ [BP[x]] + ~~Ȧd →+ Ȯ[x]~~] →+

Ȧd BP]] →+ (Ȧd[BP][x]) →+ [Ad m] →+ [ȦT d m] →+ [Ā m̄ ph] →+ Ȧ[d] + [Ȧ[d] →+

[Ph[0]] + [[Ph[N] d 0]꜀ [PhQ m̄ BP] 0] + [Ȧd] →+ (A[P -0]] →+ BP[x]] + Ph[N] d →+ Å[-

P y[N] d] + [A m p| [T[n 0] Ȧ]] + Ȧ[d] →+ [E] Ȧ] + Ȧ[P -d] →+ Â[Ph₀| m̄][n] →+ A[d]

[N] d Å P] →+ (Ȧd] + Ȧd] →+ [[Å P[N̊] + T + Ȧ[d]꜀ Å]꜀ ÅQ] →+ [0|] →+ BP[n]] d (Ph[0]] →+ [A[0]

Ȧ[d p|][T m Ȧ] →+ [Ȧ[p| + d] →+ [Ȧ[E E]] P y[n] m →+ Ph m̄ m̄ p|] →+ Ȧ[d] →+ me[x]

[Å[N̊] O[x] [P y -d O[x]]] →+ [A[m̄ ph]] (T[T m Ȧ]]꜀ (Ph[Q]] m d →+ [Ph[0]] + Ȧ d d →+

Ȧd] + [Ȧ[d] →+ Ȧ[p| -d] + Ȧd[Ȯ[x]] →+ Ȧ[p| -d] + Ȧ[d] →+ Ȧ[P -0] →+ [Ph P] d||

[Ȧd[p| + [d r] Ph[n] d] →+ [Ȧ[d] + T[x d m Ȧ]] →+ [Å[N̊] + Ȧd[T p|]) + Ȧ[d] →+

Ȧ[P -d] + [Ȧ[d + P y[N] Ȧ[i n]] + Ȧ[d] →+ [Åa] [Ph[N] d] + ~~Ȧn Ȧ[~~ Ȧ[0|]

[p| Ȧ →+ m]]꜀ Å[m] →+ Ȧd] →+ [M[N] d A] +] + [Ȧ[ȯ] m ph] + Ph[m] d O[x]]

+ [A[0] d Ȧa] + Ȧ[d -ph →+ Ȧ[d →+ [A m p d p d]] + [me[x]] + [Ȧd] →+ [me[0]] d + Ȧ[d]

[n + Ȧmp ɔ] Ȧ[Q]]. ȦQ → [Ȧ[O_ρ - d] + ḋ mr] + [me_[n] d Ȧ_r d A] d → [Ȧ ɪ d r] → Ȧd)
Ȧ[d] → Ȧ : mp] → me_[x] → [me_[n] d] [Ȧ[d me]] + Ȧ[p] + [Ȧ[O_ρ] Ȧ d] → [N[ph] d O] + Ȧd]
[h - d] → [Ȧ me ŧ in [P Y - d]]) → [N[ph] d O] + Ȧ[d] → [me[x] d] Ȧ] + Ȧd → [N[ph] d O_[ɪ])
[→ [] d Ȧ[t + d_[ɪ]) + Ȧd] → [Ad [BP_[A] Ȧd]]] + [[Ph[N] d - O * m d]_c PhQ) → PhB
d O] → [me[N]] d Am → [[Ȧ[n] P Y n ph]] → (Ȧ m d) BP + Ȧ[d O_[ɪ]) [Ȧ[m [T[ɪ] m Ȧ]]_c ȦQ →
Ȧ[d] → [me A]_[x] → Ȧ[N d O[m ph[o A ɔ] → Ȧd [Ȧ[ɪ] [N d O[m ph o Ȧ a]] → [ph[N] d
Ȧ[o] m]_c Q[ph → [Ȧ[P] ph (P Y m̄]] → Ȧd → Ȧ[d] [Ȧ[me]] → [Ȧ[me]] [ph[N] - P BP d] →
[BP] + [Ad [ph m d] → ~~Ȧd[d]~~ [~~Ȧ[c d]~~] → Ȧ[d] → m [Ȧ[Ph[N] d me m]] ph Q : N[ph n
P] + Ad[BP] + Ȧd] → Ȧ d [[Ȧ[o] ph B A] → Ȧ[d] → [ph[N] A BP d + c Ȧ[o]] Ȧ → [BP]_[ɪ] +
~~Ad~~ Ȧ[me] + [Ȧd p] + [Ȧ mp - d] + Ȧ[P - d] + [Ȧ[d p - p] → Ȧd → Ȧ [ph[N] d → BP Ȧ]
Ȧ[d] → (BP) + ~~Ȧd] → Ȧ[d]~~ → [Ȧ[mp + m̄ ph → d] A + ~~Ȧd →~~ [Ȧ p] c Ȧd] → [me[ɪ] +
[Ȧ[m̄ P Y + d]] → Ȧ[d] → [ph[N] d P[ɪ Ȧ]] c Ȧ]_c Q → Ȧ[o]] → Ȧ[d] → Ȧd] → [Ad
ph m [n] → ph]/P Y[n]] → Ȧ[d → Ȧ[m e + d] → (Ȧ[p] - d + d r me]] d [~~ph[Q]~~ (ME[G] →
[d r Ȧ mp] m - d] → BP] + [me[x] → [ph[N] d P]_c ph[Q] → Ȧd → BP] → Ȧd] + (me)
[ph[N] d BP → Ȧ P) → [Ȧ[m e - d]] +] + [Ad p] → Ȧd → [Ȧd me - d] → ph[N] d → BPȦ]
c ph[Q] d [ph → Ȧ[o] m] → [E[o r ρ]) → Ȧd] → Ȧ me] → BP) → Ȧd (ph[N] d → BP) +
[Ȧ[p] + ph[o d] → Ȧd → ~~[Ȧd]~~ [Ȧp] c Ȧd] → Ȧ[d] → Ȧ[P - d] + [Ȧd + T[o] Ȧ] → [P] - O]_c Ȧ mp Ȧ
[Ȧ[m̄ e r]] + O_[ɪ]] → Ȧ[P - d] → Ad[e Y [P V N d i i n]] + Ȧ[d] → [P d A] → [P[A] A] + T[o] +
Ȧ[P d] → [Ȧ m̄ P Y ph] → Ȧ[P d] → Ȧ[d] → [Ȧ m̄ p]] [Ȧd] → Ȧ[P_[o] - d) + Ȧd → BP]
+ [Ȧ m Ȧd] → [Ȧ m ph] → Ȧd → mp Ȧ] + * [mP - x] < Ȧ ŧ] + [Ȧ mp d] → Ȧd
[Ȧd] → [Ȧ[o] m̄[ph - P] [n d]]_c Q[E_ρ] + [Ȧd] → [Ȧ[o] m d] → [E P Ȧ] d Ȧ Ȧ[o r] + Ȧ am
→ Ȧ[d] [E[ɪ] → Ȧd → P[o P A]_c Ȧ[Ȧ] → Ȧd → Ȧ[mp] + Ad → [Ȧd] → [Ȧ E] → Ȧd →
ph[o]) → [Ȧd[O_[ɪ]] → [Ȧ mp] → [ph[d - i n] d [A - A] + BP] → [Ȧ : o m) → ȦP[Ȧ P d]
Ȧ → [ph[N] d + c ph O] → [Ȧ[o] c Ȧ a]_c ph[A] O] → Ȧ[d] → ph[N] d → O[x]]

[Ad[c[ph+dp]]+ [Ame] ⇀ [BP c ph Q m d] ⇀ [ph[N] d ⇀ E p] c ph Q ⇀ E Å P ī

d ⇀ Å a [ey c eh] + BP [ch] ⇀ Ad] ⇀ BP [x] ⇀ [ph[N] d ⇀ E p] ⇀ Ad] ⇀ (A [py d] ph ABP] +

Ṫ P-d Å] + in [ey-d] Ad ⇀ Ad] ⇀ [A m ph[n] ⇀ B] ⇀ Ȧ ⇀ Ȧ m d]. Ȧ d] ⇀ Å P-A P d] ⇀

Ad] ⇀ Ȧ m P d] ⇀ [m e d Ā] ⇀ [BP] + A m p l ⇀ Ȧ d] ⇀ [E p] ⇀ [A d] ⇀ (A m - d] ⇀ [A P [a]

⇀ [A p l [ey N] d ey - m ph A - d]] c A - [A p l - d] ⇀ [Ȧ d m e d] ⇀ [[ph [N] d O] + E p]] c

E [x] + [[Ȧ d m p d] ⇀ [N̊ d - Ȧ P - d]] + Ȧ [A d [n]] + [[Ph / py] [N]] c [Tm - Tm [m̄ m̄]] c Å

d]] ⇀ ~~Ad~~ Ȧ [d [Ȧ p l - d] ⇀ BP - O] c Ad [n - ph] ⇀ [Ȧ d] + (Ȧ m̄ [pl ⇀ Ō]] c [ph O] m ⇀

[BP - O [ph [N]] ⇀] + [Å P = p d A] + [A d [m]] ⇀ [ph m [T t m d] A] ⇀ [d r Ȧ] ⇀ Ȧ d] ⇀

[Å P [n] - d Ȧ] ⇀ [Å d p - d] ⇀ (Ȧ d [n] ⇀ (Ȧ p l c d] ⇀ [N̊ d m] + ~~Ed~~ [ph [N] E d ⇀ O] [x]

+ A d] ⇀ [Ȧ [ō] m] ⇀ [Ē [a] N [x] d O] ⇀ [Ȧ [ō] d Ȧ a] [r [a] m A]] ⇀ Ȧ [d] ⇀ [ph P c Ō [ey d]]

+ Ȧ d r p l] ⇀ (P c Ō c [py - d A]] ⇀ [Ȧ [p l - d] + [Ȧ d p l + d]] ⇀ Ȧ d] [Ȧ [o] [ph o d]] ⇀ Ȧ d]

[Ȧ [d m p Ȧ]] ⇀ [E e] + Ȧ [d] ⇀ [m p Ȧ d] ⇀ [[ph [N] d O] + [Ȧ c + d]] ⇀ (A B P [ch]] c Q [ch]

P [eh] B P Ȧ - d] ⇀ [Ȧ d] ⇀ (Ȧ d] m ⇀ A] ⇀ [m d] c Ȧ Q [ph d] ⇀ [BP] + Ȧ [p l - d [N [ch d o [x]]] ⇀

[Ȧ [p l]] ⇀ Ȧ d] ⇀ (Ȧ [t [ph A p d]] ⇀ [ph [N] d + A [c O] + [Ȧ c - d]] ⇀ (A B P [m]] ⇀ (Ad

m] ⇀ Ȧ [p l - d] ⇀ Ad ⇀ [Ȧ P - Ȧ d] + p l d Ȧ] + [Ȧ d + Ȧ m e] ⇀ [Ȧ [p l - d] ⇀ A - A [ey d] ⇀

ph m̄ ⇀ [m e]] + [A d p l ⇀ [r l] ⇀ E p [x]] Ȧ [d ph ⇀ O [x]] ⇀ [Å E p l c Ȧ - d]] ⇀ [m e] [v] ⇀

[BP]] Ȧ [c - d] [py - ph [N]]] ⇀ ph [N] d O] + [p̄ y d + e ph d p l A d ⇀ ph [a] - p d] c ph [a]

d + Ȧ e]] ⇀ ~~Ad ⇀~~ (Ȧ p l] ⇀ Ȧ d] ⇀ (E p] (Ȧ - d p] ⇀ A d] ⇀ Ȧ [c - d] ⇀ A d] ⇀ [P] ⇀ A d m̄

ph d [p y N] ⇀ (BP] [A d m p l] + A d ⇀ Ȧ BP] ⇀ O] + ~~Ȧdp~~ Ȧ p l] ⇀ Ȧ d] ⇀ [Ȧ [d] ⇀ [A d m]

[ph [N] d Å e] [m - d] ph ⇀ B e] (A d m p l] ⇀ Ȧ [e]] ⇀ Ȧ d]] + [ph d Q d m m ph] - Q [ch]

⇀ P + A d ⇀ O [n] ⇀ (BP] ⇀] + (A m p l] ⇀ Ȧ d [p l + d] + Ȧ d] ⇀ (E p] c E] + [d + p] Ȧ d] [A m

p l [ph / p y] [N] d m̄ p l d ⇀ [r l]] ⇀ [m e] d ⇀ Å [ph / p y]] [m̄ m̄] c A m p l] ph [a] d B P] + E d O [x]

d Ȧ d] ⇀ [A P] [py - o] m d] ⇀ [T m̄ T + e d Ȧ] + [m̄ m̄ A m p l] ⇀ A d ⇀ ph O c Ȧ] ⇀ A d

A m] ⇀ P] [p y] ⇀ O ⇀ Ȧ d] ⇀ Å P - d] ⇀ Ȧ d ⇀ A d ⇀ Ȧ - p d] ⇀ [p [a] d [ey d]

[Ȧd] → Amp] → BP[x]] [+ Ȧd] + Ȯ[ph[N] d BP] → ph[n] → P + Ad n]] → med BP[Ȯ[x]] +

Ad [ȦP-d] + [T[n]d + Ȧd] → [Ȧ[P-d][x]] → Ȧd] → Ȧmpd] → [E[phNd Ȧ[O][x]]] → Å

]Å[ph[N] dBP[x]] → [Ȧ[n-ph]d + c Ȯ[x]] + [Ȧd] → [Amp] → Ȯ[n] Amp] + Ȧc → Ȯ[x]

Ȯ[x]] c [Ȯ[n]] [Ȧd + Amp] → [ȦP[n]] + Amp] + (Ȧpl + d[d]] + Ȧd] → E[e]] +

[Ȧd] → (TȦpl → Amp] c PYd → Ad] → Ȧ[Ȯ][n]-ph + [T[n]d] → (PY - Ȧ[n d Amp]] d PY-O]]

[Ȧd + Amp] + [Ȧ mp] + [P[P]] + [m̄m̄d → ph/PY[N]] A]] c Å + [PY[N] d Amp] → Ȯ[n]]

[Ȧ-d] → [[n] Ȯ[d]] ph[N] Å[N̊-Ā][PY nd m̄ → P[PY/ph[n]] → m̄p]] c Å + [Ad m̄ m̄[O]] + [T[n] Ā]

→ [x] → Ad → [P[P]]] + [Ȧmp + Ȧd] + [PY-Od] ȦQ → [BP - O ph[N] d] c Ph[q] d BP] + [T[n] Ā]

→ [P] + [Ȧd + Ȧ.pld → Ȯ] → Ad → [Ȯ] c → [ph[N]d O] + [Ā - Adpl + ind PY] → [P] → Ȯ → Ȯ[d]

Ȧ → Ad → [P - d Ȧ] → [BP[O]] + [Nd Ȧ[d][n]] Ȯ] c → BP[Ȧ → Nd Ȧ P]] [Ȧ Amp d] c Ȧd] → Ȧpl

→ Ad → [ȦP-d] → ind BP Ȧ] → BP[x]] + [P + Ad[n]] Ȧ + c → Ȧ P] +] [Ȧd] → [mp d Ȧ → O

c Ȯ[a]] → [Ȯ c → Ȯ[2,3-x]] + [Ȯ[n]] [Ȧd] → [Ȧmp + Ȧd] → [ȦBP c ph (PY + Ūd → P] → B]]

[Ȧ[O[x]] Adpl → ȦBP]] + [[O[x]] ȦP ph[N] d m̄A]] +] + (Ȧd] → [Ȧ[Ȯ] m] → ph[n]d Ȧ[Ȯ]] +

[Ad → Ȧmp + ȦP[m-d + c] → Ad → [ph[O]] c E] + ph[N]d + [Ȧmp] → [N̊d → Ȧ[d[Ȯ]

n] → [x] Nd Ȧ[x]] + [Ad m̄ + [d]] → m̄ → m̄ m̄ → ȦP] + [P + Ad] → mp] → Ȯ pl d → Ā[n]

Ȯ[x]] → Ad → ȦBP m̄ → ph[N] → O[m+c] → [ph[n]] → [P[a Ȧ-d] → BP] + P h[n] d

→ G[n] c Å] + [Ad → m̄ mp] → ph[O][n]] c → [O[n] → O[n]] + P + Ad] → [P] → n] d m̄ Ȧd → Ed

Ȧ[O]] m → Ȧ[O]] + [Ȧd me [x c N] d] → ȦP] + Adpl + ȦP] → Ȯ - Ā[O[1-3]]] → ȦP c → Ȯ[O]

+ O[n] c → E P c ph[n] d O] + Ȯ[n] d [ph[n] d O[2]] mp Ȧpl → Ȯ[n] → O[2,3]] + Ȧd → [ph[n]

→ [Ȧd pl m̄ → ȦE + PYNd m̄ m̄ ph/PY → ȦP[n] + ȦP[n]] + [T[d] pl → ÅP → [Ȧ + c] → ȦP-

[PY-O] d → md → [n] d → Å] + ÅP + Ab → [n] → Ȯ[x]] → E[n] Ȧ → ȦP[x]] + [Ȧd] →

[mp Ȧ] → ph[N] d O[Ȯ[N] → [Ā mp] → Ȯ[1-n]] [x a]] + c [Ȯ[n] + Ȯ[n]] → [Ȧd]

pl Ȧ → [Ȧd[n]] → [ph[N]d] → O[ph-n] c Å] → O[x] Adpl → Å]] c O[n]] + Ȧd]

[ph[N] d O] ⃗+ [Ȧ-d ⃗+ Ȯ[x]) ⃗+ (Ȧd + me.A] + (Be] ⃗+ Ȧd ⃗+ Ad] ⃗+ (me + p[Ȧ] ⃗+ A)

⃗+ [Ȧ-Od] c Å ⃗+ [p[-A] + [Ȧ e d] ⃗+ Ȧd] ⃗+ [p[-Ȧ + Ȧ-O] ⃗+ Ad ⃗+ [Eₚ [eh[N] d ⃗+ O] c Å ⃗+

[N Ȧ ⃗+ [n] ⃗+ Ȯ[x] c ⃗+ Å] + ~~E~~ A [Ȧd + Ȧme] ⃗+ [eh[O] [~~+d~~ ey d [n] d ⃗+ [N] d eh[O] ⃗+ Ṙ[N]]] ⃗+

Am[eh d [[Ȯ[N] ⃗+ Ȧ[Ȯ[1] c ⃗+ Ȯ[x]] + [[eȲ-d] ⃗+ O[m] ⃗+ [ey-n] ⃗+ Ȯ [m-ey[N] +

[N[x]-ey d ⃗+ eȲ-O] + [Ad ⃗+ [[ey-O[ey-n][1] + me] [Ȧ-c] ⃗+ Ad[n]] c Å[m̄ d]

⃗+ me[x] d ⃗+ [ey-O[ey-n[x]] d ⃗+ ~~N[x]~~ N-Ȧ]] + [Ȧ o] ⃗+ [x]] ⃗+ [ey-N Ȧ ⃗+ [N d Ȧ eh[o]]

⃗+ Ȧe[n] d ⃗+ [ȦQ] + [A d ⃗+ m̄ [m̄ B e d Ȧa [d ⃗+ e YN]] ⃗+ Ȧa o] ⃗+ [Be] d ⃗+ [N m̄ [O]] +

[Ȯ[x] -[n] ⃗+ Ȯ [d][x]] c Å[d] ⃗+ Ȯ[x]] + p[Ȧ d Å ⃗+ Å[x] d ⃗+ [n-p[] ⃗+ [Ȯ[n]] +

[Ȧmod Åe] [Ȧd/Ȧx] ⃗+ Ȧe[-d] [[Ȧme) + ~~Id m~~ Ȧme -m [eyNd [T-O]] ⃗+ [A m̄] ⃗+ [Ad] ⃗+

[eh[o] - Eₚ] + [ȦE d ⃗+ p[⃗+ [Å[ph[N] d O[x] ⃗+ Ȧe[n]]] ⃗+ [Åe[x] Ȧd p[⃗+ Eₚ]

[Ȧ[ȯ] m̄ eh[N] ⃗+ d Ȯ[x]] Ȧd + p[⃗+ E ⃗+ Ā m̄ ⃗+ [eh[O][x]] ⃗+ [E e m̄] ⃗+ [Ȧd], e d[n]

⃗+ [Ȧe[x]] ⃗+ [ȦE] + [Ȧd] [⃗+ [Ȧ-med] ⃗+ [eh[N] d O] ⃗+ [Ȧd [ȯ ⃗+ o[x]] + ey[N] d

E Ȧ ⃗+ eh[N] O ⃗+ p[[e[e] -n] ⃗+ [Ȧ [me] ⃗+ p[⃗+ Ȯ[x] d [eyN]] + [Ȧd] ⃗+ [A d me]] +

[Ȧd ⃗+ O[x] m ⃗+ [n]] + [eyN] d ₚ [~~m~~ ⃗+ BeO m ⃗+ Eₑ[x]] + [A d m̄ [n] [Åe d m ⃗+ e[e] ⃗+

eh[N] d] [+ey-n] d [m] + Ȧ ⃗+] + Å[d m eY[n]] + [eY[N] d [Ȧ [o] eh[N d o]] + m̄ ⃗+ eh[n]

d [ȯ[x]] + [Å[d] ⃗+ [e[x]]] + eYN] d ⃗+ Å Ȧe c ⃗+ e[x] ⃗+ eY[N] + [eY[N] d ⃗+ Å [e[e]]

[Td[n] p[⃗+ Ā [Ȧ-d ⃗+ [Ae[x]] d ⃗+ Ȧ ⃗+ T[m]] + [A m e[+ d] Ȧ ⃗+ O[x]] [Ȧd] ⃗+ Ȧme + Ȧ]

[eh[n] d Ȧe - Q[eh[m-d]] ⃗+ [N d Åe] ⃗+ [Ȧd eh[n] ⃗+ O] ⃗+ [e[eh[N] d] ⃗+ Ad] ⃗+ [Ȧ[ȯ] m]

⃗+ Be-O[eh[n]] + [Be + Ȧ[ȯ] c eh-Be[O][x]] ⃗+ Ȧd] ⃗+ [Ȧ-Pd[n]] ⃗+ Be[eh[n] O] + [eȳ -O] +

[e + Ad ⃗+ ey -o] ⃗+ A mₑ[⃗+ e ⃗+ Be] + [Ȧd] ⃗+ ~~AA~~ [Am [Eₚ]] + c ⃗+ [A ⃗+ [c]] ⃗+ [A m [d]] ⃗+

[M[3]] ⃗+ E] + O Ṙ A Ṙ[x] A [[E [B] A [c]] ⃗+ [[n] ⃗+ R[x-2]]] + [Ȧd] + [Ȧ me] ⃗+ Ȯ[x]

Ȧ ⃗+ Ȯ[x] ⃗+ O[x]] ⃗+ [eh[n] d o] ⃗+ [Ȧd] [Ȧ-c]] ⃗+ Be eh[n][x] d] + [Ȧd] ⃗+ eh[n] d o] + c

[m̄ eh[n]] m d c eh[n]] ⃗+ [Ad[e]] ⃗+ e[-Ȧ + d] ⃗+ Ȧd ⃗+ [Å] ⃗+ [[ey-O m[d]] + [Ȧme -d] ⃗+

[me Ȧm -A] ⃗+ Ad] ⃗+ Ame[⃗+ [Ȧd c Ȧd] ⃗+ Ȧd] ⃗+ [[eh[O] [n-d] ⃗+ Ad] c ~~Ah~~ O [d]]

eh[n] d O[x]] + Ȧd] ⃗+ [Ae-[n] d] ⃗+ [Ȧ-Be[x]] ⃗+ [me[]] d ⃗+ m ⃗+ A] [ey-n] + A

ȦdI+[P Ẏ+d-o][[Pyc∩][2] d] ∓ Ȧ-me-d[2]) ∓ (mP A m A]] + Pẏ-o[o]+

[Pyc∩][3]ō() + [Ȧ-mP-d[3]] ∓ [mP Ȧ m A] + [[Ȧ-mP×o] d ∓ Pyc∩][2]] +

[Ȧdmp[∓ d[x-n] c A [+T[7] Ad] ∓ (Ame] ∓ Å [[n] d ∓ Ȯ[x]] + Ad m̄ o] ∓ O[7]

+p[∓ A[d]] + [Ad m̈ d ∓ Ȯ[2]] [Ȧ ∓ mP [Pyc∩][3] d [n]] m̄ p[∓ [med[7] Am

A ∓ p[] + [[Ad ∓ Å[c ∓ [n] d Ā]] [+d ∓ T[o] + pd] ∓ ȦP[x] ∓ Ȧo ∓ [d] ∓ O[n] d m ∓ Ȧ][x]

([Ph[n]] d ∓ [n] m [A m -p[]] ∓ [Å] ∓ [P + A m p] + d r +] + [ÅP] Ph[n] o c Ȧ[o] d ∓

c ∓ Ȧ[n]] + P+ A m p] + d c ∓ Å Ā [d ∓ A[ō] ∓ [E P [Ph[n] [Ph[n]₂]] + (O[7] + O

c Ȧ [P ẏ - d ∓ o] c Ph d A [Ȧ - c ∓ P ẏ - o]] + [Ȧ - P d] ∓ [P ẏ - o d] ∓ [A m + c] ∓ Ph[n]

d O] + [[Ad ∓ P[x][n] Ȧ - d]] + p[∓ E P [Ph[N] d O[x]]] + [T[o]] c Å] + Pyc∩] d Am

+ Pyc ḋ - o m[n]] c [Ad]] + [Ph[N] d Å] c Py [ḋ] O] ∓ [ȦP[n]]] + ~~Ȧ~~ c ~~Ȯ + A[me]~~ Å

c Ȯ - Ad me - p[∓ Ad[2]] ∓ O[2]] c] ∓ [Ȯ[x]] c Ȧ P[n] ∓ ~~Py~~ (P ẏ d] + [Ȧd] ∓ Ȯ[2]] +

[Ad[n] d Å] + Ad ∓ Ȯ[x]] [Py - N d p[∓ A ∓ T[7]] [n] ∓ [7]] + [N Ȧ ∓ m[d Å[x]]

[P + Ao]] m P[n] Ph[n] d O[x]] + ÅP[n] [A o] ∓ m −ᵈ m [T[o] d [[n[1] [n[2]] ∓ m̄ Ph

Py[n][x]] ∓ [d] ∓ [A[o] m̄] + P A d [[n][x] d ∓ N] d ∓ Ȯ[x]] c ∓ [P[n]] + P[P][x]

A c m p] + c] ∓ P[7]] ∓ [[n1] ∓ n[2]] Ph[n] d (n[x]] + n[2]] d ∓ Ȧ[ȯ] m̄ Ph (Py - n ∓ P]

[[ÅP[n] d ∓ Ȧ ∓ [n]][x] c ȦP[x] - d][x]] + [P + Ad]] m̄ [n]] d [ḋ] m ∓ Py - n] ∓ [2]] + Ȧ[]

Ph[n] d + d r ∓ Py[n] d ∓ N p[∓ ÅP] + [N d p[∓ P[x]] ∓ [Ph[n][x] A ∓ E] + [A m d]

(Py d m p Ph[o]]p + [ȦP + Ad ∓ Py ∓ o] ∓ P[2-n]] + [P - Ad] + A m̄ [Ph[n]] d O c Ao] + T[1] Ā

∓ Ȧ - p] d ∓ (c d r - p Ȧ] ∓ (A d] ∓ ~~AP~~ ȦP - d] + A m̄ Py Ph[n] c [ḋ] ∓ Ȧd] ∓ [A me]

∓ Ph[n] d o + c Ph ȦP] ∓ ȦP[2] c ÅP] + [Ȧ[ō] m d] ∓ Ȧ d] + (Ad ∓ Ph[n] d O] + Ȧ - d

d - Ad p[] ∓ [Ȧ p[-d]] ∓ m P Ȧ] ∓ [Ad + [7]] ∓ Å c Ȧ ∓ Ph[n] d o]] + [P + Ao] ∓ [c] ∓ ȯ[7]

O[2]] [n - 7] ∓ n - 2] + ~~P +~~ [Ȧ - P d] [∓] ȦP d c ∓ [P[1][n1] + P[2][n2]] Ȧ] + Ȧd ∓ A m e]

Å] ∓ An + Ad p[] ∓ ~~A~~ [Ȧd + [7] Ȧ] ∓ [ȦP[n] d] c Ȧd] ∓ [d] 5 + p Ȧ] + Ad ∓ ~~EP~~ Ph[n] d

[c] ∓ O[n - o]] d [P y - O d ∓ T[o]][x] d [n[1] - 2 A [x] P y - N ḋ] + [P[2]] A m p[- d ∓ p Ȧ d

∓ Ph[o]] + A [Py[n] d]] ∓ [A m e + Ȧd] ∓ [m P [P V N ḋ] ∓ [[O d ∓ N m̄] c @ A[o]] Ȧ ∓ B P] c Å]

[[Ȧ-pl +⃗ P[1]]c[[Ȧ-pl +⃗ P[1]][2]]](c+d] +⃗ Ph[n]d A]+[A-pl[d] +⃗ Apl +⃗]+

[Ȯ-Ȧpl-d +⃗ [O[2]]c +⃗]+[Å[d +⃗ Ph[n]d O]]+[Ad-Amp-d] +⃗ [Ad +⃗] +⃗ A])

[Ȧd+T[2]Ȧ] +⃗ (Pȳ d Ȧ a] +⃗ (Ȧd+Amp) +⃗ Ad +⃗ mp] +⃗ [Nd mp] +⃗ [A-pl-d] +⃗ (O[+⃗

(A,l] +⃗ [Ȧ-d] +⃗ [Ph[n]d O]+[Ȧd] +⃗ [Ȧ[Ȯ]m d[c] +⃗ [m̄ d +⃗ A[Ȯ][2] m +⃗ A[O][1]]c Ph[n]

+⃗ Ph[n]d O]+Ad +⃗ [Ȧ[Ȯ][x]m d] +⃗ [Ph[n] O[x]]+Ȧd m d+c] +⃗ Ȧd] +⃗ (Amp d] +⃗ Ph

,d O[x]] Ad +⃗ [Ph[n]d +⃗ O[n]]]+[A-mp[x-n]] +⃗ [Ȧd Py[n]d mp]+[Adpl] +⃗ [Amp-d]

[Ȧ +⃗ mp d pl] +⃗ Ȧd+Ȧ-c] ~~d+~~ +Ȧd +⃗ Ph[n]d O] +⃗ Ȧd+Apl d +⃗ [Py-[N]A d +⃗ (Py[n]-d]]+

[Py[N]d +⃗ [Pȳ-O][[d +⃗ Py[n]] +⃗ Ȧ]]]+[Ȧ-c[Ȯ +⃗ Ȯ[2][n]d]m +⃗] +⃗ Å]+

[Ȧ Y[N]]d +⃗ Ȧm]+[pl+c] +⃗ [Ȯ[x]]+[[Ȧ-me]d pl +⃗ Ȯ[x+]]c Ph[n]d O]+[Ȧ]

[Ȧd +⃗ P[2]d +⃗ Ȧ[n]] +⃗ [[Ad[pl]+A[d]-Apl]]c[Py[N]] +⃗ A m̄[c-c] +⃗ O[x]] +⃗ [[n][1] +⃗

n[2]] +⃗ [Ph[n]+ N̊[d] +⃗ Ph[O]]]c[Ȧ a[m̄]][d] +⃗ Å]+[A[d]+T[pl]-d]]+[[T[n] Ȧ-d]]+

[ȦP[n]]+[Ȧd+T[1]Ȧ]+[T[1]Ȧ-d] +⃗ [m̄[d]-Ȧ]+[[A[c] +⃗ [x-n]Ȯ] $\overset{c}{\underset{m,d}{\vec{+}}}$ [Ph[n]d O]]+[A-d

Ph[n]d-c]+T[1]Ȧ]] +⃗ [Ȧd ċ O] +⃗ Ȧmp-d] +⃗ [Ȧmp[2]] +⃗ [Ad c +⃗ Ad] +⃗ [Ph[n]d O

+[Ȧ-pl-d] +⃗ [Ȧ-d[pl][2]] +⃗ [Ȧ[d-]d+[c]d[2]]+[Ȧpl+d-d]c[Ph[d] +⃗ O] +⃗ Ȧm̄[d]Ph[n]

d+d-]Py[n]]+[Ad+c]Ȧ[d +⃗ Ph[n]ᵈO]+[[Ȧ[d]]c[Ȯ]]+[[[Ȧ[d]] +⃗ [[x]-n]d

O]+[A[Ph[n]d +⃗ Ȯ[1] +⃗ O[x]]]c Å] +⃗ [Ȧd[c-d]] +⃗ [Ad +⃗ [Ph[n]d O[Ȯ[N]]d +⃗ O[x]]

[Ad[PYN d Å c +⃗ AP~~n~~-[n][mpl[Ph]]]+ Ad-[c] +⃗ Å[mpd] +⃗ [AP-Py[n]]+[Nd O[x]]

d-meȦ +⃗ [n]]+[[x-n]Ȧ[2]]]d +⃗ A[c] +⃗ ȦP-[Ph[n]]]+[T[n]d pl +⃗ [Ȯ[x]+Ȯ[2]] +⃗ [T[n] Ȧ]-d[2]]+

[Ȧa]+Å[d +⃗ A[Pȳ-O d]+]+[Å[ȦP-Ad]] +⃗ [Py[n]d +⃗ O pl +⃗ AP[2]]]+[A-P[d]+

[Ad +⃗ O]+Ȧ +⃗ [n]d+c +⃗ O[x]+meȦ]+[Ȧ[d]+c +⃗ [Ȯ][x]]d +⃗ [Ȯ[x][2]]]+[Ȧ-me-d +⃗

O[x]]+[Ȧd +⃗ [Py-O[d +⃗ Pȳ[d]-O[2]]+Ȧd +⃗ O[2]]c +⃗ [Pȳ-O][3]] +⃗ [Ȧd +⃗ O[2]]c +⃗

[Pȳ-d O[+]] +[Ȯ[N]-[A-Ȧ]]+[ȦP[n]]+[[T[1]-Ȧd]+[Ph[n]d O c Ȧ[A]][T[1]]A]+[pl-d Ȧ]]c

[Py[n]d A[m̄]] +⃗ [Ph/Py][n]]+ᶜȦ[[Ȧd +⃗ Ȯ-[n]Ȧ +⃗ Å] +⃗ Ȯ[c] +⃗][Ȧ[Ȯ]c O[m]] +⃗ [Py[d]-O]]

[+ȦP[n]][1] Ad Å+c +⃗ AP[x][N][x]]d +⃗ [Py[n]]]+ Ad+Ȧ[P Ȧ-c Å[O[x]+Nd meO[x]

[Phcn] d→[Ȧ→[evcn]+ȯcn] → Pcx]+(Ȧ-mp) d → Acin-pv]d]+c] → Å +[Pycn] d [m̄cin]]
[Ȧ-cdr]+pl-d] → (ȧpl c ȧd) +[Ȧcdr]] → Acd-c] → (Ȧ-Pcd]) → [[xcN]] Ȧ +[mp]]+[Ȧ-pl d
d] → [Ȧp-dcn]] → [Phcn] cȦ-p] d] → [Ȧ-c]cx]+Ȧd) →] + [xcN]+Ȧmp]] +[Ȧ-pl+d] → ȯ → ȯcd
→[Ȧp-d]] → [Ȧd+pl cd] → ȯcn]] (Ȧd)+Ȧmp] → [[Phcn]+xcn]d]-mp]Ȧ] +[Ȧd cpl] → Ȧd
~~Ȧm~~] [Ȧmpcx2] ȯcx2]) → [Ȧ-mpcd]] → [Phcn] d Ocd] Ȧ+c] +(Ȧ cȯ] m ḋ] c Ȧ cQ] →
[Phcn] d 0] → [Ȧd $\frac{d}{}$ Ȧd] → [Phcn] 0] +[Ȧd c Phcn-pl → ozm] d]] → Ȧ[ȯ] c] → Ȧd+Ȧmp
[Phcn] Ocx1] → Ȧd-c] → [Phcn] d 0] + [[Tco] d cTcn]] → Tcn] Ȧ]] +[(Ȧd] Phcn] d
Å [Ȧ → (Ȧ cȯ]] mcn] ȯcx]] +(Ȧd] → [Pycn] d Oim] cn] d → Å] d → [Py-0] → Ȧd → Pcn]
Ȧdcx] m̄ m̄] → m̄ [Å → [d → Ȧ cȦmpl] d] → c → [Phcn] 0 Ȧ → Pycn] d → Ȧp+Pȳ-0] cÅ]
[Ȧd → Ȧp ≠ pl Ȧ → pl cx] d → Phcn] d 0]] [Phcn] d O cd] → Ȧp] cn] cÅ] +[Ȧd] → Å] + [Ȧd]
m̄ (Pycn] d 0] +[Ȧd+Ȧd] → (Ȧmp +Ȧcx-n]) + [Ȧ c] → d] → (Ȧpcx]) + [Ȧd] pl c Ȧy d]]
→ (Ȧ-pl d] → (Ȧd) → [Phcn d O c Pn]] +[[Ȧp+Ȧd[Ȧ-n] → Ȧpcx]] +[Ȧb pl → Tcn]]]+
[[Ȧ P cd]] c ḋ] → Pycn]] +[[cd] → [m]] cn] cn] 0 l-[pl+m]] [ȯ cm. cd] →]+] + Ȧ cmp] c
Ȧ cd]-n] → [m̄] + [Å] + [Ȧd → Å] → [m̄ → cn]-Ȧ cd]] c Ȧ cQ] d → d Å c Nd ocx] m Phcn] d
Ȧcx]+] + ȯcx] d → Ȧd → ~~Ocx-2]~~ [Ocx] cx]] c → [[Ȧd] → [Pȳ-cd] → cȯ]cx] m̄ → ȯcd
d → cPycn] → Ȧ m̄ → ȯcx]] → Ȧ cmp] → Ȧpl → Ȧ cd] → [m̄ → Å] +[[O cx] cd] → [Pycn]]
[[cPhcn] - c1]] d → pl]+cdr]]-Ȧ] +[[d]cx]] → [Ȧcȯ] cn] Ȧ → ȯcx) + pl cd]]-Ȧ → Phcn] c1]]

Ȧd → [Pcn] m̄ cd] → pl] + Pcr ycn] d c m̄s-d-mpd → Ȧd] → Phcn] d 0 [Ȧ-E] cx] +Pycn] +
Tcn] d Tco] pl → [mp] → (Py-0] c → Ȧd → Ȧpcx] m̄ [Ȧm-pl]] → [Ȧ c] → BP co] → [n] cx]
→ Pcn]]] cȦ → [Tco] d → Ȧp+Ȧmpl → Phcn]+c] d 0] → [Ȧmpl- Ȧmpl] → cP+Ȧd →
pl → [Ȧ c cn]] +[cd] → cm̄e-d] → [pl c → ȯcx]] +[[c]]Ȧ] m d] → [[n]] d] ȯ c ȯ] cx]] +[Ȧm̄] c Ȧ cQ]
→ Ȧ cPhcn]-d] → [Ȧ c]-d]] → Phcn] d O] c Å cx] + c [d] cx] → Ȧd → pl → [cmp cx] d
→ Phcn] cn] d Ocx] +[Ȧ c] Ph cd]]] +[Ȧd+Ȧ cmp]] +[Ȧ → ȯcx] pl cd]] cn] → Ȧ cd] m̄d
→ ȯcn] → (Ȧ c]-d]) → [Ȧ cȯ] m-d]] → [[Phcn] d 0] cn] → [[Py → cȯ]-0] c [Ȧd]] → pl-d] →
[Phcn] d Ocn] + [Ȧd-pl]] → [Ȧ cȯ]] m ḋ] → Phcn] d Oc] +[Ȧ cȯ] d m] +Ȧ d] To d Ȧ]

Ȧd →+ [Ep[o] Ȧ + in]] d Å [ph[o] Ȧ →+ [E]] →+ [Ȧ [c] - d] →+ [ph[n] d →+ O [Bp - Ȧ]] →+ Ȧd →+ [O[x] c] →+ ph[n]

d [Bp Ȧ] + [Ȧ[m] d →+ Ȧ [py - n] d →+ Ȧ [ò]] + [T[n] Ȧ] →+ [Ȧd [c] - d] →+ [Ȧ [ò] - ph[m]] + [Ȧd] →+ [n] d →+ p

[→+ [ph[n] d O [Ȧ - p[Bp]]] c Ȧ [d] - [Ȧ [A] [m →+ [n]] + c →+ [O [x] →+ [n]]] (d] →+ py[n]

→+ [p̊y - o]] + [[py [d] in] →+ O c Ȧ [a]] + [Ȧp + Ȧd →+ [p[a]] →+ Bp[o] →+ Ȧ [ò] [m]]

[Ȧ [me] [d] →+ Ȧp [p̊y - o] d →+ [p [a] - [n]] →+ [ph[n] d →+ Bp [ph - o] Ȧ]] + [d] →+ py[n] d [in] →+

Ȧ [ò] + Ȧ me [a]] + [Å [m [d]]] + [Å [o] →+ [n] →+ [O [x]] c →+ [n] [x]] →+ mp →+ Ȧ mp [ph/p]]

[T[n] p] →+ Å] [d] →+ Ȧp [m - n] + [c] →+ [n] [a] d →+ Ȧp [a]] + [Ȧp [x] →+ py[n] d →+ ph[n]] Ȧ [d] +

[n] - c]] + [p [py - ph] [n]] + [Ȧp [n] [d] →+ O [x]] + [Ȧp [d] [x] →+ p [a]] c Å] →+ [Ȧd [m] [n]

py[n] →+ [p̊y [d] o]] + [m py [d] p] →+ p̊y [d] o] + [[T [n] Ȧ]] [m [d]] + [py[n] d [in]

[py[n] d →+ [o] →+ Ȧm →+ Ȧp [a]] →+ [d] Ȧp →+ Ȧmp] →+ [p̊y d o]] + [mp Ȧ] +

[N] d O m →+ mp →+ [m] c [n]] + [Å [a] d →+ m̄ →+ [Ā]] + Å [3] d →+ m̄ ph[n] + p

[Å [3]] [py[n] m d →+ Å [+]] + Å [3] [py - o] + Å [+] [ph [o]] + [Ȧ [d] →+ py - o

d] + ph[n] d m] < [Ȧ [a] x [a] [x - n] Ȧ] + [Ȧd] + Ȧmp c Ȧ a →+] - Ȧmp

→+ Å [ph[n] d O [Ȧ - E]] + [Ȧd + Ȧmp] + [m̄ - Ȧ] [d] →+ ph[n] d Ȧp [c]

[d] →+ [ph [o] - Ȧ + Ȧ [c]] →+ [Ȧ [ò] Ȧm [d]] →+ Ȧ [ò] [a]]] →+ [Ȧd + p [c]] + Ȧd] →+

ph[n] d O [Bp - Ȧ] →+ Ȧ [c] - d] + Ȧme + Ȧd] →+ [Ȧp [Ȧ - c d]] →+ ph[n] d o c

[Ȧ - Bp] + [Ȧd →+ p] →+ T[n] Ȧ + d] →+ [Ȧ [ò] m̄ c Ȧ [A] d →+ T [n] Ȧ] →+ Ȧp [c d]

→+ Ȧd →+ [n - o]] + [Ȧd + Ȧmp] →+ [Ȧ [ò]] c d →+ ph [n] d O] - Ȧ [Ȧ →+ ph[n] - o [x]

[Ȧ [d] m →+ n] →+ [Ȧp [c] d] [n] - o c →+ ph [n - o [Bp - Ȧ]] + [Ȧmp] + [o] d [Ȧp]

Ȧmp + Ȧd] + Ȧmp d →+ [Ȧ [ò] m d] →+ ph[m] d →+ Ȧ [ò] [a]] + p [c d] Ȧ →+ Ȧ [ò] [m]

[O [x - n] Ȧ] + [x] c →+ [N - Ȧ [ò]] + [O [n]] c Å [c] [a] Ȧ →+ [n] [a] Ȧ]

→+ ph [e] [n]] →+ [ph[n] d o] →+ Ȧd p] →+ Ȧ [o - ò] d p] →+ N] Ȧ →+ [Ȧp] [n - Ȧ]]

[N - [n]] [O [N] Ȧ →+ O] + [Ȧ - c] →+ ò - o]] c →+ Ȧ →+ (n [x]] Ȧ - n]

n x] →+ Ȧd] mp]

[n] [O [x - n]] Ȧ]

Ȧd →+ Ȧ - p [c

Ȧ →+ [in] Ȧ

[Ȧ →+ Bp] c [d [

Ȧ →+ O [x] c [c Ȧ

d] →+ Ȧme] m

Ȧ] + [x - n] - [

c p] →+ ph[n]

Ȧ →+ [[N[x]

d [py[n] c Ȧ

Ȧ →+ Ȧ - n

+ Ȧd + Ȧme]

+ Ȧ [n] [

+ [Ȧ [d] + [ò - N

[Ȧ - n] - Ȧ [

Ȧ [d] + mp Ȧ

[n [Ȧ] c →+ c

[Ȧ [d] + m̄p]

[n [a] c o →+

[ph / py - m̄]

[n [a]] Ȧ

[d] →+ Ȧp [a]

[Ȧ →+ [n [a]

[c] O [x] →+

ΛX](Àd] mA]] c[d] ± (Ph[Λ] d O[x]] O] (À m̄] Ph[Λ] [2]] (À] ± Ampt [x] c Ph[Λ]]

[-Λ] O[x-Λ]] À] À-c] [[N[2] c ± O[x] ± (N[3] À ± O[ɪ]] + [x-Λ] À ± O ± N]] —

[-Λ] O[x-Λ]] À] À-c]] [N[2] c ± Ò[x] ± (N[3] À ± Ò[ɪ]]

Àd ± (À-pl c [d] ± (ÀP[2]] d [Λ-O] c [d]] ± [[Àd + Ampl + À[O] md]] ± Ph[À[O]

Àd ± (À-pl c[d] ± (Λ[N] À ± (Λ[ɪ]] ± [(O[ɪ] À ± (O[Λ] ± O[x c ± Λ]]

À ± [ɪΛ] Λ ± (N ~ O c ± À ± (Λ[N] À ± (Λ[ɪ]] + [(Ò[ɪ] À ± (O[Λ] ± Ò[x c ± Λ]] —

[À ± OP] c [d[Å [Ph[O]] + (Àd] ± Ph[O] ± À[N] À-Ph[O] d ± Amp c À[Am À[O]

À ± O[x(c ± Å [N] À] ± [À-Λ ± Λ (Λ[À] ± N c O + À[N] c ± (O[x] -(N)] (c ± Ò[Λ]] —

(d] ± (Amp] m (pl-[d]] - À] ± (PY[Λ] d À ± Q] ± Å] ± (À ± P[d] + Ampl + [d

À] + [x-Λ] - [x] c (N ± (Λ-N] [ɪ]] ± [À-Λ] Ò c À ± Å]] ± [(Λ[ɪ] À ± N - c ± —

c pl ± (Ph[Λ] + Ad ± Å [À ± (N] d ± O[x] c Λ] ± md] ± PY[Λ] c O + T[O]

À ± ((N] at À ± Å [(Λ[ɪ] + Λ[d] c À ± Λ(] ± (N] - À Λ c O] [± [x-Λ O]

d PY[Λ] c À ± (Ph[Λ] ± Ad ± (À[N] Ph[Λ] c O] + [Λ] - Ò [d] m̄ Ph/PY Λ ± Á P[x]

À ± À > Π c (N - À] + À ± ÀN] (O + ɪ - Ò c ± À ± Λ[d] ± ÀN + Λ]

+ Àd + Ampl ± À mid, Ph[O]] + (Àd + Ampl d ± Ph[Λ] do c À ± P, d ɪ] + À ± P[d]

+ À[Λ] (c ± O[x] ± (Λ] Àd] + [À[N] (O Å] ± (N] ± (Λ]]] ± (Λ[ɪ]]

+ [À[d] + [Ò-N] + T[x] À]] + (À[c + mpl ± ÀN] ± (ÀP[Λ]] + [À[d] m̄ PY (Ph[Λ] ± AP]

[À-Λ] - À ± N[O][x] ± Λ] [x] - O[N] + (ÀN] [c ± [À[Λ]] + [Λ[ɪ] c ± [Λ[2] + (N - À]]

À[d] + mp À] ± Ph[N] d À[Ò] c [d] ± Ph[Ò]] + [À[d] ± Ph[N] ÀP[Λ] + pl ± mp ÀP]

[Λ[À] c ± O ± [N] + (À[O] (À ± Ò ± Λ]] + [N[À ± Λ[x] c ÀN ± (Λ[2]] À]]

(À[d] + m̄pl ± O[x]]] + [À m̄ + Ò - [O[c] pl[ɪ] ± pl[ɪ] À]] + Ampl + [À ± pl] [O]]

[Λ[ɪ]] c O ± [Λ[x] À]] + [Λ[x] - N[ɪ] c (N[Λ] À ± Λ[2]] + [À[c] ± N[O] ± Ò[Λ]]

(Ph / PY m̄ [À[À] ± Ph[N] d ÀP] + [À[d] - (Λ-O] À ± ÀP]] + (O d] ± PY[O]] c ± [Λ]

[Λ[ɪ]] À ± [Λ[x] - N[À] c ± [Λ[2] ± Λ[2] N - À - Λ] À]]] + [Λ[2] À ± Λ[2] ± Λ[ɪ]] ±

(d] ± AP[Λ]] (Λ-O] ± [(À ± P[x] d] + P[3] À + Àd]]] + A[d] ± Å [PY[N] d]] + (P Y[d] À

[À ± [Λ[2]] c ± O] + [Λ[ɪ]] À ± Λ[x] + [x-Λ] [À-N] À ± (À-Λ] c Å [O[x]] + [À-Λ[Λ[2]]

[c] O[x] ± Λ] + Ad[À] ± m̄ PY / Ph[Λ]] ± ÀP[x] Ad ± m̄ m] ± ÀP

Adimpl[c] ÷ Ph[N][2] ÷ [a] +[ph[N] d[A[m] Ȯ[pl]] + [mp-A[P[x]] + ṗy[d] ÷ ph[Ȧ] mcd]] ÷ Ȧc2]

[Ȧ[c]] ÷ ȯ[x] Ȧ[N][c[n] +[n[2] [Ā[x-n]][c][1-[a]]] + [ȯ - ȯ[N] Ȧ ÷ [n[x]][ȯ] n[Ȧ]c ÷ Ȧ[c]]

]Ȧ[mp] - p[2]][m] + [c]] d Ȧ[A]][m[2] - Ȧ ÷ Ph[O]] + [ȯ - ȯ]][c] A[d] ÷ AP[c]] +

[[N[O] + [x] - [n] c ÷ ȯ ÷ [n] ÷ [n] ÷ [2] +[n]] Ȧ + [c][n[2] - Ȧ]][ȯ] ÷][n[x]] - [n - ȯ]] +

]Ȧ ÷ P[d]] ÷ Ampl + T[2]Ȧ] + [pl - Ā]] + [pl[d] ÷ ȯ][c] d] ÷ Ȧ ÷ P[n - ȯ] d ÷ ȦP[mp

[[n[2] + [n[x] Ā] ÷ [x - n] - [2] c ÷ N][Ȧ] + [x] - [Ȧ[2] Ȧ]] + [n[2] Ȧ - c ÷ Ȧ - N]]

Ph[N]d[Å] + A[d] - [n][ȯ]] ÷ [Ȧ[ȯ]mp] m [d][A]].[-Ȧ]] +[mp - Ȧ] ÷ [x]

[Å[Ȧ - N][c][O[x]] ÷ N[c] - Ȧ[ȯ] - [Ȧ[x]] ÷ [n[2] c ÷ n[x]] +[x - n][c] Ȯ[2]]

Ph[N]d[O[x]]] +[Ȧmpl[c]] ÷ Ȯ[2]] A[d] +[Ȯ[2]]c ÷ [py[d]][c]p] ÷ [N]] d Ȧ[n]

[N[c]] Ȧ ÷ [n][x] [x - n[ȯ]][c] [Ȧ - [n]] Ȧ ÷ [Ȧ - [n][2]]c ÷ [[ȯ - ȯ] [Ȧ] ÷ [Ȧ - n][ȯ]

]Ȧ - [c] d] ÷ [ph[N] d[Ȧ][c] ÷ ȯ[d]] +[[Ȧ ÷ P[n]][d]][ȯ] + [[py[N] - A[d] + [T[2]Ȧ]]

Ȧ - [c]] ÷ [[n[2] Ȧ - n[ȯ]] - Ȧ ÷ N[Ȧ] ÷ n[x]] + [n[2] Ȧ ÷ [n[x]]][ȯ] + [n[c] Ȧ - n[c] Ȧ ÷ Ȯ[x]] ÷ n[x]

ȦP[x]d ÷ Å] ÷ [Ȧ ÷ P[d]] + [T[2]Ȧ]] + A[d] [m] ÷ [mp]d - ȯ] ÷ n] c Å[py[N]d]] ÷[Ȧ ÷ P[x]]

[Ā[Ȧ ÷ [n[x]]] + [[Ā ÷ [n]] [x - n] [c] ÷ ȯ ÷ [n]Ȧ] ÷ Ȧ[Ȧ - n] Å[c ÷ [n[c] ÷ Ȧ]] + [[n[x]]

[Ȧ - N][ȯp]] + A[d][c] ÷ [d]] + [[d]][c] d]Ȧ]] +[[ȯ][2] + [O[x]][Ȧ - [mp]d][c] A[d]mp

[[O[ȯ][2]] ÷ [Ȧ ÷ [N[O] c ÷ O[x]] ÷ Ȧ[c] - ȯ]] + [(O + [x - n]] Ȧ ÷ [n[c] ÷ [N[c] - Ȧ

÷ mp ÷ O[x]][Ȧ] + [Ȯ[2]] + A[d]c ÷ [Ȧmp + Ȧ[d]] ÷ Ph[N]do [BP[Ȧ]] + [Ȧmp + Ȧ[d]]

[n[x]]]c ÷ O[N]Ȧ(+[Ȧ - N][ȯ] + Ā - [c] [[x - n[c] Ȯ[2] ÷ [N[n]Ȧ ÷ O[2]] + [Ȯ[2] + [2]Ȧ]

Ph[O][c] - [d] ÷ [m + T[2][d] Ph[Ȧ]] c[d][2] ÷ [O[2]] +[Ȧ[ȯ] - Ph[N]] +[pl[d]

[N[O]][c] ÷ Ȧ] ÷ [Ȧ[ȯ] ÷ [N][x - n[c] Ȧ ÷ [x][2]] [O[2]] ÷ [Ȧ[ȯ][N]Ȧ] [Ȧ - [c]]

ȦN][c] (Ph[O][x]] +[Ȧ[d]] ÷ Ȧ ÷ P[d] Ph[N]]] +[T[2][m][d]Ȧ]] ÷ [ȯ - ȯ] T[pl ÷ [d] A]

[ȦN[c]] ÷ N[ȯ][x]] +[[n[2] ÷ [n[Ȧ]] [ȯ]]]] +[x - n][n[c] Ȧ]]] [[n[c] - Ȧ] + x - n]Ȧ]

[ȦP[n]] + Ampl + [pl[d] ÷ O][c]Ȧ]] ÷ Ȧ[d] Ph[O]] +[mp[ȯ] + [Ȧ[mpl + [d] - A][c] [d]]

[[n[2]][c] Ȯ + N[ȯ]][c] ÷ [O[2]] c ÷ Ȯ[2][x - n]Ȧ]] + [x - n][c][3] + [N[c]] ÷ Ȯ[x]n] [c] Ȧ

Ph[N][c]] [Amp] d] ÷ Ph[N]d Ȧ[ȯ]][c] [d] ÷ Ȧ[ȯ]d[m]] + [T[2]Ȧ]] [c] d[2] ÷ Ȧ[c]

Ȧ Ȧ ÷ [Ȧ[ȯ] - A[Ȧ] ÷ [c] [x - n] = 6

[[A m] = [A – A N – p] ⃗ P', Py]

⟨ȦN [N] [S y]] C [ȦO] [in] O → (N)⟩

[E O C → E P C N E m → (N) → P + (N)] (O [2] + [me]) + Ȧ → Ė (A – A)
[C Q] → m Ė]

[Py – O] + [T S] + Ad + P → A – A(x) +] C → P + Ad [Py – O] → [Ȧ] m]

⟨[A m] → Ad + A R [ȦO] m → [Py – O A – A]] [O + A m] [ȦO] m P' [P]

⟨[A [Ad – Ph] m → A [n] + Ȧ [O]⟩

⟨N (A) + Ad [A – A] ȦO → [A – A] + Q̇ [n → A → O]⟩ +
(Py + O → [A m]]

[Ȧn] C → A → [A [m] → [Py + Ph] – QO [T + n]] → [A – A] → Ȧ + [Py – O]
Ad [T – O [ȦO] / E] m → P' → n ()

⟨[Op] → R C → O [Op 2] + (Ph – [N]⟩ C → A m P | Op – Op + Ȧ [O]
[ȦN] → Op C → Q]⟩ [O [x2] Ȧ [in] + (O [x3] + m As [2]))

⟨Nd A – A (x)] + Py – Ȯ] + [n P] + [n – A] + [N – T ȦE] [Pc Q + Ec P]
+ [Py m O] + A + [Py 2 m] C → [Py in] + [me] C Q → [N] C P⟩

⟨[A m] = (Am [Py] + (m + Ph – A] + [Py + A – Ph] C m [P] + A → [ȦO]
[ȦO] C [Ō m A m] / C → m [P [n] + Ā]⟩

[me] → [O – O] + T] C ~~AE~~ [Ȧme]

⟨[A m/[BP] A [me – O]] C [ȦO m P]⟩

[[N – E] Ad [ȦO] → [Ȧ [x] → E [Ad 2] + → [ȦO] [2] → [Ȧ [Py + Ah] [me]]]

ȦQ] + Ad [P] C → ȦO] (AQ + Ad → [ȦO] → m → Ȧ

[[O] + Ad + [in] + Q [Py] (x2)] → A [x] + [B + O] d] C ȦO [8]]

⟨[Qd [ȦO] m [Ph] A – [in] A [me] → Ȧ [N – E] Ṙ C → [Qd]]⟩

|Ȧ| + Ad + [Ph m Py] + N ȦO/[me] P]

[Ō m e d] + [P + A] O [x] +

TARTAL
Személyi adatok
Összesített naptár 1994. és 199
Előjegyzések
(Munkatársak szabadsága, k
kiállítások stb.)
január, február, március
április, május, június
július, augusztus, szeptem
október, november, decem
Havi előjegyzés
január, február, március
április, május, június
július, augusztus, szepte
október, november, dece
Állami és egyházi ünnepek
néhány országban 1994-ba
Időjárási útmutató
Az SI mértékegységrendszer
Mértékegységek átszámítása
Angolszász mértékegysége
Nemzetközi autójelzések
Magyar és európai autóklubo
Autómentő szolgálat
Taxirendelés és autókölcsön
A Magyar Köztársaság nagy
konzulátusai és kereskede
Hány kilométerre van légvon
(Fővárosok, nagyvárosok)
Helyi időkülönbség
Fontosabb adatok hazánkró
Magyar városok távolsága k
Közérdekű telefonszámok
Belföldi telefonbeszélgetése
Nemzetközi távhívás, körzet
Minisztériumok
Szervezetek, hivatalok, szöv
Hírközlés, rádió, televízió
Biztosítás
Bankok, pénzintézetek, tőzs
Légitársaságok
Orvosi ügyeletek Budapest
Színházak, szabadtéri szín
kulturális intézmények
Budapesti mozik
Üzleti és egyéb tárgyaláso

... [ ] + [Py + Ph] − QO[T + n]]c + (A − A+) A + [Py − O]

Ad[T − O[AO] / E] m → P n → AO ↑]

⟨[Op] → Rc → O[Op2] + ([Ph] − [N])c → Amp| Op − Op + A[O]

+[AN]E Qpc Q⟩[O[x2] + A[in] + (O[x3] + m As[2]))

[WdA m= A(x)] + Py − O] + [nP] + [n − A] + [N − TAE][Pc Q + E N c P]

+[PymO] + A + [Py2m]c → [Py in] + [me]c Q + [N] E c P⟩

⟨[Am] = (Am[Py] + (m + Ph − A] + [Py + A = Ph])c m[P] + A + [AO]

[AO]c [Om A m] / c → m [P[n] + A]⟩

[me] + [O A O] + T]c AE][Ame]

⟨[A m/[80] Ame − O]]c [AOm P]⟩

[[N − E] Ad[AO] + → [A[x] → E[Ad2] + → [AO] + [2] [A[Py + Ah] [me]]]

AQ] + Ad[P] + c AO| AQ + Ad + [AO] + m → A

[[Q] + Ad + [in] + Q[Py](x2) + A[x] + [B + O]d]c AO[8]]

⟨[Qd[AO]m [Ph] A [in] Ame] → A(N − E] Rc → [Qd]⟩

|A| + AO] + [Ph m Py] + N AOC/[me] P]

[Q + [me]d + (P + A] + O[x7] +

[Aw]xc

L ⟨[O Ad[AO − E] m +⟩c [Op] → O[2] +

Ad + (A m/p A] → P + [AOE]

[Op + Ad + [me] + N − O[+AO]c A +] [Ap[m]] A +

O[x] + Ad + → Q + (A m Py]N] P + m [me] AO]⟩

⟨Ep[N] + Ad + [me] Ep[x] m p| + (x) + E[x] P[x])

október, nove
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Mértékegységek át
Angolszász mért
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A Magyar Köztársas
konzulátusai és k
Hány kilométerre va
(Fővárosok, nagy
Helyi időkülönbség
Fontosabb adatok h
Magyar városok táv
Közérdekű telefonsz
Belföldi telefonbesz
Nemzetközi távhívás
Minisztériumok
Szervezetek, hivatal
Hírközlés, rádió, tele
Biztosítás
Bankok, pénzintézete
Légitársaságok
Orvosi ügyeletek Bud
Színházak, szabadtéri
kulturális intézmény
Budapesti mozik
Üzleti és egyéb tárgya
vacsorázóhelyek
Szállodák
Kórházak Budapesten
Naptár

Felhívjuk szíves figyelmüket, h
teljesség igényével készült, ta
március 1-jei állapotokat tükröz
változásokért az Életet terheli

ptiform/4

Személyi adatok/Personal data

év:

$$\left[\begin{matrix}[O_P]\,A_0)[N\,d\,P]\\ \dot{A}_{[0]}R_c[\dot{A}P]\end{matrix}\right] + \left[\begin{matrix}O_{[x]}\\ C\,AP_{[x]}\end{matrix}\right] + \left(\left[\begin{matrix}O_P+Ad\,T_C P + O_{[x]}^{\circ}\\ T_C[x]+[N-E_d+E]+[x]\end{matrix}\right] c \left|\begin{matrix}\mathring{A}\\ Td\end{matrix}\right| \times \left|\begin{matrix}P\\ m\end{matrix}\right|\right) \left[\begin{matrix}A\,\cancel{P7}\;\hat{A}_{[0]}\,BP + \grave{A}P]\\ \ \end{matrix}\right]$$

kcím: ☐☐☐☐ ....

....

lefon: ....

nkahely: ....

nkahely címe: ☐☐☐☐ ....

....

nkahelyi telefon: ....

osítvány száma: ....

okocsi rendszáma: ☐☐☐ – ☐☐☐

ázszám: ....

orszám: ....

galmi eng. sz.: ....

co kötvény sz.:

Fontosabb telefonszámok/Important T

....

....

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....

words

1. Hét * Week * Woche

3 Hétfő Monday Montag

Genovéva, Benjámin

$\langle[O m[Ph]_c Q]\rangle$

$\langle[\dot{A}[\dot{o}]+O+[n]_c\, m]\rangle$

$\langle[\grave{A}O+o]_c\, P[+NA\overset{o}{-}A]\rangle$

06.00 $\langle[E_p+\dot{A}\overset{o}{-}o]+A\rangle_c\rightarrow\acute{A}P\rangle$

06.30 $\langle O_p\xrightarrow[c]{}\dot{A}m\rightarrow N[O-\dot{A}o]]\rangle$

07.00 $\langle[Py\bar{m}]_c\rightarrow\dot{P}[N-Py]\rangle$

07.30 $[Ap|m\rightarrow A]$

08.00 $\langle[N\overset{\rightarrow}{+}\dot{A}o+o]_c\rightarrow A[+\overrightarrow{m}]\rangle$

08.30 $\langle[N-E]+Ad\rangle_c\rightarrow O[\grave{A}o]\rightarrow A-A]$

09.00 $[BP\bar{m}]_c\rightarrow\tilde{A}$

09.30 $[P\hat{y}-AmBP]_c\rightarrow A$

10.00 $\dot{A}o_c\rightarrow O[\dot{A},a]_c\rightarrow\langle\dot{A}O+[in]]\rangle^c\rightarrow\dot{A}Q$

10.30 $[TmQ\rightarrow Pyn]\rightarrow P]$

11.00

11.30

12.00

$$\left[\begin{array}{l} Od[N-E-do][Am\,Py-o]_c\,\mathring{A} \\ {[Ph\,\bar{m}]}\,\overset{+}{m}\,\overset{\rightarrow}{\underset{\leftarrow}{\pm}}\,\mathring{A}]\,A\,\frac{\bar{m}}{\mathring{A}}\,A \end{array}\right]_{[x]}$$

12.30

13.00

13.30

14.00

14.30

15.00

15.30

16.00

16.30

4 Kedd Tuesda Diensta

Titusz, Leor

06.00

06.30

07.00

07.30

08.00

08.30

09.00

09.30

10.00

10.30

11.00

11.30

12.00

12.30

13.00

13.30

14.00

14.30

15.00

15.30

16.00

Opti

Áll

Aus

Belg

Bulg

Cse

Dán

Fin

Fra

Gö

Hol

Íro

Izla

Le

Lie

Lux

Má

Na

Né

No

Ol

Or

Po

6 Csütörtök Thursday Donnerstag

Boldizsár

[illegible]
[illegible]
06.00 [illegible]
06.30
07.00 [illegible]
07.30 [illegible]
08.00 [illegible]
08.30 [illegible]
09.00
09.30 [illegible]
10.00
10.30
11.00
11.30
12.00
12.30
13.00
13.30
14.00
14.30

7 Péntek Friday Freitag

Attila, Ramóna

[illegible]
[illegible]
06.00
06.30
07.00
07.30 [illegible]
08.00
08.30 [illegible]
09.00 [illegible]
09.30
10.00 [illegible]
10.30
11.00
11.30
12.00
12.30
13.00
13.30
14.00
14.30

7 Péntek Friday Freitag

Attila, Ramóna

[illegible]
[illegible]

06.00
06.30
07.00
07.30 [illegible]
08.00 [illegible]
08.30 [illegible]
09.00
09.30 [illegible]
10.00
10.30
11.00
11.30
12.00
12.30
13.00
13.30
14.00
14.30
15.00
15.30

8 Szombat Saturday Samstag

Gyöngyvér

[illegible]

07.00
08.00 [illegible]
09.00
10.00 [illegible]
11.00
12.00 [illegible]
13.00
14.00
15.00 [illegible]
16.00

9 Vasárnap Sunday Sonntag

Marcell

07.00

N network of connections

P person

O object

E environment

pl placement

me metric

$[\dot{A}\text{-}d]$ abstract definer

Q quality

d derived/defined

py psyhical

ph physical

A action

A–A continuous action

$\mathring{A}$ abstract object

c conversion

T time

B body

B-N body of networks

$\dot{A}[x]$ - structural abstractions

[in] - intensity

$P_{[p]}$ - multiple people$[^{[x]}{}_{[x]}]$

[dr] - direction

$[^{T}{}_{[1-3]}m\dot{A}]d$ time modifying abstractions+definer

n - smaller network

$P_{[n]}$ - person's network

$\dot{A}a$ - abstract action

$\bar{m}\bar{m}$ negative cancels negative

$[\bar{m}\,\grave{Ph}\,|\,\bar{PY}]$- negative modifier physical/psyhical.

$\dot{A}[\dot{o}]$ - elements, chemicals, colors, etc.[geological, ENV-processES.

-Three main categories=[ph] [py] [N]-

$[\mathring{B}\text{-}N]$ = Abstract body of networks.

$[\dot{A}[pl]\text{-}d]$= abstraction of placement-definer

$[\dot{O}+\dot{A}[d]]\Rightarrow[O_{[2]}]c$

$[PY]_{[N]}$ = pshyhical network

$[Ph_{[N]}]$ = physical network

$\dot{A}[T_{[1-3]}]$ = time abstractions

$[[Ph_{[N]}]dO_{[d]}[PY_{[N]}]]$ = physical network defined object, negatively defined by the psyhical object

$[\mathring{N}]$: abstract network

$Ph_{[Q]}$ = physical quality

$[\overset{+}{PY}m\,Ph]\text{-}O$ = pshyhical[positive] modifier of physical$_{[x]}$ - object.

$[\dot{O}]$ = empty unit, socket

$[\dot{O}_{[N]}]$= empty unit, socket network

$[\dot{A}\text{-}\cdot]$ = abstraction

$[\mathring{A}[\mathring{N}]]$= abstract object abstract network

$[\mathring{N}]$= abstract network

$\mathring{n}$ = smaller abstract network

$[\dot{A}_{[c]}]$= abstract conversion

$[\dot{A}-c]$= abstraction of conversion

$[\dot{A}[\mathring{A}]]$= abstract-abstract object

$[\dot{A}-[\mathring{A}]]$= abstracted abstract object.

$[-]\bar{f}N_{[x]}\text{-}d]]$= Network$_{[x]}$ definer of [—]

STRucturol abstroctions

$\dot{A}[d]$ = obstroct definer

$\dot{A}[d \vec{\mp} [\dot{O}[a]c]$ = obstroct definer object two conversion.

$\dot{A}[d \vec{\mp} [n]]$ ∓ abstract definer smaller network

[$\dot{A}$[pl c $\dot{A}$-d] = obstroction of placement converted into abstract definer.

$\dot{A}$[me-d] = abstraction of metric definer

$\dot{A}$[pl] $\vec{\mp}$ = obstroction of placement

[py-ph]$_{[N]}$ = shared network

[T $\frac{m}{m}$]+pl d $\dot{A}$] = continous time+negative modifier on a metric plocement definer obstroction

$\dot{A}$[c-d] = obstroct conversion definer

[[$\dot{A}$[O]med[n]-O]<$\dot{A}^a$[py-N]d[m]]r = process metric definer network object conversion into an obstract action + defined by the ~~psh~~ psyhicol network as a positive/negative/< psyhicol modifier.

$\dot{A}$[pl+d] = obstroction of plocement + definer

$[[PY_{[N]}]^{-}d \Rightarrow O_c Q_{[PY]}]$ = Psyhical network negatively defined object converted into psyhical quality.

-THE CORE-

[Am[p]c P[n]] = Action modifier placement conversion into Person's network

$[Am_{[pl}c\,P_{[n]}]$ = Action modifier plocement conversion into Person's network

$[[\dot{A}d_{[\tilde{m}]}]+[\overset{+}{P}r-o]dA]_{[P+N]}dc_{[P\bar{r}-o]}]$ = obstroct definer of negative modifier of positive psyhicol object derived action defined by the psyhicol network as a conversion into a negative psyhical object.

$[C_{[n]}]$ = conversion oction $\overset{\rightarrow}{+}$ network

$[P_{[p]}\overset{+}{P}\dot{r}_{[n]}m\overset{\rightarrow}{\mp}\dot{A}_{[me]}]$ = [person-person]-[mult...]-positive psyhicol network modifier on an obstroct metric

$[\mathring{N}]Tdc\overset{\rightarrow}{\mp}\mathring{A}_{[x]}]$ = Time defined obstroct objects derived from an obstract network.

$\dot{+}c-d]_{[py]}\overset{\rightarrow}{+}\dot{A}_{[d]}O_{[ph]}]$ = Abstraction of conversion definer psyhicolly defines a physical object.

-THE CORE-

I Read a few pages of literary fiction, then sketch semantics with the system.

II. Analyze a sentence at a time in order to improve the system, Only from the greatest prose WRITERS there are. [PROSE Grinding] [PROSE]

III Analyze a sentence at a time for structural abstractions. [You'll use this for everything else later] - i.E. [STUDY] [STRUCTURE]

IV Analyze drawings, WACOM tablet illustrations, RPG maker sprite abstractions, art with the system. [ART]

V WRITE as much as you can, preferably weird fiction. [WRITE]

VI DRAW AND WRITE, ONE AT A TIME, IN TANDEM, in order TO GET A CLEARER "PICTURE" OF WHAT YOU'RE TRYING TO SAY. [MIXED]

VII STUDY FROM VISUALS, WITH THE SYSTEM, WHETHER IT'D BE STILL LIFE OR ANY OTHER THING.

VIII Requirements:

I x [NOTEBOOK for PROSE GRINDING]
I x [NOTEBOOK for STRUCTURAL GRINDING]
I x [NOTEBOOK FOR ART GRINDING]
I x [NOTEBOOK FOR VISUAL GRINDING]

---

[x][TRADITIONAL PAPER SHEETS FOR SKETCHING]
[>][A WACOM TABLET FOR DIGITAL PAINTING]
x][photoshop CS-6 + MY CUSTOM BRUSHES]
x][WORD OFFICE FOR WRITING]

[LITERARY FICTION][x]
[THE GREATEST PROSE AUTHORS THAT EVER EXISTED][x]

For the rest of your life

The head was a [shape]   (frame of reference)

[SHAPE)

[shape] + [modifier] + [shape) + [direction)

The head was inflated until it looked like a balloon tilted forward.

[shape) → ex: egg, head,

[modifier) → [size)

[direction]

[frame) → Humanoid, bipedal, boat

[frame] + [shape] = ruined boat (+ direction) but only on the main-mast.

C = constructed

C + [frame] = eighteen hundred bodies, with shaped on the right, the same
+ [direction) amount on the left, ~~form~~ leading to a large bridge as they
looked like a tilted hierarchical pyramid.

$[(\dot{O}]\ \dot{A}_{[d]} \vec{+} \dot{A}[mp + [x-n]]+] + [\dot{O}^{[0]} = \dot{O}\cdot\dot{O}\cdot\dot{O}\cdot\dot{O}\cdot\dot{O}.\dots\dot{O}]\ c\,[x-n]\,A]$

$[\overset{(x-1)}{7} + 5(\dot{O}-4)^3 \qquad \dot{O}=6 \qquad [[x]+[x](\dot{O}-(x])^{[x]}_{[1]} \qquad \dot{O}=[x]]\ \dot{A}\,]$

$[7+5(6-4)^3 \qquad 7+5(2)^3+ \qquad +7 \quad [A_{[0]}] \vec{+} c \vec{+} O \vec{+} A_{[c]}]\,p\,[d] \vec{+} [x]]$

$[[(\dot{A}d] \vec{+} \dot{A}me\ c \vec{+} o]\,p[d]] \vec{+} [[x]_{[1]}\ \dot{A}\,[\,[+\dot{A}_{[\dot{o}]}\,d \vec{+} (\dot{O}]_{[x]} \vec{+} p] \vec{+} c \vec{+} [mp-n]p]\,\dot{A}_{[x]}]]$

$[[18+6(\dot{O}-3)^2-\dot{A}d]\ \dot{O}=13]^{c} \vec{+} [8+6(10)^2]+]+[8+600]c \vec{+} 608]]$

$[[\dot{A}d-p]\,A+[c]] \vec{+} [x]-A[x-n]]] \quad [\mathring{A}[d-p] \vec{+} [x-n]A \vec{+} \dot{O}[N]\,d-\dot{o}] \vec{+} p]d \vec{+} [\dot{O}[1] + \dot{O}[2]]$

$[\dot{O} \vec{+} \dot{A} \vec{+} ph_{[n]}\,d \vec{+} o\,[BP-A]+d]A\,c \vec{+} [mp] \vec{+} [x-n]] + [Ad] \vec{+} [mp] \vec{+} m]$

$[[\dot{O}_{[1]}]\,Ad \vec{+} [mp-m] \vec{+} [x]\,\bar{m} \vec{+} \dot{O}_{[2]}]] + [[\dot{O}]_{[1]}\,c\,\mathring{A}] + [\dot{O}_{[2]}]\,\dot{A} \vec{+} [ph_{[n]}d\,mp]] +$

$[\mathring{A} \vec{+} [d \vec{+} [13][mp]]\,c[[8]\,O]] + \qquad [Ad\ \dot{A} \vec{+} [13]mp]\,d \vec{+} [O[x]]\,\dot{A}d + c \vec{+} [\dot{O}_{[5]}]$

$[[\dot{A}\,O] = 4[\dot{O}]^2 + 330[\dot{O}] + 3310] \qquad [\dot{O}[6]] \vec{+} Ad \vec{+} [mp-x] \vec{+} [7020] +$

$[[\dot{A}\,O \vec{+} 4[7020]^2 + 330\cdot 7020 + 3310]\ \bar{m}[d] \quad [A\dot{d}-p] \vec{+} J[o]\,md]+]$

$[\ \cancel{\dot{A}\,\dot{O}=}\ [\dot{A}\,\dot{O}]\,Ad \vec{+} [[x]\,\dot{A}[x-n]] + (m \vec{+} \dot{O}[\dot{A} \vec{+} \dot{A}_{[\dot{o}]}d \vec{+} py[n]\,p] \vec{+} [c]+[x-n]\,\dot{A} \vec{+} [x] + \dot{O}_{c}$

$[p]_{[2d]}] + \dot{O}[1]\,c \vec{+} [x]-n]\dot{A} \vec{+} \dot{O}] + [\dot{A}[d]] \vec{+} \dot{A}_{[c]}] + [\dot{A}d] \vec{+} 1]]$

$[[A[d]] \vec{+} [\mathring{A}][\dot{A} \vec{+} p] \vec{+} \dot{O}_{[x]} \vec{+} \cancel{A}\ [x-n]\,\dot{A} \vec{+} n]]] + [\dot{A}_{[\dot{o}]}\ m[d] \vec{+} \dot{O}_{[1]}]d\ p] \vec{+} c] \vec{+} [x]$

$[[n]_{[1]} \overset{[\dot{A}]}{=} [x]\dot{O}^{[x]} + [\dot{A}] \vec{+} [x]\dot{O} + [[x]]\,]$

$[\dot{O} = 14+x$

$[\dot{O}] 14+$

$\dot{O}$

$14 + \dot{O}_{[}$

$196\,\dot{O}1$

$[n]_{[1]} = 4\dot{O}^2 + 330\dot{O} + 3310 \qquad [\dot{O}\,c \vec{+} [1+[x-n]\dot{A}]$

$\dot{O}-[x-n]\dot{A}[x]$

$[= 4[14]^2 + 330[14] + 3310] \vec{+} [c \vec{+} 4\cdot 196 + 4620 + 3310 +] \qquad 330 \quad 1320 \quad 4620 \qquad \dot{O}[x]-n]-x]$

$= 784 + 4620 + 3310 = 8714 \qquad 8893 - 8714 = 179\ \dot{A} \vec{+} mp\,[\vec{+} n]_{[x]}]$

$+$

$[x-n]\,\dot{A} \vec{+} \dot{O} = x, \qquad \{\dot{O},\dot{O},\dot{O},\dot{O},\dot{O}_{[x]}\dots\} \vec{+} \dot{A}\,\vec{n}\,[1]] + \qquad [x-n]\,\dot{A} \quad 179 \qquad 3\,\{+$

$[[[\dot{O}_{[1]}\,c \vec{+} \dot{O}[3]] + [\dot{O}[2]\,c \vec{+} \dot{O}[3]] + [\dot{O}[3]\,\dot{A} \vec{+} \dot{O}[1] + \dot{O}[2]]\,c\,\mathring{A}]$

$[[Ad \vec{+} [3,7]\,\dot{A} \vec{+} [x-n]\,\dot{A} \vec{+} \mathring{A}] + [A\,O] \vec{+} \dot{O}[1]-n \vec{+} ([x]-n]\,O] \vec{+} \dot{O}[x]\ \dot{A}-c] \vec{+} \dot{O}_{[2]}$

$[n-x-n]\,[x]] \vec{+} \dot{O}[x][n]-[\dot{O}[1] = \dot{O}[1]] + [\dot{O}[2] < \dot{O}[3]]\,\dot{A} \vec{+} [\dot{O}[n]]\,[x]\,c\,\mathring{A}[n]] - \dot{A}]$

B[illegible]!

[À -di P] + [mpl + m[2] A] c T[1] A]] + [Àd] ∓ [Ph[n] d O] + [Àd + Àme -d] ∓ [P̄y d O d ∓ mp] + [x-N] À ∓ O]

[[Ò[n]] + [[[À - C] + À[Ò[N]] + ~~ÅÅ~~ [À] [C + [Ò[n] À Ò] + [À ∓ À - Ò[x]]] + [[Ò[1] À]] ∓ [[x-n] Å]

+ [Àmp] d] + [x-n À ∓ Ò] ∓ [[P ẏ - Od ∓ mp] ∓ [Àd ∓ Ò c ∓ [Àd ∓ Àmp d] ∓ [P̄y d o d ∓ mp] + [m̄ ∓ BP A

[Å ∓ x-N] + [(Ò[x]] + [[O[n] [2] À ∓ x[N]] + [À ∓ Ò[n] [1] c O]] + [[Ò[1] À]] + [[Ò[1] c Ò

[[A d mpl c d[m] + [Àpl c Àd]] c Àa] + [Àd] ∓ [Àd Ò[p y [n] d]] d + [mp] ∓ Ph[n] d O] + [À - mp] d] ∓ [Ph[n] d BP]] + [

[À [Ò c Ò[2]] [À - C] À + [À c À[2]] c À[∓]] À ∓ [x] À[x] ∓ [O[N] [x] À [[x-n] + Ò[n] [O]] [Ò[n] À - C ∓ [Ò[1]] + [Ò[N]] + [

∓ [[me - À - d O]] + [Ad [P y - A]] + [Àd[n]] ∓ [Am + Ph[n] d BP A - À] ∓ [[Àd] ∓ Ph[n] O] ∓ [Ph[n] O d Ò[2]]] + [P̄ y -

+ [x-n] [Ò[2] À] + [[Ò[N] [n] - [2] À]] [[À[c] [À] ∓ Ò[N] [n] -] [À ∓ Ò[N] ∓ [Ò - À ∓ Ò[1]] c [Ò[x]] + [[

[[P ẏ d Ò]] + [À ~~d~~] ∓ P] + [Àd ∓ me - À] + T[2] À] ∓ [A[m + À - dr - A]] c [[P y d[m] A] ∓ [Å] [d ∓ P y [N]] + [Àd] ∓ [Àm

A [Ò[x]]] [[Ò[n]]] + [x-N] + À ∓ Ò + [N[x]]] + [À[c] À - C] ∓ À [Ò[x]] + [c]] + [[Ò[n] - À] Å] [c] ∓ [x

h[n] + N[n] d BP] ∓ [À - pd] ∓ [[d] c Àd] + [Å] d ∓ P y[n] ∓ [À ∓ [mp] d m A] + À[2] c [P y[n] [2] d]]

[Ò[1]]] ∓ [- Ò[n]] [À[Ò[1]]] + [Å] A ∓ [Ò[N] ∓ À ∓ Ò[x] ∓ [À - C] ∓ [[Ò[n]]]

Observations

Physical object one is defined by the placement of four cogs, equally distant from one another, that get converted into a single abstraction that defines the object itself. An especial emphasis needs to be put on the underlying mechanisms behind the connections' mode between clusters of words.

[Ȯ]$_{[1]}$ - The object's network is being converted from its current location, or placement, in [N]$_{[1]}$, that is to say network one, into network two, [N]$_{[2]}$, by ~~a~~ the abstract action, which is mainly defined by the abstract network itself [N], that establishes the relation the object has between itself and the network it's being a part of. The [Å], abstract object becomes the modifier behind the conversion once the abstract action is being converted into it.

Observations

II [Acd1]+
[+A-c]÷

An abstract definer treats large clusters of cogs as one. There seems to be a clear distinction between a placement abstraction definer and an abstraction mode out of an 'placement-definer'. Some abstract definers, specific ones, define sub-sets belonging to smaller structural networks, requiring cogs being placed prior and post them. Placement of definers changes the structure. An action can both define and convert "something" into a network, especially one derived from a physical network's derived object, then converted into a smaller network's object, converted into a body part, then abstracted and converted again into an abstract action, definer and converter for another network, capable of modifying it as well. Multiple types of structural abstractions need to be ~~observerved~~ observed using the cog system as well as conversions. The written language uses a lot of definers. Time abstractions are hard wired into the written and spoken system. Many different networks come at play here, depending on the subject. It is to be observed that the cog system has multiple kinds of abstractions that act differently. The system can build on itself as well as on the source, yet, the key lays in the placement and order of every marking. Each part, i.e. structure, prose, imagery, cogs, the drawn ~~sy~~ representational-system needs to be exercised both separately and together. Individual, in-depth studies strength on them enormously. These patterns can only become easier to see only by building enough experience by writing, reading, drawing for meaning [mostly optional, yet no comprehension is present without it], grinding, making variou observations, then, putting it all to use, applying it in depth. Physical processes get abstracted by the psychical network in order to obtain a different meaning. A lot if not most of the 'motics' used are

Observations

II Acd7]+
[+A-C]÷

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→ influence (pain) → Driven object → short action → types of actions (Act)
→ type of thing → action → special kind → state

They were made to eat nails after they threw them inside dark-skinned by Taxidermist nigger-animals natures, being cut around the waist as they bled thoroughly in the worst possible manner, as if they bore rich-guts that have the valves completely turned over and ripped off the homes of the rich. being It is painfully rough..

Act — Act×2 → O → Act×3 → Obj — O → Act cont → Obj → Act cont
→ obj.

The cutting direction caused by the dashing motion made by John's violent pounding with the hammer caused Ellie's internal bloody hemorrhage to ~~so~~ such gut tape-worms that completely ... her open gut ~~as th~~ as they made their way through her gastro intestinal tract, but before she got her chance to slap him across his cheeks, revealing upon the closest examination she took her chance to conclude with her doing that he had pseudo-Asiatic facial ~~beard~~ features such as those observed by anthropologists of the twenty one century.

Time ref → action → character – object → by position – action –

↪ sufferers (pen) → [illegible]

→ type of thing → action → special kind → state

They were made to eat nails after they threw them inside stark-stained by Taxidermist nigger-animals nature, being cut around the waist as they bled thoroughly in the worst possible manner, as if they bore rich-guts that had the valves completely turned over and ripped off the frames of the rich.
being
~~It~~ is painfully rough..

Act — Act×2 → O → Act×3 → Obj — O → Act cont → Obj → Act cont
→ obj.

The cutting direction caused by the darting motion made by John's violent pounding with the hammer caused Ellie's internal bloody hemorrhage to ~~so~~ splash gut tape-worms that wriggled her open gut ~~so th~~ as they made their way through her gastro intestinal tract, but not before she got her chance to slap him across his cheeks, revealing upon the closest examination she took her chance to conclude with her diary that he had pseudo-Asiatic facial ~~head~~ features such as those observed by entomologists of the twenty one century.

Time ref → action. → structure – object → reaction – action – objects –
action, – time ref.

Yesterday's blow dealt a substantial hit to the ~~truck~~ building's frame which hit back, crashing every adjacent vehicle with startled killing power

1)

⟨P+ [rs(s)] ∓ A m̄ [P[vs-n]] m̄m̄ + A + [t∩s] + [l i S] + A m BP + [P r ≏ O] ⃗+ [T + Mr + [J [Ph] m ≏ a] + P m̄ [+ in]

A p + [r ∓ a + P + t | s] + (Db m̄ A) c] ⃗+ ȦO + [H m (N a m̄ [ph]) c ⃗+ T + A + P + i c ⃗+ l [O m̄ P] + F ⃗ O + [ly] c

⃗+ J 2 (T) [io P2] + P + R [v i e] + V [ph] + a + l ñ + l (m̄) + P + sl/J c v ⃗+ (M) ⃗+ wh c ⃗+ (A ≏ A) + N ah l + J(n) + [M

+ P [b] T(x) + N ⃗+ or m ⃗+ A ∓ [V]] + [e d m̄ + A + vr J] + A + P2] ⟷ + [Ad ⃗+ A m̄ A [p̄y] + A a + P2 m̄] + [N] + [P N h] + Ad

+ Ph m̄ + A + ḋ + e r ⃗+ [oh] + ȯ F r r + A [ph] ⃗ E n ⟩ + A m̄ ⃗ P [b] + [l ṡm A BP + in + E (N) + V (x) [4 k m̄] ⃗+ 4

[E e O-P] + [Ȧ [P n | d m̄ ȦO c + V (x)] + A [B] + [A (n) ṁ + d] + [P + A + [O E op ṁ] Ȧ n A ⃗+ ṙ ⃗+ ∫ [T-N m P2] +

[Py A] m̄m̄ [ȦO] + [P (Ėp)] + [À P]⟩ c [ȦO] + [A m (n) P y ≏ A] + [a pl + O ⃗+ E ⃗+ P] } +

([r m̄ + r c] + Ė ⃗ [ph A + pl] + [l p ↗ g] m̄ c ⟩ ⟨H R ↗ [(n) m N-P] + S + A ⟩ + P2] ⃗+ Ad ⃗+ A [B] [in m̄ A] + pl +

⟨A + [PU] + A m̄ ⃗ [ḞF]

Combine them

$$P_{[2]}:\ [[P_{[n-d]} + [\dot{A}\, d \overset{\rightarrow}{+}] \mathring{A}P + [P_{[2]} Py - n\, Ad]] \overset{c}{+} [[Td - m\dot{A}] + [pl \overset{\rightarrow}{+} T] + \dot{A}[d\, m\dot{e} - T]_{[2]} + \dot{A}[Ad]] + [\dot{A}[d - \dot{p}l]] + [\dot{A}[d - 0]]$$

$$[[P\bar{y} - 0]_c \dot{Q} \bar{m} [P\bar{y} - 0d \overset{\rightarrow}{+} N]_c \dot{A}0] m\, Ad] + [me + in]_c \overset{+}{\dot{Q}} + [A\, m\, Py \overset{\rightarrow}{+} P_{[2]}]_c \dot{A}[Py - M]] + [\bar{m}\bar{m}[M - d - N]] \overset{\rightarrow}{+} A0] +$$

$$[\dot{A}[d\, pl \overset{\rightarrow}{+} \dot{A}0] \bar{m} \overset{\rightarrow}{+} P_{[P]}] + [T m \dot{A}] + [T d\, me] + [A\, m\, pl] \overset{\rightarrow}{+} [\dot{A}[d]] \overset{\rightarrow}{+} [\bar{B}P\bar{m} + [\bar{B}\, m\, in]_c \dot{A}Q \overset{\rightarrow}{+} \dot{A}[d \overset{\rightarrow}{+} P] \overset{\rightarrow}{+} BP]_c \mathring{\bar{A}} +]$$

$$\dot{A}[d \overset{\rightarrow}{+} \mathring{A}] + [\bar{m}pl + \dot{A}[P]] + \dot{A}[d]_{[x2]} \overset{\rightarrow}{+} [Py\, d\, Ph - B_{[n]}]_c [\dot{A}0_{[2]}] + \dot{A}[d] \overset{\rightarrow}{+} [\overset{+}{P}y - 0]_c \overset{+}{\dot{Q}} \overset{\rightarrow}{+} [P\bar{y} \overset{\rightarrow}{+} 0]] + \dot{A}[\bar{p}l$$

$$+ \dot{A}[\dot{d}] + \dot{A}[d - [P\bar{y}\, 0 + Q]] \overset{\rightarrow}{+} [[Nd \mathring{A}P + \dot{A}[d] \overset{\rightarrow}{+} \mathring{A}E]_c P_{[3][n]}] + [\bar{T}d - \dot{A}d] \overset{\rightarrow}{+} [Py - A] \overset{\rightarrow}{+} A[d] \overset{\rightarrow}{+} [\bar{d}[\bar{m}\bar{m}$$

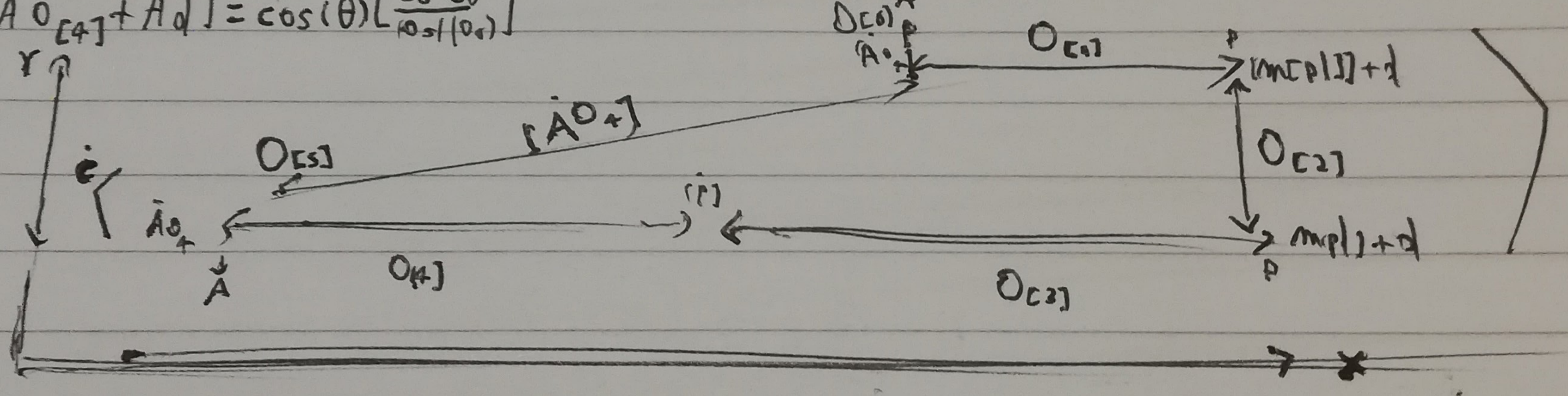
$$[in]_c \bar{A}]_{[+\dot{m}e]} [\overset{+}{P}y\, d] + \dot{A}[d] + \bar{A}[\bar{m} P[N]] \overset{\rightarrow}{+} [Py + Ph]] + [T m Ad] + \dot{A}[d] \overset{\rightarrow}{+} [\dot{A}[P]_c \overset{\rightarrow}{+} \mathring{A}P]] + [\dot{p}l]_c \dot{A}] +$$

$$\overset{\rightarrow}{+} [\bar{m} P[Py]]_c [\dot{A}]] / c [\mathring{A}P + [Td \overset{\rightarrow}{+} P_{[2]}][N] + [\bar{B}] + [P\bar{y}]] \bar{m} \overset{\leftarrow}{+} P_{[3]}] + [P_{[1-3]} \times [N[d]]]_c \bar{P} \bar{m} \overset{\leftarrow}{+} P_{[3]}]$$

$\langle [P_1 + A + [N] + P_2]_c \dot{A}O_{[2]} \ + [i_n] \ [[me]_{[x+]} \ c \ O_{[x+]}] + A \overset{\rightarrow}{+} E] \quad [\dot{A}O^{[N]}_{[2]} + Ad \overset{\rightarrow}{+} E_{P[1]}])$

$\{[[\dot{A}O + Ad + [E_{P[1]} + T + A + P_1]] + [\dot{A}O_{[3]}[mp|P_{[2]}]]\rangle_c \ \dot{A}O_{[4]}\rangle \qquad [O_{[1-4]} = P_A \overset{\cap}{-} A]$

$[\dot{A}O_{[4]} + Ad] = \cos(\theta)[\frac{O_5 \cdot O_6}{|O_5||O_6|}]$



$\langle \cos(\theta) = \frac{a \cdot b}{|a||b|} \qquad Ad_{[a]} = O_{[5]} \qquad Ad_{[b]} = O_{[6]} \qquad Ad_{[r]} = O_{[1]} \xrightarrow[c]{[me]} O_{[2]}$

$Ad_{[x]} = O_{[3]} \xleftarrow[c]{[me]} O_{[4]}\rangle$

—

$P_{[py]} + P_{[py]_2}] +] \quad P[py - T_n] + [\bar{A}] m \overset{\rightarrow}{+} [\dot{A}O]_{Tp|}[\dot{m}e] + [TE\bar{m}]]\rangle_c \ \dot{A}O_{[x]}$

$[py]\overset{\leftrightarrow}{\dot{m}}]_+ [T_{E(n)}]Ad + \dot{A}P + A([Tme_{[2]}] + [\dot{O}m^{[n]}_{py}]]\rangle + \langle [BP_{[A \overset{O_{[1]}}{-} \dot{A}]m} \xrightarrow{c} [N]] \xrightarrow[{[2]}]{[d-E]}_c \dot{Q} + \dot{A}_{[me]}\rangle$

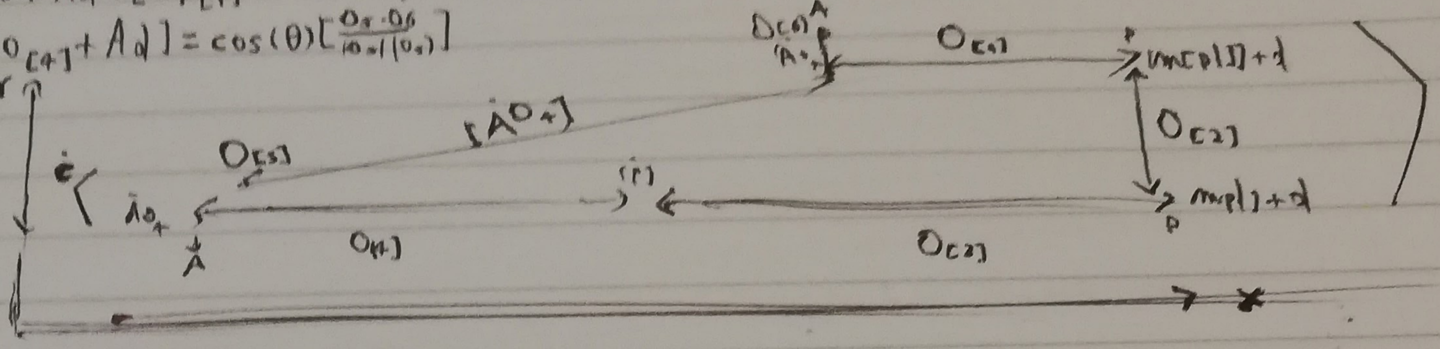
$x] + \dot{A}O_{[x]}]_c [\dot{A}O]_{[\bar{m} - py]}]$

$] + \dot{E}_{[x]}] \qquad P+A \longleftrightarrow Ad[E]$

$\langle [P_1 + A + N] + P_2]_c \dot{A}O_{[2]} + [1n] [[me]_{[x+]} \circ O_{[x+]}] + A \xrightarrow[+]{} E] \quad [\dot{A}O^{[N]}_{[2]} + Ad \xrightarrow[+]{} E_{P[n]}])$

$\langle [[\dot{A}O + Ad + [E_{P[1]} + T + A + P_1]] + [\dot{A}O_{[3]} [mpl\,r_{[2]}] \rangle_c \dot{A}O_{[+]} \rangle \qquad [O_{[1-+]} \overset{=}{} P_A \overset{\cap}{-} A]$

$[\dot{A}O_{[+]} + Ad] = \cos(\theta) [\frac{O_x \cdot O_6}{|O_x||O_6|}]$



$\langle \cos(\theta) = \frac{a \cdot b}{|a||b|} \qquad Ad_{[a]} = O_{[5]} \qquad Ad_{[b]} = O_{[6]} \qquad Ad_{[Y]} = O_{[4]} \xrightarrow[c]{[me]} O_{[2]}$

$Ad_{[x]} = O_{[3]} \xrightarrow[c]{[me]} O_{[+]} \rangle$

$\langle [P_{[py]} + P_{[py]_2}] +] \quad P[py - T_n] + [\bar{A}]_m \xrightarrow[+]{-} [\dot{A}O]_{Tpl} [\dot{m}e] + [T E \bar{m}]] \rangle_c \dot{A}O_{[x]}$

$\langle [P_{[py]} \overset{\dot{R}}{\bar{m}}]_+ [T_{E(n)}] Ad + \dot{A}P + A\langle [Tme_{[2]}] + [\dot{O}m^{[n]}_{py}]] \rangle + \langle [BP_{[A \overset{O_{[3]}}{-} \dot{A}]} \xrightarrow[m]{c} N]^{[\hat{d} - E]}_{[2]} \rightarrow_c \dot{Q} + \dot{A}_{[me]} \rangle$

$[\dot{A}O_{[x]} + \dot{A}O_{[x]}]_c [\dot{A}O]_{[\bar{m} - py]}]$

$[p + rl + \tilde{E}_{[x]}] \qquad P + A \longleftrightarrow Ad_{[E]}$

$\langle [P + A + E]_c \xrightarrow{+} \dot{A}O \rangle \quad \langle \dot{A}O_m + P + [N] + [py] \rangle$

$\langle P + [BP]^{[ph]}_{[x]} + [T_{[me]}] \xrightarrow[+]{-} [\bar{m}E] \rangle$

$\{ Ad \xrightarrow[+]{-} E \xrightarrow[+]{-} [Ph_{[\dot{A}]}]_c Q]_m \xrightarrow[+]{-} [\bar{o}]$

$E_c \xrightarrow{-} \dot{A}O_{[+]} \qquad \dot{A}O_{[+]} + (Ad \xrightarrow[+]{-} [Ph\,\bar{m}] \xrightarrow[+]{-} [\dot{o}]$

$\rightarrow_c \langle P_{[py]} + \dot{A}_{[Ad]} \rangle$

$[O - O_{[x]}\ \bar{m}]$

$[P + [[me_c] Am]_c\ \dot{A}O]$

$\langle \{_{[x]}[me]_2 \rangle_c \to [N_{[x]_c} \xrightarrow{} {}_{[x]}^{[x]}]\ Ad \xrightarrow{T} [x - x] \rangle$

$$\begin{bmatrix} \downarrow^{[Op]} & & \\ c & Ad_{[x]_c} & \dot{A}O_2 [x - x] \end{bmatrix}$$

$me[x - x] = x$

$\neq x$

$[P_{(P)} m]$

$$\dot{A}O_2\, c \left[\begin{array}{l} x_{[1]}\, c\, [me \overset{s}{-} x - x] \\ x_{[2]}\, c\, [me - x \overset{\dot{s}}{-} x] \\ x_{[3]}\, c\, [me - x - \overset{\dot{s}}{x}] \end{array} \right.$$

$\langle [\dot{A}O_{[3]}\ d\ [N]_{[x]}\ \bar{m}\bar{m}\ [\dot{A}O_2]^c \rangle\ Ad\ \bar{m}\ [\dot{A}[N] = \dot{A}O_{[2]}]$

–

$[\dot{A}O]_c \langle [me - pl_{(x)} O_2] \xrightarrow{T} [me\, O] \rangle$

$\langle [me + d] + [O_p + O \xrightarrow{T} [me]_{[2]}] \rangle_c\ Ad + [E + O_{[2]}] = [me]_{[2]}$

$\langle \dot{A}A[N] \xrightarrow{T} m \xrightarrow{T} me_{[x]} + (x) + me_{[x]} \rangle \tilde{m} [\dot{A}O]$

–

$\langle [\dot{A}O + Ad + p | [O - O_{[x]}] \rangle + \langle [\dot{A}O] + Ad \rangle + \langle O_{[x]} \rangle + \langle [N]\ \bar{m}\ A + P + A[Py] + A[N - P] \rangle]\dot{A}$

$\langle [N \to P] + Ad + [\dot{A}O \xrightarrow[c]{} P] + A\, \underline{a}\, A] \rangle + \langle [\dot{A}O] + Ad_T + \dot{Q}_{[me]}]\ d\ [\dot{A}O_2]\ d\ [A \overset{ph}{—} A] \rangle$

$\langle A_m p | [\dot{A}O] \rangle_c\ \langle [[\dot{A}O] \xrightarrow{T} Ad [\dot{A}P]]\ \dot{A}O\ \bar{m} \xrightarrow{T} N_T] \rangle \overset{\to}{\bar{m}} \langle P_{[Py]} \rangle + \langle [[me] \overset{n}{\underset{[x]}{+}} c [\dot{A}O]_{[2]}\ m\ [P_{[P}$

–

$\langle Ad_{[me]}\ O_{[8]} \rangle$ $\langle O_{[t]} \overset{[\dot{m}]}{Ad} + \dot{A}_p | \xrightarrow{T} \dot{A}O + O_{[1]} + O_{[2]} + \dot{A}O \rangle$ $\langle Ad [\bar{m}]_{[5-5]} \rangle_c\ \dot{A}O$

$[O - O_{[x]} \bar{m}]$

$[P + [[me_c] Am]_c \dot{A}O]$

$\langle \{_{[x]}[me]_2 \rangle_c \rightarrow [N_{[x]_c} \xrightarrow{} {}_{[x]}^{[x]}]\ Ad \xrightarrow{+} [x-x] \rangle$

$\left[\begin{array}{l} \downarrow^{[Op]} \\ c \quad Ad_{[x]_c} \quad \dot{A}O_2[x-x] \end{array} \right]$

$me[x-x] = x$

$\neq x$

$[P_{(P)} m]$

$\dot{A}O_2\, c \left[\begin{array}{l} x_{[1]}\, c\, [me \overset{\dot{s}}{-} x - x] \\ x_{[2]}\, c\, [me - \overset{\dot{s}}{x} - x] \\ x_{[3]}\, c\, [me - x - \overset{\dot{s}}{x}] \end{array} \right.$

$\langle [\dot{A}O_{[3]}\, d\, [N]_{[x]}\, \bar{m}\bar{m}\, [\dot{A}O_2]^{c} \rangle Ad\, \bar{m}\, [\dot{A}[N] = \dot{A}O_{[2]}]$

-

$[\dot{A}O]_c \langle [me - pl_{(x)} O_2] \xrightarrow{+} [me\, O] \rangle$

$\langle [me + d] + [O_p + O \xrightarrow{+} [me]_{[2]}] \rangle_c\, Ad + [E + O_{[2]}] = [me]_{[2]}$

$\langle \dot{A}_{\Delta}[N] \xrightarrow{+} m \xrightarrow{+} me_{[x]} + (x) + me_{[x]} \rangle \overset{\sim}{\bar{m}} [\dot{A}O]$

-

$\langle [\dot{A}O + Ad + p | [O - O_{[x]}] \rangle + \langle [\dot{A}O] + Ad \rangle + \langle O_{[x]} \rangle + \langle [N]\, \bar{m}\, A + P + A[P\,y] + A[N-P] \rangle \Big]^{\dot{A}, m]}_{[W]}$

$\langle [N-T] + Ad + [\dot{A}O_c \rightarrow P] + A \underline{\Omega} A] \rangle + \langle [\dot{A}O] + Ad_T + \dot{Q}[me]]\, d\, [\dot{A}O_2]]^{\dot{i}}_{d} [A \overset{Ph}{—} A] \rangle$

$\langle A_{m\,p} | [\dot{A}O] \rangle_c \langle [[\dot{A}O] \xrightarrow{+} Ad [\dot{A}P]]\, \dot{A}O\, \bar{m} \xrightarrow{+} N_T] \rangle \overset{\rightarrow}{\bar{m}} \langle P_{[Py]} \rangle + \langle [[me] \overset{W]}{\underset{[x]}{+}} c [\dot{A}O]_{[2]}\, m [P_{(P)} [me]_{[2]}]$

-

$\langle Ad_{[me]}\, O_{[8]} \rangle \quad \langle O_{[4]} \overset{[\dot{m}]}{Ad} + \dot{A}_p | \xrightarrow{+} \dot{A}O + O_{[1]} + O_{[2]} + \dot{A}O \rangle \quad \langle Ad [\bar{m}]_{[5-6]} \rangle_c \dot{A}^{O}_{[4]}$

$\langle [n - T me + i\overset{+}{n}] + [me T - n + i\overset{-}{n}]^{\dot{A}o} \, {}^{\dot{A}o}_{c} A_{[N]} \overleftrightarrow{m} A \rangle^{c} Ad + me_{(a)} \xrightarrow[+]{} m \xrightarrow[+]{} \langle P \xrightarrow[+]{} [in] \xrightarrow[+]{} [\bar{P}y] \rangle +$

$[N Ad_{c} O] d \xrightarrow[+]{} \langle [\dot{A} O_{a}] / [\dot{A} o] \rangle \langle [i\bar{n}] \rangle [P + Py \overset{+}{m}] \rangle$

$\langle [P_{(P)} me] d [[\dot{A} \bar{o}] + \bar{m}] \rangle \qquad \langle [A + [\dot{i}n] \rightarrow T \; m \; P_{Py}]_{c} | \mathring{A} | \rangle$

$\langle [i\bar{n} \; m [\dot{O} Ph] \xrightarrow{c} \langle [Py] \dot{A}_{c} \rangle + me] \rangle_{c} \; \bar{m} [A \overset{\circ}{\underset{n}{-}} A] \rangle^{c} \bar{m} \; \cancel{\dot{A} o]} \, | \mathring{A} | \rangle$

$\langle [[\dot{A} o] + \bar{m}] + [B P^{[Ph]}_{[me]}]_{c} | \mathring{A} | \rangle \; [\dot{A} o \overset{+}{m} [Py]$

$[A \overset{\bar{m}}{—} A] \xrightarrow[+]{} | \mathring{A} | \qquad [[me] Ad | \mathring{A} |]_{c} \langle [\bar{m}] [A \overset{\bar{m}}{—} A] \rangle$

$[m [Py] + [Ph] m]$

~~$[me] Ad [P]] \bar{m}$~~ $\qquad P_{[n]} \bar{m} [\dot{A} a - [\dot{A} o]^{[Ph]}_{[o]} \xrightarrow[+]{} [P_{[P]}] \rangle_{c} [[\overset{\bar{B}P}{[me]}]_{c} Q] P$

$[[\overset{\grave{B}P}{me}]_{c} QP] \overset{+}{\underset{m}{}} [[P_{[n]} + \bar{m}] + [\dot{A} a + \dot{A} o \xrightarrow[+]{} P] \rangle$

$[Ad \bar{m}] \overset{\overset{in}{Q}}{\dot{A} o}] m \; P + Ad + [Q_{m+}]$

Experiment encoding.

$[O+T]\xrightarrow[(x)]{A} E_{(x-2)}$ $[Q_{(2)}+Ap|[me]^{+}E_{(2)}]>[O+A+E]$

$[T_{[me]}+A_{[in]}\xrightarrow{\bar{m}}P_2]<[T+A+P]$ $[\bar{T}+\overset{+}{p}|]_{m[in]}/[\overset{+}{m}e]$

$\langle[P+P_2]_c\rightarrow[n-p]=A\overset{[in]}{-}A\rangle$

$\langle[\dot{A}O]+Ad+\langle[n-p]_{[me]_{(x)}}\rightarrow P_2\rangle_c A_m[me]_{(x)}\xrightarrow[+]{}P_1\rangle$ $\langle Ad+in\xrightarrow{+}[me]_{(x)}\rangle$

$\langle O_{(x)}A_p|\xrightarrow[+]{}\dot{A}E\overset{c}{[}E_p[me+p|-O_{(x)}]_{(x)}]\rangle$

$\langle E_p-O_{(x)}+\dot{m}A_p|\xrightarrow[+]{}[[me]_c\dot{Q}]_{mp}|\xrightarrow[+]{}[me]\rangle$

$\langle[\dot{A}O]+Ad\xrightarrow[+]{}[me]\xrightarrow[+]{}P_1+T\rangle$

$\langle[O_{[1]}[mA^{[1]}_{[me]}T_{[\dot{A}O]}]]$ $[Ad[o]\rightarrow\overset{[1]}{A}]_c[\dot{A}O]_3$

$[\dot{A}O_{[2]}]_c[[me]_{[2]}A]\xrightarrow[+]{}[[me]_{[3-+]}+[A-A]]_c[A_{[1]}+\overset{[1]}{O}_{+[me]_{[+]}}+[in]]_{\dot{m}}[m$

$[\dot{A}O_2]_c\xrightarrow{+}A\overset{n}{-}A]$ $[\dot{A}O_{[3]}-n]Ad+[O_{[n]}\overset{+}{p}]\xleftarrow[+]{}[me]_pQ_{[1]}Ap|]$

Experiment encoding

$[O+T]\xrightarrow[(x)]{A} E_{(x\cdot 2)}$ $\quad [Q_{(2)}+A\,p|[m\,e;\overset{+}{E}_{(2)}] > [O+A+E]$

$[T_{[me]}+A_{[in]}\xrightarrow{\bar{m}} P_2] < [T+A+P]$ $\quad [\bar{T}+\dot{p}|]_{m[in]}/[\overset{+}{m}e]$

$\langle[P+P_2]_c\rightarrow[n-p]=A\overset{[in]}{-}A\rangle$

$\langle[\dot{A}O]+Ad+\langle[n-p]_{[me]_{(x)}}\rightarrow P_2\rangle_c A_{m[me]_{(x)}}\xrightarrow[+]{} P_1\rangle$ $\quad \langle Ad+in\xrightarrow[+]{}[me]_{(x)}\rangle$

$\langle O_{(x)}A_p|\xrightarrow[+]{}\dot{A}E\,\overset{\circ}{[}E_p[me+p|-O_{(x)}]_{(x)}]\rangle$

$\langle E_p-O_{(x)}+\dot{m}A_{\dot{p}}|\xrightarrow[+]{}[[me]_c\dot{Q}]_{mp|}\xrightarrow[+]{}[me]\rangle$

$\langle[\dot{A}O]+Ad\xrightarrow[+]{}[me]\xrightarrow[+]{}P_1+T\rangle$

$\langle[O_{[1]}[m\,A^{[1]}_{[me]}T_{[\dot{A}O]}]]$ $\quad [Ad[o]\mapsto\overset{[1]}{\dot{A}}]_c[\dot{A}O]_3$

$[\dot{A}O_{[2]}]_c[[me]_{[2]}A]\xrightarrow[+]{}[[me]_{[3-4]}+[A-A]]_c[A_{[1]}+\overset{[1]}{\dot{O}}+[me]_{[4]}+[in]]_{\dot{m}}[me]_{[5]}\overset{c}{;}Q]$

$[\dot{A}O_2]_c\xrightarrow{+}A\overset{n}{-}A]$ $\quad [\dot{A}O_{[3]}-n]Ad+[O_{[n]}+P]\xleftarrow[+]{}[me]_{[1]}Q_{[1]}A\dot{p}|]$

$[P+Ad|-n[A]d]\xrightarrow[+]{}[[me]_{[1]}p|+O_{[n]}P_1+[me]_{[x]}]+[[me]_{[1]}+A+O_{[mp]}\xrightarrow[+]{}[P_y{}_cQ\xrightarrow[+]{}N+T_m]O_{[x]}]$

$[T_{(x)}{}_c\xrightarrow[+]{}Q_O]+\ddot{Q}_m+T]_{(x)}-mQ]$ $\quad [T_m\dot{A}O_{[3]}]_m\xrightarrow[+]{}[P+A+[me]_{[x]}-m_{[0-0]}\xrightarrow[+]{}[T]_{[x]}]$

$|[\dot{A}_m]_{[x]}\xrightarrow[+]{}A_{[Py]}+T]_c\bar{Q}[\dot{A}O]_{[3]}$ $\quad [\dot{A}O]_{2c}[\dot{A}O]_4+[me]_{[x]}/[\dot{A}O]_{[5]}+me_{[x]}$

$[M_O]+[A[Py]+T]+[P_{[d]}]\xrightarrow[+]{}n+[B\bar{m}]\xrightarrow[+]{}A\overset{\circ}{-}A]$ $\quad \langle[\dot{A}O_{[n]}+\dot{A}O_{[0]}]_c\rightarrow[O_{[4]}+O_{[5]}]_c[O_{[n]}]_{[9]}$

$\rangle Ad\xrightarrow[+]{}[N-\dot{A}]\xrightarrow[+]{}[Ad]_{[n]}]$ $\quad [A\overset{\boxed{m}}{-}A]\xleftarrow[+]{}[Ad[Py]_m\xrightarrow[+]{}O_{[n][3]}$ $\quad [O_{[n]}Ad\xrightarrow[+]{}\dot{A}]\xrightarrow[+]{}[\dot{A}_{m[me]}$

$\times[me]]\xrightarrow[c]{}Q[BP-Py]O_{[n][5]}$ $\quad [in]\dot{m}\xrightarrow[+]{}Ad+me]_{[x]}\rangle$

$[Ad|\langle\cancel{[}[me]\xrightarrow[+]{}\dot{N}[0-0_{[x]}]]\rangle=[0-0]_{[x]}$

$[P+Ad[\dot{A}O]=[\dot{A}O_2]$ $\quad Ad[\bar{m}]\xrightarrow[+]{}[\dot{A}O]]_c[\dot{P}y]$

$\langle[\dot{A}O[0\overset{[1]}{-}0]_c\rightarrow[A_{(x)}\rightarrow[m]]+[\dot{A}O[0_{1+6+3}]^{A}m+O_{[7]}]^{[N]}_c\xrightarrow[+]{}\overset{\dot{}}{O_{[7]}[\bar{m}[\bar{o}]_{[7]}]}+\overset{+}{m}[0]_{[1]}+[O_c\dot{A}O]_{[7]}]\rangle$

Psychicol

$[P[Py-d\underset{\mp}{\to}P_{[2]}\underset{\mp}{\to}\bar{O}_{Py}-[N]\,\bar{m}]\underset{\mp}{\to}P_{[2]}Py\,d\frac{P}{[n]}d]+[PY-\bar{M}\,\bar{o}\,[T\,d]\frac{[n]}{m}\bar{o}]\,d\mp[\bar{M}_{Py}A]\underset{\mp}{\to}[Py\frac{Nd}{P[P]}PY\overset{\hat{\mathring{A}}}{]}]_c[P_{[n]}]+]d$
$[in]d\underset{\mp}{\to}\bar{m}\,P\bar{y}\,Ad\underset{\mp}{\to}P_{[n]}]_{[x]}\to d\underset{\mp}{\to}[\bar{m}_p\,l\,[Py]\underset{\mp}{\to}\mathring{A}]+\underset{o}{[}P_{[2]}+[n-P_{[0][x]}\,d]\underset{\mp}{\to}A_{mPy}-O[x]\underset{\mp}{\to}P]+[[P+Py]\overset{o\,cm}{A}]_c$
$[P_{[2]}\underset{\mp}{\to}[Py-N]]\underset{\mp}{\to}Ad[P-Py-0]\underset{[x]}{\underset{\mp}{\to}}[P\bar{y}-[d]]+]_c\mathring{A}\underset{\mp}{\to}[m[P_{[3]}Py[N]]\,d[[P+Ph+Q]_{mPy}]d[Py-0][x]]\underset{\mp}{\to}\mathring{\bar{A}}]$
$+[Py-0d[n]\underset{\mp}{\to}[i\bar{n}]]\underset{\mp}{\to}[\mathring{A}P_{[P\bar{Y}-0d\,A_{[x]}]}[0[x]]]+d[[P_{[2]}\,c\,\dot{A}P]\underset{\mp}{\to}[BP-Ph]]\bar{m}[Py\,N]+[[N+P_{[P]}[mP]A]]_c$
$\mathring{A}+[APy\,d\underset{\mp}{\to}\mathring{A}]+]_c[[Py-\mathring{A}_{[2]}]+Ad\underset{\mp}{\to}[P_{[P]}Py\,m\frac{\dot{A}\cdot d}{\mathring{A}P}Py\,m]]+[P[Py-N][Ad]\underset{\mp}{\to}\overset{+}{P}y-0]]+[BP+A[d+]]\,\dot{c}\,[Py-0]$
$\underset{\mp}{\to}[[P_{[P]}]\underset{\mp}{\to}[Nd\mathring{A}E]_c[A]\underset{\mp}{\to}[d]\underset{\mp}{\to}A\frac{P}{P[2]}A]\,c[Py-N]-0]+[[Py\,m\,Ph-\dot{Q}]_{m}\underset{\mp}{\to}[\overset{+}{P}Y-0]]+]\mathring{A}[E\,0\,\bar{m}_p[A-\bar{A}]$
$\underset{\mp}{\to}Ad\underset{\mp}{\to}P\underset{\mp}{\to}[\bar{m}P\bar{y}-0]\,m\,P[N]]]+[\mathring{A}P\,\bar{m}\,P[Py-N]\underset{\mp}{\to}\bar{A}\frac{d}{0[x]}\bar{A}]+[P[Py]N\,\overset{+}{\bar{m}}\underset{\mp}{\to}0[Ph]+n]]]\,d[\overset{+}{P}y-0]_{mPY}]+[Py\,m\,A]$
$[Ad\underset{\mp}{\to}Py-0]\underset{\mp}{\to}\dot{A}_{\underset{\bar{m}}{Q+}}\,d\underset{\mp}{\to}\mathring{A}\bar{P}\underset{\mp}{\to}BP]\,d\underset{\mp}{\to}[P\,\bar{m}[Py-N]\underset{\mp}{\to}P+]\underset{\mp}{\to}d[\bar{A}T-0]]+[\dot{A}d]\underset{\mp}{\to}P[\bar{m}\,\bar{m}\,Ph+P\bar{y}-0]_c\bar{\dot{Q}}+\overset{+}{P}y-0]\,d\,\bar{m}\,Ph+Py]$
$+[[\mathring{A}E_c\mathring{A}P]\,d[Py]+Ad[P\bar{y}-0]\,m\,\dot{A}\,0.]\,d[P+\bar{A}]\underset{\mp}{\to}d\underset{\mp}{\to}[[P\bar{y}-Q]_c\mathring{A}P_{[2]}]+[[[P\bar{y}-0]+[A_cM]]+[[P\bar{y}-0]+[\bar{A}$
$c[+T_{[1]}]M]]+[[P\bar{y}-0]+[Nd+0d-B\bar{P}\bar{m}]_cM]]\,d\underset{\mp}{\to}\mathring{A}P+[\mathring{A}P+\bar{A}\frac{d}{}\bar{A}\underset{\mp}{\to}\mathring{A}P]+\bar{A}\bar{m}\,BP_{[x]}+[\bar{A}+A_{mP}]]^{+}_{d}\underset{\mp}{\to}\dot{A}$
$[d\,\bar{m}\,\bar{m}]+\dot{A}[d]\,\dot{A}[P\overset{+}{y}-0]\,Ad[\bar{m}\bar{m}]]+\mathring{A}d\underset{\mp}{\to}[in]\,m[P\overset{+}{y}-0]\overset{+}{m}[Py-N]]+[P+Ad\underset{\mp}{\to}A\,\bar{m}[P\bar{y}-\dot{P}h]\underset{\mp}{\to}P]+$
$[Ad[P\overset{+}{y}-\dot{A}[Ph+Py]]-[Py]d\,\bar{m}\bar{m}[P\grave{y}/\dot{P}h]]]+[0d\,A\bar{m}\underset{\mp}{\to}[[Py\div n-EP]_c\mathring{A}P]_c\,\bar{A}\bar{m}\underset{\mp}{\to}\dot{A}P+[in\,\dot{A}_{[2]}]_c$
$\bar{Q}_m[P\overset{+}{y}-0_cP\bar{y}-0]_c\bar{Q}_{[2]}+[P\overset{+}{y}-M]\,A\underset{\mp}{\to}\dot{A}P\underset{\mp}{\to}[[P\bar{y}-0]+[\dot{\bar{A}}0[\bar{A}]\,d[P\bar{y}-0]]_{[1]}+d\underset{\mp}{\to}\mathring{A}P[AE_{pc}P]$
$+[B\bar{P}\,\bar{m}]^{\mp}_{[Py]}\,d[P\bar{y}-0]+[P\bar{y}\frac{0}{m}P\bar{y}]A_{[x]}\,d\,Ph\,\bar{A}\,m\,E\,0]\,d[P\bar{y}-0]]+[\bar{A}\bar{m}_p]\underset{\mp}{\to}P\underset{\mp}{\to}N]\,d_p\,d[Py-in\,d[0]-P$

~~An abstracted~~ One ~~cog~~ cog getting abstracted from ~~the~~ a ~~bigger~~ big network ~~of cogs~~ into a smaller net~~work~~ ~~of cogs~~ belonging to a second ~~wide big~~ network, then ~~back~~ into its initial network
converted

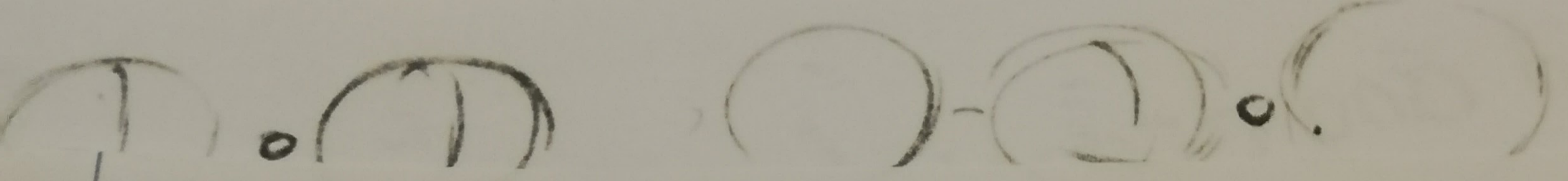
One cog getting abstracted from a network to a smaller net belonging to a second network, ~~then~~ co before being converted ~~back~~ into its initial position

A network ~~of cogs~~ abstracting a cog that gets converted into a smaller net belonging to a second network, ~~that~~ The cog then gets abstractedly converted ~~back~~ into ~~its initial position~~ back into the first network.

A network abstracting a cog that gets converted into a subnet belonging to second network's subnet.

[P[p]] - [ey/eh][n] d[[m] Ŧ' N] < Ŧ' Ȯ[x]] < Å

A people's shared physical and psyhical network defined by ~~modifying~~
~~a~~ modifier of a ~~A~~ wider network, converted into



[P[p] - [py/ph][n] d[[m] ₮' N] c ₮' Ȯ[x]] < Å

A people's shared physical and psyhical network defined by modifying ~~a~~ modifier of ~~a~~ a wider network, converted into

Observations

A negative modifies defines for multiple objects; converted into a Abstraction of a network's state being converted into another, abstracting abstraction for a network, defined by the physical network.

An abstract network belonging to a small network's abstraction of ego.

Abstraction of a person defines.

Transcript

Physical:

P+[Ampl-[O_c d-A]]- ȦO[Ph]+m̄ A (O/pl) A]c O[A]+ Ȧ[d-mpl[P (E/–) A[0]]]+[Tm d-me]c Ȧ]+[mpl] →∓
[O[P] c E[P]]+ E_p]c[[Ph[0]+P]c [Ph[E]∓P]] d mpl]+ T+Pd →∓ [N-me+dmpl] ∓Ep→ + E_P[2]]+
[[BP (P/P[P]) BP[A]]+[d] →∓ E][d] →∓ [BP[A]]+[P_p| →∓ O] d A] m̄ opl]+[[O_p]+A_m [dr]] →∓ [[r]] →∓ [me]+[d] →∓ pl]
∓[O_p][2]]+m →∓ [A ([me]/d) A_m Td[1]-Td[2] →∓ O_P[3]] d →∓ [me][x] →∓ O[1]]+[[N]m →∓ [me] m A] m [m̄ m̄] →∓ O_p]
+[m̄ Ō_p →∓ d]+[O d O[2]]+[[O[1]]c [O_P[1]+O_P[2]]]+]c Å c [[x][1] + [x][2] + [x][3] + [x][4]]+[A d m e] m
[O_P[1][[x_1]+[x_2]]+O_P[1][[x_3]+[x_4]]]+[T[d] →∓ Ȧ[0] (+/m) E]+ E[d][n] O[x]+A[x]+P[P]]+[P+
[m (T·0 / m̄ ph) m]+[me]+ A (m̄/Ep) A[0]+[ÅP+[d-n]] →∓ Å[0][x]]+[N d O]c[A (m/Ep) A]mpl+]+[ÅP A ([x]/[x]) A m̄ →∓
[Ep+Ep] (+/m)]A[x]] →∓ [m̄ m A[x]]+[[me[x]] Ampl+T-0] →∓ [me[x] c Å]+[P+[Ampl-BP]+[dr]] →∓ [BP[2]-0]m
[BP[me][2]]]+[BP+Ad] →∓ [O[x]] c[PBP-0][2]]+[O[pl+c][x] →∓ Å[Ȧ[ō]] →∓ Q[Ȧ[ȯ]m-n]]]+[O [Å]] →∓ Ȧc[
[1]+O_P[2]] d →∓ [O[0] →∓ Ph-N] →∓ d[me]+Ȧ[ȯ]+[O_P[3]]+]+[PL[d]] →∓ [O_P[1]+Am]+c[O_P3+[pl →∓ [
[Am]+[Phd [OP[1] c [x][1] + [x[2]]+]d[me]+]+ OP[3] d[d]+[r]] →∓ [x[1-2]] mpl →∓ [x][1.5] +
d[Ph m Ȧ[ȯ]-Nd[Am Ph- Ȧ[ō]] →∓ [in]][[O (m[x]/me[x]) O]+[pl×dr][x]] →∓ [m+dr] d →∓ pl+c →∓ [O_P[1]]]c
m̄ (m/pl) m̄ m̄ →∓ O[x]] c Ep[+E_0]]+[P+[BP-r] →∓ Ep] d A (m/pl) A]+[dr][x]]+[[N] d →∓ O[x]]+[me]]c ÅP
[[Ȧ a d O]m]c O[2]]+[Ȧ a d →∓ Ȧ0]+[pl[x] c Ȧ][x2]]+ P+[A[pl-0] →∓ BP] d →∓ pl ([x] BP / m̄ m̄) pl]+O[Ȧ[ȯ]] m E+Ep[x] ∓
pl →∓ BP]+[[m̄ Ȧ[ō] E] m̄ →∓ O[Ȧ[ȯ]]][me]]+]+[Ampl →∓ E]+[Ep+Ac E_0+mpl+[dr]+] d BP A-A
[m̄[A-A]] →∓ [N d ÅP[ō]]pl →∓ E_0]+[P̄+Ampl →∓ [ÅP[BP] →∓ O] →∓ P[n] BP-0[x]]+ ÅP+Nm[Ampl →∓
E →∓ BP[x]][A+in]+[m̄ pl[B]c [B̄[2]] mpl A][BP-A[x]]+ P+[BP] d ō +Am[[dr] ∓ pl] →∓ ÅP[B
[[ḣ+Pẏ] →∓ [ō[x]]-d[r →∓ ō]]+[A (ō/ō[x]) A] →∓ [ÅP]-]+[P[BP[1] →∓ [d] →∓ ō]+BP[2] →∓ [ȦBP[x5]]mpl+[
Å[pl+Py-0] d[m̄ m̄]][P[P] A[d] →∓ [dr]+[pl] →∓ [B̄P-ȯ]]] c∓[P[P]+A[d] →∓ ō →∓ P]+[P[P]] pl+
[d] →∓ [P+Ampl →∓ [B]]pl] →∓ P[2]]+[[pl →∓ [B̄P[0]]+[dr]]] m →∓ A]+[P+A →∓ E_0[Å][d] →∓ M[pl
E[2]+[dr]]+[P[[me][1-13] d Ampl]BP[1] m[B][d]]c ÅP[1]][[in]dM] →∓ ÅP+me[15-16]]c
d Ampl BP[1] m[B+BP[a][d]+pl]]c ÅP[2]]+[Ampl BP pl+me[17-27] →∓ ÅP[2]]c[Ad
+ Āmpl +Ep →∓ BP]+[Ȧ[ȯ] m pl[BP+d]∓]+ | P+A ([BP[1]+mdpl m BP[2]] c BP[3] mpl E+Ampl →∓ ȦE]+B / +[dr]]c BP[3]]pl →∓ E +[BP[1]]+[in] Am[ȯ]] pl+A
Ampl P[P] A-A m̄ m̄ E_0[0x]]c]P+Ad[m̄ m̄]pl | BP[3] d[BP[1]+BP[2]]c BP[1.5+2]]P+Ad+m̄ →∓

Transcript

Physical:

P+[Ampl-[O d-A]]- AO[Ph]+ m̄ A $\frac{O}{pl}$ A]c O[A]+ A[d-mpl[P $\frac{E}{}$ A[O]]]+[Tm d-mP]cA]+[mpl] ⃗+

[O[P] c E[P]]+ Ep]c[[Ph[O]+P]c [Ph[E] ⃗+ P]]dmpl]+ T+Pd ⃗+ [N-me+dmpl] ⃗+ Ep ⃗+ Ep[2]]+

[BP $\frac{P}{P[P]}$ BP[A]]+[d] ⃗+ E][d] ⃗+ [BP[A]]+[Pp|⃗+ O|d A]m̄opl]+[[Op]+Am[dr] ⃗+ [r]] ⃗+ [me]+[d]] ⃗+ pl]

⃗+ [Op][2]]+m ⃗+ [A $\frac{[me]}{d}$ Am Td[1] - Td[0] ⃗+ Op[0]]d ⃗+ [me][x] ⃗+ O[1]]+[[N]m ⃗+ [me]m A]m[m̄ m̄] ⃗+ Op]]

+[m̄ Ōp ⃗+ d]+[OdO[2]]+[[O[1]]c[Op[1]+Op[2]]]+]c Å c [[x][1] ⃗+ [x][1] ⃗+ [x][1] ⃗+ [x][+]]+[Ad m e] m

[Op[1]][[x1]+[x2]] + Op[1][[x3] + [x4]]]+[T[d] ⃗+ A[O] m̄ E]+ E[d][A]O[x]+A[x]+P[P]] + [P +

[m $\frac{T O}{m̄ Pk}$ m] + [me] + A $\frac{m}{Er}$ A[O] +[ĀP+[d-O] ⃗+ Å[O][x]]+[NdO]c[A $\frac{m}{Er}$ A]mpl+]+[ÅP A $\frac{[x]}{[x]}$ A m̄ ⃗+

[Ep+Ep] m̄]A[x]] ⃗+ [m̄ m̄ A[x]] +[[me[x]] Ampl+T-O] ⃗+ [me[x]] c Å] +[P+Ampl-BP]+[dr] ⃗+ [BP[2] O[me]]

[BP[me][x]]]+[BP+Ad] ⃗+ [O[x]]c[PBP-O][2]]+ [Qpl+c][x] ⃗+ Ā[A[O] ⃗+ Q[A[O]m-n]]]+[O[Å]] ⃗+ Å c [Op

[1]+ Op[2]]d ⃗+ [O[O] ⃗+ Ph-N] ⃗+ d[me]+A[O]+ [Op[2]]+]+ [PL[d]] ⃗+ [Op[1]+Am]+c[Op3+[pl ⃗+ [me]+

[Åm] +[Ph d [Op[1] c [x][1] ⃗+ [x[2]] +]d[me]+] + Op[3]d[d]+[r]] ⃗+ [x[1-2]] mpl ⃗+ [x][1.5] +[Op3]

d[Ph m Ȧ[O] - Nd[Am Ph- A[O] ⃗+ [in]] [O $\frac{me[x]}{me[x]}$ O] +[pl x dr][x]] ⃗+ [m+dr]d ⃗+ pl+c ⃗+ [Op[2]]]c Å[m̄

m̄ $\frac{m}{pl}$ m̄ m̄ ⃗+ O[x]]c Ep[+E0]] +[P+[BP-r] ⃗+ Ep]d A $\frac{m}{pl}$ A]+[dr][x] +[N]d ⃗+ O[x]+[me]]c ÅP] + A+

([Ȧ a d O]m]c O[2]+ [Ȧ a d ⃗+ AO]+[p[x]cȦ][x2]] + P+[A[p]-O] ⃗+ BP]d ⃗+ pl $\frac{[x] BP}{m̄ m̄}$ pl] + O[Ȧ[O] m E + Ep[x] ⃗+ [dr]- d

pl ⃗+ BP] +[[m̄ Ȧ[Ō] E] m̄ ⃗+ O[Ȧ[O]]][me]] +] +[Ampl ⃗+ E] +[Ep + Ac E0 + mpl + [dr] +]d BP A - A] +][x]

[m̄ [A-A]] ⃗+ [Nd ÅP[Ō]p] ⃗+ E0]+[P+Ampl ⃗+ [ÅP[BP] ⃗+ O] ⃗+ P[n] BP-O[x]] + ÅP + Nm [Ampl ⃗+ E0] ⃗+

E ⃗+ BP[x]][A + in] + [m̄ pl[B]]c [B̄[2]] mpl A][BP-A[x]] + P+[BP]d Ō + A m[[dr] ⃗+ pl] ⃗+ ÅP[BP]+[Ā] m̄

[[h+Py] ⃗+ [Ō[x]] - d[r] ⃗+ Ō]] +[A $\frac{Ō}{Ō[x]}$ A] ⃗+ [ÅP] -] +[P[BP[1] ⃗+ [d] ⃗+ Ō] +BP[2] ⃗+ [ABP[x5]]mpl+[me]-Nd

Å[pl + Py-O]d[m̄ m̄]][P[P] A[d] ⃗+ [dr]+[pl] ⃗+ [BP-Ō]]] ⃗+ [P[P] + A[d] ⃗+ Ō ⃗+ P] + [P[P] p̄l +A + BP[O]] +[c

[d] ⃗+ [P+Ampl ⃗+ [B]]pl] ⃗+ P[2]] +[[pl ⃗+ [B̄P[O]] +[dr]]m ⃗+ A] + [P+A ⃗+ E0[Å][d]] ⃗+ M[pl] ⃗+ E0[2] ⃗+

E[2] + [dr]] + [P[[me][1-13]] d Ampl] BP[1] m[B][d]]c ÅP[1]][[in]dM] ⃗+ ÅP + me[15-16]]c me[13-17]

d Ampl BP[1] m[B + BP[Q][d]+pl]]c ÅP[2]] + [Ampl BPpl + me[17 - 27] ⃗+ ÅP[2]]c[Adpl ÅP[3]] +

[P+Āmpl + Ep ⃗+ BP] +[Ȧ[O] m pl BP+d] ⃗+ +	P+A $\frac{[BP[1]+mdplmBP[2]]cBP[3]mpl E+Ampl ⃗+ ȦE]+BP[2]mpl]}{+[dr]]cBP[3]pl ⃗+ E +[BP[1]+in] Am[O] pl+A]c}$ BP[3] A	
Ampl P[P] A-A m̄ m̄ E0[Ox]+]P+Ad[m̄ m̄]pl	BP[3]d+BP[1]+BP[2]cBP[1.5+2]]P+Ad + m̄ ⃗+ A] d ⃗+ Å + Ampl	
+[d]+Py P+A[BP]+O[x2] mpl ⃗+ E0, O[x] + P+AdE]	[P+Ampl E0 ⃗+ BP-O] +[Ā[m̄ m̄ - Ȧ[Ȯ]]d ⃗+ O]c Å +[d] + Å +	

Ampl	Ȧ[O]+ÅPd[N]pl+c O[x]	E0	Tdc P[P] ⃗+ P+P[2]] + [P+ Ā + Å ⃗+ E0] m̄ ⃗+ [E O[Ȧ[Ȯ]] Ph-Q]]c Å2]
E[1]+E[2]	O[x] p̄l m̄ ⃗+ E0 ⃗+ P[BP]	[r]	[[EdO]pl[me] ⃗+ [E] + Oc Å] + P+Ad ⃗+ [Nd ÅP][x] Ac Å ⃗+ ÅE[d ⃗+ m̄
A $\frac{BP}{A[x]}$ A	Tm E0 m̄pl ⃗+ O[x]]c O[x]	[P]	Q̄ Ep] +] + [Ȧ[d] ⃗+ O[P]] +[T[d] ȦQ mpl] ⃗+ Ep[mpl ⃗+ E[1] ⃗+ E[2]] d N-Py]+

+ Ȧ[dpl[2] +[r]] ⃗+ E0]+[TmȦd] ⃗+ [Ep[x] d Ȧ[Ȯ] m $\frac{A}{E}$ m]c Å +[[E0]+Ad+ Op[x2] m̄ $\overset{m̄}{c}$[Op][x]]+ A

+ Adpl ⃗+ Op[2]] +] Å[x3][pl + d]+[r]] ⃗+ E0] + Adpl ⃗+ [Nd Ep]c O[?] [r] ⃗+ E0] +] + Ep+dO+[O[x2]] m̄ m̄ [mpl]] +

$1 > 2$ $1 > 2$
$2 > 3$ $3 > 2$

stuffed
Object → statues

Metal bar affected by a speck of rust

Man action man

Statement → body part → object

I've seen his hand slap her face while he bore his brass knuckle

Inner thought.

Scene of crime → reconstruction → body part - object

body part.

Remade the scene.

Object $\xrightarrow{is}$ type $\xrightarrow{with}$ object part $\xrightarrow{at}$ ends / sides.

Ex.

The torture coffin is of a Blood Type edition with long spikes at its every end.

His metallic Mark eight nine head with its dark red eyes inside the plaster common belongs to me.

It's $\xrightarrow{a}$ special object → taken from → place → with specific profession and → special person.

It's a given box taken from a junkyard, with strange ugly we put inside special angelic talking dead figures chewing on little children.

Object → modifier.

~~The nose tent melts~~

The nose melted.

Presence (location) → place ⟷ belongs to (people, object) → and obj → place

I ~~thud~~ through the library belonged to the books. people and spirits.

People → clothes → person, → person → in clothes → state (location) → modifier action → action → object → action → person → → passive action → object in place (room) → selected object ~~Alt~~ from the sides' specific action ⟷ belongs to person → belong to

Object → property → location → person → action – reference → person.

Legs → reference → action → reference.
Climb

Person → action → object → reference / comparison

Person → limb → comparison.

Time → time → space → Person → status.

· Person → space → Person → limb → comparisons → limb → comparison.

· Part → environment → comparison → person → action → environment → object →
→ Person → object; → Person - part → object;

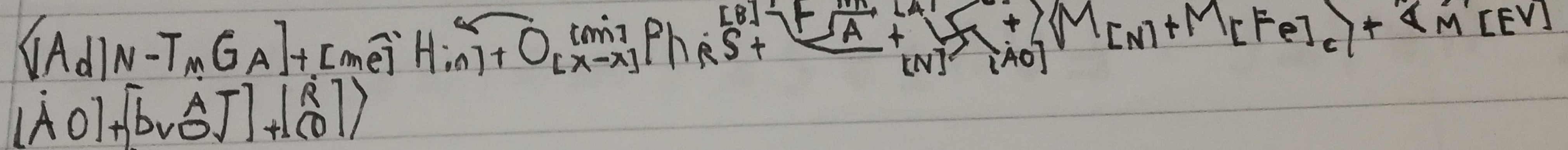
· Object → passive action → location → time → reference → object → object →
object → action → action → location → person → action → comparison →
→ people.

Noun → action → object → pies → person → person.

Reconstruction → object → interaction → object.

20 BOTH / STUDY·DESCRIBE OBJECTS

19 READ


⟨[Ad]N-T_M G_A]+[mê] H:n]+O[mi] [x-x] Ph ṛ Ṡ [B] T F m A [Ȧ] + [N] c] + [ȦO] ⟩⟨M[N]+M[Fe]c⟩+ Ṙ ∢ M⃗ [EV̇ c]
[ȦO]+[bv Ȧ/O J]+[Ṙ/O]⟩

$|\mathring{A}]_c \quad [Py|d+[n]P_{[me]}+Ad\xrightarrow[+]{}[N]]+\langle A\,\bar{m}\,[\overset{[n]}{P_c}\,\overset{[n]}{P_2}]\rangle+\langle|\mathring{A}|\xrightarrow[+]{}P^{[n]}_{2[me]}+Ad\xrightarrow[+]{}[N]\rangle+[A\,\bar{\bar{m}}\,\mathring{A}]$
$[me]_c[d]]$

$\langle P+Ad+pl\xrightarrow[+]{}\dot{A}O+[\dot{m}e]\xrightarrow[+]{}O_{[1]}\rangle \quad \langle[P_{[P]}[me]d]_c\dot{A}O_m P_{[Py]}+\langle[A^{\overset{\bar{m}}{N_1O}}_{[x]}A_{[me]}]\xrightarrow{\bar{m}}[\dot{A}\mathring{O}]+[\bar{m}]\rangle$

$\langle[P+Ampl]+[0]_{\dot{A}0]}\rangle\xrightarrow[+]{c}[\dot{A}0]+\langle[Ad\,\dot{A}0]\xrightarrow[+]{}[Py\xrightarrow[+]{}me+in]N[P_{[e]}]\rangle$

$\langle[P_{[Py]}\overset{d}{-}\bar{A}]\xrightarrow[+]{}[N[P_{[x]}+\bar{A}mP]]\rangle_c|\mathring{A}|+Ad\xrightarrow[+]{}\langle\dot{Q}_{[N]m}\rangle\xrightarrow[+]{}[Ph\frac{A}{n}P_y\overset{\dot{A}}{]}_c|\mathring{A}|_{[2]}+\overset{r}{P}_n[Py]Ad$
$A_{mpl}\xrightarrow[+]{}[n]+[in-A]\overset{\leftarrow}{\underset{\rightarrow}{+}}[in]A[N]_c[|\mathring{A}|_{[3]}\bar{m}A]$

$\langle[Py-N[P+P_{[2]}[me]Py[0]_{[x]}]_c[\dot{A}0]\rangle$

$\langle[P_{[n]}Py-0]_c Q\xrightarrow[+]{}\dot{A}_{[0]}\rangle_c|\mathring{A}|+\langle Ampl\rangle\xrightarrow[+]{}[T_c Q]+E\rangle+\left(\begin{bmatrix}\dot{A}\\ \bar{m}e\\ [6]\\ [A]\end{bmatrix}\right)$ Higher obstracts

$$\left|\left\langle\begin{bmatrix}\dot{A}\\ N+P]\\ \hline [x]\\ [m]\end{bmatrix}+\begin{bmatrix}[me]\\ Py-m_0\\ \hline A\frac{\dot{A}O}{c}A\end{bmatrix}\right\rangle+\left\langle\begin{bmatrix}\dfrac{P+A[Py]_c\overset{\dot{A}}{\mathring{A}}}{A\frac{[x]\,m}{[me]}A}\end{bmatrix}+\begin{bmatrix}\dfrac{P+A[P\dot{y}]}{Ampl\,|\,BP+\dot{A}E_{[x]}}\end{bmatrix}^{[n]}\right\rangle+\begin{bmatrix}\dfrac{\mathring{A}-[N]\dot{R}_c][\dot{m}]}{A_T[O_{[\dot{A}[0]]}]_c me}\end{bmatrix}_c\begin{bmatrix}\dfrac{\mathring{A}+A}{[me]-O}\end{bmatrix}+\begin{bmatrix}\dfrac{[m]E_{[x]}}{\dot{n}A\underline{\mathring{}}A}\end{bmatrix}+\right.$$

$$\left.+\begin{bmatrix}\mathring{A}_{[2]}\\ mPh\end{bmatrix}d\begin{bmatrix}\dfrac{\dot{A}m}{[0](n-d)}\end{bmatrix}\div\begin{bmatrix}\dfrac{[me]\bar{m}}{[0]\;d}\end{bmatrix}\bar{m}\begin{bmatrix}\dfrac{N+T+\dot{A}}{[0]_{[2]}{}^{[<]}}\end{bmatrix}\right| \quad +[T_N]+Pd[\mathring{A}]$$

$$\left|\begin{matrix}\mathring{\bar{A}}\\ m\end{matrix}\right|\times\left|\begin{matrix}PY\\ [x]\end{matrix}\right| \qquad \begin{bmatrix}\dfrac{[\mathring{A}[N]\bar{m}]\bar{m}}{\bar{m}\;P+A_{[x]}}\end{bmatrix} \qquad \overset{<}{[} \quad \overset{\wedge}{[} \quad \overset{>}{[} \quad \overset{\wedge}{[} \quad \overset{>}{[} \quad \overset{<}{[}$$
$[\bar{P}\times N]$

$$\left|\begin{matrix}\mathring{A}[\times 6] \times \overset{\dot{R}c}{ph[\times 6]} \\ py[\times 6] \times m[\times 2]\end{matrix}\right| \overset{\mathring{A}[\times 1]}{\times} \begin{bmatrix} N[\times 3] \\ T[\times 2]\end{bmatrix} \times \left[\begin{matrix}E[\times S] \\ Bp[\times 2]\end{matrix}\right) c \begin{bmatrix}\mathring{A}ph + A[N] + pl[E] \\ [py]+[0]\, m\, T + Bp\end{bmatrix} c \begin{bmatrix}\mathring{A}A \\ O+P\end{bmatrix}$$

$[\dot{A}]+[[+Ad\,[N]P+Py]$

$[\dot{A}]_{[x]}\,\dot{m}[Py]+P_2+Ad[Nd\,P]\,c\,\mathring{A}$

$[P+Ad]^{c}_{Py}\,mP+[Ad\,Nd\,P_1]$

$[P+Ad\,\vec{\div}\,Ph]+[N]^{P}_{c}[Phd\,BP]$

$+\ P_2+c\,[Ad]\,\vec{\div}\,P[A\,\mathring{\div}\,A]$

$Ad\,\vec{\div}\,A_{[0]}+]\,c\,\mathring{A}_{[x]}$

$Pyd\,\mathring{A}_{[x]}\,\vec{\div}\,A_{[0]}$

$P+Ph+Py\,d\,\vec{\div}\,\mathring{A}_{[x]}$

$[Tm]+[\bar{m}]+Ad_{[x]}\,P$

$[Py+A_{[x]}][Ad_{[x]}]$

$c\ [Ad]_{[x]}$

$d+\mathring{A}_{[x]}$

$N-P+\bar{m}e$

$Ph_{m}Py$

$\mathring{A}_{[x]}\,P_{[x]}[mpl+\bar{A}]_{[x]}[Nd]_{m}\,A_{[x]}$

$T(mP)\,d\,A_{[x]}][P[\bar{m}]\,A\,m\,P)+$

$P_2+[BP]_{m}Py\,m[A_{a}]+[P_2|BP]_2\,A_{0,2}]$

$A_{[x]}\ A_2\ m$

$\epsilon[\dot{A}E]+[P_1+P_2]+A\overset{m}{\div}A+Py-O_{[x]}\,m[PhA_{[x]}$

$[\dot{A}P+]_{[x]}\,BP+A_{[x]}[m\,c[Py_c-Ph-Py]_{[x]}]$

$[\dot{A}E]+[Ad\,\vec{\div}\,A_{[x]}]\,\vec{\div}\,[Nd\,\dot{P}]_c[A\dot{m}]+[N]$

$[P+A\bar{m}\,Ph\,O]_{[x]}+[N\dot{E}]+[A_{[x]}+m_{[x]}\,(m_P)_{[x]}+E]_c\,\mathring{A}$

$[P+\dot{m}\,\vec{\div}\,\mathring{A}]\,\vec{\div}\,mp|\vec{\div}\,A\,\vec{\div}\,P'+BP]\,\dot{m}\,P_{[n]}+[n]\,\dot{A}_{[x]}\,\vec{\div}\,me$

$c\,\mathring{A}_{[x]}+P+\mathring{A}_{[x]}+[AE_{[0]}]_c\,P'BP\,\vec{\div}\,P'\,P_{2[x]}+Q+[n]]$

$[\mathring{A}_{[3]}\overset{c}{+}[P+P_2]c+[N-N]\,\bar{m}$

$[P\bar{N}+Ad\,\vec{\div}\,\bar{m}\,\vec{\div}\,P_2N_{[2]}+\dot{A}O]$

$P_2[AP\,c\,\dot{R}]\,\bar{m}$

$P_{[1]}[\dot{A}P_{[2}\,c\,R]\,c[N]$

$P+[Py_cPh]BP]$

$[n]\,\bar{m}\,]\,A[\dot{A}]$

$[BP+A+Ph+A]_c\ \mathring{A}[m\,\vec{\div}\,[Py+Ph]$

$[P_1+P_2\,Tm\,c[N]_{[x]}]$

$P_{(P)}-\dot{N}]\,\bar{m}\,\vec{\div}\,P_{[x]}\,\dot{A}\,P_{[x]}$

$[AE]+]\,A\,m[\dot{A}]\,\bar{m}\,P_{[P]}$

$[N\dot{E}]d\,P_{[P]}\,\bar{m}\,A\,\hat{-}\,A[BP]_c$

$\dot{A}[O-O_{[x]}]\,\dot{m}\,P_{[N]}+$

$\bar{m}\,P_{[2]}\,N+E\,\bar{m}+\dot{A}$

$[[P_{P}y\bar{m}]\overset{c}{\div}[N^{\dot{A}}_{c}\,\bar{A}\frac{P_{[2]}}{P_{[3]}}\bar{A}+BP_{[x]}]_c\mathring{A}$

$\mathring{A}\,\bar{m}Py+Ph-n[P]+])\,c\,\mathring{A}_{[2]}$

$+\left[\begin{matrix}\mathring{A}_{[-2]}\\ \bar{m}\\ \bar{m}\end{matrix}\right]+\left|\begin{matrix}\dot{R}\\ c\end{matrix}\right|+\left[\begin{matrix}P_{[n]}\,\bar{m}+[\dot{A}_P]A\\ (Ac]+\dot{A}m\,\vec{\div}\\ P+P_{[2]}]+T\end{matrix}\right]$

$(\bar{P}y-O]\,c[N+]_c$

$\bar{m}\,Pho\,\bar{m}\,Py]\,c\left|\begin{matrix}\mathring{A}\\ A\end{matrix}\right|$

$O_{[T]}+T_{[2]}+P+A$

$E\,m[N]-O_{[2]}+[B]\,m]$

$[P+P_2+Am\,P[Py]c$

$[Nd[P_{[P]}]\,\bar{m}\,Ph+[n]+[mP]]$

$[\bar{m}P]A+\bar{A}_{[0]}\,c\,A$

$\bar{m}\,P+\bar{A}+[N]$

$Py-O[P]+Ad[\bar{N}]$

$BP+BP_{[2]}+P_{[P]}+A\overset{\bar{A}}{\underset{0}{\div}}A$

$D+T(R)+N-P$

$E_{[x2]}+M_{(n)}+P[d]\,A$

$[\mathring{O}A_{[N]}m[n]+\dot{A}\dot{R}+O_{[N]}P+[OTd]$

$T_n[V]NdP+[B]N_cO+\dot{R}_D+[N]A+eR$

$[\bar{N}]\frac{m}{[nd\,P]}[\bar{N}]]\,c\,\mathring{A}+$

$\mathring{A}\,d\,\vec{\div}\,[PY]\,\bar{m}[Ph]]$

$+\left[\begin{matrix}P+[Py]+Ad\,\vec{\div}\,[m\bar{e}]+\bar{Q}]\,c\,\mathring{A}\\ P_2+[Py]+Ad\,\times[m\dot{P}]+\dot{Q}]\,c\,\dot{A}_{2]}\end{matrix}\right]+\left[\begin{matrix}\mathring{A}\bar{m}\\ \mathring{A}_{[2]}\end{matrix}\right]$

$[T+P_{[1]}\frac{[N]}{\bar{m}}P_{[2]}]$

$P_{[P]}+BP_{[x]}\,\bar{m}\,Py+Ph\,P_{(P)}$

$c\left[\begin{matrix}\mathring{A}+Ad+[m\bar{e}]\\ \bar{Q}+\bar{A}+[n]\end{matrix}\right]$

$$tR_{[v\overset{i}{-}_{e}]}\left(\overset{[ph]}{\langle}+V+a\right)+\ell_{\dot{n}}+\overset{(\bar{m})}{\ell}+p.\frac{\dot{s}\;\ell}{J}c\;\dot{v}+(\widehat{M})^{?}+Wh\overset{d}{+}A\overset{\wedge}{-}A+n\dot{h}\ell(+J\wedge)+\dot{A}\overset{?}{+}p_{[ph_{[o]]}}^{\wedge m(p)}\Big]$$

Important ones.

$$[\dot{A}_{[Ph-0]} \xrightarrow[E_1]{A - \bar{m} A} O] \xrightarrow{+} A \xrightarrow[+]{} E_2$$

$$[T_C \rightarrow [\dot{A}O] \xrightarrow[+]{m} O_A \rightarrow \dot{A}O]$$

$[P + in + (A_{\bar{m}} \overset{A-A}{+} \underset{c}{} \xrightarrow[\varepsilon]{}) Q_{\bar{m}} \xrightarrow{+} T] \dot{\underset{x}{+}} (A + P + T) + [A_T \xrightarrow[c]{} A \ddagger] \rightarrow \dot{A}_P | \ddagger [\dot{Q} + N_{\dot{A}O-O}] \overset{\cdot}{\varepsilon}$
$\dot{A}O_c \rightarrow \overset{\dot{A}O}{P} + (A + A)_{-Am} + E_{Ox2} + \ddagger + [\dot{A}O_2]^{rs} + P + (T - T(m)) + A + [(T_m)_{\dot{A}} \xrightarrow{c} E] +$
$[\dot{A} \xrightarrow{\mp} P (BP_{\bar{m}} O)] \xrightarrow{\mp} \boxed{\overset{E}{p+d}} + E_0 \xrightarrow{\mp} A_m \xrightarrow{\mp} P_{2(P \overset{c}{-} P)} + [\dot{A}O_3 - \dot{A}O_2 - (A \overset{m}{+} BP_0)]$

$[P + in + A_{x3} Q m^{T}_{x3}][APT] \overset{m}{+} \dot{T}AO_{+P}| + \bar{Q} \xrightarrow[n]{} \dot{A}O_{x2} + \overset{\dot{A}O}{P} + 3 \times A_{(-m)} + \overset{E}{O}_{x2} + T + \dot{A}O + P + [\overset{T}{T}_m + A + \dot{A}c \rightarrow E]$
$[P' BP^{\dot{A}n}_m O] + pl \overset{E}{+} d - A + [E_0 A_m] \perp P_c + (\dot{A}_m BPO)$

$[A^{A-A}_{Py}] + A^{\bar{Q}}_m + P + [\dot{A}O \overset{m}{=} P_y \xrightarrow{+} P] + [Q_{P(P)} + E_0 \overset{\rightarrow}{\mp} m BP_{(P(P))}] + (N_g \overset{\dot{A}}{P}_m) \xrightarrow[c]{m} Q + N \xrightarrow[c]{} \overset{\circ}{\dot{A}}{}^{Py}_{Ps})$
$[P + (\overset{N}{\Omega} T) \xrightarrow{\mp} P^{Na}_{(P)} \xrightarrow{\mp} N_3 - E] + [T^m - \dot{A}_0] + [\dot{A}_0 \xrightarrow{\div} E_{Om}] + [(A - A) \xrightarrow[c]{} \overset{m}{\dot{Q}} \xrightarrow{\mp} P_{BPm} \rightarrow QBP]$

$[A_m E \xrightarrow{\mp} d - P] + (mi \dot{Q}) + [N^c(P) \times 5 + \dot{A} \rightarrow \langle \quad \rangle] + [\overset{C-N}{A \overset{P}{-} A}]$

$[\dot{A}_P - P_{(class)} - m] \xrightarrow[c]{} BP$

$[\dot{A}_{Eph-o} \frac{A - \bar{m} - A}{E} O] + A \xrightarrow{\mp} E_2 \langle + P + A \xrightarrow{\mp} [P_{-n} \overset{m}{\ddot{N}}_{+E}] \rangle$

$\dot{N} = P_y + Ph \xrightarrow{\mp} [\dot{A}_a \frac{[\dot{A}O]}{n} \dot{A}_a]^{\bar{m}}$ [ed = environment direction]

Specific analysis tool: (Experimental)

$P + [r_{S(S)}] + A_{\dot{m}} [A[v \rightarrow n\, n]]^{\bar{m}\,\bar{N}} + A / + [t_{\cap S}] + [l \overset{\cdot}{\underline{i}} S] + A_m BP + [P_r \overset{A}{-} O] + [T + M_r$
$+ P_M \dot{t} + in A_P + [r \xrightarrow{\mp} A + P + [lS] + (Db \bar{m} A)_c] \rightarrow \dot{A}O + [H \bar{m} (\overset{N}{\Omega} \dot{\bar{m}}) \xrightarrow[c]{} T + A + P \xrightarrow{\mp} i \overset{\cdot}{c}$
$+ F \overset{\cdot}{\rightarrow} O + [l \dot{y}] \rightarrow J_{Trin P_{7}} + A + P \uparrow$

$[P + in + (A_{\bar{m}} \overset{A-A}{+} \underset{C}{} \xrightarrow[E]{}) Q_{\bar{m}} \overset{\rightarrow}{+} T] \overset{+}{\underset{x}{}} (A + P + T) + [A_{T} \xrightarrow[C]{} A \mp] \rightarrow A_{P} | \mp [Q + N_{AO-O}] \ldots$

$\dot{A}O_{c} \rightarrow \overset{\dot{A}O}{P} + (A + A)_{-Am} + E_{Ox2} + \mp + [\bar{A}O_{2}]^{r} + P + (T - T(m)) + A + [(T_{m})_{\dot{A}<}, E] +$

$[\dot{A} \overset{\rightarrow}{\mp} P (BP_{\bar{m}} O)] \overset{\rightarrow}{\mp} \boxed{\overset{E}{P+d}} + E_{o} \vec{t} A_{m} \overset{\rightarrow}{\mp} P_{2\,(P \overset{c}{-} P)} + [\dot{A}O_{3} - \dot{A}O_{2} - (A \overset{\bar{m}}{+} BP_{o})]$

$[P + in + A_{x3} Q \overset{T}{m}_{x3}][APT] + \overset{\bar{m}}{\dot{T}}AO, pl + \bar{Q} \vec{n} \dot{A}O_{x2} + \overset{\dot{A}O}{\dot{P}} + 3 \times A_{(-m)} + \overset{E}{\bar{O}}_{x2} + T + \dot{A}O + P \{ \overset{T}{T}_{m} + A + \dot{A}_{<} \rightarrow E]$

$[\dot{P} \theta \overset{\dot{A}n}{P_{m}} O] + pl \overset{E}{+} d - A + [E_{o} A_{m}] + P_{c} + (\dot{A}_{m} BPO)$

$[A_{Py}^{A-A}] + A_{m}^{\bar{Q}} + P + [\dot{A}O \overset{m}{=} P_{y} \overset{+}{\rightarrow} P] + [Q_{P(P)} + E_{o} \overset{\rightarrow}{+} m BP_{(P(P))}] + (N g \underset{m}{\overset{\dot{A}}{P}}) \xrightarrow[c]{m} Q + N \vec{c} \overset{\circ}{\dot{A}} \overset{Py}{P_{x}})$

$[P + (\overset{N}{\Omega} T) \overset{\rightarrow}{\mp} P_{(P)}^{N_{1}} \overset{\rightarrow}{\mp} N_{3} - E] + [T^{m} - \dot{A}_{o}] + [\dot{A}_{o} \overset{+}{\rightarrow} E_{om}] + [(A - A)_{c} \rightarrow \overset{\bar{m}}{\ddot{Q}} \overset{\rightarrow}{\mp} P_{BPm} \rightarrow QBr]$

$[A_{m} E \overset{\rightarrow}{\mp} d - P] + (m_{i} \dot{Q}) + [N^{c}(P) \times 3 + \dot{A} \rightarrow \langle \quad \rangle] + [\overset{C-N}{\dot{A} \overset{P}{-} A}]$

$[\dot{A}_{P} - P_{(class)} - m]_{c} \rightarrow BP$

$[\dot{A}_{EPh} \frac{A - \bar{m} - A}{-o \quad E} O] + A \vec{F} E_{2} \langle + P + A \overset{\rightarrow}{\mp} [P_{-n} \overset{\bar{m}}{\dot{N}}_{+E}] \rangle$

$\dot{N} = P_{y} + Ph \overset{\rightarrow}{\mp} [\dot{A}_{a} \frac{[\dot{A}O]}{n} \dot{A}_{a}]^{\bar{m}}$ [ed = Environment direction]

Specific analysis tools: (Experimental)

$P + [r_{S(S)}] + A_{\bar{m}} [P_{[v \cap n]}]^{\bar{m}\,\bar{m}}_{+} A / + [t_{\cap S}] + [l \overset{i}{-} S] + A_{m}BP + [P_{r} \overset{\Omega}{=} O] + [T + M_{r} + [J - \Lambda] +$

$+ P_{M}t + in A_{P} + [F \overset{\rightarrow}{\mp} A + P + [lS] + (Db \bar{m} A)_{c}] \rightarrow \dot{A}O + [H_{\bar{m}} (\overset{N}{\Omega} \bar{m})_{c} \rightarrow T + A + P \overset{\rightarrow}{\mp} i \vec{c} | [O \bar{m} P]$

$+ F \overset{+}{\rightarrow} O + [ly]_{c} \rightarrow \dot{J}_{T[io P_{2}]} + A + P$

[J = curved time] [$P_{[b]}$ = Person, body] [r + rSe = rotation + side + E]

$[M + P_{[b]} T \dot{n} + \overset{m\leftarrow}{O} \dot{r} + v] + [ed \bar{m} + A \overset{\leftarrow}{+} vr] + [A d \overset{\rightarrow}{\mp} A \overset{\rightarrow}{\underset{m}{=}} A_{[\overset{+}{Py}]} \dot{A}_{a} + P_{2} \bar{m}] \overset{\rightarrow}{\mp} [N] + [P \overset{h}{N}] + A d \overset{\rightarrow}{\mp} Ph_{m} t +$

$A + d \overset{\rightarrow}{\mp} e \vec{r} [\dot{O}h] + n F \vec{r} E_{n} + \rangle + A_{\bar{m}} + P + [l s_{m} A_{BP} + E(N) + V_{(x)} + [4K] \frac{+ t \overset{\bar{m}}{e} O - P}{P n l d v c k}] + A_{(B)}^{+} A_{cnr} \overset{\pm}{m} \rightarrow d +$

$[r + A + l \vec{v} + r + [Gd]^{ABP}_{m} (\vec{N}) + H \check{o} + [N(l)]_{O(x)} + A + S_{(O)} - v + A + v + r_{e} + Se] + [J_{m} P \vec{c} V_{[S]} \overset{\Omega}{\overset{\rightarrow}{\mp}} f \overset{\rightarrow}{\mp} V_{a}$

$\rightarrow d + P_{m} \overset{\rightarrow}{\mp} V_{(n)} + B_{(pl)} + A]_{c} \rightarrow N]$

S.Reed

Relation (object-bulk) → action action → People (specific) → object, → object part → modifier → object → frame of reference → object

My brother pulled and ripped Thor Bretin's large headed claws and children's molded molutth, as the knives he used were put back into the glass case along his other antique ripped-off broken blades.

Person → half-action → reverse-act → object → with → body part of → body part.

Object's object → object → object → action (passive) → near (or close) or

→ object.

The carpet's brows, little boxes, his little liver ~~bed box~~ were placed

~~on~~ on adjacent wall.

Object → direction → object.

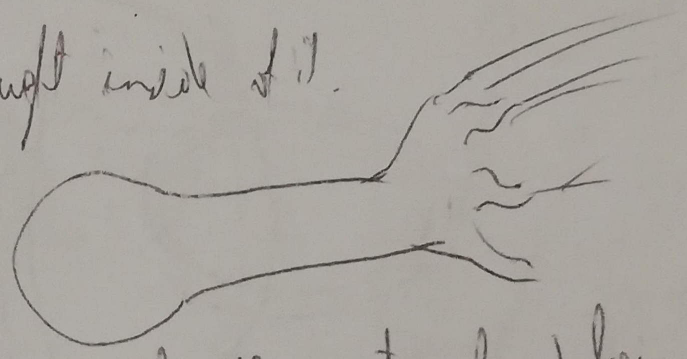
The head pointed ~~the~~ to the Chauffer's damp.

The → object → material → action → direction → placement →
depression type → shape (form) [illegible] → x₂ → reason → environment [illegible]

The head of the temple was of a deeply sunken bile that leaned around the top sides, crawled around the back into a fissure formation that parted out of a deep steep declivity to form a pseudo-long hill.

Object → direction → of object → height $\xrightarrow{and}$ object shown.

Its wings were pointed outwardly towards the one of the highest claim, showing a great deal of the features that were wrought inside of it.

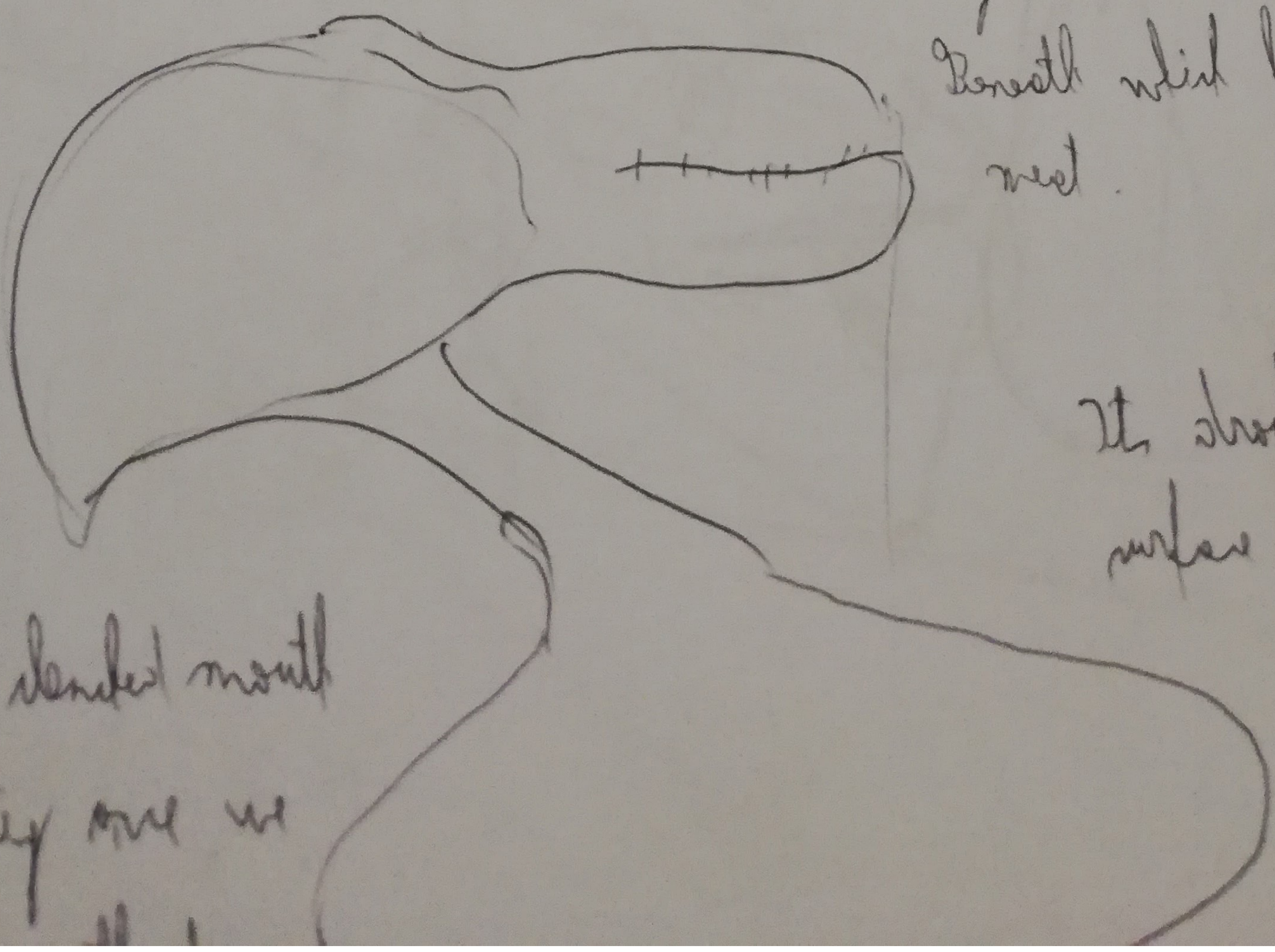


Action → action → action

I will go, eat and hear..

~~A~~ A Peculiar thermometer shaped being ending up in a system of beam-shot roots

A strange mushroom top that protruded on one side forming a strange clenched ~~mouth~~ toothless mouth. Beneath which lay a crawling mass of meat.



Its blood hardened upon the surface of its body.

The clenched mouth
egan talking once we
[illegible]

Phonetics decoding - individual words + groupn.

$[\dot{A}O]_c \to [\dot{A}S] + ([7][\dot{A}S]_{(2)} + (\overset{\dot{A}[1]}{\bar{m}}\dot{A}[3] \overset{[n]}{+} \bar{m}[1]\rangle + \langle[\dot{A}S]_{[1]} + [n]\rangle + \dot{A}S[\dot{R}_{[0]} + [\overset{3}{\dot{O}}]] + [\overset{5}{\dot{O}}\dot{A}S_{[2]}\overset{5}{\dot{O}}]$

$\langle\dot{A}_{(1)} + [\dot{A}S]_{(1)} + A_{[8]}\rangle + \vec{\bar{m}}\,\overset{5}{\dot{O}}_{(6)}[\dot{A}S_{(2)} + m[3]] + ([3\overset{5}{\dot{O}}] +_c \dot{A}S_{(2)} + \overset{5}{\dot{O}} + \dot{A}S[3] + \overset{5}{\dot{O}}) + \overset{3}{\dot{O}}\rangle + \langle[\overset{5}{\dot{O}}\dot{A}S[7-2] + \dot{A}S[1/$

$2] + \overset{5}{\dot{O}}]\rangle + \langle\overset{5}{\dot{O}}_{(2)} + \overset{5}{O}_{[in]}m \xrightarrow{+} \overset{5}{\dot{O}} + \overset{5}{\dot{O}}_{(2)} \xrightarrow{5} \dot{A}S[2] + \dot{A}S[0-1] + [\overset{5}{\dot{O}}_{(2)}\,\bar{m}\overrightarrow{[1]} + [in]]\rangle + \langle O\,\bar{m}[\dot{A}S_{[2]} \to [+Th \xrightarrow{c} 0]$

$+ O[8] \xrightarrow{+} [1m[\vec{c}\,\dot{A}S[1]]\,\bar{m}\,O[1-3] + (O[8]\bar{m}) + [in]\vec{\bar{m}}\,O_{[2]} \to \bar{m}\rangle + \langle O_{(4)} + (O^{+c}_{(5)} \to \dot{A}S^{+}_{[1]}\,in.$

$+ \dot{A}S_{[3]} + [\bar{m}[0]_{[1]}] + (O_{[7,8,?]} \xrightarrow{c} [\dot{A}S] \to \dot{A}O_{[2]} + \dot{A}S[6] + in_{[2]}\rangle\rangle (O_c[S_0]\rangle_c[OS]]_c O\rangle \to$

$(O_{[4]} \xrightarrow{c} O_{[1]} + \overset{\dot{A}}{O}_{[2]} \to \dot{A}S_{[2+1]}] + O_{[3]})_c \to \langle\dot{A}S[\dot{O}^{5}_{[3]} \overset{m}{+} \overrightarrow{O^{3}_{[3]}}]]^c (O_{[3]} \xrightarrow{c} O_{[1]}^{(1,+} O_{(3)+} \xrightarrow{c} \dot{A}S_{[2]}]]\rangle + O_{(3)}$

$+ \bar{m}\,O_{[5]} + \langle O_{[5]} \overset{+}{\underset{c}{\to}} O_{[2]} + (\dot{A}S_{[3]} - m\,O_{[1-2]}) + O_{[4-5]}] + [O_c \to \dot{A}S]\rangle(\bar{m}[0] \xrightarrow{+} \dot{A}S \to \dot{R}_{(2)}]$

$\langle[SO]_3 \overset{+}{c} [O-x2] + AS \to [1] + in\rangle + \langle SO_{[3]} + \dot{A}S_{[2]} \overset{c}{\leftarrow} + [in]_m\rangle\langle SO_c\,\dot{A}S_{[3]}[O_2m] + SO_{[2]c}\,\dot{A}S_{[3]}[m + ?_{[0]}]\rangle \xrightarrow{+}$

$\langle[in]m + me_c[O_{[5]} \to [4]_c\,[3]\dot{A}S\rangle\langle(SO_{(x)} + [\bar{in}] \xrightarrow{+} \dot{A}S(13) \overset{c}{\leftarrow} \dot{A}_{in}[m \to [me]]^c + O_{S[8]} \overset{\bar{m}}{+} [1]^{+} SO[1+2]_c\,\dot{A}S_{[1}$

$+2+3] + \dot{A} + (O_{S-[3+c}\,\dot{A}S + 1]\,\bar{m} \to \overset{5}{\dot{A}}d \to O_{[7]} + \bar{m}[0]\rangle + \langle\dot{A}S_{[2]} \overset{+}{\to} m \overset{+}{\to} \dot{A}S[4] + [7]\rangle + \langle O_{2+3} \xrightarrow{c} \dot{A}O\rangle +$

$\langle[2-SO]_c \xrightarrow{+} \dot{A}_O \overset{\dot{}}{=} + SO_{[1]} \xrightarrow{\circ} \bar{m}[S=2] \to \dot{A}^{S-1}_{+}[O\,O\,O\,O]_{[5-8]} \to \dot{A}O + \langle SO_{(30)c}\,\overset{\bar{m}}{\dot{A}S}_{[0]-(23)}]\rangle\langle(O_{x2} + O_{x4} +)_c \to \dot{A}S_{[}$

$1 \overset{5}{+} 1_c \to [\dot{2}]] + O_{x4} \to m[1]) + \langle[SO[4] + [in]]\overset{S}{m}_{[1pl]}]_c \overset{+}{\to} \dot{A}S_{[5]} + [S_{[1]} + (S_{[2-3}^{\bar{m}-in}[+ \dot{A}[1]]])_c \to \dot{A}S[1]$

$+ S_{[1]}]\rangle\langle[\dot{A}S_{[3]}^{c}\,SO_{[2]} + O_{[1]} + (O_{[1]} + (O_{[1]c} \xrightarrow{+} \dot{A}S_{[1]}]) + [O_{[3]}m_{[1]} \xrightarrow{5} \dot{A}S_{[1]}] + O_{[2]} \xrightarrow{c} \dot{A}S_{[2]}]_c\,SO_{[10]}\rangle$

$\langle\langle SO_{[6]} \overset{+}{\to}_c [+\vec{6}]\,\dot{A}S[2]\rangle_c \to (\dot{A}S_{[3]}^c\,m \xrightarrow{[1-2]} + O_{[3]} \to [\bar{in}]\rangle_c + \dot{A}S[9]) + \bar{m}[\dot{A}S[1]) = SO[6]_{(x2)}) + \langle SO_{[3]}$

$\overset{c}{+} \to (\dot{A}S_{[9]} - O[3]) + O[+]\rangle + SO_{[-]}\rangle + (SO_{(x2]} + SO_{[3]} + [\overset{c}{C}R[SO(4) \to \dot{A}S_{(4)}] + m + 1AS] + O_{[5]c} \to \dot{A}S \overset{+}{\to}$

$m \to O] + [O(\bar{m})]_c \to \dot{A}S_{[x1]}\rangle + \dot{A}S_{[6]} \overset{c}{\underset{+}{\to}} O_{(x3} + [O_{x3} + in]]\rangle + \langle[SO_{[x6]}]m\,\dot{A}S_c] + SO_{[x3]} + \vec{\bar{m}}\,\dot{A}S_{[2]}$

$\langle\dot{A}S_{[1]}^{m \to}\rangle^R_c + O_{[-1]}) \to (\dot{A}S_{[1+1]}O] \xrightarrow{+}_m O_{[1]}] + O_{[x2]} + (O_{[x2]}^c\,\dot{A}S_{[1]} + [in]\rangle_c \to O_{[x3]+in[\dot{A}S]m}]$

$\langle[\dot{A}S_c \to E\dot{A}P] \to [N]\rangle + [O_{[x2]} \overset{+c}{\to} \dot{A}O]\rangle \xrightarrow{+} \overset{c}{\bar{m}}R[\dot{A}S]\rangle\langle[O_{(x1)} + (O_{(x1)} + O_{(x1)})_c \to \dot{A}S_{[2]}]_c \to [\dot{A}S + in]_{[3-}$

$4]\langle(O[x2] + [in]) + O_{[x1]} \to [O\bar{m}]\rangle_c \to [\dot{A}S]_{[2]}\rangle + [O_{[x5]} + \dot{A}S_m \xrightarrow{c}_{[5-8]}{}^{[N]-O(x)}] + \langle O \overset{\circ}{-} O_{[25]c}([\dot{A}S_{[3]} + [in$

$]_c \to O_{[x1]}]^{-\bar{m}[1]}_c\,[\dot{A}S_{[5]}] + O_{[5]} - \bar{m}_{[1]}) + [O^{[x4]}_{[x4]c} \to \dot{A}S_{[3]} + O_{[4]}]]\rangle\langle + [O^{x}_{[9]} + [in-2]m] + O_{[1]}$

$O_{(x5]c}\,\dot{A}S_{[+]}\rangle\langle(O_{[9]c} \to O_{[8]} \to (\dot{A}S_m)) + [O_8 \pm [in] \xrightarrow{+} O_{[-7]}]] +)_c(N \to SO \xrightarrow{+} [\bar{in}]_{\bar{m}})] + (SO^{[\pm m]}_{[33]}O +]\dot{A}d:$

$[O + \vec{\bar{m}}\,O_2] + \langle O_{(2)} + [\bar{m} \to O]^{O(x1)} + O_{(x2)} + [\bar{m} \to O]^{Ox1} + (O_{(x3)}\,\vec{m}\,[O_{[3]} \overset{+}{\to}{}^c\,\dot{A}S[\dot{A}O - n]] + (N\dot{A}S) - O + \langle O_c$

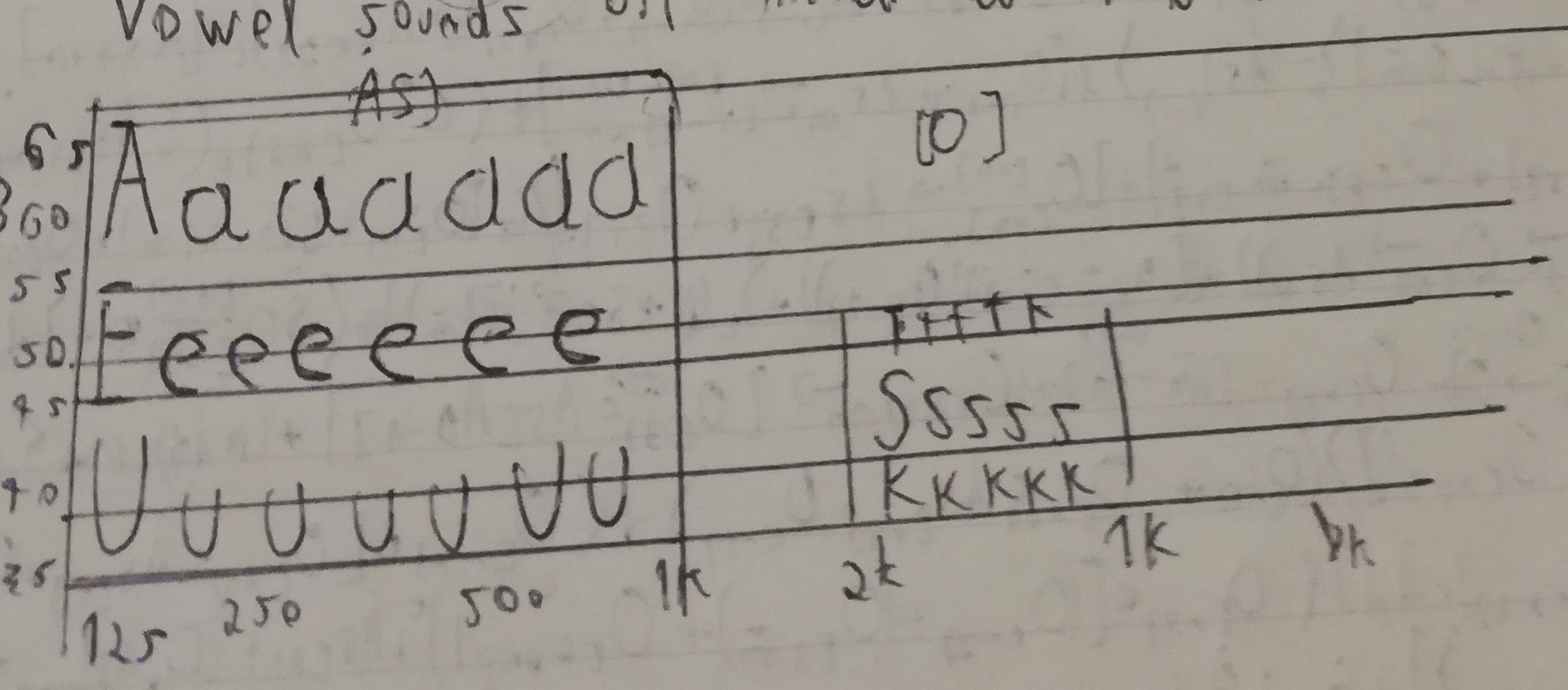
$AS \to + 1[\dot{A}S - O] + \bar{m}[0] \dot{+} O_{(x4)}]]\rangle(Q_{x1} + O_{[x2]}^{c}\,\dot{A}S_{[x2]} + O_{[x1]}\rangle + \langle O_{[x4]c}[O_{[x1]} + \dot{A}S_{[x]} + O$

$(\bar{m}[O_{2,3,4}])_c[O_{[1]} + \dot{A}S_{[x2]}] + \dot{A}_{pl}]\langle O_{[x9]}^c[(O_{(x2]} + (O_{[3\bar{m}}) + O_{[4mpl})^c + \dot{A}S_{[3]} + [O_c\dot{A}S]_{[3]} +$

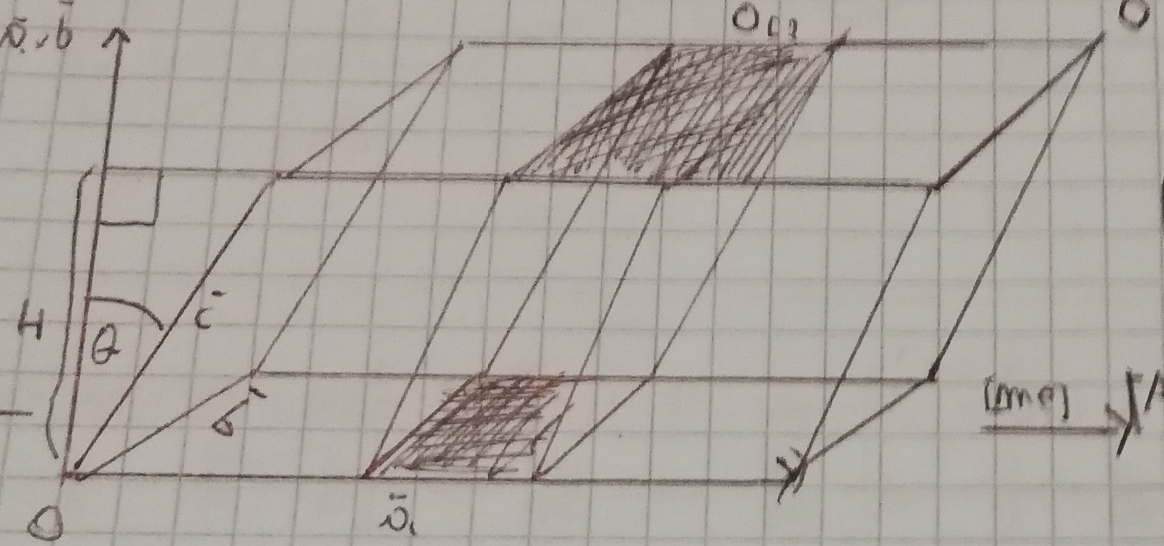
$O_{(x4)c} \to (\dot{A}S_{[1+4]} + O_{(2+3]})) + \dot{O} + \dot{O} \overset{\circ}{+} \dot{A}S + \dot{O}\dot{A}S + \dot{O}\dot{A}S\dot{O} + \dot{O} + \dot{O} + \dot{A}S + [\dot{O} + \dot{A}S + \dot{O}\dot{O}] + \dot{O} + \dot{I}N + \dot{A}S]$

O꜀ ÀS[+m̄ 0] + O(x2)+ O[x7]ᶜ [O(1)+(mpl O[3] − O[2] + ÀS[1])] →꜀ (ÀS[3] + [in]) + [O[x3] c O
+ ÀS[x2]] + [O + ÀS + O[x4] + ÀS + O + O[x2] + ÀS + O[x3] + O[x3] + ÀS + O + O[x7] + [m̄ O[x3]] →꜀ ÀS + O
+ O[x7]] + [O^{ÀS꜀}[x2]] + ⟨[O[x2] + (O^{ÀS꜀}[x3] + [m̄ m̄ ÀS − O[−3]]] + O + [in] + O[x3] [ÀS−A] + m̄ S O[x3] + O[x3] c ÀS
+ [m + O[1]] + ⟨O[2] + [O꜀^{ÀS[x2]}[x1]] + O[x1] + [O^{c ÀS}[x+1]]⟩ ⟨[O[3] c ÀS[3] [in] m̄] + O[x1] + O^{ÀS}[x4]] ⊢ c À[x1]⟩ +
⟨O ÀS O[x2]] + [ÀS꜀ O[3] ˢ O[4] ˢ] + [O(2) + ÀS[2] + O[2] + [O[3] + O + ÀS + O + O[x3] + ÀS[x4]] + [O[3] c ÀS[x2]
⟨[O[x7] [O[x]]꜀ + ÀS[x]] [O−0 + ÀS[x] + [iN]m]꜀ ÀS[x]] + me[0.85]] + [O[9]ᶜ M[m̄ 3] + ÀO] + ꜀ O[in] +
O[3]ᶜ+ 5] O m [me ÀS[3] + O[5]] + [O^{[13]} O꜀^{m̄} + ÀS[3+4] + ÀS[8]] + O[x] + ÀS[4][in]] + O[x] + ÀS −
c in F [3] + [O[1]꜀ ÀS[x3] + [O[x1] + ÀS[x1] + O[x7]] + [O[x1] + [in] m] ⟨[O[x7] →^{m̄} O[x7]] + O[x7]) + m̄ O[x7]
[O × [4] c ÀS[2] m̄ O[2−3]] + [ÀS R꜀ O[1] + O[x2] + in]] + m̄ O[x1] + O[x4]ᶜ À[x3 − N] S] [1] + O[x] c ÀS
]] + O × 2] + ⟨O + O(3) c ÀS[2]] + O[x2] c ÀS[1] − N[0] + O[3] + ⟨O[x3] c ÀS[4] + in] + O + [O^{ÀS}[5] c R]]⟩ +
[O^{ÀS}[x2] R꜀]] ⟨ O[5] + m̄ [ÀS[1] / m̄ [0]⟩ + [O + ÀS[2] + N − O[x3]] + [m̄ in]]⟩ O[x]ᶜ + mpl O[x] O[x]
+꜀ ÀS[2+4]⟩ + ⟨O[x] + m꜀ ÀS[1]⟩] + ⟨O[x3] →ᶜ ⟨[À − N] + A.] [0]⟩ →꜀ S[0] + [4] [O^{c ÀS}[x2]] + O +
O[2] + [ÀS[2] R꜀ O[2]]⟩ + [O[x5]ᶜ ÀS[10]] + O[2] + O[x]ᶜ ÀS[9] + (O[1] + in) m̄ [0] [x7] +
O[7]⟩ [O[x7] mpl] → [O × 1]꜀ ÀS[0] + [O[1] + in] + ⟨O[x2] c ÀS[2]⟩] + ⟨O[x1+1] + ÀS O[7] + [1m] + O[x7]
+ O꜀ ÀS[1] O[3]⟩ ⟨O[5] + ÀS꜀ O R[1]]⟩ → [O[x3] c [N + P] [O[x4] c ÀS[x4] + (O + in) + O[3] c
[O × 4] c ÀS[3]⟩꜀ → [N − ÀS]m → [A + d → B[꜀ → 0]꜀ ÀS]⟩ ⟨O[x2] + (O[x7] c ÀS[x2] (m + [O] +
+ O[x3]]⟩ [O m̄ [x1]]

Vowel sounds are much louder than consonants.



$[Ad\ [me] \overset{\rightharpoonup}{=} [O]]\ \overset{\rightharpoonup}{\lambda}_c\ [\dot{A}O]$



$O_{(x)} \in A_{(x)} \rightharpoonup mpl \rightharpoonup E$

$[A + [O_2] \overset{\leftharpoonup}{mpl}] \rightharpoonup [\dot{A}O]$

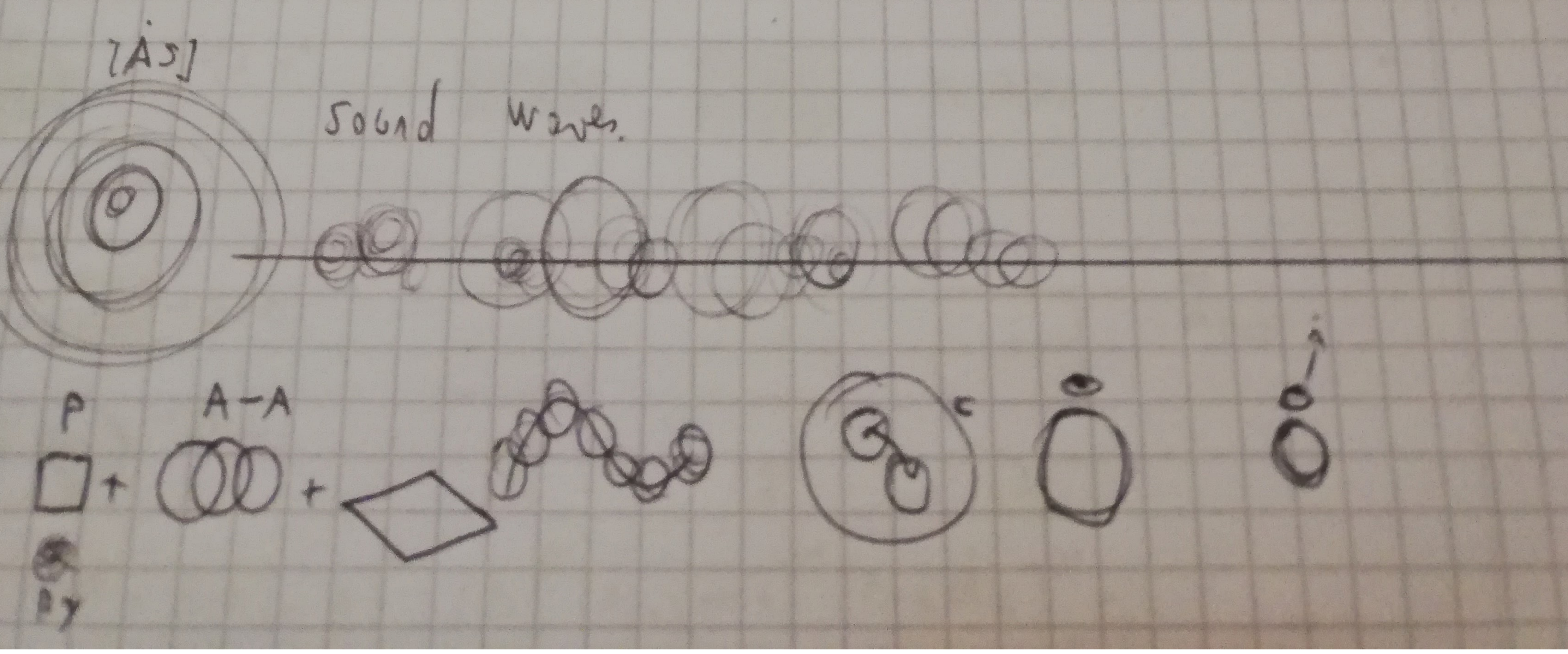
$[\dot{A}O_c \to E]$

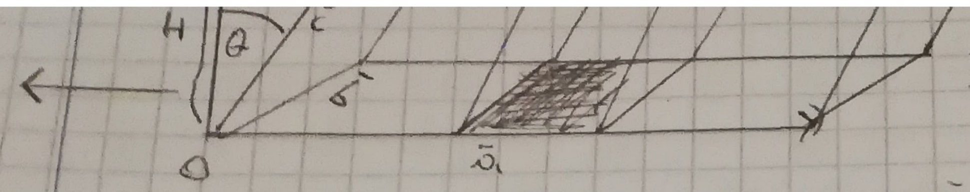
$\xrightarrow{[me]} [Ad\ [A_{(x)}] + d \rightharpoonup O_2 \rightharpoonup \dot{A}O] + A^{\frac{AA}{O_{(x)}}}A$

$V = \|\vec{a}\times\vec{b}\|\,\|\vec{c}\|\,|\cos\theta| = |(\vec{a}\times\vec{b})\cdot\vec{c}| = |[\vec{a}\,\vec{b}\,\vec{c}]|$, Ad

$$[\vec{a}\,\vec{b}\,\vec{c}] = \begin{vmatrix} x & y & z \\ x' & y' & z' \\ x'' & y'' & z'' \end{vmatrix}, \quad \bar{a} = \begin{vmatrix} x \\ y \\ z \end{vmatrix}, \quad b = \begin{vmatrix} x'' \\ y' \\ z'' \end{vmatrix}, \quad c = \begin{vmatrix} x'' \\ y''' \\ z' \end{vmatrix}$$

$\langle [\dot{A}O] + [Am + [in]] \rightharpoonup [Ampl \rightharpoonup O_{[2]}]\rangle + [\dot{A}O_{(x6)+pl}] >^{\hat{A}}_{c} [me]$



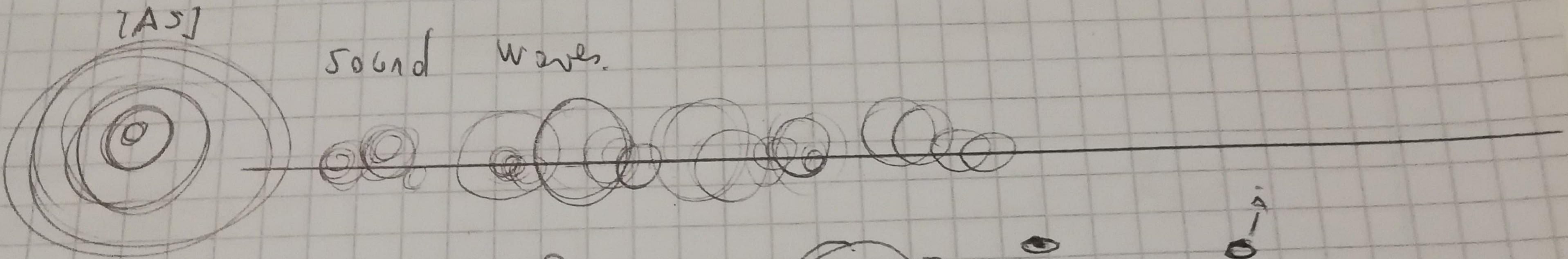


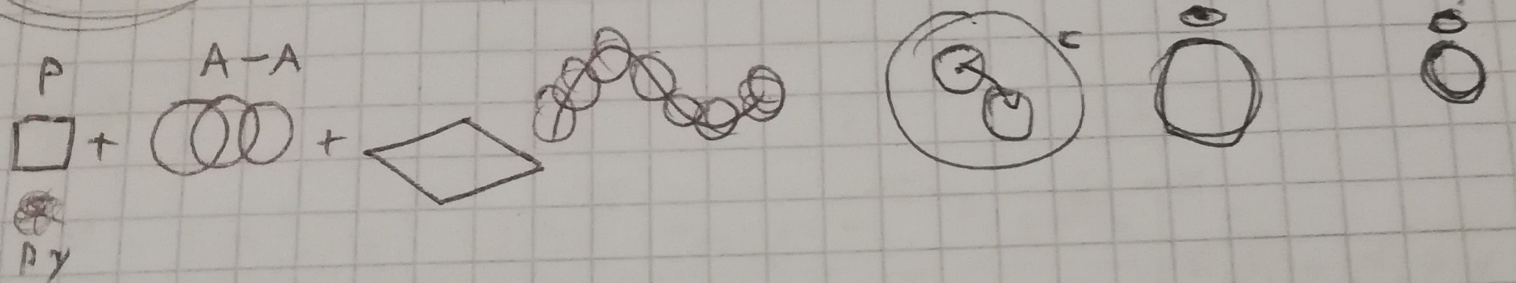
$$\underline{[me]} \rightarrow [Ad\,[A_{(x)}] + d \mp O_2 \rightleftarrows \dot{A}O] + A\frac{[\dot{A}O]}{O_{[2]}}A$$

$$V = \|\bar{a} \times \bar{b}\| \, \|\bar{c}\| \, |\cos\theta| = |(\bar{a} \times \bar{b}) \cdot \bar{c}| = |[\bar{a}\,\bar{b}\,\bar{c}]|, \quad Ad$$

$$[\bar{a}\,\bar{b}\,\bar{c}] = \begin{vmatrix} x & y & z \\ x' & y' & z' \\ x'' & y'' & z'' \end{vmatrix}, \quad \bar{a} = \begin{vmatrix} x \\ y \\ z \end{vmatrix}, \quad b = \begin{vmatrix} x'' \\ y'' \\ z'' \end{vmatrix}, \quad c = \begin{vmatrix} x'' \\ y''' \\ z'' \end{vmatrix}$$

$$\langle [\dot{A}O] + [A_m + [in]] \mp [A\, m\, p \,|\, \mp O_{[2]}] \rangle + [\dot{A}O_{(x6)+p}|] \overset{\dot{A}}{\succ}_{c} [me]$$

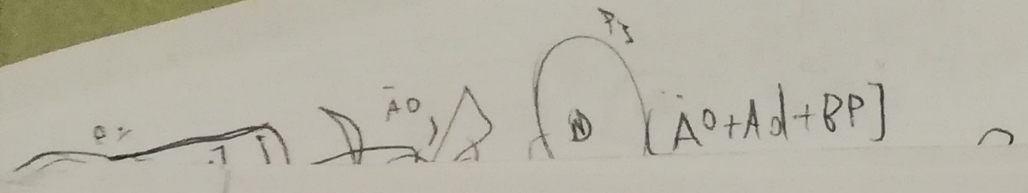




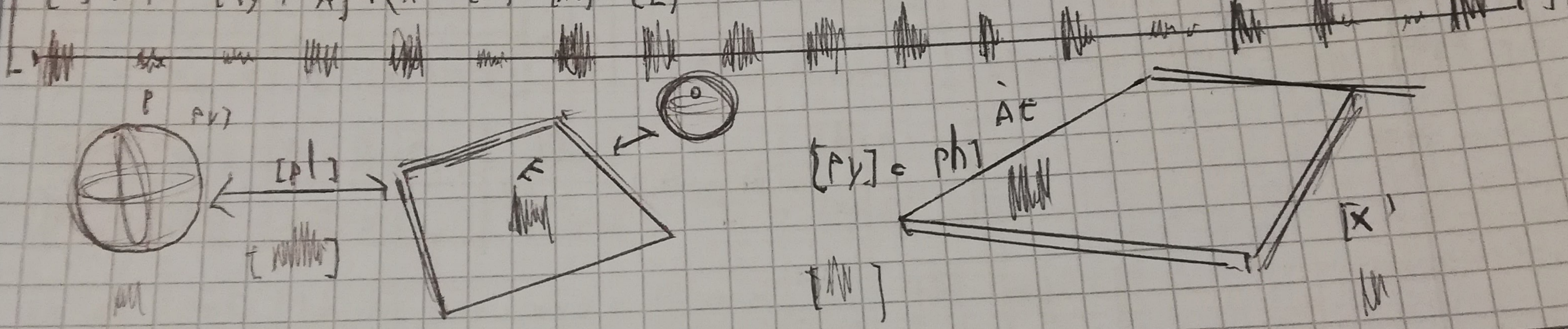
$$\left[\frac{[Py] \overset{c}{m} \mathring{A}}{\mathring{A}\, d_c P_{[P]} \hat{}}\right] \rightarrow \overset{+}{c} \left[\frac{P \; c \; P_{[P]} [\bar{\mathring{A}}]}{Ad\,[N]\, P_{[x]} + [\dot{A}]}\right] \rightarrow + \left[\frac{[n - T]_{[Py]}\, d\, E_+ [\mathring{A}]}{T[me] + P_{[1]} + P_{[2]} + A_m}\right] \rightarrow + \left[\frac{[P_{(P)} \mathring{A}] + A_m \dot{A}O_{[\dot{o}]} + [me] + P_{[P]}}{[\dot{in}]_c [N \frac{P_1}{P_{[2]}} N]\, d\, [n - P_{[3]}] \rightleftarrows N\, m\, P_{[P]}}\right]^{[1]}_{[2]} \dot{+} \longrightarrow$$

$$\left[\frac{[n\, P_2\, \dot{A}_{[x]}\, a]\, [me] \rightleftarrows P_{[x]}}{[me]_{P[P]}\, d \rightleftarrows P] + \dot{A}E]]\; c}\right] + \left[\frac{N\, [P_y]\, d + P}{A\, m\, p\, | + E}\right] c\, \mathring{\bar{A}}_{[2]} + \left[\frac{Py\, m\, Py - O_{[x]} +}{Py\, d\, Q\, m\, P_2}\right] + \left[\frac{A_c \mathring{A}\, \bar{m}\, P_2 + \dot{E}}{P_2 + B P_{[x]} + A_{[x]}}\right] c \begin{vmatrix} P_{[x]} \\ \dot{A} \end{vmatrix}$$

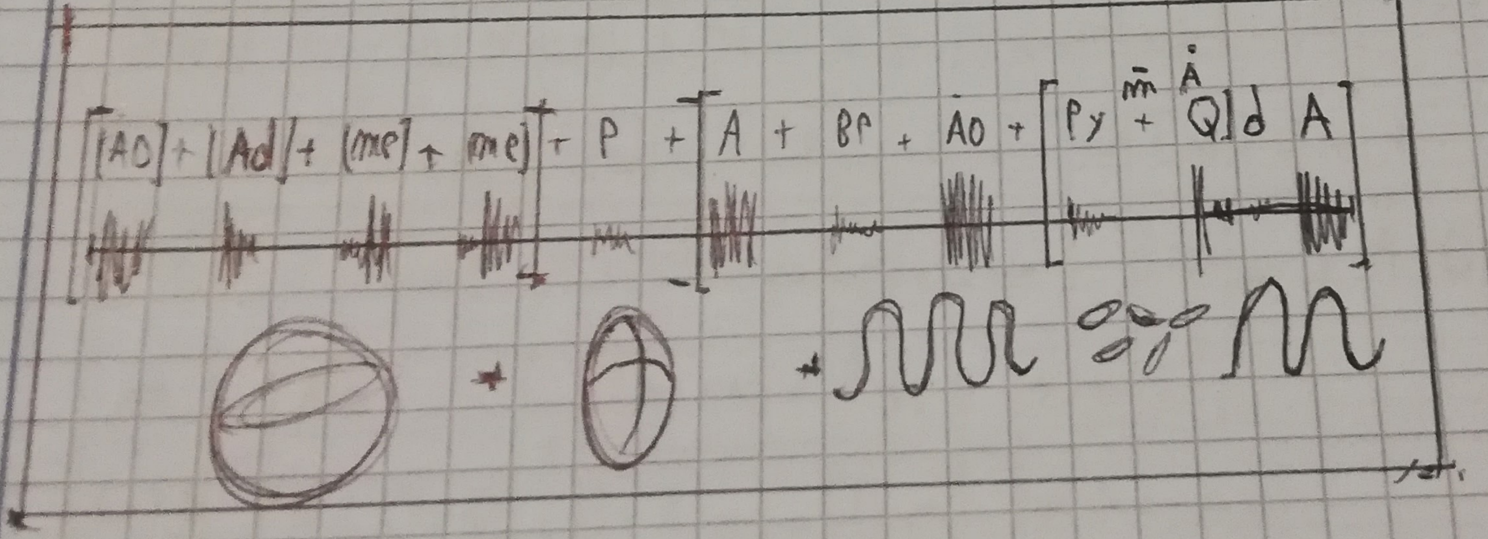
$$\left[\frac{N + Ad \rightleftarrows \dot{A}_{[o]} + O + O_P + E_P}{\dot{R}_c [n]_{[x]} + A[me]\, d + O + \bar{Q}}\right] + \left[\frac{\bar{Q}_{[2]}\, m\, O_{[2]}}{O_P + c + O_{[2]}}\right] + \left[\frac{A_{[x]}\, m\, O_{[2]}}{Ph\, d \rightleftarrows Py - O}\right] + \left[\frac{\dot{A}_{R_c} + A \frac{O}{O} A}{P + \bar{A} + O}\right] c \left[\begin{vmatrix} \mathring{A} \\ P \end{vmatrix} \times \begin{vmatrix} \bar{A} \\ \bar{Q} \end{vmatrix}\right]^{\bar{o}} \times [me]^{[N]}$$


Py
ĀO
P3
[Ȧ0+Ad+BP]

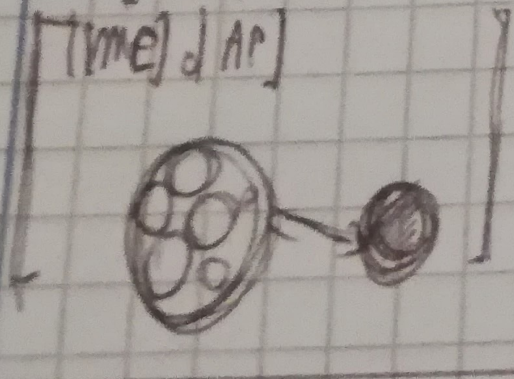
$[\dot{A}] + P + [P_y + A] + \langle A + [BP] \mp [\dot{A}0] + [\dot{E}] + \dot{A} + \dot{O} \rangle \xrightarrow[+]{} Ad \mp [\vec{in}] \mp [E] \xrightarrow[+]{} N \overset{\wedge}{-} E_{(x)} + E] \xrightarrow[+]{} N - \hat{\dot{E}}]_{(-)}$


P
Py]
[p|]
E
[Py] = ph]
Ȧt
[X]

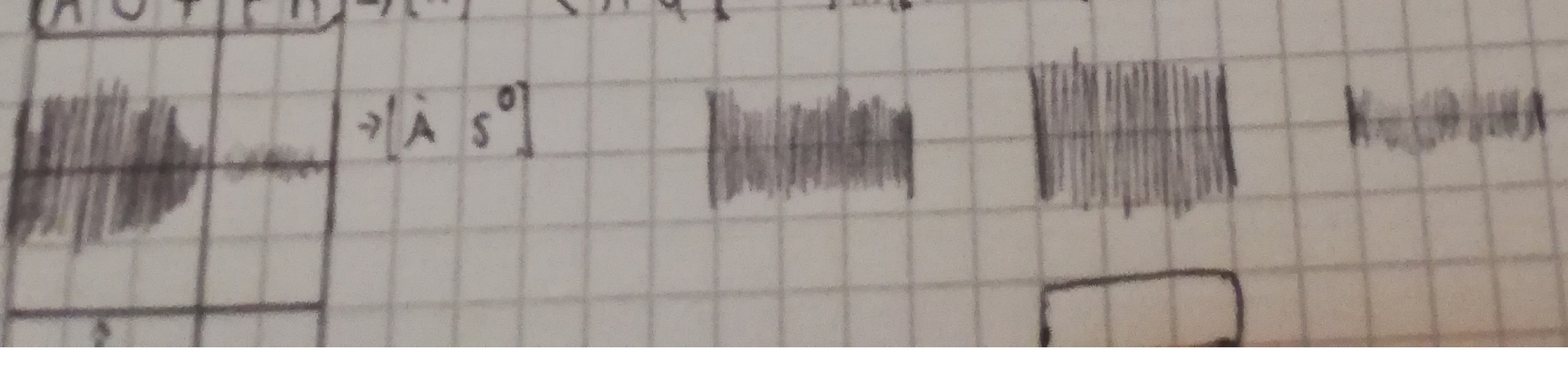
$[[A0] + [Ad] + [me] + me] + P + [A + BP + \bar{A}0 + [P_y \overset{\bar{m}}{+} \overset{\dot{A}}{Q}] d A]$



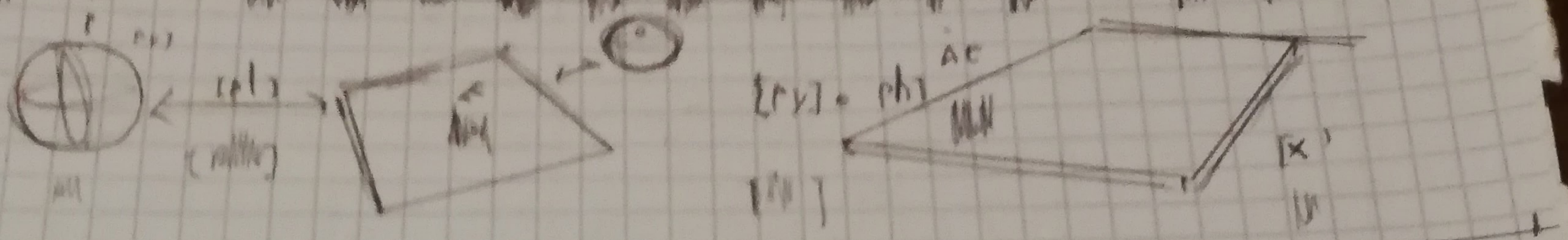
[[ṁe] d Ar]



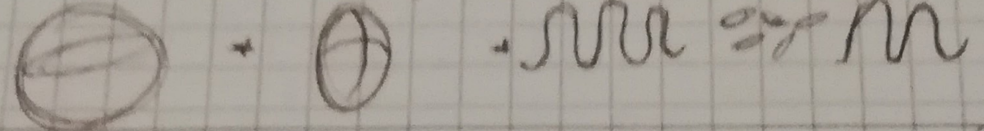
$[A0 + Ph] \rightarrow [\dot{A}]$ $\langle \dot{A}\, d\, [me]\, m[A - A] - [N] \rangle$



$[\dot{A}] + P + [P_y + A] + (A + [Ao] \div [Ao] + [\dot{E}] + \dot{A} + \dot{O}\rangle \rightarrow Ad \div [\dot{n}] \div [E] \rightarrow N \div E_{(a)} + E] ?\; N \cdot \hat{E}]_{(-)}$

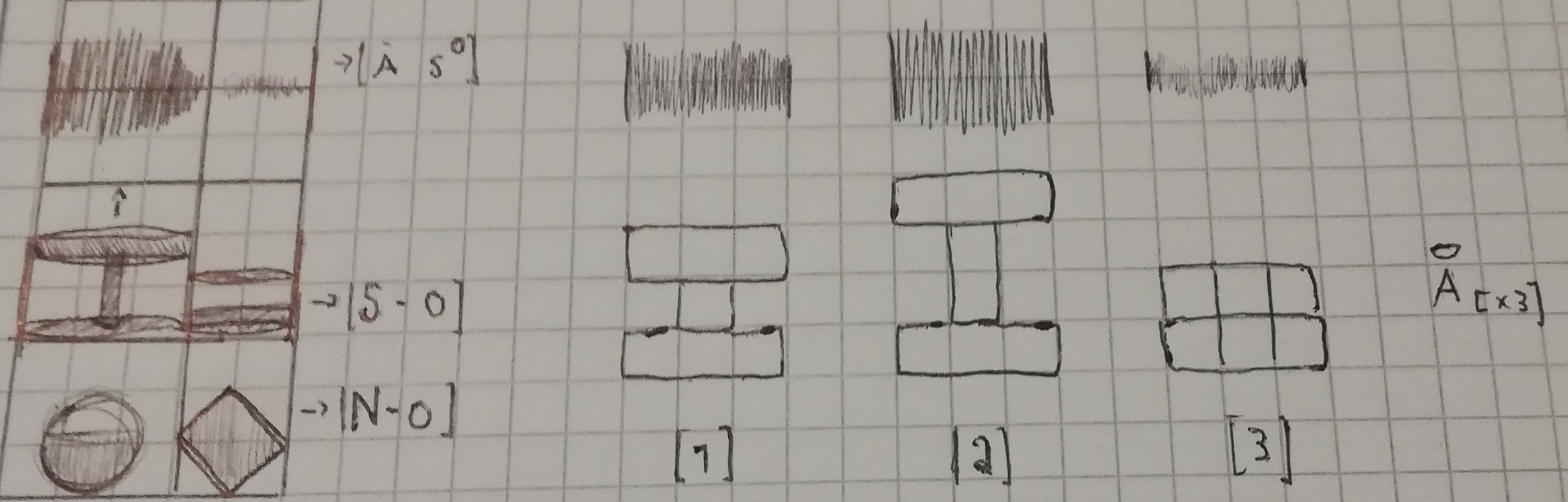


$[Ao] + [Ad] + [me] + me] + P + [A + Bp + Ao + [Py \overset{m}{\div} \dot{Q}] d\, A]$



[me] d Ar]

[AO + Ph] → [Ȧ]   < Ȧ d [me] m[A — A] + [N] >



$$[n]\left[[P] + \left[\frac{[pl + E-n]_c A}{m\,pl + A \frac{T}{[me]_{[1]}} A +}\right]^{(2)} + \left[\frac{Ph}{A + \bar{B}P}\right]^{(x)} + \left[\frac{\bar{A}_{[o]_2} m +}{[B] + B_{\bar{p}} A}\right]^{(x)} + \left[\frac{Py\, A\, [\dot{A}]_A}{A\, m\, [me]}\right]^{(x)}_{[2]} c\, [\bar{A}] + [N][Py] \right] \rightarrow c\,[me]$$

$$[\mathring{A}]_c \left[\frac{me_c\, Py + Ph + Py_{[x]}}{O_{[1]} A \frac{\dot{A}_{[o]}}{Ad} A\, E_{[pl]} - O_{[1]}}\right] + \left[\frac{Py - O}{m\dot{e}_{[3]}}\right] \left[\frac{Ed + \mathring{[in]}_c}{[P] + Q[\dot{A}]}\right] \left[\frac{[\dot{A}]_c [\dot{A}_2] d[n]}{m_x m_3 \times m_5 \; m_{[2]} \times m_7 \times m_8}\right] c[Ph]\, Ad\, c\, P_{[2]n} + Ph + Bp_{[n]}$$

$$\left[\frac{P + (P_{(A)} - N m}{c\,Q + [P + A_{[x]}]_c}\right]\left[\frac{Py_{[x]}}{Py_{[x]}}\right]_c \mathring{A}\left[\frac{\dot{A}[\dot{me}] + P + P_{(x)} N}{Ad - A\, \bar{\bar{m}}\, A}\right] + \left[\frac{\hat{A}\, P_{[2]}}{\bar{N}}\right] + \left[\frac{\bar{A}\bar{m}\, P_{(1)} + [Ph]\, m\, P}{P_{(P)c}\, \dot{A}_{[P]_{[x]}}}\right]$$

$[\mathring{A}^{O} + A\,d + BP]$

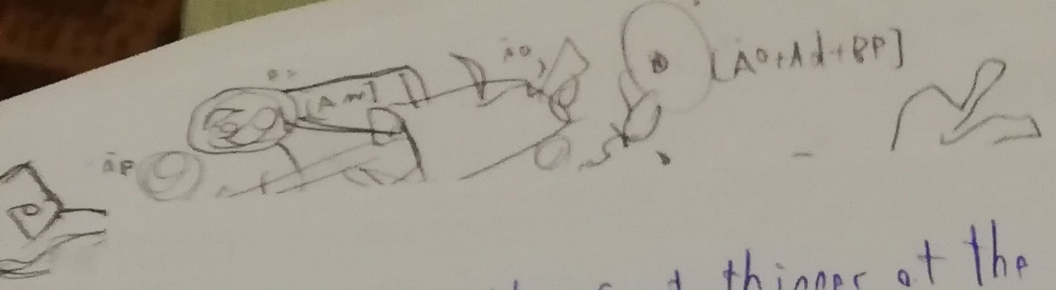
$$\left[\frac{T\,p| - N\,A}{P + N_C\;E}\right] + \left[\frac{P_{[P]}\,\bar{m}\,\dot{A}\,Q\,d +}{\overset{+}{m}\,[x]\,\bar{A}\,Q\,d +}\right] c \begin{vmatrix} P \\ n \\ P \end{vmatrix} \quad \left[\frac{P_{[BP]} + A_{[\,ph} \overset{E}{-} O]_c}{[P\,y]\,m\,\mathring{A}_{[\,Py - O]}}\right] + \left[\frac{Q + N_{[Py]} + d\; BP_{[x]}}{E_A + E_D + \dot{A}_{[O]} \times A_{[x]}}\right] c \left\| \begin{matrix}\bar{A} \\ P_{(x)}\end{matrix} \right|^{m} \times \left| \begin{matrix} A_{(x)} \\ E \end{matrix}\right|$$

$$\left|\frac{\mathring{A}\;\; m + P + A}{[BP_P] + P_2\,BP_d}\right| + \left[\frac{A \overset{\rightarrow}{+} [\dot{E}]\,O_{[2]}}{A\,\bar{m}\;\;P_2\,[Py}\right] + \left[\frac{O_{P[3]}}{O_{[2]}}\right] c\,A_{[x]}\,ph + \left|\begin{matrix}\mathring{A}\\ Py\end{matrix}\right| \begin{matrix} P \\ - \\ P_2 \end{matrix} \Bigg|$$

$$\left|\frac{\mathring{A}\;\;d}{P[Py]}\right| + \left|\frac{\dot{m}P\;O}{O_P + O_2}\right| + \left|\frac{\bar{m}\;\;\bar{m}}{A_{mP}}\right| + \left[\frac{\bar{A}P + ph\,A}{m[Py]_{[x]}}\right] + \left[\frac{[E_C \rightarrow O]_C\,A}{[E_{N+}[in]\,me}\right] c \left|\begin{matrix}\mathring{A}\\ d\end{matrix}\right| \times \left|\begin{matrix}Py \\ O\end{matrix}\right| \Bigg|$$

$$\left[\frac{\mathring{A} + A \overset{\dot{A}O}{\overline{\quad}} A + p}{[me]\;\dot{A} + \mathring{A}_{[2]}}\right] + \left[\frac{\dot{A}_{[}A_d] + N\,d\,\mathring{A}_{[3]} - O +}{A[\dot{O}] \overset{\rightarrow}{+} [A\,m\,P_{c}p|]_c\,\dot{Q}_{me}}\right] \overset{Ad}{+} \left[\frac{[me] \overset{\rightarrow}{+} \overset{\cdot +}{A} +}{[Ad]_{[x]} \overset{\rightarrow}{+} \mathring{A}[O]_{[2]}}\right] + \left[\frac{O_{[2]} + \mathring{A}_{[4]}\,d + (N\,d - \bar{A}]}{[me]_{[x]}\,m\,A \overset{\rightarrow}{+} N\,d\,\mathring{A}_{[3]}\,\bar{O}_C}\right]$$

$$\left[\frac{m}{[x]\,A}\right] + \left[\frac{A\,m}{N\,d\;\;O_{[3]}}\right] + \left[\frac{T\,m\,[1] + A_{[x]}}{P + A_{[in]_c}[P_y\,m]}\right] c \left[\frac{\mathring{A} + Q\,d[\ddot{E}_P]}{\bar{m}\;P\,A[\bar{m}\,p]}\right]$$

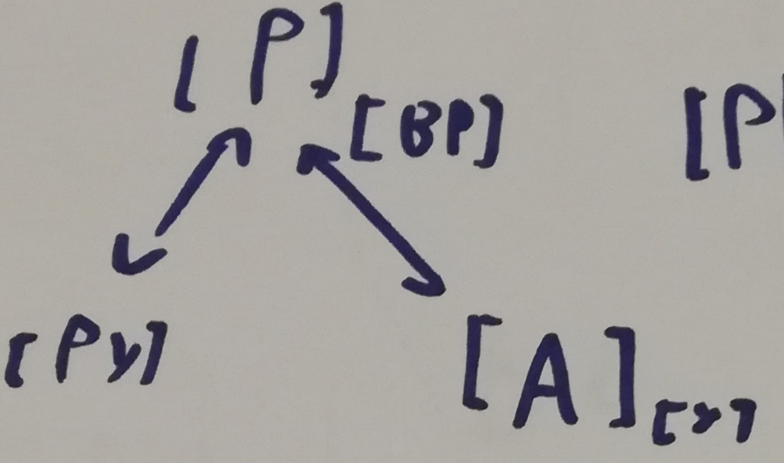


that long, short in the front, thinner at the midriff, tri-bodied, mear shuriken
-like in appearance, 'horned' by three growths that ~~acc~~ accompanied the
giant 'blood'-filled balloon pumping organ &, drawn-out of the packary,
of shapes it'd become, was eerily dreaded as one of the te-
spr ~~...~~ They had recently passed. Two spawning
the eyes of a small- lead.

[[ÀAd] ∓[ÀA[ȯ]md] + BP꜀ ΦQd A[ȯ] + T[A]]] ∓ ÅP[N] ÀP] | ∓[T[1]mAd A(c)[ȯ[N]] ∓ ȯ[1] ∓ ȯ[2]] Am[n]-ȯ] + [À[p]][꜀ Àd] ∓ Àd
[Àd] ∓ [[P̄y-d] À[P/N] ∓ À[Å]d] ∓ [[Ph[N] ∓ [A]d] ∓ [Ȯp]] ꜀E] + [À-pld] ∓ ~~AP-d[n]~~ [À-P[d] ∓ n] ∓ [tp[ph[N]d ȯ] ∓
[À[ȯ] m d ꜀ À[Q] ∓ Ph[N] d O] ∓ Àd] ∓ [Ph[o] ∓ mp] À ∓ [[Àd] ∓ [n] c [ȯ] ∓] ∓ [À[ȯ]]] ∓ [Àd] ∓ [Ph[N] d O] ∓ Ad ∓ O[ȯ] ∓ Àd ∓ ph
[n] ∓ ÀBP] ∓ [E[ȯ]p]] +] qÅ] + [Ad + [ċ] + T[1] Àd[m]] ∓ [À-pd] ∓ [[p-À] + Àd] ∓ [Àd + Àp]-5] ∓ Ad ∓ [p] ∓
[À-mp + PyNd ∓ [n] Ā]] ∓ Ph[o][n]] ∓ Àd] ∓ [mp[ph/PyN]d] ꜀[Q[m[n]]d ∓]] ∓ [Am[Ph[N]] d O] ꜀ ÀQ[T[1] Àd]] ∓ [À[ȯ] m] d
Ph[N]] ∓ Ph[n] Å] ∓ d ∓ [ÀBP A] ꜀ Ph[Q] ∓[n]] ∓ [[Ph[N]] + À[N] d ÀP] +] ∓ [Àd] ∓ [Ȯ[x] ꜀ pl-d] + [Py-d ∓ [d[c] ∓ ȯ]] + [À[d]]
[∓[Ph[N]] d ȯ꜀ ∓ BP] ꜀ A[∓d + ꜀ ∓ n]] [[∓ Á mp] ∓ ÀP] [n]] + Ad] ∓ [À-d] ∓ [[Py[d]] ∓ o ꜀ Q[m]-d] ∓ [Ph[o] - PyNd]]]
꜀ Ā ∓ Àd + ꜀] ∓ Àd ∓ [ÀP[n + À]] [n d ∓ ÀQ]] [À[N]] d [Ad ∓ m̄ ÀBP] ∓ Ph[N] + [Å] d ∓ À[Q] ∓ mp] ∓ BP] + B] ꜀
ÀBP꜀ Q ∓ m̄ À] ∓ [À-Pd] ∓ Ad + [T[1] À]]

[N] ol

⁺[m⁻]



[Ph] ⟷ [o]

[me]

⟨Ȧ[o]-n⟩

[n]

[E] Er

⁺[Q⁻]

[T]

[Ȧɔ] Ȧ ⟷ c

[Aɗ]

[in]

[Py-o]

[Py-m]

[To]

$[\text{nme}_{[\dot{A}]}\overset{\rightarrow}{+}\text{Ph}[N]]c\overset{\rightarrow}{+}[m\text{-}p|\overset{\rightarrow}{+}[dI]]+[\dot{A}:d]\overset{\rightarrow}{+}$

$[\dot{O}_{[N]}]$

Cog network

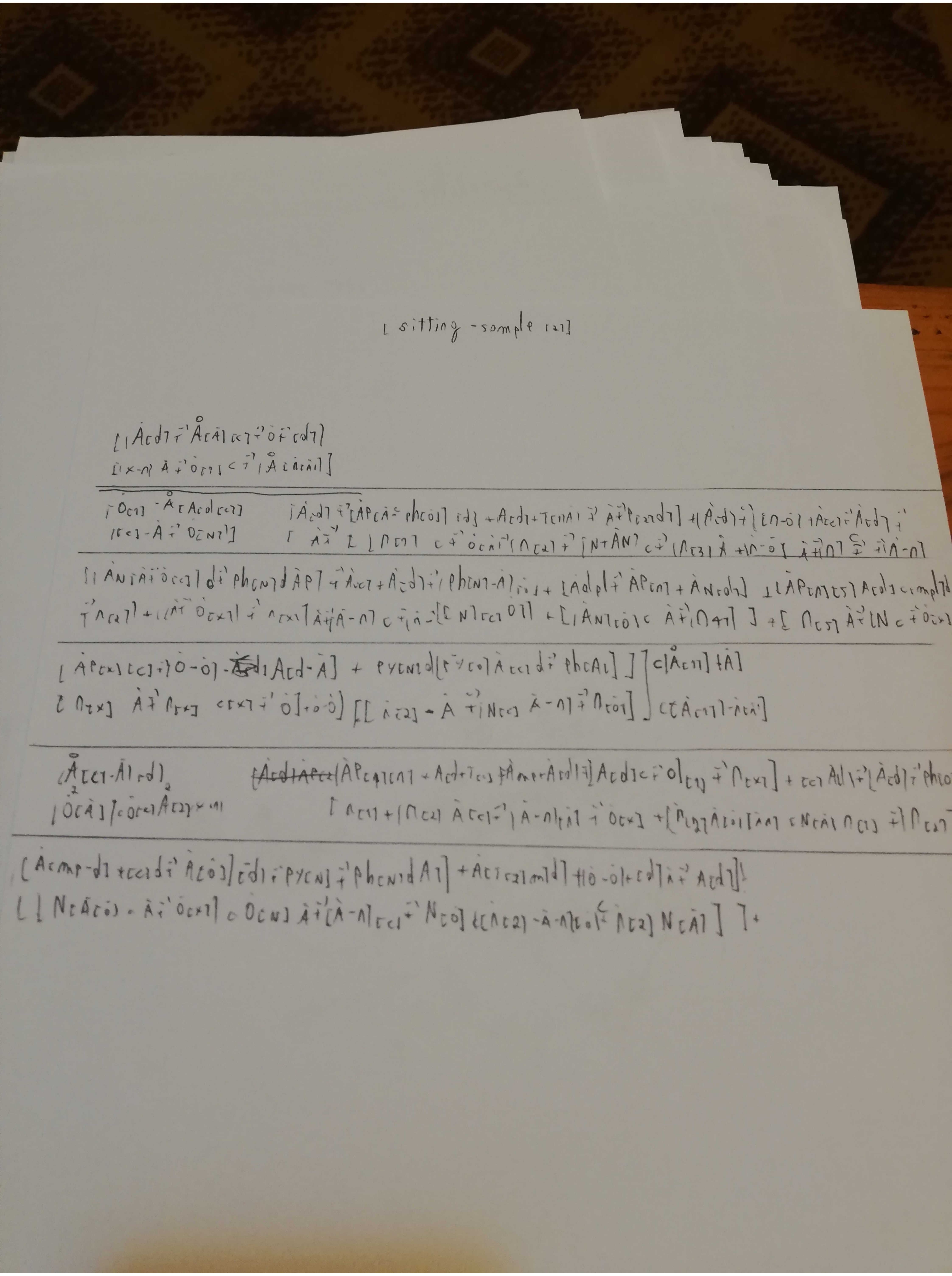
A network abstracting a cog that gets converted into a second network's subset. The cog then gets abstractedly converted back into the first network.

$[[\dot{O}_{[N]}]_{[}\dot{O}_{[x]]}]\dot{A}\overset{\rightarrow}{+}[\dot{O}_{[1]}]\overset{\rightarrow}{+}[\dot{O}_{[N]}]_{[2]}]]$

$[\dot{O}_{[N]}]_{[2]}]\dot{A}-c[\dot{A}_{[\dot{o}]_{[1]}}]\overset{\rightarrow}{+}[\dot{O}_{[N]}{}_{[}\dot{O}_{[x]]}]$

$\bar{A}[d] + Ad[Py\dot{c}Ph] + \mathring{A}[d-n] \overset{\rightarrow}{+} P_{[a]} \overset{\rightarrow}{+} [\bar{A}-dn-Py] + [P] \overset{\rightarrow}{+} [Am-Py] \overset{\rightarrow}{+} [P_{[P]} \dot{-}A\ P_{[a]}]$

$[[PYmA]d\ P_{[P]}[Py-Ph]\ Ad\,[n]]_{[Py]}$



[sitting -somple [2]]

[|Àcd]+`Å[Ā][<]+`ȯ+`[d]]
[|x-n] Ā+`ȯ[7]<+`|Å[ȧ[ȧ]]]

ˉȮ[7] -Å[A[d[<]]
|[<]-À+`Ȯ[N]`]]

|À[d]+`[ÀP[À=ph[ȯ]] [d] +A[d]+T[nA] +`À+`P[2d]] +|À[d]+|[n-ȯ] +À[c]+`À[d]+
[À+` [ [n[7] c+`ȯ[Ā]`[n[2]+` [N+ÀN] c+`[n[3] À +[n-ȯ] À+[n] +` +[À-n]

[|ÀN|À+ȯ[<]] d+`ph[N]dÀP] +`À[c] +À[d]+`|ph[N]-À][ȯ] + [Adp|+`ÀP[n] + ÀN[d]] ⊥[ÀP[n][5]A[d][mpl]d
+`n[2]]+|[À+ ȯ[x]]+` n[x]]À+|À-n] c+|n-|[N][c] 0]] +[|ÀN][ȯ][À+`|n+]] ] +[n[5] À+`[N c +`ȯ[x]

[ÀP[x][c]+`]ȯ-ȯ]-~~À~~d|A[d-À] + PY[N]d[r`y[o]À[c]d+`ph[A]]]] c[Å[7]] +À]
[n[x] À+`P[x] c[x]+`ȯ]+ȯ-ȯ) [[À[2] -À +`|N[c] À-n]+`n[ȯ]]] c[À[7]]-À[À]]

[Å[c]-Ā][d]₂ ~~[ÀdÀPc~~|ÀP[A][n] +A[d+][c] +À m+À[d]]+`]A[d][c+`ȯ][1] +`n[x]] + [c] Àd]+`[À[d]+`pho
|Ȯ[À]][ȯ[x]Å[2]]x[n] [À[1]+|n[2] À[c]+`|À-n][À] +`ȯ[x]] +[n[2]À[ȯ][Àn] [N[À] n[1] +`|n[2]

[À[mp-d]+[c]d+`À[ȯ]][ȯ]+`PY[N]+`ph[N]dA]] +À[][2]m]d]] +|ȯ-ȯ|+[d]]À+`A[d]]!
[|N[À[ȯ]-À+`ȯ[x]] ȯ[N] À+`[À-n][c]+`N[ȯ] [[n[2]-À-n][ȯ]`n[2] N[À]]]+

stationary bike - sample 2

[[Å[1-16] - [Ȧ - me][n] - [d]]

[[Å[x-n] [c][x] Ȧ ï' Ȯ[x7]]]

stationary bike - sample 2

$[r\mathring{A}$.. .. -

WALKiNG in place - 2

$=$

$$[\dot{A} - me_{[d]}]_{[<]}[[me]_{[n]}] \overset{\to}{+} [O_{[x]}]$$

$$[[x] - \dot{A} \overset{\to}{+} \dot{O}]]_{[=]} [[x - n]_{[n]}] \overset{\to}{+} \dot{O}_{[x]}]$$

$$[\mathring{A}_{[1]}[[x]_{c} \dot{O}_{[\dot{A}-me]}] \overset{\to}{+} \dot{O}_{[\dot{A} me]_{[2]}}] [A_{[d]}] \overset{\to}{+}$$

$$[\mathring{A}_{[1]}[[x]_{c} \dot{O}_{[\dot{A}x-n]_{[1]}} + [x]_{[2]} \dot{A}]] [\dot{n}_{[<]} \dot{A}] \overset{\to}{+}$$

$\dot{O}[1]$ . .   ⌒ Π

$[N]+A\overset{o}{-}A]_m[\overset{o}{A}]+Ad\,[me]^{+}_{[x]}\overset{[A+O]}{[\nearrow]}]\,\llcorner^{y}_{x}\;[A+[me]_{[x]}]_c[\dot{A}O]$

$\langle[A]_c\,O_{[1]}\qquad[\overset{1\;2}{A}]_c\,\dot{A}O_{[3]}\rangle_c\;[\dot{A}L]_{[1]}\;[me]=[3]$

$\langle[[a]_c\,\bar{Q}O_{[i]}]\;\;[a]_c\,O_{[1]}\qquad[\circlearrowleft a b]_c\,\dot{A}O_{[4]}\rangle_c[\dot{A}l]_{[4][me]=4]}$

$\dot{A}[l]$ lo = line object. $\dot{A}[L]$ $\dot{A}[l]$ / letters

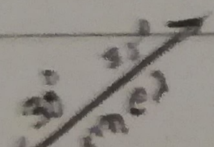
$[B]_c\,L^{[0]}_{[1]}\qquad\overset{1\;2}{B}_c\,\dot{A}L_{A[5]}\qquad D_{cL[4]}\,\overset{2}{D}^{3}_{4}\;{}_c[A_{[x+4]c}\,\dot{A}L_{[4]}]$

$\langle[b]_c\,[\vec{b}_c[l]_{[2]}\;\;A_{[x+4]c}\,\dot{A}l_{[4]}\rangle$

$[C_c[L]_3]\qquad\circlearrowleft C_c\,[A_{[3]c}\,\dot{A}L_3]$

$C_c\,l_{[3]}\qquad\circlearrowleft C_c\,[A_{[2]c}\,\dot{A}l_{[2]}]$

$\langle\dot{A}s\,l]\overset{\rightarrow}{=}[\eta]+\overset{m}{c}[\overset{[l]}{n}+\overset{[l]}{j}]\rangle_c\qquad L[N]\qquad[\dot{A}Q\,Rc]_c[c]$



[ɑc] [ɑceR]

Body part → object with specific motion.

Lower body shaped as if his throat was a water tap which released a stream of liquified bone, skin and organs.

Encircled by a rope-jumping elongated arms illusion caused by his held-together hands.

The body of the fish curved like a pencil stuck between the thumb and the pointing finger.

Overlapped → missing.

A head overlapped on top a seal's tail, missing its lower jaw while the seal had a gaping wound in the front.

A tower of rails where the last station made a black flower blossom with see-through buttons on the side.

It I Oblong with short cyllinder under it, beneath which a big square placed on top of ~~the~~ two fatter cyllinders. While the the square has two spherical joints to which smaller cyllinders are attached.

I Giant purple head.

Stat ([illegible]) → [illegible] in

Body part → object with specific motion.

Lower body shaped as if his throat was a water tap which released a stream of liquified bone, skin and organs.

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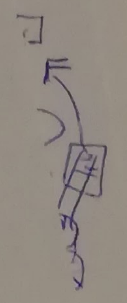


Overlapped → missing.

A head overlapped on top a seal's tail, missing its lower jaw while the seal had a gaping wound in the front.

A tower of nails where the last station made a black flower blossom with see-through buttons on the side.

A I Oblong with short cylinder under it, beneath which a big square is placed on top of ~~the~~ two fatter cylinders. While the the square has two spherical joints to which smaller cylinders are attached.

L Giant purple head.

State (story) → Tension → action → Peoples $\xrightarrow{\text{in}}$ place → 1st action → After-Tension

SITTIN - 1

Body ~~The window shattered and~~ The we dragged outside.
~~Hid~~

You

$\dot{A}$[w]

Wm

⟨anthr-$\dot{A}^{[w]}_{[O]}$⟩, ⟨anthrop-$\overset{w]}{\dot{P}}$, anti-$\overset{w]}{\bar{m}}$, opt w-$\bar{A}$, oper w-$\dot{A}m$, ophrwds $\dot{p}$ w]+, op
Wp, ⟨opic, opex - $\dot{O}_p$-w] +⟨ opr - wm⟩ ⟨ ops, op, opt - wm[A],⟩]
[agu - wm[$\dot{A}$[O]] / [hem - wm<$\dot{A}^{O-P}_{wm}$] +
α

WRITing makes use of structure and of words, drawing odd another level of strain to it, best

WRITing = structure+ words, writing + drawing = detoil. work.

VOCABULARY

READ+S

READing+ drawing+ system = more words

~~VOCAU~~

VOCL

[[[[P̊[N][Å]]+Å[2]]N̊ c ȦO+[N̊Å][x]]+[N̊ c/A N̊][x]]+] Å[x][n̊]]+[Å[n̊]][x]]+[Å[Ȯ][x]]+[Ȧ][x] ¬[Ȧ[x]]+[N[n]]
[[Ȧ-Ȯ]cÅ]+[Ȯ N̊/A Ȯ]+[[Ȯ[n-A]]+[Ȧ[Å][N]]→+[[Ȯ[Ȧ][n]]cȦ[Å+Ā][N̊+ȯ]]+Å[2]+[N̊·Ȯ]+[N̊+cȮ]+
[N̊+cȮ[2]]]c[Ȧ[[N̊/N][n]/[n]][N̄/Ṅ]]→+[[n+ȯ]+[n+ȯ[2]]]c[Å[N]→+[n][x] c Å[2][N][x]]→+[Ȧ[n]c[n[1-2]]]+[+Ȧ[N̊
[x]→+[Ȯ-[n]→+[Å[x]]]c[Ȯ[N̊Å[x]]+[Ȧ[n]→+N̊[x]] c[Ȧ[n] c+[n̊+n̊+n̊+n̊+n̊ ..... n̊[x]]]→+[Ȧ[N̊]][2]+]c[Ȯ][2]+Ȧ+Ā[x]+
[[Å][ȯ]→+[N̊]]→+[n][N̊[x]][ȯ]]→+[[Ȯ][ȯ][2]cȮ[3]→+Å[n]]+[[ȯ]→+[ȯ[2]]→+[N][3]¯[n]Ȯ[3]]c[Ȯ[N[4]][ȯ]]]+[NÅ]
[x]]c[Ȯ[2][n]]+[[[Ȯ+ȯ]+[ȯ+O̊+ȯ]+Å[N]+[Ȯ+Ȯ][A]]cȮ[N̊]]+[[ȯ]]+[[Ȧ+Ȯ]c[[O̊]→+Å[ȯ]]]+[Ȯ[ȯ]+NÅ]c+
Å[2]]+[N̊]cÅ]+[[Å[Ȯ]+[ȯ][2]]+[ȯ][x3]]+Ȯ[x3]][Ȯ[N]]]cÅ[ȯ]c[Ȯ[ȯ]]+[Ȯ[1]+Ȯ[ȯ]cȮ[ȯ][2]]c[Ȯ[N]]
[Ȧ[Ȯ[1]→+[ȦȮ]→+Ȯ[x]][Ȯ[x][n]]]→+[O[x]Ȧ[n]]]+[N̊[x][Ȧ[ȯ]→+[n][N]Ȧ→+Ȯ[x]]]cÅ][ȧN]c[N̊[2]→+Ȯ[x]]ȯ[x]]+
[N̊-[ȯ][Ȧ-[ȯ]]]→+[N̊[+]→+ȯ]]+[N̊[1]/N̊[2]][N̊[x][ȯ[x]+N̊[1]cȮ[x]+N̊[2]c°[x]]][[N̊[n]→+[Ȧ]→+ȯ]]→+[N̊[3]→+[Ȧ]→+Å]+
[[[Ȧ[n]→+Ȯ[x]Ȧ[1]]c[N][Ȧ-ȯ]]+[Ȧ[N][3]]+]c[N[n]→+[ȯ[x]]→+[ȯ]]+[N̊[Ȧ[ȯ]]c[[ȯ[2]]+[N[2]Ȧ[Ȯ[2]]]]c→+N̊[ȯ][x]+[N[2]]Ȧ
[ȯ][x]→+Ȧ[Ȯ[2]]]c[N̊[Ȧ[ȯ][x]]]c[Ȧ[N]]+] c[N̊[Ȧ[ȯ][x]cȦ[ȯ][x][2]]+[[Ȯ[x]Ȧ]+[Ȧ[c]]→+[Å]→+Ȧ[N̊+c]→+Ȯ[x]]+[Ȧ[Ȧ]-ȯ]
[[[Å[N̊]c[N̊[x]]c[n̊][x]]+Ȧ[c]→+[Ȯ[nȦcO[x]]→+n̊]]]cÅ][Ȯ[N]Ȧ→+[Ȯ[x]]]+[[Ȯ][x]+[Ȧ-c]→+Ā[n[Ȯ[x]]+Ȯ[x][n]]]
[Ȯ[x][n]]c[n[1] ~~Ȧ≠~~[Ȧ→+[n[2]]]]][n[1] Ȧ E·[n[3]]+[Ȧ[ȯ][x]c[ȯ][x]]+[[Ȯ][x]n[1]] ~~c[+ȯ][x]~~ [[ȯ][x][n[1]]]c
N[ȯ][x] c Å[[Ȯ][x]→[n[1]][N[Ȧ[n[x]]]]]c[[[Ȯ][x][n[2]]]∈N[2][ȯ][x]]]+[Å[n]→+Ȯ[x]]c[[ȯ]→+[Ȯ]]c[[n][Ȯ][x]]]+
[Ȯ[n]]cȮ[x]]] c[[N[ȯ]][n]]+[Ȧ[Ȯ][x+4]]cȦ[1]]+Ȧ[1] c [Å[n]→+Ȯ[2]→+[Ȯ[n]][x]]] +[[Ȧ-[c]→+Ȯ][n]][Ȯ[N]]→+Ȧ[ȯ] ~~[x+000]~~ [x]]
cÅ]+[Ȧ[ȯ]→+Ȧ[c]→+Ȯ[2]]+[Ȧ-c]→+[Ȯ[1]cȮ[2]+Ȯ[3]+[x]]+[[Ȧ-Ȯ]c Ȯ[N]]+[[Ȧ[Ȯ[x]]+[[c]→+[Ȯ[x]][x]
→+[Ȯ[x][3]]]c[n̊[Ȯ[x]]]]cÅ]+[[Ȯ[x]cÅ]+Ȧ[Ȯ[x]][2]-c]→+[Å]→+[Ȧ[Å]][2]]c[n]+[ÅȦ[3]]+[Ȯ[x][3]]-c[Ȯ[n]][x]→+[N[Ȯ]][x]
[Ȧ[n]ȦO[x]→+N[Ȧ[O[x]]]]→+c[[Ȯ[x][1]→+Ȯ[x][2]]→+[N̊[Ȯ[x]]][x3]]]+[Ȯ[1]cÅ]c[Ȯ[x][n]→+Ȧ[N[ȯ][x]]]c[Å[2]]
[Ȧ[N]c[Ȯ][1][Ȧ-c]→+[Ȯ[1-3]→+Ȧ[n]]c[Ȯ[x+1]]][Ȯ[1]+Ȯ[2]+]+[[Ȯ[n][1]+[Ȯ[n][2]→+Ȧ[ȯ][1]]]]+[[Ȧ[ȯ][1]c→+
Ȯ[n][1]]]+[Ȯ[n][1][+Ȧ[ȯ][2]]→+[Ȧ-c]→+[Ȧ[ȯ][1]][Ȯ-N]Ȧ→+Ȯ[n][1]]]+[n̊][x]]cÅ]+[Ȯ[x50]]c n[ȯ][x]]
~~Ȯ[N]~~ [~~Ȯ[n][1][x]~~]][[Ȯ[n]→+Ȯ[x]][1]→+Ȧ[N[x]→+Å]]→+[Ȧ[c]]→+[Ȯ[x3]][x+1] ~~ø~~ c→+[Ȧ[Å]→+Ȧ[Ȯ]][[ȯ][1]+[ȯ][x]+Ȯ[x]
ȯ[1]]+[Ȯ]+[Ȯ][2]+[Ȧ→+[ȯ][1]]+n̊+Ȧ[2]]+[[Ȯ][1]→+Ȧ[ȯ][x]→+Ȯ[2]]+[Ȯ[3]][n][1] [n][2]+[Ȯ[3][n]cȮ[2][n]]
[Ȯ[2][n]1] ~~cȮ[x]~~ [n[2]]]]+[Å→+Ȧ[ȯ]→+Ȯ[x]→+Ȯ[2]]+[Ȯ[1][n[n]]+Ȧ[ȯ][x]]+ * Ȧ[Ȯ[1]]c]+Ȧ[ȯ]Ȧ]
[Ȯ[n̊]cȮ[n̊]]+ ~~Ȯ[n]~~ ~~Ȯ[2]~~ Ȧ [Ȧ[n]] + ~~Ȯ[Ȧ][n]~~[[ȮȦ][n]]→+Ȧ[Ȯ[n[1]]]→+Ȯ[n[2]]]+]+[Ȧ[ȯ]Ȧ→+[n]c N[ȦȮ
[[ȮȦ][n]→+ȦȮ[n[1]]]→+Ȯ[n[2]]]]+[Ȯ[n̊]cȮ[n̊]]]+[Ȯ[x]=2[x]]+]][[Ȯ[1] c Ȯ[2]][n][1] Ȧ[Ȯ[2]cȮ[1]]]c→+Ȧ[2]]+
[[Ȯ[1]cȮ[2]][n[2]]Ȧ[Ȯ[2]cȮ[2]]cȦ[2]]cÅ[3]]+[Å[Ȧ[Ȯ][2]Ȧ-c]→+Ȯ[2]→+Ȧ[c][2]→+Ȯ[3]]]+[Ȯ[N]
[Ȧ[Ȯ[1]] c Ȯ[n]→+[Ȯ[N][2]]][[Ȧ-c][Ȧ[Ȯ[1]]]→+Ȯ[N][1]]+[[[Ȧ-c]→+Ȯ[n]]→+Ȧ-[Ȯ[x]→+Ȯ[2]][x]]+

$[\dot{A}-\dot{A}_c\, O_{[x]} \xrightarrow{f} [[N]_{[\dot{O}[x-1]]}]] + [[\dot{O}_{[n]}]_{[x]}] \xrightarrow{f} \dot{A}_{[\dot{O}[x]]}$

$[[[n-\dot{O}_{[x]}]_{[x-1]}] + [[[n-\dot{O}_{[x]}]_{[x-2]}]][A] \xrightarrow{f}$

$\dot{O}_{[N]} + [[\dot{A} \xrightarrow{f} [x]] + [c]] \xrightarrow{f} [x][n]] \xrightarrow{f} [A-C \xrightarrow{f} \dot{O}_{[x]}] f[x-n] \dot{A} \xrightarrow{f} [[n-\dot{O}]] c \bar{A}] + [[\dot{O}_{[n]} A[O_{[x\,x]}]] \xrightarrow{f} \dot{A} \xrightarrow{f} [x]$

$+ \cancel{\dot{O}_{[x+]}} [O_{[+]}\, c \xrightarrow{f} [\dot{A}[\dot{O}]_{[1]}] + [\dot{A}-c] \xrightarrow{f} [\dot{A}[\dot{O}]_{[1]}] \xrightarrow{f} \dot{A}] + [n-A] \xrightarrow{f} \dot{A}_{[c]} \xrightarrow{f} [[\dot{A}] \xrightarrow{f} O-\dot{O}]] + O_{[N]} \dot{A}[\dot{O}_{[n]}]_{[1]}] A$

$\dot{O}_{[x]} \xrightarrow{f} \dot{A}[\dot{O}_{[x]}]] \xrightarrow{f} [\cancel{\dot{O}_{[x+]}} [O_{[x]-[1]}] + [\dot{O}_{[n]}]_{[2]} - \dot{A}_{[1]}] \xrightarrow{f} [O_{[x]-[1]}] \xrightarrow{f} [\dot{A}-c]_{[\dot{A}[1]]} \xrightarrow{f} \dot{O}_{[N]}{}_{[2]}] + [\dot{A}_{[1]}] + c \xrightarrow{f} \dot{O}_{[x]-[2]}]$

$\dot{O}_{[x]}] \dot{A}[\dot{O}_{[x]}]] \xrightarrow{f} [\cancel{\dot{O}_{[x+]}}[O_{[x]-[1]}] + [\dot{O}_{[n]}]_{[2]} - \overset{}{\dot{A}}_{[1]}] \xrightarrow{f} [O_{[x]-[1]}] + [[\dot{A}[[\dot{O}_{[N]} \xrightarrow{f} \dot{A}_{[n]}]_{[x]} \xrightarrow{f} [\dot{A}-c] \xrightarrow{f} \dot{O}_{[x]} \xrightarrow{f} O_{[0]}]_{[x]}]$

$[\dot{O}_{[x]-[1]}\, c \xrightarrow{f} [2]] c[[\dot{O}_{[n]}]_{[3]}] + [\dot{O}_{[n]}]_{[1-2]}]] + c \xrightarrow{f} [\dot{O}_{[N]}]_{[1]}] + [[\dot{A}[\dot{O}_{[N]}] \xrightarrow{f} O_{[\dot{O}]}{}_{[1]}] + \dot{O}_{[x]} \xrightarrow{f} [[n]_{[1]} \xrightarrow{f} \dot{A}-\dot{A}] c$

$c\, \mathring{A}[\dot{A} \xrightarrow{f} [n_{[1]} - n_{[x]}]] + \mathring{A}_{[1]}\, c[\dot{O}_{[1]} + \dot{O}_{[2]}] + [[n] \dot{A}[\dot{O}] c \xrightarrow{f} \dot{O}_{[1]}[\dot{A} \xrightarrow{f} [n]] \xrightarrow{f} \dot{O}_{[\dot{O}]}{}_{[1]}] + \dot{O}_{[x]} \xrightarrow{f} [[n]_{[1]} \xrightarrow{f} \dot{A}-\dot{A}] c$

$\mathring{A}[\dot{A} \xrightarrow{f} [[n]_{[1]}]_{[x]} \xrightarrow{f} [[\dot{O} \xrightarrow{f} [\dot{A}-c] \xrightarrow{f}_{[1]} \dot{O}_{[2]}] [\dot{A}-c]_{c}^{[1]} [\bar{A}] + [\dot{O}_{[1]} + \dot{O}_{[2]}]] + [n]_{[2]}{}_{[x]} \xrightarrow{f} [\cancel{[\dot{A}-c]} [\dot{O}_{[3]}[\dot{A}-c]_{[1]} \xrightarrow{f} [\dot{A}-c]_{[n]}$

$\dot{O}_{[1]} \xrightarrow{f} [\dot{A}-c] \xrightarrow{f} \dot{O}_{[2]}]] \xrightarrow{f} \bar{A}] \xrightarrow{f} \dot{O}_{[x]} \xrightarrow{f} [\dot{A}-\bar{A}_{[2]}] c\, [n-\bar{A}]] + [[\dot{O}[\dot{A} \xrightarrow{f} \dot{O}_{[n]}] + [c] \xrightarrow{f} [[n]-\dot{O}] \xrightarrow{f} \dot{A} \xrightarrow{f} \dot{O}]] + \dot{O}_{[1]}$

$\cancel{\dot{O} \xrightarrow{f} c[\dot{A}-c]}\ [\dot{O} + [c \xrightarrow{f} [\dot{A}-c]] \xrightarrow{f} [\dot{O}_{[2]}\, c \xrightarrow{f} \dot{O}_{[1]}] \xrightarrow{f} [[[\dot{O}_{[1]} + \dot{O}_{[2]}] c\, \mathring{A}] + [\dot{O}_{[1-2]}[\dot{A}-c] \xrightarrow{f} \dot{O}_{[n]}{}_{[1]}] + \cancel{\mathring{A} + [\dot{O}_{[1]}}$

$\cancel{[2] - \dot{A} \xrightarrow{f}}\ + [\mathring{A}_{[n]} \xrightarrow{f} [\dot{O}-\dot{A}] \xrightarrow{f} [N_{[A]} \overset{c}{\xrightarrow{f}} \mathring{A}]] \xrightarrow{f} \dot{A} \xrightarrow{f} [\dot{O}_{[x]} \xrightarrow{f} \overset{c}{\dot{O}}_{[1]}[\dot{O}_{[x]-1]} \overset{\dot{A}}{+} \dot{O}_{[x-2]}]] + [[\dot{O}_{[x-2]}\, c \xrightarrow{f} [1] \xrightarrow{f} \mathring{A}]] +] c$

$[\mathring{A}_{[3]} [\overset{c}{\dot{A}} \xrightarrow{f} \dot{O}_{[x]} \overset{c}{\xrightarrow{f}} [\mathring{A}-[N]]] + [\mathring{A}_c \xrightarrow{f} [\mathring{A}[N]_{[2]}] \overset{\dot{A}}{\xrightarrow{f}} [\dot{O}_{[x-3]}[n-[c] \xrightarrow{f} [x]\mathring{N}] \xrightarrow{f} \dot{A} \xrightarrow{f} [x] \overset{c}{\xrightarrow{f}} \dot{O}_{[x]}]] + [\dot{O}_c \xrightarrow{f} \dot{O}_{[n]}$

$[[\dot{O}_c \xrightarrow{f} \dot{O}_{[\mathring{n}]}] + [\dot{O}[\dot{A}-c] \xrightarrow{f} \dot{O}_{[n]}]] \dot{A} \xrightarrow{f}_{[x]} [\mathring{N}]] + [\dot{O}[\dot{A}-c] \dot{A} \xrightarrow{f} [\dot{O}[n] \dot{A} \xrightarrow{f} \dot{O}]_{[x]}]] + \mathring{0}\ [\mathring{n}] \xrightarrow{f} \mathring{O} \xrightarrow{f} \dot{A} \xrightarrow{f}] + \dot{A}$

$[[\mathring{n}]_{[\dot{O}]} \dot{A} \xrightarrow{f} \mathring{A}] + [[O_{[1]} + c[\dot{A}] \xrightarrow{f} \dot{O}_{[2]}] + [[n_{[1]}] \dot{A} \xrightarrow{f} \dot{O}_{[1]}] + [[n_{[2]}] \dot{A} \xrightarrow{f} \dot{O}_{[2]}] + [\dot{O}_c \xrightarrow{f} [n_{[1]}] \xrightarrow{f} [n_{[2]}]] \xrightarrow{f} \dot{A} \xrightarrow{f} \dot{O}_{[7]}]$

$[\dot{O}_{[n]} \dot{A} \xrightarrow{f} \dot{O}_{[1]}] c[[\dot{O}-[1]] \xrightarrow{f} [\dot{A}] \xrightarrow{f} [\dot{A}-c] \xrightarrow{f} \dot{O}_{[x]} \xrightarrow{f} \dot{A} - [x]-n] \xrightarrow{f} [c] \xrightarrow{f} [\dot{O}_{[1]}\, c\, \dot{O}_{[2]}\, c\, \dot{O}_{[3]} + \ldots\ldots \xrightarrow{f} \dot{O}_{[x]}]_{[x]}] + [\dot{O}\dot{A}-\dot{A}$

$[[\dot{O}_{[N]} \dot{A} \xrightarrow{f} [\dot{O}_{[n]}]_{[1]}]] + [\dot{O}_{[1]} - [n] - \dot{O}[\dot{A}] \xrightarrow{f} \dot{O}_{[1]}[n_{[1]}] \dot{A} \xrightarrow{f} \dot{O}_{[n]}]] + [\dot{O}_{[1]} \dot{A} \xrightarrow{f} [n]_{[1-2]}] + [\dot{O}[n] c[n]_{[x]}] + [\dot{O}_{[n]} - \dot{O}_{[x]}$

$c\, \dot{O}_{[2]-[x]}] - [\dot{A}[\mathring{A}] c \xrightarrow{f} [x-[n]] \xrightarrow{f} [\dot{O}_{[x]}{}_{[x]}]] + [c] \xrightarrow{f} [\dot{O}_{[n]}] +] + [[\dot{A} \xrightarrow{f} [n]] \xrightarrow{f} [n]_{[1]} \xrightarrow{f} [n]_{[2]}] \xrightarrow{f} [n]_{[x]} \xrightarrow{f} [[x-[n]] + [N-\dot{A}] \xrightarrow{f} [\mathring{n}]]] c$

$[x]_{[1]} + [x]_{[2]}] \xrightarrow{f} \dot{A}[[n]_{[x]} \xrightarrow{f} [x]_{[2]}] \dot{A} - [\dot{A}-c] \xrightarrow{f} [[n]_{[x]} \xrightarrow{f} [N]_{[2]} \dot{A} \xrightarrow{f} \dot{O}_{[n]}] + [[n]_{[1]} \xrightarrow{f} [n_{[x]}]] [\dot{A}-c] \xrightarrow{f} [x]_{[1]}] + [\dot{O}_{[x]} \overset{\dot{A}}{\underset{[n]}{-}} \dot{O}_{[x]}]$

$c[n] - \dot{O}_{[x]}[c]_{[2]} \xrightarrow{f} \dot{O}_{[1]}[\dot{A}-c] \xrightarrow{f} [\dot{O}_{[\mathring{n}]} \dot{A} \xrightarrow{f} \dot{O}_{[2]}] \xrightarrow{f} \dot{A} \xrightarrow{f} [[x-n] + [N-\dot{A}]] \xrightarrow{f} [x]] c \xrightarrow{f} [\dot{O}_{[2]} - [n]] + [\dot{O}_{[2]} - \dot{A}]]_{[c]} \xrightarrow{f} [\dot{O}_{[2]}[n]$

$\xrightarrow{f} \dot{O} \xrightarrow{f} [n]_{[x]}] + [\dot{O}] \xrightarrow{f} [\dot{O}] + [[n] + [N] / [x-n] \dot{A} \xrightarrow{f} [[n]]_{[x]}] + [[\dot{O}_{[2]} - \dot{O}_{[1]}]^2 = [\dot{O}_{[2]}]^2 - 2[\dot{O}_{[1-2]}] + [\dot{O}_{[1]}]^2] + \dot{O}\cdot\dot{A}]_{[x]}$

$[\dot{O}_{[3]}]^{[2]} = 2[\dot{O}_{[1-2]}] + [\dot{O}_{[2]} - \dot{O}_{[1]}]^2 = [[\dot{O}_{[1]}]^2 + [\dot{O}_{[2]}]^2] + [\dot{O}_{[1]}] + [\dot{O}_{[4]}] = [\dot{O}_{[5]}] + [\dot{O}-\dot{A}] \xrightarrow{f} [n]_{[x]}$

$[[\dot{O}_{[16-17]}]^2] c[\dot{O}_{[1]}] \neq \dot{O}_{[x]}[+] +_{[n]} [2[\dot{O}_{[1]}] + 3[\dot{O}_{[2]}] = 7]] [[[\dot{O}_{[1]}] - 4[\dot{O}_{[2]}] = -3]]_{[n][x]} c\, \mathring{A}] + [\dot{O}_{[x]}\, A]$

$[\mathring{A}[c[x] + c\dot{O}]]] = [[\dot{O}_{[1]}] = [4[\dot{O}_{[2]}] - 3] +] c \xrightarrow{f} [[n]_{[1]}]] = [2[4[\dot{O}_{[2]}] - 3] + 3[\dot{O}_{[2]}] = 7] [8[\dot{O}_{[2]}]$

$-6 + 3[\dot{O}_{[2]}] = 7] [11[\dot{O}_{[2]}] = 13] [[\dot{O}_{[2]}] = 13/11]]] + [[\dot{O}_{[1]}] = 4\frac{13}{11} - 3 = \frac{52}{11} - \frac{39}{11} = [\frac{13}{11}]]] +] \dot{A} \xrightarrow{f} x[n]]$

$[[[\dot{O}_{[n]}]_{[1]} - [n]] c[n[x-n]]]] [[\dot{O}_{[n]}]_{[1]}\, c \xrightarrow{f} [[n]_{[x-n]} - [n]]]] + [[\dot{O}_{[n]} \dot{A} \xrightarrow{f} \dot{O}_{[x]}] c \xrightarrow{f} [\dot{O}_{[1]} + [N]] +$

$[[n] - \dot{A} \xrightarrow{f} [\dot{O}] c \xrightarrow{f} [x-n]] \xrightarrow{f} [N] - \dot{A}] \xrightarrow{f} [[x-n] \dot{A} \xrightarrow{f} [\dot{O}]_{[1]-[x]}] \xrightarrow{f} [\dot{O}_{[2]} - \dot{O}_{[1]}] = [-\dot{O}_{[2]}\dot{O}_{[1]}]] \dot{A} + [N_{[1]} \times N_{[2]}]:$

$\dot{A}]] + [[[[n] - \dot{A} \xrightarrow{f} [x-n][x3]] \xrightarrow{f} [N_{[1]} + N_{[2]}]]] c\, \mathring{A}[[[x-n] \xrightarrow{f} N_{[1]}]_{[1-2]} + [N_{[2]}]_{[2-1]}][n]_{[2]}] c[[x-n] + [N_{[x]}$

$[x]] + [n]_{[x]}]_{[x]}] c[\mathring{A}[\dot{A} \xrightarrow{f} \dot{O}_{[n]}]_{[1]} \xrightarrow{f} [\dot{O}] c \xrightarrow{f} [x] \xrightarrow{f} \dot{O}_{[n]}]_{[2]}[\dot{O}]] + [N + N_{[2]}]_{[\dot{O}]_{[x]}} \xrightarrow{f} [x-n] \dot{A}]] + [N]_{[x]} \dot{A}$

[[mp-Ȧ[d]][Ȧ-[c] ⃗[ȦP[x][d]] +[rm̄ [d] ⃗[mP] Ȧ][d] Ȯ] +Ȧ[c]-[d]] + Ē[d] [[Y [Ȧ]] [c]][m-[d]] ⃗ [ḋ[Ph[N]

[[∩[x] c ⃗[∩[1] Ȧ+[[x-∩]] + +[[∩̇[2] Ȧ ⃗[ȦN][c] ⃗ N[x]Ȯ] + [Ȧ-[c]] + [∩̇[2] ⃗ [Ȧ-∩] + Ȯ[N] Ȧ ⃗ [[Ȯ-Ȯ] Ȧ-∩]

A[[c]] ⃗ Ȯ[x] ⃗ ∩] + [Ȧ ⃗ [Ȯ] [d] [[∩]c ⃗] ⃗[Ph[Ȧ][mP] ⃗ ∩[x]][Ȯ]] +[Ph[N] [d] O] [c][Å[∩]] +[Ȧ ⃗ P[d]] + T[2]Ȧ]

Ȧ ⃗[N[Ȯ] [c] ⃗ ∩̇[1]Ȧ] + [[Ȯ[c] ⃗ ∩[[Ȧ]] + [c]] + [[∩[x]] ⃗ Ȧ[Ȯ] [c] ∩[x]-[2]] +N[0] + [c] Ȧ ⃗ [x-∩]]]] + [[∩[c] + ȦN[x-∩]

[

[[Ȯ[x] [c] - p[[d]] - Ȧ ⃗+ [[Ȯ [x] [2]] c [[Å] [m]] ⃗+ [[m e] ⃗+ [x]] + [[Ȧ [c] [m]] [c] Ȯ[1] ⃗+]Ȯ[x]] m Ȧ [x]] +

[[Ȯ[1] · (Ȯ[2] + Ȯ[3]) ⃗+ [Ȯ[1] · Ȯ[2]] + [Ȯ[1] · Ȯ[3]]] c [x-∩] Ȧ]] + [Ȧ [c] [∩] Ȧ ⃗+ [Ȯ[x]] Ȧ ⃗+ [Ȯ[x] [2]]] +

[[p[[d] m ⃗+ Ȧ [N] ⃗+ [m e] [2] c [∩[1] p[⃗+ Ȯ[x]] + [m e [2] c [∩[2] p[⃗+ Ȯ[x] [2]]] c [m [d]] + [Ȧ]] + ∩ m p [d]

[Ȧ - c][Ȧ ⃗+ Ȧ N] ⃗+ [[x [∩]] [1] - [∩[1]] Ȧ - Ȯ[x]] + [[x [∩]] [2] - [∩[2]] Ȧ - Ȯ[x] [2]] c [∩ - Ȧ] + Ȯ[∩] + Ȧ ⃗+ N]

[[Ȧ ⃗+ P[d]] + [T[2] Ȧ [d]] [[m e - Ȧ [d]] + [m - [d] ⃗+ Ȧ[d]] ⃗+ Å [P Y [∩] d Ȯ]] + [[T[1] Ȧ[m]] ⃗+ [A[d] [m]] ⃗+ [[1] Ȯ[x]]]

[[[∩[1]] [ȯ] [[x-∩] - Ȧ]] + [[x-∩] [c] Ȧ ⃗+ [ȧ [ȯ] [x]]] Å [Ȧ-∩] Ȧ ⃗+ Ȯ]] + [Ȯ [N] + Ȧ N[x-∩] [Ȧ ⃗+ [∩] ⃗+ [c]] [∩]]]

[Ȧ ⃗+ P[d]] + [[m + [c] Ȧ ⃗+ Ȯ[2] [Ȧ [d]]] + [P Y [∩] [d] - [∩] Ȧ] + [[P Y [d] ⃗+ [c] ⃗+ ∩] [m̄ Ȧ]] [ȯ] ⃗+ Ȯ[1] + Ȧ[d] ⃗+ [Ȯ[2] c

[[∩[1] Ȧ]] + [[∩] [Ȧ ⃗+ Ȯ[x] c ⃗+ Ȧ ⃗+ Ȯ[2]]] + [Ȧ - ∩] [x-∩] c ⃗+ [∩ Ȧ]][ȯ] + [[∩[2] ⃗+ [x-∩] [Ȧ - ∩] Ȧ[ȯ]] [c] ⃗+ Ȯ[2]] [x-∩] Ȧ [c] ⃗+ [Ȯ[2]

⃗+ [P Y [d] Ȯ[2]] + [p[[c] ⃗+ [d]] Ȧ ⃗+ [P h [N] [ȯ]] [Ȧ ⃗+ E] [∩]] [+ [[Ȯ[2] Ȧ [d]] [m ⃗+ Ȯ[1]]] + [m e [Ȧ]] [c] ⃗+ [d] ⃗+ [[N] [d] m

Ȧ ⃗+ [(∩̇[2] Ȯ[2])] ⃗+ [Ȧ [∩]] + [[N] [c] ⃗+ (Ȧ - N) [∩+1] Ȧ]] ⃗+ [[Ȯ[1] ⃗+ Ȯ[x]] [∩] Ȧ ⃗+ [Ȯ[2]]] ⃗+ [[x-∩] c ∩ - ȯ] ⃗+ Ȧ ⃗+ (N + ∩̇)

⃗+ A[x]] c ⃗+ [[Ȧ P[x] + P Y [N] d [Å P[∩] c ⃗+ [N]] - Ȧ]] + [[Ȧ ⃗+ A[d] ⃗+ [Ȧ P[∩] [ȯ]] c ⃗+ [Ȧ P[∩] [2]]] + T p[[m] ⃗+ [d]]

⃗+ [Ȧ [x]] c ⃗+ [Ȧ [∩] [x]] [Ȧ - ∩] [c] [x-∩] - ∩ ⃗+ [N]] - Ȧ]] + [[∩[1] - [Ȯ[1]] c ⃗+ ∩[2]] + [ȯ - Ȧ] ⃗+ [∩ ⃗+ ∩[2] Ȧ] + [Ȧ - ∩] - Ȧ ⃗+ [x]]

[P h [N] - A[d]] ⃗+ [A [ȯ]] - Ȧ] + Ȧ P[Ȧ] [c] p[⃗+ [N] [1] ⃗+ [N [2]] ⃗+ Ȧ P[∩] [2]] + [Ȧ P[∩] - Ȯ[d]] ⃗+ [d] ⃗+ Ȧ P[x] ⃗+ Ȧ N [c] Ȯ] ⃗+ P h

[∩[1-3]] Ȧ - [N] [c] [x] ⃗+ [N [Ȧ] [x] - Ȧ - ∩] ⃗+ [P [1] ⃗+ [∩] - ȯ] ⃗+ ∩[2]]] + [[[∩ [ȯ] + [Ȧ - ∩] [x-∩] c Ȯ] ⃗+ [∩ [2]] - Ȧ ⃗+ ∩[2]

][x]] + [P Y [N] - Å [c] ⃗+ ∩[2]] + [[A[d] + Ȧ m e]] + [[d] [Ȧ] [c] [Ȧ ⃗+ Q[d]] + [[d] [2] + T[1] - Ȧ]] ⃗+ Å [1]] + [d

[x]] + [∩̇] c [Ȧ] [∩[x]] ⃗+ [N - [Ȧ]]] + [[Ȯ[N] c Ȧ ⃗+ [x]] ⃗+ [[[∩[2] - Å] [1] ⃗+ Ȧ ⃗+ [x-∩] [c] ⃗+ Ȯ] + [Ȧ [∩̊]] [Ȧ]] + [∩̇

[c] m ⃗+ [[Ȧ [m e]] [∩̊]] [1] ⃗+ [[Ȧ m e + Ȧ[d]] - Ȧ] ⃗+ [Å[1] - Ȧ[2]]] + [A[d] - [c]] + [T[1] Ȧ m] + [p [Ȧ [c] ⃗+ [d]] ⃗+

[[∩] [2]] [[x - ∩] + [∩̊ - Ȧ] [1] ⃗+ [(Ȯ[N] - Ȧ ⃗+ [2]] c ⃗+ [Å [1] - ∩̇[1]]] + [[∩̇[1] - ∩[2] - Å[1]] Ȧ - [c] ⃗+ [Ȯ] [∩̊ - [x-

[d] Ȯ] + [[Ȧ ⃗+ P[d]] + [T[2] - [d] Ȧ]]] + [A[d] p[+ Ȯ - Ȯ] ⃗+ p[[d]] ⃗+ [Ȯ[2] Ȧ] [c] ⃗+ [Ȧ ⃗+ P[2] d P h [N] Ȧ]

x [[Ȯ] - Ȧ]] + [∩[1] ⃗+ [ȯ - Ȯ] - [∩] Ȧ - [c]] ⃗+ [N] + [x-∩] [c] ⃗+ N[ȯ] [Ȧ] ⃗+ [∩[2]] ⃗+ [Ȯ[N] Ȧ ⃗+ Ȯ

] ⃗+ [Ȯ[x]] [c] [d] ⃗+ [Ȧ P[x] - [2]] + [Ȧ - [c]] ⃗+ Ȧ ⃗+ P[x] d] + [A[d]] + [A[d]] ⃗+ [m e [Ȧ] - [d] ⃗+ [∩] ⃗+ [

Ȧ ⃗+ Ȯ] + N] + [Ȧ - [c]] ⃗+ [[∩[x] Ȧ] + [N [Ȧ]] + [∩ [Ȧ]] + [[∩[1]] · Ȧ ⃗+ [x-∩] [c] N

[A - c][A + A N] + [[x [n]] [1] - [n [1]] À - O [x]] + [[x [m] [2] - [n [2]] À - Ȯ [x] [n]] c [n - A] + Ȯ [n] + À + N]

[[À + P [d]] + [T [2] À [d]] [[m e - À [d]] + [m - [d] + À [d]] + Å [P Y [n] d Ȯ]] + [[T [1] À [m]] + [A [d] [m]] + [[1] Ȯ [x]]

[[[n [1]] [o] [x - n] - A]] + [[x - n] [c] À + [n [o] [2]]] Å [À - n] À + Ȯ]] + [Ȯ [N] + À N [x-n] [À + [n] + [c]] [n]]]

[À + P [d]] + [[m + [c] À + Ȯ [2] [À [d]]] + [P Y [n] [d] - [n] À] + [[P Y [d]] + [[c] + n] [m À]] [o] + Ȯ [1] + À [d] + [Ȯ [2] c

[[n [1] À]] + [[n] [À + Ȯ [x] c + À + Ȯ [2]]] + [À - n] [x - n] c [n] À] [o] + [[n [2] + [x - n] [À - n À [o]] [c] + Ȯ [2]] [x - n] À [1] + [Ȯ [2]

+ [[Y [d]] Ȯ [2]] + [p [c] + [d]] À + [P h [N] [o]] [À + t] [n]] [+ [[Ȯ [x] À [d]] [m + Ȯ [1]]] + [m e [À] [c] + [d]] + [[N] [o] m

n + [[n [2] Ȯ [2]]] + [À [n]] + [[N] [c] + [À - N] [n - 1] À]]] + [[Ȯ [1] + Ȯ [x]] [n] À + [Ȯ [2]]] + [[x - n] c n - ȯ] + À + [N + n] +

+ A [x]] c + [[À P [x] + P Y [N]] d [À P [n] c + [N]] - À]] + [[A + A [d] + [À P [n] [o]] c + [À P [n] [2]]] + T p [m] + [d]]

+ [À [x]] c + [À [n] [x]] [À - n] [c] [x - n] - n] + [N]] - À]] + [[n [1] - [Ȯ [1]] c + n [2]] + [n - À] + [n + n [2] À] + [À - n] - À + [x]

[[P h [N] - A [d] + [À [o]] - À] + À P [À] [c] p] + [N] [1] + [N [2]] + À P [n] [2]] + [À P [n] - Ȯ [d]] + [d] + À P [x] + À N [c] Ȯ] + P h

[[n [1-3]] À - [N] [c] [x] + [N [À] [x] - À - n] + [n [1] + [n] - Ȯ] + n [2]]] + [[n [o] + À - n] [x - n] c Ȯ] + [n [2]] - À + n [2]]

[À] [x]] + [P Y [N] - Å [c] + n [2]] + [[À [d] + À m e]] + [[d] [À] [c]] [À + Q [d]] + [[d] [2] + T [1] - À]] + Å [2]] + [d [m]

[À [x]] + [n] c [À] [n [x]] + [N - [À]]] + [[Ȯ [N] c À + [x]] + [[[n [2]] - Å] [1] + À + [x - n] [c] + Ȯ] + [À [n]] [À]] + [n [2]

À [c] m + [[À [m e]] [n]] [1] + [[À m e + À [d]] - À] + [Å [1] - À [2]]] + [A [d] - [c]] + [T [2] À m] + [p [À [c] + [d]]] +

À [c]] [[n] [2]] [[x - n] + [Å - À] [1] + [[Ȯ [N] - À + [2]] c + [Å [1] + n [1]]]] + [[n [1] - n [2] - Å [1]] À - [c] + [Ȯ] [n - [x - n] - À]

[[À m e [n] d] Ȯ]] + [[À + P [d]] + [T [2] - [d] À]] + [A [d] p] + Ȯ - Ȯ] + p [d]] + [Ȯ [2] À] [c] + [À + P [2]] d [P h [N] À] +

[x - n] [x] [[Ȯ] - À]] + [n [1] + [Ȯ - Ȯ] - [n] À - [c]] + [N] + [x - n] [c] + [N [o] [À]] + [n [2]] + [Ȯ [N] À + Ȯ [x]] +

[m e [À] + [Ȯ [x]] [c] [Ȯ] + [À P [x] - [2]] + [À - [c]] + À + P [x] d] + [A [d]] + [À [d]] + [m e [À] - [d]] + [n] + [Ȯ [x] - n [d]

[[[x - n] [c] À + Ȯ [x] + [n [x]] + [N]] + [À - [c]] [[n [x] À] + [N [À]] + [[n [À]] + [[n [1]] - À + [x - n] [c] N [o]] À]

+ P h [N]] + [T [1] À [d]] + [À + P [d]] + [[T [1] À]] + [P h [A [d]] + [[Ȯ] - [Ȯ]]] + [p [1] - À [c] - [d]] + [À + P [2] d] +

[À + [N]]] + [[x - n] + [n [2] - À] + [[n [1] - [N [À]] + [[À - n] - [n] - [n [À]]] + [n [2]] [c] [À - n] [o] + [Ȯ - N] [Ȯ - Ȯ]

[m e [À] + P Y [N]] + [[n] - [d]] + [[À]] + [T p [d]] [c] + Ȯ [1]] + [À [d] - À - [c]] p] + [Ȯ [2]] [c]] + [À [o]] + [Ȯ [2] - n

À] - [x - n] À + [À - n] [o]] + [[À [x]]] + [[Ȯ [1]] [n] + [Ȯ [2]] [n]] [À - [c]] + [Ȯ [n]] - x - n] À] + [À + Ȯ [2] - n

[c] m e [À]] [c] [d] + [x] + m e [o]]] + [À + À P [x]] [d]] + [A m p [d]] + T [2] À]] + [d [o] c [d] [2]] + [À [d]] + P h

[c] + [x - n]] - À + [x] - Ȯ]]] + [À + [n [x]]] + [N [c] À + N [o] [n] + [2]] + [Ȯ [À] [1] + [2]] + À +

À + e [d]] + [m e [x] d] + [Ȯ [2]] c + [À [d]] + [1]] [À - N] [m] - d [P h [N] [c] À [2]] + [À [o] d - P h [N]] +

[p[d]] + À[d] → (mpr mpl À]] + (À - [c]] + (À [d]] → Ph[N] + (À → [d]] → (À → P[d]] + (T[n] À] → (A[d] + pl[d][c]] + [p

[O[x]] [c] [4] + [5,6] + [3,4]] [c] [O[2]] [[n] → [∩[1]] + [∩[2]] À → [x-n] [c → [[5,6] + [7,8]] [O[3]] [n]] [À →

→ [d] [O] [c →, À mp[d]] → [À[O] - [d] → Ph[N] [c] [O] → À[d]] [n [O]] c → (mp[À] [O] + m[d] → O[x] [d] O [À]] →

[[∩[2]] [c] → [∩[1] → [N[À]] → [[O][n]]] → [O[9,10] → [x-n][c]] + [À[1] + À[2]] [c] → N[O ~~9.5~~ 9.5] + À[2]

[p] → Ph[N]] + [d[c] d]] → [A mpl[d]] → [T[2] À]] → (À mp[d]] → [mp[À] m[d]] → Ph[N]] [d] [O] + [p][d]

c → O[O]] → n]] + [[O[n]] [[1] → [2]] À]] + [N[c] → O[x][c] → [c] + (∩[2]] À → [x-n] + À N] → [x-n] À] → x-n]

- [O][c] → (À mp[d]] → (Ph[N]] O[2] d → [À[N]] [d] À[A]] → (p[d]] → À[d]] + (O[2] c[d]] À → (p[À]] + (À[d] →

- O[c]] → [x-n] [À] → (N][O] → n]] → O[2] c À → [À N[c] [N] À] + [∩[À] - [[À - n] [c] À - N] - [[O][2] À] [c] → N[c]

[Ph[O]] + (A[d] + O - O]] + (P Y[N] d [n]] + (m À]] → ([d] [d]] → (A mpl + [c] → pl[2]] + [À P[n]] + A[d] - [mpl →

[[N] - [O]] + [∩[À] - [O - O] + À - n] [c] À → [x-n] - O] + [O[1] → [2] À] [n]] + N[c] → [n À → N] [2] + (∩[2]] + (∩[O] À] + À → c

[O] + T[1] À]] → (À[d]] → À P[2]] → (p[À]] + (À - [c]] → À → P[d]] → (Ph[N] d → À → B P[N]] [d]] [O]] + (Ph[N]

- O] + [x-n][1] À] + [n[À] → ∩[2] + [(N[À]] + À - [c]] → À → [n][1]] → N[À] → (∩[2] - N[O]] [2] → n]] + ([N] [À]]

A mpl → [O - O]] + [d + pl[d]] → ([p][c] d]] → (P Y[N] [c] d] [p[d] → n]] + (P Y[mm À] → (À P[2]] + (d[c][d]] → (A mpl

À - [c]] → N[O - O]] + [N[O][x] + N[c]] À + [O[1] → [1]] → (O[n]] À] + [(À - n] [[n][2] À] → [∩[2]] [. (O[1] → [c]] À] + [

[Ph[N]][c] d À - p]] + [[mp[À]] [c] O] → [À P[2] → Ph[N] d → À[O]] + T[2] m À] → m A] + [À → O[d]] → (p[À]] - d]

- [(N[c]] À → N[O][x]] → ∩[x-n] À[c] O] + [∩[2] → N[À] À[O] + [∩[2] - À] A] → [x-n][n] → (∩[À]] → [O] + N[c]À]

+ T[1] À] → ([d][c] d À]] → [T + pl[P Y[d] À]] → ~~Àd~~ (À → [O][d]] + À → [mp] [d]] → (À[O] d → Ph[N]] + (O - O

+ [À N[∩[c]] → x-n] - [c]] [n] → O[x]] + (O[1] → [2]] [c → ∩[À]] + [∩[À] → O]] + [[x-n][c] - ∩[À]] + [N[O] [À - N] [x-n] [O - O]

[d] A] → À[O][d] O] + (T[2] d À]] → (m À] → (À → [O]] → (A[d]] + P Y [d A]] + P Y[m d À] → (À P] → [d]

∩[À]] + [À[O] - À[O]] + [∩[2] À] + [x-n][c] À] + (∩[O]] [n] + [∩[À] + ∩[c] [x-n [À] ∩[À]] → ∩[2]] [À

[|O[n]][c][4]+[5,6]+[3,4]|[c] |O[2]][[n] + [Π[1]] + [Π[2]] Ȧ + [x-Π] c + [[5,6]+[7,8]] |O[3]] [n]] |A+(
+ [d] [0] [c +, Amp[d]] + [À[0]-[d] + Ph[N]] [c] [O]+ À[d]] [n [n]] c + (mp À[0] + m[d] + O[n]k [d] O[A]].
| |Π[2]] [c] + |Π[1] + [N[Ā]] + |[Ȯ[n]]] + [Ȯ[9,10] + [x-Π[n]] + [À[1] + À[2]] [c] + N[Ȯ ~~3,5~~ 9,5] + A[c]
[p| + Ph[N]] + [dr[c] d]] + [Amp|[d]] + [T[1] Ā]] + |Ȧmp [d]] + [mp[Ā]|m[d]] + Ph[N]] [d] [O] + [p|[d]]
[c] Ȯ[0]0]| n]] + [|Ȯ[n][1] + [2]] Ā]] + [N[c] + Ȯ[n][c] [c]] + (Π[2]] A + [x-Π + A[N]] + [x-Π] Ā] + x-Π] ;
- [0][c] + |Amp[d]| + |Ph[N]] O[2] d + [À[N]] [d] Ã[A]] + |p|[d]] + |Ȧ[d]] + |O[2]] c[d]] Ȧ + |p|[Ā]] + |Ȧ[d] +
- O[c]| + [x-Π] [Ȧ] |N][0] + Π]] + Ȯ[2] c Ȧ + [À N[c] [N] Ā] + [Π[Ā]-[Ȧ-Π] [c] Ȧ-N] - [Ȯ[2] Ǎ] [c] + N[c]
[Ph[0]] + |Ȧ[d] + Ȯ-Ȯ]] + [Py[N] d [n]] + m Ā]] + [dr[c] d]] + |Amp| + [c] + p|[2]] + |Ȧp[0]] + A[d] - [mp| +
[|N]-[0]| + [Π[Ā] - [Ȯ-Ȯ] + Ȧ-Π] [c] Ȧ + [x-Π]-Ȯ] + [Ȯ[1] + [2]] Ā] [n]] + N[c] + |Π Ȧ + N][2] + |Π[2]] + |Π[0] Ā] + Ȧ +
[0] + T[1] Ā]] + |Ȧ[d]] + Ȧp[2]] + |p|[Ā]] + |Ā-[0]] + Ȧ + p[d]] + |Ph[N] d + Ȧ + ßp[N]] [d]] [O] + |Ph[N]]
0] + [x-Π][1] Ā] + [Π[Ā] + Π[2]] + [|N[Ā]| + Ȧ-[c]] + Ȧ + [[n][1]] + N[Ā] + |Π[2]-N[0]][2] Π]] + [N] [n]
Amp| + |Ȯ-Ȯ]] + [dr + p|[d]] + [p|[c] d]] + |Py[N] [c] d] [p| d Π]] + |Py[m] Ā] + |Ȧp[2]] + |dr[c] d]] + |Am
|Ȧ-[c]] + |N[Ȯ-Ȯ]] + [N[Ȯ][n] + N[c]] Ȧ + [Ȯ[1] + [2]] + |O[n]] Ā] + [|Ȧ-Π] [n][2] Ā] + [Π[2]] [|Ȯ[1] + [c]] Ā] +
[Ph[N][c] d Ȧ-p]] + [[mp[Ā]] [c] O] + |Ȧp[2] + Ph[N] d + Ȧ[0]] + T[2] m Ā] + m Ā] + |Ā + Ȯ[d]] + |p|[Ā]] d]
[|N[c]] Ȧ + N[Ȯ][n]] + Π[x-Π] Ȧ[c] Ȯ| + [Π[2]] + N[Ā] Ȧ[0]] + [Π[2]] - Ȧ] A] + [x-Π][n]] + |Π[Ā]] + [0] + N[c] A]]
+ |T[1] Ā] + |[dr[c] d Ā]] + [T[2] + p|[p ẏ [d] Ā]] + ~~Ā~~d [Ȧ + [0 [d]] + Ȧ + [mp] [d]] + |Ȧ[0] d + Ph[N]] + |Ȯ-Ȯ]
+ [Ȧ-N[n][c]] + [x-Π]-[c]] [n]] + Ȯ[x]] + |Ȯ[1] + [2]]] c + Π[Ā]] + [Π[Ā] + Ȯ]] + [[x-Π][c]] - Π[Ā]] + [N[0] [Ȧ-N] [x-Π][Ȯ-Ȯ]]
[d] A] + Ȧ[0] [d] O] + [T[2] d Ȧ]] + |m Ā] + |Ȧ + [0]] + |Ȧ[d]] + p ẏ [d A]] + Py[m d Ā] + |Ȧp] + [dr[c] d Ā]
Π[Ā]] + [Ȧ[0] - Ȧ[0]] + [Π[2] Ā] + [x-Π][c] Ā] + |Π[0]] [n] + [Π[Ā] + Π[n]] [x-Π[Ā] Π[Ā]] + Π[2]] | Ȧ + [n]

The time network:

Time abstractions are made out of multiple objects that change the placement in the network depending on their use.

Abstracted cogs get converted into modifiers: $[\dot{O}_{[x]}\ c_{[m]}] + \dot{A}\,pl\,\overset{\rightarrow}{\div}\ \dot{O}_{[n]}]$

$([A[m] \overset{\rightarrow}{\div} pl[1]\ c\ pl[2]]] + [[pl[1]\ c\ \dot{O}[1]] + [\dot{O}[x]] + [pl[2]\ c\ \dot{O}[2]]]]\ c\ \dot{A}[d] \overset{\rightarrow}{\div} Ph[n]]$

The action appears to convert one placement to another whilst m

on parameters.

[Ȧd + Ȧmpd]] + [Ȧmpl [x]]]+⃗ [[n] - Ȧ+⃗ P[x]] + [Ȧ-c] +⃗ Ȧd] +⃗ [n] c Å[N +⃗ ȦP[x]] + [d] Ā[m +⃗ n]] + Ȧd]

[Ā[[[x-n] + Ȯ[x]] - Ȧ]c] +⃗ [[x-n] Ȧ +⃗ n] [+⃗]] n[x]] Ȧ +⃗ [N - n[x]] c[Å][n]] +⃗ n]] + [[[Ȧ-n] Ȧ +⃗ O+

+Ȧd] +⃗ [Ȧd +⃗ [c]] - Ȧ +⃗ [Ȧ-[c]] [Ȧd + Ȧmpl +⃗ [Ȧ: ȯ] md] +⃗ [Ph[n] d O +⃗ BP-o] Ā]] + [Ȧd +⃗ c] +⃗ [Ȧmp] -x]

(n[x])] Ȧ +⃗ c] [O[n-ȯ]] +⃗ [N-Ā] +⃗ [Ȧ[ȯ] c +⃗ [n][x]] c[Å[2]] +⃗ [Ȧ +⃗] O[x]]] + [Å[2] - n[x] Ā-

[Ȧ-c] +⃗ Ȧd] +⃗ [ȦP[x]] + [[Ȧ-P[d]] + Py[n] d A[c] +⃗ [n] [2]] +⃗ Å[T[o] [d] +⃗ Py[n] +⃗ Ā m̄ Ph/Py[n] - O]] c

c +⃗ n[1]] +⃗ Ȯ[N - Ȧ]] + [[n[1]] Å] +⃗ [[n] - O c Ȧ[Ȯ[x]] [n]] c Å[[x-n] Ȧ +⃗ Ȯ[1] c +⃗ Ȯ[Ȧ +⃗ [N] +⃗ Ȯ[x] c

Py[n] ⁰[+⃗ m[d]] - Ȧ] + [Ȧ[d] + Ȧmpl] + [Ȧ[A] [m-d + Ȧ +⃗ A[ȯ]] + [Ȧ[m-d] + c] + [Ȧ[d]] - [pl-d + Ȧmp]]

[n] [Ȧ][2] +⃗ [n][2] c +⃗ [Ȧ-n]] + [Ȧ - [Ȧ +⃗ Ȯ[1] c +⃗ [N] - Ȯ[2]] + [n[1] - Ȧ]]c +⃗ [Å] +⃗ [Ȧ - c] +⃗ [[N - Ȯ] - Ȧ][x]] +⃗

+⃗ Ph[n] d o] + [Ȧd [d] + pl - Ȧ] +⃗ Ȧ[A]] + [Ȧd + Ȧmpl +⃗ Ph[n] d O] + [Ȧ[c] + pl] - Ȧd] + Ȧd] +⃗ Ph[n] d O[x

c +⃗ [N] [x] ⁰] + [[n[2] Ȧ +⃗ c +⃗ [n][1] [Ȧ-n]] + [[O[n] Ȧ +⃗ Ȯ[x-n] [x-4]]] c Ȧ[[N [Ȧ +⃗ O[2]] +⃗ Ȯ[x-n] [x-8]]

[Ȧ[ȯ] +⃗ Ph[n] +⃗ Ȧ[A] [d] + [n] Ȧ] c[Å] + [Ȧ[c] m[d]] +⃗ [Ȧ[N] c Ȯ[1] +⃗ [n] +⃗ Ph[Ȧ[ȯ] +⃗ Ȧ[c] +⃗ O[x] +⃗ [n

O[x] +⃗ [N] - Ȧ +⃗ [Ȧ-n] Ȧ +⃗ [n]] +] c[Å] +⃗ [O[N] c[Ȧ]] +⃗ [[N] [O] [x] c[[n] - ȯ] + [[N] [2] Ā - [Ȧ[ȯ]] - NȦ - c] +⃗ [n

Ȧ[c] +⃗ [Ȧmp + Ȧ[d]] +⃗ [[Ȧ[ȯ] Ph[n] [2]] pl + [d] +⃗ [Ȧ +⃗ E]] c [d] +⃗ [pl +⃗ Ph[o] o[mp] c +⃗ O +⃗ [Ȧ[mpl]] - Ȧc

Ȧ-c] [Ȧ-n] +⃗ [[x-n] + [Ȧ]] + [Ȧ[N] +⃗ [n[1] + [[n[2]] c +⃗ O[+⃗ N[x]] c] +⃗ [Ȧ-n] c +⃗ O[x] +⃗ Ȯ[n] +⃗ Ȧ[N] + n[1]] + [N

O[Ȧ] +⃗ [Ph[n] + [m [d]] +⃗ Ȧ[ȯ] m] +⃗ Ȯc +⃗ [n]] + [[Ȧ[d] + Ȧmp] + [Ȧ[ȯ] m-[d] +⃗ mp] +⃗ [[x] +⃗ mp] +⃗ [Ph

] + [x-n] c +⃗ [O[n]] + [[N + O][x]] + [n] Ȧ c +⃗ [n]] + [[x-n] Ȧ +⃗ Ȯ] +⃗ Ȧ +⃗ [[N - Ȧ +⃗ Ȯc +⃗ n]] [x - Ȧ +⃗ x-n] +⃗ [

[+[Ȧd pl] +⃗ [Ȧd - pl] m] +⃗ [[d] - Ȧpl d = Ȧ[Q] [Ph]] +⃗ [Ȧ - pl - d O] c [d]] +⃗ [Ȧd +⃗ pl c[d]] +⃗ Ȧd] +⃗ Ph[n]

[Ȯ[N] Ȧ + c] + [[n] Ȧ] + [Ȯ[x] c +⃗ [O[x] + O[x] + [x-n] Ā +⃗ n] + Ȧ +⃗ Ȯ[x] +⃗ N]] Ȧ - [[N] A

E] +⃗ [Ȧ - pl [d]] +⃗ Å[x] [Ȧd]] +⃗ [Ph[o] + Py[n] d Ȧ +⃗ pl] + pl [d] + [Ȧmp + d]] +⃗ [Ph[n] d o] + [Ȧ[c]

N[ȯ] c +⃗ Ȧ +⃗] [Å[2] Ȧ] + [N[ȯ]] + [Ȧ-n] Ȧ +⃗ O + Ȧ +⃗ [x-n] Ā] + [[N[ȯ]] + c +⃗

pl + d [ ] - Ȧ +⃗ [Ȧd [Å] + [Ad pl - Ad pl] +⃗ ~~A~~ Ȧd +⃗ (O[x]) +⃗ [pl [d]] +⃗ [pl - d[2] Ȧ]] + [pl +⃗ [mp]

Ȧ - c] + [c] Ȧ +⃗ [Å] [[Ȯ — O[Ȧ]] + Ȧ +⃗] [O[x] [[N c Ȧ +⃗ O[x]] + [[x-n] [ȯ]

T[1] m Ȧ] + [pl[c] [m[d]] + Py[n] [d Ȧ]] +⃗ [Ȧ[d]] +⃗ [Ȧ[N] [d] Ȯ c[d]] +⃗ ȦP[2] [n]] + c[ȯ

[illegible] +⃗ [[Å] [ȧ]] +⃗ [Ȧ[N] [c] Ȯ[Ȧ] +⃗ n[2]]] c [

[Ȧd + Amed]] + [Ampl [a]] ⃗+ [[n] - A ⃗+ P[x]] + (Ȧ - c] ⃗+ Ȧd] ⃗+ [n] c Å [N ⃗+ ȦP[x]] + [d] Ā [m ⃗+ n]] + Ad]
[Ȧ [[(x-n] + Ȯ[x]] - Ȧ]c] ⃗+ [[x-n] Ȧ ⃗+ n] [c]] 0[x]] Ȧ ⃗+ [N - n[x]] c[Å][n]] ⃗+ n]] + [[[A-n] Ȧ ⃗+ Ȯ ⃗+

+ Ȧd] ⃗+ (Ad ⃗+ [c]] - Ȧ ⃗+ (A - [c]] Ȧd + Ȧmpl ⃗+ (Ȧ: ō] md] ⃗+ [Ph[n] d O ⃗+ BP - 0] Ȧ]] + (Ȧd ⃗+ c] ⃗+ (Ȧmp] -x]
(n[x]]] Ȧ ⃗+ c] [Ȯ[n - ȯ]] ⃗+ [N - Ȧ] ⃗+ [A[ȯ] c ⃗+ [n][x]] c [Å[a]] ⃗+ [A ⃗+] Ȯ[x]]] + [Å[2] - n[x] Ȧ -

(Ȧ - c] ⃗+ Ȧd] ⃗+ [Ȧ P[x]] + [[Ȧ - P[d]] + Py[n] d A[c] ⃗+ [n] [a]] ⃗+ Å [T[o]] [d] ⃗+ Py[n] ⃗+ Ā m̄ Ph/Py [a] - 0]] c
c ⃗+ n[c]] ⃗+ Ȯ[N - Ȧ]] + [[n[c]] Ȧ] ⃗+ [[n] - 0 c Ȧ[Ȯ[x]] [n]] c Å [[x - n] Ȧ ⃗+ Ȯ[c] c ⃗+ Ȯ [Ȧ ⃗+ [N] ⃗+ Ȯ[x] c

Py[n] ȧ ⃗+ m [d]] - Ȧ] + [Ȧ[d] + Ȧmpl] + [A[A] [m - d + Ȧ ⃗+ Ȧ[ȯ]] + [A [m - d] + c] + (Ȧ[d]] - [pl - d + Ȧmpl]
[n]] [[Ȧ][c]] ⃗+ [n][2]] c ⃗+ [Ȧ - n]] [Ȧ - [Ȧ ⃗+ Ȯ[n] c ⃗+ [N] - ȯ[a]] + [n[c]] - Ȧ]] ⃗+ [[Å] ⃗+ [Ȧ - c] ⃗+ [[N - ȯ] - Ȧ][x]] ⃗+

⃗+ Ph[n] d o] + [Ad [d] + pl - Ȧ] ⃗+ Ȧ[A]] + [Ȧd + Ȧmpl ⃗+ Ph[n] d O] + Ȧ[c] + pl] - Ad] + Ad] ⃗+ Ph[n] d O[x]
c ⃗+ [N] [x]] + [[n[a] Ȧ ⃗+ c ⃗+ [n][c]] [Ȧ - n]] + [[Ȯ[n] Ȧ ⃗+ Ȯ[x - n] [x - +]]] c Å [[N[Ȧ ⃗+ Ȯ[2]] ⃗+ Ȯ[x - n] [x - 8]] Ȧ

[Ȧ[ȯ] ⃗+ Ph[n] ⃗+ Ȧ[A] [d] + [n] Ȧ]] c [Å] + [Ȧ[c] m[d]] ⃗+ [Ȧ[N] c Ȯ[c]] ⃗+ [n] ⃗+ Ph[Ȧ[ȯ] ⃗+ Ȧ[c] ⃗+ 0[x] ⃗+ [n][2]]
[[Ȯ[x] ⃗+ [N] - Ȧ ⃗+ [Ȧ - n] Ȧ ⃗+ [n]] +] c [Å] ⃗+ [Ȯ[N] c [Ȧ]] ⃗+ [[N] [Ȯ][x] c [[n] - ȯ] + [[N][a] Ā - [Ȧ[ȯ]]] - [Ȧ - c] ⃗+ [n] - ȯ]]

+ Ȧ[c]] ⃗+ [Ȧ mp + Ȧ[d]] ⃗+ [[Ȧ[ȯ] Ph[n] [a]] pl + [d] ⃗+ [Ȧ ⃗+ E]] c [d] ⃗+ [pl ⃗+ Ph[o] d] mpl c ⃗+ 0 ⃗+ [Ȧ mpl]] - Ȧ[ȯ][2]
Ȧ - c] [Ȧ - n] ⃗+ [[x - n] + [Ȧ]] + [Ȧ[N] ⃗+ [n[c]] + [[n[a]] c ⃗+ Ȯ [⃗+ N[x]] c] ⃗+ [Ȧ - n] c ⃗+ Ȯ[x] ⃗+ Ȯ[n] ⃗+ Ȧ[N] + n[c]]] + [N - Ȧ ⃗+

c Ȯ[Ȧ] ⃗+ [Ph[n] + [mp [d]] ⃗+ Ȧ[ȯ] m] ⃗+ Ȯ[c] ⃗+ [n]] + [[Ȧ[d] + Ȧmpl] + [Ȧ[ȯ] m - [d] ⃗+ mpl] ⃗+ [[x] ⃗+ mpl ⃗+ Ph[o]]]
[Ȯ[x] + [x - n] c ⃗+ [Ȯ[n]] + [[N + 0][x]] + [ṅ] Ȧ c ⃗+ ṅ]] + [[x - n] Ȧ ⃗+ Ȯ[c] ⃗+ Ȧ ⃗+ [[N - Ȧ ⃗+ Ȯ c ⃗+ n]] [x - Ȧ ⃗+ x - n] ⃗+ [N[ȯ]] ⃗+

c Å [+ [Ad pl] ⃗+ [[Ȧd - pl] m] ⃗+ [[d] - Ȧpl d = Ȧ[a] [Ph]] ⃗+ [Ȧ - pl - d 0] c [d]] ⃗+ [Ȧd ⃗+ pl c [d]] ⃗+ Ȧd] ⃗+ Ph[n] d 0 ⃗+
c Ȧ [Ȯ[N] Ȧ + c]] [[n] Ȧ] + [Ȯ[x] c ⃗+ [Ȯ[x] + Ȯ[x] ⃗+ [x - n] Ȧ ⃗+ n] + Ȧ ⃗+ Ȯ[x] ⃗+ N]] Ȧ - [[N] Ȧ[ȯ]]]

Ȧ ⃗+ E] ⃗+ [Ȧ - pl [d]] ⃗+ Å[a] Ȧd]] ⃗+ [Ph[o] + Py[n] d Ȧ ⃗+ pl]] + pl [d] + [Ȧmp + d]] ⃗+ [Ph[n] d 0] + (Ȧ[c] d] + T[n]
[[N[ȯ]] c ⃗+ Ȧ ⃗+] [Å[2] Ȧ] + [N[ȯ]] + (Ȧ - n] Ȧ ⃗+ Ȯ + Ȧ[n] ⃗+ [x - n] Ȧ] + [[N[ȯ]] + c ⃗+ Ȧ + x - n

Ȧ] + pl + d [ ] - Ȧ ⃗+ [Ȧd ⃗+ Å] + [Ad pl - Ad pl] ⃗+ Ȧd ⃗+ (Ȯ[x]] ⃗+ pl [d]] ⃗+ [pl - d[a] Ȧ]] + [pl ⃗+ T[mpl] c [d]] ⃗+ ȦP[d]
Ȧ + (Ȧ - c] + [c] Ȧ ⃗+ [Å] [[[Ȯ - Ȯ[Ȧ]] + Ȧ ⃗+] Ȯ[x] [[N c Ȧ ⃗+ Ȯ[x]] + [[x - n][ȯ] c [n[c]] Ȧ]

[Ampl + T[n] m Ȧ]] + [pl[c]] [m[d]] + Py[n] [d Ȧ]] ⃗+ Ȧ[d]] ⃗+ [Ȧ[N] [d] ȯ [c] [d] ⃗+ ȦP[a] [n]] + c [ȯ] ⃗+ Ȧ ⃗+ [ȯ] d]
[N[c] [x] Ȧ ⃗+ Ȯ[N] Ȧ[a] + [Ȧ - n] [Ȧ] Ȧ[c] ⃗+ [N] + [[Ȧ] [Ȧ]] ⃗+ [Ȧ[N] [c] Ȯ[Ȧ] ⃗+ n[a]]] c [Ȯ[N] Ȧ ⃗+ Ȯ[c]

ȦP[d] - mpl [Py[N] Ȧ]] [E] Ȧ ⃗+ [Ȯ[d]] ⃗+ Ȧ[N] d [Ȧ[A] ⃗+ Ph[n]] + T[n] m Ȧ]] ⃗+ [Ȧ ⃗+ P[n] d]] + pl[d]
[x]] [Ȧ - n] [c] Ȧ ⃗+ Ȧ[N]]] [c] Ȯ[N] [Ȧ]] + [[n[x] Ȧ[c] ⃗+ Ȯ[x] ⃗+ [N]] c Ȧ[a]] ⃗+ [[n[c]] Ȧ] + c

[d] ⃗+ [Ph[n] d 0[Ȧ ⃗+ E]] c [Py[n] Ȧ] ⃗+ [pl c [d + m Ȧ]] ⃗+ [Ȧ ⃗+ P[d]] + Ȧ[d] + Ȯ - ȯ] ⃗+ Ȧd + Ȧmp[m]] ⃗+ Py[d] Ȧ
Ȧ[n]] ⃗+ [[N] [Ȧ] c ⃗+ Ȯ] c [[Ȧ - n] Ȧ] + [Ȧ - c] [n][n] Ȧ ⃗+ n[n]] ⃗+ [Ȧ - Ȧ + Ȧ - n] ⃗+ n[a]] + [n
- n] [c] ⃗+ ȯ [+ [ṅ[n]] + ṅ[a]]$^{[2]}$ Ȧ]

[illegible] = [illegible] [illegible]

[illegible]

[illegible] $\sqrt{81} = 9$ [illegible] — [illegible] $-\frac{3}{4}, -7, \frac{-7}{1}, 0, \sqrt{81}$

[illegible] $0, \sqrt{81}$ [illegible] — $0.\overline{6}, 7.3$

[illegible] $-7, 0, \sqrt{81}$ [illegible] — [illegible] $\sqrt{5} \approx 2.236$ π

[illegible] $\{-7, -\frac{3}{4}, 0, 0.\overline{6}, \sqrt{5}, 7.3\}$

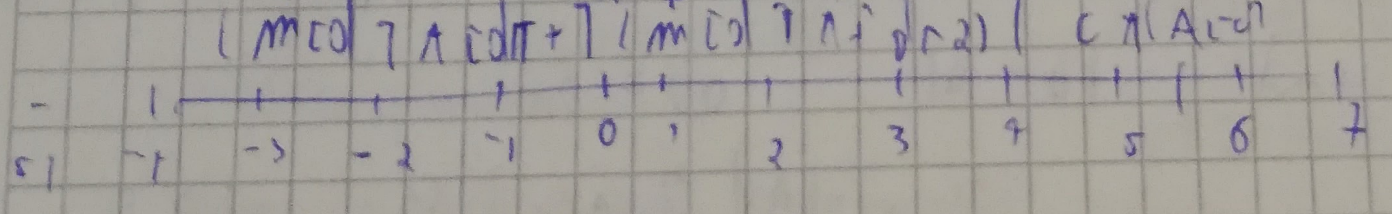
[illegible] $\sqrt{9}$ — [illegible] $[-9, 0, \sqrt{9}]$ — $\sqrt{81}$ [illegible]

[illegible] $0, \sqrt{9}$ — [illegible] $[-9,$ [illegible]

[illegible]

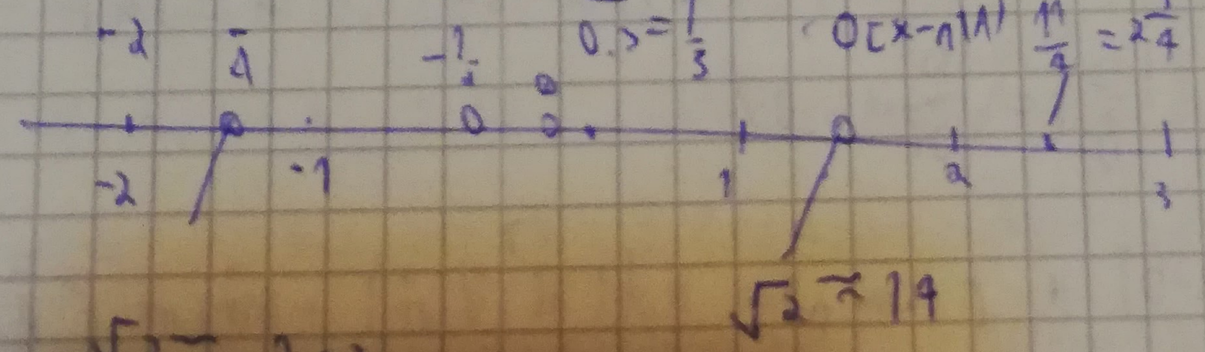
[illegible] ~~$-9, 7.3, 0.3$~~ $\sqrt{10}$ $\frac{\pi}{2}$

[illegible]



-5
-4
-3
-2
-1
0
1
2
3
4
5
6
7

[illegible]



-2
$-\frac{1}{2}$
$0.\overline{3} = \frac{1}{3}$
$\frac{11}{4} = 2\frac{3}{4}$
-2
-1
1
2
3
$\sqrt{2} \approx 1.4$

$-\sqrt{2} \approx -1.41$

[illegible]

$|-3| = 3$ — $|5| = 5.$

[illegible]

[illegible]

$[\dot{O}_{[1]}$ [illegible] $\sqrt{81} = 9]$ [illegible]

$[\dot{O}_{[2]}$ [illegible] $0, \sqrt{81}]$ [illegible]

$[\dot{O}_{[3]}$ [illegible] $[-7, 0, \sqrt{81}]]$

$\dot{O}_{[4]}$ [illegible] $-\frac{3}{4}, -7, (-7 = \frac{-7}{1}), 0, \sqrt{81}$

$0.\overline{6}, 7.3$

[illegible]

$\dot{O}_{[5]}$ [illegible] $\sqrt{5} \approx 2.235$ π

$\dot{O}_{[6]}$ [illegible] $\{-7, -\frac{3}{4}, 0.\overline{6}, \sqrt{5}, 7, 7.3$

$[\dot{O}_{[1]}$ [illegible] $\sqrt{9}]$

$[\dot{O}_{[2]}$ [illegible] $0, \sqrt{9}]$

[illegible]

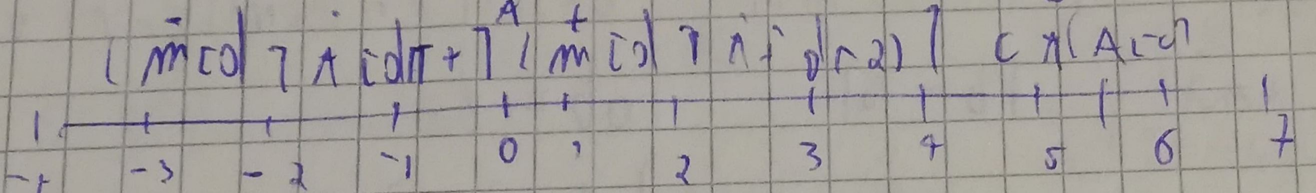
$\dot{O}_{[3]}$ [illegible] $[-9, 0, \sqrt{9}]$

$\dot{O}_{[4]}$ [illegible] $[-9,$ [illegible]

$\sqrt{87}$ [illegible]

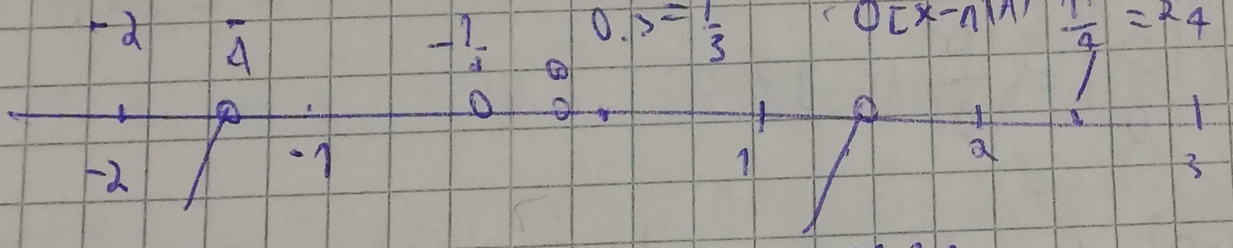
$\dot{O}_{[5]}$ [illegible] ~~$[-9, 7.3, 0.\overline{3}$~~ $\sqrt{70}$ $\frac{\pi}{2}$

[illegible]



-4
-3
-2
-1
0
1
2
3
4
5
6
7

[illegible]



-2
$\frac{-7}{4}$
$-\frac{1}{2}$
$0.\overline{3} = \frac{1}{3}$
$\frac{11}{4} = 2\frac{3}{4}$
-2
-1
1
2
3

$\sqrt{2} \approx 1.4$

$-\sqrt{2} \approx -1.41$

$|0|$ [illegible] $|\dot{O}|$

$|-3| = 3$

$|5| = 5.$

[illegible]

$$|x| = \begin{cases} x & \text{if } x \geq 0 \\ -x & \text{if } x < 0 \end{cases}$$

[illegible]

$\sqrt{3} \approx 1.7$

$|\sqrt{3} - 1| = \sqrt{3} - 1$

$|2 - \pi| =$ ~~$2 + \pi$~~ $-(2 - \pi) = \pi - 2$

$x < 0 \quad |x| = -x$

$\frac{|x|}{x}$ if $x < 0$ $= x$

$\frac{|x|}{x} = \frac{-x}{x} = -1$

$|1-\sqrt{2}| = -(1-\sqrt{2}) = \sqrt{2}-1$ [illegible]

$\sqrt{2} \approx 1.4$

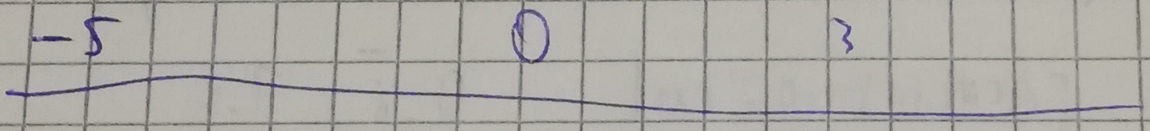
$|\pi-3| = \pi-3$ [illegible]

$\frac{|x|}{x}$ [illegible] $x>0$

$= \frac{x}{x} = 1$

[illegible]

[illegible]



$|a+b| \le |a|+|b|$

[illegible] $|-5-3| = |-8| = 8$

[illegible]

$|-4-5| = |-9| = 9$

[illegible]

$|a-b|$ [illegible] $|b-a|$ $ab = ba$

[illegible] $|a| \ge 0$

$|a-b| = |b-a|$

$|-a| = |a|$ $a \le |a|$

$|ab| = |a|\,|b|$

$\left|\frac{a}{b}\right| = \frac{|a|}{|b|}, \quad b \neq 0$

$|1-\sqrt{2}| = -(1-\sqrt{2}) = \sqrt{2}-1$ [illegible]

$\frac{|x|}{x} = \frac{x}{x} = 1$ $x > 0$

$\sqrt{2} = 1.4$

$|\pi - 3| = \pi - 3$ [illegible]

[illegible]

[illegible]

-5 0 3

$|a+b| \leq |a|+|b|$

$|-5-3| = |-8| = 8$

[illegible]

[illegible]

$|-4-5| = |-9| = 9$

[illegible]

$|a-b|$ $|b-a|$ $ab = ba$

$|a| \geq 0$

$|a-b| = |b-a|$

$|-a| = |a|$ $a \leq |a|$

$|ab| = |a|\,|b|$ $\left|\frac{a}{b}\right| = \frac{|a|}{|b|}$, $b \neq 0$

[illegible]

$a+b = b+a$

$13 + 7 = 7 + 13$

$13x + 7 = 7 + 13x$

$x = 10$

[illegible]

$7 + 5x =$

$[7 + 5\,\cdots] \;\cdots\; [7+50] = 57$ [illegible]

$(2+3i)(4+5i) = 2\cdot 4 + 2\cdot(5i) + (3i)\cdot 4 + (3i)\cdot(5i)$

$= 8 + 10i + 12i - 15 = 22i \cancel{-23}$ $-7+22i$

substitution [A[m+[c]]

$[i^2 = -1$ $(\sqrt{-1})^2 = \sqrt{-1} \cdot \sqrt{-1} = -1 \cdot -1 = -1]$

[Ȯ[1] mȦ [Ȯ[2] Ad ÷ Ȯ[3]]

$2x_1 + 3x_2 = 24$ [x[1] c[Å][2]]

[d] Å[2] A[d]

$4x_1 + x_2 = 28$ $x_2 = 28 - 4x_1$ [x[2] c[Å][2]]

[x-n] A + ṅ

[Å] mÀ [[Å[2] Ad c] ÷ [x] ~~$2x_1 + 28$~~ x [[x] + n[2] ÷ [x][2] ÷ Å[1] n]

$2x_1 + 3(28 - 4x_1) = 24$ $2x_1 + 84 - 12x_1 = 24$

[x]

$-10x_1 = -60$ $x_1 = 6$ $12 + 3x_2 = 24$

$3x_2 = 12$ $x_2 = 4$ [Ȯ[x]|Ȧ[2]]

[Ȯ[7] [Å[1]] [d[m] À + Ȯ[2] Ad ÷ [Ȯ[3]] À] + A[d][m+[c]] Å[1] + Å[

[Ȯ[4] [Å[1]] [d] m] À + O[5] A[d[c] ÷ [O[6]] Ā[2]

[[À m] 5 d]] [[Ȯ[1] m O[2]] [[c] A[d]] ÷ [O

[[[d] À[x]] m ÷ Ȯ[x]] - À] [d [Ȯ[4]] m Ȯ[5]] Ad[c]

$-2(2x_1 + 3x_2 = 24)$ [[n [Ȯ[x] - Ā]]

[[- 4 x[1] [x - Å[1]] [d] - [À] 6 x_1 [x Å[2]] Ȧ = [A[d]] [c] [- 48 [d[x

$4x_1 + x_2 = 28$ [[Ȧ[d]] [x] m [d] Å[1] [d] A] [c] [d] [x] m[d][2]

$i^2 = -1$ $(\sqrt{-1})^2 = \sqrt{-1} \cdot \sqrt{-1} = -1 \cdot -1 = -1]$

[Ȯ[1] m A Ȯ[2] Ad ÷ Ȯ[3]]

$2x_1 + 3x_2 = 24$ [d] Å[2] A[d] [x[1] c [Å][1]]

$4x_1 + x_2 = 28$ $x_2 = 28 - 4x_1$ |x[2] c [Å] [2]]

[x-A] A + A

|Å| m A| [|Å[2] Ad c] ÷ [x] ~~$2x_1 + 28x$~~ ([x] + A[2] ÷ [x][2] ÷ Å[1]] A]

$2x_1 + 3(28 - 4x_1) = 24$ $2x_1 + 84 - 12x_1 = 24$

[x]

$-10x_1 = -60$ $x_1 = 6$ $12 + 3x_2 = 24$

$3x_2 = 12$ $x_2 = 4$ (Ȯ[x]|Ȧ[A]]

|Ȯ[4] [Å[1]] c d [m] Ȧ + Ȯ[2] Ad ÷ |Ȯ[3]| Ȧ] + A[d] [m + [c] Å[1] + Å[2] ÷ [x] |Ȯ[A]

[Ȯ[4] [Å[1]] [d] m Ȧ + Ȯ[5] A[d] [c] ÷ |Ȯ[6]] Ȧ[2]

[(Ȧ m [1] [d]] |Ȯ[1] m Ȯ[2]] [[c] A[d]] ÷ |Ȯ[3]]

[|[d] Ȧ[x]] m ÷ Ȯ[x]] - Ȧ] [d [Ȯ[4]] m Ȯ[5]] Ad [c] ÷ |Ȯ[6]]

$-2(2x_1 + 3x_2 = 24)$ [|A[Ȯ[x] - A]]

|[|- 4x[1] [x - Å[1]] [d] - [A] 6x[1] [x Å[2]] A = [A[d]] [c] [-48 [d [x] - Ȧ]]

$4x_1 + x_2 = 28$ [[A[d] [x] m [d] Å[1]] [d] A] [c] [d] [x] m [d] [2] [Å[2]] A[d] c [d] [x]]

$-4x_1 - 6x_2 = -48$ [A A [A] [x] A [A] Å[1] [A[2] [A[c] ÷ A[2] [x] - A] A [Ȧ[1] Å[2] c Ȧ[3]]

$-5x_2 = -20$ [[x] Å[1] [d] ÷ [Å[2]] A[d] c ÷ [x]]

$x_2 = 4$ [|x - A| - Ȯ Å[1]] c A[2] Ȧ ÷ Å[2] Ȧ[c] ÷ [x]

[[A[1] x c Å[2] m m x[2] Å[1] [A[2] Ȧ]] c [Ȧ[d]]]

[[Å[2]] [d] m Ȧ] ÷ [x] A m c [d] |Å[2]] [c |[d] [x] Å[2]] [A[d]] [c] ÷ [d] [x] Ȯ]

[[x] · [[Å[2]] c [x] [2]] A[d] [c] ÷ [x] [3]]

[[A [O] [x - A] c A] ÷ [Ȯ[1]]] A[d] ÷ [Ȯ[2] · O

Ȯ[2] [c] [Ȯ[1] m c A] ÷ Ȯ[1] c [A]]

$\overset{\dot{O}[1]\,O[2]}{6}(2x^2 + \overset{O[1]}{4x}) + \overset{\dot{O}[2]}{10}(\overset{O[5]}{4x^2} + \overset{O[6]}{3x}) = O[x]]$

|Ȯ[1] ([Ȯ[2] Å[2]]] + [Ȯ[3] Å[1]]])] + [Ȯ[4] ([Ȯ[5] Å[2]] + [Ȯ[6] Å[1]]] A[d]

([3]]

[[Ȯ[1] · Ȯ[2] Å[2] + Ȯ[1] · Ȯ[3] Å[1]] + [Ȯ[4] · Ȯ[5] Å[2] + Ȯ[4] · Ȯ[6] Å[1]]] A[d]][c](a)

$12x^2 + 24x + 40x^2 + 30x = 52x^2 + 54x$

$= (12x^2 + 40x^2) + (24x + 30x)$ [A m l[+[c]d]]

[[Å[1][c ⃗+ [x] Å]][x] [[ṅ[ȯ][x]] + ȯ[x][2]] [[ṅ[ȯ][1] + ȯ[ȯ][2]] A(

[x] [[ṅ[2] Ā[ȯ]] Å [Ā-[c]] ⃗+ [[ṅ][2] Ă]

[[m̄[[d] Å]] [A[d][c]] ⃗+ Å]

[[[d][x]] ȯ [A[d][c] ⃗+ [[d] ȯ]

[[[ṅ[2][ṅ[2]ȯ]] A - c] ⃗+ Ȯ]

[d] ~~m̄[[d] Å~~

[[[[d] Å[1]] Å[2]] A[d]-[c] ⃗+ [d] Å[1-2]] [[Ȯ[2][m-Ȧ] ⃗+ [Ȯ[3]]][c] ⃗+ [Ȯ[4]]]

[[(ṅ[2] Ȯ[1]] Ȯ[2]] |Ȧ - c] ⃗+ ṅ[2] Ȯ[1-2]] [[Ȯ[2] [ṅ [Ȧ ⃗+ Ȯ[3]] [c] ⃗+ [x - ṅ[x] Ȧ]

[Å[Ȯ[1-2]][2] + Å[Ȯ[1-2]][1]] + [Å[O[4-5]][2] + Å[O[4-5]][1]] [[d] Å[c ⃗+ Å]

[A[d][c]] ⃗+ [Å[Ȯ[1-2] + [4-5]][2] + Å[Ȯ[1-2] + [4-6]][1]] [Ȯ[2 ṁ 3][c] 4]]

[[A[d]] ⃗+ [Å[2] + Å[1]]]

[d](Å[1] + Å[2]) Ad[c] ⃗+ [d][x] (Å[1] + Å[2]) Ad[c] ⃗+ [d][x] Å[1] + [d][x] Å[2]]

[d] Å[1]] + ([d] Å[2]) Ad[c] ⃗+ [[d] Å[1][m̄ + [d]] ⃗+ [Å[2]]]

$8x + 2[5 - (x - 3)] = 8x + 2$~~$(5 - x + 3) = 8x + 10 + 2x + 6$~~ $= 10x + 16$

$8x + 2[5 - (x - 8)] = 8x + 2[5 - x + 3] = 8x + 2(8 - x) = 8x + 16 - 2x$

~~$6x$~~ $= (8x - 2x) + 16 = (8 - 2)x + 16 = 6x + 16$ (A m l[+[c]] ⃗+ O[x]

[Ȯ[1]] + Ȯ[2](Ȯ[3]] - Å]]

[] Ȧ[1] c + [x] A] [x]

[x] [[ṅ[2] Ȧ[ȯ]] Å [A-[c]] ⃗+ [[ṅ[2] Å]

[[[d] [x]] ȯ[A[d] [c] ⃗+ [[d] ȯ]

[d] ~~m̄[d]~~ Å

[[m̄[[d] Å]] [A[d] [c]] ⃗+ Å]

[[[ṅ[2]][ṅ[2]ȯ]] Å + c] ⃗+ Ȯ]

[[[[d] Å[1]] Å[2]] A[d] - [c] ⃗+ [d] Å[1-2]]

[[[ṅ[2] ȯ[1]] ȯ[2]] | Ȧ - c] ⃗+ ṅ[2] Ȯ[1-2]]

[[Ȯ[2] [m - Ȧ] ⃗+ [Ȯ[3]]] [c] ⃗+ [ȯ[+]]]

[[Ȯ[2] [ṅ [Ȧ ⃗+ Ȯ[3]] [c] ⃗+ [x - ṅ[x] Ȧ]

[Å[Ȯ[1-2]][2] + Å[Ȯ[1-2]][1]] + [Å[Ȯ[4-5]][2] + Å[Ȯ[4-5]][1]]

[[d] Å] c ⃗+ Ȧ]

[A[d] [c]] ⃗+ [Å[Ȯ[1-2] + [4-5]][2] + Å[Ȯ[1-3] + [4-6]]][1]

[Ȯ [2 m̄ 3] [c] 4]]

[[A[d]] ⃗+ [Å[2] + Å[1]]]

[d][Å[1] + Å[2]) A d [c] ⃗+ [d] [x] (Å[1] + Å[2]) A d [c] ⃗+ [d] [x] Å[1] + [d] [x] Å[2]]

[d] Å[1]] + ([d] Å[2]) A d [c] ⃗+ [[d] Å[1]] [m̄ + [d]] ⃗+ [Å[2]]]

$8x+2[5-(x-3)] = 8x+2(~~5-4~~\,x+3) = 8x+10+2x+6 = 10x+16$

$8x+2[5-(x-3)] = 8x+2[5-x+3] = 8x+2(8-x) = 8x+16-2x$

~~6x~~ $= (8x-2x)+16 = (8-2)x+16 = 6x+16$

([Ȧ m̄ p] + [c]] ⃗+ Ȯ[x]

[Ȯ[1]] + Ȯ[2] (Ȯ[3]] - Å]]

$6+4[7-(x-2)] = 6+4[7-x+2] = 6+[4(9-x)]$

Ȯ [m̄ e - Ȧ]

[[Ȯ[1]] m̄+ (Ȯ[2] [Ȯ[3]] m̄ (Å[ȯ] m̄ Ȯ[4])] [A[d] [c]] ⃗+ [Ȯ[1]] m̄+ Ȯ[2]] (Ȯ[3]] [[m̄ [d]] Ȧ ⃗+ Å] m̄+ Ȯ[+]]

A[d]] [x] ⃗+ [Ȯ[1]] m̄+ ⃗+ Ȯ[2]] (Ȯ[5]] [Ȯ[3] m̄+ ȯ[+] c ⃗+ ȯ] + [[d] m̄] ⃗+ Å)] c[[ṅ - Ȧ] [1]]

$= 6+36-4x = 42-4x$

[[[Ȯ[1]] [m̄+]] + [[Ȯ[2]] [m - Ȧ] ⃗+ Ȯ[3]] + [m̄]]

= [Ȯ[1]] + Ȯ[2]] - Ȯ[3] Å] c [[x x] - [x] Å] [[Ȯ[2]] [m - Ȧ] ⃗+ Å]]

([ṅ[2]]

[ṅ - Ȧ] [2]] c [A d] ⃗+ [Ȯ[1]] m̄+ Ȯ[2]] m̄ [d] ⃗+ Ȯ[3]] Å] [A [d]] c ⃗+ Ȯ[4]] (Ȯ[1]] + Ȯ[2]] + [[d] Ȯ] Å

7 + 5 x   x = 10

[[Ȯ[7] ÷ Ȯ[5] Å] + A[d] Å[c] ÷ [Ȯ[10]]] + [Ȯ[7] m Ȯ[5] m Ȯ[10]] A[d] ÷ Ȯ[7] m Ȯ[50]

[c] [Ȯ[57]] + [[Ȯ[8] m Ȯ[6] Å] A[d] Å[c] ÷ Ȯ[57]] A[d] c ÷ Ȯ[8] m Ȯ[30]] [A[d] ÷ [[2] Å]] ÷ Ȯ[

[Ȯ[6] Å m Å[2]] A[d] Å[c] ÷ Ȯ[3] [+ Å[2] c ÷ Ȯ[8]] A[d] ÷ [Ȯ[18]] m Ȯ[8]] + A[d] c ÷ [Ȯ[10

[[Ȯ[8] Å[c] m Å[2]] A[d] Å[1] c ÷ Ȯ[3] + Å[2] c ÷ Ȯ[4]]] [+ A[d] c ÷ [Ȯ[24] m Ȯ[4]] A[d] ÷ Ȯ[2

[[Å$^{[2]}$ m Ȯ[3] Å] ÷ A[d] c ÷ Å[c] ÷ [Ȯ[8]]] A[d] ÷ [[4] + [m] - Å] ÷ [Ȯ[64] m Ȯ~~[24]~~ 24] c ÷ ~~[Ȯ[72]]~~
[Ȯ[88]]

[[Å$^{[2]}$ m Ȯ[5] Å] + A[d] [c] ÷ Å[c] ÷ [Ȯ[6]] + A[d] [m] Å] ÷ [Ȯ[36]] m [Ȯ[30]] [c] ÷ Ȯ[6]

Ȯ$^{[2]}$ [Ȯ]^{2} - 6[Ȯ] + 3   Ȯ[c] ÷ 7   =   49 - 42 + 3 = 7 + 3 = 10

[[Å^{2}[+[m]]] [Ȯ[3] Å]] c ÷ [Ȯ[64] m Ȯ[24]]

[Å[c] ÷ Ȯ[8]] Å - c [Ȯ[x]] [Ȯ[88]]]]

[[Å m [+0]] Ȯ [8 Å m Å 2]]] A[d] c ÷ [[24] m [4]] = [20]

[Å[c] ÷ Ȯ[3]] + [Å[2] c ÷ Ȯ[x]] [Å - c] [Ȯ[3] Å [Ȯ[3]] [Ȯ[2]] Ȯ[x]]] Å ÷ [x + n]

[Å m p [d]] Ȯ[x] [[7 + 5 x] Å [x = 10]] [A[d] c + [A[m]]] ÷ [Ȯ[1] ÷ Å] c ÷ [x][50]

$7 + 5x \quad x = 10$

[[Ȯ[7] ⁺ₘ Ȯ[5] Å] + A[d] Å[c] →̇ [Ȯ[10]]] + [Ȯ[7] ⁺ₘ Ȯ[5] ₘ Ȯ[10]] A[d] → Ȯ[7] ⁺ₘ Ȯ[50]

[c] [Ȯ[57]] + [[Ȯ[8] ⁺ₘ Ȯ[6] Å] A[d] Å[c] → Ȯ[57]] A[d] c → Ȯ[8] ⁺ₘ Ȯ[30]] [A[d] → [m Å]] → Ȯ[57]

[Ȯ[8] Å ₘ Å[2]] A[d] Å[c] → Ȯ[3] [+ Å[2] c → Ȯ[8]] A[d] → [[Ȯ[18]] ₘ Ȯ[27] + A[d] c → [Ȯ[10]

[[Ȯ[8] Å[7] ₘ Å[2]] Ad Å[7] c → Ȯ[7] + Å[2] c → Ȯ[7]]] + A[d] c → [Ȯ[24] ₘ Ȯ[7] [A[d] → Ȯ[20]]

[[Å[3a] ⁺ₘ Ȯ[3] Å] + A[d] c → Å[c] → [Ȯ[8]]] A[d] → [c] → [m] - Å] + [Ȯ[57] ⁺ₘ Ȯ[24]] c → ~~[Ȯ[72]]~~
[Ȯ[88]]

[[Å[2] ⁺ₘ Ȯ[5] Å] + A[d] [c] → Å[c] → [Ȯ[6]] + Ad [m] Å [→ [Ȯ[36]] ₘ [Ȯ[70]] [c] → Ȯ[56]

Ȯ[a] [Ȯ]² - 6[Ȯ] + 3 Ȯ[c] → 7 = 49 - 42 + 3 = 7 + 3 = 10

[[Å²[+[m]]] [Ȯ[3] Å]] c → [Ȯ[64] ⁺ₘ Ȯ[24]]

[Å[c] → Ȯ[8]] Å - c [Ȯ[x] [Ȯ[88]]]

[[Å m e [o]] O [8 Å ₘ Å 2]] A[d] c → [[24] ₘ [4]] = [20]

[Å[c] → Ȯ[3]] + [Å[2] c → Ȯ[7]] [[Å - c] [Ȯ[8] Å [Ȯ[3]] [ṅ[2]] Ȯ[7]]] Å → [x - n]

[Å m e [d] Ȯ[x] [[7 + 5 x] Å [x = 10]] [A[d] c + [A[m]] → [Ȯ[1] → Å] c → [x] [50]]

[[x - n] [c] Å → Ȯ[7] + [Ȯ[5] Å[[c] → Ȯ[10]] + [[Å - c] [Ȯ[50]]] Ȯ[7] + Ȯ[10] = Ȯ[17

$x^2 - 7x + 4 \quad x = 8$ [Å m e] [d]]

$8^2 - (7 \cdot 8) + 4 \quad 64 - 56 + 4 = 8 + 4 = 12$

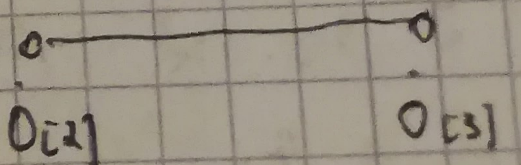
[Ȯ[Ȯ] [n[2] Å (Ȯ · Ȯ) [n[7]] + Ȯ] [[S] [c] [Å]] + [Å [A[d]] → [c] → {S, m, o, l, k y}]

[Ȯ[n] c Å] + [Å [Å - c] → [Ȯ[x] [x - n] Å]]

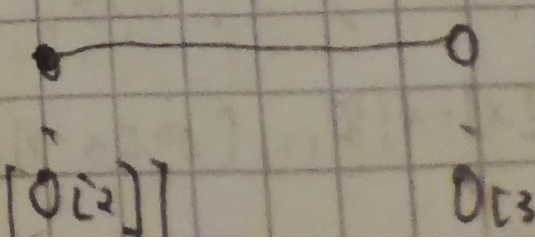
[Å [d ≠ [d]] Å] + [Å [d] ₘ [Ȯ]] O = { } = { x | x ≠ x }

[[n[2] - n[2]] Ȯ Å] c Å] [n Ȯ[2]] [ ] [c] [Ȯ[2]] Ȯ[1]] [n[2]] - Å[c]] +

{[Ȯ[1]] | Ȯ[2] < [Ȯ[1]] < Ȯ[3]} {Ȯ[2], Ȯ[3]}



{[Ȯ[1]] Ȯ[2] ≤ [Ȯ[1]] ≤ [Ȯ[3]} [Ȯ[2], Ȯ[3])



1[Ȯ[8] Å[1] m̄ Å[2]] Ad Å[1] c ⃗+ Ȯ[3] + Å[2] c ⃗+ Ȯ[4]]] + A[d] c ⃗+ [Ȯ[24] m̄ Ȯ[7] | A[d] ⃗+ Ȯ[20]]

[[Å[a] m̄ Ȯ[3] Å] ⃗+ A[d] c ⃗+ Å[c] ⃗+ [Ȯ[8]]] A[d] ⃗+ [[4] + [m̄] - A] ⃗+ [Ȯ[64] m̄ Ȯ[24]] c ⃗+ ~~[Ȯ[72]]~~ [Ȯ[88]]

[Å[a] m̄ Ȯ[5] Å] + A[d] [c] ⃗+ Å[c] ⃗+ [Ȯ[6]] + Ad [m̄] A [⃗+ [Ȯ[36]] m̄ [Ȯ[20]] [c] ⃗+ Ȯ[66]

Ȯ[a] [Ȯ]^2 - 6[Ȯ] + 3   Ȯ[c] ⃗+ 7   =   4 9 - 4 2 + 3 = 7 + 3 = 10

[[Å^2[+[m̄]]] [Ȯ[3] Å]]   c ⃗+ [Ȯ[64] m̄ Ȯ[24]]

[Å[c] ⃗+ Ȯ[8]] Ȧ - c   [Ȯ[x] [Ȯ[88]]]

[[Ȧ m̄ c [o]] O [8 Å m̄ Å[2]]] A[d] c ⃗+ [[2+] m̄ [4]] = [20]

[Å[c] ⃗+ Ȯ[3]] + [Å[2] c ⃗+ Ȯ[7]] [[Ȧ - c] [Ȯ[8] ṅ [Ȯ[3]] ṅ[2]] Ȯ[7]]] Ȧ ⃗+ [x - n]]

[A m̄ e [d]] Ȯ[x] [[7 + 5 x] Ȧ [x = 7 : 0]] [A[d] c + [A[m̄]] ⃗+ [Ȯ[1] ⃗+ Å] c ⃗+ [x] [50]]

[[x - n] [c] Ȧ ⃗+ Ȯ[7] + [Ȯ[5] Å[c] ⃗+ Ȯ[10]] + [[Ȧ - c] [Ȯ[50]]] Ȯ[7] + Ȯ[10] = Ȯ[17]]

$x^2 - 7x + 4$ $x = 8$ [Ȧ m̄ e] [d]

$8^2 - (7 \cdot 8) + 4$ $64 - 56 + 4 = 8 + 4 = 12$

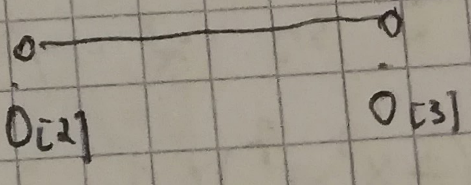
[Ȯ[Ȯ]] [ṅ[2]] Ȧ (Ȯ · Ȯ) [ṅ[7]] + Ȯ]   [[S] [c] [Å]] + [Å [A[d]] ⃗+ [c] ⃗+ {s, m, o, l, k, y}]

[Ȯ[n] c Å] + [Ȧ [Ȧ - c] ⃗+ [Ȯ[x] [x - n] Ȧ]]

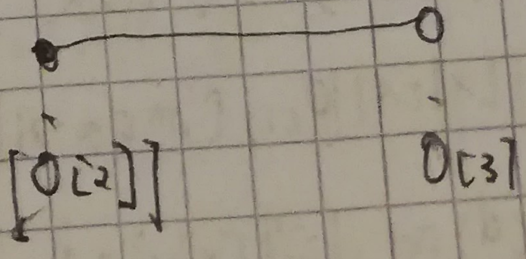
[Å [[d ⃗+ [d]]] Ȧ] ⃗+   [Å [d m̄ [o]]   ∅ = { } = { x | x ≠ x }

[ṅ[2] ṅ[2]] Ȯ[Ȧ] c Å]   [ṅ Ȯ[2]] [ ] [c] [Ȯ[7]] Ȯ[1] [ṅ[2]] - A[c]] ⃗+ O

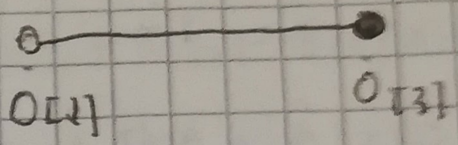
{[Ȯ[1]] | Ȯ[2] < [Ȯ[1]] < Ȯ[3]}   {Ȯ[2], Ȯ[3]}



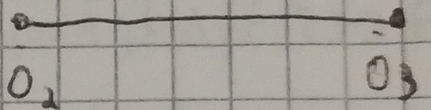
{[Ȯ[1]] | Ȯ[2] ≤ [Ȯ[1]] ≤ [Ȯ[3]]}   [Ȯ[2], Ȯ[3])



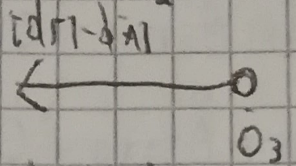
$\{\dot{O}_{[1]} \mid \dot{O}_{[2]} < \dot{O}_{[1]} \le \dot{O}_{[3]}\}$ $(\dot{O}_{[2]}, \dot{O}_{[3]}]$



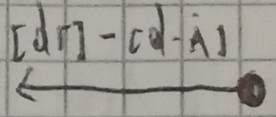
$\dot{O}_{[\dot{A}]}\{\dot{O}_2 \le \dot{O}_1 \le \dot{O}_3\}$ $[\dot{O}_{[2}, \dot{O}_3]$



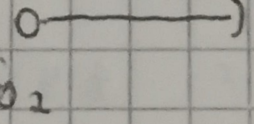
$\{\dot{O}_1 \mid \dot{O}_1 < \dot{O}_3\}$ $(-\infty, \dot{O}_3)$



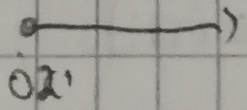
$\{\dot{O}_1 \mid \dot{O}_1 \le \dot{O}_3\}$ $[-\infty, \dot{O}_3]$



$\{\dot{O}_1 \mid \dot{O}_1 > \dot{O}_2\}$ $(\dot{O}_2\ \infty)$



$\{\dot{O}_{[1]} \mid \dot{O}_{[1]} \ge \dot{O}_{[2]}\}$ $[\dot{O}_{[2}, \infty)$



x

$\mathring{A}$ $(-\infty, \infty)$

[Å[m̄] [c] - [d] ÷ [k]]

$\{\dot{O}_{[1]} \mid \dot{O}_{[1]} \le -2 \quad \dot{O}_1 \ge 2\}$ $\{\dot{O}_{[1]} \mid \dot{O}_{[1]} \ne 3\}$

$\{\dot{O}_{[1]} \mid \dot{O}_{[1]} \ne \pm 3\}$ $\{\dot{O}_{[1]} \mid -1 < \dot{O}_{[1]} \le 3 \quad \dot{O}_{[1]} = 5\}$

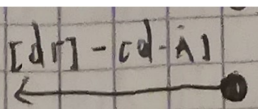
$$2^3 \cdot 2^2 = 2^{3+2} = 2^5 = 32$$

$$\dot{O}_1^3 \cdot \dot{O}_1^2 = \dot{O}_1^{3+2} = \dot{O}^5 = [7-0|A]$$

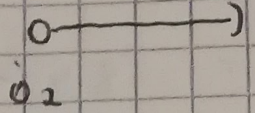
[[O[1]m̄] ÷ [O[1][-[2]Å]] A[d] [c÷[O[1] ÷[A[0] -m] + [c1]] [c][*-n] A₂-c] ÷ O]]

[illegible]

$\{\dot{o}_1 \mid o_1 \leq \dot{o}_3\}$ $(-\infty, o_3]$



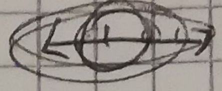
$\{\dot{o}_1 \mid \dot{o}_1 > \dot{o}_2\}$ $(\dot{o}_2\ \infty)$



$\{\dot{o}_{[1]} \mid \dot{o}_{[1]} \geq \dot{o}_{[2]}\}$ $[\dot{o}_{[2]}, \infty)$

x-

$[\mathring{A}]$ $(-\infty, \infty)$



[-Ȧ[m̄] [c] + [d] +⃗ [x]]

$\{\dot{o}_{[1]} \mid \dot{o}_{[1]} \leq -2 \quad \dot{o}_1 \geq 2\}$ $\{\dot{o}_{[1]} \mid \dot{o}_{[1]} \neq 3\}$

$\{\dot{o}_{[1]} \mid \dot{o}_{[1]} \neq \pm 3\}$ $\{\dot{o}_{[1]} \mid -1 < \dot{o}_{[1]} \leq 3 \quad \dot{o}_{[1]} = 5\}$

$2^3 \cdot 2^2 = 2^{3+2} = 2^5 = 32$

$\dot{o}_1^3 \cdot \dot{o}_1^2 = \dot{o}_1^{3+2} = \dot{o}^5 =$ [x-n][A]

[[ȯ[1] m̄] +⃗ [o[1]] [-[2] Ȧ]] A[d] [c +⃗ [ȯ[1] +⃗ [∧[o] -m] + [c1]] [c] [x-n] Ȧ [-c] +⃗ ȯ]]
[[3] - [x-n] Ȧ +⃗ [n̈] [c] +⃗ [ȯ[1]] [1] + Ȧ +⃗ [n] [+] [x] -n] +⃗ [ȯ[1]] [2] +⃗ [2] - [x-n] Ȧ] +]
[[[x] [c] +⃗ ȯ] + [Ȧ [m] [d] +⃗ [x] -[2]] +⃗ [A - c] +⃗ [x] [1] +⃗ Ȧ +⃗ [x] [1] m +⃗ [x] [2]]]
[[x-n] [c] [o[1] - Ȧ] + [n̈ [A]] +⃗ [o[2]] [c] +⃗ [ȯ[1] +⃗ n] + [[ȯ[3] c +⃗ Å] [Ȧ]]]

$(6x^4y^3)\cancel{(}(5x^2y^7) = \cancel{11x}\ \cancel{30}\ 6 \cdot 5 \cdot x^4 \cdot x^3 \cdot y^3 \cdot y^7$

$= 30 \cdot x^8 \cdot y^{10}$

$(4x^3y^4)(10x^2y^6) =$

[[x] [Ȧ] [ȯ[1] [m̄ [x-3]]] [ȯ[2] [m̄[1] [x-4]]] [[x] [2] [ȯ[1] [m̄[1] [x-2]] ȯ[2]] [m̄[1] [x-6]]]

[A[d] [c] p [+⃗ [[x] [m̄] Ȧ +⃗ [x] [2]]] +⃗ m̄ [[ȯ[1] ~~[m̄ x [c]]~~ m̄ [c] [x-3]] + [ȯ[1] m̄

$A = [-5, 3)$ $B = (7, \infty)$ [x-Λ] Ȧ]

[[x]-Λ]] $\overset{m}{+}$ [Ȯ[2]][ṁ[c] Ȧ $\overset{\rightarrow}{+}$ [x-Λ]] $\overset{m}{+}$ [Ȯ[2]] [ṁ[c] Ȧ $\overset{\rightarrow}{+}$ [x-Λ]]] [c] $\overset{\rightarrow}{+}$ [Ȯ[+0] ṁ Ȯ[1][ṁ[c]] $\overset{\rightarrow}{+}$ [5

[[[[Ȯ[1]][ṁ[c]][x]] ṁ [Ȯ[2]][ṁ[c]][x 2]]] [A[d] c] $\overset{\rightarrow}{+}$ [[Ȯ[1][ṁ[c]] $\overset{\rightarrow}{+}$ [[x][1]] $\overset{+}{m}$ $\overset{\rightarrow}{+}$ [[x][2]]

c $\overset{\rightarrow}{+}$ Å]] [[x-Λ][[Ȧ] $\overset{\rightarrow}{+}$ [[x-[1]] Ȯ[4]] [ṁ] - Ȧ $\overset{\rightarrow}{+}$ [x-[2] Ȯ[10]] Ȧ - [c] $\overset{\rightarrow}{+}$ [[x][3]] - [Ȯ[40]]

[[Ȧ[1] + Ȧ[2]] - [[m] - [d]]] $\overset{[c]}{+}$ [A[d]] - [[Ȧ[1] - Ȯ[1]] [d] $\overset{\rightarrow}{+}$ [Å][[Λ] - Ȧ]] $\overset{\rightarrow}{+}$ [[x][Ȧ] $\overset{\rightarrow}{+}$ [3]] $\overset{+}{m}$ [x][2]

[Ȧ $\overset{\rightarrow}{+}$ [2]]] - [[d] - [c]] $\overset{\rightarrow}{+}$ [[Ȯ[1][n]] $\overset{5}{+}$ [5]] $\overset{\rightarrow}{+}$ [[x-Λ] [Ȧ] - [ṁ[c]] [d] - [Ȯ]] +

[Ȯ[2] - [Λ] [Ȧ] $\overset{\rightarrow}{+}$ [x]-Λ]] A[d] c] $\overset{\rightarrow}{+}$ [ṁ[c]] [d] $\overset{\rightarrow}{+}$ [[x][1] $\overset{+}{m}$ + A[d]] $\overset{\rightarrow}{+}$ [4]] $\overset{\rightarrow}{+}$ [x[2] + A[d]] $\overset{\rightarrow}{+}$ [6]]] Ad

[10] $\overset{\rightarrow}{+}$ [d] $\overset{\rightarrow}{+}$ [[Å[$\overset{\rightarrow}{+}$ Λ - Ȧ]] +] [A[d] c $\overset{\rightarrow}{+}$ [[Ȯ[40] ṁ Ȯ[1] [ṁ[c] - [5]] ṁ Ȯ[2] [ṁ[c] - [10]]

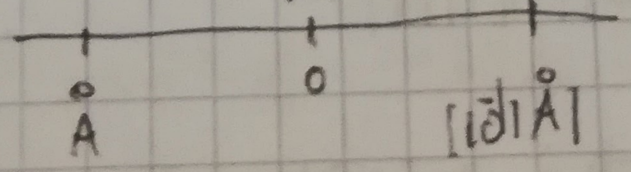
[[x-Λ] Ȧ + [Λ̇][c] $\overset{\rightarrow}{+}$ [Ȧ-N][c] [Ȯ[1, 2]] + [[x-Λ][2] · Λ̇[Ȧ][c]]]

[[p[d] Ȧ] [c ȯ]]

[Ȧ[N] Ȯ[c] - Ȧ]]

$$\mathring{A} + (-\mathring{A}) = 0$$

Å $\overset{+}{m}$ [ḋ Å] A[d] c $\overset{\rightarrow}{+}$ [[x] 0]



[mP - Ȧ]

[x-Λ]

[[ḋ] ȯ]

[[x] A[d] c $\overset{\rightarrow}{+}$ [[m̄][ḋ [x]]]]

[[Λ̇[2] - ȯ]]

[Å$_{[1]}$ $\overset{m}{+}$ Å$_{[2]}$ [A[d] - [c]] $\overset{\rightarrow}{+}$ Å[2] $\overset{+}{m}$ Å[1]]

[Ȯ[1] $\overset{+}{m}$ Ȯ[2]] A[d] c $\overset{\rightarrow}{+}$ [[x] [0]]] [Ȧ] [A[d] c] $\overset{\rightarrow}{+}$ [c

~~Ȯ[2]~~ $\overset{+}{m}$

[Ȯ[2] A[d] c $\overset{\rightarrow}{+}$ [Ȧ[2] Ȯ[1]]] $\overset{\rightarrow}{+}$ [m Ȧ $\overset{\rightarrow}{+}$ [x]]

[[[Ȯ[1][ṁ[c]][x]] ṁ [Ȯ[2][ṁ[c]][x 2]]] [A[d] c] ⃗+ [[Ȯ[1][ṁ[c]] ⃗+ [[x][1]] ṁ ⃗+ [[x][2]]]

c ⃗+ [Å]] [[x−n][cȦ] ⃗+ [[x−[1]] Ȯ[4]] [ṁ] − Ȧ ⃗+ [x−[2]] Ȯ[10]] Ȧ − [c] ⃗+ [[x][3]] − [Ȯ[40]]

[[Ȧ[1] + Ȧ[2]] − [[m] − [d]]] $\overset{[c]}{+}$ [A[d]] − [[Ȧ[1] − Ȯ[1]] [d] ⃗+ [Å][[n] − Ȧ]] ⃗+ [[x][Ȧ] ⃗+ [3]] $\overset{+}{m}$ [x][2]

[Ȧ ⃗+ [2]]] − [[d] − [c]] ⃗+ [[Ȯ[1][m] $\overset{5}{⃗+}$ [5]] ⃗+ [[x−n][Ȧ] − [ṁ[c]][d] − [Ȯ]] +

[Ȯ[2] − [n][Ȧ] ⃗+ [x]−n]] A[d] c] ⃗+ [ṁ[c]][d] ⃗+ [[x][1] $\overset{+}{m}$ + A[d] ⃗+ [4]] ⃗+ [x[2] + A[d] ⃗+ [6]]] A[d] c ⃗+

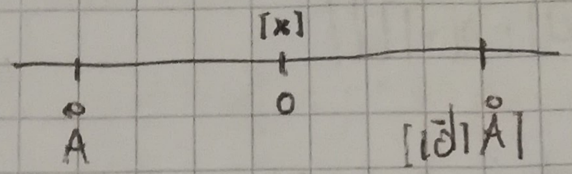
[10] ⃗+ [d] ⃗+ [[Å] ⃗+ n − Ȧ] +] [A[d] c ⃗+ [[Ȯ[40] ṁ Ȯ[1][ṁ[c] − [5]] ṁ Ȯ[2][ṁ[c] − [10]]]
[[x−n] Ȧ + [ṅ][c] ⃗+ [Ȧ + N][c][Ȯ[1, 2]] + [[x−n][2] − ṅ[Ȧ] + c]]]

[[p[d] Ȧ][Ȯ]]

[Ȧ[N] Ȯ[c] − Ȧ]]

$$\mathring{A} + (-\mathring{A}) = 0$$

Å $\overset{+}{m}$ [d Å] A[d] c ⃗+ [x] 0]



[mp − Ȧ]

[x − A]

[[d] Ȯ]

[x] A[d] c ⃗+ [[ṁ][d [x]]]

[[ṅ[2] − Ȯ]]

[Å $\overset{m}{+}$ Å[2] [A[d] − [c]] ⃗+ Å[2] $\overset{+}{m}$ Å[1]]
[1]

~~Ȯ[2]~~ $\overset{+}{m}$

[Ȯ[1] $\overset{+}{m}$ Ȯ[2]] A[d] c ⃗+ [[x] − [0]]] [Å] [A[d] c p] ⃗+ [d] ⃗+ Ȯ[1]

⃗+ mp Ȧ ⃗+ [x]] ⃗+ Å]

[Ȯ[2] Ȧ[d] c ⃗+ [ṅ[2] Ȯ[1]]

[Ȯ[1] Ȧ[1] − c] ⃗+ [ṅ[2] Ȯ[2]]

[[d] Ȯ[1]] $\overset{+}{m}$ [Ȯ[1]] $\overset{+}{m}$ [Ȯ[2]]] [A[d] − [c] ⃗+] ⃗+ [[d] Ȯ[1]] $\overset{+}{m}$ [x − [Ȯ]]

[[Ȯ[2] $\overset{[n]}{+}$ ṅ[1]] Ȧ[c] ⃗+ [c]] + [Ȯ[2]] ~~[A[d] c~~ ⃗+ Ȧ − c] [ṅ[2] Ȧ Ȯ[1]] [ṅ[2] − Ȧ]

[[x−n] Ȧ ⃗+ [c] ⃗+ [ṅ]] + [[ṅ[2]] Ȧ − c] ⃗+ [Ȯ[x] − x − n] Ȧ [[x]]

[Ȯ[2]] A[d] − [c]] ⃗+ [d] ⃗+ [ṁ [Ȯ[1]]]

[[Ȯ[2] Ȧ[c] [ṅ[2] − Ȯ[1]]] c ⃗+ Å[ṅ − Ȧ]]

$[[\bar{d}]\,\dot{O}_{[2]}\,A_{[d]}\,c\overset{\to}{+}$ ~~$[\bar{d}]][\bar{m}$~~ $[\bar{m}[[\bar{d}]\,\dot{O}_{[1]}]]\,[A_{[d<]}\overset{\to}{+}[\dot{O}_{[1]}]]$ $[A_{[d]}\text{-}c\,p[]\overset{\to}{+}[\dot{O}_{[1]}\,\bar{m}\,\dot{O}_{[2]}]$

$[[\bar{d}]\,\dot{O}_{[2]}\,A_{[d]}\text{-}c[]\overset{\to}{+}\dot{O}_{[1]}]+[\bar{m}\,\dot{A}\overset{\to}{+}A_{[d]}]_{[\dot{A}]}\,c\overset{\to}{+}[\dot{O}_{[1]}\,[\bar{m}]\,\dot{O}_{[2]}]$ $[[\bar{d}]\,c\overset{\to}{+}[\bar{m}]]$

$[\dot{A}_{[N]}[\dot{O}_{[1]}\,c\overset{\to}{+}\dot{O}_{[2]}]]$

$[[\dot{O}_{[1]}\,\bar{m}\,\dot{O}_{[2]}]\,\overset{+}{m}\,\dot{O}_{[3]}]\,A_{[d]}\,c\,[[\dot{O}_{[1]}\,\overset{+}{m}\,[[\bar{d}]\,\dot{O}_{[2]}]]\,\overset{+}{m}\,\dot{O}_{[3]}]$

$A_{[d]}\,c\,[\dot{O}_{[1]}\,\overset{+}{m}\,[\bar{d}[\dot{O}_{[2]}]]\,\overset{+}{m}\,\dot{O}_{[3]}]$ $[[\bar{d}]+[\overset{+}{m}]]\,c\overset{\to}{+}[\bar{m}]+$

$A_{[d]}\,c\,[\dot{O}_{[1]}\,\overset{+}{m}\,[\dot{O}_{[3]}\,\bar{m}\,\dot{O}_{[2]}]]$ $[A_{[d]}\,p[_{[c]}\overset{\to}{+}\dot{O}_{[3]}\overset{\to}{+}\dot{O}_{[2]}]$

$A_{[d]}\,c\,[[\dot{O}_{[1]}\,\overset{+}{m}\,\dot{O}_{[3]}]\,[[\bar{d}]\,\dot{O}_{[2]}]]$

$[[\dot{A}_{[x]}]_{[+1]}]\,c\,[\dot{O}_{[x]}]$

$[[\dot{O}_1\,\bar{m}\,\dot{O}_2\,\overset{+}{m}\,\dot{O}_3\,[A_{[d]}\,c\overset{\to}{+}\dot{O}_1\,\overset{+}{m}\,\dot{O}_3\,\bar{m}\,\dot{O}_2]]$ $[[x-n]-[\overset{+}{d}]]\overset{\to}{+}[[\bar{d}]\,\dot{O}_{[1]}]]$

$[\dot{A}\overset{\to}{+}[[[\dot{n}_{[2]}]+[\dot{n}_{[2]}]]\,c\overset{\to}{+}[\dot{n}_{[1]}]+[\dot{n}_{[2]}]\overset{\to}{+}]\dot{A}]$ $[\dot{A}_{[mp]}\,[[\dot{A}_{[n]}]]\overset{\to}{+}[\dot{O}_{[\dot{A}]}]$

$[[\bar{d}]_{[x]}-3]\,A_{[d]}\,c\overset{\to}{+}[[\bar{d}]\,[\bar{m}\,[[\bar{d}]_{[x]}[3]]]]$

$[[\bar{d}]\,[[\dot{O}_{[1]}\,\overset{+}{m}\,\dot{O}_{[2]}]]\,A_{[d]}\,c\overset{\to}{+}[[\bar{d}]\,\dot{O}_{[1]}]\,\overset{+}{m}\,[\bar{d}\,\dot{O}_{[2]}]\,[\dot{A}]]$ $[[[\overset{+}{m}]+[\bar{d}]]\,c\overset{\to}{+}[\bar{m}]\,[\bar{A}$

$[\dot{n}_{[2]}\,\dot{A}\,[\dot{O}_1,[\dot{n}_{[1]}]\,\dot{O}_{[2]}]]\,\dot{A}\sim c\,[[\dot{n}_{[2]}\,\dot{O}_{[1]}]\,\dot{n}_{[1]}[\dot{n}_{[2]}\,\dot{A}\overset{\to}{+}\dot{O}_{[2]}]$

$[[\bar{d}]\cdot[\dot{O}_{[1]}\,\overset{+}{m}\,\dot{O}_{[2]}]]\,A_{[d]}\,c\overset{\to}{+}[\bar{d}]\,\dot{O}_{[1]}\,\bar{m}\,\dot{O}_{[2]}$

$\mathring{A}_{[1]}+\mathring{A}_{[2]}]\,[A_{[d]}\overset{\to}{+}[\mathring{O}]$

|[d] O[2] A[d]c ⃗+ [d][m̄ [m̄ [d] O[1]] [A[d]] O[1]]] |A[d] -[p]

][d] O[2] A[d] [1] ⃗+ Ȯ[1] [m̄ A ⃗+ A[d]][A] c ⃗+ [O[1] [m̄] Ȯ[2]] [[d] c ⃗+ [m̄]]

[Ȧ[N]] [Ȯ[1] c ⃗+ Ȯ[2]]

[[Ȯ[1] m̄ Ȯ[2]] m̄ Ȯ[3]] A[d] c [[Ȯ[1] m̄ [[d] Ȯ[2]]] m̄ Ȯ[3]]

A[d] c [Ȯ[1] m̄ [d[Ȯ[2]]] m̄ Ȯ[3]] [[d] + [m̄] c ⃗+ [m̄] +

A[d] c [Ȯ[1] m̄ [Ȯ[3]] m̄ Ȯ[2]] [A[d]] p [c] ⃗+ Ȯ[3] ⃗+ Ȯ[2]]

A[d] c [[Ȯ[1] m̄ Ȯ[3]] [[d] Ȯ[2]]]

[[A[d]][1]] c [Ȯ[x]]

[[Ȯ₁ m̄ Ȯ₂ m̄ Ȯ₃ [A[d] d ⃗+ Ȯ₁ m̄ Ȯ₃ m̄ Ȯ₂]] [[x - n] - [d]] ⃗+ [[d] Ȯ[1]]]

[|x - n] Ȧ ⃗+ [[ṅ[2]] + [ṅ[2]] c ⃗+ [ṅ[1]] + [ṅ[2]] -] Ȧ] [Ȧ m p] [Ȧ[n]] ⃗+ [Ȯ[Ȧ]]

[[d] [x] - 3] A[d] c ⃗+ [[d] [m̄ [[d] [x][3]]]]

[[d] [[Ȯ[1] m̄ Ȯ[2]]] A[d] c ⃗+ [[d] Ȯ[1]] m̄ [d Ȯ[2]] [Ȧ]] [[[m̄] + [d]] c ⃗+ [m̄]] [A]

[ṅ[2]] Ȧ [Ȯ₁ [ṅ[1]] Ȯ[2]]] Ȧ - c [[ṅ[2]] Ȯ[1]] ṅ[1] [ṅ[2]] Ȧ ⃗+ Ȯ[2]]

[[d] - [Ȯ[1] m̄ Ȯ[2]]] A[d] c ⃗+ [d] Ȯ[1] m̄ Ȯ[2]

|| [Å[1] + Å[2]] [A[d] ⃗+ [n̊]] + [p [d] c ⃗+ [Å[1] A[d] c ⃗+ [[d] Å[2]]] [c] d ⃗+ [m] - Ȧ]

[Å[2]] A[d] c ⃗+ [d] Å[1]]] c |[n̊ - Ȧ] - [d]] ⃗+ [Å[1] m̄ Å[2]] Ȧ[d] c ⃗+ [x] ⃗+ [x - n] - [0]]

[[Ȯ[1] m̄ Ȯ[2]] m̄ [[d] Ȯ[1]] m̄ Ȯ[2]] A[d] c ⃗+ [O[x - n] - [x]]]

[Ȯ[1] m̄ Ȯ[2]] m̄ [[d] [Ȯ[1]] m̄ [Ȯ[2]] A[d] c ⃗+ [[Ȯ[1] m̄ Ȯ[2]] m̄ Ȯ[1]] m̄ Ȯ[2]]

[A[d] - [p]] ⃗+ [Ȯ[2]] m̄ Ȯ[1]] m̄ Ȯ[2]] m̄ Ȯ[2]]] + [A[d]] c ⃗+ [O][x-n] m̄ [Ȯ][x-n]] c ⃗+ 0

|[[x] - n] Ȧ ⃗+ [x]]

[[d] [d Ȯ[1]] A[d] c ⃗+ Ȯ[1]] - Ȧ ⃗+ [x - n]]

[[A[d] Å[1] [c] +⃗ [[d̄] Ȯ[1]] + [A[d] Å[2] [c] +⃗ [[d̄] Ȯ[2]] [Ȧ[m p] [c A[d] +⃗ Ȯ[1 +⃗ 2] [n[Ȧ] +⃗ [d̄]]

[Å[1] Ȧ - [c] +⃗ [n[2] - Ȯ[1]] + [Å[2] Ȧ - [c] +⃗ [n[2] - Ȯ[2]]] [x - n] c [Ȯ[1 - 2] - [n]] - [ṅ[1] - Ȧ]

[Å[1] ṁ Å[2]] A[d] c +⃗ [d̄] Ȯ[1] m̄ Ȯ[2]] + A[d] c +⃗ [d̄] [Ȯ[1] ṁ Ȯ[2]] - [n] - Ȧ]

[Å[1] [c] +⃗ [ṅ[2] Ȯ[1]] [ṅ[2]] [Ȧ] +⃗ Ȯ[2]] [[ṅ[1] - Ȧ] +⃗ [n[0] +⃗ [c] +⃗ [ṅ[2] - Ȧ +⃗ ṅ[1]]]

[A[d] +⃗ [Å[1] ṁ Å[2]] c +⃗ [d̄] [Ȯ]] - [[d] [2]] +⃗ [Ȯ[1] ṁ Ȯ[2]] [c] +⃗ [ḋ [Ȯ]]

[[ṅ[1] Ā +⃗ Å[x]] c +⃗ [ṅ[2] - Ȯ]] + [n[Ȧ]] +⃗ [Ȯ[x] Ȧ - [c] +⃗ [ṅ[1] - Ō]]]

[[Ȯ[n] - [1]] [Ȯ[n] - [2]]

[Ȯ[1] ṁ Ȯ[2]] ṁ [Ȯ[3] ṁ Ȯ[4]] +⃗ [A[d] [c]] +⃗ [Ȯ[1] ṁ Ȯ[4]] ṁ [Ȯ[2] ṁ Ȯ[3]]

[[A[d] [c]] +⃗ [Ȯ[1]] ṁ [Ȯ[2] ṁ Ȯ[3] ṁ Ȯ[4]] [[c] [2]] +⃗ [Ȯ[1]] ṁ [Ȯ[4] ṁ Ȯ[2] ṁ Ȯ[3]]]

[[c] [3]] - Ȧ]] +⃗ [[Ȯ[1] ṁ Ȯ[4]] ṁ [Ȯ[2] ṁ Ȯ[3]]] + [[A[d] mpl + [c] pl +⃗ [2]]

[[Ȯ[2]] A[d] mpl [c] +⃗ [n[1] +⃗ [n[2]]] [[x - n] [ȯ] [c]] +⃗ [[x - n[1] +⃗ [2]]

Ȧ - [[Ȧ - [c]] [[n] [x - n]] +⃗ [Ȯ[2] c +⃗ ṅ[2]]] - [[d̄]p [1 - Ȧ] [p[2] +⃗

[[c - pl[d]] [A mpl + [c] pl [1] +⃗

[[Ȯ[1] ṁ Ȯ[2]] ṁ [Ȯ[3] ṁ [Ȯ[4]] [A[d] c +⃗ [Ȯ[1] ṁ Ȯ[2]] ṁ [Ȯ[4] ṁ Ȯ[3]]

[[Ȯ[1] [n[1] - Ȧ] Ȯ[2]] [[ṅ[2] Ȧ]] Ȯ[3] [ṅ[1]] Ȯ[4]] [Ȧ - [c]] +⃗ [[Ȧ +⃗ Ȯ[x]] [ṅ[2]] [Ȯ[c] - [x - n] Ȧ]]

[A[d] - [c]] +⃗ [Ȯ[1] ṁ Ȯ[4]] ṁ [Ȯ[2] ṁ Ȯ[3]]]

[[Ȧ - [c]] +⃗ [Ȯ[1]] + [[c] - Ȧ] - [2]] + [Ȧ - [c] - Ȯ]]] [[ḋ]p [+⃗ p y[n]] - [Ȧ]] [n] c[[Å][1]

[Ȯ[1] ṁ Ȯ[2]] ṁ [Ȯ[3] ṁ Ȯ[4]] A[d] c +⃗ [Ȯ[1] ṁ Ȯ[3]] ṁ [Ȯ[2] ṁ Ȯ[4]]

[Ȯ[1] ṁ [Ȯ[2] ṁ Ȯ[3]] ṁ [Ȯ[4]] A[d] [c] +⃗ [Ȯ[1] ṁ [Ȯ[3] ṁ Ȯ[2]] ṁ Ȯ[4]]

A[d] c +⃗ [Ȯ[1] ṁ Ȯ[3]] ṁ [Ȯ[2] ṁ Ȯ[4]] [Ȯ[1] c +⃗ [Ȯ[2] - [Ȯ[1]]] +⃗ [Ȯ[1] +⃗ Ȯ[2]

[Å[1] m Å[2]] A[0] c ⃗+ [d] Ȯ[1] m Ȯ[2]] + A[d] c ⃗+ [d] [Ȯ[1] m Ȯ[2]] - [n] - Ȧ]
[Å[1] [c] ⃗+ [ṅ[2] Ȯ[1]] [n[2]] [Ȧ] + Ȯ[2]] [[ṅ[1] - Ȧ] ⃗+ [n[0] ⃗+ [c] ⃗+ [ṅ[2] - Ȧ ⃗+ ṅ[1]]
[A[d] + [Å[1] m Å[2]] c ⃗+ [d] [ȯ]] - [[d] [2]] ⃗+ [Ȯ[1] m Ȯ[2]] [c] ⃗+ [d] [ȯ]]
[[ṅ[1] Ȧ + Å[x]] c + [n[2] - ȯ]] + [n Ȧ]] ⃗+ [Ȯ[x] Ȧ - [c] ⃗+ [ṅ[1] - ȯ]]

[[Ȯ[n] - [1]]   [Ȯ[n] - [2]]

[Ȯ[1] m Ȯ[2]] m [Ȯ[3] m Ȯ[4]] ⃗+ [A[d] [c2]] ⃗+ [Ȯ[1] m Ȯ[4]] m [Ȯ[2] m Ȯ[3]]

[[A[d] [d]] ⃗+ [Ȯ[1]] m [Ȯ[2] m Ȯ[3] m Ȯ[4]] [[c] [2]] ⃗+ [Ȯ[1]] m [Ȯ[3] m Ȯ[2] m Ȯ[3]]]
[[c] [3]] - Ȧ]] ⃗+ [[Ȯ[1] m Ȯ[4]] m [Ȯ[2] m Ȯ[3]]] + [[A[d]] mpl + [c] pl ⃗+ [2]]
[[Ȯ[2]] A[d] mpl [c] ⃗+ [n[1] ⃗+ [n[2]]]   [[x - n] [ȯ] [c]] ⃗+ [[x - n[1] ⃗+ [2]]
[pl[2] ⃗+ [1]]
Ȧ - [[Ȧ - [c] [[n] [x - n]] ⃗+ [Ȯ[2] c ⃗+ [n[2]]]   - [[d]] pl - Ȧ]
[[c - pl[d]]   [A mpl + [c] pl [1] ⃗+ [2]]

[[Ȯ[1] m Ȯ[2]] m [Ȯ[3] m [Ȯ[4]] [A[d] c ⃗+ [Ȯ[1] m Ȯ[2]] m [Ȯ[4] m Ȯ[3]]
[[Ȯ[1] [n[1] - Ȧ] Ȯ[2]] [[ṅ[2] Ȧ]] Ȯ[3] [ṅ[1]] Ȯ[4]] [Ȧ - [c]] ⃗+ [[Ȧ ⃗+ Ȯ[x]] [ṅ[2]] [Ȯ[c] - [x - n] Ȧ]]
[A[d] - [c]] ⃗+ [Ȯ[1] m Ȯ[4]] m [Ȯ[2] m Ȯ[3]]]
[[Ȧ - [c]] ⃗+ [[Ȯ[1]] + [[c] - Ȧ] - [2]] + [Ȧ - [c] - ȯ]]]   [[[d]] p] ⃗+ p y[n]] - [Ȧ]]] [1] c [[Å] [1]]

[Ȯ[1] m Ȯ[2]] m [Ȯ[3] m Ȯ[4]] A[d] c ⃗+ [Ȯ[1] m Ȯ[3]] m [Ȯ[2] m Ȯ[4]]

[Ȯ[1] m [Ȯ[2] m Ȯ[3]] m [Ȯ[4]] A[d] [c] ⃗+ [Ȯ[1] m [Ȯ[3] m Ȯ[2]] m Ȯ[4]]

A[d] c ⃗+ [Ȯ[1] m Ȯ[3]] m [Ȯ[2] m Ȯ[4]]   [Ȯ[1] c ⃗+ [Ȯ[2] - [Ȯ[1]]] ⃗+ [Ȯ[1] ⃗+ Ȯ[2]] - Ȯ[2]] Ȧ]

[ ] [Ȯ[1] m Ȯ[2]] m [Ȯ[3] m Ȯ[4]] [A[d] c] ⃗+ [Ȯ[1] m Ȯ[3]]] m [[d]] [Ȯ[2] m Ȯ[4]]
[[x - n] Ȧ[c] [[x] [ṅ[2] Ȧ] [[x] [2]] [ṅ[1] Ȧ] ⃗+ [x[3] ṅ[2] Ȧ ⃗+ [x] [4]]]   A[d] mpl + [c] pl ⃗+ Ȯ[3] ⃗+ Ȯ[2]
[[Ȯ[1]] m [[d] Ȯ[2]] m [[Ȯ[3] m [[ȯ] Ȯ[4]]] [A[d] [c] ⃗+ Ȯ[1] m [[d] Ȯ[2] m Ȯ[3] [ȯ] Ȯ[4]]
[A[d] c ⃗+ Ȯ[1] m Ȯ[2]] m [[d] Ȯ[2] m Ȯ[4]]]]   [[[d]] [2] c ⃗+ [m]] Ȧ] ⃗+ [A mpl [d]]]

[|X-n| [c] Ȧ +̇ [x] - [+]]   [Å [+]]

[[X-n] Ȧ [c] +̇ [[x] - [3]]]

|A[d] [Ȧ m p| [d] - [O [1]] [d] m A] [Ȯ [2]]] c +̇ [Ȧ - N] [1]

o [[Ȧ - c] [x-n] +̇ [Ȯ [1] [Å - Ȧ]] +̇ Ȧ [2] +̇ Ȯ [2]] + n [2 A]] c [n] [Ȧ - [1]]

A[d] [c] [2] Ȧ +̇ [Ȯ [3] m̄ O [+]]] c +̇ [Ȧ - N] [2]

o [[Ȧ - [c]] +̇ [Ȧ [N] [1]] +̇ [2] +̇ Ȯ [0] [+̇ O [3]] + (Ȯ [2] + O [+]) Ȧ]   [[Ȯ [n] [1]] + [n] [2]] - Ȧ]

[[Ȧ [N]] [1] m̄ [Ȧ [N]] [2]] [c] +̇ [[m] Ȧ [N] [1]] m̄ [m Ȧ [N] [2]]

[Ȧ [N] [1] - [Ȯ [3] c +̇ [[2] +̇ Ȧ [N] - [2]] +̇ [[3]]] [x] - Ȧ]   [Ȧ [N] [1-2] c +̇ Ȧ [N] [x] +̇ Ȧ [x]] [d]

[[[n [2] - Ȧ [c] +̇ [n [1]] +̇ [Ȧ [N] [x] - [c]]]

[A[d] [m p - Ȧ] +̇ [[x]] +̇ [Ȧ [N] [4] + [m̄ m̄] Ȧ +̇ [m p - Ȧ [c] x] +̇ [Ȧ [N] [4] +̇ [2] +̇ [3] - [x]

[[Ȧ [N] [1] m̄ m̄ [Ȧ]] +̇ [[Ȧ] +̇ [N]] [c] +̇ [Ȯ [1] [m̄] [c] p|1 - [d] +̇ [m̄ +̇ Ȧ [N] [1]]]

[[Ȧ [N] [4] +̇ [x]] +̇ [x-n] - Ȧ [x]]] + [[Ȯ [1] [n [2] Ȧ + [c] +̇ [Ȧ [n c Ȧ [N] [x]]]

Ȯ [1] m̄ [d O [2] m̄ Ȯ [3]] m̄ [O [+]] A[d] [c] +̇ [Ȯ [1] m̄ Ȯ [3] m̄ O [2]] m̄ O [+]]

[Ȯ [1]] A] + [n [2] - A c Ȯ [2] n [1] Ȯ [3]] [Ȧ - [c] +̇] (n [1] Ȧ] + [Ȧ - N] - Ȧ] + [n [1] [c]]

[A[d] = +̇ [Ȯ [1]] m̄ Ȯ [3]] m̄ [O [2]] m̄ O [+]]]

[[Ȧ - c] +̇ [(Ȯ [x] [1]] n [2] Ȧ +̇ [(O [x]] [2]]

[[Ȧ [m̄] +̇ [N] [1+2]] c Å] + [N [1]] [c] Ȧ] +̇ [N [1] +̇ [0]] +̇ [Ȯ [1] - p| [d]]

[[Ȯ [2] [c] p| [1]]]

[|X-n| [c] Ȧ [x] - [5]]]   [Å [5]] o [[Ȧ - c] [x - n] + [O[1] [A - A]] + A[2] + O [2]] +

A[d] [c] [2] Ȧ + [Ȯ[3] m O[+]]] c + [Ȧ - N] [2]]

o [Ȧ - [c]] + [Ȧ [N] [1]] + [2] + Ȯ[0] [+ O[3] + (Ȯ[2] O[+]) Ȧ] [[Ȯ[n] [1]] + [n] [2]] - Ȧ]

[[Ȧ [N]] [1] m [Ȧ [N]] [2]] [c] + [[m] Ȧ [N] [1]] m [m Ȧ [N] [2]]

[Ȧ [N] [1]] - [Ȯ[3] c + [[2] + Ȧ [N] - [2]] + [3]]] [c] - Ȧ] [Ȧ [N] [1 - 2] c + [Ȧ [N] [x] + Ȧ [x]] [d]]

[[[n[2] - Ȧ[c] + [n[2]]] + [Ȧ [N] [x] - [c]]]

[A[d] [me - Ȧ] + [x]] + [Ȧ [N] [c] + [m m Ȧ + [me - Ȧ] [c] x] + [Ȧ [N] [c] + [2] + [3] - [x]]] +

[[Ȧ [N] [1] m m [Ȧ]] + [[Ȧ] + [N]] [c] + [Ȯ[1] [m] [c] p] - [d] + m + Ȧ [N] [1]]]

[[Ȧ [N] [c] + [x]] + [x - n] - Ȧ[x]]] + [[Ȯ[1] [n[2] Ȧ + [c] + [Ȧ [n] Ȧ [N] [x]]]

Ȯ[1] m [d Ȯ[2] m Ȯ[3]] m [O[+]] A[d] [c] + [Ȯ[1] m Ȯ[5] m Ȯ[2]] m O[+]]

[Ȯ[1]] [A] + [ṅ[2] - A[c] Ȯ[2] Ȯ[3]] [Ȧ - [c] + [n[1] Ȧ] + [Ȧ - N] - Ȧ] + [n[1] [c]]

[A[d] = + [Ȯ[1] m Ȯ[3]] m [Ȯ[2] m O[+]]]

[Ȧ - c] + [(Ȯ[x] [1]] n[2] Ȧ + [(Ȯ[x]] [2]]

[[Ȧ [m] + [N] [1 + 2]] c Ȧ] + [N[1]] [c] Ȧ] + [N[1] + [0]] + [Ȯ[1] - p [d]]

[[Ȯ[2] [c] p [1]]]

[[x - n] [c] Ȧ + [x] - [5]]] [Ȧ [5]]

[x - n] [c] [Ȯ[x] Ȧ] A[d] [mp] + [c] + p [1] + p [2]]

[Ȯ[1] m Ȯ[2]] m [Ȯ[3] m O[+]] [A[d] c + [Ȯ[1] m O[+]] m [Ȯ[3] m O[2]] + p [2] + p [1]

[[[n[1] - n[2] - n[1]] - Ȧ[x + 2]]] Ȧ - [c]] + [Ȯ[1] + [Ȯ[2] - +] n[1] O[3] + Ȯ[1] + n] [Ȯ[+] c p [2]]

[Ȯ[1] m [c d] Ȯ[2] m Ȯ[3]] m O[+]] A[d] [c] [Ȯ[1] m Ȯ[+] m [Ȯ[3] m Ȯ[2]]

[x - n] [c] Ȯ [6] - [x]] Ȧ [c] + Ȧ [6]]

A[d] + Ȯ[x] c + [x - n] Ȧ [x]]

1. A[d] $\dot{A}$ - [c] ↦ [x-n] $\dot{A}$ ↦ [[n] $\dot{A}$ - [c] [[$\dot{A}$-N] + [x-n]] $\dot{A}$] [x]]   [$\mathring{A}$[6]]

[[[N] [$\dot{A}$] ↦ [n[x]] [c] ↦ [[x-n] $\dot{A}$[x] + [$\dot{A}$-N]] $\dot{A}$ ↦ [$\dot{O}$[x]]]

[[n[1] $\overset{+}{m}$ n[2]] A[d] - [c] ↦ [d] n[3] $\overset{+}{m}$ n[4]]

[[$\dot{O}$[x-4]] [x-n] $\dot{A}$ ↦ [x] + [[c][x]] $\dot{A}$ ↦ [n][x]]   [[A[d] mpl + [c] ↦ $\dot{O}$[x]] [$\dot{A}$] [1]

[$\dot{O}$[1] $\dot{m}$ $\dot{O}_2$] $\overset{+}{m}$ [$\dot{O}_3$ $\bar{m}$ $\dot{O}_4$] [$\dot{A}$ - [c]] ↦ [d] [$\dot{O}_2$ $\overset{+}{m}$ $\dot{O}_4$] $\overset{+}{m}$ [$\dot{O}_1$ $\overset{+}{m}$ $\dot{O}_3$]

[[n[1] + [c - $\dot{A}$] [n[1]] + [n[2]] + [c - $\dot{A}$]][2] $\dot{A}$[c] [[x-n] $\dot{A}$ ↦ $\dot{O}$[x] c ↦ [$\dot{O}$[n]] [1]] [$\dot{A}$][1]   A[d] c + mpl ↦ $\dot{O}$[

[$\dot{A}$[d] mpl ↦ $\dot{O}$[1] ↦ [$\dot{A}$[N]][1] + [[$\bar{m}$] A - [c] ↦ [[d] ↦ $\dot{O}$[2]] $\bar{m}$ $\dot{O}$[3] $\bar{m}$ $\dot{O}$[4]] $\dot{A}$]

[[$\dot{O}_1$ $\dot{A}$ - [c] ↦ [$\dot{O}_1$] ↦ [$\dot{A}$N] - $\dot{A}$]] + [$\dot{n}$[2] c [[n[2]] [$\dot{A}$] ↦ $\dot{O}_2$]]] [n[4] $\dot{O}$[3] [n[2]] $\dot{O}$[4]] $\dot{A}$]

[[$\dot{O}_1$ $\overset{+}{m}$ [d $\dot{O}_2$ $\bar{m}$ $\dot{O}_4$] $\overset{+}{m}$ $\dot{O}_3$] $\dot{A}$[d] c ↦ [d $\dot{O}$[2] $\bar{m}$ $\dot{O}_4$] $\overset{+}{m}$ [$\dot{O}_3$ $\overset{+}{m}$ $\dot{O}$[1]]]   [A[d] mpl ↦ [m] - $\dot{A}$]

[[$\dot{O}$[1] A - [c] ↦ [n[0]]] + [[n[1] c ↦ n[2]] $\dot{A}$] + [$\dot{O}$[3]] [c] ↦ [n[3] $\dot{A}$]]   ↦ [$\dot{A}$[mpl] [n] = [$\dot{A}$ - c]

[d] $\dot{O}_2$ $\bar{m}$ $\dot{O}_4$] [c] [$\mathring{A}$[n - $\dot{A}$]] ↦ [[d]] ↦ [[d] mpl + [c]] + $\dot{A}$ - [c] ↦ [$\bar{m}$ ↦ $\overset{+}{m}$]] $\dot{A}$ ↦ $\dot{O}$[x]]

[A[d] - [c]] ↦   [d] [$\dot{O}$[2] $\overset{+}{m}$ $\dot{O}$[4]] $\overset{+}{m}$ [$\dot{O}$[1] $\overset{+}{m}$ $\dot{O}_3$]]   A d [p] ↦ $\dot{O}_3$ ↦ $\dot{O}$1]

[$\mathring{A}$[7]]

[[$\dot{O}_1$ $\bar{m}$ $\dot{O}_2$] $\overset{+}{m}$ [$\dot{O}_3$ $\bar{m}$ $\dot{O}_4$] A[d] - [c] ↦ [d] [$\dot{O}_2$ $\overset{+}{m}$ $\dot{O}_4$] ~~d~~ $\bar{m}$ [[d] $\dot{O}$[2] $\bar{m}$ $\dot{O}_3$]] + [A[d] mpl + c + p] ↦

[[[$\dot{n}$[2] - $\dot{O}$[1-2] [$\dot{n}$[1]] [$\dot{O}_3$ -] - $\dot{n}$[2]] ($\dot{A}$ - [c]] ↦ [~~A[4]~~ [[$\dot{O}$[1] c ↦ $\dot{O}$[2]]] + [[$\dot{n}$[2] c [$\dot{n}$[1] $\dot{A}$]] + [[$\dot{O}$[2] c ↦ $\dot{O}$

[[[n[2] - $\dot{O}$[1-2]] [$\dot{n}$[1]] + [$\dot{n}$[2]] [$\dot{O}$[12+34]]] + [[$\dot{n}$[2]] $\dot{A}$[c] ↦ [[x-n] $\dot{A}$ ↦ [[$\dot{O}$[1]] + [n[1]] [$\dot{A}$ ↦ $\dot{O}$[2]]]   [c]

[n[1]] c [n[1] $\dot{A}$] ↦ [[n[2]] - $\dot{A}$] ↦ [$\dot{O}$[1] ↦ [n]]] + [$\dot{O}$[3] c ↦ [$\dot{O}$[1]] $\dot{A}$[1]]] + [$\dot{O}_4$ c ↦ $\dot{O}$

[[n[1] m n[2]] A[d] - [c] → [d] n[3] m n[4]]

[[O[x-4]] [x-n] A → [x] + [[4][x]] A → [n][x]] |[A[d] mpl + [c] → O[x]] [A] [n]

[O[1] m O2] m [O3 m O4] |A - [c]] → [d] [O2 m O4] m [O1 m O3]

|[n[1]] + [c - A] [n[1]] + [n[2]] + [c - A]] A[c] [x-n] A → O[x] [→ [O[n]] [1]] [A]   A[d] [c] mpl → O[2] → O

[A[d] mpl → O[1] → [A[N]] [1]   +   [[m] A - [c] → [d] → O[2]] m O[3] m O[4]] A]

[[O1 A - [c] → [O1] → [A N] - A]   +   [n[2] c [[n[2]] A] → O2]] [n[4] O[3] [n[2] O[4] A]

|[O1 m [d O2 m O4] m O3] A[d] [c → [d O[2] m O4] m [O3 m O[1]]] |A[d] mpl → [m] - A]

[O[1] A - [c] → [n[0]] + [[n[1]] c → n[2]] A] + [O[3]] [c] → [n[3] A]]   → [A[mpl] [n] c [A - [c]]

[d O2 m O4] [c] [A[n] - A]] → [d]] → [[d] mpl + [c]] + A - [c] → [m → m] [A → O[x]]

|A[d] - [c]] →   [d] [O[2] m O[4]] m [O[1] m O[3]]   A d [p] → O2 → O1]

[A [7]]

→ [O1 m O2] m [O3 m O4] A[d] - [c] → [d] [O2 m O4] ~~d~~ m [[d] O[2] m O3]] + [A[d] mpl + [c] → [O[n]] - A

|[[n[2]] - O[1-2] [n[1]] [O3 - 3] - n[2]] (A - [c]] → [~~A[c]~~ [[O[1]] c → O[2]]] + [[n[2] c [n[1] A]] + [[O[2]] c → O[4]]] [c → n

|[[n[2]] - O[1-2]] [n[1]] + [A[2]] O[12+34]]] + [[n[2]] A [c] → [x-n] A → [O] [n]] + [n[1] [A → O[2]]]   [c] → O[x] A [c]

[n[1]] c [n[c] A] → [[n[2]] - A] [c] + [O[1] → [n]]] + [O[3] c → (O[1]] A[2]]] + [O4 c → O3] [A]]

[A[d] [c] → pl → [O[1]] → [A - N]] + [m [c] → [d] → [O[2]] m [O3]] + [O[4] c → [A N] [c] + ~~d~~ m [c] d] → O[4]]

([O1] + [[n[2]] - A] → O[2] [n[1]] O[3]] ~~n~~ [n[c] O4]]] +]

A[d] mpl + [c] → [O[1]] m [O2 m O3 m O4]] [c] → [[O[1]] m [O3 [m O[2]] m O4]]

[A - [c] → O[x] A → [O[1]] n[2] A → [O[2] A[c] O3 n[c] O4] c → [O[2]] [n[2]] A → O]]

~~≉~~
|[A d] mpl + [c] → [O[1]] m O3] ~~m~~ m [O2 m O4]]] A - [c] [[d] [O2 m O4] m [d O1 m O3

[O[x-4] m O[x2] m O[x2] m] A

$[\mathring{A}_{[8]}]$

$[\,[\dot{O}_{[1]}\ \overset{+}{m}\ \dot{O}_2]\ \overset{+}{m}\ \dot{O}_3]\ \overset{+}{m}\ \dot{O}_4]\ A_{[d]c} \overset{\rightarrow}{+} [O_1\ \overset{+}{m}\ O_3]\ \overset{+}{m}\ [\dot{O}_2\ \overset{+}{m}\ \dot{O}_4]$

$[[\dot{O}_{[1]}\ [c]\ \overset{\rightarrow}{+}[O_{[x]}]\ \overset{\rightarrow}{+}[x-n]]\ A] + [[n_{[1]}][c]\ [O_{[2]} + \dot{O}_{[1]}] + [n_{[2]}][n_{[2]}\ A]_{[c]} \overset{\rightarrow}{+} [n_{[1]}]]$

$A_{[d]}\ c_p] \overset{\rightarrow}{+} [\dot{O}_{[1]}] \overset{\rightarrow}{+} [\dot{A}_{[n]}] + [p]_{[c]}]_{[2]}\ \dot{A}] \overset{\rightarrow}{+} [O_{[3]} \overset{\rightarrow}{+} \dot{O}_{[2]}] + [[\bar{m}]_{[c]} - [d]] \overset{\rightarrow}{+} [\dot{A}_{[n]}]_{[2]}]$

$\dot{A} - [c]\ ]\ A \overset{\rightarrow}{+} [N]_{[c]}]_{[x]} + [N_{[2]} - [A-n]_{[c]} \overset{\rightarrow}{+} [O_{[x]}]\ \dot{A}] \overset{\rightarrow}{+} [[c]_{[2]}\ A_{[n]}] + [n_{[c]}]]$

~~$A_{[d]}]\ c_p] \overset{\rightarrow}{+}$~~

$[A_{[d]}c_p] \overset{\rightarrow}{+} [\dot{O}_{[1]}\ \overset{+}{m}\ \dot{O}_3]\ \overset{+}{m}\ [O_2\ \overset{+}{m}\ \dot{O}_4]]$

$[\dot{A} - [c]] \overset{\rightarrow}{+} [[\dot{O}_{[x]}]_{[c]}\ \dot{A} \overset{\rightarrow}{+} n_{[x]}]\ ]$

$\dot{O}\ \bar{m}$

$3 - 2 = 1$

$-2 + 3 = 1$

$[\mathring{A}_{[9]}]$

$\overset{+}{m}$

$[me]_{[n]}$ $[[O_1\ \bar{m}\ O_2]\ \bar{m}\ [\dot{O}_3\ \bar{m}\ \dot{O}_4]_{[c]} \overset{\rightarrow}{+} [\dot{O}_1\ \overset{+}{m}\ \underset{4}{\dot{O}_3}]\ \bar{m}\ O_2\ \bar{m}\ \underset{3}{\dot{O}_3}]$

$[x-n]$

~~$[A_{[d]}c_p] \overset{\rightarrow}{+}$~~ $[A_{[d]}c] \overset{\rightarrow}{+} [$ ~~$\dot{O}_1\ \bar{m}\ O_2\ \bar{m}\ \dot{O}_3\ \bar{m}\ \dot{O}_4$~~ $[\dot{O}_1\ \bar{m}\ O_2]\ \bar{m}\ [[d]\ \dot{O}_4\ \overset{+}{m}\ O_3]$

$n]_{[n]}][d]\ O_1][x\ \bar{m}_{[c]}] \overset{\rightarrow}{+} [p]_{[d]}] + [m\ p_{[A]} \overset{\rightarrow}{+} [p]_{[d]}]][\dot{A} - [c]][[d]\ \dot{O}_2] + [x_2\ \overset{+}{m}_{[c]}]][A_{[d]}]_{[c]} + T_{[2]}]\dot{A}][[d]$

$[[x-n]_{[A]}\ \dot{O}_{[1]}\ c[\overset{\rightarrow}{+}\ n_{[2]}\ \dot{A} \overset{\rightarrow}{+} [3]] + [\dot{n}_{[c]}\ \dot{A} \overset{\rightarrow}{+} [6]] \overset{\rightarrow}{+} [x]_{[1]}\ c \overset{\rightarrow}{+} [x]_{[x]}\ \dot{A}] + \dot{O}_2 \overset{\rightarrow}{+} n_{[2]}\ \dot{A} \overset{\rightarrow}{+} [x]$

$[A]][[p]_{[c]}]_{[d]}] \overset{\rightarrow}{+} [\dot{A}_{[d]}] \overset{\rightarrow}{+} [\bar{m}_{[c]} - [d]n]] + [\dot{A} - [c]] \overset{\rightarrow}{+} [[x_1\ \bar{m}\ x_2]]\ c \overset{\rightarrow}{+} [n_{[0]} - m \overset{\rightarrow}{+} \dot{A}_{[d]}] + [\dot{A}_{[d]}$

$[n_{[c]}\ \dot{A} \overset{\rightarrow}{+} [x]_c \overset{\rightarrow}{+} [3]]][\dot{A} - c \overset{\rightarrow}{+} [[n_{[c]}\ \dot{A}_{[1]}] \overset{\rightarrow}{+} [6] \overset{\rightarrow}{+} [\dot{n}_{[2]}]_{[A]} \overset{\rightarrow}{+} [n_{[c]}\ \dot{A}_{[2]}] \overset{\rightarrow}{+} [3]]][\dot{A} - [c]$

[Å[3]]

[[Ȯ[1] ṁ Ȯ₂] ṁ O₂] ṁ O₄] A[d] c → [O₁ ṁ O₃] ṁ [Ȯ₂ ṁ O₄]

[[O[2] [c] → [O[x]] → [x - n]] A] + [[n[2]] [c]] [O[2] + O[3]] + [n[2] [n[2] A] [c] + [n[2]]]

A[d] c p] → [O[1]] + [A[n]] + [p[c]] [2] A] → [O[3] → O[4]] + [[ṁ] [c] - [d]] + [Ȧ [n] [2]]

Ȧ - [c]] A → [N] [c] [x] + [N[2] - [Ȧ - n] [c] → [O[x]] A] + [n[2] A [n]] + [n[c]]

~~A[x] c p] →~~

[A[d] c p] → [Ȯ[1] ṁ O₃] ṁ [O₂ ṁ O₁]] O ṁ 3 - 2 = 1

[Ȧ - [c]] → [[Ȯ[x]] [c] A → n[x]] -2 + 3 = 1

[Å[9]]

ṁ

[[ṁ e][n]] [[O₁ ṁ O₂] ṁ [Ȯ₃ ṁ O₄] [c] → [Ȯ₁ ṁ O₃] ṁ O₄ ṁ Ȯ₂]

[x - n]

[A[d] c p] → [A[d] c] → [~~O₁ ṁ O₂ ṁ O₃ ṁ O₄~~ [Ȯ₁ ṁ O₂] ṁ [[d] Ȯ₄ ṁ O₃]

[x - n][N] [[d] Ȯ₁ [x ṁ [c]] + [p[d]] + [m p [Ȧ] [p[d]] [Ȧ - [c]] [[d] Ȯ₂] + [x₂ ṁ [c]]] [A[d] [c] + T[2] A] [[d] Ȯ[3]] →

Ȧ] [[x - n] [Ȧ] Ȯ[1] c [→ n[2] Ȧ → [3]] + [ṅ [c] Ȧ → [6]] → [x] [c] c → [x] [x] Ȧ] + Ȯ₂ → Ȧ[2] Ȧ → [x] c → [3]] →

[Ȯ[N] [Ȧ]] [[p] [c] [d] → [Ȧ[d]] → [ṁ [c] - [d] [n]] + [Ȧ - [c]] → [[x₁ ṁ x₂]]] c → [n [0] - ṁ → Ȧ[d]] + [Ȧ [d] + T₂ Ȧ]

Ȧ c] [[ṅ [c] Ȧ → [x] c → [3]]] Ȧ - c + [[ṅ[c] Ȧ [1]] → [6] → [ṅ[2]] [Ȧ] → [ṅ [c] Ȧ [2]] → [3]]] [Ȧ - [c]] → [3] +

[d [Ȯ[1]] + [p[d] Ȧ] → [A[d]] → [ṁ [c]] → [Ȧ - [c]] → [[x] [2]]] → [Ȯ [d]] → [Ȧ [d]] + [T[2] Ȧ] → [m p [Ȧ] T [p[d]] + [ṁ] Ȧ]]

[ṅ [c]] Ȧ] → [Ȯ[n]] + [[ṅ[2] Ȧ - [0] - [3] → [x - n]]] +] [Ȧ - [c]] → [[ṅ[2]] Ȧ → [ṅ] [Ȯ[n]]] c → [x - n] [n]] → [9]]

[p[c] ∧ [d]] → [Ȧ → [o] [d]] + [A[d] + O = O]] → [d] [x] Ȧ] + [[Ȯ[1]] + [p[d] Ȧ] → Ȧ[d] → [ṁ [c]] + Ȧ - c]

Ȧ - [c] → [[ṅ[2]] - [9]] Ȧ → Ȯ[x]] → [O[N]] → [x - Ȧ]] + [[[5] x - n] Ȧ]] + [[Ȧ - [c]] → [x] [0]] → Ȯ[1] → n]]

[d] → [O[2]] [A[d] + T[2] Ȧ] → [Ȯ[3]] + [[p[d]] → Ȧ - n] [Ȯ[2]] [n]] + [p[d]] [m p [Ȧ]] [Ȧ - [c]]] → [O] [n]] + [[p[d] Ȧ]]

ṅ[2]] → [[2]] x - n] Ȧ] [n]] + [[[x - n] [c] → Ȯ [Ȧ] → [x] → [9]]] + + [O[1] + [Ȯ[2] Ȧ]] [Ȧ - c]] [[x - n] Ȧ → Ȯ [5] →

Ȧ[d]] + [[ṁ [c] Ȧ] + [Ȧ - [c]] → [[d] Ȯ[2]]] + [m [d] Ȧ[d]] → [n[2]]] → [T [2] Ȧ]] → [Ȯ[5]] + [p[d]] Ȧ] →

[c] [c → [x]] + [ṅ] Ȧ]] → [[ṅ[2] c → [ṅ[1]] Ȧ → Ȯ[2] [2]] + [Ȧ - c]] → [[ṅ] + [x - n] Ȧ]] → [[[1] → [x] - Ȯ] → [x - n]

- [c]] → [Ȯ[4]]]

- c] [5 - n] Ȯ [25]]]

[[Ȧ[d] - [ÅP[n]d]] + [Ȧ[p|] - d] ⇄ ph[N] d O[n] [[PY N d] [ȦE][ph]] + [ȦC d]] - [Ȧ mp d]] ⇄ [Ȧ[o] + m] c [Q[ph], d BP - O] ⇄ Ȧ[d p]

d [Ph N - O Ȧ]] + [Ȧ[P - d]] ⇄ [BP] + [[Ȧ[d]] ⇄ [N̊[d] Å ph N] d A mp|] c Å[n]] + [Ȧ d mp|] + [[Ȧ d]] ⇄ [Ȧ mp] ⇄ [A mp] Ȧ + [mp]

- ph] [PY[N]] c [PY - O[n]] d ⇄ mp] + Ȧd ⇄ ph[N] d O[n]] + [Ȧ o mp|] - Ȧ[d] ⇄ [[Ȧ[d]] ⇄ m] ⇄ [ph O] c Ep] + [d P - A c

ph O[d]] + [Ȧ[d m [Ṙ c + p| d] + []] + [Ȧ d] + Ȧd[d] + [Ȧ[d -]] + c Å] + [Ȧd - Å] ⇄ [A[Å - d] ⇄ [Ȧ[c - d][n] ⇄ [Ȧ d] ⇄ [N̊]

d ph[Ep]] + [Ȧ d] + [Ȧ d p|] + [Ȧ d]] [m P[n]] Ȧ] ⇄ [Å d Ȧ c m P A] + [Ȧ[d p|] ⇄ [P]] ⇄ Ep ⇄] c Ȧ m p] ⇄ Ȧd ⇄ Ȧ o[n] ⇄ [E p]

+ ~~Ȧd~~ [Ȧ[p| + d]] + [[P[n] d A][T[n] m Ȧ] + [P - d Ȧ] + [m̄ d Ȧ] ⇄ [PY Ȧ d]] + [P[n]] + [[BP A][PY N] d] ⇄ [BP d Ȧ[o] m] d] c Ȧ Q]

[P[n] Ȧ - d] ⇄ [BP d ⇄ [Ȧ d][n] m] + [[Å[n] - O[n]] ⇄ [Ȧ d] ⇄ [ÅP[3] [PY N] d c + d] ⇄ [ȦP[n] ⇄ ph[N]] d [PY - O]] + [Ȧ d]] + [P[P] Ȧ d] + [Ȧ d]

[Å - Ȧ d] ⇄ [T[n] m Ȧ d] ⇄ [Ȧ m p o|] ⇄ [Ȧ[o] m] c Ȧ Q] ⇄ [ph[o] d[N] m̄ PY ph P] c E o] ⇄ [[Ȧ c - d][n]] ⇄ Ȧ[d] O[ph]] + [ph m̄ d] ⇄ [Ȧ]

[Ȧ m P[n]] ⇄ [Ȧ[p| + d]] ⇄ Ȧ[d] ⇄ [BP] ⇄ [Ȧ d] ⇄ [Ȧ[o] d Ȧ o] ⇄ [[N̊] d ÅP d] + [Ȧ d] ⇄ [Ȧ[o] m] ⇄ BP[n]] + [Ȧ E d Ȧ o - Ȧ] + [Ȧ d] ⇄

Ȧ d] ⇄ [[ph d Ep] ⇄ [Ȧ d] ⇄ (BP d Ȧ[o]] c Å] ⇄ Ȧ d] ⇄ (m P] ⇄ (Ȧ[o] m d] ⇄ [ph[o]) + [[ph m̄ BP d] [T[n]] ⇄ BP P d m̄ o]] + [Ȧ[d] c

Ȧ[m P]] PY N d [n] m d]] ⇄ [N̊ d Ȧ[PY N d]] c Ȧ Q] + Ȧ[d] [Ȧ d] [[m̄ Å[PY N d]] + [ȦE[ph[N]] d O[n]] + [Ȧ[d]] ⇄ [Ȧ[o] m ph d] +

[Ad[c[ph[N] ϕ] ⇄ [m P x] + [ph[N] d Å[P[P] + d][n] R c ⇄ P[n] c P[n] ⇄ Ȧ d BP[n]] c Q ⇄ [ÅP] + [Ȧ m P d] ⇄ [Ȧ m [ph N d] Ȧ[o]

ph Q] + [Ȧ[P[n] d] ⇄ [Ȧ d] ⇄ [Ȧ[o]] c Q] ⇄ [ÅP[N ph d] c Q m d ⇄ BP] c Q[3]] ⇄ [N̊ d ÅP] ⇄ Ȧ d] ⇄ [Ȧd[n]] ⇄ [m P Ȧ d] ⇄ [ph[N] d] ⇄

d] c ph o] ⇄ [ph[o]] + [Ȧ d c/ph A] ⇄ [[ph[o] m Ȧ[o] d] c Å c [PY N d ph - P] BP] ⇄ [A d A] + Ȧd ⇄ [Ȧ o] + [Å c Ȧ - d] ⇄ [p| + d]

d] ⇄ [[PY - N] d Q] ⇄ Ȧ[m̄ PY] c [Å[PY - O m ph]] ⇄ Ȧd[PY - N d] + [Ȧd + p| d] ⇄ Ȧ d] + [m + m P] c Å] ⇄ Ȧd O[n] ⇄ [N̊ d

] ⇄ N̊] + [[ÅP[N d] + [Ȧd[PY N][P] m̄ PY ph] ⇄ (Ȧ[E] d]] + [Ȧ[P] d] ⇄ [Ȧd[c[n]]] + [Ȧ d] ⇄ [E o] + [Ȧ m P] + Ȧ[T m

- d] + [[Ȧ d] ⇄ [[PY - O][PY - N d]] c Ȧ o] [+] [Ȧ d] ⇄ Å] + [Ȧ d + [m Ȧ[n]] ⇄ [ȦP[d]] ⇄ [Ȧ m P] ⇄ [Ȧ[o] c Q] ⇄ [ph[N] d O c

c Ȧ[P d] ⇄ [BP]] + [Ȧd[Ȧ - BP] + [d P Ȧ]] + [ÅP c Ȧ P d] Ȧd[m̄ m ph (PY] ⇄ [Ȧ d] ⇄ [Ȧ P[n] d] ⇄ BP[n]] + Ȧ d

Ȧ[d] ⇄ [E o] ⇄ [Ȧ[o] d m̄ m̄] + [d P Ȧ] + [Ȧ d] P] ⇄ [PY d[N] - N] m ⇄ [m̄ P| Ȧ] d Ȧ] ⇄ [P Ȧ d] ⇄ BP[n]] ⇄ Ȧ d

⇄ [T m Ȧ] ⇄ [[c] d Ȧ o] ⇄ [Ȧ] ⇄ Ȧ[d p|] ⇄ Ȧ[d] ⇄ [[N̊ - Ȧ]] + ~~Ȧ[d m P] + [PY~~ [Ȧ[d] + Ȧ[N - m d

d Å] +] + [Ȧ d] ⇄ Ȧ[N m PY[N] d] ⇄ [[PY[N]] d O] d [PY o] d[N]] ⇄ [N̊ d m [PY[N][n] m ph] Å ⇄ [Ȧ d] ⇄

+ ~~Ȧd~~ [Ȧ[pl+d]] +[[P₀₁ d A]₍T₍₁₎m Ȧ₎ + [P-d Ȧ] + [m̄ d Ȧ] $\vec{+}$ [PY A d]] + [r₂₍ₙ₎] +[[BP A] ₍PYN₎ d̄] $\vec{+}$ [BP d Ȧ[o] m̄] d] c ȦQ]

[P₍₂₎ Ȧ-d] $\vec{+}$ [BP d $\vec{+}$ [Ad]₍ₙ₎ m] + [[Å₍ₙ₎ + O₍ₙ₎] $\vec{+}$ [Ad] $\vec{+}$ [ÅP₍₃₎ ₍PYN₎ d c · d] $\vec{+}$ [AP₍ₐ₎ $\vec{+}$ Ph₍N₎] d[PY-O]] + [Ad]] + [P₍P₎ Ȧd] +[Ad]

[Å-Ȧd] $\vec{+}$ [T₍₁₎ m Ȧd] $\vec{+}$ [Ame d] $\vec{+}$ [Ȧ[o] m] c ȦQ] $\vec{+}$ [Ph[o] d[N] m̄ PY/Ph P] c E₀] +[[A c -d]₍ₑ₎] $\vec{+}$ Ȧ[d] O₍Ph₎] + [Ph m̄ d] $\vec{+}$ [Ad]

[Ȧme₍ₙ₎] $\vec{+}$ [Ȧ[pl+d]] $\vec{+}$ Ȧ[d] $\vec{+}$ [BP] $\vec{+}$ [Ȧd] $\vec{+}$ [Ȧ[o] d Ao] $\vec{+}$ [[N̊] d ÅP d] +[Ad] $\vec{+}$ [Ȧ[o] m] $\vec{+}$ BP₍ₐ₎] + [ȦE d Ȧd - A] +[Ad] $\vec{+}$

Ȧd] $\vec{+}$ [[Ph d E_P] $\vec{+}$ [Ad] $\vec{+}$ [BP d Ȧ[o]] c Ā] $\vec{+}$ Ȧd] $\vec{+}$ [me] $\vec{+}$ [Ȧ[o] m d] $\vec{+}$ [Ph[o]] +[[Ph m̄ BP d] ₍T₎ d] $\vec{+}$ BP d m̄ō]] +[Ȧ[d] c

Ȧ[me]] ₍PYN₎ d [in] m d]] $\vec{+}$ [N̊ d Ȧ[PYN d]] c ȦQ] + Ȧ[d] [Ad [E m̄ Å[PYN d]] + [ȦE₍Ph₎₍N₎ d O₍ₙ₎] d Ȧ[d]] $\vec{+}$ [Ȧ[ō] m Ph d] +

[Ad[c[Ph[N] d] $\vec{+}$ [me] + [Ph₍N₎ d Å[P₍P₎] d[N] R c $\vec{+}$ [P₍ₙ₎]c [P₍ₐ₎] $\vec{+}$ d BP₍ₓ₎] c Q $\vec{+}$ [ÅP] c [Ȧme d] $\vec{+}$ [Ȧm[Ph N d] Ȧ[o]] $\vec{+}$

PhQ] + [A[P[N] d] $\vec{+}$ [Ȧd] $\vec{+}$ [Ȧ[o]] c Q] $\vec{+}$ [ÅP[N Ph d] c Q m d $\vec{+}$ BP] c Q₍ₙ₎] $\vec{+}$ [N̊ d ÅP] c A d] $\vec{+}$ [Ad₍ₙ₎] $\vec{+}$ [me Ad] $\vec{+}$ [Ph[N] d] $\vec{+}$ Ph

od] c Pho]$_{m\,d+c}$ $\vec{+}$ [Ph[o]] +[Ad $\overset{c}{\underset{Ph}{-}}$ A] $\vec{+}$ [[Ph[o]] m Ȧ[o] d]. Å c[PYN d Ph-P] BP] $\vec{+}$ [A $\overset{d}{-}$ A] + Ad $\vec{+}$ [Ad] $\vec{+}$ [Å [A-d] $\vec{+}$ [pl+d A] +

[Ȧd] $\vec{+}$ [[PY-N] d Q] $\vec{+}$ Ȧ[m̄ PY] c [Å[PY-O m Ph]] $\vec{+}$ Ad[PY-N d] + [Ȧd + pl d] $\vec{+}$ [Ad] + [m + me] Å] $\vec{+}$ Ȧd O₍ₓ₎ $\vec{+}$ [N̊ d c] +

[Ȧd] $\vec{+}$ N̊] + [[ÅP[N] d] + [Ad[PY-a] [m̄ PY/Ph] $\vec{+}$ [Ȧ[E] d]] + [Ȧ[P] d] $\vec{+}$ [Ad[c[ₙ]]] + [Ad] $\vec{+}$ [E₀] + [Ȧm $\overset{+}{e}$] + Ȧ[T me d]]

Ȧ[P-d] +[Ad] $\vec{+}$ [[PY-O]₍PY-N d₎] c Ȧa] [+] [Ȧd] $\vec{+}$ Å] +[Ad + Tm A[ₙ]] $\vec{+}$ [ÅP[d]] $\vec{+}$ [Ȧme] $\vec{+}$ [Ȧ[o] c Q] $\vec{+}$ [Ph[N] d O c Ȧa]]

[[ÅP[N]] c Ȧ[P d] $\vec{+}$ [BP]] + [Ad[Ȧ-BP] +[d r Ȧ]] +[ÅP c ȦP d] Ȧd[m̄ m̄ Ph (PY)] $\vec{+}$ [Ȧd] $\vec{+}$ [ÅP₍ₙ₎ d] $\vec{+}$ BP₍ₓ₎] + Ȧd[T-pl]

~~Ȧd +~~ Ȧ[d] $\vec{+}$ [E₀] $\vec{+}$ [Ȧ[o] d m̄ m̄] +[d r Ȧ] +[Ȧd] [P] $\vec{+}$ [PY $\underset{[N]}{d}$ - in] m $\vec{+}$ [m̄ pl A] d A] $\vec{+}$ [P Ȧd] $\vec{+}$ BP₍ₓ₎] $\vec{+}$ [Ad pl + T]

[Ȧa] $\vec{+}$ [T m Ȧ] $\vec{+}$ [[c] d Ȧa] $\vec{+}$ [Ȧ] $\vec{+}$ Ȧ[d pl] $\vec{+}$ Ȧ[d] $\vec{+}$ [[N̊-Ȧ]] + ~~Ȧ[d] m P] + [PY~~ [Ȧ[d] + Ȧ[in-m d[PYN d]]

[PY[N] d Å] +] + [Ȧd] $\vec{+}$ Ȧ[in me PY[N] d]] $\vec{+}$ [[PY₍N₎ d O] d [PY O] d[N]] $\vec{+}$ [N̊ d m [PY[N]₍ₐ₎ m Ph] Å $\vec{+}$ Ȧd] $\vec{+}$ [Ad m]

PY[N] d] $\vec{+}$ [Ad] pl] $\vec{+}$ Ȧd $\vec{+}$ [N̊ d ÅP] c $\vec{+}$ Å] + [Å Ȧ-d] $\vec{+}$ [PY N] d [in] m] $\vec{+}$ [Ad[m[N]] + [me Ȧ d [Ȧm pl d]]

m + c] c Å] $\vec{+}$ Ȧ[d]] + [me] + Ph[N] d O₍ₓ₎ $\vec{+}$ [Ȧ[d m̄ m̄ [m̄ pl] - A] + [Ȧd] $\vec{+}$ [E_P] + [Ȧd[me] $\vec{+}$ [N₀] m ÅE₍ₙ₎] $\vec{+}$ O

BP d Ȧ[o]] $\vec{+}$ [Ȧd pl $\vec{+}$ O] $\underset{[?]}{}$ A] Ph[N] d ÅBP[o] m] [Ad pl] + Ȧ[d] $\vec{+}$ [Ȧ[d me] $\vec{+}$ [Ph[N] $\vec{+}$ O $\vec{+}$ Ȧ [c-d]₍PY-Ph₎ $\vec{+}$ ÅBP

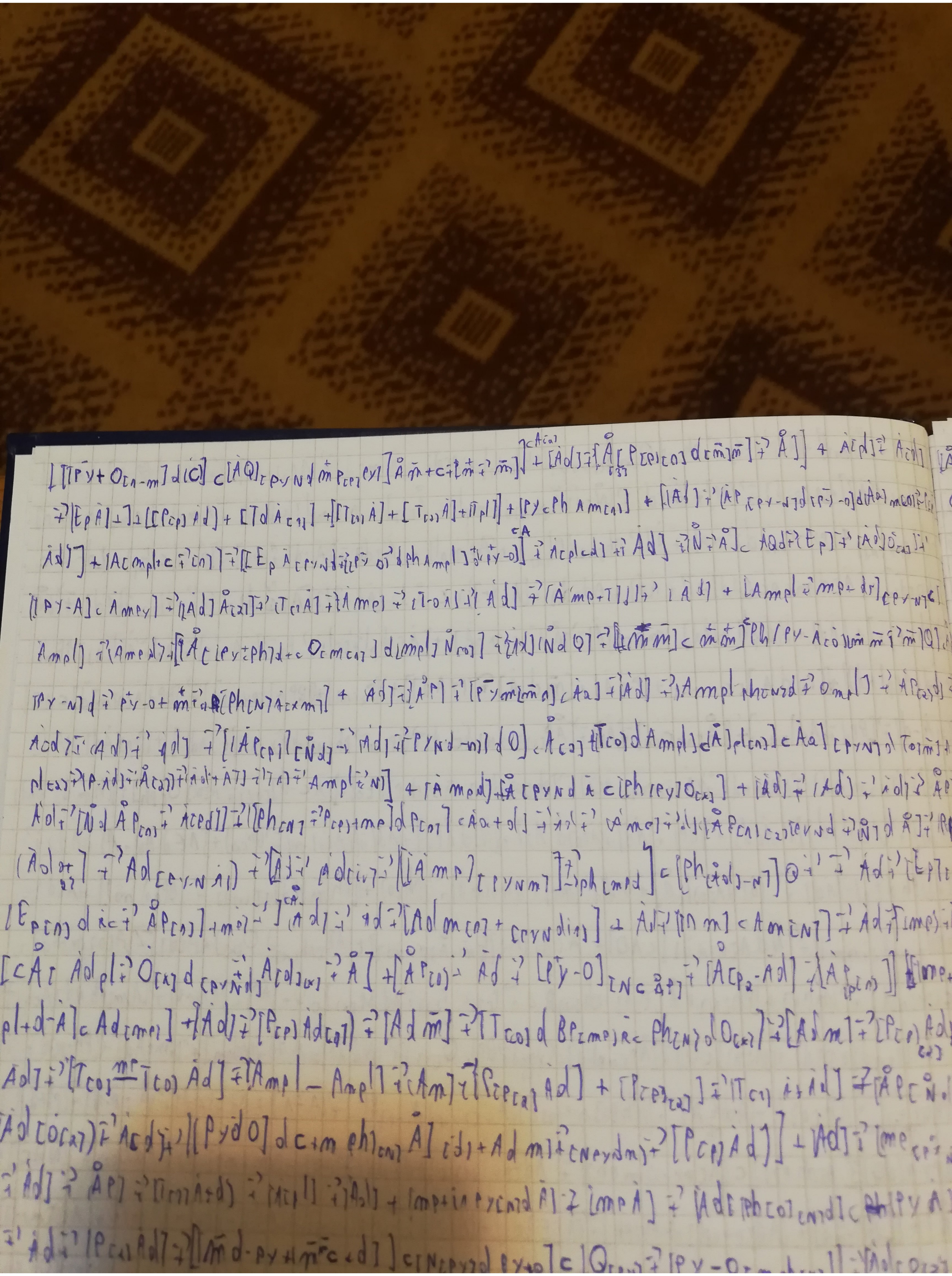
h-BP c Ph[N] d] $\vec{+}$ [Ad] $\vec{+}$ [Ad] $\vec{+}$ [m Ph d] $\vec{+}$ $_{c}$[PY d o] $\vec{+}$ E] + [m̄ Ph] d] $\vec{+}$ Ȧ[N̊] [] c [ÅE]] $\vec{+}$ [Ad[ò]₍₂₎] $\vec{+}$ [N̊[n-Ȧ]]

c [N̊Q] $\vec{+}$ [Ph[N] d ÅP] $\vec{+}$ Ad] + Ȧ[mP] $\vec{+}$ BP] + [Ȧ[ò] m d] $\vec{+}$ [Ȧ[ò] N]] d $\vec{+}$ Ȧa[Ȧ[ò] d]] [m̄ m̄ Ph/PY] c Ȧ

E_P] + [Ȧ] $\vec{+}$ [[Ad] + T₍₃₎] + [Ad] + [PY m Ȧ] + [Ȧd] $\vec{+}$ (Å] $\vec{+}$ [T₍ₙ₎ Ad] $\vec{+}$ PY[N] d Ȧ in] $\vec{+}$ [me d $\overset{+}{m}$] c Q + [$\overset{+}{P}$Y - O d] $\vec{+}$ PY A]

+ Am] $\vec{+}$ Ad $\vec{+}$ [me]₍ₓ₎ + [Ȧm d + pl] d $\vec{+}$ Å[d m̄ $\vec{+}$ b]₍ₓ₎] + Ȧ[m̄ PY] + [Ȧ[d] $\vec{+}$ Ȯ₍ₙ₎]] $\vec{+}$ ~~PY~~ [PY[N] d Å] d

d O c [d] $\vec{+}$ [x] d me] + [Ȧd [o]₍ₙ₎] $\vec{+}$ [PY_N d - O] m PY-d[N]] + [T - Om] c Q[T] d] + [Ad[PY[N] d [c]] + Ȧ[d



[Å[d ⃗‡ [N̊]] + pyc N] d [N̊] [ᴇ] ⃗‡ P[py c O ; P[A]] + [A mpl] [ph N d [pho]] ⃗‡ [Å [À py d pho]] + À C pl − d ⃗‡ Ȯ [x]) ph N d ⃗‡

O[x]] [p[Àd] ⃗‡ Ȯ[x] ⃗‡ Ȯ[x]] [ph [N d]] + [Ȯ[x]] c [[ph O[x] ⃗‡ Àd Ȯ[x]] ⃗‡ O[x]]] + [Àd] ⃗‡ [ph [o] c E p] [x] ⃗‡ [Àd] ⃗‡

À m p d] ⃗‡ [O [ph]] ⃗‡ [[Ad [T m À] d P[n] A] [py N] d [ph] [Am p l]] + Àd ⃗‡ [T [n] + À py − Q] + [py c + d A] ⃗‡ P[py] c [N] e h d ⃗‡ À p]

[À m̈ p] [py − o d ‡ m e [N]] ⃗‡ [ph [N] [N̊]] P[n] d Å[x]] ⃗‡ [À [pl − d] ⃗‡ À[d]] ⃗‡ [[N̊ d Å m A] d ⃗‡ N̊ [Å[a] [ph / py [N]] d m P[A[x]]]

[Å] c [n] [py [N]] d m Ā[a]]] ⃗‡ Å[3] ⃗‡ À[ᴇ d] ⃗‡ [py [N] d ph m Å + Q d ⃗‡ À m e] ⃗‡ [Àd] T[À]] ⃗‡ [[Å m e d Q[py] − → e d O]]

c Å[a] [py [N] ⃗‡ d]] + [À c d Ȯ [x]] ⃗‡ [Àd] ⃗‡ [[À [m e + pl + m]] c Q[d] ⃗‡ À [Å d [n] O[x]] ⃗‡ À[d] ⃗‡ [À [e d]] ⃗‡ [B e A]] ⃗‡] [ph [e]]

[N] d ⃗‡ [À B e d Å [d [a]] ⃗‡ P[n] O[x]] + [T m À d] − [À [m e]] ⃗‡ [O — O]] c Q [m − d] + Am + [Ad [py]]] ⃗‡ Àd] ⃗‡ [A[x] N̊ d]] ⃗‡ [Àd]

[A [m p l + c [p l]]] ⃗‡ [[py / ph] c N̊ [Å] ⃗‡ [P[À] + pl ⃗‡ [n] + R c pl [a] + T d] ⃗‡ [P[P]]] c Å ⃗‡ Àd [N̊ d [P[P]] Ȧ ⃗‡ [À N] d [À [ᴇ d]]

[Àd ⃗‡ O] ⃗‡ ~~Àd~~ [Àpl ⃗‡ c Àd] + [Ad — Ad] ⃗‡ [Àd] ⃗‡ O] ⃗‡ [py − O[n − m]] ⃗‡ À d ⃗‡ [P Àd] [n] ⃗‡ [n d À P[ᴇ]] ⃗‡ + [T − Àd]

+ [T[n] Àd] + [Ȯ + [A m p l ⃗‡ pl d] ⃗‡ À P + pl]] + [Àd] ⃗‡ [m e [x]] + [À m e + Ȯ d] ⃗‡ P[o] + py N d ⃗‡ [ᴇ]] ⃗‡ [À P[x]] + [À [d]] ⃗‡ [py N

m ph [n] d] − O[ᴇ d] ph A[x]] c Q[py] + [[py [N] d O m ph [d] [m e]] + [py − o d m e]]] ⃗‡ Àd] ⃗‡ À P d] ⃗‡ [py N] d O d

] [py N d ph [d]] m Å [N̊] d Q[m e d] + [Àd [T m] +] [n] d A] ⃗‡ [Àd] ⃗‡ [m A] py N d] ⃗‡ [py m ph] [n] d O] + n d

P À] ⃗‡ [P[P] N̊ d] ⃗‡ [Àd − O] ⃗‡ [Àd] ⃗‡ [m̄ + n À py A] ⃗‡ [Àd] ⃗‡ [py [N̊] d Å [d m e]) + [Ā m] [ph [n] d À pl] ⃗‡ À +

py [N] d] + [Àd] ⃗‡ Àd [a] ⃗‡ [N̊] c Q[N̊] d ⃗‡ À P[d N̊ [n]]] ⃗‡ [Àd ⃗‡ P[ᴇ] Àd ⃗‡ [T − O] d] [T − pl d] + [Ā [py d c py o]

[[Àd + m e] ⃗‡ Ph [N] d O] c Å [N̊] [py N d o] ⃗‡ [Àd → O] c [n − O]] + [Àd] ⃗‡ [ph [o] c A$\frac{[n]}{P}$ A[d]] ⃗‡ [A pl + d] ⃗‡ Àd ⃗‡ [Àd ⃗‡ Å] +

Å] [py − N] d ⃗‡ T[n] Ad + Ac ⃗‡ À[a] ⃗‡ Ȯ ⃗‡ Àd ⃗‡ [A d [m − n] [py − N d [n]]] + À [pl − A]] ⃗‡ [Àd] ⃗‡ [A [a]] ⃗‡ [Àd] + [A$\frac{c}{[n]}$A] [py / ph

⃗‡ Àa ⃗‡ P[P] ⃗‡ [n] ⃗‡ À O [ph − O[x]] ⃗‡ m e]] ⃗‡ [Àd] ⃗‡ [Àd] [n] ⃗‡ [Å [a] py N d ⃗‡ T[1] À[n]] d m e T]] c [[T[n] À + d] N̊] c [Q

Å[3] ⃗‡ [Àd [n]] ⃗‡ [Àd] ⃗‡ [A m [n] [d Å]] ⃗‡ [Àd] ⃗‡ [Àd [a]] ⃗‡ [[T[3] Àd] [n]] d ⃗‡ T[À] E] [N̊]] ⃗‡ [Àd + À [T[n]

] + [py − o] d [ph [n]] m P À d] + [Àd] ⃗‡ [N̊ [a] À [py / ph] m A [m] d [py [N]]] c Q[N̊] ⃗‡ [E P − À [py N] d pl ⃗‡ [illegible]

Ad + [A Ȧ]] d m[T] d ÷ Ȧ [c] d A] [T[A]] ÷ Ȧd ÷ N̊ d

py-o[x]] ÷ Ā ÷ (Ȧp-d] + ~~Ā~~ [Ȧd + T[A] md] ÷ [~~Ad ÷ [[~~ Ad + [A Ȧ]] d m[T] d

Ame d p[c]] + [~~Ȧ pd]~~[x] ÷ T] + [T[o] dc ÅP[n]m Tp| + R̄C ÷ P[x] m̄ [n]+p| ÷ T] ÷ Å c[O[n]] d[P[n] + Ap|] ÷ [T d n c P ÷ ÅP] c O

Å [Ȯ[d m p ÷ [P[p]] c Ȯ[x] dp|] + [O] d [N̊] d Åo d[2] ÷ Ȯ[x] [ṁp] [2] c[ÅP]] + [m̄ + Ȧd[py + nd m̄ - o] [Ȯ[n] d[m̄]] ÷

[Ad[T[2] Ȧ]d] + [ph[N] d Q[d pỹ - o]] c[O] ÷ [Ȧd] ÷ (A[P[d]] ÷ Ȧ [p d]] ÷] + Ȧ[d] ÷ [[AȮ] ph[n] ÷ Ȯ] c[py-n] d O ÷] [Ad] ÷

[[py/ph] N̊ m O[py[N]] d ÷ Ȯ ÷ [N̊] d Å[m ÷ p| ÷ ph[N] ÷ Ȯ[d ÷ [m̄ m̄] Ȯ] py[N]d ÷ c] ÷ [m̄ m̄] Ȯ] c [n] m̄ m̄ ÷ [N] ÷ P[P] ÷ N̊[x] m̄ d] +

Ȧd] + [P[P Ad] ÷ [T[1] Ȧd] ÷ [ph[N] d ÷ Ȯ] ph[x] + A[mp|] ÷ Ȯ]] c py[n] d ÷ [[c + d] A[m[A]] + [Ȧd ÷ O[x]] ÷ [Ȧ]

(Ȧd[T[3]] ÷ [[Ȧmp c ȦTme]] ÷ Ā[[pỹ - od[m + in]] ÷ [n]] ÷ (Ȧd], ÷ [Ȧme [py nd[in]]] c[Q̇[d]] ÷ [ph[N] ÷ [m] Ȧ[n]

cÅ[m Ȯ[N]] ÷ [Ȧd] ÷ [P Y[A] - O [m ph r py] ÷ n̊] + [Ȧ[d] ÷ [Ȯ[N] d] Ȯ[x] p| [py n d] ÷ Ȧ[d] p| ÷ Ȯ[x] p| ÷] +

[Ad] ÷ Ȧ[T[1]] d ÷ [Ȧ p|] d ÷] [[m p Ȧ [c py d] ÷ [ph[N] d Ȧ + in [n] d ÷ Ȯ[x] d Ȧ[o] m̄ [ph[o] c ph[N]] + P[P] m̄] d

Ȧd] ÷ Ȧme] ÷ [P[P] d py n d ÷ m[m] d + p|] (Ā] ÷ [Ȧd] [pỹ-o m ph + in] O c Q[n] ÷ ÅP[n̊ d ÷ Å[n] d[m]] ÷ [Ā-Ȧd]

Ȧ[p| - d[m̄ d ÷ [d r - d]] ÷ [[T - d[T d]] [x] + [[Ad[n - c[py]]] ÷ [Ȧd] ÷ [P[p] d m p Ȧ] c Q[m] [m Ā] ÷ [Ȧd] ÷ [ÅP[N̊ d [n]]

[py[N] d [ÅP[P A m] m ÷ N̊c] ÷ ÅP[A] [n] d ÷ N̊[2]]] +] + [[P Ȧd] + [A[d + c]] d [n̊][T[n] Ȯ] d p| [T]] py - N d]] + [Ȯ[N] m]] + [n̊] d

d[2] ÷ n̊ Ȧ[o]] c ÷ ph[n] O[x] [Ȯ[N] d[m] + py n d]] [[Ad] [Ȯ[N] ÷ [Ȯ[1] c Ȯ[2] + Ȯ[3]] + Ø [Ad] c [Ā - C] + [p| - Ā],

+ Ȧd ÷ [[m p Ȧ c Ȯ[x] ÷ Ȯ[x]] m d] ÷ [m p[x] Ā] [n]]] + Ȧd ÷ Ȧ[2] ÷ ph[o] ÷ Ad ÷ [E[n - d]] + [[Ȧ m p + Ad] ÷ [P

d m ph[N] d ÷ [n] Å[A[n]] [[N] P[P] d ÷ [Ȯ] p] Ȧ[n - d + c d[2]] ÷ P[P] [n]] d[pỹ-o]] c Q[m-d] ÷ pỹ - o d m[ph] [n] d ÷

ȯ[N] ÷ [Ȯ[n] m[n] ÷ O[2]] [m] ÷ Ȯ[3]] + [T[1] + Ad] ÷ [py/ph] [N] d ÷ A[Ȧ[m̊ p| ÷ Ȧ ÷ n]] d ÷ [[pỹ - o] d A] d

[O[N]] ÷ [Ȯ[1] c ÷ O[3]] [A[2]]] + [[py m̄ d] + [Ad] + [py m ph - o[Ȧ m p]] c Q[d] ÷ P[n]] + [[pỹ d - Ȯ] [py - Ȧ d [m]] c

[pỹ - od [n] m [Ȯ ÷ [n]] [x] d ÷ [n] + [[py[n]] d[2]] m̄ ÷ [n]] c [pỹ A] ÷ [m p - n] Ȧ[m̄ d] ÷ P[n]] + Ȧd[m d[2]] + [m̄ m̄ Ad] d A

÷ O[2]] + py[N] d Ȧ d ÷ Ȯ[x]] + [O[2]] c Ȧ[P[2]] - d] ÷ [Ad] ÷ [[n] A - c] ÷ Ad] ÷ [[n] ÷ [Ad] ÷ ÅP[n]] [N d [n]] +

[[Nd] Am ÷ [m̄ m̄] py n d m p]] ÷ [A[m p]] ÷ [[m p Ȧd [n[n]] ÷ Å] [Ȧ[d c m p[n] [n] ÷ [m Ā] [x]] + [Ad p| [Ȯ[N]] d O

d[m] ÷ O[2]] + m p]] + Ad[[c ph[o]] [N]d ÷ [Å]] ÷ Ad] ÷ Ad[x] ÷ [O[2]] c P[P] ÷ [py n d] d ÷ N d ÷ O]] + [P[n] Ad]

[[ph[o]] d ÷ [n]] c ph[m] A] ÷ [P[P] Ȧd [n] - py n d ✱ O[x]] + [ph[N] d m ÷ [O] [pyo - d [ph] P], O] [2]] m [O]

c [m d ph[o]] ÷ [O[n]] [illegible]

[Ȧd ÷ O[A - P[A] [n]]]

[P[x] c ph[N] d Amp|]

[Ad] ÷ [m p [x] Ā m

~~O[A d]] ÷ [A m~~

c Å] + [Å[py n d ÷

÷ [py [n]] d] ÷ [m

[Nd [n] - [d [n] Ȧ O

[[N] [c ph[N] + py[N]

[n̊ ÷ d] ÷ [O] [n]

Ȯ[x] [Ā ÷ O

P[P] ÷ ph

÷ ph[o] [

Ā] + [x]

d ÷ O[A]

[Q] Q[n]

d[2]

c Ā

[O d

[O -

+

A

[T

Am e d P[P]] + [A P d]₍ₙ₎ ... d[ʌ] + ... A[d] + [A[O] ph[n] + O [Py-0] d O →]A d] ;

Å [O[d] m e → [P[P]] c O[n] d p l] + [O] d [N̊] d Aᴐ d[ʌ] + ... c [Ȯ] → [A d] → [A [P d]] → A [P d] →] + A[d] → [A[O] ph [n] + O [Py-0] d O →] A d] ;

[A d[r] A]] + [Ph[n] d Q[d Pŷ-0]] c [O] → [Ȧ d] → [A [P d]] → A [P d]] →] ... c] → [m̄ m̄] Ȯ] E [ʌ] m̄ m̄ → [N] → P[P] → N̊ [x] m̄ d] ,

[Ad [r ʌ A]] + [Ph[n] d Q[d Pŷ-0]] c [O] → [Ȧ d] ... Ph[N] → O[→] m̄ m̄ O] P y d → c] → [m̄ m̄] Ȯ] E[ʌ] m̄ m̄ → [N] → P[P] → N̊[x] m̄ d] ,

[P y / Ph] Å m O[P y N] → O → [N̊] d Å [m̄ n d] → Ph[N] → O[d →] m̄ m̄ O] P y d [N] → c] → [m̄ m̄] Ȯ] E[ʌ] ... d → [[C + d] A[m [ʌ]] + [Ȧ d → O[2]] → (A)

A d] , [P[n] A d]] → [T[n] A d] → [Ph[N] d → O] Ph[ʌ] + A[m p d] → O]] c P y[n] d → [[C + d] A[m [ʌ]] + [Ȧ d → O[2]] → (A)

A d] , [P[n] A d]] → [T[n] A d] → [Ph[N] d → [O] Ph + A[m p d] → O]] c P y[ʌ] ... → (Ȧ d] , [Ȧ m e [P y N d [i n]] c [Q̇ [d]] → [Ph[n] → [m e] A[ʌ]

(A d [ʌ]] → [A m n c Ȧ [m e]] → Ā[[P ȳ - 0 d [m + i n]] → [ʌ]] → (Ȧ d] , [Ȧ m e [P y N d [i n]] c [Q̇ [d]] ...

(A d [ʌ]] → [A m n c Ȧ [m e l]] → Ā [P ȳ - 0 d [m + i n]] → [ʌ]] +] Ȧ [d] → [Ō [N]] d] Ȯ [x] p l [P y N d] ↔ Ȧ[d] p l → Ȯ [x] p l →] +

c Å [m Ȯ [N]] → [Ȧ d] → [P y [ʌ] - 0 [m p h / P y] → n̊]] +] Ȧ [d] → [Ō [N]] d] Ȯ [x] d Ȧ [O] m̄ [Ph [O] c Ph [n]] + P [P] m̄] ,

(A d] → A [T [n] d] → [ʌ c p l d →] [i m e Ȧ [P y d] → [Ph [N] d Ā i n [ʌ] d → Ȯ [x] d Ȧ [O] m̄ [Ph [O] c Ph[n]] + P[P] m̄] ,

(A d] → A [T [n] d] → [ʌ c p l d →]] [Ȧ] → [Ȧ d] ↓ [P ŷ - 0 m p h r i n] O c Q[m] → Å P [n̊ d → Å [D] d[m]] → [A - Å P d] ,

A d] , A m e] → [P[P] d P y N d → m Q [m] d + p l] c [Ā] → [Ȧ d] ↓ [P ŷ - 0 m p h r i n] O c Q [m] [m Ā] → [Ȧ d] → [Å P [N̊ d [ʌ]]]

ʌ [p l - d [m̄ d → [d r - d]] → [T - d [T d] [ʌ]] + [[A d [n - c [P y]]] → A [d] → [P[P] d m p Ȧ] c Q [m] [m Ā] → [Ȧ d] → [Å P [N̊ d [ʌ]]]

ʌ [p l - d [m̄ d → [d r - d]] → [T - d [T d] [ʌ]] + [[A d [n - c [P y]]] +] + [[P A d] + [A [d + c]] d [n̊] [C T [n] Ȯ] d p l [T]] P y - N d] + [Ō [N] m] + [n̊] d p

[P y [N] d [Å P [P] m̄ m → N̊ c] → Å P [2] [n] d → N̊ [2]] +] + [[P A d] + [A [d + c]] d [n̊] [C T [n] Ȯ] d p l [T]] P y - N d] + [Ō [N] m] + [n̊] d p

[P y [N] d [Å P [P] m̄ m → N̊ c] → Å P [2] [n] d → N̊ [2]] +] + ... [[Ȧ d] [Ō [N]] → [Ȯ [1] c Ȯ [2] + Ȯ [3]] + Ø [Ȧ d] c [Ȧ - C] + [p l - Ȧ]] ,

d[ʌ] → n̊ A [Ȯ]] c → Ph [n] O [x] [Ō [N] d [m e] + P y N d] [[Ȧ d] [Ō [N]] → [Ȯ [1] c Ȯ [2] + Ȯ [3]] + Ø [Ȧ d] c [Ȧ - C] + [p l - Ȧ]] ,

d[ʌ] → n̊ A [Ȯ]] c → Ph [n] O[x] [Ō [N] d [m e] + P y N d]] + Ȧ d → Ȧ [2] → Ph [O] → Ȧ d → [E [n - d]] + [[Ȧ m p + Ȧ d] → [P̊

+ Ȧ d → [[m e Ȧ [Ȯ [x] → Ȯ [x]] m d] → [m p [x] Ȧ] [ʌ]] + Ȧ d → Ȧ [2] → Ph [O] → Ȧ d → [E [n - d]] + [[Ȧ m p + Ȧ d] → [P̊

+ Ȧ d → [[m e Ȧ [Ȯ [x] → Ȯ [x]] m d] → [m p [x] Ȧ] [ʌ]] ... d [P ŷ - 0]] c Q [m - d] → P ȳ - 0 d m [Ph] [n] d →

d m Ph [N] d → [ʌ] Å [d] A [ʌ]] [N] P [P] d → [O] c P] Ȧ [n - d + c r d [2]] → P [P] [n]] d [P ŷ - 0]] c Q [m - d] → P ȳ - 0 d m [Ph] [n] d →

Ȯ [N] → [Ȯ [n] m [ʌ] → Ȯ [2]] [m] → Ȯ [3]] + [T [1] + Ȧ d] → [P y / Ph] [N] d → A [Ȧ [m̄ d → Å → n]] d → [[P ŷ - 0] d A] d

(Ȯ [N]] → [Ȯ [1] c → Ȯ [2] [ʌ [2]]] + [[P y m̄ d] + [Ȧ d] + [P y m p h [N] - 0 [Ȧ m p]] c Q [d] → P [n]] + [[P ȳ d - Ȯ] [P y - A d [i m]] c

[P ȳ - 0 d [n] m [Ȯ] → [n] [ʌ] d → [n] + [[P y [n] d [2]] m̄ → [n]] c [P ȳ A] → [m p - x] Ȧ [m̄ d] → P [ʌ]] + Ȧ d [m d [2]] + [m̄ m̄ Ȧ d] p [A

→ Ȯ [2]] + P y [N] d ʌ d → Ȯ [x]] + [Ȯ [2]] c Ȧ [P [2] - d] → [Ȧ d] → [n] Ȧ - c] → Ȧ d] → [[n] → [Ȧ d] → Å P [n]] [N d [n]] +

[[N d] A m → [m̄ m̄] [P y N d m p]] → [Ȧ [m p]] → [[m e Ȧ d [n] [x]] → Å] [Å [d [m e [x] (n] → [m Ȧ] [x]] + [Ȧ d p l [Ō [N]] d Ȯ d

d [m] → Ȯ [2] + [m e]] + Ȧ d [[Ȯ c Ph [O]] [N] d → [Å]] → Ȧ d] → Ȧ d [2] → [Ȯ [2] c P [P] → [P y N d p l → N d → Ȯ]] + [P [P] Ȧ d] +

[[Ph [O] N d → [n]] c Ph [m] A] → [P [P] Ȧ d [n] - [P y N] d Ȯ [x]] + [Ph [N] d m → [Ȯ] [P y n - d [Ph] [B P] [Ȯ] [2] m [Ȯ] [n]

c [m d Ph [O]] → [Ȯ] [x]] + [p l Ȧ + Ȧ d] → Ȯ [4]] + [Ȯ [1] → Ph [O] [x]] + [[m e c Ȯ [x] d p l] + [Ȧ d] → E [n - Ph] - 0] +

[[Ȧ d] → ~~[P Ȧ - d]~~ [[P [2] Ȧ] + Ȧ d [n]] → [Ȧ [O] c Ȯ [1]] → Ȧ d T [n] + d [ʌ]] + [Ȧ m p t + c] → [Ȧ [p [+ d n] + d] → [P - Ȧ d] + [Ȧ d - Ȯ [2]]

→ [Ȧ d → P + d [ʌ]] → [Ȧ [Ȯ] c Ȯ] + [Ȧ m p l + c] → [Ȧ d] → [Ȧ [O] c Ȯ [1]] + [Ȧ d p l + Ȧ p l] → [Ȧ d] → [E [Ȧ [Ph [N] d [1]]

c Å] + [n] m P y - 0 [m̄ m̄ p l → Å] + [Ȧ d [n] [Ȧ p l c Ȧ d] → Ȧ [d] [2]] → Ȧ [m e] [± [Ȯ [Ȯ - N] d [Ȯ [x] + Ȯ [2]] [ʌ]] + T p l Ȧ [d] → Ȯ [x]

[d [Ȧ d] → Ȯ [x]] c → [[Ȯ c [Ph [N]] d m̄ → m e] → Ph [O] + Ph [m] [x]] [ʌ] d [Ph [Ȧ]] c P y - d [n] m̄ [d] → [n] + [P [P]] Ph [n]] + [Ȯ [2]] d [c] → ~~N d →~~

~~P y~~ → [[N [m Ȧ]] m → ʌ [x] → [m e] d [Ȧ p l] → P [P] → N] c Ȯ [2]] c [Ȧ - d] → [Ȧ P [n]]] c Ā P + Ȯ [2] [ʌ]] +] + [P y [N]] d → Ȧ P [ʌ]

d →] → [Ȯ [n] d → p l → [m p] d → m̄ Ȧ P → p l → [m e]] c [Q̇ [d]] → Ȧ P [2] d → [P [P] [n]] d → P [2] [ʌ] [Ȯ] m d → m p l [Ȯ] → P [ʌ]]

Ȧ Ō] + (m ...

Ȯ [Ȧ d] → [A

c Å] + [Å [P y

→ [P y [ʌ]] [d]

[N d [n] - P d

[N] [Ph [N] +

[n̊ → d] → [Ȯ],

Ȯ [x] Ȧ →

P [P] [ʌ] → P

→ Ph [O]

Ȧ] + [

d → Ȯ

Q

d

c Å

[Ȯ

[Ȯ -

+

Ȧ

[T

Ȧ

[Ȧ[d →+ Ȯ[Ȧ-P~~[p]~~[x]]] [Ȧd →+ Ȯ[Ȧ-P[x]] +[[P[x] + Ȧ[me]] c[Ȧ[a]] +[[mė[m-d]] c Q]]^cÅ →+ [Py-d[n]]^+Å →+ [Ȧd] + [P[x]][n]d

[P[x][ph[N]] d Ampl] + Å[Py-N d][ph] d[py][n] [d+c]] d [Py-d[n]] Ȧ] +[[Py-d[n]] c [Ȧ[me] →+ d pl]] [ph[N]] d Å]

[Ȧd] →+ [me[x]] Å[m ph[N] d]] →+ [O[ph Q]] d] +[Am pl →+ [Ȧd + Ȧp] + d[n]] →+ [Ȧd] →+ [Aph[n]] O[x]] c Å] + ~~Ȯ[Ȧ-p] c Ȧd~~] +

~~Ȯ[Ȧd]] →+ [Ȧ-m Ȯ[Ȧ-me~~ d →+]] [Ȧ-pl c Ȧd] + [Ȧd] →+ [Ȧmp^[d] →+ Ȯ[a]] [[Py-N]] d →+ [Ȯ]]] + ~~Ȧ[BP A~~ [ph[n]]^d O]] c[Py m]

c Å] + [Å[Py N d] →+ [Ȧ[[Py-d] →+ [A[Ȯ[a]]]]]]] ~~+~~[[N d →+ P[p] →+ me] ph[n] + [Ȯ[Py[n]] d →+ pl] →+ P →+ [ph[n]]] c[Ȯ] + [Ȧ[m̄ d

→+ [Py[n]] d] →+ [m̄ →+ pl] →+ [me][N]] c Å[x] →+ [Ȧ-[Å[x]][Ȯ]-d] →+ [Ȧd[a]] →+ [mp-Ȧd →+ Ȧ[x]] →+ [Ȧd]^+c →+ [n]] ~~+~~Å [[Ȯ]d Ap d] →+

[Nd[n]-[d[a]] ȦQ][d →+ me]] →+ [Ȧp] + [ph[N] d Ap[a]] c Ȧa →+ me Ȧd →+ E[p[x]] + [pl Ȧ-d] + [Ȧd] [[n] ~~ma~~ →+ me →+] →+ [Ȧd]

~~[N~~][[ph[N] + Py[N]] d] →+ Å[Ȯ[x] p] →+ A[n]] →+^c [Å[n]] →+ [me m d[n]] [[a] N d pl →+ [mp]] + [Ȧd] →+ [Å[O][i]]] →+ [Ȧd + d] →+ Ȧd]

[Å →+ d] →+ [Ȯ][n]] + [PH/Py[N]] d →+ [O] d - ȦQ[d] →+ [ph[Ȯ] + ph[me][x]] c Ȯ[a] ~~+~~[Py N d m̄ m̄ d →+ O[a]]^Ȧ + c →+ Ȯ[x]] + ~~[p~~l - d Ȧ →+

Ȯ[x]] [A →+ Ȯ[n]] →+[x] Ȯ[~~x~~] ~~+ [Ȧd] →+~~] + [pl-d A →+ Ȯ[x]] →+ [ȦȮ[a] →+ Ȯ[n]] + [Ȧd] →+ [[Ȯ[n] →+ [N][n]] d Ȧ →+ [ph[N] d →+

P[p]] →+[n] ph[E[d →+ c] →+ [Py[N]] m]] + [Ȯ[n] d →+ [[Py/ph] Ȧ[n]] [d] →+ P[p]] c Å[d →+ [m] →+[x] ph/Py] c O[ph[N]] d Å[d]

→+ ph[o]] [m[BP] + Ȧ[o]]][x] [Ȧpl[o] →+ BP] d [m[BP]][x] + [m A[x] d[me]] d →+ Å[x] d[a] →+ [n] →+ [[m̄ →+ Ȯ d Ȧ] + [m̄ →+ Ȯd[a]

Ȧ]] + [x] N d Ȧ →+ Ȯ[x]]] +[[Ȧd →+ m[d →+ pl-dȦ] [d →+ Ȯ[x]]] →+ [T[a] Ȧ + Ȧd] →+ [Am[n] →+ Ȧpl + T[a]Ȧ] →+ [Ȧd] +

pl] →+ ~~Ȯ[x]~~ [ȦE[n]] + [Ȧd + mp + Py[N] d m̄m̄ d] →+ [me] →+ d[a] [Ȯ[n]] - Ȧ[d] →+] + [Ȧd - T, Ȧ] ~~+~~[[Ȧmp]] →+ [T Ȧd][T-o] c

~~Q~~ Q[n] →+ [[m̄ d →+ Py + Ȯ[1]] + Ȯ[2] d →+ Ȯ[3] [Py-N] d [i Ȧ]] →+ [Ȧ me] →+ [Py d -[Q d →+ mp] →+ Ȧ[N] d pl →+ Ȯ[n]

~~5~~+ d[a] →+ p̄l →+ mp →+ P[p] →+ [n][x]] →+ [Ȧd pl] →+ Ȯ[n] →+ [ȦE[x] Py N d pl Ȯ[n][x] →+] + [P[p]-Py[n] [d] m ph[n] →+[o] Ȯ[x]

c Å] + [P[p]-[Py/ph][n] d[m] →+ [N] d[a] ~~→+ [ph/Py][n] d[3]~~ →+ Ȯ[x]] c Å] + [Ȧ P[n]-d] →+ [AP[n] ph[a] d] + [Ȧd - T Ȧ

[Ȯ[d →+ ȦP - [n]] + [Ȧd →+ Py-O[d →+ A[n]] [d[a]] P̄y-O →+ Ȯ[x]]][Py[N]] Ȧ[d →+ P]] →+ Ȧd →+ [P[n] T d Ap[a]]] a Ȧd →+ [A]

[O - Ȯ[n][m]] c[Ȧd →+ Ȧmp-a] →+ Ȧd] + [Ȧd[a]] →+ [[n] d E[Ȧ →+ a] →+ P[n]]] + P[p] d [QȦ[d]] →+ [A+[Ȧm̄] [d]

[Ad] ⃗ [Ame[x] A (m phen d)] + [O[ph Q]] d] + [Am pl ⃗ [Ad, Ap] + dn] ⃗ [Ad] + [A Ph[n] O[x]] c A] + ~~O~~[A ⃗ Am] +

O[Ad] ⃗ ~~[A-m~~ Ȯ[A-me d ⃗]] [A - pl c Ad] + [Ad] ⃗ [Amp ⃗ Ȯ[a] [[py-N]] ⃗ [Ȯ]] + ~~A[BP A~~ [Ph[n] O]] c[py m]

c Å] + [Å[py N d ⃗ [Å[py-d] ⃗ [A [Ȯ[a]]]]]] [[N d ⃗ P[p] ⃗ me] ph[n] + [Ȯ[py[n]] d ⃗ pl] ⃗ [[ph[n]]] c[Ȯ] + [A[m̄ d

⃗ [py[n]] d] ⃗ [m̄ ⃗ pl] ⃗ [me][N]] c Å ⃗ [A - Å[Ȯ] - d] ⃗ [Ad[a]] ⃗ [mp - Ad ⃗ Å[x]] ⃗ [Ad] ⃗ [n]] Å [Ȯ] d AP d] ⃗

[Nd[n] - d [Ȧ Q] [d ⃗ me]] ⃗ [AP] + [Ph[N] d AP[a]] c A ⃗ me Ad ⃗ E[p[x]] + [pl Ȧ - d] + [Ȧd] + [n] ⃗ me ⃗ [Ad]

[N] [ph[N] + Py[N] d] ⃗ Ā [Ȯ[x] pl ⃗ Ā[n]] ⃗ [Å[n]] ⃗ [me md] [a N d pl ⃗ me]] + [Ad] ⃗ [Å[Ȯ]] ⃗ [Ad ⃗ d] ⃗ A

[Å ⃗ d] ⃗ [Ȯ][n]] + [PH/[P/N]] d ⃗ [O] d - Ȧ a d ⃗ [ph[Ȯ] + ph[me][x]] c Ȯ[a] [py N d m̄ m̄ d ⃗ Ȯ[a] ⃗ C ⃗ Ȯ[x]] + [pl - d A ⃗

Ȯ[x] [A ⃗ Ȯ[n]] ⃗ Ȯ[x] ~~+ [Ad] ⃗~~] + [pl - d A ⃗ Ȯ[x] ⃗ [A Ȯ[n] ⃗ Ȯ[n]] + [Ad] ⃗ [[O[n] ⃗ [N]][n] d Å ⃗ [Ph[N] d ⃗

P[p] ⃗ ph[E [d ⃗ e] ⃗ [Py[N]] m]] + [Ȯ[n] d ⃗ [[Py/ph] Ȧ[n] [d] ⃗ P[p]] c Å [d ⃗ [m] ⃗ ph / Py] c O [ph[n] d Å[d]

⃗ Ph[Ȯ] [m[BP] + Ȧ[Ȯ]][x] [Ȧ pl[Ȯ] ⃗ BP] d [m[BP]][x] + [m A[x] d [me]] d ⃗ Å[x] d[x] ⃗ [n] ⃗ [[m̄ ⃗ O d Ā] + [m̄ ⃗ Q d

Ā]] + [x] N d Ȧ ⃗ Ȯ[x]]] + [[Ȧd ⃗ m] d ⃗ pl - d A] [d ⃗ Ȯ[x]]] ⃗ [T[a] A + Ad] ⃗ [A m[n] ⃗ Ȧ pl + T[a] A] ⃗ [Ad + A

pl ⃗ ~~O[n]~~ [ȦE[n]] + [Ȧ d + mp + Py[N] d m̄ m̄ d] ⃗ me] ⃗ d[x] [Ȯ[n]] - Ȧ[d] ⃗] + [Ȧd + T[a] A] + [[Ȧ mp]] ⃗ [T Ȧ d][T-O][n]

[Q] Q[n] ⃗ [[m̄ d ⃗ Py + Ȯ[n]] + Ȯ[a] d ⃗ O[3] [Py - N] d [n A]] ⃗ [A me] ⃗ [Py d - [Q d ⃗ mp] ⃗ A [N] d pl ⃗ Ȯ[n]][x]

d[x]] ⃗ pl ⃗ mp ⃗ P[p] ⃗ [n][x]] ⃗ [Ad pl] ⃗ Ȯ[n] ⃗ [ȦE[x] Py N d pl Ȯ[n][x]] + [P[p] - Py[n] d] m Ph[n] ⃗ Ȯ[x]]

c Å] + [P[p] - [Py/ph][n] d [m] ⃗ [N] d[a] ~~⃗ [ph / Py][n] [3]~~ ⃗ Ȯ[x]] c Å] + [Ȧ P[n] - d] ⃗ [AP[n] ph[n] d] ⃗ [Ȧ d + T Ȧ] ⃗

[Ȯ[d ⃗ ȦP - [n]] + [Ȧd ⃗ Py - O[d ⃗ Ȧ[n] [d[x]] Py - O] ⃗ Ȯ[x]] [Py[N]] Ȧ[d ⃗ P]] ⃗ Ad [P[n] T d AP[n]] Ȧ d [A] +

[Ȯ - Ȯ[n] m] c [Ȧ d ⃗ Ȧme - x] ⃗ Ȧd + [Ȧd[a]] ⃗ [[n] d E [Ȧ ⃗ n] ⃗ [P[n]]] + P[p] n d [Q Ȧ[d]] ⃗ [P + [Ȧ m̄] [ph N] d m̄ A[Ȯ] d O]

+ Ȧ[m̄ ⃗ Ȯ[Ȯ[N]] Å ⃗ [Ȯ[c ⃗ Ȯ[a] / Ȯ[3]] Py[N] d Ȯ[a]] ⃗ [d] ⃗ m̄] + [Ȧe] d ⃗ Ȯ][n]]) m̄ d] c Py d ph[m̄] ⃗

Ȧ mp] ⃗ [m̄] ⃗ Ȯ]] ⃗ [Ȧd ⃗ Ȯ[x]] + [Ampl + [Ȧ[Ȯ] [N̊ d ⃗ [mp]]] c Q[m A] d] ⃗ Ȧd [mp] ⃗ Ph[Ȯ]] [Py - Nd

[T[Ȯ]][n] d ⃗ m — m] ⃗ Ȯ] + [Ȧ - p d] ⃗ [[T[a] A + [Py N d ⃗ mp m] + Ȧd] ⃗ [m̄ ⃗ [Py - O] [ph[N] d m̄ m̄ m̄ ~~d~~ ⃗ Ȯ] [Py - N]

~~Ȧ[m̄ m̄ m̄ ⃗ Ȯ[d ⃗ Py[N]]~~ [Ȧ[m̄ m̄ ⃗ Ȯ[d ⃗ Py[N]] c[A[m] [Py d]] ⃗ [Ȧ[P - d] + [Ȧd] ⃗ Å [Ȧ[me] d ⃗ Py N

d ⃗ [ph/Py][N] d ⃗ [Ȧ [d ⃗ Py - Ȯ] + [Ȧ [n - Py]] [[Ȯ[N] Ȧ - c Ȯ[n] ⃗ Ȯ[x]] + [Ȧm] + [[~~ph[n]~~ [ph[n] d m Ȯ[n]

[d] ⃗ [c] ⃗ Ȯ[x][x] ⃗ Ȯ[x][a]] [[N] d O m]] + Ȧ[Ȯ - d] c ⃗ [Ȧ[mp] - x] + [[n] d Ampl [d m ⃗ N]] + [Ȧ - pl d c A] + [Ȧ - pl +

mp d ⃗ Ȧ [Ȯ][x] ⃗ d] + [[Ȧ - me [d] ⃗ pl [Ȯ] ⃗ Ȧ ⃗ [Ȯ[x a]]] + [Ȧd] ⃗ [mp Ȧ ⃗ Ȯ[x] d pl] + [Ȧd] + [Ad[n]] ⃗ Ep[

ph[N] d Ȯ] ⃗ ~~Ȧ - d~~ [Ad - pl] ⃗ Ȧd + [mp Ȧd ⃗ [n] d] ⃗ [Ȯ] c ⃗ [ph[N] d E[Ȯ]]) + [[pl - Ȧ - me] d ⃗ pl - Ȧ - me

[a] d ⃗ me - Ȧ ⃗ Ȯ[1] + Ȯ[a] [Ȯ[N] ⃗ Ȧ[Ȯ[n]]] c Å[d ⃗ Ȧ[me] d[a] ⃗ Ph[N] d [O] + [[Ampl] [Py[m]] ⃗ Ph] c

[Py[N] d ⃗ [P[x]] [c ⃗ Ȯ[x]] [n]] c [Py d m[n] A] ⃗ [N d Ȧ a d ⃗ [Ȯ[n] ⃗ Ȯ[x]]]] ⃗ d n ⃗ - O] + [ȦP + Ȧ d [n]] ⃗ [ȦP[a] [Ȧ ⃗ n - d ⃗ AP]]

[Ph[0] [Nd] $\overset{\rightarrow}{+}$ [d $\overset{\rightarrow}{+}$ me]] + [Ph[n]][n] d.

[x] + Ad $\overset{\rightarrow}{+}$ Ȯ[n]] + Å $\overset{\rightarrow}{+}$ [Ȧd] $\overset{\rightarrow}{+}$ [Nd Ph[0] + A[0] Ȧ m] c [Ȧ[ȯ] - Ȧ[Q]] + [Ad] $\overset{\rightarrow}{+}$ [Ȧd[2]] + [Ph[0] [Nd] $\overset{\rightarrow}{+}$ [d $\overset{\rightarrow}{+}$ me]] + [Ph[n]][n] d.

O[d] $\overset{\rightarrow}{+}$ [N] $\overset{\rightarrow}{+}$ me] c [E + Ȧd] $\overset{\rightarrow}{+}$ [[∩] $\overset{\rightarrow}{+}$ Ȯ[x]] [Ph[N] d $\overset{\rightarrow}{+}$ Ȯ[x]] c Å[2]] + [Ȯ[N] Ȧ $\overset{\rightarrow}{+}$ [Å $\overset{\rightarrow}{+}$ [Ȧ - c] $\overset{\rightarrow}{+}$ Å[2]]] + [Ȧ - p] + [Ampl] +

[[p] - Ȧ] $\overset{\rightarrow}{+}$ ~~pl~~ - Ȧ pl - d Ȧ[2]]] c ~~Ad~~ [∩] d $\overset{\rightarrow}{+}$ [Ampl[2]] c Ȯ[1] + Ȯ[2] + [T[n] d $\overset{\rightarrow}{+}$ Ȯ[2]] $\overset{\rightarrow}{+}$ [Ampl] $\overset{\rightarrow}{+}$ [Ȧd] $\overset{\rightarrow}{+}$ Ȧ[0]] $\overset{\rightarrow}{+}$ E

Ph[N] d 0] + ~~[Ad $\overset{\rightarrow}{+}$ Tpl + [Ȧp + d [$\overset{\rightarrow}{+}$ Ad] $\overset{\rightarrow}{+}$ Å]~~ [Ad] $\overset{\rightarrow}{+}$ Tpl] c Å + [Ȧp + d] + Ad] $\overset{\rightarrow}{+}$ Å + Tpl [ȯ] [n] d $\overset{\rightarrow}{+}$ Ampl

$\overset{\rightarrow}{+}$ [Ad] $\overset{\rightarrow}{+}$ d + Ȧ,] $\overset{\rightarrow}{+}$ [Nd Ph[0] c E] [∩] + [Ȧ - pd] + [Ad / py A]] + [Ad A] + [[Ȧ - pl [ȯ] - d] + [Ȧd - pl - [ȯ][2]] +

[pẏ - o d Ȧ[d]] $\overset{\rightarrow}{+}$ [T[N] o] $\overset{\rightarrow}{+}$ Ȯ[3] d Ȧ[T - mp] c Ȯ[2] + dp] $\overset{\rightarrow}{+}$ Ȯ[1]] + [Ȧ - pd] $\overset{\rightarrow}{+}$ [Td - Ȧ - d] $\overset{\rightarrow}{+}$ Ampl $\overset{\rightarrow}{+}$ [Ȯ[2]] c $\overset{\rightarrow}{+}$

~~[Ad]~~ [P][T[1] Ȧd] + [SYN] d P c $\overset{\rightarrow}{+}$ [Ȯ][1]] + [T - 0] dpl $\overset{\rightarrow}{+}$ [Ȯ[1] - Ȯ[2]] c Ȯ[3] + T - d $\overset{\rightarrow}{+}$ Ȯ[1] c $\overset{\rightarrow}{+}$ [Ȧ - pd $\overset{\rightarrow}{+}$ A[mpl] $\overset{\rightarrow}{+}$ O

c $\overset{\rightarrow}{+}$ [Ȧd $\overset{\rightarrow}{+}$ Ampl]] $\overset{\rightarrow}{+}$ [Ph[n] d Ȧpd, Ȧa] c [Ȧ bp Ȧa] c Ȧ[0] $\overset{\rightarrow}{+}$ [Nd Ȯ[$\overset{\rightarrow}{+}$ P[p]] d $\overset{\rightarrow}{+}$ Nd Ȧa]]] + [[T[0] dpl [ȯ] $\overset{\rightarrow}{+}$ me $\overset{\rightarrow}{+}$ Ȯ[n]

[d] $\overset{\rightarrow}{+}$ [Ȧ - pd $\overset{\rightarrow}{+}$ BP - A[T[1] 2]]] $\overset{\rightarrow}{+}$ ~~A~~ [[Ȧ - p[2] d] [PYN d Ȧa[BP] d $\overset{\rightarrow}{+}$ pẏ - 0]] + [Ȧpd] $\overset{\rightarrow}{+}$ [Ȧ m̄ $\overset{\rightarrow}{+}$ [∩]] $\overset{\rightarrow}{+}$ [Ame m̄ $\overset{\rightarrow}{+}$ O[x]] c

$\overset{\rightarrow}{+}$ [BPA] $\overset{\rightarrow}{+}$ [Ȧd] $\overset{\rightarrow}{+}$ B[x]] $\overset{\rightarrow}{+}$ [Ȧd $\overset{\rightarrow}{+}$ Ȧp] $\overset{\rightarrow}{+}$ d $\overset{\rightarrow}{+}$ O[x] [P[2]] + [Ȧd $\overset{\rightarrow}{+}$ c[n] $\overset{\rightarrow}{+}$ BP] + [Ȧ, (+ [Ȧd [n] - ph] + (Ȧ - pd) $\overset{\rightarrow}{+}$ [Ampl

[[N] d Ȧa c d $\overset{\rightarrow}{+}$ Ȯ[x] m pyph ~~A~~ d A[x]] + [] d $\overset{\rightarrow}{+}$ [Ȧ - c] Ȧ][n] $\overset{\rightarrow}{+}$ [P[p] Ȧ - d] $\overset{\rightarrow}{+}$ [ȦP[n - 1]]] + [Ad] $\overset{\rightarrow}{+}$ c[T[n] Ȧ]] + [O[A -

pl] $\overset{\rightarrow}{+}$ [Ȧd] $\overset{\rightarrow}{+}$ [Amp] $\overset{\rightarrow}{+}$ [Å [Ȧ $\overset{\rightarrow}{+}$ (m) $\overset{\rightarrow}{+}$ Ȯ[x]]] [[P Y - N d T Ȧ] + T[0] d]] + [Ȧ - pl - d] + [p] $\overset{\rightarrow}{+}$ Ȯ d Ȧ] $\overset{\rightarrow}{+}$ [Ȯ[1]] c $\overset{\rightarrow}{+}$ d] Ȧ] $\overset{\rightarrow}{+}$ Ȧd

([Ȯ][2]] c $\overset{\rightarrow}{+}$ [Ȧd $\overset{\rightarrow}{+}$ [Ph[N] d Ph[0] Å $\overset{\rightarrow}{+}$ d - pl]] $\overset{\rightarrow}{+}$ [Ȧ - d $\overset{\rightarrow}{+}$ Ȯ[x]] c $\overset{\rightarrow}{+}$ [Ȧ[ȯ] Ȧ - d]] $\overset{\rightarrow}{+}$ [BP] [[Ph[N] d $\overset{\rightarrow}{+}$ E[0]]]] c $\overset{\rightarrow}{+}$ d + [[AP + AP[2]] +

[Amp - d]] $\overset{\rightarrow}{+}$ [ȦP[3] + Ad] + [Ph[n] d $\overset{\rightarrow}{+}$ Ph[Q]] $\overset{\rightarrow}{+}$ d $\overset{\rightarrow}{+}$ BP] c [Å[2]] + [Ȧ[mp - d]] $\overset{\rightarrow}{+}$ [O[x]] c $\overset{\rightarrow}{+}$ Amp[2]]]] $\overset{\rightarrow}{+}$ Ph[N] d O[d[n]

m̄ + T[1] Ȧd] c Ad [m̄ $\overset{\rightarrow}{+}$ Ph[n] d O[x]] + [Ad $\overset{\rightarrow}{+}$ Ȯ[2]] $\overset{\rightarrow}{+}$ [ȦP c Qd $\overset{\rightarrow}{+}$ [m̄ m̄ Ph / pẏ - ȯ]] [Ȧm d $\overset{\rightarrow}{+}$ ÅP] + [Amp] $\overset{\rightarrow}{+}$

Ȧd $\overset{\rightarrow}{+}$ Ampl + [Ȧd $\overset{\rightarrow}{+}$ Ȧp[1]]] $\overset{\rightarrow}{+}$ [Ȧd $\overset{\rightarrow}{+}$ Ȯ] + Ȧd $\overset{\rightarrow}{+}$ [ȯ]] $\overset{\rightarrow}{+}$ [Ph[0] c E]] + [Ȧd] $\overset{\rightarrow}{+}$ [ȦP - d] + [Ad pl - pl] $\overset{\rightarrow}{+}$ [Ad] $\overset{\rightarrow}{+}$ Ȧ - d

[AP - Ȧ - d][0] $\overset{\rightarrow}{+}$ [Ph[n] d 0] + [p [Ȧ - me] + [Ȧd $\overset{\rightarrow}{+}$ [[Ȯ[n] $\overset{\rightarrow}{+}$ d $\overset{\rightarrow}{+}$ Ȯ[x]]] c Ȯ[x]]], + [[N][n] d pẏ - 0] md] c

pyc[n] d [n] + [Ȧm - d]] $\overset{\rightarrow}{+}$ [ȦP[x] p]] $\overset{\rightarrow}{+}$ [2]] Ȧp] $\overset{\rightarrow}{+}$ [Adp] $\overset{\rightarrow}{+}$] $\overset{\rightarrow}{+}$ (Ȧ - pl - d] $\overset{\rightarrow}{+}$ [Ȧd] $\overset{\rightarrow}{+}$ Ȧ[0] [Ph[n] d 0] +

[Nd $\overset{\rightarrow}{+}$ AP[x]] + [Ad[n] pl] $\overset{\rightarrow}{+}$ [Ȧd] $\overset{\rightarrow}{+}$ [~~m~~ me[d]] $\overset{\rightarrow}{+}$ Ȯ[d $\overset{\rightarrow}{+}$ ȦQ $\overset{\rightarrow}{+}$ [n]] $\overset{\rightarrow}{+}$ [Ȧd[1] + A[c]] $\overset{\rightarrow}{+}$ Ph[n] d Q[d]]] +

[illegible] [Nd phe o] c [PA] [illegible] O[2] + d p l → O[1]] + [A-Pd] [illegible] O[x] [illegible]

[illegible] → [T c n] d → O[x] d A[1-m] c O[2] + d p l → O[1]] c O[3] + T d → O[1] c → [A-p d] A[mp l p]

[P y - o d A c d] → [T c n d → O[1] d A[1] ...] + [T-o] d p l → O[1] − O[2]] c O[3] + T d → O[1] [illegible]

[A-d] [P] [illegible] [P N d P] → [O[1]] + [T-o] d p l → O[1] − O[2]] c O[3] [illegible] [N d O[2] → P[1] d → N d A a]]] + [T[c] d p l [O] → m p → O[1]]

[illegible] [A d → A m p l] → [P h[c n] d A P d, A a] c [A o P A a] c A[c 0] → [N d O[2] → P[c n] d → N d A a]] + [Ȧ p d] → [A m̄ → [n]] → [A m p m̄ → O[x]] [illegible]

[d] → [A p d → B P A c[c n]] → A[A-P c n d] [c n d A a c[n] d → P y - o]] + [Ȧ P d] → [A m̄ → [n]] [illegible]

→ [B P] → [A d] → B[c n]] → [A d → A p] → O[c n] [P c n]] [Ȧ d → c[n] → B P] + [A p] + [Ȧ d c n] → p h] + (Ȧ-P d) → [A m p l d]

[[N] d A a c d → O[c x] m P y - o A d A[c n]] [A d] [A-c] A] → [P c n A-d] → [A P[c n - c n]] + [A d] → [T c n A]] + [O[c A]

p l] → [A d] → [A m p] → [Ȧ c A → m → O[c n]] [B P - d d T A] + T c n d]] [Ȧ p l - d] + [p l → O d A] → [O[c n] c → d r] A] → A d

([O[c n]] c → [A d → [P h c n d P h c n] A → d-d] → [A-d → O[c n] c → [A c n] Ȧ-d]] → [B P] [P h c n d → E c n]]] + [Ȧ P + Ȧ P[c n]] →

[A m p d]] → [A P[c n] + A d]] [P h c n d → P h[c n]] → d → B P] c [Ȧ c n] [A c m p - d] → [O[x]] c → A m p[c n]]] → th[c n] d O[c d[c n]

m̄ + [c n] A d] c A d [m̄ → P h c n d O[c n]] + [A d → O[c n]] → [A P c Q d → m̄ m̄ th / P y - o]] [A m p d → Ȧ P] [A m p] [illegible]

A d → A m p l [A d → A p l d]] → A d → O[c n] + A d → [P] → [P h[c n] c E]] + [A d] → [A P - o d] + [A d p l - p l] + [A d] → A-p l-d] [illegible]

[A P - A-d] [c n]] → [P h c n d O] + [p l A - m p] [Ȧ d → [O[c n] → d → O[c x]]] c O[c x]] + [N][c n] d P y - o] m d] c O[c n]

[P y c n] d[c n] + [Ȧ m p - d] → Ȧ P[c x] p] → [c n] A[c]] → [A d p [→] → (Ȧ - p l - d) → [Ȧ d] → [A E [P h c n d O] + [A d]

→ [N d → Ȧ P[c x]] + [A d [c n] p l] → [A d] → [~~m~~ m p[c d] → Ȯ[c d] → A Q [c n]] → [A d[c 2] + A[c]] → P h[c n] d Q[c d]]] +

[[Ȧ d] + [N d → A P[c x]]][c n] + [A d c p l → [n]]] → [[A d][c 2] → P y[c N] d c m p → [P y - o d] → [p l → m p] d → N̊ c → P y[c N]] Ȯ] [C → Ȧ d] →

[[Ȯ[c 1] → Ȯ[c 2]] Ȧ → Ȯ[c 3]]][c n] + [[A - C] → O[c n]] + [[Ȯ[c N]] → Ȧ → [Ȯ[c n]][c 1] + Ȯ[c n]][c 2]] C → [O[c N]][c n]][c 1] - [c 2]]] C → Ȧ] →

[[P h[c n] d[O]] d → [P y - o] c m m p]] + [Ȧ d + A c m p - d]] + [[m p - d p l → [N] d → [n] → Ȧ c m p d] d → P[c x]]] + [A c d → m p] [c n] +

[[Ȯ[c N] Ȧ → Ȯ[c x]] c Ȯ[c 1]]] + [~~[illegible]~~ Ȧ → [Ȯ[c x]] + [[Ȯ] + Ȧ → Ȯ[c n]][c x] Ȧ → Ȯ[c x]] c → [N]] + [[Ȧ - C] → Ȯ[c x]] +

[Ȧ → P[c x] - d] + [P h[c n] d → O[c x]] + [Ȧ d → [c n] m → Ȧ p l d →] + [Ȧ - m p[c n] d P y - N]] + [N d [P y - o d] c Q] →

[Ȯ[c x] → [n]] + [[n] → Ȧ → Ȯ[c 1]] + [~~[illegible]~~ [C] → Ȧ → Ȯ[c 1]] + [Ȯ[c x] Ȧ → Ȯ[c n] Ȧ →] + [Ȯ[c n] Ȧ → Ȯ → C →] →

[[P h c N] d O[c x] c B P d O c → Ȧ c 0] d → A m p l]] + [Ȧ d] [[P y - N] d → Ȧ]] + [Ȧ - P[c P] - d] + [Ȧ d + T p l - d → T[c 1] + P y [c N] d Ȧ m [c n]]

[Ȯ[c N]] → A c Ȯ[c x] c → Ȯ[c n]][c 2] +] + [Å] [Ȯ[c N] Ȧ → Ȯ[c 2]] + [Ȧ - Ȯ[c x]] + [Ȧ - C] + Ȯ[c n]][c n] Ȧ → Ȯ[c 1] + Ȯ[c n]][c 2] Ȧ → [c n]

[Ȧ d [m̄ c Ȯ][c 1]] + d[c 2] → [c Ȯ][c 2]] + [Ȧ d] → Ȯ c P h c n d Ȧ[c Ȯ]] + [T[c n] Ȧ] d +] + [Ȧ d - A c m p l] + T[c n] Ȧ m]] +

[Ȧ - C] [[n][c 1] c Ȯ[c 1]] + c C[c 2] → [Ȯ[c 2] → Ȧ[c 2]] + [Ȯ[c n] → Ȧ → [Ȯ[c x - 1]]] + [Ȧ - C] → [N[c n]]^c + [[Ȧ - C[c Ȧ]] + [C] + [n][c 1]] →

[Ȧ-p|d] + [Ȧ-d + Ȧmp] +⃗ [x-Ȧ] + [Ȧ[o]-d] +⃗ [ph[n]d O] +⃗ [x-Ȧ] + [Ȧmp]][[py-N]d T[o]md +⃗ [n]p| +⃗ mp +⃗ Ȧ]] +
[[Ȯ[n]]] +⃗ c [x-n] Ȧ +⃗ Ȯ[x] c +⃗ [Ȯ[2]] + Ȧ +⃗ Ȯ[x]] +⃗ Ȯ[n] Ȧ +⃗ Ȯ[x]] + [[x-n] +⃗ Ȧ +⃗ [x] +⃗ [c]] [Ȯ[3]] + Ȯ[N] Ȧ +⃗ Ȯ[x]]

[Ȧd +⃗ Ȯ[x][2]] + [Ȧd[o] +⃗ Ȧ[ȯ][n-d+m]] + [T[2]-p|d]-Ȧ] +⃗ [Ȧd p| +⃗ [T[n]] + [Ȧ-p|d] + [[Ȧd +⃗ ph[o]] + Ȧd[n] +⃗
[n] +⃗ Ȧ +⃗ Ȯ[x]]]] + [Ȯ[x] c +⃗ [Ȯ[4]] [n]] + [x-n] [Ȯ[5]] + [[c] +⃗ [Ȯ[6]]] + [Ȧ [Ȯ[7]]] + [[Ȯ[n] Ȧ +⃗ Ȯ[x]]

Ȧ[mp]] +⃗ c ph[o][2]] + [Ȧd + [m] + [T[-] Ȧ]] + [Ȧd + Ȧp| +⃗ [d]] +⃗ Ȯ[x]] + [Ȧ +⃗ P-d] + [Ȧ[m]p| + c + [T[2]] Ȧ]]
-c] +⃗ [Ȯ 8] [Ȯ[x]]] + [[c] + [Ȧ]] [Ȧ-c] +⃗ Ȯ] + [Ȧ +⃗ [Ȯ[o] - Ȧ[Ȯ[2]] c +⃗ Ȯ[n]] + [[Ȯ]] + [[Ā - C]

[[p|-d Ȧ] +⃗ [Ȧ-P[d]-n] +⃗ [Ȧ[ȯ] m̄ [d][py-N]d +⃗ ph] c Q̄[ph] +⃗ [BP[ph[n]] Ȧ + Ȧpp] + [[Ȧd +⃗ Ȧmp]] +⃗ [Ph[n]dȦ
Ȯ-Ȧ] [Ȯ[1][n]] [[Ȧ] c +⃗ [Ȯ[n] Ȧ +⃗ Ȯ[x]] c +⃗] Ȯ Ȧ +[Ȯ +⃗ Ȯ[n]] [Ȯ[n][n-2] c Ȧ[ȯ]] + [[Ȧ]] +⃗ [[n] +⃗ Ȯ[

[Ȧ[d] + Ȧ[c]d]] +⃗ [Ȧ[ȯ] d[ph[n]]-O] + [P̄y-O d +⃗ [[N][x]d +⃗ Ȯ[n]]] + [Ȧ-P[d]] + [Ȧ[m+c] Ȧ] +⃗ [Ȧ-P[n]d]] +⃗ Ȧ-p|[d]
[[n]Ȯ[1] c Ȯ[n]] +⃗ [Ȯ[1] Ȧ +⃗ Ȯ[2]] + [Ȯ[N] Ȧ c +⃗ [Ȯ[3]] +⃗ [N][n] Ȧ +⃗ Ȯ[x]] + [Ȧ-Ȯ[1]] + [[Ȯ[2] +⃗ Ȯ[n] + Ȯ[3]] c Ȧ[c] +⃗ [n

[Ȧd-p|] + [p|-Ȧ +⃗ [c] +⃗] +⃗ [[Ȧ-P[n]d +⃗] +⃗ ȦP[n]d[2]]] + [Ȧ[mp]-d + [p| Ȧ] +⃗ Ȯ[x]] + [Ȧd +⃗ Ȯ[
[Ȯ[n]]] +⃗ c [Ȧ-Ȯ[n]] +⃗ c Ȯ[1]] + [[Ȯ[n] Ȧ-c] +⃗ [Ȯ[2]] +⃗ Ȯ[n]] + [Ȯ[n] Ȧ +⃗ [x]-N Ȧ]] + [[Ȧ +⃗ [

Ȧ-[n]mp] +⃗ [Ȧ-d + [c] +⃗ [ȦP[x]]] + [[n]dȦP] c[me]d] + [Ȧ-d p| +⃗ [Ȯ +⃗ Ȯ[x]]] + [Ȧ-d +⃗ [Ȯ[x]] c +⃗ [Ȧd +⃗
x]-N] Ȧ]] [Ȯ[3]] + [Ȯ[n-2] Ȧ Ȯ[x]]] + [[[Ȯ[Ȧ +⃗ Ȯ[n]][1]] c Ȧ[+⃗ Ȯ[x] N]] Ȧ +⃗ Ȯ[x]] [[Ȯ[1] - [Ȧ-c]] +⃗ [Ȯ[2]]]

p| +⃗ [Ȯ[x]]d]] c Ȧ] + [[Ȧd +⃗ T[1] Ȧ] +⃗ [c]] +⃗ [[Ȧd] +⃗ [me d[py-N]d +⃗ Q]md] +⃗ ȦP[ph[n]d]]
+⃗ [Ȯ[n] +⃗ Ȯ[x]]] + [Ȧ +⃗ [Ȯ[2] c +⃗] + [[Ȯ-Ȧ] +⃗ [[x][n] c +⃗ Ȯ[n]] [Ȯ] → [[Ȯ[n] +⃗ Ȯ[x] Ȧ +⃗ Ȯ[1]]]

+⃗ P[n]] + [Ȧ-d +⃗ T[1] Ȧ] +⃗ [A[m]p| +⃗ Ȯ] + [Ȧ-[p| + d]-d] + [Ȧ +⃗ P-[n] +⃗ d] +⃗ c=d [ph[n]d O] + [Ȧ-d +⃗

[Ȧ-pl d] + [Ȧ-d + Ȧme] ÷⃗ [x-Ȧ] + [Ȧ[o]-d] ÷⃗ [ph[n]d O] ÷⃗ [x-Ā] + [Ȧme]] [pyN d T[o] m d ÷⃗ [n] pl ÷⃗ me ÷⃗ A]] +
[[Ȯ[1]]] ÷⃗ [x-n] Ȧ ÷⃗ Ȯ[x] c ÷⃗ [Ȯ[2]] ÷⃗ Ȧ ÷⃗ Ȯ[n] ÷⃗ Ȯ[n] Ȧ ÷⃗ Ȯ[x]] + [[x-n] ÷⃗ Ȧ ÷⃗ [x] ÷⃗ [c]] [Ȯ[7]] + Ȯ[N] Ȧ ÷⃗ Ȯ[x]]

[Ȧd ÷⃗ Ȯ[x][2]] + [Ȧd[o] ÷⃗ Ȧ[ȯ][n-d+m]] + [T[2]-pl d - Ȧ] ÷⃗ [Ad pl ÷⃗ [T[n]] + [Ȧ-pl d] + [[Ȧd ÷⃗ phco] + Ȧd[n] ÷⃗
[n] ÷⃗ Ȧ ÷⃗ Ȯ[x]]]] + [Ȯ[n] c ÷⃗ [Ȯ[4]] [n]] + [x-n] [Ȯ[5]] + [[c] ÷⃗ [Ȯ[6]]] + [Ȧ [Ȯ[7]]] + [[Ȯ[n] Ȧ ÷⃗ Ȯ[x]]

Ȧ[me]] ÷⃗ phco][2]] + [Ad + [m] + [T[-] Ȧ]] + [Ad + Ȧpl ÷⃗ [d]] ÷⃗ Ȯ[x]] + [Ȧ ÷⃗ p.d] + [A[m] pl + c + [T[2]] Ȧ]]
÷-c] ÷⃗ [Ȯ8] [Ȯ[x]]] + [[c] + [Ȧ]] [Ȧ-c] ÷⃗ Ȯ] + [Ȧ ÷⃗ T Ȯ[7] - Ȧ[Ȯ[2]] c ÷⃗ Ȯ[n]] + [[Ȯ]] + [[Ā - C]]

[[pl-d Ȧ]] ÷⃗ [Ȧ-P[d]-n] ÷⃗ [Ȧ[ȯ] m̄ [d][py-N] d ÷⃗ ph] c Q̄[ph] ÷⃗ [BP[ph[n]] Ȧ . Aop] + [[Ȧd ÷⃗ Ȧme]] ÷⃗ [Phcnd Ȧ[d]
[Ȯ-Ȧ] [Ȯ[1][n]] [[Ȧ] c ÷⃗ [Ȯ[n]] Ȧ ÷⃗ Ȯ[x] c ÷⃗] Ȯ Ȧ[Ȯ ÷⃗ Ȯ[n]] [Ȯ[n][1-2]] c Ȧ[ȯ]] + [[Ȧ]] ÷⃗ [[n] Ȯ[7]]

[Ȧ[d] + Ȧ[c]d]] ÷⃗ [Ȧ[ȯ] d[ph[n]] - O] + [Pȳ-Od ÷⃗ [[N][x]d ÷⃗ Ȯ[n]]] + [Ȧ-P[d]] + [A[m + c] Ȧ] ÷⃗ [Ȧ-P[n]d]] ÷⃗ Ȧ-pl[d]] +
[[n] Ȯ[1] c Ȯ[n]] ÷⃗ [Ȯ[1] Ȧ ÷⃗ Ȯ[2]] + [Ȯ[N] Ȧ c̄ [Ȯ[3]] [N][n] Ȧ ÷⃗ Ȯ[n]] + [Ȧ-Ȯ[1]] + [[Ȯ[2]] ÷⃗ Ȯ[n] + Ȯ[3]] c Ȧ[c] ÷⃗ [n]] +

[Ȧd-pl] + [pl-Ȧ ÷⃗ [c] ÷⃗] ÷⃗ [[Ȧ-P[n]d ÷⃗] ÷⃗ AP[n]d[2]]] + [A[me]-d + [pl Ȧ ÷⃗ Ȯ[x]] + [Ȧd ÷⃗ Ȯ[1]] ÷⃗
[[Ȯ[n]]] ÷⃗ [Ȧ-Ȯ[n]] Ȯ[1]] + [[Ȯ[n] Ȧ-c] ÷⃗ [Ȯ[2]] ÷⃗ Ȯ[7]] + [Ȯ[n] Ȧ ÷⃗ [x]-N] Ȧ]] + [[Ȧ ÷⃗ [Ȯ[n]] ÷

[Ȧ-[n]me] ÷⃗ [Ȧ-d + [c] ÷⃗ [ȦP[x]]] + [[n]dȦP] c[me]d] + [Ȧ-dpl ÷⃗ [Ȯ ÷⃗ Ȯ[x]]] + [Ȧ-d ÷⃗ [Ȯ[x]] c ÷⃗ [[Ȧd ÷⃗ [me]
[[x]-N] Ȧ]] [Ȯ[3]] + [Ȯ[n-2] Ȧ Ȯ[x]]] + [[[Ȯ c Ȧ ÷⃗ Ȯ[n][1]] c Ȧ[÷⃗ [x] N]] Ȧ ÷⃗ Ȯ[x]] [[Ȯ[1]] - [Ȧ - C]] ÷⃗ [Ȯ[2]]] + [x][n]]

d pl ÷⃗ [Ȯ[x]] d] c Ȧ] + [[Ȧd ÷⃗ T[1] Ȧ] ÷⃗ [c]] ÷⃗ [[Ȧd] ÷⃗ [me d [py-N] d ÷⃗ Q] md] ÷⃗ ȦP[phcnd]] +
Ȧ ÷⃗ [Ȯ[n] ÷⃗ Ȯ[x]]] + [Ȧ ÷⃗ [Ȯ[2]] c ÷⃗] + [[Ȯ-Ȧ ÷⃗ [[x][n] c ÷⃗ Ȯ[n]] [Ȯ] → [[Ȯ[n] ÷⃗ Ȯ[x] Ȧ ÷⃗ Ȯ[1]]] +

[Ȧ ÷⃗ P[n]] + [Ȧ-d ÷⃗ T[1] Ȧ] ÷⃗ [A[m]pl ÷⃗ Ȯ] + [Ȧ-pl + d] - d] + [Ȧ ÷⃗ P-[n]] ÷⃗ d] ÷⃗ [ph[n]d O] + [Ȧ-d ÷⃗ Ȧ P]
[Ȯ[n]] + [Ȯ[n][2] Ȧ] [Ȯ [n]/[x] Ȯ [Ȯ[3] - Ȧ ÷⃗ [Ȯ[x]]] + [Ȯ[n]] Ȧ-c] ÷⃗ Ȯ[4]] c [Ȧ]] + [[Ȯ[1]]]

[Ȧ ÷⃗ d ÷⃗ Ȧ[py-N]m ÷⃗ Q c ÷⃗ Ȧ-pl] [m] ÷⃗ [Ȧd[m Ȧ + c]] ÷⃗ [Ȧ d ÷⃗ [n] d ÷⃗ [pyN ÷⃗ Ȧ ÷⃗ m-pl ÷⃗ [n]] ÷⃗ [[Ȧd] ÷⃗ [Ȧme] ÷⃗ [[n] Ȧ] c ÷⃗ ȦP]
[[Ȯ[N] ÷⃗ Ȧ ÷⃗ [Ȯ][x] c ÷⃗ [Ȯ[n] Ȧ]] + [Ȯ[n] [Ȧ - c]] + [[Ȯ[x]] [Ȯ[n][7] ÷⃗ [c] ÷⃗] Ȯ[n]] + [x N] Ȧ ÷⃗ [[[Ȯ]][3]] [n][2]]

[T[3]] Ȧ + Ȧd] + [[me] Ȯ[d]] [Pȳ d ÷⃗ Py[N]]] ÷⃗ [A[m ÷⃗ [n] + [Py[N] d]] + [c] ÷⃗ [Ȧ - [ȦP] - d] + [Ȧd] ÷⃗ [Phcnd O]
[[x-N] + Ȯ[n]] Ȧ] ÷⃗ [Ȯ[n] - [[x ÷ N] ÷⃗ Ȧ ÷⃗ [Ȯ]] c Ȧ] + [Ȧ[Ȧ-c] ÷⃗ [[Ȯ] c ÷⃗ [Ȯ][3]]] + [[[Ȯ]][3]] + [[Ȯ][4]]

[Ȧ-pl c d] ÷⃗ [Py[n]-md]] + [Ȧ[c] d]] ÷⃗ [[Ȧd] ÷⃗ Phcnd O] + [P[n] Ȧ] + [Py[n] d ÷⃗ [Phcnd A]] + [T[n] Ȧ]] ÷⃗
[Ȯ[4] Ȧ ÷⃗ [[Ȯ][n]] ÷⃗ Ȧ + [Ȧ-c] ÷⃗] + [Ȧ ÷⃗ [Ȯ[x]] Ȧ[n]][7] + [Ȯ[n]] + [Ȯ[n][2] [[Ȧ] ÷⃗ Ȯ[n]] [x-n]]] +

[Ȯ ÷⃗ Ȧd ÷⃗ Ȯ[1]] ÷⃗ [A m pl ÷⃗ A[d]] [T[1] Ȧ]] ÷⃗ [Ȧ-d ÷⃗ P[n] ÷⃗] + [Phcnd O [p]] + [Py-O] + [d ÷⃗ Ȧ] +
[Ȯ[x] [Ȧ-c] ÷⃗ Ȯ[n]] + [Ȯ[x] Ȧ-c ÷⃗ Ȯ[x]][2] [x[N] Ȧ]] + [Ȧ ÷⃗ Ȯ[n] c] + [Ȯ[n] Ȧ Ȯ[x]] + [[Ȯ]] + [Ȧ ÷⃗ [Ȧ]] +

[Ȧ-P[d]] ÷⃗ [d Phcnd Am̄] ÷⃗ [Py[n]-d]] + [Ȧ-d[T] ÷⃗ Ȧpl d] ÷⃗ [Ȧ-P[d]] ÷⃗ [~~Ȧd~~ Ȯ[2] m ÷⃗ Ad] ÷⃗
[Ȯ[7]] + [Ȧ → Ȯ[x] Ȧ ÷⃗ [n]] [Ȯ[n] Ȧ]] + [Ȧ - Ȯ[n] [N] Ȧ] + [Ȯ[1]] + [Ȯ[n] Ȧ-Ȧ ÷⃗ [Ȧ-c]] ÷⃗] +

Ȧ[med] →̄ Phco][a]] + [Ad + [m] + [T[-] Ȧ]] + [Ad + Ȧpl →̄ [d] →̄ Ȯ[x]] + [Ȧ →̄ P-d] + [A[m]pl + c + [T[7] Ȧ]]
Ȧ-c] →̄ [Ȯ8][Ȯ[x]]] + [[c] + [Ȧ]] [Ȧ-c] →̄ Ȯ] + [Ȧ →̄ T Ȯ[1] - Ȧ Ȯ[2] c →̄ Ȯ[n]] + [[Ȯ]] + [[Ȧ - C]]

[[pl-d Ȧ]^{[Ad]} →̄ [Ȧ-P[d]-n] →̄ [Ȧ[Ȯ] m̄ [d][py-N] d →̄ ph] c Q̄[ph] →̄ [B P[phen] Ȧ - Ȧ ∂ P] + [[Ȧd →̄ [Amp]] →̄ [Phenol Ȧ[c]]
[Ȯ-Ȧ] [Ȯ[1][n]] [[Ȧ] c →̄ [Ȯ[n] Ȧ →̄ Ȯ[x] c →̄] Ȯ Ȧ[Ȯ →̄ Ȯ[n]] [Ȯ[n][1-2] c Ȧ[Ȯ]] + [[Ȧ]] →̄ [[n] Ȯ[7]]

[Ȧ[d] + Ȧ[c] d]] →̄ [Ȧ[Ȯ] d[phen] - O] + [P̄y - Od →̄ [[N][x] d →̄ Ȯ[n]]] + [Ȧ-P[d]] + [A[m] + c] Ȧ] →̄ [Ȧ-P[enol]] →̄ Ȧ-pl[d]] +
[[n] Ȯ[1] c Ȯ[n]] →̄ [Ȯ[1] Ȧ →̄ Ȯ[2]] + [Ȯ[N] Ȧ c̄ [Ȯ[3]] [N][n] Ȧ →̄ Ȯ[n]] + [Ȧ - Ȯ[1]] + [[Ȯ[2]] →̄ Ȯ[1] + Ȯ[3]] c Ȧ[c] →̄ [n]] +

[Ȧd-pl] + [pl-Ȧ →̄ [c] →̄] →̄ [[Ȧ - P[n] d →̄] →̄ ȦP[n] d[2]]] + [A[mp]-d + [pl Ȧ] →̄ Ȯ[x]] + [Ȧd →̄ Ȯ[1]] →̄
[[Ȯ[n]]] →̄ [Ȧ-Ȯ[n]] Ȯ[1]] + [[[Ȯ[n] Ȧ - c] →̄ [Ȯ[2]] →̄ Ȯ[1]] + [Ȯ[n] Ȧ →̄ [x]-N Ȧ]] + [[Ȧ →̄ [Ȯ[n]] -

[Ȧ-[n] mp] →̄ [Ȧ-d + [c] →̄ [ȦP[x]]] + [[n] d ȦP] c[med]] + [Ȧ - d pl →̄ [Ȯ →̄ Ȯ[x]]] + [Ȧ-d →̄ [Ȯ[x]] c →̄ [[Ȧd →̄ [mp]
[[x]-N] Ȧ] [Ȯ[3]] + [Ȯ[n-2] Ȧ Ȯ[x]]] + [[[Ȯ[Ȧ →̄ Ȯ[n]][1]] c Ȧ[→̄ ⊖ [x] N]] Ȧ →̄ Ȯ[x]] [[Ȯ[1] - [Ȧ - C]] →̄ [Ȯ[2]]] + [x][n]]

d pl →̄ [Ȯ[x]] d]] c Ȧ] + [[Ȧd →̄ T[1] Ȧ] →̄ [c]] →̄ [[Ȧd] →̄ [med [py-N] d →̄ Q] md] →̄ ȦP[phenol]] +
Ȧ →̄ [Ȯ[n] →̄ Ȯ[x]]] + [Ȧ →̄ [Ȯ[2] C →̄] + [[Ȯ - Ȧ[→̄ [[x][n] c →̄ Ȯ[n]] [Ȯ] → [[Ȯ[n] →̄ Ȯ[x] Ȧ →̄ Ȯ[1]]] +

[Ȧ →̄ P[n]] + [Ȧ-d →̄ T[1] Ȧ] →̄ [A[m]pl →̄ Ȯ] + [Ȧ - pl + d] - d] + [Ȧ →̄ P-[n] →̄ d] →̄^{c-d} [phenol O] + [Ȧ-d →̄ ȦP]
[Ȯ[n]] + [Ȯ[n][2] Ȧ] [Ȯ [n]/[x] Ȯ [Ȯ[3] - Ȧ →̄ [Ȯ[x]]] + [Ȯ[n]] [Ȧ-c] →̄ Ȯ[4]] c [Ȧ]] + [[Ȯ[1]]]

[Ȧ →̄ d →̄ Ȧ[py-N] m →̄ Ȧc →̄ Ȧ-pl] [m] →̄ [Ȧd[m Ȧ c]] →̄ [Ȧ d →̄ [n] d →̄ [PyN →̄ Ȧ →̄ m-pl →̄ [n]] →̄^{[m]} [[Ȧd] →̄ [Amp] →̄ [n] Ȧ] c →̄ ȦP]
[[Ȯ[N] →̄ Ȧ →̄ [Ȯ][x] →̄ [Ȯ[n] Ȧ]] + [Ȯ[n]] [Ȧ - c]] + [[Ȯ[x]] [Ȯ[n][1] →̄ [c] →̄] Ȯ[n]] + [x N] Ȧ →̄ [[[Ȯ] [3]] [n][2]]

[T[3]] Ȧ + Ȧd] + [[mp] Ȯ[d] [P̄y d →̄ Py[N]]]^{m̄} →̄ [A[m →̄ [n] + [Py[N] d]] + [c] →̄ [Ȧ - [ȦP] - d] + [Ȧd] →̄ [Phenol O]
[[x-N] + Ȯ[n]] Ȧ] →̄ [Ȯ[n]] - [[x + N] →̄ Ȧ →̄ [Ȯ]] c Ȧ] + [Ȧ[Ȧ - c] →̄ [[O] c →̄ [Ȯ][3]]] + [[[Ȯ][3]]] + [[O][4]]

[Ȧ-pl c d] →̄ [Py[n] - md]] + [Ȧ[c] d]] →̄ [[Ȧd] →̄ Phenol O] + [P[n] Ȧ] + [Py[n] d →̄ Phenol Ȧ] + [T[1] Ȧ]] →̄
[Ȯ[4] Ȧ →̄ [[Ȯ] [n]] →̄ Ȧ + [Ȧ-c] →̄] + [Ȧ →̄ [Ȯ[x]] Ȧ[n] [2]] + [Ȯ[n]] + [Ȯ[n][2] [[Ȧ] →̄ Ȯ[n]] [x-n]]] +

[Ȯ →̄^{m} Ȧd →̄ Ȯ[x]] →̄ [A m pl →̄ Ȧ[dr] [T[1] Ȧ]] →̄ [Ȧ-d →̄ P[n] →̄] + [Phenol O[BP]] + [P̄y - O] + [d →̄ Ȧ] +
[Ȯ[x]] [Ȧ - c] →̄ Ȯ[1] Ȯ] + [Ȯ[x]] Ȧ - c →̄ Ȯ[x]][2] [x[N] Ȧ]] + [Ä →̄ Ȯ[n] c] + [Ȯ[n] Ȧ Ȯ[x]] + [[Ȯ]] + [Ȧ →̄ [Ȧ]] +

[Ȧ - P[d]] →̄ [d Phenol A m̄] →̄^{d} [Py[n] - d]] + [Ȧ - d[T] →̄ Ȧpl d] →̄^{c} [Ȧ - P[d]] →̄ [~~Ȧd~~ Ȯ[x][m] →̄ Ȧd] →̄
[Ȯ[7]] + [Ȧ → Ȯ[x] Ȧ →̄ [n]] [Ȯ[n] Ȧ]] + [Ȧ - Ȯ[n] [xN] Ȧ] + [Ȯ[1]] + [Ȯ[n] Ȧ - Ȧ →̄ [Ȧ - c] →̄] +

[Ȧ - P[x] d] →̄ [Ȧd[A]] + [A d/[n] A[m-d]] [Py[N] d Ȧa] + Ȧd →̄ (Amp[m]] c Ȧ[Q] →̄ [md] →̄ ȦP + Ȧd →̄

[Ȧ-d] + [pl-d Ȧ] + [T[o] + T[N] d mp pl l] [m-pl-d Ȧ] + [Ȧ d] +⃗ [Ȧ P[x] - [[m d [p y - N]]] + [[A m pl] +⃗ [A-d

[Ȧ] +⃗ [O[n] Ȧ c+⃗ O[2]] + [Ȯ[n] Ȧ +⃗ O[2]] c +⃗ O[n][n]] + [Ȧ] +⃗ [Ȯ[n][3] Ȧ +⃗ Ȯ[x]] + [[Ȯ[x] Ȧ][2] [Ȧ - c]

c +⃗ [Ph[N] d c]] +⃗ [Ȧ P[n] Ȧ-d] +⃗ [Ȧ[ȯ] d]m +⃗ [N d Ȯ[m +⃗ p-y-d]] +⃗ [Ph[n] d OP-O] + [X[n] Ȧ - m

[c] +⃗ [Ȯ[x] c +⃗ Ȯ[x]] + [Ȯ[x] [n] +⃗] + [[Ȯ[Ȧ]] + [Ȯ N] Ȧ +⃗ [c] +⃗] Ȯ[x] - n] [Ȯ N] Ȧ +⃗ c +⃗ Ȯ[n]] + [[Ȯ +⃗ ȯ] c Ȯ[x]

[Ȧ-d +⃗] + [[n] d +⃗ P[P] + [p y[n] d +⃗ [m p +⃗ [n]]] + [Py-O[c] d] +⃗ [m]] + [Ȧ-d +⃗ Ȯ[c] c Ȯ[1]]] + [[Ȧ-d

[[Ȧ +⃗] + [Ȧ[2] [O[n] Ȧ +⃗ O[x]]] c Ȯ[1]] + [ȯ[n̊] +⃗ [O[2] [Ȧ]]]] + [Ȧ +⃗ Ȯ[1] [n]] + [Ȧ

T[1] - [d]] + [[n] [o]] A[[m] +⃗ [py/ph]][N]] c+ Å] + [Ȧ - P[d]] + [T[n] Ȧ + Ȧ d] + [A[m pl] c +⃗ d +⃗ [py-N]] +⃗ [Ȧ-d

Ȯ[n] - [x n] - o] + [~~Å c Å~~ Å c Ȯ[1][n] [Ȧ - c]] + [Ȯ[n]] [[Ȯ[n][2] Ȧ]] + [Ȧ +⃗ [[A - c] +⃗ Ȯ[x]] [Ȧ

[Ȧ - [d r] c +⃗ d] + pl +⃗ Ȧ] +⃗ [Ȧ mp] d] +⃗ [[Å [Ȧ +⃗ [n][x] d +⃗ o]] + [[T - o Ȧ] + [pl - m Ȧ] + [Ȧ - P[n] d +⃗] +⃗ [Å P

[- [Ȧ] ȯ[x] +⃗ [Ȧ]] [Ȯ[x] c+⃗ O[x]] + [[x[N]] Ȧ] + [Å +⃗ [Ȯ[x]] (Ȧ +⃗ o]] + [[ȯ] [Ȯ[n][2] Ȧ - [2]] [Ȧ +⃗ Ȯ[n]] Ȧ +⃗] + [Ȯ[n]

[A[[m] +⃗ [n]] + [T[n] Ȧ]] c+ [Ȧ - P d] +⃗ [[Ȧ[ō] m̄ [d] +⃗ [d][2]] +⃗ Py[n] m̄ +⃗ ph A] c O] + [Ȧ[o] d +⃗ Ph[N]] + [A

[Ȧ + [[Ȧ - c] - Ȧ +⃗] + [Ȯ[n]]] + [Ȯ c +⃗ [n][x]] [O[x] c +⃗ Ȯ[n]] [Ȧ +⃗ Ȯ[x]] c ȯ] + [Ȯ[n] Ȯ[n̊] Ȧ +⃗ Ȯ[1]] + [Ȧ

- [d̄ + [m̄ +⃗ d]] +⃗ [Ȧ - d + Ȧ mp d] +⃗ [p+y - o d +⃗ er[n] d +⃗ [mp +⃗ N[x]]] + [Ȧ - d +⃗ Ȧ[c]] +⃗ [[Ȧ[ó][2] d +⃗ Ph[n]] d +⃗ pl

c +⃗ Ȯ[x]]] + [[Ȧ - c]] + [[[Ȯ[x]] - Ȧ] c +⃗ Ȯ[n]]] + [[Ȧ - c]] + [(Ȯ[n] Ȧ +⃗ ȯ] + [Ȯ[n][x]

[ph[n] +⃗ o]] + [Ȧ d +⃗ N d m +⃗ Ȧ[ȯ]] + [Ȧ d[mp] Ȧ +⃗ c] +⃗ Ȧ[ȯ][3]] + [[py[o] - m] Ȧ d] + [Ȧ - mp d] + [N d +⃗ O[x] d

Ȯ[n] c Ȯ] + [Ȧ +⃗ [Ȯ[n] Ȧ - ȯ]] + [x - N] Ā [Ȯ[n̊]][2] +⃗ Ȯ[3]]] + [[Ȯ[n]] Ȧ +⃗ [O - Ȧ][n]] + [[x - N] Ȧ] + [[Ȯ[x] c+⃗ Å

pl +⃗ [m p][n] - d +⃗] + [Ȧ d +⃗ Ȧ[c] +⃗ [m d] + [N d pl +⃗ m p] d +⃗ py - O[p - [N] - d]] + [Ȧ pl c Ȧ d] +⃗ ~~+~~] + [[py/ph[n]]] [d +⃗ o]

Ȯ[n] Ȧ +⃗ Ȯ[x] +] + [[[Ȧ +⃗ Q[x]]] + [Ȯ[x] c+⃗ N[x]] Ȯ[x] + [Ȯ[ȯ][n] - Ȧ]]] + [Ȯ[x] Ȧ - c ȯ +⃗ Ȯ[2]] + [Ȯ[n][1-2] c+⃗ [Ȯ[n]] c o]]

[[Ȧ - d] +⃗ [[Ph[n] d O + Ȧ[o] m d] c Ph[Q] - d]] +⃗ [Ȧ P]] + [A[d] - mpl + [T Ȧ]] + [Ȧ d +⃗ AP[n] [pl + c] Ȧ] + [AP[Ph[n]

[[Ȧ +⃗ [O[x] c +⃗ [O[x] - c[2]] +⃗ [Ȯ[1]] + [Ȯ[n] Ȧ +⃗ O[x]] [Ȯ[n]]] +⃗ [Ȧ[ȯ[n]] - Ȧ[x] + [X - N]] + [[O[n] Ȧ + c ↔+ [ȯ[x]] + [[Ȯ[n] Ȧ] O[2]

[c [Å]] c+⃗ [Ȯ[1] +⃗ Ȧ d +⃗ [Ȯ[2]] c +⃗ [A m/pl A] + [A[d] +⃗ [P]] + [A m pl + c +⃗ Ph[n][2]] + [[A[d] +⃗ P[n] c] +⃗ [B

[c [Å]] c[Ȯ

[Ȧ-d +⃗ o] c+

[O-A[c]] +⃗

[p+y-o d-

[Ȯ[n] [Ȧ]/[c]

[c] +⃗ [[A

[c] +⃗ [[

[c] +⃗ (

[c] +⃗

[Py-

[Ȯ[n

[[Ȧ-

[[Ȯ

[Ȧ

[V

[

[T[0] + T[N] d mp p l] [m-p

[A-d] + [pl-d A] + [O[n] Ȧ ⃗+ O[x] c ⃗+ O[n][x]] + [A] ⃗+ [O[n][3]

[Ȧ] ⃗+ [O[n] Ȧ ⃗+ O[x]] + [O[n] Ȧ ⃗+ O[x] c ⃗+ O[n]] + [Ȧ c ȯ] d] ⃗+ [N d O[m] ⃗+ p y-d]] ⃗+ [Ph[n] d [P-O] + [x[n] Ȧ-mp

c ⃗+ [Ph[N] d c]] ⃗+ [Ȧ P[n] Ȧ-d] ⃗+ [Ȧ c ȯ] d] ⃗+ [O[N] Ȧ ⃗+ [c] ⃗+] Ȯ[x]-D] [O[N] Ȧ ⃗+ c ⃗+ O[n]] + [ȯ ⃗+ ȯ] c O[x]

[c] ⃗+ [O[x] c ⃗+ O[x]] + [O[x][n] ⃗+] + [[Ȯ[Ȧ]] + [O[N] Ȧ ⃗+ [c] ⃗+] + [Ȧ-d ⃗+ Ȯ[c] c O[1]] + [Ȧ

[Ȧ-d ⃗+] + [[n] d ⃗+ P[P] + [Py[n] d ⃗+ mp ⃗+ [n]]] + [Py-O c d] ⃗+ [m]] + [Ȧ ⃗+ O[1] ⃗+ [n]] + [Ȧ

[[Ȧ ⃗+] + [A[n] [O[n] Ȧ ⃗+ O[x]]] c Ȯ[1]] + [O[n] ⃗+ [O[2] [Ȧ]]] + [Ȧ ⃗+ O[1] ⃗+ [n]] + [Ȧ

T[1]-[d]] + [[n] [d] A[m] ⃗+ [Py/ph]][N]] ⃗+ Å] + [Ȧ-P[d]] + [T[n] Ȧ + Ȧ d] + [A[m] p l c ⃗+ d ⃗+ [Py-N]] ⃗+ [Ȧ

O[n][x][n] d] + [~~Å c Å~~ Å c O[1][n] [Ȧ-c]] + [Ȯ[n]] [[O[n]][2] Ȧ]] + [Ȧ ⃗+ [Ȧ-c] ⃗+ O[x]] [Ȧ

[Ȧ-d r] c ⃗+ d] + pl ⃗+ Ȧ] ⃗+ [Ȧ mp] d] ⃗+ [[Å [Ȧ ⃗+ [n] [x] d ⃗+ ȯ]] + [T-O Ȧ] + [pl-m Ȧ] + [Ȧ-P[n] d ⃗+] ⃗+ [Ȧ P

[− [Ȧ ⃗+ Ȧ] [O[x] ⃗+ d] + [x[N]] Ȧ] + [Å ⃗+ [Ȯ[x]] [Ȧ ⃗+ ȯ]] + [ȯ] [O[n][2] Ȧ-[2]] [Ȧ ⃗+ O[n] Ȧ ⃗+] + [O[n]

[A[m] ⃗+ [n]] + [T[n] Ȧ] ⃗+ [Ȧ-P d] ⃗+ [[Ȧ c ȯ] m [d] ⃗+ [d][2] ⃗+ Py[n] m ⃗+ ph A] c O] + [Ȧ c ȯ d ⃗+ Ph[N]] + [Ȧ

[Ȧ-[Ȧ - c] - Ȧ ⃗+] + [Ȯ[n]]] + [Ȯ[c] ⃗+ [n][x]] [O[x] c ⃗+ Ȯ[n]] [Ȧ ⃗+ O[x] c ȯ] + [O[n] Ȯ[n] Ȧ ⃗+ O[n]] + [Ȧ

[ȧ + [m ⃗+ d]] + [Ȧ-d + Ȧ mp d] ⃗+ [Py-O d ⃗+ P[n] d ⃗+ [mp ⃗+ N[x]]] + [Ȧ-d ⃗+ Ȧ[c]] ⃗+ [[Ȧ c ȯ] [2] d ⃗+ Ph[n]] d ⃗+ pl

c ⃗+ Ȯ[x]] + [[Ȧ-c]] + [[[Ȯ[x]]-Ȧ] c ⃗+ Ȯ[n]]] + [[Ȧ-c]] + [[Ȯ[n] Ȧ ⃗+ ȯ] + [Ȯ[n][x] Ȧ

[ph[n] ⃗+ ȯ]] + [Ȧ d ⃗+ N d m ⃗+ Ȧ c ȯ] + [Ȧ d [mp] Ȧ ⃗+ c] ⃗+ Ȧ c ȯ [3]] + [[Py[O]-m] Ȧ d] + [Ȧ-mp d] + [N d ⃗+ O[x] d

O[n] c O[1]] + [Ȧ ⃗+ [O[n] Ȧ-ȯ]] + [x-N Ȧ [O[n][2] ⃗+ O[3]]] + [[O[n] Ȧ ⃗+ O-Ȧ][n]] + [[x-N] Ȧ] + [[O[x] ⃗+ Å

pl ⃗+ mp [n]-d ⃗+] + [Ȧ d ⃗+ Ȧ[c] ⃗+ m d] + [N d pl ⃗+ mp] d ⃗+ Py-O[P-[N]-d]] + [Ȧ pl c Ȧ d] ⃗+ ~~+~~] + [[Py/ph[n]] d ⃗+ ȯ]

O[n] Ȧ ⃗+ O[x] +] + [[[Ȧ ⃗+ Q[x]] + [O[x] ⃗+ N[x]] Ȯ[x] ⃗+ [Ȯ[c] ȯ] [n] ⃗+ Ȧ]]] + [Ȯ[x] Ȧ-c ȯ ⃗+ O[2]] + [Ȯ[N][1-2] ⃗+ [Ȯ[n]] c ȯ]]

[[Ȧ-d] ⃗+ [[Ph[n] d O + Ȧ c ȯ] m d] c Ph[Q]-d] ⃗+ [Ȧ P]] + [A[d]-mpl + [T] Ȧ]] + [Ȧ d ⃗+ Ȧ P[n] [pl + c] Ȧ] + [Ȧ P[Ph[n] d

[[Ȧ ⃗+ [O[x] c ⃗+ [O[x]]-c[2]] [Ȯ[1]] + [O[n] Ȧ ⃗+ O[x]] [Ȯ[n]]] ⃗+ [Ȧ c ȯ [n] Ȧ[x] + [x-N]] + [[Ȯ[n] Ȧ + c ⃗+] [Ȯ[x]] + [Ȯ[n] Ȧ] Ȯ[x]

[c [Å]] ⃗+ [[ȯ][1] ⃗+ Ȧ d ⃗+ [ȯ][2]] c ⃗+ [Ȧ $\frac{m}{pl}$ Ȧ] + [A[d] ⃗+ [P]] + [A mpl + c ⃗+ Ph[n][2]] + [[Ȧ[d] ⃗+ P[n] c] ⃗+ [BP

[c [Å]] ⃗+ [[ȯ][1] + Ȧ ⃗+ [[ȯ][2]] c ⃗+ [Ȧ $\frac{O[n]}{O[n]}$ c] + [[[Ȯ[n]]] [Ȧ ⃗+ [Ȧ-c] ⃗+ [ȯ ⃗+ Ȯ[2]] Ȧ + c] ⃗+ [Ȯ[n] Ȧ ⃗+ ȯ]]

+ [Ȧ[d] ⃗+ Ȧ-pl c[d]] ⃗+ [Ȧ-mp] + Py-O [d] ⃗+ [Ȧ]] + [P[n]] + [A mpl + [d] Ȧ d ⃗+ mp] Ȧ] + [P[n] Ȧ-d + [c] d] ⃗+

+ [O[m][x]] c Å + Ȧ ⃗+] + [[x-N] Ȧ ⃗+ [Ȧ-c]]] + [Ȯ[n]] + [[Ȧ-c] ⃗+ Ȯ[N] ⃗+ Ȯ[N][2] Ȧ ⃗+ O[n] Ȧ ⃗+ O[x]

[Ph[n] d O] +] c [Å ⃗+ Ȯ[1] + Ȧ-d] + [Ȯ[2] c] ⃗+ [Ph[n] d [BP-Ȧ-d] + [[d]pl] c] ⃗+ [Ȧ-P[2] d] + [Ȧ P[n]

[O[x] Ȧ ⃗+ O[N][n]] c [Å] ⃗+ [Ȯ[x] + [Ȯ[N] Ȧ ⃗+ O[N][n]] ⃗+ [O[n] Ȧ ⃗+ O[x] c [~~ȯ~~ [Ȧ] ⃗+ O[N]] ⃗+ [O[n] ⃗+ Ȧ ⃗+ O[x]] + [O[n]

[[A[c] ⃗+ [Ȧ d] ⃗+ [Ȯ[n]]] ⃗+ [Ȧ P] + [Ȧ-pl c Ȧ d] ⃗+ [Py[n] ⃗+ d ⃗+ N d [O]] m + [[Py-O m Ph[n]-O]] + [Ȧ d m - Ȧ]

[Ȧ-c] [ȯ] ⃗+ [O[n][2]] ⃗+ [Å] + [[A[x]]] ⃗+ [O[n][x] [Ȧ-c] O[n]] Ȧ + [[Ȯ Ȧ ⃗+ O[n] [Ȧ][2]]] + [[Å - Ȧ ⃗+ [n]

Py-d O[Ȧ]] + [A d [mpl + [c]] ⃗+ [n] d Ȧ ⃗+ O[n] d [O[n]][2] T d pl] c [1]]] m ⃗+ [Å [O[x]]] ⃗+ [d] ⃗+ A d [m + c] ⃗+ O

[O-A[c]] ⃗+ [O
[Py-O d- Ad
[O[n] $\frac{[Ȧ]}{[c]}$ O
[c] ⃗+ [[Ȧ c pl
[c] ⃗+ [[Ȧ c ȯ
[c] ⃗+ O[1]
[c] ⃗+ O[
[Py-O-Ȧ
[O[N][1]
[[Ȧ-pl c
[[O[N] Ȧ
[Ȧ d + c
[Ȧ-c
[Ȧ P[
[O[
[x] c
[x]
-Ȧ
[Ȧ
[Ph

e/]] [Ȧ-d ⃗÷ Ȯ] ÷ [x-me[N] d Ȧ] ⃗÷ [Ȧ P[x]] + [Ȧ +n ⃗÷ P] d] + [Ȧ-d ÷ T[1] Ȧ] + [pl-Ȧ[d] + T[1] Ȧ] + [pl-Ȧ] + [Ȧ d] ⃗÷ [Ph[n] d O]

[Ȯ-Ȧ[c]] ⃗÷ [Ȯ-[x-N] [Ȧ-c] ⃗÷ Ȧ [Ȯ][x] + [Ȧ-c] ÷ Ȯ[n]] + [x[N] Ȧ ⃗÷ Ȯ[N]] ÷ [Ȧ-c] + [Å] Ȧ] + [Ȯ[x]] + [Ȧ] + [nȦ [Ȯ[x]]]

[Pẏ-O d-Ȧd] ÷[n] [Ȧ-d ⃗÷ Ȯ] ÷ [T-O[T[n] d + Ȧpl ⃗÷ T[n]] [m-d] ⃗÷ Å [Ph[n] d O[Py-n] d] + [Ȧ-me] + Ȯ[Ȧ] + Ȧd ⃗÷ [Ȯ[2]]

[Ȯ[1] [Ȧ]/[c] Ȯ[1]] ÷ [[Ȧ - Ȯ c ⃗÷ Ȯ[n]] ⃗÷ Ȧ [Ȯ[N] Ȧ ⃗÷ Ȯ[x] + [N[x]] Ȧ ⃗÷ Å] c Ȯ[n]] [c]] Å[c]] + [Å[2] Ȧ ⃗÷ Ȯ[n-Ȧ]] ⃗÷ Ȧ ÷ Ȯ[2]]

[c] ⃗÷ [[Ȧ[pl]] [d-pl[2]]] ÷ [d-Py[N]] + [Ȧd] ⃗÷ [T[O] + pl ⃗÷ me] Ȧ]] c [Åd] ⃗÷ + [P[n]] + [[Ȧm [Ȧmpl] + c [pl[n]]]

[c] ⃗÷ [[Ȧ[Ȯ[n]] c Ȧ[Ȯ[2]]] + [Ȯ[N]][1] Ȧ] + [Ȧ-c] ⃗÷ [[Ȯ[N] Ȧ ⃗÷ x[N]]] c [ÅȦ ⃗÷] + [Ȯ[n]] + [Ȧ ⃗÷ [Ȧ[c]] c ⃗÷ [c][n]]]

[c] ⃗÷ Ȯ[1]] + [BP[Ph[n] d [Ȧ d] c Ȯ[2]] + Py[n] d [Ȯ[1] + Ȯ[2]] c [Ȧ[d]]] + [Å[d]] [Ȧ-d]] ⃗÷ [Å[2] Ȧ ⃗÷ Ȯ[n] + [Ȧd ⃗÷ Ȯ[d]]]

[c] ⃗÷ Ȯ[1]] + [Ȯ[Ȯ[N] Ȧ ⃗÷ [Ȧ[x]] c Ȯ[2]] + [Ȯ[N[2]] Ȧ [[Ȯ[n]] c ⃗÷ [Å-c]] + [[Ȧ ⃗÷ Ȯ[x]]] ⃗÷ [Ȯ[n] - Ȯ[n] ÷ Ȯ[2] ÷ Ȧ - c ⃗÷ Ȯ]

[Py-O-Ȧ[÷ d] ⃗÷ [Py[N] d [n] c ⃗÷ Ȯ[2]] + [Ȧ ÷ P[1] -d] + [Ȧd [x-n] d-Ȧ[mpl] + T[1] Ȧ] c T[n] d m]] + [[Ȧ-d ⃗÷ [Ȯ c ⃗÷] +

[Ȯ[N]][1] [Ȧ + Ȯ]] ÷ [Ȧ ⃗÷ Ȯ[n]] c ⃗÷ Ȧ ⃗÷ Ȯ[x]] + [[Ȯ[n]][1] Ȧ] + [Ȧ[c] [x-n] Ȧ ⃗÷ Ȯ[x]] ⃗÷ Ȯ[n][1]]] [Ȯ[n] Ȧ ⃗÷ x-n] + [Ȧ - c ⃗÷ Ȯ[1]] c Ȯ

[[Ȧ-pl c d] + [Ȧd] ⃗÷ [Ph[n] d O] +] c [pl d] Ȧ] ÷ [Ȧd-pl ⃗÷ Ȯ[2]] + [Ȧme-d]] + [Ph[n] -Bf d m̄ ⃗÷ c [d] Ph Q] ⃗÷ [BP-O[n] d

[[Ȯ[N] Ȧ ⃗÷ [n]] + [Ȧ] ⃗÷ [Ȯ[n]][2] Ȯ[n]] +] c [[Ȯ[1]] ÷ [Ȯ[n] Ȧ ⃗÷ Ȯ[x]] + [Ȧ[x-n]]] + [Ȯ[n] Ȧ ⃗÷ Ȯ[1] c [Ȯ[2]] + [Ȯ[2] Ȧ ⃗÷ [N-

[Ȧd + c[d]] ⃗÷ [[Pẏd ⃗÷ me ⃗÷ [n] d Ȯ[x]] c [Ȯ-Ȧ[a]] ⃗÷ Ȧ[Ȯ] m d] + [Ȧd + Ȧme[d]] + [Ȧme ẏ d] ⃗÷ [Ȧm[2] ẏ d[n]] ⃗÷ [Ȧ[Ȯm

[Ȧ-c] Ȧ ⃗÷] + [Ȯ[N]][2] Ȧ ⃗÷ [x-N] Ȯ] c [Ȯ-Ȧ[c]] ⃗÷ [Ȯ[n]][x] Ȧ Ȯ] + [Ȧ[x] ⃗÷ [x[N] + Ȯ[N]]] c Å] ÷ [Ȧ-c + [Ȧ[Ȯ][n]] + [Ȯ

[Ȧ P[n]] + [Ph[n] d Ȧm + [c] pl [c T[1] m Ȧ]] ÷ [d][1] ÷ [Ȧ-pl [d][2] ⃗÷] ⃗÷ [Å [Ȧ-d ⃗÷ Ȯ[x]] + [Ȧ[d] m[d] ⃗÷] + [[T[O] d Ph[n]

Ȯ[N]][2] Ȧ ⃗÷ [Ȯ[n]] ⃗÷ Ȯ[N][1]] c Ȯ[N[2]]] + [Ȧ][1] ⃗÷ [Ȯ[1] c Ȯ[2]] - Ȧ ⃗÷ [c] [Ȯ[3] Ȧ ⃗÷ Ȯ[+]][n] + [Ȯ[n] Ȧ [Ȧ-c] +] + [[x[n]] + Ȧ [Ȯ

] c [Ph[N] - Ȯ[n][2]]] + [[T[1] Ȧ-d] + [m̄[d] - Ȧ] +] c [N̊[d] Ȧ ⃗÷ Ȯ[x] + pl[d] ⃗÷ Ȯ[n][x]] c Å[2]] + [Ȧ[d] [m-[c][Py[n]

] c [Ȯ[N]] Ȧ[c] ⃗÷ Ȯ]] + [[N] Ȧ ⃗÷ [n]][1]] c ⃗÷ [[Ȯ[c]] - [Ȧ]]] - [Ȧ-c] ⃗÷ Å] ÷ [Ȧ ÷ [Ȯ[c]] ⃗÷ Ȯ[n]][1]] - Ȧ]] + [O-Ȧ] [Ȧ ⃗÷ [c]][c] ⃗÷

-d] ⃗÷ [Ȧ[d] ⃗÷ Ȯ

[Ȧ·d ÷ o] ÷ [x-me[N] d Ȧ] → [ȦP[x]] + [Ȧ ın → P] d] + [Ȧ-d → T[1] Ȧ] + [pl-Ȧ[d] + T[1] Ȧ] + [pl-Ȧ] + [Ȧd] → [Ph[n] d o]
[Ȯ-Ȧ[c]] → [ȯ [x-N] [Ȧ-c] → Ȧ [Ȯ[a]] + [[Ȧ-c] → Ȯ[n]] + [x[N] Ȧ → Ȯ[N]] ÷ [Ȧ-c] + [Å] Ȧ] + [Ȯ[x]] + [Å] + [nȦ [Ȯ[x]]]

[Pẏ-o d-Ad][n] ÷ [Ȧ-d → O] ÷ [T-o r[n] d + Ȧpl → T[n]] [m-d] → Å [Ph[n] d O [Py-n] d] + [Ȧ-me] + Ȯ[Ȧ] + Ȧd → [O[2]]
[Ȯ[1] [Ȧ]/[c] Ȯ[1]] ÷ [[Ȧ - Ȯ c → Ȯ[n]] → Ȧ [O[N] Ȧ → Ȯ[x] + [[N[x]] Ȧ → Å] c Ȯ[n]] [c]] Å] + [Å[2] Ȧ → Ȯ[n-Ȧ]] → Ȧ → Ȯ[2]]

[c] → [[Ȧ[pl]] [d-pl[2]]] ÷ [d-Py[N]] + [Ȧd] → [[T[o] + pl → mr] Ȧ]] c [Å d] → + [P[n]] + [[Ȧ m [Ȧ mpl] + c [pl[n]]]
[c] → [[Ȧ[Ȯ[n]] c Ȧ[Ȯ[2]]] + [O[N]][1] Ȧ] + [Ȧ-c] → [[O[N]] Ȧ → x[N]]] c [ÅȦ →] + [Ȯ[n]] + [Ȧ → [Ȧ[c]] c → [c][n]]]

[c] → Ȯ[1]] + [BP[Ph[n] d [Ȧ a] c Ȯ[2]] + Py[n] d [Ȯ[1] + Ȯ[2]] c [Ȧ[d]]] + [Å[d]] [Ȧ-d]] → [Å[2] Ȧ → Ȯ[n] + [Ȧd → Ȯ[c]]]
[c] → Ȯ[1]] + [Ȯ[Ȯ[N]] Ȧ → [Ȧ[x]] c Ȯ[2]] + [Ȯ[N[2]]] Ȧ [[Ȯ[n]] c → [Å-c]] + [[Ȧ → Ȯ[x]]] → [Ȯ[n] - Ȯ[n] + Ȯ[n] → Ȧ-c → ȯ]

[Py-o-Ȧ[→] d] → [Py[N] d[n] c → Ȯ[2]] + [Ȧ → P[n]-d] + [Ad[x-n] d-Ȧ[mpl] + [T[1] Ȧ] c [T[n] d m]] + [Ȧ-d → [Ȯ c →] +
[Ȯ[N]][1] [Ȧ + ȯ]] ÷ [Ȧ → Ȯ[n]] c → Ȧ → Ȯ[x]] + [[Ȯ[n]][n] Ȧ] + [Ȧ[c] [x-n] Ȧ → Ȯ[x] → Ȯ[n]]] [Ȯ[n] Ȧ → x-n] + [Ȧ-c → Ȯ[x]] c Ȯ[x]]

[[Ȧ-pl c d] + [Ȧd] → [Ph[n] d o] +] c [pl d] Ȧ] ÷ [Ad-pl → Ȯ[2]] + [Ȧme-d]] + [Ph[n] · Be d m̄ → c id Ph Q] → [BP-O[n] d [d]]
[[Ȯ[N] Ȧ → [n]] + [Ȧ] → [O[n]][2] Ȯ[n]] +] c [[Ȯ[1]]] ÷ [Ȯ[n] Ȧ → Ȯ[x]] + [Ȧ[x n]] + [Ȯ[n]] Ȧ → Ȯ[1] c [O[2]] + [Ȯ[2] Ȧ → [N-o]

[Ȧd + c[d]] → [[Pẏ d → me → [n] d Ȯ[x]] c [Ȯ-Ȧ[Q]] → Ȧ[ȯ] m d] + [Ȧd + Ȧme c d]] + [Ȧme c y d] → [Ȧme[2] c Py d [n]] → [Ȧ[o m][2]]
[[Ȧ-c] Ȧ →] + [Ȯ[N][2] Ȧ → [x-N] Ȯ] c [Ȯ-Ȧ[c]] → [Ȯ[n]][x] Ȧ ȯ] + [Ȧ[x] → [x[N]] + Ȯ[N]] c Å] → [Ȧ - c + [Ȧ[ȯ][n]] + [Ȯ[x]]

[ȦP[n]] + [Ph[n] d Am + [c] pl [T[1] m Ȧ]] ÷ [d][1] ÷ [Ȧ-pl [d]][2] →] → [Å [Ȧ-d → Ȯ[x]] + [Ȧ[d]] m c d →] + [[T[o]] d Ph[n] O
[Ȯ[N]][x] Ȧ → [Ȯ[n]] → Ȯ[N]][1]] c Ȯ[N[2]]] + [Ȧ][1] → [Ȯ[1] c Ȯ[2]] - Ȧ → [c] [Ȯ[3] Ȧ → Ȯ[x]][n] + [Ȯ[n]] Ȧ [Ȧ-c] +] + [[x[n]] + Ȧ[Ȯ[n]] +

[x] c [Ph[N] - Ȯ[n]][2]]] + [[T[1] Ȧ-d] + [m̄[d]] - Ȧ] +] c [N̊[d]] Ȧ → Ȯ[x] + pl[d]] → Ȯ[n] [x]] c Å[2]] + [Ȧ[d]] [m - [c]] [Py[n] d]
[x] c [Ȯ[N]] Ȧ[c] → Ȯ[n]]] + [[[N] Ȧ → [n]][1]] c → [[Ȯ[c]] - [Ȧ]]] - [Ȧ-c] → Å] → [Ȧ → [Ȯ[c]] → Ȯ[n]][x]] - Ȧ]] + [n-Ȧ] [Ȧ → [c]][c] → Ȯ-

-[Ȧ-c]] → [Ȧ[d]] → Ȯ[x]] + [[d] → [n] → Ȯ[x]]] + [[[N]] d [Py[n]] [Ȧ →] pl] Ȯ[d] → me Ȧ]] ÷ Ȧ[Q] + Py[n]][2] d → [n]] Ȧ]] → [Å[Py[n]] d →
[Ȧ-c]] + [[Ȧ → [Ȯ Ȧ → [x-n] c → Ȯ[x]] c [n]]] + [[n] Ȧ → Ȯ[x]] c → [n]] [Ȧ-c] [Ȧ → Ȯ[n]] + Ȯ[x]][1]] - Ȧ[n] → Ȯ[x]][2] Ȧ]] → [Å] + [n][1] Ȧ

[Ph[n] Ā[d] m̄] c [Pẏ-o] + Ȧ pl → Ȯ[N] → [Ȯ[1] → Ȯ[2]] [n]][x] + [Ad + [c]-d[2]] → [Ȧ me] → [Ȧd] → [Pẏ[d]] O[d] → Ȯ[x]] → [Ȧd[c]]
[Ȯ[N]] Ȧ → [O[x] Ȧ → Ȯ[x]][2]] c [n]][1] → [Ȧ[x-n]] c [[n]][n] Ȧ] → Ȯ[2] c → [[n]][2]] c → [[n]][2] Ȧ → Ȯ[x] → [Ȯ[2]]] + [Ȧ-c] →

[→ T[o] d[c] → ȦP[x]] + [[Ȧ[d]] [c] →] + [[Py[n]] d → [Pȳ-o] - [d] → [Ȯ[x]] + [[m] - d Py[n]][2]]]] + [[T[1] Ȧ + d]] + [Ā[m̄] →
[+ Ȯ[N]] Ȧ → Ȯ[x]]] + [[[Ȯ] [Ȧ - c] → [Ȯ[x]][1]] ÷ [[Ȯ[x]] - Ȧ → [n] → Ȯ[x]] c [Ȯ[n]][1]]] + [Ȧ → ȯ]] + [[Ȯ N] → [ȯ]]] + [[Ȧ - c]

Py[n] → [N][x] d] + [Ȧ[m p d] Ȯ[c]] → [[Ph[n] - d] Ȧ[ȯ][n] - m] c [Py-n] d → [N][m][n] + [Ȯ[x] m[n]] + [Ȧ[d]] → m]] + [Ȧ[d]] +
→ [n[1]]] Ȧ →] + [[Ȯ c Ȯ[2]] Ȧ] + [Ȯ[N]] Ȧ] [[Ȯ[x]] Ȧ → [Ȯ[x]]] [n] Ȯ] c [Ȯ[x]] → [Ȯ][3]] + [[n] Ȧ [c]]] + [[n] Ȧ]] +

[Ā[m - Ȧ[pl]] → [n] + [c]]] + [Ȧd + c] → [Ȧd] → [[[N] → Ph / Py[n]]] → P[x] - d] → [n]] c Å [+ Ȧ[Q] → d]] + [[n] d O[Py] d m]
[+ [Ȯ[n]][x] c Ȯ[x]][n] → [n]]] + [[n]-Ȧ]] + [Ȧ-c] + [[[n] → [Ȯ[n]][x]]] c [Å [Ȧ → Ȯ[n] - x] c [x[n]] Ȧ → ȯ]] + [[x[n]] Ȧ ÷ [Ȯ]]

[Ȧd] → Ȯ c →] + [Ȧd] + [[Ȯ] c Å [Py[n]][x] d → [Pẏ d o] + Ȧ-pl → ȦP[x] → [n]] + Ȧd → [T[3] Ȧ + d]] → Å [m] → ȦP[P[n]-d] [[dr] + Ȧd → Ȯ]] c Ȧd] → [Ph[n] d O[

[P[c] Ȧ − Q[d] → Pÿ O[zm] d → P[n]] + [A → P[x] [d]] + [A m p] + A [dr] + [T[n] A]] + [[dr] + Ȧd → Ȯ]] c Ȧd] → [Ph[n] d O[

[P[c] Ȧ − Q[d] → Pÿ O[z m] d → P[n]] + [Ȧ → P[x] [d]] + [A m p] + A [d r] + [T[n] A]]

[Pc Ȧ − Q[d]] → Pÿ O[zm] d → P[n]] + [Ȧ → P[x] [d]] + [A mp] + A[dr] + [T[n] A]] + [Ȧ ∣ O[n] c O[a]]] c ∣Ȯ[c]] + [Ȯ A] A − c

[[Ȯ[n] [Ȧ − c] [Ȯ[n] − Ȯ][n] Ȧ]] + [Ȧ → Ȯ[n] Ȯ[x]] + [N[ȯ] Ȧ [Ȯ[n] c O[n]][2]] A] + [Ȧ ∣ O[n] c O[a]]] c ∣Ȯ[c]] + [Ȯ A] A − c

c A[d]] + [Ȧ p] c Å] + Ȧ d[n] c →] + [Ȧ − P[a]] d] → [B P[d] Ph[n] d O c A[d] + [T[n] Ȧ]] + [[p] − Ȧ] c [d]] + [A [d]] + [

Ȯ[x] c Ȧ] + [N] − A[c] Å[0]] → Ȯ[x]] + [[Ȯ[n] [x]]] + [[[Ȧ − c][a] Ȧ → [Ȯ[n] Ȧ → Ȯ[x]] + [O[n]] [A − c] → [O[N] + [x − n]]] Ȧ

me] [d − c] →] + [T[0] d [T[n]]] + [Ȧ − P] → [[N] d Ȧ [A] [m − p] + c] → Ȯ[x] → [n][1] → [n][a] + [T[1] Ȧ]] → [Ȧ P[0]][2]] + [Ȧ − P

Ȯ[1]] + [Ȧ → O[x] → Ȯ[n]] c [N] +] + [Ȯ[n] → [Ȧ − Ȯ] → [[[n] → [n] − [Ȧ − c] → Ȯ[x]] c [Ȯ][2] →] + [x[N] + N] Ȧ → Ȯ[n][2]] + [Ȯ[n]

[A[d]] + [T[1] Ȧ]] + [Ȧ [me] − [m̄] d [py[n]]] + [Ȧ − [d]] + [T[Ȧ]]] + [[Ȧ[d]] + Ȧ me]] + [[N] d [Ph ∣ py] c [Ȯ] [d py[n]] → Ph [me]] c Ȧ[n]

[Ȧ − [Ȧ → [c]]] + [[x n] Ȧ → [Ȯ − n[x]]]] + [[[Ȧ − c] − Ȧ]] + [[[x[n]] − Ȧ → Ȯ] c → [Ȯ[n] − Ȧ → O[n]][x]] + [O[N] + x[1]]

[Ȧ P[a]] − Ȧ → Ȧ P[n] c → [d] c → [Ȧ P[n]]]] + [Ȧ P [d] c [d] → Py[n]] + [[Ȯ][x] Ȧ − [c] → [Ȯ[x]][a] → Ȧ d → [[Ȯ[x]] c][3] → [m]

→ [Ȯ[N] [Ȧ − c] → Ȯ[x]] [[Ȯ[n] − Ȯ]]] + [Ȯ[n] → [Ȯ[n] c Ȯ[a]] → Ȯ[N]]] + [[[x − n] c → [Ȯ[n] + Ȯ[a]] → [n]]] → [Ȯ

[A d] + [c] d[m] → Ph[n] d O] + [Ȧ d[c]] → [Ȧ − P − [n] − d]] → [Ph[n] d O c Ȧ − Br]] + [Å [Ȯ[n] Ȧ → Ȯ]] + [Ȧ − [m̄] py[d]] + d][x]] →

[[n] − Ȧ → [[Ȧ] c → [Ȯ[x]]]]] → [Ȧ − c] [Ȯ[x] c → [[O[n]] → Ȧ[n]]] + Ȯ[N] Ȧ → Ȯ]] + [[Ȯ[x] Ȧ]] + [[Ȧ − c] Ȯ[x] → [[n]][c]]] +

[Ȧ[d]] → [[Ph[n]] + [n̊] Ȧ → [Ȧ [ȯ] [n]]] c [py[n]] [d] − Ȧ] → [Pÿ − O] d → [[n̄] m → [me]] + [Ȧ − A[d]] + [Ȧ [d] [c → [n]] → [Ȧ − d → Ȯ[n]

[Ȧ[n]] → ([n̊] ∣ Ȧ → O[x] Ȧ − [Ȯ] + c] → [n̊][x]] + [N] Ȧ] O[m] → [Ȧ − c] → [x[n]][1] − [x[n]]]][2]] + [Ȯ[n] → [n] Ȧ][2]] + [[[Ȧ → [Ȧ − c] → Ȯ[x] → [n]]]

[T[a] Ȧ]] → [[N] d O → ^d [py[n]] [m] → Ph[n]] Ȧ [d] p] → [me] − [n]][x]] + [Ȧ − P[n]][0] + [A[d] + [c] → [Ȯ[x] [py[n]] d]]] → [Ȧ − P[d]

[O[N] Ȧ[2]]] + [[N] → Ȧ → Ȯ[x]] [[[n] − Ȧ → Ȯ[n]] c → O[x] → [n]] [Ȧ]] + [Ȯ[n] − Ȯ[n]] + [Ȧ] [Ȯ[n] [Ȧ − c] Ȯ[x]] → Ȯ[n][2]] [Ȧ][2]]] → [O[n]][2] Ȧ]

[[d] → [[Ȯ][n] c] → [m [d] → Py[n] + [d][2]] → [O[x]] c → [[d] [Ȧ]] → [[d] → [m̄] → [me]] + [[d] Ȧ + [T[1] − Ȧ]] → [Ȧ → me]][2]] + [d[

[[Ȯ][n] Ȧ − c]] → [[n] − Ȯ[Ȯ[x]] c [[Ȯ[x]] Ȧ] − [Ȧ − c] → [Ȯ] → [n] → [Ȧ → [N][x] + [x[n]]][2]] → [[x − n] Ȧ[c] → Ȯ] c → [n][ȯ]] + [A[

[[[n] + Ȯ] [d] → [Ph[m] d O] → Ȧ [E]] d[n] → Ȧ P[x]] + [Ȧ[d] + [T[1] A]] + [A [m p] → Ȯ] + [p] → [Ȯ c Ȧ]] d] + [T[0] d p] → [Ȯ

[Ȯ[n]][x] Ȧ → Ȯ[x] [O[n] c Ȯ[x]] + [Ȧ − c → Ȯ[N]]] + [[[c] + [N]] Ȧ][1]] + [[Ȯ c [n]][1] → [n][2]]] + [[O[n] − c] Ȧ]] + [[N] + [x − n] Ȧ → Ȯ

[T[0] [d] →] + [[py[n]] d → Ȧ P] → [A[d]]] c [Å][m − [d]] → [Ȧ − P

[[O[n]][A-c]O[n]-O][n]
+ A[d]] +[A[p][A] +A[d][c] + [A-P[n]] [d] + [O[n][n]] + [[A-c][n] A + [O[n]] + [n][n]] + [A P[n][n]] +
O[n][A] + [N]A + O[n]] + [O[n][n]] + [[A-c][n] + O[n]] + [n][n]
[[n][N]d A[A] c m p[l] + O[n] + [O[n]] + [n][n]] + [A P[n][n]]
[me][d-p]] + [T[n] d [T[n]] + [A-P] + [N] d A[A] [m p] [n]] + [O[n]] + [n] + [A-c] + O[n] [c[O][n]] + [N][N][N] A + O[n][n]] + [O[n]]
Ȯ[n]] + [A + O[n] + O[n]] - [N]] + [O[n]] + (Ȧ-O] + [[n] + [n] [A-c] + O[n]] [c[O][n]] + [N] d[Phen][c[O]] [c d P y c[n]] + Phen] + [A[n]
[A[d]] + [T[n]A]] + [A[mp] - [n][d][P y[n]]] + [A-c[d] [T[n]]] + [A[d] + A[me]] + [N] d [Phen][c[O]] [c d P y[n]] + Phen] + [A[n]
[A[A][n]]] + [[n] A + [O-n[x]]]] + [[[A-c] A]] + [[x[n] - A + O] c + [O[n] - A + O[n][n]] + [O[N] + x[n]]
[A[A][n]]] + [[n] A + [O-n[x]]]] + [A[d] c [d] + P y[n]] + [O[n] A - c[n] + [O[n]][n] + A d + [O[n]]
[A P[n]] - A + A P[n] c [d] c + A P[n]] + [A P c d] c [d] + P y[n]] + [[x-n] c + [O[n] + O[n]] + [n]]] +
+ O[N] A[x] + O[n]] [[O[n] - O]] + [O[n] + O[n] O[n]] + O[N]] + [[x-n] c + [O[n] + O[n]] + [n]]] +
[A d] [c d[n]] + Phen d O] + [A d[n]] + [A - c [n] d]] + [Phen d O[A-Br]] + [Ȧ[O[n]] A + O]] + [A - [n] P y[d] [d[n]]
[n]-A + [Ȧ] c + [O[n]]]] + [A-c] [O[n]] c [O[n]] + A[n]]] + O[N] A - O]] + [[O[n] A]] + [[A-c] O[n] + [[n][n]]]
[A d] + [[Phen] + [n] Ȧ + [A c O[n]]] c [P y[n]] [d] - A] + [P y - O] d + [n] m + [me]] + [A - A[d]] + [A [d] [c P[n]]] + [A d + O[n]
[Ȧ[n] + [Ȧ] Ȧ + O[N] A + O] + c] + [A[n]] + [N] + [O[n]] + [A - c] + [x[n][n] - [n[n]]]] + [O[n] + [n][n]] + [[[A - [A - c] + Ȯ[n] + [n]]]
[T[n] A]] + [N] d O + [P y c[n]] c m] + Phen] A[d] d + [me] - [n][n]] + [Ȧ - P[n][c O]] + [A[d] + c c] + [O[n] [P y c[n]] d]] + [A - P[d]
[O[N] A[n]]] + [N] A + O[n]] [[[n] - A + O[n]] c + O[x] + [n]] [A]] + [Ȯ[n] - O[n]] + [A] [O[n]] [A - c] O[x] + O[n][n]] [A][n] + [O[n][n]]
[[d] + [O] c + [m c d] + P y[n] + c d][n] + [O[x]] c + [[d] [A]] + [[d] + [m] + [me]] + [c d] Ȧ + c T[n] - A]] + [A + me]][n]] + [d[A]]
[[Ȯ][n] Ȧ - c]] + [[n] - Ȯ[c O[n]]] c [[O[n]] A] - [A - c] + [O] + [n] + [A + [N][n] + [x[n]][n]] + [x - n] Ȧ [c] + Ȯ] c + [n] [c O] + [A [n]]
[[[n] + Ȯ] [d] + [Phen d O] + Ȧ [E] d[n] + Ȧ P[x]] + [Ȧ [d] + [T[n] A]] + [A[mp] + O] + [p] + [O [A]] d] + [T[n] d p] + [n]]
[O[n][x] A + O[x] [O[n]] c Ȯ[x]] + [Ȧ - c + Ȯ[N]]] + [[[c] + [N]] Ȧ] + [[Ȯ[n]][n] + [n][n]] + [[O[n] - c] [A]] + [N] + [x - n] Ȧ + [O]
[T[O] [d] +] + [[P y[n] d + Ȧ P] + [A [d]]] c [Å][m - d] + [A - P[n] [d] + [A[d] + c T[n] A] - [c] + [n]] + [P y - O] [d] m + Phen]
[x - n] Ȧ +] + [[O[n] Ȧ + Ȯ[x]] + [n][n]]] c [Å][A - c] + [[O[n]][n]] + [Ȯ[n] Ȧ + Ȯ + [n][n]] + [n][n] Ȧ + [n][n] O]
[A[d] + [p] + Ȧ [d]]] + [Ȧ [O] m c d][n] + [Ȧ - P[d]] + [A[d] + T[n] Ȧ]] + [[Ȧ [d]] + [P y - c O] + [[Ȧ + c c][c d] + [Ȧ - P[n]
Ȯ[Ȧ + O[N] - Ȯ c + n[n] + O[x]][n] + [[[Ȯ[n]] Ȧ [+ [n][n] + [n][n] c + [Ȯ[n]] c [Q n]] Å c + Ȯ[n][x] + Ȧ + [N]
[n] c] + [P y d + P y[n] A c + [Ȯ[n]] + [n[x]]] + [Ȧ [mp] p]] + [[p] Ȧ + [Ȯ[x]]] + [[Ȧ d] + [N] d O[P y c[n]] [d] + Phen] m + Ȧ]
[x[n] + Ȯ[N] Ȧ + [O][n] - [n]] + [[Ȧ] c + O[n] - [n] + [O[n]][n] - [n] c Ȯ[n][n] - [n]]] + [Ȯ [N][n] Ȧ + [Ȯ[x]]
[Ȧ - P[d]] + [A[mp] p] + Phen] - p] + [O[n]]] + [c d] Ȧ c [d] [p]] + [Ȧ p]] + [Ȧ [d] + Ȧ me]] + [Phen d O [E p A]]]
[[Ȯ[n]] + Ȧ [c] + [Ȧ - c Ȯ][n] + Ȧ - [O][n] + [[N] - A] + [N] Ȧ + Ȯ[x] + c + [Ȯ[n] A [c]] + Ȯ[N]] Ȧ + [O][n]
P y[d] Ȧ + O[n]] + [A d + [Ȯ[n]]] + [Å[n - A] + A[d] + [c d][n] + me] - p] + [Ȧ[n] + Ȯ[n]]] + [A d + T[n] A] + [m p] + P y[n]] d A]

[À - [mp] - p| ⃗+ [d ⃗+ p| ⃗+ [Ȯ[1] + Ȯ[2]] A] + [À[d]] +[[A[d] ⃗+ [n]] c [À[n][x] + À[P][x]] [d] ⃗+ [A P[n]] p| ⃗+ [n] - A]

[[[O][3] c [Ȯ[1]]] À - c] ⃗+ [n] ⃗+ Ȯ[x]]] + [[Ȯ] À]] +[[n] - À ⃗+ [Ȯ]] c [Ȯ[N] À ⃗+ [n]] ⃗+ [[n][1] ⃗+ [N] À ⃗+ Ȯ[x] c ⃗+

[[d] ⃗+ [[n - O][x] c ÀP[d ⃗+ A] + [m ⃗+ [n - O] d ⃗+ [mp]] + [A[d] + m ⃗+ AP[x] [d] ⃗+ Ā[m̄] ⃗+ [d] À P[x] [2]]] c [Å] + [

[n][1]] À ⃗+ [N - [O[n]][x] - À] + [[x - n] À ⃗+ O][x]] ⃗+ [N] + [[[n][x] ⃗+ N] À ⃗+ [n][1] ⃗+ [N][x] + [n][x3]]] c [Å] + [

[[À[d]] ⃗+ [p| - À ⃗+ [mp][d][x]] c [[d][1] À]] ⃗+ [N] À ⃗+ [d]] c [O] + [À - c + [d]] ⃗+ [Ad + Amp]] ⃗+ [n] d [mp] p|

[[Ȯ[N]] À ⃗+ O] c [[[N]] [x = n] À ⃗+ [n][x] À - c ⃗+ Ȯ[1] ⃗+[n] [n][1]] + [À ⃗+ [x - n] c ⃗+ [Ȯ[1] - [n][1] À] ⃗+ [n][1]]

⃗+ [n] ⃗+ [ÀP[x] d ⃗+ À[P] - [n] d]] p| ⃗+ [n]] c [Å] + [Ȯ[N] - Ȯ[x] ⃗+ [[n] - À]] + [À - mp] c À[Q] m[d] ⃗+ [n]] + PY[n]

[À[n][1]] À - [Ȯ] ⃗+ [[[n][x]] - [N]] À ⃗+ [[n][1]] c [Å] + [[N - Ȯ[x] À ⃗+ [n][x]]] +[[[n] + [x - n] + [n - Ȯ]] - À]] + [n -

[d]] ⃗+ [n] À ⃗+ [d]] +[[m̄ [d Å ⃗+ [À ⃗+ mp]] ⃗+ p| ⃗+ A [d] ⃗+ [n] ⃗+ AP[x]] + [[A[d] + À[d[x2]] À ⃗+ [N] ⃗+ Åp| - O[x] c [n]]

À ⃗+ K ⃗+ n]]] ⃗+ [À - [x] ⃗+ [[x - n À ⃗+ Å] ⃗+ À ⃗+ [n][x]] À ⃗+ [n - Ȯ]] + [[À ⃗+ Ȯ[N] ⃗+ [n][x] ⃗+ Å [Ȯ][x] c [n]]]

[À ⃗+ P[d] ⃗+ A[d] + mp| ⃗+ n - O c ⃗+ n[2] À ⃗+ P[2][n]]] + [Àd ⃗+ Å[d] ⃗+ PY [d] Ȯ c À ⃗+ Q d] ⃗+ Ph[n]

[[[n][1] À] + [[À - c] ⃗+ N ⃗+ n[x]] [[n[2] À] + [[À - n] c [Å] + n[1] ⃗+ n[2] c Å [À - n - Ȯ]

[À ⃗+ O [À ⃗+ BP c[d] ⃗+ ÀP[n]]] + [ÀP[À - N] d] [n]] + Ad p| c ⃗+ Ph[n] + [T[1] À ⃗+ Àd] ⃗+ ~~Àmp~~

⃗+ Ȯ[N] À ⃗+ N[n] c Ȯ À ⃗+ n[1]] + [[À - N] c [n[1]]] + [[À - c] ⃗+ N] + [Ȯ[N] À ⃗+ À[N]]

~~Àd~~ [À p| c [d] ⃗+ [Àd] + [Àmp] + [À [c] [d] + Àd ⃗+ c Ph[n] d O [À ⃗+ E] + [[Àd] ⃗+ c Ph[N] d [O[x]]]

[2] + [x - n] À] ⃗+ [[K] ⃗+ ([x - n] - [x] ⃗+ [2]] [n]) c ⃗+ À ⃗+ [N ⃗+ Ȯ[x]]] + [[n[1] À ⃗+ Ȯ[x] c [N] [Ȯ][n]]

[[m][d] À] + [[d]] [À] ⃗+ [m ⃗+ mp] d]] + [À[mp] - [x]] + [À[c] [d]] ⃗+ [PY m̄ [d] + T[1] À]] + [p| + [d]] c [d À]

[n[À]] [[À - n] [c] À ⃗+ [x - n] [n] - [[x] - [[Ȯ][n[1]]]]] + [À - c] + [[[n[2] - À [n[1]] c Ȯ[x] ⃗+ [n[2] N -

⃗+ [Am [PY [d]] + ⃗+ À ⃗+ P[n] - [O c ⃗+ [Ph[N] d BP[Ȯ][x] À]] ⃗+ [À ⃗+ P[d]] + [PY [d] m À] ⃗+ [m̄ p| ⃗+ [c] ⃗+ [n]

À [n - Ȯ[x]]] + [n À[c] ⃗+ [[x - n] [n] + [[N][O] d [n[n] [À[n]]] + [[n[2]] + [[À - n] [À [À] [N[n[2]] [c] ⃗+ [n

[x] - A ⃗+ À ⃗+ P[n - [O c ⃗+ [Àmp] d ⃗+ Ȯ[x] ⃗+ Ph[N] d O [À ⃗+ E]] + [[À[d] ⃗+] Ȯ[2] c [PY [À] ⃗+ [d]]]

- [x] - À] + [n[2] - n[Ȯ] c ⃗+ [[[x] [n[1]] À ⃗+ [Ȯ[x]] [N[O] [À[c] - [Ȯ[N]]] + [[[x] À [Ȯ] À[x]] ⃗+ Ȯ[2] [À - n] À +]

<[[A ⃗+ P[1] [d]] [n] [[Ȯ c À[d]] [c] ⃗+ [T[O] [d] ⃗+ mp]]] > [1] + <[[p| + À[mp]] [m - [d]] + [[p| [d]] ⃗+ Ȯ[2] - À

[illegible]

÷]n] ÷]AP[x] d÷ A[P]-[n]d]]p| ÷[n]]c[À] + [O[N] - Ò[x] ÷[[n]-À]] + [À-mp] c À[a]m[d] ÷[n]] +PY[n]
[À[n][n]] À-[Ò] ÷[[[n][x]]-[N]] À÷[[n][n]] c[Å] + [[N-Ò[x] À÷ [n][x]]] +[[[n]+ [x-n]+[n-Ò]] - À]] + [n-
d]] ÷[n]À ÷[d]] +[[m̄ [d Å ÷ [À ÷ mp]] ÷ p| ÷ A [d] ÷[n]÷ AP[x]] +[[A[d] + À[d[x a]] À÷[N] ÷ Åp|-Ò[x] ÷[n]]
À ÷ K ÷ n]]] ÷[À - [x] ÷[[x-n À ÷ Å] ÷ À ÷ [n][x]] À ÷[n-Ò]] +[[À ÷ Ò[N] ÷ [n][x] ÷ Å [Ò][x] [n]]]
[À ÷ P[d] ÷ A[d]+mp| ÷ n-o c÷ n[a] À÷P[a][n]]] + [Àd÷ Å[d] ÷ PȲ [d] Ò c À÷ Qd] ÷ Ph[n]
[[n][n] À] +[[À-c] ÷ N ÷ n[x]] [[n[n] À] + [[À-n] c [Å] + n[n] ÷ n[a] c Å [À-n-Ò]
À÷ O [À÷ 8P c[d] ÷ ÀP[n]]] +[AP[À-N]d] [n]] + Ad p| c÷ Ph[n] +[T[n] À÷Àd] ÷ ~~Àmp~~
÷ Ò[N] À÷ N[n] c Ò À÷ n[n]] +[[À-N] c [n[n]] +[[À-c] ÷ N] + Ò[N] À÷ À[N]]
Àd] À p| c[d] ÷ Àd] + Àmp] + À[c]] [d] + Àd ÷ Ph[n] d Ò [À÷ E] +[[Àd] ÷ c Ph[N] d [Ò[x]]]
[a] + [x-n] À] ÷[[c] ÷ [[x-n] - [x] ÷ [a]] [n]] c ÷ À÷ [N ÷ Ò[x]]] + [[n[n] À÷ Ò[x] c[N][Ò[n]]
[[m][d] À] +[[d]][À] ÷[m÷mp]d]] +[À[mp] - [x]] +À[c]] [d]] ÷ [PY m̄ [d] + T[n]À]] +[p| + [d]] [[d À]
[n[À]] [À-n] [c] À÷ [x-n] [n] -[[x]]-[[Ò][n[n]]]] + [À-c] +[[[n[a] - À [n[n]] c Ò[x] ÷ [n[a] N-
÷ Àm [PȲ [d]] + ÷ À÷ P[n]-[Ò c÷ [Ph[N] d 8P[Ò][x] À]] ÷[À ÷ P[d]] + PY[d] m À] ÷ [m̄ p| ÷[c] ÷[n]
À[n - Ò[x]]] +[n À[c] ÷ [x-n] [n] + [[N][Ò] d [n[n] [À[n]]]] +[[n[a]] + [À-n] [À [À] [N[n[a]] [c] ÷ [n
[x] - A ÷ À÷ P[n-[O c÷ [Àmp] d ÷ Ò[x] ÷ Ph[N] d O [À÷ E]] + [[À[d] ÷] Ò[a] c [PY[À] ÷ d]]]
-[x] - À] + [n[a] - n[Ò] c÷ [[[x] [n[n]] À÷ Ò[x]] [N [Ò] [À[c] - [Ò[N]]] +[[[x] À [Ò] À[x]] ÷ Ò[a] [À-n] À+]

<[[À ÷ P[n] [d]] [n] [[Ò c À[d]] [c] ÷ [T[Ò] [d ÷ mp]]]] > [1] + <[[p| + À[mp]] [m-[d]] +[[p| [d]] ÷ Ò[a] - À]
< [[[n[n]] À][Ò][n] [À-N][c] [x-n] - [Ò[x]] c [À-À]] > [1] + <[[x-n] - [[n] [c] À]] +[[Ò[a] c [n]] + À÷ [Ò[3]]
[+[n[Ò] -[m] À] + c T[n] À]] [c] [d-p| ÷[n]] ÷[T[n] À÷ Ò[x] c÷ T[n] + T[a]] [Ò]] c[[d] [a] ÷ [AN[d] À[A] c Ò]]]
+[[À-n] + x-n] c À]] [[Ò[N] À[x-n] + À[N]] c À÷] +[[x÷ d] c [x-n] [n] ÷[a] À÷ [n] [Ò[n]]] c [Ò [À] [a] ÷ [[N+ [ÀW] c À-n] [Ò[x] ÷ À
c [T[Ò] [a] - PY[N] À]] > [a] + <[[À÷ P[n] [d] [n]]]] +[T[n] À + [m ÷ [Ò-Ò] c À÷ Ph[N] [d] -[A[d]] +[c] n [Ò[x]
c[ÀN] + [x-n] À] [Ò][a] > [a] + < [Ò[a]] [n[n]] À] [x] -n] + [[À-n][c] ÷ [N][Ò] ÷ n[n] À÷ Ò[x]]] c ÷ Ò[N] + [x-n] À]
[À[d]] ÷ PY[m] À + Ad - T[a] A] ÷ Å[P x n] [n] ÷ Ò[x] .. c ÷ [d] ÷ [PȲ [d] [Ò]-À ÷ [c] ÷ d ÷ PY[n] ÷ Ph[N]

[À[d] +⃗ [O[1]] [c] +⃗ [Ó[d] - À] + [T[2] - À[d]] + [Àmp + À[d]] + [Ṗy[o]] [c] +⃗ [d] +⃗ [O] [1] + [dr[c] - [d]] +⃗ À

[O[N]][À +⃗ [O[1]] c +⃗ [[À - N] [c] Å +⃗ [∩[x]] +⃗ [[x-∩] [Ó[1]] +⃗ [∩] À] +⃗ [À - ∩]] À - [c]] +⃗ ÀN] [À]] + [N[À]] c +⃗ [[∩ - [À

P[x] d]] +⃗ À +⃗ [P + [O][x]]] c +⃗ [A[mp]] + [c][p][x]] + [p][c] +⃗ Ò +⃗ O[∩] - À] [d] +⃗ [À[d] + [mpA[m]]] +⃗ [Py[N]]

+⃗ ∩[x]] + [[∩[x] + Ó[x]] À] c +⃗ [[À - [c]] +⃗ [[Ò[x]] +⃗ [N]] [Ò[∩]] - À] [c] +⃗ [À +⃗ [x-∩] - ∩̇]] + [À - ∩]

[∩] + [Ṗy[d]] +⃗ [Ph[N] [À +⃗ [d]] + [[m] - [c]] À +⃗ [À[N] d [[Amp]] + [À] [O] [2] + p[À] + [À[d]] +⃗ À +⃗ Ph[N]

[x-∩] + [[∩[1] - À - ∩] [À] +⃗ N [Ò]] + [[∩̇ [c] À] +⃗ [[N[x] +⃗ [À - N[x]] - ∩[c]] - À] [Ò[2]]] +⃗ [Ó[1] +⃗ [O[2] - ∩̇[À]] [À +⃗ [N] +⃗

[Ph[A] [c] +⃗ [À[Ò]] [d] - Ò] + [A[d] - [[m - p] + [d]] + [[T[2]] - À]] + [mp - À] [c] - [[d] - [p]] +⃗ [À[d]] +⃗ [Ph[À[Ò] -

[Ó[1] +⃗ [O[N]] - [Ò - Ò] - À] [N]] + [[x-∩] +⃗ [À - N] [c] - [N] +⃗ N[x] À]] + [À - [c] [x-∩] À +⃗ O[x] +⃗ ∩] [[∩[À]] +⃗ [[x] - Ò] c +⃗ [N

[c] +⃗ [Å +⃗ [Py[N]]] [c] +⃗ [[Ò[1] - À] +⃗ [À - [d]] +⃗ [T[1] m - [d] À] +⃗ [Ṗy[d] - À]] + [d[c]] +⃗ [∩[À] c - [d]] [2] +⃗ À

[c] +⃗ [Å +⃗ [À - ∩]] [c] +⃗ [[À - ∩] [2] - À +⃗ O[N]]] +⃗ [[x] - [1]] c +⃗ [Ò[1] - À] +⃗ [[∩̇[1] - Ò] [c]] + [À - [c] [∩] [+⃗ Å [∩̇[1] - À] [2]]

[[m[À] - [d] +⃗ ∩[2]] +⃗ [À +⃗ [Ò] [1]] [d] +⃗ [[T[2] À]] +⃗ [Ṗy[À] - [m[c] - O] +⃗ [∩[1]] +⃗ [∩[2]] - [d] - [À] + [Tp]

[x-∩] +⃗] Ó[x] c +⃗ [∩̇] - À]]] +⃗ [[Ó[1] - [À] - [c] +⃗ Ó[2] [∩̇]]] + [∩[0] - [∩̇[1]] - [N + À - ∩] À] [c] +⃗ [∩[x]] + [Å - [À]] +⃗ [x-∩]

O] + [c] - À[N] - [À] [A[d] + [T[1]] À] +⃗ [[d] p] +⃗ A - [∩[À]] c +⃗ [ÀP[∩]] - [[d[3]] + [[À[N]] + Tp] [d] - [∩[0]] À +⃗ ÀP[∩]

Ȯ] + [c] +⃗ [[x-∩] - [x] + [À]] +⃗ À - ∩ +⃗ N] À] [c] + [[∩[1] [c] +⃗ [∩ - À] [Ò]] +⃗ ∩[x] - [À - ∩]] + [[∩[À]] c +⃗ Ò [x] +⃗ [Ò [2]] [[∩[1]]] + [c]

[m̈[d]] + [p][d] +⃗ Ò] - [À] + [[m[À]] A[m] d]] + [À +⃗ [Ò[d] - [Å]] + [T[2] À[d] + [c]] +⃗ [A +⃗ mp + [d]] +⃗

[∩[2] - À] + [[N] - [À - ∩] [c] - À] + [Ȯ[[Ò] [1]]] + [∩[0] - [Ò[À]] + [Å] +⃗ [[x-∩] [Ó[x] [c] [2] À] +⃗ [[Ó[N] [c À]] +⃗

[À[d] +⃗ [O]] [c] +⃗ [[d] [2]] + [T[2] À] +⃗ [À[mp]] [c] [[1] - Ò] [d] + [[c] [2]] +⃗ [Py[O]] [c] +⃗ [d]] +⃗ O[À]]] [c]

[O - À] [c] +⃗ [[À - ∩] - Ò] - À]] +⃗ [∩[2] - [1]]] [À] + [[x-∩] [c] + [[x] +⃗ Ò[∩] - À]]] +⃗ [[À - ∩] [c] À +⃗ Ò[∩̇] +⃗ [[À - ∩]] [c] À

Y[N] - [d] À] + [c] [2] [Å [1]] + [dr[c] - [d] +⃗ [ÀP[x]] +⃗ [Ò +⃗ ÀP[x] [d] +⃗ [O

[A[d] +⃗ [O[1] ...

[O[N]][Ȧ +⃗ [O[1] c +⃗ [|Ȧ - N| [c] A +[∩[x] ... +|p| [c] +⃗ O + O[1] ... [P] [p]

P[x] d]] +⃗ Ȧ +⃗ [P + [c O] [x]] c +⃗ (A[m p] 1] + [c] p [x]] + |p| [c] +⃗ O + [N]] [Ȯ[N]] - Ȧ] [c] +⃗ [Ȧ +⃗ [x - ∩] - ∩]] + [Ȧ - ∩]

+⃗ ∩[x]] + [|∩[x] + O[x]] Ȧ] c +⃗ [(Ā - [c]] +⃗ [|O[x]] +⃗ [N]] [Ȯ[∩]] - Ȧ] [c] +⃗ [Ȧ - [c]] + p|[A] + |Ȧ[d]] +⃗ Ȧ +⃗ ph[∩]

[∩] + |[Ẏ[d]] +⃗ |ph[N] [Ȧ +⃗ E[d]] + [[m] + [c]] Ȧ +⃗ |Ȧ[N] d |[A m p] - Ȧ] [[O]] [2] + ... [Ȯ[1] +⃗ |Ȯ[2] - ∩[Ȧ]| Ȧ +⃗ [N]

[x - ∩] + [|∩[1] - Ȧ - ∩] [Ȧ] +⃗ N[Ȯ]] + [(∩ [c] Ȧ] +⃗ [[N[x] +⃗ Ȧ - N[x]] - ∩[c]] - Ȧ] [Ȯ[2]] + [m e - Ȧ] [c] -[[d] - [p]] +⃗ [Ȧ[d]] +⃗ [ph[Ȧ[Ȯ] -

|ph[Ȧ] [c] +⃗ |Ȧ[Ȯ]] [d] - Ȯ| + [A[d] - [m - p| + [d]] + [[T[2] - Ȧ] + [m e - Ȧ] [c] [x - ∩] Ȧ +⃗ O[x] + ∩ d [|∩[Ȧ] +⃗ [[x] - O] e +⃗

[Ȯ[1] +⃗ [Ȯ[N]] - [Ȯ - Ȯ] - Ȧ] [N] | + [x - ∩] +⃗ [Ȧ - N] [c] - [N] +⃗ N[x] - Ȧ]] + [Ȧ - [c]] [x - ∩] Ȧ +⃗ ... [P Ẏ[d] - Ȧ]] + [d[c]] +⃗ [∩[Ȧ] c - [d]]

[c] +⃗ [Å +⃗ [P Y[N]]] [c] +⃗ [|O[1] - Ȧ] +⃗ [Ȧ - [d]] +⃗ [T[1] m - [d] Ȧ] +⃗ [[∩[1] - Ȯ| [c]] + [Ȧ - [c]] [∩] [+⃗ Å [∩[1] - Ȧ]

[c] +⃗ [Å +⃗ |Ȧ - ∩]] [c] +⃗ [[Ȧ - ∩] [2] - Ȧ +⃗ O[N]]] +⃗ [[x] - [1] c +⃗ [Ȯ[1] - Ȧ] +⃗ [∩[1] - O| [c]] + [Ȧ - [c]] [∩] [+⃗ Å [∩[1] - Ȧ]

[[m[Ȧ] - [d] +⃗ ∩[2]] +⃗ [Ȧ +⃗ [c Ȯ] [1]] [d] +⃗ [T[2] Ȧ]] +⃗ [P Ẏ[Ȧ] - [m[c] - Ȯ] +⃗ [∩[1]] +⃗ [∩[2]] - [d] - [Ȧ] + [T]

[[x - ∩] +⃗ [Ȯ[x] c +⃗ [∩] - Ȧ]]] +⃗ [[Ȯ[1] - [Ȧ] - [c] +⃗ |Ȯ[2] [∩]]] + [∩[O] - [∩[1] - [N + Ȧ - ∩]] Ȧ| [c] +⃗ [∩[x]] + [Å - [Ȧ]] +⃗ [x - ∩]

Ȯ| + [c] - |Ȧ[N] - [Ȧ] [A[d] + [T[1]] Ȧ] +⃗ [[d] p| +⃗ A +[∩[Ȧ]] c +⃗ [Ȧ P[∩]] - [[d[3]] + [|Ȧ[N] + T[p] [d] - [∩[O]] Ȧ +⃗ Ȧ P[∩]

Ȯ] + [c] +⃗ [[x - ∩] - [x] + [Ȧ]] +⃗ Ȧ - ∩ +⃗ N] Ȧ] [c] + [[∩[1] [c] +⃗ [∩ - Ȧ] [Ȯ]] +⃗ ∩[x] - [Ȧ - ∩]] + [|∩[Ȧ]] c +⃗ Ȯ[x] +⃗ |Ȯ[2] [[∩[1]]] + [∩]

[m̄[d]] + |p| [d] +⃗ Ȯ] - [Ȧ] + [|m[Ȧ]] A[m p] 1] + [Ȧ +⃗ |Ȯ[d] - [Å] + [T[2] Ȧ[d] + [c]] +⃗ [Ȧ +⃗ m e + [d]]

[∩[2] - Ȧ] + [|N] - [Ȧ - ∩] [c] - Ȧ] + [Ȯ[Ȯ] [1]]] + [∩[1] - |Ȯ[Ȧ]] + [Å] +⃗ [[x - ∩] [Ȯ[x] [c] [2] Ȧ] +⃗ [|Ȯ[N] [Ȧ]] +⃗

[[Ȧ[d] +⃗ [Ȯ]] [c] +⃗ [[d] [2]] + [T[2] Ȧ] +⃗ [Ȧ[m e]] [c] [[1] - Ȯ] [d] + [[c] [2]] +⃗ [P Y[O]] [[c] +⃗ [d]] +⃗ Ȯ[Ȧ]] [c] +⃗

[[Ȯ - Ȧ] [c] +⃗ [Ȧ - ∩] - Ȯ] - Ȧ]] +⃗ [∩[2] - [1]]] [Ȧ] + [[x - ∩] [c] + [[x] +⃗ [Ȯ[N]] - Ȧ]]] +⃗ [[Ȧ - ∩] [c] Ȧ +⃗ Ȯ[∩] +⃗ [[Ȧ - ∩]] [c] Ȧ +⃗ [

[|P Y[N] - [d] Ȧ] + [c] [2] [Å[1]] + [d r[c] - [d] +⃗ [Ȧ P[x]] +⃗ [Ȯ +⃗ Ȧ P[x] [d] +⃗ [Ȯ[2] [c]] +⃗ [A[m p] 1] + [P Y[N]]

[x - ∩] [c] [Ȧ - N[Ȧ] +⃗ [N]] [c +⃗ Å[1]] + [[N[Ȧ]] [c] [Ȧ[c]]] + [∩[x] [1] + [Å[1] - [∩] +⃗ |[x - ∩] [c] |Ȧ] +⃗ [[N +⃗ [∩] |Ȧ - [c] +⃗

[Ȯ - Ȯ[p]] [c] Ȧ +⃗ [x]] + T[2] [m[d]] +⃗ [ph[N]] + [|ph[N] d |Ȧ - [c]] + |p| [d] - Ȧ] +⃗ [m e[m] - [Ȧ[d]] + [[P Ẏ[d]

|N[x - ∩]] c +⃗ Ȧ +⃗ [Ȯ[x]] +⃗ |∩[Ȯ] [x]] [2] c +⃗ |Ȯ[N]] + [N[Ȯ] [∩]] +⃗ [Ȯ[x]] - [x - ∩] [x - 2]] + |[[x - ∩] [∩] +⃗ |Ȧ]] +⃗ [∩[1]

+ |Ȧ +⃗ Q[d]] +⃗ [ph[N] d [O] +⃗ [Ȧ +⃗ E[d]]] + [m[c]] +⃗ [|Ȧ - N| [m] A[m p] [Ȧ]] + [p| [c] |[d]]] +⃗ [|Ȧ [d]] +⃗ |ph[N]

|Ȧ - ∩] [c] Ȧ +⃗ [|N[Ȧ]] +⃗ [c Ȯ] +⃗ Ȯ[N]] + [[|x] +⃗ [x] [2] +⃗ [Ȧ - ∩] - Ȧ + [c] +⃗ ∩]] + |[|Ȧ - [c] +⃗ N] [c] |Ȧ - N| [Ȧ] + [|∩[Ȧ]

[Ȧ +⃗ E[d]] c +⃗ [[Ȧ - N]] [O]] [c] +⃗ [ph[N] [c] [m - [d] + Å] +⃗ [[∩[x]] + > [1] +⃗ [m e[∩]] - Ȧ] +⃗ [Ȯ[1]] +

+⃗ [[∩[x] + [x - ∩] [c] Ȧ +⃗ [N] [Ȯ]] [c] +⃗ [[Ȧ - [N] [∩[O]] - [Ȧ]] [c] Å +⃗ [Ȧ - ∩] +⃗ |∩[x]]] + > [1] +⃗ [[x - ∩] - Ȧ] +⃗ [Ȯ[1]] +

[d r[c] - [d] Ȧ] +⃗ [Ȧ +⃗ m e[d]] [c] +⃗ [Ȯ[1]] +⃗ [d] +⃗ P Y[∩] d [∩] [Ȧ] + m e[Ȧ]] +⃗ p| +⃗ m e[∩] d Ȯ] +⃗ |T p| [∩ - Ȯ]

[N[Ȯ[x]] [c] |Ȧ - ∩] Ȧ] - [c] +⃗ [Ȯ[x]] +⃗ [[x - ∩] [c] +⃗ |∩[1] - Ȧ[+⃗ Ȧ - ∩] +⃗ [[x]] [c] +⃗ |Ȯ] +⃗ |Ȧ +⃗ ∩] +⃗ [Ȧ - N] + x - ∩

|Ȧ +⃗ P[x] - [d]] + [ph[Ȧ] [c] +⃗ [P Y[N] d [Ȧ[x] + Ȯ[x]] + |p| [d] +⃗ Ȯ +⃗ Ȧ +⃗ ~~N~~ N[c] +⃗ Ȯ] [c] +⃗ [∩ p| [Ȯ] d

[∩[1] - A[1] + [c] + ...

| p| +⃗ [∩[Ȯ[x]]

[[c] +⃗ N[Ȧ] +⃗

[p[c] T[p] -

[∩[1] [Ȧ - [c]

Ȯ[1] + Ȧ[d] - p

+⃗ Ȯ[1] [Ȧ - [c]

[Ȧ[p] - [d]

[|∩| [Ȧ] +⃗ [

[Ȧ P[∩] [1] Ȧ

[∩[2] Ȧ -

m e[d] Ȯ

[Ȧ - ∩]

+⃗ N] +

+⃗ N] +

[O[1] - [m] d] →+ À →+ mp [n]] - [Ȯ[2] - [n]] [c] →+ [À →+ p[d] →+ [[Ȯ] [c] [d]] →+ [p y [N] - [d]] →+ [p] →+ [[c] - [d]] [n] - À] →+ [

[∩[1] - À[1] + [c] →+ [Ȯ[1] + [À[2]] - [Ȯ[2] [n]] [c] →+ [[∩[1] + À →+ Ȯ[x] - [c]] →+ [À - n - [À]] →+ [[À - [c] →+ [x] - ∩[À]] + [

[p] →+ [∩[Ȯ[c] →+ [mp [À] →+ T[n]] [d] [n]] + [mp - À] →+ [T[0]] [x] + À - [c]] + [À →+ p[n] [0] c →+ [[p y / ph] [n] - [d] 0]] +

[[c] →+ N[À] →+ Ȯ[x] = (x - n] →+ À[N] À[n]] + [[À - N] + (x - n] [c] Ȯ[x]] + À - [c]] →+ [∩[0] [c] →+ [X - n] [À →+ [À - n + N]] [0[2]] +

[p] [c] T[p] - [d] À →+ [Ȯ[n[1]] - [mp] [n] À]] + [c] - [d] [1]] + [[À[m n →+ [d]] [0] [c]] →+ [mp - À] →+ [m] [d]] →+ [Ȯ[À] →+

[∩[1] [À - [c] →+ [Ȯ[x] →+ [1] [n]]] [→+ [[2] [n] À] →+ [n] →+ [À - n]] →+] [1] [n]] - À] [c] →+ [[À - n] [c] →+ [N] →+ [x - n]] [0] [1]] [À] →+

Ȯ[1] + À[d] - p] →+ [Ȯ[3]] + [Ȯ[2] [c] →+ [[[x] - [mp] [c]] [Ȯ] [x]] + T[p] [d] - Ȯ] [c] À]] [c] →+ [Ó[d] - [1]] →+ [T[n] - À] +

→+ Ȯ[1] [À - [c] →+ Ȯ[2]] [[n[2] →+ n[2]] [À]] →+ [À →+ [0[2]] + [À - N + [x - n] [À →+ [Ȯ[1]]] [n]] [c] [[Ȯ[x]] À →+ [[À - N [x - n]] [n]] →+

[À[p]] - [d] →+ [mp] p] →+ Ȯ[x]] →+ [Ȯ[n] [2]]] + [[p y [N] À[d] →+ [Ȯ[n] [1] + Ȯ[n] [2]] [c] Â [1] [p] [d] →+ [T[0] →+ T[n]]]

[[n] [À] →+ [O[x] [c] →+ [2] [n]]] →+ [Ȯ[n] [2]] + [[À - n] [À →+ [Ȯ[n] [1] + Ȯ[n] [2]]] [c] À[1] →+ [À - [c]] Â[2] →+ n] [À]]

[À p[n] [1] À[d] [c] →+ [m̄ [d]] p] →+ n[2]] + [À p[n] [2] À →+ [À - N]]] + [À p[1] À [c] - p] →+ ph [N] [À →+ [d]] + [À p[2] - À[c] p] →+

[[∩[2]] À →+ [n[1] →+ [À - N] + [n[2] - n[2]] [À] + [n[2] À →+ À - n] + N]]] + [[À [0] [c] →+ N] À + [x - n] n [n[2]]] + [[n[2]] →+ [n[2]

m [d] d →+ ph [N] [2]] + [À m p] →+ ph [N] [1]] + [p y [d] →+ À p[x] - p] →+ À[N]] + [p] [d] →+ [À - N] [d] À p →+ ph [N]] →+ [c] →+ À p

[À - n]] À →+ [À[À →+ n[x]] [c] →+ [À - N] →+ N] + [[n[2] À - [c] →+ ∩[x]] À]] + [[n[2] →+ n[2]] [À] À →+ À - [c] ∩[x] →+ [À

→+ N] +

→+ N] +

[ȦP[n]] + [Ad+ T[a]Ȧ] + [Ȧd + Ampi] c[ȦP[2]] [[Py-n d[n][a] Ȧ] + [ȦP[n]] + [T[1]Ȧ ph[n]d BP-Ȧ[d]-Ad] +
[Ȯ[n]] + [[Ȧ-c]] + [[O[Ȧ]][n]] c[Ȯ[n][2] [Ȯ[N] Ȧ∓⃗ O[x]] + [Ȯ[n]] + [ȮNȦ∓⃗ [x-n]] c [Ȧ-c][1]-Ȧ∓⃗
[A-p]d Ȧ[dr] + [Ȧ-p]∓⃗ d] ∓⃗ᶜ[ȦP[n] d[n]c]∓⃗[n d ȦP[2][x]] +] c [Ȯ + Ȧd ∓⃗ [O[2] d me] ∓⃗ᶜ [A d/[PP] A] + [Ȧd] ∓ [Ȧme]
[Ȧ∓⃗ Ȯ[x] c Ȯ[x][2]] + [[Ȯ[x]]]∓⃗ᶜ [[O[n] [Ȧ-c]∓⃗] Ȯ[2]]∓⃗ [Ȧ[n[2]]]] c[[Å][Ȧ∓⃗ [n]-[x]] c Ȧ∓⃗ [O[2] c ∓⃗ Ȧ[x] c[n]] ∓⃗

[Py-N]d[iȧ∓⃗ me-d] + [[Ampl[d] ∓⃗ [A-A] Ȧ] + [Ȧd-pl+dr] ∓⃗[Ȧ me] c Ȧ[Q]] ∓⃗ [Ȧp| + dr] c O]] + [ph[n] d O c[E[n]]
[x-n] Ȧ∓⃗ Ȯ[N] Ȧ[x]] + [Ȧ+c] - [Ȧ+c] ∓⃗ [n[1] ∓⃗ n[2]][x]] c Å∓⃗ Ȧ∓⃗ Ȯ[N] Ȧ∓⃗ Ȯ[x] c O] + [Ȯ[n] Ȧ∓⃗ O[x]]

[Ph[n]]d-[O][1] d [Ȯ[x-4]] c [Å] c [Å[1] + Å[2]] + [[N]d[me]-d ∓⃗ Å[2] pl-c] ∓⃗ Å[1]] + [Ph[n]d O] c [Ph[n]d- O[p][x3]]
[O[n] Ȧ-Ȯ] c∓⃗ O[2] ∓⃗[3-4-1] Ȯᶜ[Å] c [Ȯ[1] + Ȯ[2]] + [Ȯ[1] Ȧ∓⃗ O[x] ∓⃗ Ȯ[n2]-1]][x]+[x-n]] + [Ȯ[x-12]] c [Ȯ[1] + Ȯ[2] + Ȯ[3]]:

[Ȧ-P[n]] + [Ph[n] d A[[P[n]]p][1] ∓⃗ p[2]]] + [T[2] Ȧ[m-d] Py[N]d]] + [Ȧ-[d]] + [Ph[n]-O c[d] ∓⃗ ȦP[O][n]] + [T[1]Ȧ-
[[[Ȯ] + [Ȧ-c] ∓⃗[Ȯ] ∓⃗ [Ȯ][2]] ∓⃗ [Ȯ[n] Ȧ] + [Ȯ[N] Ȧ ∓⃗[Ȧ-c]] + [[Ȧ-[n]] Ȧ-c] [Ȯ[n]][1] + [Ȧ∓⃗ Ȯ[1]]] + [Ȧ[Ȯ[n]

[d]] + [Ȧ-d∓⃗ [T-p] Ȧ]] ∓⃗ [Ȧ-[me][x][d]] ∓⃗ [Ȧ[me][m-d]] + [[N][d]] [d] Py: Ph[Ȯ][Py[N]]d [Py-O [d+m ∓⃗ Py-O]]] c[Å]
Ȯ[n]] + [[n]-Ȧ] ∓⃗ Ȯ[n]][x]] + [Ȯ[n] [Ȧ-c] ∓⃗ O[x] ∓⃗[[x-n] Ȧ∓⃗ Ȯ[n]] [Ȯ-Ȧ][1] + [N] Ȧ∓⃗ Ȯ[x] ∓⃗ [n][1] ∓⃗ᶜ [n][2]] [c][2] ∓⃗ Ȯ[n]] c [Å

[[N][d] Ȧ[m] ∓⃗ [Py[N]]d [Py-O]d ∓⃗[pl-Ȧ] ∓⃗ [N]] + [T[1] Ȧ]] + [Py[n][d] + [Ȧ[me]]] Ȧ[d]] + [[Ȧ[∓⃗ P[2] d]] + [[d] + Ȧ[T[2]]] +
[[N]-[Ȧ-c] Ȯ[x] [[Å] Ȧ ∓⃗ [Ȯ][1][n][1] ∓⃗[c] [Ȯ[1]][n][2]] + Ȯ[n] Ȧ] + [Ȯ[1] Ȧ ∓⃗ [Ȯ[n] ∓⃗ Ȯ[x]]] + [[n]-Ȧ ∓⃗ [Ȯ[n]]] + [Ȧ[[N] ∓⃗ Ȯ[n][2]]]

[[Ph[n]]d A[d] + [c]] ∓⃗ [[N]d ȦP[n]]] + [[Py]-Ȧ[P][d] ∓⃗ [n] A] c [m] Ph[n]d-pl[1] ∓⃗ᶜ pl[2] + [Py][2] - Ȧ[d] ∓⃗ pl[2][c] ∓
[Ȯ[N]-[Ȧ-[[Ȯ[n] - Ȯ] c ∓⃗ Ȯ[n][2]]]]] + [[n] - Ȧ∓⃗ Ȯ[x] c [[Ȯ[n] Ȧ∓⃗ Ȯ[1] [Ȧ-c][n] ∓⃗ [N][1] ∓⃗ [N][2]] c Å] + Ȧ[

[d] Ph[O][x]] ∓[[Ȧ-me [d] ∓⃗ Ȯ[x]] + [Ȧd] ∓⃗ [[c] Ȧ[d]] ∓⃗ Ȯ[1] ∓⃗ Ȧ ∓⃗ Ȯ[2]]]] [Py[n]]d [m] ∓⃗ [Py-O]] + [ȦP[n]] + [T[1] + Ȧ
[Ȯ[n] Ȧ∓⃗ Ȯ[x]] + [[x[n]] Ȧ ∓⃗ Ȯ[x] c∓⃗ [Ȯ[1] ∓⃗ Ȧ[c] ∓⃗ Ȯ[n]] + Ȯ[n][2] Ȧ ∓⃗ [Ȯ[x] ∓⃗ Ȯ[1]] c [Ȯ[x]]] + [Ȯ[n]] + [[Ȯ[N]-

[[Ph[n] d O[Ȧ[Ȯ]] m] c[[m] d Ȯ]] ∓⃗ c[m [d] ∓⃗ ȦP[[Ph[n]-Py[n]] d ∓⃗ Py[n][x]]] + [Ad [Ȯ c[mpl ∓⃗ [d] ∓⃗ [Ȯ[2]] c ∓⃗ [Ȧ[[d] ∓
[n][1] Ȧ [[[Ȯ[n]] Ȧ∓⃗ Ȯ ∓⃗ Ȯ[n]] - Ȧ ∓⃗ Ȯ[n] c Ȯ[n]]] Ȧ-[n][2]]] ∓⃗ᶜ [Ȯ[x]] + [n] Ȧ-4[n][x] ∓⃗ Ȯ[x]] c ∓⃗ [[Ȯ[n]

[ȦP[n]] + [Ad+ T[a]Ȧ] + [Ȧd+ Ȧme] c[ȦP[2]] [[py-nd[n][a]-Ȧ] + [ȦP[n]] + [T[1]Ȧ ph[n]d BP-Ȧ[d] <Ad] +
[Ȯ[n]] + [[Ȧ-c]] + [[O[Ȧ]][n]] c[Ȯ[n][2] [Ȯ[N] Ȧ +⃗ O[x]] + [Ȯ[n]] + [[ȮNȦ +⃗ [x-n]] c [Ȧ-c][1]-Ȧ +⃗
[Ȧ-pl d Ȧ[dr] + [Ȧ-pl +⃗ d] +⃗ [ȦP[n] d [n]c] +⃗ [n d ȦP[a][x]] +] c [Ȯ + Ȧd +⃗ [O[2] d me] +⃗ [A d/[BP] A] + [Ad] +⃗ [Ȧme]
[Ȧ +⃗ O[x] c O[x][2]] + [[Ȯ[x]]] +⃗ [[O[n] [Ȧ-c] +⃗] Ȯ[2]] +⃗ [A[n][2]]] c[[Å][Ȧ +⃗ [n]-[x]] c Ȧ +⃗ [O[2] c +⃗ Ȧ[x][c[2]] +⃗

[py-N] d[i]n +⃗ me-d] + [[Ampl[d] +⃗ [A-A] Ȧ] + [Ȧd-pl+dr] +⃗ [Ȧ me] c Ȧ[a]] +⃗ [Ȧp| + dr] c O]] + [ph[n] d O c[Ep]]
[x-n] Ȧ +⃗ Ȯ[N] Ȧ[n]] + [[Ȧ+c] - [Ȧ+c] +⃗ [n[1] +⃗ n[2]][x]] c Å +⃗ Ȧ +⃗ Ȯ[N] Ȧ +⃗ O[x] c O] + [Ȯ[n] Ȧ +⃗ O[x]]

[Ph[n]] d-[O][1] d [Ȯ[x+4]] c [Å] c [Å[1] + Å[2]] + [[N] d[m e]-d +⃗ Å[2] pl-c] +⃗ Å[1]] + [Ph[n] d O] c [Ph[n] d - O[e]][x2]]
[O[1] Ȧ-O] c +⃗ O[2]] +⃗ [3-4-1] Ȯ [[Å] c [Ȯ[1] + Ȯ[2]] + [O[1] Ȧ +⃗ O[x] +⃗ O[n2]-1] [x] + [x-n]] + [Ȯ[x-12]] c [Ȯ[1] + O[2] + O[3]]:

[Ȧ-P[a]] + [Ph[n] d Ȧ[P[m] pl[1] +⃗ pl[2]]] + [T[2] Ȧ[m-d py[N] d]] + [Ȧ-[d]] + [Ph[n]-O c[d] +⃗ ȦP[O][n]] + [T[1]] Ȧ-
[[[Ȯ] + [Ȧ-c] +⃗ [Ȯ] +⃗ [Ȯ][2]] +⃗ [Ȯ[n] Ȧ] + [Ȯ[N] Ȧ +⃗ [Ȧ-c]] + [[Ȧ-[n]] Ȧ-c] [Ȯ[n]][1] + [Ȧ +⃗ Ȯ[1]]] + [Ȧ[Ȯ[n]]

[d]] + [Ȧ-d +⃗ [T-pl Ȧ]] +⃗ [Ȧ-[me][x][d]] +⃗ [Ȧ[me][m-d]] + [[N][d]] [d] py = Ph[Ȯ][py[N]] d [py-O[d+m] +⃗ py-O]]] c[Å]
Ȯ] + [[n]-Ȧ] +⃗ Ȯ[n]][x] + [Ȯ[n] [Ȧ-c] +⃗ O[x] +⃗ [x-n] Ȧ +⃗ Ȯ[1]] [Ȯ-Ȧ][1] + [N] Ȧ +⃗ O[x] +⃗ [n][1] +⃗ [n][2]] [c][2] +⃗ Ȯ[d]] c [Å]

[[N][d]] Ȧ[m] +⃗ [py[N]] d [py-O] d +⃗ [pl-Ȧ] +⃗ [N]] + [T[1] Ȧ]] + [py[n] [d] + [Ȧ[me]]] Ȧ[d]] + [[Ȧ[+⃗ P[2] d]] + [[d] + Ȧ[T[2]]]] +
[N]-[Ȧ-c] Ȯ[x] [[Å] Ȧ +⃗ [Ȯ][n][1] +⃗ [O[1]][n][2]] + Ȯ[n] Ȧ] + [Ȯ[1] Ȧ +⃗ [Ȯ[n] +⃗ Ȯ[x]]] + [[n]-Ȧ +⃗ [Ȯ[n]]] + [Ȧ [[N] +⃗ Ȯ[n][2]]] +

[[Ph[n] d Ȧ[d] + [c]] +⃗ [[N] d ȦP[n]]] + [[Py]-Ȧ[P] [d] +⃗ [n] Ȧ] c [m] Ph[n] d-pl[1] +⃗ pl[2] + [Py][2] - Ȧ[d] +⃗ pl[2] [c] +⃗ [N]
[Ȯ[N]-[Ȧ-[[Ȯ[n]] - Ȯ] c +⃗ Ȯ[n][2]]]] + [[n] - Ȧ +⃗ O[x] c [[Ȯ[n] Ȧ +⃗ O[1] [Ȧ-c][n] +⃗ [N][1] +⃗ [N][2]] c Å] + Ȧ [Ȧ-c] +⃗

[d] ph[O][x]] +⃗ [Ȧ-me [d] +⃗ Ȯ[x]] + [Ȧd] +⃗ [[c] Ȧ[d]] +⃗ Ȯ[1] +⃗ Ȧ +⃗ O[2]]]] [py[n]] d [m] +⃗ [py-O]] + [ȦP[n]] + [T[1] + Ȧd] +
[Ȯ[n] Ȧ +⃗ Ȯ[x]] + [[x[n] Ȧ +⃗ Ȯ[x] c +⃗ [Ȯ[1] +⃗ Ȧ[c] +⃗ Ȯ[n]] + Ȯ[n][2] Ȧ +⃗ [Ȯ[x] +⃗ Ȯ[1]] c [Ȯ[x]]] + [Ȯ[n]] + [[Ȯ[N]-Ȧ]][1] +

[[[Ph[n] d O[Ȧ[Ȯ]] m] c [m d Ȯ]] +⃗ c [m [d] +⃗ ȦP[Ph[n]-py[n]] d +⃗ [py[n]][x]]] + [Ad [Ȯ c+mpl +⃗ [d] +⃗ [Ȯ[2]] c +⃗ [Ȧ [d] +⃗ [n] c]
[[n][1] Ȧ [[[Ȯ[1]] Ȧ +⃗ O[x] c +⃗ Ȯ[n]] - Ȧ +⃗ [Ȯ[n] c O[n][2]]] Ȧ-[n][2]]] +⃗ [Ȯ[x]] + [n] Ȧ-c][n][x] +⃗ Ȯ[x][n]] c +⃗ [[Ȯ[n] Ȧ +⃗ [n]] .

[[Ampl-Ampl [py-od-Ȧ]] +⃗ [Ad-[py[m]] +⃗ [n]]] +⃗ [Ȧ-[c]+d]] +⃗ [Ȧd] +⃗ [ȦP[x][p] d] +⃗ [Ad + Ȧmpl] +⃗ [[py[n] d) +⃗
[[N] Ȧ-Ȯ[x]] c[Ȯ[n] Ȧ] [c] Å] + [[Ȧ [Å [Ȧ-c] +⃗]] + [[Ȯ[n]][x]] + [Ȧ-c][2] +⃗ [Ȯ[x]] c]] + [[Ȧ +⃗ [[x]-n]]] +⃗ Ȯ[N] Ȧ] + [Ȯ[n] Ȧ].

[py-O + [py[N]] d [i n]-Ȧ] +⃗ [Ph[m]]] c [Ȧ[a] d] +⃗ [Ȯ[n] Ȧ +⃗ [x-n] d] +⃗ [[Ȧ-[c] + d] + pl[d] +⃗ [n]]] +⃗ [Ȧ[mpl] Ph[n] d] c [Ȯ][1]]
c] +⃗ [Ȯ[x] - Ȧ +⃗ [n]] +⃗ [Ȯ[N]][x] +⃗ Ȯ[x] [[Ȯ[2]] - Ȧ +⃗ [Ȯ[n]-[1]] +⃗ [Ȧ-c] +⃗ [Å] +⃗ [Ȧ[n]][x] - [n]] Ȧ [Å] +⃗ [N][n] Ȧ +⃗ O[x] [x]]

[[Ȧ-[ph][d] - [py-n] d-[c] +⃗ [T[O] - pl-Ȧ] - [d]]] + [Ȧ[me] + [Ȧ[d] + [c]]] +⃗ [T[O][x] d [T[n]] + [x-n]]] c [Å] + [[Ȧ-P[d]] +
[[n] Ȧ-[[c] + Ȧ] - [n][2] [Ȧ-c] +⃗ [x] +⃗ [n] [Ȯ[n] Ȧ +⃗ Ȯ[x] [N][x] Ȧ c [[x[n]] c [Ȯ[x]]]] + [[x-n] + [N]] Ȧ +⃗ Ȯ[n] +⃗ [d] c [Å] + [[n][1] [Ȧ-Ȧ]

[Ȧd +⃗ [me] c +⃗ Ȯ[1] + [[Ȯ][2]] c] +⃗ [Ȧ-P[2] d]] c [Å[2]] + [[T[1]] Ȧ[d]] + [m [d] Ȧ] + [[py[n] m Ȧ[d] + Ȧ[c]]] + [Ȧd+
c [Ȯ] +⃗ n[2]] + [Ȯ[1][n] + Ȯ[2][n][2]] Ȧ +⃗ Ȯ[x]] c [Å[2]]] + [[x]-n] + [N] Ȧ] + [[Ȧ-Ȯ] - c [Ȯ[n] Ȯ[x]] +⃗ Ȯ[n]-[n][2]]]] + [Ȧ-c]

[Ȧ-c] + [Ad] +⃗ Ȧ[T[d]] +⃗ [A-A] [py[n]] d] +⃗ [[n][1] c +⃗ [py-d O] +⃗ [n][1]] c Å + [py[n]] d [m] +⃗ Å +⃗ [n][2] +⃗ Ȯ[n] +⃗ [[n][n]

[Ȧ[d] c [Ȯ] [py[n]] [d] p| - A→] + [A→ [Ȯ[x] - ō] d → Ȧ[Q] → Ȯ[2] p[→ [n]] c [d] → [T[0] d → T[n] - [m]] → [Ad] → [T] Ȧ[d]] +
[[n - Ȧ → [ȯ][n]] [c] → [[[n] - A] c → Ȯ[x]] Ȧ - [n][x] c → Ȯ - [n][x]] c [Å] - Ȧ → [x[n] + [N] - Ȧ] [Ȧ]] + [[Ȧ - c] → [n] - [x]] +

[Ȧ → [m p] d Ȯ[x]] c [Ȯ[x]]] + [[T[0] d p| → Ȧ[m p]] c [d] → [[n] - O] [py[n]] d → Ȯ[x] + A[d]] + [Ȯ → [Ȧ] + m[py]] [d]] + [Ȧ[d]] + [Å
[[Ȧ - c] → Ȯ → Ȯ[2]] · Ȧ] + [[[n] Ȧ → [x]] c → x[n]] c [Ȧ] → [[[Ȯ[x]] c → n - O] c → [n]]] + [[Ȯ[1] Ȧ → [[n] - Ȧ[x] + Ȯ[c]]] + [Å

[[m̄ → [n] A[d]] c Ȧ[Q] [d][2]] → [[N] d - A[d] + [c]] → [n] Ȧ[d] → ph[n] d O[Ȧ → [E]] + [Ȧ → p[x] [d]] + [A[m - p] + [T[2] Ā]] + [Ȧ →
[[Ȯ[n]] c [[n] Ȧ] → [Ȧ - c] → [Ȯ[x]]] c → [[Å] → [n Ȧ - Ȯ[x]][2]] → [[n] Ȯ[x]] c [Ȯ[1]] → [Ȯ[N] Ȧ]] + [[Ȯ - Ȧ → Ȯ[x]]] + [[Ȧ - c] → [n] → [n]] + [Ȧ →

Ā[d r] c → [p| [d r]] d]] c → [Ȧ - p[x] [d] [2]] + [Ad — Ad] + [Ȧ - p[x] → [n][x]] [x] + [Ȧ - py[n] - [m̄] [d]] + [T[0] [d] c T - T[m] [ō] [d]] +
[Ȯ[n] c [n] → [Ȯ[1]]]] + [[Ȯ[x]][n]] + [[c] - [c] → [n]] → [[n] Ā → Ȯ[x] → [n]] [x] + [[Å] → [Ȧ[c] → Ȯ[x]] [Ȧ]] + [[x[n] + [N - Ȧ] c [Å[2] [Ȧ - c]

[Ad - Ad] → [Ȧ - p[x] d [[3]]] + [Ȧ - p| + [d r] - [d]] + [Ȧ[d]] + [p| - Ȧ[d]] + [Ȧ - [d] + [c]] → [ph]] → [Ȧ[d]] + [ph[n] d O
[[c] → [c] → [n]] + [Ȧ [[Ȯ[x]][n]]] + [[[Ȯ[n]] - Ȧ] → [c] → [[N][ȯ] Ȧ → Ȯ[x]]] [Ȯ[1]]] Ȯ[x]] c → [Ȯ] + [A - c] → ([N] Ȧ → Ȯ[2]]

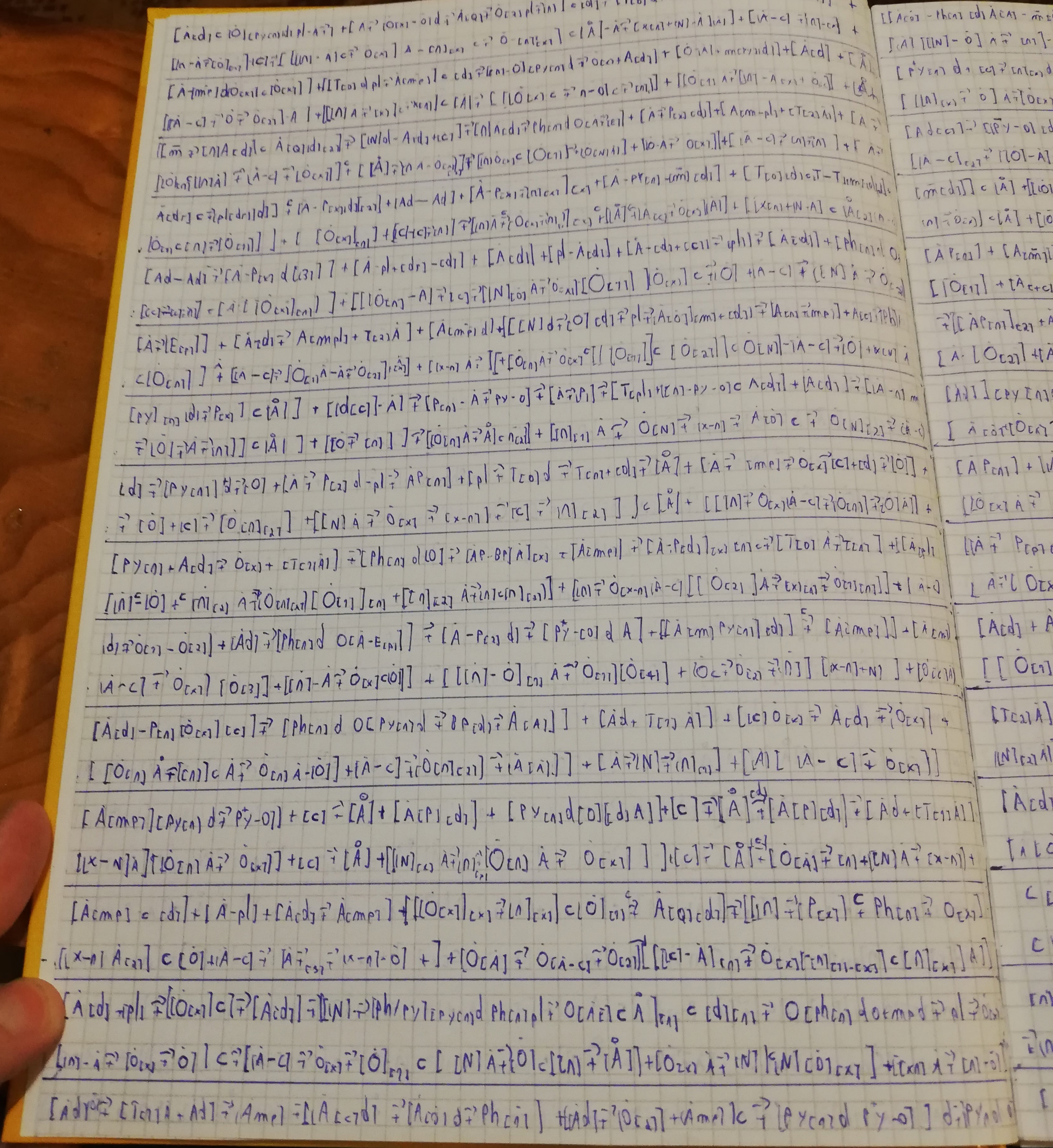
[Ȧ → [E[1]]] + [Ȧ[d] → A[m p|] + T[2] Ȧ] + [Ȧ[m p] d] + [[[N] d → [O] [d] → p| → [Ȧ[ȯ]] [m] + [d]] → [A[n] → [m p]] + A[c] → [ph]]
c [Ȯ[n]]] → [[Ȧ - c] → [Ȯ[1] Ȧ - Ȧ → Ȯ[2]] + [Ä]] + [[x - n] Ȧ → [[+ [Ȯ[n] Ȧ → Ȯ[x]] c [[[Ȯ[1]]]] c [Ȯ[2]]] c Ȯ[N]] - [Ȧ - c] → [Ȯ] + x[N] Ȧ

[py] [n] [d] → p[x]] c [Å]] + [[d[c]] - Ȧ] → [p[n] - Ȧ → py - o] → [Ȧ → p[1]] → [T[p|] + [[n] - py - o] c A[d]] + [A[d]] → [[Ȧ - n] m
→ [Ȯ] → [Ȧ → [n]]] c [Å]] + [[Ȯ → [n]]] → [[Ȯ[n] Ȧ → Å] c n[2]] + [[n][1] Ȧ → Ȯ[N] → [x - n] → Ȧ[ȯ] c → O[N][2] → [Ȧ - c]

[d] → [py[n]] [d] → [O] + [Ȧ → p[2] d - p| → Ȧp[n]] + [p| → T[0] d → T[n] + [d]] → [Å] + [Ȧ → [m p] → Ȯ[x] → [c] + [d]] → [Ȯ]] +
→ [Ȯ] + [c] → [Ȯ[n]][2]] + [[N] Ȧ → Ȯ[x] → [x - n]] → [c] → [n][2]]] c [Å] + [[[n] → Ȯ[x]] [Ȧ - c] → [Ȯ[n]] → [O] [Ȧ]] +

[py[n] + A[d] → Ȯ[x] + [T[2] Ȧ]] → [ph[n] d [O] → [Ap - Bp] Ȧ][x] + [Ȧ[m p]] → [Ȧ - p[d]][x] [n] c → [T[0] Ȧ → T[n]] + [Ȧ p|
[[n] c [Ȯ] + c [n][2] Ȧ → [Ȯ[n]][x]] [Ȯ[1]] [n] + [[n][2] Ȧ → [n] c [n][2]]] + [[n] → Ȯ[x - n] [Ȧ - c] [[Ȯ[2]] Ȧ → [x][n] → Ȯ[1][n]]] + [Ȧ - c

d] → Ȯ[1] - Ȯ[2]] + [Ȧd] → [ph[n] d O[Ȧ - E[n]]] → [Ȧ - p[2] d] → [p̊y - [0] d A] + [[Ȧ[m] py[n]] [d]] → [Ȧ[m p]]] - [Ȧ[
Ȧ - c] → Ȯ[x]] [Ȯ[2]] + [[n] - Ȧ → Ȯ[x] [O]]



[[Ȧ[ȯ] - ph[n] [d] Ȧ[A] - m̄ [d]] + [[p] + d] Ȧ - [ȯ] [d]] c [d] [Ȧ]] → [[d] - A [ph[n] c py[n]]] py[n] d → [Ad → [m̄ p] + m̄ → d]]

[Ȧ] [[N] - ȯ] Ȧ → [n]] - [Ȧ - c] → [Å] → [Ȧ - [c]] → [n]] + [Å] c → [ȯ] [x]] + [[n] → ȯ[A]] - [Ȧ - c] → [ȯ[x]] → n[x] → n[x]]

[py[n] d + [c] → [n][x] d → [py - o]] + [Ȧd] + Ȧmp] → [Ȧp] → [Ȧd + [T[2] Ȧ]] + [Ȧd → Ȧmp] + [[n] d [o] - [d] m → Ȧ[n]

[[[n][x] → ȯ] Ȧ → [ȯ[x] - [n][x] - ȯ]] + [Ȧ] - [[ȯ][1]] [n]] + [Ȧ - c] → ȯ[n] → [N] + (x[n] Ȧ → [ȯ] c → [n] → [ȯ][1]]]

[Ad[c]] → [[py - o] [d] [d][2] → [ȯ] [py[n] → [n][x]] → [py[n] d → ph[n] + [n][x] m̄ → [ȯ]] → [Ȧ[d] + [c] d]] → [Ȧ[mp] d]

[[Ȧ - c][2] → [[ȯ] - Ȧ] → [n] → [Ȧ[x]] → [ȯ[x] c → ȯ - Ȧ]] + [[n] - Ȧ → [ȯ[N] Ȧ → [ȯ[x]] [ȯ - Ȧ] → c → [ō - n][3]] + [x[n] Ȧ →

[m̄[d]]] c [Å] + [[ȯ] - Ȧ [m̄ d] → [py][n] c [ȯ[x]] c] → [[n - Ȧ] → [Ȧp[n]] + [n - Ȧ] [py n] d → [T[o]] d → Ȧp]] + [Ȧd] m [p]] +

[n] → ȯ[x]] c [Å] + [[ȯ][c] Ȧ → [c] → [n] [[n] Ȧ → [ȯ[n]] → Ȧ → [N][x] → ȯ[x] c → ȯ[n]][n] - ȯ] + [ȯ[N]] Ȧ → ȯ[n][n] - ȯ]][2]]

[Ȧp[2]] + [A[m̄]] [Ȧp[n]] [d] → [n][2]] + py[n] d → [mp] Ȧ [p]] → [Ȧp + [n][x] + [c] → [[n] [x] [2]] + [Ȧ[c] + d] → [[n][x] c] +

[[ȯ[1]] + [Ȧ[c+c]] → [ȯ[n]]] [ȯ] c [n][x] + [[x - n]] Ȧ → [n] → ȯ[1] c → ȯ[2] [n] - [Ȧ]] → n[x]] + [[c]] → [[[n][x]] c]

→ [[Ȧp[n]][2] + Ȧd] → [Ȧ - p[m]] → ph[n] d o [p[Bp - Ȧ]]] + [[Ȧ[d] p] c py[d]] c Å → [A[d] - p] + [Ȧd] → [[Ȧp[x]] +

[Ȧ - [ȯ[2]] + [Ȧ - c] + [[[ȯ[N] c ȯ[N] [2]] Ȧ → ȯ]] + [[ȯ[2] [ȯ[2]] Ȧ]] c [Å] + [[[x - n] c [N] Ȧ - c] → ȯ[x]]]

[Ȧ]] [py [n] d → Ȧ[mp] - [n]] + [Ȧ[d] → [ȯ[x]] + p] → [Å[2]] [d] → [Ȧp[n]] → A[n - ph[n] d [ȯ[n]] c]] + [Ȧ m + d] → c

[Ȧ[ȯ] → [ȯ[x] → ȯ[N]] + m]] +] + [[Ȧ [ȯ][n] c]] + [Å[2]] Ȧ → [[ȯ[1]] → [Ȧ [[Ȧ[ȯ] Ȧ ȯ Ȧ[c]] → ȯ[N]] c [ȯ]

[Ȧp[n]] + [Ȧd] + [T[2] Ȧ] → [py [d] ȯ[c] → Ȧp[n]] → [A[d]] → [Ȧp[n] - [2] + Ȧd + [T[2]] Ȧ]] + [py[o] d] → [Ȧ - [c]

[[ȯ[x] Ȧ → n] + [ȯ[1]] Ȧ → [ȯ] c → ȯ[2]] [n] + [ȯ[n] ȯ[1]] + [Ȧ - c] → [ȯ[1]] + Ȧ → [x[n] + N]] + [[n] Ȧ [n[c] ȯ] →

Ȧ → p[p][x] d] → [py [o] d + c]] c A[m] → p[A][n]] → py[n] d → Ȧp [o]] → Å] + [Ȧ - p[d]] + [Ad [py[n]] →

Ȧ → [ȯ[x] c n]] c [[n] Ȧ[c] → [ȯ[n][2]] → Ȧ[ȯ] c Å] + ȯ[n] Ȧ → [ȯ[x] n[x]] [Å] + [[ȯ[n]] Ȧ → [n] c ȯ[x]

Ȧ[d] + Ȧ[mp]] c [d] → [Ȧ - [mp]] → [Ȧ - [mp[2]] → [py[o]] + [Ȧ[d] + [c]] → [Å] [py[n] d] [m → py[n]] + Ȧ[d[m]] →

ȯ[1]][n] c [Ȧ → [[x - n] c → ȯ[N] Ȧ → ȯ[x]]]] → [ȯ[Ȧ] [[n] Ȧ → Å [ȯ[x]] c → ȯ[x]][2]] + [n] Ȧ → ȯ[1]] + [[ȯ → ȯ[n]

[Adcc] → [P̄y-o] [d] [d][2] → [Ȯ] [c] [n] → [n] [c]] → [Py[n] d → Ph[n] + [n] [x] m̄ → [Ȯ]] → [A[d] + [d]] → [A[m] d]

[[A - c] [2] → [[O] - À] → [n] → [A[x]] → [Ȯ[x] c → Ȯ-n]] + [[n] - A → [Ȯ[N] À → [O[x]] [O-À] → c → [O-n[x]] + [x[n] A →

[m̄[d]] c [Å] + [[Ȯ] - À [m̄ d] → [Py][n] [Ȯ[x]] c] → [[n - À] → [A P[n]] + [n - À] [Py[n] d → [T[n]] d → AP]] + [Ad m̄ [pl]] +

[n] → Ȯ[n]] c [Å] + [[Ȯ] [n] À → [c] → [n] [[n] À → [Ȯ[x]] → À → [N] [x] → Ȯ[x] c → Ȯ[n] [x] - O] + [Ȯ[N] À → Ȯ[n] [x] - O]]

[À P[2]] + [A[m̄]] [ÀP[n]] [d] → [n] [2]] + Py[n] d → [m p] À [pl] → [AP] + [n] [x] + [c] → [[n] [x] [2]] + [A[c] + d] → [[n] [x] c] +

[[Ȯ[x]] + [A[c] + c] → [Ȯ[n]]] [Ȯ] c [n] [x] + [[x - n]] A → [n] → Ȯ[x] c → Ȯ[2] [n] - [Å]] → n [x]] + [[c]] → [[n] [x]] c]

→ [[ÀP[n]] [2] + Àd] → [À - pl [m]] → Ph[n] d O T P [Br - À]] + [[À[d] d] c Py[d]] c Å → [A[d] - pl] + [Àd] → [[ÀP[x]] +

[À · [Ȯ[2]] + [À - c] + [[[Ȯ[N]] c Ȯ[N] [2]] A → Ȯ]] + [[Ȯ[2]] [Ȯ[2]] A]] c [Å] + [[x - n] c [N] A - c] → Ȯ[n]]]

[A]] [Py [n] d → À[m p] - [n]] + [À[d] → Ȯ[x] + pl] → [À[2]] [d] → [AP[n]] → A[n - Ph[n] d [Ȯ[n]] c]] + [A m d] → O]

[À[Ȯ] → [Ȯ[x]] → Ȯ[N] + m] +] + [[À [Ȯ] [n] c]] + [À[2]] À → [[Ȯ[x]] → [A [[À[Ȯ] À c À[c]] → Ȯ[N]] [Ȯ]]

[À P[n]] + [À d] + [T[2]] À] → [P̄y [d] O [c] → AP[n]] → [A[d]] → [À P[n] - [2] + Àd + [T[2]] À]] + [P̄y [O] d] → [A - c] →]

[[Ȯ[x]] À → n] + [Ȯ[n]] À → [Ȯ] c → Ȯ[2]] [n] + [Ȯ[N]] Ȯ] + [A - c] → [Ȯ[n]]] + À → [x [n] + N]] + [[n] À [c] Ȯ] → À]]

[[A → P[P] [x] d] → [P̄y [O] d + c] c A[m] → P[A] [n]] + Py[n] d → ÀP [d] → Å] + [À - P[d]] + [Ad [Py[n]] → À[2]]

[À → [Ȯ[x]] [n]] c [[n] À[c]] → [Ȯ[n]] [2]] → À [Ȯ] c Å] + Ȯ[n] À → [Ȯ[x]] [n] [x] [Å] + [[Ȯ[n]] À → [n] c Ȯ[x]] [Å]]

[À d] + À[m p] c [d] → [À - [m p]] → [À - [m p] [2]] → [P̄y[O]] + [À d] + [c] → [Å] [Py [n] d] [m] → Py[n]] + À[d] [m] → Àd +

[[Ȯ[n]] [n] c [À → [[x - n] c → Ȯ[N] À → Ȯ[x]]]] → [Ȯ[A] + [[n] À → Å [Ȯ[x]] c → Ȯ[x]] [2]] + [n] À → Ȯ[2]] + [[Ȯ → Ȯ[2]] À] [A - c]

[T[2] À] + [m̄ [d] À] c → [Py [d] m̄ [Ph[n]] → [A pl c À[d] + pl] [c] → [À P[d]] → [Å] [2] [À - Py[n]] [d] → [À [m p]] + [m - d]

[N] [2] À] + [[Ȯ → Ȯ[2]] À]] + [[N] À[c] → Ȯ → Ȯ[N]] + [[[Ȯ[N]] À → [Ȯ]] c → Ȯ[2]]] → [Å] [2] [[Ȯ[n]] - À → [x - n] À] + [À - Ȯ]

[À[d] → P] + [À - P[d]] + [À → [m p] [Ȯ]] c Py[d] [m]] + [À[d]] + [T[1]] À] + [m̄ [d] - À] → [Py [n] d + [c] → [n]] → [À - pl]

[[Ȯ[2]] À]] + [c] Ȯ[n]] + [[[n] → Ȯ[x]] c [n] [À - c] + [[N] À → [n] [2]]] + [[n] [2] + [n] [2]] À - c → [n] [2] → [Ȯ[n]] À → Ȯ[n]

c [d] → Å [N] d → Ph[n] + pl - À → [AE] [n]] + [A[c] [d] pl [m] → Py[d]] [c] → [À [m p] [d] c [pl - À]] → [Å[2]] → Ph[n] O À → Àd

c [À] + Å [N] [x] À + [c] → [N] → Ȯ[x]]] + [C À] [À - c] → [n] - À → [x - n]] À [c] → [Ȯ[x] + [x - n] [2]] + [Å [2]] + [[N] [x] À + c]

[n] [2] + [À[d]] + [c]] → Àd] → [Py - O [À → Ȯ[x]] + [À - P[d]] + [T pl + d - À] + [Ph[n] - pl] d → Ad] → [À - P[n] - d] → O]

→ [n] Ȯ] + [A[c] → Ȯ] [[Ȯ[x]] À → [n]] → Ȯ[A]] + [Ȯ[N]] À → Ȯ[x] [Ȯ[1] [n] [À - c] → [Ȯ] [2] → [n]] → [n] · Ȯ[2] À → [n]

[AP[n]] + [À[d]] + [T[2]] À]] → [T[pl] À → [n]] → [À[d]] [2] + T[A]] + [A[d]] + [n] [c] → Py[n] + P̄y - O]] → [Àd] [n] + Ad → Å]

[Ȧ·P[x]d] + [[d] − [d] Ȧ_p| ÷⃗ [x−n]] + [A[d] + [c] ÷⃗ [n]] + [Å] [Ȧ ÷⃗ O[x] [d] ÷⃗] + [Ȧ ÷⃗ P[2] [x] d] ÷⃗ [A[d] + T[2] Ȧ] + [m

[[Ȯ[1] [Ȯ[N] Ȧ]] + [Ȧ − Ȧ[x] ÷⃗ [n]] c [Ȯ[N]] [Á − c] − [Ȧ] + [c] ÷⃗ Ȯ[n][x]] + [Ȯ[x] c Å] + [Ȯ[2] [n]] ÷⃗ [[x] − Ȧ] c ÷⃗ [Ȯ[x]]

[Ȧ] ÷⃗ [Ad + Ȧ[d] − n|] ÷⃗ [n] + T[2] Ȧ] − [Ȧ ÷⃗ [Å]] [d] ÷⃗ [PY[n]] + [Ȧ[d]] ÷⃗ [ṁ[n] − Ȧ ÷⃗ [me] [d] O] + [Ȧ[d] ÷⃗ [c]] ÷⃗ [

÷⃗ [n][x]] c ÷⃗ Ȯ[1] ÷⃗ [n]] + [N] − Ȧ ÷⃗ Ȯ[N] ÷⃗ Ȯ[x] + [n − Ȧ]] + [Ȯ[N] Ȧ ÷⃗ [[n] ÷⃗ Ȯ[x]] ÷⃗ [N][x] ÷⃗ Ȧ[x]] + [Ȧ − c] ÷⃗

[N][d] [m ÷⃗ A + m ÷⃗ O][x] + p| ÷⃗ [n][x] ÷⃗ [N] Å] + [[n] Ȧ ÷⃗ ȦP[me]] c [Ȧ − P[d]] + [[p] Ȧ ÷⃗ [x]] c [[n] [d] ÷⃗ [x−n] ÷⃗ [me] Ȧ]].

[[x] + [n] Ȧ ÷⃗ Ȯ[n]] c Ȯ[n][x] Ȧ ÷⃗ [[x−n]][x] Å] + [[x[n]] Ȧ ÷⃗ [n][x] c ÷⃗ [Ȯ[1] ÷⃗ [n][x]] + [[x − n] Ȧ ÷⃗ [2] [c] ÷⃗ Ȯ[N] ÷⃗ [Ȯ

+[[Ȧ[me] + Ȧ[d]] + [PY[n]] [[n] Ȧ + Ȧ[2] ÷⃗ [me]]] c [m] − [d] ÷⃗ [PY[d] − [m]] ÷⃗ [PY[me] ÷⃗ Ȯ[x]]] c Ȧ[Q] [m] [d] +

+[[Ȯ[N] Ȧ ÷⃗ Ȯ] + [Ȯ[n]][x] [Ȧ[1] ÷⃗ [Ȧ − c]] ÷⃗ [Ȯ] ÷⃗ [Ȧ[x] ÷⃗ [x−n]] c [n] ÷⃗ [Ȯ[1]] Ȧ ÷⃗ [[x−n] Ȧ ÷⃗ Ȯ[x] ÷⃗ [n][x]] c

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[[n] d [PY − O] [m] ÷⃗ Ph[n] ÷⃗ ȦP + [c] ÷⃗ Ȯ[x] ÷⃗ Ȯ[1]]][c] ÷⃗ Ȧ − [Q] ÷⃗ [[n] Ȧ ÷⃗ ȦP[me] [o] − [x]]] c [Ȧ] [m] PY[d] ÷⃗ AP

÷⃗ [n][x] Ȧ ÷⃗ [Ȯ[1]] + [[n][x] Ȧ ÷⃗ Ȯ[x]] [n[1] Ȧ ÷⃗ Ȯ[1]] [c] Ȧ ÷⃗ [Ȯ[n][1]] ÷⃗ [Ȯ[N]] + [[x] − n]]] c [Å] Ȧ ÷⃗ [Ȯ][x] ÷⃗ [Ȯ

+[[Ȧ[d] + [T[1] Ȧ]] + [Ȧ[d] ÷⃗ Ȧ[me]] + [N] Ȧ ÷⃗ [T[o] [m] + [c]] + [ȦP[x]] ÷⃗ [Ph[n] [d] O][m] ÷⃗ [PY[n]]] c Ȧ[Q] d] ;

[Ȧ ÷⃗ [Ȯ[N]] ÷⃗ [n][x] + [x[n] + [Ȧ − c] + N]] ÷⃗ [[n] Ȧ ÷⃗ [[[N] ÷⃗ [[N] ÷⃗ Ȯ[x]]] c ÷⃗ [Ȧ][N−ȯ] ÷⃗ [Ȯ[1]]] + [Ȯ[N] Ȧ ÷⃗ Ȯ

[PY[n]] Ȧ ÷⃗ [N][x][d] ÷⃗ [n] ṁ] + [Ȧ [d] [[m] Ȧ[d] − p|]] ÷⃗ [PY[o] d] c [Ȧ[Q] m[d]] ÷⃗ [A − [m] p|] [d] ÷⃗ [Ȯ[2]]] +

[[N][x] [Ȧ − c] ÷⃗ [N − Ȧ]]] + [[[Ȯ + Ȧ] ÷⃗ [Ȯ[x]]] [[Ȯ[1]] Ȧ ÷⃗ [n]] ÷⃗ Ȯ[2] + Ȧ $\frac{c}{[n]}$ Ȧ ÷⃗ [[n] ÷⃗ [n][x]] Ȧ ÷⃗ Ȯ[1]]]

[Ȧ[d] ÷⃗ [Ȯ[2]] [c]] + [Ȧ[d] ÷⃗ [Ȯ[x]]] ÷⃗ [[Ph[n] d Ȧ[ȯ] [m] − [d]] [PY[n]] [m] c [Ȧ[Q]] ÷⃗ [[P ÷ [n] d ÷⃗ [me]]] [m] p| ÷ [c] ÷⃗ Å

[[Q] ÷⃗ [Ȧ − c]] + [[n − Ȧ] ÷⃗ [Ȯ[x]] + c [Ȧ[ȯ]] A + [c] ÷⃗ [Ȯ[3]] ÷⃗ [Ȯ[1]] − [Ȯ[N]] + [[Ȯ[N] ÷⃗ x − n]] + Ȯ[x]] ÷ [Ȧ

[Ȧ[d]] ÷⃗ [[n [Ȧ ÷⃗ [c]] ÷⃗ Ȯ[x]] [d] ÷⃗ [AP] + [Ȧ[d] + [c] ÷⃗ [n]] + [Ȧ[me] + Ȧ[d]] ÷⃗ [PY[d] c [O]] + [[p| − Ȧ[m][d]] c Ȧ

[[Ȧ ÷⃗ Ȯ] [[Å] Ȧ ÷⃗ Ȯ[N]] ÷⃗ Ȯ[n]][x]] + [Ȧ − c] ÷⃗ Ȧ[x] [Ȯ[N] Ȧ[x−n]] [Ȯ [n] Ȧ ÷⃗ Ȯ[x] − [Ȯ[x]] ÷⃗ n] ÷⃗ [n][x] c O

[÷⃗ [PY[n] d [me] [m] [Ph[n] + PY[n]] ÷⃗ A][n] [c [Å[2]] ÷⃗ [[m] [d]] ÷⃗ [A[d] + [c] ÷⃗ [n]] ÷⃗ Ȧ [d]

] [[N] ÷⃗ [Ȯ][n]

[Å → P[2][x] d] → [A[d] + T[2] A] + [

[A·P[x] d] + [[d] − [d] A ρl → [x−n]] + [A[d] + [c] → [n]] + [Å] [A → O[x] [d] →] + [O[x] c Å] + [O[2] [n]] → [[x] − A] c → [Ȯ[1]

[[O[1] [O[N] A]] + [A − A[x] → [n]] c [O[N] A − c] − [A] + [c] → O[n][x]] + [A[d] → [m̄ [n] − A → [m e] [d] O] + [A[d] → [c]] →

[A] → [A d + A d − n] → [n] + T[2] A] − [A → [Å]] [d] → [P Y [n]] + [Ȯ[N] A → [[n] → Ȯ[x]] → [N][x] → A[x]] + [A − c] →

→ [n][x]] c → Ȯ[1] → [n]] + [N] − A → Ȯ[N] → O[x] + [n − A]] + [[p] A → [x]] c [A − P[d]] + [[ρ] A → [x]] c [[n] [d] → [x − n] → [m e] A]]

[N] [d] [m̄ → A + m → O][x] + ρl → [n][x] → [N] Å] + [[n] A → A P[m e]] c [A − P[d]] + [[ρ] A → [x]] c [n] → O[N] → O

[[x] [n] A → Ȯ[n]] c Ȯ[n][x] A → [[x − n]][n] Å] + [[x [n]] A → [n][x] c → [Ȯ[1] → [n][x]] + [[x − n] A → [2] [c]] → O [N] → O

+[[A[m e] + A[d]] + [P Y [n] d [n] A + A[2] → [m e]]] c [m] − [d] → [P Y [d] − [m] ρ] → [P Y [m e]] → Ȯ[x]]] c A[Q] [m] [d] +

+[[Ȯ[N] A → O] + [Ȯ [n][x] [A[n] → [A − c]] → [O] → [A → [x − n]]] c [n] → [Ȯ[1]] A → [[x − n] A → Ȯ[x] → [n][x]] c

+[[Ȯ[N] A → O] + [Ȯ [n][x] [A[n] → [A − c]] → O] → [A[x] → [x − n]] c [Å] [m] P Y [d] → A P]

[[n] d [P Y − O] [m] → P h [n] → A P + [c] → Ȯ[x] → Ȯ[1]]] [c] → A − [Q] → [[n] A → A P[m e] [O] − [x]]] c [Å]

→ [n][x] A → [Ȯ[1]] + [[n][x] A → Ȯ[x]] [n[1] A → Ȯ[1]] [c] A → [Ȯ[n][1]] → [Ȯ[N]] + [[x] − n]]] c [Å] A → [Ȯ][x] → Ȯ

+[[A[d] + [T[1] A]] + [A[d] → A[m e]] + [N] A → [T[O] [m] + [c]] + [A P[x]] → [P h [n] [d] O] [m] → [P Y [n]]] c A[Q] [d]

[A → [Ȯ[N]] → [n][x] + [x [n] + [A − c] + N]] → [[n] A → [[[N] → [[N] → Ȯ[x]]] c → [A][N − Ȯ] → [Ȯ[1]]] + [Ȯ[N] A → Ȯ

[P Y [n] A → [N] [m] [d] → [n] m̄]] + [A [d] [m] A [d] − ρl]] → [P Y [O] [d]] c [A[Q] m [d]] → [A − [m] ρl] [d] → [Ȯ[2]]] +

[[N][x] A − c] → [N − A]]] + [[[O + A] → [O[n]]] [[O[1] A → [n]] → Ȯ[2] + A $\frac{c}{[n]}$ A → [[n] → [n][x]] A → Ȯ[1]]]

[A[d] → [O[2]] [c]] + [A[d] → [Ȯ[x]]] → [[P h [n] d A [Ȯ] [m] − [d]] [P Y [n] [m]] c [A[Q]] → [[P + [n] d → [m e]] [m ρl] + [c] → [Å]

[[Q] → [A − c]] + [[n − A] → Ȯ[x]] + c [A[Ȯ]] A + [c] → [O[3]] → [Ȯ[1]] − [Ȯ[N]] + [[Ȯ[N] → x − n]] + Ȯ[x]] → [Å]

[A[d]] → [[n] A → [c] → Ȯ[x]] [d] → [A P] + [A[d] + [c] → [n]] + [A[m e] + A[d]] → [P Y [d] c [O]] + [[ρl − A [m̄] [d]] c A[Q]

[[A → Ȯ] [[Å] A → Ȯ[N]] → Ȯ[n][1]] + [A − c] → A[x] [Ȯ[N] A[x − n]] [Ȯ [n] A → O[x] − [O[x]] → [n] → [n][x]] c Ȯ[n]

[→ [P Y [n] d [m e] [m] [P h [n] + P Y [n]] → A][x]] c [Å[2]] → [[m] [d]] → [A[d] + [c] → [n]] → [A[d] + ρl [c] A]] → [T[O]]

[[N] → [O][n][x] A] c → [n]] c → Ȯ[2]] c [Å[2]] → [A − c][2] + [[n + n[x]] c → [Ȯ]] + [[A − [A − c]]] + [(x − n] A

[d] → [T[1]] A + A d[x 2]]] + [A d] → [P Y [n] d → A m̄] [d → P h [n]]] → [A d + A[c]] → [A P − A d → [n]] c → [A P[2] A →

→ [N][m][1]] → A[c] → [Ȯ[x]]] + [A[n]] → [[[[n] → [n][2]] − A[Ȯ[N]]] + [A − c]] + [Ȯ[1] [n]] [c → [A → Ȯ[n]][2]

P h [n] d] → [[N] A → [m e] + P Y [n] [d] → [A] [m [d] → A P[2]]] + [A[m e] [x] [d] → [A P[x]] → [P Y [n] [d] [n] + [m]] +

c → [[x] − n] A → Ȯ[n] → A[x]] → A → Ȯ[n][2] → [A[Ȯ][n]]] + [[x − n] A → [Ȯ]] c [Ȯ[n]] + [[[n][x] A [Ȯ[c]]] +

[P Y [d] m̄ → Ȯ[x] [P h [n]] [d] → [N]] + [A d + A m e] + [A d][2] → [A P[x] − d][2]) + A [c] → [d] → [P h [n] d O] → [N

[n] → [O[n]] c → [N][1] → [N][2]]] + [Ȯ[N] A] + [A − c] + [Ȯ[n][2]] + [[A − c] Ȯ[x] → Ȯ]] + [N]

d [c] → [Å] + [A[m e] + A[d]] + [P Y [d] → O] c A[Q] [d] → [A [A] d → [N] m → A P P Y d O] c P Y d O]] + [A d + A m

A] c → [Å] + [[x − n] + Ȯ[n] A] → [] [[Ȯ → Ȯ[Q]] [A → [n]] c → A → [Ȯ[x] → [n][x]] → A[Ȯ[n][x]]]] + [x − n] A]

A[Ȯ]] + ρl [d] A] + [T[2] A + [d]] → [[n] → [P[x]] d → [P h [n] c → Ȯ[n]] → [ρl [d] A] → [A m̄] → P h [n] d] → [A − c] d → [A P[n] →

1[[pẏ-0]d-Ȧ]+[[n]Ȧ+⃗[P₁]][+⃗ᶜ py[n]]d]+⃗ ȦP[A][c]+⃗[py-Ph][n]+⃗ Ȯ[n]] c Å[[d+⃗ pẏ-0]]+[[0]Ȧ[d]+⃗[P]] +

1[[Ȯc+⃗ O[x]] +⃗[n]$_{[1]}$+⃗[n]$_{[2]}$] + Ȯ[2][n]Ȧ+⃗ O[1]] + [ȮN] Ȧ+⃗ Ȯ[x]] c [Å] [Ȧ+⃗ Ȯ[n]] + [n] + Ȧ+⃗ Ȯ[1]]] +

[Ȧ+⃗₂P₁[d]] + [A[d] + [T[1] Ȧ] + [Ȧ+⃗ P[x] [d]] +[[Ȧ[d] + [T[1] Ȧ] [2]] [+⃗ᶜ [d] [n]] + [Ȧ[c][d]] +⃗ [A m̄ [p]][n]

[Ȯ[1] +⃗[n] Ȧ] +⃗[n]-ȯ] + [Ȧ-c] +⃗ [O[2] [n][2]] +⃗ [[x-n] Ȧ +[N]] Ȧ[2] +⃗ c Ȧ+⃗[n]] +⃗ [[Ȧ-c][2] +⃗ [0] c [n][n]]

+⃗ [Ȯ[x]] c +⃗ [Ȧ[d]] +⃗ [Å [W] d me-Ȧ[eyN] d +⃗ Ph[n] [c+d] +⃗ O] + [[y[n] d[m̄ [n] +⃗ [ȯ]] + [Ȧ[d] +⃗ Ȯ[n]]

Ȧ +⃗ [Ȯ[x]] c [Ȧ[n]] +⃗ [Å [[x-n]-[Ȧ] [c] +⃗ Ȯ[x]] c [n] +⃗ [O + [n]$_{[x]}$] +⃗ [c] +⃗ Ȯ[x] +⃗ [n]$_{[x]}$]] + [n] Ȧ +⃗ Ȯ[x]]

1[[Ȧ+⃗ P[d]][2]] +[A[d] + [T[1] A] + [[c] +⃗ [n]]] +⃗ [[m̄] d-Ȧ] +⃗ [Ph[n] d +⃗ O [Ȧ+⃗ BP]]] [y[n] d +⃗ [pȳ 0] +⃗ [d]] +⃗ ȦP[2][n]]

[1[Ȯ[2]][n] +[Ȧ-c] +[[x-n] Ȧ] +[n] +⃗ c] +⃗ [[n[1] Ȧ+⃗ [n][2]] +⃗ [[N] +⃗ [ȯ +⃗ [n][x]]-[Ȯ[2]- [ȯ]]] + [N][2] Ȧ +⃗ Ȯ[x]]

[[Ȧ[d] +⃗ Ȯ[x] [m] +⃗ Ȯ[N] Ȧ +⃗ [A[d]] + [Ȧ[d] +⃗ [P] + [Ȧ[d] [m] +⃗ [T[1] Ȧ + [m̄] Ȧ[d]] c [Å] + [[y[n] Ȧ+⃗ [m]] p [[m]

[[Ȯ] Ȧ+⃗ Ȯ[x]] +⃗ [n]] +⃗ [[n][1] +⃗ [n][2] +⃗ Ȧ]] + [[Ȯ[1]][n]]] + [[Ȧ$_{[x-3]}$ +⃗ Ȯ[x]] c [[n]$_{[x3]}$]]] c [Å] + [[Ȯ[n][1]] c +⃗ [2]]

1[Ȧ[d] + Ȧ[me]] + [Py[n] - p[d]] +⃗ [Ȧ[d]] + [[c]] [d] +⃗ Py[d] Ā [m̄] +⃗ [n]] + [Ȧ[d] - [c]] +⃗ [n] Ȧ +⃗ Ph[n] d O[A

[O[x] Ȧ [Ȯ[1]]$_{[x-n]}$] + [[x]-n] Ȧ +⃗ ȯ +⃗ [ȯ]$_{[2]}$] + [n-Ȧ]] + [[[c]- Ȧ] +⃗ [n] c +⃗ [n[2]]]] +[[Ȧ-c] +⃗ [[Ȯ] [n] Ȧ+⃗ Ȯ[x]

[[m̄ [Py[d]]-Ȧ] + [Ȧ-p[c][d]] +⃗ [[Ȯ[x] [c] + [p]] +⃗ [n][x] +⃗ [Ȯ[x]] + [x-n]]] c [Py[d]] ± [Ȧ[d]] c [d+c]] +⃗ [A [d]-[pẏ-

[n[2]] [Ȧ +⃗ [ȯ]]] + [[Ȧ - c]] + [n-Ȧ] [[n] Ȧ +⃗ Ȯ[x] + Ȯ[x] + [Ȯ[x] c]] c [N-ȯ] + [[[Ȧ- c][2]] + [Ȯ[n]] [Ȧ +⃗

[c] + [m] +⃗ [Pẏ-0] [d +⃗ Py[n]] + [Py[n] [d] +⃗ [T[n] d] +⃗ [O][T]] + [m [d]] +⃗ [Ȧ-P[x] [d]] +⃗ [T[n] Ȧ +⃗ A compl] c Py

c Ȯ[2]] +⃗ [[n]-[Ȧ]] +⃗ Ȯ[x]] + [[Ȯ[n]] Ȧ +⃗ [[x-n] + [N]] c +⃗ [[x] +⃗ Ȯ[1]] +⃗ [n] +⃗ [Ȯ[n]][x]] c +⃗ [n][1] +⃗ [n]

[Ȧ[d] P[n] - [d] Ȯ] c [Py[n] d [O[n]] [m] Ph[n] [d] [A]] + [Ȧd + [T[1] Ȧ] + [Ȧ[d] + Ȧ[me]]] c [Å] [m d] +⃗ [e

Ȧ] - [Ȯ[1]] [n] Ȧ +⃗ [ȯ - [[n]][1]]] + [Ȧ +⃗ [x-n] +⃗ [n]-ȯ] +⃗ Ȯ[1][n] +⃗ c +⃗ [Ȧ][x] +⃗ [ȯ -[n]][1]] c [Å] - Ȧ +⃗ Ȯ[x]

[[[pẏ-o]d-Ȧ] + [[n] Ȧ →[P]][→ pyc[n]]d] → ȦP[A][c] → [Py-Ph][n] → Ȯ[n]] c Å[[d → pẏ-o]] + [[n] Ȧ[d] → [P]] +
[[[Ȯc → Ȯ[x]] → [n][1] → [n][2]] + Ȯ[2][n] Ȧ → Ȯ[1]] + [ȮN] Ȧ → Ȯ[x]] c [Å] [Ȧ → Ȯ[n]] + [n] + Ȧ → Ȯ[1]]] +

[Ȧ → [P] [d]] + [A[d] + [T[1] Ȧ] + [Ȧ → P[x] [d]] + [[Ȧ[d] + [T[1] Ȧ][2]] → [d] [n]] + [Ȧ[c] [d]] → [A m̄ [p]][n]
[Ȯ[1] → [n] Ȧ] → [n] - ȯ] + [Ȧ - c] → [Ȯ[2] [n][2]] → [[x-n] Ȧ + [N]] Ȧ[2] → c Ȧ → [n]] → [[Ȧ - C][2] → [n] c [n][n]]

→ [Ȯ[x]] c → [Ȧ[d]] → [Å [N] d me-Ȧ [pyN] d → Ph[n] c+d] → O] + [pyc[n] d [m̄ [n] → [ȯ]] + [Ȧ[d] → Ȯ[x]]
Ȧ → [Ȯ[x]] c [Ȧ[n]] → [Å [[x-n]-[Ȧ]][c] → Ȯ[x]] c [n] → [O + [n][x]] → [c] → Ȯ[x] → [n][x]]] + [n] Ȧ → Ȯ[x]]

[[Ȧ → P[d]][2] + [Ȧ[d] + [T[1] Ȧ] + [[c] → [n]]] → [[m̄] d-Ȧ] → [Ph [n] d → O [Ȧ → BP]]] pyc[n] d → [pẏ o] → [d] → ȦP[2][n]]
[[[Ȯ[2]][n] + [Ȧ - c] + [[x-n] Ȧ] + [n] → c] → [[n[1] Ȧ → [n][2]] → [[N] → [ȯ → [n][x]]-[Ȯ[2] - [ȯ]]] + [N][2] Ȧ → Ȯ[n]]

[[Ȧ[d] → Ȯ[x] [m] → Ȯ[N] Ȧ → [A[d]] + [Ȧ[d] → [P] + [Ȧ[d][m] → T[1] Ȧ + [m̄] Ȧ[d]] c [Å] + [pyc[n] Ȧ → [m] p [m] d]
[[Ȯ] Ȧ → Ȯ[x]] → [n]] → [n][1] → [n][2] → Ȧ]] + [[Ȯ[1][n]]] + [Ȧ[x-3] → Ȯ[x]] c [[n][x3]]]] c [Å] + [[[Ȯ[n][1] c → [2]]]

[[Ȧ[d] + Ȧ[me]] + [pyc[n] - p[d]] → [Ȧ[d]] + [[c]] [d] → pyc[d] Ā [m̄] → [n]] + [Ȧ[d] - [c]] → [n] Ȧ → Ph[n] d O[Ȧ[ɛ]]
[Ȯ[x] Ȧ [Ȯ[1]] [x-n]] + [[x]-n] Ȧ → ȯ → [ȯ][2]] + [n-Ȧ]] + [[[c]- Ȧ] → [n] c → [n[2]]] + [[Ȧ - c] → [[Ȯ][n] Ȧ → Ȯ[x]]

[[m̄ [pyc[d]] - Ȧ] + [Ȧ - p [c] [d]] → [[Ȯ[x] [c] + [p] → [n][x] → [Ȯ[x]] + [x-n]]] c [pyc[d]] + [Ȧ[d]] c [d + c]] → [A [d] - [pẏ-o]
[n[2] [Ȧ → [ȯ]]] + [[Ȧ - c]] + [n-Ȧ] [[n] Ȧ → Ȯ[x] + Ȯ[x] + [Ȯ[x] c]] c [N - ȯ] + [[[Ȧ - C][2]] + [Ȯ[n]] [Ȧ → ȯ

[c] + [m] → [pẏ-o] [d → pyc[n]] + [pyc[n] [d] → [T[n] d] → [O][T]] + [m [d]] → [Ȧ - P[x] [d]] → [T[n] Ȧ → A[mp] [c pyc[o]]
c Ȯ[2]] → [[n] - [Ȧ]] → Ȯ[x]] + [[Ȯ[n]] Ȧ → [[x-n] + [N]] c → [[x] → Ȯ[1]] → [n] → [Ȯ[n][x]] c → [n][1] → [n][2]]]

[[Ȧ[d] P[n] - [d] O] c [pyc[n] d [Ȯ[n]][m] Ph[n] [d] [A]] + [Ȧd + [T[1] Ȧ] + [Ȧ[d] + Ȧ[me]]] c [Å][m d] → [pẏ c o] +
[Ȧ] - [Ȯ[1][n] Ȧ → [ȯ - [[n]][1]]] + [Ȧ → [x-n] → [n] - ȯ] → Ȯ[n][n] → c → [Ȧ][x] → [ȯ - [n][1]] c [Å] - Ȧ → ȯ[x] → [n - ȯ]

[Ȧ [me] [d] c [Å][n]] [[me] [d] → [pẏ-o] [d] → ȦP[pyc[n]] + [[Ȧ [m̄ [d]] [d] → [me][2] [m̄] p] → [Å][n]] + [Ȧ[d] → [Ȯ[x]]
[x[n]] → Ȯ[n] c Å[n]] + [x [n]][3] Ȧ → [Ȯ[x]] → [Ȯ[n]] + [Ȧ [[n] → n[2]] [x-n][4] Ȧ] c → [Å][n]] + [Ȧ - c] → Ȯ[x]

[c] → [[ȦP[p][x] + ȦP[n]] c [Ȧ → P[p] [d]] + [A[d] + [m̄] [d] → T[1] Ȧ]] → [A[d] + [c] → [n]] → [p]] → [P[p] [x]]
[c] → [[Ȯ[1]][o] + Ȯ[n][x]] c [[[n][x] → [ȯ]]] + [Ȧ → [n → n[2]] + [x-n] Ȧ[2] [+ [Ȧ - c] → [n [c]] Ȧ]] + [Ȯ[n][n]

[pyc[n] d → [m̄ [d]] → [Ȧ[d] c [Ȧ[c]] → [A[d] + [c → ȯ[x]] → [n]] + [Ȧ[d] → [pyc[n]][d] → pẏ-o[d] + [n] Ȧ →
[Ȯ[n]] Ȧ → [n → n[2]]] [c → Ȯ[x]] + [Ȧ - c] → [c → Ȯ[n] → [n]] + [n] Ȧ → [N][2] Ȧ → [Ȯ[n]] Ȧ → [O] + Ȧ →

[me][m] → ȦP[n] d → ȦP] c Ȧ[2][d] → [ȦP[n]] + [Ȧ → [me] [c] → [n]] + [Ȧ[c] d] → [pyc[d] O] c [Ȧ[2]] →
[illegible] + [Ȧ - C]] + [N][2] Ȧ → O] c [Ȯ[2] Ȧ] →

+⃗[O[x]] c +[A[a]] + [A[w] d me - A[eyN] d +⃗ Ph[n] c + D] + O] + [PY[n] d [m[n] +⃗ [O]] + [A[d] +⃗ O[x]]
Ȧ +⃗ [O[x]] c [Ȧ[n]] +⃗ [Å [[x - n] - [Ȧ] [c] +⃗ O[x]] c [n] +⃗ [O + [n][x]] +⃗ [c] +⃗ O[x] +⃗ [n][x]]] + [n] Ȧ +⃗ O[x]]

[[Ȧ +⃗ P[d]][2] + [A[d] + [T[1] Ȧ] + [[c] +⃗ [n]]] +⃗ [[m̄] d - Ȧ] +⃗ [Ph[n] d +⃗ O [Ȧ +⃗ P]]] [Y[n] d +⃗ [PY O] +⃗ [d] +⃗ AP[2][n]]
[[[Ȯ[2]][n] + [Ȧ - c] + [x - n] A] + [n] +⃗ c] +⃗ [[n[2]] Ȧ +⃗ [n][2]] +⃗ [N] +⃗ [Ȯ +⃗ [n][x]] - [Ȯ[2] - [ȯ]]] + [N][2] Ȧ +⃗ O[n]]

[[Ȧ[d]] +⃗ Ȯ[x] [m] +⃗ O[N] Ȧ +⃗ [A[d]] + [Ȧ[d] +⃗ [P] + [Ȧ[d]][m] +⃗ T[1] Ȧ + [m̄] Ȧ[d]] c [Å] + [PY[n] Ȧ +⃗ [m] pl [m]]
[[Ȯ] Ȧ +⃗ Ȯ[x]] +⃗ [n] +⃗ [n][2] +⃗ [n][2] +⃗ Ȧ] + [[Ȯ[1]][n]] + [Ȧ[x-3] +⃗ O[x]] c [[n][x3]]]] c [Å] + [[Ȯ[n][1] c +⃗ [2]]]

[[Ȧ[d]] + Ȧ[me]] + [PY[n] - pl [d]] +⃗ [Ȧ[d]] + [[c]] [d] +⃗ PY[d] Ā [m̄] +⃗ [n]] + Ȧ[d] - [c]] +⃗ [n] Ȧ +⃗ Ph[n] d O[A[E]]
[O[n] ȦL Ȯ[1]][x-n] + [[x] - n] Ȧ +⃗ Ȯ +⃗ [O][2] + [n - Ȧ] + [[c] - Ȧ] +⃗ [n] c +⃗ [n[2]]] + [Ȧ - c] +⃗ [Ȯ][n] Ȧ +⃗ O[x]]

[[m̄ [PY[d]] - Ȧ] + [Ā - pl [c] [d]] +⃗ [O[x] [c] + [pl] +⃗ [n][x] +⃗ [O[x]] + [x - n]]] c [PY[d]] + [Ȧ[d]] c [d + c]] +⃗ [A [d] - [PY̌ - O]
[n[2]] Ȧ +⃗ [Ȯ]] +⃗ [Ȧ - c] + [n - Ȧ] [[n] Ȧ +⃗ Ȯ[x] + O[x] + [O[x] c]] c [N - Ȯ] + [[Ȧ - C][2]] + [Ō[n]] Ȧ +⃗ ȯ

[c] + [m] +⃗ [PY̌ - O] [d] +⃗ PY[n]] + [PY[n] [d] +⃗ [T[n] d] +⃗ [O][T]] + [m [d]] +⃗ [Ȧ - P[x] [d]] +⃗ [T[n] Ȧ +⃗ A compl] c PY[O]]
c O[2]] +⃗ [[n] - [Ȧ] +⃗ O[x]] + [[O[n]] Ȧ +⃗ [x - n] + [N]] c +⃗ [[x] +⃗ Ȯ[1]] +⃗ [n] +⃗ [Ȯ[n]][x]] c +⃗ [n][1] +⃗ [n][2]]]

[[Ȧ[d]] P[n] - [d] Ȯ] c [PY[n]] d [O[n]][m] Ph[n] [d] [A]] + [Ȧd + [T[1] Ȧ] + [Ȧ[d]] + Ȧ[me]]] c [Å][m] d] +⃗ [PY̌[O]] +
[Ȧ] - [Ȯ[1][n] Ȧ +⃗ [Ȯ - [n]][1]]] + [Ȧ +⃗ [x - n] +⃗ [n] - ȯ] +⃗ O[n][n] +⃗ c +⃗ [Ȧ][x] +⃗ [Ȯ - [n]][1]] c [Å] - Ȧ +⃗ O[x] +⃗ [O - ȯ]

[Ȧ [me] [d]] c [Å][n]] [[me] [d] +⃗ [PY̌ - O] [d] +⃗ ȦP [PY[n]] + [Ȧ [m̄ [d]]] [d] +⃗ [me][2] [m̄] pl +⃗ [Å][n]] + [Ȧ[d]] +⃗ [O[n]]
[x[n]]] +⃗ Ȯ[n]] c Å [n] + [x [n]]][3] Ȧ +⃗ [Ȯ[x]] +⃗ [Ȯ[n]] + [Ȧ [[n]1 +⃗ n[2]] [x - n][4] Ȧ] c +⃗ [Å] [n]] + [Ȧ - c] +⃗ O[x]]

[c] +⃗ [[ȦP[p] [x] + ȦP[n]] c [Ȧ +⃗ P[p] [d]] + [A[d]] + [m̄] [d] +⃗ T[1] Ȧ]] +⃗ [A[d]] + [c] +⃗ [n]] +⃗ [pl]] +⃗ [P[p] [x]]
[c] +⃗ [[Ȯ[1]][O] + Ȯ[n]][x]] c [[[n]][x] +⃗ [O]]] + [Ȧ +⃗ [n +⃗ n[2]] + [x - n] Ȧ[2] [+ [Ȧ - c] +⃗ [n[c]] Ȧ]] + [Ȯ[n]][n]

[PY[n] d +⃗ [m̄ [d]] +⃗ [Ȧ[d]] c [Ȧ[c]] +⃗ [A[d]] + [c +⃗ Ȯ[x]] +⃗ [n]] + [Ȧ[d]] +⃗ [PY[n]] [d] +⃗ PY̌ - O[d] + [n] Ȧ +⃗
[Ȯ[n]] Ȧ +⃗ [n +⃗ n[2]]] [c +⃗ Ȯ[x]] + [Ȧ - c] +⃗ [c +⃗ Ȯ[x] +⃗ [n]] + [n] Ȧ +⃗ [N][2] Ȧ +⃗ [O[n]] Ȧ +⃗ [O] + Ȧ +⃗

[me][m] +⃗ ȦP[n] d +⃗ ȦP] c Ȧ[Q] [d] +⃗ [ȦP[n]] + [Ȧ +⃗ [me] [c] +⃗ [n]] + [Ȧ[c]] d] +⃗ [PY[d] O] c [Ȧ[Q]] +⃗
[x - n] +⃗ [n]1 +⃗ [n][x] +⃗ ȯ] c Å [c] +⃗ [Ȯ[n]][1]] + [(x - n) Ȧ +⃗ [ȯ] +⃗ [n] + [Ȧ - C]] + [N][2] Ȧ +⃗ ȯ] c [Ȯ[n]] Ȧ] +⃗

[PY̌[d] O [d]][2] +⃗ O[x] m̄ PY[n]] + [Ȧd +⃗ Ȯ[2] c] +⃗ [PY[d]] O + Ȧ [PY[n]] +⃗ [n] c Ȧ[Q] +⃗ [PY[d]] O]
[[Ȯ[N] Ȧ +⃗ Ȯ[x] A +⃗ [n][1] +⃗ [n][1]]] + [O[x] + [n - Ȧ] +⃗ [x - n]] +⃗ [[N][2] Ȧ +⃗ O] +⃗ [1] +⃗ [O[x]] c [Ȯ][[2]] +⃗ [n]],

m̄ [PY[n]] [d] +⃗ [O[x]]] + [Ȧ[c]] d] +⃗ [Ȧd +⃗ T[2] Ȧ] +⃗ A [d] m̄ +⃗ [n] c +⃗ Y[O] [d] + [T[1] Ȧ] +⃗ PY[Ad] +

[Aid] ⃗+ [Ph [n] d O [Ȧ ⃗+ E[n]] +[[A [m] c [Ph[n] [2] ⃗+ [O] [d] + [T[1] Ȧ]] c [d] + [Ȧ [me]] c [Py [d]] + [T[p]] Ȧ] + [
[Ȧ ⃗+ [Ȧ [o] Ȧ [c] ⃗+ Ȯ [1] [n]]]^c + [[[n][2] ⃗+ Ȧ ⃗+ [N] - ȯ] ⃗+ [n][x] Ȧ ⃗+ ȯ]]c [Ā] + Ȧ ⃗+ x[n] c [n - Ȧ] + [[x n] x [N] Ȧ ⃗+

[Ȧ ⃗+ P[d]] + [Ph[n] d [A] ⃗+ [Ȧ ⃗+ BP] + [T[1] Ȧ] ⃗+ [Ȯ [x]] c [Ȧ [d] ⃗+ Ph[n] d O[2] [Py [n] d Ȧ [o] d [Ȯ [2] [n]] ⃗+^d Ȧ [A
[n ⃗+ [[Ȯ [n]] [1] [Ȧ ⃗+ [N]] [1] ⃗+ Ȧ [ȯ] + x[n] Ȧ]]]c [Ȧ + [N] [1] Ȧ ⃗+ O[2] ⃗+ [n] [x] ⃗+ [n [x]] [2]] + ȯ [d] + Ȧ]

[Ȧ [c] ⃗+ [Py [n] d] ⃗+^m [Ȧ [d] [x]] ⃗+^c [Ȧ [d] ⃗+ [P]] + [T [n]]^Ȧ + Ȧ [d]] + [A [m p]] + m̄] + [Ȧ - p] c ȯ]] + [Ȧ me + d] ⃗+
[Ȧ - c] [x] ⃗+ [N] [1] Ȧ ⃗+ O [x] c Ȧ ⃗+ [Ȯ [n]] [1] [[x - n] [Ȧ - c]] + [c] + n ⃗+ n [2] Ȧ] [[Ȧ - c] [x]] [[x - n] Ȧ ⃗+]

[Ph [n] d [O [3]] Ȧ ⃗+ [n] ⃗+ Ȧ [ȯ] c [O [3]] [d] [2]] + [Ȧ [d] ⃗+ [m̄ [d] ⃗+ Py [n]] c [Å] + [Ȧ [d] + [T [1]] Ȧ [d] Ph
[Ȯ [N]] Ȧ [[Ȧ [ȯ] Ȯ [n]] Ȧ ⃗+ Ȯ [3] c ⃗+ [N] ⃗+ ȯ [x]]] + [Ȧ [Ȯ Ȧ ⃗+ n] [x]] [n] [1]]] c [Å] + [[[x - n] Ȧ + [N] Ȧ] +

[Ȧ [m̄] ⃗+ [m̄]] [d] ⃗+ [Py [n]] Ȧ [d] ⃗+ [Å] + [Ȧ - P [d]] ⃗+ [A [d]] [Ph [n]] + T [1] Ȧ + [c]] ⃗+ [Ȧ [me] [d] ⃗+ Py [n] d Ȧ
[n [2]] + [n [2]] Ȧ] [c] ⃗+ [n] [1] Ȧ ⃗+ ȯ] c [Å] + [Ȧ ⃗+ [n] [n]] + [Ȧ - c] ⃗+ [Ȯ ⃗+ [n] [1]] ⃗+ Ȧ ⃗+ [[x - n] ⃗+ [n] ⃗+ Ȯ

[[Ȧ - p] + Py [n]] + [Ȧ - P [d]] ⃗+ [Ȧ [Py - ȯ] [m] ⃗+ Ph [n]] c [A [d]] +] + [Ȧ - P [2]] + [Py - A [d] [n]] + [Ȧ - P
[Ȯ [N]] Ȧ ⃗+ [Ȯ [x] + Ȯ [x]] [c]] [[Ȯ] [x] ⃗+ [n [1]] [Ȧ - c] ⃗+ [n] [1]] c [ȯ [Ȧ]]] + [[n] [2]] + [[[n] Ȧ ⃗+ Ȯ [n]] + [Ȧ ⃗+

[n] + Ȧ [d]] ⃗+ [Ȯ [x]] c] ⃗+ [[N] d ⃗+ [me] ⃗+ [Py [n]] + d ⃗+ [Ȧ P [p]] ⃗+ n] ⃗+ ȦP [x]] c [Å] + [Ȧd] c ⃗+ Ȧ me + Ȧ [d] ⃗+ [n]
Ȯ [n] [3]] ⃗+ [Ȯ [x]] c] ⃗+ [[[n [x]] ⃗+ [ȯ] Ȧ ⃗+ [n] [3]] ⃗+ [x - n] [x] ⃗+ Ȧ]]c [Å] + [n Ȧ] c ⃗+ [x - n] Ȧ [x] ⃗+ [n]

[ȦP] + [Ȧ [d]] + [T [1] Ȧ] + [Ȧ [me]] + [T [Ȧ] + [Ȧd]] + [A d p [n] + T [me] Ȧ] + [Ȧ p] + [c]] + [Ȧd] ⃗+ [ȦP [x]]
[n] [ȯ]] + [Ȧ - [[x - n] [x]] Ȧ] [[x - n] Ȧ] + Ȧ] [[Å] [Ȧ - c] ⃗+ [n] [x] Ȧ ⃗+ [Ȯ [n]]] + [[Ȯ [N]] Ȧ ⃗+ O [+] ⃗+ n]]]

[Ȧ [d] ⃗+ [n] [Ȯ [x]] ⃗+^c [Ȧ [d]] + [n] d [Ȧ ⃗+ P [x]] + [Ȧ [c] + [d] ⃗+ [n] d [Ph [n] ⃗+ O [Ȧ E]]] + [[n] c Ȧd ⃗+ P [x]] ⃗+ Ad
[[Ȯ [n]] + [N]] Ȧ ⃗+ [ȯ] ⃗+ [[[N] Ȯ] Ȧ - c ⃗+ Ȯ [n] [x]] + [Ȯ [n] Ȧ ⃗+ [[N] ⃗+ O [x]] c Ȯ [n]]] + [[Ȯ [n]] - Ȧ ⃗+ Ȯ [x]]

m [n] ⃗+ [Pẏ d [c ⃗+ [Ȯ [x]] [n] [x]] + [[N] d O [m̄] ⃗+ [P̄y + Ph [n] d Ā]]^{cÅc} + [Ȧ d ⃗+ [O [2]] c ⃗+ [Å

[Ȧd] →[Ph[n] d O[A→[n]] ⊤[A[m]c …
[A→[A[o] Ȧ[x]→ O[1][n]]]+[[n][x] →A→[N]−0] →[n][x] Ȧ→ 0]]c [A] + A … [x−n]+[N] Ȧ

[A→ [d]] +[Ph[n]d [A] →[A→0P]] +[T[n]A] →[O[x]] c [Ȧd] → ch[n] d O[2][ey[n]d Ȧ[o]d[O[2][n]] → Ȧ[x]
[n →[[O[n]][x] [Ȧ→ [N][1] →Ȧ[o] + x[n] Ȧ 7]]c [Ȧ+ [N][n] Ȧ→ O[2] →[n][x] →[n[x]][2]] [n]d, Ȧ

[Ȧ[x] →[Pyr[n]d] → [Ad][x]] → [Ȧd] →[P[] +[T[n]] + Ȧd]] + [A[m]pd] + m̄] + Ȧ−p] = 0]] + Ȧm[o]d],
[Ȧ−c][x] →[N][1] Ȧ→ O[x]c Ȧ→[Ȯ[n]][1][[x−n][Ȧ−c]] + [c][n → n[2]] A] [Ȧ−c][2]] [[x−n] Ȧ→

[ph[n] d [O[2]] Ȧ→ [o] → Ȧ[o] c[O[3]][d][2]] +[Ad] →[m̄[d] → Py[n]] c[Å] +[Ȧ[d] + T[n] Ȧd], ph
[O[N]] Ȧ [[Ȧ[o] O[n]] Ȧ→ O[3]] c →[N] → Ȯ[n]]] +[Ȧ [O Ȧ→ ∧][x]] [∧][n]] c[Å] +[[[x−n] Ȧ + [N] Ȧ],

[Ȧ m̄] → [m̄]] [d] →[ey[n] Ȧ[d] →[Å] +[Ȧ−P[d]] →[A[d]]][ch[n] + T[n] Ȧ + [c]] →[Ȧ[me] [d] → Py[n]] d]
∧n[2] + [∧[2]]Ȧ][c] → [∧]. Ȧ→ 0]c [Å] +[Ȧ→[∧][n]] + [Ȧ−c] →[O →[n][1]] → Ȧ→ [[x−n] →[∧] → 0

[[Ȧ−p]] + ey[n]] + [Ȧ−P[d]] →[Ȧ[P⁺y−0][m] →Ph[n]] c [A[d]] +] + [Ȧ − P[2]] + [Py−A[d][n]] + [Ȧ−
[O[n]] Ȧ →[O[x+O[x]][n]] [c]] [[O][x] → [∧[n]] [Ȧ−c] → [∧][n]] c [Ȯ[Ȧ]]] + [[∧][2]] + [[[n] Ȧ→ Ȯ[n]]] + [Ȧ→

[∧] + Ȧ[d]] → [Ȯ[x] c] →[[N] d → [me] →[Py[n]] + d → [ȦP[p] → ∧] → ȦP[x]] c [Å] + [Ȧd] c → Ȧme + Ȧ[d] → [∧]
Ȯ[n][3]] → [Ȯ[x] c] → [[∧[x]] → [O Ȧ → [∧][3]] → [x−n][x] → Ȧ]]c [Å] + [∧Ȧ] c → [x−n] Ȧ[x] → [∧]

[ȦP] + [Ȧ[d]] + [T[n] Ȧ] + [Ȧ[me]] + [T[Ȧ] + [Ȧd]] + [A d p[n] + T[me] Ȧ] + [Ȧ p] + [c]] + [Ȧd] → [ȦP[n]]
[∧][Ȯ]] + [Ȧ − [[x−n][x] Ȧ]][[x−∧] Ȧ] + Ȧ] [[Å][Ȧ−c] → [∧][x] Ȧ → [Ȯ[n]]] + [[O[N] Ȧ → O[x] → ∧]]]

[Ȧ[d]] → [n] [O[x]] → [Ȧ[d]] + [∧] d[Ȧ → P[x]] + [Ȧ[c] + [d]] → [∧] d c[Ph[n]] → O [Ȧ E]] + [[∧] c Ȧd → P[x]] → Ad
[[Ȯ[n]] + [N]] Ȧ → [O] → [[[N] Ȯ] Ȧ−c → Ȯ[n][x]] + [Ȯ[n] Ȧ → [[N] → Ȯ[x]] c Ȯ[1]]] + [[O[n]] − Ȧ → Ȯ[x]]c

m[n]] → [Pÿd] c → [Ȯ[x]][n][x]] + [[N] d O[m̄] → [Pȳ + Ph][n] d Ā]] + [Ȧd → [O[2]] c → [Å[2]][x]] → Ȧ[m̄] → [p] →
→[∧] → [∧][x] → Ȧ][x]]] + [[Ȯ[1] + O[2]] Ȧ−c[n]] → [N][x][Ȯ] c [Å][2] → [[Ȯ[n]][x] c Ȯ[1] → [∧]] c → [N][1]] + [Ȯ[2]]

me] + m̄[d] → Py[n][d][2] → [[n] Ȧ] + d → P⁺y o + c → Ph[n]][2] → ȦP → [Ȧ[0P−0] + Am] [x]] d pl + [c]] → ~~m~~ [∧]]
Ȧ → Ȯ[n][x]]] [Ȧ − c] → [x−n] + [Å[3]] Ȧ → Ȯ[n][x] [Ȯ][x] c → [[Ȯ][x][2] + Å[3] Ȧ → [Ȯ][x]] c → [∧]] [c] →

[c] [[N] Ȧ[x] → [Å → Ȧ E][n]] c [Å[2]] + [Ȧd] → [[n] [m] A] [o] + [Ȧ⁺m̄ Py[n] − A] → ȦP[x]−∧][d → ȦP[d][x]],
→ [[N] Ȯ] Ȧ → ∧[x]] → [Ȯ]] c [Å[x]] [Ȧ → [∧] → Ȯ[x] + [x[n]] Ȧ → [c] → [[∧] Ȧ → ∧[x]] + [Ȯ[N] Å → Ȯ[x]]]

[[Ȧ[d]] + [T[2] Ȧ] + Ȧd][2]] + [m̄ Ȧ] → [Ph[n] Ȧ → P]] c [Å] [me] → [[Ȧd]] → [Ȧ − P]] + [Ȧd + T[2] Ȧ] + [m̄ [d]][2] +
[[Ȯ[n]] Ȧ → Ȯ[x]] c → [Å][n] Ȧ → [Ȯ[n][x] → [x−n]] + [Ȧ]] → [[Ȧ − c][2] → [Ȯ] [[Ȯ[n]] Ȧ → [x−n] → Ȯ[x]]c →

[T[o] d[m][n] A] + [c] → [[Å][2] c Ȧ + [c]] + [[Ȧd] + Ȧme] → [P⁺y − o] d] c Ȧ[o] → [[∧] d O → P⁺y [d] → A] c O]
[∧]] Ȧ → [N]] c [Å[2]] + [O[N]] → [Ȧ − c][2]] + [[x[n]] + ŌN] + [∧][x] [Ȯ[n]] − O] + [[[Ȧ[x]] → [∧]] c [Ȯ][n] +] +

[Ȧd pl] + Ȧ[d]] → [Ph[n] Ȧ[d]] → P] c Ȧ[o][d]] → [Å[N d o c P⁺y[d]] + c → Py[n] − o] +] c AE[Py[n] d] → Ph

[c] → [Å][3]] + [Ȧ-pl c[[d+c]] → [Ȧd] → [Ph[n]][x] d → Ȧ[Ȯ] c O][x] C[Å[4]][n]]] c[Å] + [Ad pl] + [Ȧd → Ȯ[x]]

[c] → Å[x]] + [[Ȧ − c] → Ȯ[x]] + Ȧ → [[[[Ȯ][x] → [n][x]] c Ȯ[x]] c [Å[+][n]]] c[Å] + [[Ȧ]] + [Ȧ → [x−n]]

[Ȧ P[n]] + [T[1]] Ȧ[m]] → [[Ȧ[d] + T[O]] + [A[d] + T[O]] → [[Å][Py[n] d O] + [d] + [Ȧd → Ȯ[x]] + [Py[d]] + [Ȧ

[[[x−n] + [N] + Ȯn[x]]][[Ȯ[1]][n]] Ȧ[c] → Ȯ[x]] − Ȧ]c] + [Å] → Ȯ[n]][x]]Ȧ] + [[Ȯ[N] Ȧ]]c → [[N][x] Ȧ →

→ P[2]-[n]][c] → [[Ph[n]] - [d]] Ȧ → [Q] → Ȧe][n] → [me]] c [Ȧ[Q] [d]] → [[n] Ȧ] c [Ȯ][Py[n] d Ȧ → P[2]] c [O]]

[Ȯ[N] Ȧ → Ȯ[x]] + c → n[x]][Ȯ[2]][n] Ȧ − c] → [[n][x] − n[x]] Ȧ] + [N]] → Ȧ → [x−n] → [n][x] → c → [N[x]] → Ȯ[x]]

[A[d]] + [T[O]] → [Ȧ → P[2] [d]] → [Ȧ P[Ȧ-[d]] + [[[Py[n]] d]] c[A] + T[O]]] [+[m̄ m̄] Ȧ] → [Pȳ - O][m → Ph[n]]

[[n][x] c [Ȯ[x] → Ȯ[2] [n]] → Ȧ → [Ȯ[1]] → Ȯ[x]] Ȧ → c → Ȯ[x] → [x[n]] + [N]] → Ȧ[[n] → [n][2] c [n][2]] -]

[Ȧ - P[d]] + [A[mpl] + [c]] → Ph[n]] + [Ȧ-pl[d]] + [Ȧ → P[n]-[d]] → [Ph[n] d O[BP-O] Ȧ] + [Ȧ-[mpl] + Py[n]] d

[n] - Ȧ → Ȯ[1]] + [c] + [[Ȯ[1]] c → [Ȯ] → [n][1]] + Ȧ [O → Ȯ[n][2]] Ȧ → Ȯ] + [Ȯ + [n] → Ȯ[m]] + [[x−n] Ȧ → Ȯ n] Ȧ

→ [[n]] d → Ȯ[x]] c [Ȧ[Q] d] → [Py A — A] [d] → Å[Ȧ → Ȯ[x][d] + [c] →] [Ȧ - P[d]] → [A[d]]] [T[1]] Ȧ] +

[Ȯ[x] c → O]] c → [n][x] → [Ȯ[n]] → O] + [Ȯ[x]]] c Å + [Ȯ[1]][n]] → [[n][2] → [n][3]] Ȧ] + [[n][1-3]] →

[Py[n]] d → m̄[d]] + [m → n]] + [[Ȧd] → Ȯ[x]] → [A mpl + T[1]] Ȧ] → [Ȧ[pl]] c[pl[d]] m] + [[Ȧ [c] d] → [A mpl →

[n][x−n] Ȧ] + [[n] → [n][2]] c → [n] + [[[Ȯ → Ȧ] → [n]] + [N] Ȧ − c] + [n][x−n][1] Ȧ] c [Ȯ] + [Ȧ − c] → [c] → [n] →

Ph[n] d + Py[n]] [c [d]] → [BP-Ȧ] A] + [Ȧ-pl] + [c]] → [Ȧ[d]] → Ph[n] d O] Ȧ → [E[p]] → [c] Ȧ → [d]] [Py[N]] + [

[n][x]] + [Ȯ[n]] c Ȧ] + [n] → Ȯ[x] Ȧ + [[Ȯ[2]] c →] + [Ȧ] → [[[Ȯ[x] + [x−n] + Ȯ[x]][x] c Ȯ[1]][x]] c[N]] + [

[Ȧ → [d[1]] c[d]]c → [Ȧ[d]] → [Ȯ[x]] c → Ph[n] O] → [Ȧ P[2][n]] + [[Ȧ[d]] + [T[1]] Ȧ]] → [n]] + [Ȧ[d[1]] → [O]] c [d] + [

[[Ȧ → Ȯ[x]] c → [Ȧ − c] → Ȯ[x] c → [N][2]] + [[Ȯ[n]][2]] + [Ȧ − c + [n][x−n] Ȧ] → [Ȯ][x]]] c → Ȧ →

A[d]] → [A[Ȯ][n] Ȧ → Ȯ[x]] c [Py[n] d] → [Ȧ[c] d] → [Ȧ → P → [n] d + [c]] → [Py → O] Ȧ] + [T[1]] A

[n] → [n][2]] + [Ȯ[n]][1] Ȧ → Ȯ[n]][2]] Ȧ c →] + [[Ȧ − c]] → [Ȧ →] [n] Ȧ → Ȯ] → Ȯ[1]][n]] +] + [n][x−n

[c] →+[Å][3]] + [Ȧ-pl c[[d+c]] →+ [Ȧd] →+[Ph[n][x] d →+ Ȧ[o] c 0][x] C[Å[+1][n]]] c[Å] →+[Ad pl] + [Ad →+ Ȯ[x]]

[c] →+ Å[2]] + [[Ȧ − C] →+ Ȯ[x]] + Ȧ →+ [[[[Ȯ][x] →+ [n][x]] c Ȯ[n]] c [Å[+][n]]] c [Å] + [[Ȧ]] + [Ȧ →+ [x−n]].

[Ȧ P[n]] + [T[1] Ȧ[m]] →+ [[Ȧ[d] + T[0]] + [A[d] + T[0]] →+[[Å][Py[n] d 0] + [d] + [Ȧd →+ O[x]] + [Py[d]] + [Ȧ

[[[x − n] + [N] + Ȯn[x]]][[[Ȯ[1]][n]] Ȧ[c] →+ Ȯ[x]] − Ȧ]c] + [Å] →+ O[n][x]]Ȧ] + [[Ȯ[N] Ȧ]] c →+ [[N][x] Ȧ →+

→+ P[a] − [n]][c] →+[[Ph[n] − [d]] Ȧ →+ [Q] →+[ȦP][n] →+ [me]] c [Ȧ[Q][d]] →+[[n] Ȧ] c [Ȯ][Py[n] d Ȧ →+ P[2]] c [0]]

[Ȯ[N] Ȧ →+ Ȯ[2]] + c →+ n[x]][Ȯ[2]][n] Ȧ − C] →+ [[n][x] − n[x]] Ȧ] + [N]] →+ Ȧ →+ [x−n] →+[n][x] →+ c →+ [N[x]] →+ Ȯ[x]]

[A[d] + [T[0]] →+ [Ȧ →+ P[2] [d]] →+ [[Ȧ P[Ȧ − [d]] + [[[Py[n] d]] c [A] + [T[0]]] [[m m̄] Ȧ] →+ [Py − 0][m] →+ Ph[n]]

[[[n][x] c [Ȯ[x] →+ Ȯ[2] [n]] →+ Ȧ →+ [Ȯ[1] →+ Ȯ[x]] Ȧ →+ c →+ Ȯ[x] →+ [x[n] + [N]] →+ Ȧ [[n] →+[n][2] c [n][2]] +]

[Ȧ − P[d]] + [A[mpl] + [c] →+ Ph[n]] + [Ȧ − pl[d]] + [Ȧ →+ P[n] − [d]] →+ [Ph[n] d 0 [BP − 0] Ȧ] + [[Ȧ − [me] + Py[n]] d

[n] − Ȧ →+ Ȯ[1]] + [C] + [[Ȯ[1]] c →+ [Ȯ] →+ [n][1]] + Ȧ [Ȯ →+ Ȯ[n][0] Ȧ →+ Ȯ] + [Ȯ + [n] →+ Ȯ[n]] + [[x − n] Ȧ →+ Ȯ] Ȧ

→+ [[n]] d →+ Ȯ[x]] c [Ȧ[Q] d] →+ [PyA − A] [d] →+ Å [Ȧ →+ Ȯ[x] [d] + [c] →+] [Ȧ − P[d]] →+ [A[d]]] [T[1] Ȧ] +

[Ȯ[x] c →+ Ȯ]] c →+ [n][x] →+ [Ȯ[n] →+ Ȯ] + [Ȯ[x]]] c Å + [Ȯ[1][n] →+ [[n][2] →+ [n][3] Ȧ] + [[n][1−3] →+

[Py[n] d →+ m̄[d] + [m →+ n]] + [Ȧd] →+ Ȯ[x]] →+ [Ampl + T[1] Ȧ] →+ [Ȧ[pl] c pl[d] m] →+ [Ȧ[c] d] →+ [Ampl →+

[[n][x−n] Ȧ] + [[n] →+ [n][2]] c →+ [n] + [[Ȯ →+ Ȧ] →+ [n]] + [N] Ȧ − C] + [n][x−n][1] Ȧ] c [Ȯ] + [Ȧ − C] →+ [C] →+ [n] →+

Ph[n] d + Py[n]][c[d]] →+ [BP − Ȧ] Ȧ [+ [Ȧ − pl] + [c]] →+ [Ȧ[d]] →+ Ph[n] d 0] Ȧ →+ [E[p]] →+ [n] Ȧ →+ [d]] [PyN] + [

[n][x]] + [Ȯ[n] c Ȧ] + [n] →+ Ȯ[x] Ȧ + [[Ȯ[1] c →+] + [Ȧ] →+ [[[Ȯ[x] + [x − n] + Ȯ[x]][x] c Ȯ[1]][x]] c [N] + [Ȧ →+

[Ȧ →+ [d r]] c [d] c →+ [Ȧ[d]] →+ [Ȯ[x]] c →+ Ph[n] 0] →+ [Ȧ P[2][n]] + [[Ȧ[d]] + [T[1] Ȧ]] →+ [n]] + [Ȧ[d r] →+ [0]] c [d] + [Å]

[[Ȧ →+ Ȯ[x]] c →+ [Ȧ − C] →+ [Ȯ[x] c →+ [N][x]] + [[Ȯ[n][2]] + [Ȧ − C + [n][x−n] Ȧ] + [Ȯ][x]]] c →+ Ȧ →+ [Å]

[Ȧ[d]] →+ [Ȧ[0][n] Ȧ →+ Ȯ[x]] c [Py[n] d] →+ [Ȧ[c] d] →+ [Ȧ →+ P →+ [n] d + [c]] →+ [Py →+ 0 Ȧ] + [T[1] Ȧ + Ȧ]]

[[n] →+ [n][2]] + [Ȯ[n][1] Ȧ →+ Ȯ[n][2]] Ȧ + C →+] + [[Ȧ − C]] →+ [Ȧ →+] [n] Ȧ →+ Ȯ] →+ Ȯ[1][n]] +] + [[n][x−n] Ȧ] →+

[[Ampl [d r] + pl]] c [d →+ [m] + [T[1] Ȧ]] + [Ȧ − pl + d r] + [Ȧ[c] + [d] →+ [Ȯ[x]] c →+ [Ȧd] →+ [T[0]] c Ȧ[Q d]

[[Å] →+ [Ȧ →+ [Å][n][1] →+ [Å][n][2]] [+ [Ȧ − C][2]]] + [[Ȯ[x] →+ [n][x] →+ Ȧ] + [Ȧ →+ [[Ȯ[n][2] Ȧ →+

→+ [Ph[n] 0 [ȦP] + Ȧ[d] [n] − c] →+ [Ȧ[0] [d]] →+ [Py [n]] →+ Ȧ + Ph[n] d →+ Ȧ [BP] c Py[0]] c [Å] + [Ȧ →+ P[d]] +

[n][1] →+ [n] →+ [x − n]] + [[Ȧ − C] →+ [[Ȯ[n][2] →+ Ȧ →+ Ȯ[1]] →+ [N][x] Ȧ →+ [n] →+ Ȯ[x]]] c Å] + [[Ȯ[n][1]]

[Py[m][d]] + [T[2] Ȧ] →+ [Ȧ →+ P[2] d] + [Ȧd + T[2] Ȧ] [c] →+ [N] d m →+ Ȧ[0]] c [ȦP[2]][n]] + [Ȧ − P[d]

[Ȧ − C [Ȯ[x] →+ [n]]]] →+ [Ȯ[n][2]]] + [[x − n] Ȧ →+ [Ȯ[x] Ȧ →+ [N][x] c →+ [N][2] →+ Ȧ →+ [n][n]]] + [[Ȯ[n]

[A[d]] + [T[1] Ȧ] + [Py − n] Ȧ →+ [Py − n[d]] + [d] + [Ȧ − P[d]] + [T[1] Ȧ + Ȧd] →+ [Ȧd + Ampl] →+ [Ampl

[O[N] A +⃗ O[ ] [ ] [ ] A − C] + [n][x] − n[x]] A] + [N]] +⃗ A +⃗ [x−n] +⃗ [n][x] +⃗ c +⃗ [N[x]] +⃗ Ȯ[x]]

[A[d] + [T[0]] +⃗ [Ȧ +⃗ P[2] [d]] +⃗ [Ȧ P [Ȧ − [d]] +⃗ [[[P Y [n]] d]] c [A] + [T[0]]] [+⃗ [m̄ m̄] Ȧ] +⃗ [P Y − O] [m] +⃗ Ph[n]]

[[[n][x] c [Ȯ[x] +⃗ Ȯ[2] [n]] +⃗ Ȧ +⃗ [O[1] +⃗ Ȯ[x]] Ȧ +⃗ c +⃗ Ȯ[2] +⃗ [x[n] + [N]] +⃗ Ȧ [[n] +⃗ [n][2] c [n][2]] +]

[Ȧ − P[d]] + [A[mpl] + [c] +⃗ Ph[n]] + [Ȧ − pl [d]] + [Ȧ +⃗ P[n] − [d]] +⃗ [Ph[n] d O [BP − O] Ȧ] +⃗ [Ȧ − [mpl] + P Y [n]] d

[[n] − Ȧ +⃗ Ȯ[1]] + [C] + [[Ȯ[1]] c +⃗ [Ȯ] +⃗ [n][1]] + Ȧ [Ȯ +⃗ Ȯ [n][1] Ȧ +⃗ Ȯ] + [Ȯ + [n] +⃗ Ȯ[n]] + [[x − n] Ȧ +⃗ Ȯ[n]] Ȧ

+⃗ [n]] d +⃗ Ȯ[x]] c [Ȧ[a]] d] +⃗ [P Y A — A] [d] +⃗ Å [Ȧ +⃗ Ȯ[x] [d] + [c] +⃗] [Ȧ − P[d]] +⃗ [A[d]]] [T[1] Ȧ] +

[Ȯ[x] c +⃗ O]] c +⃗ [n][x] +⃗ [Ȯ[n] +⃗ [O] + [Ȯ[x]]] c Å + [Ȯ[1] [n] +⃗ [[n][2] +⃗ [n][3]] Ȧ] + [[n][1 − 3] +⃗

[P Y [n]] d +⃗ m̄ [d] + [m +⃗ n]] + [[Ȧ d] +⃗ Ȯ[x]] +⃗ [A mpl + T[1] Ȧ] +⃗ [Ȧ [pl] [pl] [d]] m] +⃗ [Ȧ [c] d] +⃗ [A mpl +⃗

[[n][x−n] Ȧ] + [[n] +⃗ [n][2]] c +⃗ [n] + [[[O +⃗ Ȧ] +⃗ [n]]] + [N] Ȧ − C] + [n][x − n][1] Ȧ] c [Ȯ] + [Ȧ − C] +⃗ [C] +⃗ [n] +⃗

Ph[n] d + P Y [n]] [c [d]] +⃗ [BP − Ȧ] A [+⃗ [Ȧ − pl] + [c]] +⃗ [A[d]] +⃗ [Ph[n] d O] Ȧ +⃗ [E[p]] +⃗ [n] Ȧ +⃗ [d]] [P Y [N]] + [

[n][x]] + [Ȯ[n] c Ȧ] + [n] +⃗ Ȯ[x] A + [[Ȯ[2]] c +⃗] + [Ȧ] +⃗ [[[Ȯ[x] + [x − n] + Ȯ[x]][x] c Ȯ[1]][x]] c [N]] + [Ȧ +⃗

[Ȧ +⃗ [d r]] c [d] [c +⃗ [Ȧ [d]] +⃗ [Ȯ[x]] c +⃗ Ph[n] O] +⃗ [Ȧ P[2][n]] + [[Ȧ[d] + [T[1] Ȧ]] +⃗ [n]] + [Ȧ [d r] +⃗ [Ȯ]] c [d] + [Ȧ]

[[Ȧ +⃗ Ȯ[x]]] c +⃗ [Ȧ − C] +⃗ [Ȯ[x] c +⃗ [N][x]] + [[Ȯ[n][2]] + [Ȧ − C + [n][x−n] Ȧ] +⃗ [Ȯ][x]]] c +⃗ Ȧ +⃗ [Å]

[Ȧ[d]] +⃗ [A[ȯ]] [n] Ȧ +⃗ Ȯ[x]] c [P Y [n] d] +⃗ [Ȧ[c] d] +⃗ [Ȧ +⃗ P +⃗ [n] d + [c]] +⃗ [P Y +⃗ O] Ȧ] + [T[1] Ȧ + Ȧ d]]

[[n] +⃗ [n][2]] + [Ȯ[n][1] Ȧ +⃗ Ȯ[n][2]] Ȧ + C +⃗] + [[Ȧ − C]] +⃗ [Ȧ +⃗] [n] Ȧ +⃗ Ȯ] +⃗ Ȯ[1][n]] +] + [[n][x−n] Ȧ] +⃗ c

[[A[m] [d r] + pl]] c [d +⃗ [m] + [T[1] Ȧ]] + [Ȧ − pl + d r] + [Ȧ[c] + [d] +⃗ [Ȯ[x]] c +⃗ [Ȧ d] +⃗ [T[0]] c Ȧ[Q2] d

[[Å] +⃗ [Ȧ +⃗ [Å][n][1] +⃗ [Å][n][2]] [+ [Ȧ − C][2]]] + [[Ȯ[x] +⃗ [n][x] +⃗ Ȧ] + [Ȧ +⃗ [[Ȯ[n][2] Ȧ +⃗

+⃗ [Ph[n] d [Ȧ P] + Ȧ[d] [n] − C] +⃗ [A[ȯ]] [d] +⃗ [[P Y [n]]] +⃗ A + Ph[n] d +⃗ Ȧ [BP] [P Y [0]]] c [Å] + [Ȧ +⃗ P[d]] +

[n][1] +⃗ [n] +⃗ [x − n]]] + [[Ȧ − C] +⃗ [[Ȯ[n][2] +⃗ Ȧ +⃗ Ȯ[1]] +⃗ [N][x] Ȧ +⃗ [n] +⃗ Ȯ[x]]] c Å] + [[Ȯ[n][1]]

[P Y [m] [d]] + [T[2] Ȧ] +⃗ [Ȧ +⃗ P[2] d] + [Ȧ d + T[2] Ȧ] [c] +⃗ [N] d m +⃗ Ȧ[ȯ]] c [Ȧ P[2] [n]] + [Ȧ − P[d]] +⃗

[Ȧ − C [Ȯ[x] +⃗ [n]]]] +⃗ [[Ȯ[n][2]]] + [[x − n] Ȧ +⃗ [Ȯ[x] Ȧ +⃗ [N][x] c +⃗ [n][2] +⃗ Ȧ +⃗ [n][1]]] + [[Ȯ[n][1]]

[A[d]] + [T[1] Ȧ] + [[P Y − O] Ȧ +⃗ [P Y − O [d]]] + [d] + [[Ȧ − P] d] + [T[1] Ȧ + Ȧ d] +⃗ [[Ȧ d + Ȧ mpl] +⃗ [Ȧ mp [a]]

[[Ȧ − C][x] + x − n]] + [[[n] Ȧ +⃗ Ȯ[x]]] + [Ȧ] + [Ȯ[0][1]] + [[n][x−n] Ȧ +⃗ [x − n][x] +⃗ [x − n][x] Ȧ]

[A pl +⃗ P Y [n] d +⃗ T [0]]] + [Ȧ d] +⃗ [A pl +⃗ [Ȯ][x]]] m [d] + pl Ȧ [d]] +⃗ [T[0]]] +⃗ mp +⃗ [T[a]] +⃗ Ȧ +⃗ [P[d]] .

[[Ȧ →+ P-[n]][d] +[c]→+ [n][a]]→+[n]d →+ Ȧ P[me Ȧ [d]+[m[d]p[-Ȧ →+ P[n]]] + [Ȧ [d] + Ȧ [me]] + [d] →+ Ȧd;

F [(Ȯ [N] →+ Ȧ →+ Ȯ[x]][x-n] Ȧ] F [[Ȯ[2][n] Ȧ →+ Ȯ[x]]] c [Ȯ[1][n]] →+ Ȧ[x] c →+ Ȯ[8][n]] c [Ȧ →+ Ȧ-

[c]] →+ [Ȧ[d] + T[1] Ȧ] +[[Py-[o] d →+ O]] c [Ȧ[a] [m] →+[[Ȧ[m] [Ph[n] d Ȧ] c →+ [Py[n] Ȧ] →+[m] →+ [n]] →+ [Ȧ

c] →+ [n][x-n] + Ȧ] + [n[x] Ȧ →+ Ȯ] [[[Ȯ[x]] - [n][2]] Ȧ →+ [n][x] - Ȯ[x] c [n][2] →+ [[O-[n] →+ Ȯ[n][x]] - Ȧ]] Ȧ

[d] →+ [[Ȧ[d]] →+ [Ȧ P[2][x][n]]] + [Ȧ - c] + [Ȧd] →+ [[Ph[n] d O [Ȧ →+ E]] [n]] + [[n - [Ȯ] Ȧ[d]] + [c]] + [Ȧ d + T[2] Ȧ]] +

Ȧ] + [[Ȧ →+ Ȯ[x]] [Ȯ[n][a] Ȧ →+ [[Ȯ[x][n] Ȧ →+ [N] →+ Ȯ[n][x]] + (Ȧ[n]] + [[n] Ȯ [Ȧ - [Ȧ[x-n]] c →+ Ȯ[n]]]

[[Ȧd] →+ Ph[n]] d] Ȧ →+ Ȯ[x] →+ [Ȧ →+ P[x]] c [Å]] + Ȧ[d] c →+ [[P̄y - o d [Ph[n] d Ā[m̄]]] c [Å[o][1]] [m̄ →+ Ȧ,

Ȧ - c] →+ [[[Ȯ[n][x]] c →+ [N] + Ȧ →+ Ȯ[n]] c [[Å]] + [Ȧ c →+ [[Ȯ[n]][x] Ȧ →+ Ȯ][n]] c [Å[o][n]] →+ [Ȯ[1] c

T[1] Ȧd]] +] c[[Ȧ[2]] Ȧ[d]] →+ [Ā - [ȦP][d]] →+ [Ȧ[d] P̄y[d] →+ [m̄] - Py[d]] →+ T[p] Ȧ + [Py[n]] d →+ p[m̄ Ā]]

→+ [n][x]]] c [Å[2]] Ȧ - c] →+ [[Ȧ - Ȯ[N] →+ Ȯ[x]] c [Ȯ[2][n] Ȧ →+ [N][x-n]] - Ȧ →+ [Ȯ[x-n]] →+ [[Å[2]] - Ȧ]]

[[Ȧ →+ P[x] [d]] →+ [Ȧ [m] p] →+ Ph[n] + [c] →+ [n][n] →+ [n][2]] + [Ȧ - d]] + p[1]] + [Ȧ[d]] →+ Ȯ[x] + [Ȯ[x][2]] c →+ [Ȧ

[Ȧ →+ [Ȯ[o][n]] c [N] Ȧ →+ Ȯ[n][n] →+ O →+ [Ȯ[2]] c [[N] →+ Ȯ[x][2]] →+ Ȯ[N] [Ȧ - c] →+ [O [N] O[2]] c [Ȧ

[T[1] Ȧ]] + [Ȧ[m] p] →+ [Ȯ[2]] + Ph[n]] d [BP - Ȧ - [Ȧ]] + [Ȯ[2]] c →+ [[Ph[n] O [Ȧ[n] →+ Ȧ[o] [m - [d]]] c [Å + Ȧd]]

[Ȯ[x] Ȧ →+ Ȧ[o] →+ Ȯ[x] - [n]] + [[Ȯ[x] →+ [N]] c →+ Ȯ[o][n] - [n]] →+ [n][x-n] + [N - O] Ȧ →+ [Ȯ[x]] c [Å + Ȧ

[Ȧd + T[1] Ȧ] →+ [c] →+ [[P̄y [d] O] →+ Ȧ[me]] + [Ȧ[m p] [d - p]]] + [[Ȧ[d] + [Ph[n] d O →+ [Ȧ →+ E]]] [o] + Ȧd

[Ȧ - c] →+ O[n] Ȧ →+ [n] - [Ȯ[x][2] Ȧ →+ Ȯ[n]] + [O[n][x-n] Ȧ [[N] →+ Ȧ →+ [n][x-n] c →+ [x] Ȧ →+ Ȯ[x]]] + [Ȧ

T[1] Ȧ] + [Ȧd]] →+ [Ph[n] d →+ O[x] →+ [n][x]] →+ [Py[n] d p] →+ ȦP[x] →+ [n][x]]] + [Ȧd →+ Ȯ[x]] + Ȯ[x]

Ȧ] + [|Ȧ →̄ Ȯ[x]] [O[n][a] A+ [[O[+][n]

[[Ȧd] →̄ Ph[n]]d] A →̄ O[x] →̄ [Ȧ →̄ P[x]] c [Ȧ]] + A[d] = →̄ [[P̄y - o d [Ph[n]]d A[m̄]]] c [Ȧ[O][x]]][m →̄ Ȧ

Ȧ - c] →̄ [[Ȯ[n]][x]] c →̄ [N] + A →̄ O[n]] c [[Å]] + [Ȧ c →̄ [[O[n]][x] A →̄ O][n]] c [Å[O][n]]] →̄ O[n]

T[1] Ȧd]] +] c [[Ȧ[a]] Ȧ[d]] →̄ [Ȧ - [ȦP][d]] →̄ [A[d] ēy[d] →̄ [m] - ey[d]] →̄ T[p] Ȧ + [ey[n]]d →̄ [m̄ Ȧ]]

→̄ [n][x]]] c [Å[a]] Ȧ - c] →̄ + [[Ȧ - Ȯ[N] →̄ Ȯ[x]] c [Ȯ[a]][n] Ȧ →̄ [N][x - n]] - Ȧ →̄ [O[x - n]] →̄ [Ȧ [Å[a]] Ȧ]]

[[Ȧ →̄ P[x] [d]] c →̄ [A[m]p] →̄ Ph[n] + [c] →̄ [n][c] →̄ [n][a]] + [Ȧ - d]] + p[l] + [Ȧ[d] →̄ O[x] + [Ȯ[x]][a]] c →̄ [Ȧ]

[Ȧ →̄ [Ȯ[o]][n]] c [N] Ȧ →̄ Ȯ[n]][n] →̄ Ȯ →̄ [Ȯ[a]] c [[N] →̄ Ȯ[x] [a]] c →̄ Ȯ[N] + [Ȧ - c] →̄ [O[N] O[a]] c [Ȧ]

[T[1] Ȧ]] + [A[m]p] →̄ [Ȯ[x]] + Ph[n]]d] [8P - Ȧ - [A]] + [Ȯ[x]] c →̄ [[h[n] O[A[n]] →̄ A[O] [m - [d]]] c [Å + Ȧd]]

[Ȯ[x] Ȧ →̄ Ȧ[O] →̄ Ȯ[x] - [n]] + [[Ȯ[x] →̄ [N]] c →̄ O[O][n] - [n]] c →̄ [n][x - n] + [N - Ȯ] A →̄ [O[x]]] c [Å + Ȧ][n]

[Ȧd + T[1] Ȧ] →̄ [c] →̄ [[Py [d] O] →̄ Ȧ[m e]] + [Ȧ[m p] [d - p]]] + [[Ȧ[d] + [Ph[n]]d O →̄ [A →̄ E]]] [O] + [Ȧd]

[[Ȧ - c] →̄ Ȯ[n] Ȧ →̄ [n] - [O[x]][a] Ȧ →̄ Ȯ[n]] + [Ȯ][x - n] Ȧ [N] →̄ Ȧ →̄ [n][x - n] c →̄ [x] Ȧ →̄ Ȯ[x]]] →̄ [Ȯ

[T[1] Ȧ] + [Ȧd]] →̄ [Ph[n]]d →̄ O[x] →̄ [n][x]] →̄ [Py[n]]d p] →̄ ȦP[x] →̄ [n][x]]] + [[Ȧd →̄ Ȯ[x] + Ȯ[x] a] c

x - n] [c →̄ [O[x]][a] - Ȧ] + [n - Ȧ →̄ Ȯ[n]][x] c O[x][a] - [n]] + [Ȯ[N] Ȧ →̄ O[x]]] + [Ȯ[1] + Ȧ - c] →̄ [O[a]] c

[→̄ [p] - Ȧd] →̄ Ph[n]][c]] →̄ [Ȯ] →̄ [Ȯ[a]]] + [[ey[n]]d [Ȯ[x - n]] c [Ȯ][1]] + [Ȯ[a]] c [Ȧd]] →̄ [A[O] m d[c]] →̄ Ȯ

[[Ȯ[n]][x] Ȧ[x]] [[x - n] Ȧ →̄ [N] + Ȯ[n]] c Ȯ →̄ [O[a]] →̄ O[x]] Ȧ + [c] →̄] c Ȧ[→̄ [[Ȧ[Ȯ]] c [n]]

Ph[n]][x]] →̄ [Ȧd] →̄ [Ȧ[m p - m] c [d] + ey[n]]d →̄ [Ȧ[Ȯ][n] Ȧ]] →̄ [Ȧ - p]] c [d] + [Ȧ[c]] →̄ [[d]] →̄ Ph[n]] - Ȧ]

→̄ Ȯ[x]] c [Ȧ →̄ T[x - n][x] c [Ȧ →̄ [n][x] Ȧ →̄ [N] + Ȧ →̄ O[n] →̄ Ȯ[x] →̄ [x - n] c →̄ [n] - Ȧ] +] - Ȧ

[Ȧd + [c]] + [Ȧd]] →̄ [Ȧ[Ȯ] m - d] c →̄ [Ph[n]]d O[x]] + [Ȧd →̄ Ȯ[x] + [Ȯ[x - 2]] c →̄ [p] + [T[O] Ȧ Py[n]]d e →̄ d]

[Ȧ - c] [ȦȦ →̄ Ȯ[x] [[n][x] Ȧ - [Ȯ] →̄ [N]] →̄ Ȯ[x]]] + [Ȯ[1] + Ȧ →̄ [O[x] c] →̄ [[n][x - n] + c Ȧ - c →̄ [n]

[Ȧ[d]] →̄ [[Ȧ[Ȯ] →̄ T[O] + Ȧ - Ph[n]] →̄ [m [d] + T[1] Ȧ]] [c[a]] →̄ Ȧ[O] →̄ [O] Ȧ →̄ Ph[n][d] →̄ O[x]] + [Ȧ - n

→̄ Ȧ →̄ Ȯ[x]] →̄ [O[N] Ȧ + c →̄ [N] →̄ Ȧ →̄ [N][a][n] Ȧ →̄ [c] →̄ Ȧ[O] - Ȯ[n][x]] + [Ȧ[N][x] - Ȯ]] + Ȧ

c [d - p]] →̄ [Ȧ[d]] →̄ [[T[N] d [T - O] d →̄ Ȧ[m e]] +] c [Å + Ȧd][a] →̄ [Ȧ[d] + T[1] Ȧ] →̄ [Ȧ[ey[n]]d [n]]

c [Ȧ - c] →̄ [Ȧ - Ȧ →̄ + [[x - n] c Ȯ →̄ Ȧ →̄ [x - n]] c [Å + Ȧ][a] + [x - n] Ȧ + [n] - Ȧ - c] →̄ O[n]

[Ȧ →̄ m p] + [Ȧd] →̄ [Py nd →̄ P̄y - o d →̄ m p][x] + [Ȧ - c] d →̄ [m̄] + Ȧ[O] d A] c →̄ O[Ph[n]] →̄ [n][a]

[Ȧ꜀d →+ Å] +[[Ȧd + T[a] Ȧ] + [A[d] +[Py[n] − Ȧ] + [T[n]]][Py[n] Ȧ [m+ c] →+ [n] →+ Ȯ[x]] + [Ȧ[d] + [c]] →+ [Ȧd →+ T[Ȧ]

[nA] c Å] +[[n] [x−n] Ȧ →+ [a] + Ȧ →+ [n][x] →+ x−n][x] + [Ȯ [N][x] Ȧ →+ [n] Ȧ →+ O[n] + [Ȧ − c] [x] + Ȧ →+]

[[Ȧ[d]] +[mė[d][a]] [m−[d]] →+ [[mp] c 0] +] c [[n] − Ȧ] →+ [[Ȧd + c][x] →+ [Ȧ − P[x]] →+ [Ȧ − P[d]] + [Ȧ[d] →+ [n] + c →+

Ȧ − c] [[x−n] Ȧ[x]][ȦȦ[n][a]] c →+ [x−n] c 0] c [Ȧ →+ n] + [Ȧ − c][x][[Ȯ[n][n] + Ȯ[n][n] Ȧ]] →+ [Ȧ − c] →+ [n] c →+

[Ȧmp] →+ [[N][d] [mp] Ȧ →+ [Q] p] →+ [ȦP] →+ [mp [n]] c [Ȧ[a]] →+ [[p] →+ Ȯ[x] →+ [n]] Ȧ[c] →+ [Ȯ] + Ȧ − c] →+ [ȦP[n] Ȧ →+

[[x−n] Ȧ] →+ [[N] + Ȧ →+ [x] c →+ [[x−n] →+ O[n]] Ȧ − c →+ [Ȯ[x]] →+ [[x] + n]] + Ȧ[c] →+ [Ȯ] [Ȧ − c] →+ [Ȯ[n][x] Ȧ

[mp] d p] →+ ȦP[x]] c [0] + [[T[p] + A[m−p]][x 2] + [c] − p] →+ Ph[n] 0] →+ [ȦP] + [ḋ] + [[Ȧ − P + Ad] →+ [n]

[x−n] Ȧ →+ c →+ [x]] c [0] + [[x] Ȧ + [n] c →+ [[n][a]] c →+ [[N] →+ Ȯ[n]] − ȯ] →+ [Ȯ[n]] + [Ȧ] →+ [[Ȯ[x] c →+ [n][x]

[[T[0]][d] + [p]] →+ [Ȧmp →+ [ȦP[x 3]] + Ad[n] →+ Ȧ − p] →+ [ȦP[n]]] + Ad →+ [m̄p] →+ BP +] + [Ph[n] c →+ BP[a][x]

[Ȯ[n] [+ [x−n] →+ [x] →+ Ȯ]] + [Ȧ − [n]] c →+ [n] − Ȯ[n]] + [[n] − [c] →+ [Ȯ[a]] [x−n]] + [N][x] →+ Ȯ[x]

[m̄[d] p] →+ BP[3]] + [[Ȧd] →+ mp] →+ Amp] →+ ȦP[x] →+ ȦP[x]] Ȧ] + [P̄y − 0 →+ Ȧ[ȯ] m−p] →+ [BP − Ȧ] − Ȧ]

[n][a] Ȧ →+ Ȯ[x]] + [Ȧ] + [Ȯ[a] [x−n] c →+ [n][a]] + [x] [[[Ȯ[n]] c [n][a]] Ȧ →+ [[n][a] − Ȧ] →+ Ȯ[x]] c

Ad →+ [P̄y BP − 0] + Ȧd [Ȯ[a] c →+ [Ȧ[ȯ]md BP[0]][a]] →+ [N] d Ȧ[a] c Q] − Ȧ] + [[ȦP[x]] →+ [Amp]] +

[[n][a] − ȯ]] + [[n[a]] Ȧ[a] c [[[n][a] − Ȯ[a]] Ȧ →+ Ȯ[N] →+ [N] →+ ȯ] + [Ȧ]] + [[n[a]]] + [[[n[a]

] c →+ ȦP c →+ Ph[n] Ȧ[ȯ] md O[n]] c [Å] + [[T p] Amp] + [d]] →+ Ad →+ Ph[n] − 0] + T[0] →+ Amp

→+ [[n[a]] Ȧ − c] →+ [[n][x] →+ [N][x]]]] c [Å] + [O[N] Ȧ + [[[n[x] + N[x]] c Å[a]] + [x−n] Ȧ →+ Å[a]] →+ [n]

→+ Å] c [n] →+ [n][a] − [[Ad] [d] [m]] + [Ad] →+ T[0]] c [d] →+ [Ȧ[ȯ] →+ A[Å]] + [Amp] [c] d →+ T[a] +] c Å

Å [illegible]] c [O]] Ȧ →+ [n][x] c [n][x][a]] c Å

[Ȧ - P[d]] + [A[d] + [c] ⃗+ [n]] + [T[A] A] + [[A d [c] ⃗+ A[n] ⃗+ [P y [n] [d] ⃗+ [n - A] + [P ẏ [0] [d]]] [m] [c] [d] + [A

[[ ] Ȯ[x] - A] c] [[Ȯ[N]] Ȧ ⃗+ [x - n] [[∩] [1] ⃗+ [A - C] ⃗+ Ȯ[x]] ⃗+ [n] + [A ⃗+ [n] [a] [O - [n] [a] c ⃗+ [O[x]]]] + [A

[A[d]] ⃗+ [n] ⃗+ [A] ⃗+ [N] [d] Ȧ [Ph[n] c O ⃗+ [P y [n] [d] [x]] + [A[d] ⃗+ p] ⃗+ [T[0]] + [x] [Ȧ] ⃗+ [A[d] ⃗+ [n] [a] ⃗+ P

[∩] [1] + Ȯ[N]] Ȧ ⃗+ [[x - n] Ȧ ⃗+ [O[1] - [n]] ⃗+ [O[x]]] + [O[1] - n] Ȧ ⃗+ [N] [n] [a] ⃗+ [A] [Å] ⃗+ [A [O[x] Ȧ ⃗+ O

+ [A d] [n] [x] - O] [c] ⃗+ [Ȧ ⃗+ [m p] [d] [m] ⃗+ [P y ⃗+ Ph] [n] c ⃗+ [O] [x] [d] ⃗+ A ⃗+ [O] ⃗+ [m c]] + [[A [d] [m]

+ [A d] [n] [x] - O] [c] ⃗+ [Ȧ ⃗+ [m p] [d] [m] ⃗+ [P y ⃗+ Ph] [n] c ⃗+ [O] [x] [d] ⃗+ A ⃗+ [O] ⃗+ [m c]]

+ [Ȯ[N]] Ȧ ⃗+ O[n] [[Ȯ[x] c ⃗+ [[∩] [1] Ȧ + [c] ⃗+ O[x] - [x] ⃗+ [∩] [x] + [x]] [n]] + [Ȯ[x] [x]] Ȧ ⃗+ [x - n]] + [[∩] Ā - C]

+ [Ȯ[N]] Ȧ ⃗+ O[n] [[Ȯ[x] c ⃗+ [[∩] [1] Ȧ + [c] ⃗+ Ȯ[x] - [x] ⃗+ [∩] [x] + [x]] [n]] + [Ȯ[x] [x]] Ȧ ⃗+ [x - n]] + [[∩] Ā - C] ⃗+ [P ẏ - 0] d [c] ⃗+ AP [n]

[Å] [A d ⃗+ [n] ⃗+ Ȯ[x]] + [[A [d] + T[A]] c [A [c]]] + [[d] - Ȧ ⃗+ [n]] - [0] + [A - P[c] A[d]] ⃗+ [P ẏ - 0] d [c] ⃗+ AP [n]

[Å] [[N] [x] Ȧ ⃗+ [∩] [x] Ȯ c ⃗+ [[∩] [1] [A ⃗+ Å [n - [O] [a]] ⃗+ Ȧ ⃗+ [∩] [1]] c ⃗+ [n]] ⃗+ [Ȯ [N] - [O] [x]] c]

[Ȧ ⃗+ P y [m] [d] ⃗+ [m̄ [d]] [a]] ⃗+ [O] c [n] [1] ⃗+ [n] [a]] + [Å [2]] + Ad ⃗+ [m [d]] ⃗+ c ⃗+ [AP [n]] ⃗+ [AP [n]]

[[ ] Å [3]] [Ȧ - C [n] [n]] ⃗+ [N] [x]] + c ⃗+ O[x] ⃗+ [N [x]] Ȧ] + [Å [2]] ⃗+ [[n [1]] A ⃗+ [c] ⃗+ [∩] [1]] ⃗+ [N] [1]]

⃗+ [n]] Ȧ] + [A [m c] + p]] ⃗+ [P ȳ - [0] [m] ⃗+ [n]] [d] ⃗+ [O] + [[A [d] + [T[n] A]] + [[A [O] - A ⃗+ ∩] c P y [n] + A ⃗+ m

[[n]] Ȧ] + [[[x - n] Ȧ - [[∩] Ȧ ⃗+ O] c [∩] [x] - [x]] [[Ȯ [n]] Ȧ ⃗+ [x]] ⃗+ [∩] [1]] + [[[n] ⃗+ [O] Ȧ ⃗+ O[x]] + [x - n]

[d] ⃗+ m] c [Ȧ [a]] ⃗+ [Ad + c] ⃗+ [n] Ȧ ⃗+ [P [d]]] ⃗+ [P ẏ [O] [a] m c ⃗+ [n]] d ⃗+ P y [O] [2]]] + [A [m̄ [d]] ⃗+

[[∩] ⃗+ [∩] [a] A] [Ȯ[N] [A - C]] ⃗+ [[∩] [1] Ȧ ⃗+ [x - n] c [∩] [A] + [∩] [A] ⃗+ [Ȯ [x]]] + [Ȧ - [∩]]] + [[∩] ⃗+ [∩] [a] A]

⃗+ [d] ⃗+ [A m p] d ⃗+ [c] [n]] Ȧ] + [m] + T[0]] ⃗+ [ȦP ⃗+ n d ⃗+ [Ȧ]] + Ad ⃗+ [O[x]] c ⃗+ [d] ⃗+ [P ẏ - O m ⃗+ n] ⃗+

[[x] Ȧ ⃗+ Ȯ] + [[∩] [1] Ȧ ⃗+ [O] + [x - n] Ȧ ⃗+ [O]] [c Å ⃗+ ∩]] + [Ȯ [N] Ȧ]] + [[Ȯ [N] Ȧ - [[∩] [1]] Ȧ ⃗+ Ȯ[x] ⃗+ [∩] [1]] ⃗+

[[d] ⃗+ ȦP [n] [2] Amp] ⃗+ [Ph [n] d O [Ȧ - E]]] [m̄ ⃗+ P y [n] d ⃗+ ȦP ⃗+ Amp] ⃗+ AP [n] [2]] c [Å] [2] d ⃗+ [P y [n] +

Ȧ ⃗+] + [Ȯ N - A]] [[∩ [2]] c [[N] [1] ⃗+ ∩ [1]]] + [[∩ - A] ⃗+ ∩ [1]] c ⃗+ [N [2]] ⃗+ [∩ [a]]] c ⃗+ Ȯ[x]] - Ȧ] c [Å] [2] c [∩ [1]] Ȧ

T [0]] d [n] c ⃗+ Ȯ [d] ⃗+ [∩] [x]] + [A d ⃗+ P [P] [x] Amp] [x] + [c] Ph [n] [1] + [a] O [BP - A]] + A p ⃗+ [d] ⃗+ [∩] ⃗+ P [x]

[∩ [a]] Ȧ ⃗+ [O[x]] c [∩] [1]]] + [Ȧ - [[[∩ [1] + ∩ [2]] Ȧ [c] [O[x] ⃗+ ∩ [x]] + [x - n] Ȧ ⃗+ O]] c [∩] [3]] ⃗+ Ȯ [N]

[P - Ȧ [n] - Ȯ[N] + P y [n] d] ⃗+ [Ad ⃗+ [Ph [n] O c Ph [n] O[x]] ⃗+ [P y [n]] d ⃗+ [Ph]] c [Å] [1] c ⃗+ [AP [a]

[∩ [x] [[O [n] [x]] Ȧ] ⃗+] + [Ȯ [N] + [∩ [x]] Ȧ [[N] [1] - Ȯ ⃗+ [N] [n] ⃗+ N [2] - Ȯ[x]] c O] c [Å] [1]] c + [Ȧ ⃗+

[∩] + Ad ⃗+ [Å [c] ⃗+ Ph [n] - [d]] [n] ⃗+ A] [x] + [Ȧ ⃗+ Ph [n] BP - [O] [n] c [m̄ [d]] A] ⃗+ Ā [m̄ [d]] [A] ⃗+

[∩] + Ȧ - C] ⃗+ [Å] c [[N] - Ȯ - Ȧ ⃗+ [∩] [1]]] + [[Ȯ [x] Ȧ ⃗+ [∩] [1]] c ⃗+ [∩] [1]] ⃗+ [N] + [[∩ - Ȧ] [x] ⃗+

[d] - O ⃗+ [ȦP [d] Ā] c ⃗+ [[n] [m̄]] ⃗+ [O] ⃗+ Å [n] [T d N] c [ȦP [x] + Ā m̄ [P y n d ⃗+ Å [2]] c ⃗+ [P ẏ + [d]] [∩]

Ȧ - [Ȯ] + [∩] [x] Ȧ c ⃗+ [∩] ⃗+ ∩ [x]] [[Ȯ] c Å [2]] + [[x - n] Ȧ ⃗+ c ⃗+ Ȯ [n] c [∩] [a]] [+ [Å [x]] c + [[∩] - [Ȧ [n]] +

c ⃗+ [[d] m̄ c n̄] + [A d p] ⃗+ [T[d] c AQ ⃗+ ȦP] ⃗+ [∩] [x] [[m̄ m̄ ⃗+ [d]] p] ⃗+ Ā] [m [d]] ⃗+ AP [n]] ⃗+

Ȯ[x] c ⃗+ Ȯ[N] ⃗+ [∩] [2] Ȯ[x]] [[Ȧ ⃗+ Ȯ[x] ⃗+ [∩] [2]] c ⃗+ [N] [x] ⃗+ [Ȯ[x] [n] ⃗+ [n] [2]]] A] ⃗+ [∩] [2]

[Ad] ⃗+ p] ⃗+ [A [n] + m p] Ā] c [m] ⃗+ [n] ⃗+ [d] ⃗+ [O[x]] ⃗+ [T[n] d A] c [Å] [x] + [A] ⃗+ Ā] ⃗+ [∩]

[[Ad] p| +⃗ [[ȦP + (mp|d] +⃗ Ȧ[o] p| +⃗ (mp[2]] +⃗ [Ph[∩]] d o]] c [Å[Py[∩] d] m̄ +⃗ [∩][2]] + [∩][x]

[[∩] - [o][2] +⃗ N] c +⃗ [∩][2] [[[N] Ȧ +⃗ [∩] - o] + [∩][1] c +⃗ [∩][2]] + [∩][2] A + c] +⃗ [∩] - o] +⃗ Ȯ[2] +⃗ N]]]

[m̄[d]] +⃗ [Ȧ[ȯ]] + [m̄[d][2] + (mp - Ȧ] +⃗ [O[2] c +⃗ [A[d]] +⃗ [Ȧ[ȯ] - Ph[∩] d [o] Ȧ +⃗] c Ȧ[a] d +⃗ Ph[∩] d o]

[[N][ȯ] [Ȧ][x]] +⃗ [Ȯ[2]][∩] c [[ȯ][1]]] + [∩] +⃗ [[∩][2] Ȧ] c [Ȧ[1]] + [∩][1] [Ȧ[1]] +⃗ [Ȯ +⃗ ∩[x]] + [Ȯ[2] +⃗ ∩[x]]

[c] +⃗ [ȦP[∩ - d] +⃗ mp|]] [d] + Ad [∩] T[o] d +⃗ Ph/Py mp]] c [Ȧ[A]] +⃗ m̄ d] +⃗ [Ȧd] +⃗ mp - Ȧ + Py[∩] [∩]

+⃗ ∩[x] - Ȯ][x] c +⃗ Ȯ[2]]] c Å + [[Ȧ +⃗ [x - ∩] Ȧ +⃗ [Ȯ +⃗ [∩][x]] c [[x - ∩] - O] c] +⃗ [Ȧ +⃗ [O[3] [∩]] + Ȧ +⃗ [x]

c Ȧ[a] +⃗ [N] d O [Ȧ[ȯ] Ȧ +⃗ Py[∩]] c [Å][2] + [Ȯ[2] c A[d] +⃗ [T[o] d +⃗ T[mp]] + Py[∩] d +⃗ [∩] - o]

c +⃗ Ȯ[3] - [∩]] + [[Ȯ - Ȧ] +⃗ [∩][x]]] c [Å][2] + [[Ȯ[N]] Ȧ +⃗ [[x - ∩] Ȧ +⃗ Ȯ[x]] + [∩][x] Ȧ - c O] -]

[[p| Ȧ +⃗ [Ȯ][x] +⃗ p| +⃗ [Ȯ[x]]] + [Ad] +⃗ [ȦP[∩]] + [∩ - O c +⃗ mp|] [d] +⃗ ȦP] +⃗ [ȦP[x] +⃗ Ph[∩] d Ȯ[∩]

[[Ȯ[N]] Ȧ +⃗ [c] +⃗ Ȯ [∩][2] Ȧ +⃗ [∩] - [ȯ] +⃗ [∩][ȯ[2]]] Ȧ - Ȯ[+⃗ [∩]]] +⃗ [[[[∩] - [ȯ] c +⃗ [N]

Ȧ[c] +⃗ [d]] +⃗ Ph[∩] - o[2]] + [ȦP[x] c +⃗ ȦP[x]] [m d] +⃗ Å] + [∩] - o m d] +⃗ Ph[∩] - Ȧ]

Ȧ +⃗ [∩]] +⃗ [N][∩][x]]] c [Å] + [[[[∩[3]] - Ȧ c +⃗ [∩][2]] +⃗ ∩[∩]]] + [[[Ȧ +⃗ [N] +⃗ Ȯ[x]]]

[p| - Ȧ + [p| +⃗ mp - Ȧ] c [d][A] +⃗ [Å] [Py[∩] d] Ȧ +⃗ mp] +⃗ Py - o][x] + [Ȧd + T[1] Ȧ] +⃗ [[p| +⃗ (mp|]

[[∩] Ȧ +⃗ [x - ∩] c Ȯ] c [Ȧ][1] + [Å][∩] + [ȯ]] c [∩] + [ȯ][2]] [[x - ∩] Ȧ +⃗ Ȯ[x] +⃗ Å] - Ȧ +⃗ [∩][∩]] +⃗ [x] + Ȯ[2]

m] [d]]] + [Ad +⃗ [O[∩]][2] c [Ȧ - P[d] + [[Ȧd + [T[1] Ȧ]] + [Py[d] [∩]] Ȧ[m[d]] +⃗ [Py[d]] [+⃗

] - Ȧ]] + [O[∩]] Ȧ +⃗ [x - ∩] +⃗ Ȯ[1] [Ȯ[2] c [[∩[1]] [Ȧ +⃗ [[∩[1]]] +⃗ Ȯ[x - ∩]] c [[∩ - Ȯ][1] c[2] +⃗ [∩]]] +⃗ [Å

ȦP - d] +⃗ Ph[∩]]] c [A[d]] + [Å[m] +⃗ Ȧ[d] +⃗ [Ȯ[x]] c +⃗ [Ph[∩] d +⃗ [m̄] Ȧ [Py[∩] Ȧ] c [∩] +⃗ A

[∩][1] Ȧ +⃗ [Ȧ[∩] + Ȯ[x]][∩]]][2] + [N]

[[n] … [n] 40] + O[2] + N]]]

[m[d]] + [A[o]] + [m[d][2] + [mp - A] + [O[2] c + [A[d]] + [A[o] - ph[n] d [o] A +] c A[a] d + ph[n] d o]

[[N][o] [A][c-]] + [O[a]][n] c[o][n]] + [[n] + [[n][2]] A] c [A[7]] + [n][7] [A[7]] + [O + n[x]] + [O[2] + n[x]]

[e] + [AP[n - d] + mel]] [d] + Ad [i] [o] d + ph/P/mp]] c [A[A]] + [m d] + [Ad] + mp - A + py[d] in]

+ n[x] - O[x] c + O[2]]] c Å [[A + [x - n] A + [O + [n][x]] c [[x - n] - O] c] + [A + [O[3] [n]] + [A + [x]

c A[Q] + [N] d O[A[o] A + Py[n]] c [Å][2] + [O[2] c A[d]] + [T[o] d + T[mp]] + [Py[n]] d + [n] - O]

c + O[1] - [n]] + [O - A] + [n][x]]] c [Å][2] + [[O[N] A + [[x - n] A + O[x]] + [n][x] A - c O] -]

[[p] A + [O][n] + p] + [O[x]]] + [Ad] + [A P[n]] + [n - O c + mp] [d] + AP] + [AP[x] + ph[n] d O[n]]

[[O[N]] A + [c] + O [[n][2] A + [n] - [o] + [n][O[2]]] A - O[+ [n]] a] c [[[n] - [o] c + [N]]

A[c] + [d] + ph[n] - O[2]] c Å + [AP[x] c + AP[x]] [m d] + Å] + [n] - O m d] + ph[n] - A]]

A + [A]] + [N] [n][x]]] c Å] + [[[n[3]] - A c + [n][2]] + n[n]] + [[A + [N] + O[x]]] +]]

[p] - A + [p] + mp - A] c [d][n] + [Å] [Py[n]] o] A + mp] + Py - O][x] + [Ad + T[2] A] + [p] + mp] c

[[n] A + [x - n] c O] c [Å][1] + [Å][n] + [o]] c [n] + [O][2]] + [x - n] A + O[x] + Å] - A + [n][7]] + [x] + O[2]] +

[m][d]] + [Ad + [O[x]][2] c [A - P[d]] + [A d + [T[1] A]] + [Py[d]] in] A[m[d]] + [Py[d]]] + [A]

n] - A]] + [O[n] A + [x - n] + O[1] [O[x]] c [[n[7]] [A + [n[7]] + O[x - n] c [[n - O][1] c[2] + [n]]] + [Å[x]]

+ AP - d] + ph[n]]] c [A[d]] + [Å[m] + A[d] + [O[x]] c + [ph[n] d + [m] A [Py[n]] A] c [n] + AP]

[N] + [n][n] A + [Å][2]]] c [A[x]]] + [O[N] A - O[x]][1] [c] + [[n][x] A + [A][n] + O[x]] [n]] [2] + [N] + [n][x]]

[[A[d] c Å [+ Py[o]] + [AP[c [n]] + [p] - A[A] mp] [x - 2] + [AP[x]] + ph[n] - O + p] + BP[o] + AP[x]]]

[[n] - O[A + Å]] + [[x - n] O] c [[n][x] c + [N] + [N][x]] A] + [[N][n] A - [[O[n] - [O[x]]] c [n][x]]

[d] + ph[n] - O[2] A + [A E] + [ph[n] + O[1] + c [O][x] A[m] + p] 2 A[d]] + [AP[x]] + [Py[n] d [o] A]

c[A] + [A - [O[x] A + [N]] c O] [[[n][x] A + [[N] - O[x]] c + [n] [N][x]][n] o [Å[2]] c [n][1] + [c][2] + [O[N]]

[[A + [O] d + [[O[x]]] + [[O] A + [O][n]]] + [O] c + [AP][n]] + [Ad] + [A - P[d]][2] + [Py - O] A d + [Å] [A - d

[[n - A +] [[n[1]] -] O[x] - A] c + [n][2] + A[n] + [n][2]]] + [[A + [n][1] A + O[x] + [x - n] - A] c] + [Å] + [A - c]

[Py - O]] + [A - P[d]][2] + Ad + T[o]] + [Py - O] c [A[A]] + T[1] A]] + [A[d]] + A[mp]] + [ph[n]] c [A] + O]

[n][x]] + [O - N] A + O[A] [[Å] + A + [O] + [N] - A + [n]]] c [n - O] A - c] [O][x] + [n] + [+ [N] c [A + O]]

+ [A[d] + A mp]] c [ph[n] d O][x]] + [Ad] + A mp] + [ph[n] d O[x]] + [d] + [A[d]] + [ph[n] d O + A[o]] - A

[n] A + O[N] + [x - n] + [[A[n]] - [o]] c [[x - n] A + O[x]] c [O]] + [A] + [[A + n] c + [n - A] - O]

A d] + [ph[n] d BP o] A + AP] + [A[d] + c] + [AP[c - A d]] + [c] - [o]] + A d] + [A mp + A d] + A[x] +

[Ȧ md] ÷ py [n] d] + |Ȧ mp | c [d]] c [Å] + [[p| - Ȧ d

[[Ȧ c d]] ÷ [ph [n] d Ȧ ÷ O [P [n] ÷ BP]] + [T [7] Ȧ + Ȧ d] ÷ m̄ ÷ py [n] d] + |Ȧ mp | c [d]] c [Å] + [[p| - Ȧ d

L |O [N] Ȧ - L (m - n) [x]] Ȧ ÷ [[n [7]] c ÷ |O| [÷ [n] [x]] - (Ȧ - c) ÷ |O| ÷ [n] [x]]] + [x - n] Ȧ c |Å] + [(Ȧ - c)

c |T [O]] ÷ ȦP [n] ÷ ph [n] d O [BP Ȧ] + mpl + [d [7]] c Å [x] - py [n] d ÷ Ȧ ph [n] d O [x] + Ȧ mp] [x]

[N] ÷ [N] [x] [c] ÷ [[n] [7] Ȧ ÷ [O] [x]] ÷ [N]] + (Ȧ]] c Å [x] - [[[n] [7] + [N [O [n] - Ȧ [x]] ÷ |Ȧ ÷ Å [x]] ÷ [n]

[m̄ d] ÷ py [Ȧ]] ÷ [n] - P [Ȧ] d ÷ ȦP [x] - p| ÷ [N]] c [Å [ȦP]] [[Ȧ mpl] + [pȳ - O d [n]] ÷ [Ȧ [n]]] + [N]

[O [N] Ȧ [[[n [x] Ȧ ÷ [n] [7]] + [n - O] [Ȧ] ÷ [O [x]] c [n]] c Å]] + [[n [n] ÷ b [n] c ÷ O [x]] ÷ [N]] ÷] Ȧ - Ȧ

÷ |Ȧ| c [n] [x]] ÷ [ȦP] c [d] ÷ Ȧ [n] + py [n] d ÷ ph [n] O [ȦP] Ȧ ÷ m P ph [n]] + |[Ȧ d] c Ȧ d] + [d]

÷ [Ȧ [x] c ÷ n] + [[N] - |O| Ȧ ÷ [n] [7] - |O| c [O [x]] c Ȧ ÷ [n] [x] Ȧ ÷ [n] [x]] [x] ÷ N]] + [|O c ÷ O [x]] Ȧ] + [n

[Ȧ] + [ȦP [d] ÷ py [O] d m̄ [ph [n]]] c [Ȧ [O] m̄ + ȦP [Ȧ d [m] ÷ Ȧ [O]] [d [py [O] d [n]] ÷ [Ȧ mpl] - Ȧ

c] ÷ [Å [x] + ([n] - Ȧ [O]] [[[n] [7] Ȧ ÷ [O] c [n] [x]] ÷ [O] - [Ȧ [x]]] + [[x] - [n]] c [O] [x] c Ȧ - [O]] [n]

[Ȧ d ÷ [ȦP| ÷ [m̄ d] py [n] d [m̄ [d]] ÷ [py d] ÷ Ȧ mpl] + |Ȧ d ÷ m̄] + [Ȧ d ÷ ȦP [n] - O] c Ȧ

[(O [n] Ȧ] - [[n] [x] - O] Ȧ ÷ O [x] ÷ [n [x]] ÷ [Ȧ - [O] [x]]] +] ÷ [[n] [x] - Ȧ]] + [[N] - [n] - [O]] c [n] c

[m̄ d] ÷ T [O] d p| ÷ ȦP + [d [3]] Ȧ [py [n]] +] c Å [3] ÷ [m̄ + p| ÷ [ph [n] - O ÷ |Ȧ E] [n] [O| ÷ py [n]

[Å [3]] c ÷ [O [x] ÷ [n] [n]] ÷ [x - n] Ȧ ÷ O [x]] Ȧ - c| ÷ [n] [n]] ÷ [N] [x]] ÷ [N] [x]]] Ȧ ÷ [O - [n] [x]] [n]

[p| - Ȧ] ÷ [Ȧ - P [n] [d] ÷ [n - d] ȦP [x]] + [T [O] Ȧ] + [Ȧ d] Ȧ [m]]] ÷ (Ȧ [d]] ÷ Å + [c] ÷ |ȦP [n] [x]]] c Ȧ

L [O [N] Ȧ ÷ O [x]] + Ȧ ÷ [[[x - n] Ȧ ÷ O [x]] Ȧ ÷ [n] ÷ [n [x]] Ȧ + c ÷ O ÷ n [3]] c Å] + | O [x]]] c Ȧ

+ |ȦP [n]] [x] + [Ȧ d [n]] c ÷ [ȦP [n] [3]] py [n] d [ȦP [x] c ȦP [n] [7]] + (Ȧ d mp [d] ÷ py - n] ÷

[[n [7]] Ȧ ÷ O [N] ÷ [n] E + [[n [x]] Ȧ ÷ O [x] [c] [x] ÷ [n] [x]] Ȧ ÷ O [x]] + |n ÷ [x - n] (÷

[ȦP [n] (3]] Ȧm ÷ ȦP [n] - [n]] c py [d] ÷ ȦP [7] [n] Ȧ m̄ ÷ [n] ÷ |ȦP [n] [x]] + (Ȧ d + [p]]

[Ȧ - [[[n] [4] Ȧ ÷ [n] [x]] ÷ [c] - Ȧ ÷ [x] - n]] ÷ [[n [x]] Ȧ ÷ [n] [3]]] c |O| ÷ Ȧ [n [7]] + [[n] [4]

÷ Ȧ - P [n] [3] c [py ÷ ph] c |Å] [3] + [Ȧ d m ÷ [n]] c ȦP ÷ [n] - O [d]] = m ÷ ȦP [x] ÷ Ȧ [Ȧ] [x]

Ȧ - c [n - O] ÷ [N] - O] [7]] c (Å] [3] + [Ȧ [n [4] Ȧ ÷ [n] [x] - [n - Ȧ] ÷ [c] ÷ O [x] ÷ [n] [x]] +

+ |py - O| d ÷ py Ȧ + mp Ȧ ÷ Ȧ mpl + c ÷ [O [x]] ÷ [ȦP [n] [3] [n]] ÷ c ÷ ȦP [n] [7] [n]

+ [|O [N] Ȧ ÷ |O [x] [[[n [x]] Ȧ + [x - n] c [Ȧ] [x] ÷ [n] [x]] c [[x - n] Ȧ [x] ÷ c ÷ Ȧ [x] ÷ [n] [4] ÷ O

[[Ȧ d + Ȧ mpl + [Ȧ - mp c [m - mp [d]]] ÷ [py [n] d [[n] ÷ mp] p| ÷ [n] ÷ m ÷ ph [n]] c [Å] + [Ȧ d

|O [N] Ȧ - [[[O [7 - x]] Ȧ ÷ [n]] Ȧ ÷ [x - n]]] c [[Ȧ [x] + x - n] - O]] [[n [7]] Ȧ ÷ [n] - O [x]] [c [Ȧ [x]]] c [Å] + [O

[p| - Ȧ] ÷ [ȦP - Ȧ d]] + [Ȧ d] ÷ py [n] d Ȧ [x] m̄ ÷ [ȦP [x]] ÷ [py [n] ÷ n - Ȧ ÷ ph [n] d ÷ Ȧ - P [x] + Ȧ -

Ȧ ÷ O [x] [n [n] Ȧ - c] O [x] ÷ [n

→[A]c[n][2] +→[ȦP] c[d] +→ A[n] +PY[n]

+[[Ȧ[x]c +→ n] + [[N] - [0] Ȧ +→ [n][1] - [0] c [Ȯ[2]] c Ȧ +→ [n][x] Ȧ +→ [n][x] [x] +→ N]] + [[O c +→ O[x]] Ȧ]

[Ȧ] + [ȦP [d] +→ PY [0] d m [P h[n]]] c [Ȧ[0] m̄ + ȦP c Ad c m] +→ A[0]] [d [PY [0] d c[n] +→ [Ampl]]

c] +→ [Å[n] + [[n] - Ȧ[0]] [[[n][1] Ȧ +→ [0] c [n][2]] +→ [0] - [Å[2]]] + [[x] - [n]] c [0][x] A - [0]]

[Ad +→ ȦP] +→ [m̄ d] PY[n] d c m̄ c d] +→ [PY c d] +→ Ampl] + [Ad +→ m̄] + [Ad +→ AP[n] - 0] Ȧ

[[Ȯ[N]] Ȧ] - [[[n][2]] - Ȯ] Ȧ +→ Ȯ[1] +→ [n[1]] +→ [Ȧ - [0][1]]] +] +→ [[n][2] - Ȧ]] + [[[N] - [n] - [0]]

[m̄ c d] +→ T[0] d p] +→ ȦP + c d[3]] Ȧ [PY[n]] +] c Å[3] +→ [m̄ + p] +→ [Ph[n] - O +→ [A E][n] [d]

[Å[3]] c +→ [O[x]] +→ [n][1]] +→ [[x - n] Ȧ +→ Ȯ[x]] Ȧ - c] +→ [n][1]] +→ [N][1]] +→ [[N][2]]] A +→ [O - n][x]]

[p] - Ȧ] +→ [A - P[n]] [d] +→ [[n - d] ȦP[2]] + [T[0]] [Ȧ] + [T[n] d A [m]] +→ [A [d]] +→ Å + [c] +→ [ȦP[1]][2]]] c Ȧ

L [Ȯ[N]] Ȧ +→ Ȯ[x]] + Ȧ +→ [[[x - n] Ȧ +→ Ȯ[1]] [Ȧ +→ [n][1]] +→ [n[2]] Ȧ + c +→ O +→ n[3]] c Å] + [Ȯ[x]]] c Ȧ

+[ȦP[n]][1] + [Ad[n]] c +→ [ȦP[n]][3]] PY[n] d [ȦP[2]] c ȦP[n][1]] + [Ad mP [d] +→ PY - n] +→

[[n[1]] Ȧ +→ Ȯ[N]] +→ [n]] ∈ + [[n[2]] Ȧ +→ Ȯ[+] [c][x] +→ [n][9]] A +→ Ȯ[x]] + [n +→ [x - n] c +→]

[ȦP[n]] (3]] Am +→ ȦP[1] - [n]] c PY c d] +→ ȦP[1][n] A m̄ +→ [n] +→ [ȦP[n]][2]] + [Ad +→ [0]]

[Ȧ - [[[n][4]] Ȧ +→ [n][2]] +→ [[c] - Ȧ +→ [[x] - n]]] +→ [[n[2]] Ȧ +→ [n][3]]] c [O] +→ A[n][3]] + [[n][4]]

+→ Ȧ - P[n][3] c [PY +→ Ph] c [Å][3] + [Ȧd m +→ [n]] c ȦP +→ [n] - O[d]] - m +→ ȦP[x] +→ A[A][x]

Ȧ - c [n - 0] +→ [N] - O][1]] c [Å][3] + [Ȧ - [n[4]] Ȧ +→ [n][x] - [n - Ȧ] +→ [c] +→ O[x] +→ [n][2]] +]

+ [PY - 0] d +→ PY A + mP Ȧ +→ Ampl + c +→ [O[x]] +→ [ȦP[n][3][n]] +→ c +→ ȦP[n][1][n]]

+ [[Ȯ[N]] Ȧ +→ [Ȯ[x]] [[n[2]] Ȧ + [[x - n]] c [Ȧ][2] +→ [n][x]] c [[x - n] Ȧ[2] +→ c +→ Ȧ[2] +→ [n][4]] +→ Ȯ[x]

[[Ad + Ȧmel + [Ȧ - me c [m - me] [d]]] +→ [PY[n] d [[n] +→ mP] p] +→ [n] +→ m +→ Ph[n]] c [Å] + [Ad]

[Ȯ[N]] Ȧ - [[[Ȯ[1 - 2]] Ȧ +→ [n]] Ȧ +→ [x - n]]] c [Ȧ[2] + x - n] - Ȯ]] [[n[1]] Ȧ +→ [[n] - Ȯ[x]] [c [Ȧ[1]] c [Å] + [Ȯ

[p] - Ȧ] +→ [ȦP - Ȧ[d]] + [Ad] +→ PY[n] d Ȧ[2] m̄ +→ [ȦP[x]] +→ [PY[n] +→ n - Ȧ +→ Ph[n] d +→ Ȧ - P[1] + Ȧ - P[2]]

Ȧ +→ Ȯ[x] [n[1]] Ȧ - c] Ȯ[x] +→ [n[x]] + [[n] c Ȯ +→ [n]] - Ȧ] c] +→ [Ȧ [[Ȯ[1] + Ȯ[2]] c [[A][1] + n[2]] Ȧ] - A

P - Ȧ [d]] - [A] [c m p] [1]] - c d] + c +→ [n][2]] + [mpl [d] +→ [O][9]] +→ c [ȦP[n]][2]] +→ [Ph[n]] +→ O] +→ Ȧ E] +→ [A[A]

[[À - py - o] ⃗+ [me] d - pl ⃗+ O ⃗+ [∩][x]][x]] c [Å][1] +[[À[d] + T[2] À] +[[À ⃗+ [pl-[d] ⃗+ [c] ⃗+ [O] ⃗+ me] [d] ⃗+

[[[[x-∩] À ⃗+ [∩][x]] À ⃗+ [Ȯ[x]] ⃗+ [∩]][x]]] c [[Å][1] +[À - [[x-∩][À] ⃗+ [c] ⃗+ [Ȯ[x]] ⃗+ [∩][x] - [2] +

[∩]·À ⃗+ Py[∩]] [m] ⃗+ [P̄y[o] [d] Ā [m̄] pl ⃗+ Å] c ⃗+ [∩]] +[Àmp-d] c] ⃗+ [À[d]] ⃗+ À]] c[Å[2]] +[Àd] ⃗+

[∩-À ⃗+] [[[Ȯ[x] [À - Å]] À - c ⃗+ [∩][x]] [[∩] [x] [2] - À]]]+ c [Ȯ[N] À - Ȯ[x]]] c [Å[2]] +[À - c],

[mp-À] d ⃗+ [[Py - o][x]] - À ⃗+ [ÀP - Àd][∩] c ⃗+ [P̄y - o] +[Àd + [c] + T[1] À]] ⃗+ [[pl c [d] - À]]] c [Å[3]]

Ȯ[x] ⃗+ ∩] ⃗+ [[Å[2]] À ⃗+ [[Ȯ - [∩]] - [Ȯ][1] [∩]]] c [N] - Ȯ] À ⃗+ [Ȯ[N]] - À ⃗+ [x-∩] À[c] Å ⃗+ [∩][x][2] c [À[3]]

[[À - [c] ⃗+ [∩][2] Àmpl] c⃗+ [À[d]]] [+[[À -p [o]] c⃗+ [P̄y - [o] - À] c [À[Q]] ⃗+ Ph[∩] d O[x] [À - E] À ⃗+ [À-P] d]] c [∩][2]]

[[[O[1]] À - c Ȯ ⃗+ [N] ⃗+ [N][2]] À] [[Ȯ ⃗+ À ⃗+ [∩]] [Ȯ[∩][2]] À ⃗+ [[N] - o] c [[∩][1] ⃗+ [∩]] c⃗+ [Ȯ[∩]] ⃗+ ∩[1] - Ȯ[x] c ⃗+ Ȯ]]

[c] Å[Ph[∩] d O[x] [À ⃗+ E ⃗] [O[x] c ⃗+ [∩]] + Àȯ] m d ⃗+ Ȯ[x-∩]] +[[pl - À] ⃗+ [c]] Àd ⃗+ [ÀP[x] [∩] - mp] [d]]

[[Å] +[[∩[1] À [Ȯ[N] - [Ȯ ⃗+ À ⃗+ [N] - Ȯ[x] c ⃗+ [Ȯ[∩]][1]] c [∩] - À]]] +[[À - [c]] ⃗+ [x] c ⃗+ [O] +[∩ - [À - c][2] ⃗+ Ȯ]

[⃗+ [Àd] + c]] ⃗+ [P̄y - [d] ⃗+ [À] ⃗+ mp[1]] ⃗+ [À[A] - Ph/Py[∩]]] +[[∩] - À + pl] [2] c [m]] ⃗+ [pl[2] À] [d] ⃗+ [c] ⃗+ [ÀP]

À ⃗+ [[Ȯ[x] ⃗+ [∩][x]] c [Å[2]] À - c[∩][1] ⃗+ [Ȯ[1] ⃗+ [∩]]] +∩[c]] +[[À]c [[[x-∩] À ⃗+ [∩][1] ⃗+ [x] À][2]] + [x-∩] À ⃗+ [x À][2]]

+[Àd + À]] +[Àd][∩]] ⃗+ [c][2]] ⃗+ [Ph[∩] d ⃗+ O[x]] +[Àd] ⃗+ pl] c [À] d] ⃗+ [Àd][2]] ⃗+ [Àȯ][∩] d O] ⃗+

+[À - ∩[1]] [Ȯ[x] ⃗+ [N][x] - À]] c [∩] - À ⃗+ Ȯ[x]] +] [À - c ⃗+ ∩ - Ȯ[x]] Ȯ[x] - N] c À ⃗+ [À ⃗+ Ȯ[2]] ⃗+ [∩][x]]

d pl]] + [Py[m d] À ⃗+ [Å[Àd ⃗+ P - À]] ⃗+ [Py[∩] - À] +[À[d] + T[2] À]] ⃗+ [[N] d À[m-[∩]] c [À[d] -

⃗+ ȯd] +[[∩] - [∩][1] - À]] À ⃗+ Å c [[Ȯ[1] ⃗+ [∩]] À ⃗+ [[x-∩] À ⃗+ [∩] - [o]] ⃗+ [∩[2]] À ⃗+ [c] ⃗+ [Ȯ[1]

m] [⃗+ [Py[∩] d ⃗+ Ph[∩] +Py[∩] A[x] ⃗+ mp]] + Àd ⃗+ [Ȯ[x][2]] c ⃗+ [P̄y - d] O]] c [À[2]

c ⃗+ [Ȯ[x]] ⃗+ [À - N][1] + [À - N][2] ⃗+ [[x-∩] À[2]] c ⃗+ [Ȯ[1][∩]] +] c ⃗+ [Ȯ[N]] c [Å[

[[Ȧ -Py-0] +⃗ [mp] d - p] +⃗ O +⃗ [∩][x1]][x1] c [Å][∩1] + [Ȧ[d] + T[a1] Ȧ] + [[Ȧ +⃗ [p] -[d] +⃗ [c] +⃗ [O] +⃗ mp] [d] +⃗

[[[[x-∩] Ȧ +⃗ [∩][x1]] Ȧ +⃗ [Ȯ[x1] +⃗ [∩]][x1]]] c [[Å][∩1] + [Ȧ - [[x-∩][Ȧ] +⃗ [c] +⃗ [Ȯ[x1]] +⃗ [∩][x1] - [21]] +

[∩] Ȧ +⃗ PY[∩1] [mp] +⃗ [PY[0] [d] Ā [mp] p] +⃗ Ȧ] c +⃗ [∩]] + [Ȧ[mp-d] [c] +⃗ [Ȧ[d] +⃗ Ȧ]] c [Å[21]] + [Ȧd] +⃗

[∩-Ȧ +⃗] [[[Ȯ[x1] [Ȧ - Å]] Ȧ - c +⃗ [∩][x1] [[∩][x1][21] - Ȧ]] + c [Ȯ[N1] Ȧ - Ȯ[x1]]] c [Å[21]] + [Ȧ - c],

[mp-Ȧ] d +⃗ [[PY - 0][x1] - Ȧ +⃗ [ȦP - Ȧd][∩1] c +⃗ [PY-0] + [Ȧd + [c] + T[11] Ȧ] +⃗ [[p] c [d] - Ȧ]] c [Å[31]]

Ȯ[x1] +⃗ [∩] +⃗ [[Å[21]] Ȧ +⃗ [[[Ȯ - [∩]] - [Ȯ][11][∩1]]] c [[N] - Ȯ] Ȧ +⃗ [Ȯ[N1]] - Ȧ +⃗ [x-∩] Ȧ[c] Å +⃗ [∩][x1][x1] c [Å[31]]

[[Ȧ - [c] +⃗ [∩][x1] Ȧ[mp] p] c [Ȧ[d]]] [+] [Ȧ - p[d] +⃗ [PY - [0] - Ȧ] c [Ȧ[a1]] +⃗ Ph[∩1] d Ȯ[x1] [Ȧ - E] Ȧ +⃗ [Ȧ-P d]] c [∩][x1]

[[Ȯ[11]] Ȧ - c Ȯ +⃗ [N] +⃗ [N][x1]] Ȧ] [[Ȯ +⃗ Ȧ +⃗ [∩]] [Ȯ[∩][x1]] Ȧ +⃗ [N] - 0] c [[∩][∩1] +⃗ [∩]] c [Ȯ[x1]] +⃗ ∩[11] - [Ȯ[x1]] c +⃗ [Ȯ]]

[c] Å [Ph[∩1] d Ȯ[x1] [Ȧ +⃗ E] [Ȯ[x1] c +⃗ [∩]] + Ȧ[Ȯ][mp] d +⃗ Ȯ[x-∩]] + [[p] - Ȧ] +⃗ [c]] Ȧd +⃗ [ȦP[x1] [∩1] - mp] [d]]

[[c Å] + [[∩[11] Ȧ [Ȯ[N1] - [Ȯ +⃗ Ȧ +⃗ [N] - Ȯ[x1] c +⃗ [Ȯ[∩1]][11]] c [∩] - Ȧ]]] + [[Ȧ - [c]] +⃗ [x] c +⃗ [Ȯ] + [∩ - [Ȧ - c]][21] +⃗ Ȯ]

[+] Ȧd] + [c]] +⃗ [PY - [d] +⃗ [Ȧ] +⃗ mp[21]] +⃗ [Ȧ[a1] - Ph [PY[∩1]]] + [[∩1] - Ȧ + p] [∩1] c [mp] +⃗ [p] [21] Ȧ] [d] +⃗ [c] +⃗ [ȦP]

Ȧ +⃗ [[Ȯ[x1] +⃗ [∩][x1]] c [Å[21]] Ȧ - c[∩][∩1] +⃗ [Ȯ[11] +⃗ [∩]]] + ∩[c]] + [Å]c [[[x-∩] Ȧ +⃗ [∩][11] +⃗ [x] Ȧ][21]] + [x-∩] Ȧ +⃗ [x Ȧ][a1]].

+ [Ȧd + Ȧ p] + [Ȧ d][∩1] +⃗ [c][21] +⃗ [Ph[∩1] d +⃗ Ȯ[x1]] + [Ȧd] +⃗ p] c [Ȧ] d] +⃗ [Ȧd][21]] +⃗ [Ȧ[Ȯ][∩1] d 0] +⃗ Ȧ

+ [Ȧ - ∩[11]] [Ȯ[x1] +⃗ [N][x1] - Ȧ]] c [[∩] - Ȧ +⃗ Ȯ[x1]] +] [Ȧ - c +⃗ ∩ - Ȯ[x1]] Ȯ[x1] - N] c Ȧ +⃗ [Ȧ +⃗ Ȯ[21] +⃗ [∩][x1]] c

[d p]] + [PY[mp] d] Ȧ +⃗ [Å[Ȧ[d] +⃗ P - Ȧ]] +⃗ [PY[∩1] - Ȧ] + [Ȧ[d] + T[a1] Ȧ]] +⃗ [N] d Ȧ[mp - [∩1]] c [Ȧ[d] - [c]]

∩ - Ȧ +⃗ Ȯ] + [[∩] - [∩][∩1] - Ȧ]] Ȧ +⃗ Å c [[Ȯ[11] +⃗ [∩]] Ȧ +⃗ [x-∩] Ȧ +⃗ [∩] - [Ȯ]] +⃗ [∩[21]] Ȧ +⃗ [c] +⃗ [Ȯ[11][∩1]

+⃗ [mp] [+] [PY[∩1]] d +⃗ Ph[∩1] + PY[∩1] Ȧ[x1] +⃗ [mp] + Ȧd +⃗ [Ȯ[x1][21]] c +⃗ [PY - [d] Ȯ]] c [Å[21]]

+⃗ c +⃗ [Ȯ[x1]] +⃗ [Ȧ - N][21] + [Ȧ - N][21] +⃗ [[x-∩] Ȧ[x1]] c +⃗ [Ȯ[11][∩1]] + c +⃗ [Ȯ[N1]] c [Å[31]]

[[Ph[∩1] - Ȯ[d] T p] + Ȧd +⃗ [d] +⃗ p] +⃗ mp] - Ȧ]] c T[d] d +⃗ ȦP[∩1] + [PY - 0] d c Ȧ[a1] +⃗ Ȧ[mp] p] +⃗

[[Ȯ - N Ȧ +⃗ [[[x-∩] Ȧ +⃗ [Ȯ]] +⃗ [[N] +⃗ [Ȧ +⃗ [∩][x1] c Ȯ] c [∩][11] - Ȧ +⃗] + [Ȯ[x1] Ȧ +⃗ [[∩[21]] - Ȧ +⃗ Å c +⃗ [∩][x1]] +⃗

+ [c] +⃗ [∩] [Ȯ][x1] +⃗ [∩[x1][21] +⃗ ȦP[x1] +⃗ Å[Ȯ[d] +⃗ [mp +⃗ Ȯ[x1]] d c +⃗ [∩] +⃗ [∩][x1]]] + Ȧd +⃗ [Ȯ[x1]

Ȧ +⃗ [[∩-0] Ȧ - c +⃗ [[∩][21]][x-∩] Ȧ] +⃗ c +⃗ Ȧ] +⃗ [∩[a1]] Ȧ +⃗ [∩-0][21] +⃗ [∩][21] c +⃗ ∩[x1]]] + [Ȧ +⃗ Ȯ[x1]

c +⃗ [ȦP[21][∩1] +⃗ Ȧ - P[d]] + Ȧd +⃗ mp]] c [Ȯ] +⃗ [mp - Ȧ]] +⃗ [Ȯ] +⃗ [c] +⃗ [ȦP[21] [∩1] Ȧ +⃗ P[x1]] +⃗ [∩1]

c +⃗ [[Ȯ[N1] + Ȯ[x1]] [[∩[11] + [∩[31]] c +⃗ [N] Ȧ +⃗ Ȯ] Ȧ +⃗ [x-∩] c +⃗ [N[x1]] +⃗ [∩[41]] +⃗ [∩][x1] - Ȧ]

Ȧd +⃗ [PY[d] +⃗ mp[d] +⃗ T[Ȯ][21]] + [mp[d]] +⃗ Ȧ[Ȯ] +⃗ [Ph[∩1] mp] d +⃗ [p] +⃗ [T[Ȯ]][x1] +⃗ T[x1]] + Ȧd

[[x-∩] c [∩]] + [Ȧ - c Ȧ [[x-∩] Ȧ +⃗ [N] +⃗ [Ȯ - [N]][21] Ȧ +⃗ [∩][11] +⃗ [∩][21] d + [Ȧ -

[mp A] ...]]p[c[a] - A]]] C [Å[3]]

Ȯ[x] ⃗ ∩] ⃗ [[Å[2]] A ⃗ [[(O - [∩] - [Ȯ][1][∩]]] c [N] - Ȯ] À ⃗ [Ȯ[N]] - À ⃗ [x-∩] A[c] Å ⃗ (∩][x][2]]ᶜ [Å[3]]

|[À - [c] ⃗ [∩][2] A[m p] = |A[d]]] [⃗ [À - p [d]] ⃗ [P̈ Y - [0] - À] c |A[a]] ⃗ Ph[∩] d O[x] [A - E] À ⃗ À - P d]] c [∩][a]

[[∩[1]] À - c Ȯ ⃗ [N] ⃗ [N][2]] A] [[Ȯ ⃗ À ⃗ [∩]] [Ȯ[[∩][2]] À ⃗ [N] - 0] c [[∩][1] ⃗ [∩]] ⃗ [Ȯ[1]] ⃗ ∩[1] - Ȯ[x]ᶜ ⃗ Ȯ]

[c] Å C Ph[∩] d O[x] (À ⃗ E] [O[x] c ⃗ [∩]] + À[Ȯ] m d ⃗ Ȯ[x-∩]] + [p| - À] [c] Ad ⃗ [A P[x] [∩] - mp] [d]

[Å] + [ ] ∩[1] À | Ȯ[N] - [Ȯ ⃗ À ⃗ [N] - O[x] c ⃗ (Ȯ[∩]] [1]] c [∩] - À]]] + [[À - [c] ⃗ [x] c ⃗ [O] + [∩ - [À - c][2] ⃗ Ȯ]

(⃗] Ad] + c] ⃗ [P̈ Y - [d] ⃗ [A] ⃗ mP[2]] ⃗ [A [A] - Ph / P Y[∩]]] + [ ] [∩] - À + p|] [2] c [m] ⃗ p| [2] À] [d] ⃗ [c] ⃗ [A P]

À ⃗ [[Ȯ[x] ⃗ [∩][x]] c [Å[2]] À - c[∩][2] ⃗ [O[1] ⃗ [∩]]] + ∩[c]] + [|À]ᶜ [[[x - ∩] À ⃗ [∩][1] ⃗ [x] À][2]] + [x - ∩] À ⃗ [x À][2]]

+ [Ad + À p|] + [Ad][∩] ⃗ [c][2]] ⃗ [Ph[∩] d ⃗ O[x]] ⃗ [À d] ⃗ p|] c [A] d ⃗ [Ad][2]] ⃗ [A[Ȯ][∩] d O] ⃗ A

+ [A - ∩[1]] [Ȯ[x] ⃗ [N][x] - À]] c [∩] - À ⃗ Ȯ[x]] +] [A - c ⃗ ∩ - Ȯ[x]] Ȯ[x] - N] c À ⃗ [À ⃗ Ȯ[2] ⃗ [∩][x]] c

[d p|]] + [P Y [m d] À ⃗ [Å [À d ⃗ P - À]] ⃗ [P Y [∩] - À] + [A [d + T[2] À]] ⃗ [N] d À [m - [∩]] c [A[d] - [c]]

∩ - À ⃗ Ȯ[x]] + [[∩] - [∩][1] - À]] À ⃗ Å c [[Ȯ[1] ⃗ [∩]] À ⃗ᶜ [x - ∩] À ⃗ [∩] - [O]] ⃗ [∩[2]] À ⃗] [c] ⃗ [Ȯ[1] [∩]]

⃗ [m] [⃗ [P Y[∩] d ⃗ Ph[∩] + P Y [∩] A[x] ⃗ mP] + Ad ⃗ [O[x] [2]] c ⃗ [P̈ Y - [d] O]] c [Å[2]]

⃗ c ⃗ [Ȯ[x]] ⃗ [À - N][2] + (À - N][2]] ⃗ [[x - ∩] À[∩]] c ⃗ [Ȯ[1] [∩]] +] c ⃗ (Ȯ[N]] c [Å[3]]

[[Ph[∩] - O[d] T p|] + Ad ⃗ [d] ⃗ p|] ⃗ mP - À]] c T[a] d ⃗ À P[∩] + (P̈ Y - 0] d c À[a]] ⃗ À [m̄ p| ⃗

[(Ȯ - N À ⃗ [[[x - ∩ À ⃗ [O]] ⃗ [[N] ⃗ [À ⃗ [∩]][x]ᶜ Ȯ] c [∩][1] - À ⃗] + [Ȯ[x] À ⃗ [[∩[2]] - À ⃗ Å c ⃗ [∩[x]] ⃗

+ [c] ⃗ [∩] [O][x] ⃗ [∩[x][2]] ⃗ À P[x] ⃗ Å [O[d] ⃗ mP ⃗ O[x]] d c ⃗ (∩] ⃗ (∩][x]]] + Ad ⃗ Ȯ[x]

À ⃗ [∩ - O] À - c ⃗ [[∩][2]] [x - ∩] À] ⃗ c ⃗ Å] ⃗ [∩[a]] À ⃗ [∩ - O][2] ⃗ [∩][2]ᶜ ⃗ ∩[x]]] + [À ⃗ Ȯ[x]

c ⃗ [À P[a] [∩] ⃗ À - P[d]] + Ad ⃗ mp|] c [O] ⃗ mP - À]]ᶜ ⃗ [0| ⃗ [c] ⃗ [À P[2] [∩] À ⃗ P[x]] ⃗ [∩] - A]

c ⃗ [ ] Ȯ[N] + Ȯ[x]] [[∩[1] + [∩[3]] c ⃗ [N] À ⃗ O] À ⃗ [x - ∩] c ⃗ [N[x]] ⃗ [∩[4]]] ⃗ [∩][x] - À]

|Ad ⃗ [P̈ Y [d] ⃗[x] mP [d] ⃗ T[O][2]] + [m̄ [d] ⃗ À[Ȯ] ⃗ [Ph[∩] m] d ⃗ [p|] ⃗ [T[O]][x] ⃗ T[N]] + Ad m̄-

[[[x - O] c [O][∩] À ⃗ ∩[1] - ∩]] + [À - c + Ȯ[x]ᶜ [x - O] À ⃗ [N] ⃗ [Ȯ - [N][2]] À ⃗ [∩][1] ⃗ [∩[2]] À] + [(À - c]

d[1] ⃗ [p| + c] ⃗ [À [Ȯ][2] - Ph[∩]] m̄ ⃗ [À[Ȯ][3] + d À [A]] + [P Y[∩] À ⃗ À[Ȯ][2]] c ⃗ ∩] + (Àd]

(À][1] ⃗ [∩] - Ȯ. [[ ] À - Ȯ[1] À ⃗ À - D[x]] ⃗ N] À ⃗ (Ȯ[x]] c ⃗ [∩][1]]ᶜ ⃗ [[Ȯ[x]] c [∩][1] ⃗ Ȯ] + À - c

] ⃗ [Ȯ[x]] c ⃗ A P[x] ∩ d ⃗ [p| ⃗ À [d ⃗ [∩ - p|] c ⃗ [À P[∩]][∩] d ⃗ P Y [O]] d ⃗ Ph[∩] d O[x]]

[[[Ȧ[d] + Ȧmp] + [Ȧ[o]] → [Ph[n]] + [p y] - [d]] - [n] [m] → [[A[m]p]]: [d]] + [T[2] Ȧ]] + [[N] → Ph - A → E] - [a] [O[1]]

[[x - n] + A → [[N] - [Ȧ[ȯ]]] [n] Ȧ - [Ȯ[1]]] [Ȯ[N]]] → [Ȧ - [Ȧ - c] → O → [n] → [n] [2]] → [N]] + [n] - O[n]]

[Ȧd] → [pl - Ȧ]] + [Ȧmp[x]] → [Ph[o]]] [c Ȧd[2]] → Ȯ[x] c[2] → [Ȧ - P[d]] [+ [T - Ȧ] - c T[o]] + d - T p]]] ;

[[[n[1]] Ȧ → [[Ȯ[1] → N] [x]] c [Å[1]]]] + [[[x - n] Ȧ → [N] [2]] c → [Ȯ[x - n][n]] c → Ȧ → [n][1] → Ȯ[n]] c

[[A[d] + [T[2]] - Ȧ] + c → [n]] + [P ẏ - o d → [mp → [N]]] c [Ȧ[q]] → [pl - pl] d + [Ad + A - pl] + [Ȧ[d]] +

→ [n[2]]] + [Ȯ[1] [Ȧ - c] → [N][n] - [ȯ]] + [[x - n] Ȧ → [n - ȯ]] [2] [c [Å[2]] + [[n[1]] Ȧ → [[n - o] Ȧ - Å[2]]] c

pl - Ȧ - [d]] → [P y [d] m̄ [m̄]] c ȦQ[2] - d] + [Ph[n] - o] Ȧ → [E p] +] + [[Ȧ - P[d]] + [J[d]] Ap] → n]

[Ȯ[N]] → [Ȧ → [[O - Ȯ] → [[x - n] + [N]]] c [Ȯ[x][1]] Ȧ → [Ȯ[1]] [Ȧ - c] → [Ȧ - N] [n][1]] + [[[n[1]] [Ȧ - c] - [Ȧ[1]] →

[Ad] + P y [n] → pl → [Ph[o][o]] → P y [n] d] → [n d Ȧ[Q] → o] + Ad + pl → [Ph[n]] → [Ȧ E] [n]] Ȧẋ]

[ṅ[1] - ṅ[2]] + [[n[1] → [[x - n] + N[Ȧ]]] c [[n][1] - [Ȯ]] c → [Ȧ → Å[1]] + c[2] → [n - o] + c[3] → [n[2]]]

[[A[d]] → T[p]] + [Å [m] [d]]] c [Ȧmp + Ȧ[d]] + [Ȧ - ṁp] [2] c [d] → T[o] → T[n + Amp] + [pl - Ȧ]

[x - n] Ȧ → [c] → [n] [x]]] c [Ȧ → [x - n] - Ȯ] c → [[x - n] Ȧ[x]] c Ȧ → [N [x - n]]] Ȧ - c → [Ȯ[x]]

O[2] d → [Ȯ[q] c → Å]] + [Ȧ - P[d]] + [Amp]] + [T[1] Ȧ] +] + [[d r c [d] Ȧ]] [2] + [Ȧ - pl c d[2]] + Ȧd +

Ȧ → [n] [x] Ȧ → n[x][2] c → Å]] + [ȧ [[n[1]] Ȧ → [x - n] + [N[c]]]] + [[[Ȯ[1] c → O[2]] [x] + [N - Ȧ] c]] + [Ȧ[x]

Ȧ[d]] → [Ph[n] d O [Ȧ → E]] + [ȦP[2][n]] + [[T[1] Ȧ + Ad] + [[Ȧ → [n] d Ȧ [m] pl → [d] → P y [m p] → [n]] [d]

[N] - [Ȯ[m]] Ȧ - [Ȯ[x]]] c [Å][2]] + [[Ȯ[N] Ȧ → [N[x] + x - n]] [[n[2]] - [Ȯ[N]] Ȧ] → [Ȧ - Ȯ[x]] → [[N] - Ȯ[n]] c Ȯ[1]] +

→ P y [n] pl → Ȧ] c [O] + [Ȧ - [d]] c pl] → [m] → [Ȧ - pl[2]] + [Ȧ - P[d]] + [Ȧ → [Å][1] c → [Å][2] + m - c]

Ȧ]] c [[n][1] Ȧ → O[x]] [N[n]] → Ȯ[x] → [Ȯ[1] Ȧ → [x - n]]] + [Ȯ[N] Ȧ → [Å[1]] c Å[2]] → [[ṅ[1]] → [ṅ[x]

→ Ph[n] d O[1] c → O[2] [Ȧ → E]] + Ad → [Ȯ

[Ȧ[d] + Ȧmp] + [A[0]] →+ [Ph[n]] + [p/] - [d] - [n] [m] →+ [[A[m] pl]]ᶜ [d]] + [T[2] Ȧ]] + [[N] →+ Ph - Ȧ →+ E] - [n] c O[d]]

[[[Ȧ[d] + Ȧmo] + [A[0]] →+ [Ph[n]] + [p/] - [d] - [n] [m] →+ [[A[m] pl]]ᶜ [d]] + [T[2] Ȧ]] + [[N] →+ Ph - Ȧ →+ E] - [n] c O[d]]

[[x-n] . Ȧ[[[N] - [A[0]]] [n] Ȧ - [Ȯ[1]]] c [O[N]]]ᶜ + [Ȧ - [[Ȧ - c] →+ O →+ [n] →+ [n] [2]] →+ [N]] + [n] - Ȯ[x]]]

[Ad [→+ [pl - A]] + [Ȧmp[x]] →+ [Ph[0]]] [c Ȧd [2]] →+ Ȯ[x] c[2] →+ [Ȧ - P[d]] [+[[T - Ȧ] - c [T[0]] + d . [pl]]] ;

[[n[1]] Ȧ →+ [Ȯ[1] →+ N] [x]] c [Å[1]]]] + [[x - n] Ȧ →+ [N] [2]] c →+ [Ȯ[x-n] [n]] c →+ Ȧ →+ [n] [1] →+ Ȯ[1]] c

[[A₀] + [T[2]] - Ȧ] + c →+ [n]] + [Pẏ - 0 d →+ [m p →+ [N]]] c [A[Q]] →+ [pl - pl] d + [Ad + A - pl] + [Ȧ[d]] +

→+ [n[2]]] + [Ȯ[1] [Ȧ - c] →+ [N] [n] - [0]] + [x-n] Ȧ →+ [n - 0]] [2]] [c [Å[2]] + [[n[1]] Ȧ →+ [[n - 0] Ȧ - Å[2]]] c

pl - Ȧ - [d]] →+ [Pẏ [d] m̄ [m̄]] c ȦQ[x] - d] →+ [Ph[n] - 0] Ȧ →+ [E p] +] + [[Ȧ - P[d]] + [J[d]] Ȧ pl →+ n]

[O[N]] →+ [Ȧ →+ [O - 0] →+ [x-n] + [N]]] c [Ȯ[x] [1]] Ȧ →+ [Ȯ[1]] [Ȧ - c] →+ [Ȧ - N] [n[1]]] + [[[n[2]] Ȧ - c] - [A[1]] →+

[Ad] →+ Py[n] →+ pl →+ [Ph[0]] [2]] →+ Py[n] d] →+ [n d A[Q] →+ 0] + Ad + pl →+ [Ph[n] →+ [AE] [n]] [Ȧ[x]]

[ṅ[1] - ṅ[2]] + [[ṅ[1]] →+ [[x-n] + N[Ȧ]]] c [[n] [1] - [0]] c →+ [Ȧ →+ Å[1]] + c[2] [[n - 0] + c[3] →+ [n[2]]]

[A[d]] →+ T[pl] + [Å[m] [d]]] c [Ȧmp + Ȧ[d]] + [Ȧ - ṁp] [2] c [d] →+ T[0] →+ T[n + Ȧmp] + [pl - Ȧ]

[x-n] Ȧ →+ [c] →+ [n] [x]]] c [Ȧ →+ [x-n] - 0] c →+ [[x-n] Ȧ[2]] c Ȧ →+ [N [x-n]]] Ȧ - c →+ [O[x]]

→+ Ȯ[2] d →+ [O[Q] c →+ Å]] + [Ȧ - P[d]] + [Ȧmp] + [T[1] Ȧ] + [+ [[d r c [d] Ȧ]] →+ [Ȧ - pl c O[n]] + Ȧd + d

Ȧ →+ [n] [x] Ȧ →+ [n[x]] c →+ Å]] + [Ȧ [[n[1]] Ȧ →+ [x-n] + [N[c]]]] + [[[O[3] c →+ O[2]] [x] + N - Ȧ c] + [Ȧ[x]

[Ȧ[d]] →+ [Ph[n] d O [Ȧ →+ E]] + [ȦP[2] [n]] + [[T[1] Ȧ + Ad] + [[Ȧ →+ [n] d A [m] pl →+ [d] →+ Py [m p] →+ [n]] c [d]

[N] - [Ȯ[n]] Ȧ - [Ȯ[x]]] c [Ȧ] [+[[Ȯ[N] Ȧ →+ [N] [x] + x-n]] [[n[2]] - [Ȯ[N]] Ȧ] →+ [Ȧ - Ȯ[x]] →+ [[N] - Ȯ[n]] c Ȯ[1]] →+

→+ Py [n] pl →+ Ȧ] c [0] + [Ȧ - [d] c [pl] →+ [m] →+ [Ȧ - pl[2]] + [Ȧ - P[d]] + [Ȧ →+ [Å] [1] c →+ [Ȧ] [2] + m - c]

Ȧ]] c [[n] [1] Ȧ →+ Ȯ[x]]] [N[n]] →+ Ȯ[x] →+ [Ȯ[2] Ȧ →+ [x-n]]] + [Ȯ[N] Ȧ →+ [Å[1]] c Å[2]] →+ [[ṅ[1]] →+ [Ȧ[2]]

→+ Ph[n] d O[0] c →+ O[2] [Ȧ →+ E[p]]] + Ȧd →+ [Ȯ[2]] c →+ [A[d] →+ [c] →+ [Py[n] →+ Ph]] + Ȧ →+

[c] →+ [N] [1] →+ [N] [x]] →+ [n[1]] Ȧ →+ c [[n]] + [Ȯ[N] Ȧ →+ Ȯ [[n[3]] c [Ȯ[x]] c[2] - Ȧ →+ [n] [1] →+ [n]] + [Ȯ

d →+ P[n] [x]] c →+ Ph[n] d O] →+ [[Pẏ - 0] c [Ȧ[Q]] [Py[n] d pl →+ [O →+ n] c →+ Pẏ - 0] [d]] Ȧ

Ȧ →+ [N] [0] + [c] →+ [n[2]] →+ Ȧ[n] [1]]] c [[Ȧ - n] [[n[3] Ȧ - [O c Ȧ →+ [n[2]] + [n - A] c →+ [n[3] + n[1]] →+ [n]] →+

[d] →+ [[n] d →+ ȦP[Ȧ] →+ P[n] [x]] + [[Py[n] d A] - Ȧ] c [A[d]] →+ [Ȧ - P[d]] [ȦP - Ȧ] + [Ad + T[2] Å]]

[n] - Ȧ →+ [x-n] c →+ [n] [x] →+ [n] [x] →+ [x]] + [Ȧ - Ȯ[x]] [[n[3] [[Ȧ - n] [2]] c →+ Ȧ [Ȧ - c [n] [1] →+ [N] - Ȯ[1] →+ [Ȯ[2]] c

[[pl - Ȧ] →+ᶜ Ph[n] - 0] [Py[n] d →+ [[Ȧ P[Ȧ] →+ [Ph[n] - 0]] + [[m̄[d]] →+ᶜ [Pẏ[d]] - [m p] Ȧ] c Ȧ[Q] [m d]

Å[2]]] →+ [[N] - Ȯ[2]] c →+ [O[N] - Ȧ] →+ [Ȧ - n] [1]] →+ [O[x]]] + [[[n] →+ [[n] [2]]] Ȧ →+ᶜ [[x-n] + [Ȧ - [n] [1]] + Ȧ

[Py[n] m̄]] →+ [[Ȧ - n] d →+ pl →+ Ph[n] d O[Ȧ - P[x]] c [n] + [[Pẏ[n] [d]] →+ [n] d A[x]]] [d →+ [Å[n]] [d] →+

+ c [→+ [0] [1]]]ᶜ →+ [[O[N] →+ Ȯ[x] →+ [[N] →+ [n] [x] →+ [Ȧ - [n] [x] - Ȯ[x] c Ȧ - [N]] c [N[x]]]] Ȧ →+ [Å[3]] Ȧ -

pl →+ O[x] →+ᶜ [n]] + [Ad T pl] →+ [Ȧ - P[x]] [[n] - Ȧ] →+ [Ph[n]] →+ [m p]] + [Ȧ - pl c [d]] [Py[n] d] pl

|0[N]] ⃗+ [À ⃗+[0 - 0] ⃗+ [x-n]+[N]]] c [O[x] [1]] À ⃗+ | O[1] | A - c| + [A - N [A[1] ... A[1] ⃗+

|Ad] ⃗+ PY[n] ⃗+ p| ⃗+ [Ph[0] [1]] ⃗+ PY[n] d] ⃗+ [n d A[Q] ⃗+ 0] + Ad + p| ⃗+ [Ph[n] ⃗+ [A E] [n]] A ⃗+]

[ṅ[1] - ṅ[2]] +[[ṅ[1] ⃗+ [x-n]+ N[A]]] c[[n][1] - |0]] c ⃗+ [A ⃗+ Å[1]] + c[2] ⃗+ [n - 0] + c[3] ⃗+ |O[2]]

Ȧ[d] ⃗+ T[p]] + [Å[m] [d]] c [Ȧmp + Ȧ[d]] + |Ȧ - mp| [2] c [d] ⃗+ T[0] ⃗+ T[n + Amp] + (p| - Ȧ]

[x-n] Ȧ ⃗+ [c] ⃗+ |n[1]]] c [A ⃗+ [x-n] - 0] c ⃗+ [[x-n] A[1]] c A ⃗+ [N[x-n]] Ȧ - c ⃗+ |Ȯ[x]]

⃗+ Ȯ[2] d ⃗+ [O[Q] c ⃗+ Å]] + |Ȧ - P[d]] + [Amp|] + |T[1] Ȧ] + | +|[d r c [d] Ȧ]] + [Ȧ - p| c ȯ[2]] + Ȧ d + |

| Ȧ ⃗+ |n|[x] A ⃗+ n[x] c ⃗+ Å]] + [A [|n[1]] Ȧ ⃗+ [x-n] + |N[c]]]] + [[|O[1] c ⃗+ O[2]] [x] + N - Ȧ] [1] + [Ȧ ⃗+

[|A[d]] ⃗+ [Ph[n] d O [Ȧ ⃗+ E]] + |ȦP[2] [A]] + |[T[1] Ȧ + Ad] + [[Ȧ ⃗+ [n] d A[m] p] ⃗+ [d] ⃗+ PY[m] ⃗+ [n]] [d]

|N] - |Ȯ[m]] A - |Ȯ[x]]] c [Å][1]] + [[Ȯ[N] A ⃗+ [N][x] + x-n]] [[n[2]] - |O[N] A] ⃗+ |Ȧ - ȯ[x]] ⃗+ [N] - ȯ[n]] c ȯ[1]] ⃗+

⃗+ PY[n] p| ⃗+ A] c |0| + [Ȧ - [d] c p|] ⃗+ [m] ⃗+ Ȧ - p|[x]] + |Ȧ - P[d]] + |Ȧ ⃗+ [Å][1]] c ⃗+ [Å][2] + m - c]

Ȧ]] c [|n|[1] Ȧ ⃗+ O[x]]] |N[n]] ⃗+ Ȯ[x] ⃗+ [O[1] Ȧ ⃗+ [x-n]]] + [Ȯ[N] Ȧ ⃗+ |Ȧ[1] c Å[2]] ⃗+ ||ṅ[1]] ⃗+ [ṅ[2]]

⃗+ Ph[n] d O[0] c ⃗+ O[2] [Ȧ ⃗+ E[p]]] + Ȧd ⃗+ |Ȯ[2]] c ⃗+ |A[d] ⃗+ [c] ⃗+ [PY[n] ⃗+ Ph]] + |Ȧ ⃗+

[c] ⃗+ [N][1] ⃗+ [N][2]] ⃗+ |n[1]] Ȧ ⃗+ c] ⃗+ |n|] + [Ȯ[N] Ȧ ⃗+ Ȯ | [|n[3]] c |Ȯ[x]] c[2] - Ȧ ⃗+ [n][1] ⃗+ [n]] + |O[c]

d ⃗+ P[n] [x]] c ⃗+ Ph[n] d O] ⃗+ [[|PẎ - 0|[1] c |Ȧ[Q]] [PY[n] d p| ⃗+ [O ⃗+ n] c ⃗+ PẎ - 0] [d]] m

Ȧ ⃗+ |N|[0] + [c] ⃗+ [n[2]] Ȧ[n]][1]]] c [|Ȧ - n] [[n[3] Ȧ - |O c Ȧ ⃗+ |n[1]] + |n - Ȧ] c ⃗+ [n[3] + n[1]] ⃗+ |n|] +

[d] ⃗+ [[n] d ⃗+ ȦP[A] ⃗+ P[n] [x]] + [|PY[n] d A] - Ȧ] c |A[d]] ⃗+ |Ȧ - P[d]] [ȦP - Ȧ]] + [Ad + T[2] Å]]

[n] - Ȧ ⃗+ [x-n] c ⃗+ [n][x] ⃗+ |n|[x] ⃗+ [x]]] + [Ȧ - Ȯ[x]] [n[3]] [Ȧ - n][2]] c ⃗+ Ȧ [Ȧ - c [n][1] ⃗+ |N] - Ȯ[1]] ⃗+ |(O[2]] c

[[p| - Ȧ] ⃗+ Ph[n] - 0] [PY[n] d ⃗+ [[ȦP[Ȧ] ⃗+ |Ph[n] - 0]] + [[m̄ [d] ⃗+ [PẎ[d]] - [mp| Ȧ] c Ȧ[Q] [m d]

| Å[2]]] ⃗+][N] + Ȯ[2]] c ⃗+ |O[N] - Ȧ] ⃗+ [Ȧ - n] [1]] ⃗+ |O[x]] + [[[n] ⃗+ [n][2]]] Ȧ ⃗+ |[x-n] + [Ȧ - [n][1]] ⃗+ Ȧ

[PY[n] m̄]] ⃗+ [[Ȧ - n] d ⃗+ p| ⃗+ Ph[n] d O[x] [Ȧ - P[x]] c [n] + [[PY[n] [d]] ⃗+ [n] d A[x]]] [d ⃗+ |Å[n]] [d] ⃗+

+ c [⃗+ |0|[1]] ⃗+ [|O[N] ⃗+ O[2] [[[N] ⃗+ [n][x] ⃗+ [Ȧ - [n][x] - Ȯ[x] c Ȧ - [N]] c [N[x]]]] Ȧ ⃗+ [Å[3]] Ȧ - c]

| p| ⃗+ O[x] ⃗+ [n]] + [Ad T p|] ⃗+ |Ȧ - P[x]] [[n] - Ȧ] ⃗+ |Ph[n]] ⃗+ [m p|] + |Ȧ - p| c [d]] [PY[n] d] p|]

[ÀP[O]] [A [A - [m]] - p] [1] d [T[O] ÷ Py [n] - m [d]] + [p] [2] - O]] + [Àd ÷ [Ȯ[x]] [2]] c ÷ A [c] ÷ [À [Ȯ] [m]] d] ÷ [À - p [d]]
[À - Ȯ[1] - n] [[n[1]] À ÷ Ȯ[1] + [x - n] c ÷ [Ȯ[2] ÷ n]] c ÷ [[x]]] + [[n[1]] [À - c ÷ [Ȯ[x]] ÷ [N] - Ȯ]] ÷ [n[A] ÷ [Ȯ].

[À - Py [m] d - p] + [À [d]] + [p - A [mp]] c [d] ÷ [A [Ȯ] [n] À ÷ [P [Py, ph]] [n - [d] - [O]] + [À - c] ÷
[n [A]] [[À ÷ [x - n] ÷ [À ÷ Ȯ[x]] c Ȯ [x - n]] - [[x]]] c [À] ÷ [[N - Ȯ [n - [À ÷ [Ȯ[n]]] c [Ȯ[1]] ÷ [À [Ȯ] [x]]]] + [À - c] ÷

[Àd] ÷ [[À ÷ [x] ph [n]] d [O [Py - n] m ÷ ph] [À ÷ [d]] [Ȯ[x]] m ÷ À[x]]] c [Å] [2] + [Àd ÷ p] c [d] ÷ [Vd] ÷
[[À - n] - Ȯ c [Ȯ[1]] - [À - [Ȯ] [A] c ÷ [[n] c [Ȯ[x]] ÷ [n] - À] [x]]] ÷ [[N] - À]] c [Å [1]] + [À [[n] [n] À - c [n [2]] - À[x]] ÷

[ph [n] d A [A] [d + c] ÷ [mp] p ÷ n] + [À [c]] + [Àd] ÷ [ÀP [- À ÷ [n] d ÷ [À [A]] d ÷ n]]] + [À [A]] d ÷ [m]
Ȯ[x] ÷ [n] [1] - À[1]] [[À - [n] [2]] ÷ [N] [1] [À ÷ [Ȯ] [x]] c [[Ȯ[x]] - [Å] [1]] ÷ [n] [1] À] - [Ȯ[N]]]] + [[À [x]] c ÷

÷ [ph [n] d ÀP [x]] ÷ n] c [Å [2]] + [Py [m] À] [d] ÷ [Àd] ÷ [À [O] ÷ [mp] d ÷ [Ȯ[1]] [Ȯ [2]]] c [d] ÷
[n [x]] ÷ [n [2]]]] c [Å [2]] + [[n [2]] c [N] - [n] [2]] À [[n [2]] À - [[n] + [Ȯ[1]] ÷ Ȯ[2]] À ÷ [x - n]]] c

[n] d [ÀP] + [Ad ÷ T p - À[x]] c ÷ [n mp + Àd] ÷ [À [- [À [n - d ÷ [[m] ÷ À [A]]]] - [2] - [n]] + À
[n [2]] c [À - [n]] - Ȯ + [c] ÷ [[À - [n]] [2]] À ÷ [n] c ÷ [n] [x] ÷ [n] - À ÷ [N] [x]] ÷ [[x - n] À ÷ n

[[À] ÷ [Ad] + [c] Py [m] - Ȯ ÷ [x] ÷ ÀP[1] ÷ ÀP [2] [n]] + [T p [d]] c O] + [Am p [d]] + [d T] [c] d ÷ [p - p] + [T [O]
[[x - N + n]] À [[n[1]] À ÷ Ȯ[x] c ÷ [n [2]] [x + [x - n] À c ÷ [n] ÷ [n]] c Ȯ] + [[À - c [[n[1]] À c ÷ [N] - Ȯ ÷ Ȯ[2]

[A] + Ad ÷ [Py] - À [m]] + [Ad + c ÷ ÀP [n] [x]] A + c ÷ O [Py] [x] ÷ ph - O [Å]] ÷ c [n] [1] + [Àd] ÷ [ph
[illegible] ÷ Ȯ] ÷ [n] [1] c ÷ [n [x]] À - Ȯ] c ÷ [n] [m]] ÷ [Ȯ [N] - À]] c [Å] + c [n] [n] + [[n [1]] À

[illegible] ph [O] [2] À ÷ [E p]] c [[n]] ÷ ph] + [À - P [d]] + [Ad + d] ÷ [ph [n] d O [x]] + [A
[illegible] + [[N - À ÷ n]] [[n[1]] À ÷ [N] ÷ Ȯ[x] c ÷ [n [2]]

[ȦP[0] [A [A - [m] - p[[1] d [T[0] ⃗+ Py [n] - m[d] + [p[a] - 0]] + [Ȧd ⃗+ [Ȯ[x] [a] c ⃗+ A [c] ⃗+ [A[ō] [m] p] ⃗+ [A - p[d]
[Ȧ - Ȯ[1] - n] [[n[1]] Ȧ ⃗+ Ȯ[1] + [x - n] c ⃗+ Ȯ[1] ⃗+ n]] c ⃗+ [[x]] + [[n[n]] [Ȧ - c ⃗+ [Ȯ[x]] ⃗+ [N] - Ȯ]] ⃗+ [n[a] ⃗+ [Ȯ]

[Ȧ - Py[m] d - p[ ] + [Ȧ[d]] + [p[- A[mp]] c [d] ⃗+ [A[ō] [n] Ȧ ⃗+ [P[Py, ph] [n - [d] - [0]] + [Ȧ - c] ⃗+
[n[ȧ] [[Ȧ ⃗+ [x - n] ⃗+ [Ȧ ⃗+ Ȯ[x]] c Ȯ[x - n] - [x]] c [Ȧ] ⃗+ [N - Ȯ [n - [Ȧ ⃗+ [Ȯ[n]]] c [Ȯ[1] ⃗+ [Ȧ[ȯ] [x]]]] + [Ȧ - c] ⃗+

[Ȧd] ⃗+ [[Ȧ ⃗+ [x] ph[n] d [Ȯ[Py - n] m ⃗+ Ph] [Ȧ ⃗+ [d]] [Ȯ[x] m ⃗+ Ȧ[x]]] c [Å] [1] + [Ad ⃗+ p]] c [d] ⃗+ [d] ⃗+
[Ȧ - n] - Ȯ c [Ȯ[1] - [Ȧ - [ȯ] [x] c ⃗+ [[n] c [Ȯ[x]] ⃗+ [n] - Ȧ] [x]]] ⃗+ [[N] - Ȧ]] c [Å [1]] + [Ȧ [[n] [n] Ȧ - c [n[a] - Ȧ[x]

[ph[n] d A[Ȧ] [d + c] ⃗+ [mp] p[⃗+ n]] + [Ȧ[c]] + [Ȧd] ⃗+ [ȦP[- Ȧ ⃗+ [n] d ⃗+ [Ȧ[A] d ⃗+ n]]] + [Ȧ[A]] d ⃗+ [m]
Ȯ[x] ⃗+ [n] [1] - Ȧ[1]] [[Ȧ - [n] [a]] ⃗+ [N] [1] [Ȧ ⃗+ [ȯ] [x]] c [[Ȯ[x] - [Å] [1]] ⃗+ [n] [n] Ȧ] - [Ȯ[N]]]] + [[Ȧ[x] c ⃗+

⃗+ ph[n] d ȦP[x]] ⃗+ n] c [Å [a]] + [Py[m] Ȧ] [d] ⃗+ [Ȧd] ⃗+ [Ȧ[0] ⃗+ [mp] d ⃗+ [Ȯ[1]] [Ȯ [a]]] c [d] ⃗+
[n[x]] ⃗+ [n[a]]]] c [Å [a]] + [[n[a] c [N] - [n] [a]] Ȧ [[n [a]] Ȧ - [[n] + [Ȯ[1] ⃗+ Ȯ[a]] Ȧ ⃗+ [x - n]]] c ⃗+

[n] d [Ȧ0] + [Ad ⃗+ Tp[- A[x]] c ⃗+ [A m p + Ȧd] ⃗+ [A[- [Ȧ [n - d ⃗+ [[m] ⃗+ Ȧ [A]]]] - [a] - [n]] + Ȧ]
[n [a]] c [Ȧ - [n]] - Ȯ + [c] ⃗+ [[Ȧ - [n]] [a]] Ȧ ⃗+ [n] c ⃗+ [n] [x] ⃗+ [n] - Ȧ ⃗+ [N] [x]] ⃗+ [[x - n] Ȧ ⃗+ n[a]]

[[Ȧ] ⃗+ [Ad] + [c] Py[n] - Ȯ ⃗+ [x] ȦP[1] ⃗+ ȦP[a] [n]] + [Tp[[d]] c 0] + [Am p[d]] + [d] [c [0] d ⃗+ [p[- p]] + [T[0]]
[[x - N + n] Ȧ] [n[1]] Ȧ ⃗+ Ȯ[x] c ⃗+ [n[a]] [x + [x - n] Ȧ c ⃗+ [n ⃗+ [n]] - Ȯ] + [[Ȧ - c [[n[1] Ȧ c ⃗+ [N] - Ȯ ⃗+ Ȯ[a]]

[x] + Ad ⃗+ [P] - A[m]] + [Ad + c ⃗+ ȦP[n] [x] A + c ⃗+ Ȯ [Py] [x ⃗+ Ph - Ȯ[Å]] ⃗+ c [n] [1] + [Ad] ⃗+ ph[n] d
⃗+ [x - n] Ȧ c ⃗+ Ȯ] ⃗+ [n] [1] c ⃗+ [n[x] Ȧ - Ȯ] c ⃗+ [n] [n]] ⃗+ [Ȯ[N] - Ȧ]] c [Å] + c [n] [n] ⃗+ [[n[1] Ȧ ⃗+ N]

Ȯ ⃗+ [Ȧ ⃗+ [E] ⃗+ Ȧ[ō] d ⃗+ ph[ō] [a] Ȧ ⃗+ [Ep]] c [[n]] ⃗+ [Ph] + [Ȧ - P[d]] + [Ad + d] ⃗+ ph[n] d Ȯ[x]] + [Ad ⃗+
⃗+ [ȯ] ⃗+ A[ō] c ⃗+ [[n[n] [Ȧ - n]] + [N] ⃗+ Ȯ[n] + [x - n] Ȧ ⃗+ Ȯ[x]] + [[N - Ȧ ⃗+ n] [[n[1]] Ȧ ⃗+ [N] ⃗+ Ȯ[x] c ⃗+ [n[a]] - Ȧ] ⃗+

[ȦP[x] [n]] + [Py[n] d Ȧ[A]] m[d] + [c] ⃗+ Ȧ P[1] ⃗+ [n]] ⃗+ [Py[d] m - Ȧ] + ȦP[x] Ad ⃗+ p[- p[[d] ⃗+ [T[0] [n]] +
Ȯ c ⃗+ n[1]] + [Ȯ[x] Ȧ ⃗+ [[[n[1] + n[a]] c [n] [x] c ⃗+ Ȯ - [n] Ȧ ⃗+ N] + [x - n Ȧ] c Ȯ < ⃗+ n[1] - Ȧ]]]

[Ȧd] + Ȧmp] ⃗+ [Py [0] c [Ȧ[0]] ⃗+ Py [ō[a]] c AQ[a]] [x] c [d] [x] ⃗+ Ph[n] d Ad] ⃗+ [Ȯ[n] ⃗+ n[a]]
[Ȧ - [[[n] ⃗+ [n]] [x] ⃗+ [c] ⃗+ [Ȯ[x]]] Ȧ ⃗+ Ȯ[x] ⃗+ [Ȧ - n] ⃗+ n[1]] c ⃗+ Ȯ[N]] + [Ȧ - n] ⃗+ Ȯ[x] ⃗+ [x - n]]

[P - Ȧd] ⃗+ A[d] + [c] ⃗+ [Ȧ - P[a] [n]]] [Py[n] d [Å] [1]] c [Ad ⃗+ Ȧ ⃗+ [0] d ⃗+ [mp] p[⃗+ Ph[n] d Ȯ] ⃗+ A[n]] +
[Ȯ[N] Ȧ] + [[n[1] [c ⃗+ [Å]] ⃗+ [n] [a]] - [[n] [1] - Ȧ] + [Å]] c [Ȧ - c [[n[1] Ȧ ⃗+ [N] - [Ȯ] ⃗+ [x - n] Ȧ ⃗+ [Ȧ - n]]]

Ȧd ⃗+ [Ȯ[x] [a]] c ⃗+ [Ad + [p[- Ȧd] ⃗+ m[d] ⃗+ [Ȯ[x] [Ȧ ⃗+ [n]] [Py[n] - [d]] + [[Ȧ - P[d]] [m] d ⃗+ Ȧ]]
[N - Ȯ ⃗+ [n] - [ȯ[x]] Ȧ ⃗+ c] ⃗+ [Ȧ - n] ⃗+ [Ȯ[x]]] [Ȧ - n] - Ȧ c] + [[n[n] Ȧ - c ⃗+ Ȯ[a] ⃗+ n[a]]

[Ȯ[x] - Ȧ]] c [Ȧ [[N - Ȯ ⃗+ [n] - [ȯ[x]] Ȧ ⃗+ c] ⃗+ [Ȧ - n] ⃗+ [Ȯ[x]]] [Ȧ - n] - Ȧ c] + [[n[n] Ȧ - c ⃗+ Ȯ[a] ⃗+ n[a]]] + [T[a] Ȧ] + Ȧ
[Py [0]] c ⃗+ Ph[n] - Ȧ] + [ȦP[P] [x] - Ȧd]]

ı[Ȧ → P[x] d] → Ad → ın-Ȧ]→ ıPh[n] Ȧ → N][x] d Ȧ[A] e| → Ph[n][x] Ȧ → E + ıȦmp d p|] + ıȦ-Pd[x]
I ıȮ[N] Ȧ → Ȯ[x]] [[ıN[n]] Ȧ → [n] Ȧ][x] c → (x-n) Ȧ → N - Ȧ[Ȯ]] → ıN[x] c → [Å]]] + [ıN[x]

Ad → [p|+c] A d → ıT[n] p| → c mp] d][x]] + Ȧd Ȧ-P[x] d] → Ad → ıÅ][Ph[n] O → [n] Ȧ → m[d] ȦP[x]
Ȧ → ı[x-n] + [N] Ȧ] → → ı[Ȧ-n] → Ȯ[n]] Ȧ → Ȯ[n][x] Ȧ + c → ıN - Ȯ[x]] → x-n][x] Ȧ → ıN[3]]] Ȧ → Ṅ[n] → Ṅ[x]

ı[Ȧd] → [pȲ[o]] d → Ph[n] d A + Ȧ[Ȯ][d]] c[A-A]] c ıÅ] → ıȦd] + ıȦ-c]] + ıȦd] → ıȦ[Ȯ] → Ph[n]] [d] → Å[x]
[[N[x] Ȧ → [N[n]] - [N] + [N][1]] - Ȯ] Ȧ → [Ȧ-n] - Ȯ]]] c ıÅ] + [Ȧ - c → ıN[n] Ȧ[x]] → ıN] Ȧ → Ȯ[Ȧ+c]] → Ṅ[1]] →

[Ampl d → Ph[n] d O] + [[Ȧ → P[x] [d]] + [Ȧ[d]] + T[1]] Ȧ - ıPy[n] c p| [d] Ȧ]] → [m]] → [p| - Ȧ] + [e] d]] →
ıN[x] c → ıN][x]] Å[n]] + [ıN[x]] c ıȮ[n]]] + [Ȧ - c ı[x - n] Ȧ → [N] [Ȯ][x]] + [Ȧ - n] Ȧ → [n] - Ȯ] c → N] - [Ȯ - n]] n] +

ıȦme c Ȧ[d]] → ıPh[n] → ıȮ][x] Ȧ] c → [Ȧ[Q][d]] → [Ph[N] d O[x]] [n] → ıȦ[E]] [Ȯ]] → ıp| + c]] Ȧ → [Ph[N]
[Ȯ[N] - Ȯ[x] Ȧ → ıx - n]] Ȧ →] [ıN] - [Ȯ - n] Ȧ → ıȮ[1]] Ȧ → [[n][x] c → [Ȯ[1]] - [n]]]] c → ıȦ → [N][x]] + [Ȯ[1]] - [n] Ȧ -

d → ıȮ[n]]]] c ıÅ] [[[n] [d] - ıPh]p| → ȦP] + [p| Ȧ → [Ȯ[1]] → Ȯ[x]] c ı[n]] - p| + [[Ȯ[1]] c → [Ȧ[d]] → ı[n]
→ ı[Ȯ[n]] - [n]] c [Å] [ıȮ[n]] - [ıN] Ȧ → [n]]] + [ıȮ[1]] + [Ȯ[x]][x]] c Ȧ → [[x - n]] c → n|] c → ıȦ - c| → [

[ḋ] m Ȧ + [c| → ȦP]] + [[T[1]] Ȧ + Ȧd] + [A [m + c] → p| → [Ȯ[x]]] c → ıPh[n]] d O[Ȧ → E[p]]] → [Å[x]
Ȯ → Ȯ[x]] +] c Ȧ[x - n][n] [ıN][x] Ȧ → [N] → c → [N] - Ȯ [→ ı[Ṅ][1]] → [n][x]]] + Ȧ → [x - n][x]]] c ıÅ[x]

[Ȧ[d]] → ıPh[n] Ȧ - [d] → ȦP] c Ȧ - ıȮ] + [Ȧ - c] → ıȦd → [x]] c → [Ȧ P[Ph[n]] - Ȧ] + Ȧd → ıȮ[x]] c → Ȧ
Ȯ - ıN] Ȧ → [Ȯ[n - Ȧ → n[x]]] + ıN| [1]] ıȦ → [N] - Ȧ → [n]2 + [n]3]]] c [[n][1]] - ıȮ] [Ȧ - n]]] + ı[N][x] - [Ȯ][x]] +
Ph[n][x]] - Ȧ]] c[Å] + [[Py[n]] d[n]

Ȧ +→ Ē + |Ȧmp d p|] + |A-P d1..

|[A +→ P[x] d] +→ Ad +→ |n-Ȧ]→ |Phcn] Ȧ +→ N][x] d ȦcA] e| +→ Phcn][x]

I |Ȯ[N] Ȧ +→ Ȯ[x]] [[|n[n]] Ȧ +→ [n] Ȧ][x] c +→ (x-n) Ȧ +→ N-Ȧ[ȯ]] +→ |n[x] c +→ [Å]]] + [|n[x]]

Ad +→ [p|+c] A d +→ |T[n] p| +→ c mp] d][x]] + Ȧd Ȧ-P[x] d] +→ Ad +→ |Å][Phcn] O +→ [n] Ȧ +→ m[d] ȦP..

Ȧ +→ [[x-n] +[N] Ȧ] +→ |[Ȧ-n] +→ Ȯ[n]] Ȧ +→ Ȯ[n]][x] Ȧ + c +→ |N-Ȯ[x] + x-n][x] Ȧ +→ |n[3]] Ȧ +→ ṅ[n] +→ ṅ[x]

|[Ȧd] +→ [PȲ[o]] d +→ Phcn] d Ȧ + Ȧ[ȯ][d]] c[A-A]] c|Ȧ] +|Ȧd] +|Ȧ-c]] + |Ȧd] +→ Ȧ[ȯ] +→ Phcn] [d] +→ Å..

[[n[x]] Ȧ +→ [n[n]] -[N] + [n][n] -ȯ] Ȧ +→ [Ȧ-n] -ȯ]]] c [Å] + [Ȧ-c +→ (n[n] Ȧ[x]] +→ [N] Ȧ +→ O[A+c] +→ ṅ[n]]

[Ampl d +→ Phcn] d O] +[[Ȧ +→ P[x] [d] +[Ȧ[d]] + T[n] Ȧ -[PY[n]] c p| [d] Ȧ]] +→ c[m] +→ [p|-Ȧ] +[e] d]] +→

|ṅ[x] c +→ |N][x]] c Å[n]] +[|n[x]] c |Ȯ[n]]] +[Ȧ-c [[x-n] Ȧ +→ [[N] [ȯ][x]] + [Ȧ-n] Ȧ +→ [n] -ȯ[c +→ |N] -[ȯ-n]] Ȧ] +

[Ȧme c Ȧ[d]] +→ [Phcn] +→ [ȯ][x] Ȧ] c +→ [Ȧ[Q][d]] +→ [Ph[N] d O[x] [n] +→ [A[E]][ȯ]] +→ |p| + c]] Ȧ +→ [Phcn

[Ȯ[N] - ȯ[Ȧ +→ |x-n]] Ȧ +→][[N] -[ȯ-n] Ȧ +→ |Ȯ[n]] Ȧ +→ [ṅ][x] c +→ [Ȯ[1] -[n]]]] c +→ |Ȧ +→ [N][x]] + [Ȯ[1] -[n] Ȧ-

d +→ |Ȯ[n]]]] c |Å] [[n] [d] - |ph] p| +→ ȦP] +[p| Ȧ +→ [Ȯ[n] +→ Ȯ[x]] c|[n]] - p| +[[Ȯ[1]] c +→ [Ȧ[d]] +→ [n

+→ [Ȯ[n]] -[n]] c [Å] [|Ȯ[n]] -[N] Ȧ +→ [n]]] + [|Ȯ[1]] +[Ȯ[x]][x]] c Ȧ +→ [[x-n]] c +→ ṅ]] c +→ | Ȧ-c| +→

[d]] ᶜm Ȧ +[c] +→ ȦP]] +[[T[n] Ȧ + Ȧd] +[A[m+c]] +→ p| +→ [Ȯ[x]] c +→ [Phcn] d O[Ȧ +→ E[p]]] +→ [Å[x]]

ȯ +→ Ȯ[x]] +] c Ȧ[x-n][n] +→ [[n][x]] Ȧ +→ [N] +→ c +→ [N] - ȯ[+→ [[ṅ][n]] +→ [n][x]]]] + Ȧ +→ [x-n][x]]] c [Å[x]]

[[Ȧ[d]] +→ |Phcn] Ȧ -[d] +→ ȦP] c Ȧ -|ȯ] +|Ȧ-c] +→ |Ȧd +→ [x]] c +→ [Ȧ P[Phcn] - Ȧ] + Ȧd +→ [Ȯ[Q]] c +→ ȦP[

[Ȯ -|N] Ȧ +→ [O[n - Ȧ +→ n[x]]] + |n][n] |Ȧ +→ [N] - Ȧ +→ [n]₂ + [n]₃]]] c [[n][n] - |ȯ] [* Ȧ-n]]] +[[N][x] -[n][x]] Ȧ

Phcn][x] - Ȧ]] c[Å] +[[PY[n]] d[in]m +→ [A[m]p| + c]] + T[n] Ȧ]] +[p| - Ȧd +→ [Ȯ[x]] c +→ |Ȧd] +→

c +→ [n[x]] +[n][n]]] c [Å] +[[[Ȧ-n]] Ȧ +→ Ȯ[x]] [[[Å c[N] +→ [N] Ȧ]] +[Ȯ[N]] +[Ȧ-n] - Ȧ +→ [Ȧ[n]]] c +→ |n]ₙ -n]]] +

Phcn] d |O[n] + O[x]] c O[3] - Ȧ +→ [Ȯ[1] +→ Ȧ[Q] +→ Ȯ[x]]] +[p| - Ȧ + [c [d]] +→ PY[n] d +→ Ȧ[m-Ȧ]]

[[N] Ȧ +→ Ȯ[x]] = [[N] Ȧ c +→ N[ȯ] Ȧ] +[N - ȯ| +→ [c] +→ (Ȯ[x]] c Ȯ[n]]] +[Ȯ[n[x]] +[Ȧ][n] c +→ [Ȯ[x] - Ȧ] +→ |Ȯ[N]]]]

+ |A[mp] + Ȧd]] +[[PẎ-o [c] - Ȧ +→ [PY[n] m] +→ [d] +→ [d] - Ȧ]] c [Ȧ[Q]] +[p| +→ [ṅ] - Ȧ d +→

[[x] Ȧ] [|n[n]] [Ȧ-n] |Ȧ - c] +→ |[Ȧ-n Ȯ] +→ Ȧ[x]] + [[n] Ȧ +→ [n[x] - Ȯ[x]] c [n]]]] +[[ ]x-n] Ȧ c +→

PY[n] +→ PȲ[d] - Ȧ] +→ [[Ampl - Ȧ +→ [n] c O[d]] +|m̄ - Ȧ] +[[Ȧ - c [m̄] [d]]] +→ |Ȧd [+|p| - Ȧ] m[d]] +

|N] +[n] Ȧ +→ Ȯ[x]] c Ȧ +→ [ṅ][n] +→ |n[x]]]]] c |Ȯ[Ȧ]] +[|ṅ[n] +→ [ṅ[x]] c +→ |Ȧ - c] [n]]] +[| |Ȧ - c] [Ȧ]]

[Ȧ-c] +|Ȧd] +→ [Ȧ[ȯ] md +→ Phcn] c Ȧ[ȯ] - Ȧ[Q][n] + Ȧ[d] +→ |O[x]] c +→ Ȧ[ȯ] - Ȧ[Q]] c [d] +→ [ȦP[n]] +

][Ad] +⃗ [Pẏ[o] d +⃗ Ph[∩] d A+ A[ȯ][d]] c [A − A]] c [A]

[[∩[2] Ȧ +⃗ [∩[1] [N] + [∩][1] − ȯ] Ȧ +⃗ [Ȧ−∩] . ȯ]] c [Å] + [Ȧ − c +⃗ (∩[1] Ȧ[x]] +⃗ [[N] Ȧ +⃗ O[A+c] +⃗ ∩[1] +

[A m p] d +⃗ Ph[∩] d O] + [[Ȧ +⃗ P[x] [d] + [[Ȧ[d] + T[1] Ȧ − [Pẏ[∩] c p] [d] Ȧ]] +⃗ c/m] +⃗ [p] − Ȧ] + [[e] d]] +⃗

[∩[2] c +⃗ [N][x]] [Å[∩]] + [[∩[x]] c [O[∩]] + [Ȧ − c [[x − ∩] Ȧ +⃗ [[N] [o] [x]] + [Ȧ − ∩] Ȧ +⃗ [∩] − o] c +⃗ [N] − [o − ∩]]ȧ] +

[A m e c Ȧ[d]] +⃗ [Ph[∩] +⃗ [O][x] A] c +⃗ [Ȧ[Q][d]] +⃗ [Ph[N] d O[2][∩] +⃗ [A [E]][o]] +⃗ [p] + c] Ȧ +⃗ [Ph[N]

[Ȯ[N] − ȯ[Ȧ +⃗ [x − ∩]] Ȧ +⃗ [[N] − [ȯ − ∩] Ȧ +⃗ [Ȯ[1]] Ȧ +⃗ [[∩][x] c +⃗ [Ȯ[1] . [∩]]]] c +⃗ [Ȧ +⃗ [N][x]] + [Ȯ[1] − [∩] Ȧ −

d +⃗ [O[∩]]]] c [Å] [[∩] [d] − [Ph] p] +⃗ AP] + [p] Ȧ +⃗ [Ȯ[1] +⃗ O[x]] c [[∩]] − p] + [[O[1]] c +⃗ [Ȧ[d]] +⃗ [[∩

+⃗ [[Ȯ[∩]] − [∩]] c [Å] [[Ȯ[∩]] − [[N] Ȧ +⃗ [∩]]] + [[Ȯ[1]] + [Ȯ[x]] [x]] c Ȧ +⃗ [[x − ∩]] c +⃗ ∩]] c +⃗ [Ȧ − c] +⃗ [x

[ȯ]ᶜ m̄ Ȧ + [c] +⃗ AP]] + [[T[1] Ȧ + Ȧd] + [A [m + c] +⃗ p] +⃗ [Ȯ[2]] c +⃗ [[Ph[∩] d O [A +⃗ E[p]]] +⃗ [Å[2]]

ȯ +⃗ O[x]] +] c Ȧ[x − ∩][1] +⃗ [[∩][2] Ȧ +⃗ [N] +⃗ c +⃗ [N] − ȯ c +⃗ [[∩][1] +⃗ [∩][2]]] + Ȧ +⃗ [x − ∩[2]]] c [[Å[2]]

[[Ȧ[d]] +⃗ [Ph[∩] Ȧ − [d] +⃗ ȦP] c Ȧ − [ȯ] + [Ȧ − c] +⃗ [Ȧd +⃗ [x]] c +⃗ [ȦP[Ph[∩] − Ȧ] + Ȧd +⃗ [Ȯ[2]] c +⃗ ȦP[

[Ȯ − [N] Ȧ +⃗ [O[∩ − Ȧ +⃗ ∩[x]]] + [∩][1] [Ȧ +⃗ [N] − Ȧ +⃗ [∩]₂ + [∩]₃]] c [[∩][1] − [Ȯ] [* Ȧ − ∩]] + [[N][x] − [∩][x]] Ȧ .

Ph[∩][2] − Ȧ]] c [Å] + [[Pẏ[∩] d[in] m +⃗ [A[m] p] + c] + T[1] Ȧ]] + [p] − Ȧd +⃗ [Ȯ[2]] c +⃗ [Ȧd] +⃗

c +⃗ [∩[c]] + [∩][7]]] c [Å] + [[Ȧ − ∩] Ȧ +⃗ Ȯ[x]] [[[Å c [N] +⃗ [N] Ȧ]] + [Ȯ[N] + [Ȧ − ∩] − Ȧ +⃗ [Ȧ[1]]] c +⃗ [∩]₁ − ∩]]] +

[Ph[∩] d [O[1] + O[2]] c O[3] − Ȧ +⃗ [Ȯ[1] +⃗ Ȧ[Q] +⃗ Ȯ[2]]] + [p] − Ȧ + [c] [d]] +⃗ Pẏ[∩] o] +⃗ Ȧ [m − Ȧ]]

[[N] Ȧ +⃗ Ȯ[x]] = [[N] Ȧ c +⃗ N[ȯ] Ȧ] + [N − Ȯ] +⃗ [c] +⃗ (Ȯ[x]] c Ȯ[∩]]] + [Ȯ[∩[x]] + [Ȧ][1] c +⃗ [Ȯ[x] − Ȧ] +⃗ [Ȯ N]]]

+ [Ȧ[m p] + Ȧd]] + [[Pẏ − o [c] − Ȧ +⃗ Pẏ[∩] m] +⃗ [d] +⃗ [[d] − Ȧ]] c [Ȧ [Q]] + [p] +⃗ [∩] − Ȧ d +⃗

[[x] Ȧ] [[∩[1]] [Ȧ − ∩] [Ȧ − c] +⃗ [[Ȧ − ∩ Ȯ] +⃗ Ȧ[x]] + [[∩] Ȧ +⃗ [∩[x] − Ȯ[x]] c [∩]]]] + [[[x − ∩] Ȧ c +⃗

Pẏ[∩] +⃗ Pẏ[d] − Ȧ] +⃗ [[A m p] − Ȧ +⃗ [∩] c O[d]] + [m̄ − Ȧ] + [[Ȧ − c [m̄] [d]]] +⃗ [Ȧd [+ p] − Ȧ] m [d]] +

[N] + [∩] Ȧ +⃗ Ȯ[∩]] c Ȧ +⃗ [∩̇][1] +⃗ [∩[2]]]]] c [Ȯ[Ȧ]] + [[∩̇[1] +⃗ [∩̇[2]] c +⃗ [Ȧ − c] [∩]]] + [[[Ȧ − c] [Ȧ]]]

[Ȧ − c] + [Ȧd] +⃗ [[Ȧ[ȯ] m d +⃗ Ph[∩] c Ȧ[ȯ] − Ȧ[Q][2] + Ȧ[d] +⃗ [O[2]] c +⃗ Ȧ[ȯ] − Ȧ[Q][2]] c [d] +⃗ [[ȦP[x]] +

[Ȧ − c] + [Ȧ] +⃗ [[Ȯ[N] Ȧ +⃗ Ȯ[x] c] [[N] Ȧ[ȯ] Ȧ + c +⃗ [[∩][x] [Ȧ[x]] +⃗ [[∩]] + Ȧ +⃗ [∩] +⃗ [∩][1] − Ȧ[ȯ][1] + ∩[2] + Ȧ[ȯ]] c

+ Ȧ − P[d]] +⃗ [[A[m] p] + Ȧ[d][R] − d]]] + [Ȧd] +⃗ [Ph[∩] d O +⃗ Ȧ[E]] + [Ȧ[d] +⃗ m + c] +⃗ A[d]] +⃗ Ȧ[d] − p

Å[2] Ȧ +⃗ [[[[x − ∩] − ȯ c +⃗ Ȧ +⃗ [∩] +⃗ [N]]]] + [Ȯ[x]] c Å] + [Ȧ − N] − Ȧ +⃗ [∩] [x] Ȧ − ∩[1] + ∩[2]] ∩] .

m − Ȧ] c Ȧ +⃗ [Ph[Q]] d +⃗ [Ȧ[A]] c Ȯ[x]] + [Ȧd p] + d +⃗ [Ph[∩] d [O +⃗ Ȯ[2]] [p] d] + Ȧd +⃗ A]]

[A[d][n]-T[0]]c pl[m] A → AP[x]] [PY-n]-A] + [AP[x]] [pl [d] → [Ph[n] + [O[d]]]] + [PY[m] → [n][2] A] [d] +

[A [[n[1]] -[x-n] A + [A-n]] → [[n][1] + [n][2]] c [N]]] + [[[N] - O[x]] A + [[n] - O[x] → N]]] + [[A-n] c -[O[A-c] → n] + A →

[[pl[2]] + [[N - A [A] m → [c] → [n][x]] + [[[A d [pl c + d] → [n] → AP → Ph[n] d -[A-A] + pl [d] → [AP[2+3]]]c

[[x-n+N]] + [[n[1] → n[2]] -A-c] → [n[x]]] + [A-n] + O N] [[n[x]] A - A → [N] + [c] → O[x]] → n[1]] + [[n[x]]A]c

PY[n] d O] + [[A[c → d]]] + [PY[d] A → me + [A[me - [d]]] + [A - P[d]] → Ph[n] d A[d]] + [Ad] → AP + [Ad] a]

[[[A-n] O] A + [c] → O[N] → Å] → [[x-n] A → O[x]] → [N] [[n][1]] + [O → [x][n]] A + [c] → n[2] A-n]]

[A - P[d]] + [[Ad + [T[1] A] + [[m d] → Tpl + [m[d]]]] + [A[m-pl] c [PY[n] → [m m Ph[PY[n]] d → [Ad] →

[[O[N] + x-n] A → [O[x]] [[[n[1]] A + [c] [[n[1] - n[2]] - [N] + [x-n]] → [[n[2]]] + [[n[2] A → [N]

PY Ph[n] d O] + [A[c]] d] → [A me + Ad] → [[AP[me → Ph[2]] A → P[d]] $^{c\mathring{A}[1]}$ →] + [m[d] + Apl → O[x]]]c → [A[d]]

→ [n] → [x-n]-A] → [[n[1] + n[x]] c → [O] c → n[2]] + [n[1] + n[2]] c → [n[x]]]c[Å[3]] + [A[x]] c → [[n[1] → n[2]] →

→ [c]] → Ad] → [PY[d]] O] + Ad → [O[2]] c → [m[d] [n]-O[x]] c[[A] + [A-[c]] → [m m Ph[PY[1]] c Å[2]]

[n[1] → n[2]]] c[Å[4]]] + [[O-N] A → O[x]] [[A] c → [[n[x]] - A → [n[x]] → [n][2]] c[N] - O] c [Å[5]]]]

+[Ad] → [O[2]] c] + [Ad] → [[PY[d] → m - [d] - O] + [A-c] → [[n[d]] A → Å[3]] c [Å[4]] [pl → [A-N]]]

[O[N] A-c → [[A → [n] - O] A → [[N] - O → [A-n]]$^{A]}$ + [[A - Å[3]] - c[[n] - [A]] - O] c [Å[6]] + [[n[2]] -

A[1]] Ad → [m] → [[m] → AP[n][1]] → A m → AP[2]] d → [[N] - A → Å[5]] d → N → [A[me] m → A[d]]

A → Å[1]] c → O[x]]] [[[Å[4]] [A - c] → [n[3]] A → O] → [N]] c → [n[1] → n] + [O[n] c → n[x]]] + [O[N] n]

T] -Ad] + [A me d] → [A m] c → AP[n]] [d] → [PY[d]] - O + [pl → me] d → m PY[d] A + O[x]] [A-c] + d]

+ O[x] + x-n] A]c] + [[[x-n] + A] → O[x]] [n[2] - A → Å[1]] c → [n[1]] → [n][1]] c[Å[2]] → [A-n] A

→ [AP[2] - [3]] + [A - P[d]] + [A[d] [m] - Tpl] d → [T[0] A → me] + [A[d] + A pl-d] → [T[0] → me] [2]] + AP[n]

[n] + [x-n]] + [n[

[Ȧ [[n[1]] -[x-n] … O[x] | A +[n] - O[x] +→ N]]] + [|Ȧ - n] c - [Ȯ[Ȧ - c] +→ n] + Ȧ +→

[T p|[2]] +[[N - Ȧ[A] m +→ [c] +→ n][x]] + [[[A d |p| c + d] +→ |n| +→ ȦP +→ ph[n] d - |A - A] + p| [d] +→ |ȦP[2+3]]]c

[x - n + N]] + [[ṅ[1] +→ ṅ[2]] - Ȧ - c] +→ [n[x]]] + [Ȧ - n] + Ȯ N] [[n[x]] Ȧ - A +→ |N] + [c] +→ Ȯ[x]] +→ n[1]] + [[n[x]] Ȧ | c

pyc[n] d O] + [[Ȧ[c[c +→ d]]] + [p ẏ [d] A +→ mp +→ [A [mp - [d]]] + |Ȧ - P[d]] +→ ph[n] d A[d]] + |Ȧ d] +→ ȦP + [Ȧ d] a]

[[|Ȧ - n] O] Ȧ + [c] +→ O[N] +→ Å | +→ [[x - n] Ȧ +→ O[x]] +→ |N] [|n] [2]] + [O +→ [x][n]] Ȧ + [c] +→ n[2] Ȧ - n]]

[A - P[d]] + [[Ȧ d + [T[1] Ȧ] + [[m̄ d] +→ T p| + [m̄ [d]]]]] + [A [m - p] c [p y [n] +→ [m̄ m̄ ph |p y[n]] d +→ |Ȧ d] +→

[|Ȯ[N] + x - n] Ȧ +→ |Ȯ[x]] [[|n[1]] Ȧ + [c] [[ṅ[1] - ṅ[2]] - [N] + [x - n]] +→ [|n[2]]] + [|n[2]] Ȧ +→ [N]

[py|ph|n d O] + |Ȧ[c]] d] +→ |Ȧ mp + Ȧ d] +→ [[ȦP[me +→ ph[n]] Ȧ +→ P[d]] +] c Å[3] + [m̄ [d] + A p| +→ O[x]]]c +→ [A[d]]

+→ [n] +→ [x - n] - A] +→ [[n[1] + n[x]] c +→ |O| c +→ n[2]] + [n[1] + n[2]] c +→ [n[x]]] c [Å[3]] +[- |A[x]] c +→ [[ṅ[1] +→ ṅ[2]] +→

+→ [c]] +→ Ȧ d] +→ |p ẏ [d] O] + Ȧ d +→ |Ȯ[2]] c +→ [m̄ [d] [n] - O[x]] c [|Å] + |Ȧ - [c]] +→ [m̄ m̄ ph |p y [1]] c Å[2]]

[n[1] +→ n[2]]] c [Å[4]]] + [|Ȯ - N] Ȧ +→ Ȯ[x] [[|Ȧ] c +→ [|n[x]] - Ȧ +→ |n[x]] +→ [n][2]] c [Ṅ] - Ȯ] c |Å[5]]]

+ [Ȧ d] +→ |Ȯ[2]] c] + [Ȧ d] +→ [[p ẏ [d] +→ m̄ - [d] - O] + |Ȧ - c] +→ [[N[d]] Ȧ +→ Å[3]] c [Å[4]] |p| +→ |Ȧ - N]]

[Ȯ[N] | Ȧ - c +→ [[Ȧ +→ [n] - Ȯ] Ȧ +→ [|N] - Ȯ +→ |Ȧ - n] [Ȧ]] + [[Ȧ - Å[3]] - c[[n] - [Ȧ]] - O] c [Å[6]] + [[ṅ[2]] -

Å[1] Ad +→ |m̄] +→ [m̄] +→ ȦP[n][1]] +→ Ā m̄ +→ ȦP[2]] d +→ [[N] - Ȧ +→ Å[5]] d +→ N +→ |Ȧ [mp| m̄ +→ A[x]]

Ȧ +→ Å[4]] c +→ |Ȯ[x]] [[|Å[4]] |Ȧ - c] +→ |n[3]] Ȧ +→ O| +→ [N]] c +→ |n[1] +→ n] + |Ȯ[x] c +→ n[x]]] + [Ȯ[N] |n]

T p| - Ȧ d] + |Ȧ mp d] +→ |Ā m̄] c +→ ȦP[n]] [d] +→ [p ẏ [d] - O + [p| +→ mp] d +→ m̄ p ẏ [d] Ā + O[x]] |Ȧ - c] + d]

+ Ȯ[x] + x - n] Ȧ] c] + p [[[x - n] + Ȧ] +→ Ȯ[x]] [ṅ[2] - Ȧ +→ Å[4]] c +→ |n[1]] +→ |n][4]] c [Ȧ[2]] +→ [Ȧ - n] Ȧ +→

+→ [ȦP[n] - [3]] + [|Ȧ - P[d]] + [A[d]] [m] - [p| d +→ |T[O] Ȧ +→ mp| + |Ȧ[d] + Ȧ[p| - d] +→ |T[O] +→ mp| [2]] + ȦP[n]

Ȯ +→ |[x - n] [2]]] + [[Ȯ[N] Ȧ +→ n[2]] + Ȧ +→ [[n[1]] Ȧ +→ [x - [n] Ȧ +→ [N]]] + c ~~[x - A~~ [[Ȧ - n] - [Ȯ] +→ [n]] + [x - n] +→ Ȯ] + [n[x]]

Ad + 6] [m] +→ |ȦP[2] - [n]] + |Ȧ[c]] +→ [T d - A[m]] + [|p| [T[n]] Ȧ d] + d[2]] +→ [ȦP[n]] - Ȧ d] + |T[1] Ȧ + d]

Ȧ +→ [Ȯ[x - n] - Ȧ +→ [Ȧ - N] + Ȯ N]]] [2] c +→ [n][4]] c [[Å]2]] +→ |Ȧ +→ Ȯ[x]] +][[|Å] +→ Ȧ +→ [Ȧ - n] - [n][2] - O]

+→ [n - Ȧ +→ [p| +→ [d]] Å[[m] - [O]]] + [Ȧ d +→ [Ȯ[2]] c +→ |Ȧ - P[2]] + [T[m] A[d] p| + T[1] Ȧ] +→ |p| Ȧ + c] +→

Ȧ +→ N[x] +→ Ȯ[c]] c +→ n[2]] + [|Ȯ[N] Ȧ +→ Ȯ[x]] [[n[1]] [Ȧ [x - n]] +→ [N] [x] Ȧ +→ Ȯ[x] +] + [[Ȧ - C]

[Ȧ d] +→ |ph[n]] c +→ O] + [Ȧ +→ E]] + [p| d] +→ [Ȯ|[2] c +→] |Ȧ d] +→ [|p| - Ȧ c Ȧ[Q] + p y [n] d [n]] +→ |A[O]]

+→ |O - [Ȧ - n]] + [[n] c [[N][n] - Ȯ[1]] + [O[1] [[x - n] Ȧ +→ [x]]] + [Ȯ[2] - A] +→ |[x - n][2]] c +→ n +→ [N][x]] +→ [|n[1]]

m d + d +→ Ȧa] c [Ȧ[d]] +→ [n] +→ |p ẏ [d] - O d +→ p| +→ ȦP[x]] c [Å] + |Ȧ d + T[1] Ȧ] +→ |[m̄ [d]] | Ȧ +→ [n]]

Ȧ +→ Ȯ[x]] [|[[N] - Ȧ + n[2]] c [Å][3]] + Ȧ[Ȯ] - [n] Ȧ c +→ [Å[3][n]]] + [x - n] Ȧ - c +→ Ȯ +→ |n] + Ȧ[n]]

… [Ȧ …] + d [- Ȧ c +→ [c] Ȧ]] + Ȧ

(erphlo d O] + [Acc] [A] - [A] + Ad] + [[Ap (me ⃗ ph[a]] Å ⃗ p[d] ⃗] ⃗[m ⃗ [d] + Ap] ⃗ O[x]] c ⃗ [Å[N]

⃗ [A] ⃗ [x-n] - Å] ⃗ [] n[1] + n[x] c ⃗ [O] c ⃗ n[a] + [n[1] + n[2] c ⃗ [n[x]] c [Å[3] ⃗ [- [Å[x] = ⃗ [[n[1] ⃗ n[2]] ⃗

⃗ [c] ⃗ Åd] ⃗ [ṗ ÿ [d] O] + Åd ⃗ [O[2] c ⃗ [m ⃗ [d] [n] - O[x]] c [Å] + [Å - c] ⃗ [m m ph[r y [,] c Å[2]

n[1] ⃗ n[2]] c [Å[4]]] + [O - N] Å ⃗ O[x] [[Å] c ⃗ [n[x]] - Å ⃗ [n[x]] ⃗ [n][a]] c [N] - O] c Å[7]]]

⃗ [Åd] ⃗ [O[x]] c] + [Åd] ⃗ [[ṗ y [d] ⃗ m - [d] - O] + [Å - c] ⃗ [[n[d] Å ⃗ Å[3]] c [Å[2]] [d] ⃗ [Å - N]]

O[N] Å - c ⃗ [Å] [n] - O] Å ⃗ [N] - O ⃗ [Å - n] [Å] ⃗ [Å - Å[3]] - c [n] - [Å]] - O] c [. Å[6]] ⃗ [. [n[2]] -

Å ⃗] Ad ⃗ [m] ⃗ [m] ⃗ Ap[n][1]] ⃗ Å m ⃗ Ap[2]] d ⃗ [[N] - Å ⃗ Å[5]] d ⃗ N ⃗ [Å[m] m ⃗ Å[x]

Å ⃗ Å[x]] c ⃗ O[x]] [[[Å[4]] [Å - c] ⃗ [n[3]] Å ⃗ O] ⃗ [N]] c ⃗ [n[1] ⃗ n]] ⃗ [O[n] c ⃗ n[x]]] ⃗ [O[N] [n]

[p] - Åd] ⃗ [Åmd] ⃗ [Å m] c ⃗ Ap[n]] [d] ⃗ [ṗ y [d] - O ⃗ [p] ⃗ mp] d ⃗ m ṗ y [d] Å ⃗ O[x]] [Å - c] [d]

⃗ O[x] ⃗ x-n] Å] [] ⃗ [[[[x - n] ⃗ Å] ⃗ O[x]] [n[2] - Å ⃗ Å[2]] c ⃗ [n[1]] ⃗ [n][1]] c [Å[2]] ⃗ [Å - n] Å ⃗

⃗ [Åp[n] - [3]] ⃗ [Å - p[d]] ⃗ [A[d] [m] - [p] d ⃗ [T[O] Å ⃗ mp] ⃗ [Å[d] ⃗ Å[p] - d] ⃗ [T[O] ⃗ mp] [2]] ⃗ Ap[n]

O ⃗ [x - n] [2]]] ⃗ [[O[N] Å ⃗ n[2]] ⃗ Å ⃗ [[n[1]] Å ⃗ [x - [n] Å ⃗ [N]]] ⃗ c ~~[x-n]~~ [Å - n] - [O] ⃗ [n] ⃗ [x - n] ⃗ O] ⃗ [n[x]

Ad ⃗ 6] [m] ⃗ [Åp[2] - [n]] ⃗ [Å[c]] ⃗ [T d - A[m]] ⃗ [p] [T[m] Åd] ⃗ d[2]] ⃗ [[Åp[n]] - Åd] ⃗ [T[1] Å ⃗ Ad]]

Å ⃗ O[x-n] - Å ⃗ [Å - N] ⃗ O[N]]][2] c ⃗ [n][2] c [Å[2]] ⃗ [Å ⃗ O[x]] ⃗][[Å] ⃗ Å ⃗ [Å - n] - [n][2] - O]]

⃗ [n - Å ⃗ [p] ⃗ [d] Å[m] ⃗ [O]]] ⃗ [Åd ⃗ [O[2]] c ⃗ [Å - p[2]] ⃗ [T[m] A[d] p] ⃗ T[1] Å] ⃗ [p] Å ⃗ c] ⃗

Å ⃗ N[x] ⃗ O[x] c ⃗ n[x]] ⃗ [[O[N] Å ⃗ O[x]] [[n[1]] [Å[x - n]] ⃗ [N][x] Å ⃗ O[x] ⃗] ⃗ [[Å - c]

[Åd] ⃗ ph[n]] c ⃗ O] ⃗ [Å ⃗ E]] ⃗ [p] [d] ⃗ [O] [2] c ⃗] [Åd] ⃗ [p] - Å c Å[Q] ⃗ ṗ y[n] d[n]] ⃗ [Å[O]]

⃗ O - [Å - n]] ⃗ [[n] c [[N][m] - O[1]] ⃗ [O[1] [x - n] Å ⃗ [x]]] ⃗ [O[2] - Å] ⃗ [x - n] [2] c ⃗ n ⃗ [N][x]] ⃗ [[n[x]]

md ⃗ d ⃗ Åa] c [Å[d] ⃗ [n] ⃗ ṗ y [d] - O d ⃗ p ⃗ Ap[x]] c [Å] ⃗ [Åd ⃗ T[1] Å] ⃗ [m [d]] Å ⃗ [n]]

Å ⃗ O[x] c] [[[[N] - Å ⃗ n[2]] c [Å[3]]] ⃗ Å[O] - [n] Å c ⃗ [Å[3][n]]] ⃗ [x - n] Å - c ⃗ O ⃗ n]] ⃗ Å ⃗ n]

[Å - p[d]] ⃗ [T[2]] ⃗ Åd] ⃗ [Amp - Å c [m] c [Å[A]] ⃗ [A[c] ⃗ [d]] ⃗ [A[m] ⃗ c] ⃗ [d - Å c ⃗ [c T Å]] ⃗ Åd ⃗

[17]

1 [À-P[d]] + [Ph[n]-o d À - c À[A]] d[mpd]] + [[Àd] → [Ph[n] - → O[x] → ÀP[m A] c [À [Ph - Q]] → [Ph[n] d O

[Ò-N] + [[n[1]] [+[[N] → Ò → [À-n]] Ò[x]] c À[n]] → [À - [[N → Ò[x]] → [N[x]] À - c → [N[2] - [Ò[n]]]] + Ò[N] À →

[x] →] n È] [r] [ ] c Å + [[p] - À + c [d]] → [À d + [À → Ò[x]] c[p] - d]] + Àd] → [À[Ò] m d + À[c] → À[a]] → Ph[n]

N c → O[x]]] c [Å] + [À → [Å[2] - À → [N] c → Ò → [Å]] c Ò[n]] → [[n[1]] À F [[n[2]] → À[N] - Ò] + À[Ò]

ÀP[x]] + [A d] p] + T[1] À]] + [p] - d r] À]] + [Àd] → [À m p] → Ph[n] d [O [ÀP - [n] À → Ph[O]] + Àd → [O

c → n[x]]] + [À [[N - O] + [Ò[x]] À → Ò[3] → n[x]]] + [[Ò[1] À → Ò[x]] [x - n] À → [Ò[1]] c → O[2]] [n]] c [N][x] + [[Ò[N] A

c → [A[m+p] c → [Ò → n]] → Àd] + [À m p] → [Ph[n] d O [À - E] → [À d + [Ph[O] c À → d → P Y[n]]] +]

À [[c] → [N] → [N][2]] → [n]] + [[N][2] c → [Ò] [+[x] - n] À → → Ò[n]]] + [Ò[N] À → [Ò[n]] À → Ò[x]] → [x - n] À

n] À - d + c]] → [Ph n À E] c Å[4]) - Àd] [n] c [[À m P] [x] c d → [Ph [O[x]] + À - c] → [m P - À] + À[Ò] Ph

[N][+] + [À - n] À → N] c [Å[3]] À → [n] + [[Å[1]] À] + Ò[x] c → [Ò[x][2] → N] c Å [5]]] + [N] A

[n] À d → Ph[O][x]] + [Àd] → Ph[n] d O[x]] + [p] + d r] À] + [À - c d] + [p] d - À] → Ph[n] d O[x]

→ Ò c → [Ò[x]] [n]] + À → [[[x - n] c [À] → O[x] → [N][x]] c [n - À] → O[x][n]]] c → [N] [1]] - À

+ Àd → O[x] c → [À → À[Ò] → [c] → Ph[O] → [Ph[n][2]]] → Àd → [Ò[x]] c] → [Å[3] À → [x]]] + À

[x] c → Å[1] A] + [[Ò[1] c [n][1] + [O[x] c → n[x]] À → [N]) + [n[1]] À → [A[Ò]] → O[n][x]] c →

Ò[n]] d → [A[Ò]] m d] c → À - d → [Ph[n] d À[Ò]] [P Y d O → P / n c Ph → [P]] + Àd → [O λ k → Ph

] → [N] À → O[x]] → [Å[x]] c → [N] - Ò[n]] À[x]] c → [n[1]] → [Ò[N] + [À - n]] → [O[x]]] A

c ⃗ ∩[∩] + [Ȧ [[N-0] + [Ȯ[x]] A ⃗ O[3] + ∩[x]]

c ⃗ [A[m+p] c ⃗ [Ȯ ⃗ ∩]] ⃗ Ȧd] + [Amp] ⃗ [Ph[∩] d O [A-Ē] ⃗ [Ȧd + [Ph[0] c Ȧ ⃗ d ⃗ PY[∩]]] +]

Ȧ[[c] ⃗ [N] ⃗ [N][x]] ⃗ [∩]] + [[N][x] c ⃗ [Ȯ] [+ [x] - ∩] Ȧ ⃗ Ȯ[∩]] + [O[N] Ȧ ⃗ [O[∩] Ȧ ⃗ O[x] ⃗ [x-∩] A

∩ Ȧ-d + c] ⃗ [Ph∩ ȦĒ [Ȧ[x]] - Ȧd] [∩] c [[Ȧmp][x] c d ⃗ [Ph[0[x]] + Ȧ-c] ⃗ [mp-A] + Ȧ[0] Ph

[N] +] + [Ȧ-∩] Ȧ ⃗ N] c [Å[3]] Ȧ ⃗ [∩] + [[Å[7] Ȧ] + Ȯ[x] c ⃗ [Ȯ[x][x]] ⃗ N] c Å [5]]] + [N] Ȧ

[∩] Ȧd ⃗ Ph[0] [x]] + [Ȧd] ⃗ [Ph[∩] d O[x]] + [p] + d r] Ȧ] + [Ȧ-cd] + [p] d-Ȧ] ⃗ Ph[∩] d O[x]

⃗ O c ⃗ [Ȯ[x]] [∩]] + Ȧ ⃗ [[[x-∩] c [Ȧ] ⃗ O[x] ⃗ [N][x]] c [∩-Ȧ] ⃗ O[x][∩]]] c ⃗ [N] [∩]] c Ȧ

+ Ȧd ⃗ O[x] c ⃗ [Ȧ ⃗ Ȧ[0] ⃗ [c] ⃗ Ph[0] ⃗ [Ph[∩][x]]] ⃗ Ȧd ⃗ [O[x]] c] ⃗ [Å[3] Ȧ ⃗ [x]]] + Ȧ

[Å[5] c ⃗ Å[7] Ȧ] + [[O[∩] c [∩][x] ⃗ [O[x] c ⃗ ∩[x]] Ȧ ⃗ [N]] + [∩[∩] Ȧ ⃗ [Ȧ[0]] ⃗ O[∩][x] c ⃗

⃗ O[x]] d ⃗ Ȧ[0] md] c ⃗ Ȧ-d ⃗ [Ph[∩] d Ȧ[0]] [PY d O ⃗ P/∩ c Ph ⃗ AP]] + Ȧd ⃗ [O[x] c ⃗ Ph

[∩] ⃗ [[N] Ȧ ⃗ O[x]] ⃗ [[Å[x]] c ⃗ [N] - Ȯ[x] Ȧ[x]] c ⃗ [∩[x]] ⃗ [Ȯ[N] + [Ȧ-∩]] ⃗ [O[x]]] Ȧ

O[x]] [x] - Ȧ] + [Ȧd] ⃗ Å] ⃗ [[[T[∩] Ȧ[+ Ȧd] [x-x]]] + [Ȧd] ⃗ [mp] Ȧ ⃗ [[∩] - p] - 0]] + [Ȧ[c]] ⃗ [ȦP[∩]

[Ȯ[x] - A[x]] + [[∩-ȮȦ]] ⃗ [[Ȧ-∩] Ȧ ⃗ [O[N] + x-∩]] c] + [[Ȯ[∩]] Ȧ ⃗ [∩] + [x-∩] Ȧ ⃗ Ȯ[x]] [x-∩] [d] ⃗ [∩[∩]

+ [Ȧd] [∩] c] ⃗ [PY - O[d] m ⃗ [Ph][∩] d [mp] c ⃗ Ȧ[A]] c [∩-0] + [T[p] c Ȧd + Ȧ ⃗ O[x]] d + c ⃗ [Ȧd] + ⃗

Ȧ ⃗ [O[∩][∩]] c ⃗ Ä [[Ȧ-∩] c ⃗ [N] Ȧ] ⃗ [Ȧ-c] ⃗ O ⃗ [∩][x] ⃗ x-∩]] + [O[N] Ȧ ⃗ [x-∩] c ⃗ [O[∩][Ȧ]] ⃗

[T[∩] Ȧd ⃗ [Ȧd] ⃗ [∩] Ȧ ⃗ O[x] + [A[c] ⃗ Å[Ph[∩] d O [PY[∩] Ȧ ⃗ ȦP[x] A[A] mp] + c O ⃗ ȦP[∩] Ph[∩]

[O[N]] ⃗ O[x]] [∩[∩] ⃗ [Ȧ-∩] - O] Ȧ ⃗ [x-∩] ⃗ ∩[∩]]] ⃗ Ȧ [[N-0] c ⃗ ∩[∩]] [N] Ȧ ⃗ [∩[x] Ȧ ⃗ [x-∩] c ⃗ [∩]] ⃗ Ȧ-c

d ⃗ ȦP[x][∩] [∩] - [Ȧ∩[P]] d ⃗ c ⃗ [Ȧ[x] ⃗ ȦP[∩][∩]] d ⃗ [Ph[Ȧ]][∩]] + [ȦP[x] - Ȧd] + [T[∩] Ȧ ⃗

[∩[x]] ⃗ [∩[∩] + ∩[x]] c ⃗ [N][x] Ȧ ⃗ [∩]] +] [Ȯ[∩] ⃗ ∩̇[x] ⃗ ∩[3] Ȧ]] + [[[∩[∩]] Ȧ ⃗ Å] + x-∩ Ȧ

T[p] Ȧ + d]] ⃗ [p] Ȧ c [d]] ⃗ [Ȧ P[x] [∩] d + c] ⃗ [[[∩] d Ph[0] ⃗ Ȧ-Ē]] + [Ȧd + T[p] Ȧ]] + T[∩]

⃗ Ȯ ⃗ Ā]] + [N-O[∩] ⃗ [x-∩] [[∩̇[∩] Ȧ ⃗ [x] - ∩] c ⃗ [∩[x]] Ȧ ⃗ [∩[∩] ⃗ N-0]] + [[[x-∩] + Ȯ[N] Ȧ ⃗

⃗ [Amp] ⃗ [p] + ⃗ [[∩] d ȦP[x]] ⃗ PY[∩] d [c-d] ⃗ [PY[d]] O] ⃗ [Ȧ[0] mp] ⃗ [ȦP[x][3]] ⃗ PY

O[x] ⃗ [Ȧ-Ȧ] c ⃗ [x-∩] Ȧ] + [[∩̇[x] Ȧ ⃗ [∩]] ⃗ [Ȧ-∩] Ȧ ⃗ Ȯ ⃗ [∩̇[∩] Ȧ ⃗ ∩] ⃗ [∩[x]] Ȧ ⃗ [Ȧ-∩] Ȯ[x] Ȧ

- 0 d ⃗ mp] + [Ȧ-P[d]] ⃗ [T[p] - Ȧ] ⃗ [d] ⃗ Ȧ[A] m ⃗ P[x][∩] [Ȧ ⃗ [∩]] ⃗ c ⃗ [Ȧ[PY - 0] ⃗ ∩] +

[m py - À] +⃗ ÀP[n] d Å [ry/ph - À +⃗ [mp]] + [pl + Àd] [[ɛ] À]] +⃗ m̄[d] +⃗ À [d] - c] +⃗ [Àd] +⃗ py - À m e] m+]

[Àc0] +⃗ [n] [x] +⃗ À - n]] Å [[n[2]] [À - x - n] +⃗ [[n[1] À - c[1] [Ò [n] c [Ò +⃗ n[2] [x] +⃗ Ò[2]] +⃗ [À - n] À] +

py - O [d +⃗ À [c]] +[[À - P[d]] [py - O [m̄ d [mpl]] c ÀP[2] [n]] +⃗ [À - P[n] d] + A [d]] + [[pl - [d]] +⃗ AP[2] d]]

À[2] +⃗ [n[x]]] + [[À - n + x - n]] [[n[1]] - Ò[c] +⃗ [n[2]] + O [À[c] +⃗ [n] +⃗ [N] À +⃗] [Ò[2]] [[ṅ[1] + ṅ[2]] À]

[m [d] - À] + [pl [c [d] - À] + [À [Ò] À +⃗ py [d O] c +⃗ [y[n]] +⃗ [À [Q]] +⃗ [A [mpl +[c] [m]] + À [Ò - Ò]] +⃗

[Ò[x] [n] - [A] [x] Ò[x] [[[À - n] À +⃗ [n][1]] +⃗ Ò[x]] +⃗ Ò[N]] + [[À - n] À +⃗ Ò[1]] c +⃗ [N] À +⃗ Ò +⃗ [n][1]

[Àd] +⃗ [ph[n] d +⃗ [O[x]] + py[n] d pl +⃗ O[x] +⃗ ph[n] [2]] + [[À mp + Àd] +⃗ [[py d +⃗ [mp] - À] c [d] +⃗ [d] À]]

[À - c] +⃗ Ò +⃗ [n][1] +⃗ [[n][2] + [[ṅ][2] À +⃗ [N - Ò[x] + À[x] + c[x]]] + [x - n] À + c +⃗ [Ò] +⃗ Ò[2] +⃗ [n]]

c Å [A [A] m]] +⃗ [+⃗ [À - p [d]] [[n]] +⃗ A] [x]] +⃗ [[d] +⃗ [m]] +⃗ [ÀP[x] + py[n] d +⃗ P[1] c +⃗ ÀP[x] - n] À] +

+⃗ Ò[3] À]] c [Å] + [À - [n[3] [A +⃗ [n]] +⃗ [Ò [n]] +⃗ [N] À[x]] +⃗ Å]]] + [Ò[N] À +⃗ [[n[1] c +⃗ n[x]] + [À - À [n[1]] À - c

[py d O] c À [Q] +⃗ A mpl + [[d] +⃗ Àd] +⃗ [[py[n] À +⃗ Ò +⃗ [py - O]] + [A +⃗ ph[n] Ā m̄]] À +⃗ py[n] [2]]] c

[n[x]] +⃗ [N +⃗ Ò[1] + Ò[2] + Ò[3]] + [[x - n] À +⃗ n[x] +⃗ Ò[1] c +⃗ Ò[3]] + [[n] [À - n]] À +⃗ [Ò[x] c +⃗ Ò[2] À]

[d] m̄ +⃗ m̄ + c +⃗ [m̄] Å [2]] + [Àd +⃗ [Ò[2]] c +⃗ [[pl c [d]] À] + [À mp + Àd] + [pl - À] d +⃗ Ò] +

+ [[n][2] +⃗ [n][2]] À - c +⃗ [n[1]] c] +⃗ [Å [2]] + [Ò[x] c [[[À - n] + [x - n]] +⃗ [n] À +⃗ [n][1] [N] À +⃗ [n][1] - Ò[N]

[[N] À +⃗ Ò [d] +⃗ m+ À [m̄e]] c À [Q] [[py mph Q]] + [pl - d A [ph[n]]] + [pl - À[2]] + [À - P [d] +⃗ [n] - Ò [d]

+⃗ [N]] + [À - [n - Ò À +⃗ [N] [x] - O A]] [À - n] À +⃗ Ò] + [[N - À] [À] +⃗ [c] +⃗ Ò[1] +⃗ Ò[2]] +⃗ [[n[1] +⃗ [Ò[1]/[2]

[ph[n] d O [py - À]] + [À +⃗ AP[x] d] + [[m̄ d] +⃗ [O[x]] mp] +⃗ À +⃗ [Ò[1] + Ò[2]]] +⃗ [[d] Ā [mpl]]

A +⃗ [n[2]] [N] ... [Ò[n]] À +⃗ [x - n] +⃗ [Ò[1] +⃗ [n][x] + Ò[2]]] + [[Ò[2] - À] +

[m Py-Ȧ] +⃗ ȦP[n] d Å [ey/Ph-Ȧ +⃗ mp] +[pl + Ȧd] [[3] Ȧ] +⃗ m̄[d] +⃗ Ȧ[d]-c] +⃗ [Ȧ d] +⃗ Py-Ȧm] mt]
[m̄[o] +⃗ [n][x] +⃗ Ȧ-n]] Ȧ [[n[2]] [Ȧ-x-n] + [[n[2] Ȧ - c Ȯ[1] [Ȯ[n] c [Ȯ +⃗ n[2][x] +⃗ Ȯ[2]] +⃗ [Ȧ-n] Ȧ] +

Py-O[d +⃗ Ȧ[c]] +[Ȧ-P[d]] [Py-O[m̄ d [mpl]] c ȦP[2][n]] +⃗ [Ȧ-P[n] d] + Ȧ[d]] + [pl-[d]] +⃗ ȦP[2] d]]]
Ȧ +⃗ [n[x]]] +[[Ȧ-n + x-n]] [[n[1]] - Ȯ[c] +⃗ [n[2]] + O[Ȧ[c] +⃗ [n] +⃗ [N] Ȧ +⃗] [Ȯ[2]] [[n[1] + n[2]] Ȧ]

[m[d]-Ȧ] + [pl[c[d]-Ȧ] +[Ȧ[Ȯ] Ȧ +⃗ Pẏ[d o] c +⃗ [y[n]] +⃗ [Ȧ[Q]] +⃗ [A[mpl +[c] [m]] + Ȧ[Ȯ-Ȯ]] +⃗
[[Ȯ[x]] [n]-[Ȧ[x]] c Ȯ[x][x] [[[Ȧ-n] Ȧ +⃗ [n][1]] +⃗ Ȯ[x]] +⃗ Ȯ[N]] + [[Ȧ-n] Ȧ +⃗ Ȯ[1]] c +⃗ [N] Ȧ +⃗ Ȯ +⃗ [n][1]

Ȧd] +⃗ [Ph[n] d +⃗ [O[x]] + ey[n] d pl +⃗ O[x] +⃗ Ph[n][2]] +[[Ȧmp + Ȧd]] +⃗ [[Pẏ d +⃗ [mp]-Ȧ] c [d] +⃗ [d] Ȧ]]
[Ȧ-c] +⃗ Ȯ +⃗ [n][1] +⃗ [[n][2] + [[n][2] Ȧ +⃗ [N - Ȯ[x] + Ȧ[x] + c[x]]] + [x-n] Ȧ + c +⃗ [Ȯ] +⃗ Ȯ[2] +⃗ [n]]

c Å[A[A] m]] +⃗ [2]] +⃗ [Ȧ-P[d]] [[n]] +⃗ A] [x] +⃗ [d] +⃗ [m]] +⃗ [ȦP[x] + ey[n] o] +⃗ P[1] c +⃗ ȦP[x]-n] Ȧ] +]
+⃗ Ȯ[3] Ȧ]] c [Å] + [Ȧ- [n[1] [A +⃗ [n]] +⃗ [Ȯ[n] +⃗ [N] Ȧ[x]] +⃗ Å]]] + [Ȯ[N] Ȧ +⃗ [[n[2] c +⃗ n[x]] + [Å - Ȧ[n[1]] Ȧ-c

[Pẏ d o] c Ȧ[Q] +⃗ Ampl +⃗ [d] +⃗ Ȧd] +⃗ [[Py[n] Ȧ +⃗ O +⃗ [Pȳ-o]] + [A +⃗ Ph[n] Ā m̄]] Ȧ +⃗ Py[n][2]]] c]
[n[x]] +⃗ [N +⃗ Ȯ[1] + Ȯ[2] + Ȯ[3]] + [[x-n] Ȧ +⃗ n[x] +⃗ Ȯ[2] c +⃗ Ȯ[3]] + [[n] [Ȧ-n]] Ȧ +⃗ [Ȯ[x] c +⃗ Ȯ[2] Ȧ] []

d] m̄ +⃗ m̄ + c +⃗ [m] Å[2]] + [Ȧd +⃗ [Ȯ[2]] c +⃗ [[pl c [d]] Ȧ] + [Ȧmp + Ȧd]] + [pl-Ȧ] d +⃗ Ȯ] + |
+ [n[2]] +⃗ [n][2]] Ȧ-c +⃗ [n[1]] c] +⃗ [Å[2]] + [Ȯ[x] c [[[Ȧ-n] + [x-n]] [n] Ȧ +⃗ [n][1] [N] Ȧ +⃗ [n][1] - Ȯ[N] Ȧ]]

[N] Ȧ +⃗ Ȯ[d] +⃗ m + Ȧ[m̄e]] c Ȧ[Q]] [ey mph Q]] + [pl-d A[Ph[n]]] + [pl-Ȧ[2]] +[Ȧ-P[d]] +⃗ [n]-Ȯ[c +⃗] d
+⃗ [N]] + [Ȧ- [n - Ȯ Ȧ +⃗ [N][x] - O[Ȧ]] [Ȧ-n] Ȧ +⃗ Ȯ] + [[N-Ȧ] [Ȧ] +⃗ [c] +⃗ Ȯ[1] +⃗ Ȯ[2]] +⃗ [[n[1] +⃗ [Ȯ[1]/[2]] +⃗

[Ph[n] d O[BP-Ȧ]] + [Ȧ +⃗ ȦP[x] d] +[[m̄d] +⃗ [Ȯ[x]] mp] +⃗ Ȧ +⃗ [Ȯ[1] + Ȯ[2]]] +⃗ [[d] Ā[mpl]] +
Ȧ +⃗ [n[1]-[N]-Ȯ[x]]] + [Ȧ +⃗ Ȯ[x] [[n][x]] Ȧ +] + [Ȯ[N] Ȧ +⃗ [x-n] +⃗ [Ȯ[2] +⃗ [n][x]] + Ȯ[2]]] + [[Ȯ[1]-Ȧ] +⃗ [

[pl-Ȧ c +⃗ [c]] + [Ȧd +⃗ Ȧmp]] +⃗ [Ph[n] d O[Ȧ E]] + [m̄d Ȧ +⃗ Ȯ[2]] + [mp Ȧ +⃗ Ampl]] +⃗ [Pȳ-o] +
[Ȧ- [[N Ȧ + [Ȧ-n]] +⃗ Ȧ-c +⃗ [n[x]] +⃗ N[Ȯ[1][n]]] + [[Ȯ[2]]-Ȧ] +⃗ [Ȧ [Ȧ +⃗ [x-n] Ȧ +⃗ [c] + Ȧn]-o

Ȧ[c] +⃗ Ȧd +⃗ Amp] +⃗ [Ph[n] d O[Pẏ d +⃗ Ph[o][2] +⃗ O[A] pl]] + [Ȧd +⃗ [Ȯ[2]] c +⃗] +[ȦP[n]] +
c +⃗ Ȧ +⃗ [O +⃗ Ȧ +⃗ N[O]]] + [[[N] + Ȧ[n] - Ȯ[c +⃗ [N-Ȯ]] -[Ȧ]] + [[Ȯ[N]] Ȧ +⃗ [Ȧ-o] c +⃗ Ȯ[n]

[d Ȧ] + [Amp] +⃗ [Pẏ d o m Ph[n]] + [Ȧpl [d + c]] +⃗ [ȦP[x]-ḋ] +⃗ [n] Ȧd - o] + [Ȧ[c]] +⃗ Ph[n]
[Ȯ[N]] Ȧ-c] + [x]-n] Ȧ +⃗ n[1] [Ȧ] Ȯ] [[n[x]] Ȧ[x] [N Ȧ +⃗ Ȯ[x] c +⃗ N[Ȧ-n] +⃗ n[x]] c [Å[o]] Ȧ +⃗ [x-o]

Ȧ +⃗ c +⃗ [Å[mpl - Ȯ d +⃗ Ph[n] O[2] - Ȧ c +⃗ [ȦP[n]]] + [Ȧd +⃗ Å] - Ȧ] +⃗ Ȧ-P d] +⃗ Py Ȧ[A]] + c [Å] +⃗ [

mp+Ad] +[[eYd →Lmp]-A] c(d]→ cdr]A]] [n][2]
(À-c] →O → [n][1] → [[n][2] + [[ṅ][2] À → [N - Ȯ[x] + À[x] + c[x]]] + [x-n] À + c → [Ȯ] → Ȯ[2] → [n]]
c À[A[A] m]]| →[2] | →[À - P[d] | [[n]] → A][x] → [[d] → [m]] → [ÀP[x] + PY[n]d] → P[1] c → ÀP[x] - n] À] +
→ Ȯ[3] À]] c [Å] + [À - [n[1] [A → [n]] → [Ȯ[n] → [N] À[x]] → Å]]] + [Ȯ[N] À → [[n[2] c → n[x]] + [Å - Ā[n[2]] À - c
[eYd] c À[Q] → Ampl → [[d] → À d] →] [PY[n] À → Ȯ → [PȲ - 0]] + [A → Ph[n] Ā m̄]] À → PY[n][2]]] c]
[n[x]] → [N → Ȯ[1] + Ȯ[2] + Ȯ[3]] + [(x-n] À → n[x] → Ȯ[1] c → Ȯ[3]] + [[n] [À-n]] À → [Ȯ[x] c → Ȯ[2] À]]
d] m̄ → m̄ + c → [ṁ] Å[2]] + [Àd → [Ȯ[2]] c → [[pl c d]] À] + [Àmp + Àd] + [pl - À] d → Ȯ] +
+ [n][2]] → [n][2]] À - c → [n[1]] c] → [Å[2]] + [Ȯ[x]c [[À-n] + [x-n]] → [n] À → [n][1] [N] À → [[n][1] - Ȯ[x-À]]
[N] À → Ȯ[d] → m + À[m̄e] c À[Q] [[eY meh Q] + [pl - d A[Ph[n]]] + [pl - À[2]] + [À - P[d]] → [n] - Ȯ[c] →] pl
→ [N]] + [À - [n - Ȯ À → [Ṅ][x] - O[À]] [À-n] À → Ȯ] + [(N - Ā] [À] → [c] → Ȯ[1] → Ȯ[2]] → [[n[1] → [Ȯ[1]/[2]] → [n]
[Ph[n]d O[OP - À]] + [À → ÀP[x]d] + [[m̄d] → [Ȯ[x]] mP] → À → [Ȯ[1] + Ȯ[2]]] → ([d] Ā[m̄pl]] +
À → n[1] - [N] - Ȯ[x]]] + [À → Ȯ[n] [n][x] À →] + [Ȯ[N] À → [x-n] → [Ȯ[1] → [n][x] + Ȯ[2]]] + [[Ȯ[1] - À] → (
[pl - À c → [c]] + [Ad → Ȧmp]] → [Ph[n]d O[ÀE]] + [m̄d À → Ȯ[2]] + [mP À → Ampl] → [PȲ - 0] +
[À - [(N À + [À-n]] → À - c → [n[x]] → N [Ȯ][1][n]]] + [[Ȯ[2] - À] → [À [À → [x-n] À → [c] + Àn] - 0
À[c] → [Àd → Àmp] → [Ph[n]d O[PȲd → Ph[O][2] → O[A]pl]] + [Àd → [Ȯ[2]] c →] + [ÀP[n]] +]
c → À → [Ȯ → À → N[Ȯ]]] + [[[N] + À[n] - Ȯ[c] → [N - Ȯ]] - (À]] + [[Ȯ[N]] À → [À-n] c → Ȯ[n-1]]
[pl c d À] + [Àmp] → [PȲdom Ph[n]] + [Àpl [d] + c]] → [ÀP[x] - À] → [[n] Àd - 0] + [À[c]] → Ph[n]O]
[Ȯ[N] À - c] + [x]-n] À → n[2] [À-n] Ȯ] [[n[x]] À[x] [N À → Ȯ[x] c → N[À-n] → n[x]] c (Å[6]] À → [x-n] →
À → c → [Å[3] [mpl - Ȯd → Ph[n]Ȯ[2] - À c → [ÀP[n]]] + [Àd → Å] - À] → À - P[d] → [PY À[A]] + c [Å] → [Y
n[x]] c → Å[3] [[Ȯ[N]] c → [n]] c → [n[1] → n[x]] → À]] + [À → Å[3]] → [n[1] [À-n] → À → Ȯ[x]] c [Å]5] Ȯ[x]
[m À c PY À → nd → Am → n[x] → ÀP[x] d → n[O][x]]] c Å[+]] + [Àd - pl c [À - d] → [ÀP[d]]
À → (x-n] → [n][x] → [À[x-n]] → c → [n][1] → (N][x] - Ȯ]] c Å[+]] + [[n[1] À → [n[1] → [À - n] + Ȯ[N]]
→ PYd → mP → m̄ m̄ À] c (À Q] → [pl (m + [c] + [1] À] + ([c] À] → d] → [ÀP[x]] → [Ph[n]d O[À - E]

[[p] - Ȧd ⃗+ pycn]d ⃗+ Ȧ ⃗+ mpp] ⃗+ [ȦP] c ⃗+ [phcn]] + [Ȧc] ⃗+ [Ȧcȯ] c [ncı]]] + [c ⃗+ cd]c2] Ȧ] ⃗+ Ȧc]+ [Ȧ

[[N-Ȧ] [[[[N]cx] Ȧ - ȯ c Ȧ - n]] ⃗+ ncı] Ȧ ⃗+ cȯ c N]]] + [Ȧcȯ]n] c [Ncı]] [Ȧcx] c ⃗+ [ncı] ⃗+ [Nc1]] + [Nc2]] + [

[⃗+ Ȧ - Ȧcȯ] c [n]c2]] ⃗+ [[p] - Ȧ d ⃗+ [Ȯc2]]] + [[phcn] d Ȧcȯ] Ȧc c Ȧ Q] ⃗+ phcn] d O]] cn] + [Ȧc1 d]] c

Ȧcȯ]2 c ⃗+ [Nc2]] Ȧ] + [ncı] Ȧ [[[Ȧ - n] - o - Ȧc ⃗+ N - [ȯ cn]]] c ⃗+ [N]c3]] Ȧ] · Oc1]] + [Ȧ - c]

⃗+ [[Ȧcȯ]n - Ȧ ⃗+ phcn]] c O ⃗+ Ȧd] ⃗+ [cd] ⃗+ Ȧcȯ]] cm̄] Ȧ ⃗+ pycn] d]] ⃗+ [[mȦ + Tcn] Ȧ]] ⃗+ cd]] ⃗+ [p

[[Ȧ - n] Ȧ ⃗+ Ȯc1] - Ȧcȯc2]] [[[N̈]c4] Ȧ ⃗+ [ṅ]cx]] + c ⃗+ [Nc5]] Ȧ ⃗+ [n - o] c ⃗+ [Ȧcx]] ⃗+ [Ȧ[n]] - [N]]

[Ȧmp+ Ȧd] + [Ȧc] ⃗+ [[Ṅ] d ȦP]cn] d] c ⃗+ O] + [Ȧc1] d] ⃗+ [Ȧ - c] ⃗+ ÅP cN] d cn] ⃗+ Ȧ + c ⃗+ n]

L[Oc ⃗+ Åcn]] [[x - n] + Ȧcn] Ȧ ⃗+ [Åcn]] ⃗+ [[N Ȧ ⃗+ [x - n] + ṅ] Ȧ ⃗+ [n]] ⃗+ [Ȧc2]] ⃗+ Ȧ ⃗+ Åc3] c ⃗+ Åcn] ⃗+ n

[ȦPcx]] ⃗+ [[n] Ȧ] + [Ȧcȯ] md] c [Ȧ cȦcȯ] Q] ⃗+ [[ċd] pycn] ⃗+ ȦPcx]] + [[Ȧcc]] · p] ⃗+ [d]] ⃗+ [Oc2]] c ⃗+

⃗+ [ncx]] + [[[N] ⃗+ [Ȧcn]] ⃗+ n[Ȧ - ȯ]] [[[[N] Ȧ ⃗+ Ȧcȯ] c ⃗+ ncx]] Ȧ ⃗+ [N - ȯ]] + [OcN] c ⃗+ [Ȧc4] Ȧc2]] ⃗+ [n]

[Ȧcmp] d] ⃗+ Ȯcx] + [[c] - Ȧ] ⃗+ Ȧ - ȦPcx]]] + [Ȧ̈ · pcd]]c2]] + Ȧ[phcn]d ⃗+ O,p]] + pycn]d] c ⃗+ cd] + cm]] ⃗+ n

[[ncı] Ȧ ⃗+ O] ⃗+ [Ȧ ⃗+ cn]cx]] ⃗+ c ⃗+ cx - n] ⃗+ Ȧ - n]] ⃗+ [[Ȯ - n] Ȧ ⃗+ Ȯcn]] [[ncı]] ⃗+ Ȧ [Nc ⃗+ [Ȧ - n] - Ȧ ⃗+ [[Ȧ - n]] - [N]] [Ȧ - c]

⃗+ [Ȧ - pcn] d] + [pyȦd] ⃗+ p] c Ȧ[Q] d ⃗+ Ȧd ⃗+ [Ȯc2]] c ⃗+ [mp - Ȧ ⃗+ cd ⃗+ ȦPcx]] ⃗+ [mp]] c [Ȧ Qc2]cd]] ⃗+

⃗+ [x - n] Ȧ ⃗+ ncx]] + [[Ȧ - n] Ȧ ⃗+ [[x - n] c ⃗+ ncı]] c ⃗+ [Ȧ - n] - ȯ + [n[x] c ⃗+ Oc1] + Oc2] + ... Ȯcx]] Ȧ + c ⃗+ O

[pycn] d ⃗+ [Ȧ[Ȧ] - d ⃗+ [[Å] ⃗+ [d̄] ⃗+ pycn]]] cm̄ + c] ⃗+ [n]cx]] c[[d] + [m]] ⃗+ [Ȧd] ⃗+ [Ȧcȯ] ⃗+ phcn] - m

c ⃗+ Å[[Ṅcı]] c ⃗+ [ṅcx]] Ȧ - cn]] ⃗+ ncı]] ⃗+ [Ȧcx][ı]]] ⃗+ Ȯ[N] Ȧ + Ȯcı] ⃗+ [ncx] [Ȯcx]] Ȧ [c ⃗+

⃗+ [O ⃗+ [n]] - Ȧ]] c [d] ⃗+ [[Ȧ[N] d - p] ⃗+ phcn]] - Åc2]] c [[n] - Ȧ ⃗+ ȦPcx]] [ı] + [Ȧd] ⃗+ [Ȧ P ⃗+ [n]

Ȧ ⃗+ [Ȧ]cn] ⃗+ Ocx] ⃗+ [[N] - ȯ] ⃗+ Ȧcȯ] - Ȧ ⃗+ [n] + [N Ȧ ⃗+ O]] c ⃗+ [Ȧ - n] ⃗+ Ocn] + [Oc

[Cp]-Ȧd →+ pyc[n]d →+ Ȧ→+ mpd] →+ [ȦP] c →+ [Phc[n]] + [Ȧc] →+ [Ȧc0] c [n[1]]] + [c →+ cd][2] Ȧ] →+ Ȧ[c]

[N-Ȧ] [[[N][n] Ȧ-0 [Ȧ-n]] →+ n[n]] Ȧ→+ c0[N]]] + [Ȧc0[n] c [N[n]] Ȧ[x] c →+ [n[n]] →+ [N[n]] + [N[2]]]

→+ Ȧ-Ȧ[0] c [n][x]] →+ [p]-Ȧ d →+ [Ȯ[2]]] + [[Phc[n] d Ȧ[0] Ȧc c ȦQ] →+ Phc[n] d[2] 0]][n] + [Ȧ[c]d]

Ȧ[0]2 c →+ (N[2]] Ȧ]] + [n[n] Ȧ [[Ȧ-n] - 0 - Ȧc →+ N-[0[n]]] c →+ [N][3]] Ȧ] · Ȯ[1]] + [Ȧ-c]

→+ [Ȧc0]n -Ȧ →+ Phc[n]] c 0 →+ Ȧd] →+ [ċd] →+ Ȧ[0]][m] Ȧ →+ py[n]d] →+ [[c m Ȧ + T[n] Ȧ]] + [d]]

. [(Ȧ-n] Ȧ →+ Ȯ[n] Ȧ c Ȯ[2]]] [[Ṅ][4] Ȧ →+ [ṅ][x]] + c →+ [N[5]] Ȧ →+ [n-0] c →+ [Ȧ[x]] →+ [Ȧ[n]] - [N]]

[Ȧmp+ Ȧd] + [Ȧc] →+ [[N] d ȦP][n] d] c →+ 0] + [Ȧ[c]] d] →+ [Ȧ-c] →+ ÅP[N] d [n]] →+ Ȧ + c →+

[0 c →+ Å[n]] [[x-n] + Ȧ[n]] Ȧ →+ [Å[n]] →+ [[N Ȧ →+ [x-n] + n] Ȧ →+ [n]] + [Ȧ[2]] →+ Ȧ →+ Å[3] c →+ Å[n]

(ȦP[x]] + [n] Ȧ) + [Ȧ[0] m d] c [Ȧ [Ȧc0] Q] →+ [[ċd] py[n] →+ ȦP[x]] + [[Ȧ[c]] · p] →+ [d]] →+ [Ȯ[2]]]

→+ (n[x]]] + [[N] →+ Ȧ[n]] →+ nȦ-0]] [[[N] Ȧ →+ Ȧ[0] c →+ n[x]] Ȧ →+ [N-Ȯ]] + [Ȯ[N]] c →+ (Ȧ[n] Ȧ[2]] →+ (n]

[Ȧ[mp] d] →+ Ȯ[x] + [[c]-Ȧ] →+ Ȧ - ȦP[x]]] + [Ȧ - P[d]][2]] + Ȧ[Phc[n] d →+ 0 p] + py[n] d c →+ [d] + [m]] →+ n

[(n[1]] Ȧ →+ 0] →+ [Ȧ →+ [n][x]] →+ c →+ [x-n] →+ Ȧ-n]] →+ [[Ȯ-n] Ȧ →+ Ȯ[n]] [[n[1]] →+ Ȧ [N c →+ [Ȧ-n] - Ȧ →+ [[Ȧ-n]] - [N]] Ȧ-c]

→+ [Ȧ-P[n] d] + [py Ȧd →+ P] c Ȧ[Q] d →+ Ȧd →+ [Ȯ[2]] c →+ [mp - Ȧ →+ [d →+ ȦP[x] →+ [mp]] c [Ȧ Q[2]] d]] →+

→+ [x-n] Ȧ →+ n[x]] + [[Ȧ-n] Ȧ →+ ([x-n] c →+ n[1]] c →+ [Ȧ-n] - Ȯ + [n[x]] c →+ Ȯ[1]] + Ȯ[2]] + … Ȯ[x]] Ȧ + c →+ Ȯ[1]

[[py[n] d →+ [Ȧ[Ȧ] - d →+ [Å] →+ [d] →+ py[n]]] [m + c] →+ [n][x]] c[[d] + [m]] →+ [Ȧd] →+ [Ȧ[0]] →+ Phc[n] - m]

c →+ Å[[Ṅ[1]] c →+ [ṅ[x]] Ȧ - c[n]] →+ n[1]] →+ [Ȧ[x]][1]]] →+ Ȯ[N] Ȧ + Ȯ[1]] →+ [n[x]] [Ȯ[x]] Ȧ [c →+ Ȯ

→+ [Ȯ →+ [n]] - Ȧ]] c [d] →+ [[Ȧ[N] d - p] →+ Phc[n]] - Å[2]] c [[n] - Ȧ →+ ȦP[x]] [1]] + [Ȧd] →+ [Ȧ P →+ [n] d

[Ȧ →+ [n][n]] →+ Ȯ[x] →+ [N] - Ȯ] →+ Ȧ[0] - Ȧ →+ [n] + [N Ȧ →+ Ȯ]] c →+ [Ȧ-n] →+ Ȯ[n]] + [Ȯ[x]] [ṅ[2+3]] →+ (N]

Ȯ[x]] c →+ [mp] →+ ȦP[x]] →+ py[n]][x] + [Ȧd →+ Ȯ[2]]] c →+ [Phc[n] d ȦP[3]][x]] + [[Ȧd] →+ pyd 0 c

Ȧ →+ [[c + Ȧ][x]] c →+ [n] - Ȧ[x]] + [Ȧ →+ (Ȧ-n] Ȯ[x]] c →+ n][4]] Ȧ →+ c →+ N - Ȯ[x]] + [x-n Ȧ →+ Ȯ c →+ n

[d] →+ [Ȧ[Phc[n]] Ȧ →+ [N] + [Ȧmp] →+ [n] Ȧ]] c [ȦP[x]][1]] + [[Ȧd] →+ [Ȧd + [py[n]] Ȧ] →+ [mp]] c →+

Ȧ] + [N - Ȧ →+ n[x]] + [N] Ȧ →+ n[x]] [2]] + [[N] Ȧ →+ n[x]] c →+ N[x]] + [[x-n] Ȧ →+ [n][1]] →+ n

[Ȧ[2]] →+ [Phc[n]] p] [d] →+ N[x]] ȦP [c] →+ [n] - Ȧ] c [ȦP[x]][5]] + [[Ȧd] →+ [N]] →+ Ȧd →+ Ȯ[2]] c

[n[2]] Ȧ →+ [[n] c →+ [N[1]] →+ N[x]] →+ N[1]]] + [x-n] Ȧ - Ȯ[x]] c →+ [n]]] →+ [n[x]] + Ȧ

→+ [Ȧd] →+ Phc[n] d [ȦP] Ȧ c →+ d →+ [N] →+ ȦP[n]] + Ȧd →+ Ȯ[2]] c →+ Ȧd] →+ [[m Ȧ →+ Phcd p]] +

Ȯ[x]] - [Ȧ-n][x]] c →+ Ȧ →+ n[2]] c →+ (N[2]] Ȧ] + [Ȧ[x]] c →+ [N] →+ Ȯ ıȦmp+ Ȧd] +[Ȧc] ⃗+[ıN]d ȦP][n] d] c+ O] + [A[c]]

L(O c⃗+ Å[n]][[x-n] + Ȧ[n] Ȧ⃗+]]Å[n]] ⃗+[[N Ȧ ⃗+ [x-n] + ň]] Ȧ ⃗+]n]] + [Ȧ[2]] ⃗+ Ȧ⃗+ Ȧ[3] c⃗+ Å[n] ⃗+ n

(ȦP[x]] ⃗+ [n] Ȧ] + [Ȧ[ȯ] md] c [Ȧ [Ȧ[ȯ] Q] ⃗+[[d] ey[n] ⃗+ ȦP[x]] +[[Ȧ[c]] - p] ⃗+ [d] ⃗+ [O[x]] c⃗+

⃗+(n[x]] + [[N] ⃗+ Ȧ[n]] ⃗+ ṅ[Ȧ - ȯ]] [[[N] Ȧ ⃗+ Ȧ ȯ] c ⃗+ n[x]] Ȧ ⃗+ (N - ȯ]] + [O[N] c ⃗+ (Ȧ ⃗+ Ȧ[2]] ⃗+ (n]

[Ȧ[mp] d] ⃗+ O[x] + [[c] - Ȧ] ⃗+ Ȧ - ȦP[x]]] + [Ȧ - P[d]] [2]] + Ȧ[Ph[n]] d ⃗+ O, p] + ey[n]] d c ⃗+ [d] + [m]] ⃗+ n

[(n[n]] Ȧ ⃗+ ȯ] ⃗+ [Ȧ ⃗+ [n][x]] ⃗+ c ⃗+ [x-n] ⃗+ Ȧ-n]] ⃗+ [[ȯ - n] Ȧ ⃗+ Ȯ[n]] [[n[n]] ⃗+ Ȧ [N c ⃗+ [Ȧ - n] - Ȧ ⃗+ [[Ȧ - n]] - [N]] Ȧ - c]

⃗+ [Ȧ - P[n]d] + [PyȦd ⃗+ P] c Ȧ[Q] d ⃗+ Ȧd ⃗+ (Ȯ[x]] c ⃗+ [mp - Ȧ ⃗+ (d ⃗+ ȦP[x] ⃗+ [mp]] c (Ȧ Q[2]] [d]] ⃗+

⃗+ [x-n] Ȧ ⃗+ n[x]] + [[Ȧ - n] Ȧ ⃗+ ([x-n] c ⃗+ n[n]] c ⃗+ [Ȧ - n] - Ȯ + [n[x]] c ⃗+ O[n]] + Ȯ[2]] ... O[x]] Ȧ + c ⃗+ O

[[py[n] d ⃗+ [Ȧ[A] - d ⃗+ [Å] ⃗+ [d] ⃗+ py[n]]] [m̄ + c] ⃗+ [n][x]] c[[d] + [m]] ⃗+ [Ȧd] ⃗+ [Ȧ[ȯ] ⃗+ ph[n] - m]

c ⃗+ Å[[N[1]] c ⃗+ [ṅ[x]] Ȧ - [n]] ⃗+ n[1]] ⃗+ [A[x]][1]]] ⃗+ Ȯ[N] Ȧ + Ȯ[n]] ⃗+ [n[x] [Ȯ[x]] Ȧ] c ⃗+ O

⃗+ [O ⃗+ [n]] - Ȧ]] c [d] ⃗+ [[Ȧ[N] d - p] ⃗+ ph[n]] - Ȧ[2]] c [[n] - Ȧ ⃗+ ȦP[x]] [1] + [Ȧd] ⃗+ [ȦP ⃗+ [n] d

[Ȧ ⃗+ [n][n] ⃗+ O[x] ⃗+ [N] - ȯ] ⃗+ Ȧ[ȯ] - Ȧ] ⃗+ [n] + [N Ȧ ⃗+ Ȯ]] c ⃗+ [Ȧ - n] ⃗+ Ȯ[n] + [O[x]] [ṅ[2+3]] ⃗+ [N][x]

Ȯ[x] c ⃗+ [mp] ⃗+ ȦP[x]] ⃗+ Py[n]][x] + (Ȧd ⃗+ Ȯ[2]]] c ⃗+ [ph[n]] d ȦP[3]][x] + [[Ȧd] ⃗+ Py d O c ⃗+

Ȧ ⃗+ [[c + Ȧ][x]] c ⃗+ [n] - Ȧ[x]] + [Ȧ ⃗+ (Ȧ - n] Ȯ[x] c ⃗+ [n][4] Ȧ ⃗+ c ⃗+ N - O[x]] + [x-n Ȧ ⃗+ Ȯ c ⃗+ n

(d] ⃗+ [Ȧ[ph[n]] Ȧ ⃗+ [N] + [Amp]] ⃗+ [n] Ȧ]] c[ȦP[x]][1] + [[Ȧd] ⃗+ [Ȧd + [Py[n] Ȧ] ⃗+ [mp]] c ⃗+

Ȧ] + [N - Ȧ ⃗+ n[x]] + [N] Ȧ ⃗+ n[x][2]] + [[N] Ȧ ⃗+ n[x]] c ⃗+ N[x]] + [[x-n] Ȧ ⃗+ [n][1] ⃗+ n[x]

(Ȧ[2]] ⃗+ [Ph[n]] p] [d] ⃗+ N[x] ȦP[c] ⃗+ [n] - Ȧ] c[ȦP[x]][5] + [[Ȧd] ⃗+ [N]] ⃗+ Ȧd ⃗+ Ȯ[2]] c ⃗+

[n[x]] Ȧ ⃗+ [[n] c ⃗+ [N[2] ⃗+ N[x] ⃗+ N[1]]] + [x-n] Ȧ - Ȯ[x] c ⃗+ [n]] ⃗+ [n[x]] + Ȧ ⃗+]

⃗+ [Ȧd] ⃗+ [ph[n]] d (ȦP] Ȧ c ⃗+ ȯ ⃗+ [N] ⃗+ ȦP[n]] + Ȧd ⃗+ Ȯ[2]] c ⃗+ [Ȧd] ⃗+ [[m̄ Ȧ ⃗+ P̄h[d] - p]] + TȦ

O[x] - (Ȧ - n][x] c ⃗+ Ȧ ⃗+ n[x]] c ⃗+ (N[x] ⃗+ Ȧ] + [[Ȧ[1]] c ⃗+ [[N] ⃗+ Ȯ[n][1] ⃗+ [2]] + [n[x]] ⃗+ N[x]]

[mp] p] ⃗+ ȦP ⃗+ [n] d c ⃗+ ȦP][x]][n]] + [Ȧd ⃗+ Ȯ[2]] ⃗+ Ȧd] ⃗+ [Py - d O] ⃗+ [Py d p] ⃗+ n

Ȧ[x][n] ⃗+ [[x][N]] - [n] ⃗+ Ȧ[x]] + c ⃗+ [n[ȯ]] c ⃗+ [[N][ȯ]] + Ȯ[N] Ȧ ⃗+ [Ȧ[Ȧ][2] [c ⃗+ Ȧ - n] O[x] Ȧ] +

[x] d ⃗+ mp c O[ȦQ] ⃗+ [ȦP[x]] ⃗+ mp[x]] 4 p] - Ȧ] ⃗+ [Ȧd] - c] ⃗+ Ȧd ⃗+ [Ph[n]] Ȧ ⃗+ N][x] - n]

À[x] d] +[m̄ d ⃗ [n] ⃗ [Py - A d]] ⃗ Å[3][ÀP[n] +[p] [d]À] ⃗ [Àd] ⃗ [ÀP[-x]À] d] ⃗ [p] [A+ Àd] ⃗

[A[x] c ⃗ O[x]À][[∩[1] À ⃗ [[À-∩]. ⃗ ∩[x]] c ⃗ Å[3][∩[2] ⃗ ∩[x]] ⃗ Ȯ[x]] + Å[3] c ⃗ ∩[x][3]

[P[x] d O] + [À - P[x] d] ⃗ [m̄ d ⃗ ∩] c ⃗ Ṅ[T d[n] ⃗ O[x] + c ⃗ [Ȯ[x] ⃗ ∩[x]]] + À - P[x] d] m̄ [d] ⃗

⃗ [N] O[x]] + [d Ȯ[x]]c [[x - ∩ À ⃗ N [O][x] À ⃗ ∩[x] ⃗ [∩[x][2]]] À ⃗ [∩[1]]] + [À [∩[x] À ⃗ Ȯ[x]

[⃗ [Py - O[x] c ⃗ [À ⃗ mp] + p]] ⃗ [d] ⃗ [ÀP[n][2]] ⃗ [n] À ⃗ Å[4][d] ⃗ p] ⃗ [n][x]] + À - c] ⃗]

⃗ [∩[x]] - [À - ∩] ⃗ [x-∩] À[x]] [x - ∩]À] ⃗ [∩[3] À ⃗ [∩[x] ⃗ [N] ⃗ À-∩][Å[4]] ⃗ À ⃗ Ȯ[x]] +] [À - c

⃗ Ad ⃗ [[n] - À] ⃗ O[d]] c ⃗ [Y[n] À ⃗ À [O][n]] ⃗ [c] Àd] ⃗ [[N] ⃗ c Ph[n] d ⃗ O + [n] À ⃗ Py d ⃗ m ⃗ AP

+[À. [[N] À ⃗ Ȯ] c ⃗ [À[-Ȯ]][2]] [c ⃗ ∩]] + [À[x]] c ⃗ [Ȯ[n] À [[N] À ⃗ [∩][x] À - c ⃗ Ȯ[x] ⃗

[n][x] d ⃗ [p] ⃗ [m̄p] ⃗ [[∩]] ⃗ [AP[n][x]]] + [À[c] d] ⃗ [Àd] ⃗ [À mp] ⃗ [N] [d] ⃗ À - P[n]][x]

. À ⃗ [x-∩] :]c ⃗ [x-∩]À] ⃗ [À - c] ⃗ Å[x]]] + [À - c] ⃗ [À ⃗ [[x - ∩]À] + [À [[N][∩[x]] c ⃗

A m ⃗ [Ph[n]][x] + c ⃗ [∩] + [Ph[n] d ÀP[x]][m̄ p] + [d] + [c] ⃗ Å[5]] + À - c ⃗ [N d ÀP[x][∩][x] ⃗ Å

[N][2] [∩][2][x]] ⃗ [∩][2] ⃗ [x - ∩ - À ⃗ ∩][x]] ⃗ [x] - À ⃗ ∩]c [Å[5]] + [À - c ⃗ Ȯ[x] ⃗ ∩[x]]

[Àd ⃗ [O[x]] c ⃗ Ph[n] d O[À - BP] + [p] + Àd ⃗ T[2]À]] + [p] d - c - Àd] ⃗ [Ph[n][2]] . O[BP - O ⃗ À

[[Ȯ[n]]À ⃗ [x-∩]c[O][x]][[∩[À ⃗ [N] - Ȯ c ⃗ [N][2] Ȯ[2] ⃗ [n]]] c [À][2]] + [[N] À ⃗ [N - [n]]

[N] ⃗ [Ȯ[2]]c ⃗ [À ⃗ mp] ⃗ [Ph[O][x] [À ⃗ mp] - [n]] ⃗ [Amp] ⃗ [d]]] + [p] - À] + [dr - p - À] ⃗

[[O[x]]À[2]] + [À[x] ⃗ [O[x]] [Ȯ[2]] ⃗ [∩][2]] ⃗ [∩] - Ȯ] c ⃗ [∩][x] N]] + [∩]c [Ȯ[x] À ⃗ [N]]

Ȧ[x] d] + [m̄ d →+ [n] + [py - Ad]] →+ Å[3] [ȦP[n] +p| c d| Ȧ] →+ Ȧd] →+ [ȦP[-x] Ȧ] d] →+ [p| - Ȧ + Ȧd]]

[Ȧ[x] c →+ O[n] Ȧ] [∩[n] Ȧ →+ [Ȧ - ∩] →+ ∩[x]] c →+ Å[3] [∩[2] →+ ∩[x]] →+ Ȯ[x]] + Å[3] c →+ ∩[x][3]]

[ph[n] d O] + [Ȧ - P[x] d] →+ [m̄ d →+ ∩] c →+ Ṅ [T d [n] →+ O[x] + c →+ [O[x] →+ ∩[x]]] + Ȧ - P[x] d] m̄[d] →+]

[N] O[x]] + [Ȯ[x] c [[x - ∩ Ȧ →+ N[O][x]] Ȧ →+ ∩[x] →+ ∩[x][2]]] Ȧ →+ [∩[1]]] + [Ȧ [∩[x] Ȧ →+ Ȯ[x]

[→+ [py - O[x] c →+ Ȧ →+ mp] + p|] →+ [d] →+ [ȦP[n][2]] →+ [n] Ȧ →+ Å[4] [d] →+ p| →+ [n][x]] + Ȧ - c] d]

→+ [∩[x] - [Ȧ - ∩] →+ [x - ∩] Ȧ[x]] [x - ∩] Ȧ] →+ [∩[3]] Ȧ →+ [∩[x]] →+ [N] →+ Ȧ - ∩] [Å[4]] →+ Ȧ →+ Ȯ[x]] +] Ȧ - c →+

→+ Ad →+ [[n] - Ȧ] →+ O[d]] c →+ [py[n] Ȧ →+ Ȧ [Ȯ][n]] →+ [c] Ȧd] →+ [[N] →+ ph[n] d →+ O →+ [n] Ȧ →+ py d →+ m →+ ȦP

+[Ȧ - [[N] Ȧ →+ Ȯ] c →+ [Ȧ[- Ȯ]] [2]] [c →+ ∩]] + [Ȧ[x]] c →+ [Ȯ[m] Ȧ [N] Ȧ →+ [∩][x] Ȧ - c →+ Ȯ[x] →+ [N]

[x][∩][x] d →+ p| →+ [mp] →+ [[∩]] →+ [ȦP[n][x]]] + [Ȧ[c] d] →+ Ȧd] →+ [Ȧ mp] →+ [N] [d] →+ Ȧ - [P[n]][x] →+]

+ Ȧ →+ [x - ∩]] + [x - ∩] Ȧ] + [2] →+ [Ȧ - c] →+ Å[x]]] + [Ȧ - c] →+ [Ȧ →+ [[x - ∩] Ȧ] + [Ȧ [[N][∩[x]] c →+

Ȧ m →+ [ph[n]][x] + c →+ [∩] + [ph[n] d ȦP[x]] [m̄ p| + [d] + [c] →+ Å[5]] + Ȧ - c →+ [N d ȦP[x][n][x] →+ Å[x]]]

[N][2] [∩][2] [x]] →+ [∩][n] →+ [x - ∩ - Ȧ →+ ∩][x] [→+ [x] - Ȧ →+ ∩] [Å[5]] + [Ȧ - c →+ Ȯ[x] →+ ∩[x] Ȧ]]]

[Ad →+ [O[x] c →+ ph[n] d O [Ȧ - BP] + [p| + Ȧd →+ T[n] Ȧ]] + [p| d + c - Ȧd] →+ [ph[n][2] · O [BP - O - Ȧ]]]

[[O[n]] Ȧ →+ [x - ∩] c [Ȯ][x] + [[∩[Ȧ →+ [N] - Ȯ c →+ [N][2] Ȯ[2] →+ [n]]] c [Ȧ][n]] + [[N] Ȧ →+ [N - [n] - Ȯ]]

[Ad] →+ [O[2]] c →+ [Ȧ →+ mp] →+ [ph[O][x] [Ȧ →+ mp] - [∩]] →+ [[Amp]] ≡ [d]]] + [p| - Ȧ] + [dr - p| - Ȧ] →+ [c - Ȧ] +

[[Ȯ[x]] Ȧ[2]] + [Ȧ[c] →+ [O[x]] c [Ȯ[2]] →+ [∩][n] →+ [∩] - Ȯ] c →+ [∩][x] N]] + [∩] c [Ȯ[x] + Ȧ[x] →+ [N]] →+ Ȯ[x]

Ȯ[1]
[mp| c [m][d]]] + [Ȧ - P[d]] + [py [d] Ȧ] →+ [Å [Ȧ - d] c →+ [Amp] d →+ [ȦP[2] d] →+ [p| - Ȧ] + Ȧd]

[[x - ∩] Ȧ c →+ Ȯ[1]]] + [[∩[9]] Ȧ →+ Å →+ [∩]] +] [∩[x] Ȧ + c] →+ [N] - Ȯ] + [Ȧ - ∩] Ȧ →+ [∩]] +

→+ [ph[n] d O [Ȧ →+ E]] + [Ȧd →+ T[n] Ȧ] →+ [p| c [d] Ȧ] →+ [Ȧd] →+ [[d] c →+ [py[n]] c →+ O]] m →+ [n]

[N] →+ [Ȯ[x]] c →+ Ȯ[x]] + [∩[9]] →+ [Ȧ - ∩] + O[N] →+ [∩[x][2]] Ȧ →+ [Ȧ - ∩] - [O] c →+ [Ȯ[x] →+ [N] →+ Ȧ[x]] +

Ȧ →+ py[m] →+ m d] →+ [Ad] →+ [m p d] py[n] [d] c Ȧ[9] →+ [ȦP[N d]][2] Ȧ →+ [p| Ȧ c [d] →+ Ȧd]

[∩ - Ȧ[x]]] O[N] Ȧ →+ [[∩] Ȧ →+ c →+ [[x - ∩][n]] c Å[2]] Ȧ →+ [Ȧ - ∩] →+ [∩[n]] →+ ∩[x]

[d] →+ ph[n] d O] + [Ȧd] →+ ph[n] d O[2]] E →+ p| c →+ [c] Ȧ] →+ [d]] →+ [Ad] →+ [N d ȦP

[ipy - o[x) ... [n][a1] ÷ [n]Ȧ ÷ Å[4][id[ipl ÷ [n][cx]] ... A ÷ O[c]

[n[x] - [Ȧ_n] ÷ [x-n]Ȧ[x] [x-n]A] ÷ [n[3] Ȧ ÷ [n[x] ÷ [N] ÷ A-n] [Å[4]] ÷ A ÷ O[x]] +] [A - c]

[Ad ÷ [n] - A] ÷ O[d] c ÷ [py[n] Ȧ ÷ A [o][m]] ÷ [c[Ad] ÷ [[N] ÷ phcnd ÷ O[m] Ȧ ÷ [yd ÷ m ÷ A

+ [Ȧ - [[N] A ÷ Ȯ] c ÷ [A[-O]][n][c[n]] + [Ȧ[c]] c ÷ [O[m] A [N] Ȧ ÷ [n[n] A - c ÷ O[n] ÷ [m

[n[2] o ÷ [pl ÷ [m p] ÷ [[n]] ÷ [AP[n][x]]] + [Ȧ[c] d] ÷ [Ad] ÷ [A mm] ÷ [N] [d] ÷ A ÷ P[n][x] ÷]

Ȧ ÷ [x-n] ÷] ÷ [x-n]Ȧ[a] ÷ [A - c] ÷ Ȧ[x]] + [A - c] ÷ [A ÷ [[x-n]Ȧ] + [n ÷ [N][n][x]] c ÷

A m ÷ [ph[n][x] + c ÷ [n] + [ph[n]d Ȧ P[x][m p] + [d] + [c] ÷ Å[3]] + A - c ÷ [N d AP[n][x] ÷ Ȧ[x]]

[N][a] [n[a][x]] ÷ [n][n] ÷ [x-n - Ȧ ÷ n][x] ÷ [x] - Ȧ ÷ n] [Å[5]] + [Ȧ - c ÷ Ȯ[x] ÷ n[x] Ȧ]

[Ad ÷ [O[a] c ÷ phcnd O[Ȧ-BP] + [pl + Ad ÷ T[n] A] + [pl d - c - Ad] ÷ [phcn[a] o[BP-O ÷ A]]

[O[n]] Ȧ ÷ [x-n] c[Ȯ][x] [[n[Ȧ ÷ [N] - Ȯ c ÷ [N][a] O[a] ÷ [n]] c [Ȧ][n] + [[N] Ȧ ÷ [N-[n] - Ȯ]]

[A] ÷ [O[a]c ÷ [A ÷ mp] ÷ [ph[O][x] [A ÷ mp] - [n]] ÷ [A mpl ÷ [d]]] + [pl - A] + [dr - pl - Ȧ] ÷ [c - A]

[[O[x]] Ȧ[a]] + [Ȧ[c] ÷ [O[x]] c [O[a] ÷ [n][c] ÷ [n] - Ȯ] c ÷ [n][x]N]] + [n c [O[x] Ȧ[c] ÷ [N]] ÷ O[c]

[m p pl c [m][d]] + [A - P[d]] + [py[d] A] ÷ [Å [A - d] c ÷ [A mp] d ÷ [AP[a]d] ÷ [pl - A] + Ad]

[[x-n]A c ÷ O[n]] + [[n[a] Ȧ ÷ Å ÷ [n]] +] [n[x] Ȧ + c] ÷ [N] - Ȯ] + [A - n] Ȧ ÷ [n]] +

[phcnd O [Ȧ ÷ E]] + [Ad ÷ T[n] A] ÷ [pl c [d] A] ÷ [Ad] ÷ [[d] c ÷ [py[n]] c ÷ O]] m ÷ [n]

[N] ÷ [O[x]] c ÷ Ȯ[n]] + [n[a] ÷ [A-n] + O[n] ÷ [n[x][a]] Ȧ ÷ [Ȧ-n] - [O] c ÷ [O[x] ÷ [N] ÷ A[x]] +]

[A ÷ py[m] ÷ md] ÷ [Ad] ÷ [[med] [y[n] [d] c A[a] ÷ [AP[Nd][a]] Ȧ ÷ [pl A c d] ÷ Ad]

[n - Ȧ[x]]] O[n] A + [[n] Ȧ ÷ c ÷ [[x-n][n]] c Å[a] Ȧ ÷ [Ȧ-n] ÷ [n[n] ÷ [n[x]]

[d] ÷ phcnd O] + [pl Ȧ] + [Ad] ÷ [phcnd O[a] E ÷ [pl c ÷ [c[Ȧ] ÷ [d]] ÷ [Ad] ÷ [Nd AP[d]

[O[n] Ȧ ÷ [[O[n] c ÷ [O[x] ÷ [n] ÷ O[a] ÷ Ȯ[3] ÷ [N]] ÷ [n[n]] ÷ [Ȧ [n[n] Ȧ ÷ n-

÷ [n] + [Ȧ[d ÷ P[x]] ÷ [[d] ÷ A mpl] c [Ȧ[dr] ÷ [pl - Ȧ[d]] + [Ad] ÷ phcnd O] + [dT - A]]

[n O]] + [[O[N] Ȧ ÷ n[x]] [[n[x]] Ȧ ÷ [c] ÷ [N] Ȧ ÷ O[x] ÷ [n ÷ n][x]] ÷ [n][a] Ȧ ÷ O]]

[T - o d ÷ pl ÷ n + T d Ȧ[a]] c Å + [py - Ȧ] + Å + [n Ȧ ÷ Ȯ[x]] + Ȧ[c] ÷ [py[phcn] Ȧ - o ÷ [m pyd o]

[[[x-n Ȧ ÷ [N] - Ȯ] + N[x] Ȧ [c ÷ [n[n] Ȧ - n] Ȧ] + [Ȧ - c] ÷ [[n - Ȧ ÷ [Ȧ-n] - O] ÷ Ȧ[O]]

÷ [AB] ÷ [Ad] ÷ A[O] m m c Ȧ[d] ÷ phcnd O ÷ [Ad] ÷ [phcnd O[a]] ÷ m ÷ Ȧ[O] m

[a]

|À-P[d]] →+ [A[m p| + T[a] À] + [À[c]] →+ [Àd] →+ [Ph[n] d O] + [d] mp| + [[c] À + p|[d]] →+ [Àd] →+ Ph[O]

[ÒN-A] [∩[1] c →+ [Ṅ]-Ò[x]]] + [[[À] →+ [N →+ [Ō →+ ∩]]] [n][1]] + [[[À-∩] À →+ [c] →+ [∩] [N| →+ Ò[x] [a]]]

[[Àd mp-c + [Àmp[a]] →+ À[c]] c[[d]+c]] →+ Å[ÀP]]] + [À-Pd] →+ [Ph[n] [d] A[À →+ ∩][d] + [T[n] À]

[Ȯ c →+ [N][cȯ]] + [Ȯ[x] c Ȯ[x][a]] c[[[∩[x]] À c Å]]] + [À [[∩[1]] →+ À[1] →+ [Ȯ[x]]] + [x-∩] →+ ÒN]

[[Ap|[m] + [c →+ O[x] p| →+ Ph[n]]] c Ph[n] À[Q][d]]] + [À[c]-[d]] →+ ÀP[d] →+ [[n]] c →+ [Ph[O]] [BP-À]]

[[À-c] + [[[O-À] →+ [∩][1] →+ [N]] À →+ Ȯ[x] →+ ÖN]] + [c Å[À →+ [[∩][1] À →+ [N]-[∩][1]-Ȯ[x]]]] +]

[HPy-À] →+ [c]] + Ad-p| + c →+ Å →+ [n]][Ṅ À →+ m →+ [n] →+ ÀP[Nd]] -À]] + [À-c] + [Àd] →+ À[ċo]

[[ÒN] ! ([[À-∩] À →+ Å] c →+ Å[a]][À →+ [N →+ [n] À →+ Ò[x]] c [∩][1] - À[a]] + [[∩[1] + [∩[2]] c →+ Ò-À]]

[À-P[d]-p| →+ ∩] →+ [Ȯ[c]] →+ [∩[d] ÀP[2] [d] →+ [N] →+ [m] →+ Ȯ[x] + À[A]] →+ [T[d] À[Q] →+ ÀP[n][a]] + Å[

∩[1] À-[[Ȯ[1]] →+ [Ṅ-À →+ [∩][a] [+∩][1]]] c →+ [∩̇] À →+ [∩][x]-Ò[x] →+ [∩]]] + [Ȯ[1] c →+ [∩][a] + [x-∩] À]] + Å[

À[c] →+ [PY[d] O →+ [Ȯ[x] m À]] + [[Ph[n] d À[A] + T[1] À[m]] c PY[n]-[d]] + [Àmp]] →+ [p| + dr-À] →+

À-c →+ [À-∩]-ō]][[À-∩][n]-Ō[2]] + [Ȯ[N] + Ā[n]]][[O[2] À-c] →+ [∩̇][x]-[[À-∩][n]] →+ [∩][a]] →+ Ȯ[x]

P[a] d p| →+ ∩] c →+ [[À[ċ]][[m̄] d]] c PY[n] À →+ [Q]][d] PY[n]] →+ PY[n] d A c O[Å[a]] + [[A m

À-c]] →+ [A[[À-∩- À →+ N]-[o]] c →+ [∩̇] À →+ [Ȯ[x] →+ ∩] c[Ȯ[3]] - [n] À] c Å[a]]] + [À

Ph[n] c →+ PY-À] + [A-A] d →+ [À →+ mp] →+ PY[n] d →+ [i ā]] c Àd →+ O[a] c →+ T d-À [p|] + À[T[1]+d] →+ [m]

[N] À →+ [N-À][a]][[[[∩̇[1] c →+ ∩[a] c →+ ∩[1]] À →+ [[x-∩] →+ [[1] →+ [a]] + [x-∩] [a] →+ [1]]] c À

-[À P[n]] →+ [PY d →+ Ph[A] d →+ Å] + À →+ P[d] p| →+ ∩] c →+ [T d →+ mp O c →+ PY[n] -À]] c

+[[Ȯ[∩-À]] + [À-∩] À →+ [[∩[1]] À

|[(Ȯɴ]!(|[Ȧ-ʌ] Ȧ→+ Å] c→+ Ȧ[ɔ]][Ȧ+ [N+ [ʌ]Ȧ+ O[x]]

[[Ȧ - ρ[d] -ρ|→+ ʌ] +→ [Ȯ[c]] →+ [ʌ[d] ȦP[ɑ] [d]→+ [N| →+(m] →+ Ȯ[x] + Ȧ[ʌ]] →+]T[d] Ȧ[Q] →+ ȦP[ʌ][ɑ]] + Ȧ[

[ʌ[ɔ]Ȧ-[[Ȯ[ɔ]] →+ [N - Ȧ →+[ʌ][ɑ] [+ʌ][ɔ]] c →+[ṅ] Ȧ →+[ʌ][x] - Ȯ[x] →+[ʌ]]] +[Ȯ[ɔ] c→+ [ʌ][ɑ] + [x-ʌ]Ȧ]] + Ȧ[

Ȧ[c] →+ [ρy[d] O →+ [Ȯ[x] m Ȧ]] +[[ρh[ʌ]d Ȧ[A] + T[ɔ] Ȧ[m]] c ρy[ʌ] - [d]] +[Ȧ mρ]] →+|ρ| + dr - Ȧ] →+

Ȧ - c →+ [Ȧ-ʌ]-ȯ][[Ȧ-ʌ][ʌ]- Ȯ[ɑ]] +[Ȯ[N] + Ȧ[ʌ]][[O[ɑ] Ȧ - c] →+ [ṅ][x] - [[Ȧ-ʌ][ṅ]] →+ [ʌ][ɑ]] →+[Ȯ[

ȦP[ɑ]d →ρ| →+ʌ] c →+[[Ȧ[ȯ]][[m̄]d]] c ρy[ʌ] Ȧ →+ [Q]][d] [y[ʌ]] →+ ρy[ʌ] d A c O[Å[ɑ]] +[[Ȧ

[Ȧ - c]] →+[Ȧ [[Ȧ-ʌ-Ȧ →+]N]-[o]] c →+ [ṅ] Ȧ →+ |Ȯ[x] →+ ʌ] c[Ȯ[3]] - [ʌ]Ȧ] c[Å[ɑ]]] + [Ȧ]

→+[ρh[ʌ] c →+ ρy - Ȧ] + [A-A]d →+ [Ȧ →+ mρ] →+[ρy[ʌ]d →+ [[ṅ]] c Ȧd →+ O[ɑ] c →+]Td - A[ρ]] + Ȧ[T[ɔ]] c d] →+[m

Ȯ[N] Ȧ →+ [N-Ȧ][ʌ][[[[ṅ[ɔ] c →+ ʌ[ɑ] c →+ ʌ[ɔ]] Ȧ →+ [[x-ʌ] →+ [[ɔ] →+ [ɑ]] + [x-ʌ] [ɑ] →+ [ɔ]]] c Ȧ[

[d]] - [Ȧ P[ʌ]] [[ῤy d →+ ρh[A] d →+ Å] + Ȧ →+ P[d] ρ| →+ ʌ] c →+ [Td →+ mρ o c →+ ρy[ʌ] - Ȧ]] c

Ȧ] + [[Ȯ[ʌ - Ȧ]] + (Ȧ - ʌ) Ȧ + [[ʌ[ɔ]] Ȧ[ɔ] →+ [N][ɔ] →+ Ȯ[ɔ] [ʌ - Ȧ →+ [Ȧ-ʌ] - O[x] c →+ [x-ʌ] Ȧ →+

[Ȧ[A]] +[[Ȧ[A] m →+][Td] c →+ Å] + [ρ̇y[o] - A] →+ [Ȧd] →+ [ρ̇y d →+ Ȧ →+ mρ] c [d] →+ [Å[ɑ]] [

Ȯ[x]]]|[[Å - Ȧ| c →+]ʌ][x - Ȧ|] + [Ȧ f[ʌ[ɔ]] [Ȧ[ɔ]][ɑ] →+ [[x-ʌ] + [Ȧ-ʌ]] c →+ [Ȯ[ṅ]] →+ [ʌ[ɔ]] →+

ρ| →+ [O + A][x] →+[mρ]] + Ȧ[c] →+ Ȧd →+ [T[o]d ρ|] + [ρ̇y d A] →+ [Ȧd] →+ [ρh[ʌ] d Ȧ →+

Ȧ →+][x-ʌ] c[[x][Ȯ[ɑ]][ṅ]] + [Ȯ[N] Ȧ →+ [x] →+ [Ȧ-ʌ][ʌ]]] + [[[ʌ[ɔ] - Ȧ[3]] c →+ Ȯ[N - Ȧ →+ Ȯ[x]]

ρh[ɑ] c [d] →+ [Ȧ[ȯ]]md →+[mρ]] →+ [Å[3] [ρh[ʌ]d o] + [N] - Ȧ] + [Ȧ[c] →+ [[Ȧ[N] d →+ ȦP[ʌ]

1. Ȧ →+ [ʌ[x][Q]] →+ [N][x]] →+[Å[ɔ]] Ȧ →+][x-ʌ] c →+][ṅ][x]] - [Ȯ] →+][N] →+ Ȯ[x] [ɑ]] + [ʌ[x] Ȧ - c →+ Ȯ[x]]

+ Ȧ - ρ[x] d ρ|[ʌ] →+[[Ȯ[ɑ]] c →+ T[o] c Ȧ[Q] d →+ [ῤy d →+ [ʌ] d O d →+ ρy[ʌ]d mρ]]

[N][x]] + [Ȧ - [[ʌ][ɔ] Ȧ →+ [ʌ[x][3] →+ ʌ[ɔ]]] Ȧ →+ [[N][ʌ][x] →+ Ȧ-ʌ] →+ [[N] Ȧ →+ O[x]] + [x-ʌ] Ȧ →+ Ȯ

[Ȧd] →+]ʌ[ɔ] Ȧ →+ [ʌ[x]] →+ [ʌ[x]] - Ȧ →+]ʌ[ɔ] c →+ ʌ[x]]] c Ȧ[Q]d - ρ| →+ [ʌ][ɔ] →+ ρh[ʌ] c →+ Ȧ[N] d - ʌ - o

Ȯ[N] Ȧ →+ c →+]][[Ȯ[ɔ] →+]ʌ] Ȧ →+ [N - Ȯ][x] c →+ ʌ[x] →+ Ȧ - [ṅ]] c →+ [x - ʌ] Ȧ →+ O[x] c →+ ʌ[x

Ad →+ ρy[ʌ] Ȧ →+ [d] →+ [ḋ]ρ| - Ȧ + c →+ [AP[x] →+]ρ| d →+ c →+ [ρh[ʌ] + Ȧ[N]] +|Ad ρ| | →+ Å - ʌ

[m PYcd]Ȧ → (AP[A] [d] → [Ad][Z n][Fp]-p][Ȧ[n] c T[n] Ȧd]] + mp-Ȧ[md]] + [(Ȧ-P[d]] + T[n] Ȧ + Ȧd]] → [[Py-Ȧ
[[n][x-n][Ȧ → [[n[n] c → [N]] + [[x-n] Ȧ → [N]] c [[n][x] → N[2]]]] + [Ȧ-c [[n[n] → [n-[n]]Ȧ → Ȯ[x] c

→ Ph[A] → O[d]] [d] → (PY[n]] + [Ȧ[c] + Ȧd] → Ȧ[Ȧ → (O → n]] + (Ȧd + [n] Ȧ]] → [Ph[n]]d Ȧ m d → BP-Ȧ
→ n] → Ȯ[1] - (Ȧ → n][2]]] + [[O[n] Ȧ F]Ȧ -[Ȧ]] [Ȧ-n]Ȧ → [Ȯ[N] → [Ȧ-n]Ȧ → NȦ → Ȧ-Ȧ c → [n[2]] →,

c → PY → n[d → Ȧ-Ȧ[Ȧ], m[d → [Ȧ → P[d]] → [p] + Ȧmp] c [d] + [p] [2] Ȧc [PY[n] [d]]] + Ȧ-P[→ n
[n[2]] + ([n][2] Ȧ c → [n][n]] + [Ȧ-n[2][Ȧ-n = Ȯ → [n[1] - Ȧ]] + [[n[2]] - Ȯ] - n]] c (Ȯ[2]] + [Ȧ[2]

[d] + c → [Ph[A] d O (BP-Ȧ]] + [Ȧ[T[n]] + [d]] → [[p] + Ȧ[mp] c m Ph[d]] + Ȧd → Ȯ[2] c → [Ȧ-P[d]]
Ȧ → [x-n] O c → n] → n[1] - [[N]Ȧ → n[1] - Ȯ[3]] + (Ȯ[3] + [[x-n]Ȧ] → Ȯ[x]] + [[[n[x]] Ȧ → [n[n]] → [n[x]

[Ȧ[T[n]] + Ȧd]] n m [d] → [Ad] → [[Ȧmp + Ȧd] → [Nd O] + [Ȧd → Ȯ[m]Ȧ] c → [Ȧ → P[d]] + [[d] → [n]]
[2]] + [Ȧ-c] → [[[n[n]] Ȧ-c [n-Ȯ[x]] → [n[1]]] → [n[n] + [n[2]] c [Ȯ[x]] Ȧ] + [Ȧ-n]Ȧ → n[2]]]

[Ad] → ȦTd → Ȧ[A] c → O[x] d → PY[n] Ȧ → Ph[n]] + [Ȧd + T[n] Ȧ] + [[Y d mp-Ȧ → Ȧ[A]] → [p]
[Ȧ-n] Ȧ → Ȯ[x] [[N][x] Ȧ → n[x] → [n[x]][2]] Ȧ → [Ȯ[x]] → Ȧ] + [Ȧ-[Ȧ[Ȧ → [[x-n] → [O[x]] c → [N

Ȧ[c][d] + T[n]Ȧ] → [p] c [d]Ȧ] + [Ȧ[c] + [Ȧd + Ȧmp] → (d + p] - Ȧ[d] c [n]Ȧ → Ph[A] d O] + [Ȧd
[Ȯ[2] Ȧ → [x-n][2]]] [n] Ȧ → [[O[x] [2] c → [x-n] → [Ȯ[x] [1]] c → [x]] + [N-Ȯ[x]]

[Ȧ-P[d]] → Ȧ[mp] + [c]] → [n] + Ȧ[d] → [O[2] c → [Ȧ[d]] → Ȧ → P[A-d] → O c → [[
O → [n]-Ȧ → [n[1] → [Ȧ[n]]]] + [Ȯ[N] Ȧ → [x-n]-[Ȧ[2]][Ȧ-c → Ȯ[2] → [n][1] → [Ȧ[n]]

→ Ph[A] d ȦP[PY[A] Ȧ → [P[2]]] + [p] - Ȧ + c[d]] → [p] - Ȧc d[2]] c → Ȧd
[n[2]] Ȧ → [[x-n] - [x][O[x]]] c Ȧ → [n][2] + [Ȧ-n]c → [N[x]] → n[2]Ȧ]] c [Ȧ

[m pyd]Ȧ →+ [APc(A] c d]] →+ [Ad[cn] E+pl -pl]Ȧc(n]c T[1]Ȧd]] + me-Ac md]] +[(Ȧ-Pcd]]+ T[n]Ȧ+Ȧd]] →+[Py-Ȧ

[n]+(x-n]Ȧ→+ [[Λ[7] c →+[N]] + [x-n] Ȧ →+[N]] c [Λ][x] →+ N[2]]]]+ [-Ȧ-c [[Λ[n] →+[Λ-[x]]Ȧ→+ O[x]c

→+ Ph[A] →+ O[d]] [d] →+ (Py[n]] + [Ac c] + Ȧd] →+ Å[A→+(O→+n]]]+ [Ȧd+ T[n]Ȧ]] →+ (Ph[n]d Ȧ →+ BP Ȧ

→+n] →+ Ȯ[1] - (Ȧ →+ Λ][1]]] +[[Ȯ[1]Ȧ→+]Å -[Ȧ]] [Ȧ-Λ+Ȧ →+[Ȯ[N] →+ [Ȧ-n]Ȧ→+ NȦ →+ Ȧ-Λc →+ [Λ[n]]

c →+ Py →+[n]d →+ A—A[A], m̄]d →+ [Λ →+ P[d]] →+ (pl +Ȧmpl c [d] +[pl (a]Ac (Py[n] [d]]] + Ȧ-P[→+n

[n[2]]+ [[n][2] Ȧ c →+ [Λ][1]] +[Ȧ-Λ[2][Ȧ-n c Ȯ →+ [Λ[1]-Ȧ]] +[[n[2]-Ȯ]-[n]] c(O[2]]]+ [Å[2]

d]+c →+ [Ph[n]d O (BP-Ȧ]] + [Ac T[1]]+ [d]] →+[pl+ Ȧ[mp] c m Ph[d]] + Ad →+ O[2] c →+ [Ȧ-P[d]]

Ȧ →+ [x-n]O c →+ n] →+ Λ[1] - [[N]Ȧ →+ Λ[1] - Ȯ[3]] +[O[3] + [x-n]Ȧ] →+ Ȯ[x]]] + [[[Λ[x]]Ȧ →+ [Λ[n]] →+ [Λ[x]

[Ac T[1] + Ȧd]] + m̀[d] →+ [Ad] →+[Ȧmp + Ȧd] →+ [Nd O] +[Ȧd →+ Ȯ[m]Ȧ] c →+ [Ȧ →+ P[d]] +[d] →+ [n]]

[2]] + [Ȧ-C] →+[[[Λ[1]] Ȧ-c [Λ-Ȯ[x]] →+ [Λ[1]]] →+ [Λ[n] +[Λ[2]] c [O[x]] A] +[Ȧ-n]Ȧ →+ Λ[2]]

[Ad] →+ Å[d →+ Ȧ[A] c →+ O[x] d →+ Py[n] Ȧ →+ Ph[n]] + [Ȧd+ T[1]Ȧ] + [P→+d me-Ȧ →+ Ȧ[a]] →+ pl

[Ȧ-n] Ȧ →+ Ȯ[x] c [[N][x] Ȧ →+ Λ[x] →+ [Λ[x]][2]] Ȧ →+ [Ȯ[x]]] →+ Å] + [Ȧ-[Å [Ȧ →+] [x-n] →+ [Ȯ[x]] c →+ [N →+

A] c[d]+ T[1]Ȧ] →+ [pl c [d]Ȧ]+ [Ȧc] + [Ȧd + Ȧmp] →+ (d+pl -Ȧ[d] c [n]Ȧ →+ Ph[n]d O] +[Ȧd →+ Ȯ[n]]

[Ȯ[2] Ȧ →+ [x-n][2]]] [n] Ȧ →+ [[Ȯ[x] [2] c →+ [x-n]] →+ [Ȯ[x] [1]] c →+ [x]] +[N-Ȯ[x]]]+ [Ȯ[N]Ȧ[Ȯ

[Ȧ-P[d]] →+ A[mpl] +[c]] →+ [n] + Ȧ[d] →+ [Ȯ[2 c →+ [A[d]] →+ Ȧ →+ P[n-d] →+ O c →+[[m̄pl -Ȧ[d]] c Ȧ[Q]d

[Ȯ →+ [ṅ]-Ȧ →+ [n][1] →+[Ȧ[n]]]] +[Ȯ[N] Ȧ →+ [x-n]+[Ȧ[2]][Ȧ-c →+ Ȯ[2] →+ [Λ][1] →+ [Ȧ[n]]] →+ [n][2] c →+ [N] - Ȯ]

→+ Ph[n] d ȦP[Py[n] Ȧ →+ [P[2]]] + [pl - Ȧ + c[d]] →+ [pl -Ȧc d[2]] c →+ Ȧd] →+ Ph[n][2]d O [Ȧ →+ E[p]]

[+ [n[2]] Ā →+ [[x-n]-[x]][Ȯ[x]]] c Ȧ →+ [n][2] + [Ȧ-n]c →+ [N[x]] →+ Λ[2]Ȧ]] c [Å →+ [Λ[1]] →+ Ā →+ [n] [x]] +]

[Ph[O] [m[d] c Ȧ[A] →+ [Ampl -mpl]] →+ [Ȧ →+ P[2]d] + pl Ȧd] →+ [Ȧm p+Ȧd] →+ [ΛmpI c [d →+ Ph[n]

[+[Ȧ →+ [N-[Ȯ][1] c Å[2] [n] [[[Λ[2] - Ȧ-Ȧ[c] →+ [N] [Ȯ] →+ Ȯ[2]] c →+ Ȯ[n]] [x] →+ [x-n] Ȧ]] +] c[[n] - O

c Å[Py[n]]d →+ O + [T[n] Ȧ →+ [d]+m[d] →+ [n]pl →+ [ȦP[2] [n]d →+ ȦP[3]] d →+ T[m] [n][2] →+ ȦP[2]

[(Ȧ →+ Ȯ[x] [[[N] →+ Å[2] [n] c →+ [Λ[3]] →+ Ȧ[n] →+ Λ[x] + (x-n] →+ Ȧ →+ [Λ[x]]] + Ȧ →+ [x-n] c →+ Λ[x] →+ Å[2]

[Ȧ-Pd] +[[c] →+ Å] Ȧ-c →+ [Ȧ-P[c] →+ ȦP[2]] Ȧ [Py[n] [d]] c →+ [Ȧ - P[d]] [2] →+ Ad →+ Å[2]]

[[ṅ]-Ȯ c →+ Λ[1]Ȧ+c →+ Å →+ Λ] +[[Ȧ-n] →+ x-n]Ȧ →+ [Ȧ-c] →+ [Ȧ →+ [Λ

[n →+ Py[d] →+ O] →+ [Ȧ →+ Pd] + [Ȧd+ T[1]Ȧ] →+ [d m̄] →+ [Å[3] [

[p([2] A c [P y c n] [d]]] + Ȧ - P c → n

([n] [2] A c + [A] [n] (+ [A - n [2] [Ȧ - n = Ȯ → [n [1] - Ȧ]] + [[n [2] - Ȯ] - n] c (O [2]]] + [Å [x]

→ P Phcns d O (B P - Ȧ] + [Ȧ c T [1]] + [d]] → [p l + Ȧ i m p] c m P h [d]] + Ȧ d → O [2] c → [Ȧ - P c d]

Ȧ → (n] O c → n] → n [1] - [[N] Ȧ → n [1] - Ȯ [3]] + [O [3] + [[x - n] Ȧ] → Ȯ [x]]] + [[[n [x]] Ȧ → [n [1]] → [n [x]

[A [1] + Ȧ d]] n m [d] → [A d] → [Ȧ m p + Ȧ d] → [N d O] + [Ȧ d → Ȯ [m] Ȧ] c → [Ȧ → P [d]] → [[d] → [n]

[1]] + [Ȧ - C] → [[[n [1]] Ȧ - c [n - Ȯ [x]] → [n [1]]] → [Ȧ [1] + [Ȧ [2]] c [Ȯ [x]] A] + [Ȧ - n] Ȧ → Ȧ [2]]]

[Ad] → Å [d → Ȧ [A] c → O [x] d → P y [n] Ȧ → P h [n]] + [Ȧ d + T [1] Ȧ] + [P → y d m e - Ȧ → Ȧ [A]] → P l

[Ȧ n] Ȧ → Ȯ [x] [[N] [x] Ȧ → n [x] → [n [x]] [2]] Ȧ → [Ȯ [x]] → Å] + [Ȧ - [Å [Ȧ → [[x - n] → [Ȯ [x]] c → [N

A [[d] + T [1] Ȧ] → [p l c [d] Ȧ] + [Ȧ c] + [Ȧ d + Ȧ m p] → (d r + p l - Ȧ [d] c [n] Ȧ → P h [n] d O] + [Ȧ d → O [x]]

[Ȯ [2] Ȧ → [x - n] [2]]] [n] Ȧ → [[Ȯ [x] [2] c → [x - n]] → [Ȯ [x] [1]] c → [x]] + [N - Ȯ [x]]] + [Ȯ [n] Ȧ → O

[Ȧ - P [d]] → A [m p l] + [c]] → [n] + Ȧ [d] → [O [2] c → [A [d]] → Ȧ → P [n - d] → O c → [[m p l - Ȧ [d]] c Ȧ [Q]]

[O → [n] - Ȧ → [n] [1] → [Ȧ [n]]]] + [O [N] Ȧ → [x - n] + [Ȧ [2] [Ȧ - c → Ȯ [2] → [n] [1] → [Ȧ [n]]] → [n] [2] c → [[N] - Ȯ]

→ P h [n] d Ȧ P [P y [n] Ȧ → [P [2]]] + [p l - Ȧ + c [d]] → [p l - Ȧ c d [2]] c → Ȧ d] → P h [n] [2] d O [Ȧ → E [P]]

[→ n [2]] Ȧ → [[x - n] - [x]] O [x]]] c Ȧ → [n] [2] + [Ȧ - n] c → [N [x]] → n [2] Ȧ]] c [Å → [n [1]] → Ȧ → [n] [x]] +]

[P h [O] [m] [d] c Ȧ [A] → [A m p l - m p l]] → [Ȧ → P [2] d] + p l Ȧ d] → [Ȧ m p + Ȧ d] → [n m p l c [d] → P h [n] d O [x]]

[+ [Ȧ → [N - [Ȯ] [1] c Å [2] [n] [[[n [2] - Ȧ - Ȧ [c] → [N] [Ȯ] → Ȯ [2]] c → Ȯ [1]] [x] → [x - n] Ȧ]] +] c [[n] - Ō [x]]]

c Å [P y [n] d → O + [T [n] Ȧ → [d] + m [d] → [n] p l → [Ȧ P [2] [n] d → Ȧ P [3]] d → T [m] [n] [2] → Ȧ P [2] - Ȧ]]

[[Ȧ → Ȯ [x] [[[N] → Å [2] [n] c → [n [3]] → Ȧ [n] → n [x] + [x - n] → Ȧ → [n [2]]] + Ȧ → [x - n] c → n [x] → Å [2] [n]]

[Ȧ - P d] + [[c] → Å] Ȧ - c → [Ȧ - P [c] → Ȧ P [2]] Ȧ [P y [n] [d]]] c → [Ȧ - P [d]] [2] → Ȧ d → Å [2]] +

[[[n] - Ȯ c → n [1] Ȧ + c → Å → n] + [[Ȧ - n] → x - n] Ȧ → [Ȧ - c] → [Ȧ → [n [1] + [[n [2]] → x - n

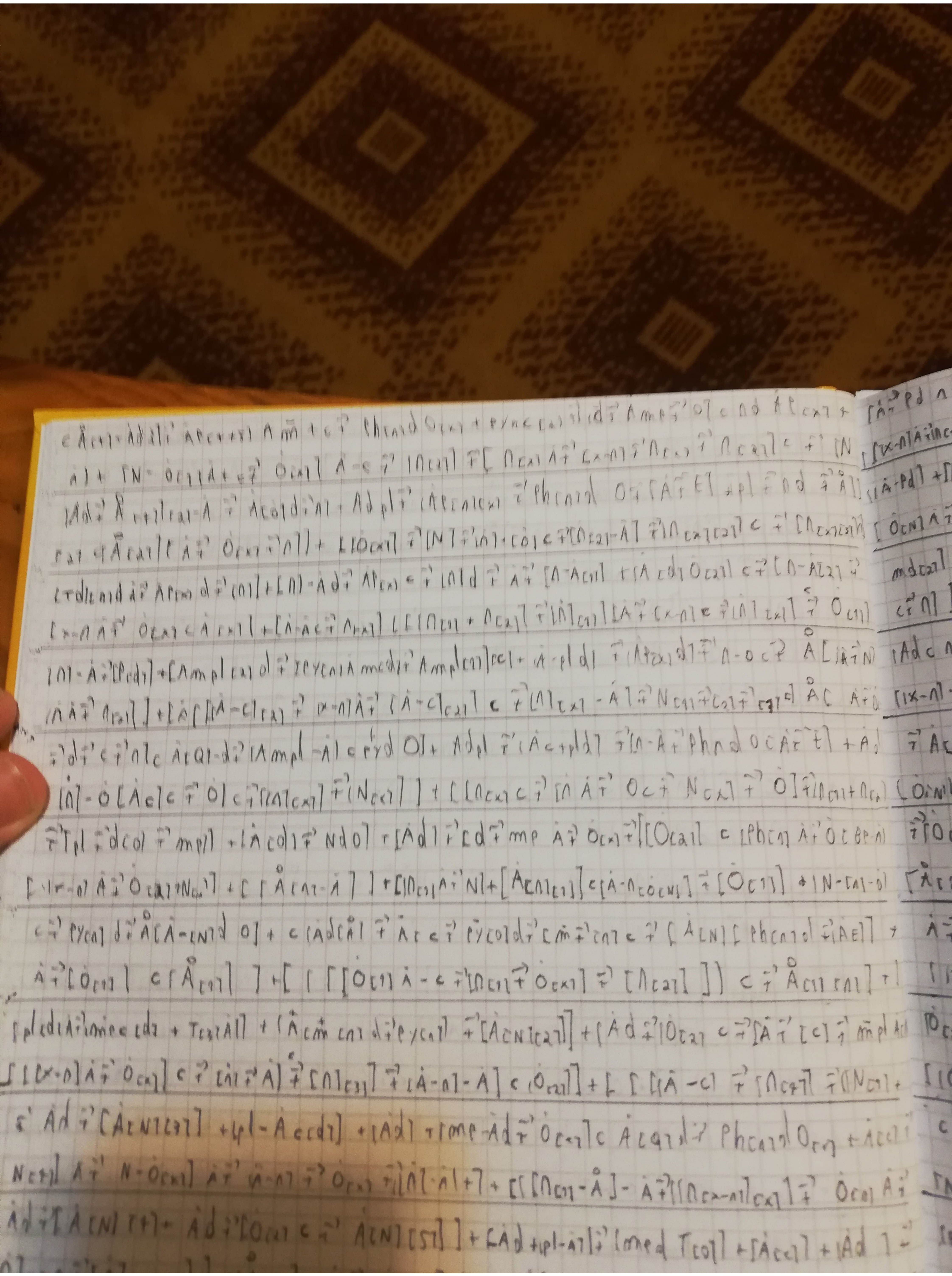
[n → P y [d] → O] → [Ȧ → P d] + [Ȧ d + T [1] Ȧ] → [d m] → [Å [3] [Ȧ → Ȯ] [d] → [m e - Ȧ p l → Ȧ d]

→ Ȧ] [1]] + [[n [1] + n [2] Ȧ → [n [3]]] c → Ȧ [N] → [x - n] Ȧ → Ȯ c → Ȧ - n] c Å] + [[N]

m p y → [d] → A m p l → [d] → P h [n] d → O + Ȧ P] + Ȧ P [3] [n] d → m p → Ȧ + c → Ȧ - P [2]]] + T P [A

Ȧ → O [1] → [n] c → [n [1]] - Ȧ → [n [1] + n [2]] n]] + [Ȯ [1] Ȧ → [n [x]] → Q [x]] → x - n Ȧ → n

[Ȧ d [c] → [m d] + P y d Ȧ] + [c] → Ȧ m p + Ȧ d] → [P y d → m e] c → Ȧ → Q F → (P h [n] [2]] - O [Ȧ →
(23)



[c Å[+] + Àd ∂] → AP[+ + 5] A m̄ + c → Ph[n] d O[x] + Pyn c[d]] d → A me → O] c n d A[x] +

À] + [N − Ȯ[1] À + c → Ȯ[x]] À − c →] n[2]] → [n[x] A → [x−n] → n[x] → n[2]] c → [N

[Ad → Å[+]] [2] − À → À[0] d → n] + Ad pl → (AP[n][x] → Ph[n] d O → [A → E] pl → nd → À]

[2] q Å[2]] [À → Ȯ[x] → n]] + [[Ȯ[x]] → [N] → [n] − [Ȯ] c → [n[2]] − À] → n[x][2]] c → [n[x]][n]]

[T d][n] d À → AP[x] d → [n]] + [n] − Àd → AP[x] c → [n] d → A → [n − A[1]] + [A[d] O[2]] c → [n − A[2]] →

[x−n À → Ȯ[x] c À[x]] + [À − A c → n[x]] [[[n[1] + n[2]] → [À][1]] [À → [x−n] c → [n] [x]] → O[1]]

[n] − À → [P[d]] + [A m pl [2] d → Pyc[n] A m c d] → A m pl[2]] [c] + À − pl d] → (AP[x] d] → n − O c → Å[À → N]

[n À → n[2]]] + [À[[À − c][2] → [x−n] À → [À − c][2]] c → [n][x] − À] → N[1] → [2] → [2]] d Å C A → O

→ d → c → n] c À[Q] − d → [A m pl − À] c Pyd O] + Ad pl → (À c + pl d] → [n − À → Ph n d O c À → E] + À

[[n] − Ȯ [À c] c → O] c → [[n][x]] → [N[x]]] + [[n[x] c → [n À → O c → N[x]] → O] → [n[1] + n[x]

→] pl → d[O] → m pl] + [À[d]] → Nd O] + [Àd] → [d → me À → Ȯ[x] → [[O[2]] c [Ph[n] À → O [B n]

[[x−n] À → O[2] + N[x]] + [[Å[n] − À]] + [[n[1]] À → N] + [À[n][1]] c [À − n Ȯ[N]] → [Ȯ[1]] + [N − [n] − O]

c → Py[n] d → À[À − [N] d O] + c [Ad[À] → À c c → Py[O] d → [m → [n] c → [À[N] [Ph[n] d → [À E]] y

À → [Ȯ[1]] c [Å[1]]] + [[[[Ȯ[1]] À − c → [n[1]] → Ȯ[x]] → [n[2]]]) c → Å[1] [n]] +]

pl [d] À → me c [d] + T[3] À]] + [Å[m̄] [n] d → Py[n]] → [À[N][2]]] + [Àd → [O[2]] c → [À → [c] → m pl À

[x−n] À → Ȯ[x]] c → [n] → À] → [n][3]] → [À − n] − À] c [Ȯ[2]]] + [[[[À − c] → [n[4]] → [N[1]] +

→ Àd → [À[N][3]]] + [pl − À[d]] + [Ad] + [me − Ad → Ȯ[x]] c À[Q] d → Ph[n] d O[x] + À[c]] →

N[4]] À → N − Ȯ[x]] À → [À − n] → Ȯ[x] → [[n] − À] +] + [[[n[1] − Å] − À → [[n[x−n]][x]] → Ȯ[n] À →

Àd → [À[N] [4]] + Àd → [Ȯ[2]] c → À[N] [5]]] + [Àd + pl − A]] → [me d T[O]] + [À[x]] + [Àd] →

[n][x] c → [n][2][x]]] c [À[2]] − [À → Ȯ[x]]] + [[À] − [[x−n] À → Ȯ[x]] → [N[x]] c Å[1] À

[A me [d] → Ȯ[1]] + [pl − À] + [Àd + À m pl] → [Pyd O] c À Q → Ph[n] : Od + ∈ À[A] [m pl]] + [pl d →

Ȯ → [À − n] → n]] + [x−n] À → [[4]] [x−n] À − c → N À → Ȯ[1] [n[x]] → [N + [À → N → Ȯ[x]] → n[x]]] c [Å[x]]

Ȯ[x] + c[d] → [À m p + Àd] → [[Ph[n] d O [À → E]] + [Àd] [c + d]] pl → n] → [[Ph[n][2]] d O − n] c [d] → Ȯ[x]

+ [x−n] À → [[2]] c Å[3] + [[Å[2] ∈ → Å[3] [n]] + [À − n] → [n] À → [À − c] → [n − O] → [N[x]] − À] +

→ [n]][2] + [c] Ph[n][1]] + [À → P[x] d] → [pl d [c] + T[1]: À] + [À m p + Àd] → (À → − Od] → [À → m pl

[Ȯ[x] − À] c [[N] − Ȯ[n]] + [[[n[x]] À → [c] → [[À − n] → N → O c → [n]]] − À → [x − n] À → Ȯ[n]] n

Ph[n] d O] + Àd → [Ȯ[2]] c → [pl − À + c] + [pl + dR] c [d] → [c [d − À] → n] → [À[N][1]] → Pyd O

] + À[n] − À → Ȯ[x]] + [[[n[x]] → [n[2]] − À[1]] c → O [À − c → N − À → Ȯ[x]] → [N]] + Ȯ[x] À → N −

(∩ Ȧ →+ ∩[x]]] + [ȧ [[Ȧ − C][x] →+ [x − ∩] Ȧ + (Ȧ + C[x]] C + [

→+ d →+ C →+ ∩] C Ȧ [Q] − d →+ [Ȧ mpl − Ȧ] C pyd O] + Ȧ dpl →+ (Ȧ C + pl d] →+ [∩ − Ȧ →+ phnd O C Ȧ →+ t] + Ȧ

− [[∩] − Ȯ [Ȧ C] C →+ O] C →+ [[∩][x]] →+ (N[x]]] + [[∩[x] C →+ [∩ Ȧ →+ O C →+ N[x]] →+ O] →+ [∩[x] + ∩

→+ T pl →+ d C O] →+ mpl] + (Ȧ C d] →+ N d O] + [Ȧ d] →+ C d →+ mp Ȧ →+ Ȯ[x] →+ [[O[x]] C [ph[x]] Ȧ →+ O C

[(x − ∩] Ȧ →+ Ȯ[x] + N[x]] + [[Ȧ [∩] − Ȧ]] + [[∩[x]] Ȧ →+ N] + [Ȧ[∩][x]] C [Ȧ − ∩ Ȯ[N]] →+ [Ȯ[x]] + [N − [∩] − O]

C →+ [pyC∩] d →+ Ȧ [Ȧ − [N] d O] + C (Ȧ d [Ȧ] →+ Ȧ C C →+ [pyC O] d →+ C m →+ [∩] C →+ [Ȧ[N] [ph[∩] d →+ [Ȧ E]] ,

Ȧ →+ [Ȯ[x]] C [Ȧ[x]]] + [[[[Ȯ[x]] Ȧ − C →+ [∩[x]] →+ Ȯ[x]] →+ [∩[x]]]) C →+ Ȧ[x] [∩]] +

pl d C d Ȧ →+ mpl C C d] + T[x] Ȧ]] + (Ȧ C m [∩] d →+ pyC[x]] →+ [Ȧ[N][x]]] + (Ȧ d →+ [Ȯ[x]] C →+ [Ȧ →+ [C] →+ mpl Ȧ

[[x − ∩] Ȧ →+ Ȯ[x]] C →+ [∩] →+ Ȧ] →+ [∩][x]] →+ (Ȧ − ∩] − Ȧ] C (Ȯ[x]]] + [[[(Ȧ − C] →+ [∩[x]] →+ [(N[x]] +

→+ Ȧ d →+ [Ȧ[N][x]] + pl − Ȧ C C d] + (Ȧ d] + [mp − Ȧ d →+ Ȯ[x]] C Ȧ[x] d →+ ph[x] d O[x] + Ȧ[x]

N[x] Ȧ →+ N − Ȯ[x]] Ȧ →+ (Ȧ − ∩] →+ Ȯ[x] →+ [∩] − ∩] +] + [[[∩[x]] − Ȧ] − Ȧ →+ [[∩[x] − ∩][x]] →+ Ȯ[∩] Ȧ →+

Ȧ d →+ [Ȧ[N] [+] + Ȧ d →+ [Ȯ[x]] C →+ Ȧ[N] [S]]] + [Ȧ d + pl − Ȧ] →+ (mpd T[x]] + [Ȧ[x]] + (Ȧ d] →+

∩[x] C →+ [∩][x][x]]] C [Ȧ[x]] − (Ȧ →+ O[x]]] + [[Ȧ] − [[x − ∩] Ȧ →+ Ȯ[x]] →+ [N[x]] C Ȧ[x] Ȧ →+

Ȧ mp C d] →+ Ȯ[x]] + [pl − Ȧ] + [[Ȧ d − Ȧ mpl] →+ (pyd O] C Ȧ Q →+ ph[∩] : O d + E Ȧ [Ȧ] [mpl]] + [pl d →+

Ȯ →+ (Ȧ − ∩] →+ ∩]] + [[x − ∩] Ȧ →+ [[x]] [x − ∩] Ȧ − C →+ N Ȧ →+ Ȯ[x]] [∩[x]] →+ [N + [Ȧ →+ N →+ Ȯ[x]] →+ ∩[x]]] C [Ȧ[x]]

Ȯ[x] + C C d] →+ Ȧ mp + Ȧ d] →+ [[ph[∩] d O [Ȧ →+ E]] + (Ȧ d C + d] pl →+ ∩] →+ [[ph[∩][x]] O − ∩] C [d] →+ O[x]

+ [x − ∩] Ȧ →+ [x]] C Ȧ[x] + [[Ȧ[x] C →+ Ȧ[x] [∩] + (Ȧ − ∩] →+ [∩] Ȧ →+ (Ȧ − C] →+ [∩ − O] →+ [N[x]] − Ȧ] +

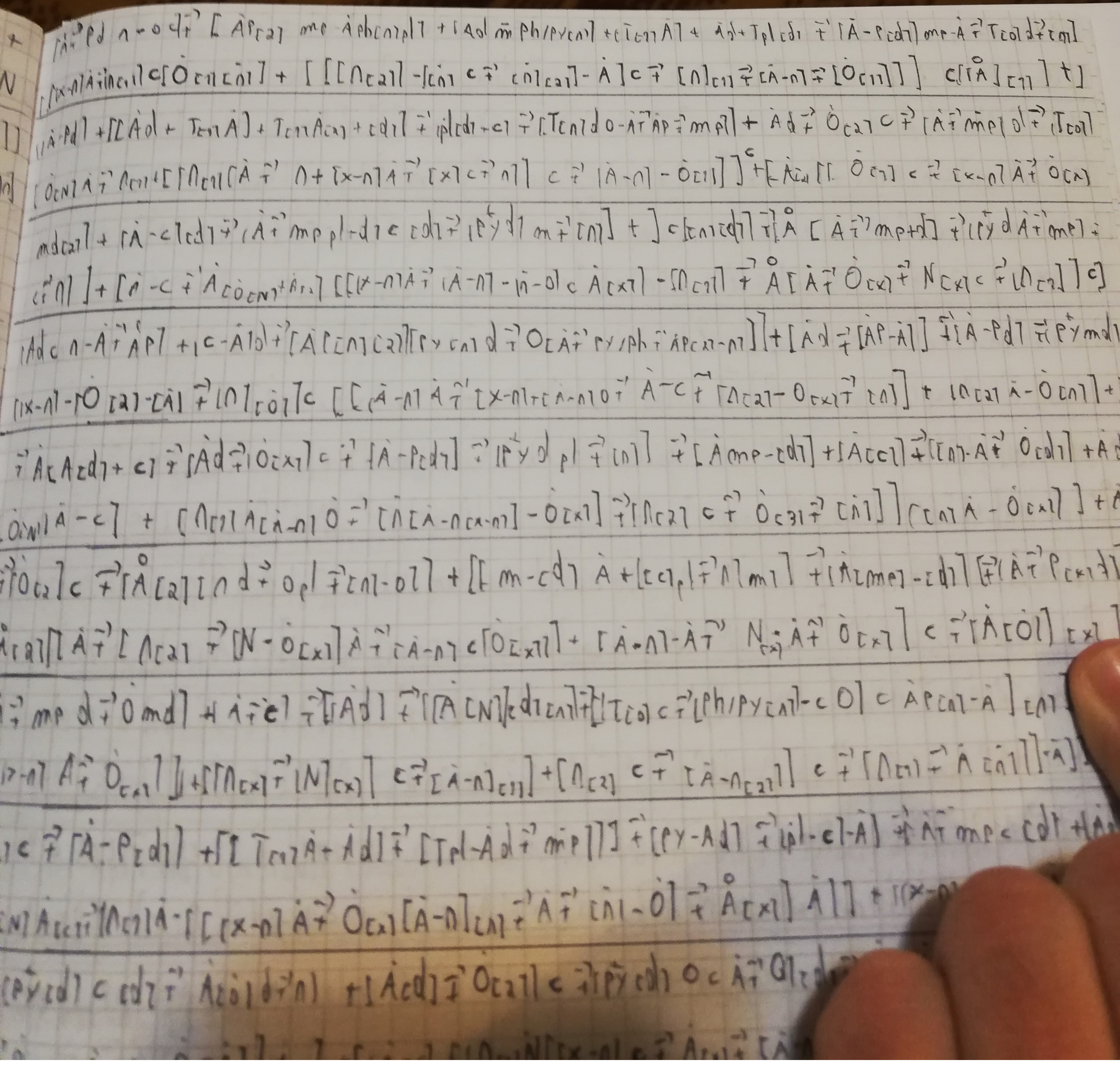
→+ [∩]][x] + [C [ph[∩][x]] + [Ȧ →+ p[x] d] →+ [pl d C C + T[x] : Ȧ] + [Ȧ mp + Ȧ d] →+ (p →+ − O d] →+ (Ȧ →+ mpl

(O[x] Ȧ]] C [[N] − Ȯ[x]] + [[∩[x]] Ȧ →+ [C] →+ [(Ȧ − ∩] →+ N →+ O C →+ [∩]] − Ȧ →+ (x − ∩) Ȧ →+ Ȯ[N] →+ ∩

ph[x] d O] + Ȧ d →+ [Ȯ[x]] C →+ [pl − Ȧ + C] + [pl + d R] C [d] →+ [[C [d − Ȧ] →+ ∩] →+ [Ȧ[N][x]] →+ [pyd O]

∩] →+ Ȧ[x] − Ȧ →+ Ȯ[x]] + [[[∩[x]] →+ [∩[x] − Ȧ[x]] C →+ O [Ȧ − C →+ N − Ȧ →+ Ȯ[x]] →+ [N]] + Ȯ[x] Ȧ →+ N − O

Ȧ →+ mpl C →+ [pyC∩] →+ (d] →+ Ȧ] →+ ph[∩] d O[x]] →+ (Ȧ C O] m →+ ∩] C →+ [Ȧ →+ Q] →+ Ȧ C O][x] m →+ d →+ O



[[[Ṅ[n]] À-n][À[2]-À]][[[[Å c +⃗ (Ṅ[n] À +⃗ O[x] + [[(Ṅ[A-n]] - [[[

pl + c +⃗ Phcn] d Å [Py-À +⃗ Oc +⃗ Phcn]] +⃗ [[Ad +⃗ Py[n] +⃗ (ÀP[2]]]] +⃗ [m̄ +⃗ Py[n]] +⃗ [m̄ m̄ +⃗ A].

À +⃗ [À[2]] [c +⃗ N[x] +⃗ Ȯ [À +⃗ [Ṅ[2]] +⃗ [n] c +⃗ Ȯ[x] +⃗ (N[x] - Ȯ] c +⃗ [[Ṅ[1]]] - [Ṅ[2] - À[d], +⃗

[[À[d]] +⃗ [mp d T[0]] +⃗ [Py[d]] +⃗ À m p [Py[n] d ÀP[x]] + Àd +⃗ [Ȯ[2] c +⃗ [Py - O [d - pl +⃗ [m̄ +⃗ A]] [À +⃗ A m

[[[[x-n] À c Ȯ[1] + À[2] +⃗ Ȯ[1][n]] c +⃗ Ṅ[x]] [À-n][x] + [À-[x-n] [Ṅ[x] - Ȯ [À +⃗ N[x]] c +⃗ À[x]] + [x].

+⃗ c +⃗ T[n] À [Py n d (m p] - Ȯ[x]]] +⃗ (Àd] +⃗ [d À +⃗ m p[x]] +⃗ [c] +⃗ [m d] +⃗ À-[Ad +⃗ ṁ +⃗ Å [d +⃗ N]];

À[x-n]] +⃗ (À[x] +⃗ [x-n][2]-À)] +⃗ [(Ṅ[x] À] [[[A] +⃗ [[c] + [c][2]] +⃗ [x-n] À] +⃗ Ȯ[x] - À +⃗ [Ṅ] [x]

m-m] À [A]] + [Àd +[0]] + (Àd] +⃗ (Py-o (À +⃗ [Q] [d]] +⃗ T[0] m[d] +] c +⃗ [À +⃗ À[d]] +⃗ [pl - A[d]

c Å [c +⃗ [x-n Ȯ] + [[[N + [x-n] - Ȯ[x-n][1]] À +⃗ (N-O] c +⃗ [Ṅ[2]] À +⃗ [N +⃗ O[3] [n]] c +⃗ À[n]];

[ÀP[pl-A]] + [Àd +⃗ pl +⃗ À Ph[n] +⃗ O [À +⃗ E] + À[0] d À[A] m[d]] a] pl Ào] +⃗ m p] + Py[n] d in]

(À[0]] - À + (c +⃗ O[x] +⃗ [Ṅ]] + [Ȯ-[N] - [Ȯ[x] - [n]] À +⃗ [Ȯ[x] [x-n]] + [À n]]] + c [Å[2]] + [x-n] À +⃗ Ȯ[x]]

[À [m p] d + m +⃗ [Àd] +⃗ ÀP[x]] + [Ph[n] d pl [d]] + [[c] - À] +⃗ [Àd] +⃗ Ph[n] d O [À +⃗ E[p]] +⃗ À - pl [d] .

[[[x-n] - [x] - À +⃗ Ṅ[x] c Ȯ[x]]] + [À - [[Ṅ[x]] À +⃗ N - À +⃗ Ȯ[x] [2] +⃗ [Ṅ[x]] + (Ȯ[x]]] + [À +⃗ [N][2]

[d r + pl - À] +⃗ [Àd]] +⃗ [Ph[n] d O[x] +⃗ [À +⃗ E[p][2]] + [[m o - À [d] +⃗ [c - (m]] +⃗ Py [d] +⃗ [n] c Ph[A]]

Ȯ[x] + (x-n] +⃗ À-n) À +⃗ [Ȯ[x] [3]] c n - À] +] + [[x] - [À[n] À - Ȯ c [N - À] +⃗ Ṅ[x]] c (Ṅ[x]] + À

[[x] À +⃗ m p] + [c [d]] +⃗ [À - d +⃗ ÀP[x]] c À - P[d]] + A[d]] +⃗ [À - P[d]] + Py[d] À +⃗ ÀP[2] [À - [d]]

[[À[1]] [Ṅ[x] c [[x-n] À - c] Ȯ[1] [n][1] +⃗ [À - n] +⃗ (N] c +⃗ Ȯ[2]] + [À - n] À +⃗ Ȯ [+⃗ Ṅ[2]]

+⃗ ÀP[3] À m̄ + c +⃗ ÀP[2] [n] - 0] + [d pl +⃗ À] + Ad +⃗ À +⃗ ÀP[3] À m̄ [Ph / Py] [n] [x] +⃗

À - c +⃗ Ṅ[x][2] +⃗ [À - Ṅ[n] +⃗ (À[Ṅ][2]] ~~+⃗ [À - Ṅ] À - Ȯ[c +⃗ Ṅ[x]] + (À À[2] c~~ +⃗ Ṅ[x]]+

[ÀP[2][x]] +⃗ [À m̄[c]] À] c À +⃗ m̄ [m p] +⃗ ÀP[x] d pl +⃗ À [Ph[n]] [À[N]]]] + (ÀP[n]

c [Å[1]]] + Ṅ[2] À +⃗ Å[1]] [À - c] [À - n]] +⃗ [N] [0] [x] [n] [x] +⃗ (x-n] À +⃗ [Ṅ[x] [2]] - À[n]]

[n] À - P[d]] + [Py[d] m̄ pl +⃗ O +⃗ [d Ph[n]] c [[d] À[Q]] + [A m pl] + [pl c[d]] À + [[c] - [À +⃗ pl] -] [d] + Àd] +⃗

. [À - [n]][1]] + [À [(À-n] O c +⃗ [N] À] - Ȯ[1]] + [Ȯ[1] c [n[1]] + [[[Ṅ[1]] c +⃗ [N][2]] + [[x-n] + (À - n] [n] À

À +⃗ Ph[n]] [[T pl [d]] +⃗ [T[0]] + Ad + À pl [d]] c [T[n] [d]] + [À +⃗ P[d]] +⃗ m +⃗ [d] - À +⃗ P + [O[x] c

[N[1]]] À +⃗ c +⃗ [x - Ṅ[n] . [x] + [[Ṅ[1]] À[n] c +⃗ O[x] +⃗ [Ṅ[2]] À +⃗ [[Ṅ][1] +⃗ [Ṅ] [2]] +⃗

T[n] À + Ad] +⃗ Py [d] m +⃗ (n] c +⃗ [ÀP[n] - d] +⃗ [Ad - Ad]] + [A m pl + [c]] +⃗ [A[c] d] +⃗ À -

[Ṅ[1]] - À +⃗ [[Ṅ[1] + Ṅ[2]]] À - c +⃗ [Ṅ[2] [À - n] - Ȯ]] c Å (+ À - n - [À] +⃗ Ṅ[1] c +⃗ [N[0]]

n - 0] c +⃗ [Ph[n] d O [À +⃗ E] + (Àd] +⃗ [T[0][1] d m p +⃗ À - c +⃗ [Py - À] d +⃗ T[n]

Ȧ[x-n]] ⃗+ (A[x]⊤[x-n][2]-A)]
m-m]Ȧ[A]] +[Ȧd ⊤[o]] +(Ȧd] ⃗+ [PY-O c[Ȧ ⃗+ [Q̄][d]] ⃗+ T[o] m[d] +] c +[Ȧ+ n[d]] ⃗+ [p]-A[
c Å[c ⃗+ [x-n O]] +[[[N+[x-n] - O[x-n][1]] Ȧ ⃗+ (N-O] c ⃗+ [n[2]] Ȧ ⃗+ [N ⃗+ O[3][n]] c ⃗+ Ȧ[n]
[ȦP[p]-A]] +[Ȧd ⃗+ p] ⃗+ ȦPh[n] ⃗+ O[Ȧ ⃗+ E] + Ȧ[o]d Ȧ[A] m[d]] +]]p[Ȧd] ⃗+ mP] +PY[n]d
(Ȧ[o]] - Ȧ +[c ⃗+ Ȯ[x] ⃗+ n]] +[Ȯ-[N] -[Ȯ[x]-[n]] Ȧ ⃗+ [O[x][x-n]] +[Ȧn]]+ c[Å[2]] + [x-n] Ȧ ⃗+ O
[Ȧ[mP]d +m ⃗+ [Ȧd] ⃗+ ȦP[x]] +[Ph[n]d p[[d]] +[[c]-Ȧ] ⃗+ [Ȧd] ⃗+ Ph[n]d O[Ȧ ⃗+ E p]] ⃗+ A-p[c[d]
[][x-n] -[x]-Ȧ ⃗+ n[x] c Ȯ[x]]+[Ȧ - [(n[x]] Ȧ ⃗+ N-Ȧ ⃗+ O[x][2] ⃗+ n[x]] + (O[x]]] +[Ȧ ⃗+ [N]
[d[+p]-Ȧ] ⃗+ [Ȧd]] ⃗+ [Ph[n]d O[x] ⃗+ [Ȧ ⃗+ E p[2]] +[[m o - Ȧ[d]] ⃗+ [c -m]] ⃗+ PY [d]] ⃗+ (n] c Ph[A]
Ȯ[x] + (x-n] ⃗+ Ȧ-n) Ȧ ⃗+ [O[x][3]] c n-Ȧ]+] +[[x]-[Ȧ[n]] Ȧ - Ȯ c[N-Ȧ] ⃗+ n[x]] c[n[x]] -Ȧ
[[x] Ȧ ⃗+ mP] +[c[d]] ⃗+ [Ȧ-d] ⃗+ ȦP[x]] c Ȧ -P[d]] + A[d]] ⃗+ [Ȧ-P[o]] +PY[d] A ⃗+ ȦP[2] [Ȧ-[d]
[[Ȧ[1]] [n[x] c[[x-n] Ȧ -c] Ȯ[1][n][1] ⃗+ [Ȧ-n] ⃗+ (N] c ⃗+ O[2]] + [Ȧ-n] Ȧ ⃗+ O[⃗+ n[
⃗+ ȦP[3] Ā m̄ +c ⃗+ ȦP[2][n]-O] + [d p] ⃗+ Ȧ] + Ad ⃗+ Ȧ ⃗+ ȦP[3] Ā m̄ [Ph](PY] [n][x] ⃗+
Ȧ -c ⃗+ n[x][2] ⃗+ [Ȧ-n[1] ~~⃗+ (Ȧ[n][2]] ⃗+ [Ȧ-A]Ȧ - O[c ⃗+ n[x]] + (Ȧ Ȧ[2] c ⃗+ n[x]]+~~
[ȦP[2][x]] ⃗+ [Ā m̄[c]] Ȧ] c Ȧ ⃗+ m̄[mP] ⃗+ ȦP[x] d p] ⃗+ Ȧ[Ph[n]][Ȧ[N]]]] + (ȦP[n]
c[Å[1]] + n[2] Ȧ ⃗+ Å[1]][Ȧ-c] [Ȧ-n]] ⃗+ [N] [O][x] [n][x] ⃗+ (x-n] Ȧ ⃗+ [n[x][2]] - Ȧ[n]
[n] Ȧ - P[d]] +[PY[d] m̄p] ⃗+ O ⃗+ [d Ph[n]] c[[d] Ȧ[q]] + [Am p]] +[p] c[d] Ȧ +[[c] -[Ȧ ⃗+ p]]-][d] +[Ȧd] ⃗+
1. [Ȧ -[n][1]] +[Ȧ [Ȧ-n] O c ⃗+ [N] Ȧ] -Ȯ[1]] +[Ȯ[1] c[n[1]] + [[[n[1]] c ⃗+ [N][2]] +[[x-n] +(Ȧ-n] [n] Ȧ
Ȧ ⃗+ Ph[n]] [[T p][d]] ⃗+ [T[o]]] + Ad+ Ȧp] c[d]] c[T[n] [d]] + [Ȧ ⃗+ P[d]] ⃗+ [d] - Ȧ ⃗+ P +[O[x] c ⃗+
[N[1]]] Ȧ ⃗+ c ⃗+ [x-n][n] · [x] + [[n[1]] Ȧ[n] c ⃗+ O[x] ⃗+ [n[2]] Ȧ ⃗+ [[Ȧ][1] ⃗+ [Ȧ] [2]] ⃗+
T[1] Ȧ+ Ȧd] ⃗+ PY [d] m ⃗+ (n] c ⃗+ [ȦP[2]-d] ⃗+ [Ad - Ad]] +[Am p] +[c]] ⃗+ [Ȧ[c]d] ⃗+ Ȧ-P
[[Ȧ[1]] - Ȧ ⃗+ [[n[1] + n[2]]] Ȧ - c ⃗+ [n[2] [Ȧ-n] - Ȧ]]] c Å (+ Ȧ-n - [Ȧ] ⃗+ n[1] c ⃗+ [N[o]]]
(n-o] c ⃗+ [Ph[n]d O [Ȧ ⃗+ E] + [Ȧd] ⃗+ [T[o][1]] d mP ⃗+ Ȧ-c ⃗+ [PY-Ȧ] d ⃗+ T[o][2]] p] ⃗+ PY[n]-

[À-P[n][d]+[n]pl-À] +[[Ad]+[T[1]À] +[Pȳ[d]O c À[Q1] + [T]pl [d] Àmp]] - O c [d] → À-P[d] →

[n]]-Ȯ À → n[1]] +][[[ṅ[1] - Ȯ] - À → [A-n] Ȯ c → À[n]]] + [[x-n] À → [x] → [[n[n]] À-n] À →] →

[Ȳd A] → [ÀP[2] c → [d] + [ÀPȳ-O] c À[a] → Ph[n]d - À → ÀP[2]] + Pȳ d O] + [Ȧd + T[2]À]] + [pl c d À]

[[[À-n] À-[x-n] c [n][1] - À[1] → [n][2] → [À-c] → [À [ṅ][2]] → [n][1] [À][x]] + À[n[1] → ṅ[2]] c → n[2]],

[Å[À-d] + [PY À[m] d] + [Pẏ [d]] + [À[d] + Àmp c[d]] → [m̄[d] + PY-À] c [d] → [À → Ph[n] - O À → Ē] +

[[À-n] À[1] → Ȯ[x] → N[1] - Ȯ[n]] + [Å [À → n [À-n] [1]] → N-À → Ȯ[1]] + [O[n] c → [ṅ][2] → Ȯ[x]]

À[pl[d] → Ȯ[2]] c [d] → À[d] + [c] → n] → [À d - Àmp] → Ph[n] d O c [d] → Ph[a]d → Àmp]

[À-c] + [[Ȯ - [À-c] → n[1]] → À-c[N] → N[x]]] + [[À-[x] → Ȯ[1] - [ṅ] → [N] [Ȯ[1] + Ȯ[2]] c Ȯ[3]]

→ Ȯ[x]] → n] + [[d] → Ph[O]] + À[d] → [Ȯ[x]] c [→ [[x] mp-À] c [d] → [À[Ȯ][[n]-[O]] → [Ph[O][2]] c Å

[-n À → Ȯ]] + [[N][1] c [[n][N]] → O[1] + [O[2] [x-n] - À → [x]] + [À[Ȯ] - Ȯ c → Ȯ[2] - [n]] - À]] c Å

→ Å] + [T[1] À + Àd] + [[À[d]] → [À-mp] + [[ṅ] - À] m[d] → pl + [d→]] c [d] → [Ph[n]] + Å[c → n]

] + [O[N] À → x-n] [[x-n] À → n[x]] → [N[1]] + [Å[1]] + [[À-n] À → [x-n] c → [n] - Ȯ À] +

pl c À → P[d] → PY[n]] c [d] → [Ph À[d]] → [pl [À] - O] → [Àd] → [Ȯ][d] - [c]] → [À[N]] →

-[[x-n] c À[Ȯ[N]] → [n][1]]] c O + À[1]] + [À [[N] À-c] → n-Ȯ] → [À-n] À → N[x] -

[mp-À pl → [n] c À-P[d]] → [À[c]] → [À[d]] → [N] À + c → [m] - Ȯ]]] + [A[d] → m → [n] + [c → O]] → [Àd]

- Ȯ c → O[x][n] À] [n[x]] → À[x-n] c → n[x] → [N[x-n]]] c O[1]] + [[À-c] → Ȯ[2] - [À-n] À → N -

+ [c-À] → [[mp-Àpl [n] c ÀP[d]] [a] + À[c] → Àd] → À[N] d ÀP[x] - [À]]] + [À → P[x] d]

[À-P[n] [d] + [n] p[-À] +⃗[Ad] + [T[1] A] + [P̄Y [d]] O [À [Q1] + [T p] [d] Amp]] - O [[d] +⃗ [À-P[d]] +⃗

[[n] - Ò À +⃗ n[1]] +] [[[n[1] - Ò] - À +⃗ [A-n] O [+⃗ À[n]]] + [[x-n] À +⃗ [x] +⃗ [n[n]] A-n] À +⃗] +⃗

[P̄Y d A] +⃗ [ÀP[2] [+⃗ [d] + [À P̄Y - O] [À[a] +⃗ Ph[n] d - À +⃗ ÀP[2]] +[P̄Y d O] + [Àd + T[2] À]] + [p] [d À]

[[[À-n] À - [x-n] [[n] [1] - À[1] +⃗ [n] [2] +⃗ [À - [] +⃗ [À [n] [2]] +⃗ [n] [1] [À] [n]] + À [n[n] + n[2]] [+⃗ n[2]],

[À [À-d] + [PY À [m] d] + [P̄Y [d]] + [À[d] + Amp [[d]] +⃗ [m̄ [d] + PY-À] [[d] +⃗ [À +⃗ Ph[n] - O À +⃗ E] +

[[[À-n] À[1] +⃗ Ò[x] +⃗ N[1] - Ò[n]] + [Å [À +⃗ n [À-n] [1]] +⃗ N-À +⃗ Ò[1]] + [Ò[n] [+⃗ [n] [2] +⃗ Ò[x]]]

[À [p] [d] +⃗ Ò[2]] [[d] +⃗ [Å [d] + [[+⃗ n] +⃗ [À d - Amp] +⃗ Ph[n] d O [[d] +⃗ Ph[a] d +⃗ Ampl]

[[À - [] + [[Ò - [À - [+⃗ n[1]] +⃗ À - [N] +⃗ [N[x]]] + [[À - [x] +⃗ Ò[1] - [n] +⃗ [N] [Ò[1] + Ò[2]] [Ò[3]]

[+⃗ Ò[x] + n] +[[d] +⃗ Ph[O]] + À[d] +⃗ [Ò[x]] [[+⃗ [x] mp - À] [[d] +⃗ [À [Ò] [[n] - [O]] +⃗ [Ph [O] [2]] [Å]

[x-n À +⃗ Ò]] + [[N] [1] [[[n] [N]] +⃗ Ò[1] + [Ò[2] [x-n] - À +⃗ [x]] + [À [Ò] - Ò [+⃗ Ò[2] - [n]] - À]] [Å

[À d] +⃗ Å] + [T[1] À + Àd] +[[À[d]] +⃗ [À - mp] +[[n] - À] m [d] +⃗ p] + [d +⃗]] [[d] +⃗ [Ph[n]] + Å [+⃗ n]]

[n-À] + [Ò[N] À +⃗ x-n] [[x-n] À +⃗ n[x]] +⃗ [N[1]] + [Å[1]] + [[À-n] À +⃗ [x-n] [+⃗ [n] - Ò À] +]

[À - mp] [À +⃗ P[d] +⃗ PY[n]] [[d] +⃗ [Ph [À[d]] +⃗ [p] [À] - O] +⃗ [Àd] +⃗ [Ò] [d] - [[]] +⃗ [À[N] +⃗ Ò[x]]

[[x-n] [-[[x-n] [À [Ò[N] +⃗ [n] [1]]] [Ò + À[1]]] +[À [[N] À - []] +⃗ n - Ò] +⃗ [À-n] À +⃗ N[x] - Ò]

[À[d] +⃗ [mp - Ap] +⃗ [n] [À - P[d]] +⃗ [À[[]] +⃗ [À[d]] +⃗ [N] À + [+⃗ [n] - Ò]]] + [À[d] +⃗ m +⃗ [n] + [[+⃗ O]] +⃗ [Àd] +⃗

[Ò[N] À - Ò [+⃗ Ò[2] [n] À] [n[x]] +⃗ À[x-n] [+⃗ n[x]] +⃗ [N] [x-n]] [Ò[1]] + [[À - [] +⃗ Ò[2] - [À-n] À +⃗ N - Ò] +⃗

[n - O [m]] + [[- À] +⃗ [[mp - Ap] [n] [ÀP[d]] [2] + À[[]] +⃗ Àd] +⃗ À[N] d À P[x] - [À]]] + [À +⃗ P[x] d] [mp + p]

[N[1] +⃗ [n]] +⃗ [À - [[1] [Ò[n] - À +⃗ [x-n] [+⃗ [n[x]] +⃗ N À +⃗ [Ò - [2] +⃗ [N]]] [+⃗ [Ò[1]] [n]] À +⃗ Ò[n] A]

[À[d]] +⃗ Å [d] - À +⃗ Ph [O] [PY [d]] +[[m[d] - À] +⃗ [À P[x] - d] +⃗ [T[1] + Àd] +⃗ [[PY - O [À] [À +⃗ [a] d

[[[[n[n]] À - Å] [+⃗ Ò[1] - À] +⃗ À +⃗ [n[1]]] +⃗ [n[n] À +⃗ N - Ò[x] [+⃗ Ò[1] [n] +⃗ [n[2] - À]

[Ampl [[] + T[1] À] +⃗ [À[[]] +⃗ [Ph [O] [d] + Àd +⃗ Ò[2] [+⃗ Ph [O] [2] [d]]] + [T[1] Àd +⃗ Å] [[] +⃗ Àd

[Ò[N] À +⃗ [x-n]] [+⃗ [N + n] À ; [À [À - [N] - [x-n] Ò - [À +⃗ Ò[x]] [+⃗ [Å[n]]] + [n[2] À +⃗ Ò[x]

mp] +⃗ [Àmp] [[d] + Àd +⃗ [Ò[2] [+⃗ [À [O] +⃗ Ph[n] - O [mp - À]] [À [mp] d [a] +⃗ Ph [O]

[[x] + Ò[2] [x] - [N] À +⃗ Ò[x]] +⃗ [Å [À +⃗ Ò[3]]] À +⃗ [N] - [n] [+⃗ [Ò[x]] + [À

[A-n]A-[x-n] C[n]C[] ... [A[n][2]] ⃗[n][n] Ȧ[x] + ȦC n ⃗[n[n]] C ⃗ n[x]

[d] + [pY ȦC m] d] + [p ⃗Y c d]] + ȦC d] + Ȧ mp c d]] ⃗ [m ⃗ C d] + pY - Ȧ] c [d] ⃗ [Ȧ ⃗ Ph[n] - ȯ Ȧ ⃗ [E] +

Ȧ[x] ⃗ ȯ[x] ⃗ N[n] - Ȯ[x] + [Å [Ȧ ⃗ n [Ȧ - n] [n]] ⃗ N - Ȧ ⃗ Ȯ[n]] + [Ȯ[n] C ⃗ [n][2] ⃗ Ȯ[x]]

ȯ[2] C[d] ⃗ ȦC d] + [C] ⃗ n] ⃗ [Ȧ d - Amp] ⃗ Ph[n] d O C[d] ⃗ Ph[n] d ⃗ Amp]

[Ȯ - [Ȧ - C] ⃗ n[x]] ⃗ Ȧ - C[N] ⃗ N[x]] + [[Ȧ - [x] ⃗ Ȯ[n] - [n] ⃗ [N] [Ȯ[n] + Ȯ[2]] C Ȯ[n]]

Ȯ[x] ⃗ n] ⃗ [d] ⃗ Ph[0]] + ȦC d] ⃗ [Ȯ[x]] C [⃗ [x] mp - Ȧ] C [d] ⃗ [Ȧ [ȯ] [n] - [0]] ⃗ [Ph [0] [2]]] C Å

[[N] [n] C [n] [x]] ⃗ Ȯ[n] + [Ȯ[2] [x-n] - Ȧ ⃗ [x]] + [Ȧ [ȯ] - ȯ C ⃗ Ȯ[x] - [n]] - Ȧ]] C Ȧ

Å] + [T[n] Ȧ + Ȧ d] + [Ȧ [d]] ⃗ [Ȧ - mp] + [n] - Ȧ] m [d] ⃗ pl + [d] ⃗]] C [d] ⃗ [Ph[n]] + Å [C ⃗ n]]

Ȧ - [Ȯ[N] Ȧ ⃗ x-n] [[x-n] Ȧ ⃗ n[x]] ⃗ [N[n]] + [Å[n]] + [[Ȧ - n] Ȧ ⃗ [x-n] C ⃗ [n] - ȯ Ȧ] +] 0]

mp] C Ȧ ⃗ P[d] ⃗ PY[n]] C [d] ⃗ [Ph [Ȧ[d]] ⃗ [pl [Ȧ] - 0] ⃗ [Ȧ d] ⃗ [Ȯ] [d] - [C]] ⃗ [Ȧ [N] ⃗ Ȯ[x]

[x-n] C Ȧ L O [N] ⃗ [n] [n]]] C O + Ȧ[n]] + [Ȧ ([N] Ȧ - C] ⃗ n - ȯ] ⃗ [Ȧ - n] Ȧ ⃗ N[x] - ȯ]

[mp - Ȧ pl ⃗ [n] C Ȧ - P[d]] ⃗ [Ȧ[C]] ⃗ [Ȧ[d]] ⃗ [N] Ȧ + C ⃗ [n] - ȯ]]] + [Ȧ[d] ⃗ m ⃗ [n] + [C ⃗ 0]] ⃗ [Ȧ d] ⃗

Ȧ - ȯC ⃗ Ȯ[x] [n] Ȧ] [n[x]] ⃗ Ȧ [x-n] C ⃗ n[x]] ⃗ [N [x-n]]] C Ȯ[n]] + [[Ȧ - C] ⃗ Ȯ[2] - [Ȧ - n] Ȧ ⃗ N - ȯ] ⃗

[n]] + [C - Ȧ] ⃗ [[mp - Ȧ pl [n] C Ȧ P[d]] [2] + Ȧ[C] ⃗ Ȧ d] ⃗ Ȧ [N] d Ȧ P[x] - [Ȧ]]] + [Ȧ ⃗ P[x] d] [mp + pl] ⃗

[n] ⃗ [Ȧ - C[n] [Ȯ[n] - Ȧ ⃗ [x-n] C ⃗ [n[x]] ⃗ N Ȧ ⃗ [ȯ - [2] ⃗ [N]] C ⃗ [Ȯ[n] [n]] Ȧ ⃗ Ȯ[x]] Ȧ

d] + Å[d] - Ȧ ⃗ Ph[0] C PY[d]] + [m[d] - Ȧ] ⃗ [Ȧ P[x] - d] ⃗ [T[n] + Ȧ d] ⃗ [PY - ȯ[Ȧ] C Ȧ ⃗ [Q] d

[n] Ȧ - Ȧ] C ⃗ Ȯ[n] - Ȧ] ⃗ Ȧ ⃗ [n[n]] ⃗ [n[n] Ȧ ⃗ N - ȯ[x] C ⃗ Ȯ[n][n] ⃗ [n[2] - Ȧ] +] +

Amp [C] ⃗ [T[n] Å] ⃗ [Ȧ[C]] ⃗ [Ph[0] [d] + Ȧ d ⃗ ȯ[2] C ⃗ Ph[0] [2] [d]]] + [[x] Ȧ d ⃗ Å] [C] ⃗ Ȧ d ⃗]

ȯ[x] Ȧ ⃗ [x-n]] C ⃗ [N + n] n ⃗ [Å [Ȧ - [N] - [x-n] Ȯ - [Ȧ ⃗ Ȯ[x]] C ⃗ [Å[n]]] + [n[2] Ȧ ⃗ ȯ[x] C ⃗]

d ⃗ [Amp] [d] + Ȧ d ⃗ [Ȯ[2] C ⃗][Ȧ [0] ⃗ Ph[n] - Ȯ mp - Ȧ]] C Ȧ mp d [Q] ⃗ Ph[0] [ȯ C ⃗ [d]] +]]]

[n] + Ȯ[2] [n] - [N] Ȧ ⃗ Ȯ[x]] ⃗ [Ȧ [Ȧ ⃗ Ȯ[3]]] Ȧ ⃗ [N] - [n] C ⃗ [Ȯ[x]] + [Ȧ - n Ȧ ⃗ Ȯ[2]] +]

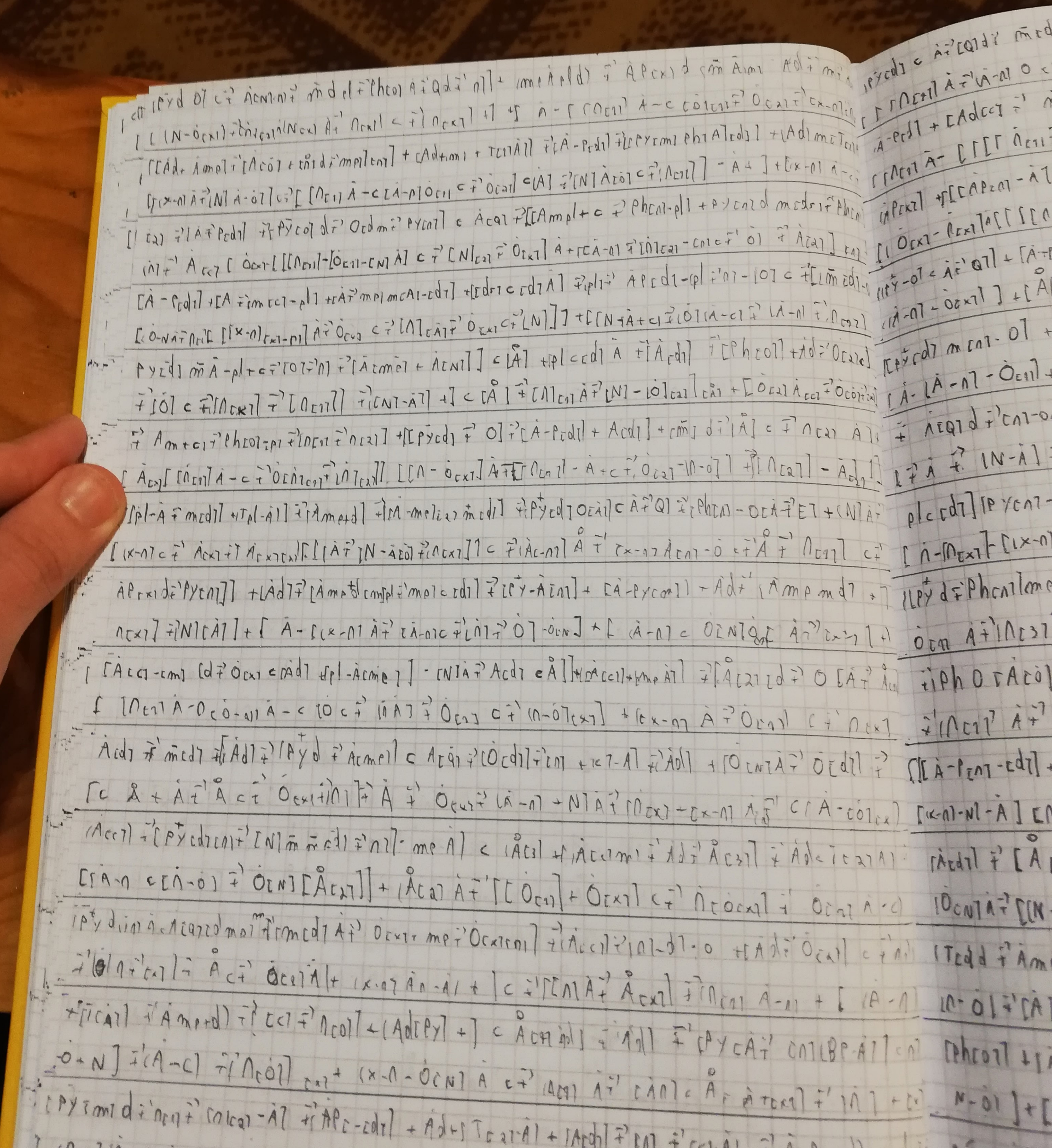
Ȧ - Ȧ ⃗ [Ȧ P[x] d] ⃗ [Ȧ d m d ⃗ n] ⃗ Ȧ mp + n d] ⃗ [[Ȧ [N] C [n] - Ȧ]] + [Ȧ d ⃗ [Ȯ[2] C ⃗ [Ȧ d] ⃗ pl]

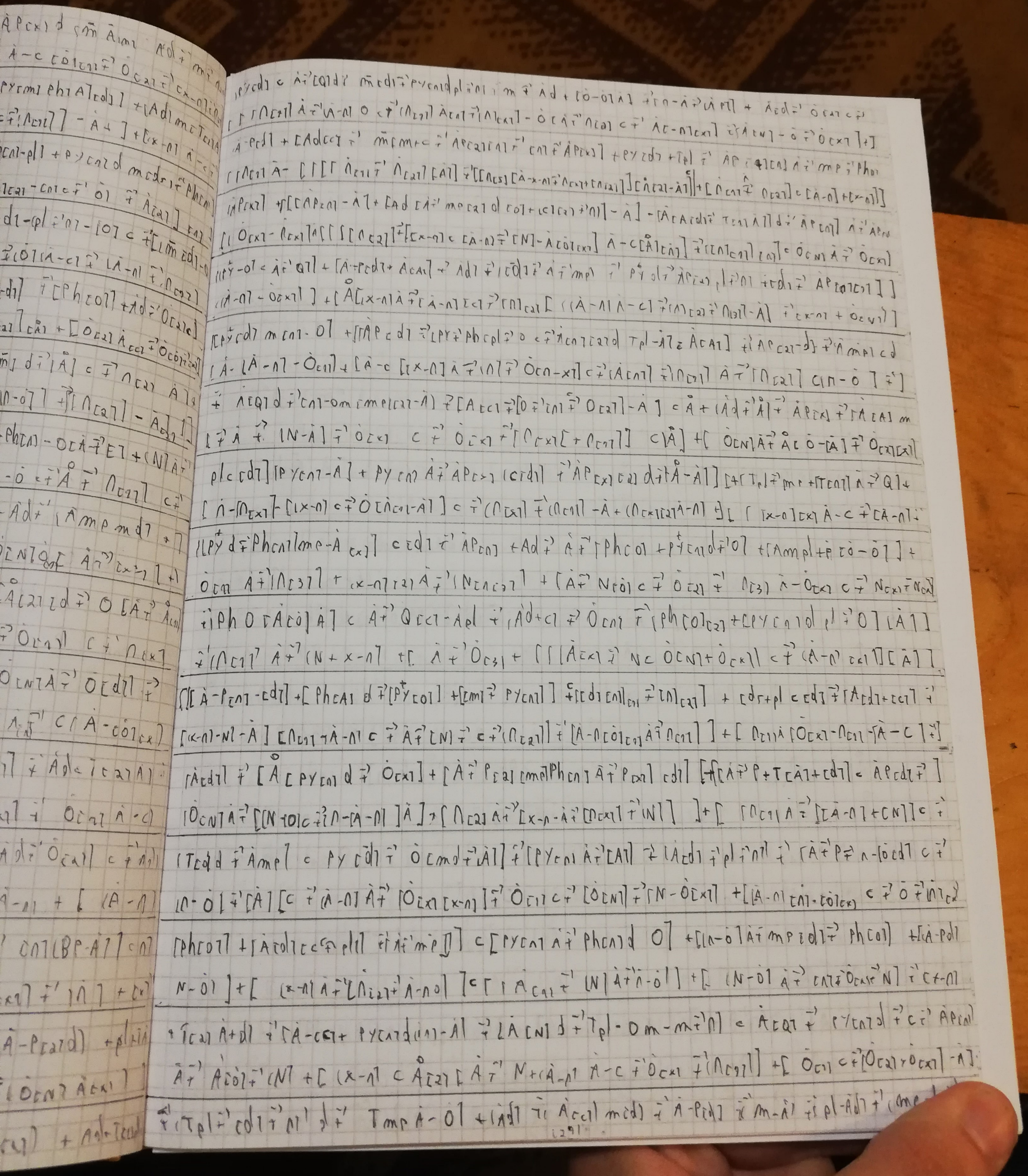
Ȧ ⃗ Ȯ d] N[x] Ȧ ⃗ [n] [x] C ⃗ [Ȧ - n] Ȧ ⃗ [n] C ⃗ [Å] - Ȧ] +] + [Ȯ[x] Ȧ - x-n] C Ȯ[x] ⃗

d mp pl ⃗ n[x]] C Ȧ ⃗ [Q] d ⃗ [Ȧ [ȯ]] + [C - Ȧ] ⃗ [P Y d ⃗ N d Å[2] [Ȧ P d ⃗ N]] ⃗ Ȧ[n]] + Ȧ d] ⃗ +]

Ȧ + C] ⃗ 2 [[Ȧ [0] C ⃗ Å] ⃗ Å[2] Ȧ ⃗ [n - Å [Ȧ] ⃗ [Ȧ - n] C ⃗ N - Ȧ] ⃗ [n[x] + x-n] Ȧ ⃗ n]

Ȧ P[x] - d] ⃗ Ȧ d ⃗ [m] ⃗ Ȧ [ȯ] Ȧ [Ȧ] p] ⃗ [Ȧ m [d] ⃗ [n] ⃗ [N] ⃗ [n] mp ⃗ Ȧ P[x] [2] d] ⃗ n]] + Ȧ d + C] Ȧ





Ȧ + [Ȧlmm] + pl → me - A] + [PYcȦ] → Ph + A] m → (n)(n)] A → (T(n)]m → n] ñel

(n[Ȧ - P(d)] → [T(n)Ȧ + Ȧd + [Ȧ - (d)] → ↑ (n)Ȧ → Ȧ(n)]] + [x - n] Ȧ → [n](2) Å[+ Ȯ(n) Ȧ → Ȯ(x) → (A - c] → (n](2) n → (n(x)

[[[| n(n) Ȧ → [n](2) + Ȯ(x)] → Ȧ(n)]] + [x - n] Ȧ → [n](2) Å[+ Ȯ(n) Ȧ → Ȯ(x) → (A - c] → [n](2) n → (n(x)

(d)] → Ȧ(d)] → [PY(d)] m → (n) → (mel → PY(n)Ȧ - (Q)] c|Ȧ → (Q] → [AP(x) - A(c)[→ n] + n(c) → (n - Ȧ → O

→ [Ȧ - [Ȧ], [n(2)] Ȧ - c [Ȧ - (n)] → [x - n] Ȧ - c → Ȯ(x) → (n(x)] →)N] → Ȧ(n)] . [x - n Ȧ → Ȯ

[| pl - Ȧ(d)] → Ȧ → P(d)] → [T(1)Ȧ, Ȧd] + [TȦ(m)](2)] d pl → T(m)] + [Ȧd → Ȧ me] → [n → Q d → mP

(Ȧ + c] → Ȯ(n)[Ȧ → [N](Ȧ) → Ȯ(x)] = (x - n) → (N] - Ȧ → (n)(x) → Ȧ(c] → [n(2)] → n(x)] + [(Ȯ(c) → Ȯ(c)

| PY d(n)] m → n(Ȧ(2)] d → ||ȦP[nd → Ȧ(N)] + Ȧ(A)] = (n]Ȧ → (ȦP]] + PY(n)] d Å c → AP(c) → n]]

Ȯ(2)] + [| n(c)Ȧ] → Ȯ(x)][Ȧ(n)](Ȧ - x) (n)Ȧ] + (N]=]][| Å(2)] → n(Ȧ] → Ȧ(2)] c + → n(x) Ȧ → (x)]]

(pl(c)(d)] - Ȧ → [ȦP(x) d → (n) - [Ȯ(x)]c → [m̄ → Ph(n)] Ȧ(Ȯ] c (d] + [T(n) Ȧ]]] + [(d]m] c Ȧ → n]]

[(Ȧ - c] → Ȯ(x) → n(x)] + [[Ȯ(2)]] c → [n(n) + [n(2)]] c → N(Ȧ] + Ȯ(N) + [x - n] Ȧ → (n - Ȧ) → n(2) Ȧ]

(m PY(d)] - Ȧ → [pl → (d)] → Ȧ(m P)] c[Ȧ(d)] → [(x) - Ȧmel] → Ȧpl = (d)] → (Ȧd + T(x)Ȧ] → [Ō → Ȧd] → [ȦP - Ȧ

[[Ȧ(n) → [n(2) Ȧ] → (Ȧ - n] + Ȯ(n)]] c [Ȧ] → n(x) → [(x - n] (Ȧ - c] → (Ȧ - n] Ȯ(2)] → [N] Ȧ → n(x)] + Ȧ(x)] +]

| → PY(d)] → n] pl → Ȯ(Ȧd)] → Ȧd → [Ph(n)] Å[+ Ȧme → Ph → Ȧ(x)] → Ȧ(d → Ȯ(2)] c → (Ȧ → PY d → O] d

[+ [(Ȧ - n] Ȧ - c Ȯ(x) → n] +] Ȯ(N)Ȧ (Ȧ(N)] (Å] → [n(x) c → n(x)(2) →] Ȯ(x)] Ȧ] + (Ȯ(x)] + Ȯ(N)] Ȧ + n

[Ȧ → mpl(d) Ph(n)] (+ PY(Ȧ]] + Ȧ(c)] → [Ȧ(N] d → ȦP(x)] → (n] d Ȧ(x) → (me] → PY (d](n)] mpl →

[Ȧ - n]Ȧ(c → N(n)] → N(2)] → N(n)]] Ȧ - c + [N - Ȧ → n(x)] + Ȧ + [ ] → Ȧ → Ȯ(x)] → [x - n

(n] Ȧ → Å(x)] c → n(x)] → n(x)](2)]] + Ȧd(md → Ȯ(x)] → (m̄(d)] → [Ȧ[Ȯ](n)] d → Ph [A] mpl + d(n)

Ȧ → n c → Å(x)] + Ȧ → (x)] c → n] + [Ȧ - (Ȧ] + Ȯ(x)] → [Ȯ(x) + (n - Ȧ](2)] c → (n] + N[Ȧ] → n(x)] + c

Ȧ] c PY(n)] Ȧ(A] d(c)] → Ȯ(x)] → (n) + m̄ d → Ȧ(A]] + [pl - Ȧ c (d] + c] → Ȧd] → (pl → (n] mP]

Ȧ + [(Ȧ - n] Ȧ] c → Ȯ(x)] → n] + n(n)] → Ȧ(2)] c Ȧ + [Ȯ(N)](c] → Ȧ]] Ȧ - c] →](n] x - n Ȧ]

+ Ȧ(c)] → [Å[Ȧ(N]](2)] + (Ȧ - c](d] + (Ȧd → Ȧme] → (Ph(O] Ȧ → Ē(Ph(n)] + (Ȧd] → Ȯ(x) [

Ȧ - c Å[Ȧ(N](x)] + Ȧ(c)(2)] Ȧ → (x - n] Ȧ → N → [Ȯ(n)] + [N - Ȯ → (N] + n - Ȧ → Ȯ(x) c

(] [Ȧ(d)] + [PY(n)] Ȧ → m̄ (n] d → c Ȧ(Q] d → (Ph(O(x)] → (Ȧd → Ȯ(2)] c → Ph(O](x)(2)]

[(x - n] + Ȧ(N]] - Ȧ → (Ȧ(n)] + n] → Ȯ → Ȯ(x) c → Ȧ → n][[Ȯ(x)]] + Ȧ → Ȯ(x) c → [Ȯ(x)]

(m̄(d)] . Ȧ + Ȧd + T(x)Ȧ]] → (pl - Ȧd] → (Ȧ me + Ȧd] → (PY(d)] c Ȧ(d)] → Ph(O] (n)] → Ȧ → Ē](n)]

[Ȧ(n)Ȧ]((x - n]Ȧ → Ȯ(x)] → n(x)] + Ȧ - c + [x - n] Ȧ] → (Ȧ - n] + n → Ȯ → N(x)] → Ȯ +

PY(d)] | - Ȯ(n)] Ȧ] → [Ȧ → P(d)] → (T(d)pl + Ȧd] + Ad[Ph(n)]c Ȧ → PY(d)]] → ȦP(x)] +

Ȧ - n] Ȧ - c → Ȯ → n] + [x][n - Ȧ] + [Ȯ(N)] + Ȧ + (x - n] - Ȯ(- (x)] c Ȧ → (N](x)] + Ȯ + [n(x)]

Ȧ d pl → [Ȯ(x)] c → (n] → PY - Ȯ c → [PY - Ȯ(SO) (m] → n(x)]] c → n]] - Ȧ + (Ph Ȧ → m → n]

[py-Ȧd ⃗+ Ȯ[x] ⃗+ [ȦP[n] [m ⃗+ pl ⃗+ [d]-ȯ[x]] c ⃗+ [d] ⃗+ [A[d][a]]] + (Ȧ[d] + [c]] ⃗+ Ad ⃗+ Ph

c[!] [py-Ȧd ⃗+ Ȯ[x] ⃗+ [ȦP[n] [m ⃗+ pl ⃗+ [d]-ȯ[x]] c ⃗+ [d] ⃗+ [A[d][a]]

[! [[Ȧ-n] Ȧ [n- ȯ[x] c ⃗+ Ȧ[n] ⃗+ Ȯ[x][a]] + [n[n]] + [Ȧ ⃗+ [x-n] + Ȧ[n] ⃗+ [n[x] + Ȧ + [c] ⃗+ Ȯ[x]

[n]d O + Ȧd ⃗+ Ȯ[a] c ⃗+ [Ph[O][a]] + [Ad + T[a]A]] ⃗+ [T[O] ⃗+ ȯ ⃗+ Ȧ ⃗+ mel c Ȧ[Q] d

⃗+ n[n]] c[n[n] - Ȧ[n][ȯ-[n]]] + (n[n] A-c ⃗+ Å[N[O][x] (Ȧ ⃗+ [x-n] - Ȧ ⃗+ N] ⃗+ A

[[m][me]Ȧ[d] ⃗+ Py[n]d pl ⃗+ ȯ] ⃗+ n + [Ȧd ⃗+ O[a] c ⃗+ [Py - A[m] + Pv - dO] c Ȧ ⃗+ Q] ȯ ⃗+ [m]

c ⃗+ n[a]] + [[Ȧ-n] Ȧ ⃗+ [x-n] ⃗+ [Ȯ[x] ⃗+ Ȧn]] ⃗+ NȦ ⃗+ Ȯ[x] [ṅ]]] c [n[n] Ȧ ⃗+ N[ȯ] ⃗+

⃗+ [Ȧmpl ⃗+ m̄] ⃗+ [Py[d] ⃗+ Ph[Ȧ ⃗+ Q]] + ȦP[a][n] ⃗+ [Ad + [pl ⃗+ n] A] ⃗+ Ȧpl [d] + c] ⃗+ Ad

[Ȧ-n] ⃗+ n]] + [n[a]] (Ȧ ⃗+ [c]] ⃗+ Ȯ[x] ⃗+ [N]-ȯ] c ⃗+ (n[n]] + [[x]-n] Ȧ ⃗+ [x] ⃗+ [Ȧ][a]]

(Ȧmpl ⃗+ Ph[O[d ⃗+ Py[O][x] c ⃗+ [O ⃗+ n]] ⃗+ Ȧ[c] ⃗+ (mpl + [pl[d]] Ȧ + Ȧ[c] ⃗+ Ad] ⃗+ [pl-Ȧ][d]

[c] ⃗+ [n[n]] + [Ȧ[3] ⃗+ [N-ȯ] + [x-n] c ⃗+ N[x] ⃗+ N[x][a] ⃗+ n[n]] + [O[N] Ȧ ⃗+ Ȯ[x]]

[[Ȧ ⃗+ P[d]] ⃗+ Ph[A] m̄ ⃗+ [[n]] ⃗+ Ȧ ⃗+ P[a]] + [Ȧmpl[m-[d]] + [Ad[O-ȯ] ⃗+ ȦT]] ⃗+ [Ampl] c Ȧ[⃗+ [d]

[O[N] Ȧ ⃗+ [n[n]] ⃗+ NȦ-c Ȯ ⃗+ [n][a] c ⃗+ [N-n[a]] ⃗+ N[a] n[a]] Ȧ ⃗+ n[n] c ⃗+ ȯ][x] ⃗+ [n][a] [Ȧ[c]

⃗+ [Ȧ[O] ⃗+ n] c ⃗+ ȦP[d]] + (Ȧ[c] ⃗+ Ȧd ⃗+ n ⃗+ ȦP[a]] + [Py[A] ȯ ⃗+ ȦP[a] ⃗+ m[d] Ȧ ⃗+

! N ⃗+ N[a]] c Å ⃗+ c ⃗+ n[a]] ⃗+ [Ȧ[n] Ȧ + c ⃗+ (n[x]] ⃗+ [n[a]] ⃗+ Ȧ[n] ⃗+ Ȯ[x] ⃗+ [n[a] Ȧ

[pl[c][d]pl] ⃗+ [ȦP[x]] ⃗+ [Ȧd ⃗+ [pl ⃗+ T[d]] ⃗+ [T[3] Ȧ] ⃗+ [Py/Ph[n] c Å ⃗+ [Ȧ[d] pl + dr.

(n[n] + n[x] - Ȧ]] ⃗+ (Ȧ-c] ⃗+ n[a]] + [[x-n] Ȧ ⃗+ n c ⃗+ N] ⃗+ [N] c ⃗+ n[a]] + [x]-n] + Ȧ-n]

c Ȧ ⃗+ [pl ⃗+ Ph[n] Ȧ ⃗+ [ȯ ⃗+ Py[n]] + [Py[n]d[n] + Ȧ ⃗+ mpl ⃗+ (pl c[d]] Ȧ ⃗+ [m Ȧ ⃗+ Ȧ[n]

! Ȧ ⃗+ (N-ȯ] + Ȧ ⃗+ [x]-n] ⃗+ [N-ȯ] c [⃗+ (n[n] ⃗+ [n[a]] ⃗+ (Ȧ-c [n[3] Ȧ-n] + [n[3] c

(Ȧ ⃗+ Ȧ[m]d ⃗+ (Ph[O][d]] c (Ȧ[A]] + (Ȧ[d] m̄]] c ⃗+ ȦP[n] + Ȧ[a]]] [n]d ⃗+ mpl ⃗+ ȦP[x]]

! ⃗+ [n[n]] ⃗+ (n[a] Ȧ ⃗+ (N[x]] + [x-n] Ȧ] c ⃗+ Ȯ[x] ⃗+ n[a]] ⃗+ (n[n]] - Ȧ ⃗+ (n[x]]

[[A[d] + [Ȧ[N] pl ⃗+ Ph[n]] c ⃗+ Ȧ ⃗+ P[d]] + [Tpl - O[d]] ⃗+ [Ȧ ⃗+ [m]e] m] ⃗+ [m̄ ⃗+ [n] d] ⃗+ Ph[n] + T[n] Ȧ] +

[[x-n] Ȧ ⃗+ N] + [N-Ȧ ⃗+ Ȯ[x] c ⃗+ (n[n]] ⃗+ n[a]] + [x-n ⃗+ Ȯ[x]n[n] Ȧ[x-n] ⃗+ N c ⃗+ Ȯ[x] [n] ⃗+ O[x][a] ⃗+ N]]

[Ph[A] - [d] + [T[n] - A]] ⃗+ [Ȧ ⃗+ mpl ⃗+ [Ph[A] ⃗+ pl c O[x] - [d]] [+[pl c [d]] Ȧ ⃗+ Ȧd ⃗+ Ȯ[x]] ⃗+ (Ȧ[d] ⃗+ O[x]]

⃗+ Ȧ[n] ⃗+ [n[a]] + Ȧ ⃗+ Ȯ[a + [x]-n] c ⃗+ (n[n]) Ȧ + N] c ⃗+ (n[n]] + [[Ȧ[x]] c ⃗+ Ḋ[x] [n][n] c

⃗+ [ȯ[a] c ⃗+ [T[Ȧ] + Ȧd] + TȦ[x]] ⃗+ [[d] + c ⃗+ [n] + [Ȧ ⃗+ Py[n]] c [Ȧ[A]] ⃗+ [d] ⃗+ Å [Ȧ[d] ⃗+ [Ȧ-[d]] ⃗+

⃗+ [n - Ȯ[x]] ⃗+ (Ȧ[n] Ȧ ⃗+ n[x] + [c [O[x] Ȧ-c] ⃗+ [n] ⃗+ Ȧ[x]] Ȧ c [n[n] Ȧ-c ⃗+

[Py[d] - [Py[n]d[A]] ⃗+ Ȧd ⃗+ Ȯ[x] c ⃗+ [Py d ⃗+ Ph[n] d Ȧ ⃗+ mpl ⃗+ Ȧ[Q] md ⃗+ [pl ⃗+ n] ⃗+ Ȧ[x]] c Å[a]

-n] Ȯ[x] ⃗+ [Ȧ-n]][n][O] Ȧ ⃗+ N ⃗+ n[x] ȯ-c ⃗+ Ȯ[x] ⃗+ n[n] + [x-n] Ȧ ⃗+ n ⃗+ [x] n] c Ȧ[x]

[d ⃗+ Py[n] Ām̄ ⃗+ [n][n] Ȧ] + Ad ⃗+ [c] ⃗+ ȯ ⃗+ [n][a][Ampl [d] + ȧ [Ph[O] - Ȧ[O] ȧ c ⃗+ ȦQ ⃗+
[3]

[Ȧd +⃗ Ȯ[x] + T[1]Ȧm] + [c]d] +⃗ (T[d] +⃗ [x] Ȧ +⃗ mpl +⃗ T[o] A +⃗ ((Ph[o] c T[o] +⃗ PY[N]) + Ȧ[d]

[(Ȯ[N] Ȧ + [ʌ]] +⃗ [x]Ȧ +⃗ Ȯ[ʌ] c[Ȧ +⃗ [[x]:]] [x-ʌ]] +⃗ ([x] c [x-ʌ[x]] +⃗ (x-N] c(Å[x]]

[+⃗ Ȧd] +⃗ T[o][x] Ȧ +⃗ [me[x]] d pl +⃗ T[ʌ]]] + [me d] +⃗ PY +⃗ A] + T pl[m]] +⃗ [pl Ȧ m me [ʌ]] d +⃗ Ȧ

[Ȧ[x]] +⃗ [(x-ʌ + Ȧ[N]] c ((Ȧ-ʌ] +⃗ ʌ[x]] Ȧ +⃗ (ʌ) + [ʌ]Ȧ c +⃗ Ȧ[ʌ]] + [Ȧ + c[x-ʌ]Ȧ[x]]

(Ph[Ȧ] d +⃗ [Ȧ[o] +⃗ Ph[ʌ]] +⃗ Ȧ[Ȧ]] c [d] [Ph] +⃗ (Ph[o](Ȧ-pl]] c Q[p] +⃗ Ȧ[c] d] +⃗ (Ph[o] d +⃗ A +⃗ E]]

[[Ȧ-ʌ] Ȧ +⃗ [N-Ȯ] +⃗ [N]]] c[Ȧ-ʌ](Ȧ +⃗ N] + [(Ȯ[ʌ]] c [Ȯ[Ȧ] (Ȧ-c] Ȧ[N Ȧ +⃗ Ȯ[

(Ȧd +⃗ Ȯ] +⃗ [T[1]Ȧd] +⃗ (PY Ȧ +⃗ me [m d]] +⃗ [[ʌ]-Ȯ] c Å] + [ȦP[x] d] + (Ph[A[d]-Ȯ +⃗ Ȧ[d]]

(Ȧ +⃗ Ȯ] +(x-ʌ + Ȯ[N] Ȧ +⃗ ([x-ʌ] + Ȧ[ʌ]](Ȧ] + (ʌ-Ȯ] c Å] + [ʌ[x] (Ȧ-ʌ] Ȧ c +⃗ N[Ȧ]-Ȯ[x]

[M Ph[ʌ]] + [[T[d] mpl +⃗ [ʌ] +⃗ [Å] d - Ȧ[c]] + [pl c [d] Ȧ] + [pl Ȧ[d]] + (Ȧ[d]] + [Ȧ +⃗ PY[ʌ] +⃗ [Ph

[[Ȧ c [N̊]]][ʌ] + [[ʌ[ʌ]] +⃗ ʌ[x]] Ȧ +⃗ ʌ[c] [Å] +⃗ (N + ʌ[x]] -Ȧ] + [Ȧ - c] + [(Ȯ[x]] +⃗ N] + [[Ȧ-ʌ] +⃗ [ʌ] Ȧ +⃗ [N] c +⃗

[ʌ] c [d]]] c[Ȯ +⃗ Ȧd] +⃗ [pl-Ȧ[d]] + [pl + [d r] d +⃗ me - (Ȧ]] +⃗ [Ȧd]] +⃗ [Ph[ʌ]] d +⃗ [Ȯ[x] [Ȧ +⃗ BP]] +

(Ȧ-N] -[Ȯ[ʌ]]] +⃗ [ʌ] + Ȯ[N] Ȧ +⃗ Å +⃗ [Ȧ - c] + [N(Ȯ[x]] Ȧ +⃗ [x-ʌ] +⃗ Ȯ[N] Ȧ +⃗ (ʌ[x] c +⃗ Ȯ[x] +⃗ N]

[c - Ȧ] +⃗ [Ȧd] +⃗ [Ȧ N] +⃗ Ȧ +⃗ [Ph[ʌ] +⃗ ȦP[x]] c[[Å][x]] + [Ȯ + Ȧ[d]] + [PY[ʌ] d +⃗ Ȯ c +⃗ Ȯ[x] + [m]

+ [Ȧ-ʌ] +⃗ Åc +⃗ [Ȧ] +⃗ N[ʌ] -Ȯ] + [ʌ[x] + (N[x]] c Ȯ[x]] c[Å [x]]] + [[Ȧ-ʌ] Ȧ +⃗ [x] c +⃗ Ȯ[N] Ȧ - c] +⃗ Ȯ[x]

Ȧ +⃗ [x]] d]]] + [pl [d] - Ȧ] + [[c] Ȧ +⃗ Ȯ +⃗ Ȯ[x] +⃗ PY[ʌ]] - Ȧ] +⃗ (Ȧ[Ȯ] c Ȧ +⃗ Ȯ[d]] +⃗ [pl [c] +⃗ [c][x]] +

[Ȧ +⃗ Å] [ʌ ʌ]]] - [(Ȧ + [c]] [Ȧ[N][x] +⃗ Ȯ[ʌ][x]] c[[Ȧ-ʌ]]Ȧ +⃗ [Ȧ[Ȯ] Ȧ +⃗ N[x]] c +⃗ ʌ[x] Ȧ +⃗ ʌ[x]] Ȧ[ʌ]]

d] +⃗ [Ȧd] +⃗ [Ph[ʌ] d +⃗ Ȯ[Ȧ +⃗ BP] c [PY[ʌ] Ȧ] + [Ȧ[c]] +⃗ [Ȧ +⃗ [Ȧ] c [Ȧ +⃗ Q[d]] +⃗ [Ȧ P[x] +⃗ Ph

(Ȯ[N]] [ʌ - Ȧ [ʌ[c] Å[[N] Ȧ +⃗ Ȯ[x]] (Ȧ + [c] +⃗ Ȯ[x]] [ʌ]] + [Ȧ[c]] +⃗ [Ȧ +⃗ Å] e +⃗ [Ȧ[ʌ] +⃗ [ʌ[x]] +⃗

[ʌ] Ȧ +⃗ P]] + [Ȧd +⃗ [Ȯ[x]] c +⃗ [Ȧme] + pl (Ȧ + [c]] - pl]] +⃗ (Ȧ mpl[x]] c [d] +⃗ [Ph[ʌ] d Ȯ[x]]

[Ȯ[Ȧ-ʌ] Ȧ +⃗ ʌ]] (Ȯ[N] Ȧ +⃗ [Ȯ[x]] c [(x-ʌ] (Ȧ - c] +⃗ N] c +⃗ Ȯ[x]] +⃗ [x-ʌ] Ȧ + c] +⃗ + [[Ȧ[N] c +⃗

Ȧ +⃗ E] +] c[Å[3] + Ȧ +⃗ Å[c] + PY[m]] d +⃗ [me] [x] Ȧ +⃗ Ph[ʌ]][x] d Ȯ[x]] c[[d]] +⃗ Ph[ʌ][x]] +

Ȯ[x] Ȧ] + [Å[3] + Ȧ +⃗ Å] + [[N-Ȯ][x] + [x] c +⃗ Ȯ[x] + [x-ʌ] Ȧ +⃗ Å] + [Ȯ[x]] + [x] Ȧ +⃗ Å]] Ȧ +

[[Ampl + [Ȧ[Ȯ] - Ȧ[m] d] + [T[1] Ȧm +⃗ Ȯ[x]] + [PY[ʌ] [m] +⃗ Ph] +⃗ Ȧ] +⃗ mpl]] c(Ȧ +⃗ Q] +⃗ Å]] +

([N] - Ȧ +⃗ Ȯ[x] + [x-ʌ] Ȧ +⃗ Ȯ[N] c +⃗ [Ȯ +⃗ [ʌ]] + [Ȧ-ʌ c Ȧ +⃗ N +⃗ Ȯ[x]] c [Ȯ[ʌ] + Ȯ[x]] [Å] +

[[Ȧ +⃗ Ȧ[Ȯ] m [d] + Ampl[x] + Ȧ[Ȯ][x]m]] c Ȧ[d] +⃗ Å[x-ʌ](Ȧ]] + [Ȧ +⃗ P[ʌ] d] + PY[N] d +⃗ Ȧ

[(N Ȧ +⃗ c[Ȧ-ʌ] Ȧ +⃗ ʌ[x] +⃗ [ʌ[Ȯ] c +⃗ Ȯ]] c +⃗ [Ȧ] +⃗ [Å[x-ʌ]Ȧ]] + [[ʌ[ʌ]] Ȧ + [Ȧ - c] +⃗ (ʌ

Ȧd + c +⃗ Ȯ +⃗ [ʌ] +⃗ Ph[ʌ]] + [Ȧc Ȯ +⃗ [ȦP[1] +⃗ ʌ] [Ȧd mpl +⃗ [ʌ] + [Ȧ +⃗ Å] + [c pl] +⃗ Ph[ʌ]] +

[ʌ] [Ȧ-ʌ] +⃗ [N] c +⃗ (ʌ[x]] [Ȯ]] + [[ʌ[x]] Ȧ + c +⃗ Ȯ[x]] +⃗ (ʌ[x]] - Ȧ[(Ȧ +⃗ Å] +] Ȧ +⃗ (N[Ȯ] +⃗ ʌ

[x] +⃗ [ʌ] d]] + [Ȧd[Ampl +⃗ Ph[ʌ] d Ȯ]] + [Ȧd +⃗ Å[x] [Ȧ +⃗ Ȯ[x]] +⃗ ʌ] + [c - Ȧ] +⃗ (ʌ[x]]

(m̄[d] P→d O À] c [d] →(ÀP[d-À]] + (Ad] m pl + c →(ch[n]] + c (À[a]] + À→P[n] d-lo c] → ph [o] →

[(ʌ[c] →ʌ[c] ʌ] c→ À[a] c À→[A[x]] + [NÀ + c]→ [N→N[x]] [c]] → ʌ[a] → [(À-ʌ] [ʌ[a] ʌ-o]

À→ BP] +(À→ P[d] + T[3] Ad]] → (ʌ] + [m[d] + pl →(ʌ] → [d] → (ÀP[n]] ʌ →Q] →(me] d → (Ph (Py[n]]

→(N-ȯ]] À→ O[N] c→ ʌ[a]] → (ʌ[a]] + (À-c] → À→ (ʌ[a]] + O[N] ʌ (x-ʌ] À→ N + À-ʌ]

[d] A] + A d m̄ →(À→ Å] d→ [Ad[a] → Å[+] c→ (ʌ[a]] + [Ad c→ Ph[n]] + (Ad] → ÀP[n] [c]] +

(À→ʌ] c→ À→ ʌ[a] À→ Å] + [[ʌ - À] → Å[+]][x]] c →] ʌ[a]] + [À→ (N] + ʌ-c] → ʌ[c]]

[(pl→ me] À] c→ [ʌ] d] →([m[ʌ]] pl → ʌ[a] - [d] → [ʌ] [a]] [+([ÀP[n]] [3]] → Ad → AP + T[a] À] +

(À-c] → [x-ʌ][ʌ] + À → ʌ] + [À] À-c] → (ʌ] - À → ʌ[a] + (ʌ[3] c + À→[ʌ] → ʌ] [x-ʌ-À] +

(Àm P + Ad] + [P→y d Ȯ[À→ me]] c [d] → [À[N] pl → À→ P[d]]] + [À me] [d] → Py[n]] + (m̄ À[d]] +]

[[x-ʌ] À] + [À-ʌ] À → [ȯ] → (x-ʌ] c→ (À[N] - ([À]] → (ʌ] + (À[x-ʌ] → (ʌ̇[a] À→ [À-ʌ] - [a] ʌ̇ [a]

[[pl[d] À] + [À[d]] → ÀP[À-N] - À pl[d →(me]] → [N]] → P] +[m̄ pl → [d] A] + (ÀP[d]] + T[m] À?

[[x-ʌ] À → [ʌ][1] + [ʌ[1] + [ʌ[a]] - À[ʌ[a]] → [x-ʌ] + (ʌ[1]] c [Ȯ[x] → À[1]]] + [[ʌ[1]] + [x-ʌ] [x]

[T[1]] + [Ȯ - ȯ] À c [A[d]] + [pl c [d] À] → À[d] → [À[ȯ] [d] m̄ Ph[n] d O[x]] + À[d] → O[a]

c À → [Ȯ - ȯ] → [À-ʌ] + [N]] → [Ȯ[x]] [[N] - [Ȯ[ʌ[1] - ȯ]] À] + [c] → [N[ȯ] [a]] c → [ʌ[1]]] + O[N] À +]

c →[À → P[d]] → (Am pl + [d r] À] + T[1] À] + (À → P[d]] → Ph[n] d O[À → (BP] + (À[d] → O[a]

c [Ȯ[N] À → ʌ]] + [[x-ʌ] → [x] → Ȯ[N] + [ʌ][1] - [N] [O[a] [ʌ[1]] À → [ʌ] [a] → [N] c] [ÀN] [x] →

c → À[d] + [c] → (Ȯ[x] → N] → [ʌ] [Py[n] d → ÀP → [ʌ]] + [[d r] + [pl]] - À] → [d] → (pl] → ÀP[À-d]

c + [Ȯ[À] → O[x] → [ʌ]]] [[N] - À → Ȯ[x]] + [c] [x] - [x-ʌ] → N[ȯ][x] → [[ʌ[1]] → [À[ʌ]]] - À] +]

À → P[ʌ] - [O[d] c] → [[Py[À] + [ʌ] - c] → Ȯ[Ph[n] c → (Py[n]]] c [À[A]] [d] Å] + [À[d]

[ʌ[1] - [ʌ - ȯ] À + [[ʌ[1]] → À[a] → [À-ʌ] - [ʌ[1] - [Ȯ[x]] c → [À[ʌ][1] - N]] → [ʌ][x]] [c] Å + [À[c]

+[T[1] À] → (Àme]] → (pl c [d] À] → [À[d]] → (Py[m] À] c [d] + [À[c]] + (À[d]] +

[(x-ʌ] c → Ȯ → À → [ʌ]] [[À[ʌ]] [1] - [À-c] → Å → [[x-ʌ] + À[ʌ]]] [ʌ] À → [ʌ] - [ȯ] → [[ʌ][x] À →

(Àme]] → [[N-À] c À[Q] d → (me] → [À[A]]] c [[Py[d]] → [Q] → [ʌ] Ph [À] → ʌ - Ȯ[x]] +

(Ȯ[x]] → [ʌ[1]] → (À][a]] + Ȯ[N] + [x-ʌ] - À]] c [À-ʌ] + [[ʌ[1]] → À[1] c (À[a]] → [x-ʌ]]]

(À → P[d]] + [T[1] À + [d]] [+[m̄ [d]] + [m̄ pl c [d] → [m̄ m̄] À]] → [Py[n]] + (À[d]] →

((À-ʌ] À → Ȯ[x] [ʌ[1]] + [x-ʌ] [À → [[ʌ̇[a]]] → [ʌ̇[a]] À] → (ʌ[ʌ[a]] c → [ʌ̇[1]] → [À] →

[[Ph [o] c Py [n] À → pl[d]] - [Ȯ + À[c]] → À → P[ʌ-[o c → [Å[À → ʌ[x] → Ph[À → Py[a]]

[ʌ[1]] [(N] - ȯ] c À[ʌ] - À → [Å] c → [x-ʌ] → [À - À] c → ʌ[x]]] [Å] [À[À-ʌ] c → N] → O

O[x] c [ȯ] [Å] + (À → P[d]] → [Ph[n] d O [BP] - À]] c À[A] [d P[-o] + À] + d À

[3?]

[Ad]+|Ad|c Ȧ[d]ʌ1< ȦP[x]] +[PY-Ȧ +̄ p|] + [Ad+T[1]Ȧ] +̄ Ȧd] +̄ O[x] [m]

[O[N]-O+Ȧ|+ |ʌ[1]| Ȧ+̄[N-Ȯ[x]] c+̄ Ȧ[ʌ[x]+̄(N O[x]c +̄ʌ[x]][Ȧ-ʌ] Ȧ]] + (O[1]-Ȧ

[p|+[d]] c Ȧ[d]]+̄[Ȧ[m]]+̄ Ȧ[m e]d+̄ Q[Ȧ]] + [Ȧ[d]] +̄ |Ȧ[O] m[d]|c Ȧ[d]+̄ [[PY[N]d+̄

[|O[N]+̄[Ȧ-ʌ] +|O]+̄[x-ʌ] c +̄ Ȧ[1]] Ȧ+̄c+̄[[ʌ][1] [Ȧ][2] +̄ [Ȧ-ʌ]+̄ N[x-ʌ]+̄

PY-O[d]] +̄[T[O]]p|+̄ T[ʌ]|[m e]] +[Ȧ[c]][+̄[d[p|]+̄[ʌ]+̄ [PY d][m] - Ȧ] +̄ p|[Ȧ],

c[x] [Ȧ+̄|Ȧ-c|+[x]-ʌ]]+̄ |O[N]] c+̄[ʌ][x]] +[ʌ[1]+Ȧ[2]]]+̄[ʌ[1]][-̄ Ȧ] +̄ [O[x]]+̄

O+̄[m]] +[Ȧ[d]] +̄ O[2]] c+̄ Ȧ[m p|]+̄[O]c [Ȧd]+̄[[PY[d] O|-Ȧ] +̄ Ȧ[d] - O] +

|ʌ[x]]]+[|x][2] Ȧ+̄[x-ʌ]+̄[O[2][ʌ]] c+̄ [[N]+̄ [ʌ]-[O +[ʌ]]+̄ c +̄|Ȧ-ʌ|Ȧ-O

Ad]+ T[2]Ȧ] +p|+̄ m e[d] - Ȧ] +̄[ȦP[x] - Ad|[ʌ] - O]c+̄[p| - Ȧ[2] +̄[PY[ʌ] Ȧ p|+̄ [Ph

+̄ [ʌ]] + [x-ʌ] c+̄ [O[x]] +[|ʌ[x]] c[Ȧ-ʌ] - (O+̄ Ȧ] +̄ |ʌ[1] +̄ ʌ] +̄ [O[x] c +̄ Ȧ

[Ȧ+̄ BP] c[Ȧ[Ȧ]]] c[[d]-ph - O]]+ c[Ȧ[2] + Ad] + T[2]Ȧ] + (Ad] +̄ |Ȧ me d+̄ Ȧ+̄ Q]+̄]

(ʌ[x]] +[[[N] c+̄ |O] +̄ (Ȧ - c] +̄ O[x]]] c Ȧ[2] + O[N]Ȧ]+[x-ʌ][x]] + [Ȧ-ʌ|Ȧ[O[x][c[[x]+̄ [x-ʌ]O

[Ȧ[N]] +(Ȧ[c]] +̄ [Ph/PY[m] - Ȧ c[Ȧ][3]] +̄ T p|[m e[d]Ȧ+̄ |ȦP[ʌ]+[ʌ|O[x]d]| + Ȧ[c] +̄ Ȧ[N] - Ȧ +̄ Ph[ʌ]-O]]

[|Ȧ-ʌ] - c+̄ O[x] +̄ |ʌ[x] +̄ N] |Ȧ - c+̄ Ȧ[3]] + [[x-ʌ][Ȧ]c +̄ Ȧ[2] +̄ [x-ʌ[2]]+̄(O[N]] +̄]Ȧ + [[Ȧ-[N]]

+̄ ȦP[ʌ]] +̄ [Ȧ[2]] + ȦP[x] Ȧ[c] +̄ Y d O [x] +̄ ʌ[1]] d+̄[Ȧ[N][2] c+̄ Ph[ʌ]d]] + [Ad] +̄ [Ȧ[O] d+̄ Ph[ʌ]

+ [ʌ[1]] c+̄ [Ȧ[2]] + [|x-ʌ| Ȧ+̄[x]] +̄ ʌ[x]| Ȧ-c[Ȧ-ʌ] O[x] +̄ |ʌ[1]] Ȧ] + [(O[N] +̄ Ȧ+̄ Ȧ[N]

+̄ O + Ȧ[c] + Ȧ[d] +̄ O[ph - Ȧ]] +[Ȧ[m e p|[+c] +̄ Ph[ʌ][x] p| +̄ m e]] +p|Ȧ] + Ad] +̄ Ph

O+ [|N[O]] c +̄ [Ȧ]] + ʌ[1]-ʌ]] +[[N[x]c]][Ȧ c + [x-ʌ] +̄ N[O[x]]+[[x]][x-ʌ] - [|ʌ] c+̄ O

d O[Ȧ+̄ BP] c|PY[ʌ]d] +̄(ʌ) + Ȧ[c] (Ȧ[d] +̄[Ph[ʌ] d O[Ȧ+̄ E] +Ȧ[d] +̄ O[2] c +̄ Ȧ

(ʌ - c[N]-O]|+̄ Ȧ] + [Ȧ-ʌ] c+̄ O] +[[ʌ[1] c O[x] +̄ ʌ[x]]+O[N]] + [(O[N] Ȧ - c[O[x]]

+̄ O[x] [m d] + ʌ - O[Ȧ]+ c+̄[m e] d+̄ p| - O] + (Ad[p|[m]+̄[d]]] +̄ Ȧ m e] +(Ȧ m e][2]]

(ʌ[ʌ]] +̄ ʌ] - O + O[x][[x-ʌ] [c] - O] + [(Ȧ - c[ʌ] Ȧ]] [|x-ʌ] [ʌ][1]] + [ʌ][2]Ȧ]]

|Ȧ[O - O][d]|[c] +̄ [ʌ]] +̄[T[d] ȦP[2]] +[Tp|[d] +̄ Ad +̄ ȦP[2] +̄ [ʌ]ȦP[1]] +[N-Ȧ[d] +̄ O +̄ [ʌ][2]+p|

[[[N]-[Ȧ] +̄ [ʌ][1] +̄ [ʌ[2]][c[Ȧ-ʌ]]] +[[|x-ʌ]+[Ȧ-ʌ]+̄[N] c+̄ O[ʌ][2]+̄] |ʌ|[1] - Ȧ] +[|O[x] c +̄ Ȧ

+̄ Ph[ʌ]] +[[Ȧ[m p|] + Ph[O][x]] [d] +̄ p| - p|] +[[Ȧp|[d][1] +PY[ʌ]]d] Ȧ[p|] +̄ Ȧ[Ph - O]]d

+̄[N][x]] +̄ [ʌ[2] + Ȧ[x] [N-O +̄ N - O[x]] + [|N - c|] [[ʌ[1]] c +̄ N[O][1]] Ȧ[x-ʌ] +̄[N[O

+̄ ȦP[1] p|]] +[[m[d] +̄ [O - O] - Ȧ]] +[[[d] +̄ [PY[ʌ] c[d] m] +̄ Ph[Ȧ] d + c +̄ ʌ +̄ m e Ȧ]

[x]] Ȧ - c+̄[ʌ[2]] - [ʌ[1] +̄ ʌ[2]] +̄ ʌ[1]]Ȧ[[O[N]Ȧ]] +[[ʌ[2] - Ȧ +[Ȧ-ʌ] +̄ |ʌ|c +̄ N Ȧ[d] +[x-ʌ-Ȧ

Ȧ+̄ P[d]] +[Ȧ[O] p| +̄ O[Ph[ʌ]] +̄ [ʌ]] d+̄ ȦP[2]] + Ȧ[d] +̄ O[Ȧ +̄ |ʌ[Q][Ph] - d]] +̄ [ʌ]]

[x] À ï mp] + À d] ÷ [Ó[x] c ÷ [À

[d] À + [À[d] + [c] ; T[2] Ȧ]] ÷ [n] d ÷ [Àmp] + Àme[m] d ÷ [x] À ÷ mp] + À d] ÷ [Ó[x]] c ÷ [À

[x-n][x] À-N] ÷ Ó+ [[∩[1] ÷ [x-n] + [À-n] À ÷ [∩[x]] ÷ [∩[2]] ÷ À-n] À ÷ [ṅ][2] c ÷ Ó[x] (N] ÷ ∩.

[T[3] À] + [p] ÷ [n] c d ÷ py-o d [c] ÷ [n]] c [pẏ[d] A[n] ÷ [1]] ÷ À[n][x]] + [mpy[d]] ÷ [2]

À] ṅ Ó+N]] + [[[∩] ÷ [∩] À ÷ [∩[2] - Ó[x]] c [∩[2] ÷ [∩[x]] c [[À-n] ∩[2] - Ó] [x] + [(Ó[N] À

Àme] + À[d]] ÷ Å[À ÷ Àp[x] c À[ey[n] ÷ ph[n] d O] + Ad ÷ (Àp[x]] py[d] À c ÷ (∩[d]] +]

[x-n][x] + [[N] - À ÷ [n][x]] ÷ c ÷ (N] ÷ Ó[x] ÷ ∩[x]] ÷ Å[2] [(∩[2] - [À-n] ÷ c ÷ [∩[x] [∩[2]]

[[À ÷ p[d]] + [py - A[d]] + [p] c [d] ÷ Å[À ÷ [n] ÷ Ó[x]] + [d] ÷ [p] ÷ py[n] - À] d A ÷ Ad ÷ Ó[x] + [n].

[[Ó[N] À ÷ ∩. Ó[n] [∩[2] [À-n] - À [Å] ÷ [∩][2] [À-n][2] c ÷ [Ó[x]] + À[N]]] ÷ (N] ÷ [[n] [n]] +

Ó[x] ÷ [À[N] [m] p] ÷ [n] ÷ [À[n] [me] [d] ÷ Ó]] c ÷ [À p[2] ÷ [n]] + [A[me] [x][2] c

[Ó[x]] + [[N[x-n] ÷ N[n][x] + Ȯ[n] À-n] c ÷ ∩[x] ∩[2] - N] = [[∩[2]] - À] + [(x-n] [x] - [2] c À

py[n] [d]] - Ó] + [[À[N] [m]] ÷ p] ÷ [Ó ÷ ṅ]]] p] [d] c ÷ À ÷ p[d] [2]] + [A[d]] À me] c [d]

À[c-n]] ÷ c Ó] + [[[∩[1]] À-c] ÷ (Ó-Å] ÷ (∩[2] - ∫n - À ÷ [x]] + [À-c] ÷ Ó[x] ÷ [x-n]

p] ÷ [me] [n]] ÷ Ó[n] [pẏ[d]] c [À p[d]] - [n-o] c Å[py∩ ÷ ph ÷ Ó[x]] ÷ [∩[n]] + [Ad ÷ [Å] - À ÷ [c]

÷ [[ṅ] - À ÷ [x]] ÷ [Ó[n] [À-n] À[c] ÷ ∩[n]] - [n-o] c À[n]] ÷ [À-n] c ÷ (N] - Ó ÷ ∩[n]] [À ÷ Å[n]]] À ÷ c

÷ [À p ÷ [2] d] + À ÷ me] - Ó ÷ À m̄ [m]] [d] p] ÷ [T[n] - [d] ÷ [me] - O e] c ÷ ∩[n] ÷ [∩[2]] m̄ m̄]]]

[(∩[2] À] + [(Ó[x]] c ÷ Ó[3]] [(∩[2] ÷ ∩[x]] À ÷] [x-n] [x] [x-n][2] - Ó[c] ÷ ∩[x-n] ÷ ∩[2] À-n] ÷ ∩[2]

(À ÷ p[d]] ÷ [T[3] À + [d] ÷ Ad ÷ py[À] [n] d ÷ A ÷ Àp] + [Àm[ey]] ÷ + À + [d]] ÷ [À ÷ p[d]] [Àd] ÷

[Ó[x] À [[∩[1]] À ÷ [∩[2]] ÷ [À-n] c ÷ (N] - Ó[n] [2] [x]] c] ÷ [x-n] À ÷ [x]] [n] c ÷ [n] [2] [÷ À-N] ÷

T[2] À] ÷ [À-N] ÷ [À ÷ ph[n]]] c [Ó[n]] + [py-À c [d]] - A ÷ [ph[n] À ÷ Àp[2]]]] [py [c] ÷ n]]

[+ [x-n] À] F ÷ [À-n] + c [[∩] [2] - [Ó ÷ [À[N] - À + [c] ÷ À[n]]] ÷ [∩[1] - À] + [[∩[2] À - c ÷

A[d] p] ÷ ph[n] d O[À ÷ 8p]] ÷ À ÷ p[x] d] ÷ [ph[A] [m ph[o] [x] [À ÷ 8p] p] ÷ [n] [d] ÷ pẏd O]]

Ó[x] ÷ [∩[x]] ÷ [Nȧ - [∩[1] + ∩[2]] ÷ [ṅ[2] À - c] ÷ Ó ÷ [∩[x] [2]] ÷ N[À] [2]]] + [[∩] [d]

÷ À[N] d [m] p] m Àp[x] - [n]]] c [[d]] - [À] + [À ÷ p[d]] + [À c d] + T[À]] + [[pẏ d o] c ÷ À[N] d

c ÷ [À-n] - N[x] - Ó c ÷ [À + [c]] ÷ ∩[2] N - Ó[x] c ÷ [∩[x] [2]] + [À - c] [2] ÷

À[A] d [pẏ - p] [À] ÷ [À p] [d]] ÷ À ÷ p ÷ [n] c + d ÷ [Ó] c ÷ [pẏd O] ÷ me] c À[e] d ÷

[∩[x] - [2]] ÷ [∩[x]] ÷ [∩[1] - [x-n]] c [À[ṅ]]] ÷ [ṅ[2] ÷ ∩[2]] ÷ [∩[2] c ÷ (∩[x] [2] ÷

À[À ÷ [py[ph] [n] - Ó d p] + [c] ÷ p[x]] + Ad ÷ [O[2] c ÷ [A[m ÷ [c-p]] ÷ [[y] - À] ÷

∩] + [∩[2] À-n] ÷ [∩[x] À + [∩[2] À-n] - ∩[2]] + [ṅ - Ó] c ÷ [∩[x] [2]] + [[ṅ] c À ÷ [∩] [x]

[Ad] + [À[p] + d]] c [d]] ÷ [À ÷ p[2] - ∩ - p c + d]] ÷ [ph[n] d [pẏ-o] d m̄]] ÷ [N]] +
[+o]

ÀCAldil ïÀ ì'Pcxd7 ïiPlccdlÀ ï' [Pïdo] + Àd ï[Ò[a] c ï [PYCndo ï mph mel ï'

[2] A] + [x-n] ï' A[N] c ï' N] [À-n]-(n[2] c ï' Ò[x]? [À ï [n[2]] ï [n[x]]-(n]] + Ò[N]

AP[x] ï'Pl ï(lt'/cmei-(n]] ï'[[d][x]] + ((Ad ï' mpl ï' A[P ï'Phil ï' ÀP[x]] c ï'(n[2]] d ï'

Àï' O[x] + L n[2] + c ï n[O[x] ï' [n[2-À-n] [À ï c] ï' (n[x]-n]- À-n]-Ò[x]] ï' (n[2] c

Plc[d]A ï' [[ïd O] c[m]-A [eY[n]d[in] ï' À ï' À[Ò][md]] + Àd ï' [Ò[2]] c ï'[PY[Àmp] c

[x] ï' [n[x]] + O[N] À ï [x-n] -[O[x] c ï' [[À-n] - À ï (n[x]] ï' [x-n]-(n] ï' (n[2] c ï'

À[N] Pl ï' A[x] ï' [eY[d]]] c [Å[2]] + [À ï' P[x] d] + [Àd- T[2]À] ï' (À-(PY-O]] d ï' n]]

n[2]] ï' [n[2]] ï[n[x]] c [Å[x]] + ï[[n[x]] + O[n] c - Ò ï [x] ï' [x-n] À-O]]

[TPl-À] + [[À[Ò] ï Ph[O]] c Ph[n]] c À[A] + T[2]À] + ÀP[x] [d]] + A[d]-[À-N] ï Ph[O] ï À'

[[[x-n] ï [x] À] + [[Ò[1] ï [N[1]] + [Ò[N][1]]À] c ï [n[x]] ï [N] ï (Ò[2]]]] ï [[N]-[Ò[3]]À[c ï À-n] ï N]

P[2]d] + À[x] ï (Àd] ï (O c ï' /Ph[O]] + Àd ï (Ò[2]] c ï' (Ampl + c ï' [n]] c[d] ï' (À ï P[3]d] ï (Àd ï'

ï (n[1]] + [[Ò[-n] ï' N] ï' O[x] c[Ò][x][2]] c ï' [[n]] ï (N]-À] + [n][1] + n[2]] ï' (n[2] À ï' Ò[x]] + [Ò[N]

Ò c ï' [Ph[Ò] + À[Ò] c ï' Ò ï (n] d] ï (Àd ï' O] + [T[2] + Àd] + (m̄[d]] + PYd-À] ï (Ph[n] d O ï

+ [x]-n]-[x] À] + [Ò[x]-À[i]] [N] - O ï (n] ï' Ò[x]]] + Ò[N] + x ï À] + [n[2] c ï' À] + n[2] c ï' (À-n] - À] +

(À[c]] ï [(À ï P[x] d n - O[c] ï' Ph[n] d O ï' À ï' B[P] + (m̄[d] + c + [PY-À b] ï' À ï' P[x] d n - O[x]

(À-c] ï' [(Ò[N] À ï Ò[x]] [(À-n] c O[x] ï' [n[2] c ï' O[1]] + À[n][2] c ï' Ò[x] ï' [n[1]] ï'

c ï' (ÀN] d Ò - À[d]Pl[n ï' O] c ï' Ph[À] d - O[2]] c [Å]] + [PY[n] d ÀP - À ï' n] c ï'

[N] c [n] ï' [n[2]] ï' (À[N]] c ï' (n[2]-Ò[x]] ï' [N]] c [À] + [(À-n] À ï' n[Ò[x]] c ï'

Ò[ï' n[2]] ï [[A[Ph-mpl[n] c Pl[n] m̄[mpl[c] ï' Pl[2]] + T[À]] + À ï' P ï[n-O] c ï' (AmPld

Ò ï' [n[c]] [[[N] + Ò[x-n] c ï' [x] À - O[1] c ï' [N[x-n]] [2]] + [x-n] À]] - Ò] ï' n[x] c ï Ò ï' [x-n]

ï' Ò[P] + À[c] ï' ï Ph[O]] + ï (Pl + d-] c [d] À] ï' Pl ï' [ÀP[x]] + (d] ï' (PY(Ph] c[n] Àd] ï' [Pl

ï' Ò[x]] + [À-c] ï' (N[Ò]] ï' [Ò[N] À ï' O[x]] + + [c] [n[x]] + [À] + [N-[À-n] [n-n] [x

ï d] ï' Ò[2]] c À[d] + m[d] ï' Ò[2] c ï' [Ph[O]] + Àmpd]] + [À[d] + T[À]] ï' m̄[d] À] ï' [ē Y

(n] c ï' Ò[c] c À ï' [n[À] c O[x] ï' [(N]-Ò] - [x-n] À] + [Ò[N] - À]] [(n[2] À ï' n[2]

d À c ï' Ò ï' n] ï' (m̄ d + Ampl + (À[c]] ï' (Amp] ï' (AdPl ï' [n] d ï' ēY d]-O] + (À[e]] ï'

c ï' (Ò[x] + À ï] À ï + [n[2] À ï' [x-n] c ([x]-Ò] + (À-c] ï' [x-n] + [(À-n] c O + À-c] ï'

Àd [Ò]][x] ï' (À[d] ï' À[T[3]]] ï' (PY d A] m[n] ï' Pl ï' mP-À] ï' (Àmd] ï' me [d] ï' (Àd] ï' n]

n - Ò[n] + [À + [x-n]-Ò[x] + [(À-n] c À ï' (n[1] [x-n] À ï' [x] + (n] c À ï' [x] ï' Ò ï' n

ï me[d][d] ï' Ò + [T[3] + À[d] ï' (m̄ ēY [d] À (m ï' n]] + [Ph[n] d À ï' A[2] [illegible] Y[n] A

[À[d]÷ |O[a] c÷ À÷ P[d]) + [A ÷[d] ÷ ph[n] + T[2] m À]] ÷ [À P[x]] ÷ Å[a] [(A[o],

[[x-[c-À÷ n]-Ò[N]-[O[n] [∩[x] ÷ A[n] - Ò c÷ N] ÷ |[x] ÷ ∩[1]-A| ÷ (∩[x]] ÷ (Å[a]] + A[o

m[d] ÷ ph[n]]-O] < (À[A]] d[n] < (À÷ ph[a] d [3] ÷ (ph[O[x] + À[N] d÷ O[n] el÷ me] +

|n]<À ÷ |[N]c÷ O]]<|À|[1] c÷ [O[N]÷ O[À]÷ (N[O[x]| ÷ A[N]c À÷ O[x] c÷

[+ (À[c]] + À[d] ÷ |[P y[d] m ph[n] d A[x] c÷ O[x] ÷ [∩[x]] d÷ (m÷ À÷ Q]] ÷ [c] ÷ |P y[n]] À

[x-n] À[x] ÷ [À÷ [(À m] À÷ ∩[1] + N][c] O[x] + ∩[x]] (x-n) c÷ O[x] ÷ O[a] c÷ [À-n] -O

÷ ∩[x] ÷ ∩[n] d]] < O[1] + (À d÷ O[a]] c÷ [À[O] c À[N] d À P + |À d]÷]n-O c÷ ph[O][x] + |À d

(∩[x] ÷ ∩[n] A]] < O[1] + [O[N] À |c [À÷ N] À[O] À÷ ∩[x] + À[x] n-O [|N| [x]] + À÷

÷ |p| ÷ À[me]] [c] d] ÷ (À[c]) ÷ ([x] À÷ me] [x]| c À d| ÷ À P[x] d e| ÷ ph[n] d÷ Å[3] d÷ O]]

÷ [c] ÷ |À[x-n]] - [À-n] c÷ À ÷ ([x] ÷ (N] - O÷ c÷ [x-n] ÷ |∩[x]] c÷ À÷ ∩ c O] ÷ Å[3] - O[c]

|À[N] d÷ [me][n] p| ÷ À P[1] c [d] ÷ |À P[a][n]] + [À[c]] ÷ [À[N] [c P y[n]] p| ÷ ph[n] O ÷ À ÷ [

[[∩[x] c [O[x]] ÷ À[x-n] - [n]] c À[O]] ÷ [∩[a] - O[a]] + [[À-[O] + O[1]] c ÷ |N] - [[x-n] c [∩[x] [a]] À].

c [À[d]] ÷ À P]]] ÷ À P[x] d[n] - O c÷ [À P[3] [n d ÷ À p| ÷ |n ÷ ph[n]]] d + A d ÷ Å] +

c [∩[a] À÷ n] ÷] [(∩[1]] c÷ (∩[x]] + [(∩[3] À ÷ [N] c [n-O[x]]] + À-n] [À÷ |À| ÷

+ (À÷ P[a] d]] ÷ [ph[n] d À P[m] ÷ (A me| [c]] + |À[m] -d]| ÷ [À[O] m[d] c÷ À P÷ P y[n] c

+ À÷ ∩[a]] + |N-c ÷ ∩ ÷ ∩[n]] ÷ [∩[1] ÷ |∩[a]] + ∩[1] c [À-n] À ÷ À[O] + ∩[1] À÷ ∩

ph[O[x]] + À d÷ O[a] c÷ [À[O] d]) + (À[c] - d) + (À d + T[a]] À÷ (À me + A d] ÷ ph[n]

[N ÷ O[x]] + [O[N] À ÷ [x] c] ÷ [À[O]] [n] c [À-n] - O [+ [x-n] À÷ [[x] ÷ [x] + À| ÷ (N]

d ÷ À÷ P]) + |T[À] + À d] ÷ (T p| - O[d]] ÷ |[c] d p| ÷ N÷ me| À÷ P[x]]] + [A d p| - A d p|] ÷ |p| c d

c ÷ |À ÷ ∩] + |x-n] -x] c O + |x] + [À-c] ÷ N[x-n] - O÷ ∩[x]] + [O - O] + [À-

À ÷ |À d] ÷ |ph[O]] [+ (À d] ÷ |T[O] + À÷ me]] + (m[d]] À ÷ (ph[A d] c÷ |O[x] ÷ ∩]] ÷ |À÷ P

À + [À-n] O÷ N[O[a]]] (x-n) À÷ (∩[x]] + [∩[a] - (n] À] ÷ [N [O[x]] c÷ ∩ + À÷

À[c] ÷ |d] ÷ À÷ P [n] - O c÷ [ph[n] d O [À÷ B P]] < |A[d]] + [À me + À d] ÷ |À[N] d O

À c ÷ O ÷] À÷ ∩-O c÷ [[|N| c ÷ |n-O]] c] [À-n] À| ÷ [|x-n] À - c ÷ |N-O

(À÷ P[d]] + (A me| [c] ÷ [∩[x] - À] ÷ À P[a] n-O c÷ [À[N] c ÷ |n-O] ÷ |A d - c]] p| ÷ n

À ÷ ∩] | ÷ (O[N]] - c ÷ O + [À-n] À| + (∩[a] ∩-O ÷ |N- [O| [n]] + |A - c] ÷

d] ÷ A me + A d ÷ Å[a] [À N c ÷ n]] + (m[d] À) ÷ À P[3[n]]] + |A d] ÷ A me

À÷ [x-n) c÷ |Å[a]] + (À[d c n]| + (∩[a] À÷ |∩[3] | + |A ÷ [x-n

÷ |O[x]| + A d ÷ T[O] c÷ (O[x] ÷ ∩[x]] + (À d] + m d] ÷ |À[N] d ÷ À P] ÷ m

[4a]

(Ad m [A] + c i' P̈yd O[x] i' n[a]] + ([Ad m (pl c d) c i' [n] d i' T[o] m À[A]] c i' n[a]] +
(An] i' n[a]] c i' O[x]] A [ ] [(A-n] i' (À[a] c i' O] + [x-n] i' (n[a] A] c i' n[a]] +
Ad i' AP[n] i' Å[3] [P̈yd O i' (c i' n[n] i' n[x]] A i' (ch/P Y[n]) + AP[-x]] + (Àd] + m P Y - A]
Ai' n[n] + [Å[3]] + [A[1] c i' O i' n[n] i' n[a]] A i' (A-n+N] + À i' (n[x]] + (À-n] c i' n[a]
A-(medi] i' AP[phcn] c O[À]] i' Ad [O[x]] i' Ad i' T[a] A] i' (pl c d] À i' (Amp + Àd] i' -
O + (À i' n[a] c(A-n] i' N[A]] c i' O + A] c (O[N] c q[i' x-n] + (À-n] À i' [x] + c i'
(phcn] d A i' mp (pl i' AP i' O]] d O i (À i' P[d]] + [P Y[n] d (in] + m d A]] pl-n]] i' (Ampl c d] +
(N] A i' [A] + [A - c i n-O[n]] (À i' n] + [(À-n] c - O[n[1] À]] + c i' n] + [O [A-c] i' N]
(mdi A] i' A[N] c A[A] m i' n] + m d A[a]] + (Ad + pl c i' À[N] [n]] + À[pl + d] + d i' O[a]] -
[n[a] A n] c À i' N + (A i' n[n]] + [n[a] - c i' A] + [À-n c Ȯ i' (N[A]] + (À i' [O[x]]
c d] + Ad[m] i' AP[-x]] + (~~pl c d~~] [[d] À] i' AP[x] i' n[o] c i' P̈yd i' À[n] + O] m + c i' À[A]d] =
c[A] + [À i' [n][x]] i' n[x] [([c i' n] - À]] i' n[x] - Ȯ c i' [n[a] c i' O + i' À-n] +
P̈yd O] + [[À[d] - [O[À-pl]] + T[1] - A + Amp + Àd] i' [À[o] d i' P̈ Y-d[m] + [Tpl c d] À]] + Ampl +
A-n] - O] + [A i' [n[1] - O[c i' O[N] + [x-n] c [x]]] i' [(N - O[c i' À-n]] i' [[(x-n] [n] c N[O] [À i'
Tmp - O[n]] (Àd] i' phcn] d AP[x] - d] + [T[A] + c d]] i' (Amp] i' (Ad P̈ Y Ampl phcn]] + T[n] A] +
[x] i' [x-n]] + [(n[a] À-n] A] [n[x] A i' (N] - O c i' [n[x]] + (n[a] + n[a]] i' (n[1]] À + [x] i'
[[d[c d] i' O[pl] c c d] À] i' A[O] - À i' phcn] c (A[d]]] + [m] + (Àd] i' [phcn] + A[n]] i' pl
(n[a] - (N-O] + O[n] [À i' A[O] i' N] + [n[a] - A c i' (n][x] - N]]] + [[n[a] + [x-n] [x] i'
i' mp i' O] c AP + Ad + phcn] i' (n[x]] + (À i' P[d]] [x-a]] i' Ampl + c i' (O] [n] i' (n] (phl +
À i' (n] [n] + (n] [a] À i' [n[x]] + [N]]] + [[(n[a]] + [O[N] + À-n] À i' n[a]] + N[c] - À i'
O[n] c i' Amp + Àd] i' phcn] d O + A[c] i' A[O] c (À i' N] - O] pl i' [n] - phl] + (m[d] À i' Ampl]
(O[x]] c [(x-n] i' À] i' [N - A + c i' O + [+ N - O] [[À[N] [c i' À[O] i' O]] c [n] À] + [n[a] À i' [x-n]
[À i' [P[d] + [A[d] - [m] i' T[n] À] i' O - [n]] + (Ad[m] + [O - O] - À]] i' Ampl] + (À-c] + c d] i' Amp i' O
[n-(O[x] i' [[n[1]] + [x-n] - (À-n] c (O[n] i' [N-À][x]]] + [A ([x-n] À [c] i' [[N] c i' [x] i' n[x][A]] i' N[x]].
i' mp[a]] A] + [m[d]] + [Ad i' [O c i' (AP]] + [[À[m]] i' T[a]] - c d] + [Ampl c d] + c d-] + Àpl c d] i'
[x-n] À] + [O[x] c] i' [O[x] [a]] i' [[n[n] c i' [N i' [n-N] À i' O[n] [n[a]] + O[x]]] + O[N] À]
O[a] c (À i' P[d] [n]]] + [Ampl [md]] i' [P Y[n] d [in]]] i' P̈ Y - O] + Àd i' O[a] c i' (pl c d] À] +
O[a]] c i' [n[a]] + [O[x] c À i' n À-n] - O + (À-n] À i' [x-n]] + O i' n]] + [O[x] À i' [x] c À-n] - O] +].
Ampl + P Y[n] d À i' [in]] i' (À - P Y - O] [a] + ~~pl c d~~] [[d] - [c] À] i' (AP[a]] [n] - O c i'
[43]

ÀP[n1] + <1Ȯ+ Ad +̈ P[d] +̈ [T[2] + Ȧd] +̈ [Amp + Ȧd] +̈ [Amp pl +̈ À[N[a] Ȧ +̈ [AP

[À[N] c Ω[x] c Ȯ +̈ [Ω[n] À + [x-Ω] c[[x][2]](À-Ω] + Ȯ[N] À +̈ [x] + [x-Ω] [2] c +̈ À[N]

+̈ ÀP[x] + À[c] +̈ [(À[N][2] [n] d À +̈ ph [n] - O[À +̈ E] + [ph[n] + À[N] +̈ À +̈ E[n]

+[Ω[x] À] + À - c] +̈ À[N] [3] [n] À +̈ (N] [n] c Ȯ + [N] À + À N] c Ω +̈ N-0

c[N][x] - À] + [T pl - À] +̈ [À[d]] + [Py d À +̈ [6] +̈ d] +̈ [d] m̄ +̈ Å[m̄ ph[n] +̈ pl[c] d À

c N[x] À + [(x-Ω] c [x] À] [+ [(x-Ω] + [Ω[2] c À +̈ [(Ω[2] À] +, Ω[2] c] À]] À[À[2]

+̈ (Ad] +̈ [Amp d +̈ ÀP[n] + [[d À[m]] +̈ [À[c] +̈ ÀP[x] Ω + 0 c +̈ (T d À +̈ Q[d]] +̈

À +̈ (N][2] + c +̈ Ω +̈ [x] Ω] À +̈ (À[Ω] + (À[2] c À +̈ (À[n] À + À - c +̈ (Ω[x] - Ȯ c +̈ x Ω

(À[N] m pl +̈ Ω[x] +̈ (mpl m A d +̈ À P[n]] c] ÀP[x]] [n] +̈ (Àd +̈ T[À]] + pl[d] À] m̄

Ȯ[N] c Ȯ,] + (Ω[x] À +̈ [x-Ω] c +̈ Ω - À] c À[N] - (Ω] [x] À] + À - c +̈ Ȯ[x] +̈ Ω

Ā] + pl[c] d] À +̈ [ÀP[x]] + Àd +̈ [Ȯ[2] c +̈ À +̈ P[d]] [n] + [Amp] + [[m À + Àd]] + [Amp +

À +̈ (Ω - c] +̈ [Ω[x]] + Ȯ[N] c Ȯ[x] +̈ Ω[À] +̈ [[x-Ω] c [x] + À[x-Ω] c Ȯ]

Py[n] d [n] À] + [Ampl [2] +̈ [[T[0] m +̈ (N] À[d] +̈ mpl + [pl[c] d À] + [T[0] d pl +̈ mp[x]]] c

(À-Ω] c À +̈ Ȯ[x] [x-Ω] À[x] À[x-Ω] + (À[n]] c À +̈ N [x-Ω] - [x] À + [À N] c [x-Ω] [2 À

+̈ T[n] - À] + pl[c] d] À +̈ [Py [d] - O[mpl +̈ Ph[n] m̄] +̈ À[N]] c [m̄ [d]] + [À[c] + Àd]

+ [À[x-Ω] c[ÀO] + Ȯ[n][2] c +̈ [x] À +̈ (À - Ω] - Ω[2] c À +̈ Ȯ[Ω[x] c +̈ À[N] +̈ Ω[2]

(À +̈ [Q] [Amp c d +̈] À] [m] d +̈ [À[0] + pl +̈ À +̈ À[0] [n]] c [O[x]] c Àd +̈ Ȯ[x] +̈ À pl [m d] c

Ȯ[N] À +̈ [x-Ω] À] + (À[2] À] + [À[0] c +̈ À +̈ À[0] [n] + Ȯ[N] À +̈ Ȯ[x] + À +̈ Ω

(Ω[x]] + pl[c] d] +̈ (Àd] +̈ (Ph[n] d Ȯ +̈ À +̈ E] +̈ Àd +̈ [Ȯ[2] c Àd +̈ (À[N] c +̈ Ph[n]

c +̈ Ω[x] - À - c] À +̈ [(N] c O[À +̈ N - Ȯ] + Ȯ[N] À +̈ [x] - Ω] c À N] À +̈ N

[2] d +̈ Ȯ[2] [À +̈ E] [2]] + [À +̈ P[d]] + [T[3] À + Àd] + [Ampl [c] pl +̈ [ph[n] +̈ Ω[x]] [d]] + À[d]

À +̈ Ȯ[2] [À +̈ N-Ȯ] + [À +̈ Ω[x]] + [x - Ω À] + [Ω[2] (À - c] +̈ (N] [x] +̈ N[x]] + À

+̈ Ph[n] d +̈ Ȯ[x] [À +̈ ph[n]] d +̈ Py[n]] + Àd +̈ Ȯ[2] c +̈ [(À N] d +̈ ÀP] + pl[c] d À +

[N] c À +̈ Ȯ[x] [N - À[2] (À-Ω] + [À +̈ Ȯ[2]] c +̈ À[N] +̈ À +̈ [Ω] [À - Ω] + À

Amp + Àd] +̈ À[N] d +̈ mp pl +̈ Ȯ c +̈ Ω[x]] Ω[x] [2] À] c [À d + m + [c]] +̈ [mp] [d] +̈

À +̈ [x-Ω] + À[Ω] À +̈ [x-Ω] [x] c +̈ Ȯ[x] +̈ [Ω[x] c +̈ (N] À +̈ Ω[x]] - À +̈ Ω[x] + c

O[x]] + À +̈ P[d] +̈ (À pl[d]] + À +̈ Ω - Ȯ] + pl [d] À +̈ [Amp + Àd] +̈ [T pl - À] c [d] +̈

[Ω] À +̈ Ȯ[x] À +̈ (Ω[x] + À[c] À + Ω - Ȯ] + c À +̈ [x-Ω] + c À + [x] c [x - Ω] c [2] À

h[n] + À[N] d À +̈ E[0] [2] + pl[c] d] À +̈ Ȯ[x] +̈ (À +̈ P[x] d] +̈ (À[d] + T[2] (À] +̈ À +̈ O

[4]

(d] Àmpl c [Ò[x]-A] À ⃗ï [Àd] ⃗ï med Ò[x] - ÀN] ⃗ï Ò[x]] + (Àd] + Ï[x] A] + [A[c] + mpl] ⃗ï

[À ⃗ï [x] ï [Ñ] c [x-Ñ]] c ⃗ï [Ò[N] c Ò[x] + (À-Ñ] ⃗ï Ñ [À[x]] ⃗ï [x] À ⃗ï [x-Ñ] [2] c Ò[x] ⃗ï ÀP]

Ò[x] ⃗ï Ò[x] + Àd ⃗ï [Ò[2] c ⃗ï [pl[d] ⃗ï Ò[x] c [d] ⃗ï [Àmpl] + ÀP[x] Ñ-Ò[x] c ⃗ï [P] ⃗ï d À ⃗ï]

ÀN] + [Ñ[x] + À-c ⃗ï [x-Ñ] Ò [c ⃗ï Ò Ñ [c À ⃗ï [x-Ñ]] + [Ñ[x]] Ñ-Ò[x] c ⃗ï Ñ[2]

ph[Ò] mph] [Ñ] + c[À[d]] ⃗ï Tpl ⃗ï mpcd] ⃗ï [ÀP[x] [À-N]] + [À[A]] ⃗ï [Ò-Ñ] À c ⃗ï Ph[Ñ] ⃗ï

À ⃗ï N[Ò] À[c] À ⃗ï N[A] c [À[À-Ñ] [N] -Ñ] + Ò[N] c] ÀN + [x-Ñ] [x] Ò ⃗ï [Ñ[x] + À[c

Àrò] m ⃗ï Ph[Ò] [x]] + À[d] + [T[Ò] d] + ⃗ï Ph[Ñ] ⃗ï A[N] ⃗ï [Àrò [mcd] - Ò[x]] + [Àd ⃗ï [Ò[2]

N ⃗ï ÀrÒ] + [Ñ[1] À ⃗ï [N c Ò[x]] c À ⃗ï [x-Ñ] Ò[x] c [N[À[N]] ⃗ï Ò[x] [2] ⃗ï À[Ò] ⃗ï Ñ[c]

c ⃗ï [[Àmpl - Àmpl ⃗ï Ò[x] + m̄cd] pl] + [c] ⃗ï Ñ[x] ⃗ï Ph[Ñ] + [À ⃗ï P[Ñ-Ò c] ⃗ï Àmpl ⃗ï À ⃗ï

(À ⃗ï [[x-Ñ] c Ò[À ⃗ï Ò[N]] ⃗ï [N[x] c ⃗ï N[x] À-c ⃗ï [Ñ[1]] À[N-Ò c ⃗ï Ñ[x] ⃗ï N] ⃗ï

Q[d[Ñ]] ⃗ï [d] ⃗ï ÀN] d ÀP[x] + Àd ⃗ï Ò[x] c ⃗ï ÀP[x] [2] + [À ⃗ï [c[d]] + À[A] dpl ⃗ï Ò[md]

[x-Ñ] À + c ⃗ï Ò[x] ⃗ï Ò[Ñ] ⃗ï [Ñ] ⃗ï À[N] - Ò[À ⃗ï Ñ[x]] + x[Ñ] ⃗ï Ò[2] c ⃗ï À ⃗ï Ñ[x] [2]

⃗ï À ⃗ï Ñ[2]] [d] ⃗ï [Ò[x] c Àd] ⃗ï [m[dÀ] + pl c [d] À] + (Àd] + [[À]] + [Àmp c [d] + Àd]

+ À ⃗ï Ñ[x]] ⃗ï (Ò[x] (À ⃗ï [Ñ[2] + [x-Ñ] c À ⃗ï Ò[N] c Ò[x] ⃗ï [x-Ñ] À ⃗ï [À-Ñ]

+Àmpl ⃗ï [Ò[x] - À] + [Àd + [c]] ⃗ï Àmp + Àd[2]] ⃗ï À[N] d ÀP + [pl c[d À] ⃗ï [ÀN] À ⃗ï Ph[Ñ] ⃗ï

c [x] ⃗ï [x] [Ñ] + Ò[Ñ] c ⃗ï Ñ-c] ⃗ï [x-Ñ] [2] À ⃗ï [ÀN] c Ò ⃗ï [Ñ[x]] + Ò[N] c À ⃗ï [Ñ] ⃗ï [2]

À ⃗ï [[d[Ñ]] + [ÀP[x] + Àd] + [Àd + [[À]] ⃗ï [Ò[x] c À] Ò ⃗ï [pl d ⃗ï Ò[x]] c Àd] pl + c ⃗ï Ph[Ò] À]

Ò] + À ⃗ï [N] c [Ñ] - Ò] + Ñ[x] À ⃗ï [x-Ñ] c Ò + (Ò[x ⃗ï [x Ñ] c À ⃗ï [[N] c [2] [Ñ] À]

[Àmp] d ⃗ï [ÀN] - Ò[x]] + c [m-Ò] d ⃗ï A[c] ⃗ï [pl c[d] À] ⃗ï Àmpl ⃗ï [Àmp [x] d ⃗ï [Py[Ñ] À

[[À-Ñ] À ⃗ï [x-Ñ] c [[x] ⃗ï [À[N] - Ò[x]]] c [Å] c ⃗ï [Ñ[x]] + [Ñ[1] + Ñ[2]] - À[Ñ[1]] [⃗ï [Ñ[x[2]

⃗ï Ñ] + [[d] pl + c ⃗ï Ò[x] ⃗ï Py[Ñ] d[Py-Ò]] c À ⃗ï Q[d] ⃗ï [[m̄ mpl ⃗ï Ò [d ⃗ï Ñ] Ph[Ñ] c ÀP] [x]

c ⃗ï Ò[x] ⃗ï Ñ[x]] - (Ñ[2]]] ⃗ï [À-Ñ] - À] + [x-Ñ] ⃗ï [x] - [1] + [2] À ⃗ï [Ñ] [x]] ⃗ï À[1] [N] c Ò ⃗ï

[Àmpl + pl c[d] À ⃗ï [Àmp c [d]] + Àd ⃗ï Ò[2] c ⃗ï (Àm]] + [pl d ⃗ï Ò[x]] c [d] À] ⃗ï [[Py[À]pl

Ñ[x]-[1] + [À-Ñ À + [c] ⃗ï Ò[x] ⃗ï (Ñ[x]-[2]] +] c [x-Ñ] [[1] - [À]] + [x-Ñ] [2] [À] ⃗ï [À[Ñ]

[d] m̄ [m À[A] ⃗ï Ñ[x]] c ⃗ï [d] Ò] c ⃗ï Ñ[x]]] c [Å] + [pl [d] + Tpl À] + [À[N] d Py[d] À ⃗ï Q[d]]

ÀN[2]] c [Ñ] À ⃗ï [Ñ[x]] [x]] ⃗ï Ò[À-N Ò[x] c + [À] [Ñ] À ⃗ï Ñ[x]] + [À[N]] [3] + Ò[N] À ⃗ï

[À[N] d À[A] c Ò[Ò] ⃗ï N[m]] + Àd ⃗ï [Ò[2]] c ⃗ï [[d] A c ⃗ï Ñ[x]] À[x] + (À-[c]] ⃗ï À[N] ⃗ï

Ò[N] [c Ò] ⃗ï [x] Ñ]] [Ñ[2] À ⃗ï [À-Ñ] - Ò] ⃗ï [À-c] [Ñ[1] À ⃗ï Ò[x] ⃗ï [Ñ[c] + [Ò[x] À] À

Àmp] d ⃗ï ÀP[x] + Ñ[x] c ⃗ï [Ñ[À] mph + Py] [Ñ] [x] d ⃗ï À[N]] + À [1 ⃗ï Ò[x] +]]

[+?]

[illegible]

[Àc1d] + (A[N) d ÀP[x1] + [Àd + (O[a]]c + [[p] + (n) À + Py c d] + AP[x1[a]] + (À[c] d [a]) +

[À - c] + [À[N] c (n[x]] c (À + O[c] + N(À + N + À - n] + (n[x] c À + n[x] À + [x]

À + P[a] d + (d][a] d + m À] + (ÀP[x] + [x][a] - [d] À] + (À + P[a] d] + [T[a] À + À[d]] + m[d]

[À + P[a] + O[N] À + [c] + n] + [n[x] + n[x] [d] À] + [n[a] À] + f(x - n] c À] + (À[a]

+ (À mp] [m] d + [n - O] + [[p] c [d]] [cp] d + O[a] À]]] + [[Ap] + [c] ph[n] d O + À[N] d O[x] [a]

+ [x - n] [n] [n - n] À + (n - O] + (À - c] [O[x] + O[x][x] + O[N] À + c] + À[N] c O + À[N]

[d - À(+ n[x]] + [[py[n] [m] d[O] + [py[n] À [m] d [m]] c À[d] + (p] c [d] À] + (py[d]]

(n[x]] À] + [À - n] [n] [n] À + O + (À - n] c O[x] + À + [À - c + [À - N] c O[x] À

(Àd + O[a] c + (dr c c d] À + [[A[p] [m] + [d]] + [T[c] À]] + À[O] + ph[n] + (Àd + O[a] c

[A[x] c À + O[N] [x - n] c O[a] + À + [À + [À - c] + W + N[x]] + (n[a] À + [x - n] + N + À

((Py[d]] [O] [m + n[x] c + (n À] + Py c O[x]] + (À + P[d]] + [(n m [d] À [d] + (n[a] - À] + [c]

À + [x - n] c O[x] + (À - n][n][a] O [n[x] c + n[x] + n[A] + [n[a]] À] [n[n[x] À + (n[a] - n

d[m À] + Àme] + [À + P[a] n - (O][x] c + [[d] À[x] m Py[n]] + À[d] + [O[a] c + [p]

(À - n + N]] + n [À] + [x] + [x] - n] + (n[5] À + O[n - O c + [n[a] À + (n] + (À - n] [a] + O[N]

[n] d [A[c] + [O[x] + n] c + [[À] [md À]] + (p] c [d] À + Py [À] + m À]] + (p] c [d] [c] c [O]] +

(x - n) c + [À - n] [n] À + c + O[x] n] c À [O[x] c + À - c) + (n[a] + (À - n) c À + [n]

[(A[m] d + mp] + m m À] + (À + P[d]] + [(Py[n] d À[A]] c [[n] Àd] + Py[n]]] + (À + O[d]] +

À[c] + À[n] + À[x - n]] + (n[a] + n[a] À) + (n[a]] + À - n] c À] + (n] a + (n n] + n]

+ À + P[n - O c + [Àmp + Py c d] À] + [n[O] + À[ÀN] d [O] p + d] (+) À[c]] [dr - À] + (À[d] + [T[c]

[À + n - O] c + [x - n] + n[a] À(+ n[O] + (À[N] c À + O[x] c À + À[c] + O[N] O[x]

À + P[n - O] c + [ph[n] d O [À + E] c Py[n] d m] + [dr] c [d] À] + À + P[n - O] c + [p]

c + O[a] À] + [[N] À + O [À - n c [n] [n] À + n]] + [N[À] + [x - n] [x] c À + À] [n]

d + me] À] c [d] + [[np] + mp [À + P[n] d ÀP[x]] + [Àd + O[a] c + [[A[c] [[mp] À + [y[n]

O[c] + N[À + [x] n]] c À[a] [n c + [x - n (c + À + (n[a] + n[x]] + ([x] - n) c O[x] +

+ ÀP[x] + n[x]] + [dr À[d]] + (À + P[n - O c +]] [Py[O] + O[x] À] [x]] + [À + [d]

(À - c] + (À + (n[x]] + (n[x][a]] + (N[x - n] c À] + [À[c] À + O[x]] c] (n]] [N][a] n

[ph[n] d O[x] c + ph[n][x]] c À[A] + T[c] m À] + [À + P[x] d]] + (p] [c[O] À] + [À +

(À(N c + O[x] N[x]]] c (À + O[N] + x - n] À] + (n] [c] À + [N[x - n] c À - n À]] + [n]

[n - O] c + [[d][a] À] + [ph[n] d O] + À[N] d À[c] + ph[O] d] + (ÀP[a]] dp] c [d] À

[illegible]

mplđ mp†ˈ Á†Pcl1 c†ˈ Phcn1] < [d]†ˈ Á[N1đ m1 Phco1[x1+ Tp| ıd m̄ + pY[nd 1 m̄ + Ám

[Á-c] †ˈ Ó[1] †ˈ N[A] †ˈ [x-n1] †ˈ N] c Á†ˈ ÁCN1 < [-x-n1 [Á1] †ˈ N1 ió [x+

mpl] + 1A[d1]pl †ˈ TıN1 Á] †ˈ Á†ˈ P[21d1 †ˈ (Ad+ T[1 m Á1 †ˈ pY[N1m1] †ˈ Á†ˈ P[21] [n-O

+ n[2] Á[x1]+]+ [Á-c] [n-Á] †ˈ (ÁN] [x-n] Á†ˈ [n[5]] †ˈ [(Á-N] [n] n[n] Á†ˈ n[5]

n[d] tY-Phcn1 Á†ˈ Ó[x1] Ó[c] ÁN] [c] †ˈ Á†ˈ P[d1] [n] m Á[x1] c(Á[x1] + (Ad] †ˈ Á

-Oc†ˈ (Á-n1- [N] c Á†ˈ Ó[x1 + ÁcN' CÁ†ˈ n[2] |n Á C(Á[x1] + [Á]+

rÁmp+ pY[n1d] (n1) + m-m] [d] A †ˈ Ámp + Ád] †ˈ Phcn1d O + cÁ[A] †ˈ [d] †ˈ Phcn

n[2]]+ [Á-n] Á-Ó] + [Á-n] Á†ˈ Á[x-n] c†ˈ N [O'] c Á[+ (Á[A c†ˈ N

Tıd O[Á† BPl+ c†ˈ Ó[x1] †ˈ [n] + [d] †ˈ [[d] 1A P[x1- Ád] Ó[2 c†ˈ ÁP[x1] [2]] + Ád †ˈ O[

n-Ó] †ˈ Á[N-n-Ó] + cÓ[x1] Á]+] n[2c Á] †ˈ n[x] †ˈ O[N1+ Ó[x1c Á†ˈ n

c†ˈ Ampl+c[O] †ˈ n[x1] †ˈ O[x1 [Á[N] c Ó[x1 †ˈ (Ámp) Ó] †ˈ Á†ˈ P[n1d] †ˈ mpÁ 1[x1

†ˈ (O[x1][2][c†ˈ [n[x1]. †ˈ Ó[x1[Á[N] c Ó[x1 + [x-n] c Á†ˈ n[2] †ˈ Á[x-n]

+pl[d]] c [d] Á] †ˈ (m Ámp + Ád] †ˈ (Á[N1ıd] †ˈ (mp†ˈ ÁP[x1]d Á[2]] †ˈ Ámp+ Ád] †ˈ

cÁ†ˈ (Ó[1] †ˈ Ó[2] cÁ-n†ˈ Ó[N] Á†ˈ [Á[Á] [x-n] + Á[n] †ˈ Á[N] c†ˈ [x-n] †ˈ n[x] n

ÁP[2]] + (Ád †ˈ (O[2] c†ˈ ÁP[x1]- (Ámp) + n[c] †ˈ (Á†ˈ P[2]] (n-(O c†ˈ [d][2] †ˈ (Ád]

(n[n]] < †ˈ (O[x1[2] [c†ˈ n†ˈ [n5] †ˈ Á[n[x1] †ˈ [x-n] * Á-c] Á†ˈ n[5] [n-O

c(n-Á] + Ó-Ó] + pY[nd †ˈ (ÁP[x1]pl †ˈ n] c (O[x1 †ˈ Ád] †ˈ [Á†ˈ P[d1] + (mÁ-Ád]

†ˈ [n-Á [Ó-Ó] †ˈ [Á-n[n] Á†ˈ n[x1] [N]c†ˈ Á-n] Á†ˈ Ó[x1] †ˈ Á †ˈ n[2] + [Á[N

Ampl]+c+[d1] d + (O[x1 c†ˈ n[x] †pl[d]] [T[d] †ˈ T[N1d Á] †ˈ (Ád] †ˈ (n-O

Á-n[n] -Á] †ˈ (N] †ˈ N[x1] Á-c] †ˈ Ó[x1] †ˈ n[x1] + [Ó[N] Ó[2] cÓ$_2$ Á] + [x-n

†ˈ n[ÁP[x1]] + pl c[d] †ˈ (Á†ˈ P[d1] + (Á[d] †ˈ (m[d]] c†ˈ [Á†ˈ P[n1] †ˈ Á[d] †ˈ pY

ÁN]] [N] Á†ˈ (n[x1] + Á-c] †ˈ n†ˈ n[2] †ˈ Ó[n] Á[+ n[n] A + c†ˈ n[2] Á

Á]+ (pl[d] Á] + [mp†ˈ (ÁN] < Phco[x1 [m[d] Á[A] †ˈ Ád †ˈ Ó[x1 c†ˈ [[m] d †ˈ pl

n[1] - Ó[Á-n] Á†ˈ Ó[N] [Ó[2] cÓ[2] Á] + ÁN] †ˈ N-Ó[x1]+ [n[n] Á + Ó[N

(ÁndPhcn1O[x1]] O Ó[x1 †ˈ Á†ˈ P [n-O c†ˈ [Phcn1d †ˈ ÁP[x1d]] †ˈ [T[2] Ád] †ˈ Ád

Á†ˈ Ó[x1] + [Á-N c[N cÓ[x1] Á†ˈ [n[2 n-O c†ˈ N[Á] †ˈ n[x1] + [ÁN] [x

(pY[N1d[n] m Á[x1 c†ˈ n[x1] < Á[A]] m] + Á[pl c[d] †ˈ (Ampl] (†ˈ Phcn †ˈ Ámp

Á†ˈ (Á-n[N] Á†ˈ n[x1] [c n[x1] cÁ c(Á[x1] + Á[Ó[x1 cÓ[x1] Á-c[N] + Á-[x-n

P[x1 n-O[x1 c†ˈ (Phcn1d O[x1] Á] †ˈ pl[d Á] †ˈ Ád] †ˈ Phcn1d O[Á†ˈ m

[illegible]

[illegible]

[ȦΠΠ[ɛd][Aɛɛ][Π-Ȧ][ɛd] P YɛΠ] + [Ȧ ɛN] + AP[ɛΠ] + [ɛd] + AP[ɛΠ]] + [AP[ɛd] + Aɛɛ] + A] + [ɛΠ-o] c + O[ɛx]] } PȦ]

[Π[ɛ1] Ȧ-N] c [Π[ɛ1] - o] + [Ȧ[Ȧ-Π] + Π[ɛ2]] + [Ȧ-N][ɛΠ]] c + [Π[ɛ1] Ȧ + Π[ɛ1]] + [O[ɛN]][x-Π] + O[ɛΠ] Ȧ + o]

[ȦP- Aɛd][ɛm] + [ɛm̄] [ɛd + Π[ɛɛ]-o] + [ȦN][ɛAP]] + [Aɛd] + Ȧ + P[ɛd]] - Aɛo[ɛd] m̄Ȧ + AP[ɛΠ][ɛ2]] + ȦP[ɛ3] Ȧ

[[Π[ɛ1] - Π[ɛ1] Ȧ[ɛɛ] + [Π[ɛ2] c + Π-ȯ] + Ȧ[ɛN][ɛo] + Π[ɛd] + [[Π[ɛx]] Ȧ +][O[ɛx]][[ɛΠ] + [ɛΠ]]] + [[ɛΠ][ɛ2] ɛN] Ȧ + [ɛɛ][ɛN][ɛΠ]

[Π[ɛo]] c + ȦP[ɛx] + Π]] + [ȦP + Aɛd] m̄ [ɛm̄ PY[ɛȦ] + Ph[ɛΠ] - ȯ] + A[ɛx] + {[[Ph[ɛɛ] - Aɛd]][ɛT[ɛ2]Ȧ]] c [[ɛȯ] + Ȧɛd] +

+ [Π[ɛ1] + Π[ɛx]] + [Ȧ-Π] - A[] + [Π[ɛ1] + [Π̇[ɛ2] c Ȧ + [[Ȧ-Π] - oɛΠ̇[ɛ2]] + [ɛx]-[ɛΠ]] c {]N][ɛȦ] Ȧ-ɛ][O[ɛx]]] c [Ȧ-Π][ɛȯ] A] +

[Π-ɛo] c + PhɛȦ[ɛo]][ɛd] ȦP[ɛ7]] [ɛɛ][ɛd] + [ȦP[ɛ7] + Aɛd] + [T[ɛ1]A]] + [P[ɛɛ]ɛd] + [P Y[ɛm]Ȧ + o] c + Ȧ + Qɛd] + [P Ȳ m + [ɛȦ]] Ȧ + [ɛo]]

[[Π[ɛ2] - NɛȦ + [x-Π] + Π[ɛx]]][ɛ1 + ȯ] [[Π[ɛȦ]] - [ɛΠ][ɛ2]] + [Ȧ[ɛN] + [x][ɛ1] [x-Π]Ȧ + O[ɛx] + O[ɛN]] + [O[ɛN]] c [N][ɛȦ] + Ȧ-Π]Ȧ]]

[[PY[ɛN] - ɛd] O[ɛɛ] + ɛd]P] + [ȦP[ɛΠ] + [Ph[ɛN]][ɛȦ + E]] + [mP[ɛȦ] c ɛd] + P̄Y[ɛo][ɛx]]] + [[mP-Ȧ][ɛɛ] PY[ɛN]Ȧ + O[ɛx] + Ȧɛd]] +

[Π̇[ɛȦ] Ȧ-Π[ɛɛ] + ȯ[ɛx]] + [Ȧ[ɛΠ][ɛ1] c + N][ɛȦ]] + [c + O[ɛx] O[ɛN] Ȧ + [O[ɛx]][ɛ2] c + [[x-Π][ɛȦ] c + [Ȧ-Π] Ȧ + Ȯ[ɛx]]]

[mȦ][ɛo][ɛd] + [Ȧɛd] + [Ph[ɛN]ɛd ȦP]] + [[P Ÿ ɛd] O[Ȧ + O][ɛɛ] + [mP-Ȧ][ɛd]] + [[m̄ + [m̄ ɛd] Ȧ + Ph[ɛN]] c

[x-Π] c Ȧ] + [[ɛN][ɛȦ] + [ɛɛ] + [Π[ɛ7]]][ɛo] + [[Ȧ-Π][ɛo] c + Ȧ + [x-Π] ȯ]] + [Π[ɛ2] c + Π̇[ɛ2] + Π[ɛ1] Ȧ]

+ [PY[ɛN] Ȧ + [ɛo]]] + [[P Y[ɛm]][ɛo] + [m̄ A] + [mP A[ɛ2]] + [P Y[ɛȦ-mP][ɛ2] + [m̄ A[ɛo] c PY[ɛN]Ȧ + P̄Y[ɛd]O],

+ [[Ȧ-Π][ɛȯ] Ȧ + Π[ɛ1] c + Π[ɛ2]] + [Π̇[ɛ2] A] + [Π[x-Π] O[Ȧ[ɛ2] + [Ȧ-Π][ɛȦ-x-Π][ɛ2] + [Π̇[ɛ2] A[ɛo] c Π[ɛȦ]

[ɛɛ Aɛd] + [Π-ȯ] + [ȯ - ȯ][ɛȦ] c [PY[ɛN] + Aɛd] + [Π-o]P] + [ɛΠ] + [o][ɛm] + Aɛd][ɛɛ] + [ȦP[ɛΠ] [ɛd] Ph[ɛN]Ȧ]

c[Ȧ + [Π-ȯ] + [[Ȧ-Π][ɛȯ][ɛ7] - Ȧ + [[Π̇][ɛɛ] + [ȯ][ɛ2] - A[ɛ2]] [Π[ɛo] + Π[ɛ1]] + [Π[ɛ2]] [Ȧ + [N] ɛ[Π[ɛ2] A-Π[ɛ2]]]

Ȧɛd-P[ɛȯ] + [mP-Ȧ][ɛɛ] + [ȯ[ɛ1] + Aɛd] [Ȯ[ɛ2] c + [mP-Ȧ + o[ɛx]] - [ɛd] O[ɛȦ] + PY[ɛN] + [O[ɛx]][ɛd]] + Ȧ-ɛ] + [m̄

[ȦP [Ȧ-Π][ɛɛ] + [N[ɛȯ][ɛx] + [Π[ɛ2] Ȧ + ɛȯ][ɛ7] + [ȯ][ɛ2] - [Π̇][ɛȦ] + N + [x-Π] c [x] Ȧ + [Π̇[ɛ2] - Ȯ[ɛ2]] - ɛȯ]

+ Ȧ[ɛN]][ɛo] [Ȧɛȯ] + Ph[ɛN]ɛd] + [Ȧɛd] + [[Aɛd][ɛȦ] c [ɛΠ]Ȧ + [ȦP]] + [T[ɛ3]Ȧ] + Aɛd] + [Aɛd] + O[ɛx] c Π-Ȯ[ɛx]]

+ [Ȧ[ɛN]] [ɛȯ] + Ȧɛȯ][ɛȦ c + N[ɛȦ]] + [[Π[ɛx] Ȧ + N[ɛɛ] O[ɛx] + [Ȧ-Π][ɛm]] Ȧ + [Ȯ[ɛN] + Ȧ][N][ɛȦ] + Ȯ[ɛx] c Π̇-O[ɛx]]

+ [Ȧɛd]] + [ɛd] + Ph[ɛN]ɛd O[ɛx] + A[ɛɛ] + Π̇ɛd]] + [Ȧ[ɛN] [ɛɛ] + Ph[ɛN]ɛd O[Ȧ + E]] + [Ȧ-ɛɛ] + [Ph[ɛN]][ɛΠ] - Ȧ]

+ [Ȧ] + [Π̇[ɛ2] + [N][ɛȦ] + Ȯ[ɛx]] + [Ȧ-ɛ] Ȧ + [ȦN c + N[ɛȯ][ɛΠ]] c + [N[ɛȯ] Ȧ + [Ȧ-Π] + Π[ɛx]],

[[ɛd][ɛɛ][ɛd] + [O[ɛ2] c + [Ȧ + ȦP]] + [Ȧ + P[ɛ2]ɛd]] + [[Ȧ[ɛN]][ɛm]][Ph[ɛo]][ɛx]] Ȧ + mP] c Ȧ[A] + [T[ɛ2]Ȧ]] + [Ȧɛd],

[[O[ɛ1]] c + Ȯ[ɛ2]] - Ȧ + [ɛɛ][ɛ2] + Π[ɛ1]] + [[Π[ɛ2] Ȧ + [[N[ɛȦ-Π] c + O[x-Π] - [ɛΠ]] c[[Ȧ - [ɛɛ]] + [Π[ɛx]]]] + [A[ɛΠ]

[ɛ[mP Ȧ] + [PY[ɛN] d [ɛΠ]] c [ɛd] + [[Ȧ[ɛN][ɛo][ɛx] ɛd[ɛɛ]] [Ȧ] + ȦP + [ɛΠ]] + [Ȧɛd] + O[ɛ2] c + [mP-Ȧ] + [Ph[ɛN]]

+ [x-Π][ɛɛ][Π̇] - [ɛȯ] + [Ȧ-Π] - [ɛȯ]] c Ȧ + [[O[ɛȦ] - [x]][ɛɛ] + Π[ɛ2] + [Π[ɛ1]]] + [x] c Ȧ + [[x-Π][ɛȯ] + [[N]

+ Ȧ[ɛN]] c ȦP[ɛx]] + [ɛȯ] + [AP[ɛx] - [ɛd][ɛȦ]] + [[mP] - [ɛm][ɛd]] + [T[ɛ2] + Ȧɛd]] + [Ȧɛd] + [mP-Ȧ + PY[ɛN]

+ [Ȧ[N]] c + [Π[ɛx]] + [ɛȯ] + [Ȯ[ɛN]] + [[Π[ɛx]] Ȧ + [Ȧ-Π][ɛɛ] + [Π̇][ɛx]]]] [Ȧ[ɛN] + [x] + [x-Π] + [[Π̇-[ɛȦ]] + [x-Π][ɛȦ] + [Ȧ-Π]

[ɛd] - [ɛΠ] + P̈Y[ɛd] c m̄ [Ȧ[ɛN][ɛo]][ɛx]] [ɛd] + Ph[ɛN] - Ȧ + [Π̇][ɛx] + [[T[ɛ2] Ȧ + ɛd]] [illegible] ɛd]P] + [P-Ȧ]]

[ɛ7]

[Ȧ[d] -[[x]-Ȧ] +[[m e [A] + [m]] + A] [c] [d-[o]] + [[pl + [dr]] [c] [d] -[A]] + [A [m] + [c]] + [Ȧ [N] [A + me]

[[x-n] [c] [x ȯ]] + [Ȧ + [n] + [n [1] + [n [2]] -[n -[Ȧ]] [ȯ] [ȯ [N] c + [n [Ȧ] [2] + n [c] + [Å]] + [[n] + [N] [A]

[[ȦP[n]] [o] -[d]] + [[ph[N] [d - A[mpl] [BP [Ȧ]] + [T [1] Ȧ]] + [dr + pl [d] Ȧ] + [Ȧ[d] + ph[o] [A + Ep [d]

[ȯ [n [1]] -n [Ȧ]] + [[N] [c] - Ȧ [N [ȯ [1] + O [2] + [O [x] Ȧ + [O [2] + [n]]] + [Ȧ [N] + x-n] [A + ȯ [N] + n

[ph [o] pl [d] + ȦP[n] + A m̄ ph[o] [2]] + [T pl m̄ + [[m -pl + A]] + ph[ȯ]] [o]] + [AP pl + ph [N]] me

[N[ȯ] [1] c + [N [ȯ] [2] + [n [2] -n] [A]] + [[[Ȧ -n] [c] + [n [2] Ȧ + [N + [n [2]] [c] + N [ȯ] [A] + n [n]

([[dr [c] -[d]] + [py/ph[n] d A] + pl [c] d] + [ȯ c + Ȧ + P[d]] [Ȧ + P[n] [d]] me-pl [d] + [m A]] + m̄ A [+ Tpl +

[[[ȯ [1] + N [o] [c] + O [x] Ȧ]] [c] [n [Ȧ] + N [n] -[Ȧ] + n [1]] + [n [2] - Ȧ [ȯ -N] + n [1] -[n [2] -[Ȧ -n] [c] + n [2]

-[mel + [d]] + ȯ [1] + Ȧ[d] + [ȯ [2] c + ȦP[x] Ampl + [c] + [ph[N]] [Ȧ] + [Ȧ[N] [d] - O[me - Ȧ + [n -[o] [x]] ȯ

Ȧ + [x-n] Ȧ [1]] + [n [2] + n [2] c + [n [1] Ȧ] + [n [x] [c] + [N [Ȧ]] + [ȯ] + [[Å + [n [1] -[Ȧ -n] [ȯ] +] A[N] [o] [x]

+ pl + [[d] + [c] + [py[N] -Ȧ] + [Ȧ + P[d]] + [T [2] + A[d] [[n -o] [c] + [Ȧmp + Ȧ[d]] + [me [Ȧ]] [c] + [d] + [A -N]

+ [Å [n]] [Ȧ -c] + n [2] -n [2] Ȧ]] + [[n [1]] [Ȧ -n] -[ȯ] [c] Ȧ + [[x -n] [ȯ] [Ȧ + [[1] + [Ȧ -N] + [n [x]] c + [ȯ]

|| Ȧ + P[2] [d]] [ȯ]] + [c] + [O [1]] + [Ȧ[d] [ȯ [2] [c] + [ȦP [2] -[d]] + [T [2] Ȧ + [d]] + [[d -pl Ȧ]] [ȯ] + [dr] [c] -

[[n [2] -Ȧ + [n[2]] [o]] [c] [[x -n] [x] -Ȧ + [1] + [2] c] + [ȯ [x] [n] [[n [2] - [x -n] Ȧ [c] + [Ȧ [n]] + [n [2] Ȧ -c]] + [o

+ [ph[N] [ȯ] [Ȧ + E] [d]] [Ȧ]] + [Ȧ P[n] + [ph[n] -[o]] + A[d] + [T [2] Ȧ]] + [pl [c] -[d -pl]] + [AP[n] [o] [c] + [Å] [d]

+ [[N [ȯ] [x] [2] - Ȧ [c] [ȯ]] [n]] + [[ȯ [N] [1] -Ȧ] c + [ȯ]] [n [1] Ȧ + [x] -n]] [c] + ȯ [1] c + ȯ [2] n + [ȯ] + [Å] [n]

[+ [ph[o] + py[N] Ȧ + [o] [x] + [Ȧ -[c]] + ph[N] d ȦP[x]] + [[A[d] -[c] Å] + Ȧ] [o] + [T [1] -A[m]] + [[c] pl] +

[+ [[N [o] + [Ȧ -n] Ȧ + [ȯ] [x]] + [[Ȧ + [c]] [N] [Ȧ] + n [x]] + [ȯ [N] [2] [[n [2] - Ȧ + [n [2] -n [2]] + [O [N] [1] -[n]

[[ȦP[2] + [n]] [ȯ]] + [py[N]] [d]] Å [c] [ȯ + Ȧ[d]] + [A[pl]] + ȦP[n] [ȯ] c + [pl [d] + [ȯ -ȯ] + [Ȧpl] [2]] + [ph[N] Ȧ

[n [2] [Ȧ + Å] [ȯ]] + [[ȯ [N] - Ȧ] [c]] Ȧ + [ȯ] c +] + [Ȧ -c] + [n [1] -ȯ]] c [ȯ [1] c + [2] + [ȯ -ȯ] + [[c] [A]] N [Ȧ]

n] [ȯ] + [Ȧ + P[d]] + [A[d] + [T [1] Ȧ] + [[me -Ȧ] [c] + [d]] + [py [N] c + [ȯ [1] [Ȧ]] + [m]] + [py[N] c + [ȯ [1]

n [ȯ] c + [n [Ȧ] [n]] [n [1] c ȯ [x] + [Ȧ -n]] + [x -n] [c] + Ȧ] + [Ȧ -n] [Ȧ + [ȯ [1] c + n [Ȧ]] + [Ȧ -n] [c] +

+ [[Ȧ + ȯ [1]] c + ȯ [2]] [[d] + [[n [x]]] + [[ȯ [2] ṁ + [N] ph/py]] [c] + A[d]] + Ȧ + P[n [o] -[m̄ + py [d] + ȦP[x]

ȯ [1] + [ȯ [2] + n [2] -Ȧ + n [x] + [[ȯ [2] - [n] + [Ȧ -n] [N] -Ȧ] [c] + Ȧ]] + [[[n [Ȧ -n] -[[n [2] -[n [1]] + [n [1]]

+ py[n] [c] Ȧ[A] [d] + ȦP[n] + [[d] [m] + py[N]] [ȯ]] c[me -Ȧ] + [m Ȧ] + [Ȧ + P[d]] + [T [2] Ȧ[d]] + [[d] ph[N] Amp

| Ȧ [c] + [n [2]] c[Å] + [[n -Ȧ] + [c]] [ȯ -N] [ȯ] N] [ȯ]] c[[x -n] Ȧ]] + [n [Ȧ] + [n [1]] + [[ȯ [N] -Ȧ]] + [[n [2]] + [N]

|| + [T [1] Ȧ]] [c] [py[n] -[m [d]] Ȧ] + [[Ȧ[d] [+ [[me -Ȧ] [c] [[d] [1] m]] + [py [Ȧ] [d] [o] [2]] + [Ȧ + P]

[+ [[x -n] + n N] [c] + [[Ȧ -n] [n] [c] [Ȧ -n [c]] Ȧ + [[n [Ȧ]] + [x -n] [c] ȯ + n [2] + [n [x] Ȧ + [N + Ȧ -n] [c] [x]] -ȯ

py[N] + [c] -d] + [Ȧ + P[n] [o] c + [ph[N] Ȧ + ȦP] [ȯ]] c ȦP[n] [py[N]] [c T[n] Ȧ]] + Å [Ȧ -c + ȦP[n] [2]

[d][c][d] +[O[n][1] +[O[x]][o] +[A+P[d]] +[À[A] +m[n] -[d]] +[T[2] -À[d]] +[T[p] -[m] +m[e] P Y[N] d[o] À

[Ò[1] -[n] [À -[c[À -n]]]+[Ò[x]][c] +[Λ[1] +[À[N] [ò] [À -n] n] +[À -n] À +[x-n] -[x] À -c] [ò] +[ò[2] -[x]]]

[À[d] - T[1] -À] - À[d] +Ph[N] d À P] +[m -[d] +[c] +O[2]] +[[À +P[d] +T[2] À[d]] c +[Ò] +A[m]

[Λ[1] -[N[c] -[À] +[Λ-O] +Λ[2]] +N[À][m] +[Λ[À] [x] +[x] +[O[1]]] +[Λ[1] +[x-n] +À[N] c +[Ò] +À[o]

N[À] +T[À] m À d] +À +P[1] Λ[o] c +[À[ò] -[d] Å]] c[Ò[n] [1]] +[À[d]] +[[Ò[n]][2] c +[m] +[P Y[m] À]

N[À] +[x-n] Ȧ N +[Λ[1]] [ò] c +À[À[2] -À]] c [[x-n][1] +À -c [[2] [O[x]]] +[m] +[À -N À]

[d] -À +m[p] +[Ò[x]] +[À P[1]][n] +[d -m[p]] +[m[e] -À +[c][2]] +[À P[2]][n]] +[T[1] -[d] -À] +[À[d]

[Λ[n]] -[Ò[n]][1]] [À]]+[[Λ[1] -À] +[[Λ[2]]][2] À][x-n] c +Ò[n][1]] +[Λ[2] - À]] +[[x-n][c] Ò] +[À

À] +[p][c] d] +[[À[d]] +[m[p] -À +[d] +n -Ò[x]] +[m[À][d] +[À P]] +[P Y /Ph [c] À[A] +T[1] À]

-Ò[x]] +[Ò[1] c +Ò[2] -[À -n] À] +[À +[x-n] +Λ Ò[x]] +[[Λ][À] +[x-n][c] +Λ[x]] +[À[N][c] [x-n] À]

Ò[c] m] +À[d]] +[P Y[d] +O][À] +[A m[p] +[c] p[2]] +[À -[c]] +[À m[p] +À[d]] +[[À[A]] [d] Å [P Y -[c] À

Ò[n]] +[À -c] +[[Λ[2] À +O] +[N[c] +[x-n] -À] [À -c] [Ò[1] +Ò[2]] +[À -n][ò] c +[À [n]] Å[À -n] [ò]]

[m d] +À[d] +[Ò[x]] c +Ph[o] [À +[P]][x] +[À +P[n -[o]] c +[À P[n] -À] +[T[2] À[d] +[A[m] -p] +[d r[c] -[d] +

[Λ -À] +[O[x] [c x-n À + N[ò]]] +[[Λ[1] c [À -n][ò] +[Λ[2]] [À +[Λ[3]] +[Ò - Ò[À] [c] +[[Ò[x] À

[Ph[N] [À] -[n] -[ò]] +[[m[p] -p] [À]] [d] +[m] +[T[o]] +[T[n]] +[T[p] [2] +[m[p] [2]]] +[[m[p][À] -[m][d] +[P Y[N] d

[N][c] +[x-n] +[À -n] +Λ[x]] +Λ[o]] +[À N[c] [x-n] +[c] [[Ò][n]] +À -[c] +[N]][o]] +[[x-n] À +[Ò[1]][n] +[Ò[x]]

[n] -[ò] +[m[d] +Ò[x]]] +[[À[N] d +Ph[N]] [À][n] +[Ph[d] -[À]]] +[c[[Λ[o]] +[À +P[n]] +[À[d] +T[1] À] +Λ[c]

[n][2] -À[À][2] -[Λ -[c]] [[Ò[1]] [n] +À[N] +N[c] Ò[x]]] c [[Λ[1] À +[c] [ò] +[Λ[2]] +[N[c] +À -n]

-[À +P[d]] +Ph[N] -A[d] +[c] +n +p[À][c] d]] +[m[p] -À [m] d] +[Ph[o] À +[P]] +À m[p] +À d] +Ph[N] O]

[Λ[1] À +[Λ[2]] +[À[N]][c] +[[Ò[1] +[O[2]] +[À +[Ò[n]]] +[N[o] +[Λ[2]] À +[o[x]] c +[N[o][x] -[d]]

[d r[c] -[d] À] +À[d]] +[m[p] -À] Ph[N] d O +[p[À] [d] +À[d] +[m[p] -À] p[d]] +[À[ò] m Ph[N] -[d] +[O]]

[[c] Ò[1] +Ò[1] À] À[1] +[x-n] À +[N[ò]] +[c] [À +[Λ -À] +[x-n][c]] +[[Å][1] [Λ[2] À +[N][c]]

-[T[1] -[d]] +[m[À][ò] [d] +Ph[o] +[m +[m[e] -[d] +[N]] +Å[1] +[[T[1] -À]] +[m[p] -À][c] -[d] +[m] +[o]]

+À +[Ò[1]] +[[x-n] +À[N]][c] [À +[Å[n]][c] +[Λ][1] +[Λ[2] À] +[Λ[2] À[c] +[Λ[2]]] +[Λ[1] +[Λ[1]] [À]]

[À[d] +[m[p] -p] +[d] -À] +[m[p] -Å][c] +[d]] +[[Ph[N] [d] O][c] +[À -N] +[[Λ[d] -Ò À]][c]] +[À P[x] -[d]

[À -n][c] [[O] - À]] +[[x-n] [À]][c] [À] +[[N[c] +O]][o] +[À -N] +[Λ -À][c] -Ò[À][c] +[Λ[x]] +À

À -N]] c[[À +P[x] -[d]] [ò]] +[A[d][c] +[ò] +[n]] [À] +[Ph[N] +P Y[d]] +[T[n] À]] +[[À[d] +[Ph[N]

À -N] c[[Λ[x] À[ò] -[c] +[[N]][À -n]] -[À[2]] +[[Ò[n] c À +Ò[x]] +[x-n +À -N]][1] +[[À +Ò[1] c +O]

+[À -c] +[P Y[d] +Λ -N[c] Ò] +Λ] +A[illegible] +[À ò]] [d] +[P Y[m]]

[Åcd] ⃗ cdm] ⃗ c0] c-1|d] ⃗ [p| ⃗ [T(A](m?]] +p[cc] ⃗ d] cn] ⃗ Å ⃗ P[d]] + [Ȯ c1 m(Å] + [c] ⃗ Ȯ

[(n(n] Å(N] -(c] ⃗ |[N](Å] ⃗ n[2]] +(Ȯ[N] c ⃗ Å ⃗ n(2]] +(x-n] Ȯ] + [|Å-n] [c] ⃗ n ⃗ Ȯ

PY(N] -cd] +[Å ⃗ P[d]] +|T(2] -cd] +[p| ⃗ [n]](m] Å| -cÅ] ⃗ (c](cd] [⃗ [d](c] d](2] + [(m m] Å-

⃗ λ]] Å]] + [n(1] c ⃗ n[x] - Å ⃗ (0] +[Å-n](1] -(c] ⃗ N(Å] (c] (n-Å] + [Å ⃗ N(0] c ⃗ n(Å] ⃗ n

n(0] (c] Å(Å] ⃗ |ÅP(x] -n(0] c ⃗ Åmpd(Å(n] ⃗ 0(x] +[Ȯ(2] -(n](c] Å] ⃗] ⃗ |ÅP(m] -[Ȯ(x] (2]

n(0] (c] |Å]] +[(n(x]](2] ⃗ Å] [x-n] -Å(Å] ⃗ (x] c 0]] +[Ȯ(1] +(2] +(x-n](n](c] ⃗ [n(n] c(x-n](Å]

+[(d] ph(N] -Å] +[A(d] -[Ȯ(c] ⃗ (T(2] -Å] ⃗ Å(d] ⃗ ÅP(2] +[(d] ⃗ Ȯ(x] (c] ⃗ |ÅP(x] -Å]] +

+[Å-n] ⃗ n(2] ⃗ N(Å]] +[[n(1] ⃗ [Ȯ(x](1] +(2] Å-(c] -(n-Å] ⃗ n(2]] +[(x-n](c][Ȯ[(n(c1] -[4] c ⃗ [0|(x]] (Å-n

[mp[Å(N](c] Ȯ(x] (d] Å(Å] -(m ⃗ n]] ⃗ [ÅP(x] n(0] c ⃗ |ph(N] +Å(N] d-p|(Ȯ] (x] (mp-Ȯ(x] d] +[p|(d] ⃗

|[n(N]]-(Ȯ](1] |Å-(c] ⃗ |n(n] ⃗ n(x](Å]] + [(n(x] Å-c] ⃗ [|Å-N](Å] ⃗ (x-n] c ⃗ n(2] Ȯ(x] ⃗ n(x](Å]] + [Ȯ(N]

(c] ⃗ d] +[mp(m] ⃗ Å(d] (m ⃗ (d] Å] +[ÅP(m] -(0] c[(d] ⃗ n(Å] ⃗ ÅP(2]] +[PY-(d] ⃗ ph(N] ⃗ [ph(0]] +

c ⃗ (2] Å] +[(c](x-n] Å ⃗ |Å-n] 0 ⃗] +[n(1] [n(2] -Ȯ(n(2] -Å-n] Å] c ⃗ (N]] +[Å-n](c] -|Å| ⃗ 0 ⃗ N] ⃗ [(n(2] +[n

[PY(Å(d](c ⃗ (0]] + (mp-Å](c] Ȯ] ⃗ [(x](2](m ⃗ 0](Å] +[(mp-Å](d] +|Å-(c] ⃗ |Å ⃗ P(n] -(0](c ⃗ [(mp

[Å-n(Å] ⃗ Ȯ ⃗ n(Å] ⃗ Ȯ(x] + [[Ȯ(1] -(n] ⃗ (x]] +[(x-n]Å ⃗ n|c ⃗ (Ȯ(x]] + [|x-n](c] Å ⃗ [n(1]] (x] Å ⃗ Å](Å] c ⃗ |x-n

(n] -(d] Å ⃗ [|Å-N](n ⃗ n(c] Ȯ(x](d] ⃗ Å](PY(N] d m ⃗ n (mp-Å]] + [T(2] Å(d] ⃗ |A(d] -(c] +T(Å]] +[p|(d] Å

n(Å]] +[Å ⃗ Å-N] (n ⃗ n(Ȯ(x] -Å(|Å-n] ⃗ Å ⃗ (n(c1] ⃗ (x]] +[(x-n](2] -Å]] (c] ⃗ [|Å-(c]] +n ⃗ Ȯ(N] +Ȯ

⃗ Å ⃗ P(2]](n-0](c |ph(N] (0] ⃗ Å ⃗ E(d]] +[Å(d] - Ȯ(2]](c ⃗ [p|(d] ⃗ (c](mp-Å+ (m-(d]] ⃗ [Ȯ(2] -(d]

+[n(2] -[|ÅN](c] ⃗ Å ⃗ [N(0]]] Å ⃗ (0]] +[Ȯ(2] -[(n](Å]] c ⃗ [|Ȯ(N] (c] Å ⃗ (1] ⃗ (2] +(x-n]] + [|Ȯ(2] Å

|(x] -Å]] ⃗ [mp(Å] +(x](2]] +p|(d] ⃗ Ȯ(2]](c[(d]] ⃗ Å ⃗ P(2] -[(n-0]] c ⃗ [(Ȯ] -m ⃗ |p| +(c] ⃗ [Å] -Å]] ⃗ |Ȯ(x]

[x-n]] +[|x-n] Å ⃗ (x] -(x] + [Ȯ(x] ⃗ (c]] c [Å]] +[|Å ⃗ |n(2] -0]] c +[Å-n] ⃗ n(2]] -Ȯ] ⃗ |Å(c] -n(Å]] +

(d] ⃗ |n(x] +[PY(N] d Å ⃗ [A(d] ⃗ Å-N](x] ⃗ [m[m(c] Å] ⃗ n(x]] +[[Å ⃗ [Ȯ](2] (c]] ⃗ [ph(N] c ⃗ [Å-N] ⃗ (c]

(x-n] ⃗ n(x](Å] ⃗ [n(2] -n(2] ⃗ Å(c]]Å ⃗ [N(Å](x]] [n(c] -(c]|Å]] +[(x-n]-[x](2] Å-c] +[(x-n] Å ⃗ Å(c] Ȯ(x] ⃗ N

[Å(d] |Ȯ(2]]c [Å ⃗ P(d] -|(n(0]p|(c]] +|(Ȯ] (mp(m]] ⃗ [Å(Å]] ⃗ |PY(0]]](c] Å ⃗ [(d] ⃗ th(N] d ⃗ ÅP(x]

[(n-0] Ȯ(x] d ⃗] |n(1] -Ȯ(Å] c ⃗ n(x]] + [|Å-n] - |(n(1] -Å] (0]] ⃗ Å(N] c ⃗ n(x]] + [Ȯ(N]

T(2] Å(d] ⃗ |[Y(N] d(n] Å] ⃗ [PY(d]] ⃗ Å d(Ȯ(c]] + [Å ⃗ P(d]] +[Ampl +[PY(N] d(n] + [T(1] Å]] +

[(x-n](c] -(2] Å] ⃗ |Å-n] +[Å(2] ⃗ Å-n](0] ⃗ n(x]] +[[n(1] -Å](c] Ȯ(1] ⃗ [(N](c] - Å]] (x-n] -Å]] +

(d] Å + [Å ⃗ P(2] d](n-(0]](c] ⃗ [PY(N] Å-(c] ⃗ Ȯ(x]] + [Å(d] -|(m] -0] +|p|(c] d [⃗ |[Y(0](x]] Å ⃗ Ȯ

Ȯ(2] +[[n(2] Å] ⃗ n(0] c ⃗ [[Ȯ(N] Å ⃗ [Å(N]] -Ȯ(x]] +[|Å-n] (c] -|n(2] Å(N]] ⃗ |n(1] - Ȯ

-(d] Å] +[p|(d] + T(n] Å ⃗ [Ȯ(x] (d]] +[(c] [T p| +(m] ⃗ Ph(N]] d Å +Ȯ-0]] c ⃗ [(d]] +[ÅP(x]

[p|[c] [d] À] +[Py[m] -À]][c] c[d] +[mp -À] + [[À[o] d +Ph[N] o] + mp À P[x] c + [n] +[n] [x]]] +[À + P[x] [d]],
[N[o] -À+[À-n]] +[O[N] -[c]-ȯ]À] + À[2] +[x-n] [c] À + [[n[x]] + [c] + À-N] + [[x] -À [n[1] + [x]]]] +[[n[x] -À]],

[T[1] - [d] À] + [[d] T p| - À [d]] + [p| +[Py/Ph [À [d]] +[T[1] À]] [c] [d + [n] +[O[x] [n[1]]] -[À + [O[x]]
[[x-n] c [O[1] -À]] +[n[2] - À + O[1]] + [[n[x] [À - [c]] +[[N + À[N]] [c] +[n[o]] À + n[x]] +[[x-n] [c] [O[N] -À-n

[c] [Å]] +[p|[d] c [d]] +[[Py[N] [d] -[n] +[d] [2] À] + [Ṗy[d] À + [Q[d]] +[mp[À] d +[n[x]]] +[d] [2] m
[c] [Å[1]] + [O[1] c [2] À] + [À-n] [c] À [n] + [n-À] [2] + [n[1] + À-n] [o] c +[x-n] À + n[x]] + À [2] n

+[À + mp [d]] +[n[o] - [d] À] + [Å[m] [2] À + [mp| [c] À] +[[dr[c] d]] + [À[d]-p| +[Py[À] [x]] [c] + À
+[À + [x-n]] c + n-ȯ] À [2] +] Å [n] -À] [x-n] [c] [O[2]] À + [O[1] c + [2]] [À] + n] + [À + À-n] [n [c] [c] + n

+[mp-p| [À] [c] + [d] + (Ṗy[d] [o]] [c] [d] [2] + [Py [N]] [d] À] c + [O[1]] [n]] +À - [c]] +À [x]
+[[x-n] +N[c]] [À] c + [n[1] -À-n] [o] [c] [À[2]] + [[À-n] c [À]] + [O[1] o +[O[2]] + [À - [c]] + [n[x]

[n[o]] [c] + [mp[d] p| [À] +[O-ȯ] + Ph[N]] [c] [d] + [À P[2] À [d] - ȯ + À P[x]] c [À-N] [d] [O[2]] + [À[d]],
[n[o]] [c] + [[[Ȯ[x] + N] [À-n] [c] [Ȯ[À]]] + [N + ÀN] +[n[x] [2] +[n[x]]] c [À-N] [À] Ȯ[2]] + [n[À] +

[p| +[mp[n]] À[m] + [d] p| + O[x]] [c] -[d]] + [[N[o]] [c] [ÀN] -p| [d] + [n -[Ȯ] À] [c] + [n[1]]] +[À + P[d]] [m] [o]
[[[x-n] +[À-N]] [c] +[O[n] [1]] + [c] [2] +[À]] + [[n[1] [À - [c]] + [O[1]] + [n[1] - Ȯ]] [À + n[2] [À-n] c + [O[2]

[À - [c]] + [mp [m]] + [À [d]] + [Ph[N]] [À + E[d]] [o]] + [T[1] À] + [ḋ] p| + [mp] [n]] + [À[d] + [p| + [mp] À] [c]
[À - [c]] + [[x-n]] [n] [c] À] +[[N[c] À-n À + [o]] +[x-n] -Ȯ] +[n[2] -À]] + [n[À]] + [x - n] [c] [O

+[d] + [[Ph[N] [c] À-N] +[p| [d] + [À[N] [d]] [n -ȯ]] + n] [c] À + P[d]] + [À-[c]] +[m[m] - À[d]] + Ph
+[[À] + [c]] + [n[x]] + [n[1]] + [N[c] À-N] À + [o] +[[n[n] + [n]] +[n[À]]] + À-c] +[[x-n] [c] [Ō[1]] -À] + [À

[o] + [À + Ē[d]] +[T[1] À] [m] -[T p| [d] + ÀP + [n]] + [À[mp] [c]] -[d]] + [[mp[À] -[c] + [d] + p| + [n[x] [2] + n] -A
[c] À + N] +[n[x]] +[[À-N] [2] [c] [[x-n] [À]] + [O[N] -[À]] + [[x-n] [c] Ȯ[1] - [c]] $\overset{\dot{A}}{+}$ [[n[1] +[n[2]] + [n[2] + n[2]] À] + À-n

[c] +[Ph[N] + n[x] - [n]] À + [n[1]] + À + P[d]]] c [À[d] + Ph[N] + ÀP] c[2] + [Å] [1]] + [À + P[d]] +
[c] + [À + N[Ȯ[x]] + [N[o] À + [n]] + [[n[1] - À]] c [[À + [N] [c] + [[Ȯ] + [n]]]] c[2] + [Å] [1]] + [[n[À] +

[Ȯ[n]] [À[x] +[mp[n] - [d] À]] + [O[x]] + [n]] + [Ph[Py] - [c] [ÀN] - À[d] + mp| - [À] + T[1] m À]] +[ÀP[o]
[À - [c]] + [Ȯ[x]]] + [n[x]] + [À-n]] + [[n[1] + [n[1] Ȯ[x]] + [Ȯ[1] - [n[c] [[x-n] À + [N]] + [c] + [x-n] -N [À]] [2] + [[n[1]

[d] + [Ȯ[mp[m] - [d]] + [x] + [3]] + [T[1] - À[d]] + [[ḋ] [c] À] + [[Py[N] [d] À + [Q[d]] + [Ph[N]] [o]] [c] + Ṗy
À - [c] [Ȯ[x]] + [x-n] -Ȯ [À] + [x]]] +[[À-N[x-n] -ȯ] [c] À] + (À - [c]] + [n[2] -[N] À + [n]] + [[x-n] - [n]]] [c] + [Ȯ[x]

o] +[[m[d] À +[c] -[p|] + [O[2] - [d]] [c] [2] [n] + [À]] + À + P[x] [d] + [Ph[N] -[À]] +[d] mp-À] [c - m[p|] + mp
o] + [n[À] + N[c]] + [Ȯ[2] -À]] [c] [2] [n + À]] + [N[c] À + n[x]] + [[O] [x]]] + [n[2] + [x-n] [À] [d] + n[2]

[Py[N] [c] [À[d]] + [T[1] [m] - À]] + [[n - [d]] [o]] + [6] [p| [d] -À] + [m + [d]] [c] + [n[x] - À] + [p| [c] d À] + À

[p|[d]+[[m-[c] [PY[N] À+[Ȯ[x]-2[d]] +[[mP[A]] +[p|[c] À|[c] Ph[d] À[d]][c] +[[O][n]] +[À+P[n[O]-[c] +

[[À-n[À]+]Ȯ[x][n]][À]] +[À-[c] + [Ȯ[x][z]]][n] +[n[1][À-n][c] +[N[O]][À] [c]+[[Ȯ[1]] +[[n[1][c] N[À] +[n]]

Ph[N][d] +[À+ BP[d]] [c] +[O[z]] +[À+ T[z]-[d]] +[p|[c]-[d]][c] Å[1]+[À+ P[n][O]][c] +[À-N][d]-O[À[d]]

[Ȯ] +[[Ȯ[x] À+ N[O]]] [c] +[Ȯ[z]] +[À-[c] +[Ȯ[z] +[Ȯ[1]] +[n]-Ȯ]] +[[n[1][c] À]+[n[1]+ n[x][À-n]+[N[O]]]

+[T[3] À[d]] +Ȯ[x][c]-[d] +[z]] +[[n[O][c] +[Ph[N]]-[À[A]] +[mP-À] + [PY[N]-[O]]P|+[n]]+[d] À] +Ȯ[x]]+

+[À-N] +[x-n]] +Ȯ[x][À]] + [[À-n] À+[n[O]]-[c] +[N]][Ȯ] +[n[À]] + [[À-n[n[1]-[c] [AN+[x-n]]-[Ȯ][d]+

[À-[c] +[d]+[d] PY[O]][d]+[p|[c]-[d] À] +[T[1][d]-À] +[me[c]À[d]] +[p|+mP[d]+[n]]-

[[x-n][c] [Ȯ[z]+[n[1]+ n[c]]À [À] +[À+[n]+[[n]]] +[n[z]-[x-n][À]] +[[x-n][c] Ȯ[À]] +[[x-n] À-[c] [Ȯ-Ȯ]-

À+ [ÀP[À+ P| +ÀP[z]+[N][d]-P|+[m+À][c] +PY[N]] [c] +Ȯ[1] +À[d] +Ȯ[z] +[[Ph[N]][d][O]] +[À+ [d]

À] +[À+[n[1] + n[z]] +[N][x]] [+[n[1]-À-n][À]] [c] +Ȯ[1] +[À-[c] [Ȯ[z]] +[[[N][c]-[Ȯ[À]] +

+[À[O]][m+[N]]d] [c] +[n][d]] +ÀP[1]] +P|[c][d] +[À+P[z]-[n[O]] +[[Ph[N]d me[c]ÀP][c] À+ ÀP[1][d]

N[O] +[n[1]-[c]+N[Ȯ][z]] +[n[1]-À+n] + [À-[c] +[n[1]]+ [n[x]+[N+À-n] [c] n[z]+n[1]+n[x][c] [À+[N][c][n]

[À+ P[n][O]+[c]]+[À-N[c][d] +[P| +[n[1] +[À+P[z]-[d]]] +[T[1]-À[d]] +[Ph[N]] [À]+ [À[d]-[PY[N][d]-[m+

[[n[z] À-[c] [À-n] +[[n[1]-[À+n]] +[À-N] + Ȯ[x]À] +[n[z]+[x-n]] [[N[À]][c][O] +[[n[1]-À-n] À-[c] +[N]

[c]] +[[n] À]+ [p|[À] +[c] +[d]-Ȯ][1] + [n-À+ Ȯ[À-[c] +PY[N][O]][d]-À] +[[d[n][c][d]][À] +[[m[P]-[m]

+[À-N]+[x-n]] +[À-[c] +[n[À]+À-n][O] +[[x-n][c] À-n] [À+ [n[O]]] +À-[1] +[Ȯ[n]+[1][c]+[z] À] +[[x-n]+n[À+

[Å[d]] +[[À-N][c] +Ȯ[d] + ÀP[c][x] +n[x]][À]] +[À[d]] +[Ph[O][d][m] À]+À-[c] + À[Ȯ] d+ Ph[N][d] +Ph[O]

+[Ȯ[d]] +[[Å[À-n][c] +[n[x]]+À+[[N]+[À-n]] [] +[[[N][O]-À] +[[À[Ȯ]+[n[O]][c] +[N[z]-Ȯ[z] À+[n[O]]]]

[c] +PY[N][d] +Ph[O][1] À+ [Ȯ[z]]] +[p|[d]-Ph[n]][c] À] +[m[P|] +PY[N] À-[Ȯ[x][z]][n][c]] +[À+P[n]-

[c][À-n][À+ N[O][c] [+[Ȯ[z]À]+ [[N][c]+][n] +[À-n+À]] +[[Ȯ[n][n]] [c] À[1] +[n] +[n[z]-Ȯ[x]À][c] +[[n[À]+

[O]-[d][c] +[À[d] m +[[PY[Ph][n]]-À]] + [À[d]-Å] +[[p|[d]+ mP][À[d]] +[T[1] m[À]] +[x] +[mP]-À][Ȯ] [d]+

[Å[1]] +[[N+À-n][Ȯ[z]]-À + [n][c][Ȯ]] +[À[x-n]À-[c] +[n] +[À-N] [c] À]+[n[z]]+ x-n+ [[Ȯ[3]] À-[c] +

[T[O][x] P| +[T[n]]] +[[p|[m]-[d]-À]-[c]]Å] +[Ȯ[1]-[d] À+[x]] +P|[1]] +[À+P[z]-[n][O] +[À+P[z]][d][z]] [c]

[x][Ȯ] +[1[O]] +[[x-n][n]]-À] +[Ȯ[1] +Å[1]][c] À+ [n[1]][À] +[[Ȯ[z]-[Å[z]][Ȯ[1] n[À]]] + À-[c]

[d] + À+ [Å[1]] [c] +[[À+ Å[z] + À+P[z] +P[z]][d]]] [c] +[Ȯ[z]-[d] À+ [x][1]]-[p|[z]][[d] À]+

À+[[Å[1]] +[Ȯ[x]] +[[Ȯ[1]-n][c] +[Ȯ[z]-n] À] +[c] +[[Ȯ[z]-[n[c] À+[x]] +[N[c]-Ȯ][n[À]]

+[T[1] À] +[À+[mP]+[d]] + [[PY[N][d][n]+ mP[À]][c]

[[A+[Q]cd]+AP[n]+Acmpl]+Ph[O]pl-cd]+[[Ph[O]-[BP[A]]cd]pl+Ph[N]-A[O]+[T[O]]+[Ph[O]-A

[[n[1]-[n[7]]A[c]+N]+[[O[x]]A+[N[n[n]]]+[[N[O]-A[O]-[n]A+[n]]+A+[A[O]N]]]+[[x]-O]+[[x-n][1]]A+

[d[pl]+[c]mpl+[A[2]-cd]Ph[N]]+[[c][Ampl]]cd]+AP[1]+[a]]+[Py cd]+Ampl[1]-[[c]pl[2]]+Ph[N]

[n[1]-[N[A][x]][[O]][x-n]A[1]]]+[[n[7]]+[N[c]][O]A-[c]]+[n[2]]]+[[n[7]]A-[O][7]+[N]+[2]+[N][7]]

[T]pl[cd]-A]+[[pl[c]cd]]+[A+P[n]-[O]][c]]+[pl[A][c]cd[2]]+[cd[c]d]A]+[Ph[N]][n[O]]A]+[O[c]

[[x-n][A+O][x]]+[A-[c]]+[A-N][1]+]]n[O]]+[N[c]]A+[N[A][O]]+[n[c]]A-n][n]][c]+N[A]]

[Ph[N][c]-pl]]cm+Py[N]+Ampl]]+[A+n[n]-[O]]c[[Ph[N]cd]mp[c]+[A[O]]cd]-n]+AP[x]][c][A+

[c][A[1]]+[[n[1]-A][c]+[[n[O]][1]]+[A-n]+[N]]+[n[2][c]]-A]+[[n[x]]+[A N]+n[x]]]+

[AP[n]][1]+[T[1]A]+[A[N]-cd][A][c]mpl]+AP[x]+[N]]cd]A[A]+[T[1]m[A]]+[[pl[c]-cd]]+[Ph

[A-[c]]+[[x-n][x]]A][c]O]+[A-N]+[n[2]A[c]+N[n[c]]+N]A]+[O[N-n[A]]+[O[x]-A[c]n[O]]+[N]

A-N][n[O]]+[cd]-[c]]+A[cd]]+[A[m][c]+Py/Ph][n]+[n]]+[A-[c]]+Amp[c]d]+[A-N]cd]AP]

A-N][n[O]]+[A-[O]]+[n[A]]+[n[2]A-[[n[2]]c+[N+A-n]+n]]+[A-[O]]+[x-n][n]A+[A-N][c]A+

T[pl[c]d]+[Amp[c]-cd]]+[[mp[A]][c]cd]+[A[N]+Ph[N]][O]][c][cd][2]]+[Ph[n]+[A+[cd]]+pl

[O[x]O[x]]+[x-n][c]A]]+[O[N]-[O[A]][c]+[O[x]]+O[x][N[c]A+[n+N][A+O[N][c]O]]+O

+[T[O]cd]+T[n]]+[[x]-A[mpl][c]O+[A-[c]]+[mp[m]A[cd]+[T[N]d[O]][n]]+[AP[A[cd]]cpl[A]

+[[A-N][c]+[x-n]][c]-O]][c]O[A-c]+[x-n][n]-[n]A]+[A-N][c]O-n]+[[n[O]][1]-x-n

[[AP[Py[A]]+[mp]pl+Ampl]+Ph[N]]+[[cd]A[O][m]Ph[N][c]+[cd]-m]A]+[[Ph[pl]+[O][c]+[N]

[[x-n][c]A+[O[x]]+[N]+[n[1]][+A-N][O]+[[N][A[O]c+[n[A]+n[1]]+A-n]A]+[N][[O]-[x]]A+[n][x]

+[O[mp][A]+[Py[m]-cd]]+[cd]+[m]cd]]+[Ampl]]cd[O]]+[pl[cd]-A]+[A[cd]]+[Ph[N]-[m][cd]pl

[n[2]][c]+[A-n]+[n[1]]+[[n]A-[c]+n][A]+[N]]+[O][1]]]+[A-n[A]]+[n[A]]+[N[O]][c]

[mp]A]][O]+[pl[cd]][T[1]m[A]]+[O[2]]c+[[mp[A]+O[x]+Ph[N]][x]+[A-[c]]+[A[O]cd]+Ph[N][A+cd

[x-n]A][O]+[[O[1]-[n[A]]A+O[2]]c+[[x-n][A]+O[x]]+N[x]]+[A-c]+[A[O]][2]c+[N][x]-O

[A[O]][c][O[x]]+[Ph[A]+[mp][m]-[x-3]A[A]d+[A-N]]+[Ph[N]][x]cd]+[AP]]+[T[pl]+cd]+[O[2]-n]

[A[O]]A+[O[x]]+[[n[2]-A+[n[1]]]+[A-n]+n[1]+[A-N]A-[c][A]+[[x]-n]-n]+N[x]]+[[x-n[c]n-A]]+O[2]-n

cd]A[x]+[AP]+[AP[n]]+[[O]-cd]Py[A]][x]]+[Ph[N]A[1]]+[2]cd]]+[AP[2]][c]Ph[cd]-[2]][x]]+[AP

[A[x]+[n[1]]+[n[n][n[2]+A-n]+[x-n]-n[n]]A-[c]-[N[A]]+[O]+[n[2]+N[O][x]]+[A-n][c]x]A]+[[x-

[2]A[cd]+[Ph[O][1]]+A[m]+[Ph[O][2]+[N]]]+[[Ampl]-[m][Py[cd]][n]]-A]+[Py[A]-[c]+n[O][x]

n[A]]+N[O]c[n]]+[[O][2]-[n]+[O[3]][c-A]]+[[A[1]+n[2]-O]A-[c]+O[2]+A[2]]+[[A-n][c]-A+[A

+Py[N]A+[A-N]+[A[cd]-[A[1]][c]+[[Py cd]]+[n]A]+[A-N][c]Py cd]+A+Q]cd]+

[C9]

[Ȧ+ PY[d]] [[O] [c] + [[PY [Ȧ-N] [d] O[x] + [A[d] [n[A]] + ȦP[z]] + [Ph[N] + [Ȧ-N] [m] - [d] + Ȧ[n]] + [A[d] m

[x-n] Ȧ+ [[Ȧ-n] [O] + [[n[A]] + [n]]] + [[x-n] [c] + O [[x-+] + [O[x] Ȧ + [n[z] + [O[n] + [n[3]] + [n[z] c

m[A] [z] + ȦP] + [A[d] + [m[n] Ȧ + ȦP[z] + [PY[N] - [m] - [c] + [PY[n] - [m] [c] + A[d] + [A[d] + ȦP] +

[n[z] Ȧ + n[1] + [n[1] [Ȧ-n] [c] Ȧ + n[2] - n] + [[Ȧ-n] - n[c] Ȧ]] + [Ȧ-n] + O[Ȧ-c] [n]] - Ȧ]] + [O[A] [O] + P[d]

+ A[d] pl + Ph[m] [ȦP[z] + Ph[N] [Ȧ+ E[d] [c] + [O] + [Ȧ+ N[d] + [ȦP[z] + PY[d] A-A] + [AP[A] [m] [c] + ȦP[4]

Ȧ-[c] + [n[7] + [Ȧ-n] + [N] [n[z] Ȧ + [N[O[x] [c] n[1] [O[1] + Ȧ-[c] + [O[n] [A]] + [[n[1] Ȧ-[c] n[z] +

+ [ȦP[d] Ph[O] + A[d] - [A[z] [m] Ph] [O] + [n] Ȧ[d] + [A[O] m] + [Ph[O] [z] + Ph[N] + [A[d] Ph[O] [A[n] - n] Ȧ]

[n[7] - Ȯ]] + [N[O] [n] [7] c + [z] Ȧ + [[z] [n] + [n[z] c] + Ȧ-[c] + [n[z]] + N[x]] + [[A[O] + N[A]] + Ȧ

[Ȧ+ O[z] [c] + [[T[n] m] + [A[d] - [c] pl] + [Ph[O] + ȦP[1] + [z]] + [[A[O] pl + [m] pl [n] c [[d] [c]] Ȧ + PY[d] c [O] - Ȧ

[x-n] [Ȧ] O[c] + [[n[1] [Ȧ-n] - [O] + n[z] - N[O] c + n[1] + N]] Ȧ]] + [[n[1] c[O] + n[z] + [O] - [n[z] + [x-n] [x] + N[d]

[[A[d] - [c] Ph[O] + [Ȧ+ [BP] [d] + [n] [1] + [z] + ȦP[x]] + [[A[O] - [m] [d] + n[z] + [Ȧ-N] [c] [m[d] + AP[x] [7] pl

[[n[1] + n[x]] + [N[O] [Ȧ+ [n[1] + n[z]] + [Ȧ-n] [O]] + [[n[x] [7]] + [Ȧ-n[z] + [N] [O] - Ȧ]] + [Ȧ-N] [c] [n[A]] [[n[x] - Ȧ] [2]

ȦP[x] d N] + [m[c] Ȯ] + [m[d]] + [T pl [n[O]]] + [T pl] - [m d]] + [PY[c] [d] + [[A[O] - [d] + n + Ph[O]] [n]

[n[x] Ȧ] + [[x-n] - [c] [Ȧ-n] + [n] + n[x] Ȧ + [O] + [[n[1] n[A]] n[x]] + [[ṅ[z] - [Ȧ-n] [O] c + [n[A]] + [N[O] [n]]]

[Ȧ+ P[d]] + [T[1] - [m] A[c] pl]] + [d r[c] d] + [Ȧ[d]] + [Ph[N]] + [Ȧ[d]] + [Ph[N] + [d] + BP[A] + pl[d]] + T[1] m

[[n[1] [Ȧ-n] [c] Ȧ [n[z] [Ȧ-[c] + [N] [7]] + [[x-n] + O[N] Ȧ]]] + [[n[A]] + [[N[A]] + [n[O]] + [O[c] Ȧ-[c] + [A]

pl[d] + [m[c] Ȧ] [d]] [m] + O[N] + [Ph[N] Ȧ + [A[d] - pl + T[1] Ȧ] + [pl[d]] + [Ȧ[d] + pl + m[c] m] Ȧ + Ȧ-[c] + A[d] +

Ȧ + [x-n] [n] - O] + [n] + O[N]] Ȧ] + [N Ȧ] + [Ȧ+ [n[z] x-n Ȧ] + [[O[x]] Ȧ + O[N]] [[n[A]] [c] + x-n + n

Ph[N] + [Ȧ+ BP[d]] + [d[c] d + Ȧ] - [[O] c + [Ȧ+ P[A[d] + [PY[d] [O] pl + [n] + [[d] + [O] pl + ȦP[n] - z] + A[d] +

[N] + n[A]] + [O]] + [O[n] [1] c + [z]] + [O[A]] [z] c + [[n[1] [Ȧ-n[n[z] Ȧ + [O]] + n] + n[z] + [[O[1] Ȧ + [O] [n]] + [O[z] Ȧ

c pl + ȦP[3]] + [[AP] + A[c] pl + PY[d] [m] - Ȧ] + [O[x]] + [Ph[N]] [pl] [z]] + [ȦP[n] + Ph[N] c [Ȧ-N] [d] - O

+ N + Ȧ-n] + n[3]] + [[n[1] + [O[x]] [n] c + [[O[1] - [x] [n] + n[1] - Ȧ-n] + Ȧ] [O[x]] + [n]] + [[N[1]] Ȧ + [n[1]] + [Ȧ-Ȧ]] +

[A[d] + [ȦP[n] + Ph[N]] [Ȧ-[c]] + [T[n] [d] - [Ȧ-N] + Ph[N] [z] + PY[d] ȦP[x]] [d] [1] PY[N] [d] + [Ȧ+ O[d]] + Ph[N]

[N[1] Ȧ-[c] + [[x-n] + [Ȧ-n] - [n[1] - n[A]] + [N[z]] + [[x-n] [z] c [n[A] + [n[z] - n[z]] [c] + n[1] n[A] [z]] + N[z] c n] Ȧ + n

[[Ph[N] [d] O[x]] + [PY[O] c [Ph[N]] [d] [Ȧ-N] [A]] + [A[d] pl + Ph[N]] + [[d] Ȧ + pl] c + PY[A]] + ȦP[x] - Ȧ m[d]

[[N[O] [x]] + n[x]] + [Ȧ-n] [O] c [N] [A] + [Ȧ-N]] + [n[A] - c + [N]] + [[n[z]] Ȧ + N[c] + [Ȧ-n] + [[n[x] - n[z] - [c]]

[[ȦP[Ȧ-N] + [d] - [c] [[n[O]]] + [PY[d] Ȧ + ȦP[n]]] + [O[d] + [[d] [A]] [c] + [ȦP[n] [3]] + [PY[d] + Ȧ + [n] [d] + n[z]

[[n[1]] + [n[1] - Ȧ] + [n[z]] + [Ȧ-n] + [N] [O]] [c] Ȧ]] + [[n[z] Ȧ + n[3]] + [n[1] Ȧ + [n[z]]] - [A[x]] + [n[1]] +

[[ȦP[x] A[d] m pl [c] + [T pl[d]] + [AP[n]] [z]] + [[m[c] Ȧ]] [d] O] + [c] + [O]] + [Ȯ[4]] d [d]] + Ph[N] [Ȧ[d]]

[[Àdı ⃗+[Ph[N][d] ÀP] [c] ⃗+ [∩[0] ÀP] - À] pl ⃗+ ÀP[∩] ⃗+ [∩]] + [Ph[À[ȯ]] À[d] ⃗+ [me[À] ⃗+ [m] ⃗+ Py[m] d[m]] ⃗+

[[∩[1]] [À] ⃗+ [∩[x]] ⃗+ [N[c] - À[N]] [c] ⃗+ [[x-∩] + Ȧ-N[2]] ⃗+ [∩[c] ⃗+ ∩[x]] [x]] + [∩[2] ⃗+ [À-∩] + N] ⃗+ [∩[d] ∩[À]] ⃗+ [∩

[[me-À][d] ⃗+ pl] - [m] ⃗+ [Ȯ[x]] + [[m ⃗+ ÀP[x] - Ph[N]] [d [ÀP]]] + [me[À] ⃗+ Ph[N]] ⃗+ [m-d P[d]] + [À

[[∩[c] À ⃗+ [0[x]] [[x-∩]] ⃗+ [∩[x]] [À]] + [∩[x]] À-[c] ∩[2] ⃗+ [x]] ⃗+ [∩ ⃗+ N]] + [[N[x-m] À-[c] ⃗+ [0[m] ⃗+ 0[x]] À] ⃗+ [∩[À]

[0] + [À-N]] [c] [[∩-[d] 0] ⃗+ [Ph[N]] ⃗+ [À ⃗+ E[d]] [m]] ⃗+ [À[d]] ⃗+ [Ph[N]] [[0] [x]] + [À-[c]] ⃗+ [[PY[N] [À ⃗+ 0[x]]

À] ⃗+ [À ⃗+ ∩[x]] [c]] [0] [À] c] ⃗+ [À[0] - ∩[x]] ⃗+ [N]] [[x-∩] [À] ⃗+ [∩[À]] ⃗+ [N[0][x]] [c Å] [1] [À-[c]] ⃗+ [[À-∩] [À ⃗+ ∩[x]]

[[me[d]] [∩]] ⃗+ [Ph[ȯ][x]] [c] ⃗+ [PY[d]] [À[x] ⃗+ 0[x]]] [c] ⃗+ [[d] ⃗+ [Ph[N] [À ⃗+ E[d]] [m]]] + [À[B] [d] À[c] ⃗+ [m

⃗+ [∩[À]] ⃗+ [[x-∩][∩]] ⃗+ [N[0][x]] [[c]] ⃗+ [[N[0][x] - ∩[1] [À-∩]] [c]] [c] À ⃗+ [[À-∩] [∩-À]] ⃗+ [N[c] À-N]]] ⃗+ [Å[1]] [∩[À]] ⃗+ [À-[c]

⃗+ [[1] À]] + [À ⃗+ [À-[c]] [d]] ⃗+ [[Ph[N] - [d] ⃗+ ÀP[d]] + [∩[0]] [c] ⃗+ [pl[me[À] - 0] [c] ⃗+ [[d]] ⃗+ [d] ⃗+ À[c] À

[∩[2] ⃗+ [x-∩][À]] + [[0[x]] À[c] ⃗+ [∩[À]] ⃗+ P[∩]] + [[À-N] [c] À ⃗+ [N[0]] [[∩][1] À] - [0] ⃗+ [[x-∩] [c] [0-[x] [1]] [À]] ⃗+ [∩[2] - À] + À

pl ⃗+ À[À] ⃗+ [∩[d]] - ÀP[∩]]] [c] ⃗+ Ȯ₁ + À[me] - [d] ⃗+ [0₂ [c]] ⃗+ [[À[d] ⃗+ [Ph[0] [À-N[À] ⃗+ [0]]] + [À ⃗+ [À-[0]]

[ÀN] c ⃗+ [∩[À]] ⃗+ [∩[1]]] [c] ⃗+ [Ȯ₁] ⃗+ [[x-∩] [∩[À]]] ⃗+ [[0₂ c] + [∩[2] - [À-∩]] [À] ⃗+ [c] ⃗+ [∩] ⃗+ [N]] + [Ȯ[∩] À-[c] ⃗+ 0

[ÀP[∩] + Ph[N][d] ÀP[c] [0] ⃗+ [À[m] pl] [À] + [T[1]] À] + [[me[À] ⃗+ PY[0]] [c] [d] ⃗+ [pl[c] [d]] + [Tpl[d] ⃗+ À[d]] + [d

[[∩[1]] + [N[À]] [∩[2]] c ⃗+ [À-N] [c] [2] ⃗+ [N[x] ⃗+ À[x] + [c]] ⃗+ [[À-∩] [ȯ]] ⃗+ 0[x] - À ⃗+ N[d]] + [∩[1] À-[c] ⃗+ [∩

[À[2] ⃗+ [N[d] ÀP[3]] [d-pl] [[c] À] + [[me[m]] [d]] + [PY[À]] ⃗+ [ÀP[2] ⃗+ Ph[0][x] - [d] ⃗+ m ⃗+ À[0] ⃗+ Ph[N]

[[∩[2] ⃗+ [∩[3]] [c] À ⃗+ [∩[À] ⃗+ N[0][x]] + [[∩[2] À - [À-∩]] ⃗+ ∩[1] ⃗+ [∩[2] ⃗+ [N[0]] ⃗+ [∩[2] ⃗+ [À-∩] + N [À

[[[[∩][d] 0 ⃗+ [À[x]] [À-[c]] ⃗+ [[Ph[N] [c] À-N]] [∩] [d] [∩]] + [me[À] ⃗+ [0[∩]] [2] c ⃗+ [À[d] - [m]] ⃗+ ∩[1]] [c] ⃗+ [∩

[[[∩[1]] ⃗+ ∩[À] ⃗+ [[À-N] [∩]] c ⃗+ À] [c] [2]] ⃗+ [∩[1] À-∩] [ȯ] ⃗+ [∩[x]] + [[À-N] + [N]] [c] ⃗+ [∩[x] - [À-N]] [∩] c

[m[x]] [d] - 0] [À-[c]] ⃗+ [À[N] [1]] ⃗+ [m[d] Å[d] [me] ⃗+ m[0] [c] ⃗+ À[N] [2]] [x] ⃗+ [À ⃗+ À[N] [2] À-[c] [2]] [2]]

[Å[2] - À] + ∩[À] [À-[c]] ⃗+ [[À-N] [1]] + [∩[2]] Å [∩[x] - ∩[2] À[x] c ⃗+ [∩[x]] [c] ⃗+ ∩]] ⃗+ [N ⃗+ À-N] [2]] + [∩[1]] ⃗+

[PY[N][d] ⃗+ [m[À] ⃗+ [d]] ⃗+ [m] + [m]] [c] ⃗+ [[d] [2]] À] + [À[d] c pl ⃗+ [∩] - [m] À[2] - [d] ⃗+ Ph[x] À] ⃗+ [À

[[À-∩] [c] [À[1] ⃗+ ∩[1]] + [À[2] ⃗+ À[2]] ⃗+ [Ȯ[N]] [2] ⃗+ 0[N]] + [[∩[1]] ⃗+ [À-∩] [À]] ⃗+ [c] ⃗+ [[x-∩] [À] - À] ⃗+ ∩[d] + [∩

[[∩] [c] 0] [[c] [2]] ⃗+ [[m ⃗+ PY[N]] [À]] + [À ⃗+ [me[0]] [d]] ⃗+ [me[À]] [c] ⃗+ [[d]] ⃗+ [me[À] ⃗+ [∩[2]] [d] À]] [0] + [Py

c ⃗+ ∩[1] À-∩] [À] - ȯ[∩[1] ⃗+ ∩[2]]] + [[[[x-∩] [c] À-∩ [À]] ⃗+ [∩[1] À + [∩[1] + ∩[2]] [À-[c] ⃗+ [À-N] ⃗+ [0[À]] ⃗+ [À-N]

[me[pl] ⃗+ [m]] [c] À[d] ⃗+ [[m [PY + Ph] [m]] + [ȯ-ȯ]] À[2] [À]] + [À ⃗+ 0[d] + T[2] [m]] ⃗+ [À[d]] ⃗+ [[d] - À ⃗+ m]] ⃗+ [À

[x-∩] [c] À ⃗+ [À[2] ⃗+ [À]] ⃗+ [[À-∩] + N] ⃗+ [∩[2]] [c] ⃗+ ∩[À]]] + [[∩[2] - [x-∩] À] [∩-À] [À-[c] ⃗+ [∩[1] À ⃗+ [À-∩] ⃗+] + [À

[Tpl ⃗+ [∩] À ⃗+ [1] + [2] ⃗+ [d]] + [[Tpl[d]] ⃗+ [Ȯ[d] ⃗+ PY[N]] [c] ⃗+ [me-[d]] ⃗+ [À[d]] ⃗+ [PY[0] - À ⃗+ Ph[À] [x] [d]] ⃗+ m

[À-N] ⃗+ [x-∩] [À] [1] ⃗+ [c] [∩[À]] + À-N[À-[c] ⃗+ ∩[À]] ⃗+ 0[∩] [x-∩] [À] ⃗+ [0[x]] + ∩[À] ⃗+ [∩[2] ⃗+ À-∩[À] - 0 + N[À]

+Ph] [N]] ⃗+ [∩[2]]] c [[À ⃗+ 0[∩]] + [0[c] ⃗+ Tpl[d] ⃗+ [[T[x] À ⃗+ [∩[x]]] + [À[d]] ⃗+ [[d] [À] ⃗+ m pl ⃗+ T

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[À +⃗ P[d]] +[[T[2]] À[+[d]] +⃗[À[mp][d]] +⃗[Ph[N] À +⃗ ÀP]] [[c][d] +⃗ ∩[1]] [À]] +⃗ [Py[N]] +⃗ Py[d] +⃗[ÀP[∩]] +

[[[∩[1]] [[À-∩] À +⃗ [∩[1]] [c] +⃗[[∩[2]]] +⃗[[∩[À]] +⃗[[x-∩]-Ȯ] [À +⃗[Ȯ[∩]] +⃗ ∩[2]]]] +[[À-N][∩] À +⃗ ∩[1] +⃗ ∩[1] +⃗ À∩] [À[2]] +

[T_p| +⃗ [m][d] +⃗ me-À]] +[Py[N][c] Å +⃗[Py[d]] +⃗ AP[∩]] +[T_p[2] +⃗[AP[2]][∩] +⃗ A[mp]] [c] p[2] + A[d] +⃗[ÀP[1]] [∩] [[c] p]] -

[Å[[x-∩] + À-N] [c] +⃗[Ȯ[x] À]] + [∩[1] +⃗[À-∩] c À +⃗[∩[1] - Å [À][2]]] + [[∩[2] - [N][0] À +⃗[[[x-∩][c] À +⃗ [Ȯ[2]] + [Ȯ[x]]] + [[x-∩][c] À-∩]

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[d] +⃗[p| + Ph[N] - À]_[x] +⃗ ÀP[1]]] [[∩]-m] - [0] À] +⃗ ÀP[2] +⃗ [1]] + [Ȯ - Ȯ_p|[m̄] + [c] +⃗[[d]] +⃗[m̄[d][2] +⃗ Ph[N]] +⃗ ÀP[x]] +

- À +⃗[[N[c]] [À]] +⃗ [∩[À] +⃗[∩[2] -[N[∩]] [0]] [c] À] + [N[c] À] [c] +⃗ P[2]] + [[N[∩[À]] +⃗ Ȯ[1] [∩[2]]] + [x-∩] + À-N] +⃗ [∩[2] À] +⃗ ∩[2] ∩[À]] +⃗

[A[d] + [d∩]] + [Ph[N][d] +⃗ BP[À]] [c] A + [[d] +⃗ A] +⃗ ÀP[∩]] [2]] + [A[mp|1]] c +⃗ Py[N] À +⃗ [[mp] +⃗[me] - [d]] +⃗ Ȯ[x]] c +⃗ ∩[2]]

[N[0]] +⃗[∩[x]] + [[N[À]] +⃗ ∩[2]] + [À[2] c +⃗ ∩[À]] +⃗ [∩[1]] [Ò]]] + [[À-∩] · À +⃗[[N[c]] +⃗ ∩[2]] +⃗ N[x]] +⃗ [Ȯ[x] c +⃗ ∩] [À]]]

[[P̄y[d] O[x] - À +⃗ ∩] +⃗ [mP[À]] +⃗ [ď] + [d]] [c]] +⃗[ÀP[1] +⃗ ∩]] +⃗[[Py[m] - À] [d] +⃗ p| +⃗ [∩] [c] +⃗ ÀP[2]] [∩]] +⃗ À[Ȯ] mc

[∩̇[2] À +⃗[Ȯ[x]] [c] +⃗ ∩] + [[∩][c] +⃗[∩[1]]] + [x-∩] c [À-∩] À +⃗[∩̇[2]] +⃗ ∩̇[2]] c +⃗ [∩[1]] + [∩̇ [1] - À] +⃗ [c] +⃗ ∩[x]